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Wild swarms of midges linger at the edge of an ordering transition

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KITP, Santa Barbara 2014

Collective behaviour in animal groups



movie by C. Carere - Starflag

Flocks

Global order

Collective response and coordination

Pnas 105 (2008), Pnas 107 (2010), ArXiv:1303.7097

Swarms

Is there anything `collective' ?

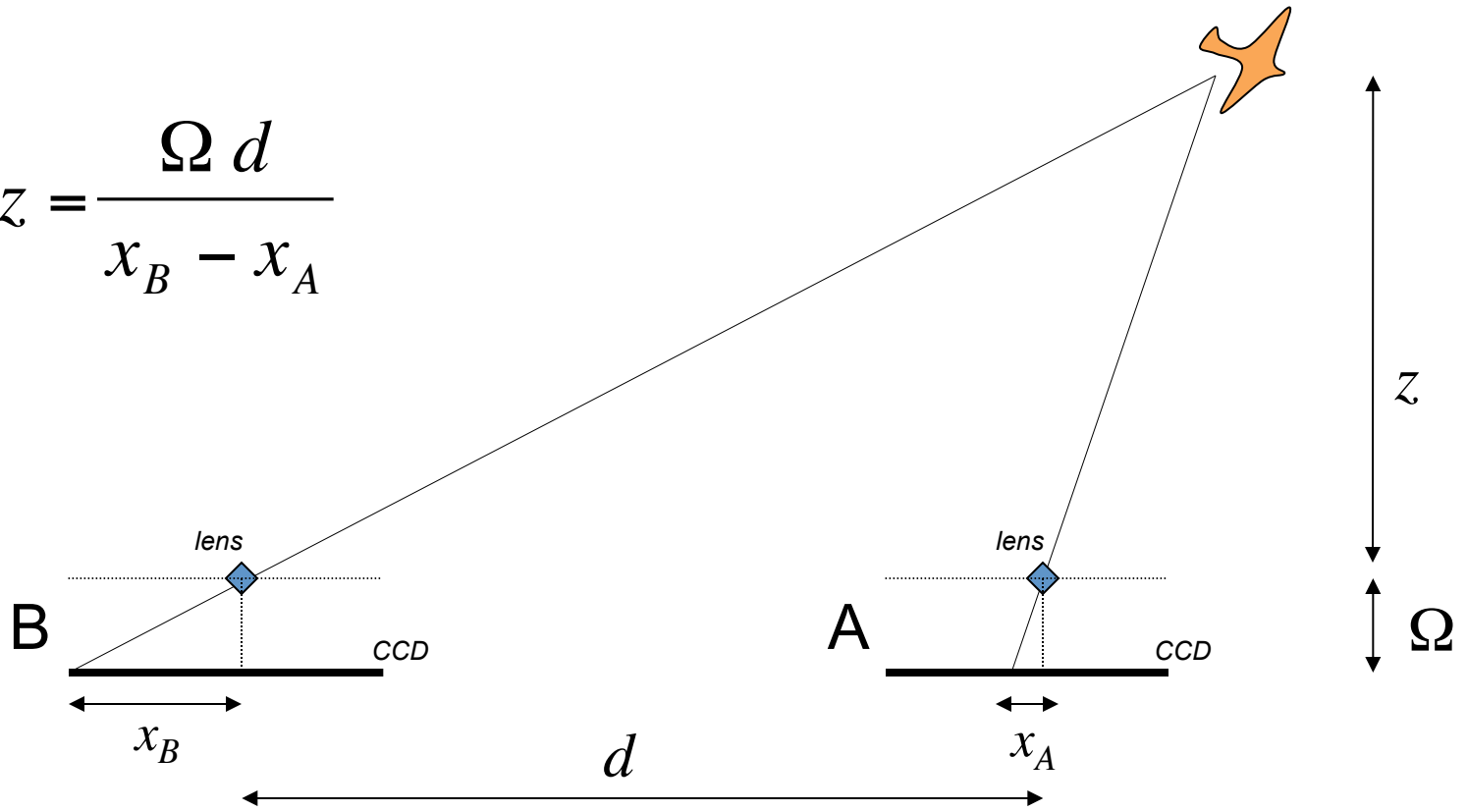
ArXiv:1307.5631



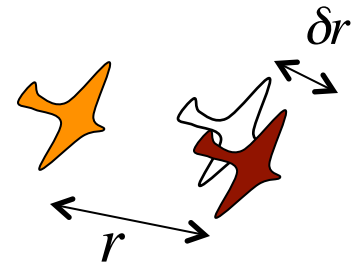
movie by S. Melillo, SWARM

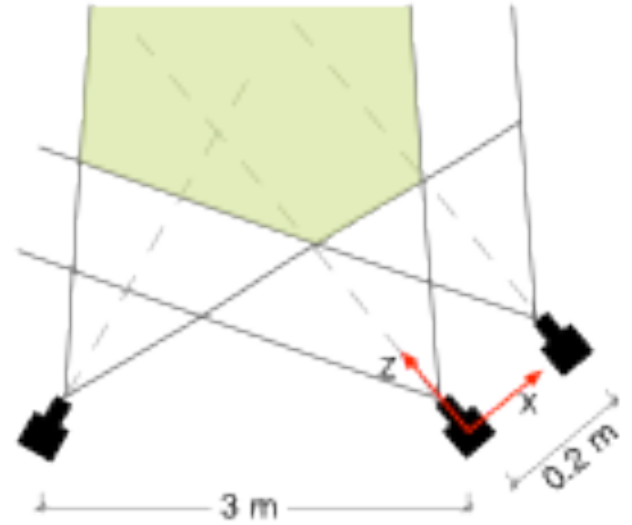
Stereo-Experiments

$$z = \frac{\Omega d}{x_B - x_A}$$



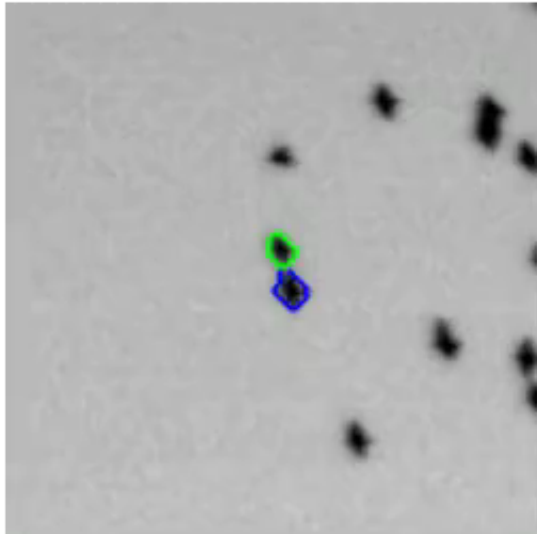
error on relative distances: $\delta r \sim \frac{z^2}{\Omega d} \delta s$



