

**Can We Constrain Microscopic Diffusion in Solar-like Stars?
An Initial Attempt**

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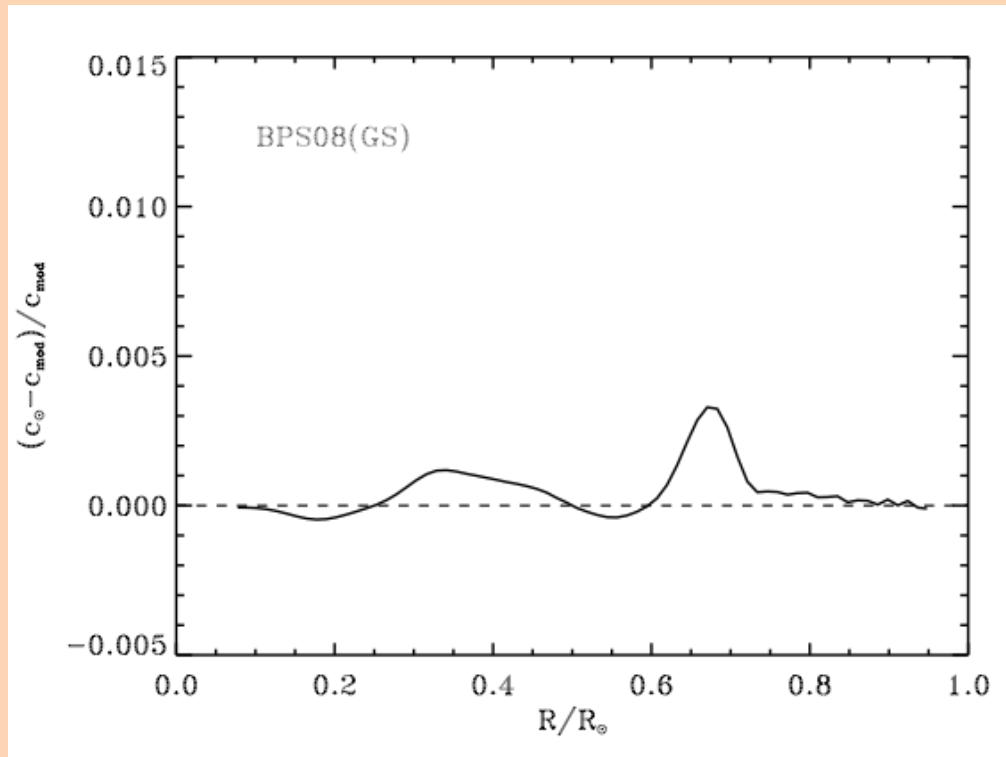
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Microscopic diffusion is evident in compact objects
DA & DB white dwarfs
sdBs

However evidence in solar-like stars is scarce

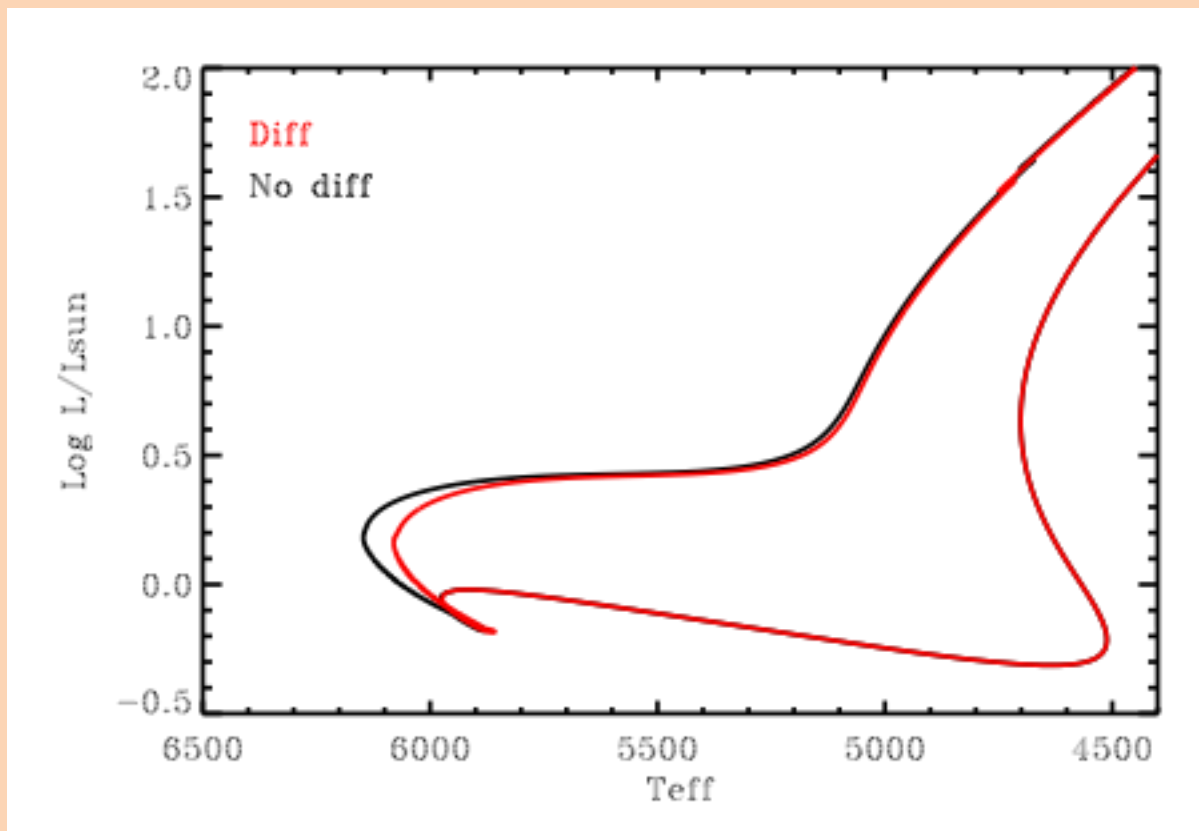
Element diffusion at work in the Sun

necessary for agreement with helioseismology (R_{CZ} , Y_S , $\underline{\Omega}c$)

