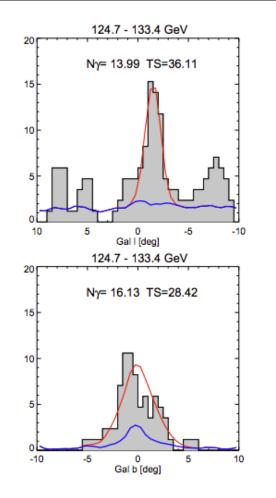
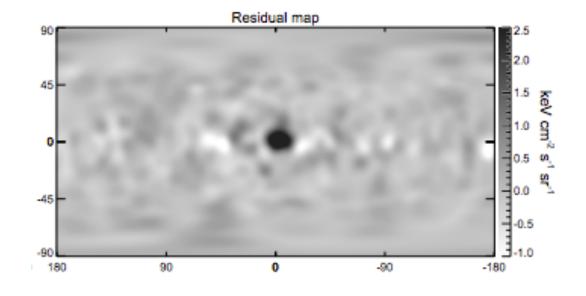


#### I. Where are the photons from?

- 2. Backgrounds
- 3. Instrumental effects
- 4. Tests of the instrument <u>New</u>
- 5. Discussion

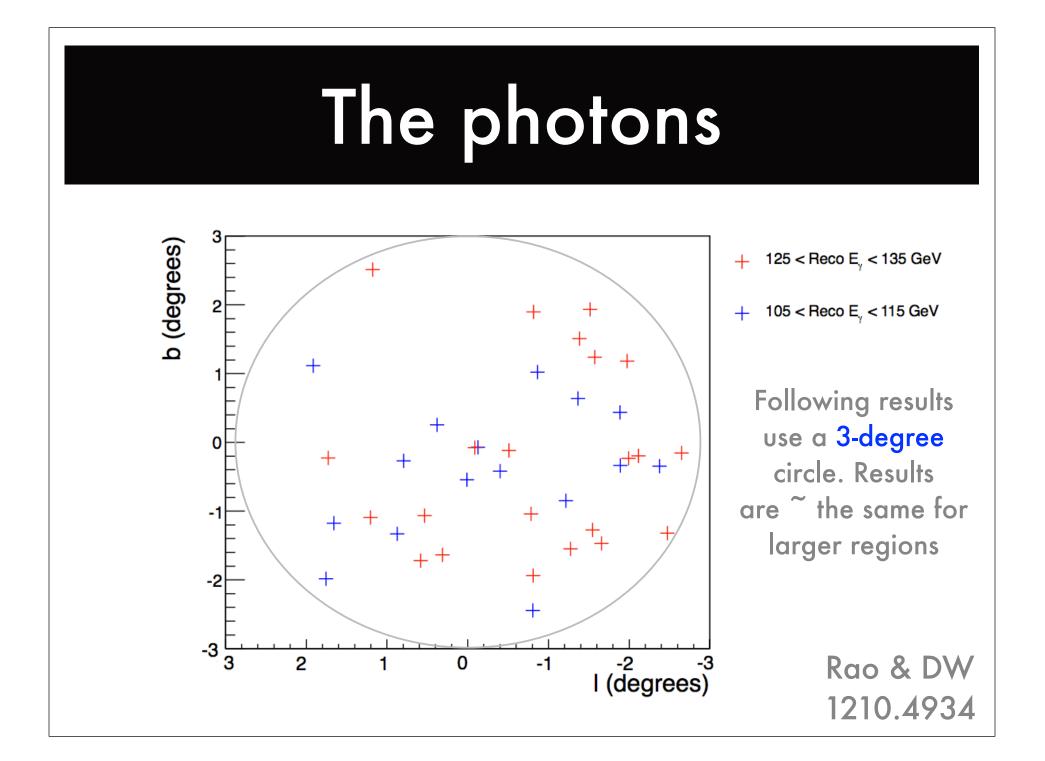
# Where are they from?