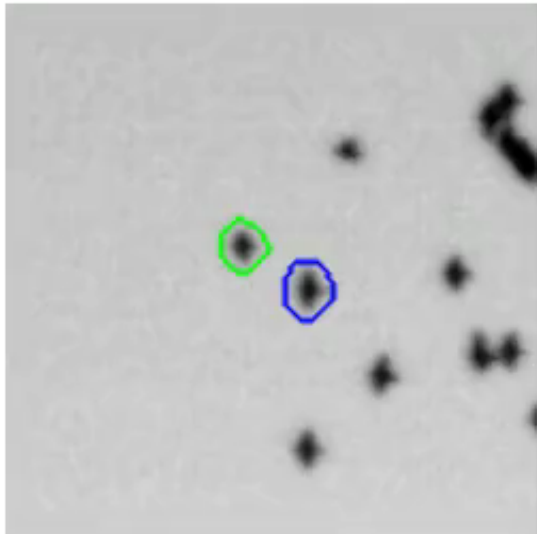
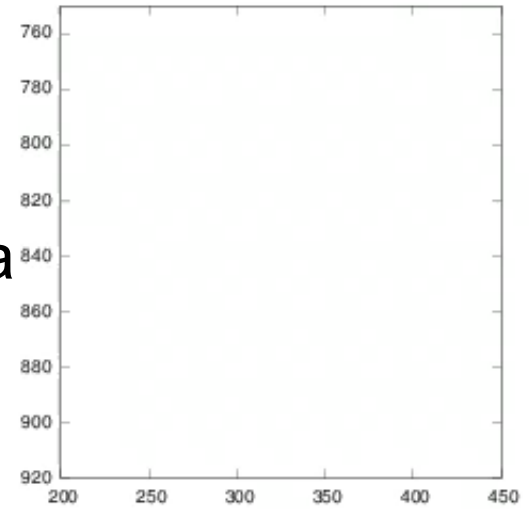