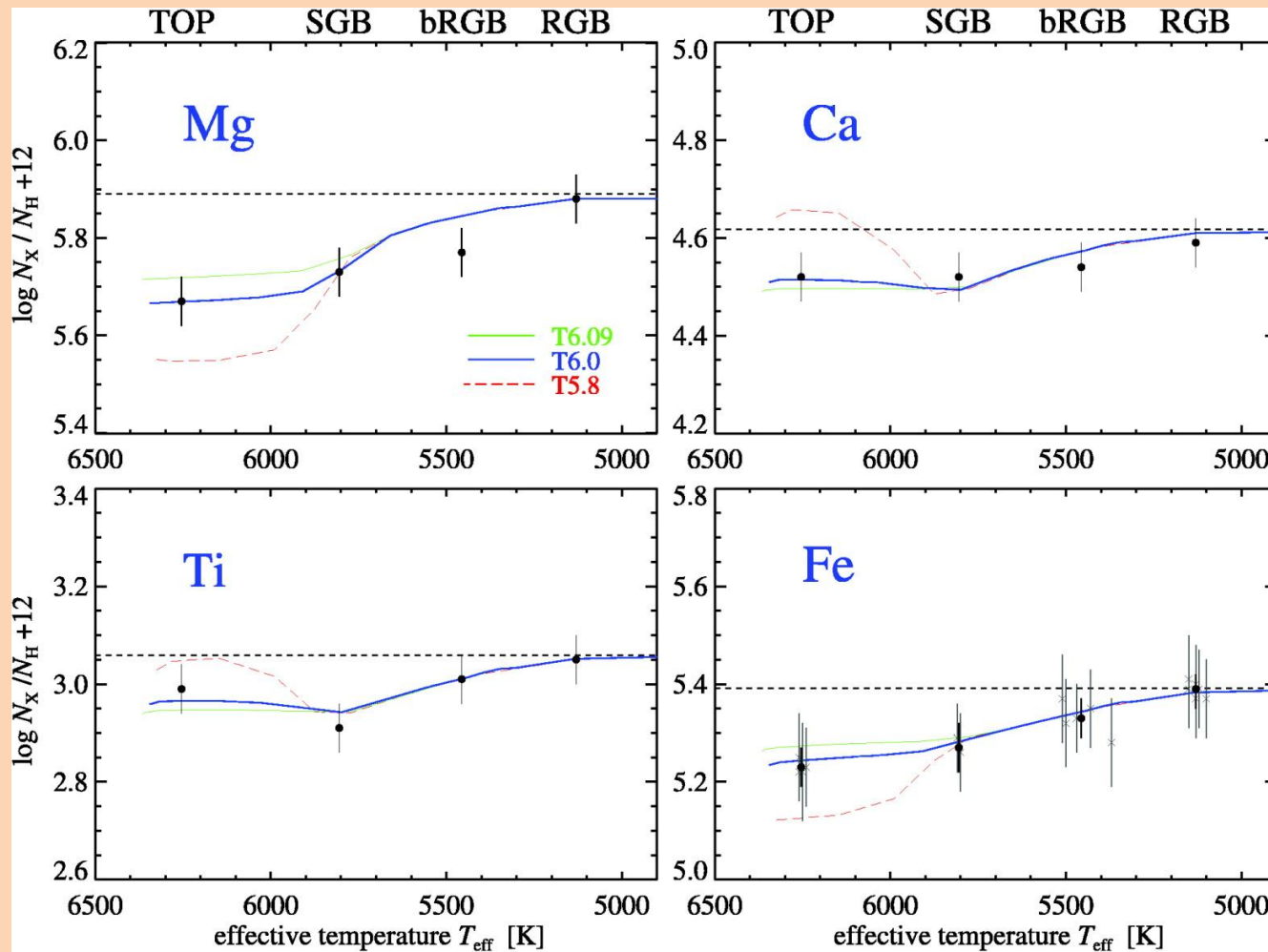


Stellar models somewhat cooler & smaller ages → change in isochrones lead to “younger” clusters in good agreement with age of Universe

M=0.96 – [Fe/H]=-0.5



“Direct” detection of microsc. diffusion in globular cluster NGC 6397?

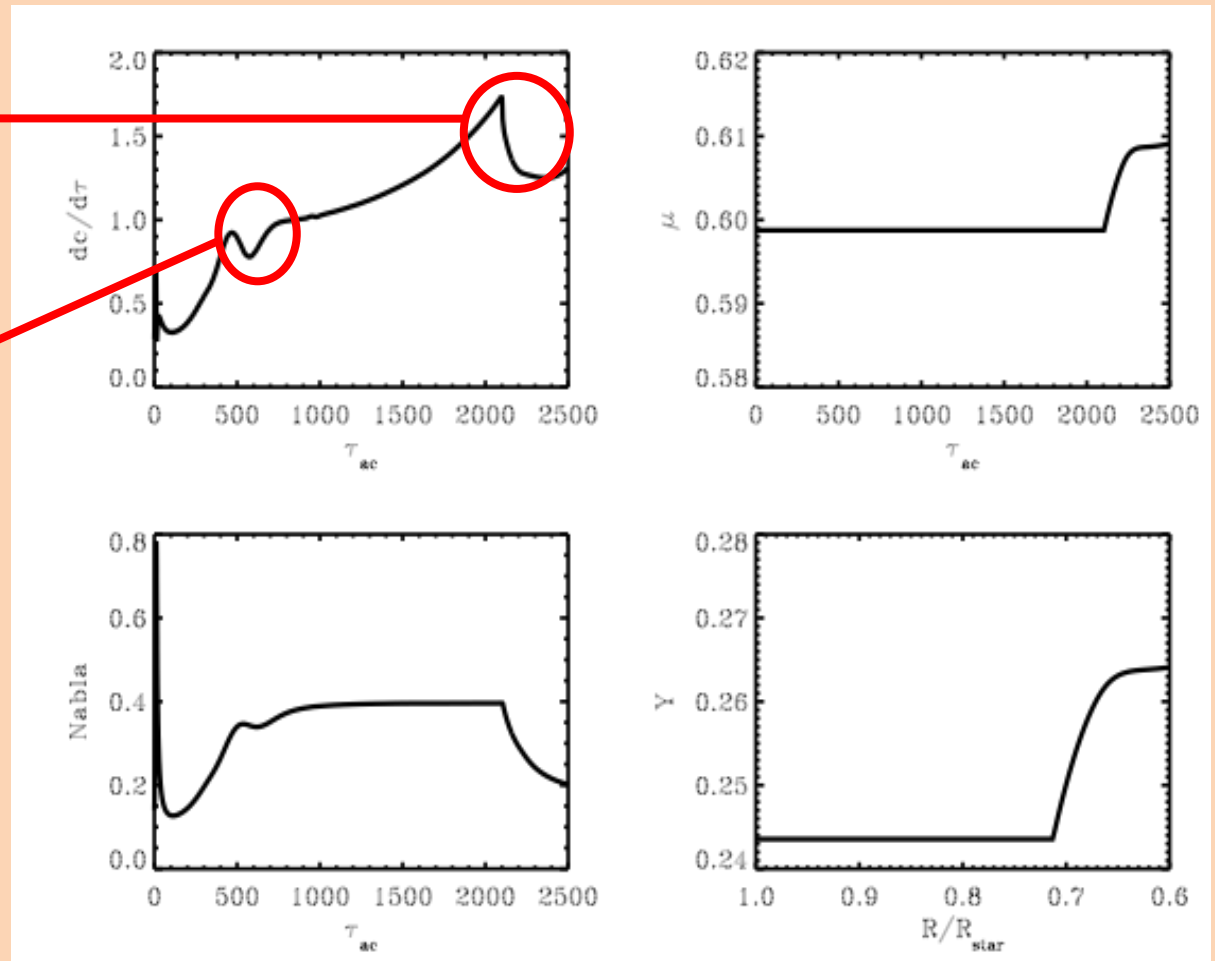


Korn et al. 2007

Basic idea: can acoustic glitches give information on diffusion?

Boundary of CE:
change in transport
+ change in \odot

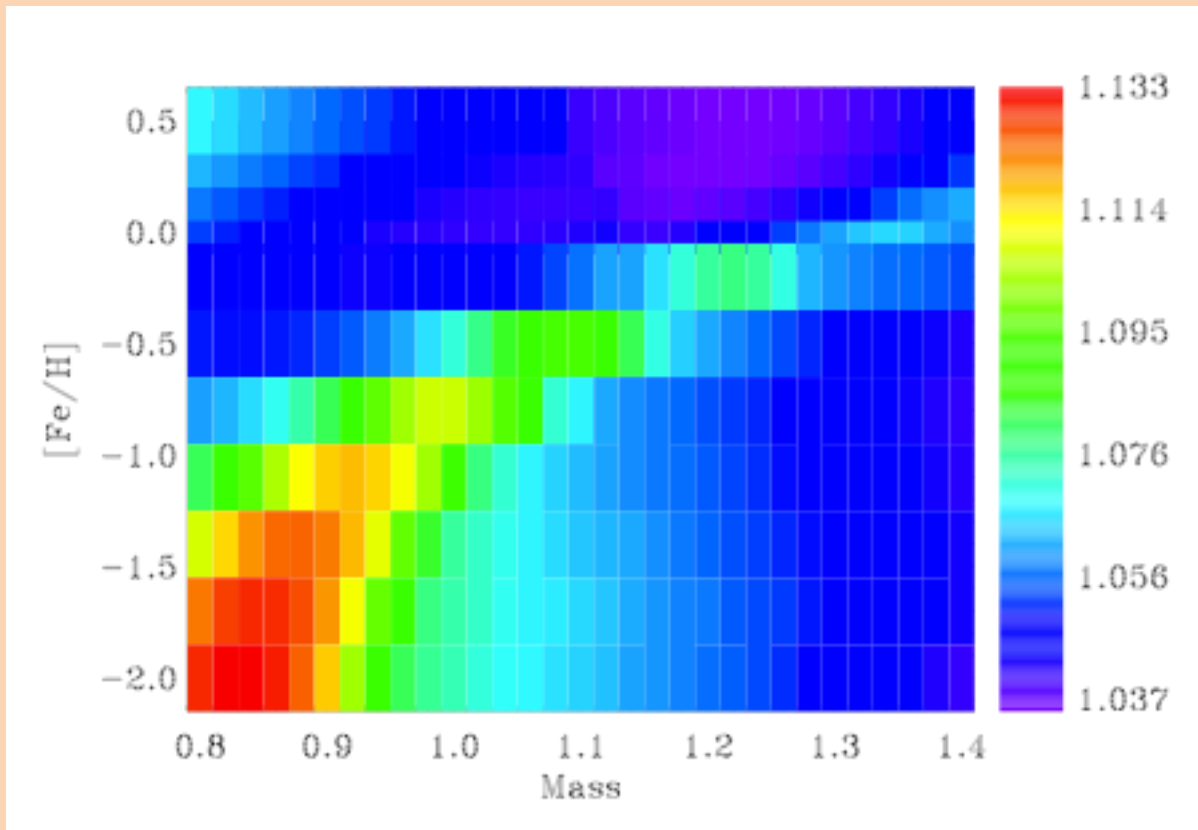
Depression in ν_1
(HeII ioniz.)



