

Cluster Formation in Mergers: Theory

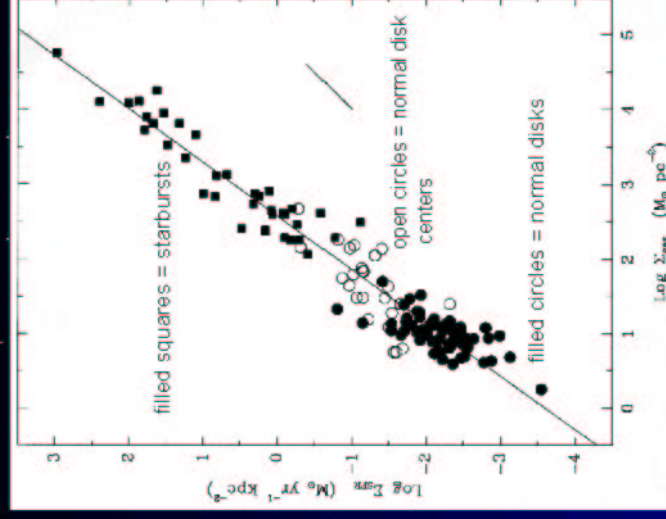
Bruce G. Elmegreen

IBM Watson Research Center

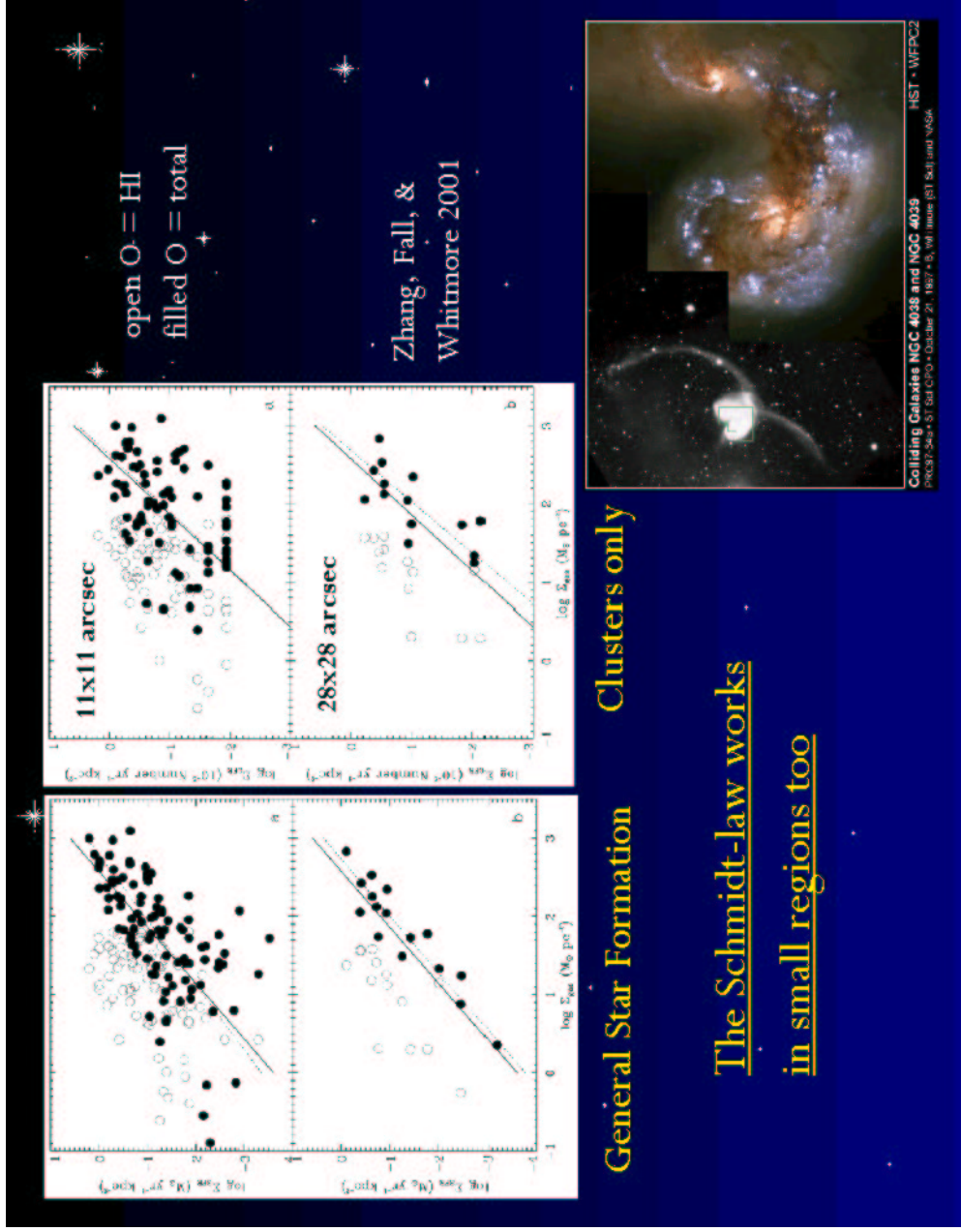
Overview of SF in Mergers

1. ISM is globally shocked
- ⇒ 2. Gas column density increases
- ★ Accretion through a galaxy disk via tidally- induced spirals or bars
 - (grazing collision)
- ★ Accretion of gas from another galaxy
 - (merger)
- ★ SFR/A increases as $\Sigma^{1.4}$
 - (the usual Schmidt law)

Why is this law so universal?



Kennicutt 1998 ApJ 498 541



★ Stars form only at high density yet the SFR scales with the average density: $SFR(M/vol/time) \sim \epsilon \rho (G\rho)^{1/2}$

★ In high density cores, the SFR should be $SFR(M/vol/time) \sim \epsilon_c \rho_c (G\rho_c)^{1/2}$, and typical $\rho_c \sim 10^5 \text{ cm}^{-3}$, and typical $\epsilon_c \sim 0.1-0.5$, the core SFR is constant.

★ at $\rho_c \sim 10^5 \text{ cm}^{-3}$, big grains stop gyrating (Kamaya & Nishi 2000), molecules freeze onto grains (Bergin et al. 2001), the ionization fraction begins to drop (Caselli et al. 2002), and turbulence becomes subsonic (Goodman et al. 1998).

★ Schmidt-law $\rightarrow \rho_c / \rho$ const.: $\epsilon \propto$ fraction of gas at $\rho > \rho_c$

★ Constant efficiency (Rownd & Young 1999; Boselli et al. 2002) $\rightarrow \rho_c$ const.; $\epsilon \propto$ fraction of gas at $\rho > \rho_c$

What is the predicted fraction f of gas at $\rho > \rho_c$?

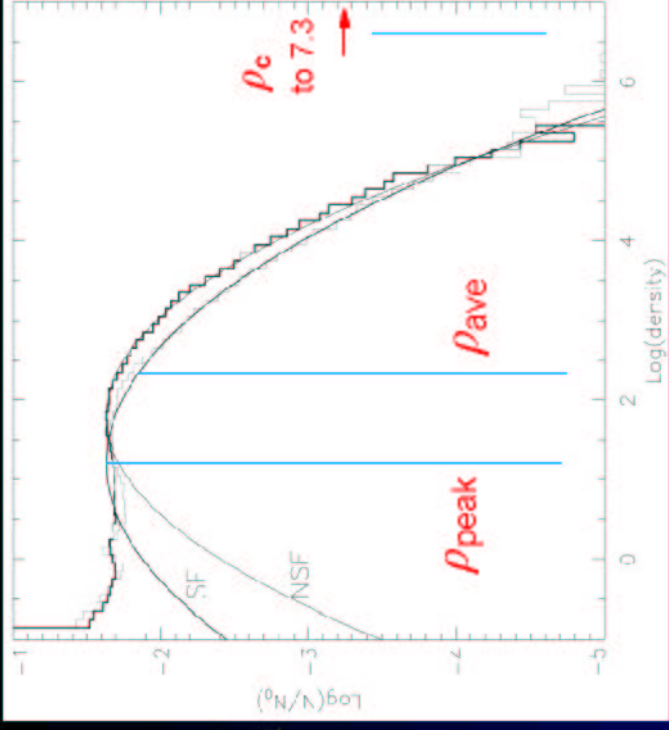
Wada and Norman 2001 found a log-normal distribution function for density in their whole galaxy models.