the real enemy: blobs

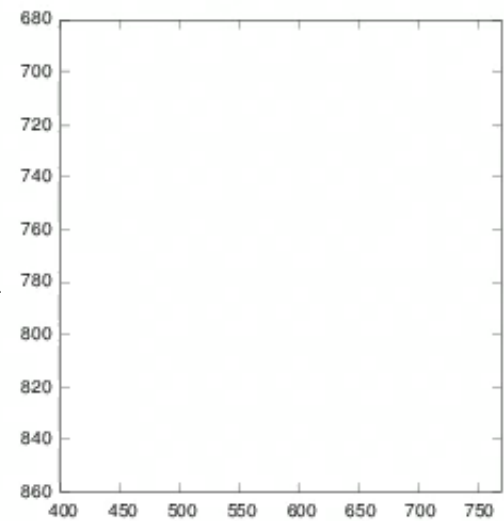
frame 1



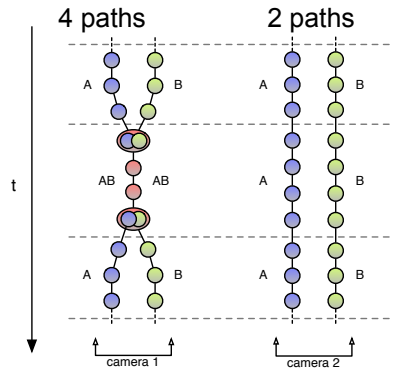
right camera



left camera



3D tracking: global multi-path recursive algorithm

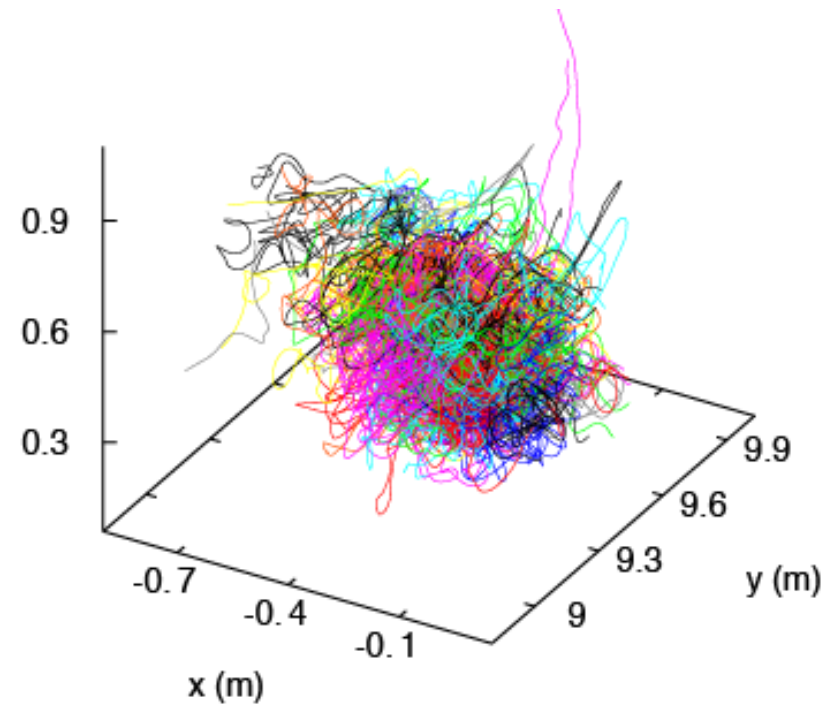
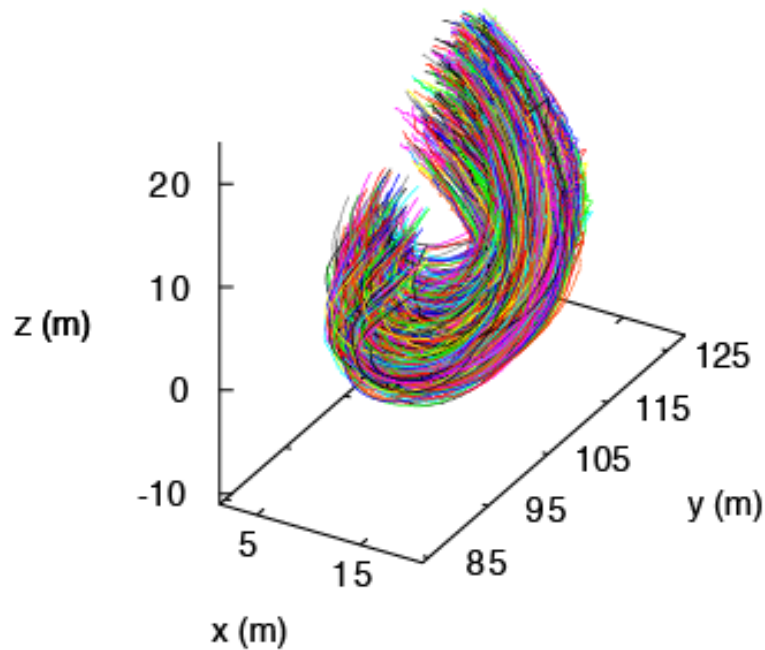


score matrix

	A	B
AA	10	4
AB	7	7
BA	7	7
BB	4	10



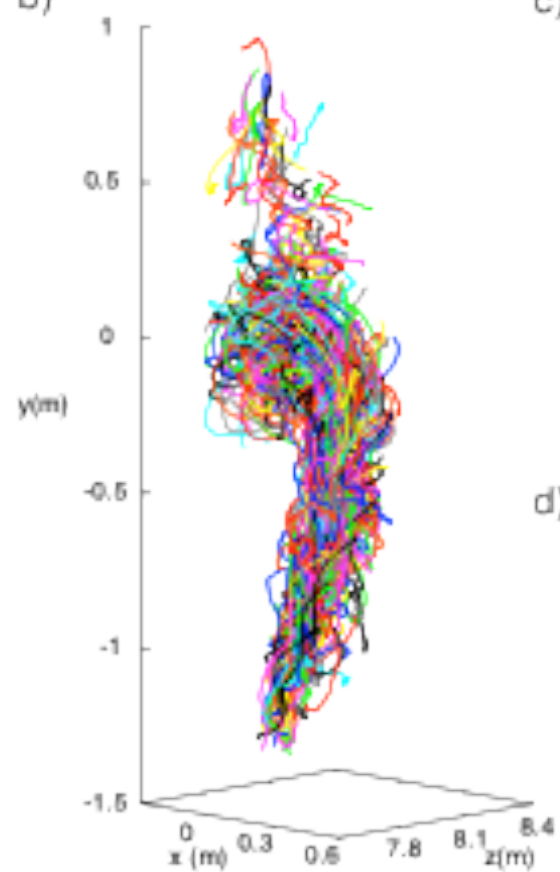
2 real birds



a)



b)

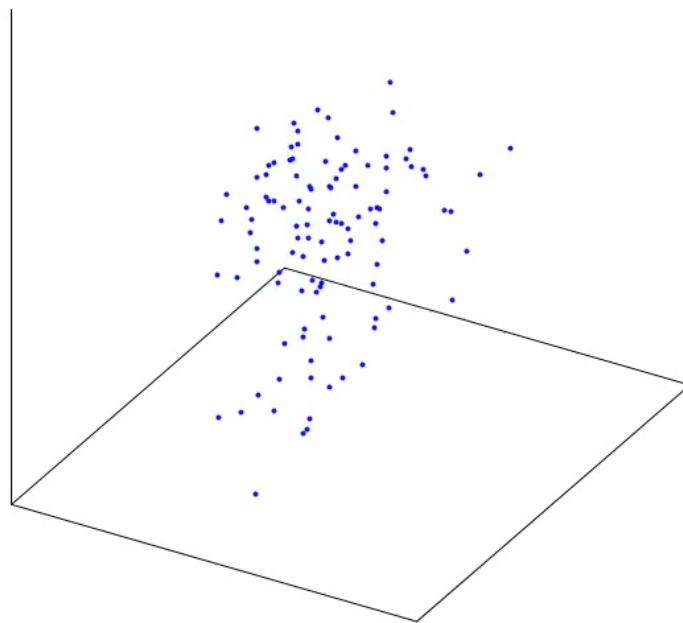
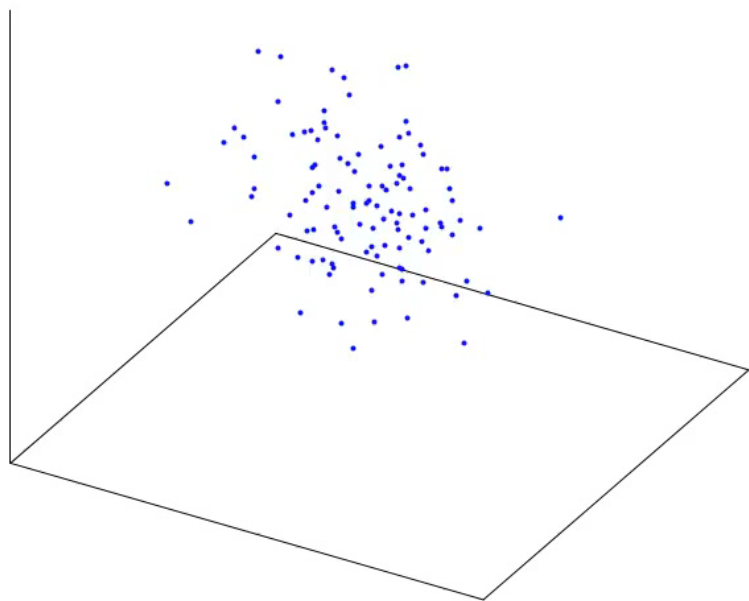


c)