Is the added contribution of \odot change detectable (at least in models)?

Variations in τ_{\odot} across the M-[Fe/H] plane

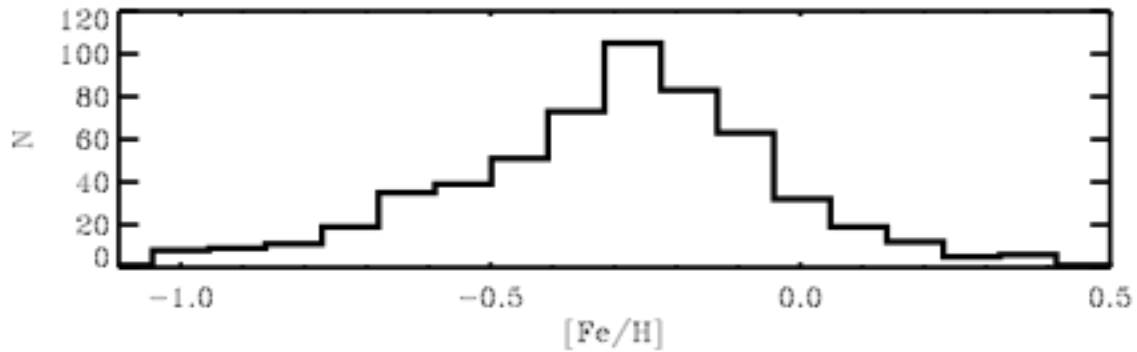
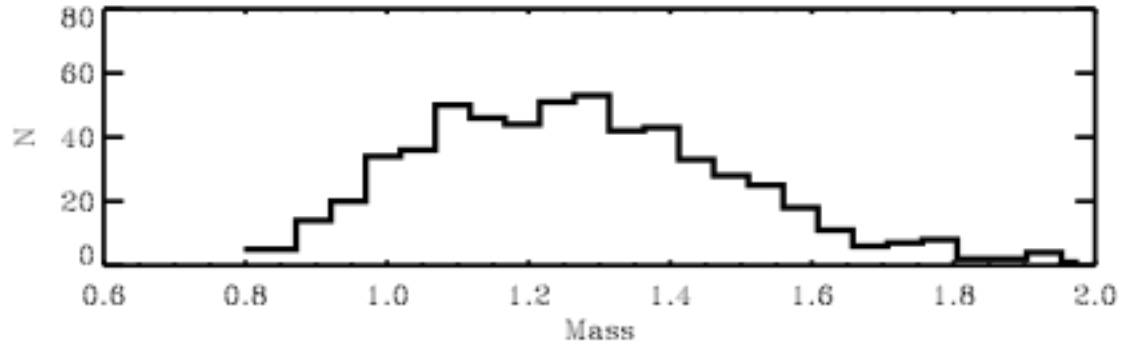
Maximum depletion factor of τ_{\odot}



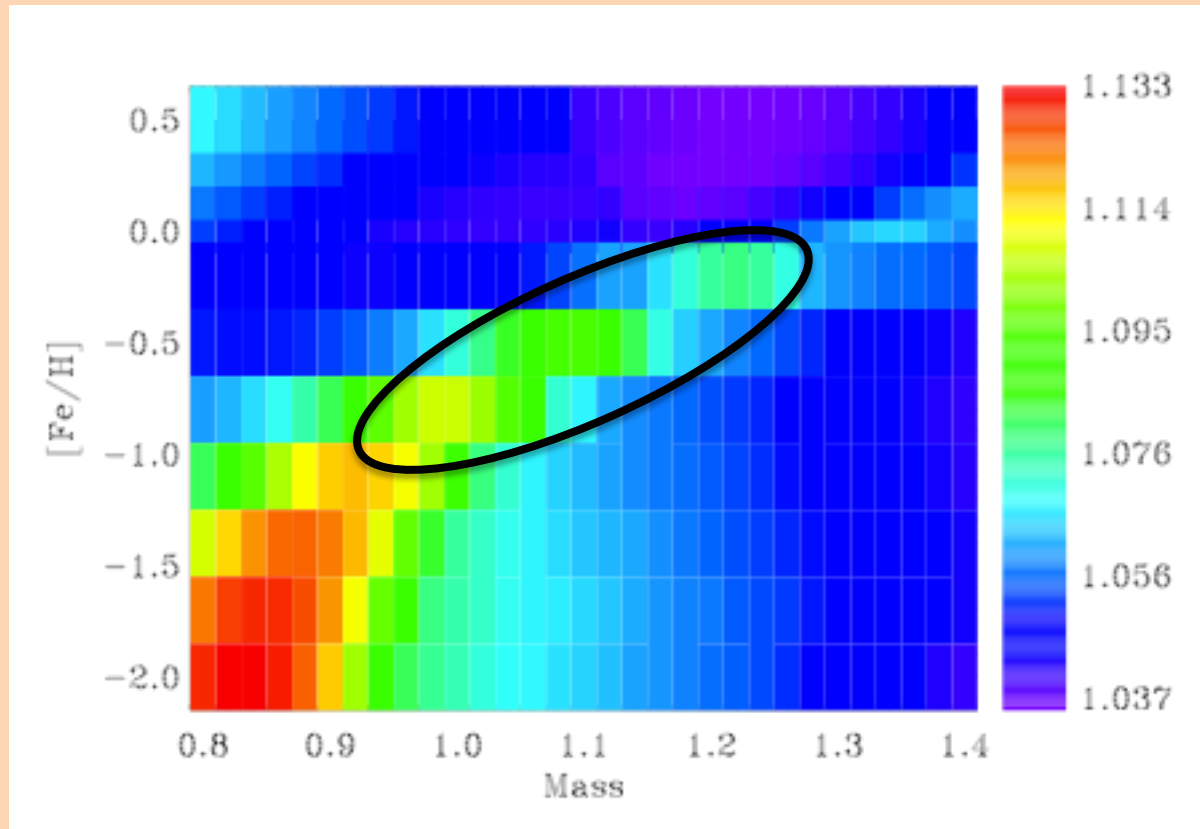
Depletion factor:
combination of conv.
envelope thickness and
evolutionary timescale
on MS

Rereference: for standard
solar model is 1.016

Kepler solar-like stars look more or less like this



Restricted parameter space



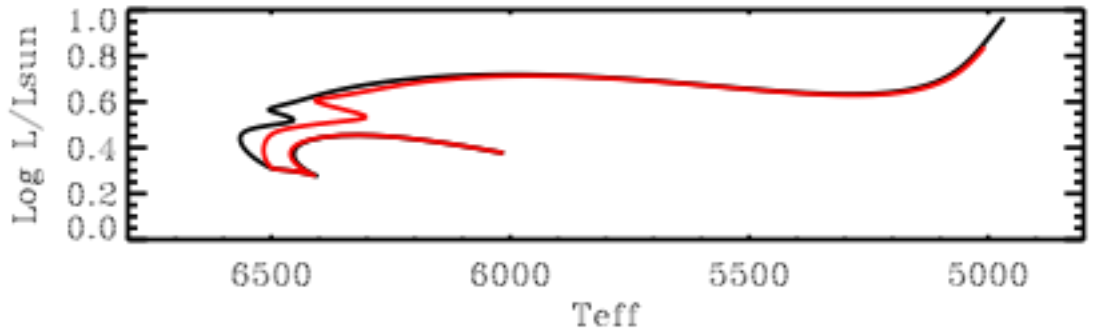
Two evolutionary sequences:

$M=1 M_{\odot} - [\text{Fe}/\text{H}] = -0.8$

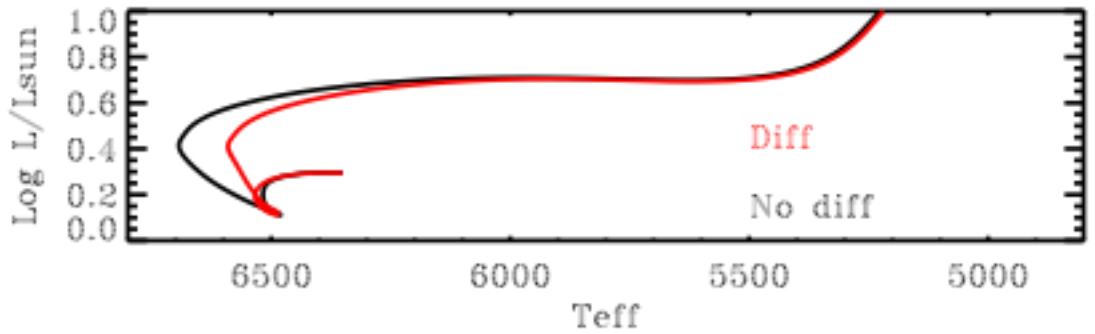
$M=1.2 M_{\odot} - [\text{Fe}/\text{H}] = -0.2$

On the HRD

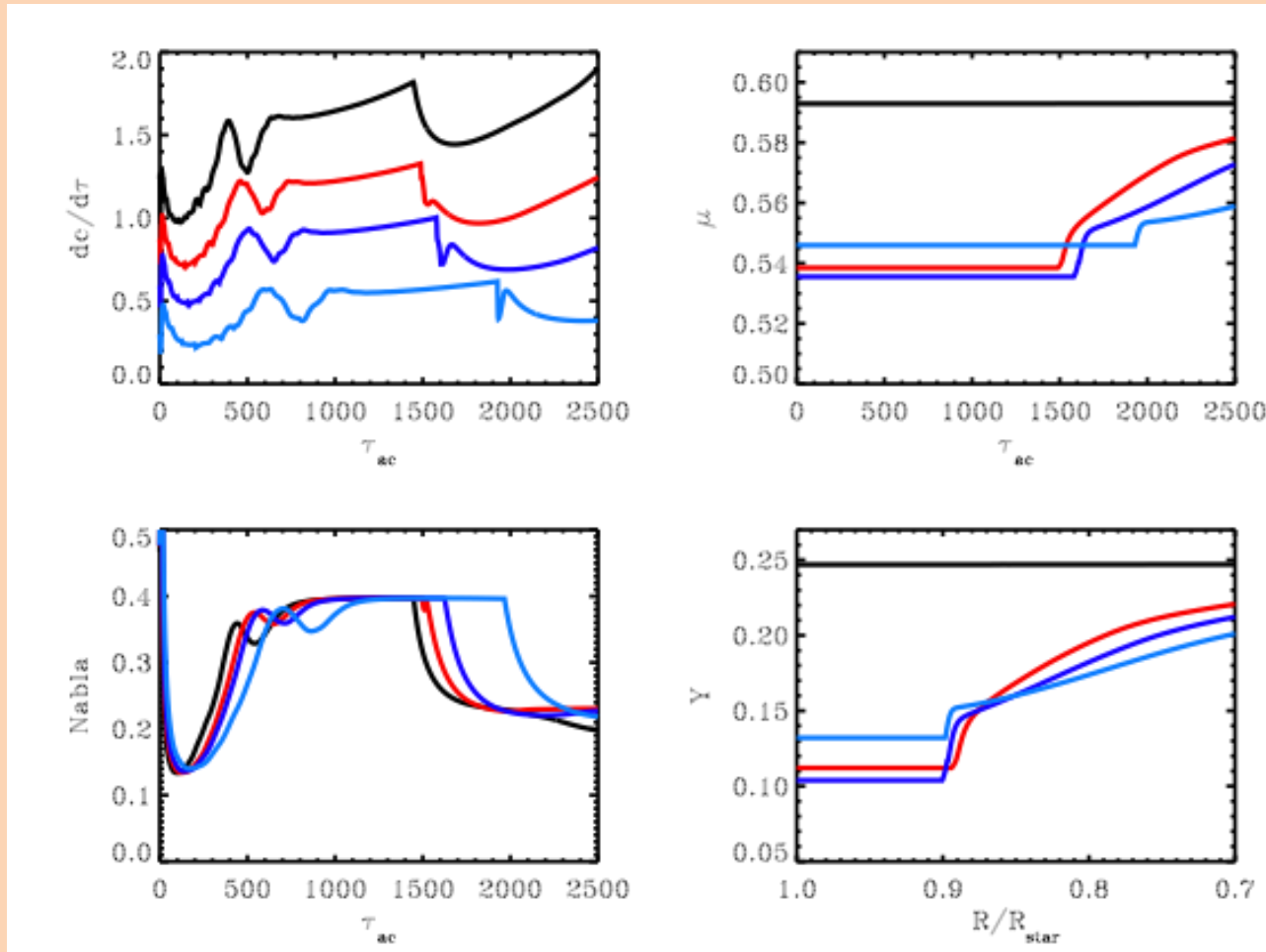
$M=1.2 M_{\odot} - [Fe/H] = -0.2$



$M=1 M_{\odot} - [Fe/H] = -0.8$

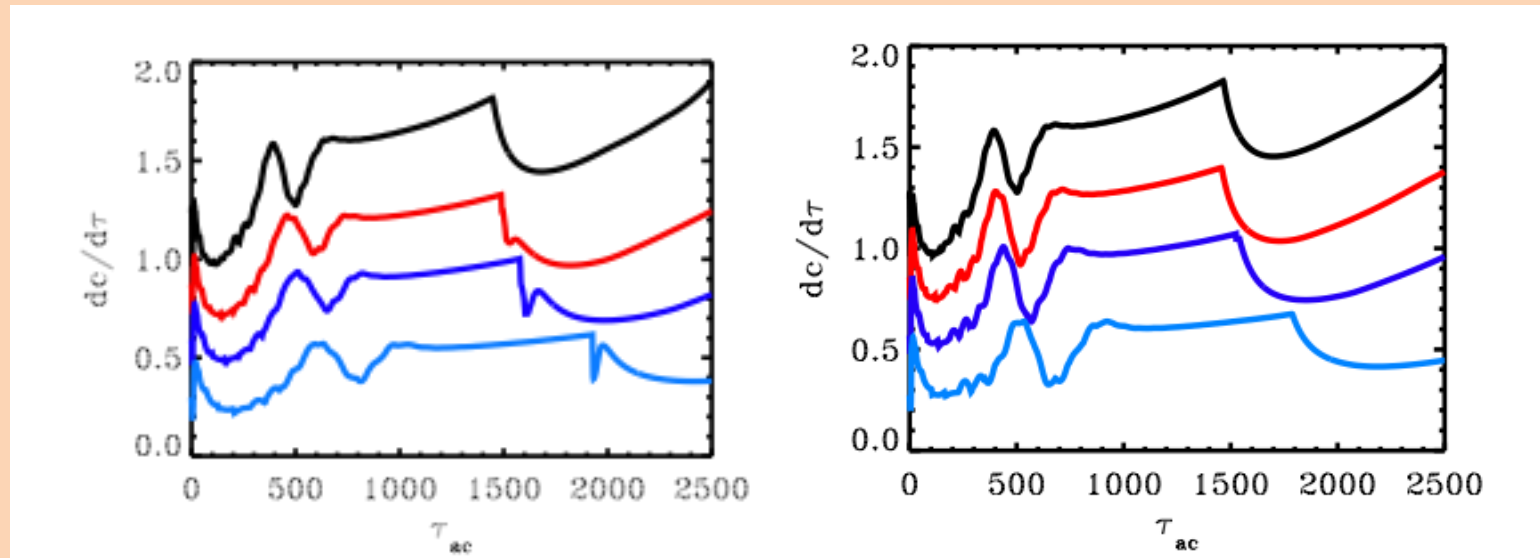


$M=1 M_{\odot} - [Fe/H] = -0.8$



Even if thinner CE the He ion. zone and the BCE are well separated
BCE deep enough \rightarrow not sensitive to surface effects