The dimensionless width depends on the mean Mach number

The dense gas fraction is the integral above the density threshold.

- (1) Normalize this pdf to the local density.
- (2) Integrate it for $\rho > 10^5 m_{\text{H}_2}$. (or $\rho_c / \rho > 10^5$)
- (3) Find $f = 10^{-4}$ of the gas mass has $\rho > 10^5 m_{\text{H}_2}$.

Wada & Norman 2001 ApJ 547 172



What is the observed f ?

The Kennicutt 1998 relation

$$\text{is } \star \text{ SFR}/A = 0.033 \Sigma \Omega$$

for average Σ and outer galaxy rotation rate Ω .

Integrating over an exponential disk and taking the average density equal to the tidal limit, this converts to a local rate,

$$\text{SFR}/V = 0.012 \rho \text{ (Gp)}^{1/2}$$

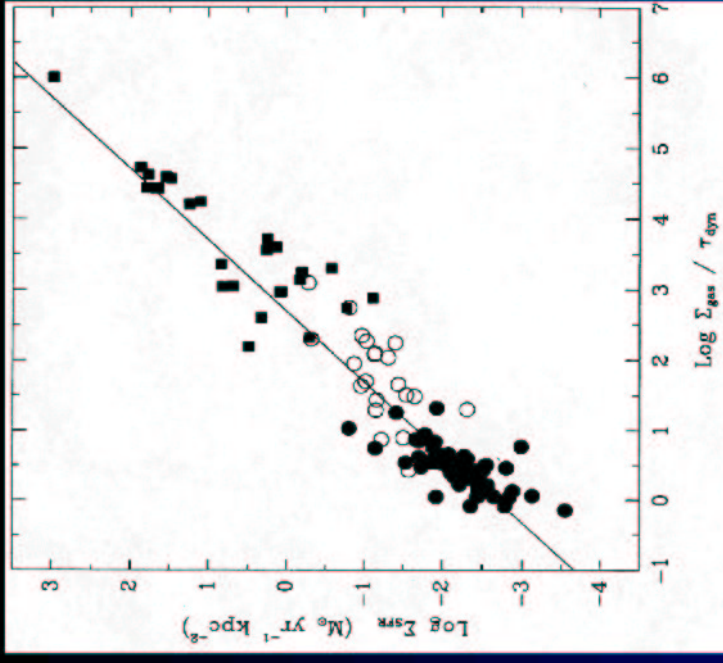
But, $(\text{SFR}/V)_{\text{galaxy}} =$

$$(\text{SFR}/M)_{\text{core}} (M_{\text{core}}/M_{\text{galaxy}}) \rho = \varepsilon_c (G\rho_c)^{1/2} f_c \rho$$

So $\varepsilon_c (G\rho_c)^{1/2} f_c = 0.012 \text{ (Gp)}^{1/2}$ and the observed mass fraction is

$$f_c = 0.012 \varepsilon_c^{-1} (\rho/\rho_c)^{1/2} \sim 10^{-4}$$

Kennicutt 1998 ApJ 498 541

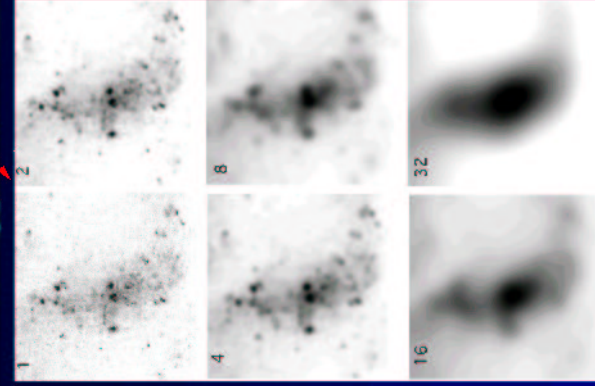


$$\dots \text{or } 0.012 \sim \varepsilon_c (\rho_c / \rho)^{1/2} \times 10^{-4}$$

★ Star Formation acts Saturated, not Fine-Tuned

- ★ SFR depends on the mass fraction in dense gas
- ▶ turbulence may determine this in a universal way, independent of the sources of turbulence
- Global SFR independent of triggering mechanisms
 - many turbulence-driving processes trigger SF
- No fine-tuning of SF ("feedback") in the usual sense...
 - all the gas that can form stars is doing it already
 - blow-out or heating types of feedback still possible
- SF halted only by conversion to a pure-warm phase
 - outer parts of galaxies, dwarf galaxies, low surface brightness galaxies, blow-out regions

IC 2163 / NGC 2207

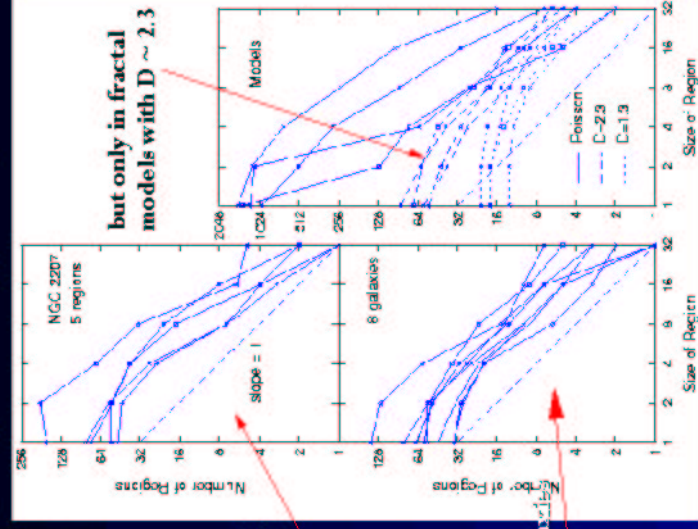


The number of clumps decreases with scale as a power law.

The same power is found in giant-SF regions of other galaxies.

Young stars in many galaxies are arranged in fractal patterns.

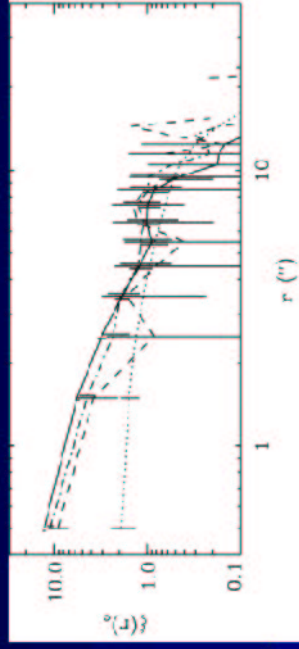
(Elmegreen & Elmegreen 2001)