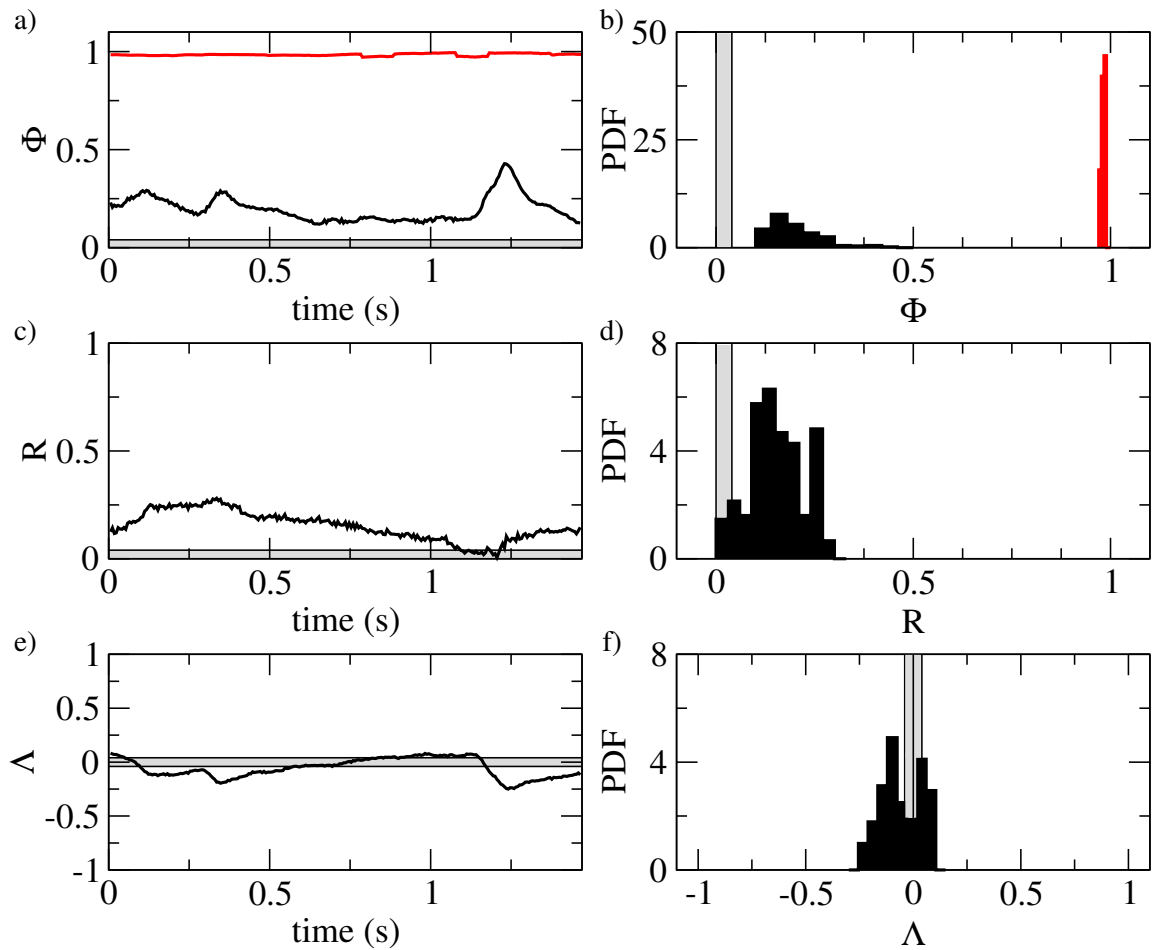
d)



natural vs. non-interacting swarm



can you tell who is who?



no global order

what is important for the group?

1. we synchronize our behaviour (order)
2. we synchronize our *changes* of behaviour (?)

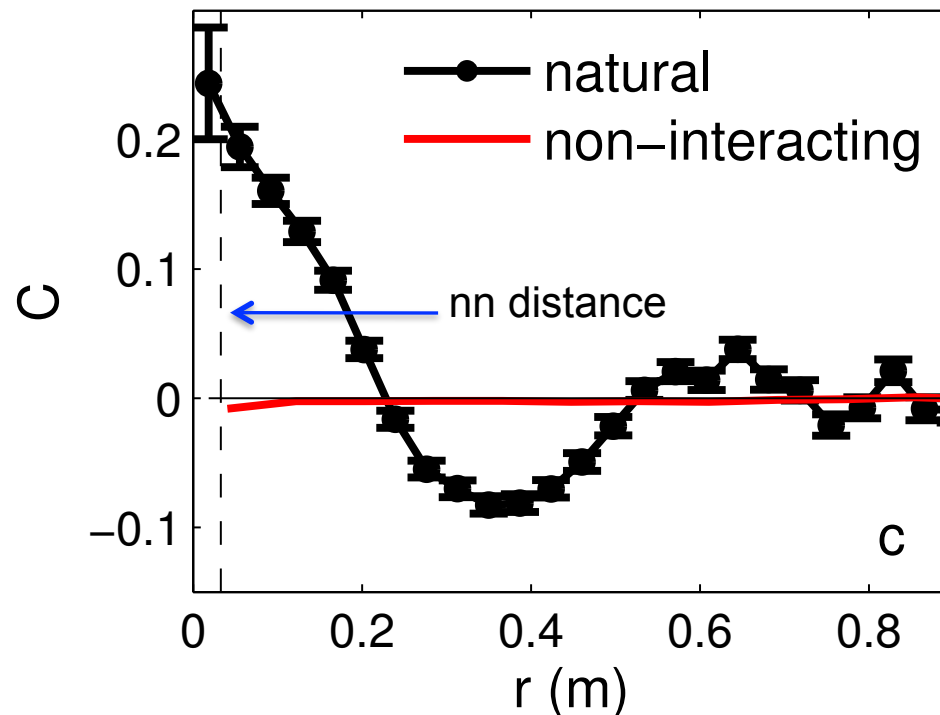
move the focus from the mean behaviour to the fluctuations wrt the mean

