

Using **Field-Particle Correlations** to Diagnose Particle Energization in **Turbulence, Magnetic Reconnection, & Shocks**

Gregory G. Howes
University of Iowa

Connecting Micro and Macro Scales:
Acceleration, Reconnection, and Dissipation in Astrophysical Plasmas
Kavli Institute for Theoretical Physics, UCSB
9-12 Sep 2019

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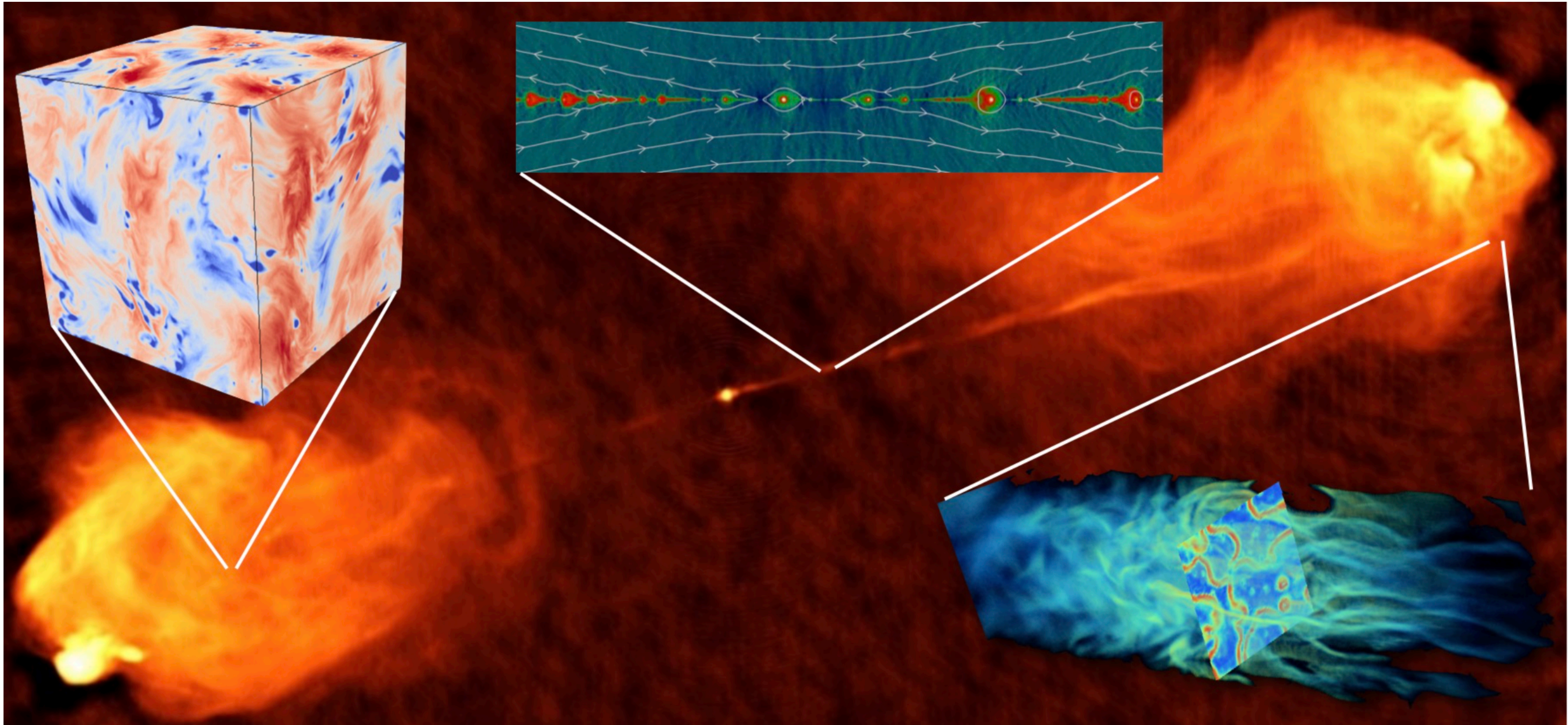
Queen Mary University

University of Calabria

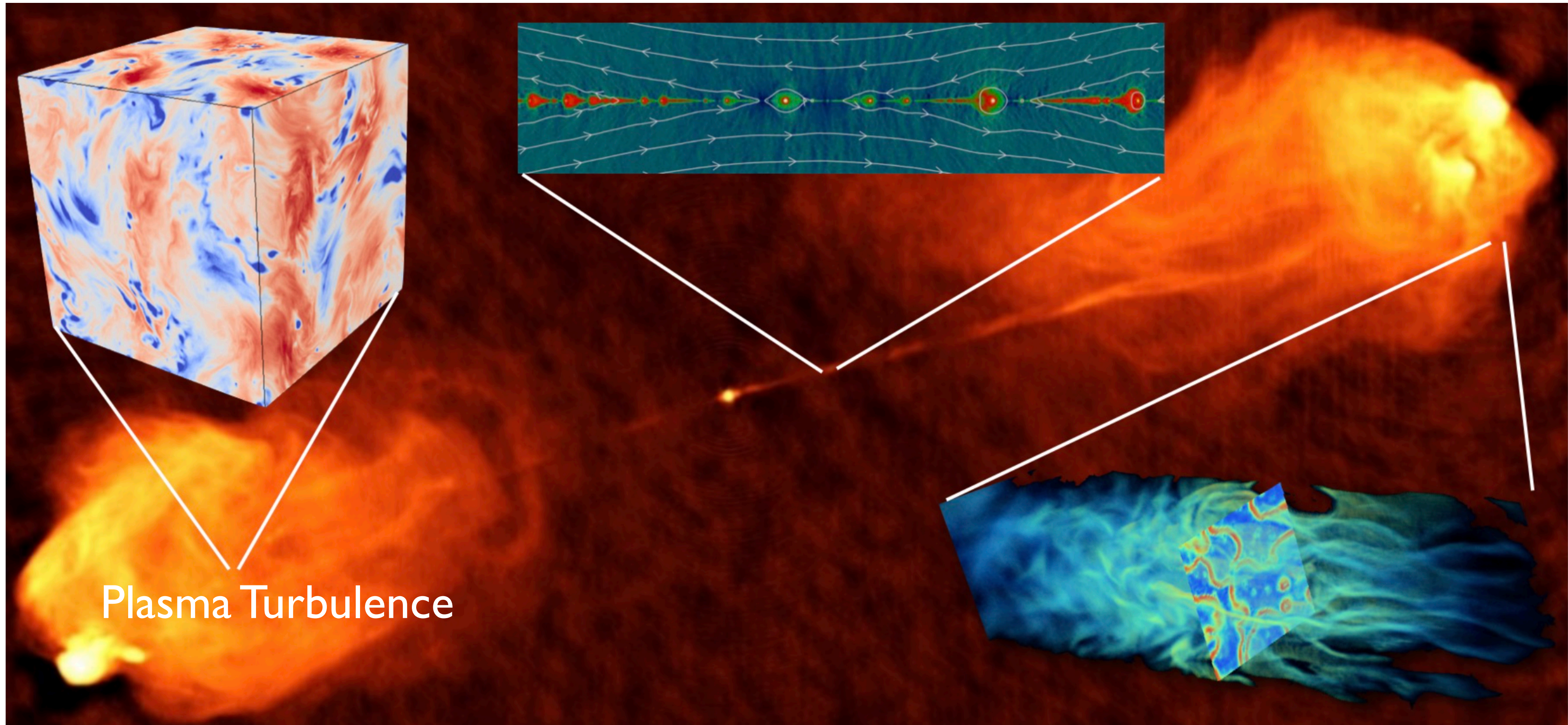
Outline

- The Flow of Energy and Particle Energization in Astrophysical Plasmas
- Kinetic Theory of Particle Energization
 - Field-Particle Correlation Technique
- Distinguishing Energization Mechanisms
- Application: Experiments of Auroral Electron Acceleration
- Other Applications: Magnetic Reconnection and Collisionless Shocks
- Conclusions

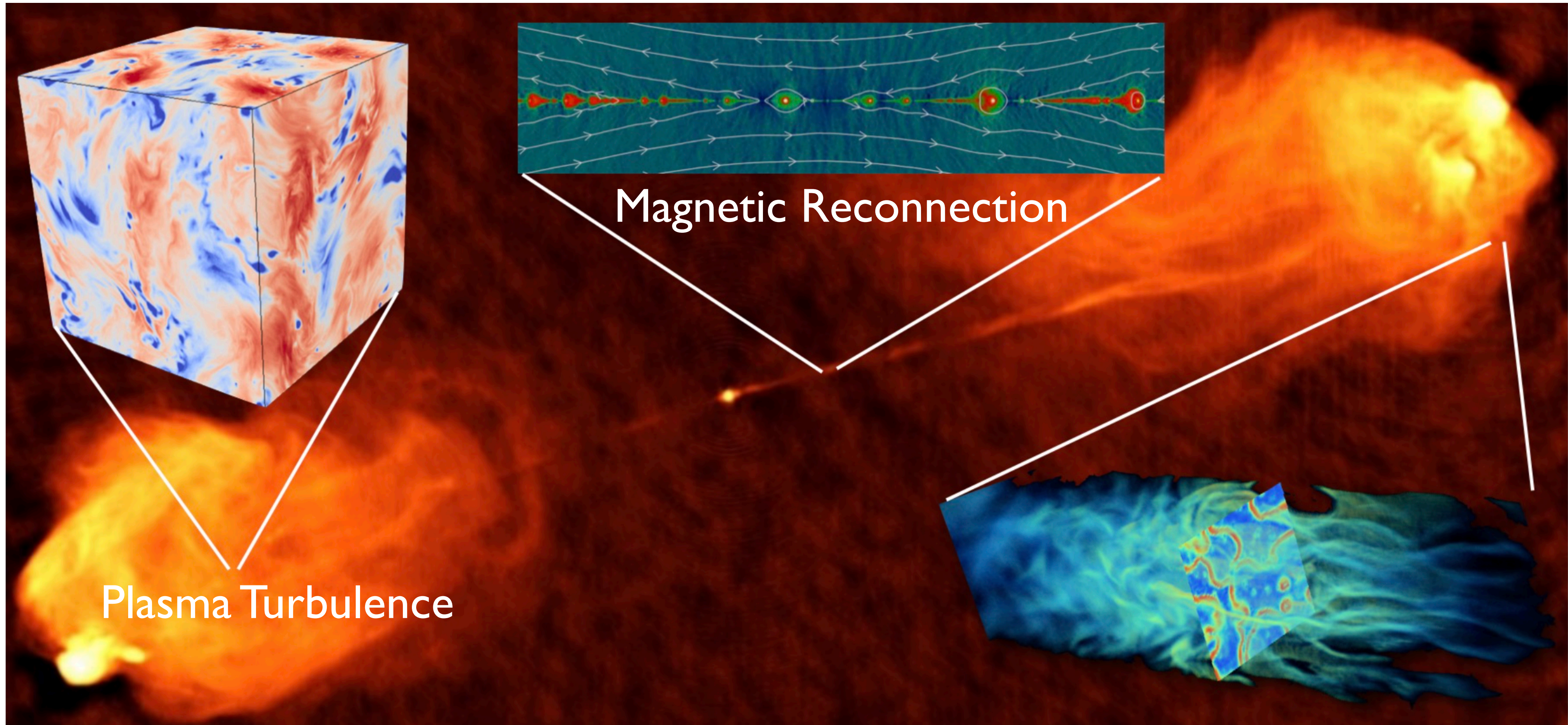
Fundamental Plasma Physics Processes



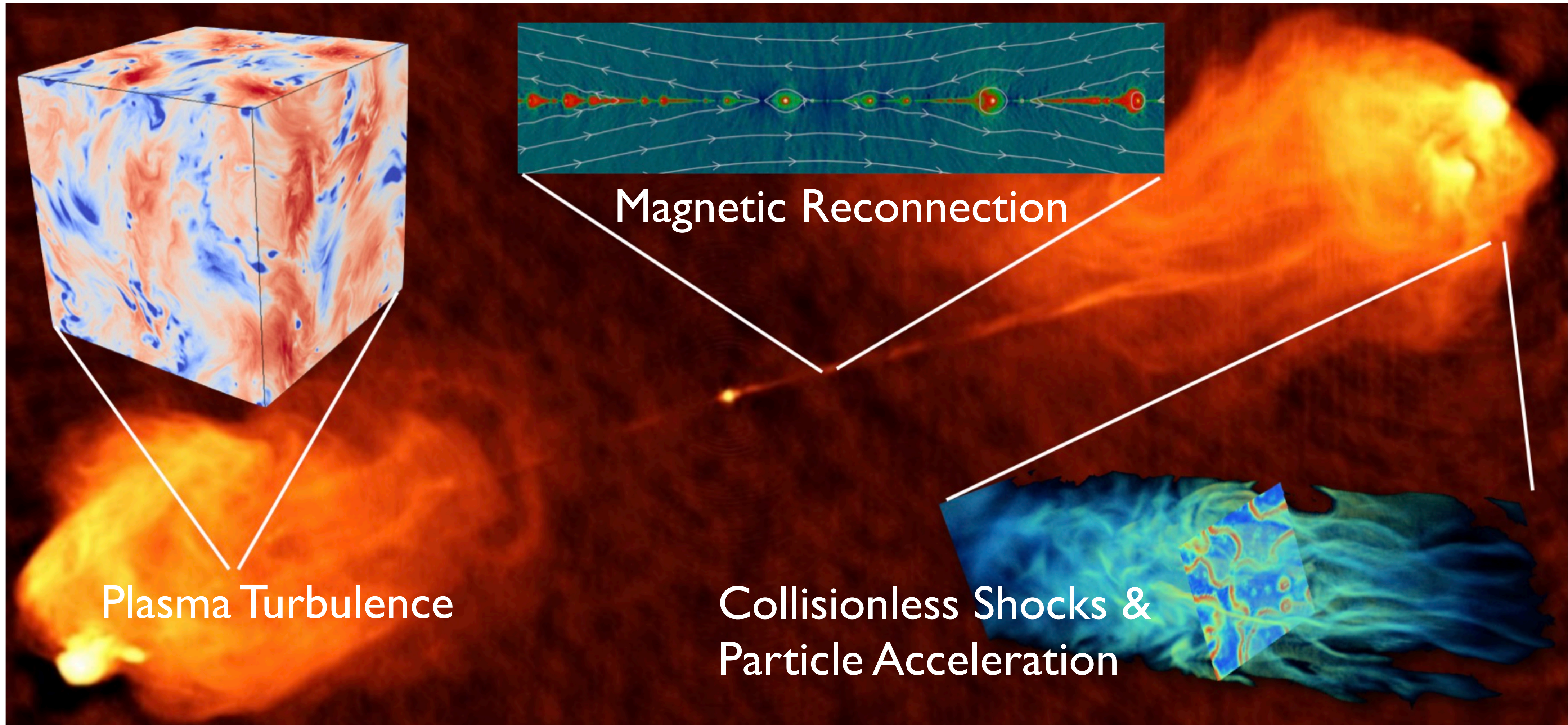
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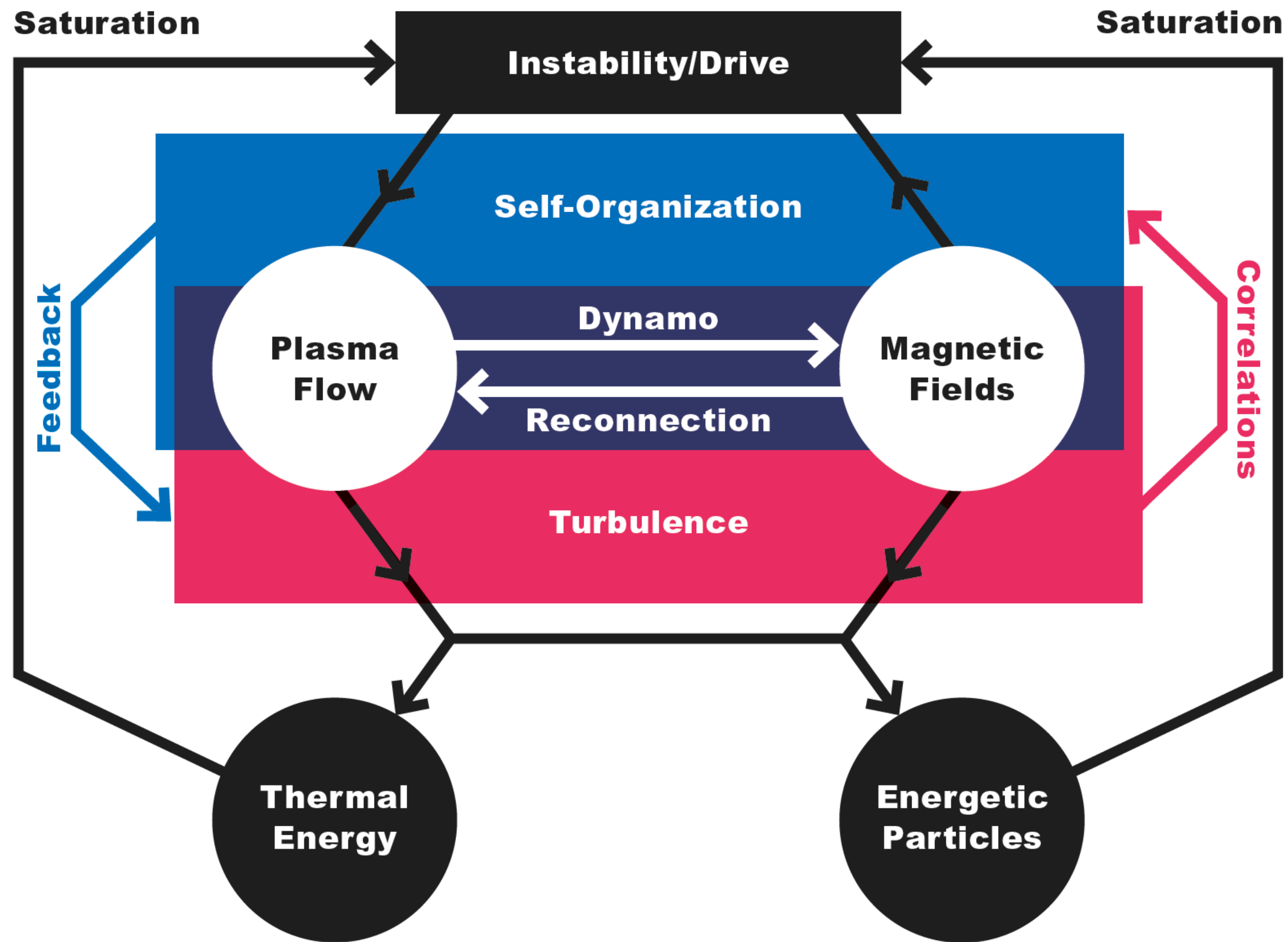
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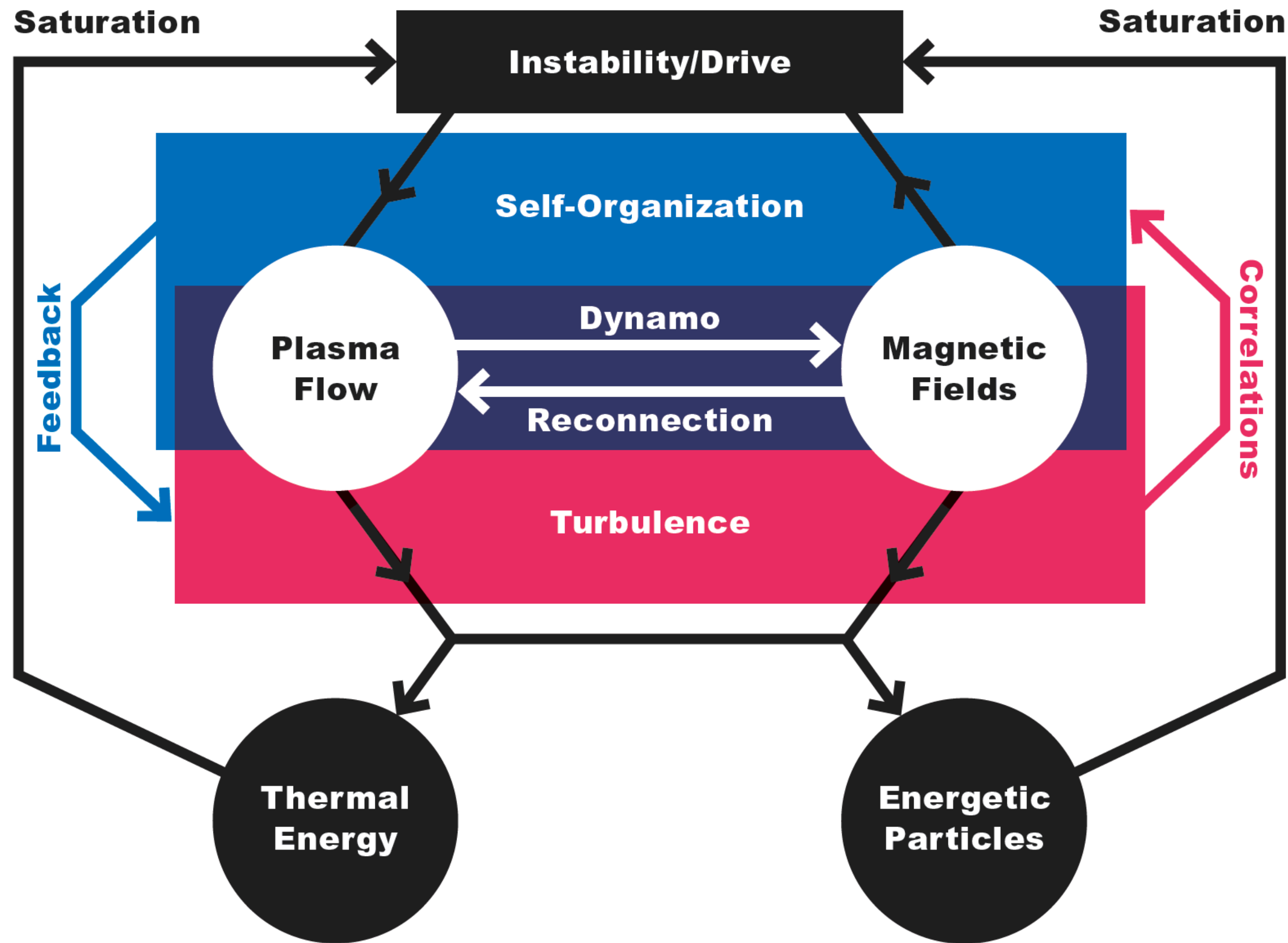


Energetics of the Plasma Universe



“Understanding the Energetics of the Plasma Universe”,
Plasma: At the Frontier of Scientific Discovery
DOE Report 2015

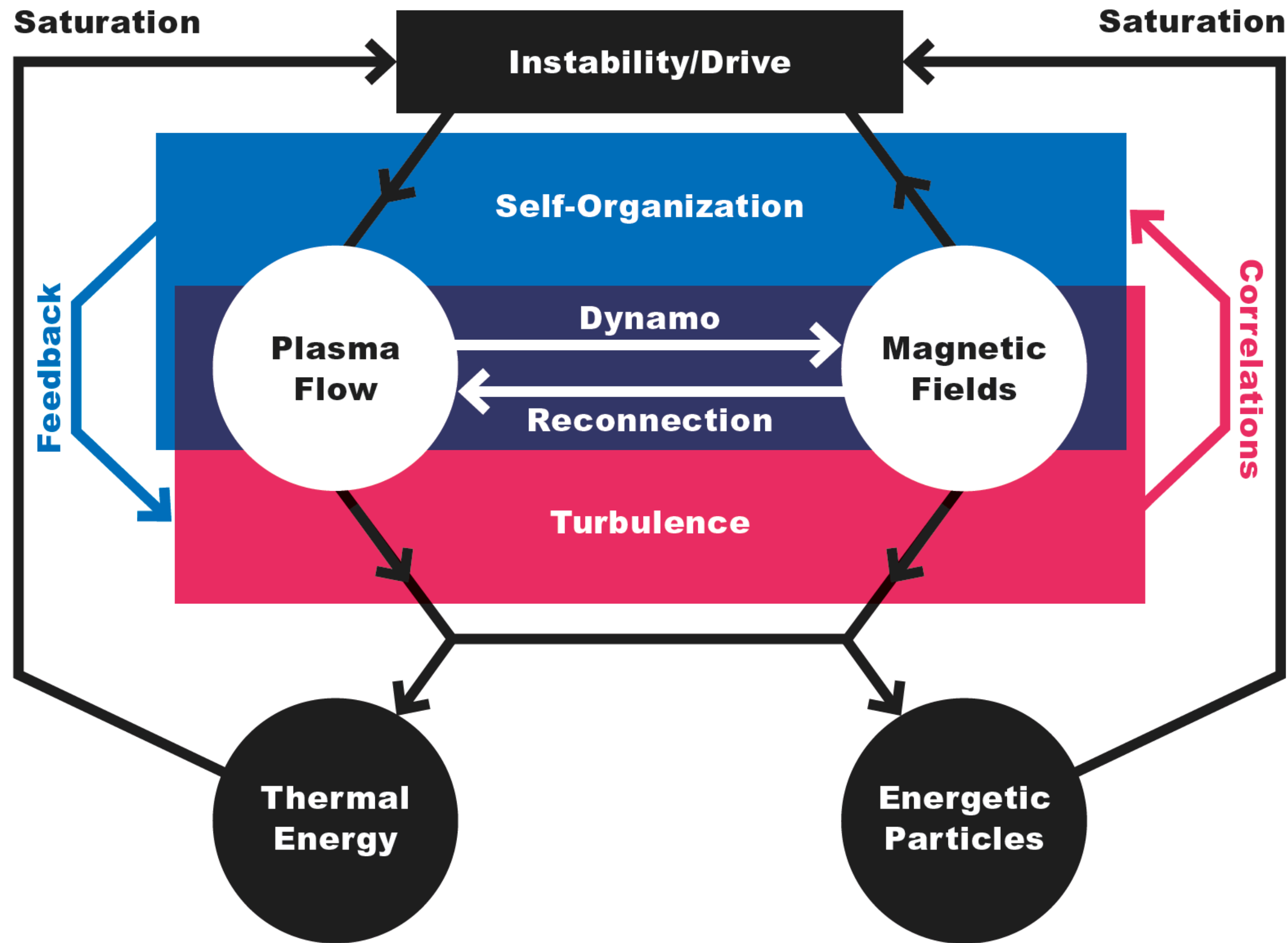
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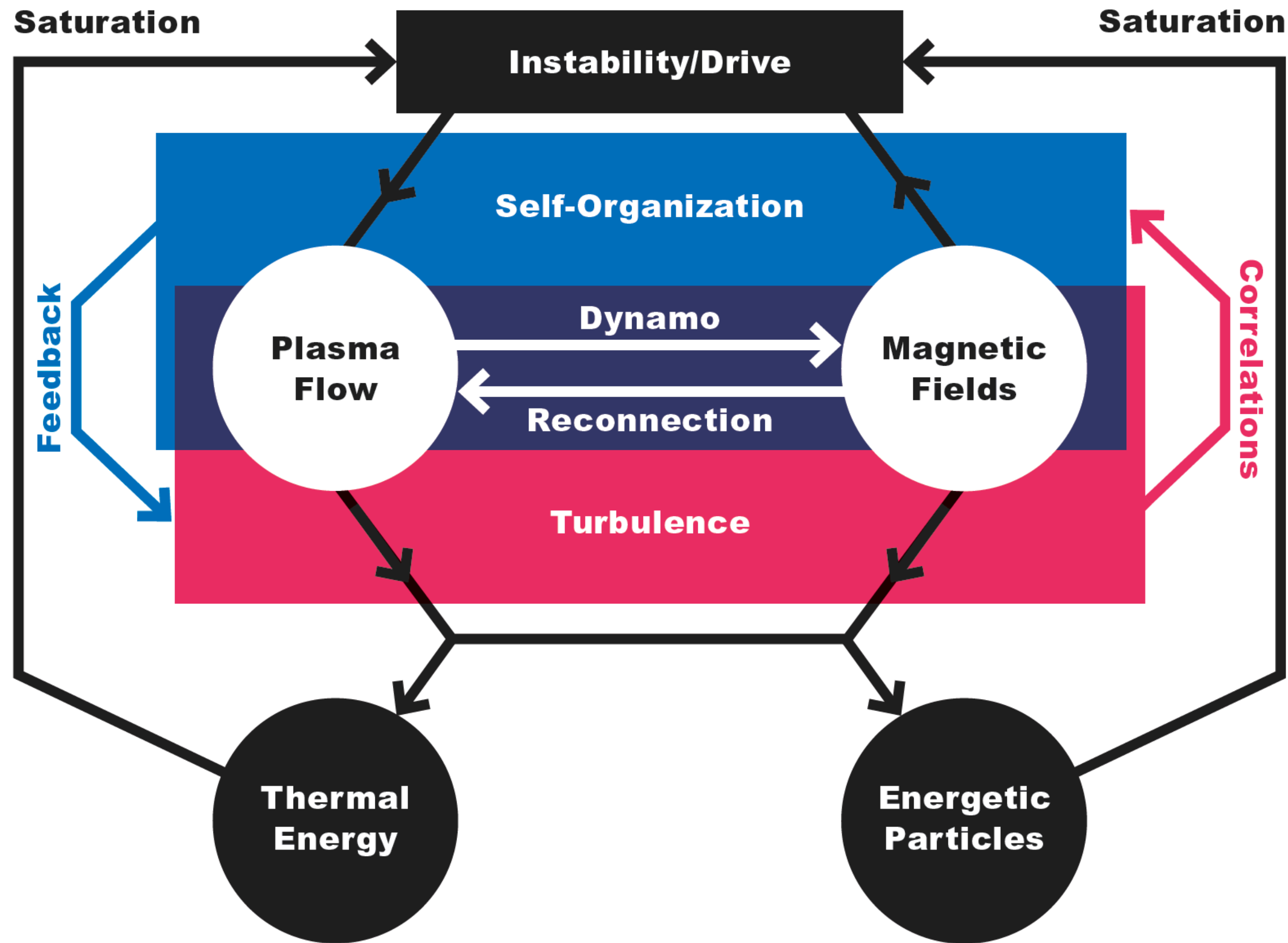


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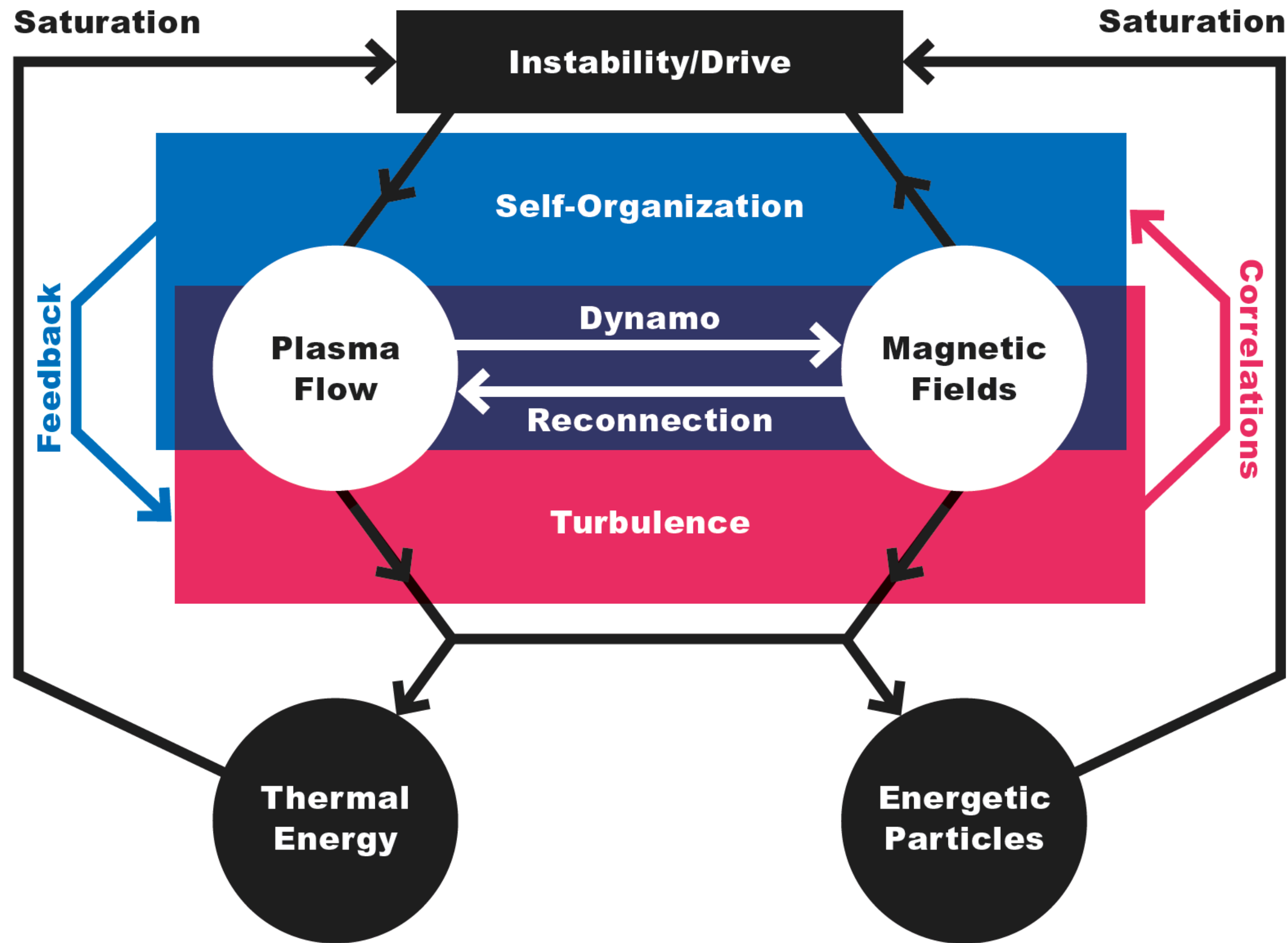


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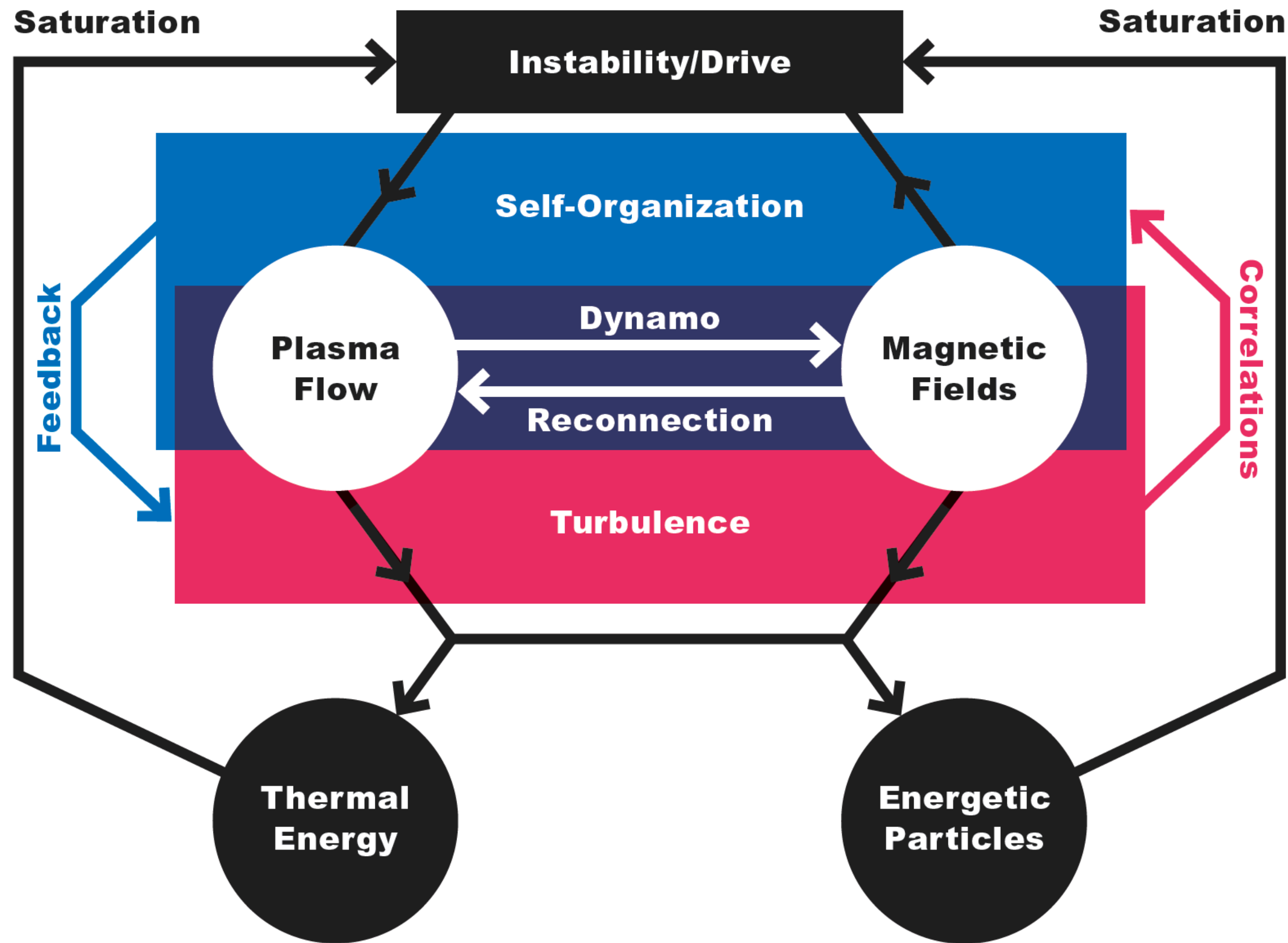


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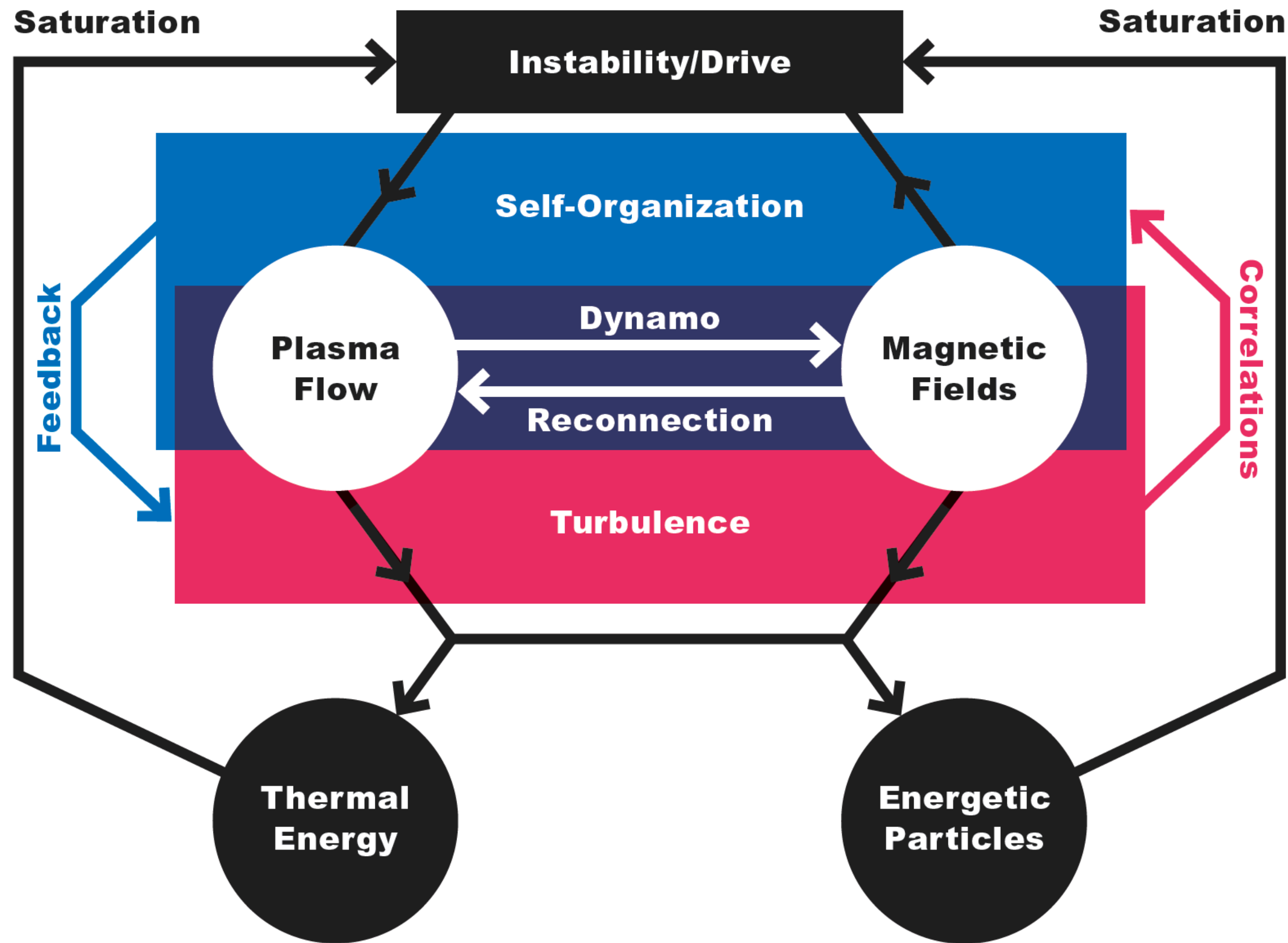