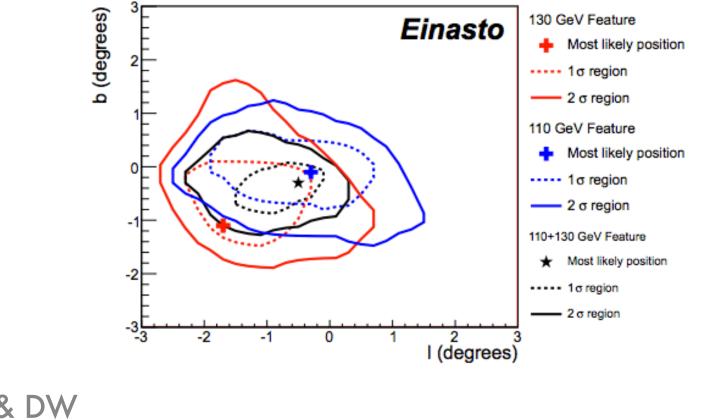


NFW density profile centered at  $(\ell, b) = (-1.5^{\circ}, 0^{\circ})$ 

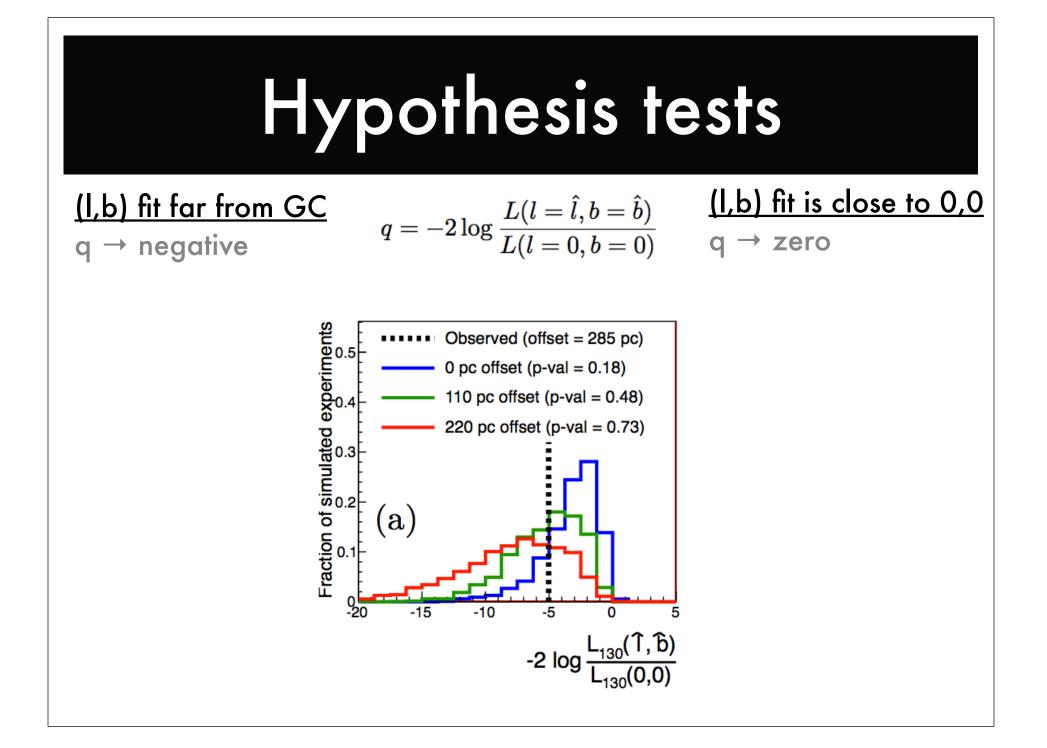
Finkbiener&Su 1206.1616



#### Locations



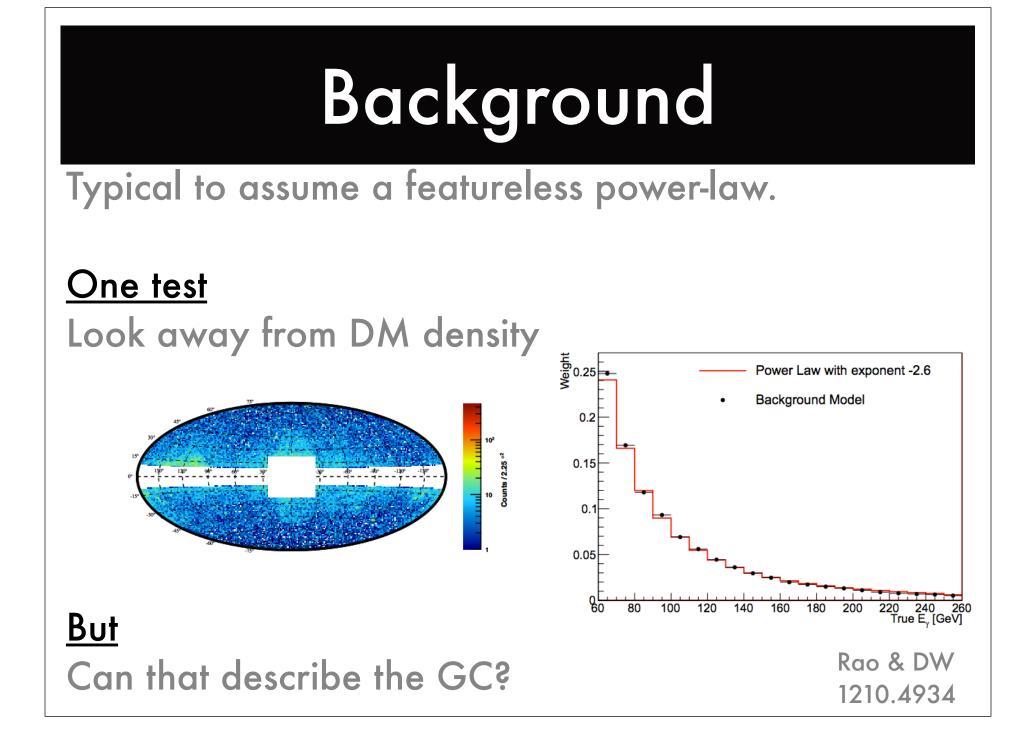
Rao & DW 1210.4934



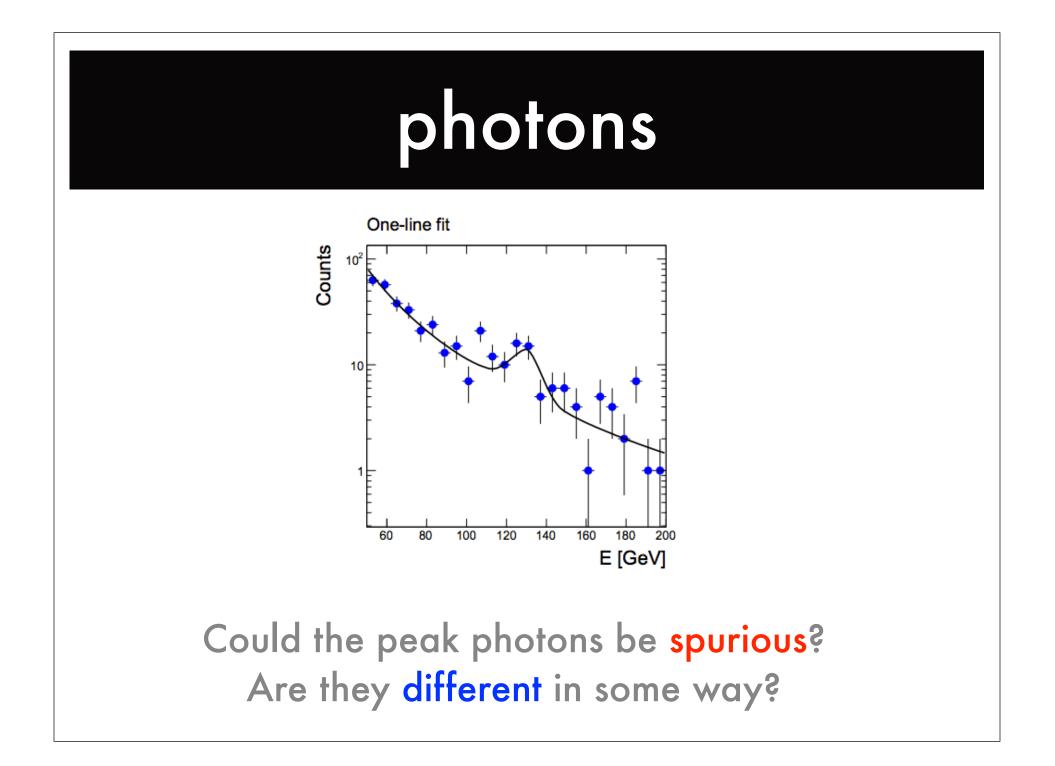
I. Where are the photons from?

#### 2. Backgrounds

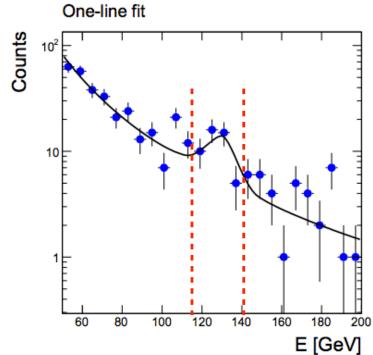
- 3. Instrumental effects
- 4. Tests of the instrument
- 5. Discussion



- I. Where are the photons from?
- 2. Backgrounds
- 3. Instrumental effects
- 4. Tests of the instrument
- 5. Discussion