correlation function

$$C(r) = \langle \vec{u}(0) \cdot \vec{u}(r) \rangle$$

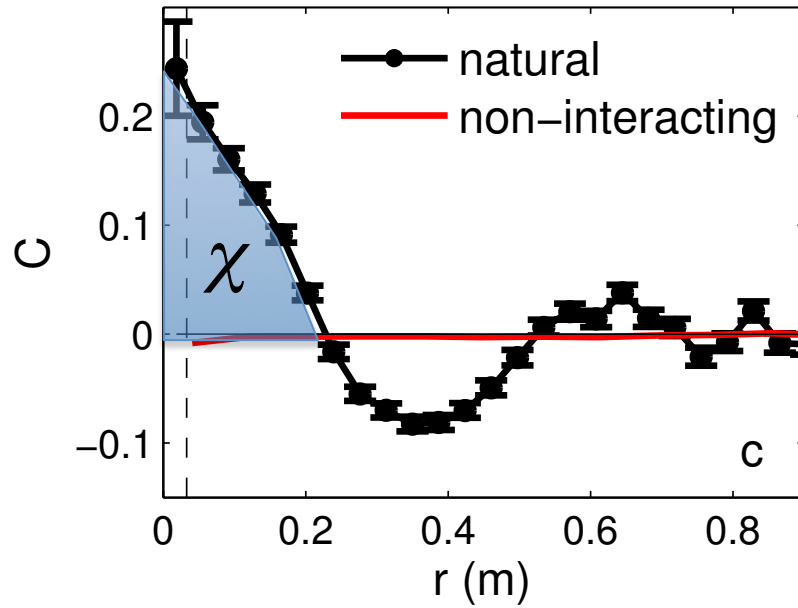
$$\vec{u}_i = \vec{v}_i - \vec{V}$$

velocity fluctuation



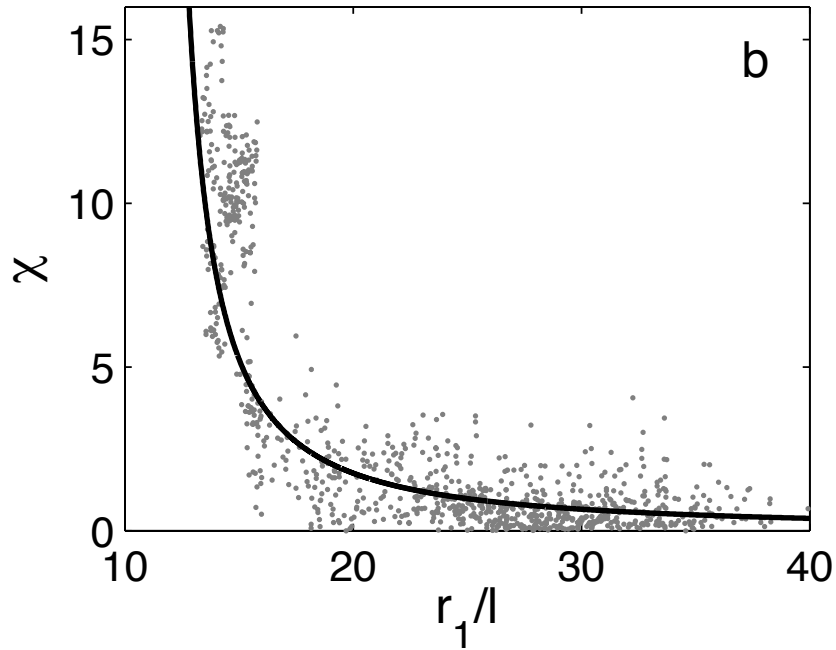
despite the lack of order, behavioural correlations extend much further than each individual's nearest neighbours

Integrated correlation - susceptibility

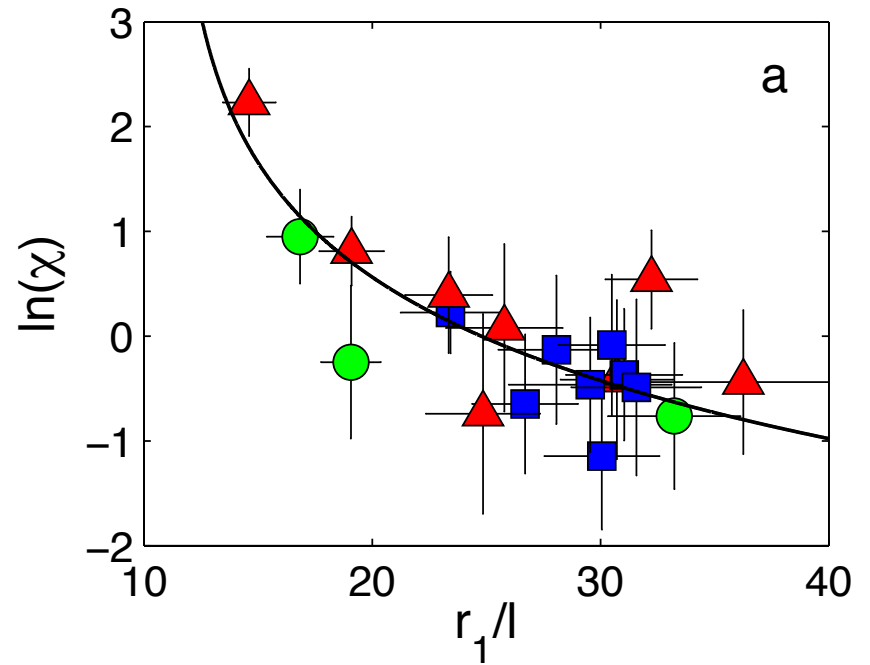


χ is the total amount of correlation in the system and it is connected to the collective response