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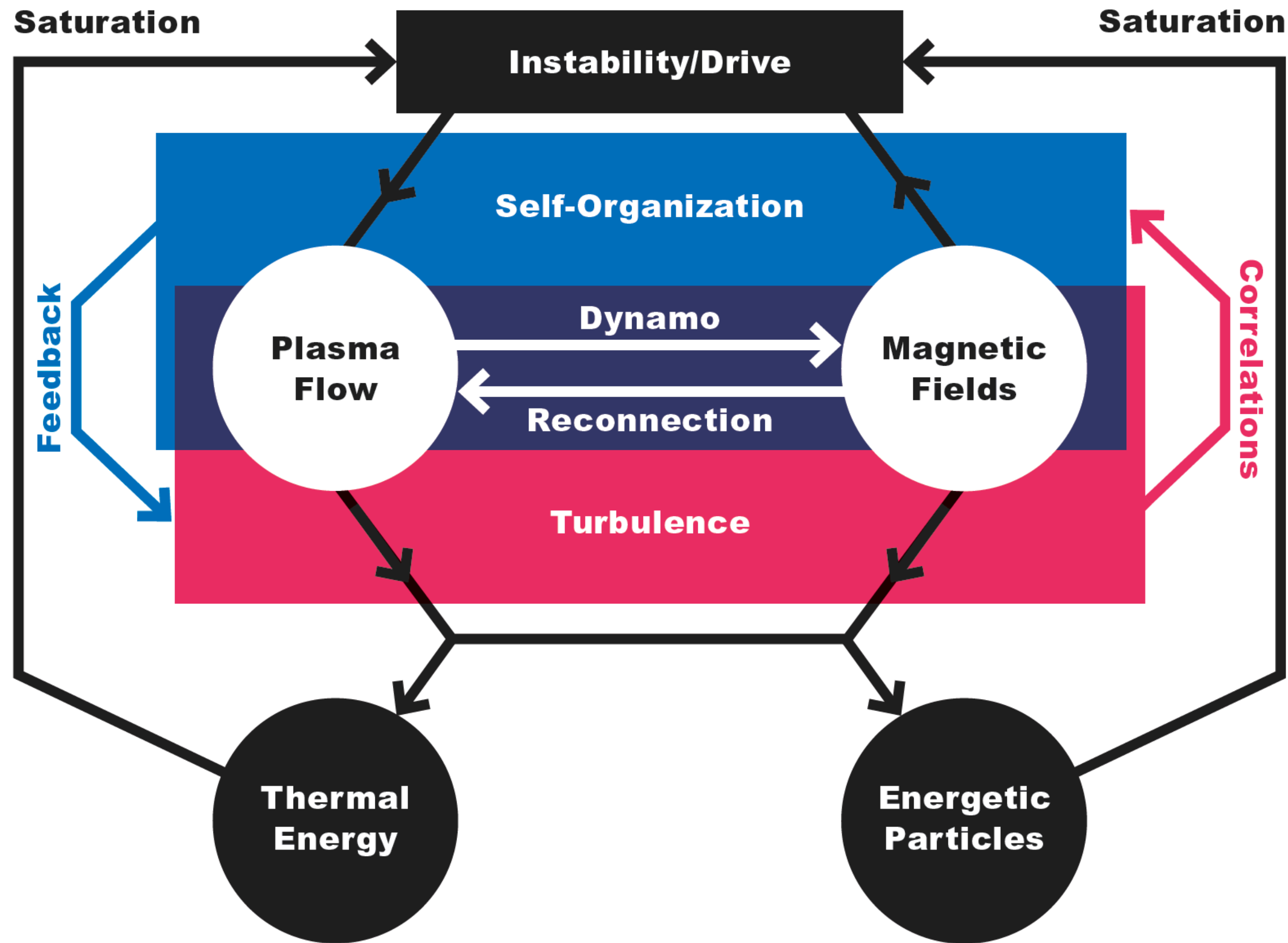


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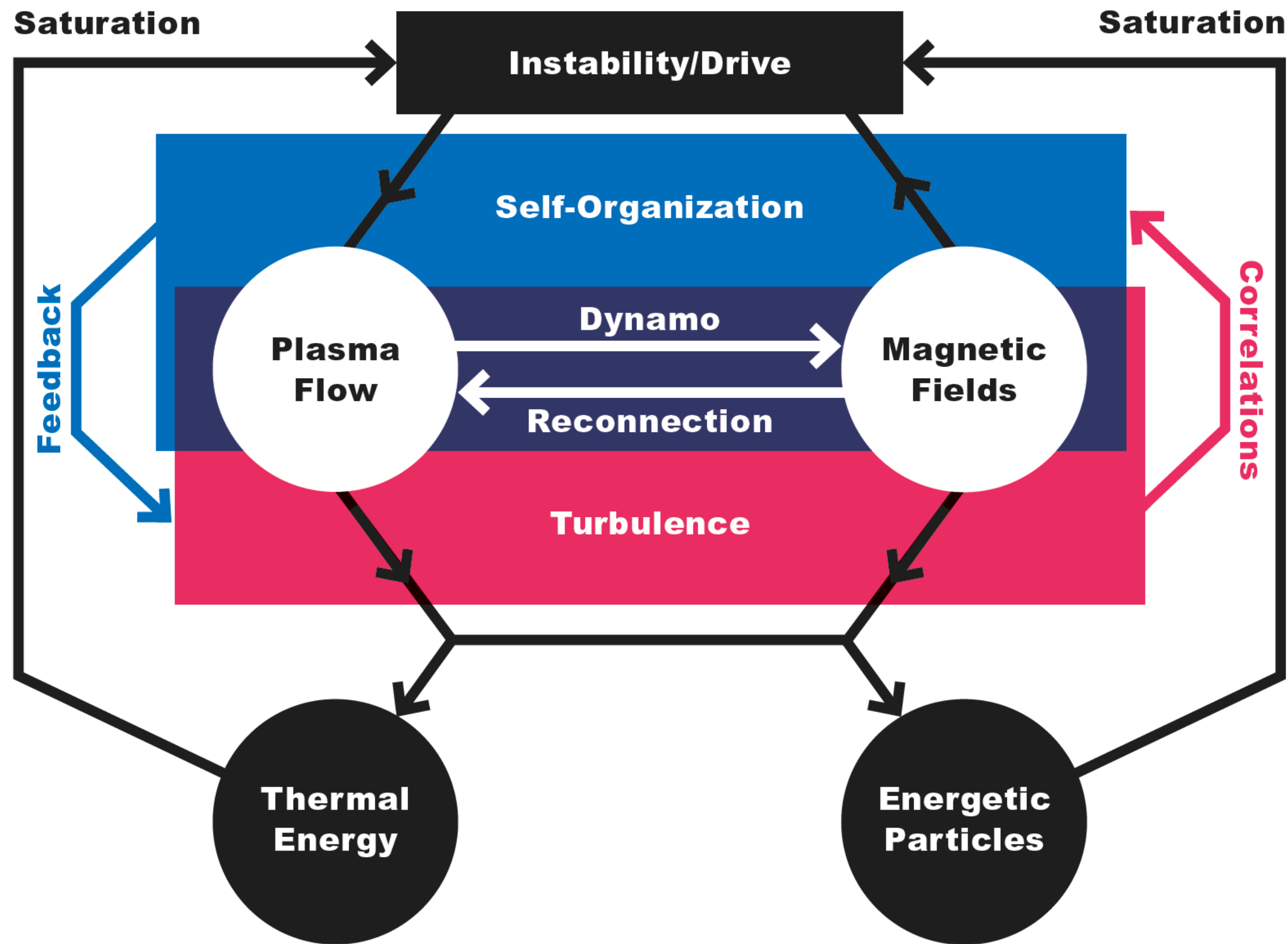


Understanding the **flow of energy** in astrophysical plasmas is a key overarching theme:

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Under the weakly collisional conditions of most space and astrophysical plasmas, **kinetic theory is essential to understand these processes.**

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Maxwell-Boltzmann Equations of Kinetic Plasma Theory

$$\frac{\partial f_s}{\partial t} + \mathbf{v} \cdot \nabla f_s + \frac{q_s}{m_s} \left[\mathbf{E} + \frac{\mathbf{v} \times \mathbf{B}}{c} \right] \cdot \frac{\partial f_s}{\partial \mathbf{v}} = \left(\frac{\partial f_s}{\partial t} \right)_{\text{coll}}$$

$$\nabla \times \mathbf{E} = -\frac{1}{c} \frac{\partial \mathbf{B}}{\partial t}$$

$$\nabla \cdot \mathbf{E} = 4\pi \rho_q$$

$$\nabla \times \mathbf{B} = \frac{4\pi}{c} \mathbf{j} + \frac{1}{c} \frac{\partial \mathbf{E}}{\partial t}$$

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Lorentz Term responsible for interactions between fields and particles

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Particle Energization

Conserved Vlasov-Maxwell Energy

$$W = \int d^3\mathbf{r} \frac{|\mathbf{E}|^2 + |\mathbf{B}|^2}{8\pi} + \sum_s \int d^3\mathbf{r} \int d^3\mathbf{v} \frac{1}{2} m_s v^2 f_s$$

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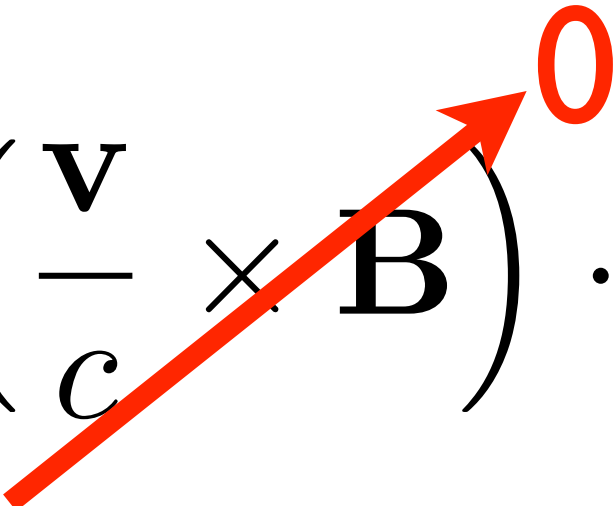
Vlasov Equation

$$\frac{\partial f_s}{\partial t} + \mathbf{v} \cdot \nabla f_s + \frac{q_s}{m_s} \left[\mathbf{E} + \frac{\mathbf{v} \times \mathbf{B}}{c} \right] \cdot \frac{\partial f_s}{\partial \mathbf{v}} = 0$$

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But this is integrated over velocity and space...

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Field-particle correlation

$$C_{E_{\parallel}}(\mathbf{v}, t, \tau) = C \left(-q_s \frac{v_{\parallel}^2}{2} \frac{\partial f_s(\mathbf{r}_0, \mathbf{v}, t)}{\partial v_{\parallel}}, E_{\parallel}(\mathbf{r}_0, t) \right)$$

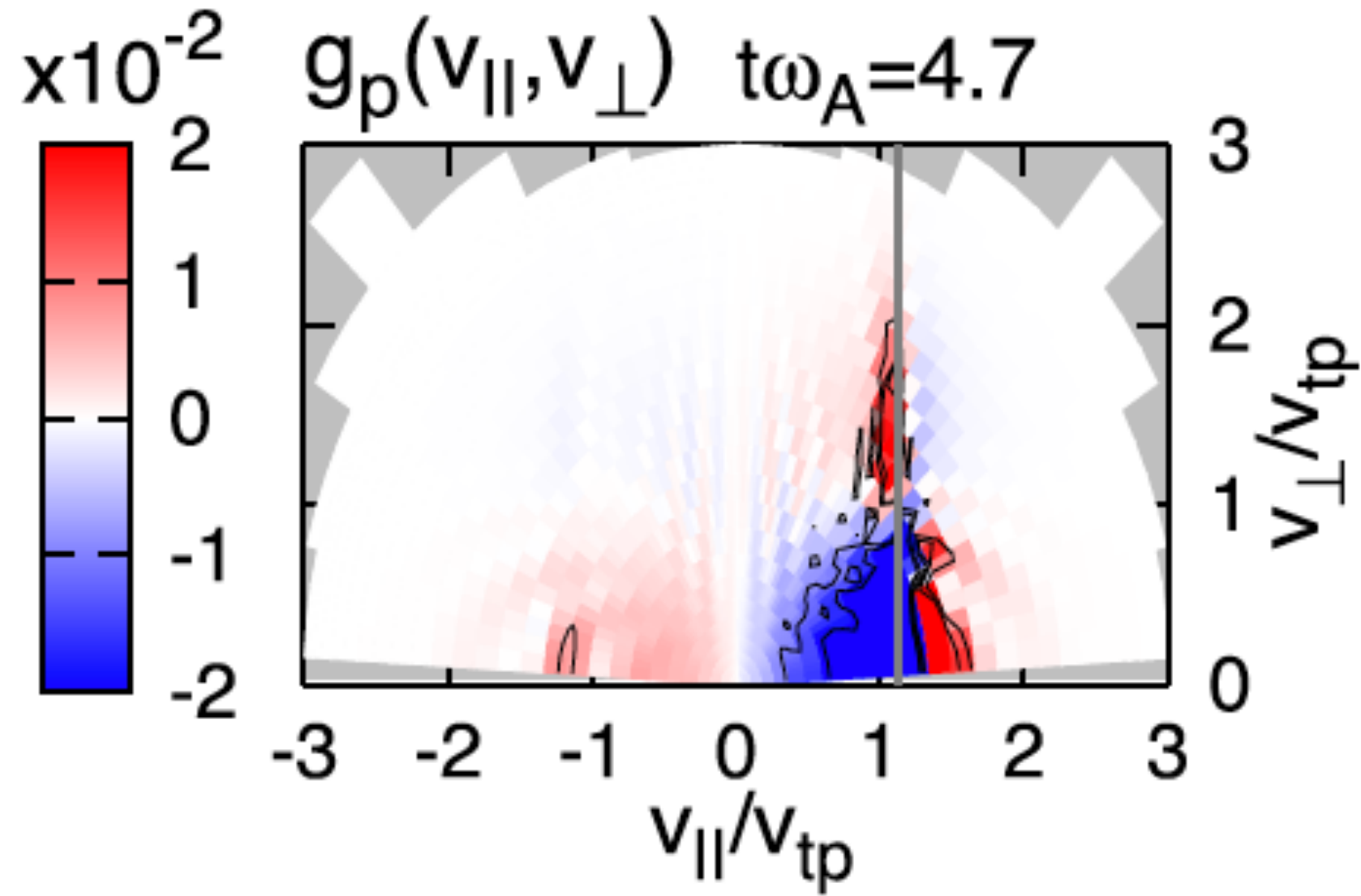
(Klein & Howes, 2016; Howes, Klein, & Li, 2017)

Example of Field-Particle Correlations

Consider Evolution of a single Kinetic Alfvén Wave with $k_{\perp} \rho_i = 1$

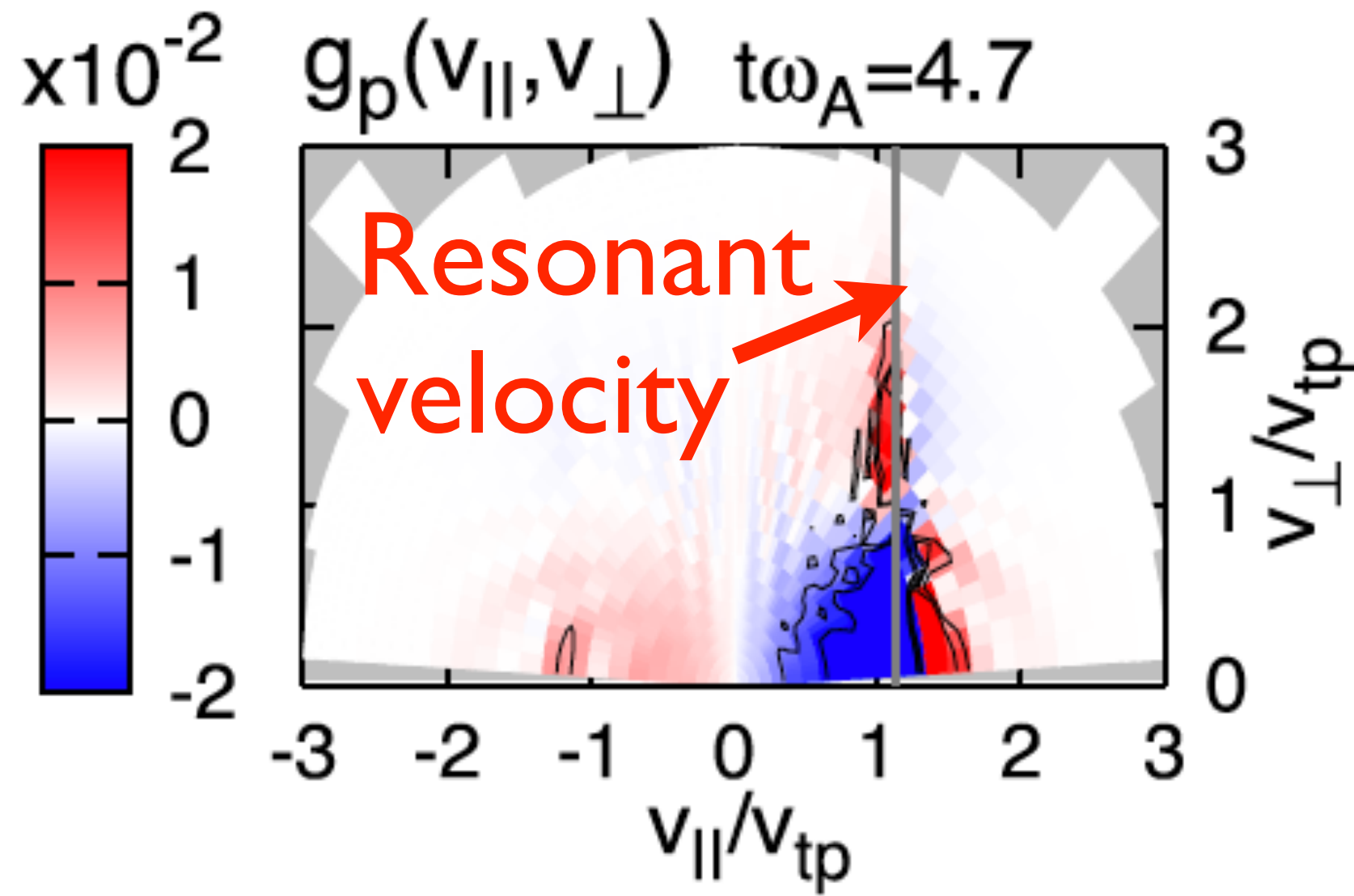
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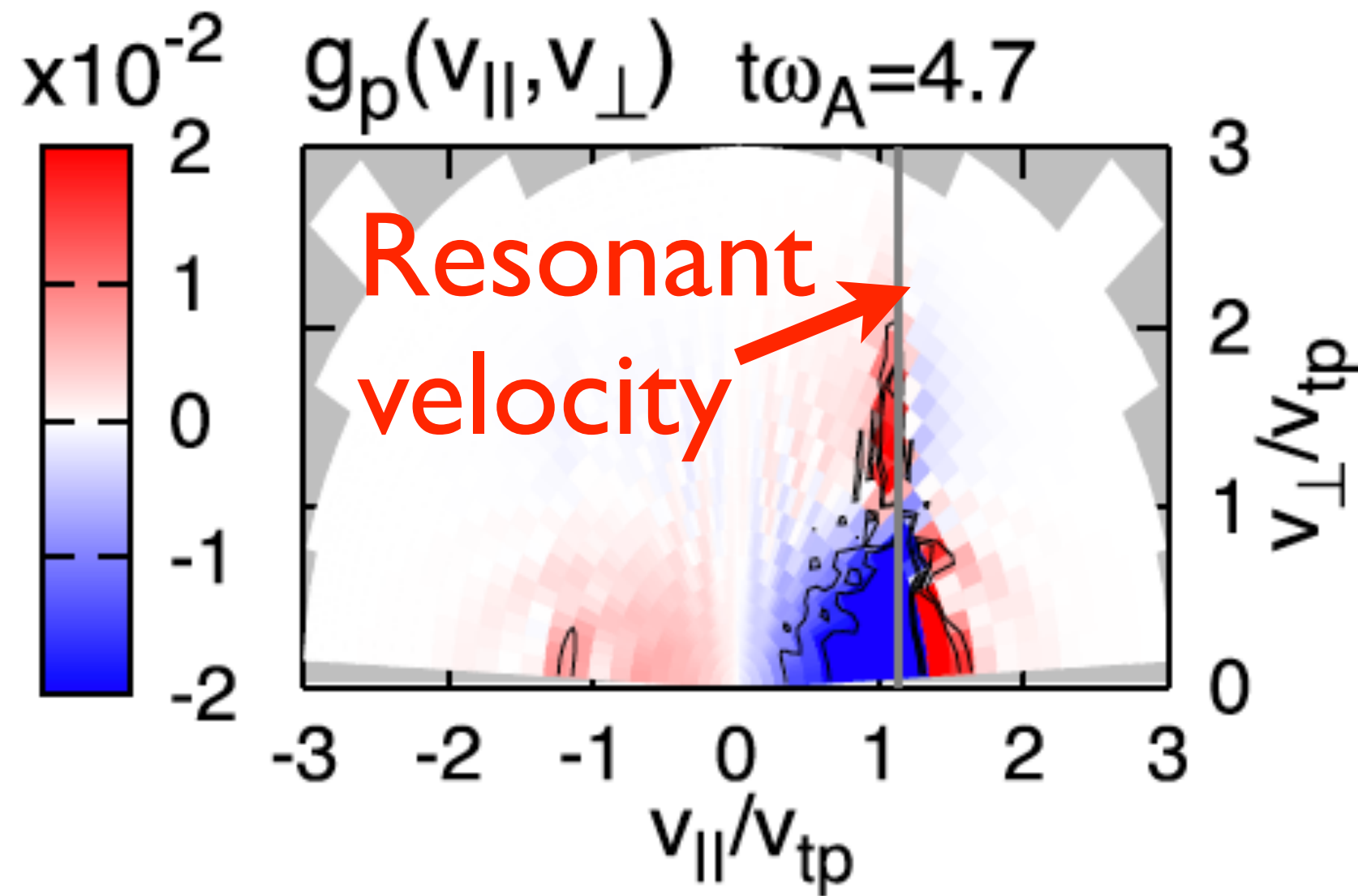
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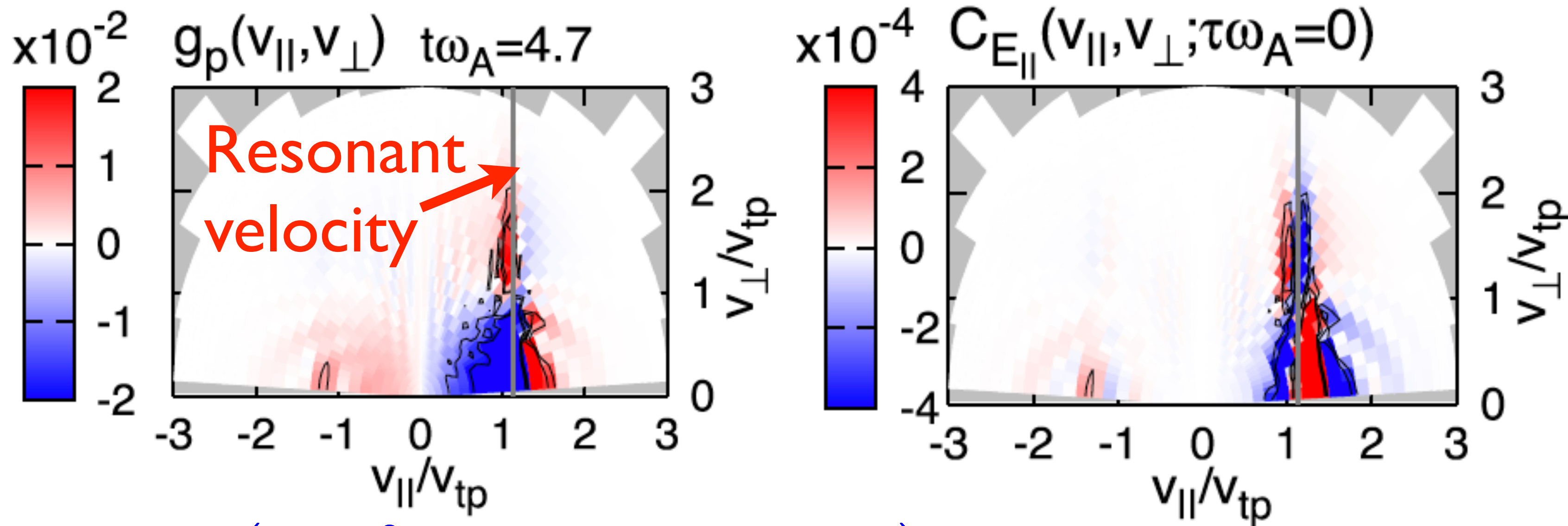
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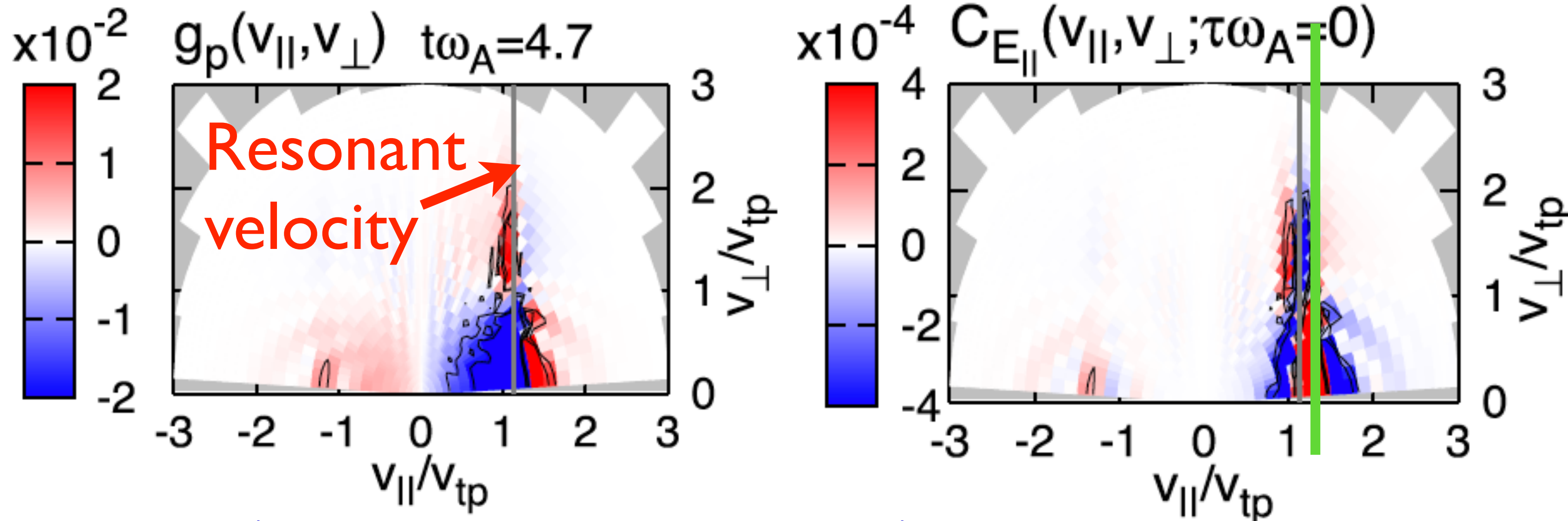
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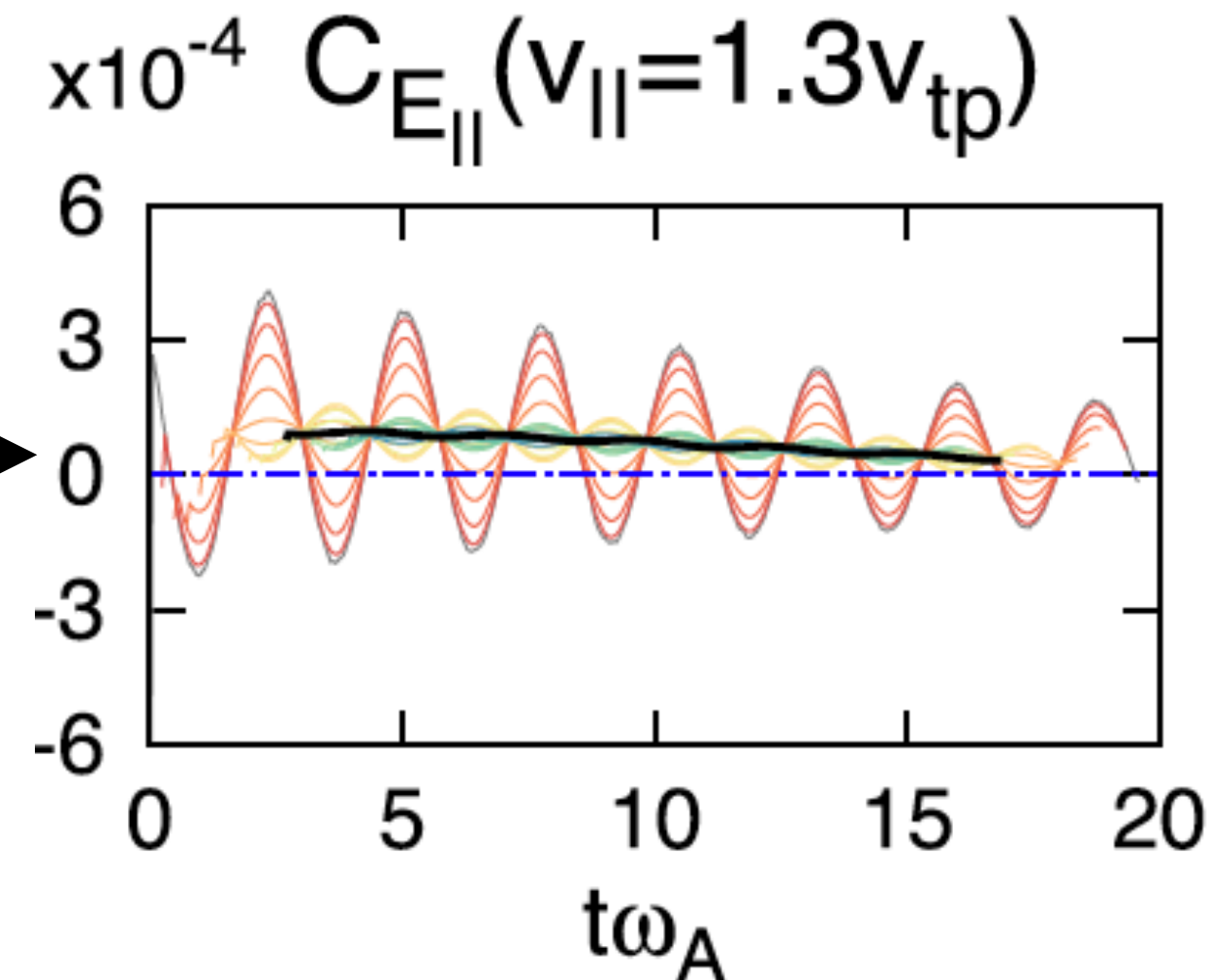
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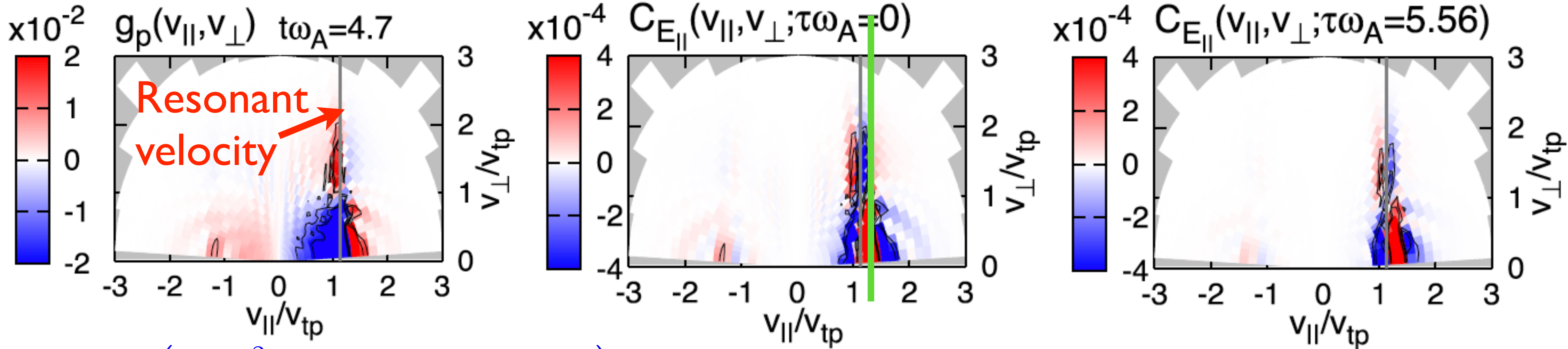
$$C_{E_{\parallel}} = C \left(-q_s \frac{v_{\parallel}^2}{2} \frac{\partial f_s(\mathbf{r}_0, \mathbf{v}, t)}{\partial v_{\parallel}}, E_{\parallel}(\mathbf{r}_0, t) \right)$$

But much of the energy transfer is oscillatory



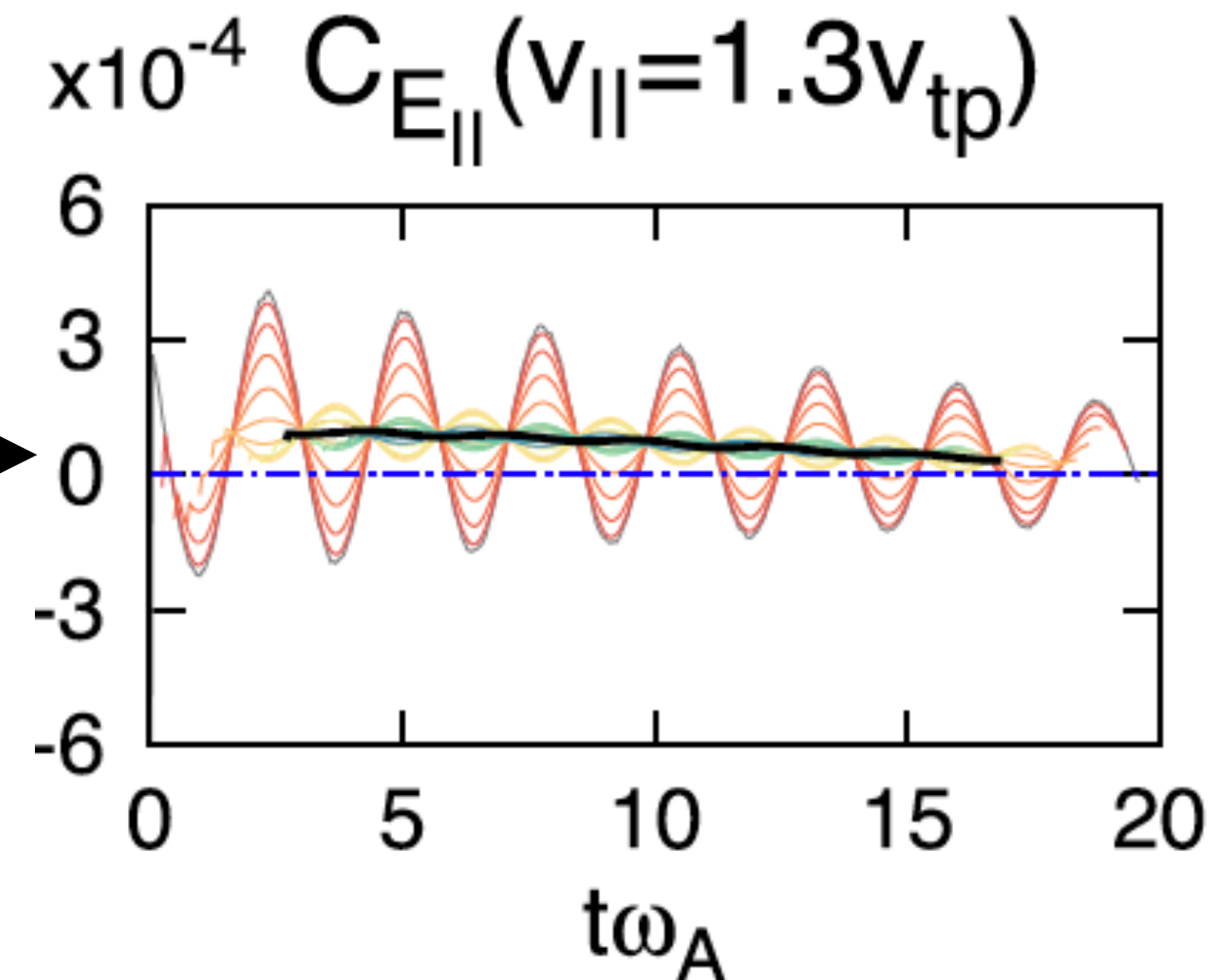
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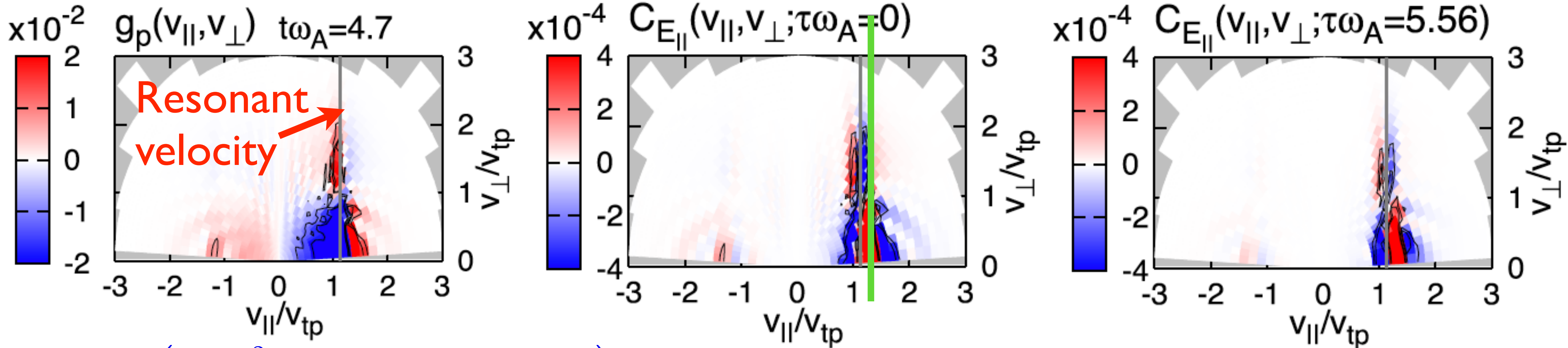
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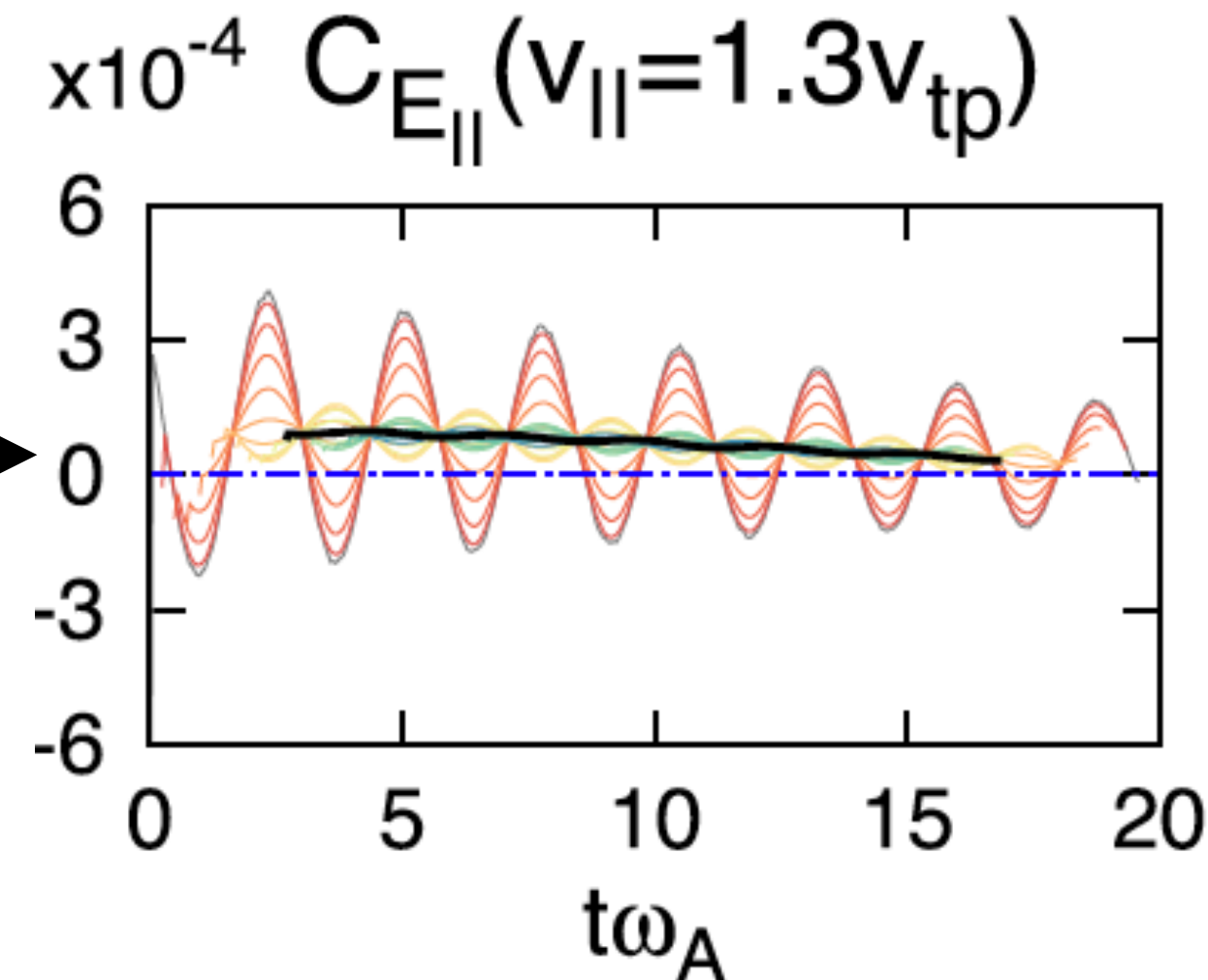
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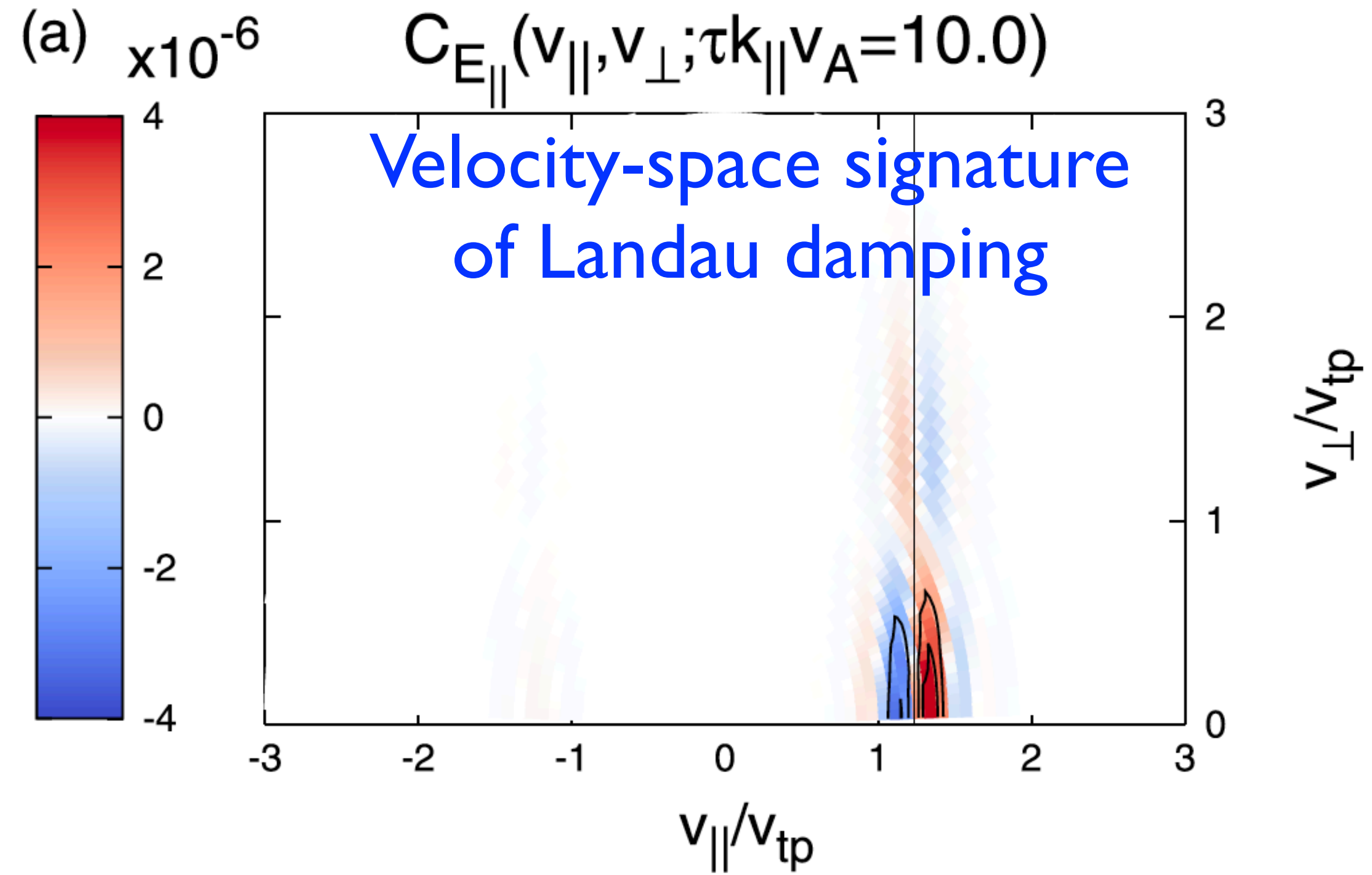
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With a sufficiently long correlation interval, net effect yields the **velocity-space signature of Landau damping**