## First idea

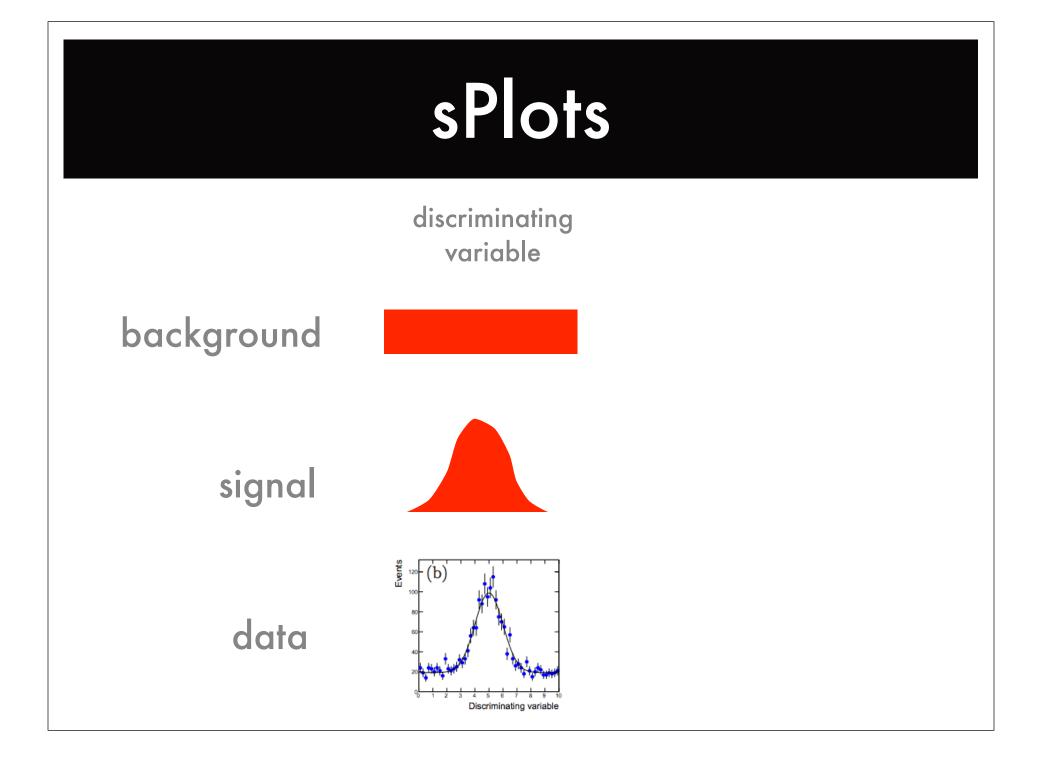


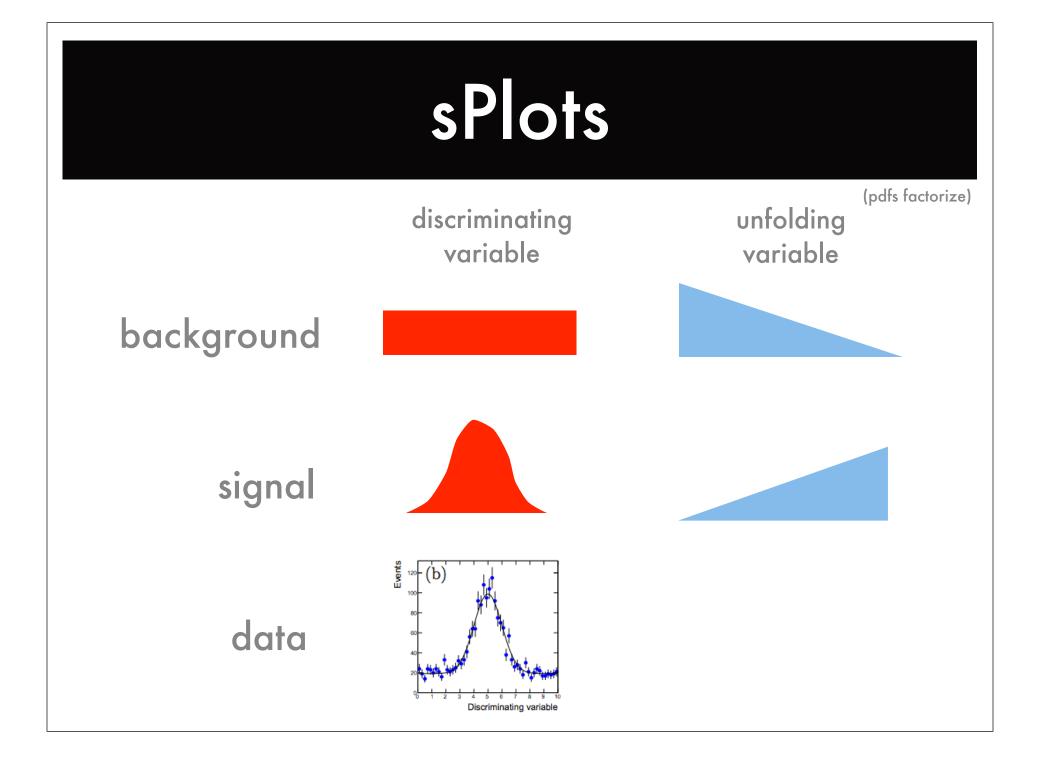
#### isolate signal photons

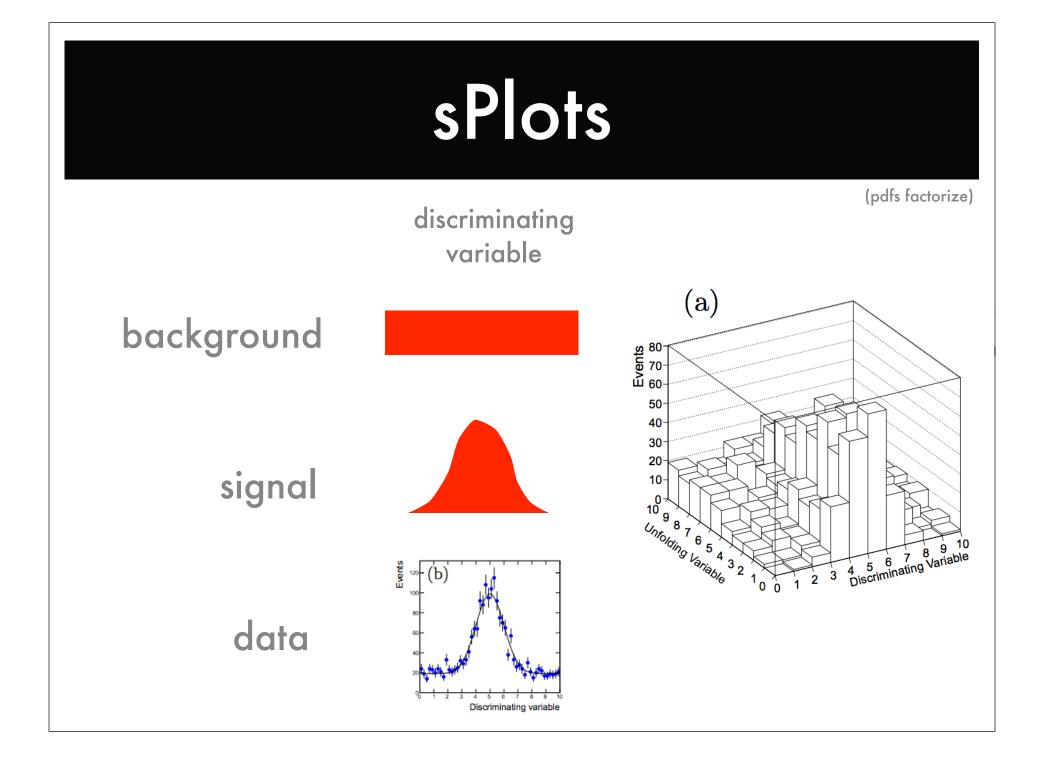
Use energy cut

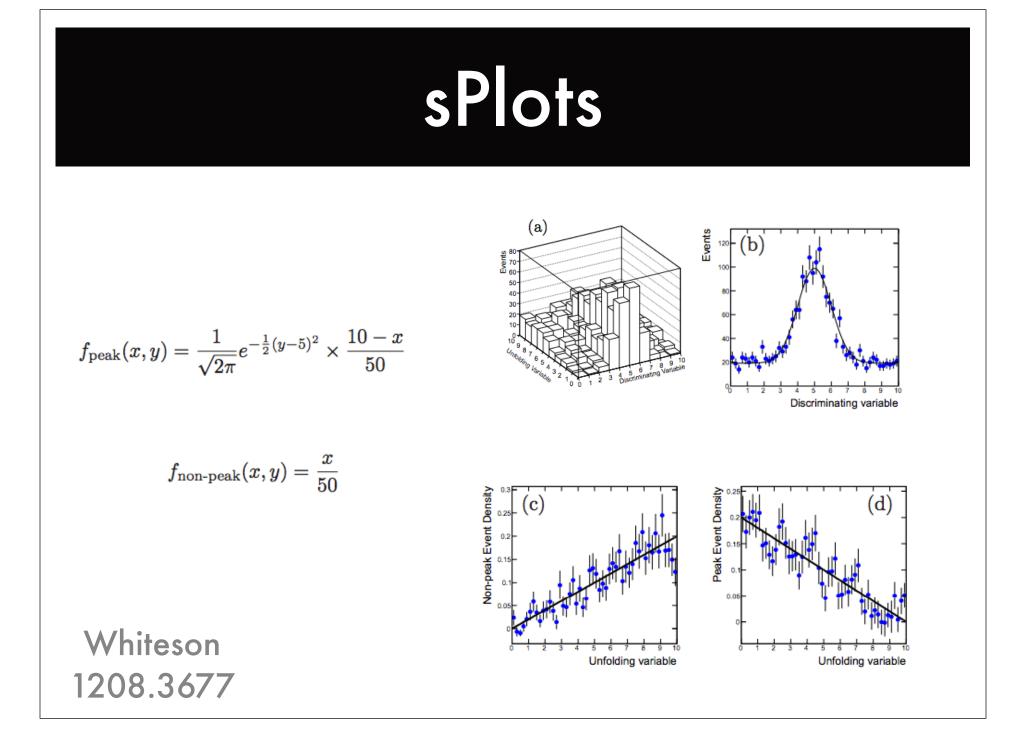
<u>But</u> S/B is not large. Few signal photons.

Can we do better?

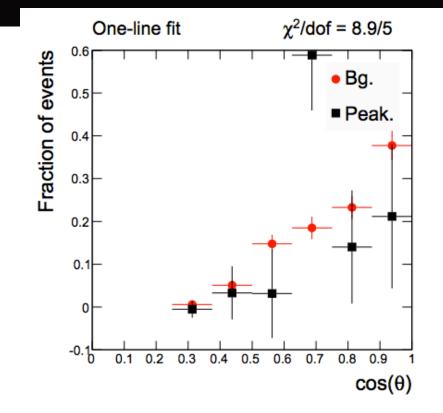






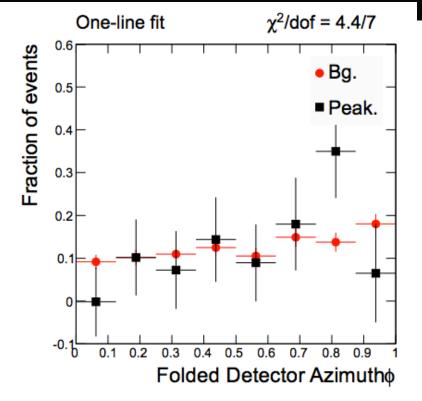


### Results

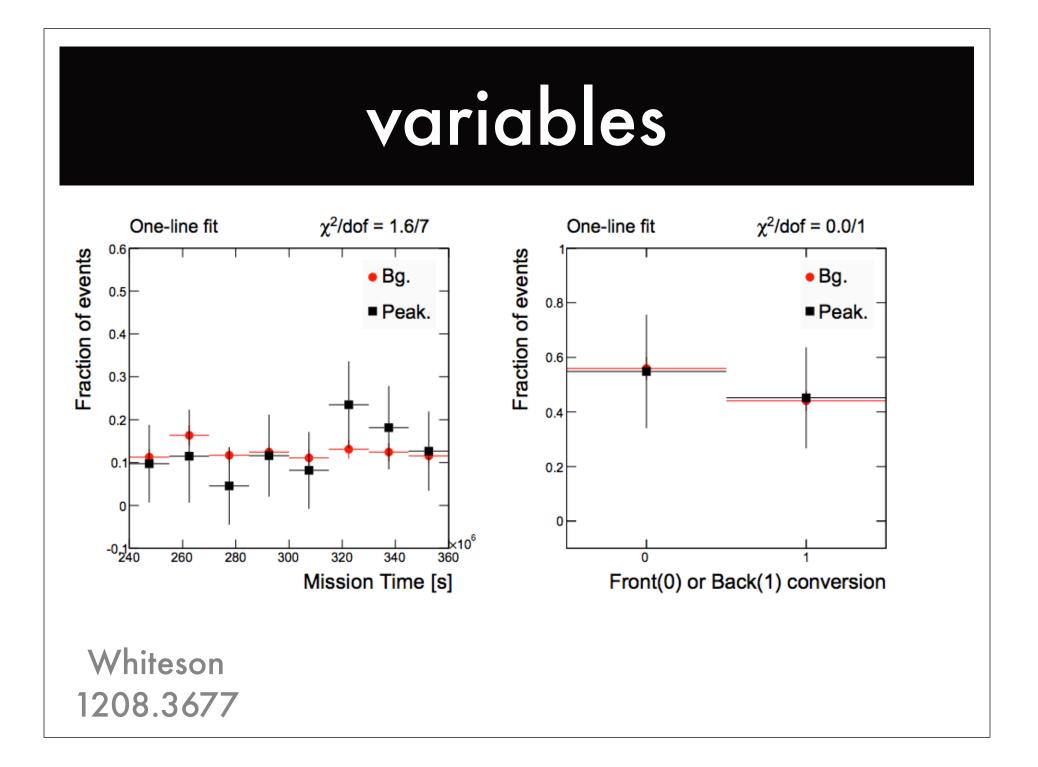


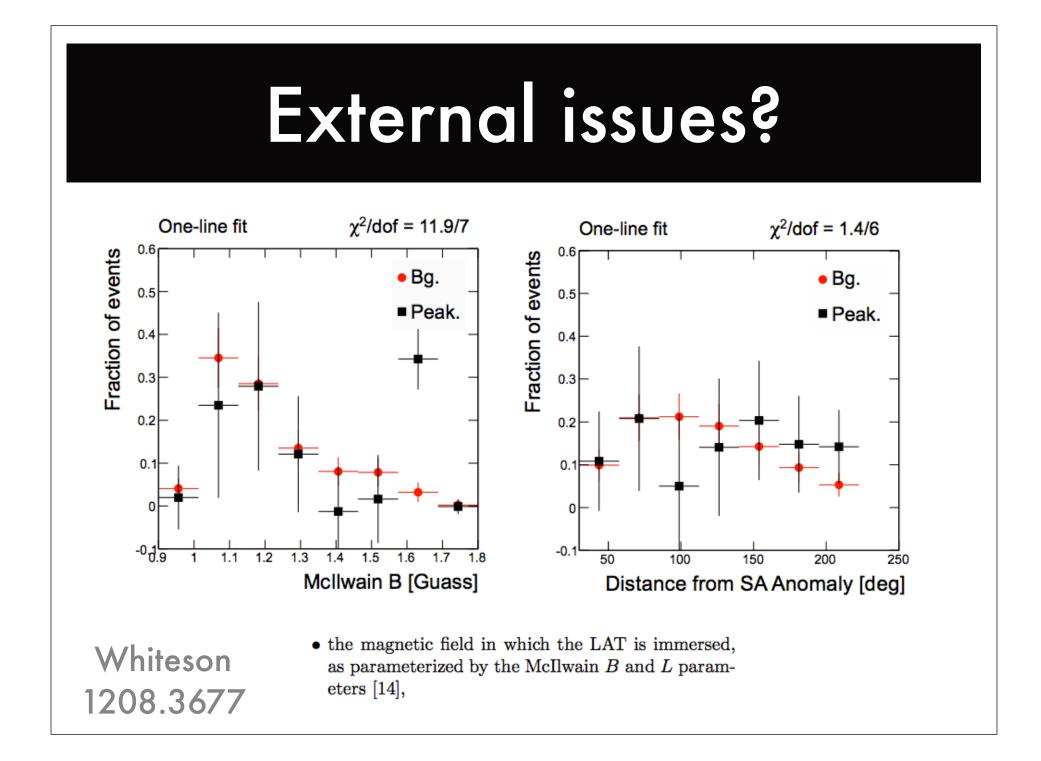
• incident angle  $\theta$ , measured with respect to the top-face normal of the LAT,