Susceptibility increases with density



nearest neighbour distance in units of body length



the closer midges are, the more they interact, the larger the correlation:
metric interaction

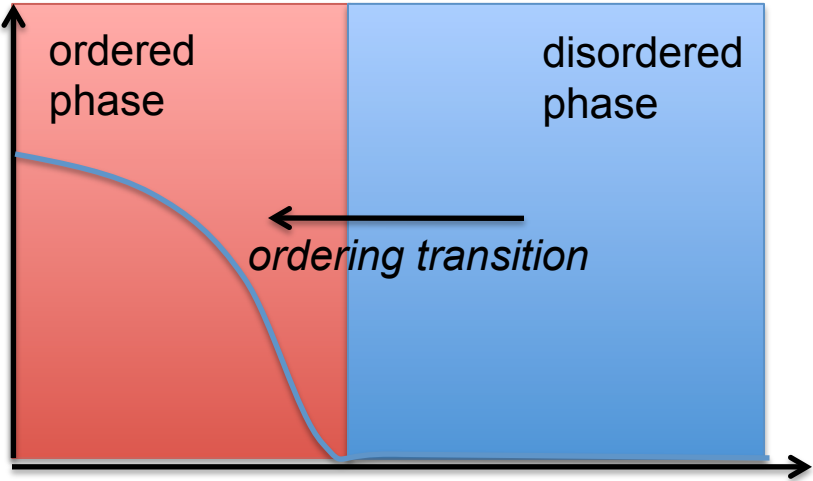
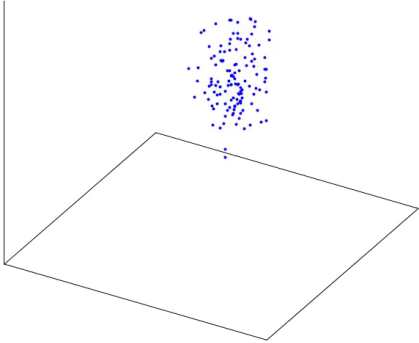
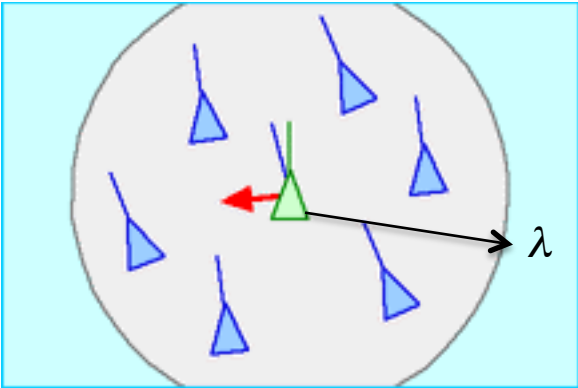
- swarms display no collective order
- yet, velocity correlations are very strong
- the amount of correlation grows with decreasing n.n. distance
- an effective alignment force **must** be present

Alignment models

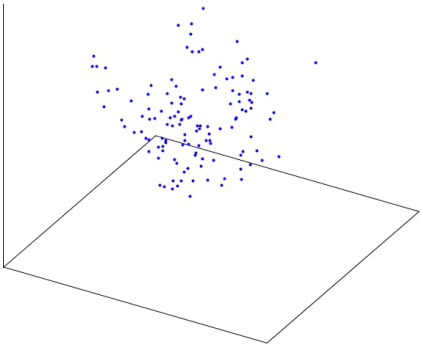
$$\vec{v}_i(t + 1) = \vec{v}_i(t) + \sum_{j \in \lambda_i} \vec{v}_j(t) + \vec{\xi}_i$$

Vicsek model

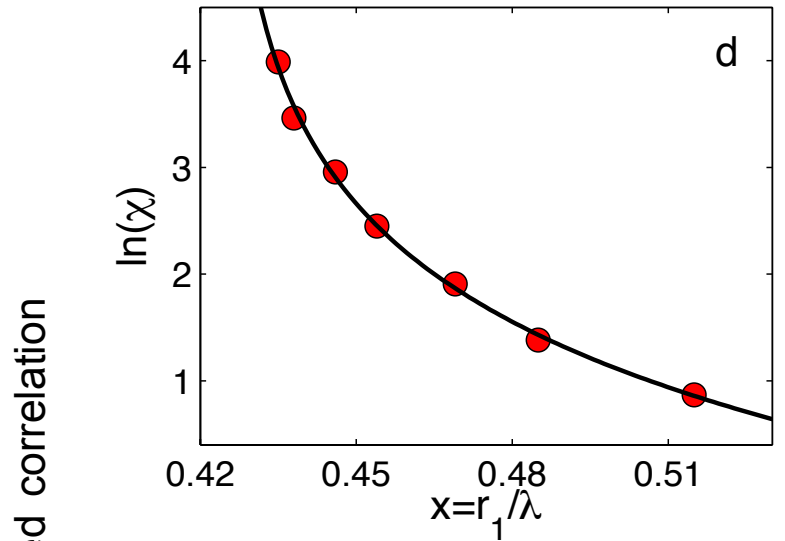
+
harmonic potential
(marker)