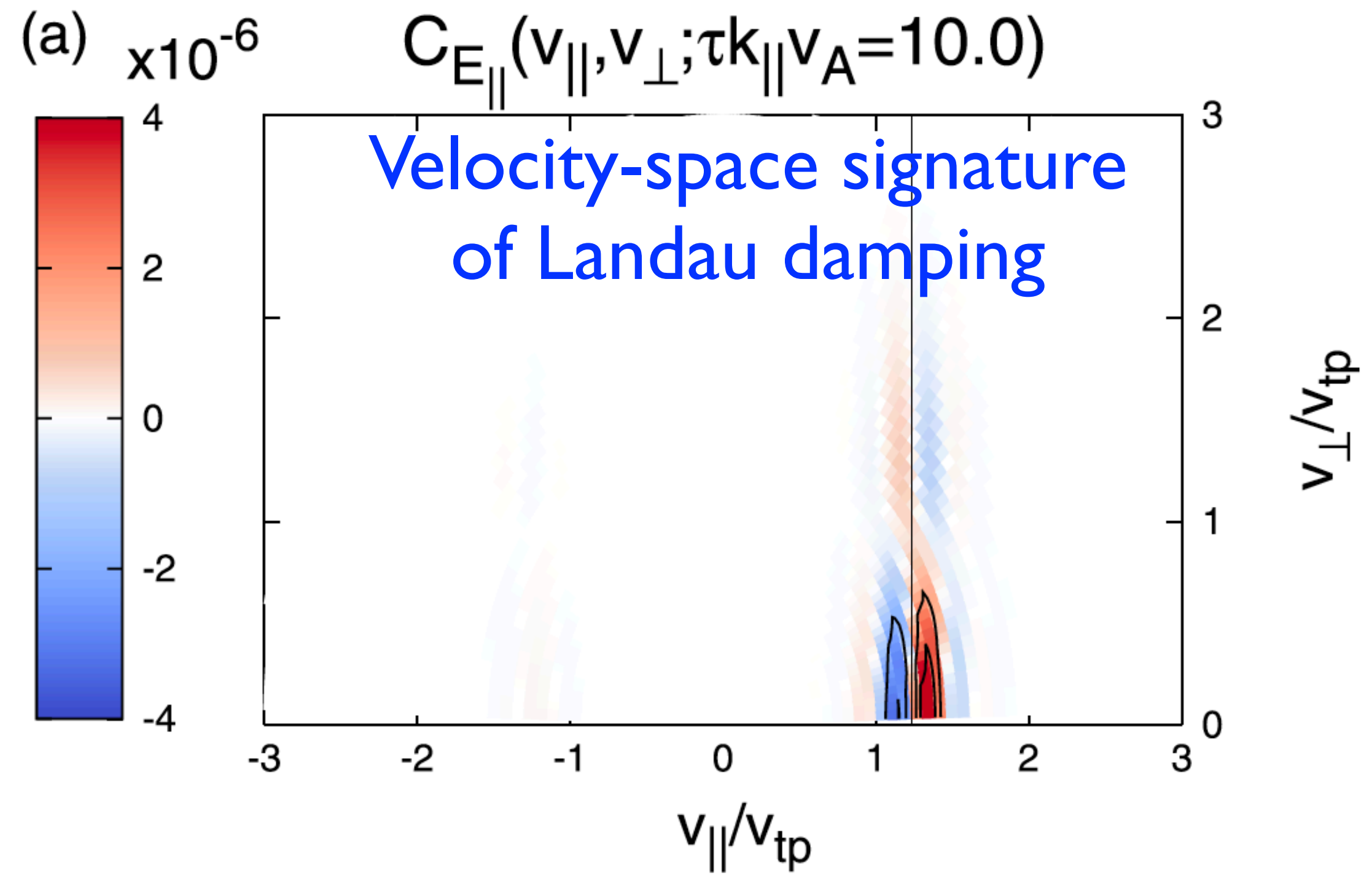
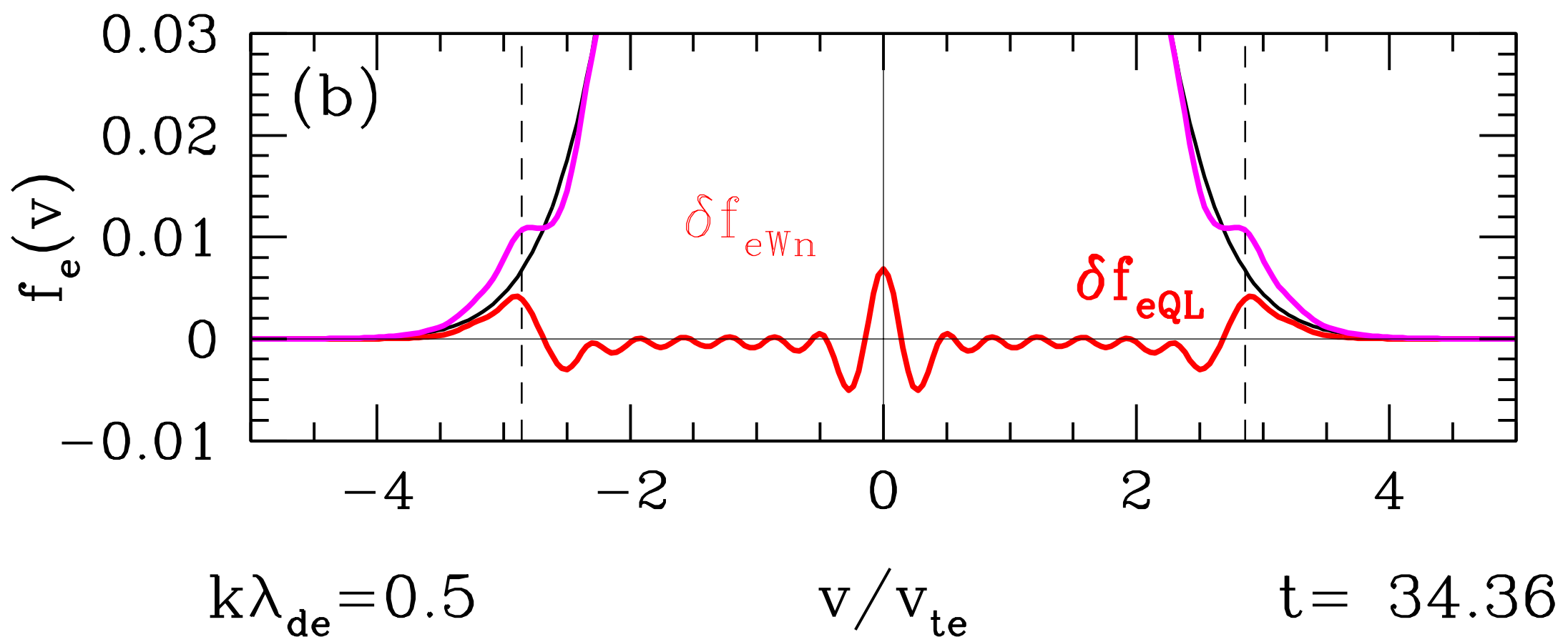
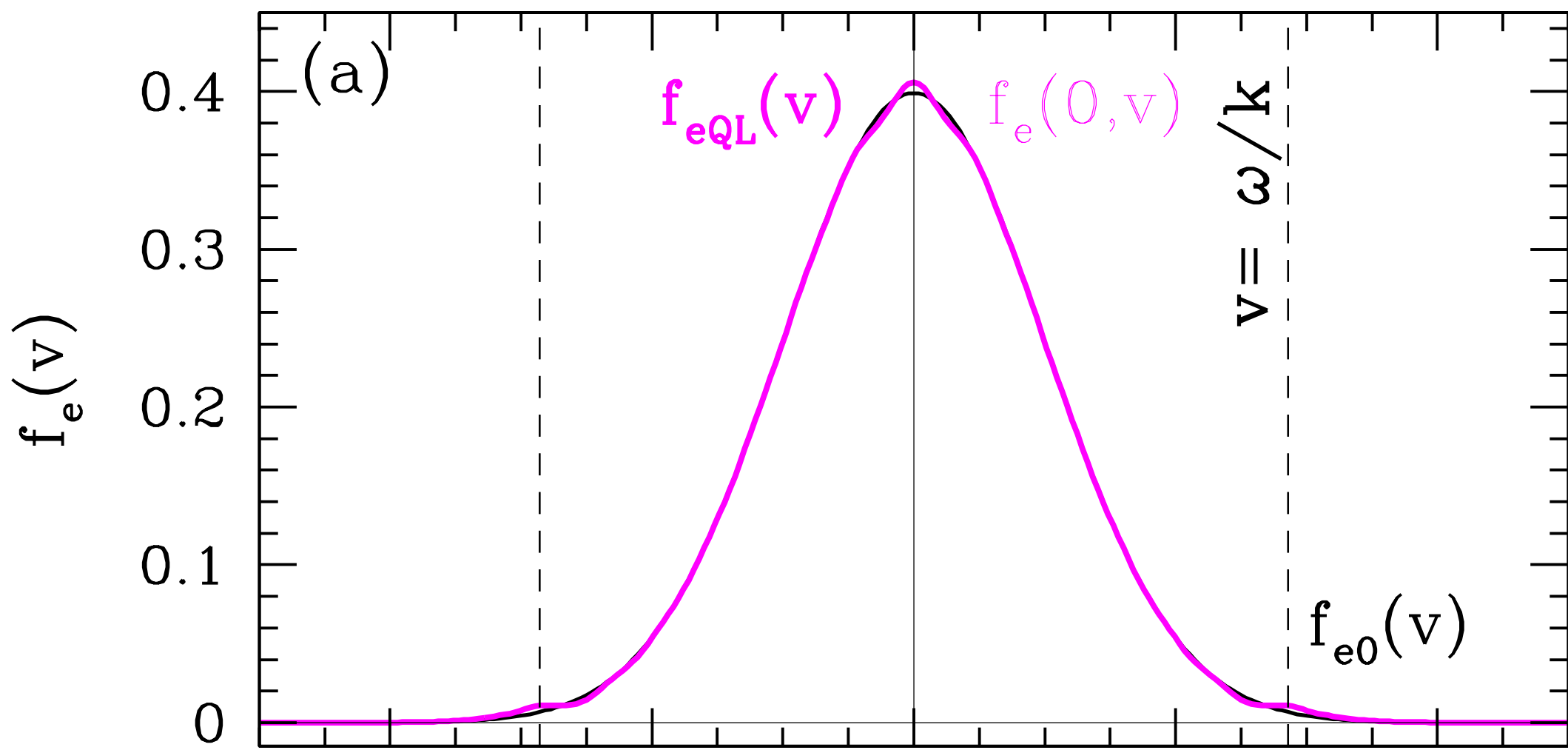
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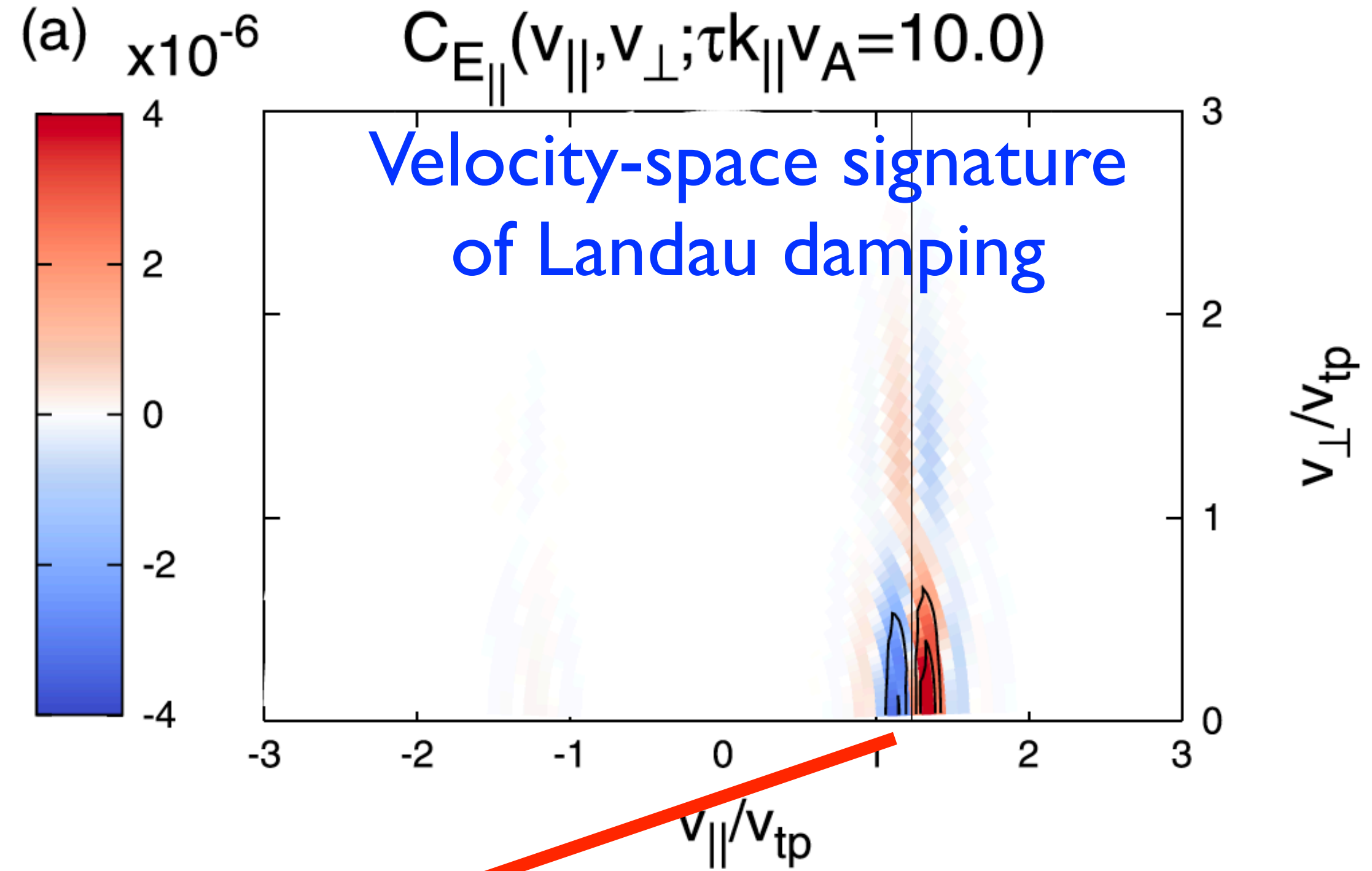
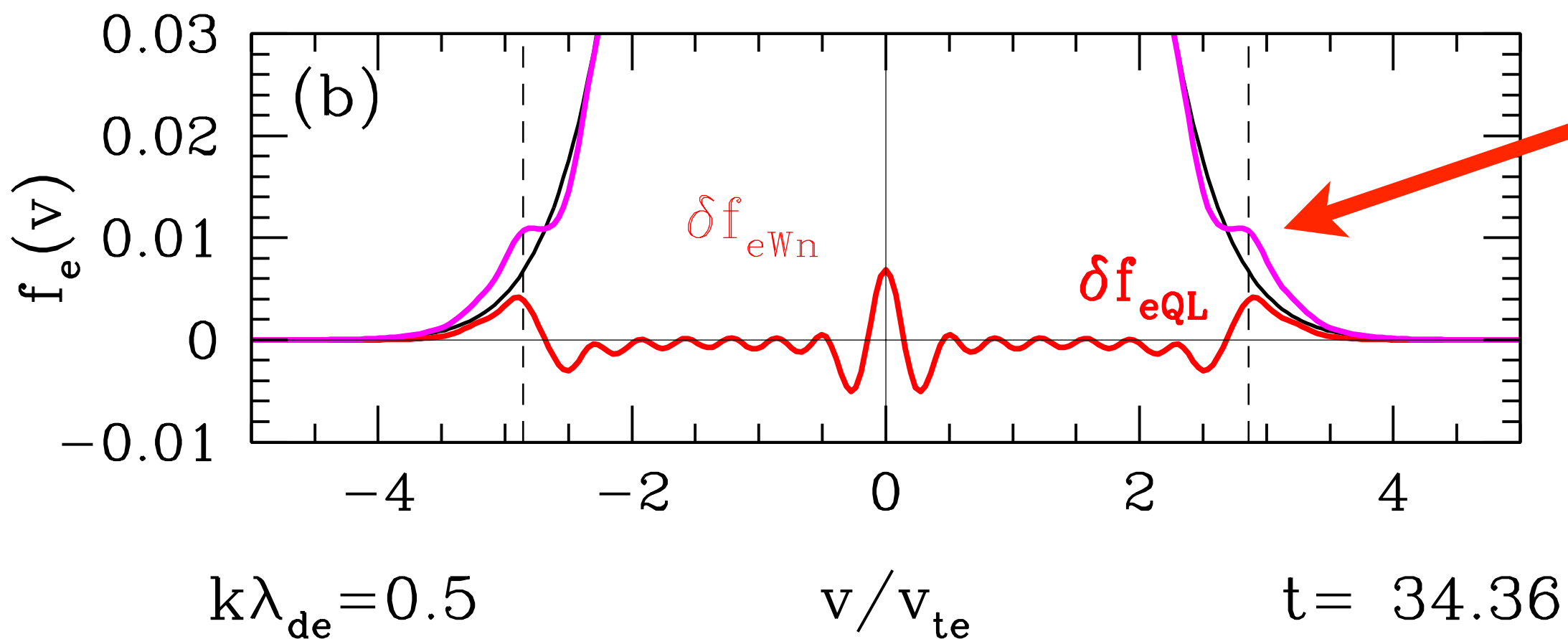
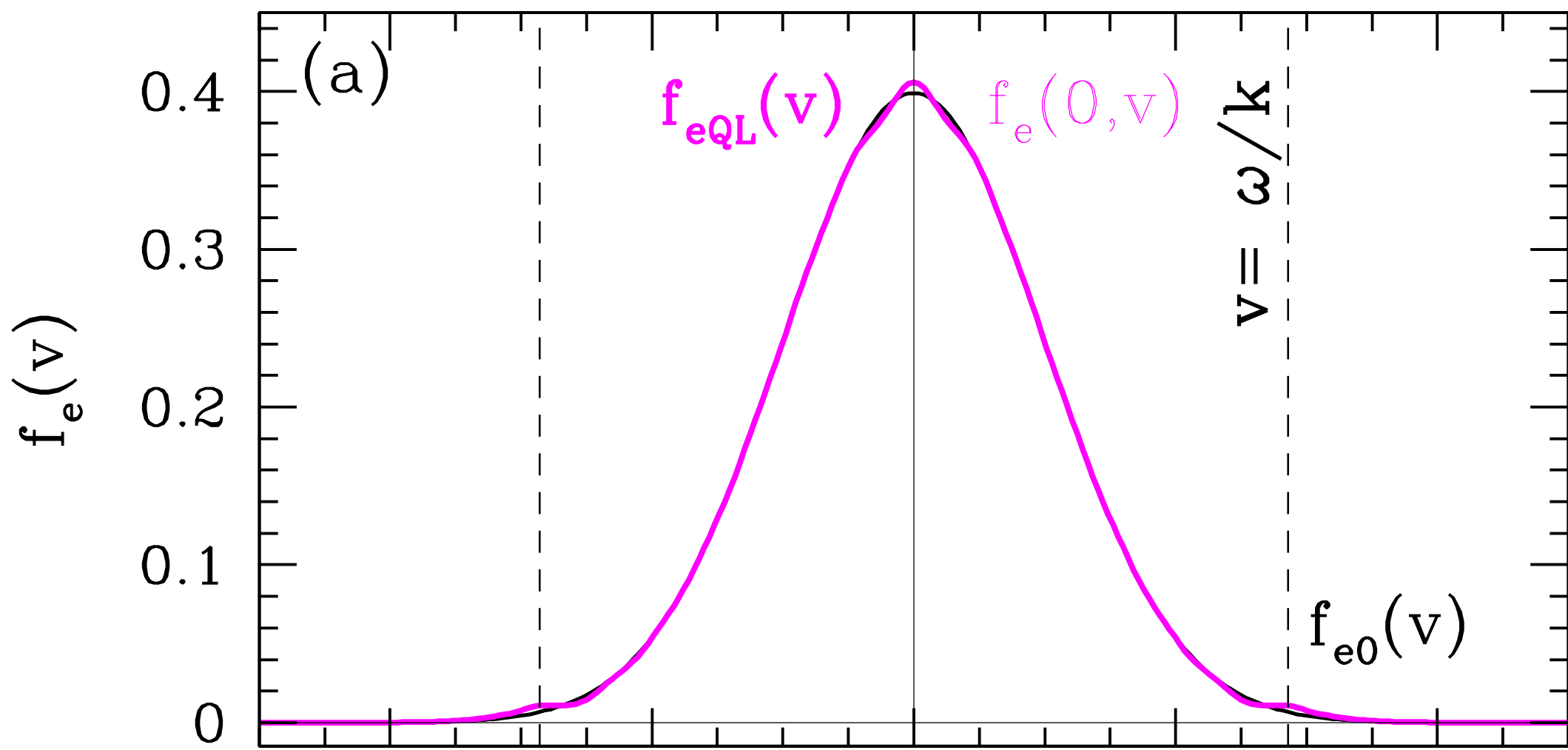
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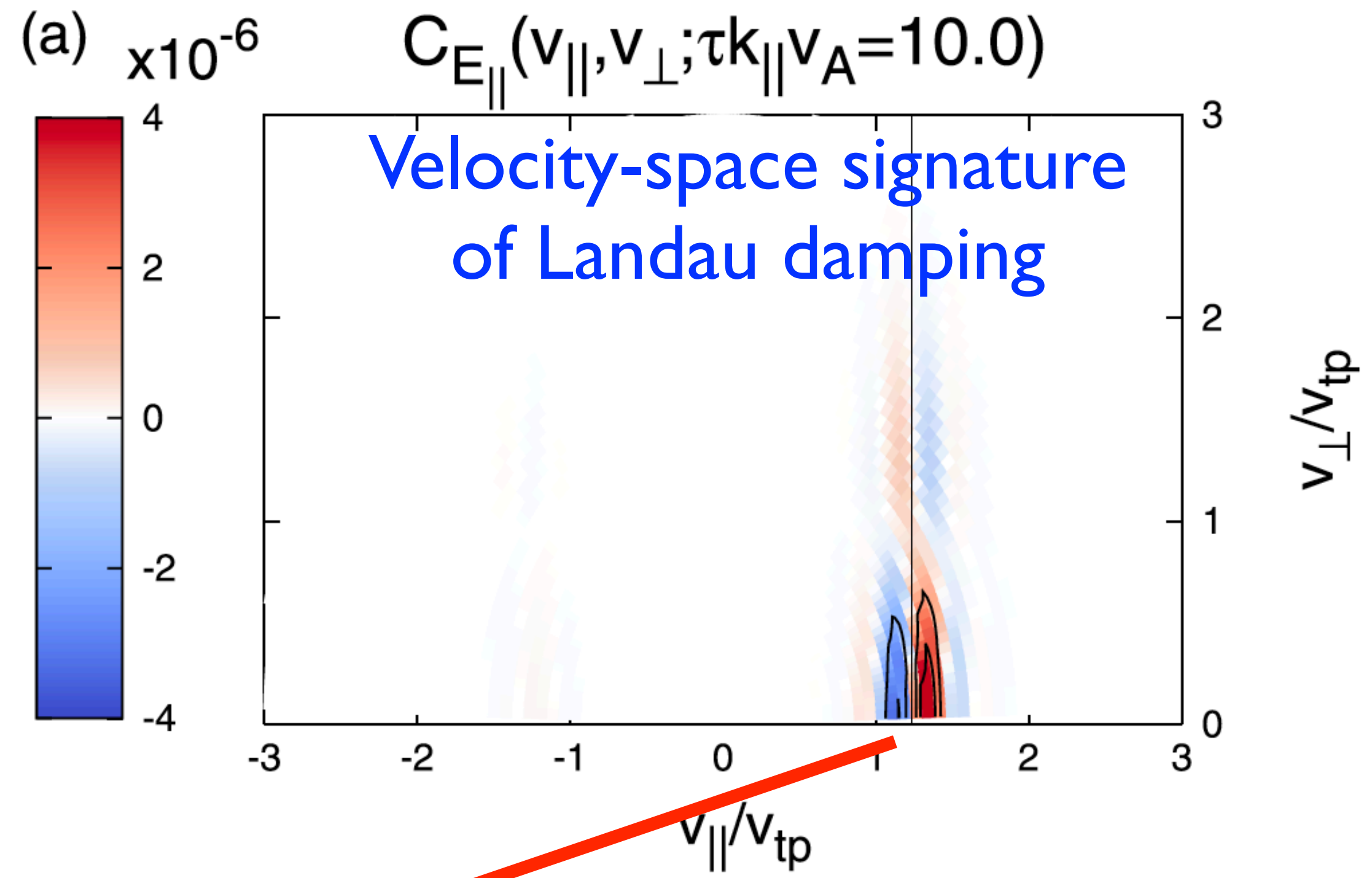
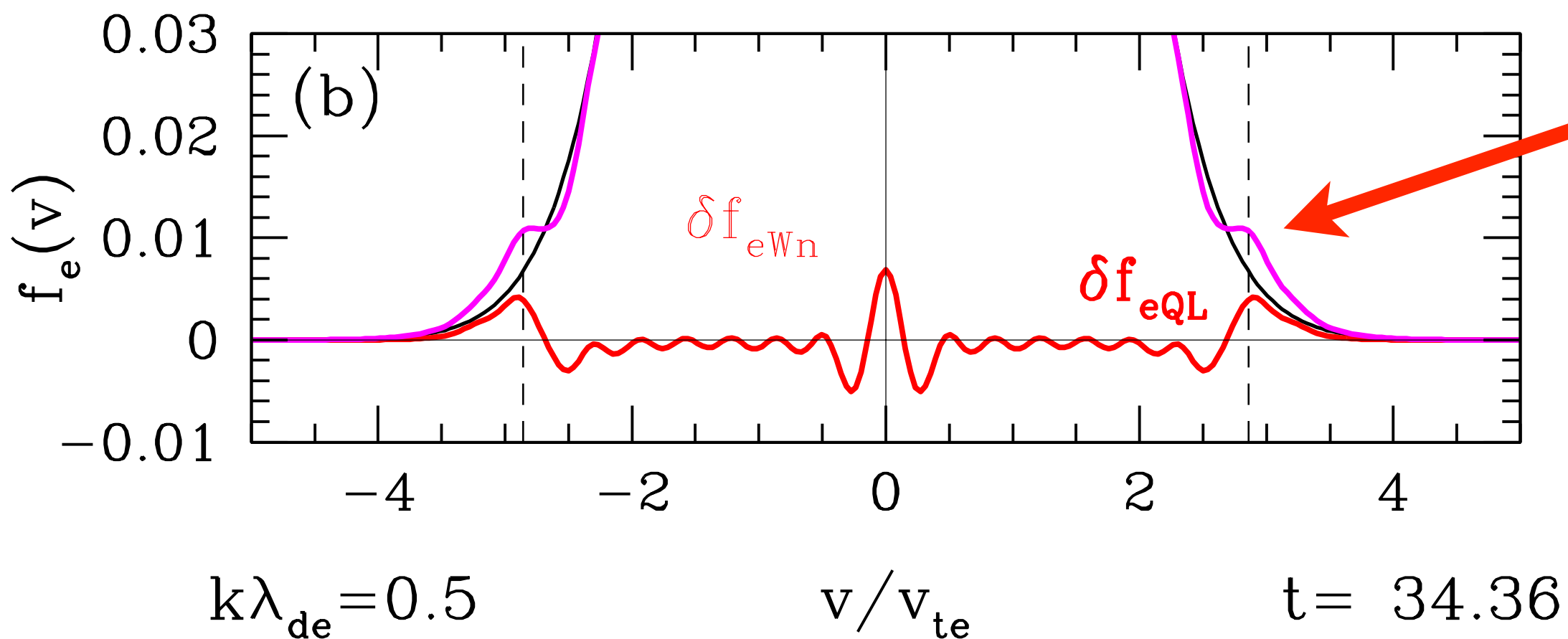
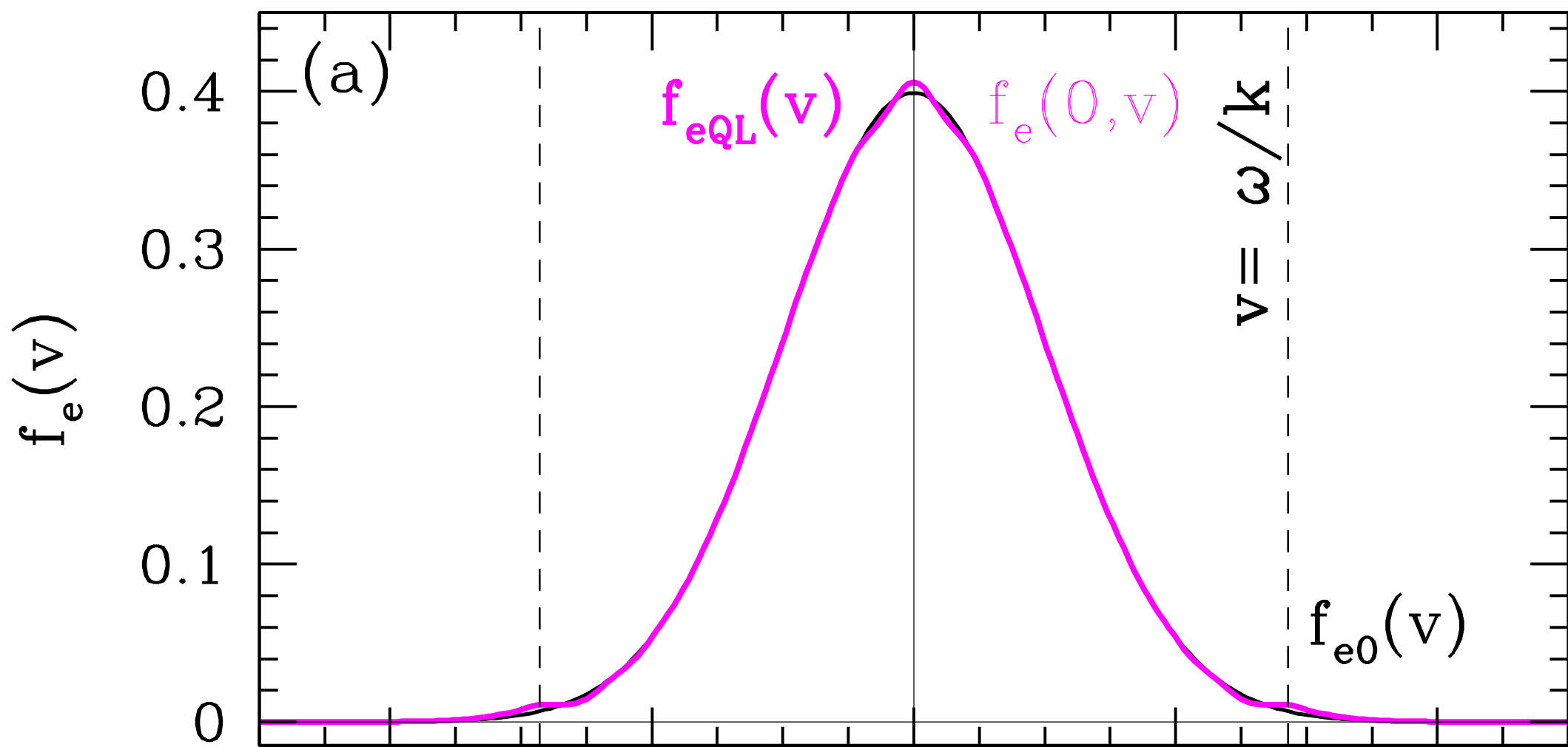
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... but from single-point measurements!

Strong Plasma Turbulence

Driven nonlinear gyrokinetic simulation of solar wind turbulence

(Klein, Howes, & Tenbarge, 2017)

Plasma parameters: $\beta_i = 1$
 $T_i/T_e = 1$

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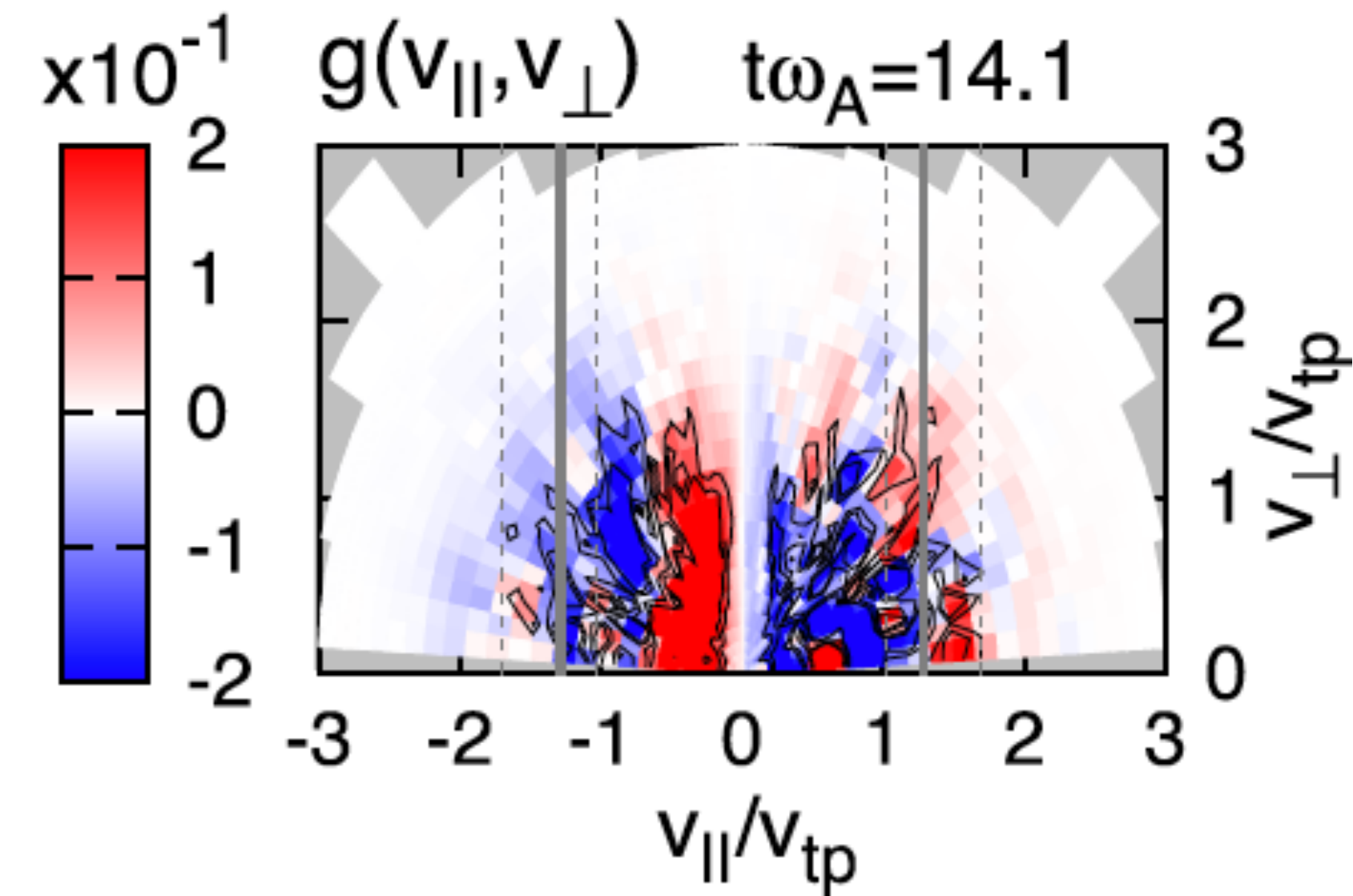
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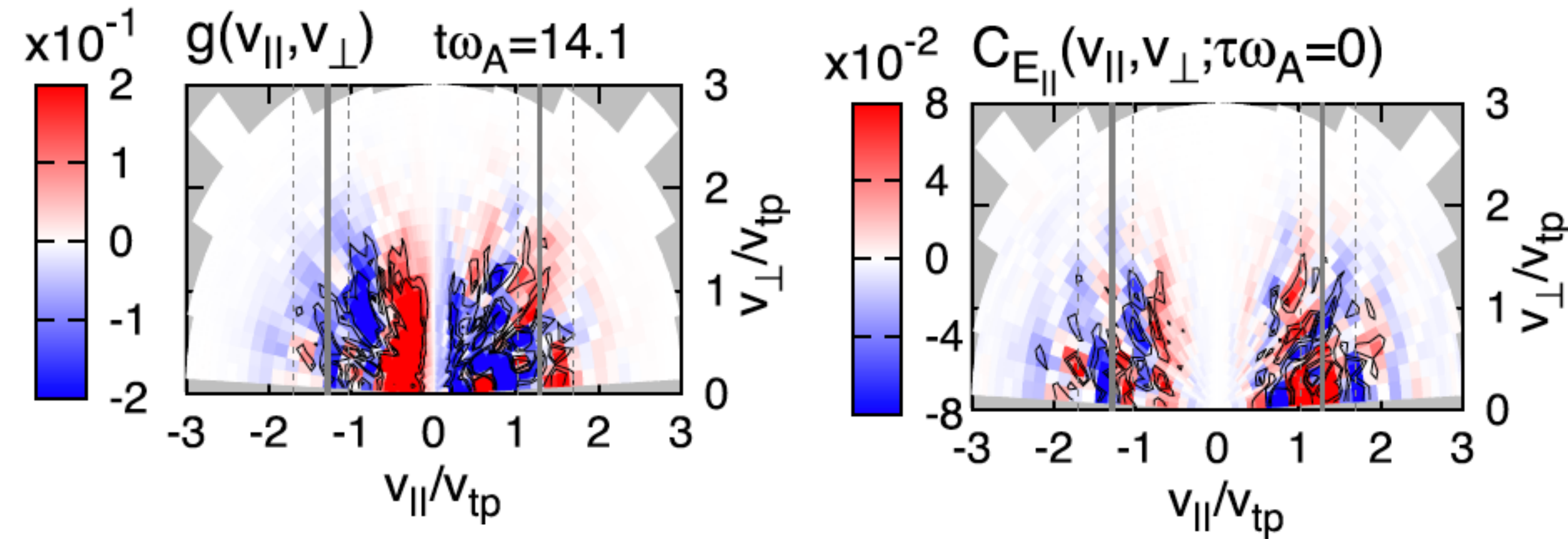
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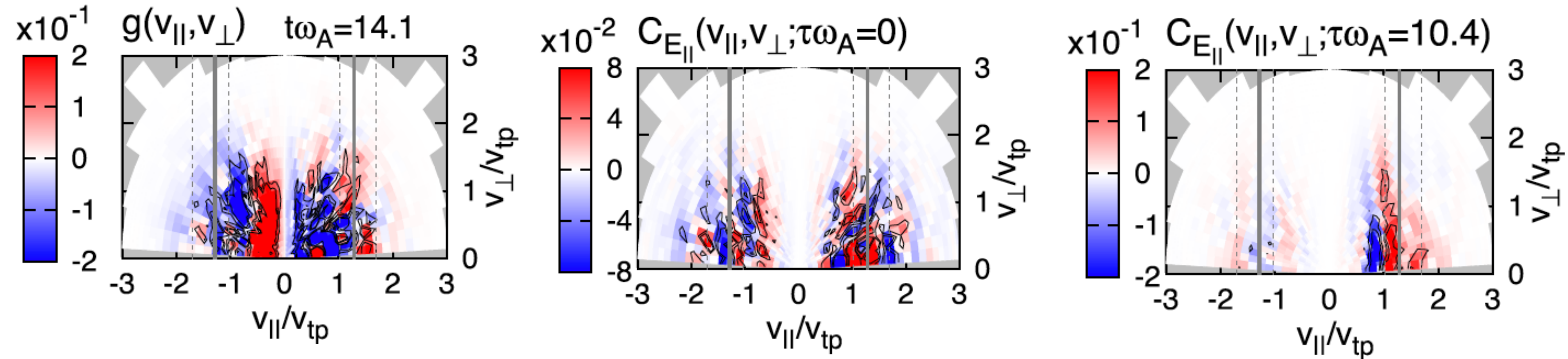
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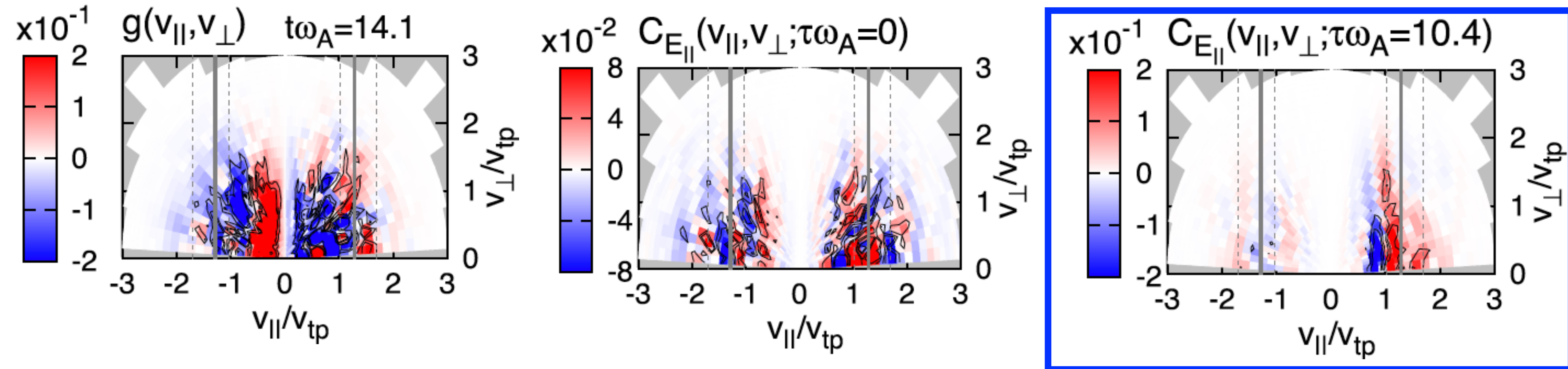
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Evidence of Landau Damping
in strong plasma turbulence

Outline

- The Flow of Energy and Particle Energization in Astrophysical Plasmas
- Kinetic Theory of Particle Energization
 - Field-Particle Correlation Technique
- Distinguishing Energization Mechanisms
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- Other Applications: Magnetic Reconnection and Collisionless Shocks
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Proposed Dissipation Mechanisms in Turbulence

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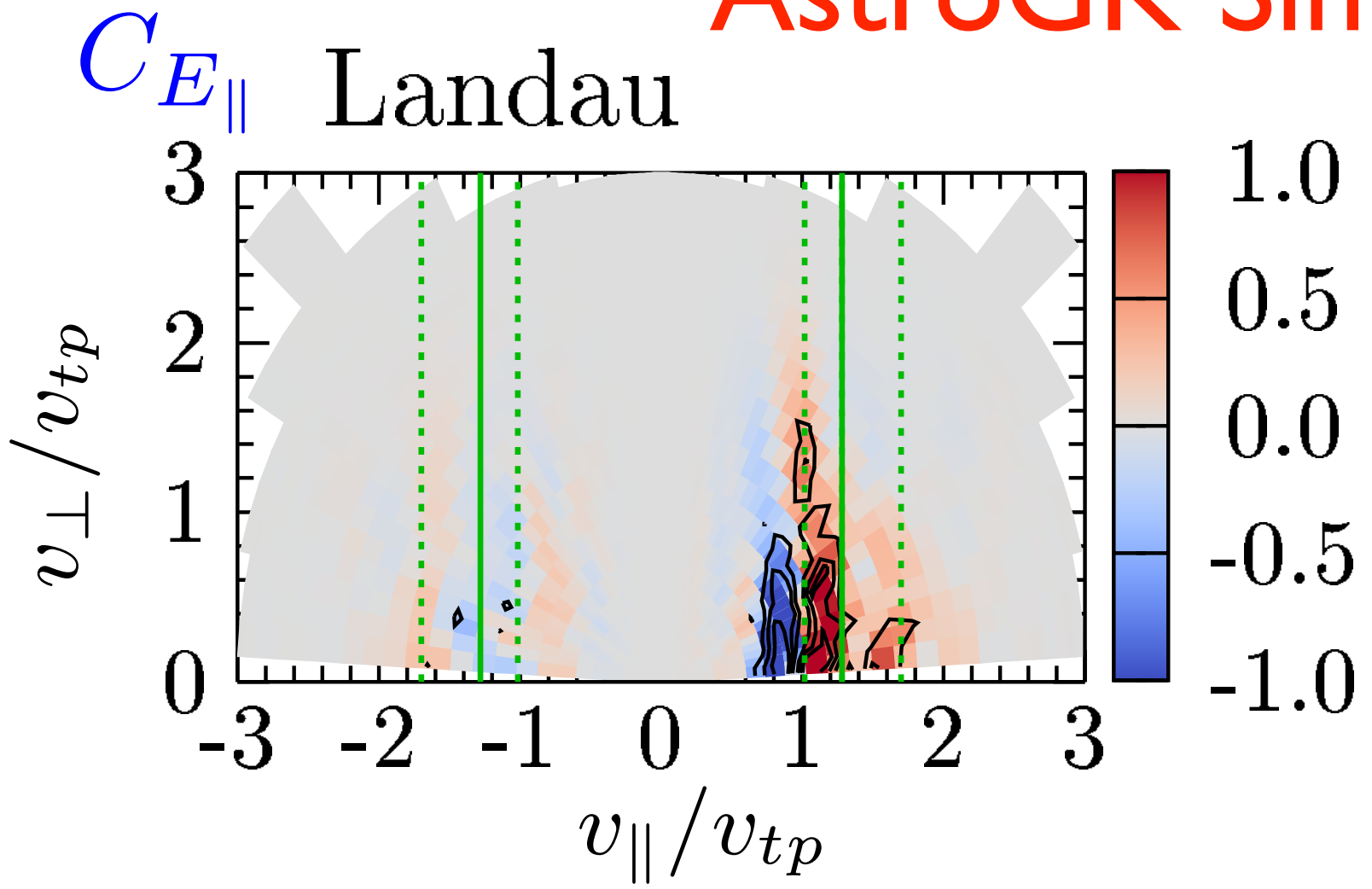
The **velocity-space signature** obtained from **field-particle correlations** has the potential to distinguish between different mechanisms.