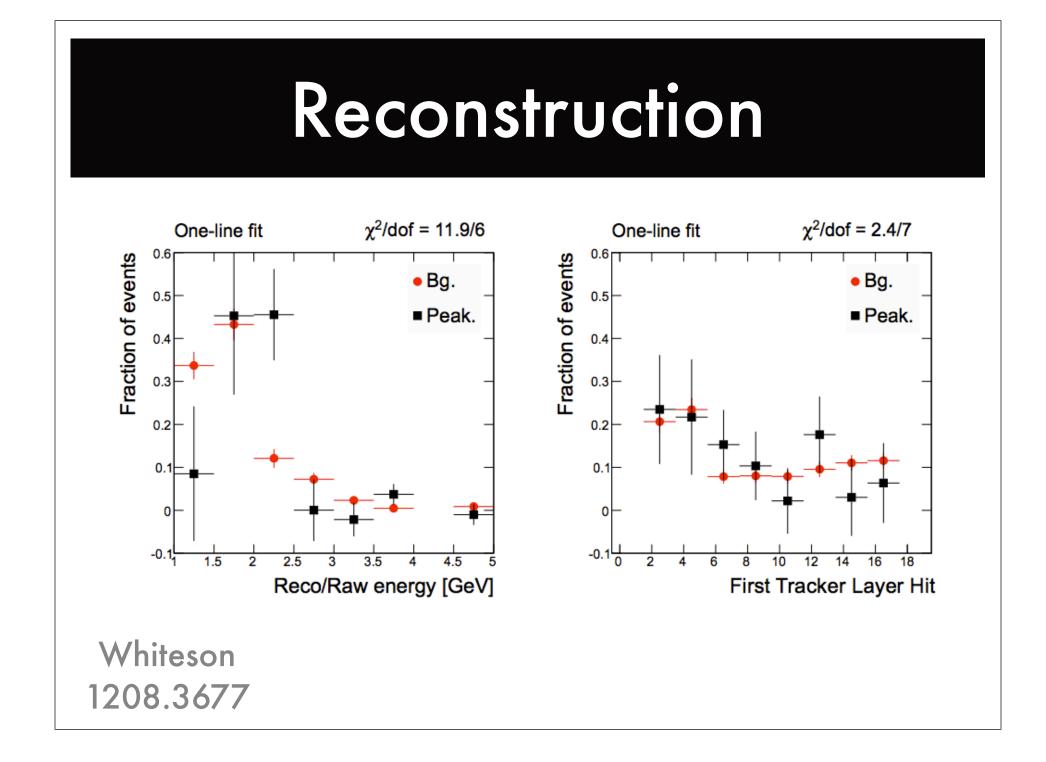
Whiteson 1208.3677

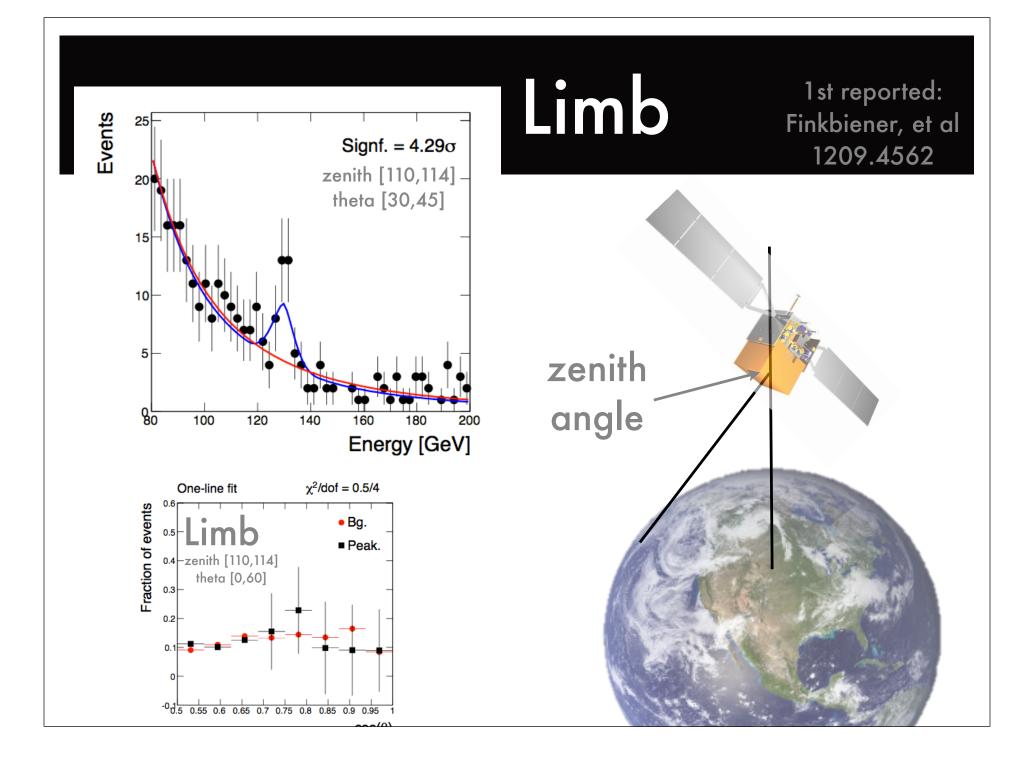


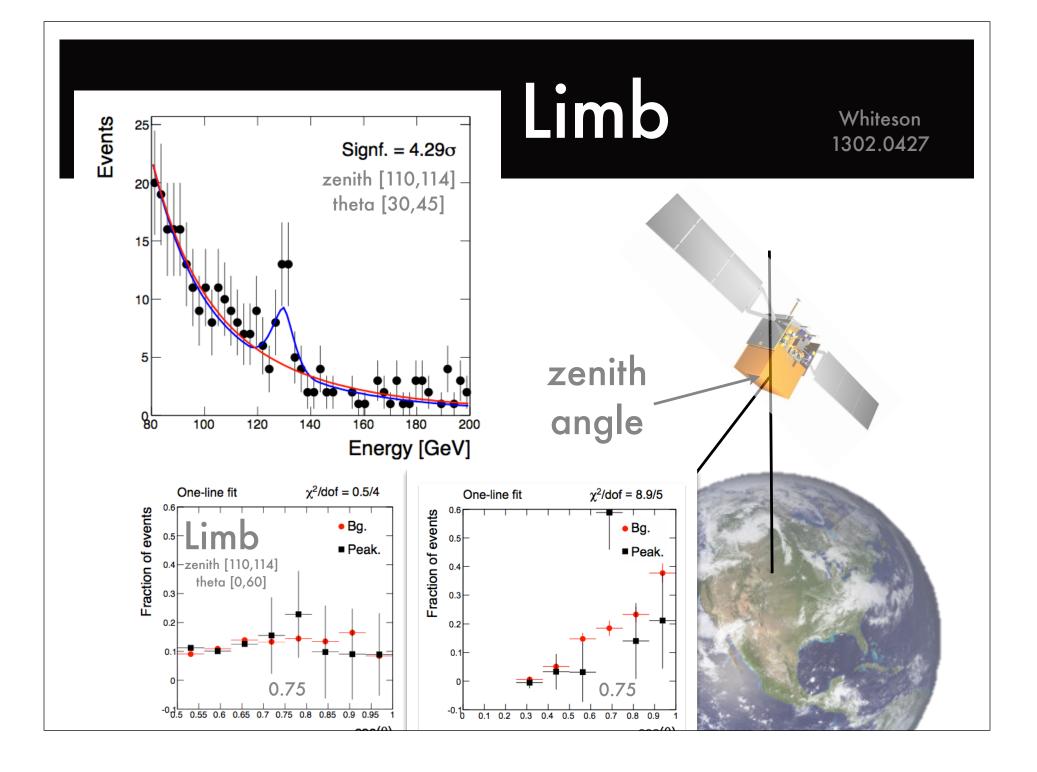
 azimuth angle φ, measured with respect to the topface normal of the LAT, folded as described in Eq. (15) of Ref. [11].









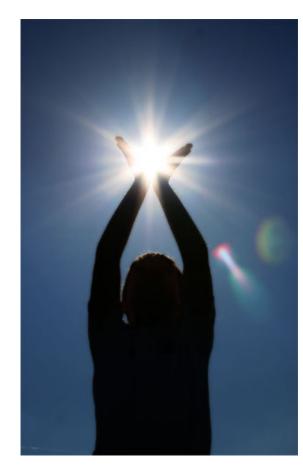


### Other sources

Earth's limb is a powerful control region.

Are there other regions?