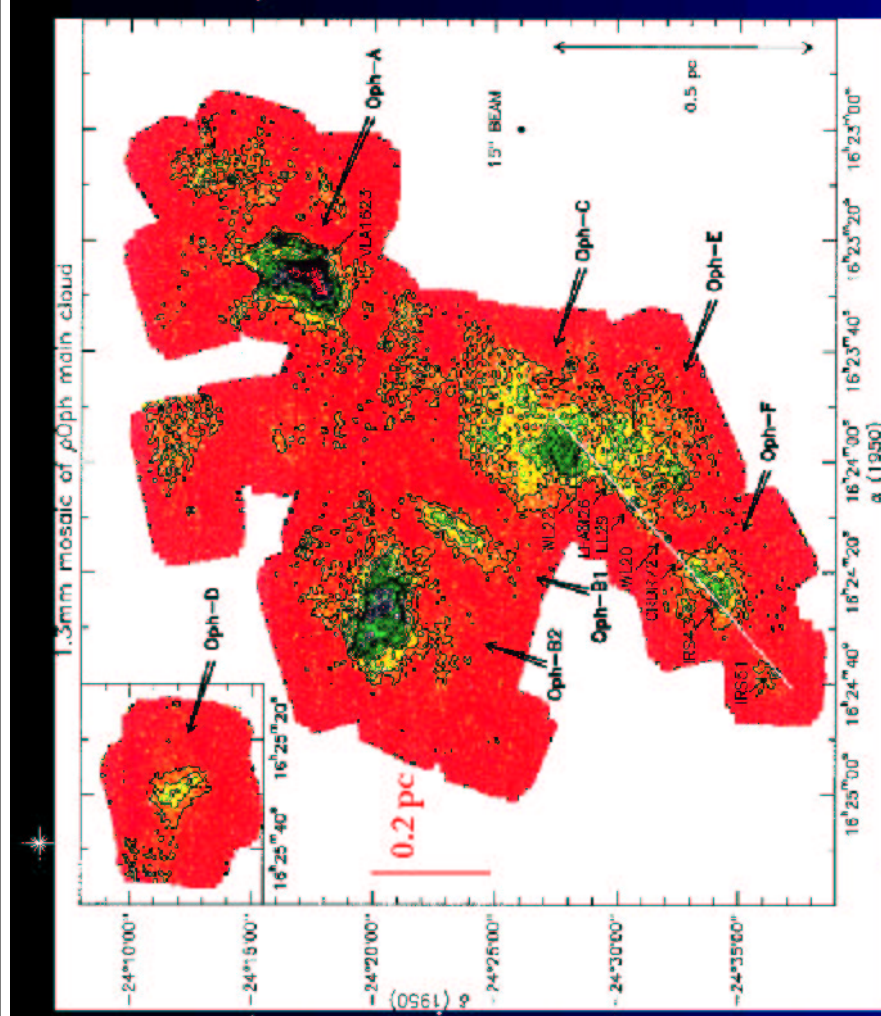
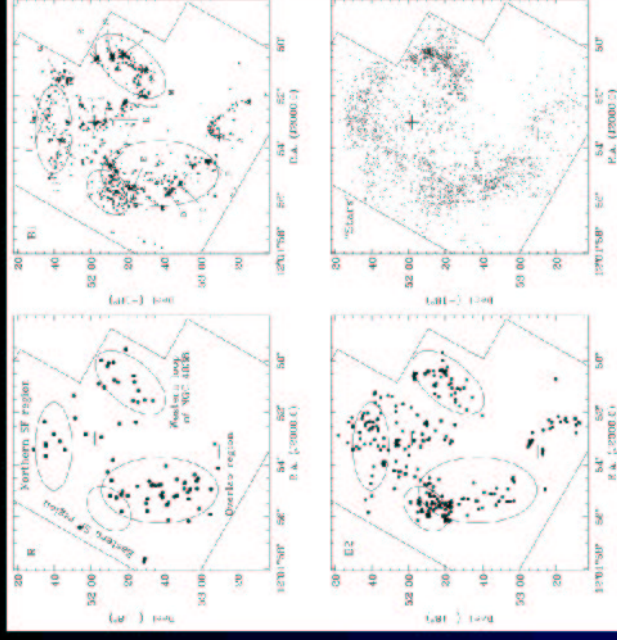
Colliding Galaxies NGC 4038 and NGC 4039
HST-WFPC2
1998-04-01 00:00:00.00000000 150.15 15.00000000 503.00000000

Young stars in the Antennae
galaxy are auto-correlated
out to ~ 1 kpc scale.



Zhang, Fall, & Whitmore 2001

panels: 5 My clusters,
3-16 My clusters, 16-160 My
clusters, and field stars.



Hierarchical
SF on pc
scales too

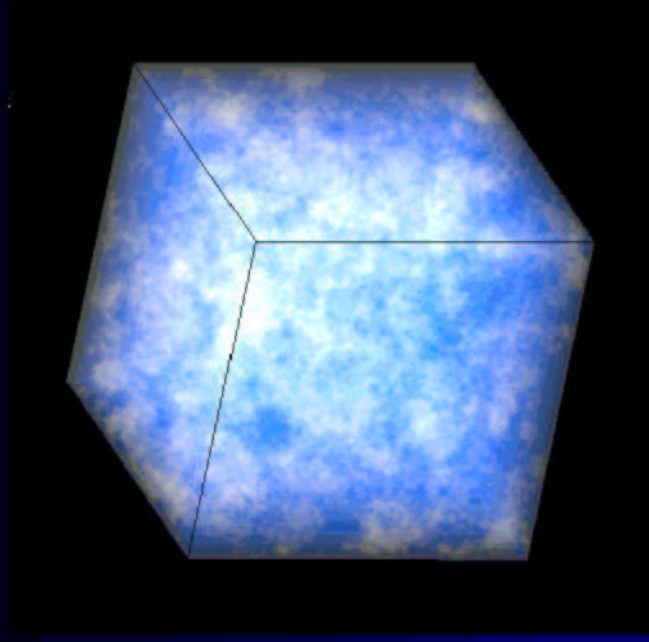
Motte, André
& Neri 1998

1.3 mm Continuum map of rho Oph

★ **Why are there clusters? When does SF make SSC?**

- ★ Turbulence makes the gas fractal
- ★ SF regions are fractal and time-correlated too
 - ▶ hierarchically clumped
 - ▶ large regions take longer to form
- ★ Mass spectra of clusters in a hierarchically clumped medium is $\sim M^{-2}$ dM
- ★ This is about the observed cluster and OB association mass function in all disk systems
- ★ (although not the "cloud" MF, which is shallower)

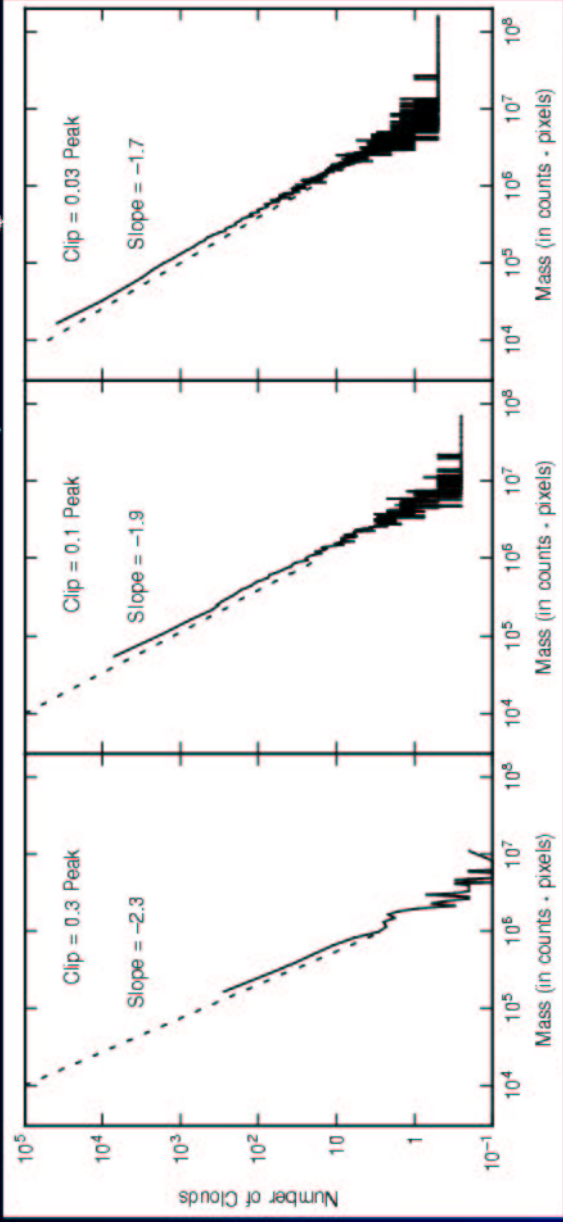
★ **Turbulent motions compress and push around gas, and the velocity-distance correlation produces hierarchical structure in density**



A fractal cube with a power spectrum and log-normal density distribution typical of turbulence.