Distinguishing Energization Mechanisms

AstroGK Simulation

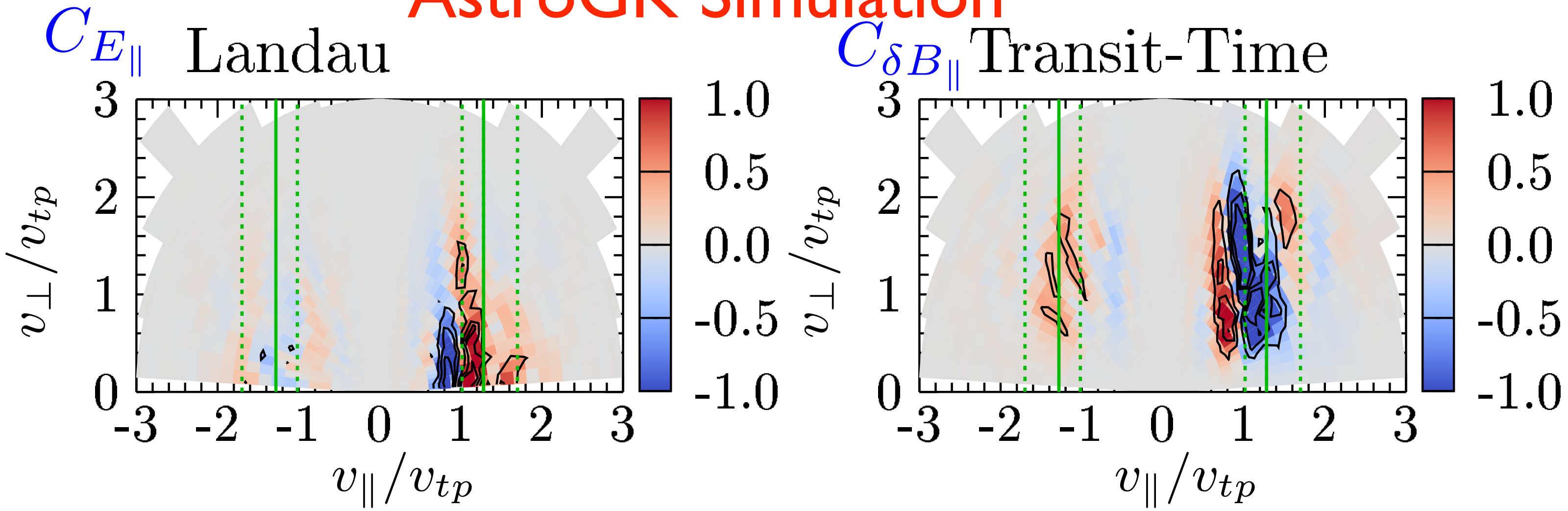
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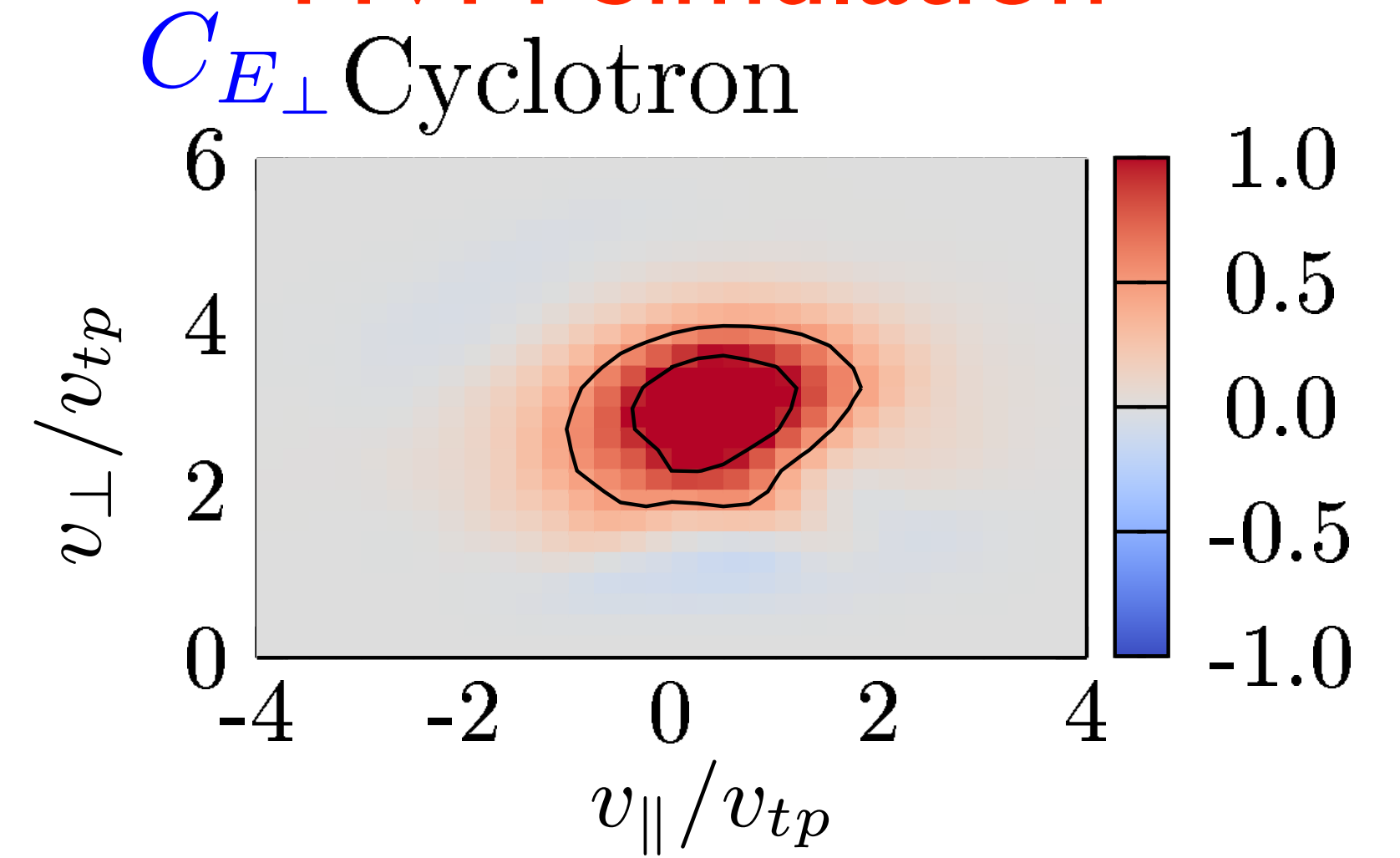
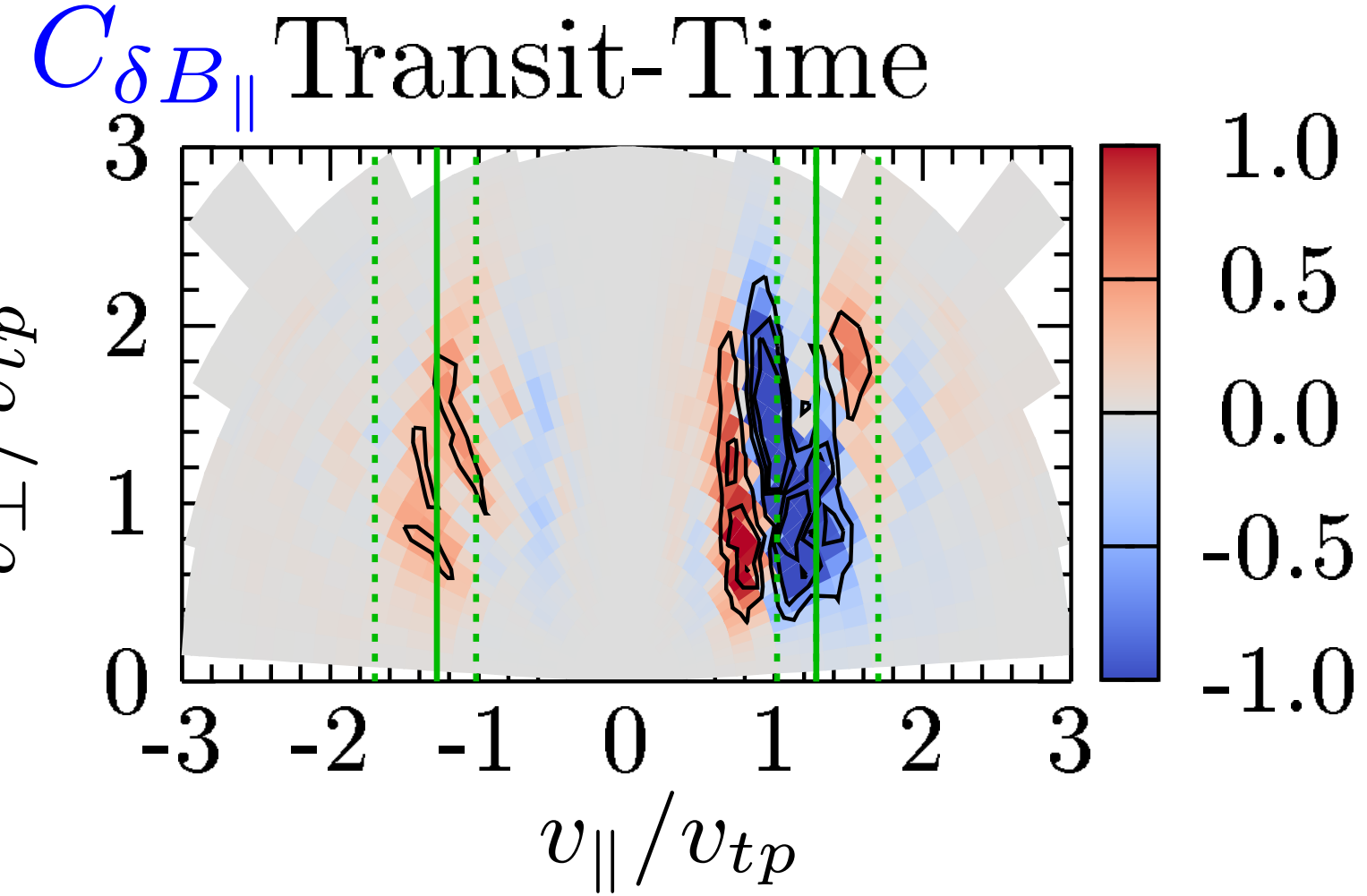
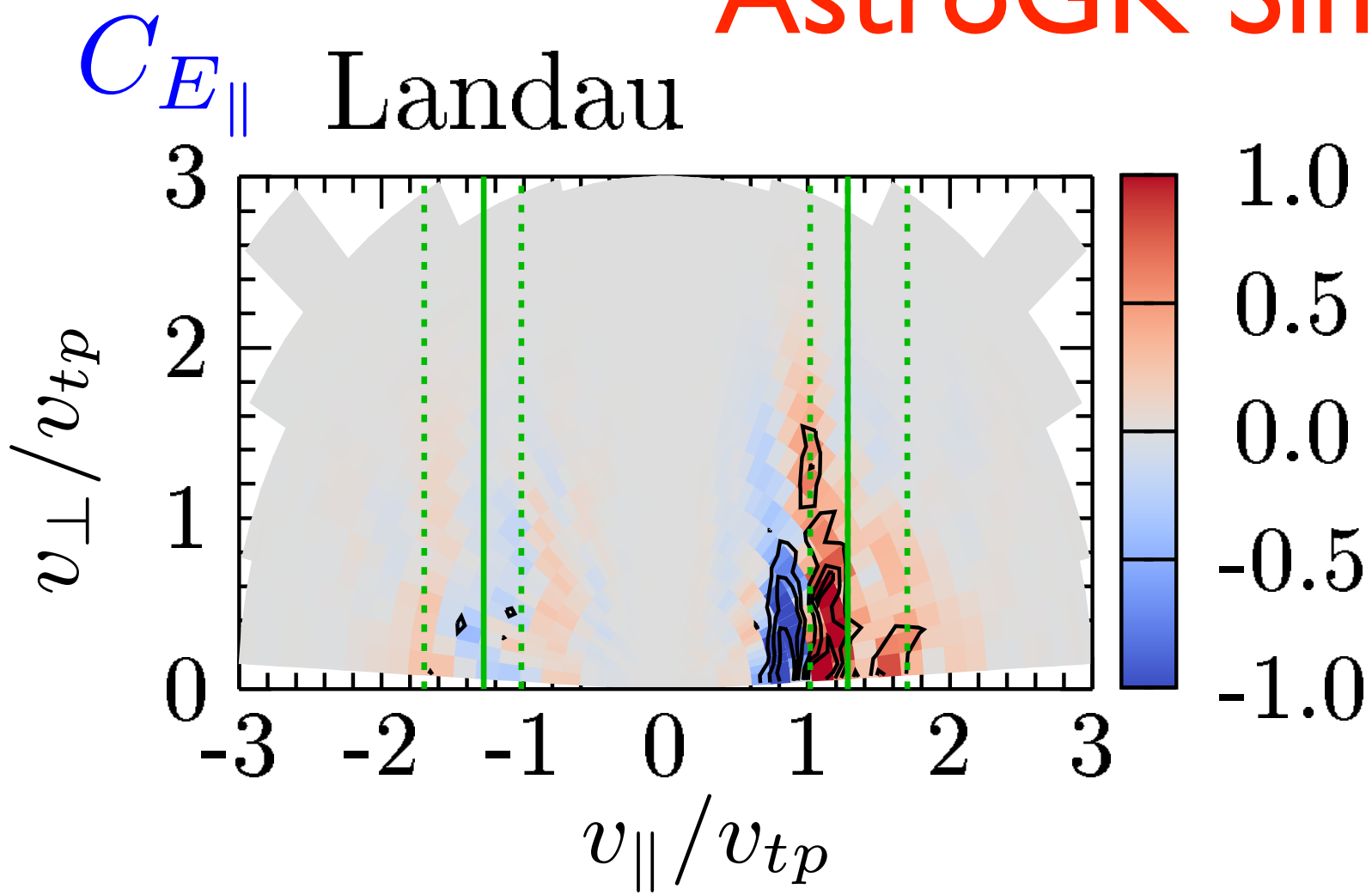
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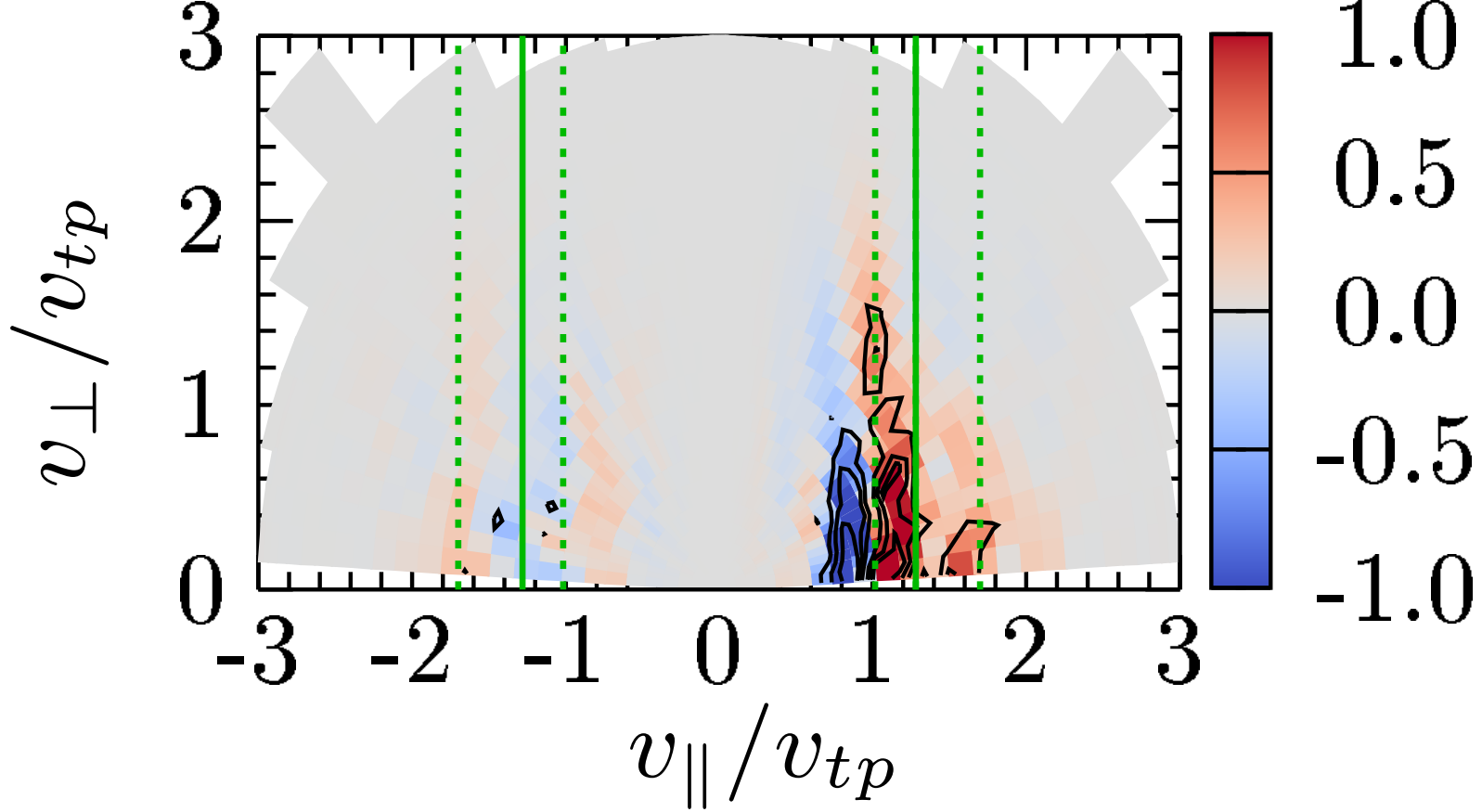
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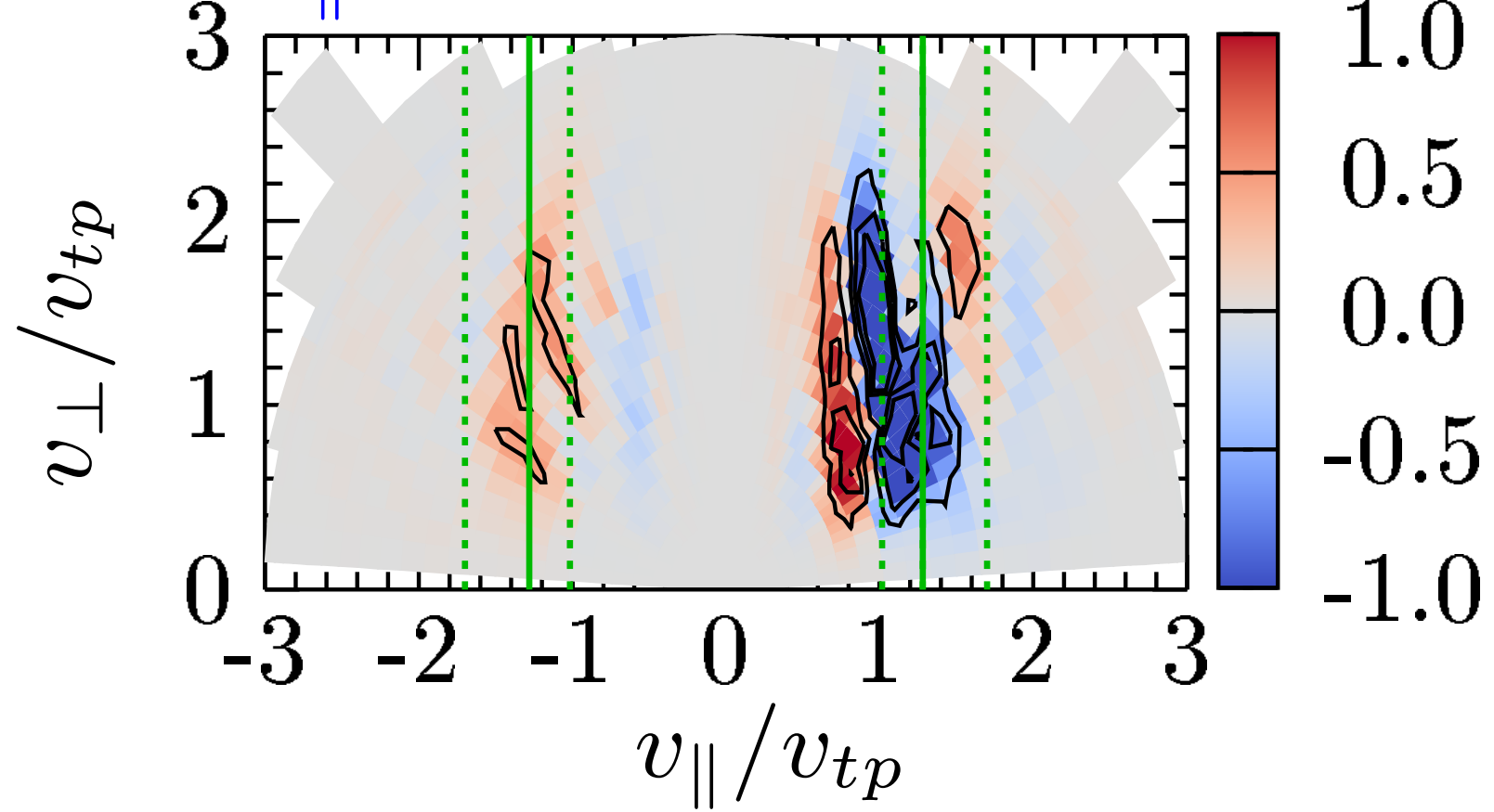
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$C_{E_{\parallel}}$ Landau

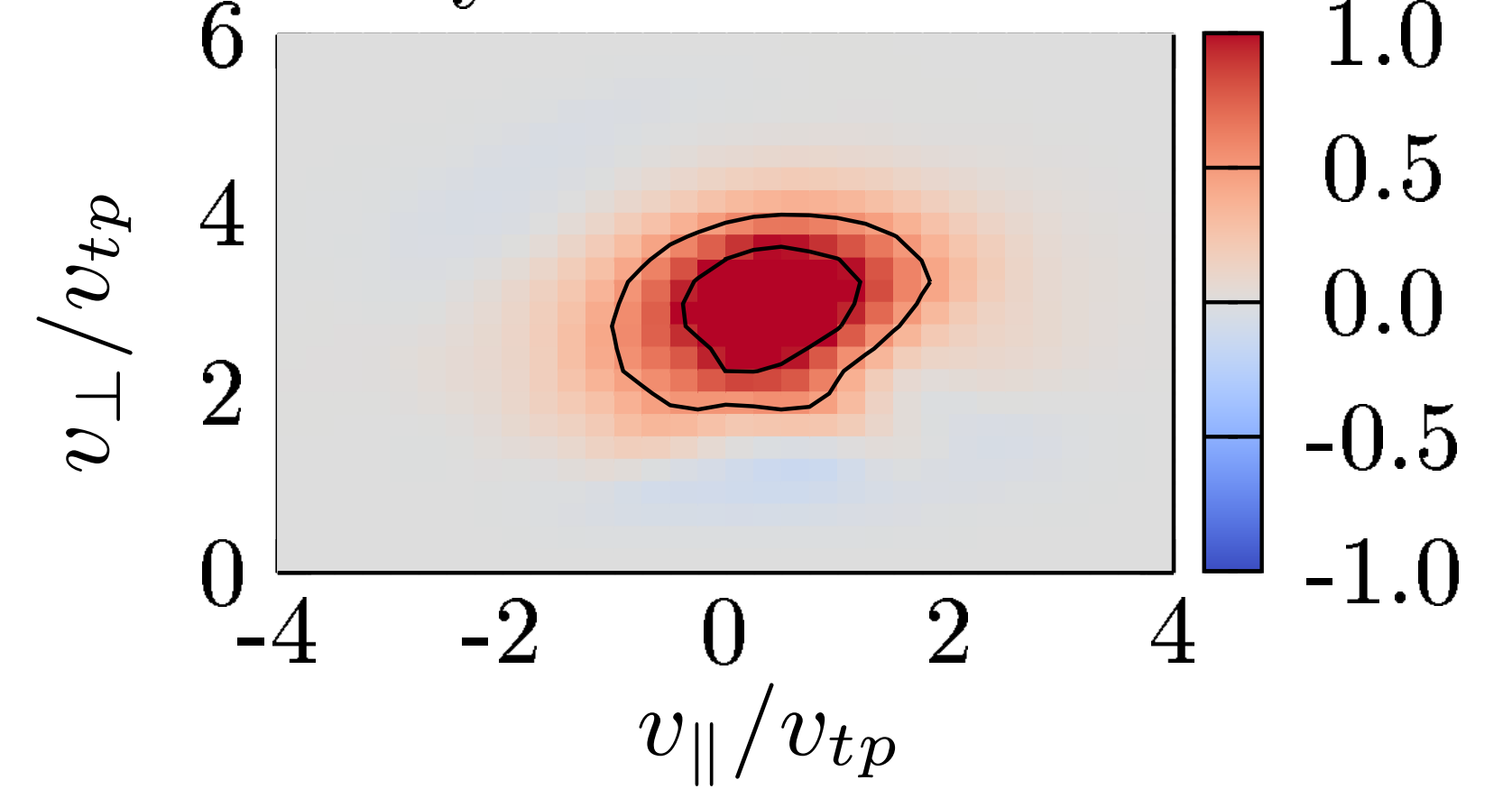


$C_{\delta B_{\parallel}}$ Transit-Time



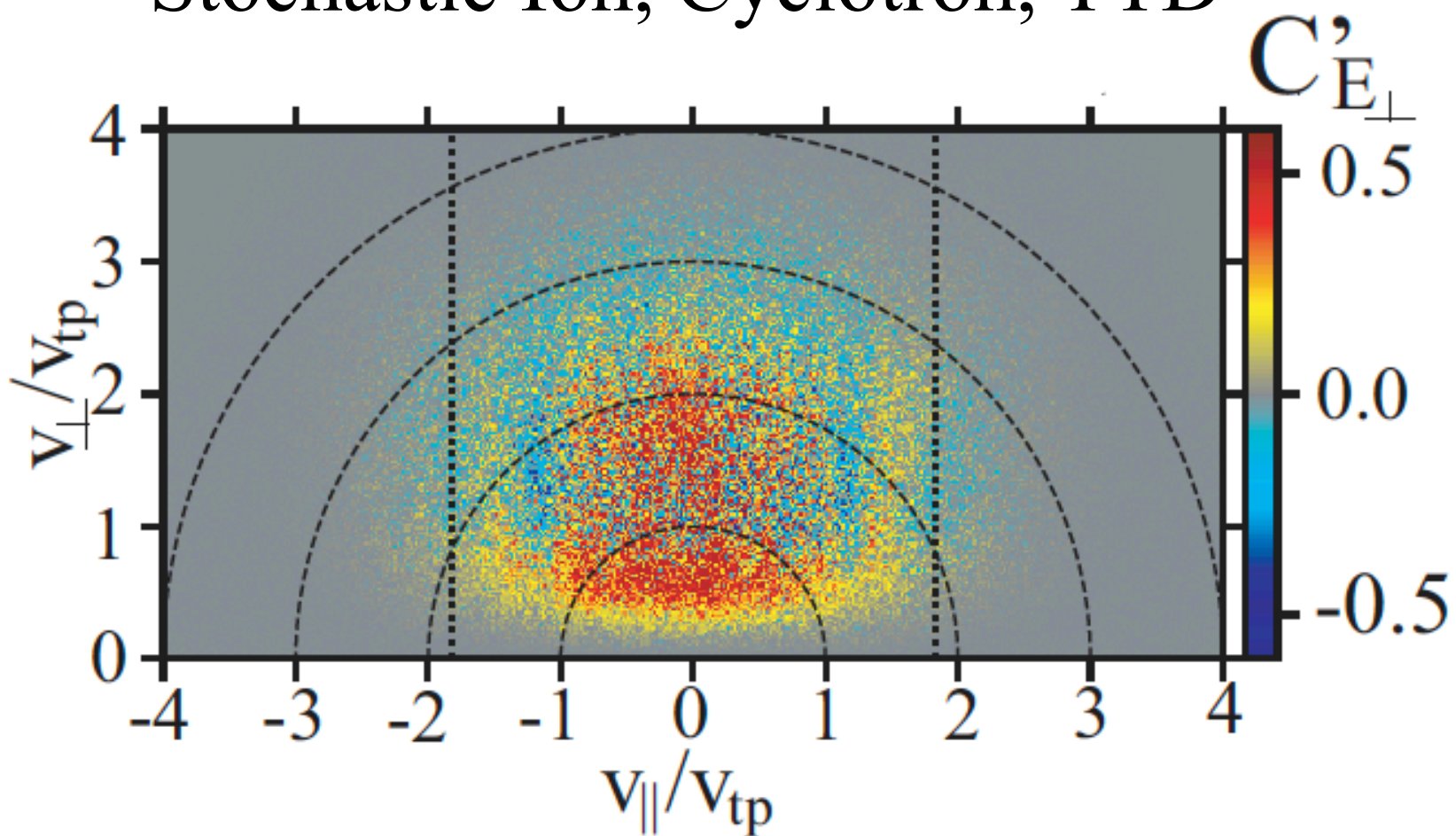
HVM Simulation

$C_{E_{\perp}}$ Cyclotron



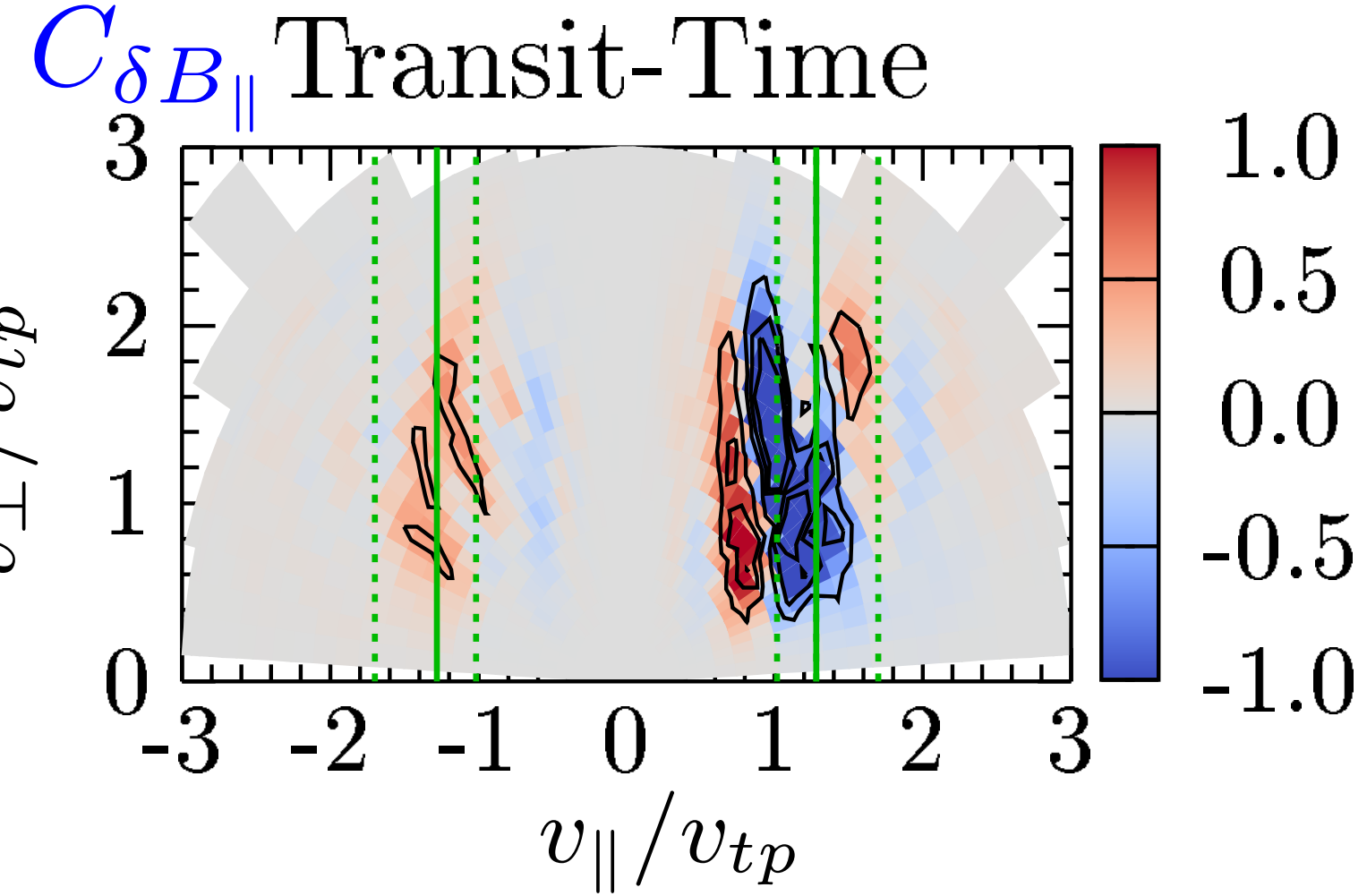
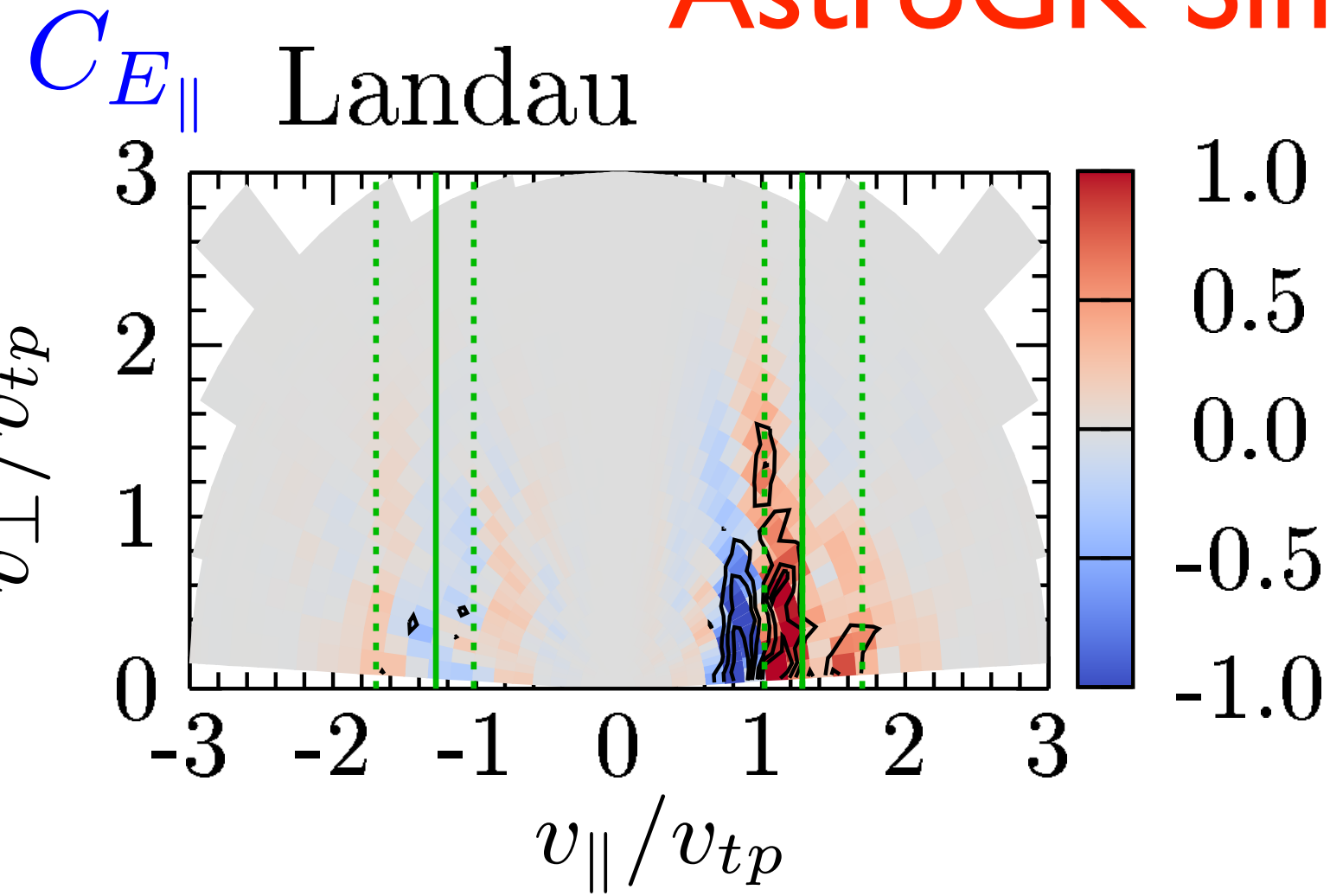
Pegasus Simulation