## Other sources

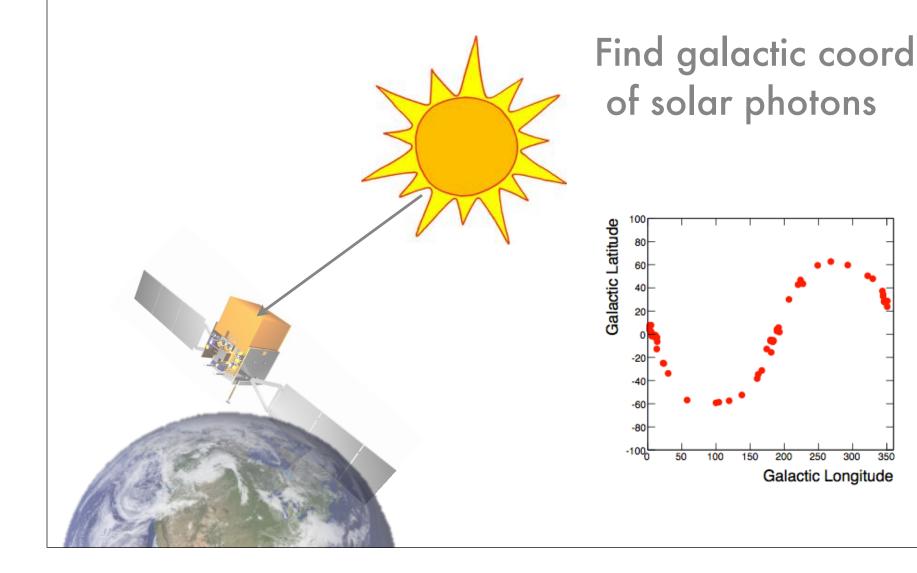


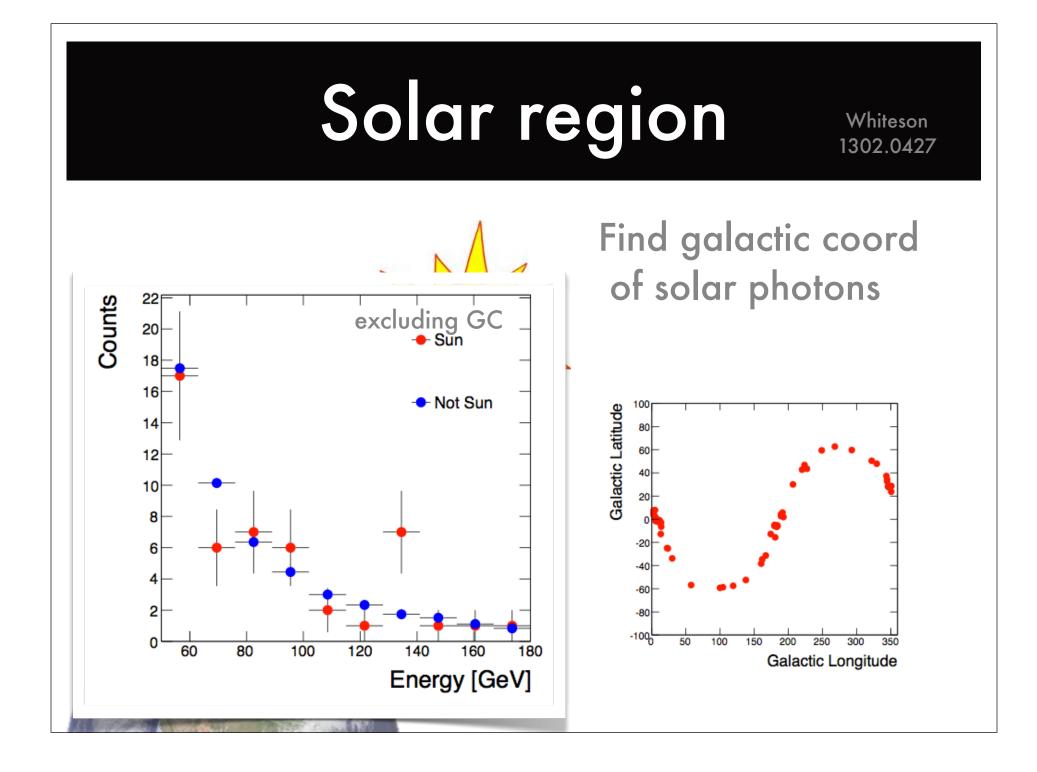
Earth's limb is a powerful control region.

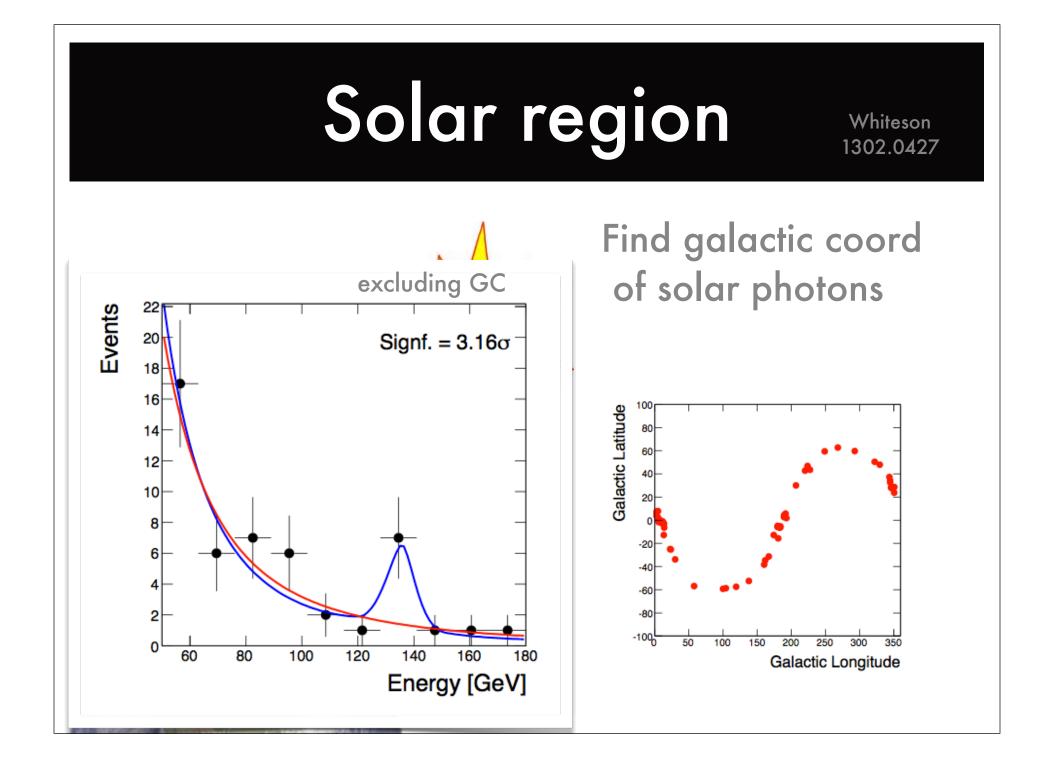
Are there other regions?

The Sun!

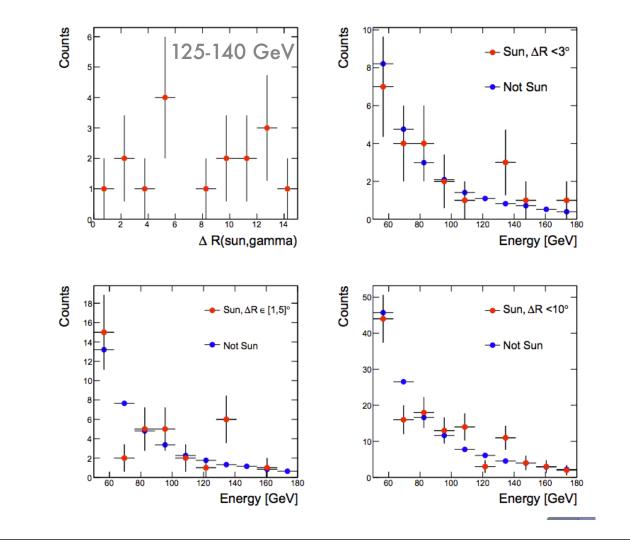
# Solar region







# Ring around the Sun

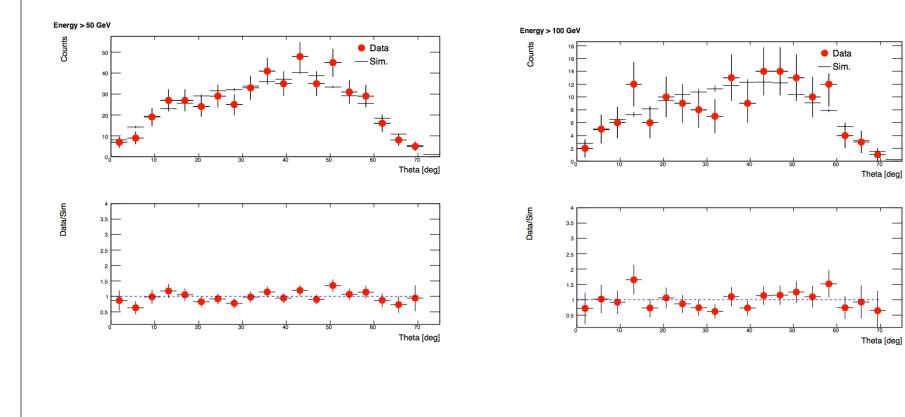


- I. Where are the photons from?
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### Simulation: GC





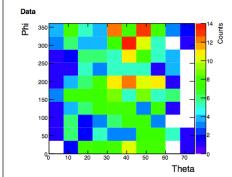


### Simulation: GC

Data

3

E>50



40

50

Theta

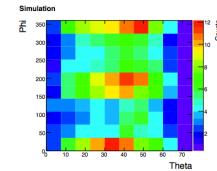
Phi

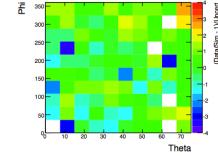
35

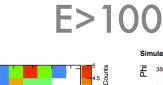
300

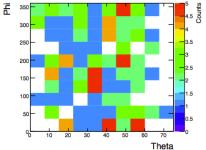
250

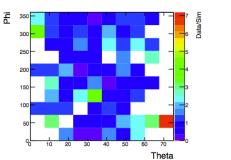
20

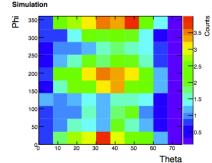


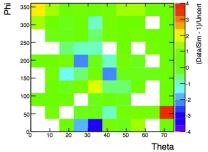






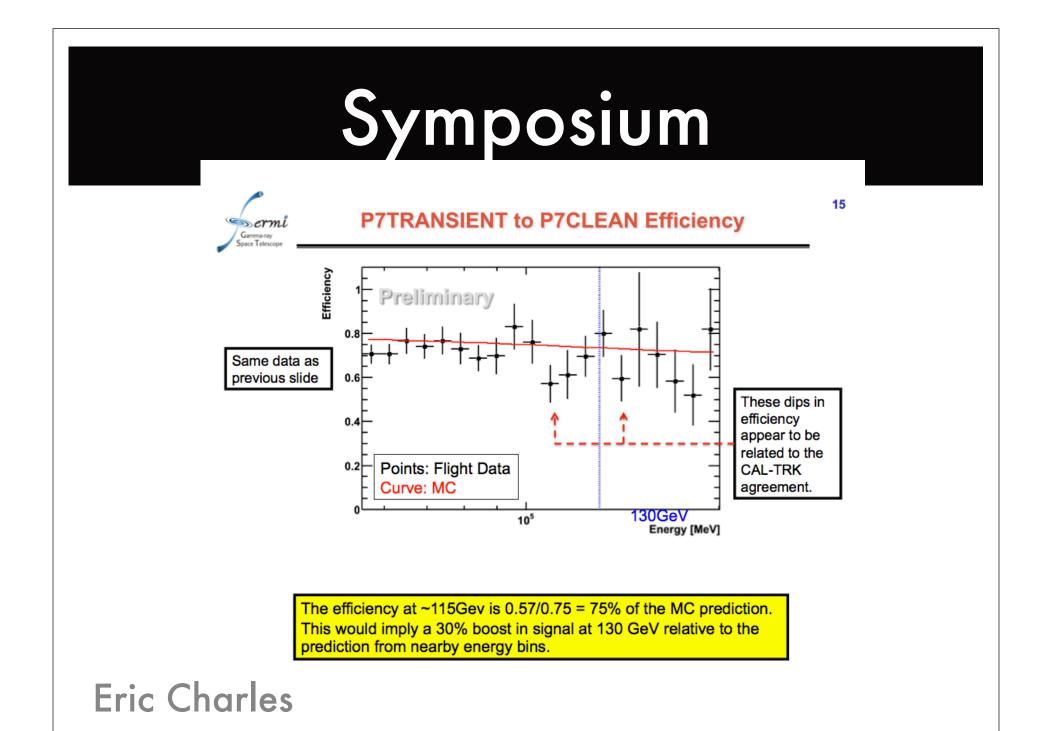






## Lines Outline

- I. Where are the photons from?
- 2. Backgrounds
- 3. Instrumental effects
- 4. Tests of the instrument
- 5. Discussion



