


Towards a better modelling of star formation – feedback loop in galaxy formation simulations




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the most important properties of galaxies?


 **David Spergel** @DavidSpergel · Sep 24
Mass of the star determines its history. Mass of a galaxy determines most of its properties. What else is important for a galaxy?

FAVORITES
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8:31 AM - 24 Sep 2015 · Details

 **Julianne Dalcanton** @dalcantonJD · Sep 24
[@DavidSpergel](#) Thesis: We're at a point where stars are more interesting than galaxies.

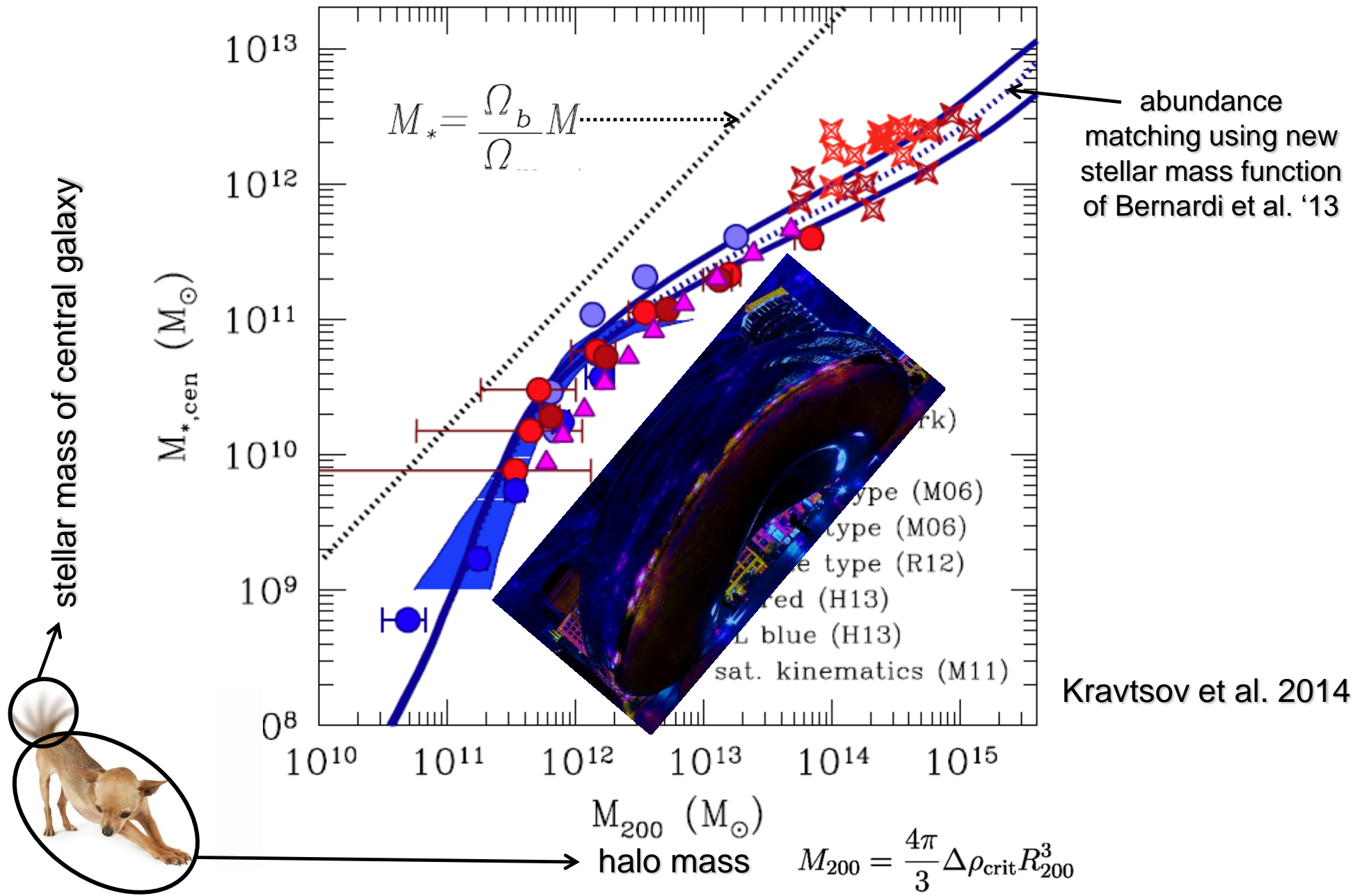
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 **David Spergel** @DavidSpergel · Sep 24
[@dalcantonJD](#) You have been looking at too many stars...

   1 

thesis: host halo mass is the most important property of galaxies

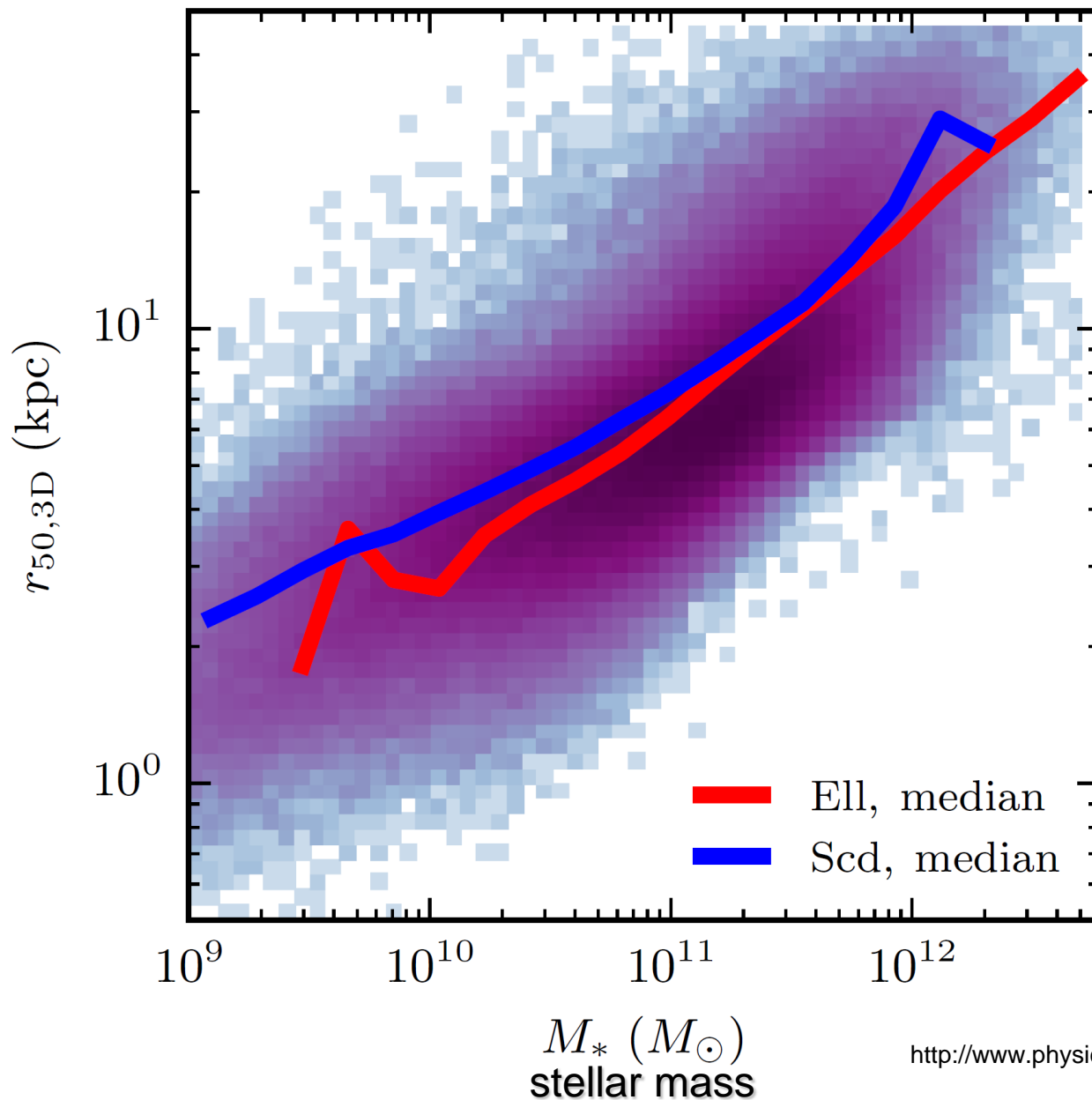
stellar mass - the most basic galaxy property – tightly correlates with host halo mass
(and in this case correlation almost certainly = causation)



Galaxy size – the 2nd most basic galaxy property – correlates with stellar mass
(in this case correlation almost certainly != causation)

e.g., Shen et al. 2003; Bernardi et al. 2010, 2013

3D stellar half-mass radius of galaxies



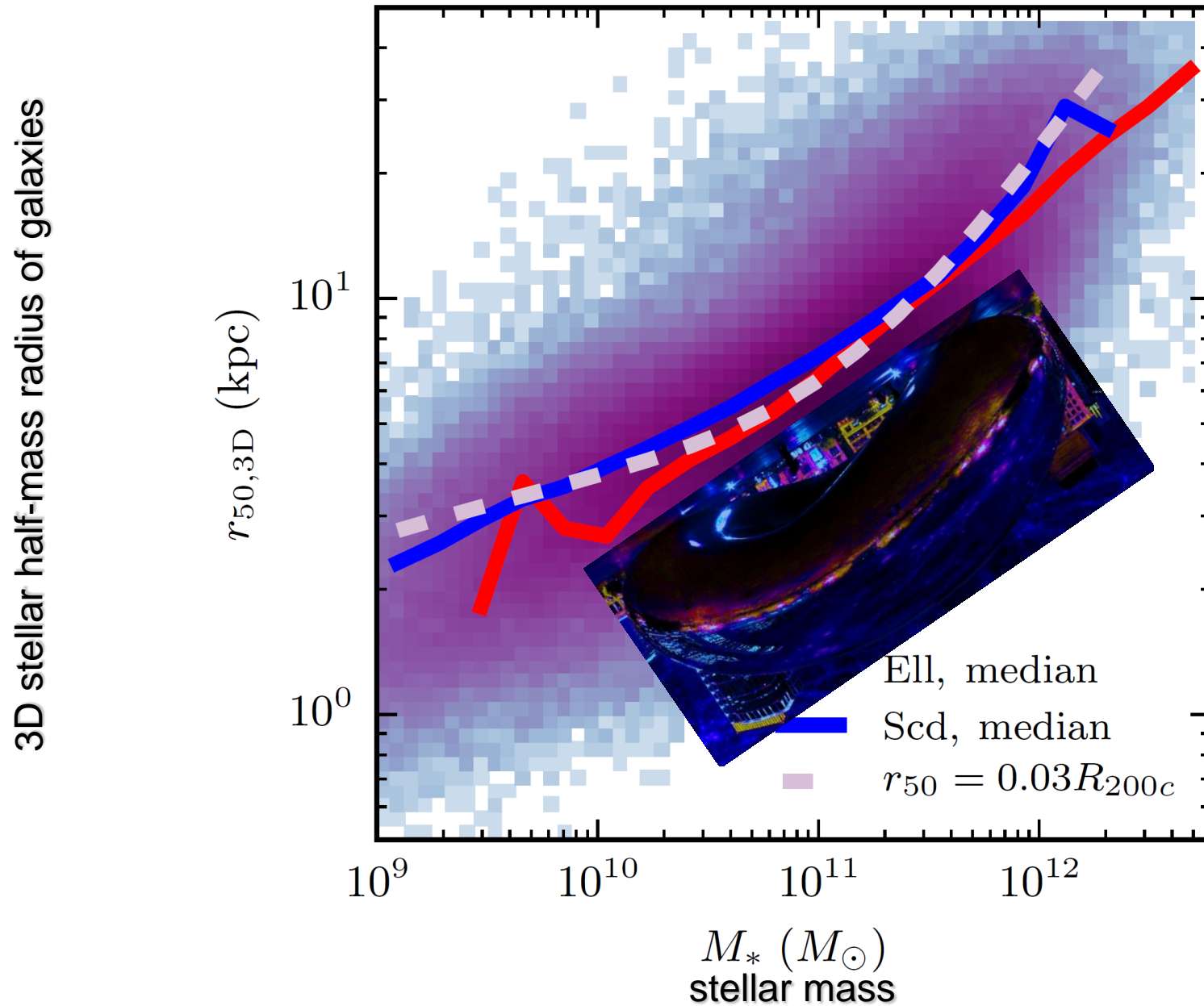
3D radius of late type
= projected radius
(corr. for inclination)