Stochastic Ion, Cyclotron, TTD

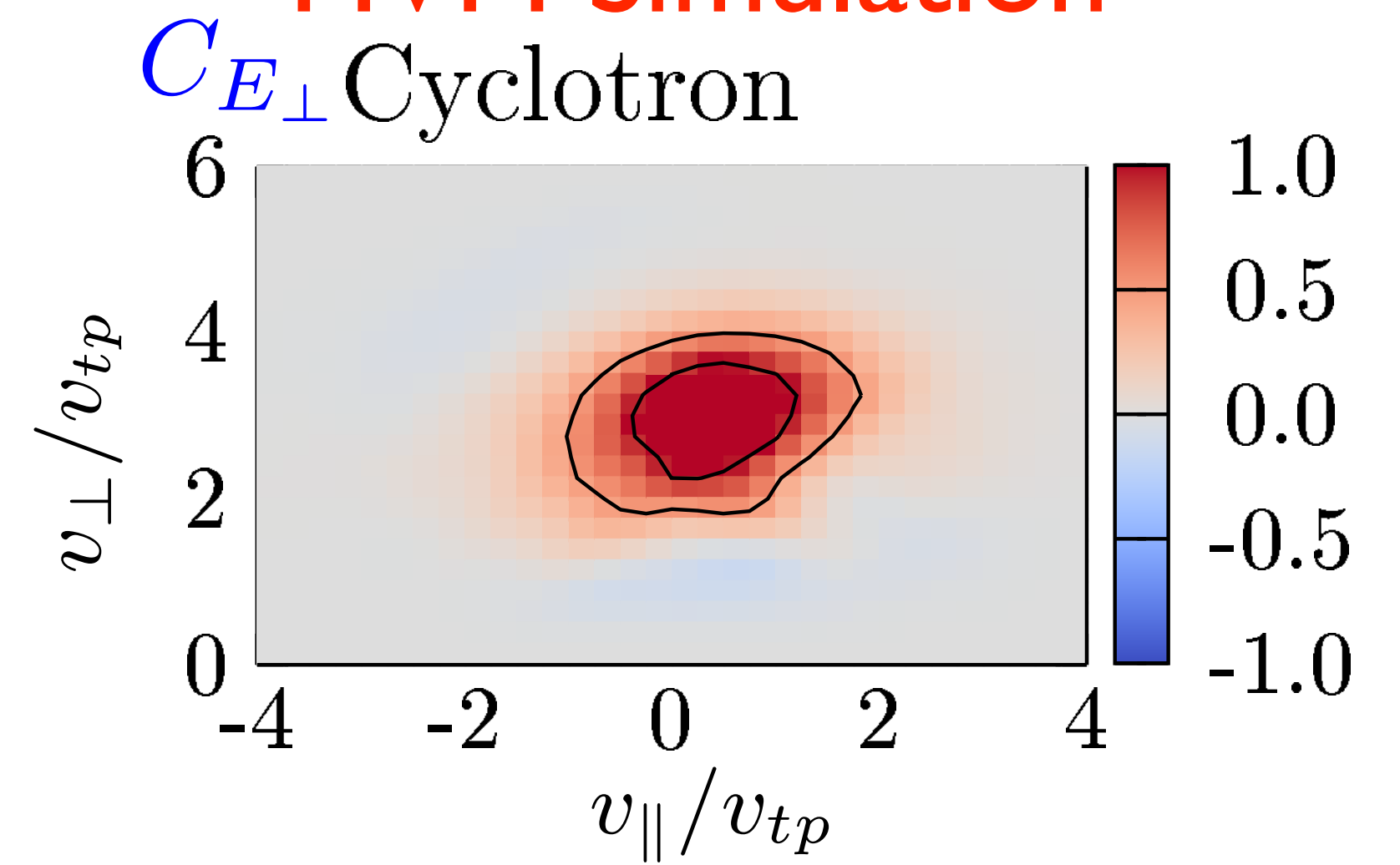


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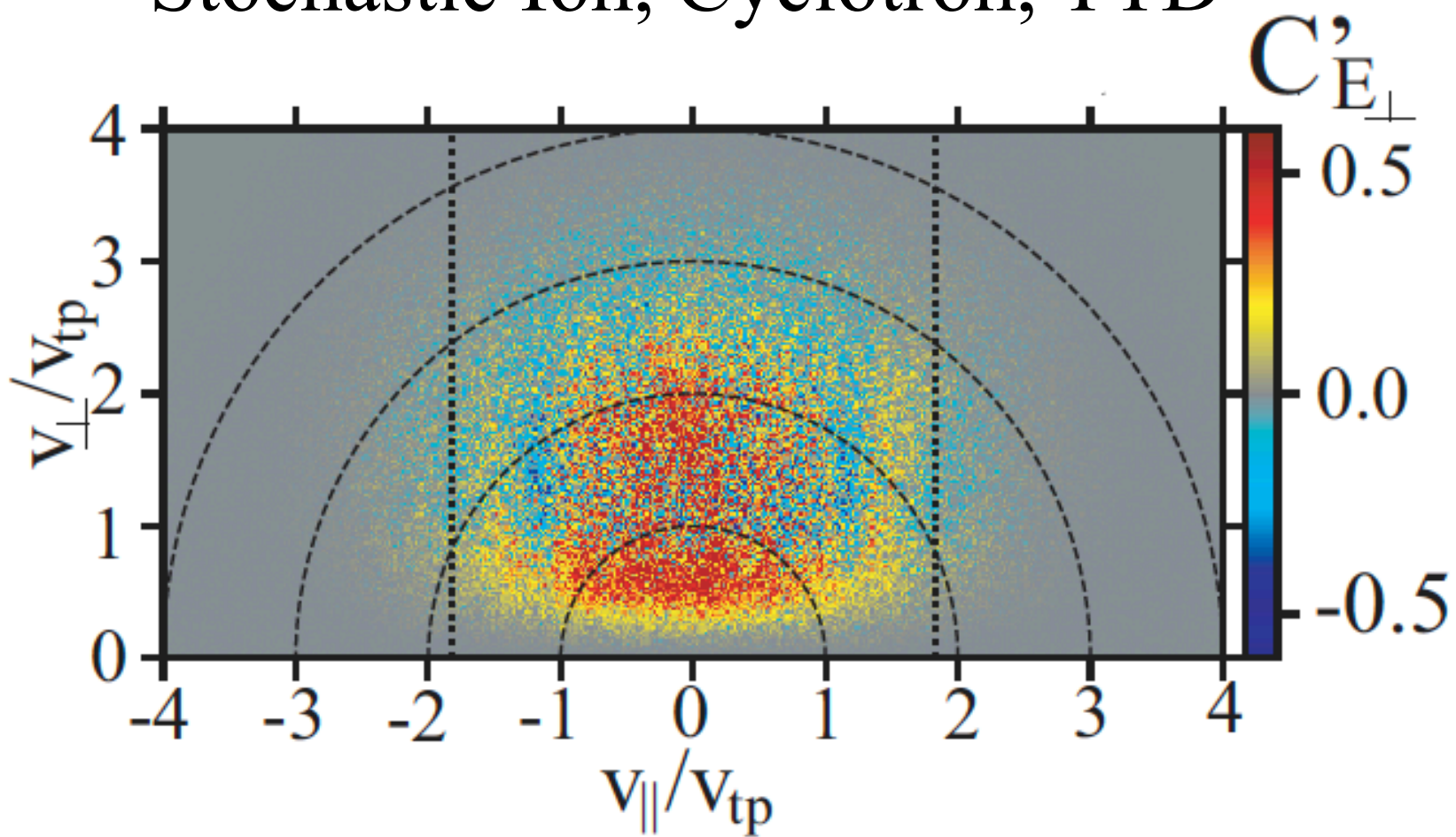


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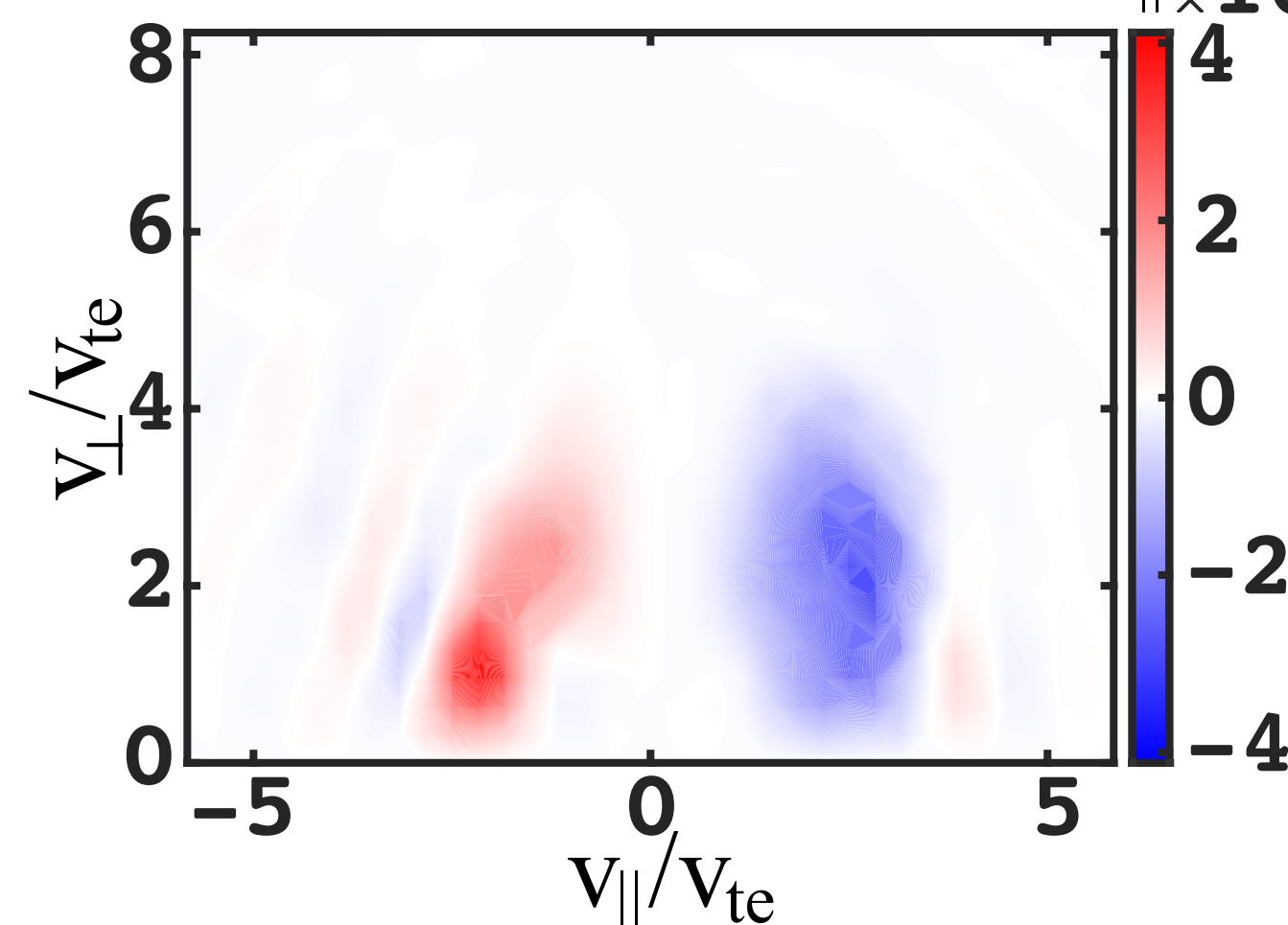
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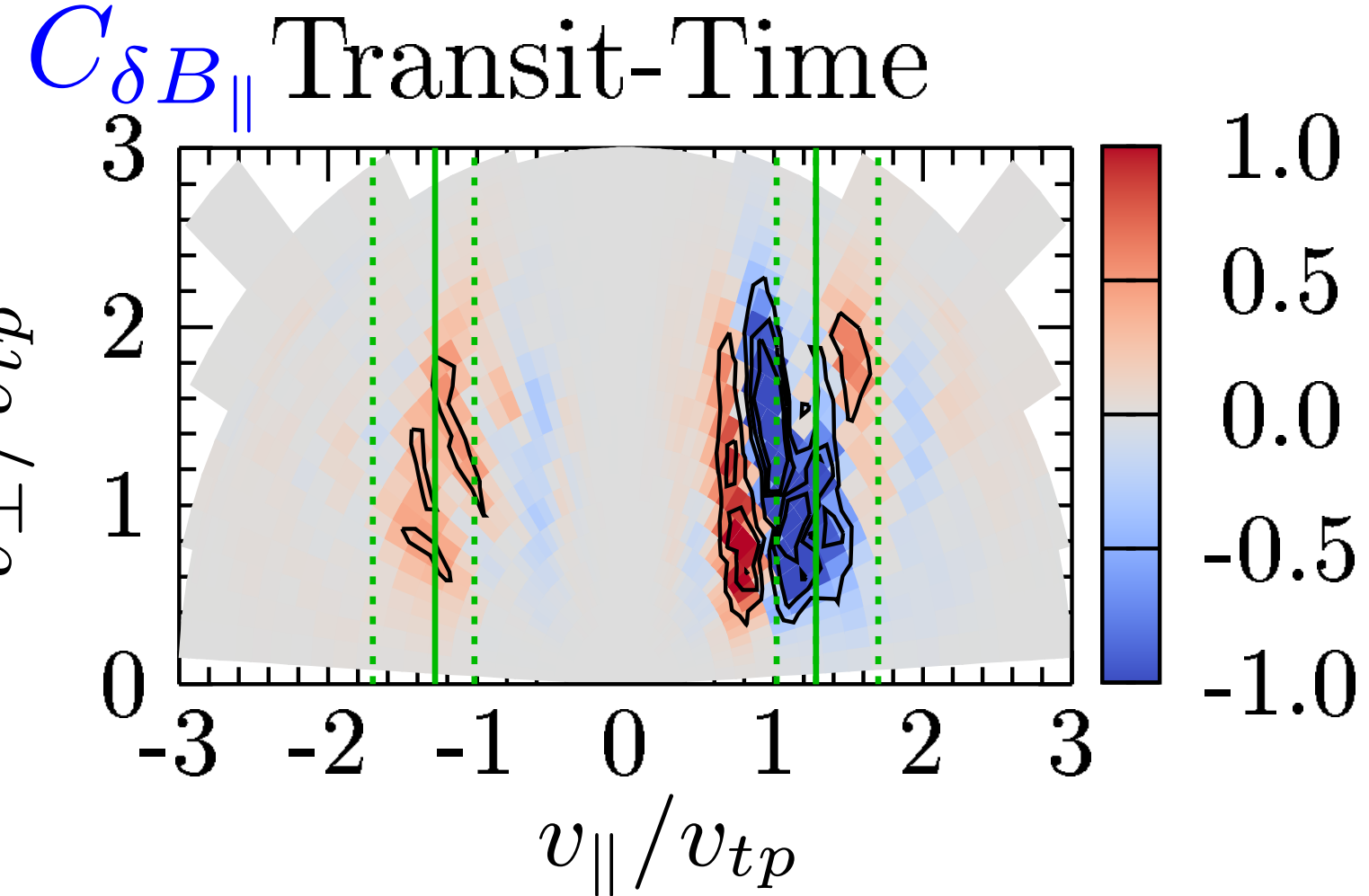
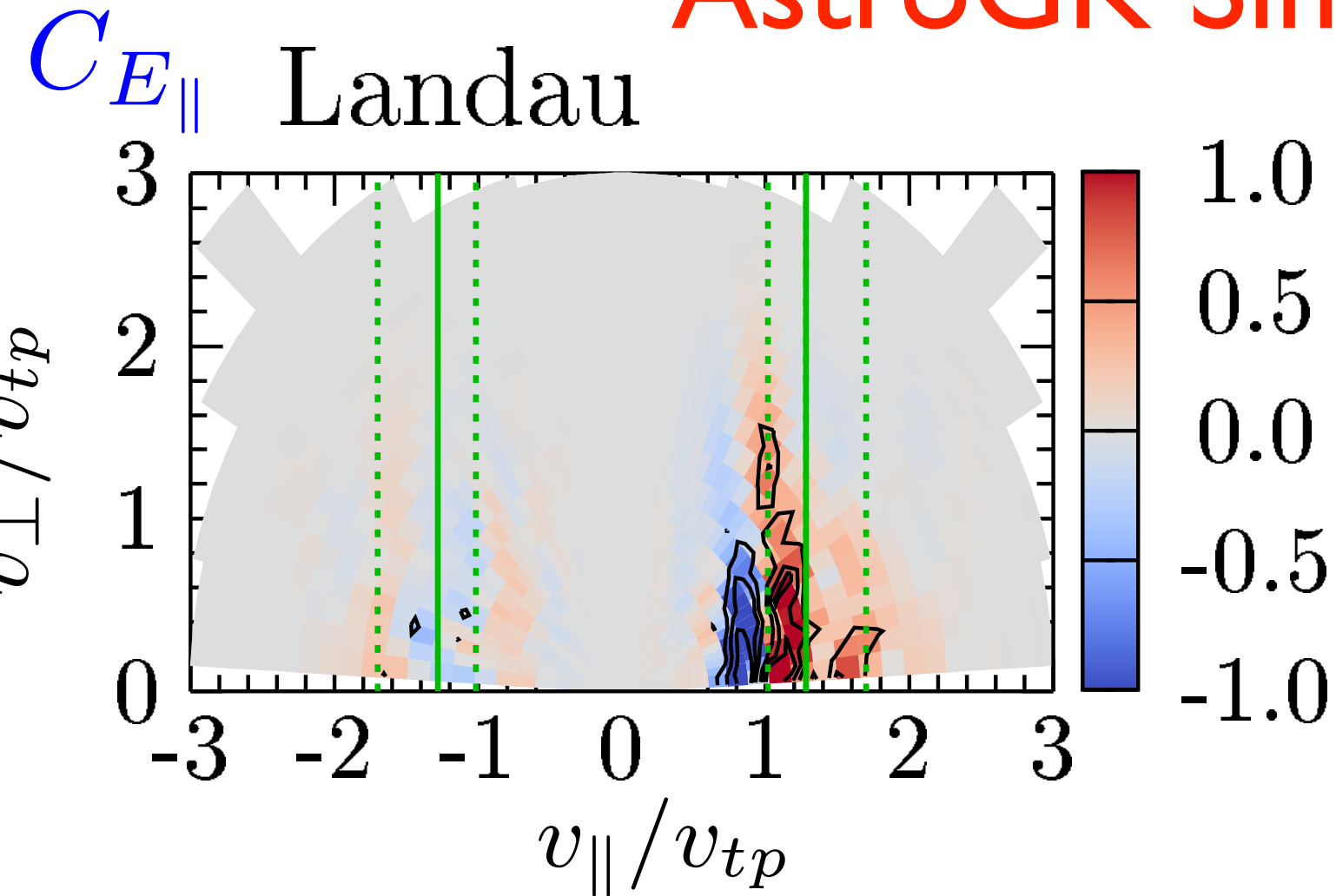
Gkeyll Simulation

Reconnection: Electron $C_{E_{\parallel}} \times 10^{-4}$

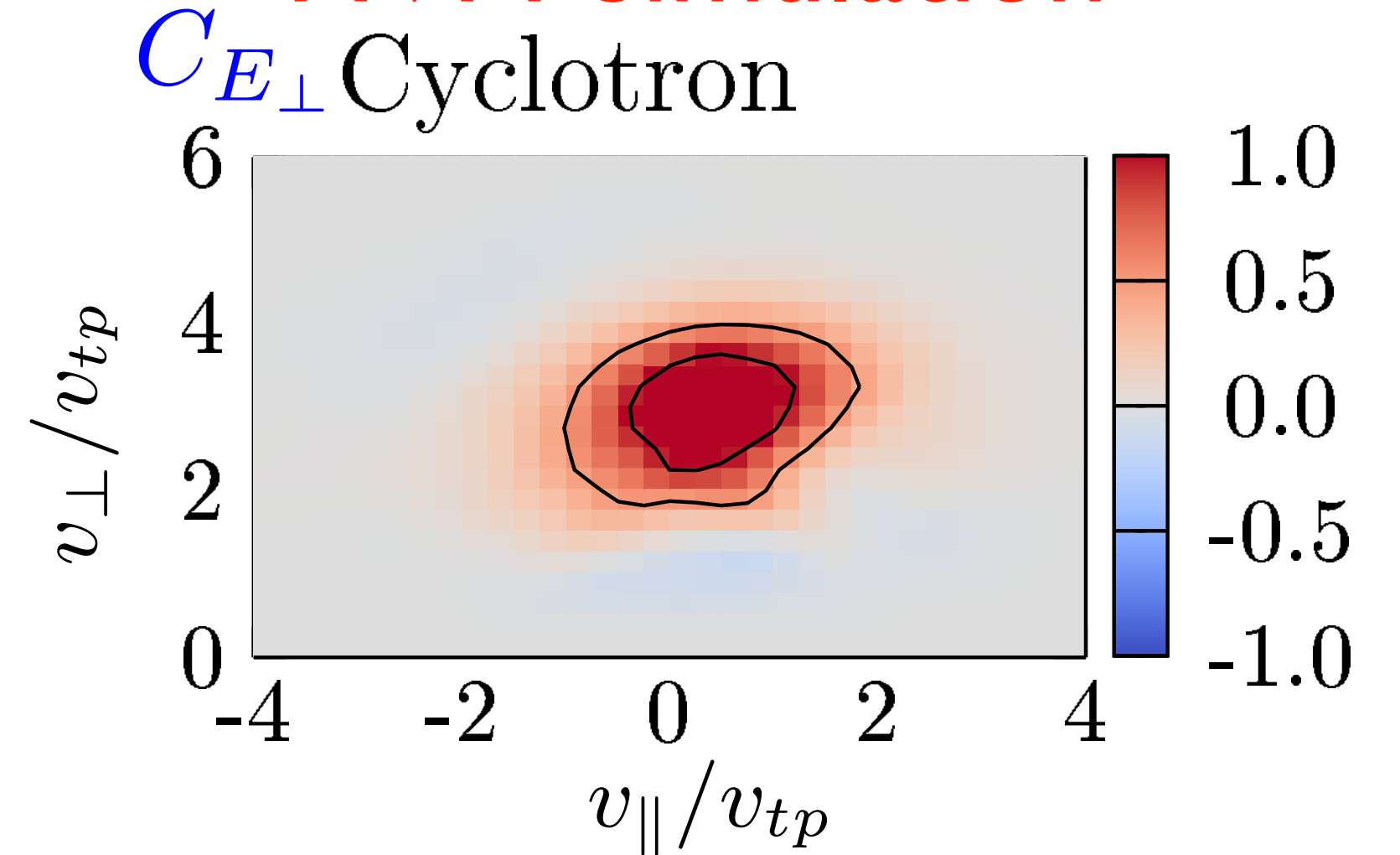


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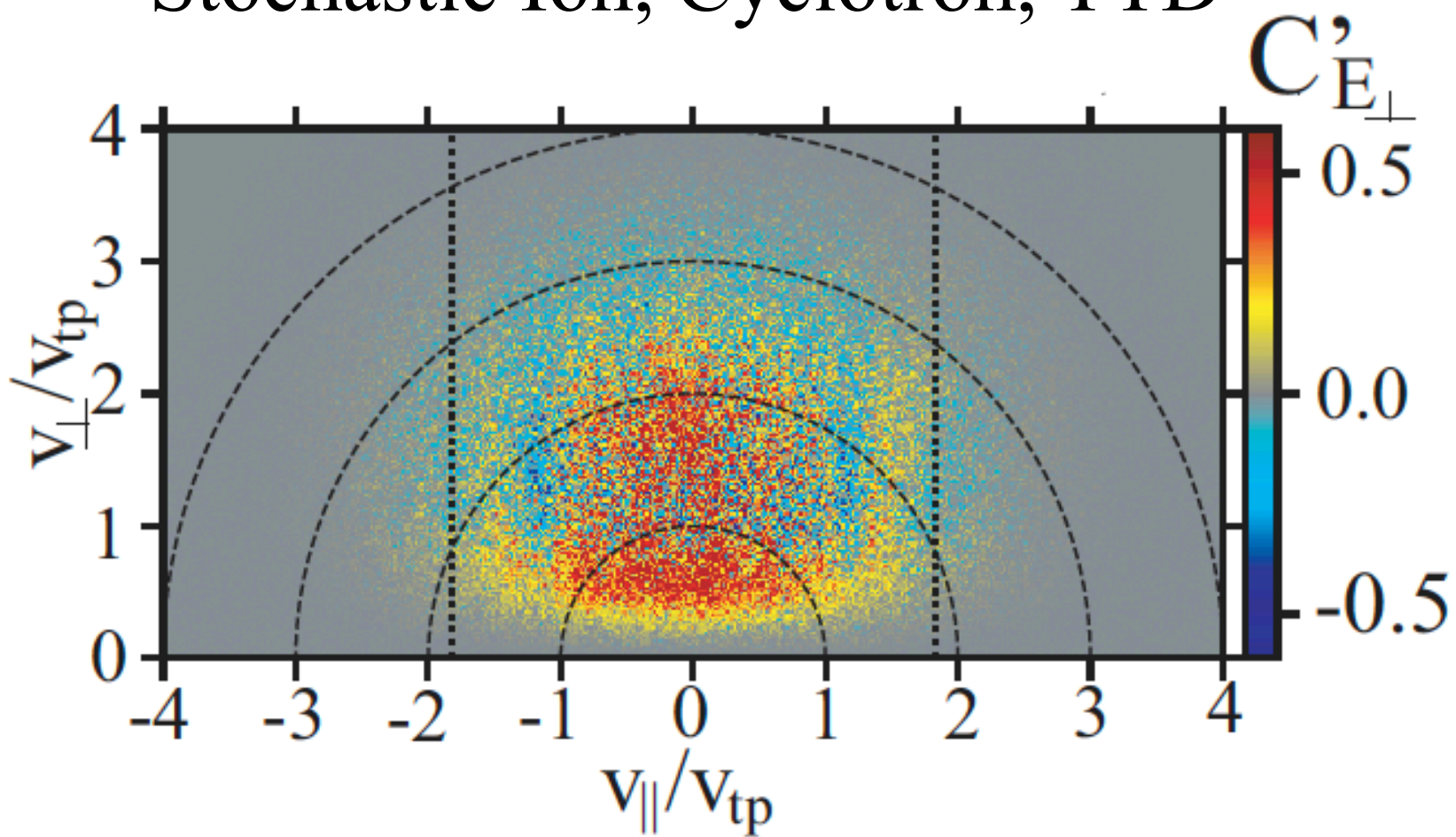


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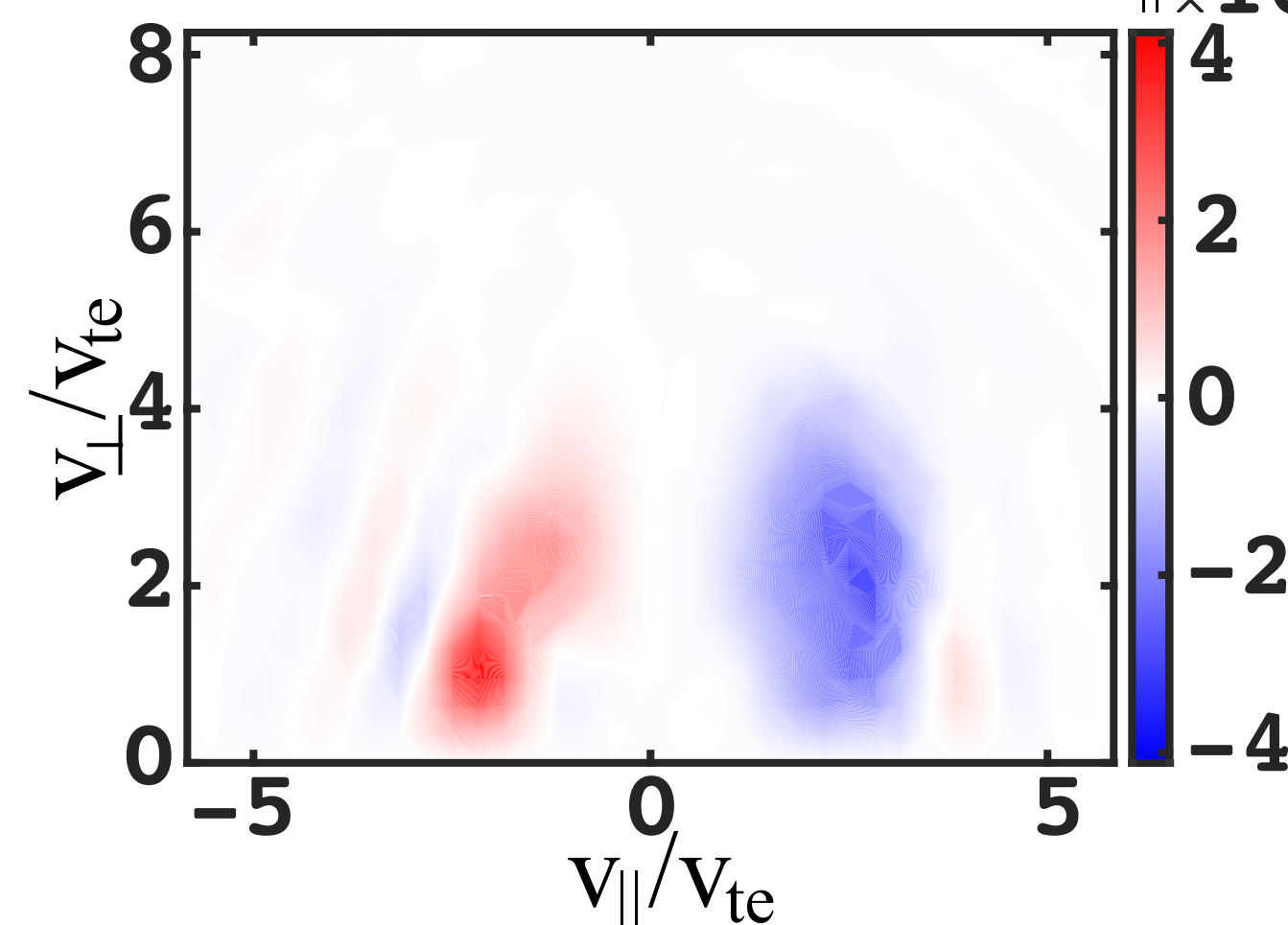
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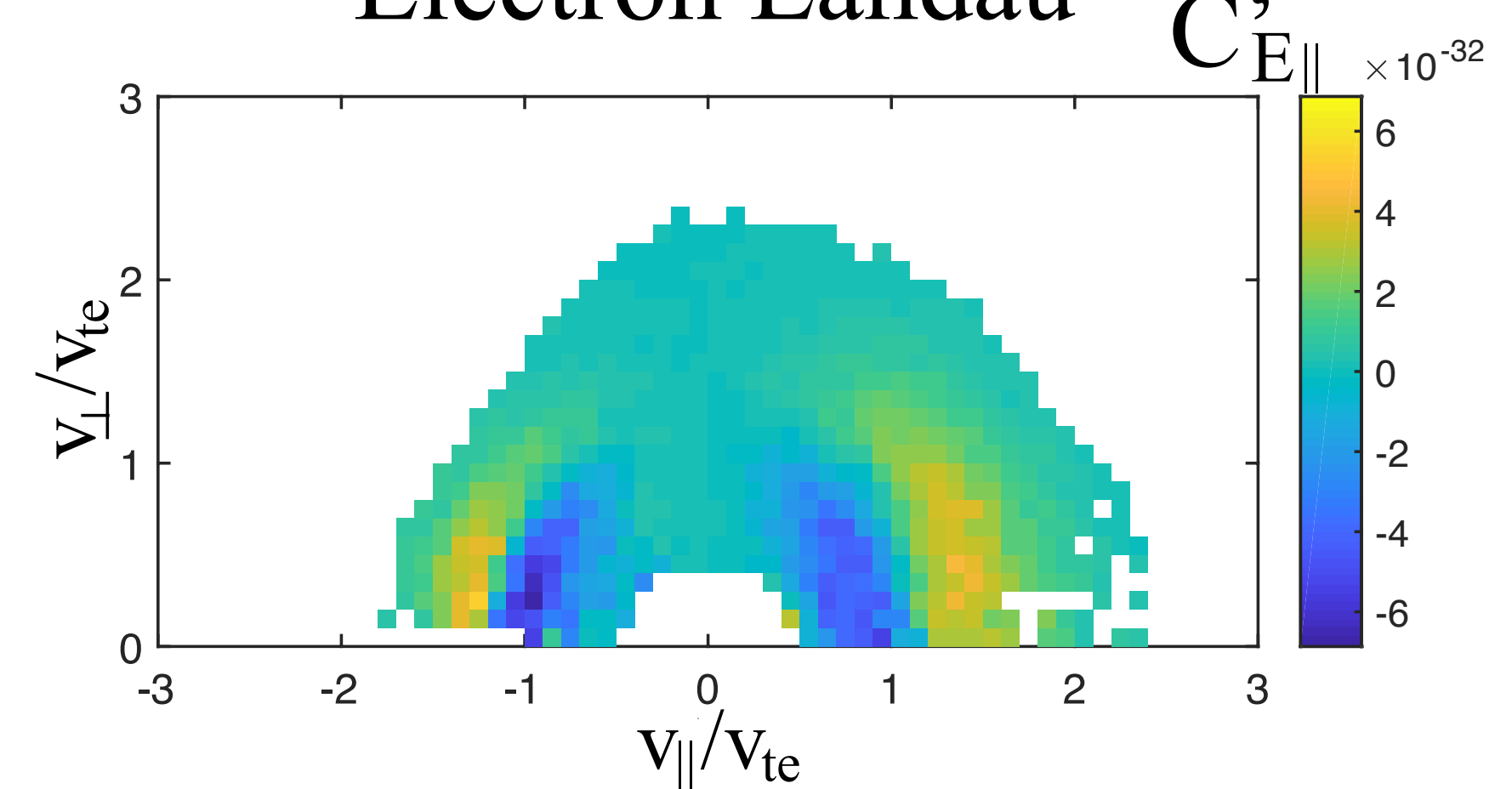
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MMS Observation

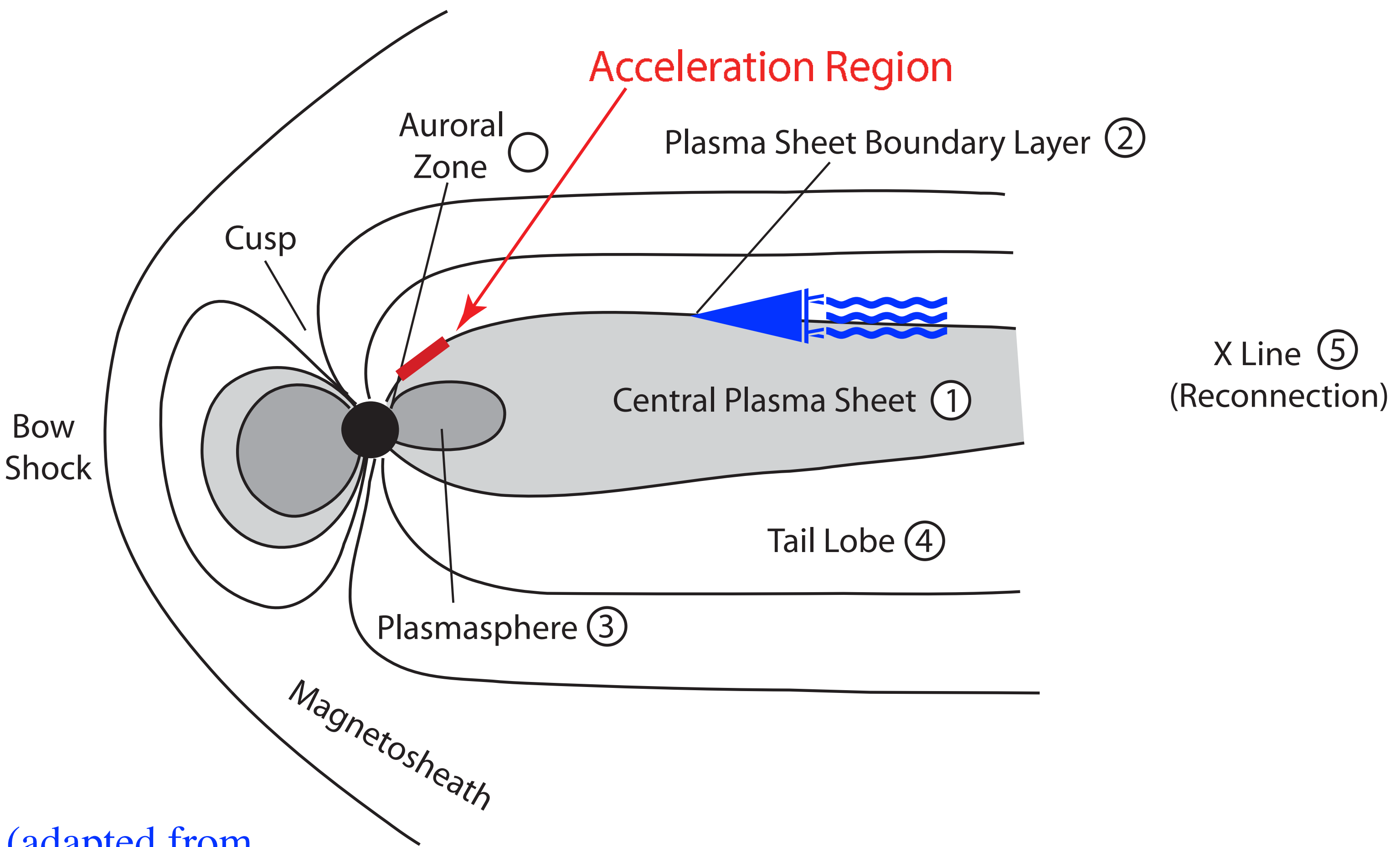
Electron Landau $C'_{E_{\parallel}} \times 10^{-32}$



Outline

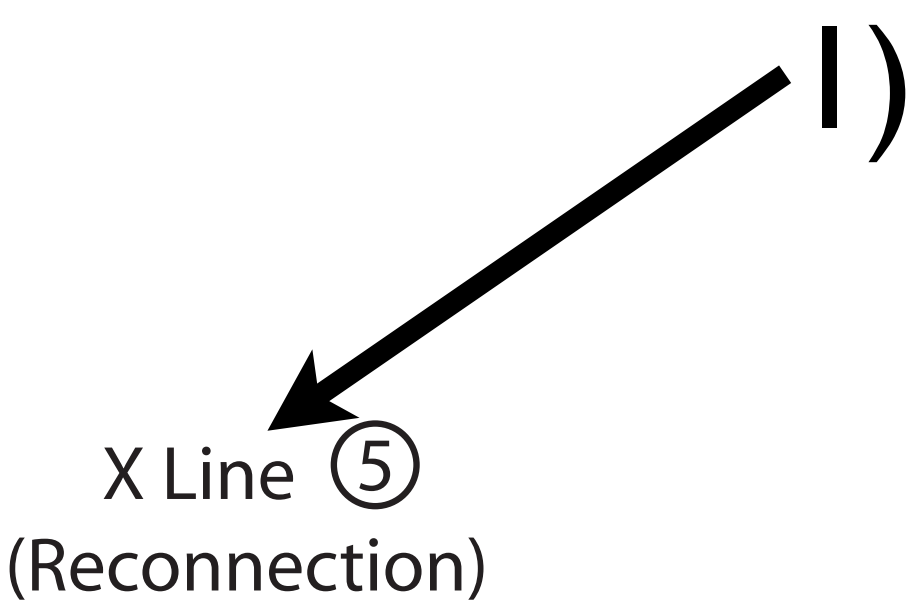
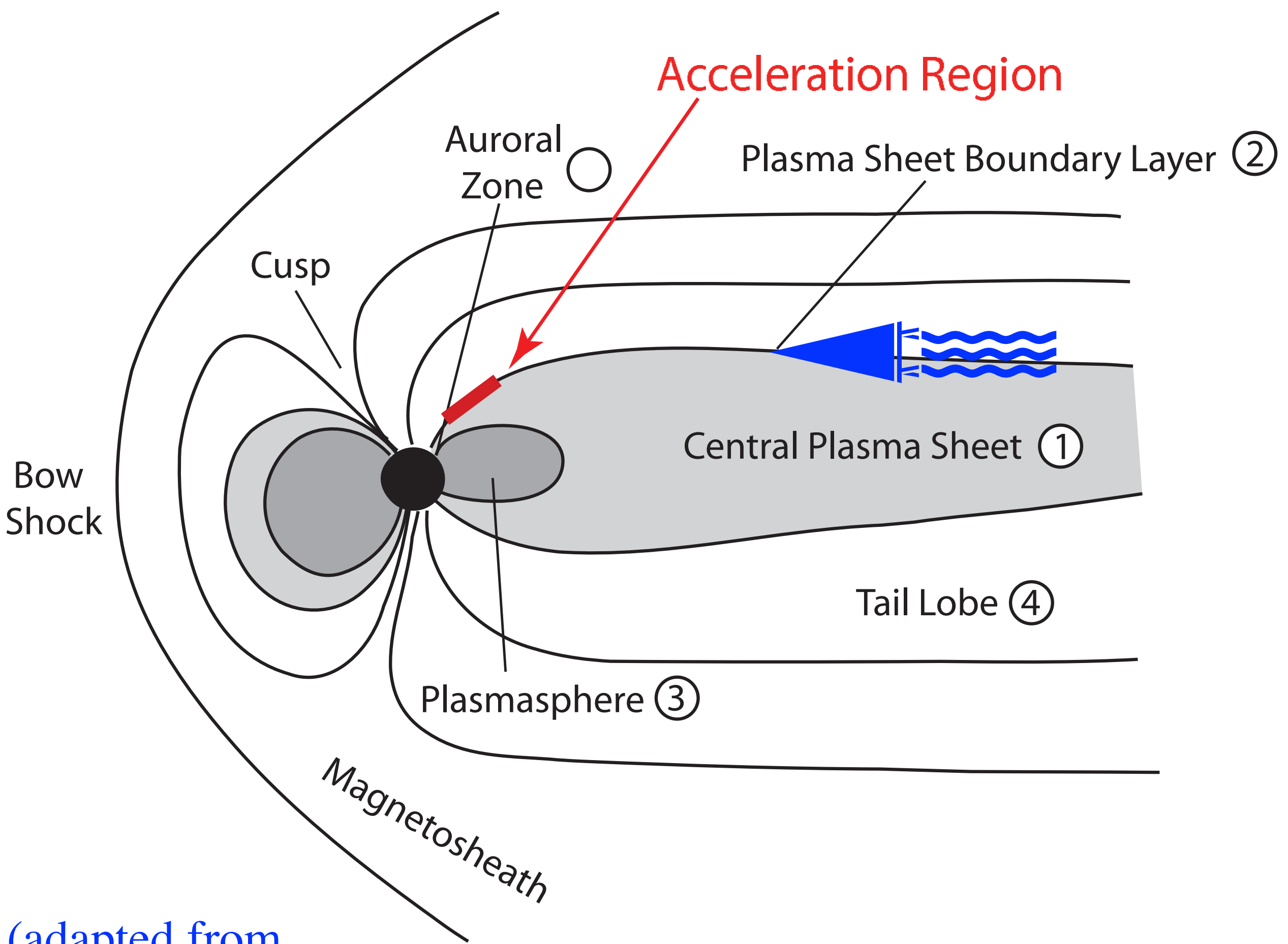
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(adapted from Keiling, Space Sci Rev 142:73, 2009)

