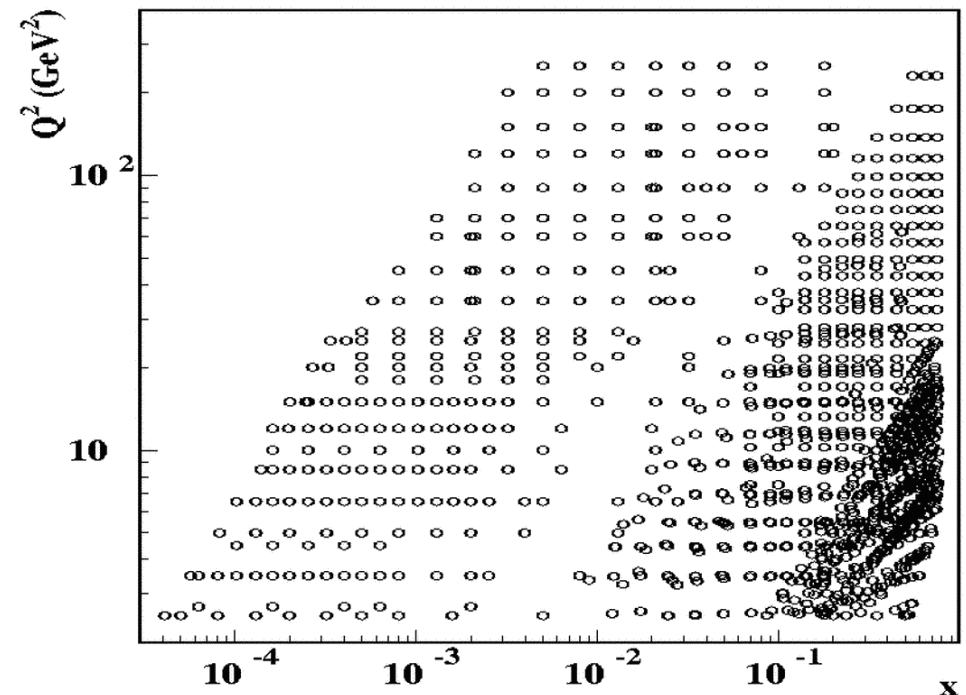


PDFs from the DIS data

- DIS is clean process (the high order QCD corrections are relatively small, other theoretical errors are under control)
- experimental errors in existing data are well studied and supplied by the complete description of the experimental errors including correlations (comprehensive propagation of the errors in PDFs)
- it allows to check the universality of PDFs confronting to data for other processes (in particular, for the searches of new physics)