Elmegreen 2002

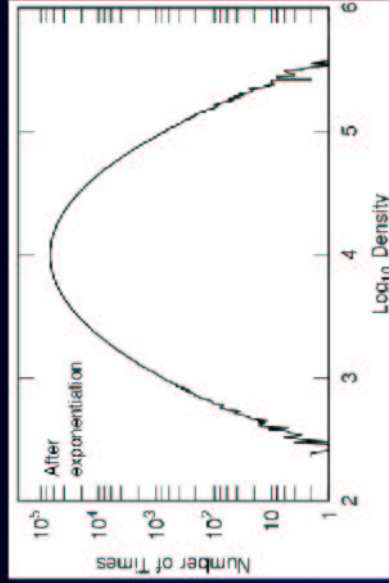
Contour this fractal and find the mass and size spectrum of the apparent "clouds"



Elmegreen 2002

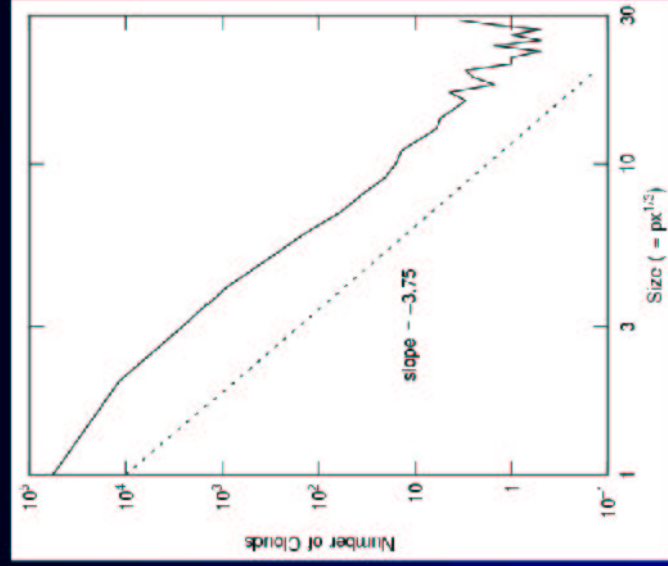
The mass spectrum is a power law, with a steeper power for denser clouds

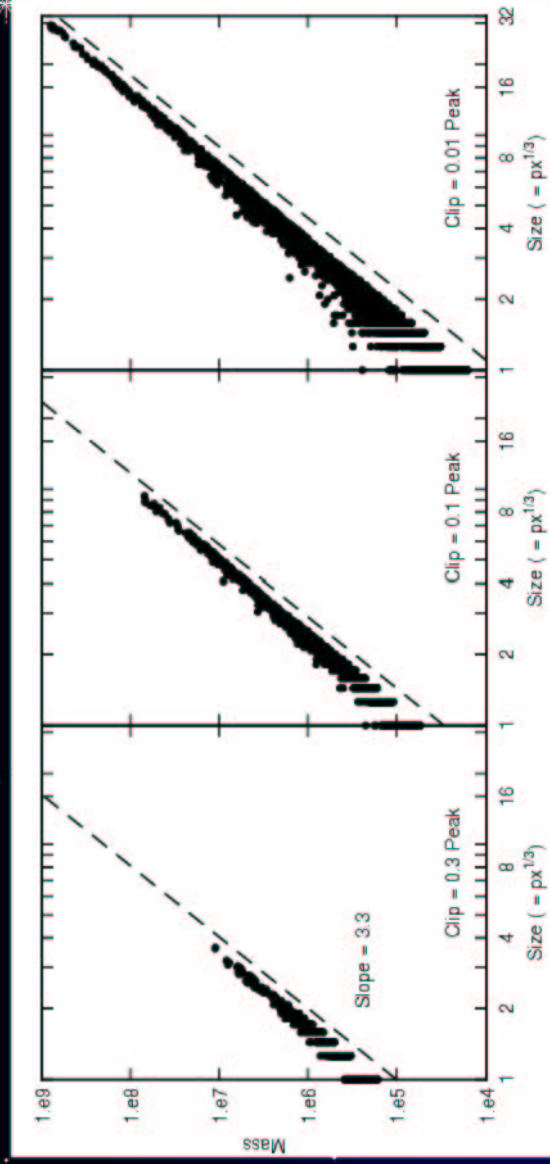
The mass spectrum is a power law even though the density distribution function is log-normal ...



Elmegreen 2002

...because the size spectrum is a power law -- a defining characteristic of fractals...





Elmegreen 2002

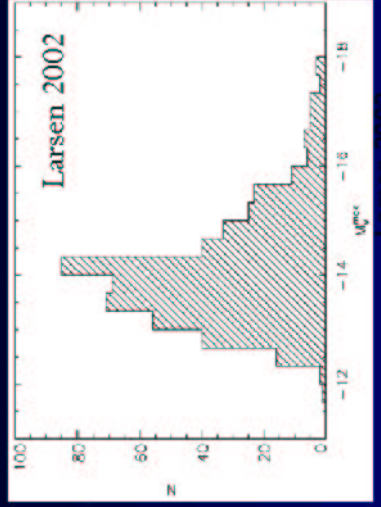
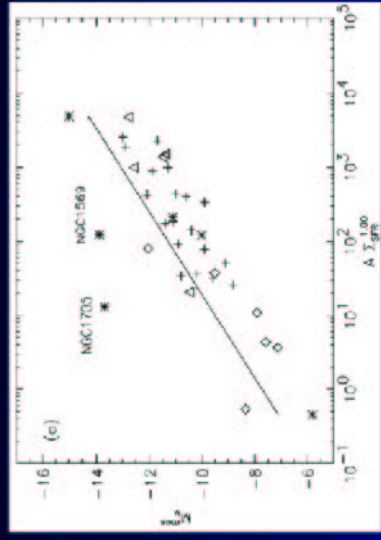
...and most of the mass is near the "cloud" edge, where the column density or density equal the contour value.

SUM: Power-Law Mass Spectra

- ★ Turbulent motions ($v \sim r^k$) produce scale-free density structures and power-law mass spectra.
 - Hierarchical structure gives $dn/dM = M^{-2}$
 - $Mn(M)d\log M = \text{constant}$
- ★ The cluster and OB association mass spectra probably result from sampling this gas structure
 - This does not mean turbulence forms clusters,
 - only that clusters form by any triggering processes that operates in a turbulent gas
 - e.g., compression of clouds, collapse of clouds ...
- ★ The mass spectra do not reveal the SF processes

Are Clusters "Randomly" Sampled from the Cloud Mass Spectrum?

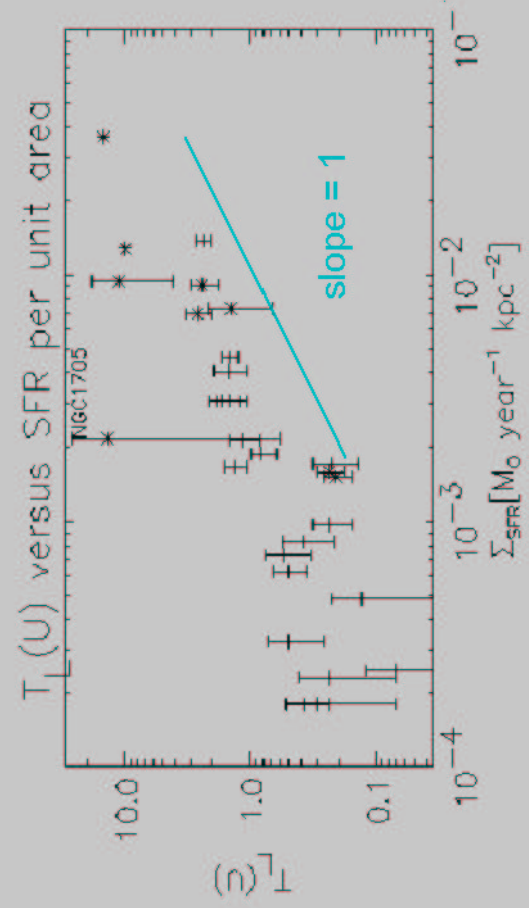
★ The mass of the most massive cluster increases with the number of clusters or SFR (Whitmore 2001) with a slope and dispersion that comes from random sampling. (Larsen 2002)



$dN/dM \propto M^{-x}$ is normalized with $\int_{M_U}^{\infty} n(M)dM=1$ to give

$$N_{tot} = \int_{M_U}^{M_L} n(M)dM \propto M_U^{x-1}$$

Do more active SF galaxies have a higher proportion of SF in clusters?



Larsen & Richtler (1999) find relatively more UV light in dense clusters (SSC) for higher SF rates

Is this a size-of-sample effect or a physical effect?