$M=1 M_{\odot} - [Fe/H] = -0.8$



Diffusion

No diffusion

Differences in the acoustic glitches at base of CE

Tempered effect at the HeII ionization zone (less Y in the envelope)

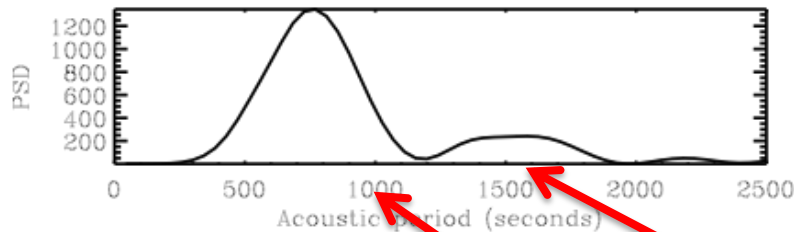
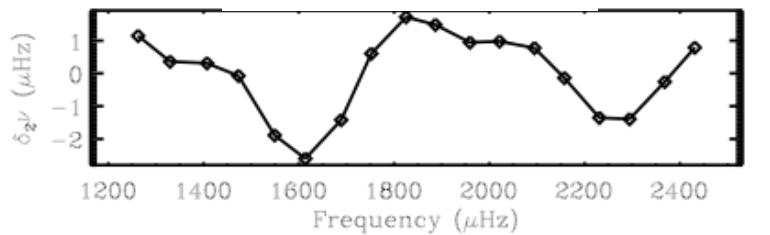
Second order differences: $\Delta^2 \Omega_l = \Omega_{l-1} - 2\Omega_l + \Omega_{l+1}$ ($l=0,1,2$)

Fourier analysis after subtraction of slowly varying component

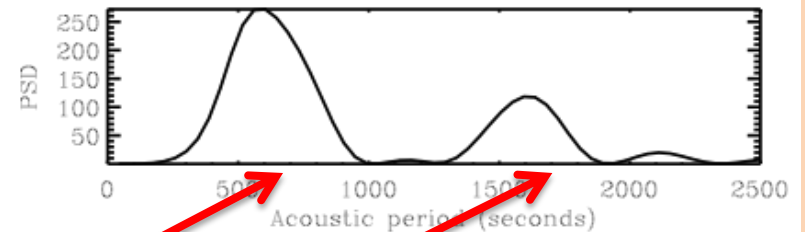
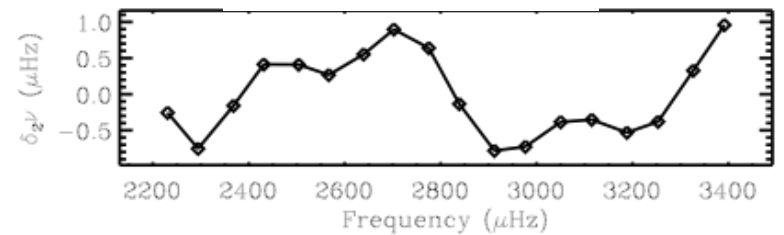
Sensitive to choice of lowest overtone and number of modes available

The two peaks well defined if: $\Omega_{\min} > 2/3 \Omega_{\max}$ ($n > 13$) & $N > 10$

$n_{ini} = 8 - N = 11$



$n_{ini} = 15 - N = 11$

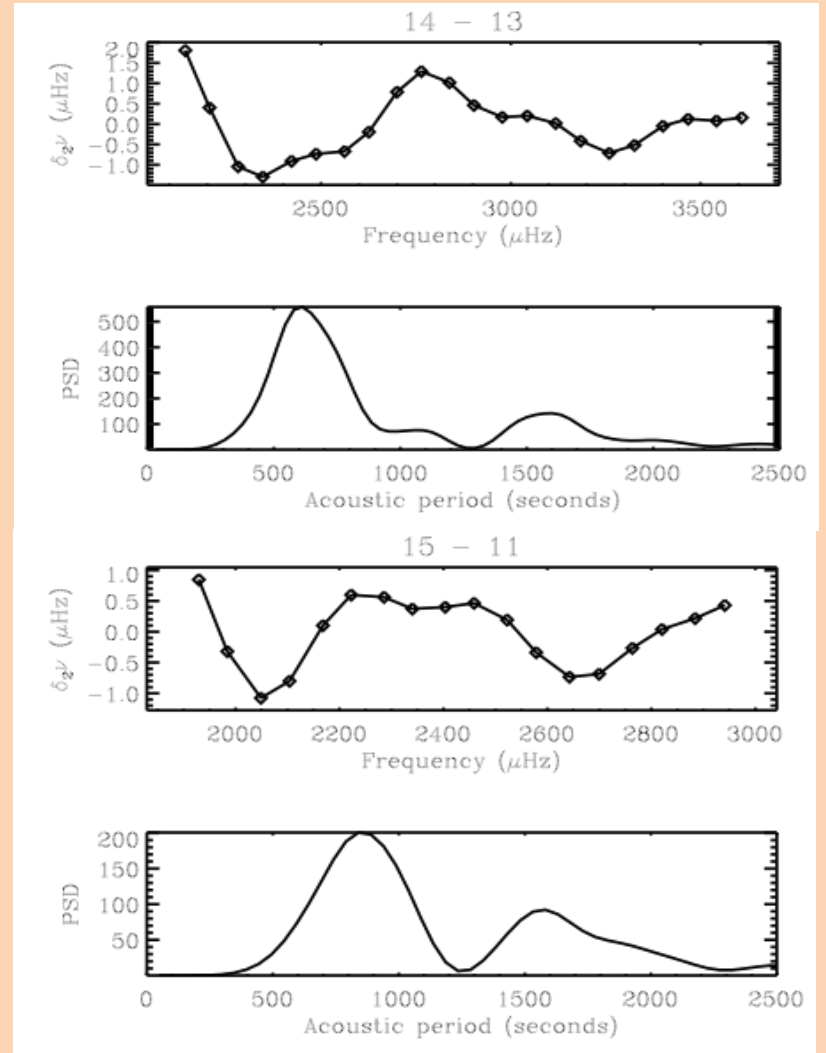
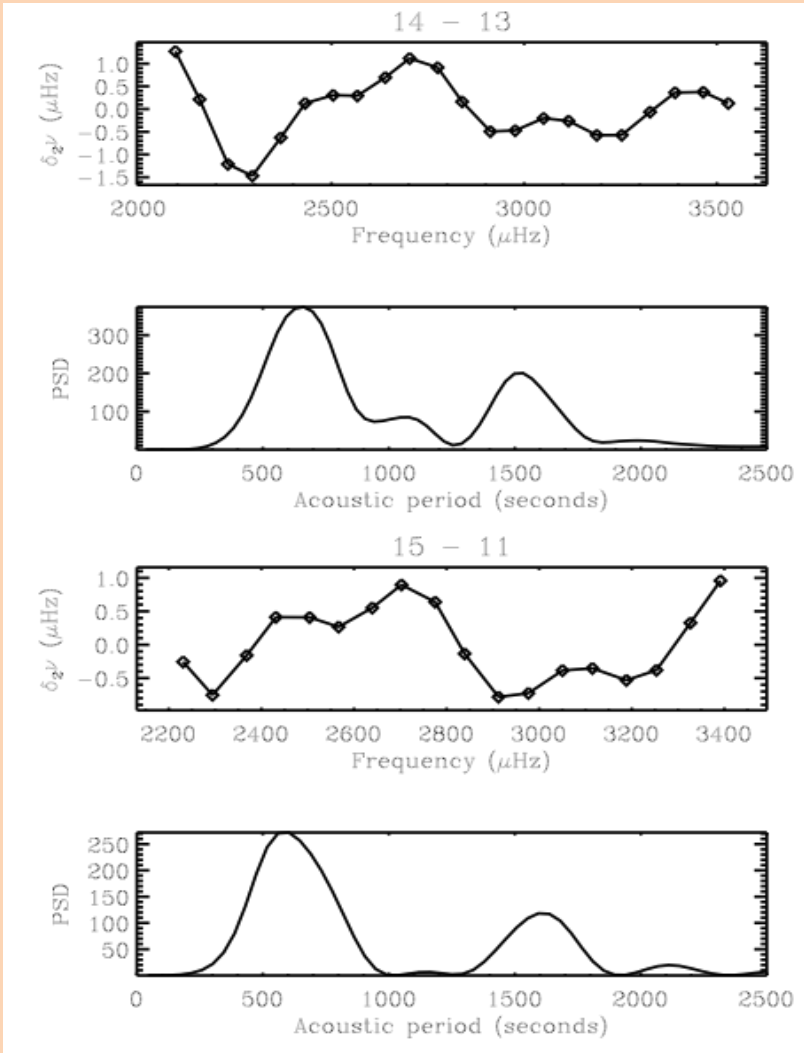