3D radius of early type
= 1.34 x projected radius

Sizes and stellar
masses from improved
SDSS photometry of
Meert, Bernardi+2015

Half-mass radii of galaxies are approximately proportional to the virial radius of their host halo

Kravtsov 2013; this holds across all z – e.g., Shibuya+ 2015 (see M. Ouchi's talk later today)



feedback

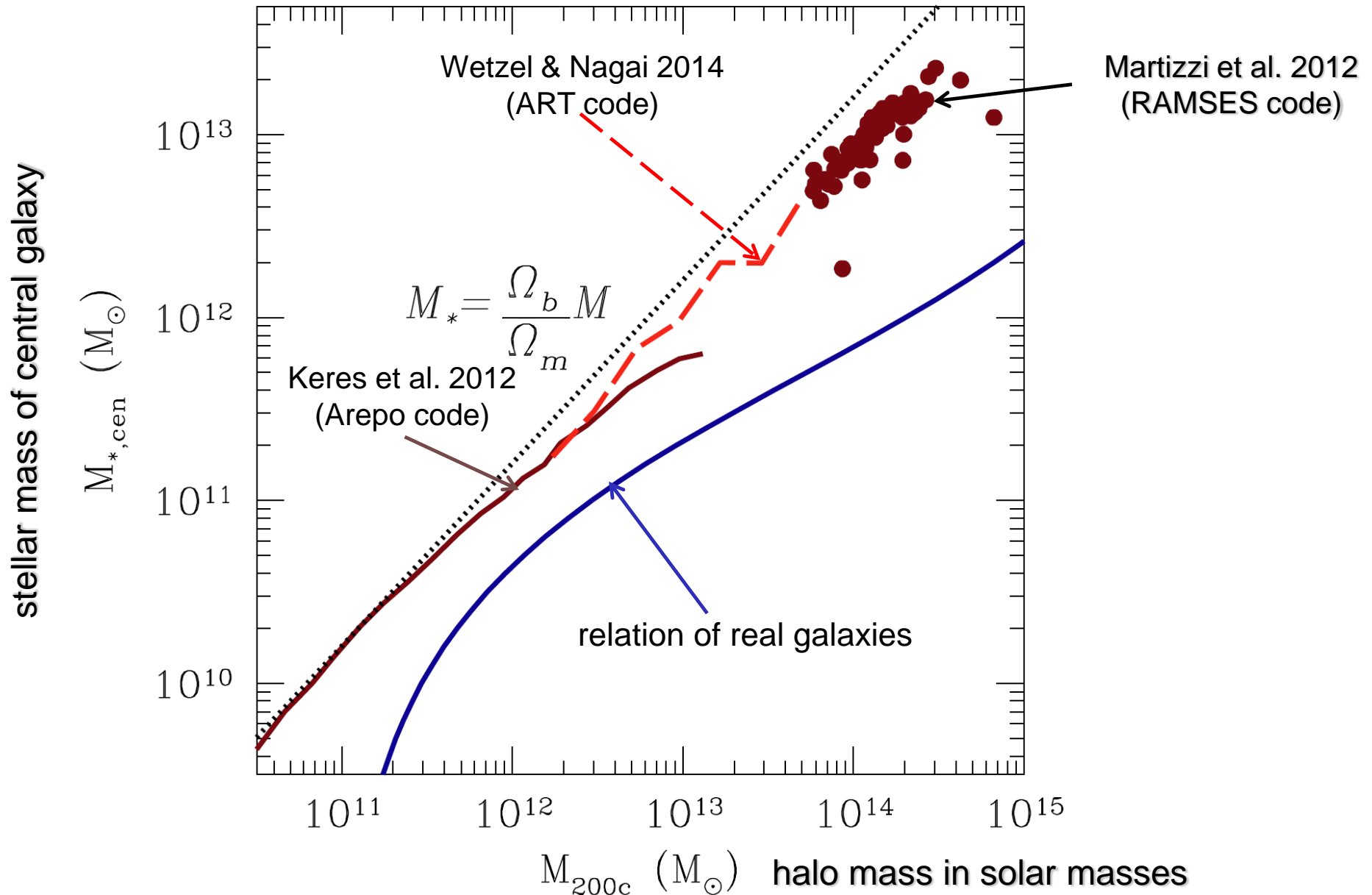
Although halo mass seems to control stellar mass and size, these properties cannot be explained by gravitational collapse and standard heating/cooling processes.

Suppression of gas accretion or ejection of accreted mass is required!

NGC 1569 = (post)starburst dwarf galaxy
(as a reprieve from the obligatory M82 image)

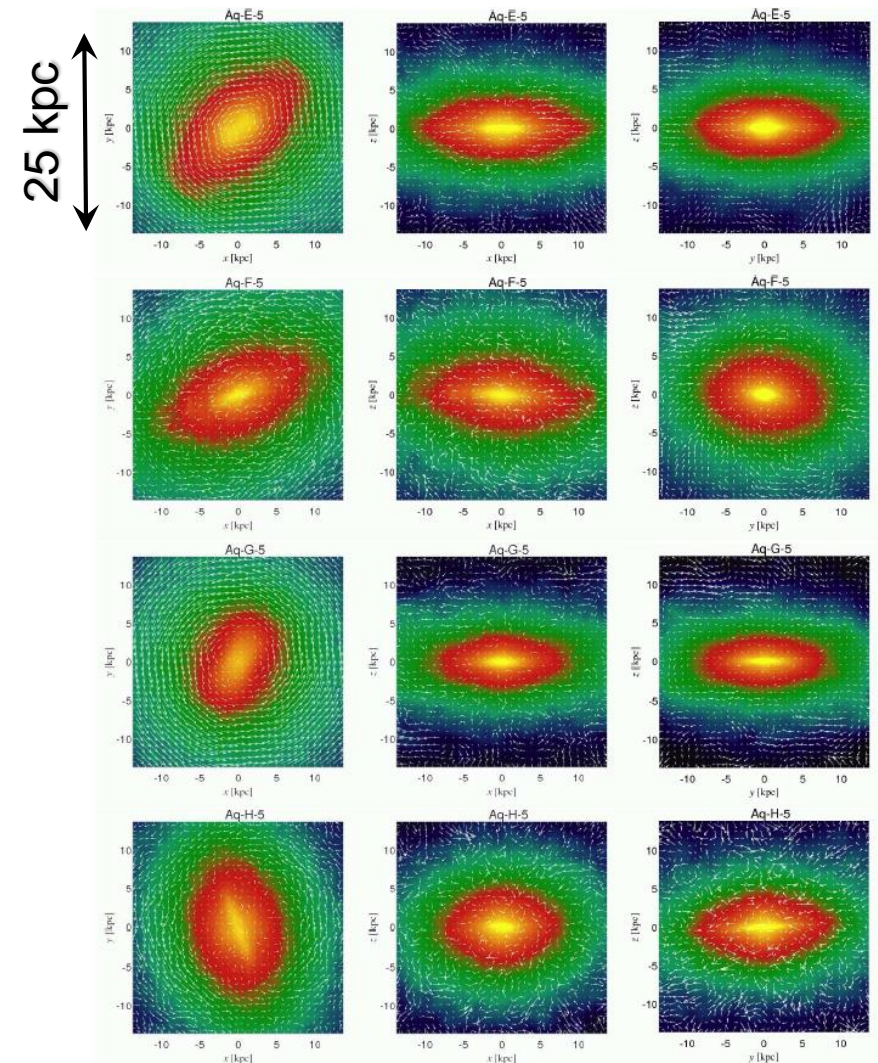
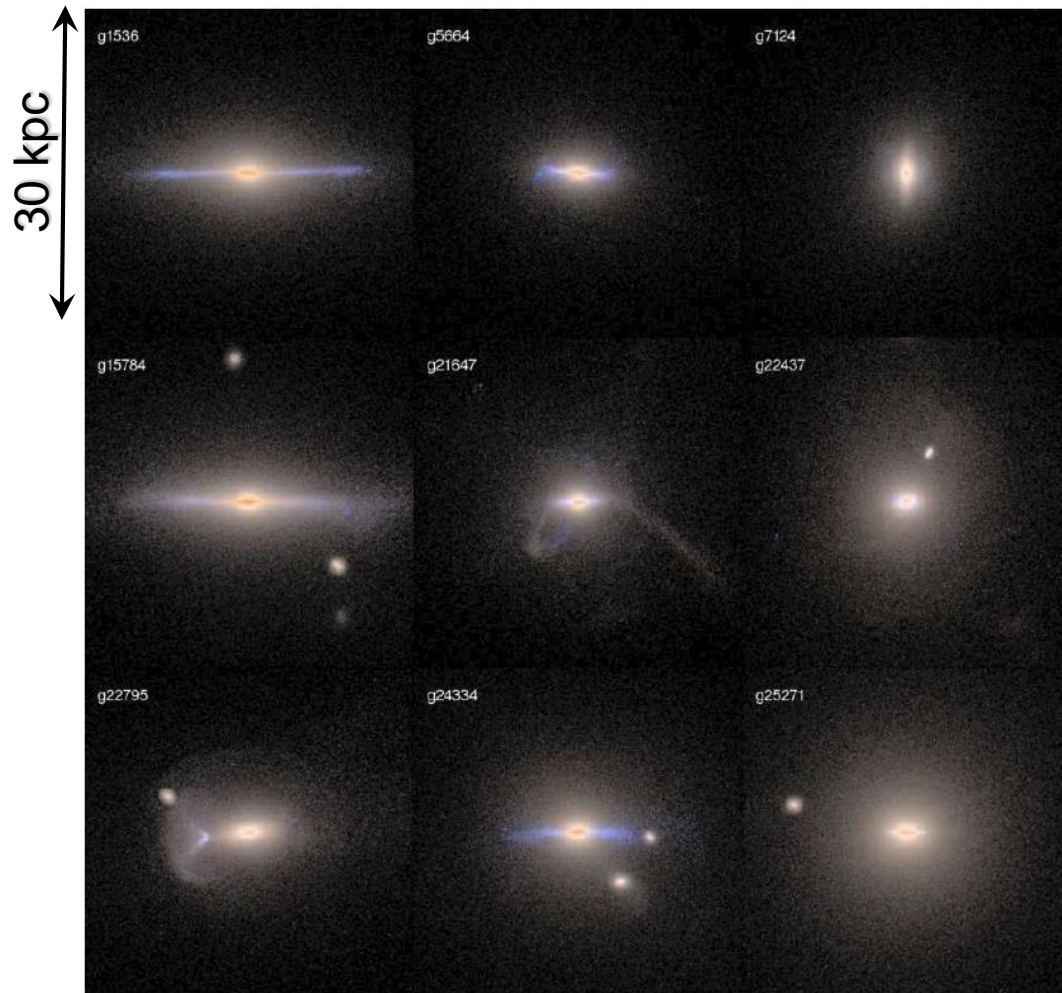
M_* - M_{halo} relation of galaxies in simulations with inefficient feedback

Most simulations prior to ~2011 included basic thermodynamic processes and a recipe for stellar/AGN, but failed to reproduce a pronounced characteristic mass at $M \sim 10^{12} M_{\odot}$ indicated by observations