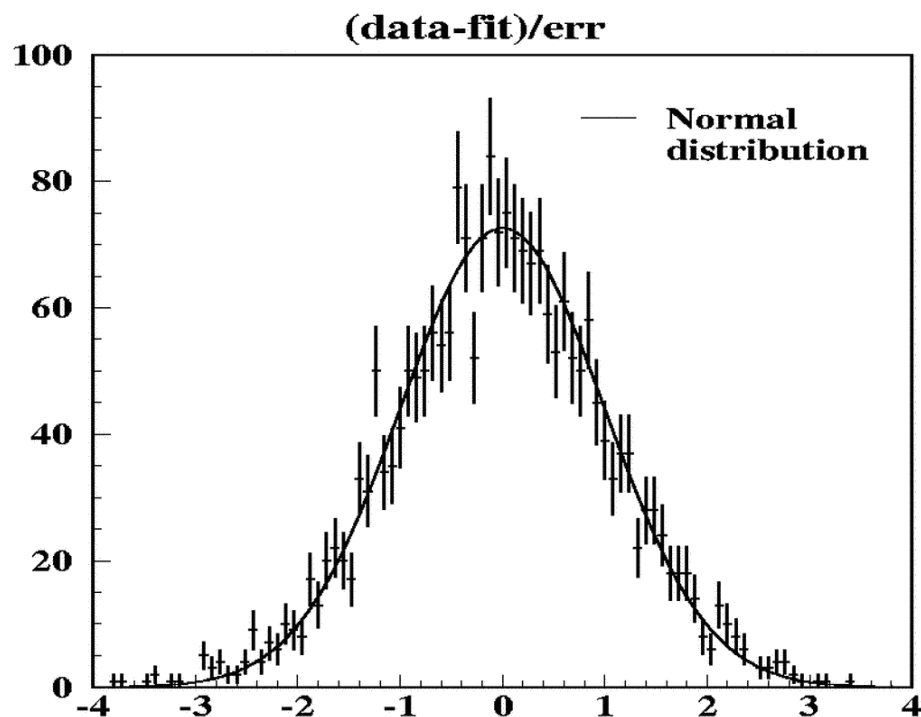
Kinematics

(SLAC-BCDMS-NMC-H1-ZEUS)



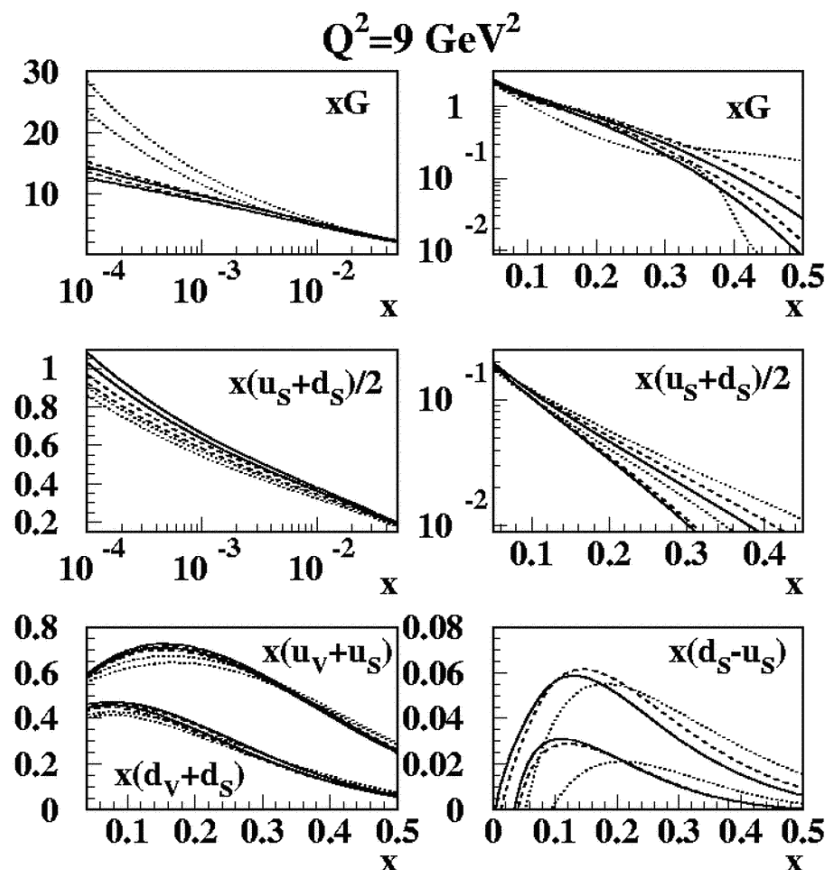
Account of the target mass correction and dynamical high-twist terms allows to include data with low W ; account of the Fermi motion correction allows to add deuteron data.

Quality of the fit



Good χ^2 allows rigorous estimation of the confidence levels ($\Delta\chi^2 = 1$).