Hell
BCE

Models with diffusion

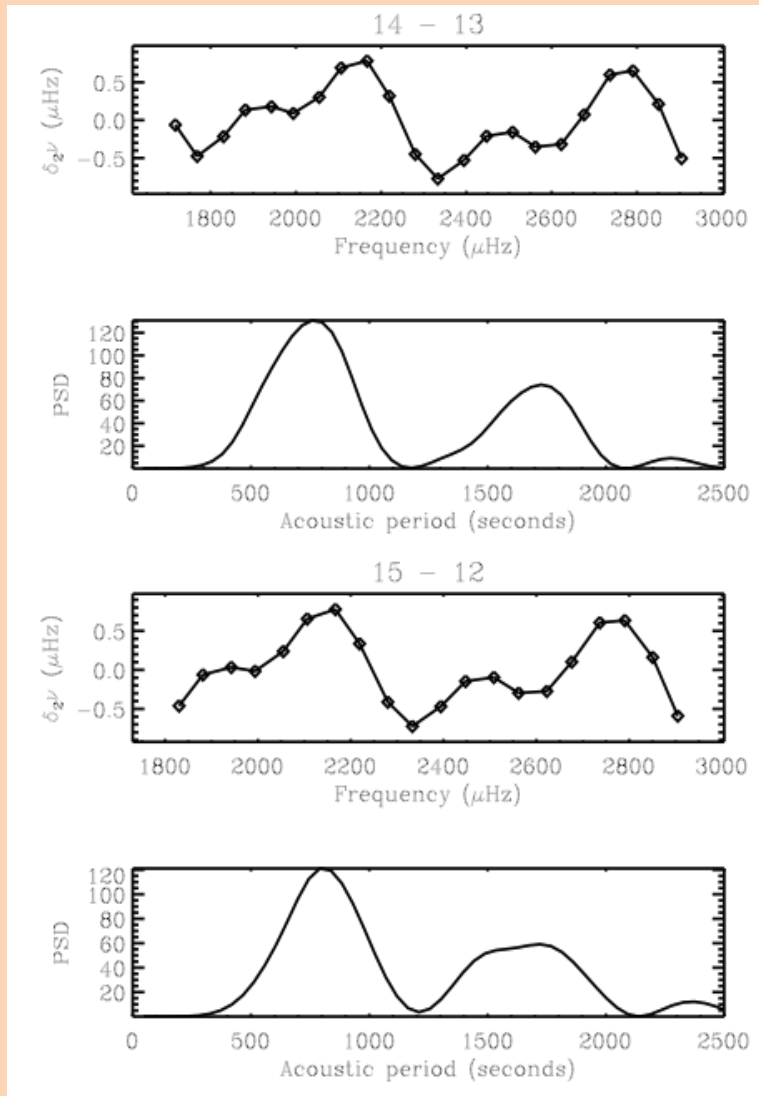
Depl. factor 1.04

Models without diffusion

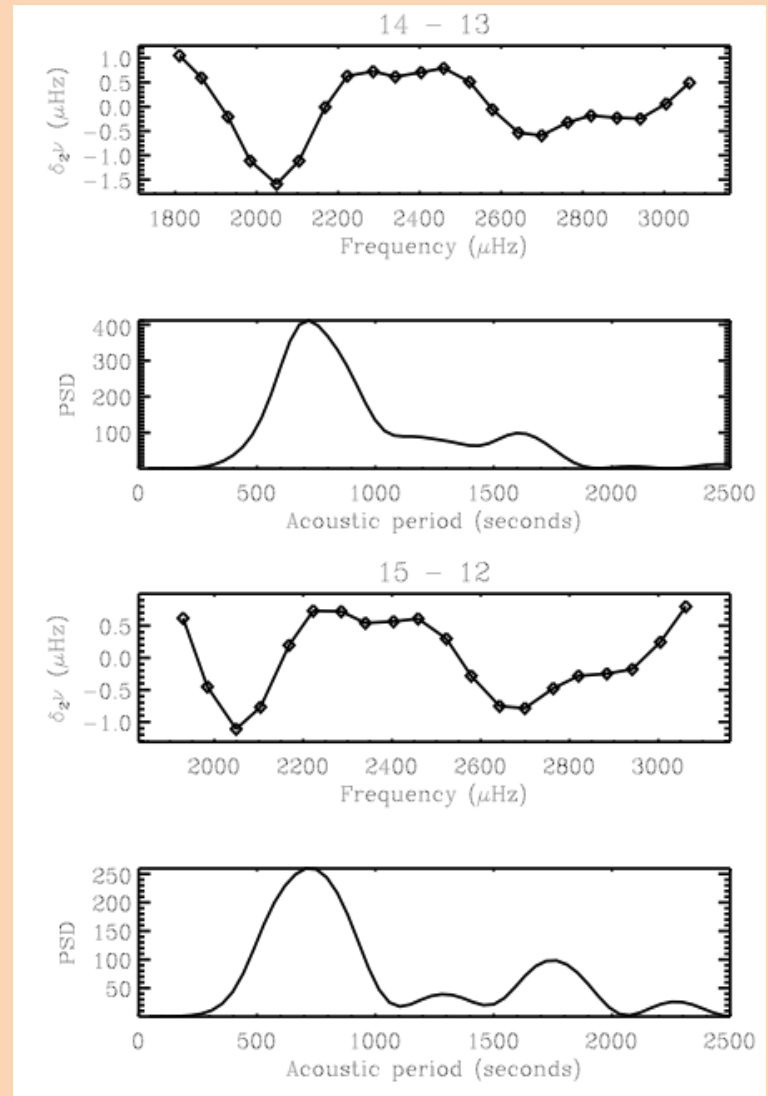


Models with diffusion

Depl. factor 1.10



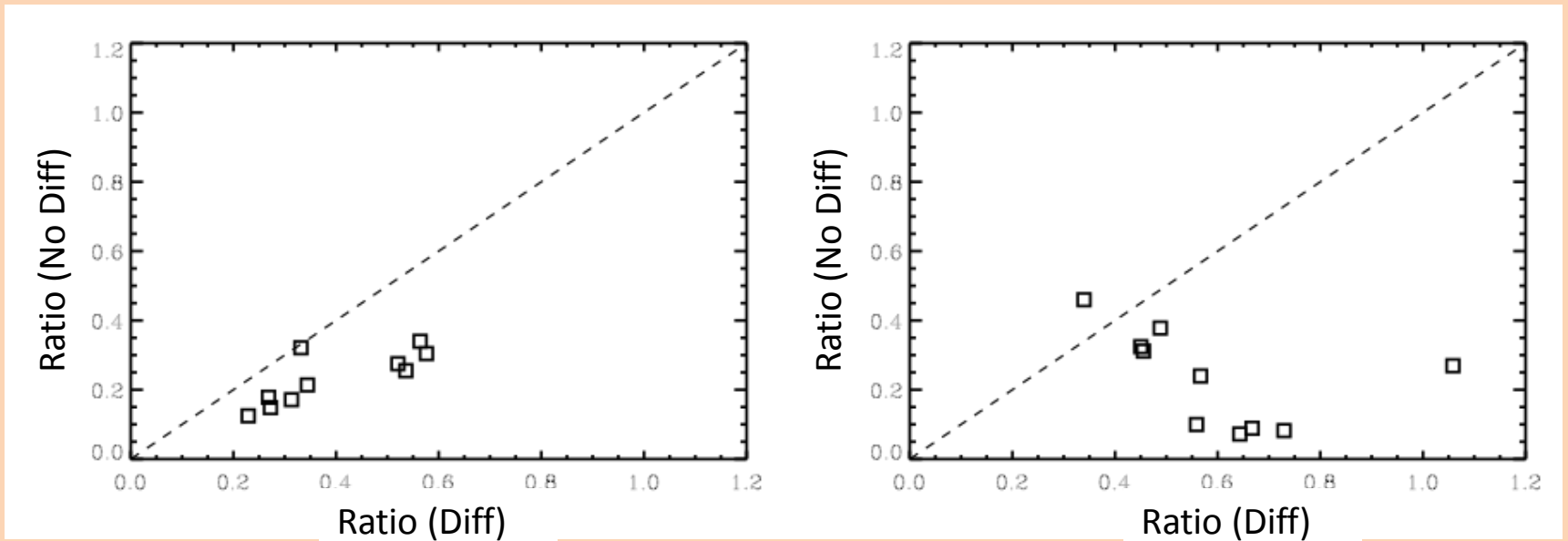