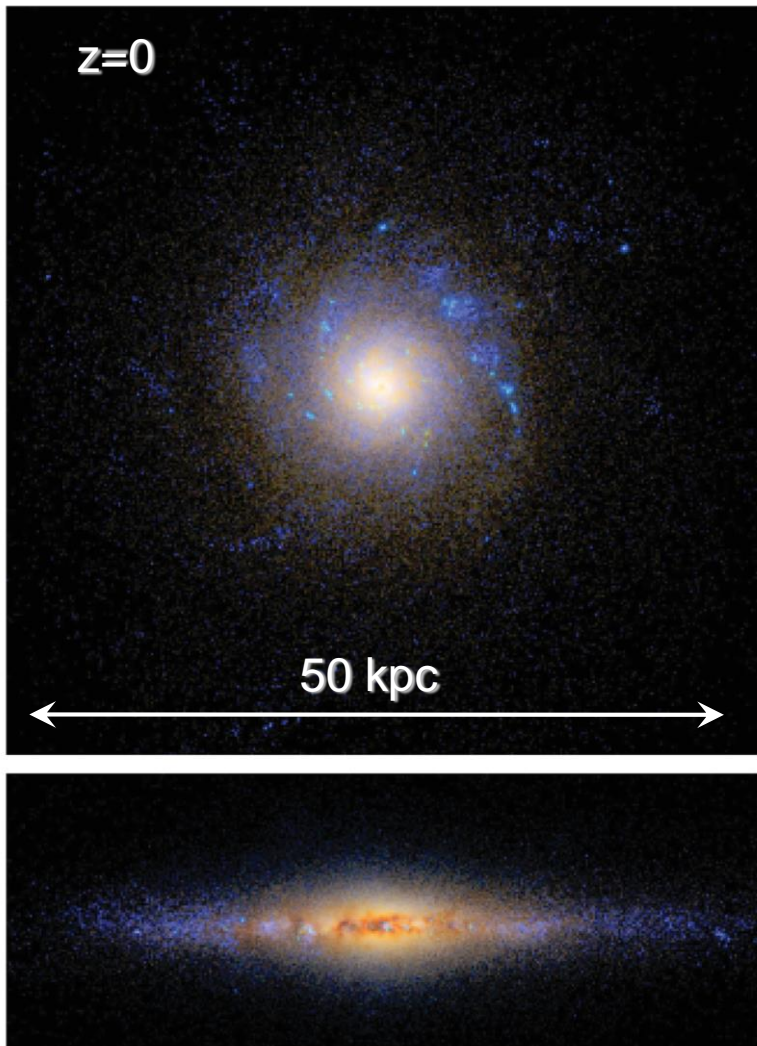
wrong feedback gives wrong galaxy sizes and morphologies

until ~2011 most simulations produced galaxies that were too massive, too compact, or dominated by spheroidal component

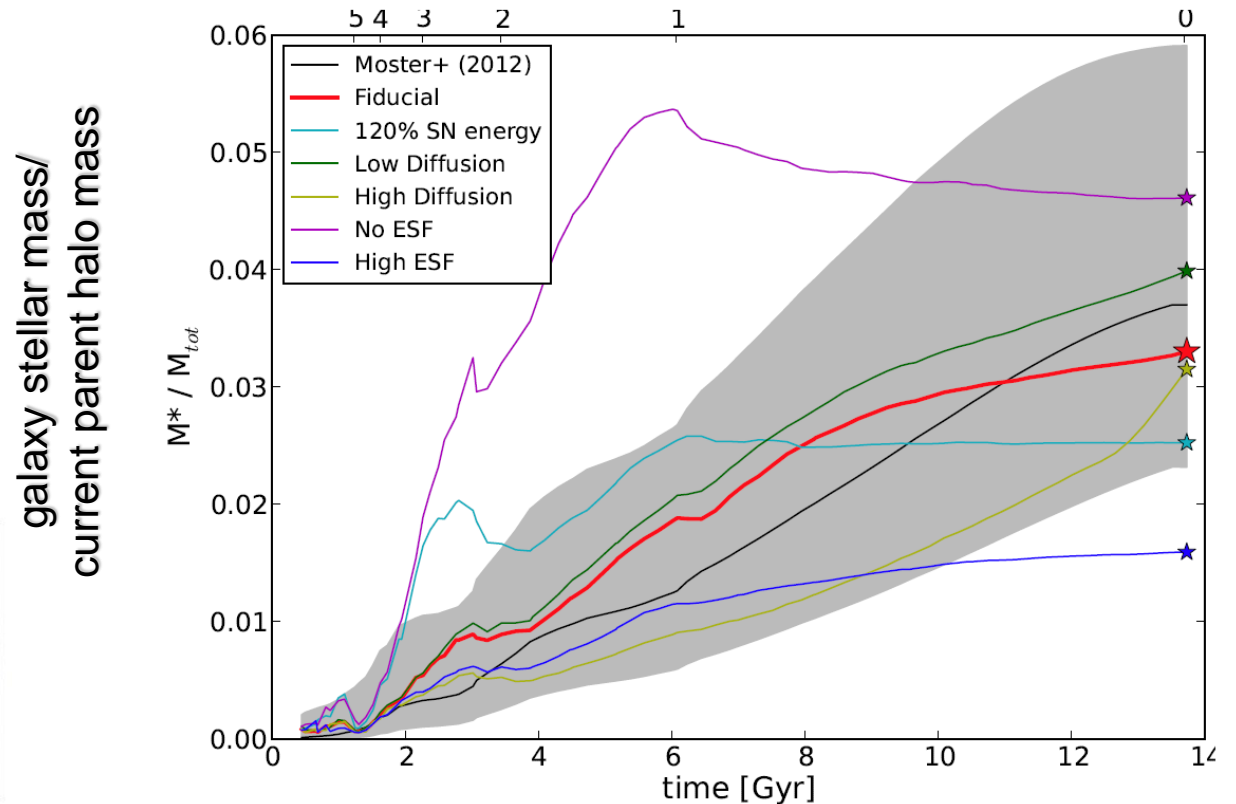


thesis # 2: galaxy formation processes (i.e., sf/feedback) must keep galaxy on the correct M^* - M_{halo} relation at all times

Measurements of star formation rates and stellar mass functions at $z > 2$ in the last ~ 5 years have shown that simulations have been overestimating SFR and stellar masses at these z , which turned out to be the main cause of problems with size, morphology...



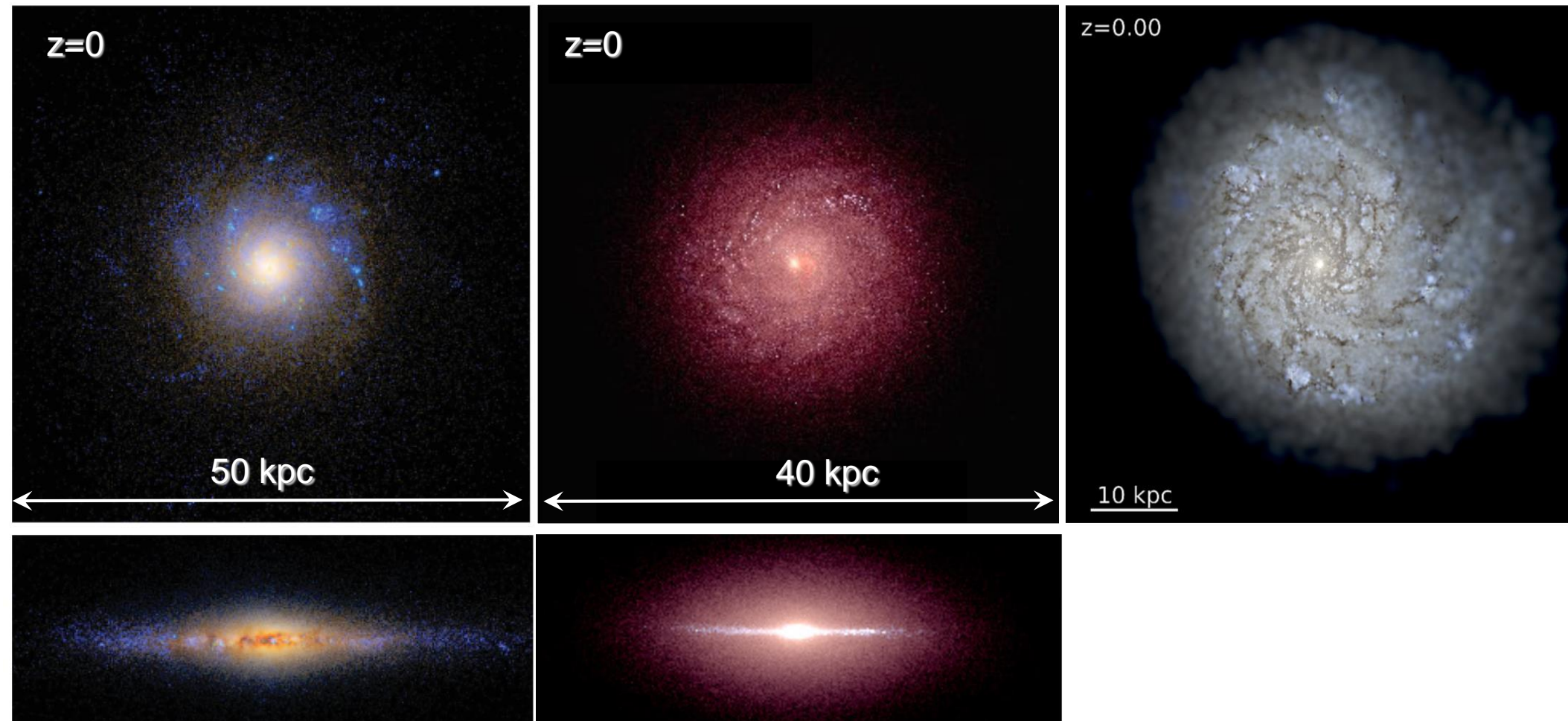
buildup of stellar mass (relative to total halo mass) in galaxy formation simulations with different feedback prescriptions/parameters (Stinson et al. '12)



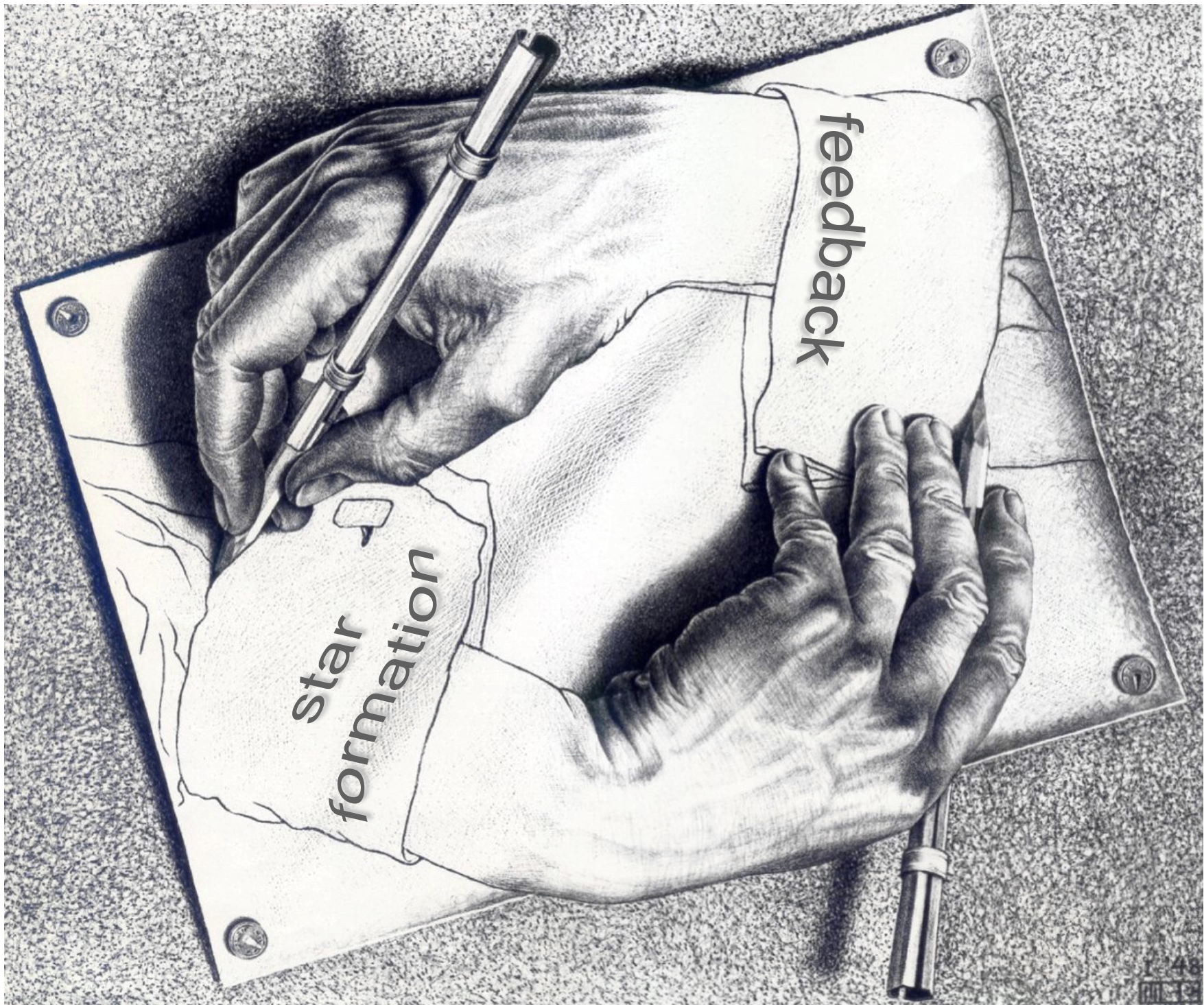
significant recent (last ~3-5 yrs) progress in modelling galaxies in simulations

Adjusting feedback implementations to conform to M^* -Mhalo evolution indicated by observations improved ability of simulations to produce much more realistic galaxies, in particular, late type disks with low bulge-to-disk ratios.