Perturbative stability of PDFs



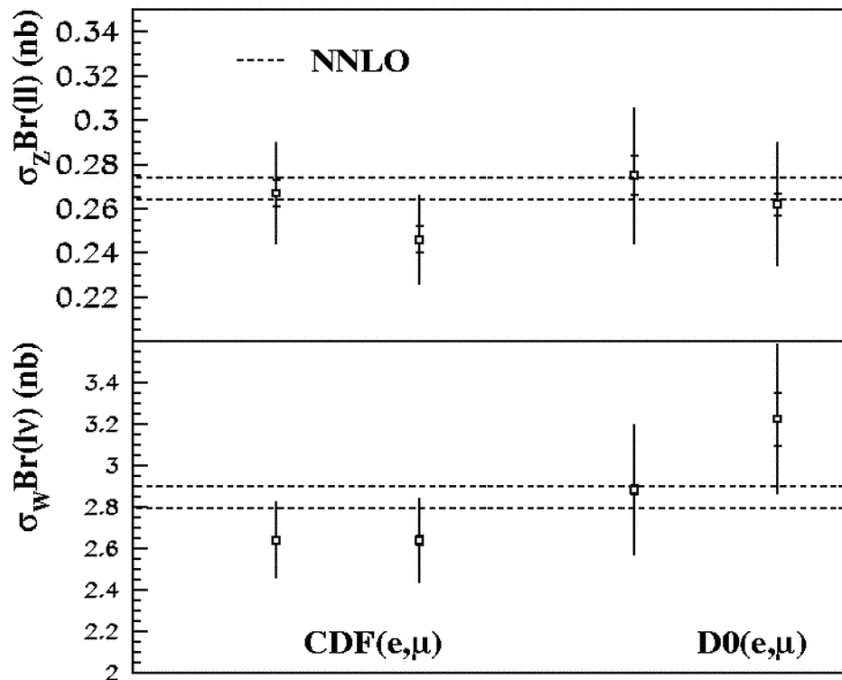
The change of the PDFs from NLO to NNLO is generally smaller than their experimental errors

Benchmark of the W/Z rates

(Hamberg-Matsuura-van Neerven 91)

(Harlander-Kilgore 02)

$\bar{p}p$ (1.96 TeV)



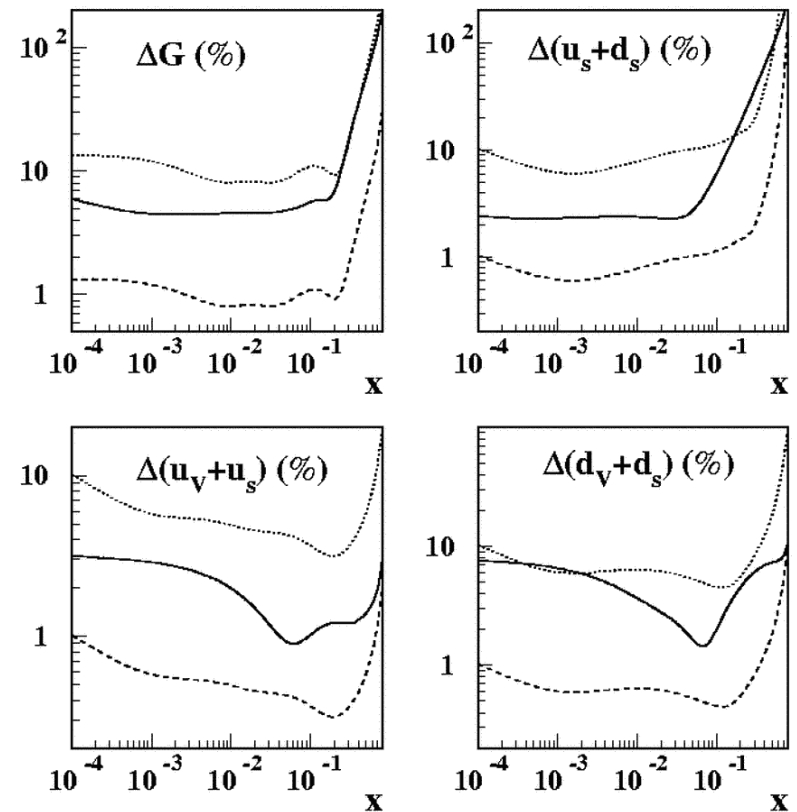
pp (14 TeV)

$$\sigma_Z = 60.0 \pm 1.9(\text{PDFs}) \text{ nb}$$

$$\sigma_W = 204.6 \pm 6.4(\text{PDFs}) \text{ nb}$$

Comparison to the global fit

$Q^2 = 9 \text{ GeV}^2$



Full: A02

Dots: CTEQ6

Dashes: CTEQ6 without tolerance factor (=10)