- ★ $T_L(U)$ = fraction of U light from massive clusters.
- ★ maximum observed $T_L(U) \sim 10\%$
- ★ \approx fraction of $T < 10\text{My}$ stars still in clusters locally

★ Cluster $M \sim \int_{M_L}^{M_U} M n(M) dM \propto M_U \ln(M_U/M_L)$

★ So,

$$T_L(U) \propto \text{Cluster } M / \text{SFR}_{\text{tot}} \propto M_U / \text{SFR}_{\text{tot}}$$

.... only from the mass function so far

This M_U could be either a dense cluster
or an unbound OB association

The physical part

- ★ From VT and cluster pressure, $P_{cl} = 0.1 GM^2/R^4$,
- ▶ the upper limit to a bound cluster is

$$M_U = 6000 (P/10^8 \text{ k cm}^{-3})^{3/2} (n/10^5 \text{ cm}^{-3})^{-2} M_\odot$$

- ★ From the Kennicutt law: $\text{SFR}/A \propto \Sigma^{1.4}$

- ★ From disk self-gravity: $P_{ISM} \propto \Sigma^2$

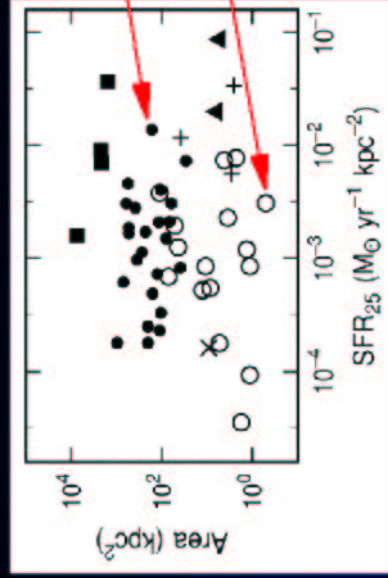
- ★ If $P_{cl} \propto P_{ISM}$, then $M_U \propto (\text{SFR}/A)^2$

★ Therefore:

$$T_L(U) \propto (\text{SFR}/A)^2 / \text{SFR}_{\text{tot}}$$

- ▶ The Larsen-Richtler relation holds if the surveyed galaxies all have about the same area, A .

In fact, they mostly do have the same area,



Larsen & Richtler galaxies

dwarf galaxies

Billett et al. 2002

meaning that mergers have more bright clusters, and more massive brightest clusters, because they have more clusters and more star formation overall.

size of sample + physics

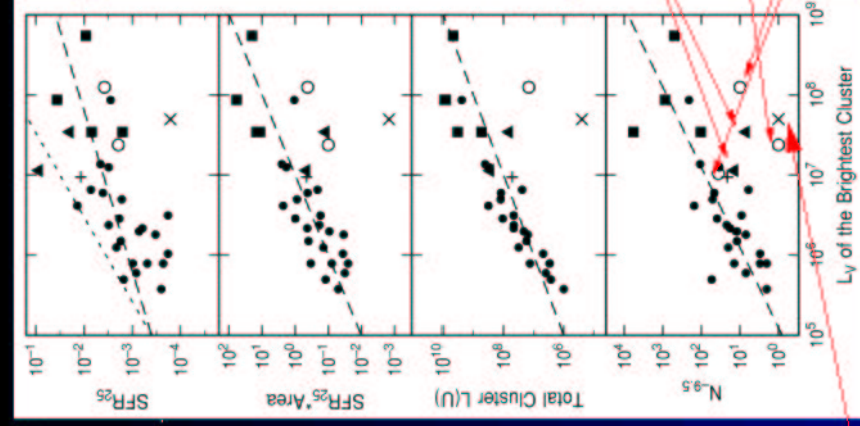
Tantalizing exceptions: dwarf galaxies

Most dwarf galaxies do not have SSC, but some of those that do have SSC masses 10x larger than expected from the size of sample. SoS effect

These dwarfs also look disturbed by neighbor galaxies

High P from tidal shocks?

WLM



Billett et al. 2002

NGC 1569
NGC 1705

NGC 4214
NGC 2366

He 2-10

L_γ of the Brightest Cluster

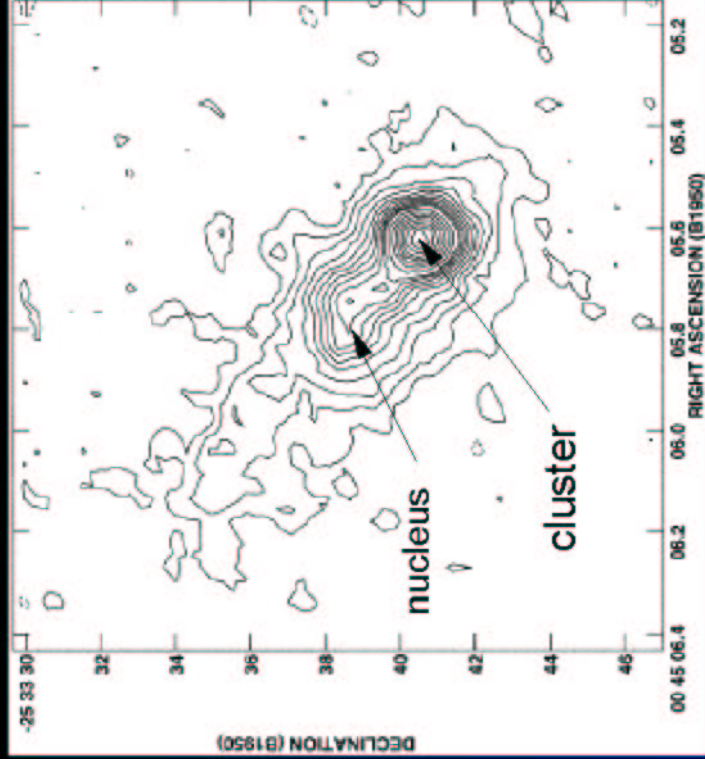
Another exception:
Nuclear clusters

12.8 micron image of
the bright cluster near
the center of NGC 253.

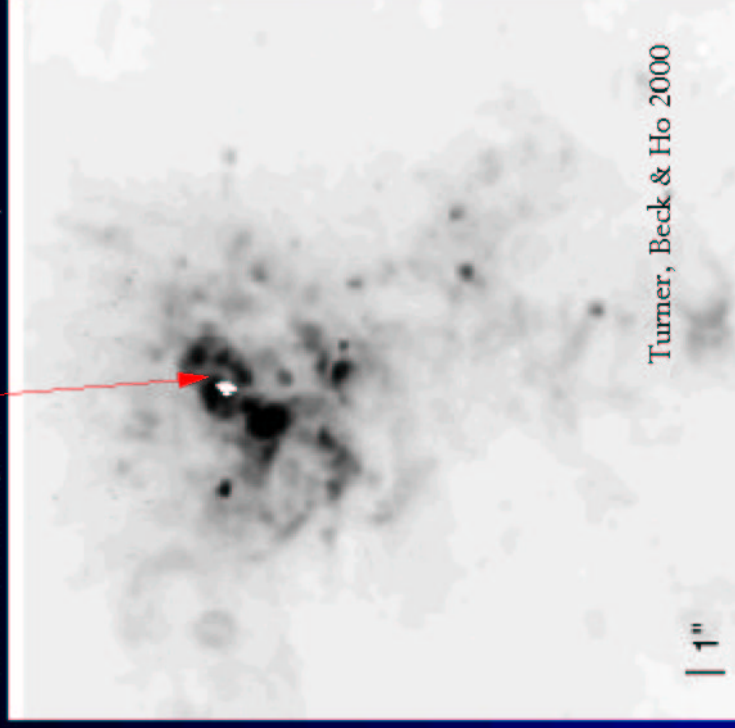
Age < 1My;
several thousand O-stars.

High P from self-gravity?

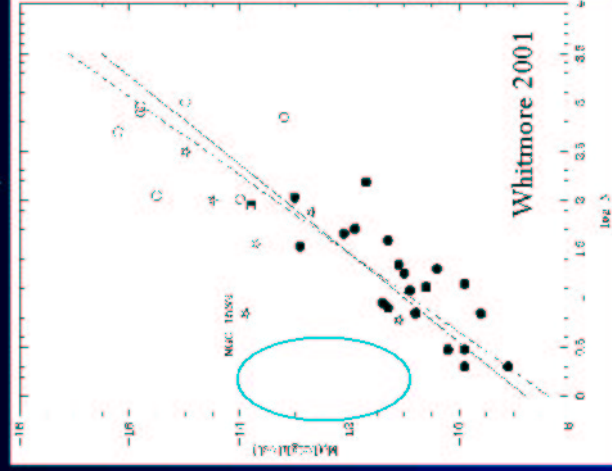
Keto et al. 1999 ApJ 518, 183



NGC 5253 nucleus in H α
with radio continuum
source from 4000 O7 stars
shown in white.