Models without diffusion



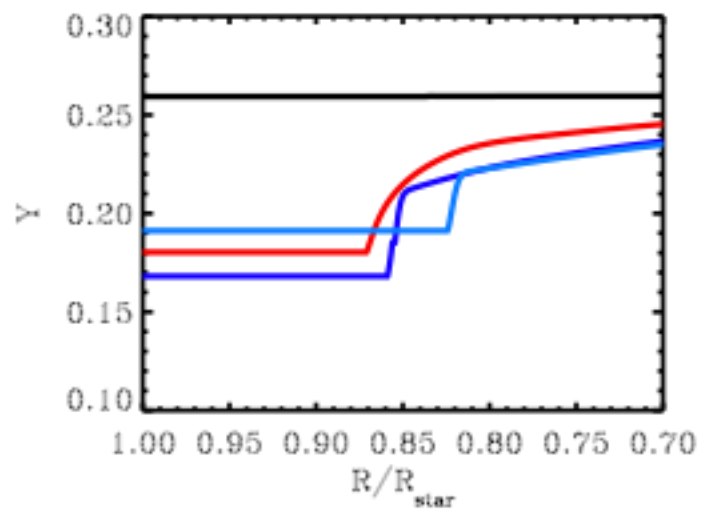
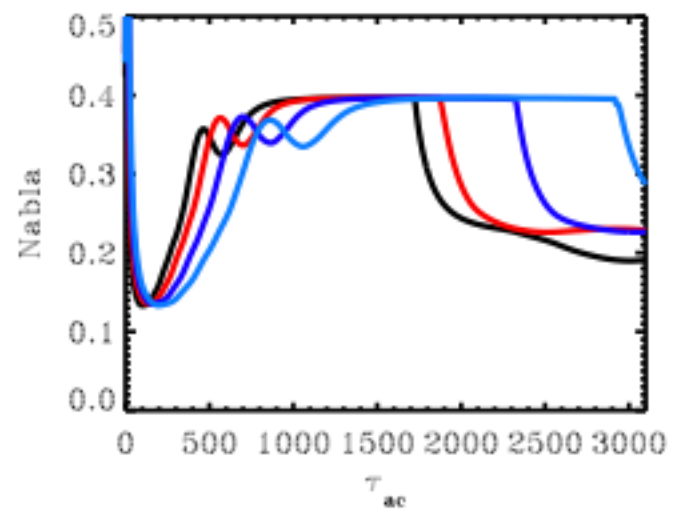
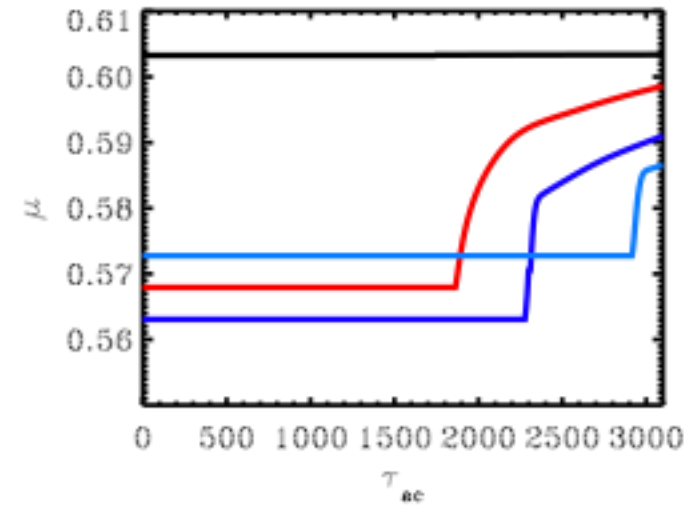
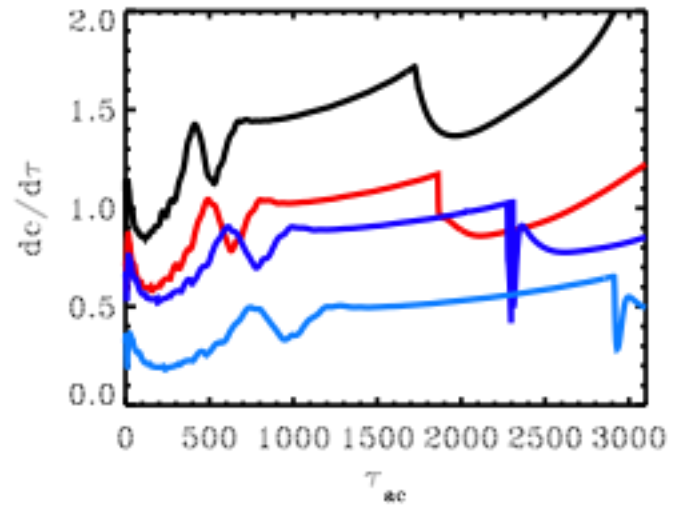
Ratio of maximum power between the two peaks