Guedes+ 11; Governato+ 10,11,12; Brook+ 2012; Stinson+ 13; Hummels & Bryan '12; Hopkins+ 2014; Ceverino+'14; Trujillo-Gomez+ 14; Uebler+ 14; Salem+ 14; Keller+ 14, 15, 16; Agertz & Kravtsov '15, 16



what about star formation?



M.C. Escher, "Drawing hands", 1948

treatment of local star formation does influence evolution drastically



Oscar Agertz

e.g. effects of star formation efficiency on bulk galaxy properties are drastic because they affect efficacy of stellar feedback

(e.g., Ceverino & Klypin '08; Governato et al. '10; Guedes et al. '11; Hopkins et al. '13, '14; Agertz & Kravtsov '15, '16)

$$\epsilon_{\text{ff}} = 0.1; E_{\text{SN}} = E_{\text{fid}} \quad \rightarrow$$

standard H₂-based star formation model

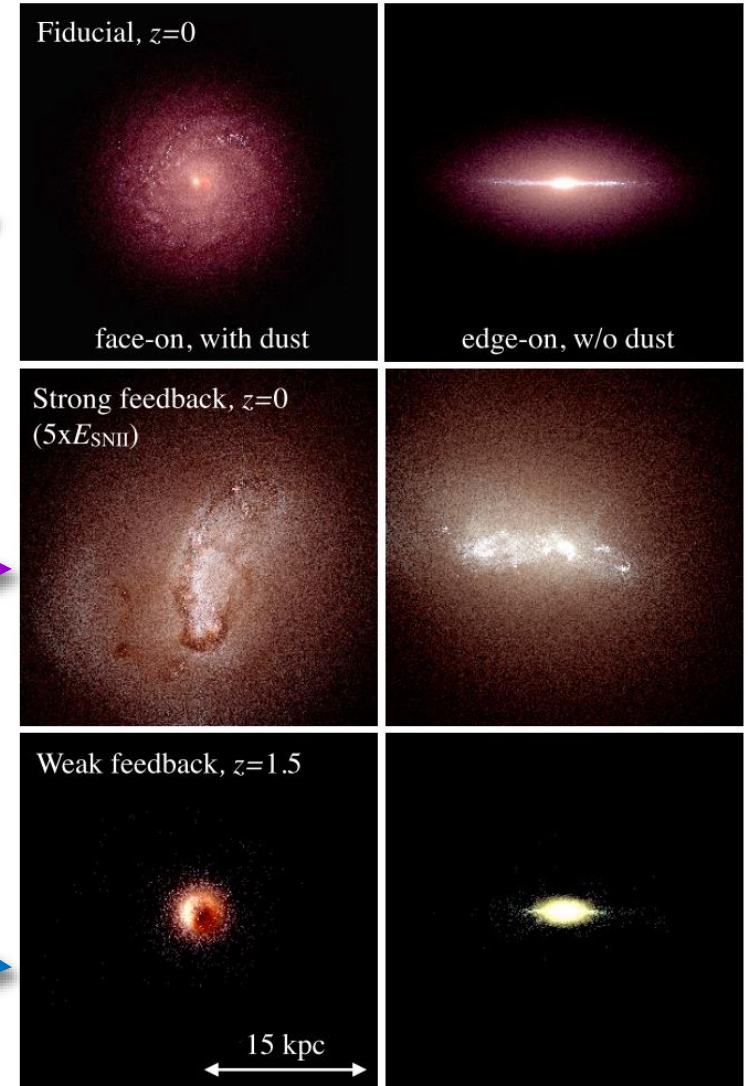
$$\dot{\rho}_* = \epsilon_{\text{ff}} \frac{\rho_{\text{H}_2}}{t_{\text{ff}}}$$

$$\epsilon_{\text{ff}} = 0.01; E_{\text{SN}} = 5E_{\text{fid}} \quad \rightarrow$$

t_{ff} = free-fall time

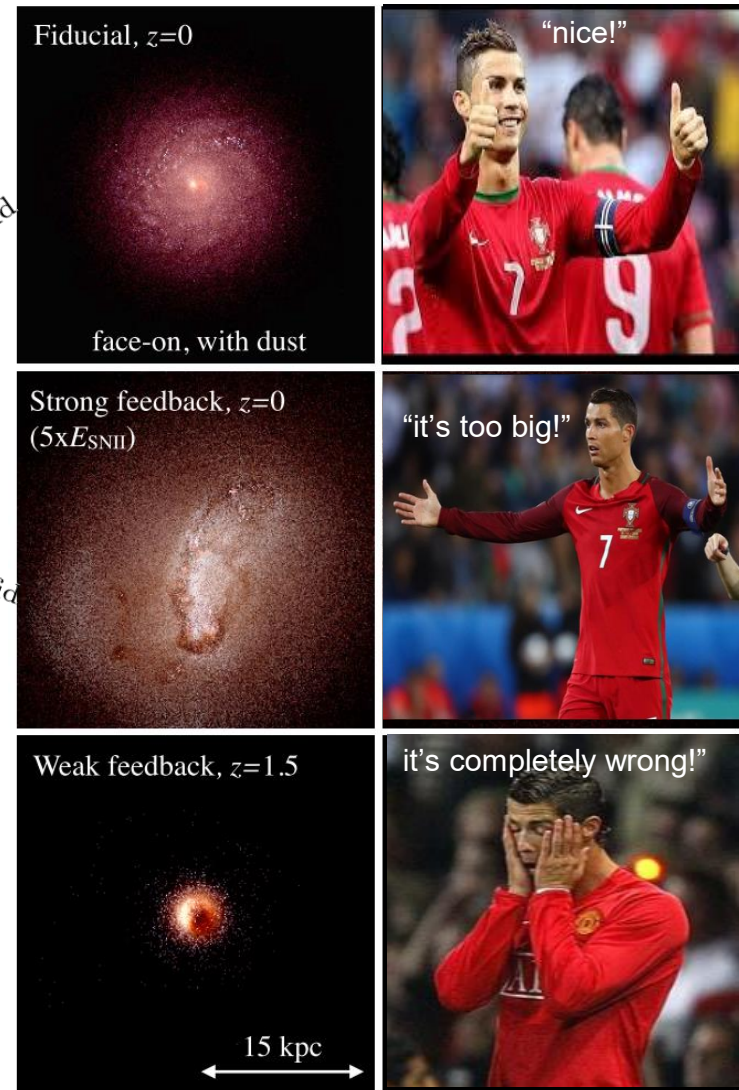
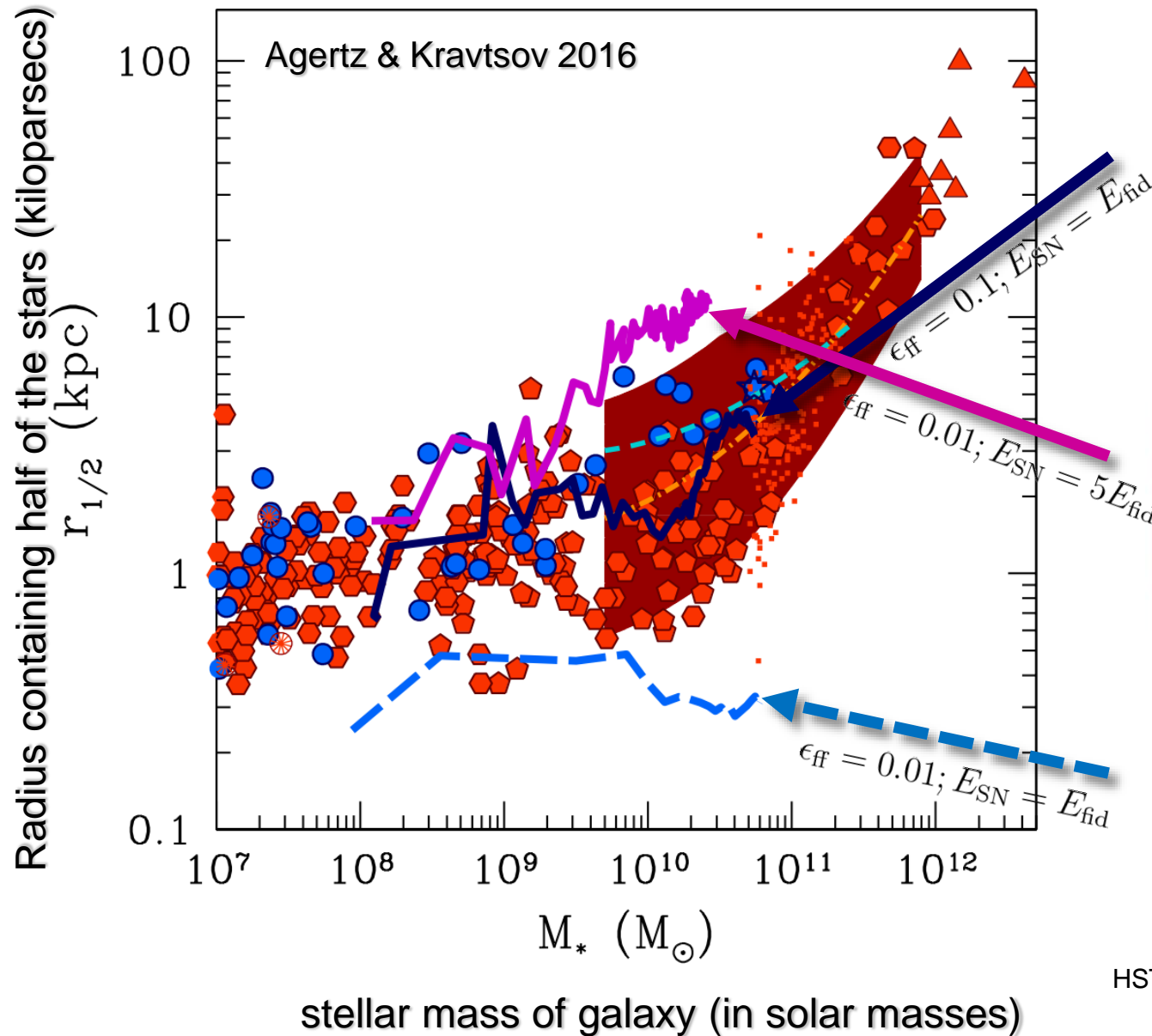
$$t_{\text{ff}} = \sqrt{\frac{3\pi}{32G\rho_g}} \propto \rho_g^{-1/2}$$

$$\epsilon_{\text{ff}} = 0.01; E_{\text{SN}} = E_{\text{fid}} \quad \rightarrow$$