nearest neighbour distance

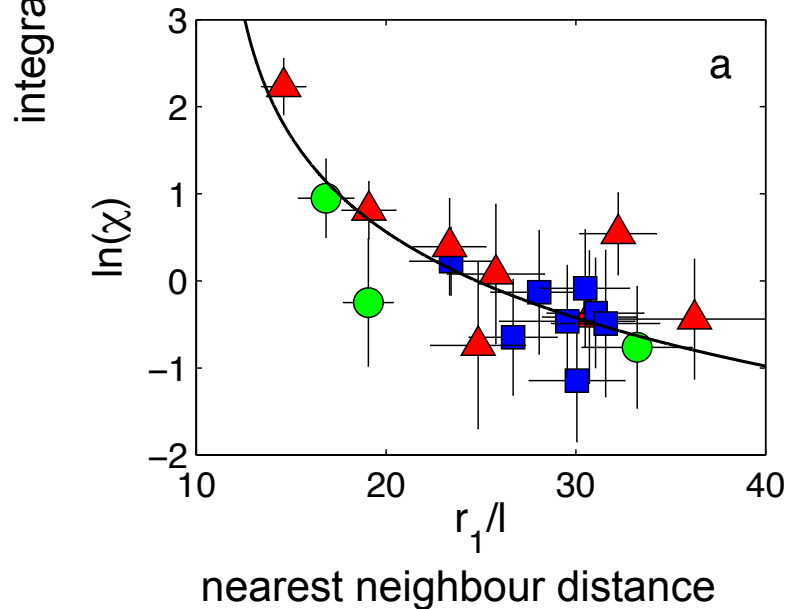


Order is not the only consequence of alignment



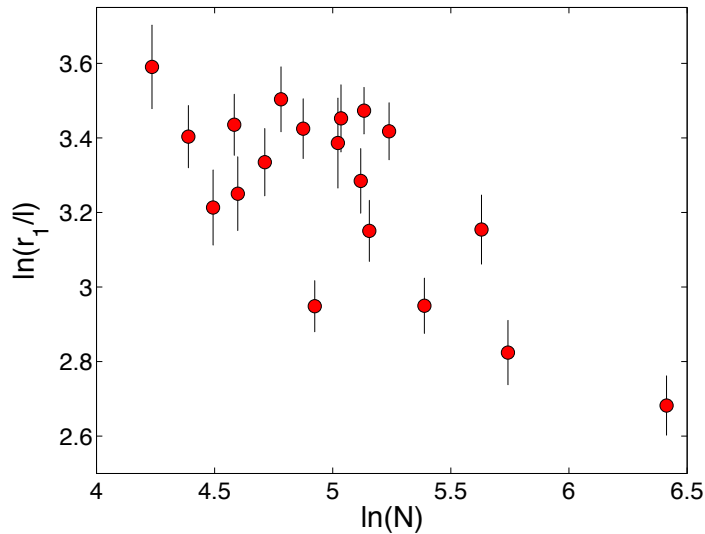
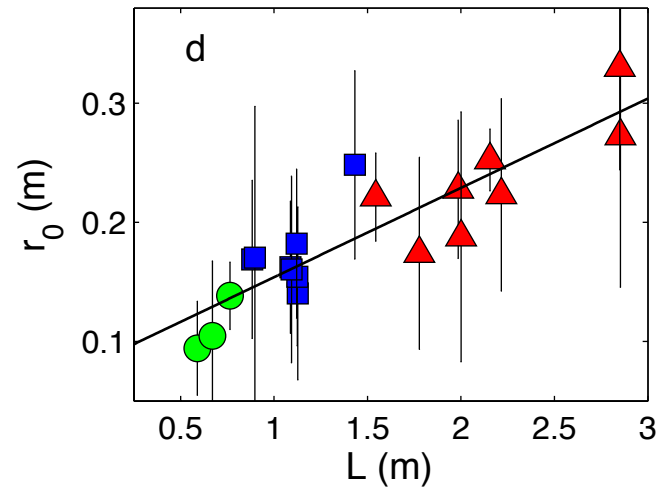
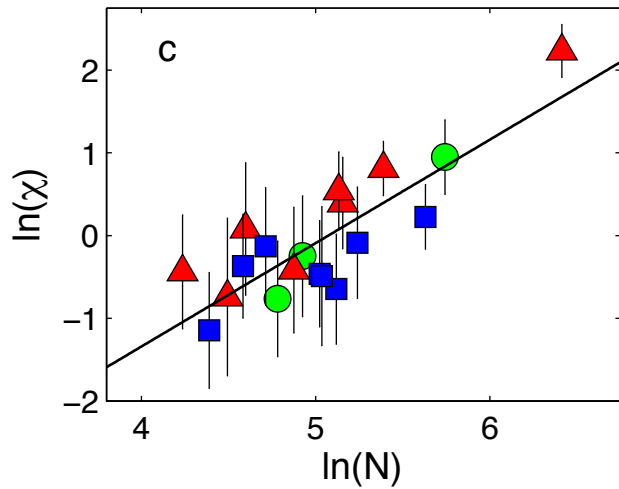
disordered phase

the degree of correlation increases as we approach the transition from above



swarms are disordered but there is an underlying ordering transition

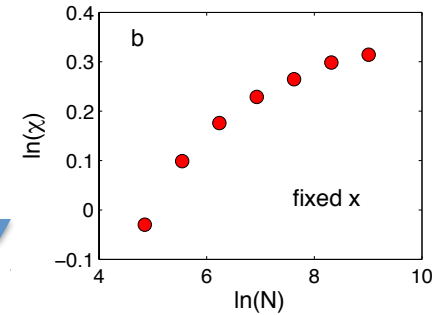
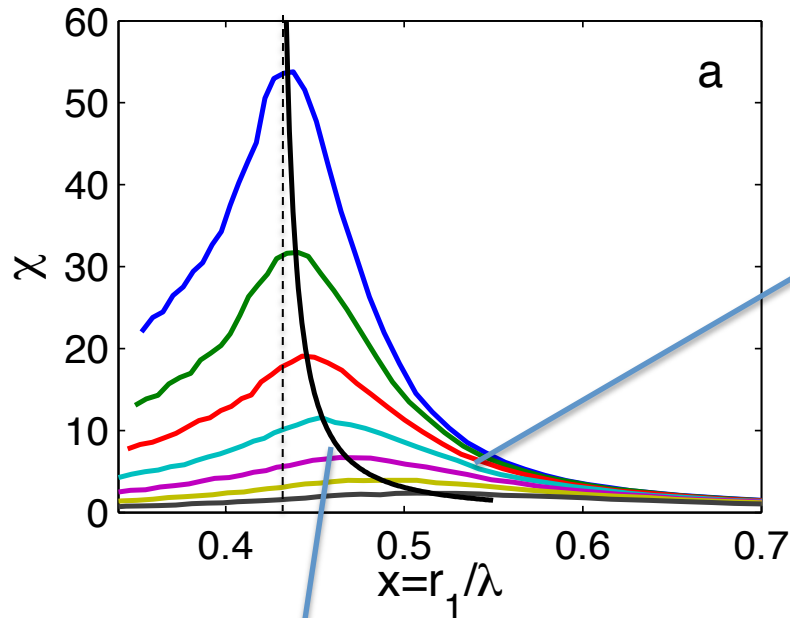
How far are natural swarms from the critical ordering transition ?