Both nuclear clusters
are unusually massive

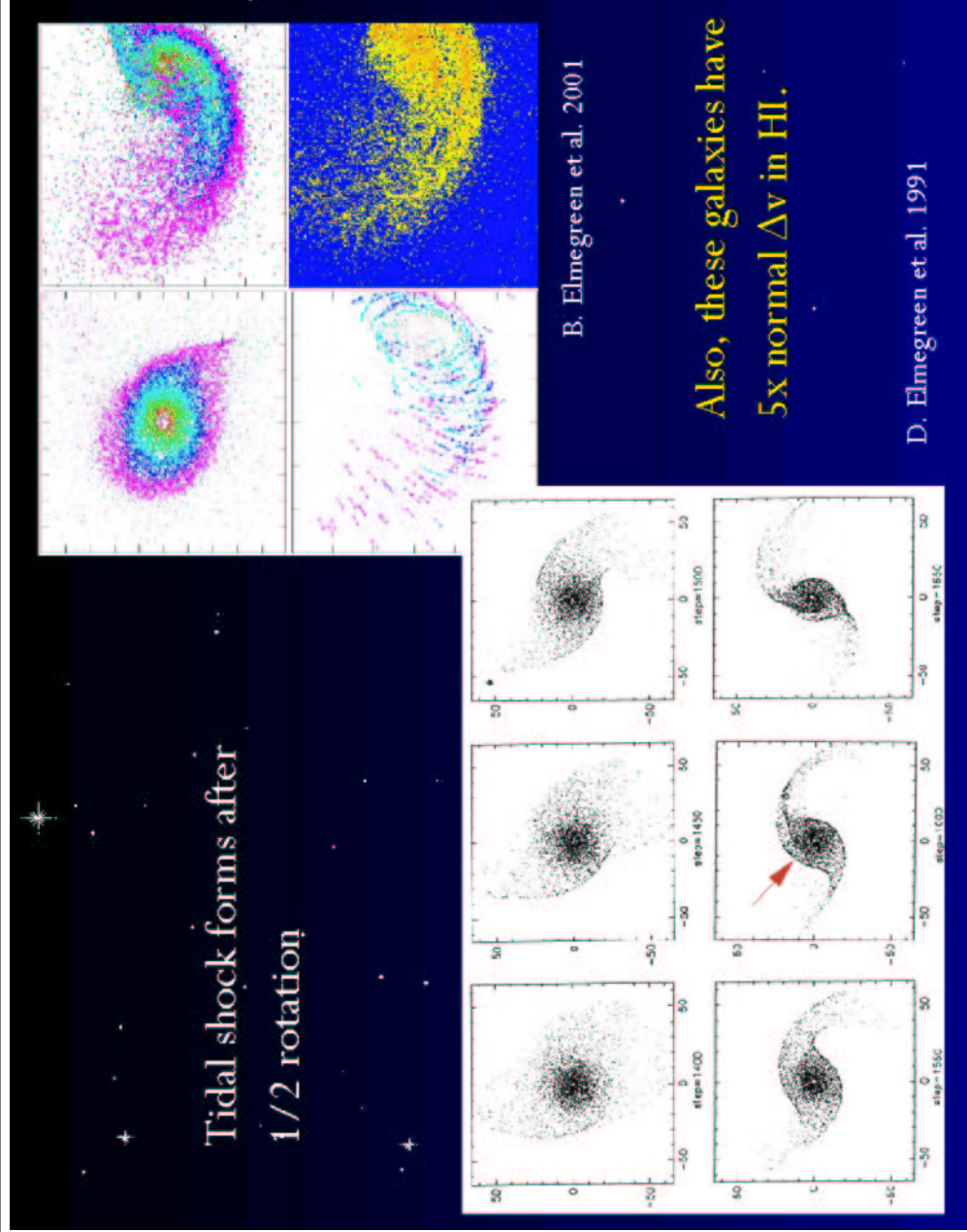


Turner, Beck & Ho 2000



Elmegreen, et al. 2000 AJ 120 630

Galactic shocks in IC 2163 (left) and NGC 2207

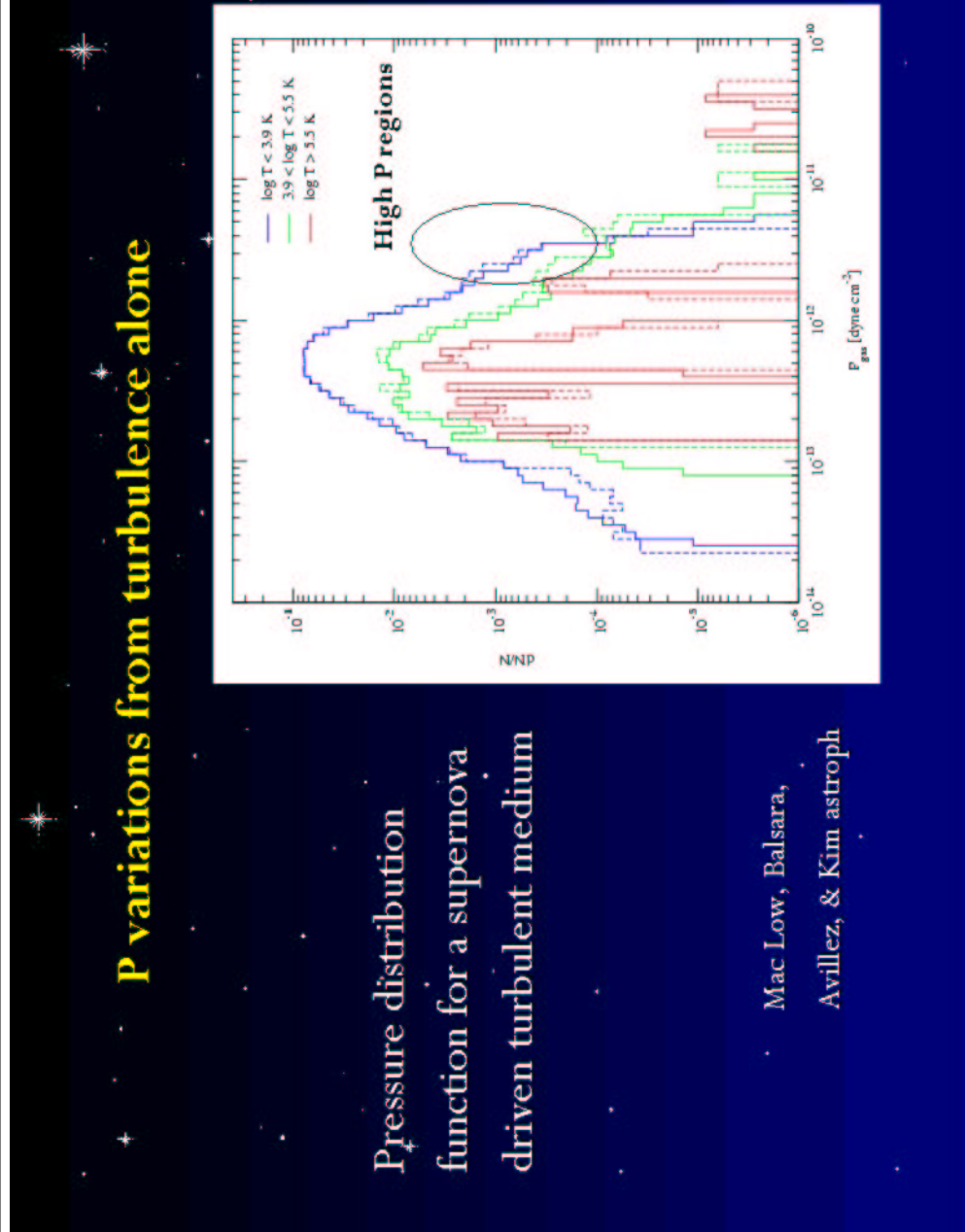
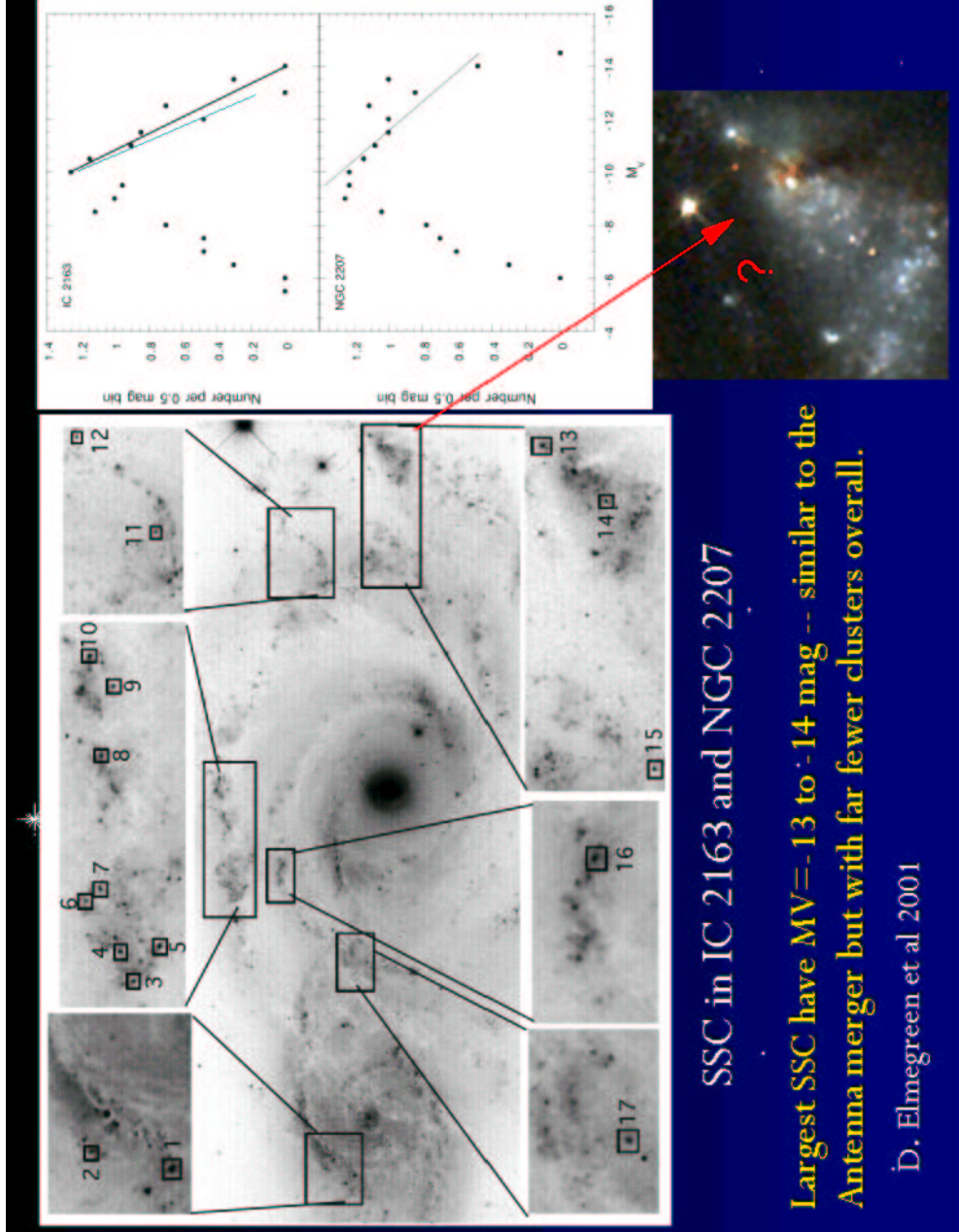