HST mockup RGB using F450W, F606W, F814W filters

A galaxy you form in a halo is sensitive to choices of feedback and efficiency

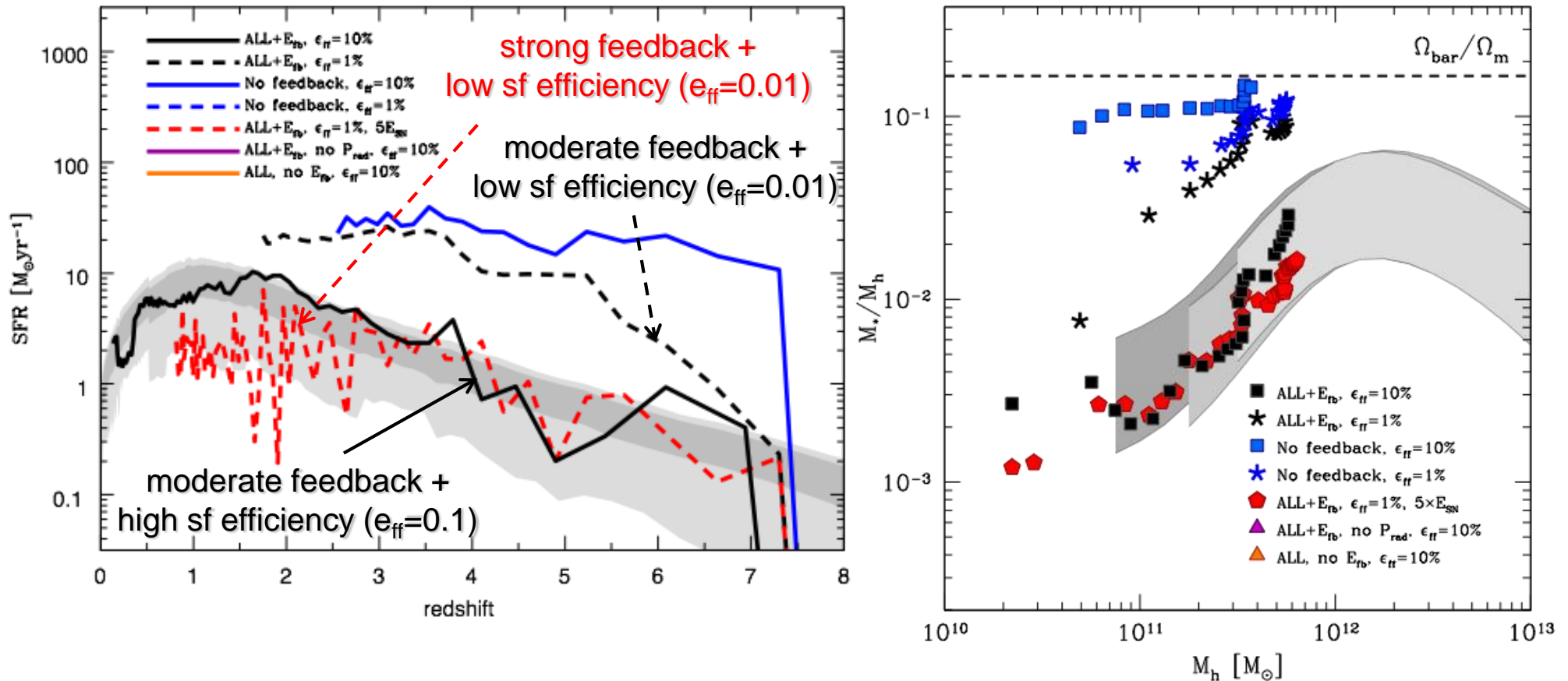


HST mockup RGB using F450W, F606W, F814W filters

Star formation history and stellar mass-halo mass relation for different sf efficiencies and feedback strengths

Star formation history of MW-sized progenitor and corresponding evolution in M^* - M plane: simulation that stays on the M^* - M_{halo} relation and SFR(t) history for halo of this mass produces a realistic late type galaxy

Gray bands = Semi-empirical star formation history for a $10^{12} M_{\odot}$ halo from abundance matching (*Behroozi et al. '13*)



Given the strong effects of star formation efficiency choice, is this:

$$\dot{\rho}_* = \epsilon_{\text{ff}} \frac{\rho_{\text{H}_2}}{t_{\text{ff}}}$$

- **Star formation efficiency universal in space and time (~1-100%)**

enough?

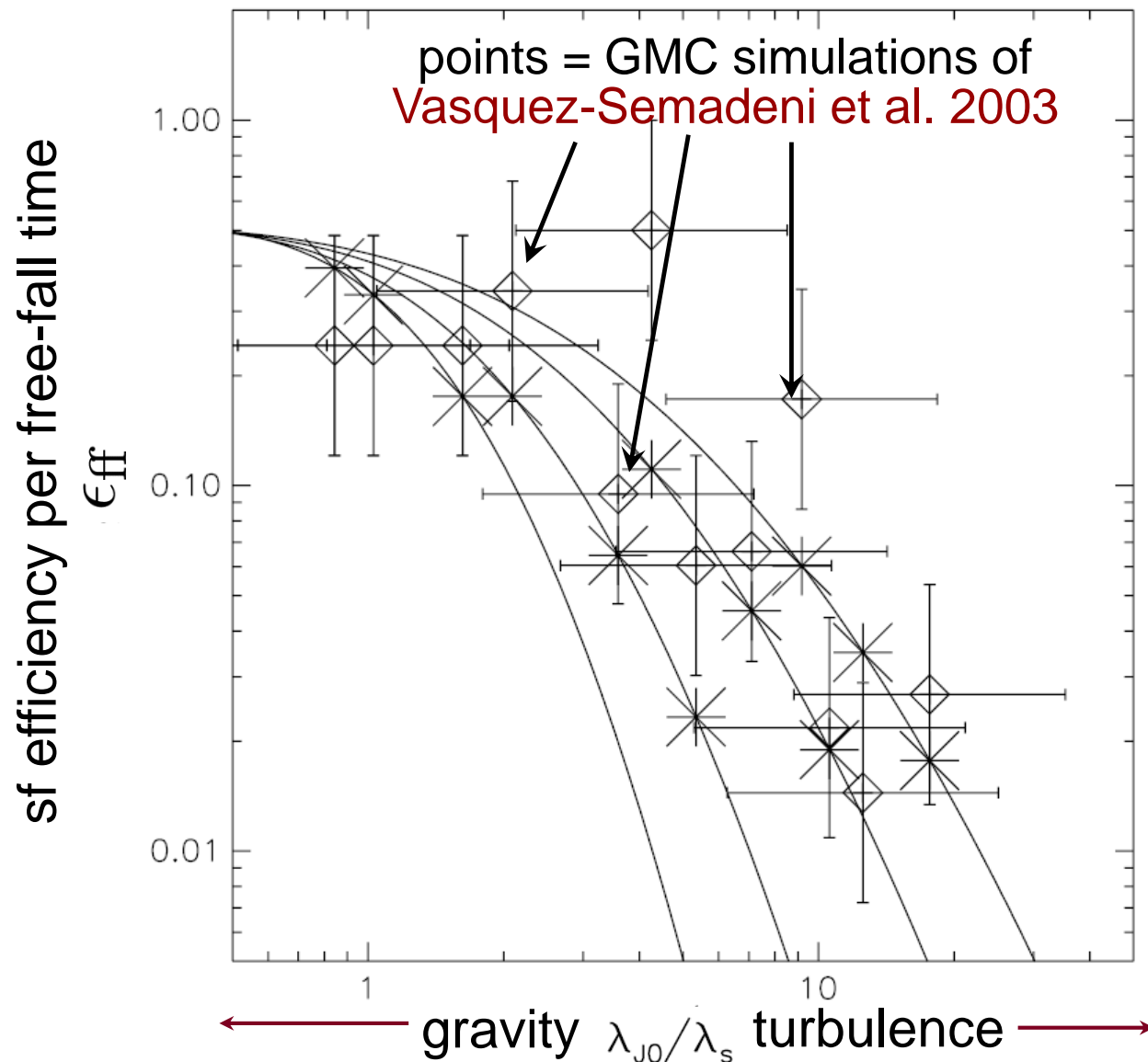
Nick's “star forming gas”: complex environments, strong observational evidence that sf efficiency varies by at least an order of magnitude (Murray 2011; Agerz & Kravtsov 2015; Lee, Murray & Chang 2016; Lewis et al. 2016, in prep)

scales: 1-100 pc



Turbulence and star formation efficiency

Elmegreen 2002; Krumholz & McKee (2005) – turbulence-based models of star formation (cf. also Padoan & Nordlund 2011; Federrath 2014)



- turbulence establishes (~log-normal) density PDF
- stars form in the densest bound regions that satisfy collapse criteria

$$x_{\text{crit}} = \left(\phi_x \frac{\lambda_{\text{J0}}}{\lambda_s} \right)^2$$

sonic length:

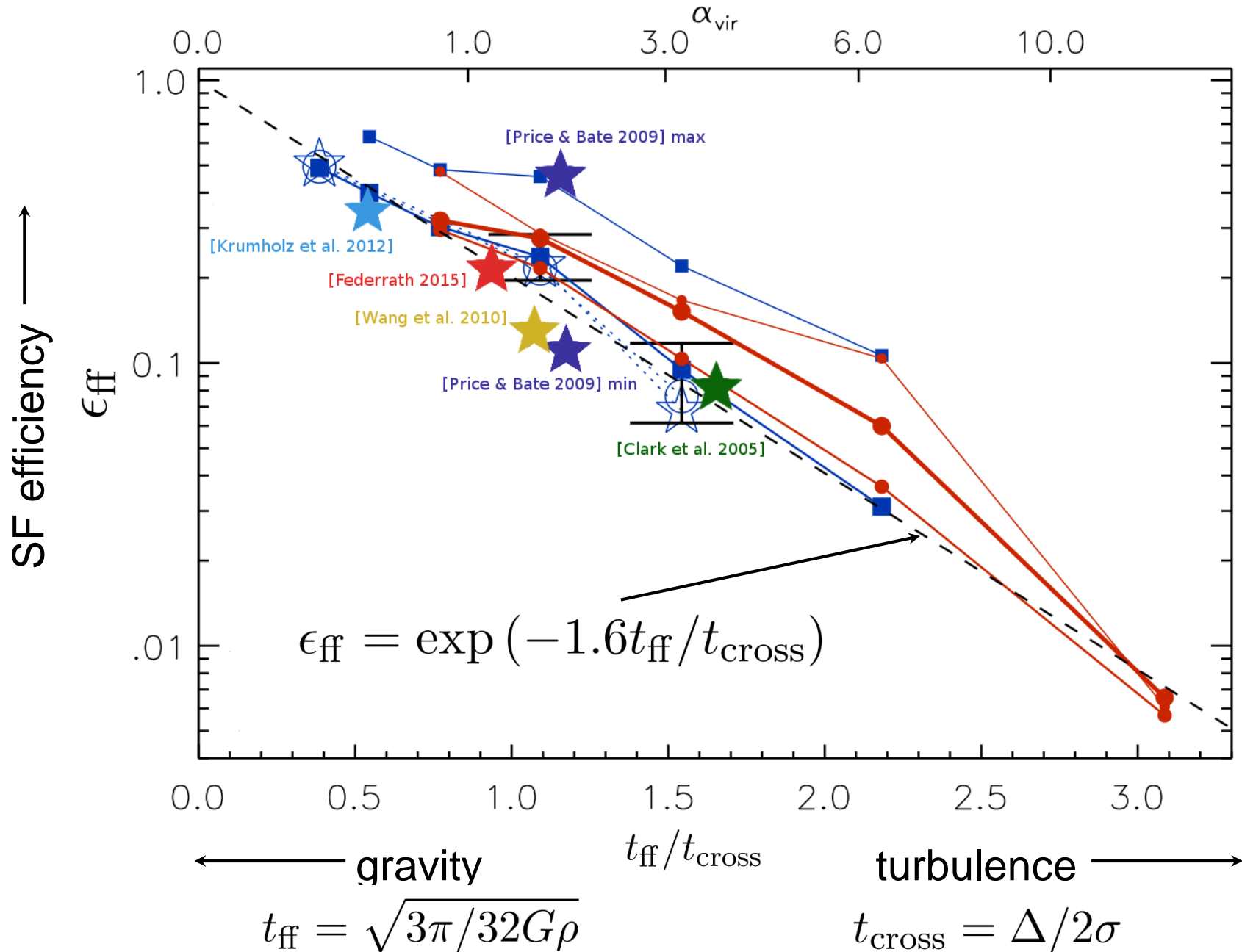
$$\lambda_s = 2R \left(\frac{c_s}{\sigma_{2R}} \right)^{1/p}$$

Jeans length:

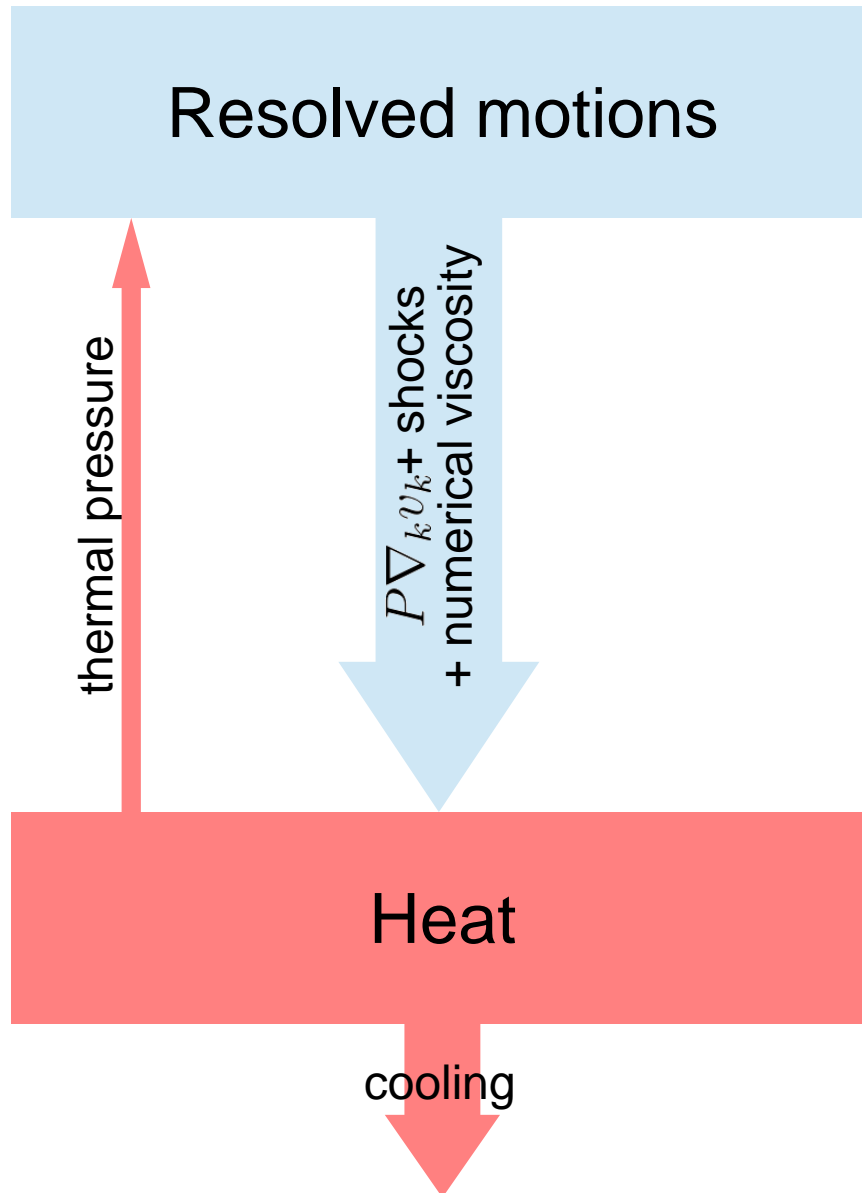
$$\lambda_{\text{J0}} = \sqrt{\frac{\pi c_s^2}{G \rho_0}} = 2\pi c_s \sqrt{\frac{R^3}{3GM}}$$

Results of recent turbulent GMCs simulations

Padoan, Haubolle, Nordlund 2012 ApJ 759, L27



energy exchanges in a standard hydro simulation



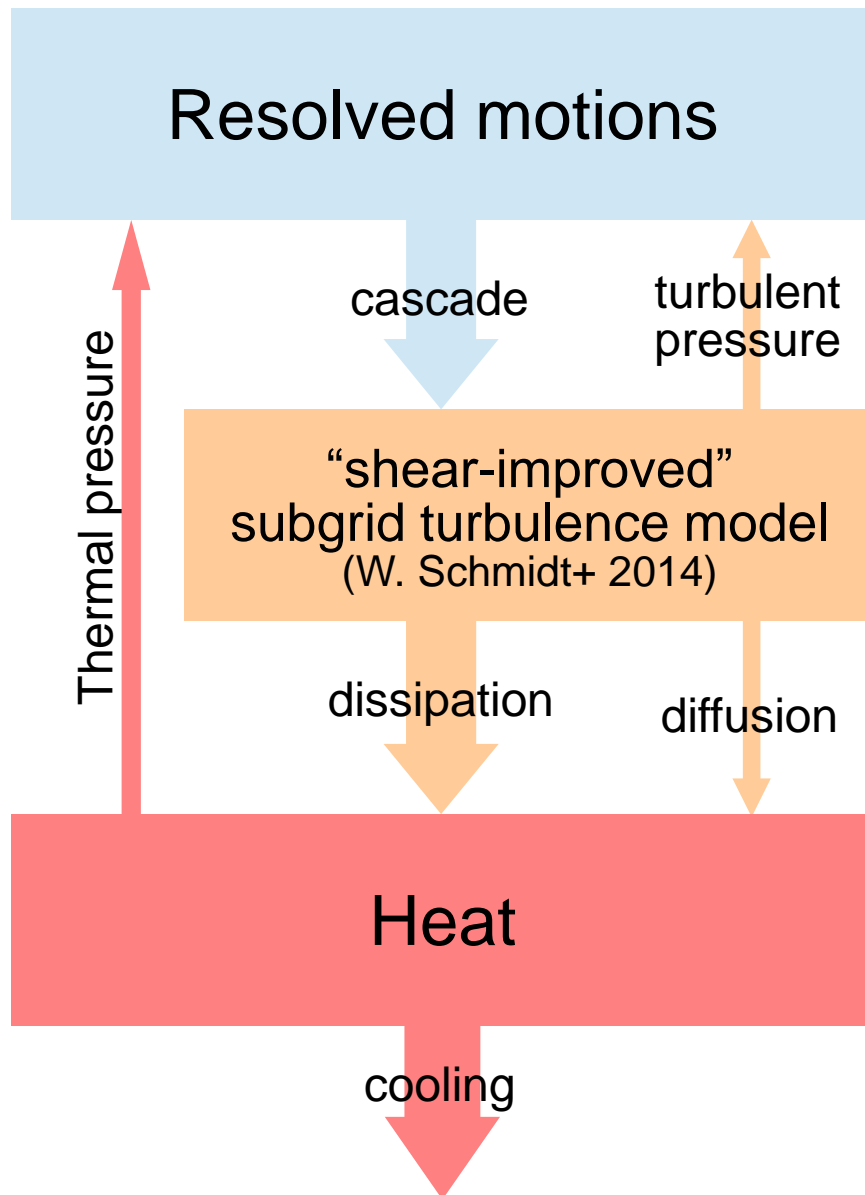
$$\frac{\partial}{\partial t} \rho + \nabla_k v_k \rho = 0$$

$$\frac{\partial}{\partial t} \rho v_i + \nabla_k v_k \rho v_i = -\rho \nabla_i \phi - \nabla_i P$$

$$\frac{\partial}{\partial t} E + \nabla_k v_k E = -\rho v_k \nabla_k \phi - \nabla_k v_k P - \Lambda_{\text{net}}$$

$$\frac{\partial}{\partial t} e + \nabla_k v_k e = -\Lambda_{\text{net}} - P \nabla_k v_k$$

introduce subgrid turbulence as a mediator between resolved motions and thermal energy



$$\frac{\partial}{\partial t} \rho + \nabla_k v_k \rho = 0$$

$$\frac{\partial}{\partial t} \rho v_i + \nabla_k v_k \rho v_i = -\rho \nabla_i \phi - \nabla_i \left(P + \frac{2}{3} K \right) + \nabla_k \tau_{ki}$$

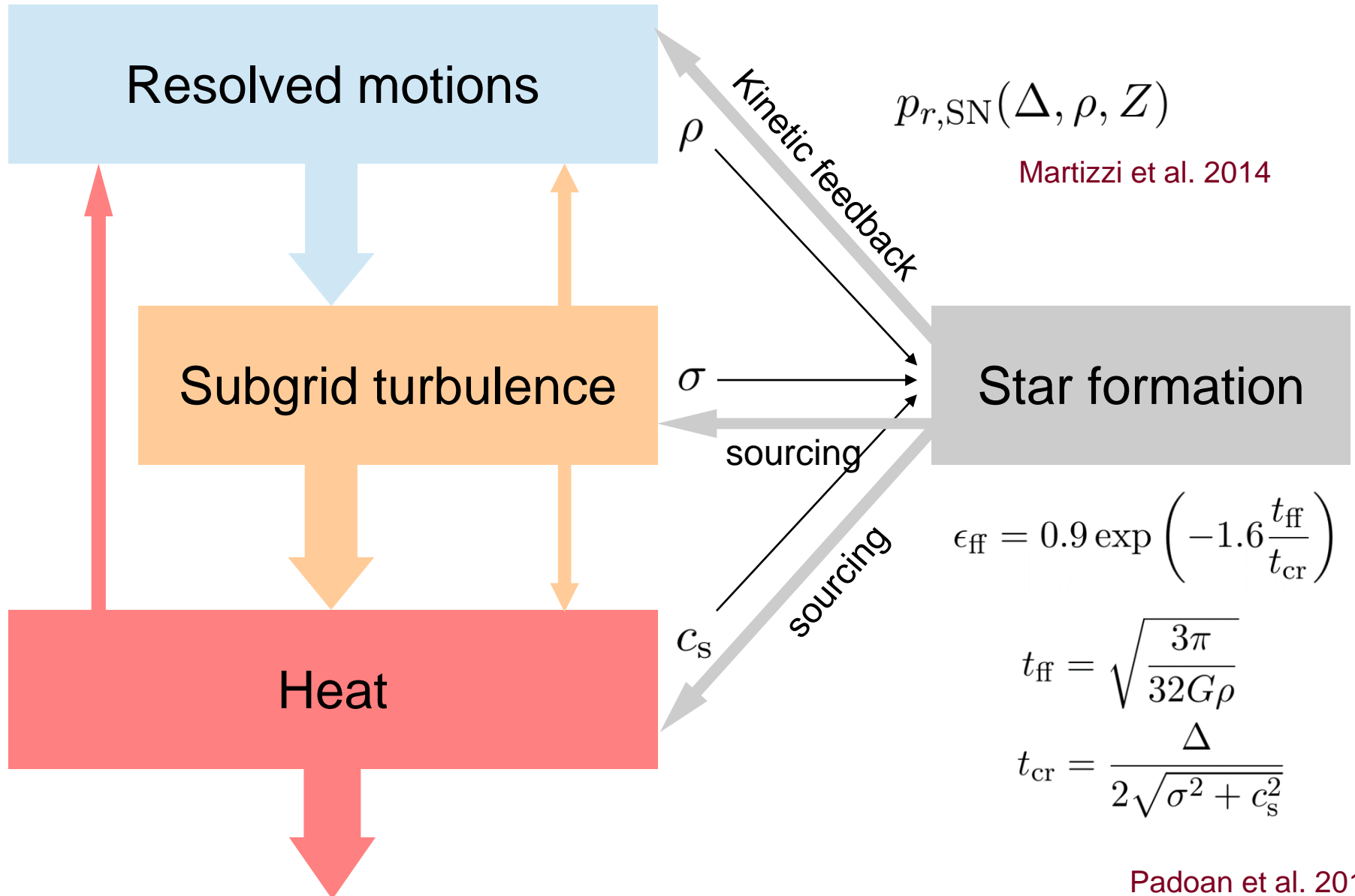
$$\frac{\partial}{\partial t} E + \nabla_k v_k E = -\rho v_k \nabla_k \phi - \nabla_k v_k \left(P + \frac{2}{3} K \right) - \Lambda_{\text{net}} + \nabla_k v_i \tau_{ki} + \nabla_k \left(\mathfrak{F}_k^{(K)} + \mathfrak{F}_k^{(e)} \right)$$

$$\frac{\partial}{\partial t} K + \nabla_k v_k K = \tau_{ki} \nabla_k v_i - \epsilon - \frac{2}{3} K \nabla_k v_k + \nabla_k \mathfrak{F}_k^{(K)}$$