# Simple explanation?

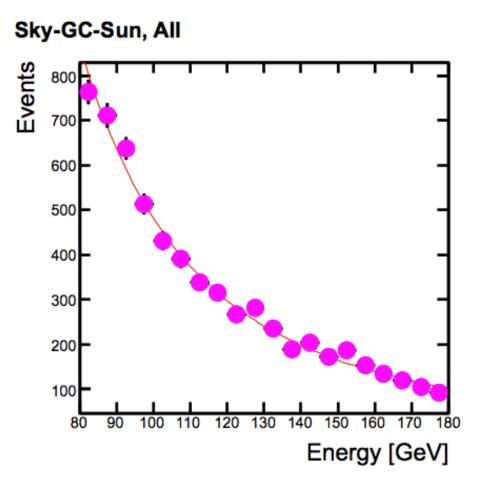
Is there a simple energydependent efficiency?

# Simple explanation?

Is there a simple energydependent efficiency?

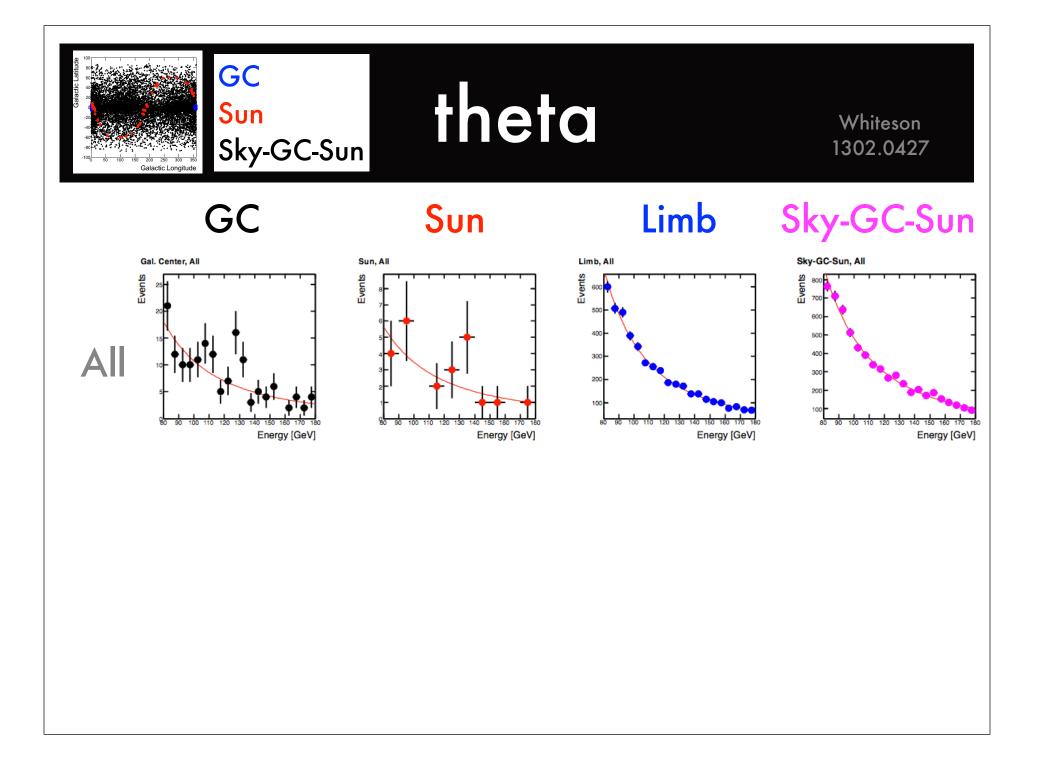
#### Fails to explain

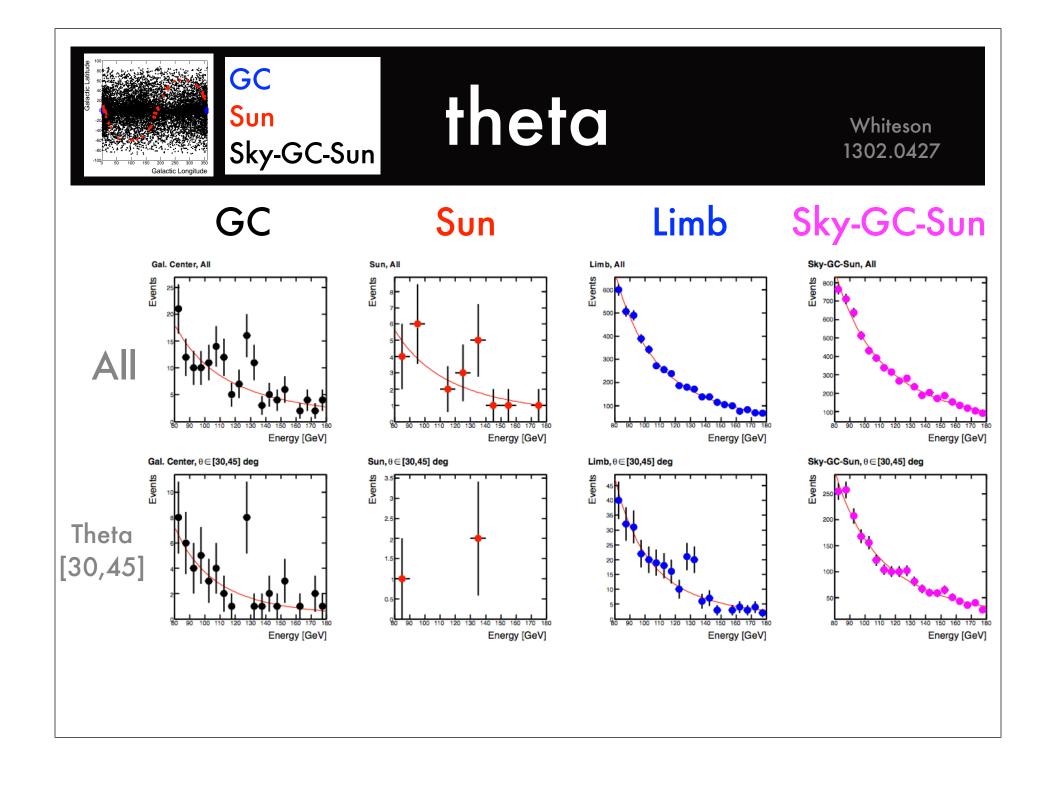
- localization of peak near GC, Limb
- theta-dependence of Limb peak
- lack of feature in remainder of Sky