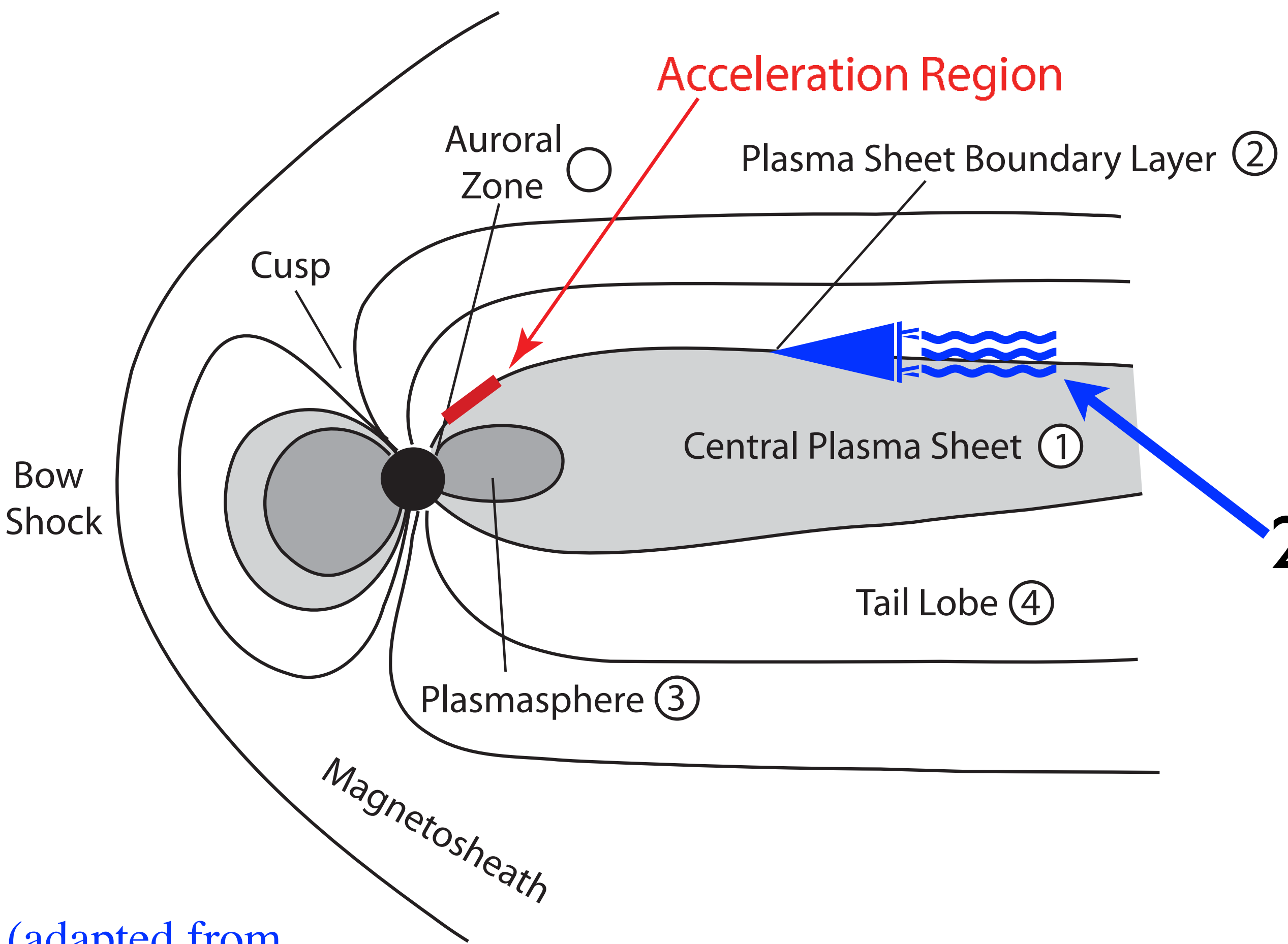
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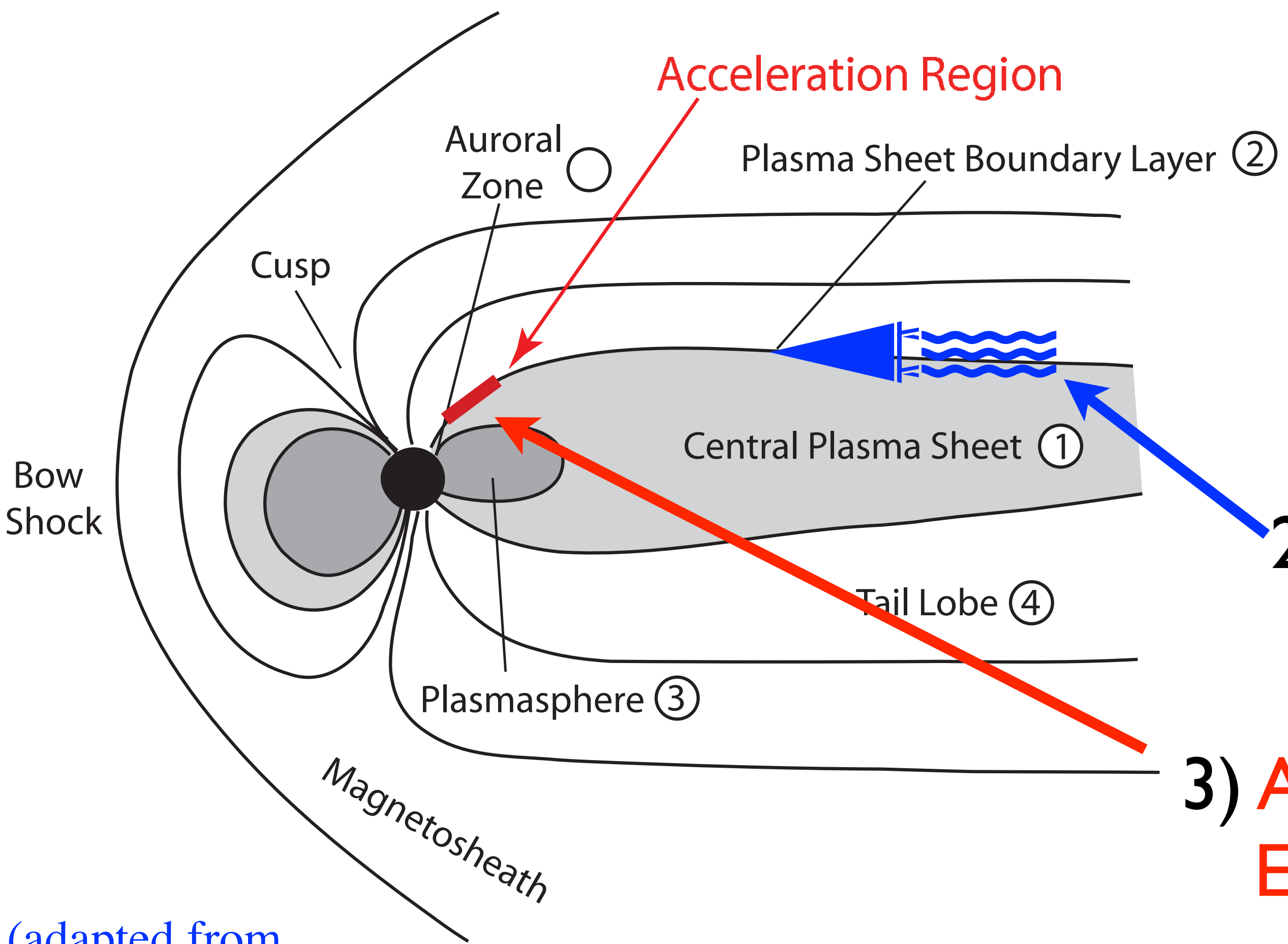
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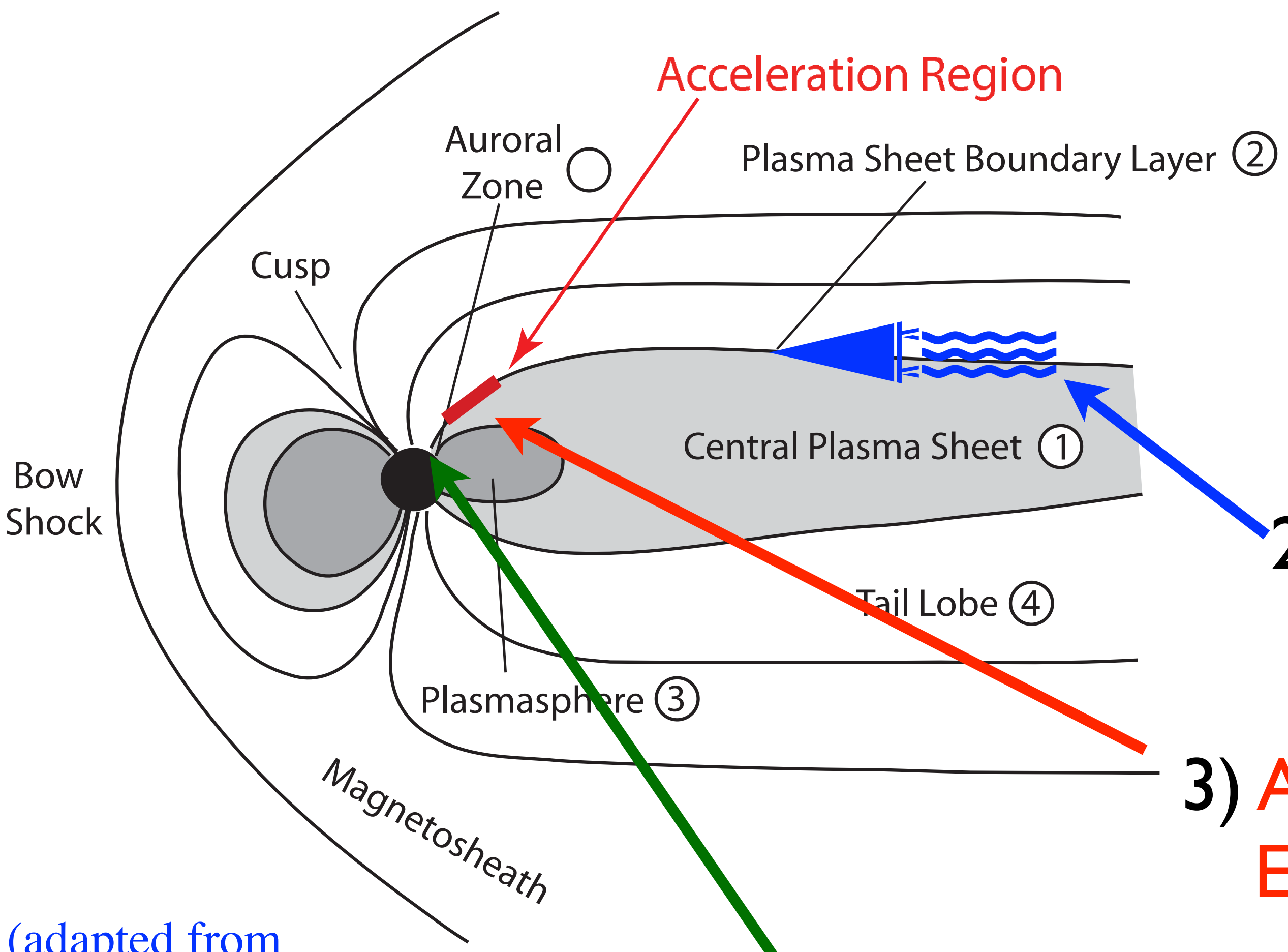
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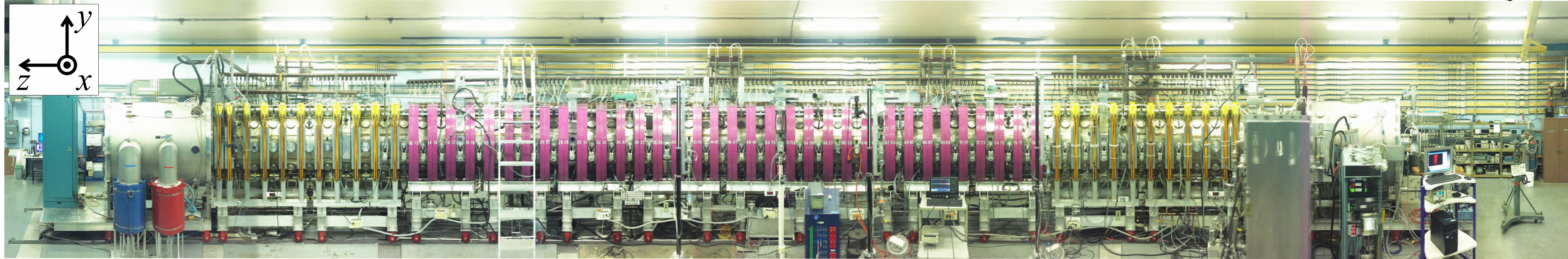
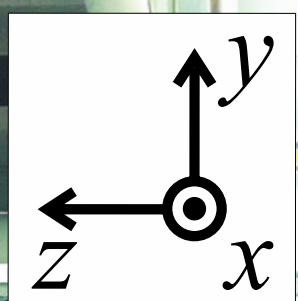
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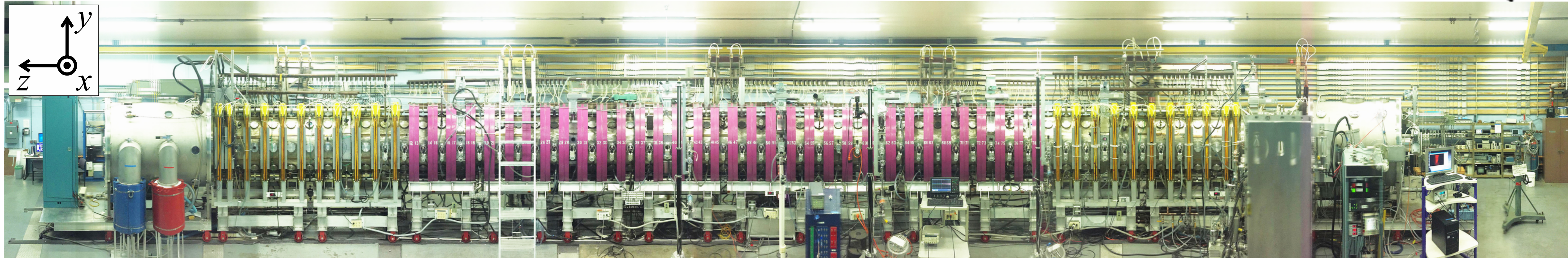
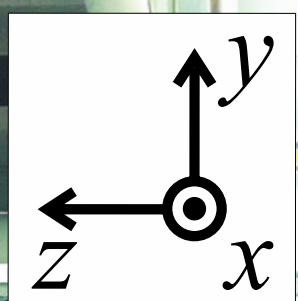
4) Accelerated electrons precipitate onto ionosphere, exciting atoms that cause the auroral glow

(adapted from Keiling, Space Sci Rev 142:73, 2009)

LAPD Experiments of Auroral Electron Acceleration

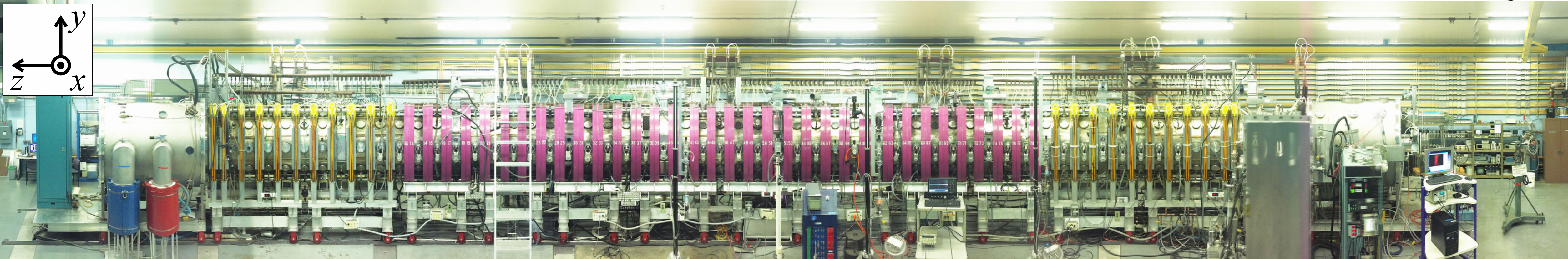


LAPD Experiments of Auroral Electron Acceleration



- $v_A = 3.4 \times 10^8 \text{ cm/s}$
- $\beta = 3.4 \times 10^{-5} < m_e/m_i$
- $v_{te}/v_A = 0.18$

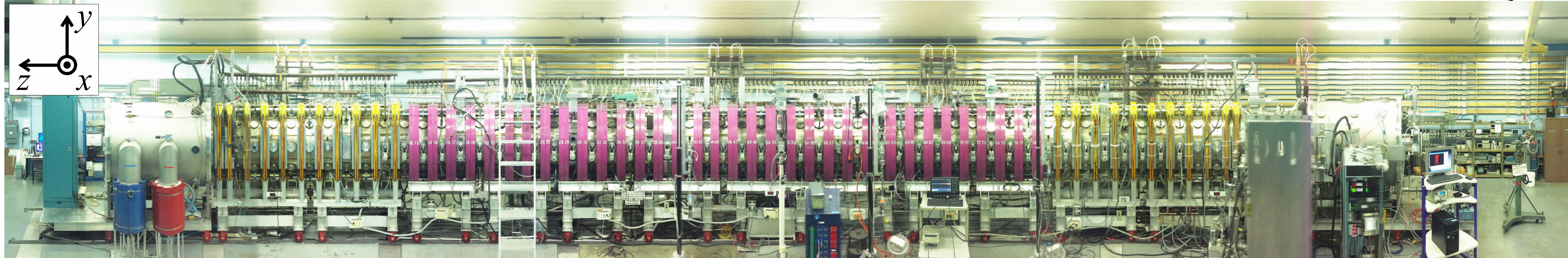
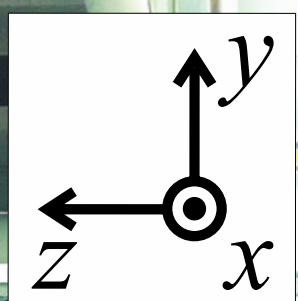
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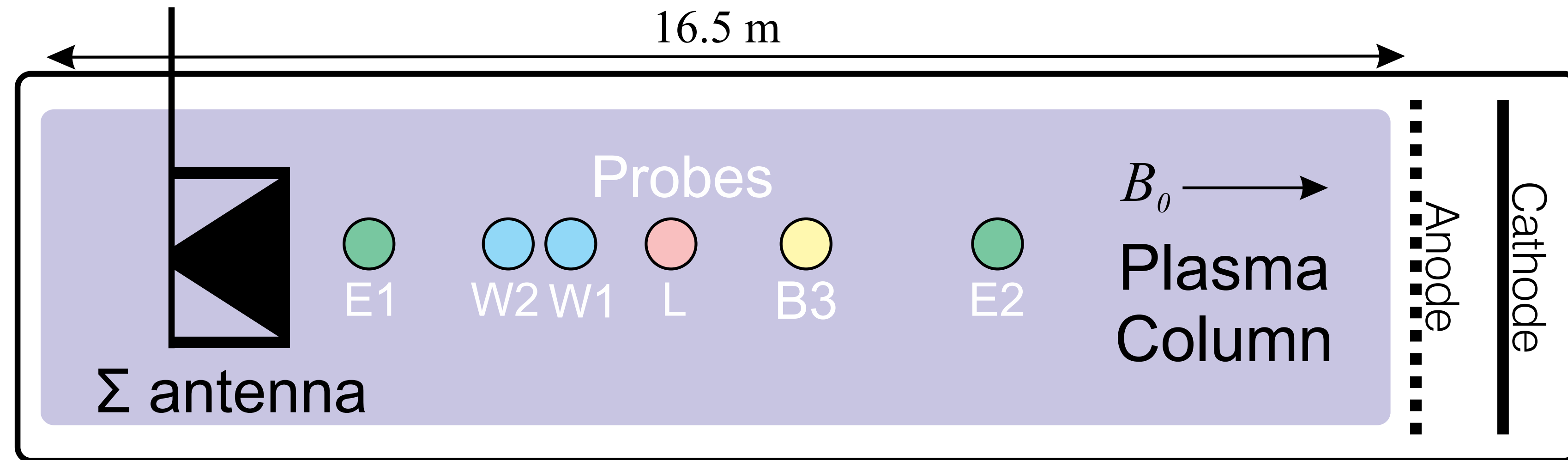
Inertial Alfvén waves
accelerate electrons
in tail of distribution

LAPD Experiments of Auroral Electron Acceleration

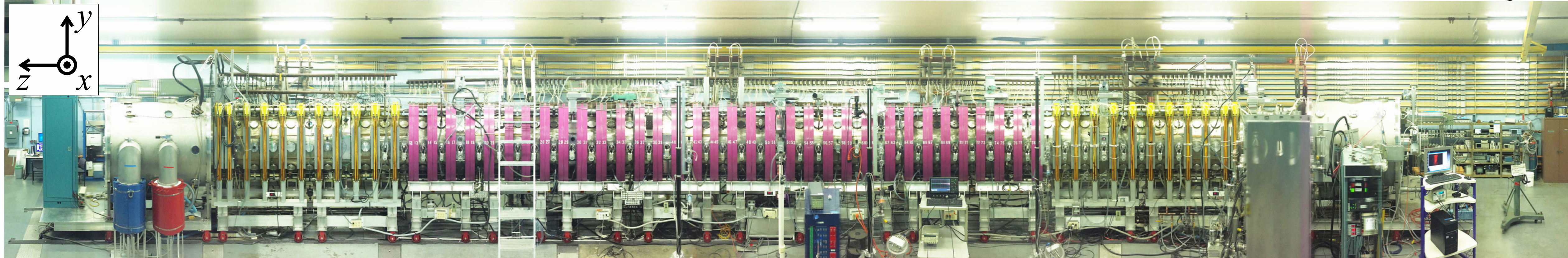
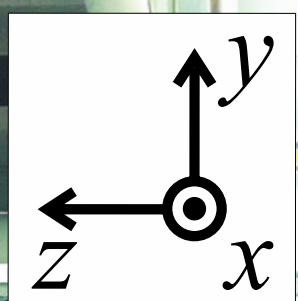


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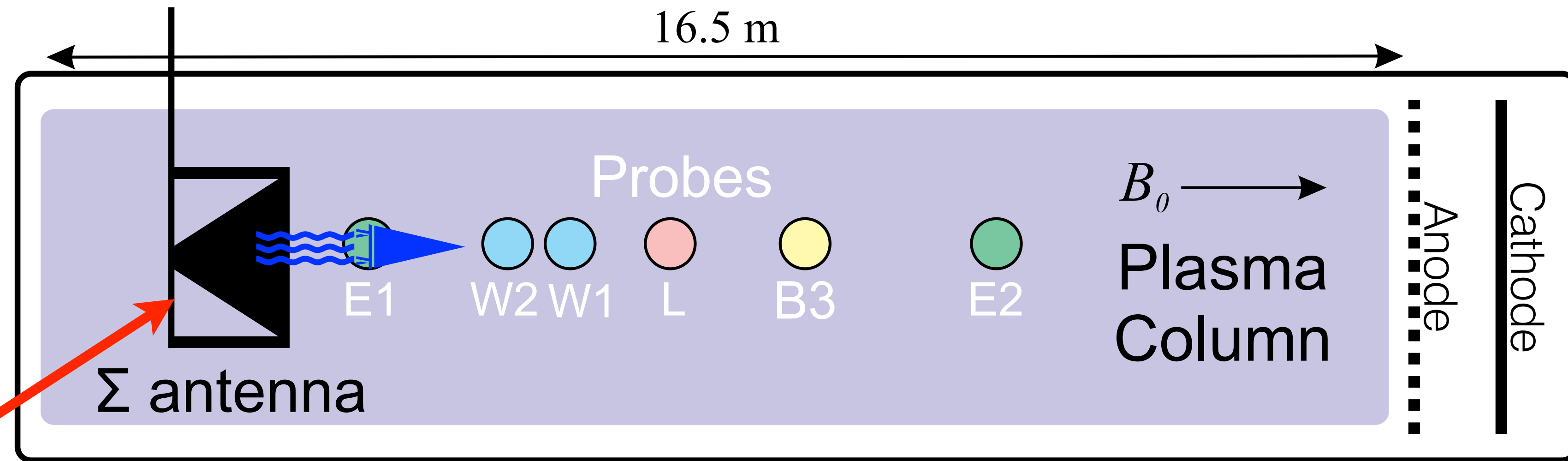
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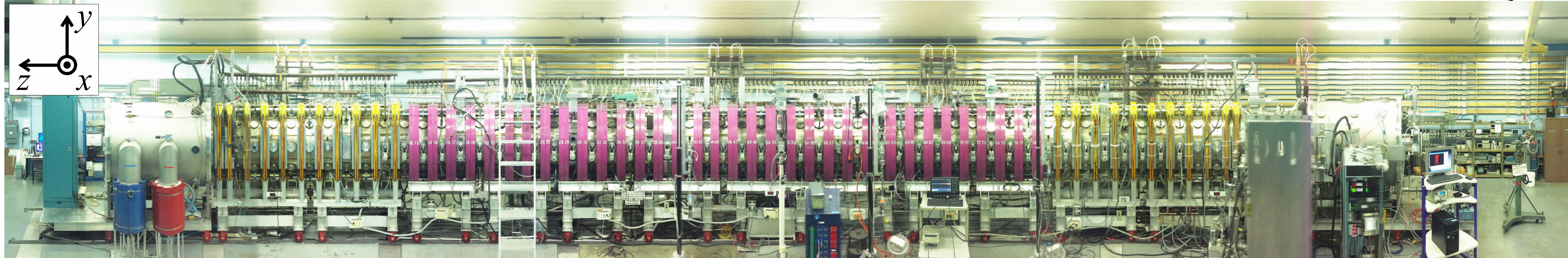
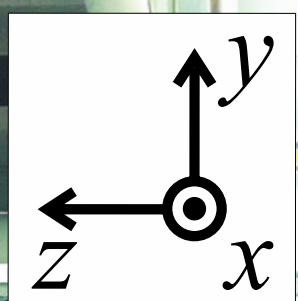
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Antenna

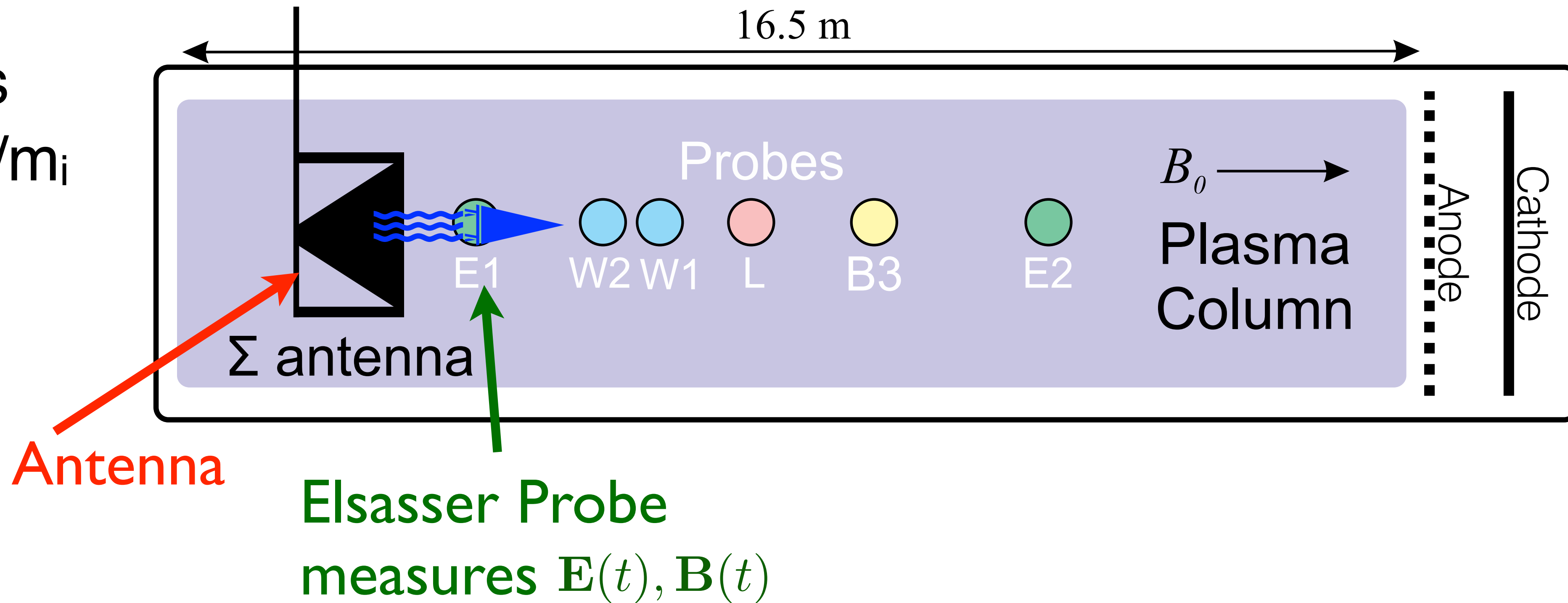


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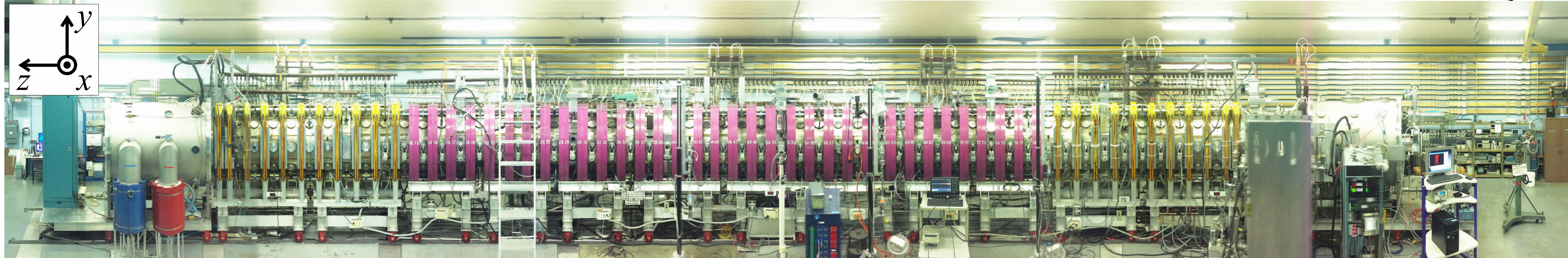
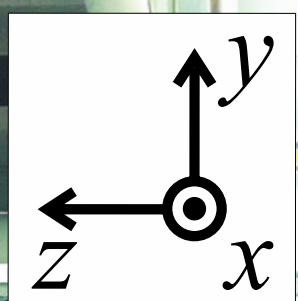


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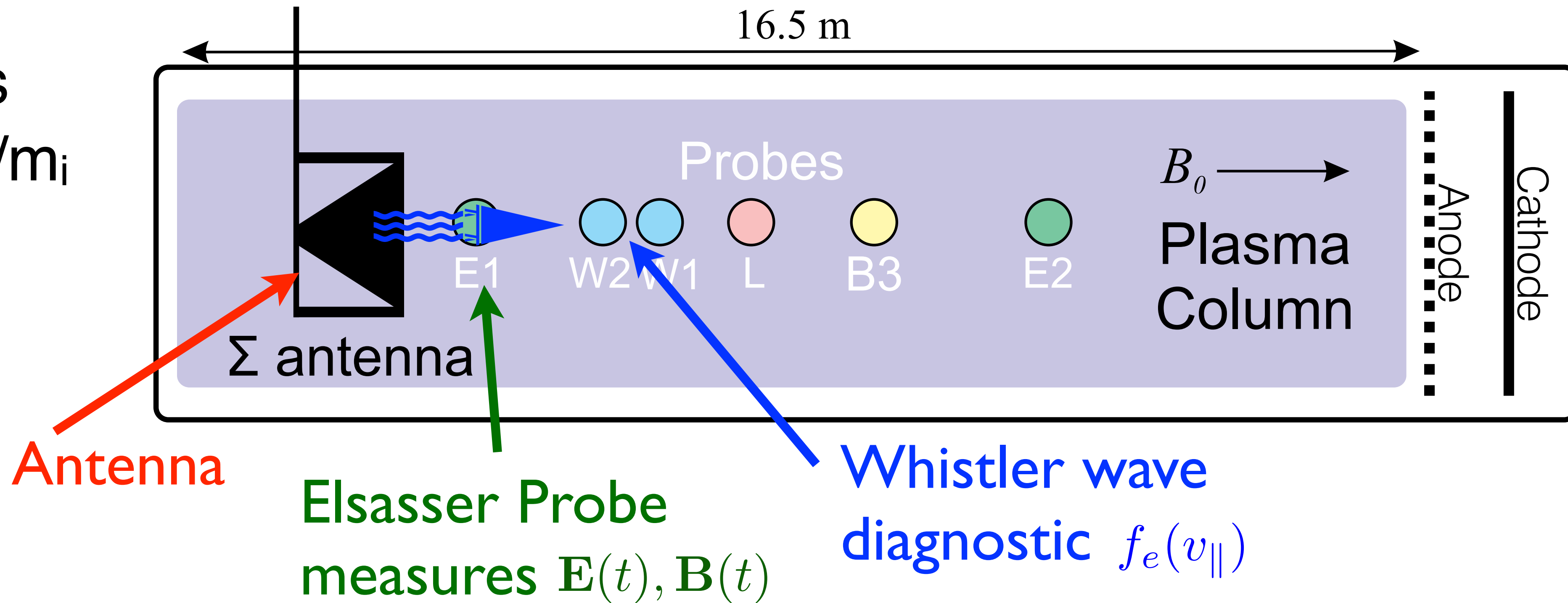


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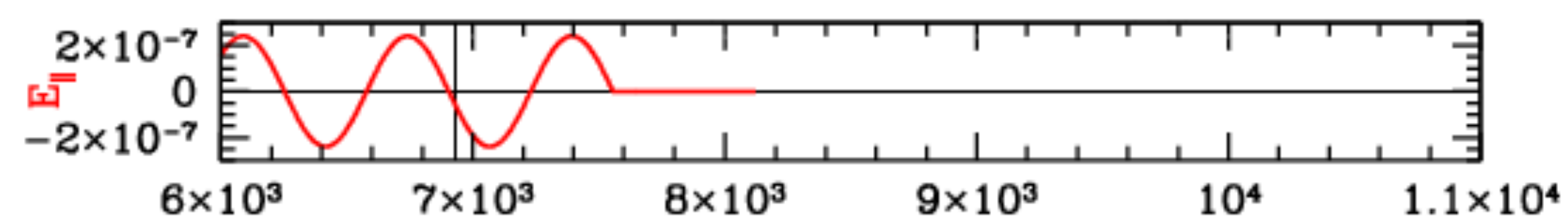


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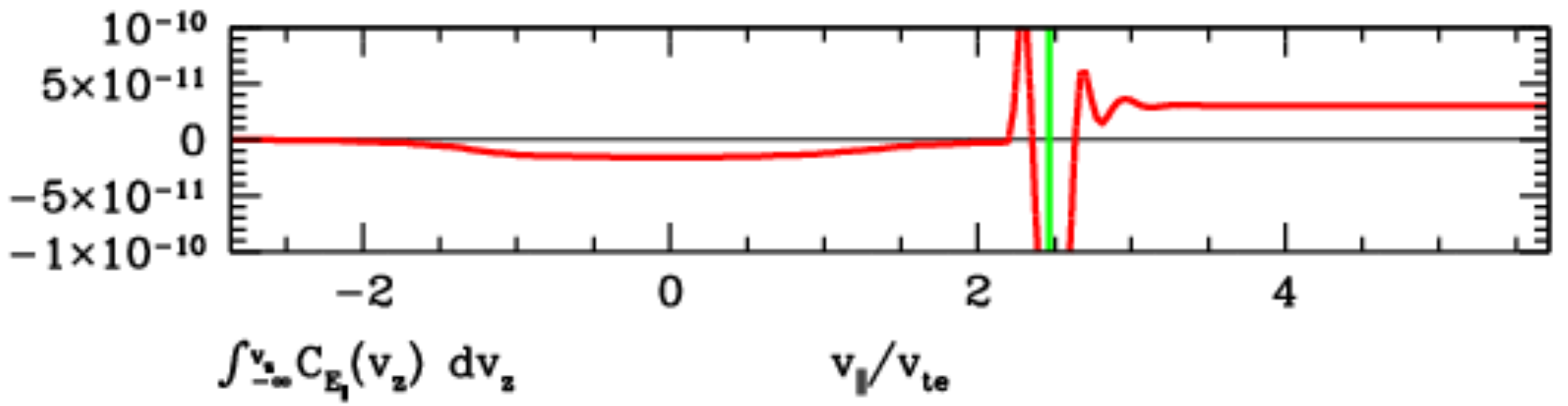
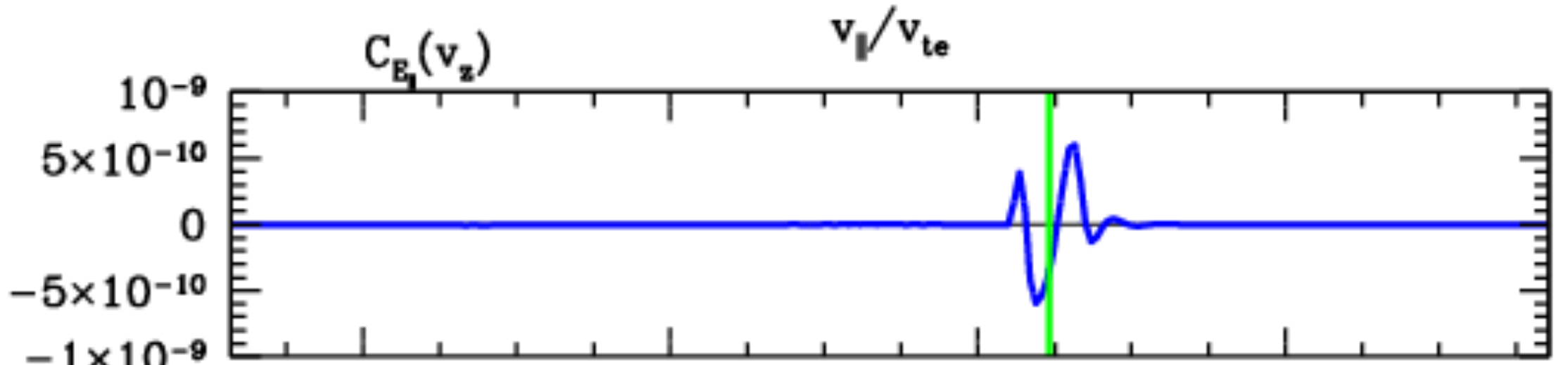
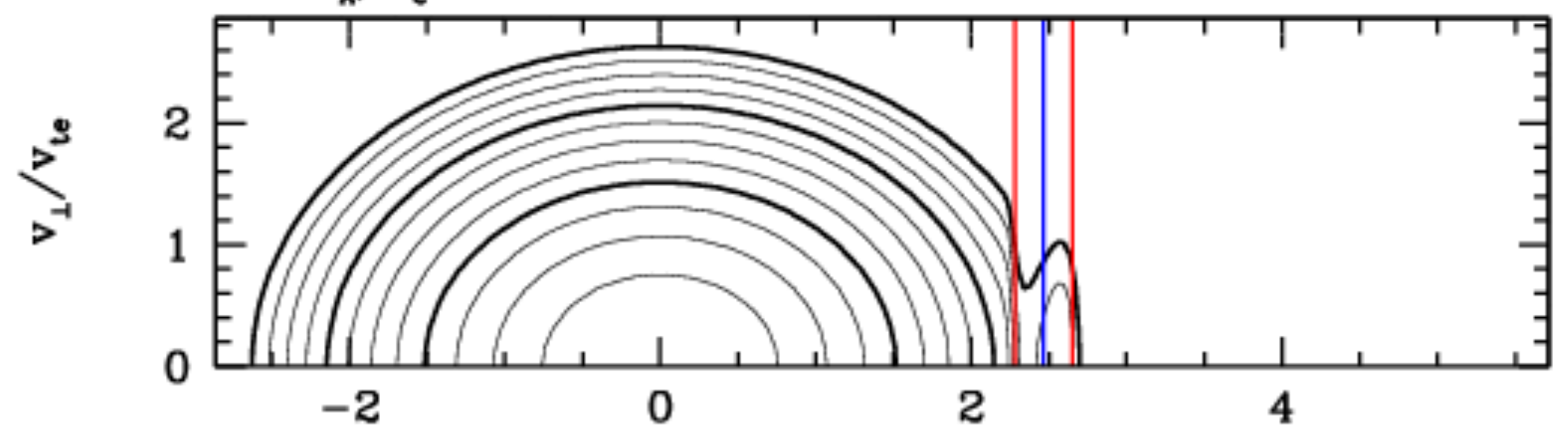
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Modeling Effect on Electron Distribution