Two variants of conclusion

- Addition of more data is useless if you do not control additional sources of theoretical errors
- In the CTEQ analysis the errors are underestimated due to omitting of the normalization errors of experiment

Covariance matrix estimator:

$$y_i = (t_i + \mu_i \sigma_i)(1 + \lambda \eta_i) \approx t_i + \mu_i \sigma_i + \lambda \eta_i t_i$$

$$\chi^2(\theta) = \sum_{i,j=1}^N (f_i(\theta) - y_i) C_{ij}^{-1} (f_j(\theta) - y_j)$$

$$C_{ij} = \eta_i \eta_j t_i t_j + \delta_{ij} \sigma_i \sigma_j$$

The dispersion of average residual

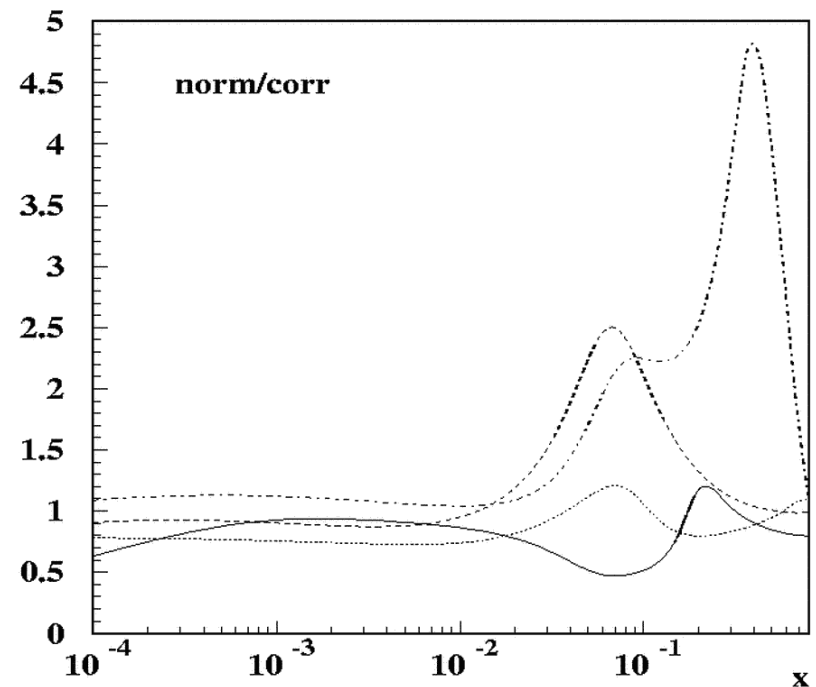
$$R = \frac{1}{N} \sum_{i=1}^N \frac{f_i - y_i}{\sqrt{\sigma_i^2 + s_i^2}}$$

is $\sim 1/N$ for the uncorrelated measurements and 1 for the perfectly correlated ones.

Impact of the normalization errors

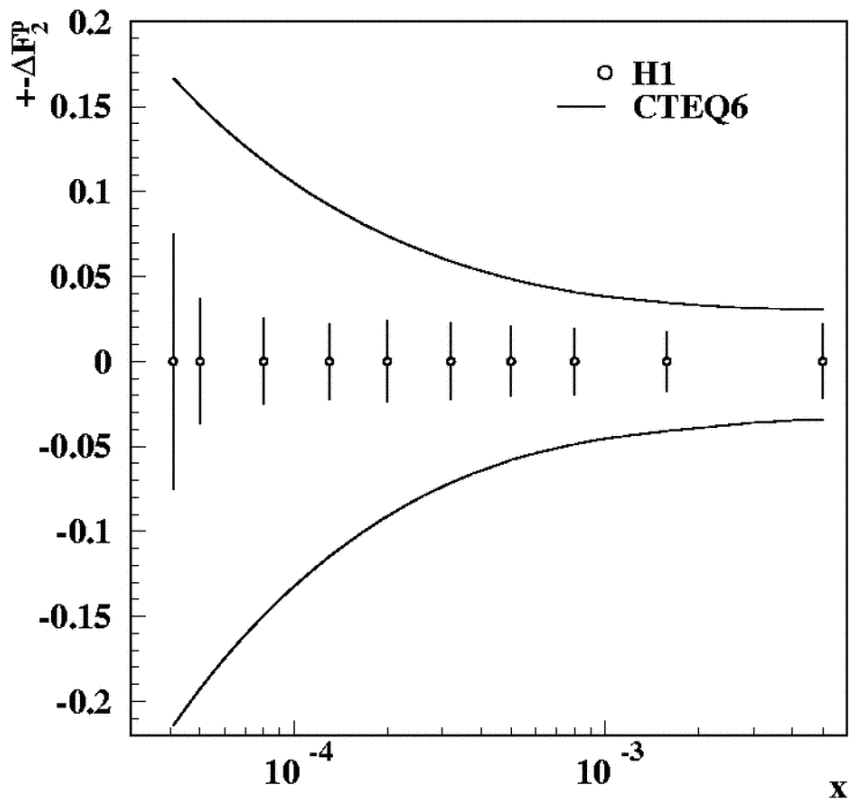
Experiment	NDP	ΔR with norm. err.	ΔR with
SLAC-E-140	26	0.86	
BCDMS	605	0.68	
H1(96-97)	135	0.55	
ZEUS(96-97)	161	0.64	