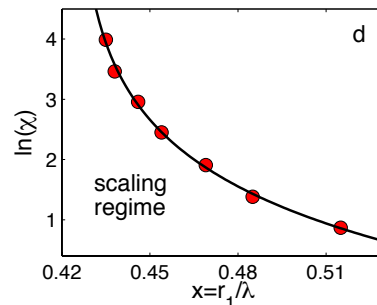
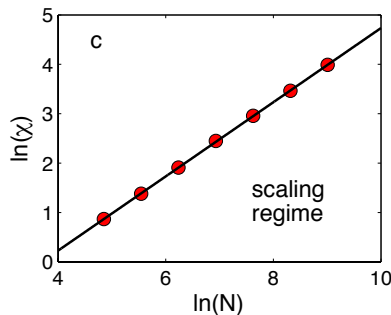
swarms are in the critical region

size and density are NOT independent

Revisiting finite size scaling



it is the pair x, N that tells me how 'critical' is the system



to get scaling behavior x, N must be close to the critical line

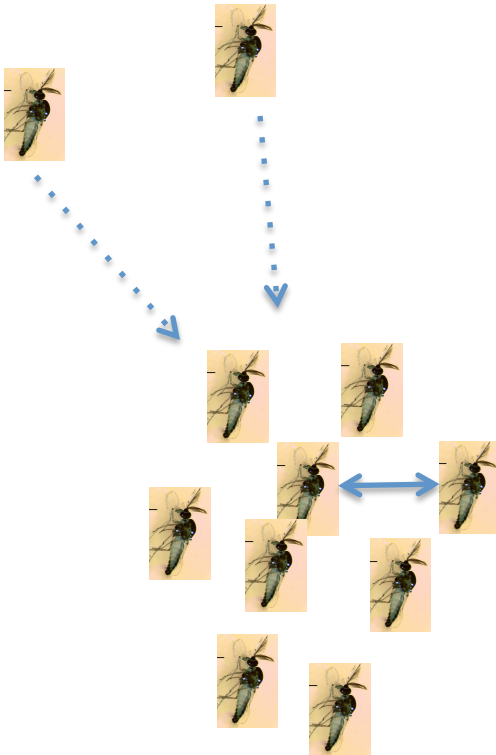
$$x \approx x_c + \frac{1}{N^{1/3\nu}}$$

as found in data

swarms are effectively critical

density and size are tuned as to achieve nearly maximal susceptibility at that size \longrightarrow collective response on the group scale

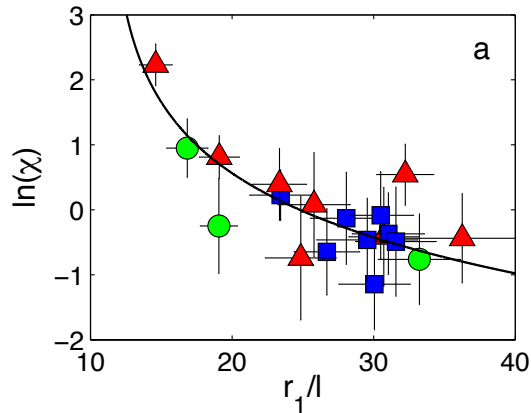
What is the mechanism fixing density vs. size ?



- 1) something fixes the density and the size increases up to the size sustainable with the correlations present at that density
- 2) given a number of insects attracted to the marker the density increases up to the value that grants sufficient correlation to make the swarm stable

size and density self-adjust to make the swarm stable

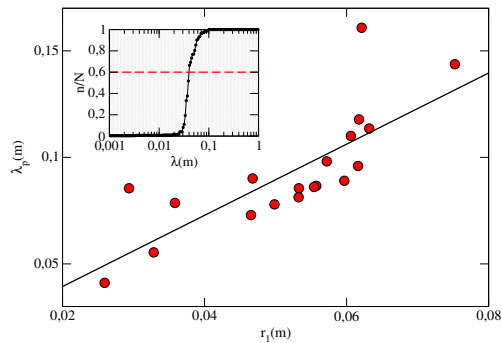
Estimate of the interaction range



let's use the Vicsek scaling relation

$$\chi \sim \frac{1}{(x - x_c)^\gamma} \quad x = \frac{r_1}{\lambda}$$

$$\frac{r_1^c}{l} \in [9.0 : 13.5]$$



percolation argument

$$\frac{r_1^c}{\lambda} = 0.6$$



we estimate an interaction range $\lambda \sim 15 - 22l \sim 2 - 5\text{cm}$

consistent with male-male auditory response (1-1.5 cm)

- collective behaviour and collective order are **not** the same
- swarms are disordered but exhibit significant quasi-critical correlation
- we believe that correlation, rather than order, is the true signature of collective behaviour, as large correlations enable the group to respond collectively to stimuli/perturbations
- however, it is crucial to pin down experimentally the relationship between correlation and response

towards a fluctuation-dissipation theorem for biological systems?

COBBS group



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Alessandro Attanasi
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Lorenzo Del Castello
Asja Jelic
Oliver Pohl
Edmondo Silvestri
Leonardo Parisi
Agnese D'Orazio*

and... the Red Van



Andrea Cavagna



Irene Giardina



Dasyhelea flavirons