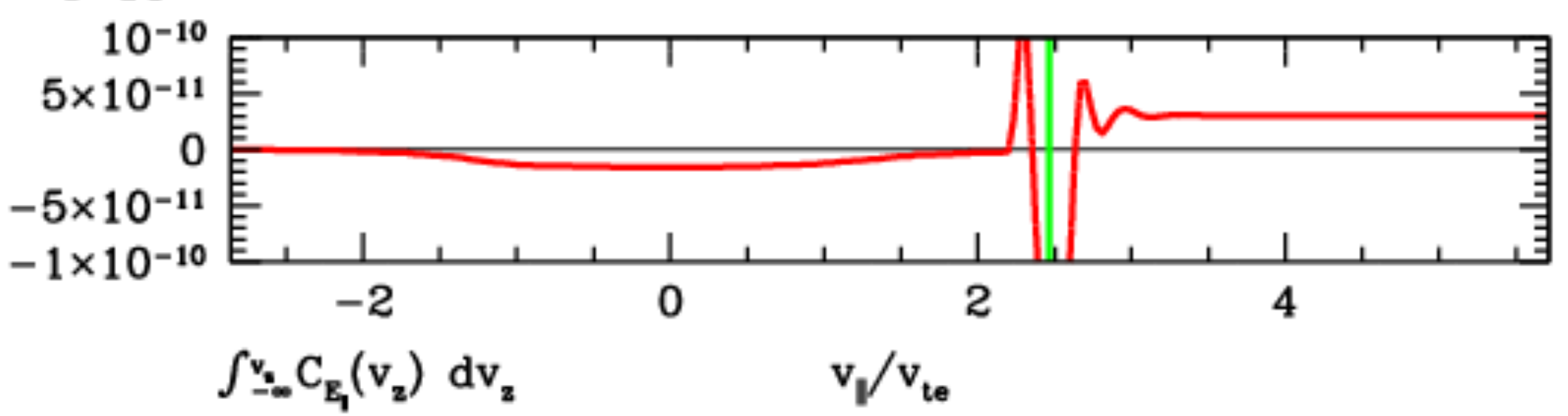
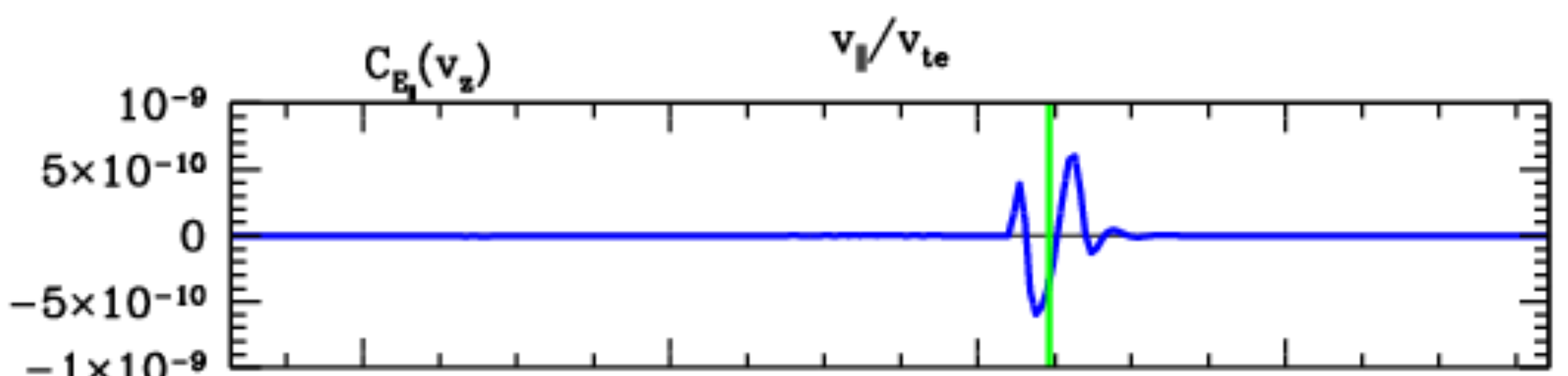
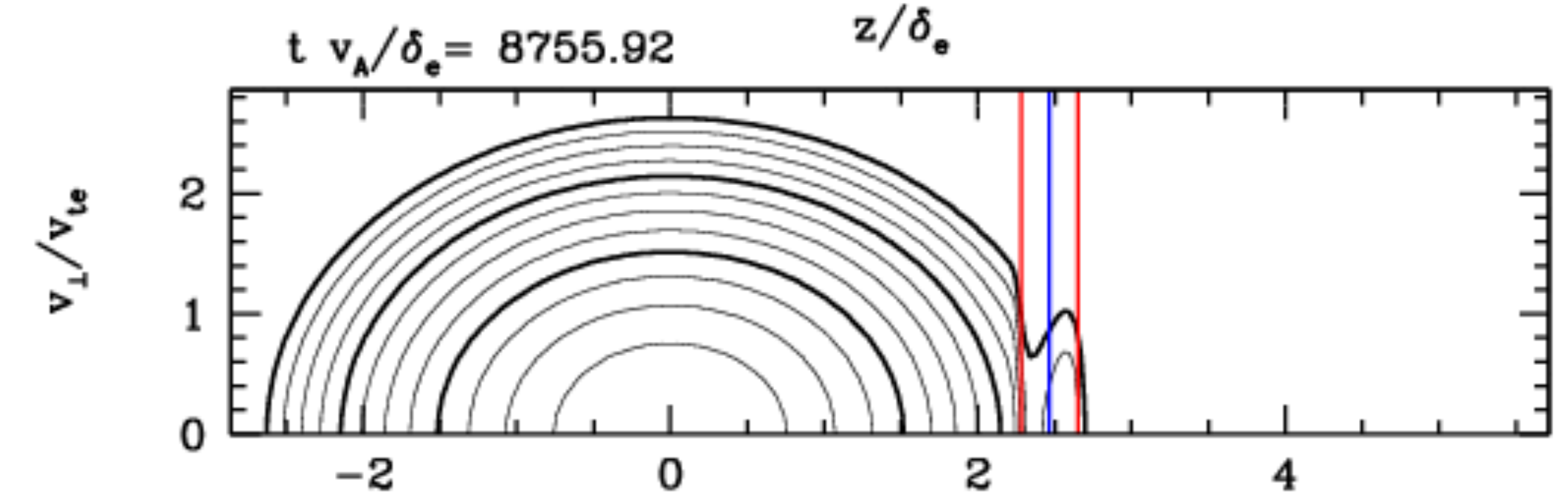
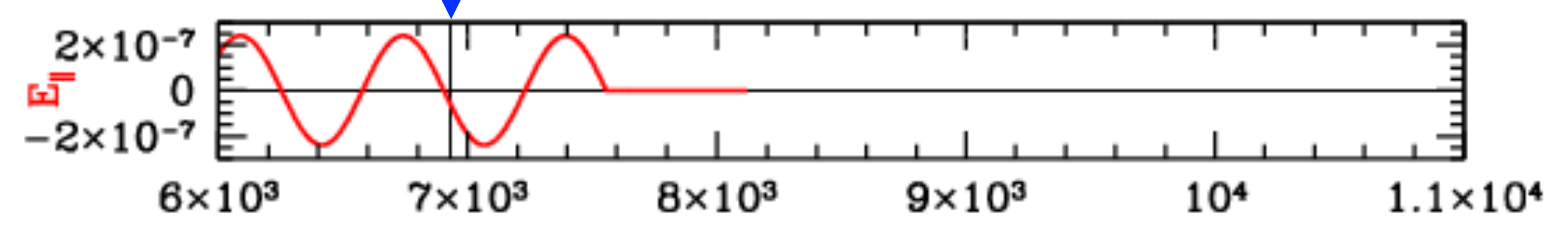


$t v_A / \delta_e = 8755.92$ z / δ_e



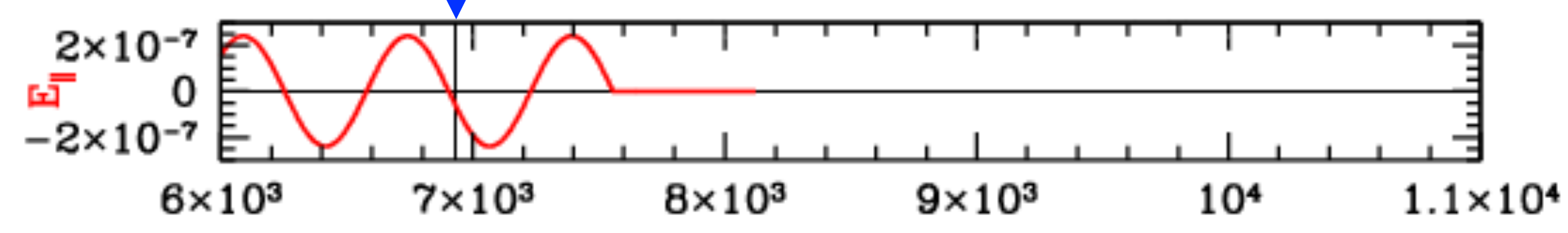
Modeling Effect on Electron Distribution

Point of Observation

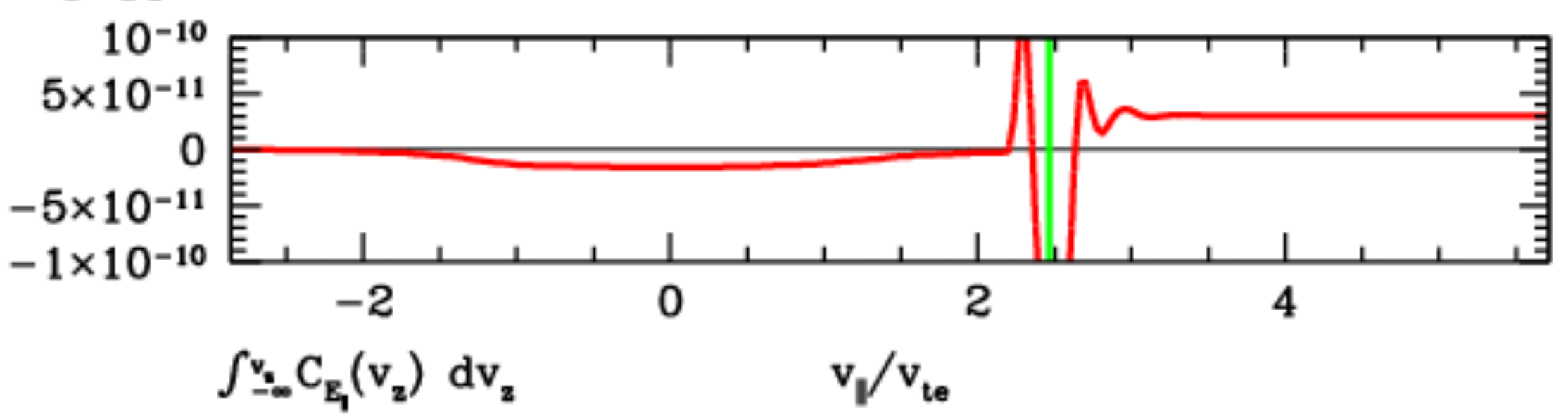
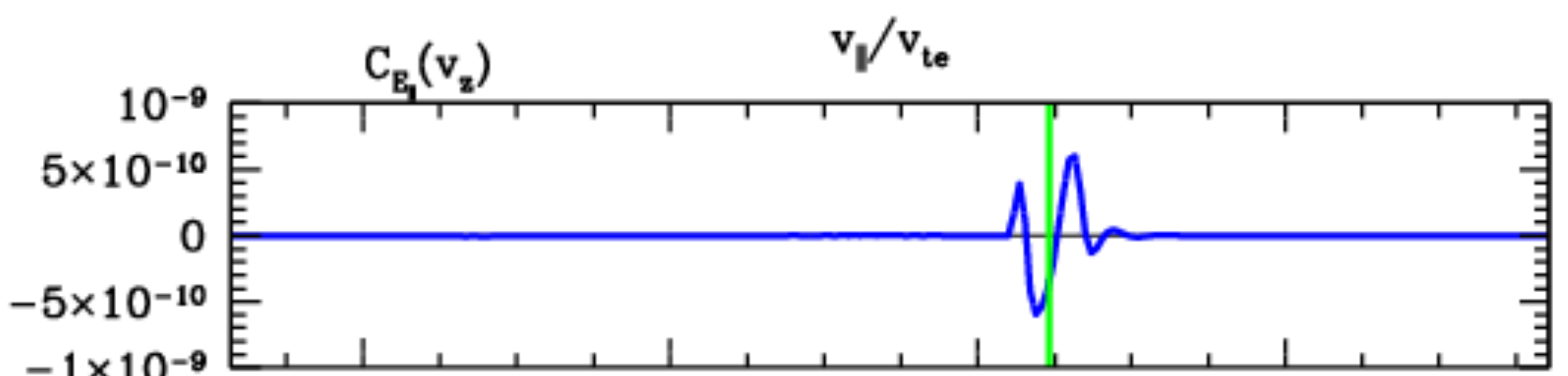
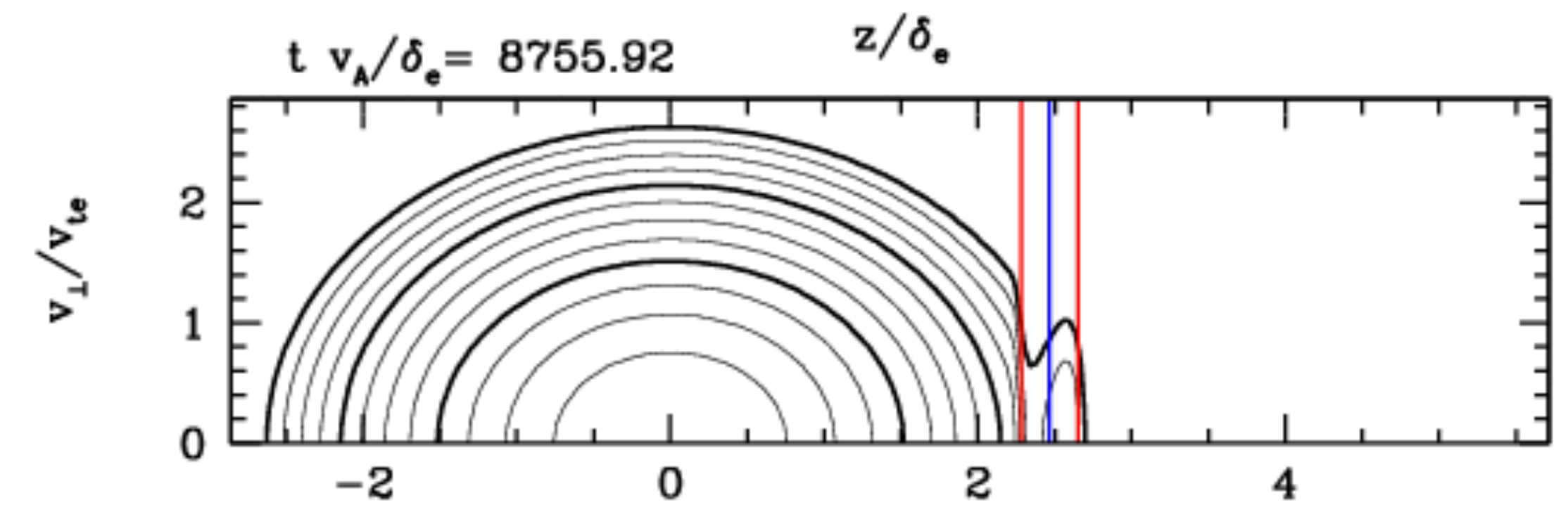


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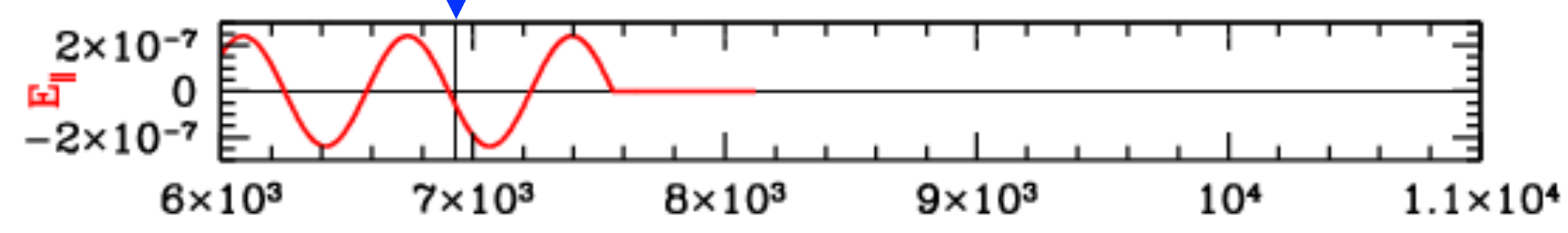


Parallel Electric Field of Alfvén Wave

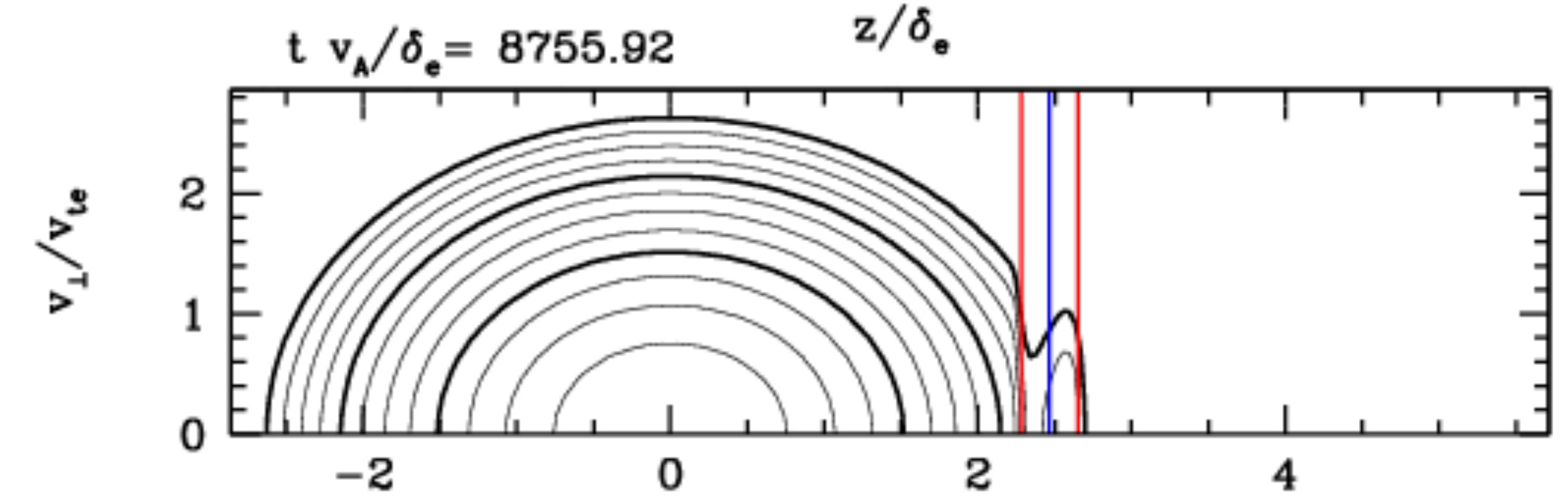


Modeling Effect on Electron Distribution

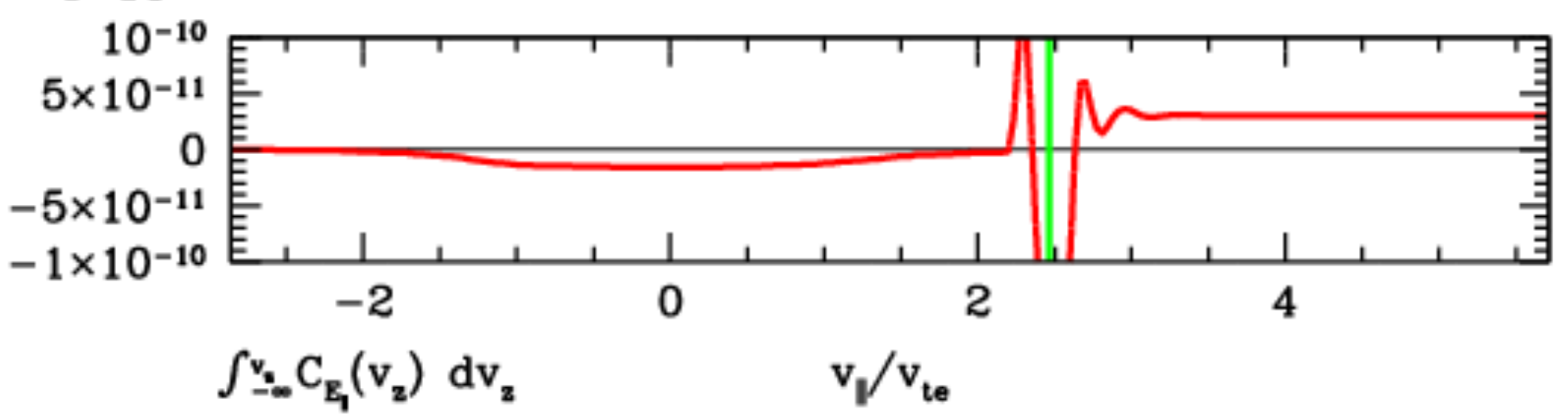
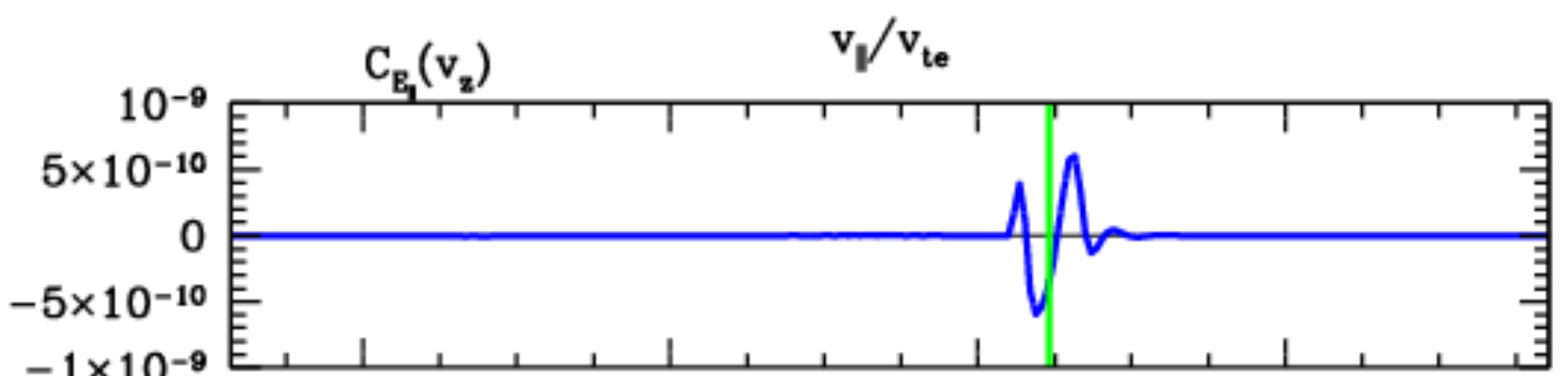
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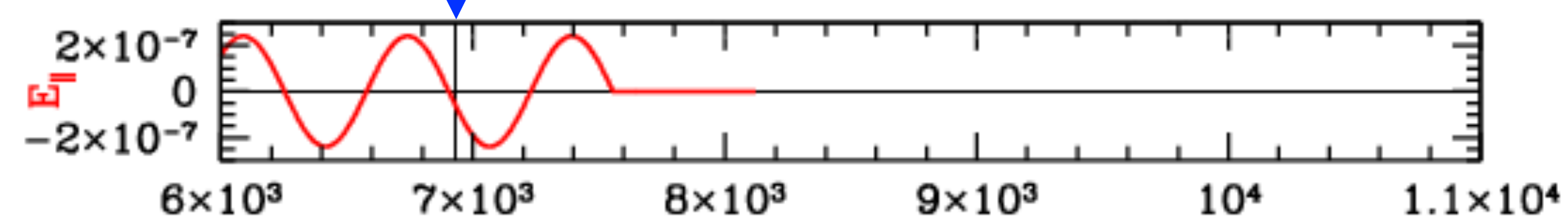


Gyrotropic Electron Distribution Function

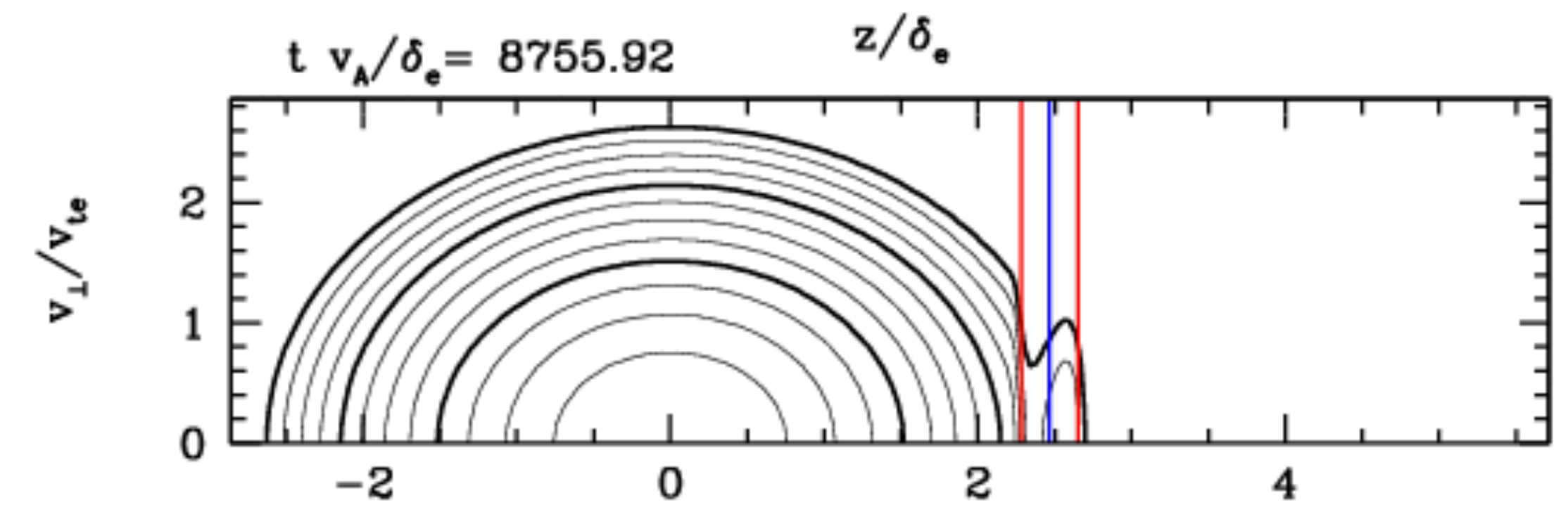


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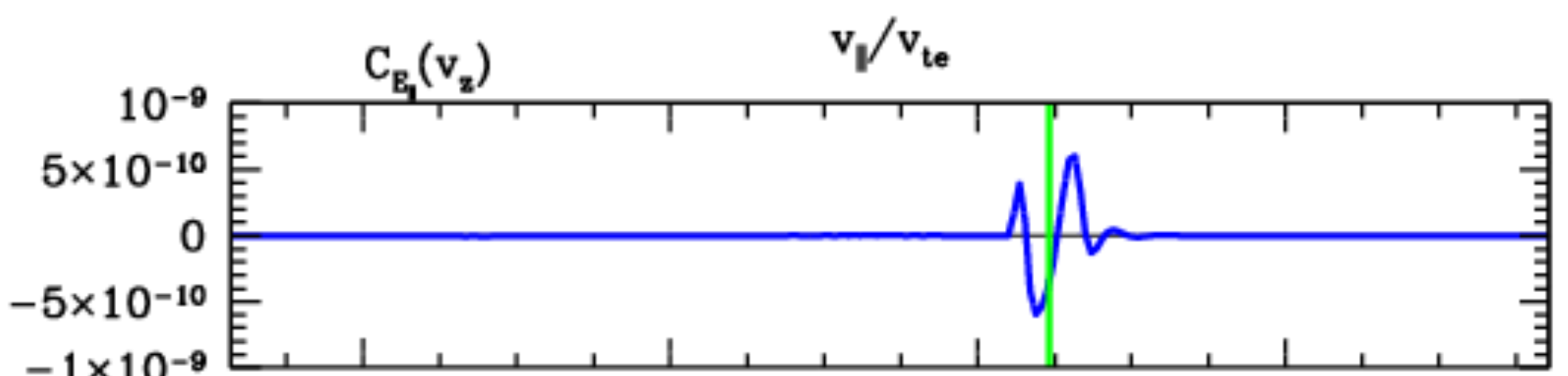
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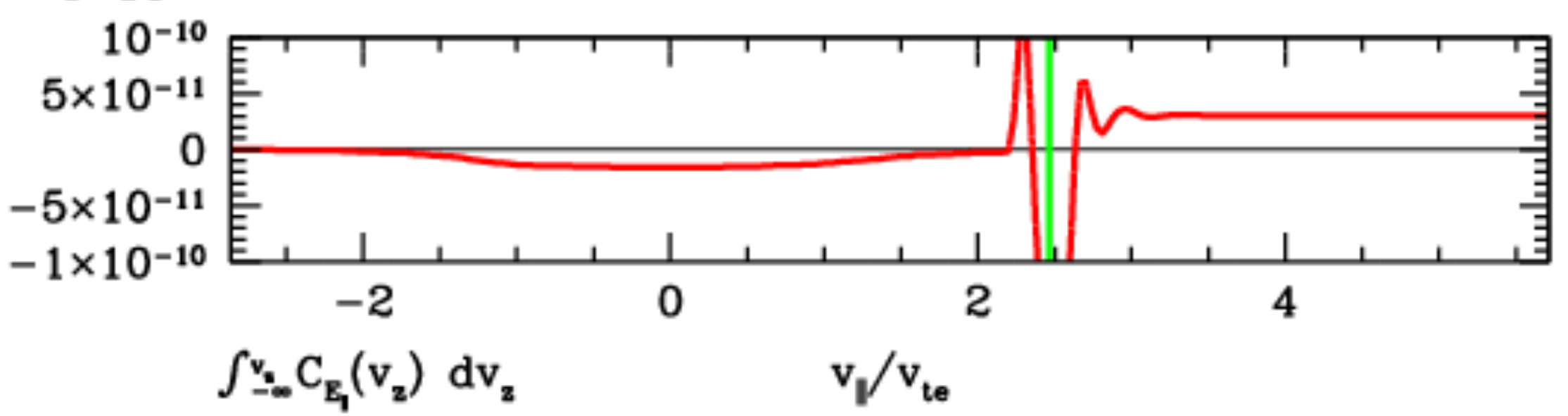
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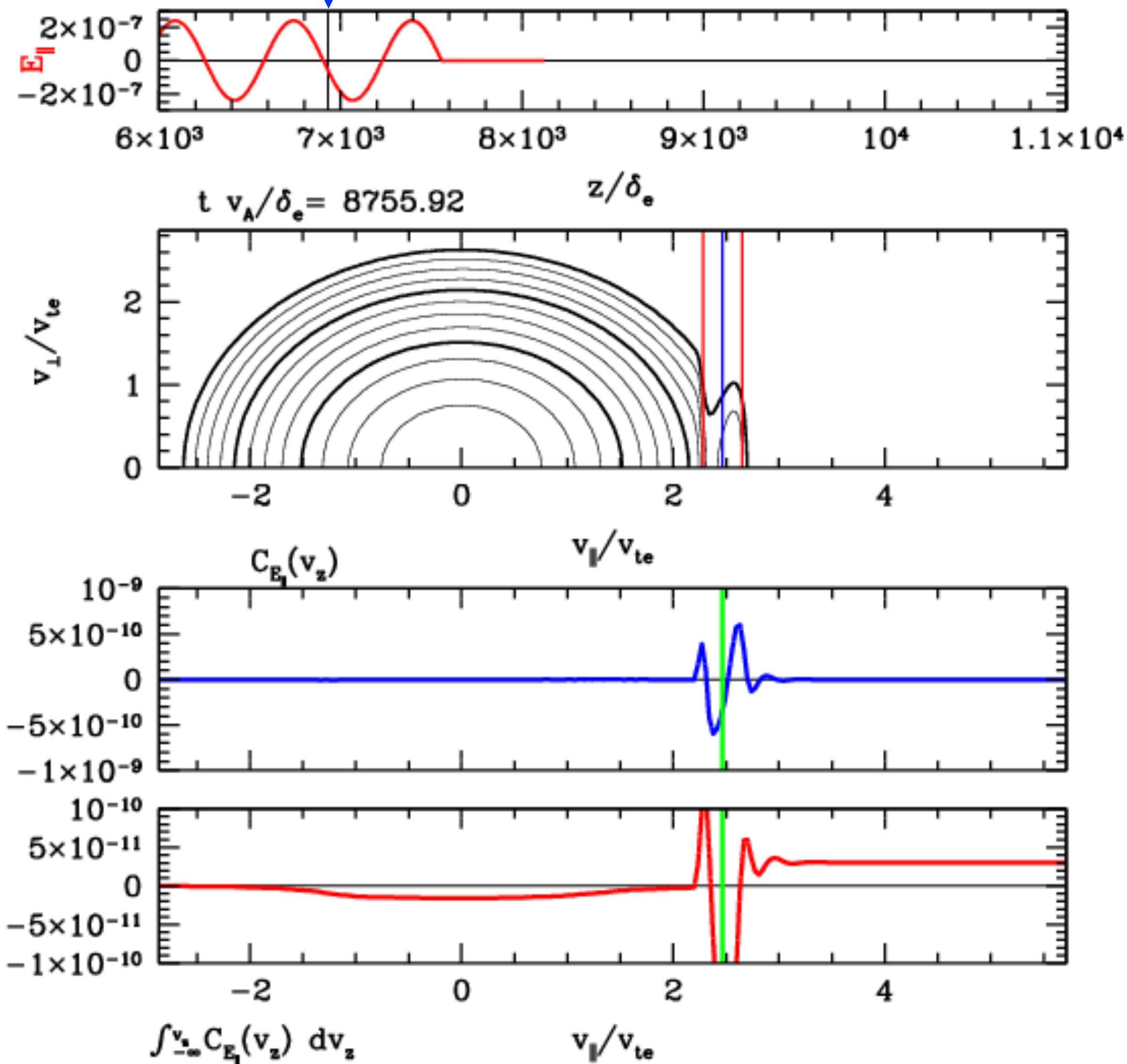


Parallel Field-Particle Correlation $C_{E_{\parallel}}$



Modeling Effect on Electron Distribution

Point of Observation



Parallel Electric Field of Alfvén Wave

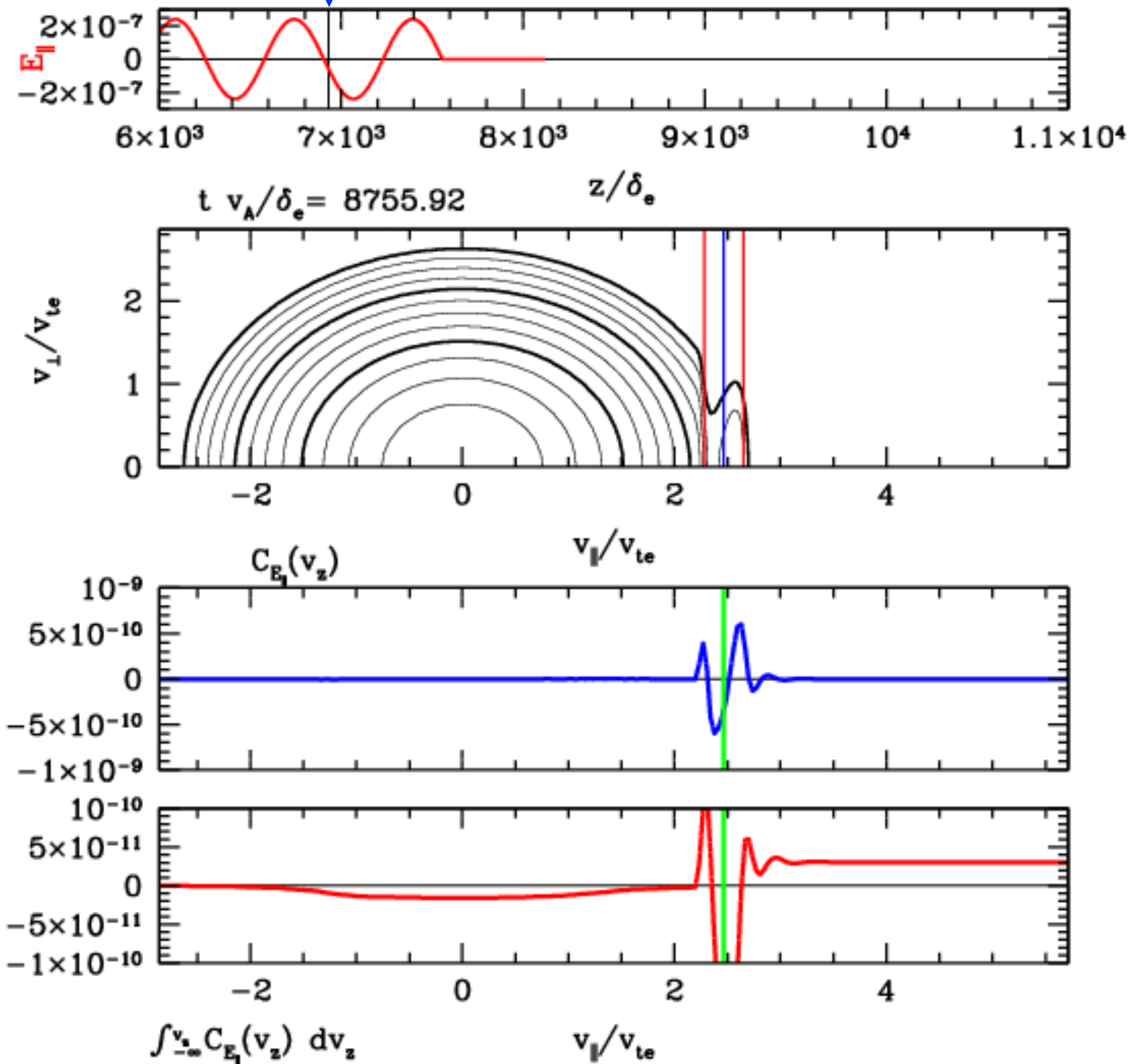
Gyrotropic Electron Distribution Function

Parallel Field-Particle Correlation $C_{E_{\parallel}}$

Velocity-Integrated Field-Particle Correlation $\int_{-\infty}^{v_{\parallel}} dv_{\parallel} C_{E_{\parallel}}$

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Parallel Electric Field of Alfvén Wave

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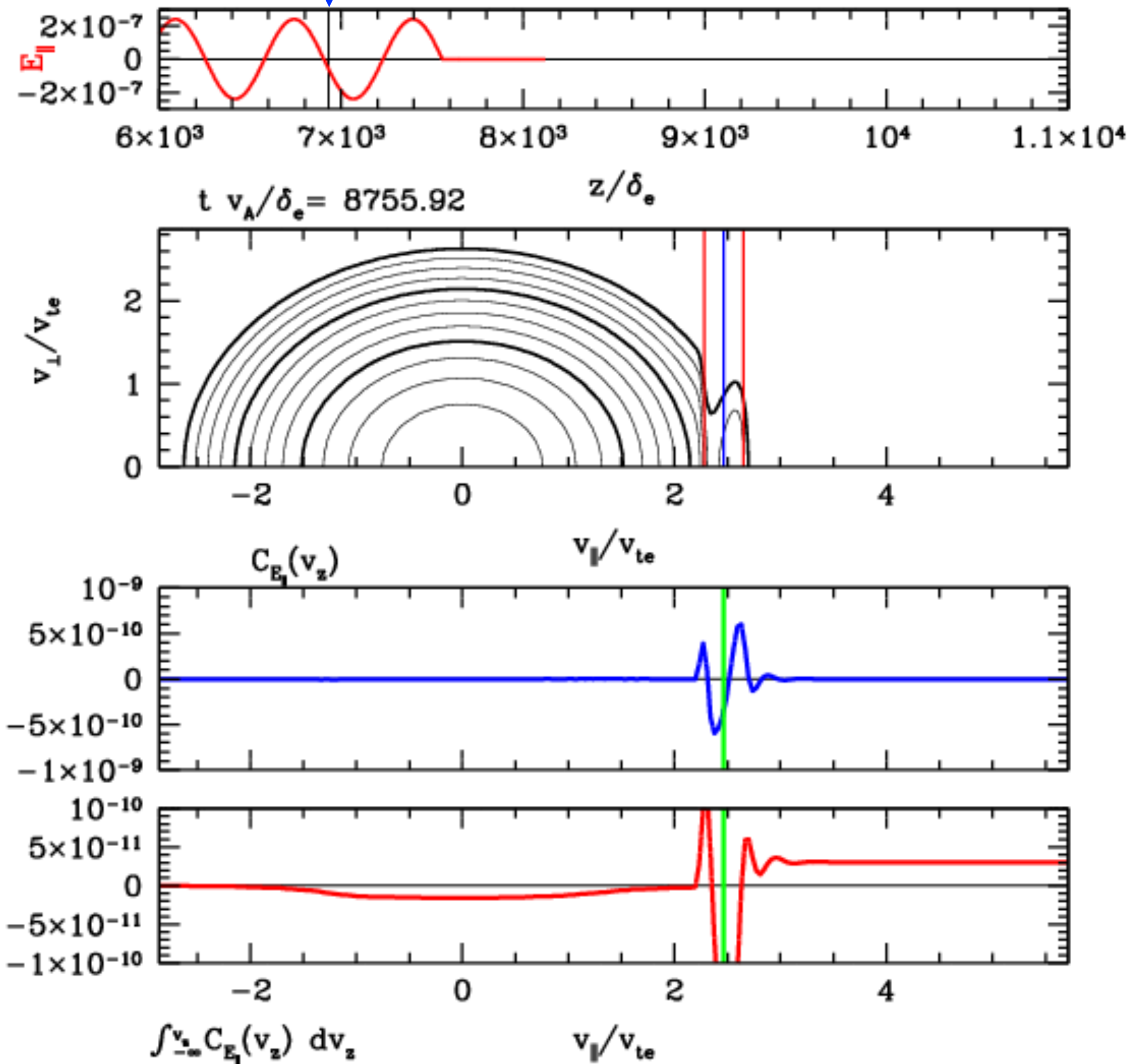
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Net Rate of Electron Energization