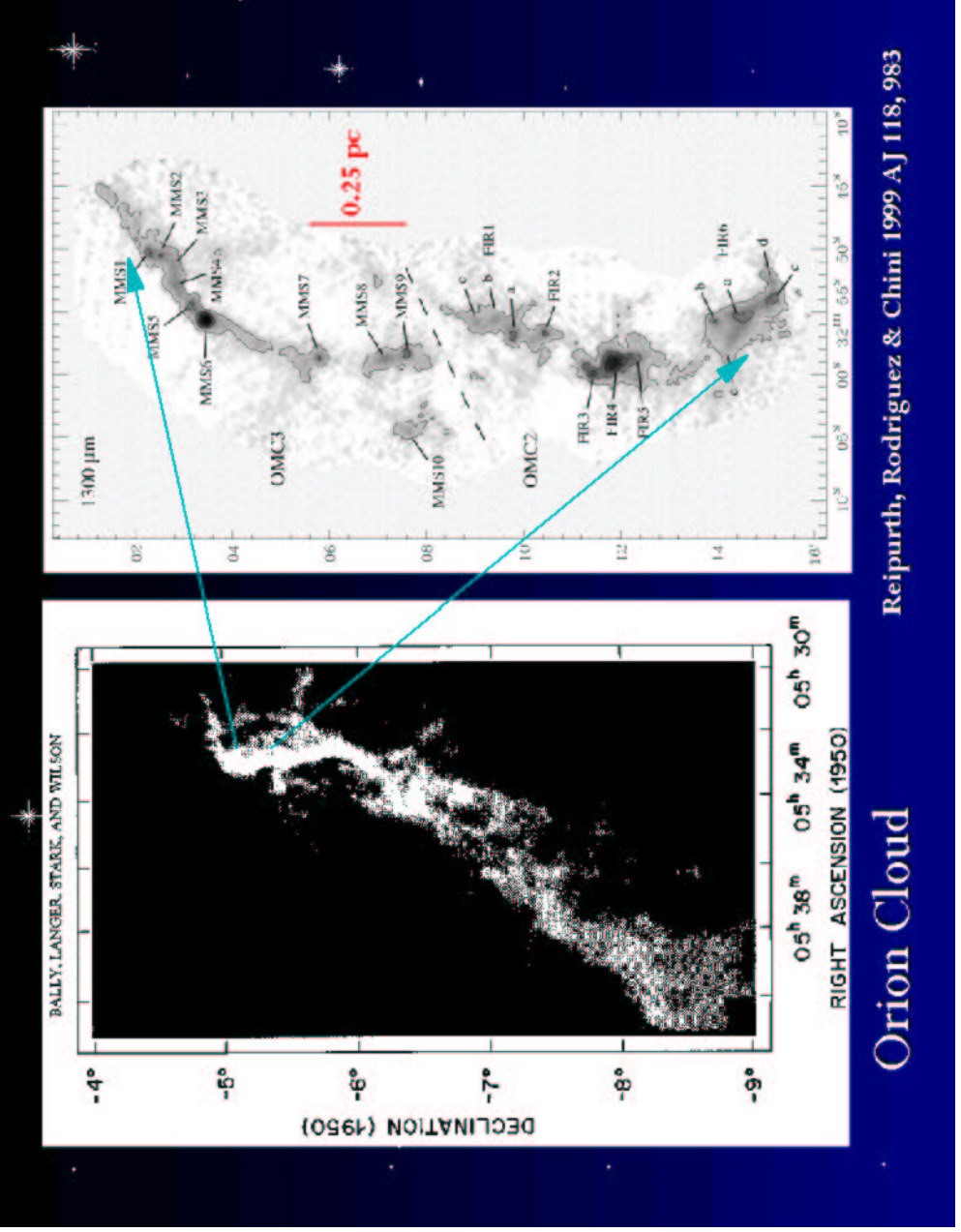
Tidal shock forms after
1/2 rotation

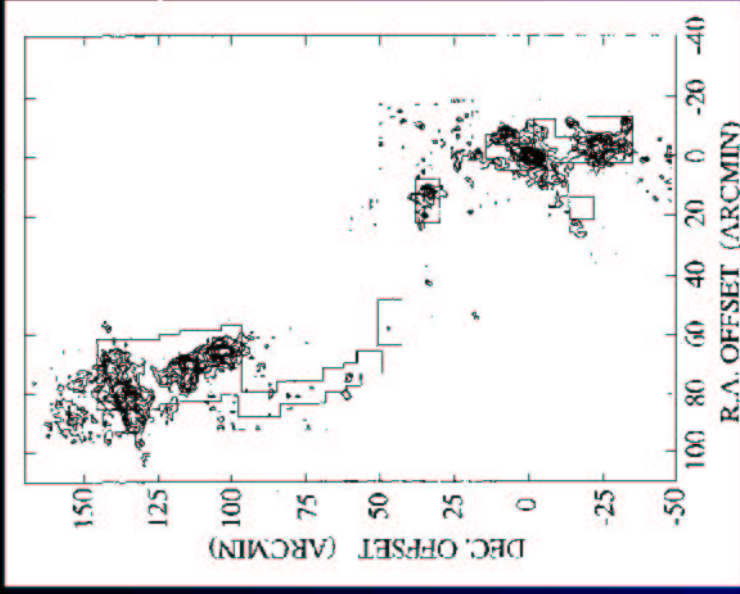
B. Elmegreen et al. 2001

Also, these galaxies have
5x normal Δv in HI.