Depl. factor 1.04

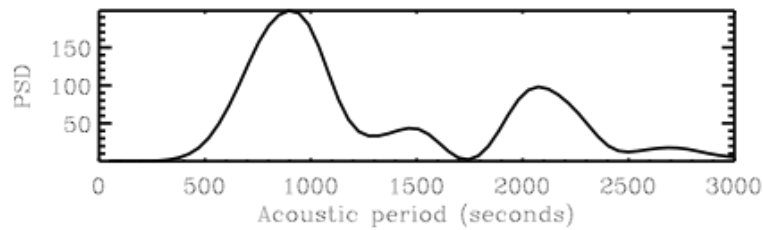
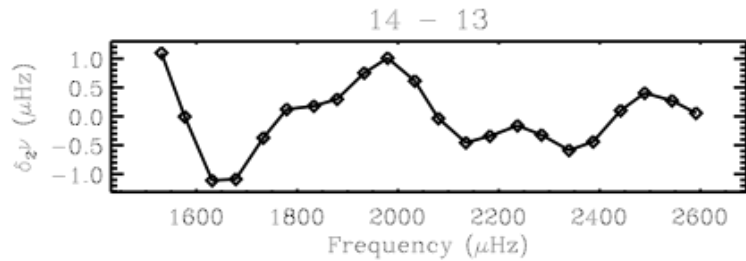
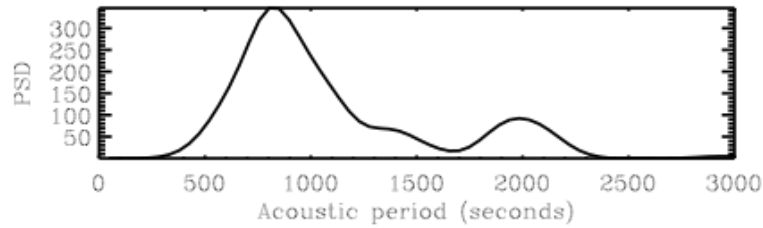
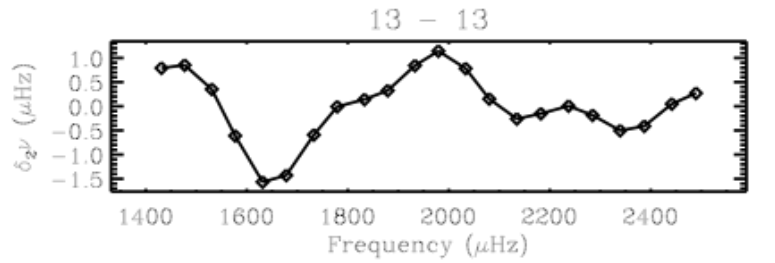
Depl. factor 1.10



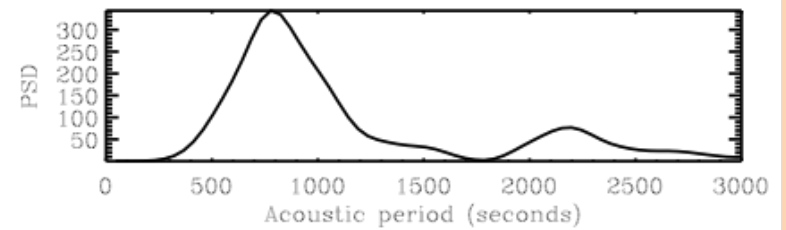
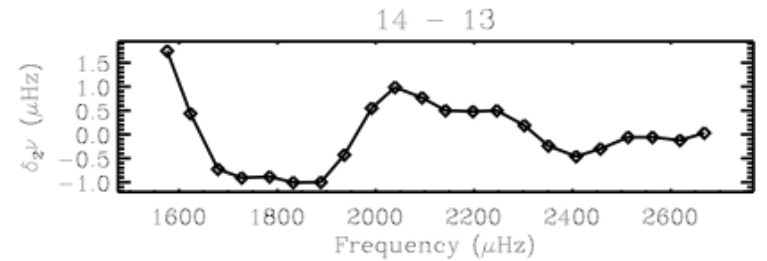
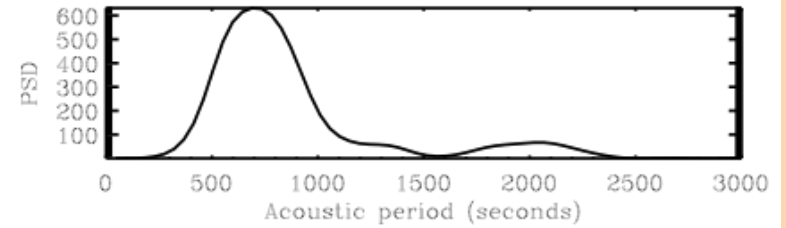
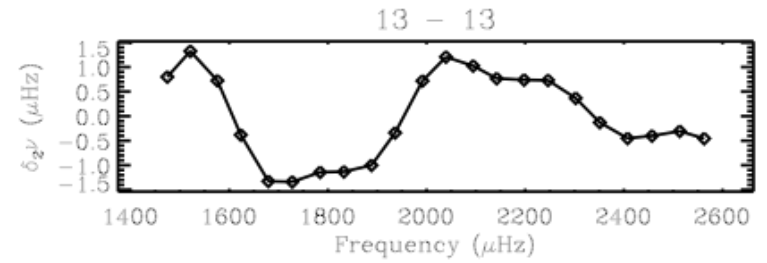
$M=1.2 M_{\odot} - [Fe/H]= -0.2$



Models with diffusion

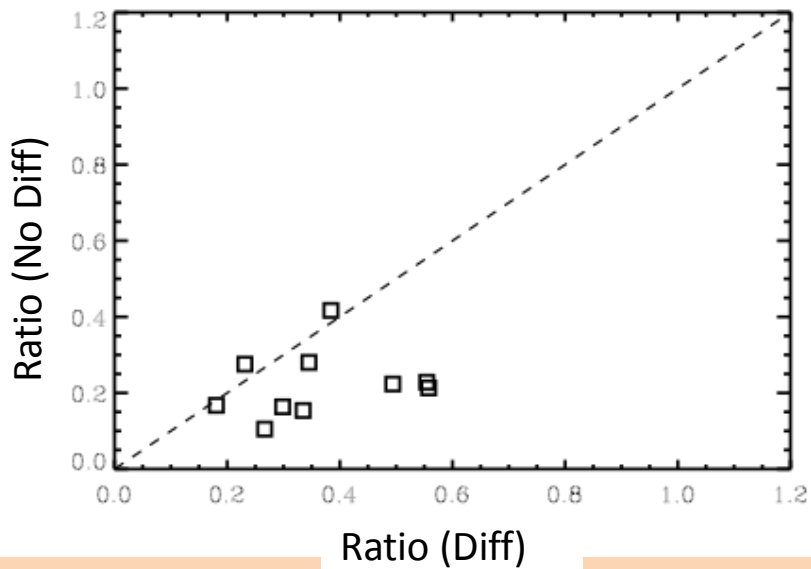


Models without diffusion

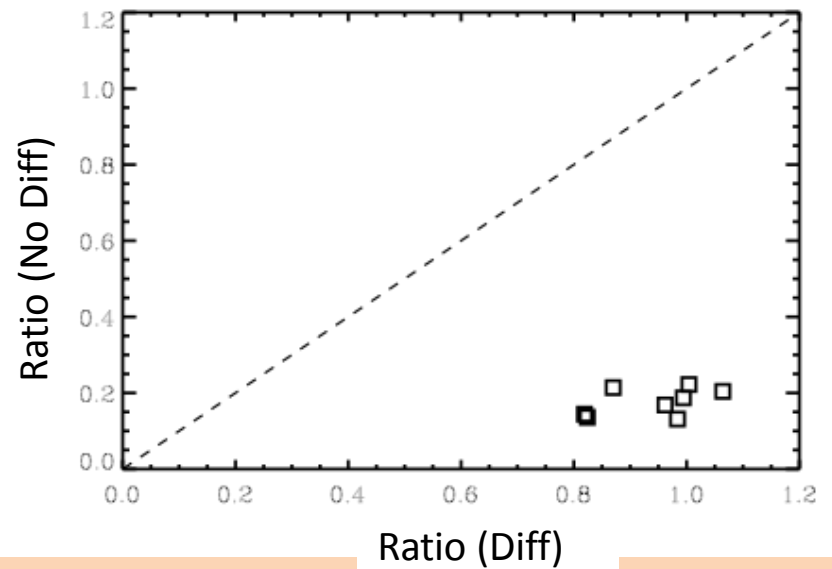


Ratio of maximum power between the two peaks

Depl. factor 1.04



Depl. factor 1.08



Initial tests for effects of element diffusion in acoustic glitches for solar-like stars

First crude analysis in models indicate different power distribution from 2nd order differences in models with and without diffusion

- effect of diffusion is double: sharper glitch at BCE and less signal at Hell ion. zone**
- however sensitive to modes used in Fourier analysis**
- at least 10 modes per ang. degree needed**

Need further work to device a robust indicator of diffusion in models: refined Fourier analysis, optimization in selection of frequencies

No extra-mixing (eg turbulent) considered in models so far

Possibility of application to actual data still very uncertain