Modeling Effect on Electron Distribution

Point of Observation



Parallel Electric Field of Alfvén Wave

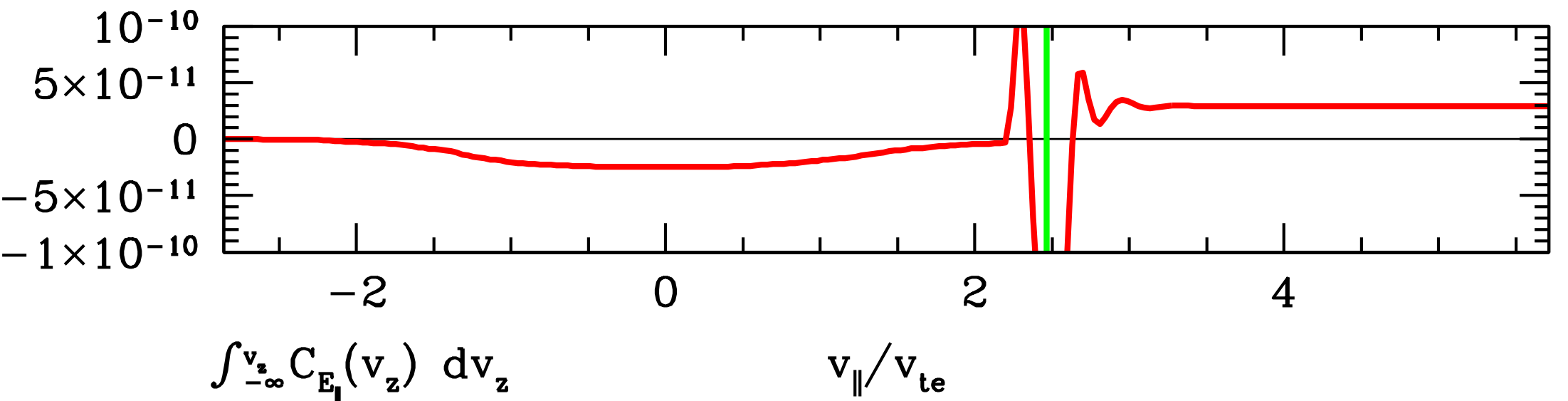
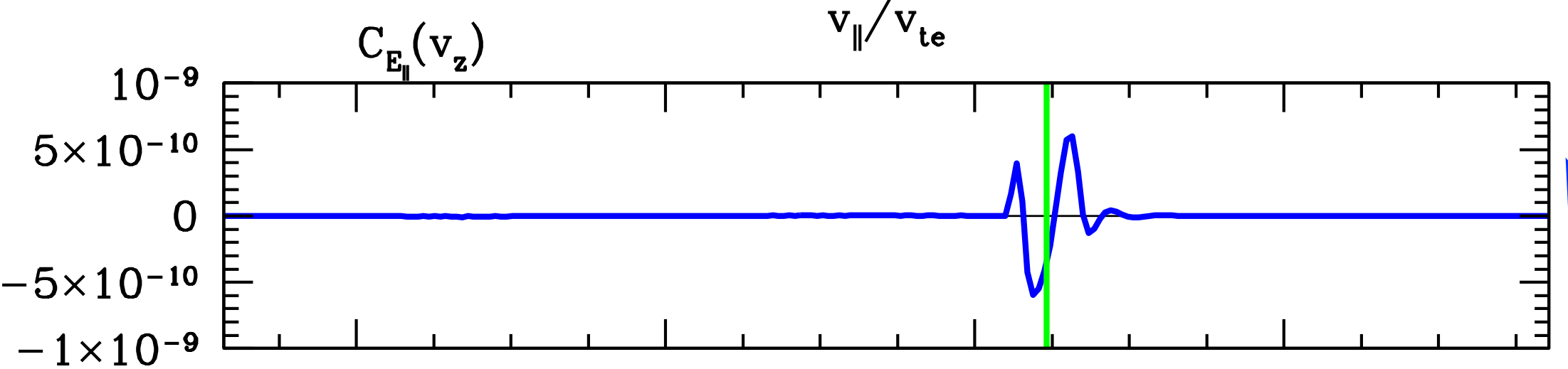
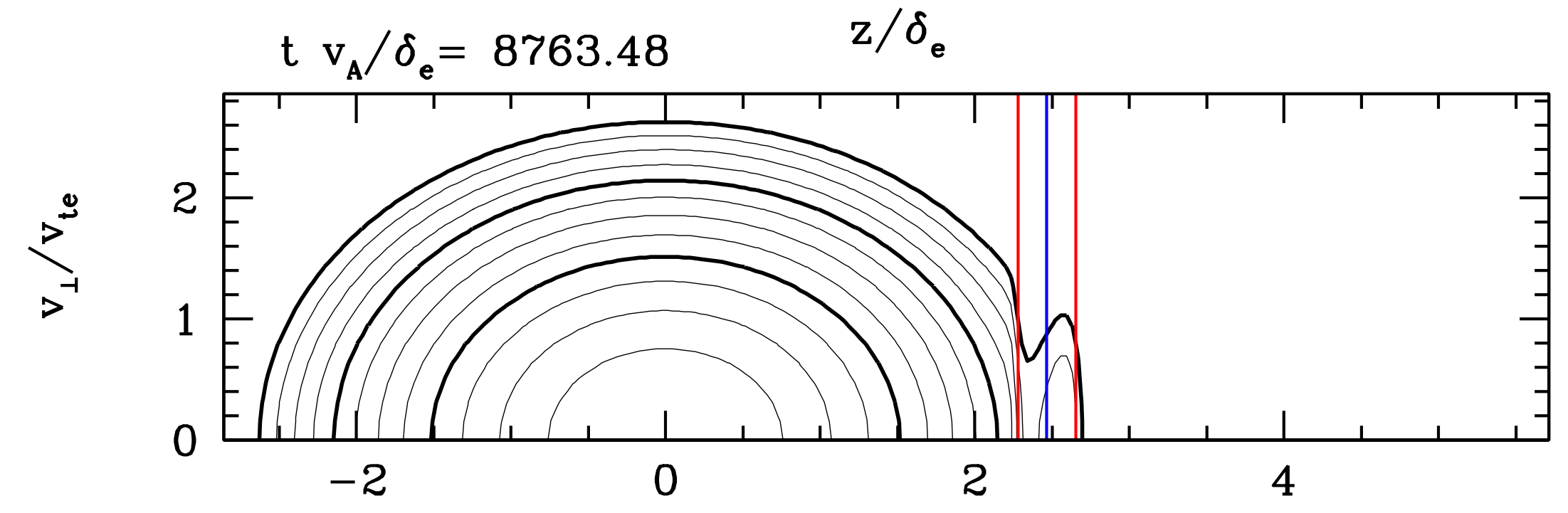
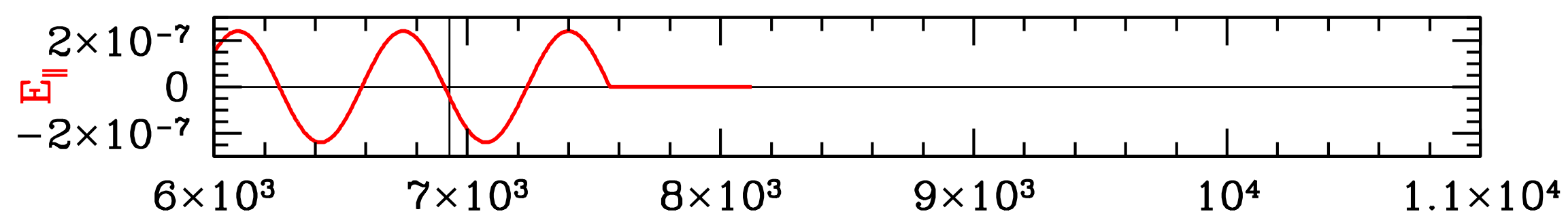
Gyrotropic Electron Distribution Function

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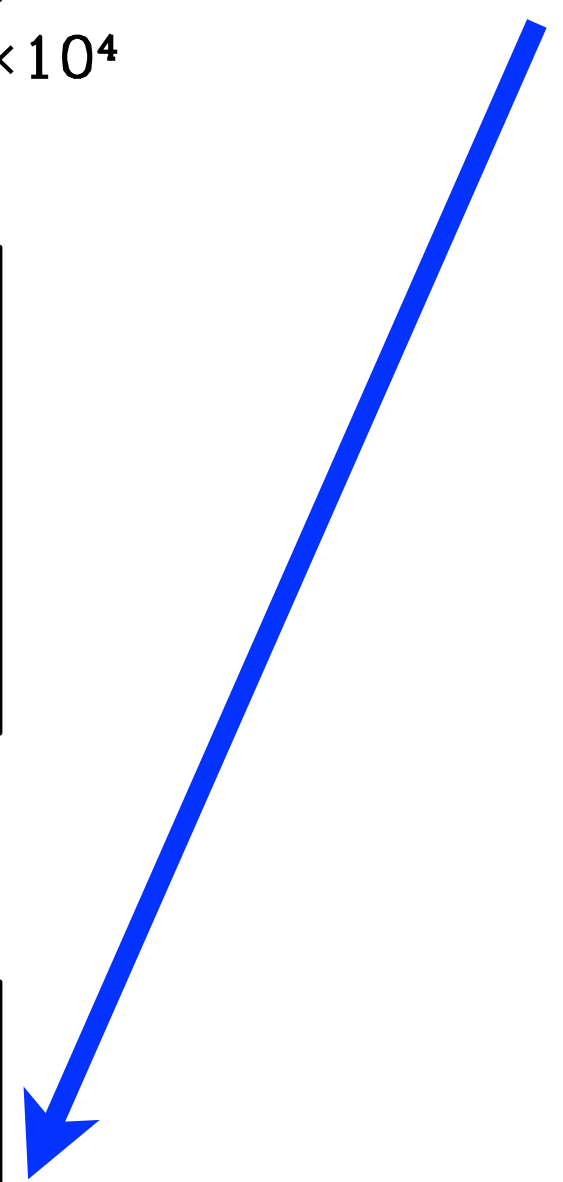
Velocity-Integrated Field-Particle Correlation $\int_{-\infty}^{v_{\parallel}} dv_{\parallel} C_{E_{\parallel}}$

Net Rate of Electron Energization

Modeling Effect on Electron Distribution



Field-Particle Correlation $C_{E_{\parallel}}$
Velocity-space signature shows zero crossing at resonant velocity



Outline

- The Flow of Energy and Particle Energization in Astrophysical Plasmas
- Kinetic Theory of Particle Energization
 - Field-Particle Correlation Technique
- Distinguishing Energization Mechanisms
- Application: Experiments of Auroral Electron Acceleration
- Other Applications: Magnetic Reconnection and Collisionless Shocks
- Conclusions

Collisionless Magnetic Reconnection

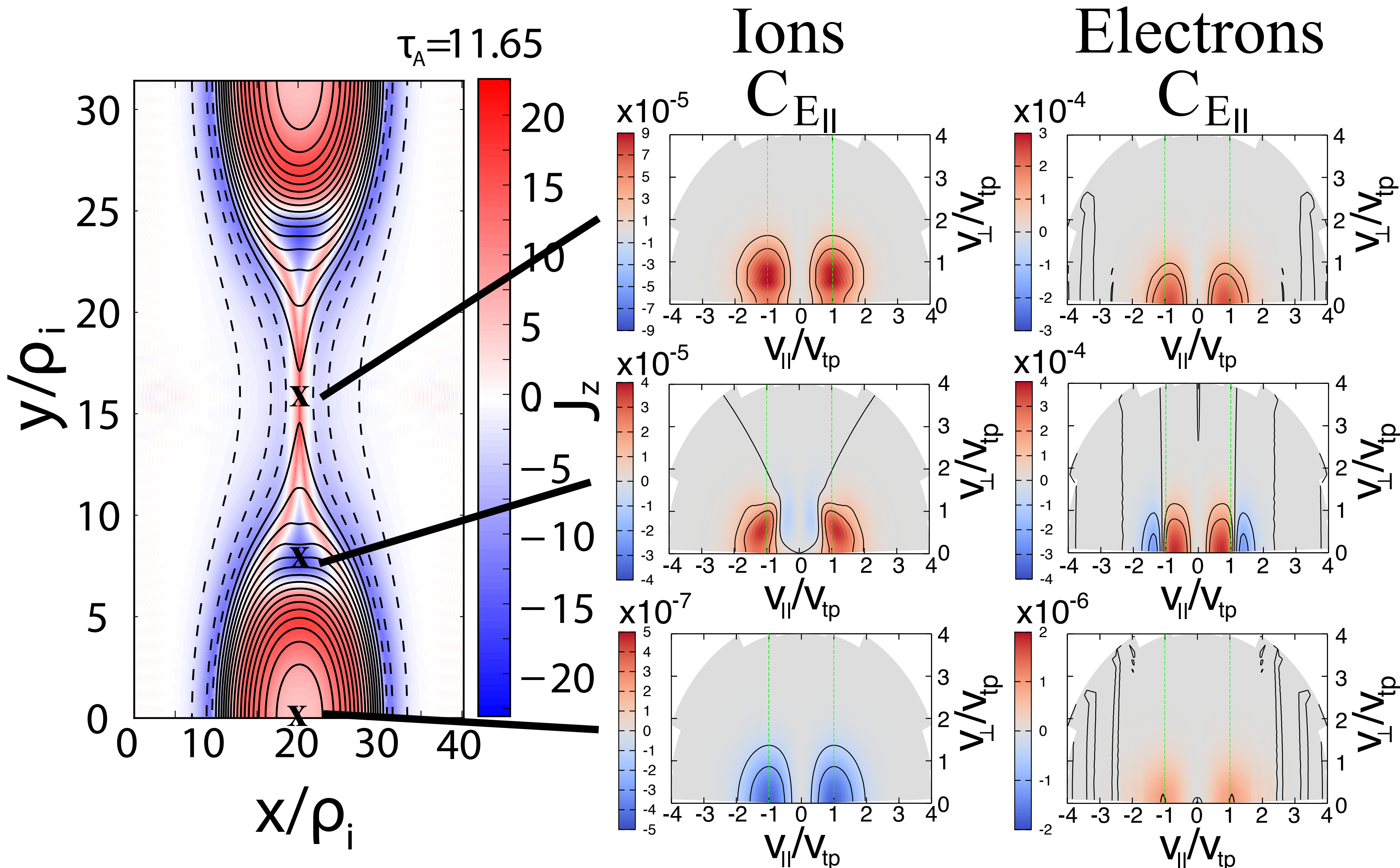
Force-free current sheet reconnection simulation (strong guide-field limit)

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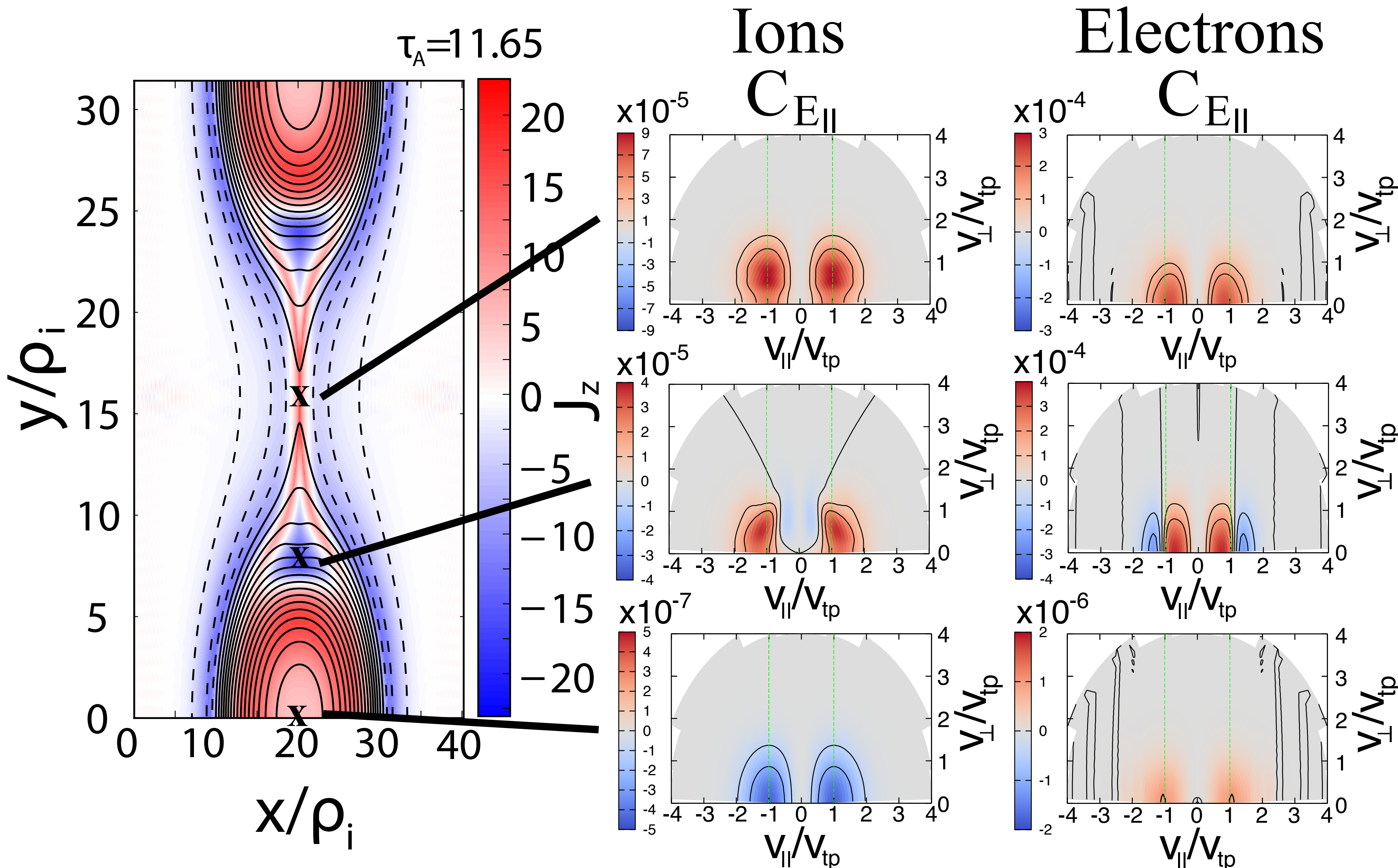
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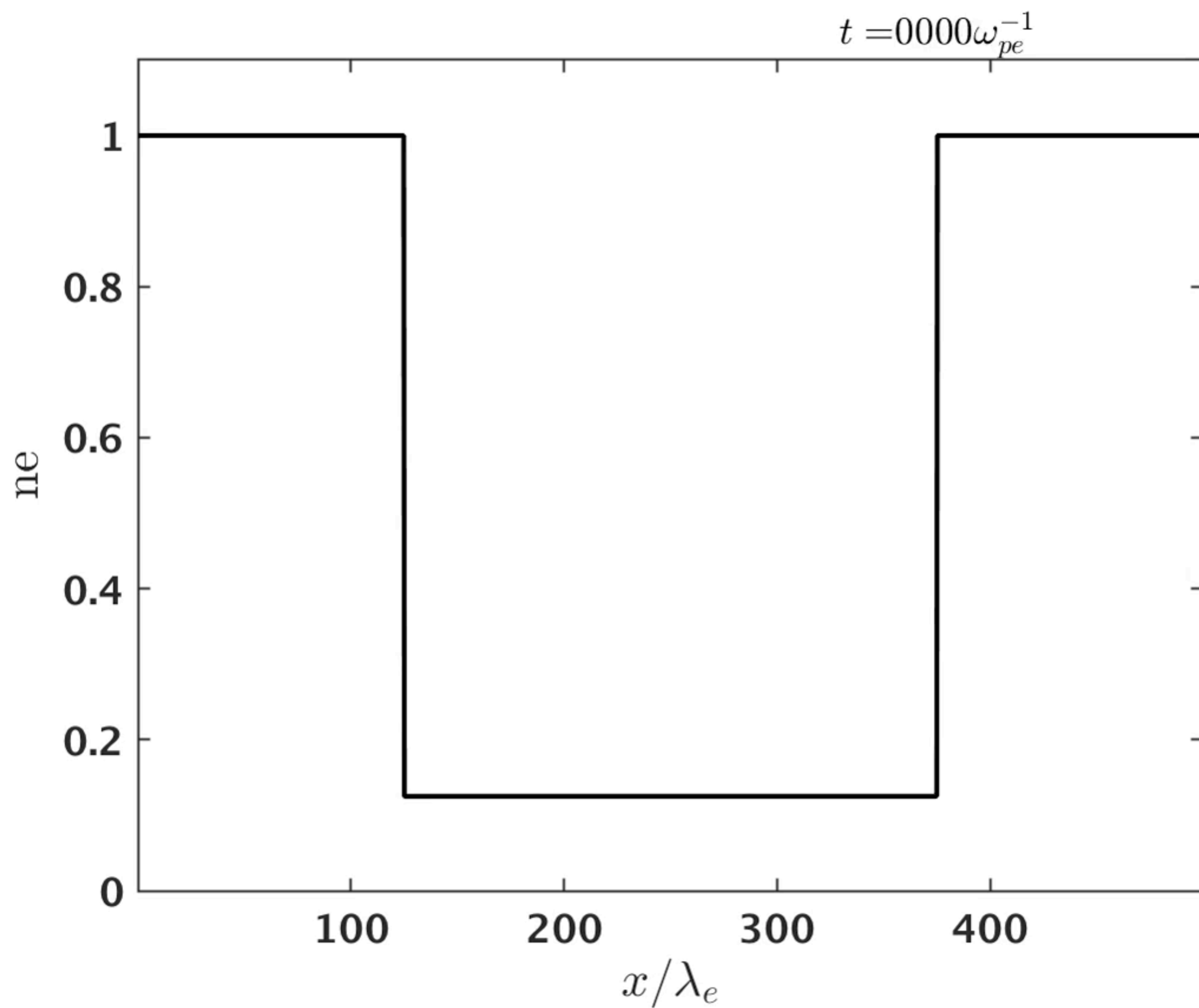


Velocity-space signature
of particle energization
depends on **position**
within reconnection
geometry

Collisionless Shocks

Vlasov (Gkeyll) simulation of collisionless electrostatic Sod shock problem

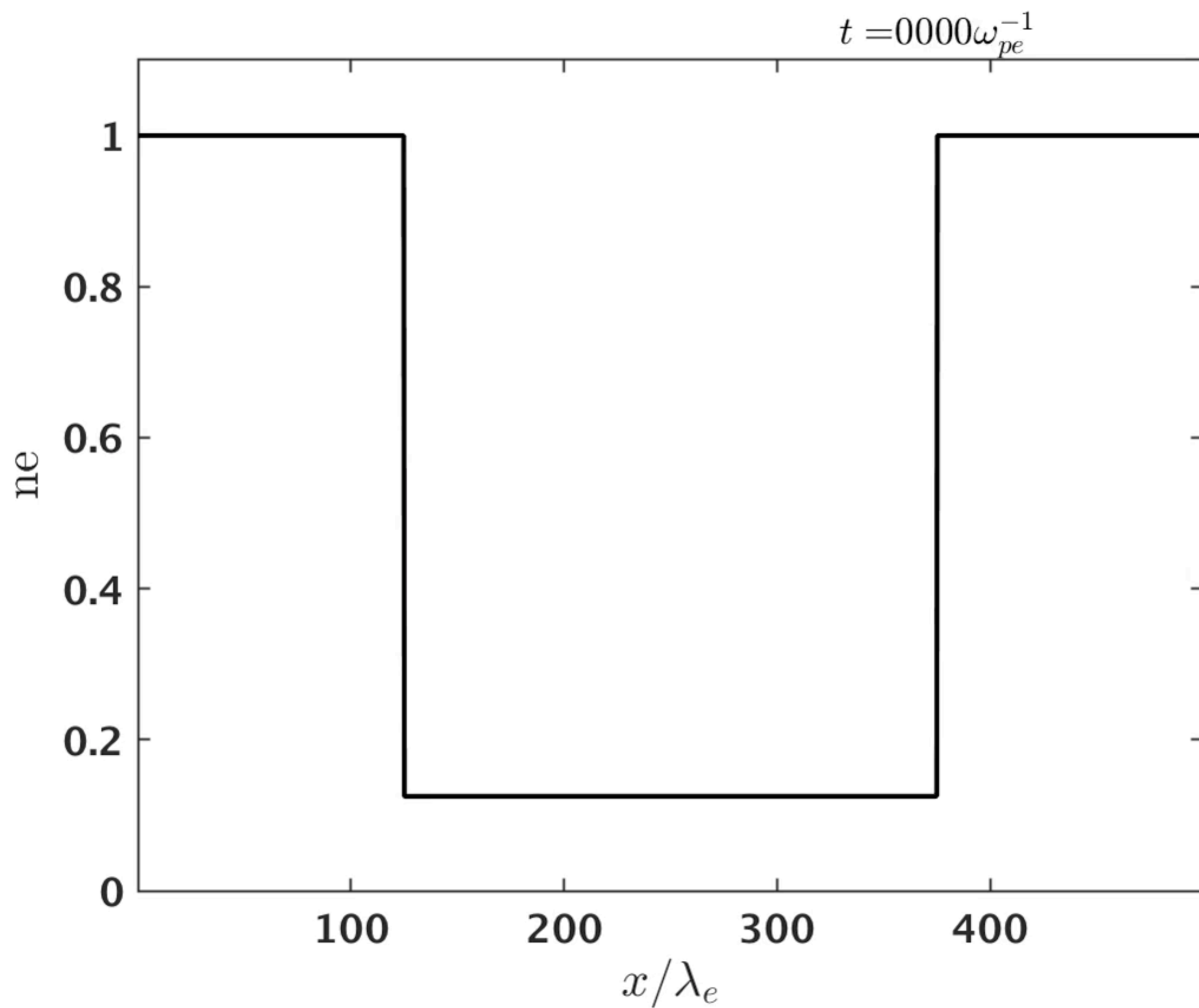
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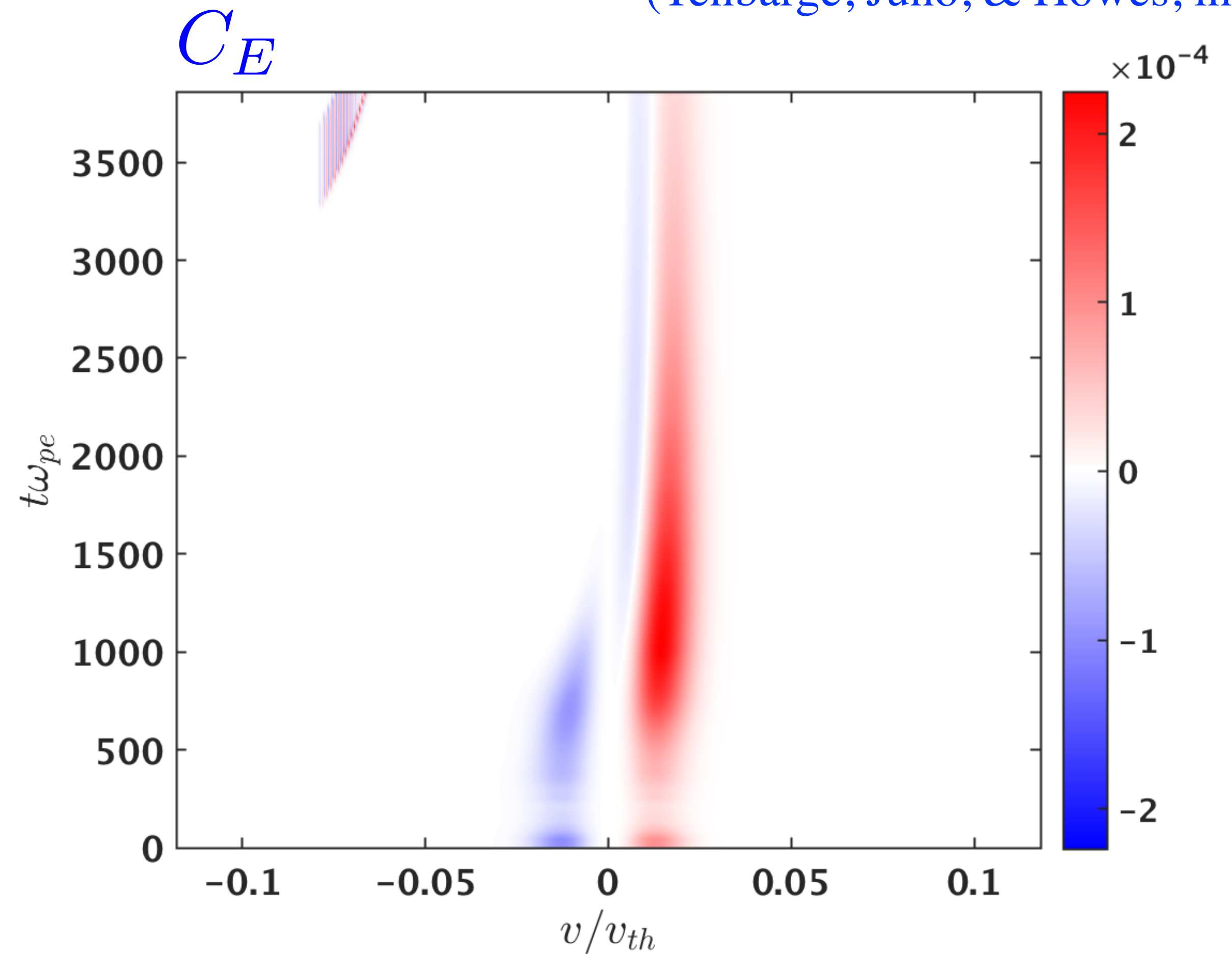
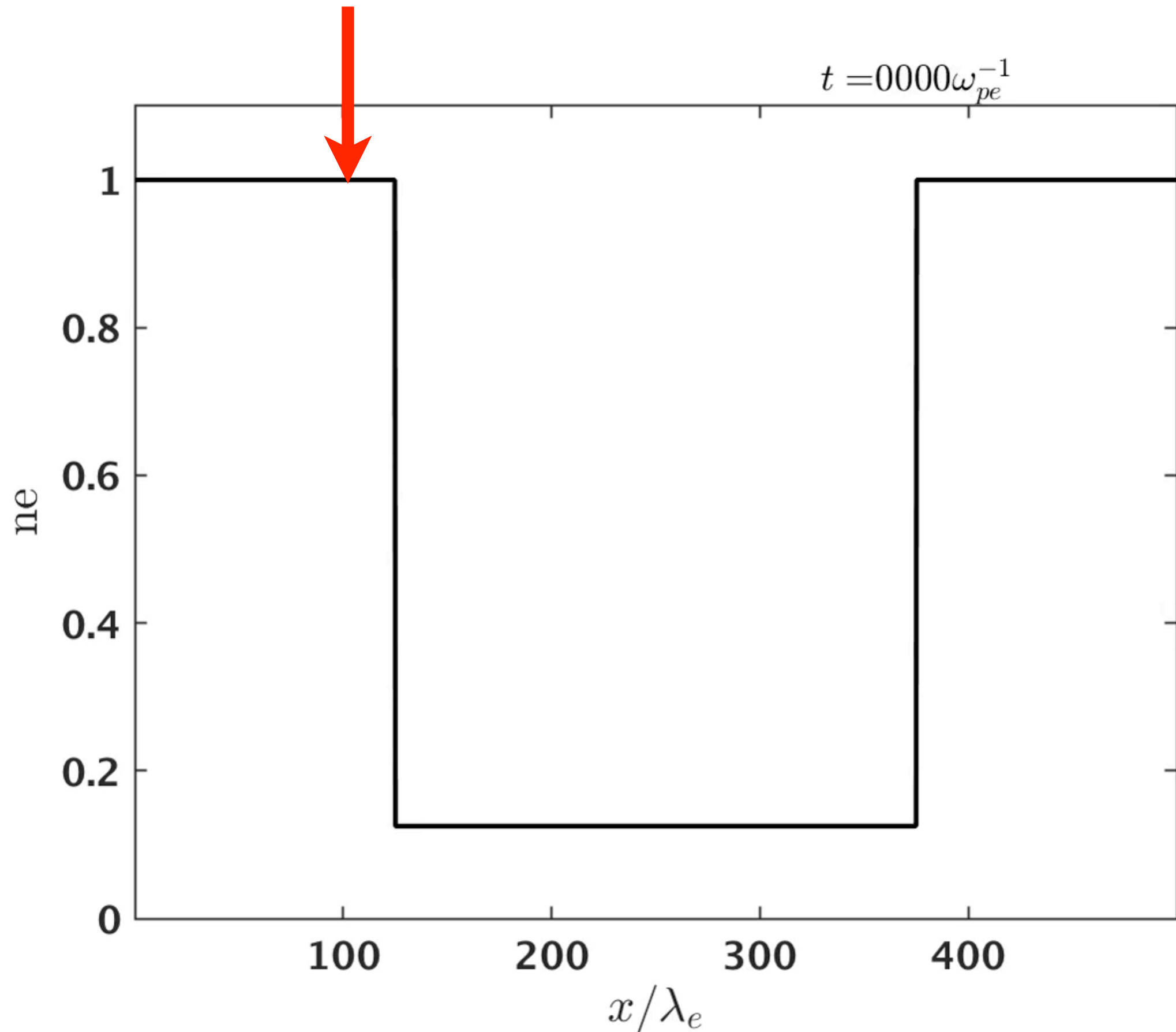


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Explore ion energization here

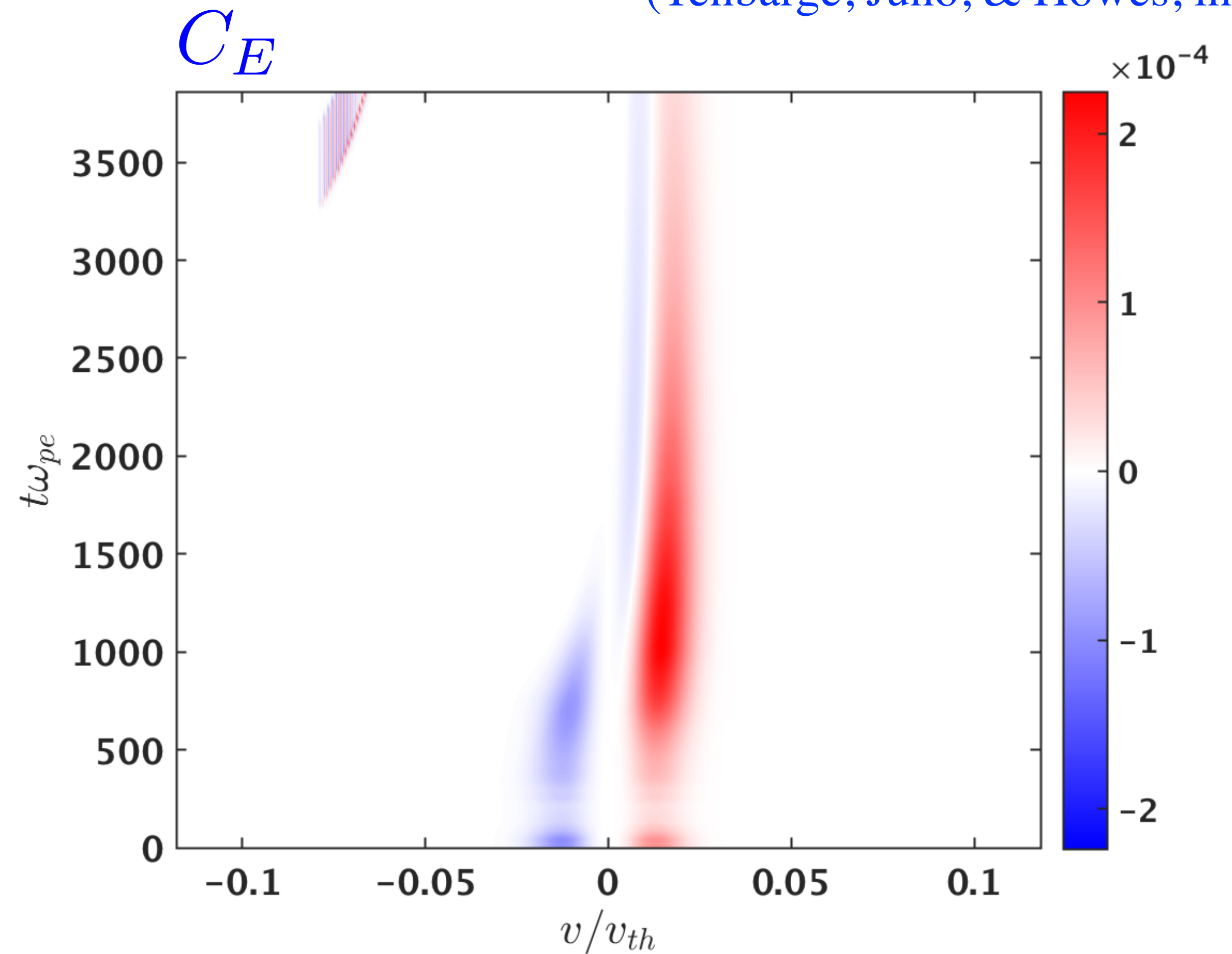
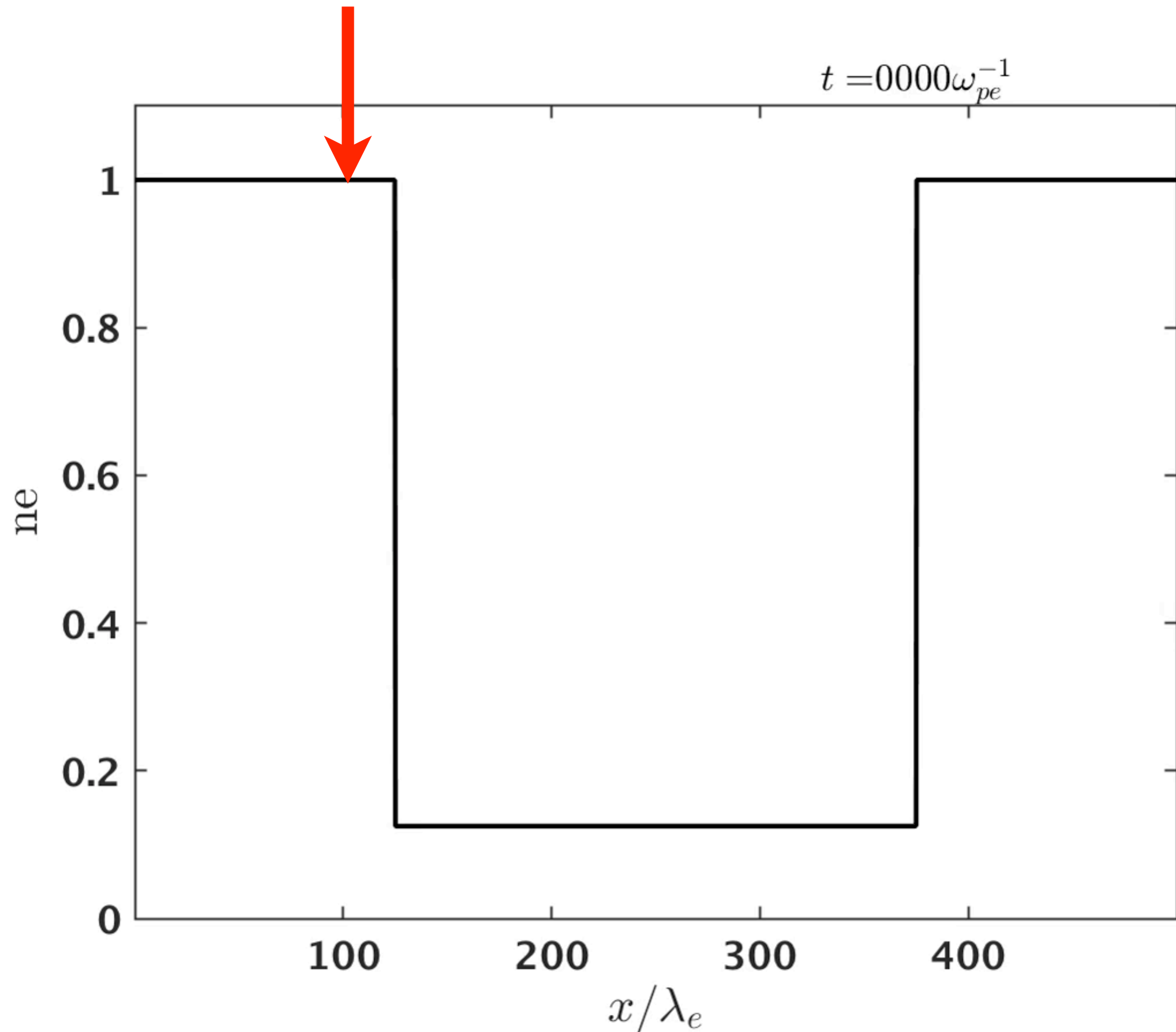


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Velocity-space signature of direct ion acceleration

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The Field-Particle Correlation Technique has the potential to identify and characterize the flow of energy to particles in space and astrophysical plasmas

The End

Field-Particle Correlations

Kinetic equation governing change of phase-space energy density

$$\frac{\partial w_s(\mathbf{r}, \mathbf{v}, t)}{\partial t} = -\mathbf{v} \cdot \nabla w_s - q_s \frac{v^2}{2} \mathbf{E} \cdot \frac{\partial f_s}{\partial \mathbf{v}} - \frac{q_s}{c} \frac{v^2}{2} (\mathbf{v} \times \mathbf{B}) \cdot \frac{\partial f_s}{\partial \mathbf{v}}$$

Parallel Electric Field Correlation

$$C_{E_{\parallel}}(\mathbf{v}, t, \tau) = C \left(-q_s \frac{v_{\parallel}^2}{2} \frac{\partial f_s(\mathbf{r}_0, \mathbf{v}, t)}{\partial v_{\parallel}}, E_{\parallel}(\mathbf{r}_0, t) \right)$$

Perpendicular Electric Field Correlation

$$C_{E_{\perp}}(\mathbf{v}, t, \tau) = C \left(-q_s \frac{v_x^2}{2} \frac{\partial f_s(\mathbf{r}_0, \mathbf{v}, t)}{\partial v_x}, E_x(\mathbf{r}_0, t) \right) + C \left(-q_s \frac{v_y^2}{2} \frac{\partial f_s(\mathbf{r}_0, \mathbf{v}, t)}{\partial v_y}, E_y(\mathbf{r}_0, t) \right)$$

Alternative Field-Particle Correlations

Integrate by parts to obtain an alternative form with **same total energization**

$$\frac{\partial W_s}{\partial t} = - \int d^3 \mathbf{r} \int d^3 \mathbf{v} q_s \frac{v^2}{2} \frac{\partial f_s}{\partial \mathbf{v}} \cdot \mathbf{E} = \int d^3 \mathbf{r} \int d^3 \mathbf{v} q_s \mathbf{v} \cdot \mathbf{E} f_s = \int d^3 \mathbf{r} \mathbf{j}_s \cdot \mathbf{E}$$

Alternative Parallel Electric Field Correlation

$$C'_{E_{\parallel}}(\mathbf{v}, t, \tau) = C(q_s v_{\parallel} f_s(\mathbf{r}_0, \mathbf{v}, t), E_{\parallel}(\mathbf{r}_0, t))$$

Alternative Perpendicular Electric Field Correlation

$$C'_{E_{\perp}}(\mathbf{v}, t, \tau) = C(q_s v_x f_s(\mathbf{r}_0, \mathbf{v}, t), E_x(\mathbf{r}_0, t)) + C(q_s v_y f_s(\mathbf{r}_0, \mathbf{v}, t), E_y(\mathbf{r}_0, t))$$