$\sigma = \sqrt{\frac{2K}{\rho}}$ - subgrid turbulent velocity

$$\frac{\partial}{\partial t} e + \nabla_k v_k e = \epsilon - \Lambda_{\text{net}} - P \nabla_k v_k + \nabla_k \mathfrak{F}_k^{(e)}$$

turbulence-based star formation model



Milky Way-sized isolated disk

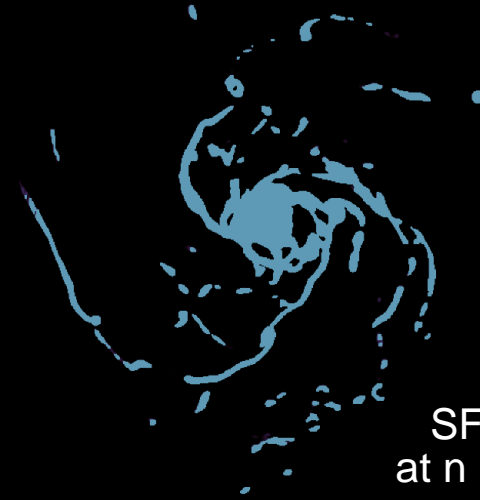
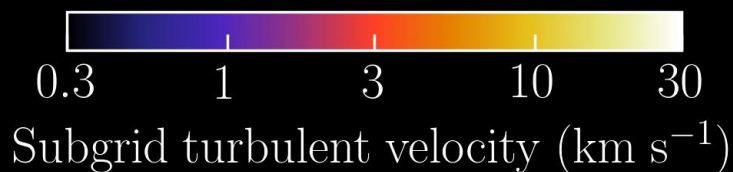
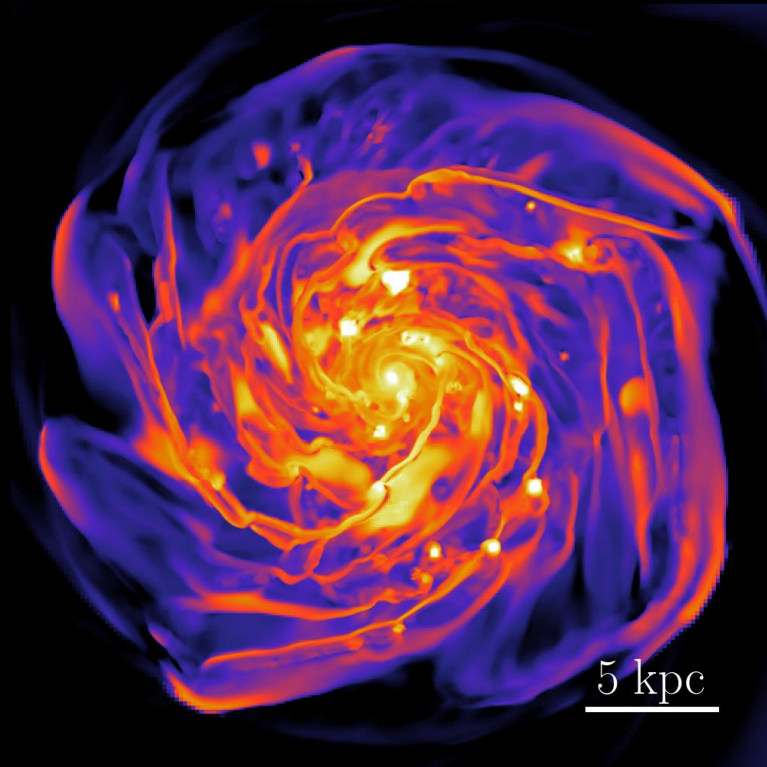
see poster by Vadim Semenov



➤ Adaptive mesh refinement ART code + subgrid turbulence-based star formation efficiency

➤ AGORA project initial conditions:

$M_{\text{disk}} \sim 4.3 \times 10^{10} M_{\text{sun}}$, $f_{\text{gas}} = 0.2$; $\Delta = 40$ pc (also checked $\Delta = 20, 10$ pc)



SFE = 1%
at $n > 10 \text{ cm}^{-3}$



Non-universal star formation efficiency

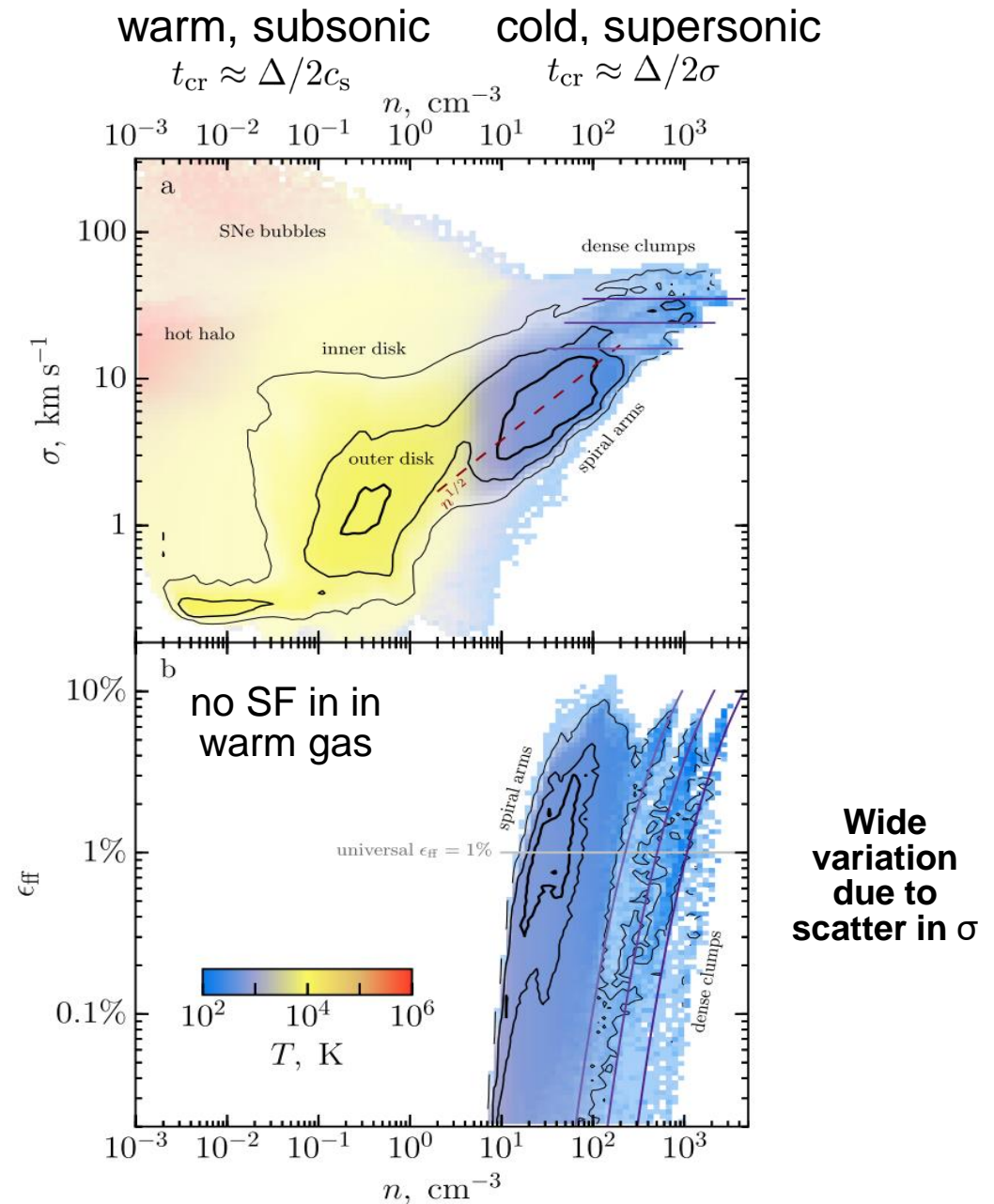
$$\epsilon_{\text{ff}} = 0.9 \exp\left(-1.6 \frac{t_{\text{ff}}}{t_{\text{cr}}}\right)$$

$$t_{\text{ff}} = \sqrt{\frac{3\pi}{32G\rho}}$$

$$t_{\text{cr}} = \frac{\Delta}{2\sqrt{\sigma^2 + c_s^2}}$$

- Density threshold
- Average eff ~ 1%
- Wide variation of eff

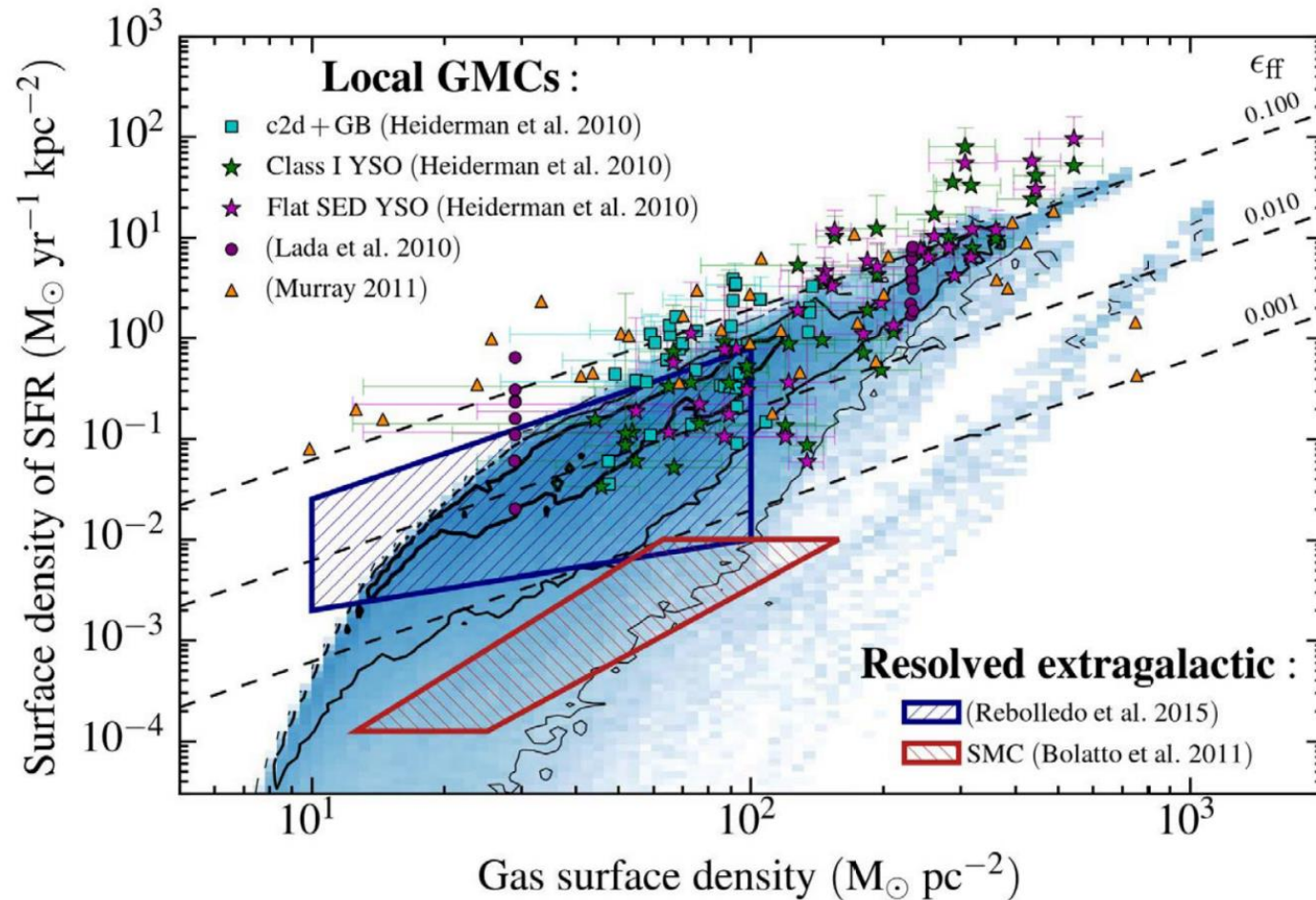
contours in the model pdf: 5, 15, 30%



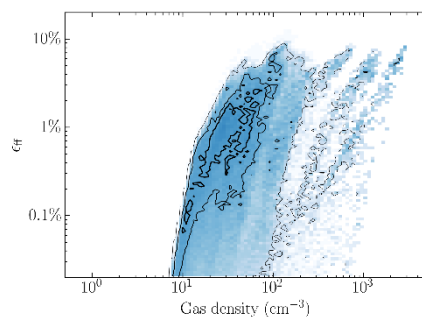
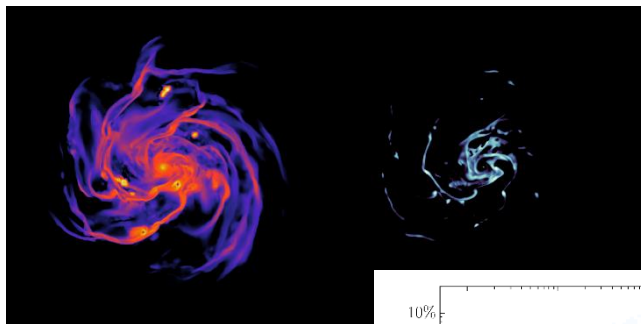
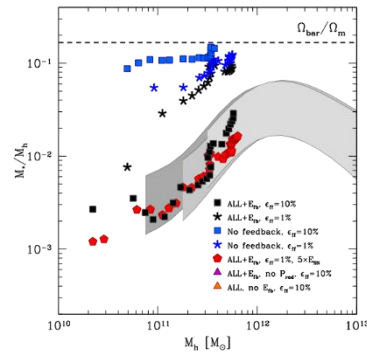
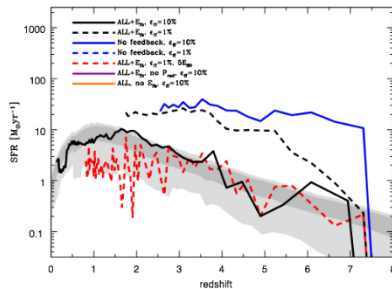
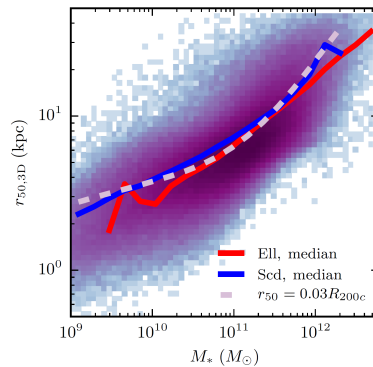
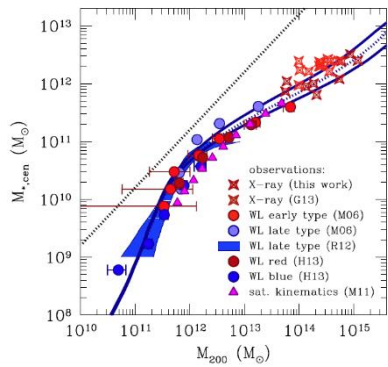
comparison with observed star formation in molecular clouds