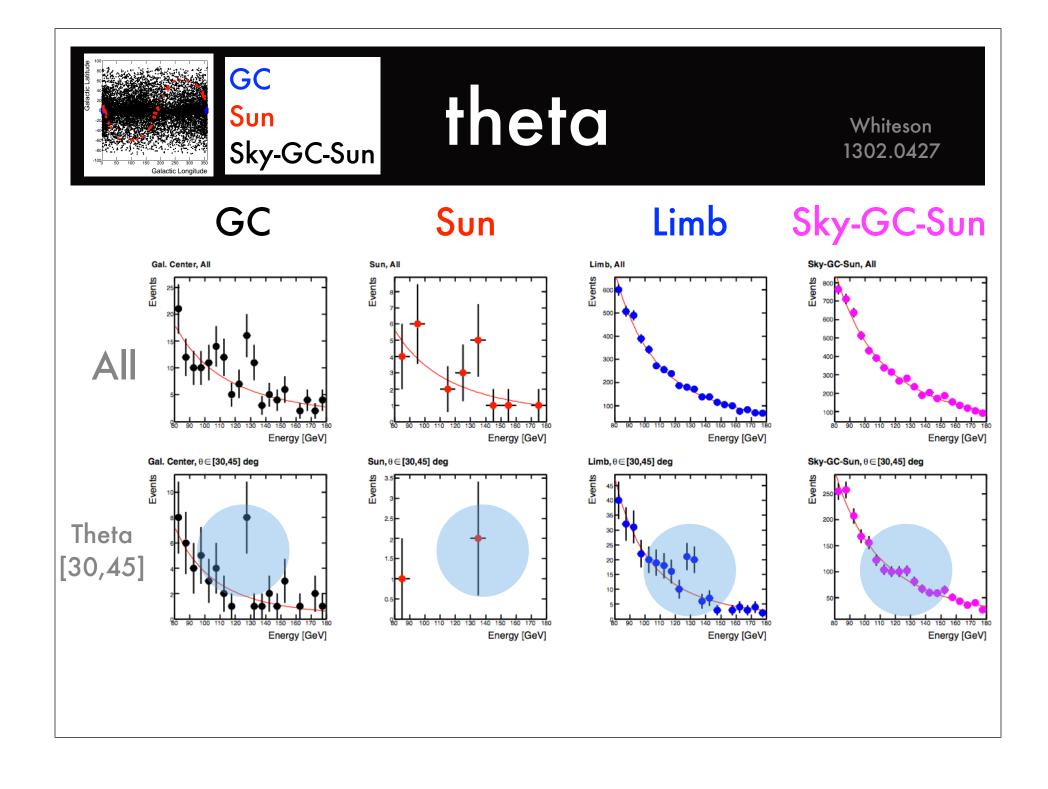


## Common features? Whiteson 1302.0427

Sun GC Limb  $\chi^2$ /dof = 1.5/7  $\chi^2$ /dof = 8.9/5 Limb  $\chi^2$ /dof = 1.1/7 Sun One-line fit 0.6 0. 0.6 Fraction of events Fraction of events Fraction of events Bg. Bg. • Bg. 0. 0.5 0.5 Peak. Peak. Peak. 0.6 0.4 0. 0.3 0.3 0 0.3 0.2 0.2 0.2 0.1 -0d.5 -0.1 0.55 0.6 0.65 0.7 0.75 0.8 0.85 0.9 0.95 0.55 0.6 0.65 0.7 0.75 0.8 0.85 0.9 0.95 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 cos(0) cos(θ)  $\cos(\theta)$ GC Limb Sun  $\chi^2$ /dof = 2.6/7 One-line fit  $\chi^2$ /dof = 11.9/7 Limb  $\chi^2$ /dof = 2.3/5 Sun 0 Fraction of events Fraction of events Fraction of events Bg. Bg. Bg. 0.7 0.5 0.5 Peak. Peak. Peak. 0.6 0.4 0.4 0.5 0.3 0.3 0.4 0.3 0.2 0.2 0.2 0. 0 e.b<sup>o-</sup> -0d.9 -01 0.9 1.1 1.2 1.3 1.4 1.5 1.6 1.1 1.2 1.3 1.4 1.5 1.6 1.2 1.5 1.1 1.3 1.4 1.6 1.7 1 1.8 Mcllwain B [Gauss] Mcllwain B [Gauss] McIlwain B [Guass]







### Discussion

### Not a simple energy-dependent efficiency

- Not seen in full sky

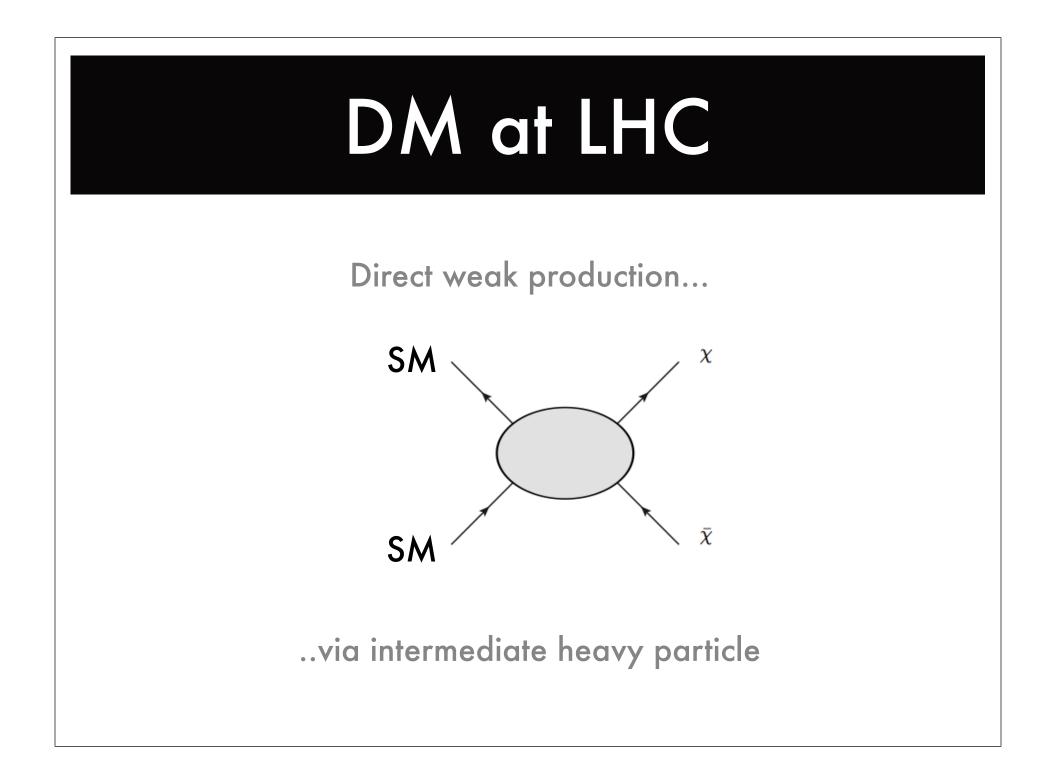
#### Not a energy-and-theta-dependent efficiency

- GC peak not isolated to theta [30,45]
- Not seen in full sky with theta restriction (but a hint?)

#### More complex efficiency dependence?

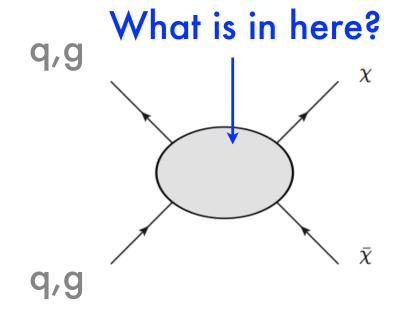
- Sun/Limb/GC sweep out different paths across detector
- No clues seen in efficiency checks





## Effective field theories

48

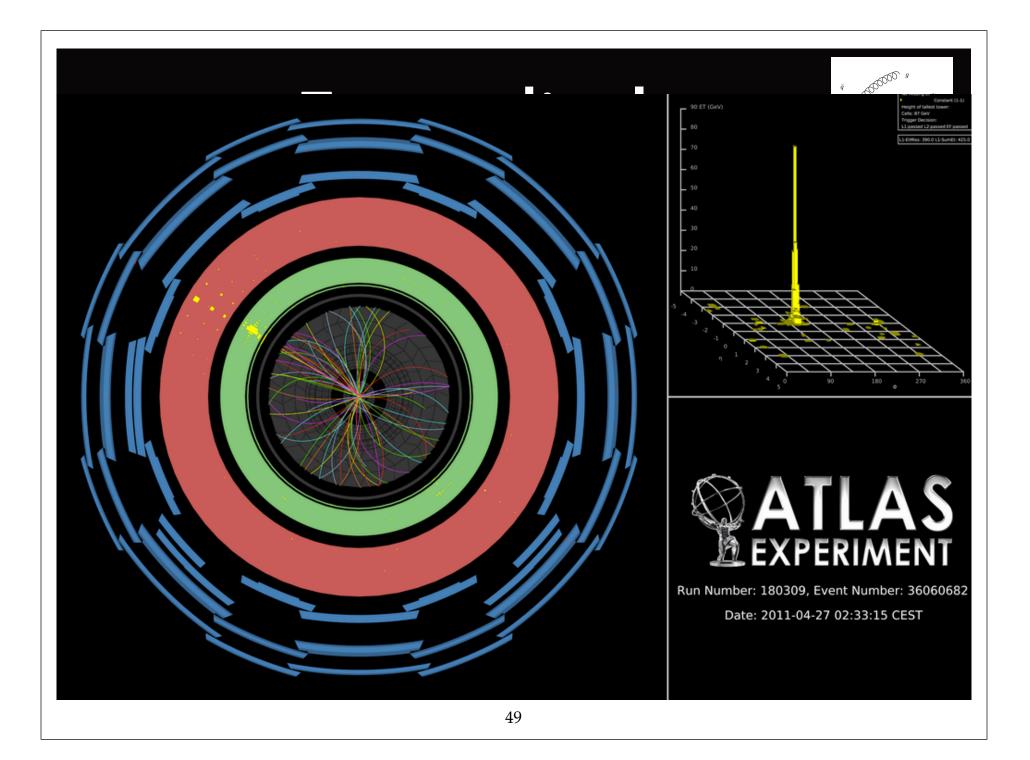


#### Allows connections to direct, indirect exp.

$$\begin{split} \sigma_0^{D1} &= 1.60 \times 10^{-37} \text{cm}^2 \left(\frac{\mu_{\chi}}{1 \text{GeV}}\right)^2 \left(\frac{20 \text{GeV}}{M_{\star}}\right)^6, \\ \sigma_0^{D5,C3} &= 1.38 \times 10^{-37} \text{cm}^2 \left(\frac{\mu_{\chi}}{1 \text{GeV}}\right)^2 \left(\frac{300 \text{GeV}}{M_{\star}}\right)^4, \\ \sigma_0^{D8,D9} &= 9.18 \times 10^{-40} \text{cm}^2 \left(\frac{\mu_{\chi}}{1 \text{GeV}}\right)^2 \left(\frac{300 \text{GeV}}{M_{\star}}\right)^4, \\ \sigma_0^{D11} &= 3.83 \times 10^{-41} \text{cm}^2 \left(\frac{\mu_{\chi}}{1 \text{GeV}}\right)^2 \left(\frac{100 \text{GeV}}{M_{\star}}\right)^6, \\ \sigma_0^{C1,R1} &= 2.56 \times 10^{-36} \text{cm}^2 \left(\frac{\mu_{\chi}}{1 \text{GeV}}\right)^2 \left(\frac{10 \text{GeV}}{m_{\chi}}\right)^2 \left(\frac{10 \text{GeV}}{M_{\star}}\right)^4, \\ \sigma_0^{C5,R3} &= 7.40 \times 10^{-39} \text{cm}^2 \left(\frac{\mu_{\chi}}{1 \text{GeV}}\right)^2 \left(\frac{10 \text{GeV}}{m_{\chi}}\right)^2 \left(\frac{60 \text{GeV}}{M_{\star}}\right)^4. \end{split}$$