$Q^2=9 \text{ GeV}^2$

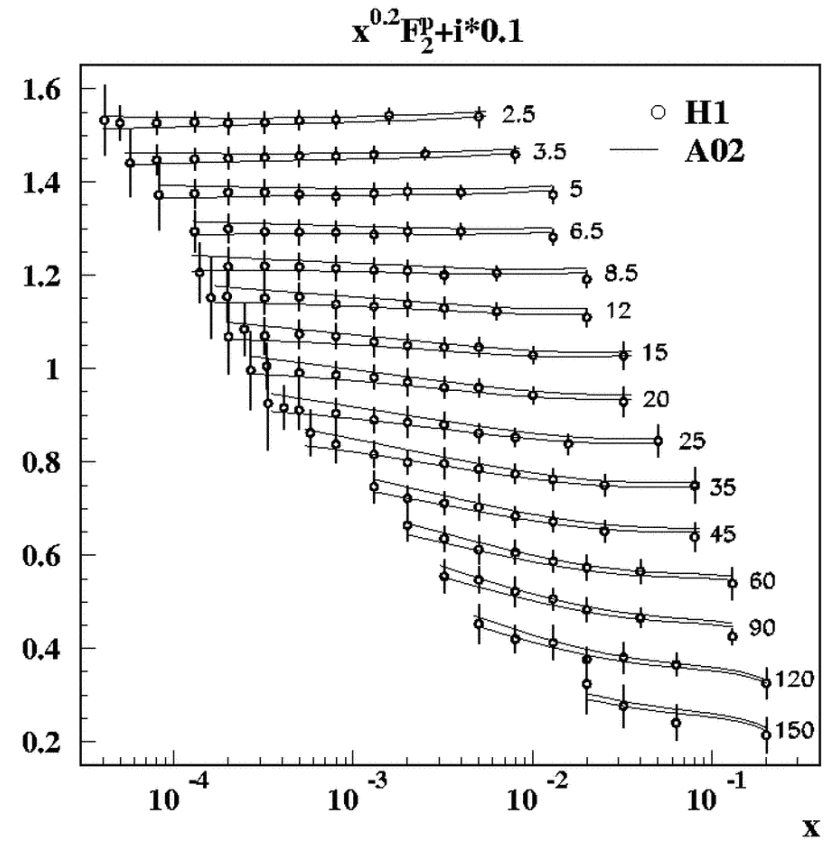


Efficiency of the estimator

$Q^2=2.5 \text{ GeV}^2$



Tolerance factor makes the estimator inefficient



Outlook

- The thorough benchmark of the various codes. This work was initiated at Les Houches workshop 2001, but was not accomplished. Hopefully this workshop can continue this task.
- Quantification/suppression of the errors due to higher-order corrections to the hadron-hadron processes (DY is ready, jets will require NNLO calculations).
- Constraint PDFs with the precision of $O(1\%)$ up to large x , better separation of the flavors (LHC, ν Factory).