D. Elmegreen et al. 1991



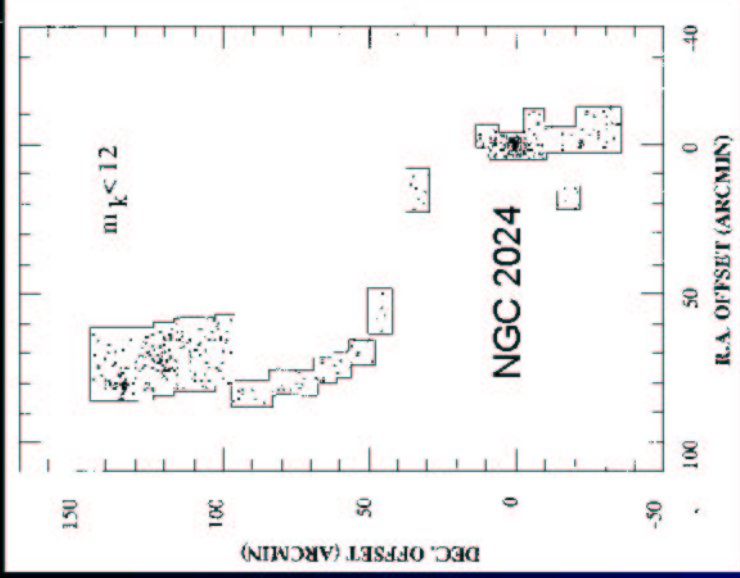




Orion: CS(2-1) contours with IR sources

(NGC 2024 near Horsehead Neb.)

Lada, et al. 1991, ApJ, 371, 171

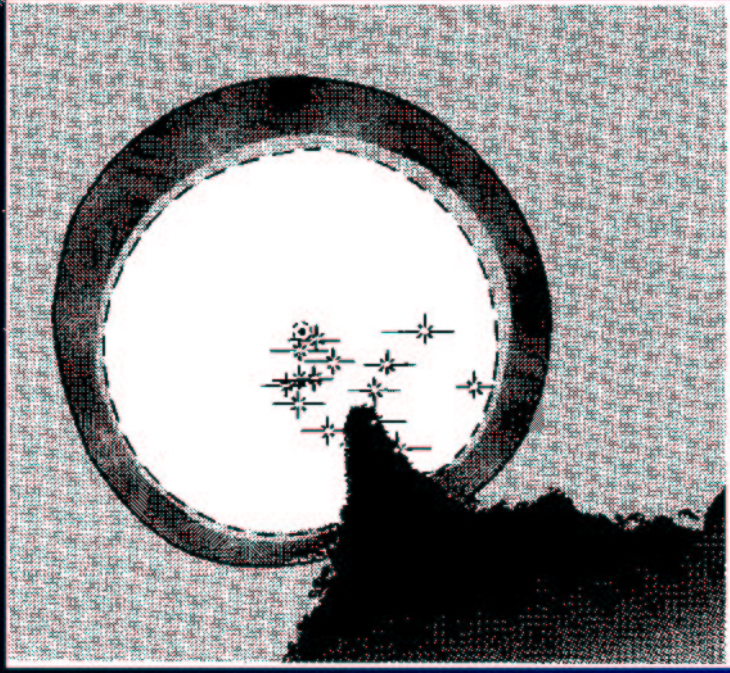


Ophiuchus cloud in the infrared

IPAC, IRAS

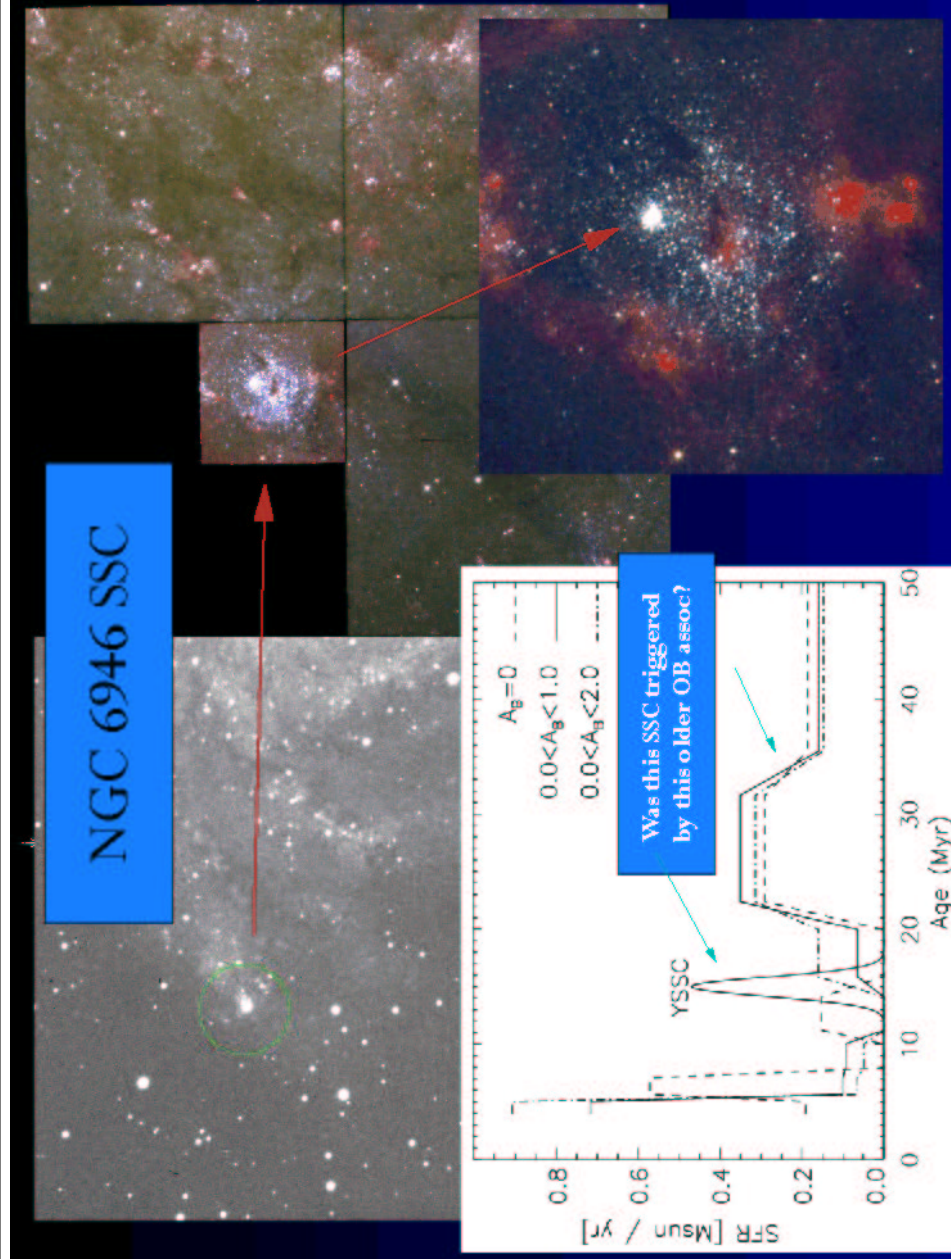
Shocks from Upper Sco OB association triggered SF in Ophiuchus (de Geus 1992) and, before this, shocks from upper Cen-Lupus triggered Upper Sco (Preibisch & Zinnecker 1999).

Most local clusters form in cores compressed by HII regions. 10-50% of SF in the inner MW and the LMC adjacent to high-P HII regions (Yamaguchi et al 2001, 2002)



de Geus 1992 AA 262, 258

NGC 6946 SSC



Larsen et al. 2001, 2002

Summary

- ★ Most SSC look like normal clusters
- ★ Their high masses are not surprising based on the large numbers of clusters overall
- ★ Their compactness requires high pressures, but in most regions these follow from the self-gravity of the ISM (P_{ave}) plus all of the common high-P fluctuations that trigger cluster formation ($P_{\text{environment}} \sim 100xP_{\text{ave}}$), plus the self-gravity of the core ($P_{\text{SG}} \sim 100 P_{\text{environment}}$)
 - can high magnetic diffusion rates in low-Z galaxies increase $P_{\text{SG}}/P_{\text{env}}$?
- ★ Sometimes, high pressures come from galactic shocks or nuclear gas collection ($P_{\text{environment}} \sim 100xP_{\text{ave}}$) without local triggering.
- ★ Deviations from size-of-sample expectations and the Kennicutt-Schmidt law should reveal unusual physical processes. So far, examples of such deviations are rare.