The model model stochastic ϵ_{ff} as a function of local ISM properties

Semenov, Kravtsov & Gnedin, 2016
ApJ in press (arxiv/1512.03101)
(see poster for more details)



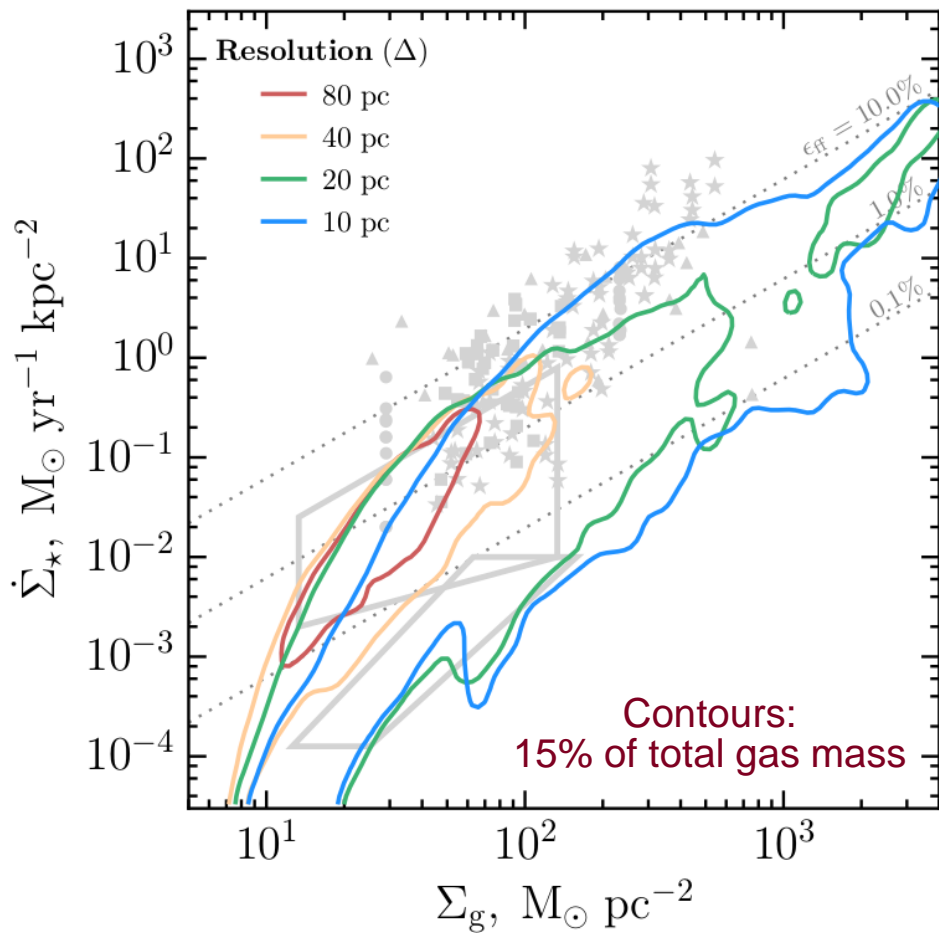
Summary



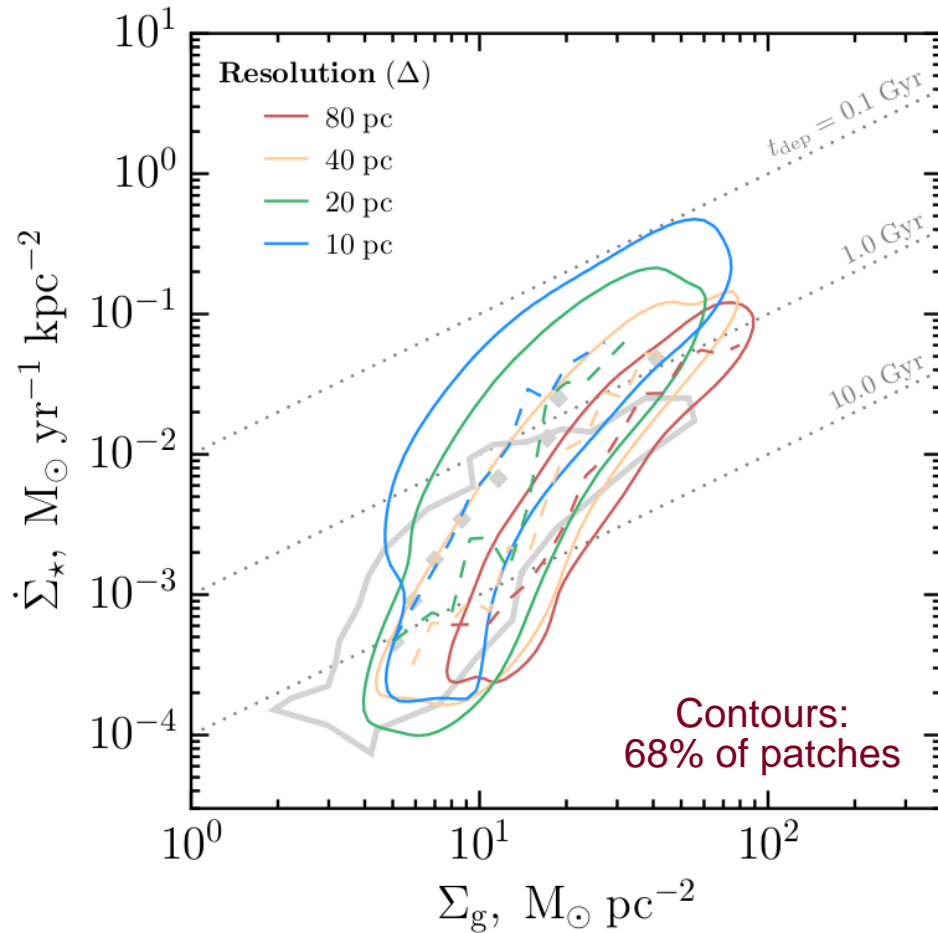
- Halo mass controls the baryon budget of galaxies at all z
- it also appears to control the actual stellar mass and sizes of galaxies, but in a complicated nonlinear way
- Simulations indicate that realistic late type galaxies form only when galaxies follow evolution of M^* - M_{halo} and $\text{SFR}(t)$ derived from observations.
- This is achieved by making feedback efficient, but the way star formation is distributed and how efficient it is matters!
- We need to go beyond the simple universal efficiency star formation model!
- First attempt to do this (see Semenov et al. poster) indicates wide variation of ϵ_{ff} due to its high sensitivity to local density and turbulent velocity predicted by simulations of star formation in GMCs

Resolution study

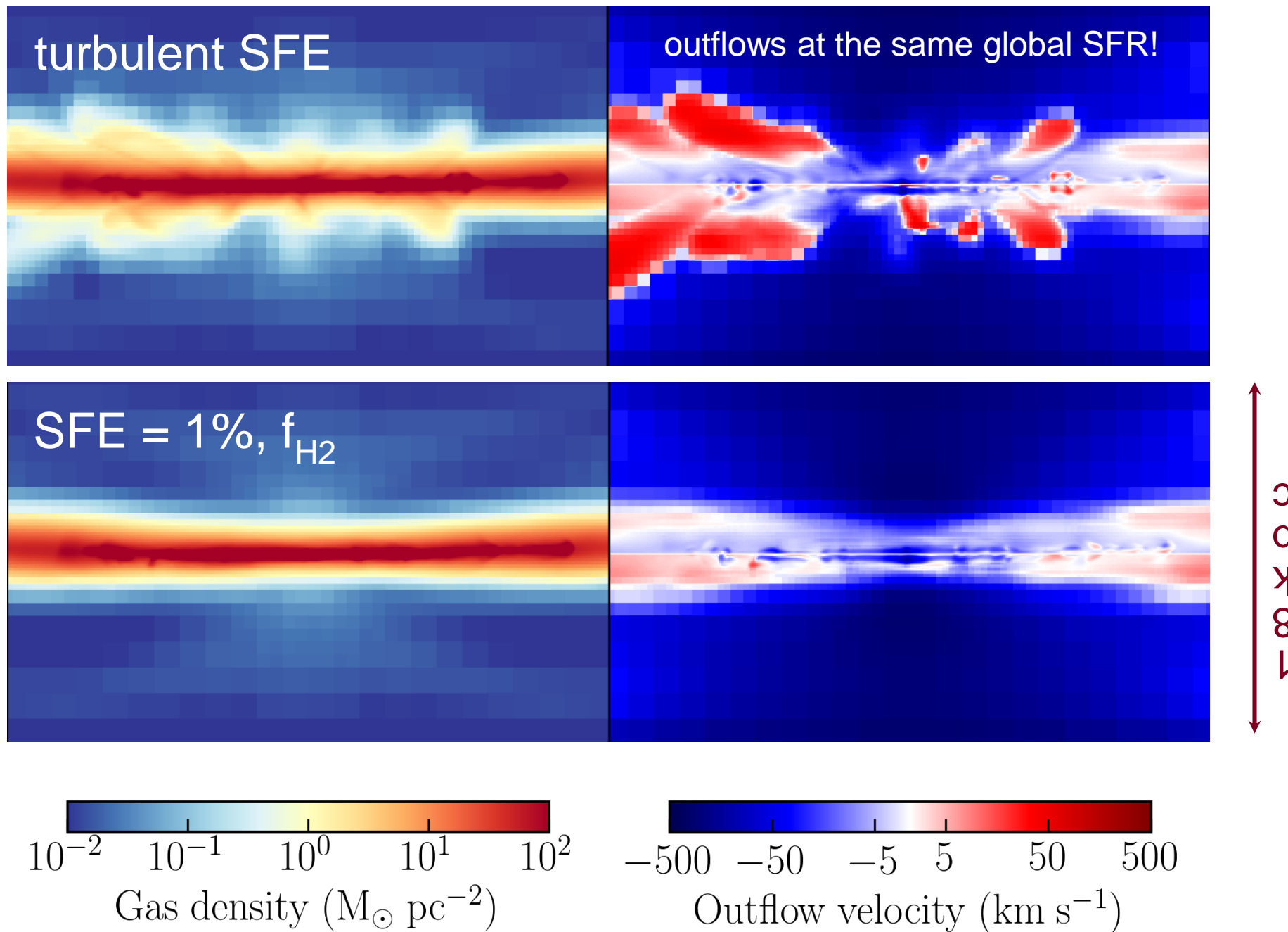
SFRs on cell size scale



SFRs on kpc scale



Why SFE variation matters



Observational constraints like these should help to improve modelling of star formation in simulations

Strong variation of gas depletion time on 100 pc scales in M31
while all simulations assume a constant