#### A few possibilities

Name	Operator	Coefficient
D1	$ar{\chi}\chiar{q}q$	$m_q/M_*^3$
D2	$ar{\chi}\gamma^5\chiar{q}q$	$im_q/M_*^3$
D3	$\bar{\chi}\chi \bar{q}\gamma^5 q$	$im_q/M_*^3$
D4	$ar{\chi}\gamma^5\chiar{q}\gamma^5q$	$m_q/M_{\star}^3$
D5	$ar{\chi}\gamma^\mu\chiar{q}\gamma_\mu q$	$1/M_{*}^{2}$
D6	$ar{\chi}\gamma^{\mu}\gamma^{5}\chiar{q}\gamma_{\mu}q$	$1/M_{*}^{2}$
D7	$ar{\chi}\gamma^\mu\chiar{q}\gamma_\mu\gamma^5 q$	$1/M_{*}^{2}$
D8	$ar{\chi}\gamma^{\mu}\gamma^5\chiar{q}\gamma_{\mu}\gamma^5q$	$1/M_{*}^{2}$
D9	$ar{\chi}\sigma^{\mu u}\chiar{q}\sigma_{\mu u}q$	$1/M_{*}^{2}$
D10	$ar{\chi}\sigma_{\mu u}\gamma^5\chiar{q}\sigma_{lphaeta}q$	$i/M_*^2$
D11	$ar{\chi}\chi G_{\mu u}G^{\mu u}$	$\alpha_s/4M_*^3$
D12	$ar{\chi}\gamma^5\chi G_{\mu u}G^{\mu u}$	$ilpha_s/4M_*^3$
D13	$ar{\chi} \chi G_{\mu u}  ilde{G}^{\mu u}$	$ilpha_s/4M_*^3$
D14	$ar{\chi}\gamma^5\chi G_{\mu u} ilde{G}^{\mu u}$	$lpha_s/4M_*^3$



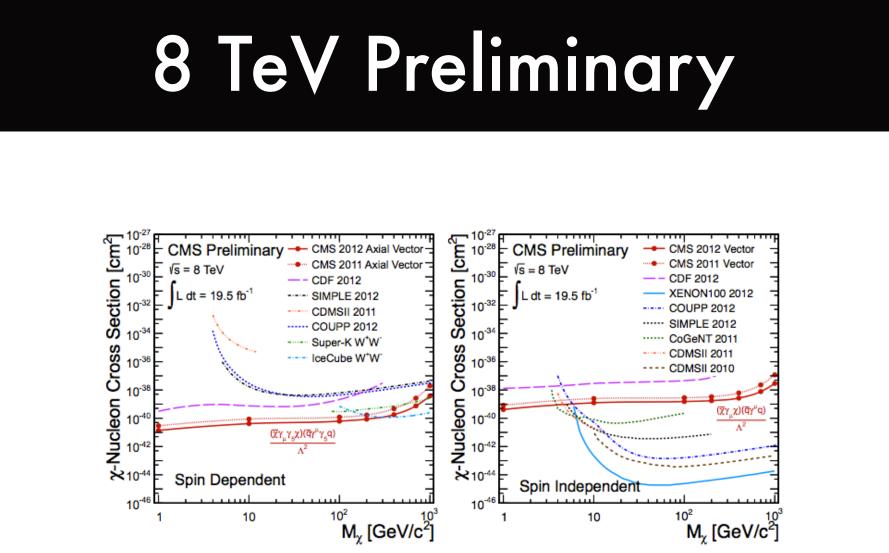
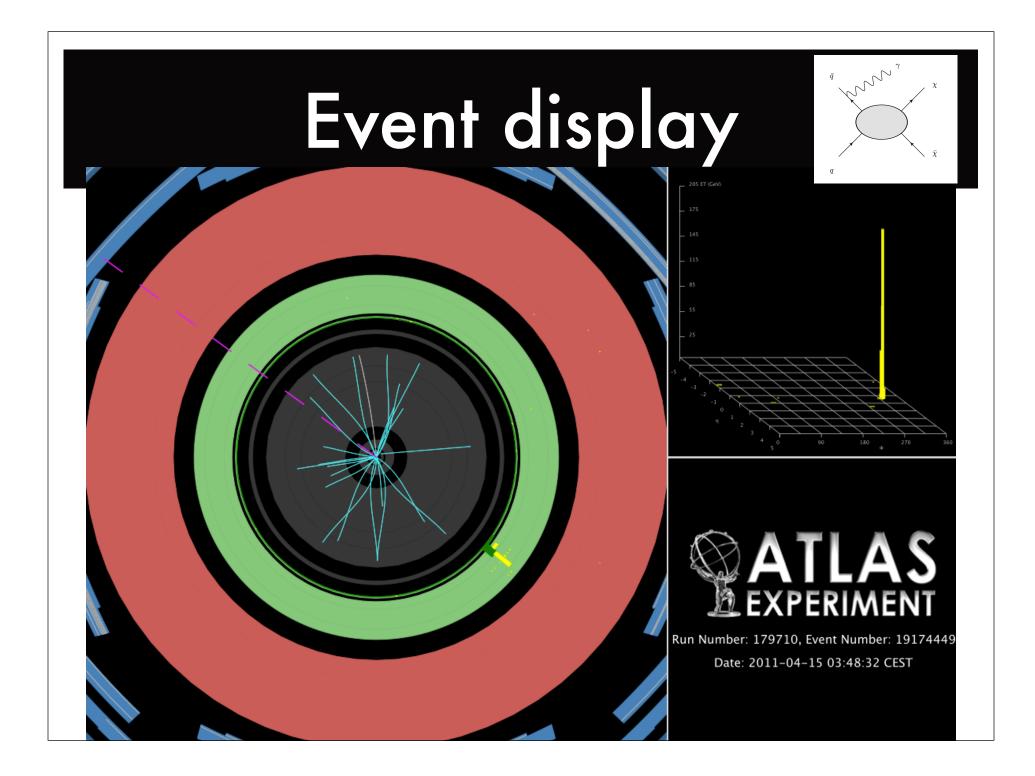
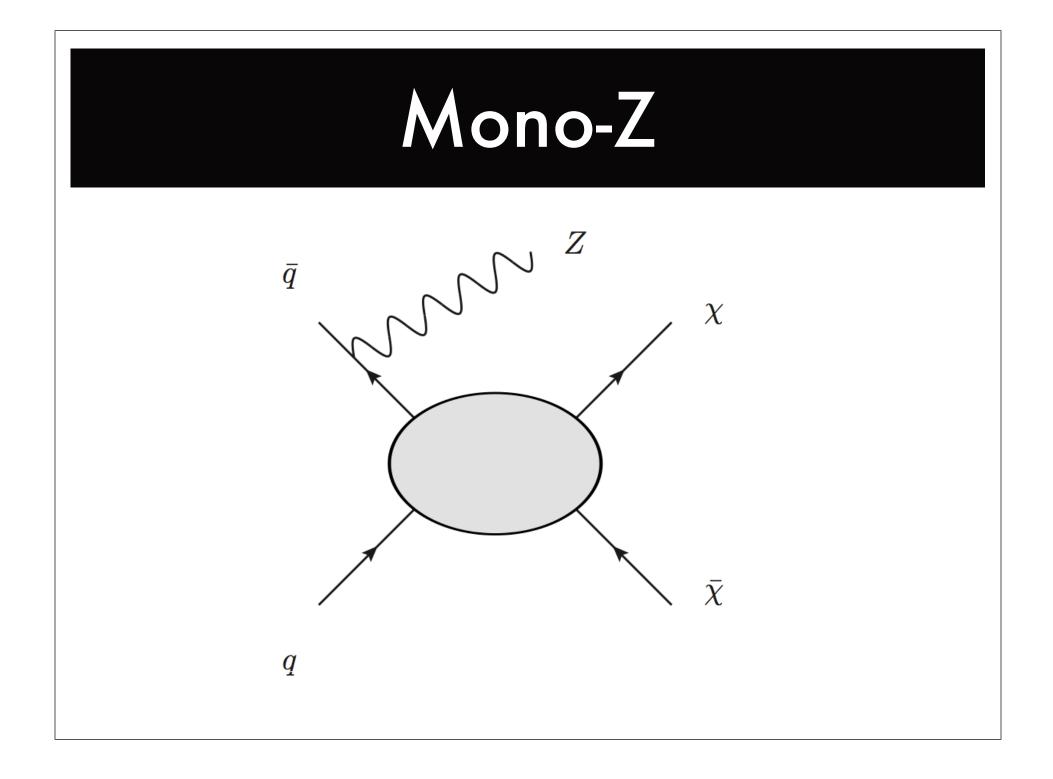


Figure 7: Comparison of CMS 90% CL upper limits on the dark matter-nucleon cross section versus dark matter mass for the vector operator with CDF [54], SIMPLE [55], CDMS [21], COUPP [56], Super-K [26] and IceCube [25] and for the axial-vector operator with CDF [54], XENON100 [18], CoGeNT [19] and CDMS [21, 22]

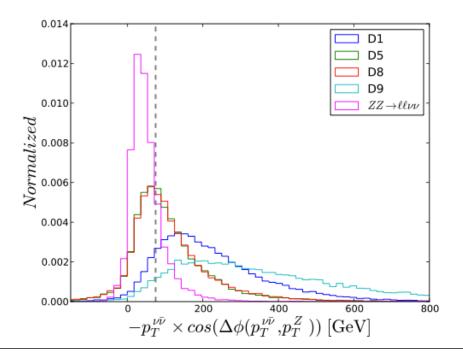


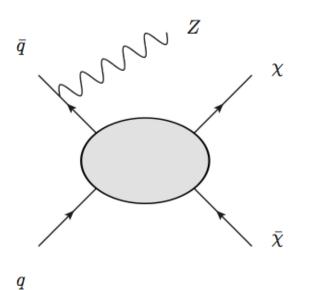


### Mono-Z

TABLE II: Expected backgrounds and observed data in the ATLAS  $ZZ \rightarrow \ell\ell\nu\nu$  analysis [8] in pp collisions at  $\sqrt{s} = 7$  TeV with integrated luminosity of 4.6 fb<sup>-1</sup>. The first uncertainty is statistical and systematic and the second uncertainty is luminosity.

	$ee\nu\nu$	$\mu\mu\nu\nu$	<i>ℓℓνν</i>
Background	$20.8 \pm 2.7$	$26.1 \pm 3.3$	$46.9 \pm 5.5$
SM $ZZ \rightarrow \ell \ell \nu \nu$	$17.8 \pm 1.8$	$21.6 \pm 2.2$	$39.3 \pm 4.0$
Total	$38.6\pm3.8$	$47.7\pm4.6$	$86.2 \pm 7.2$
Data	35	52	87

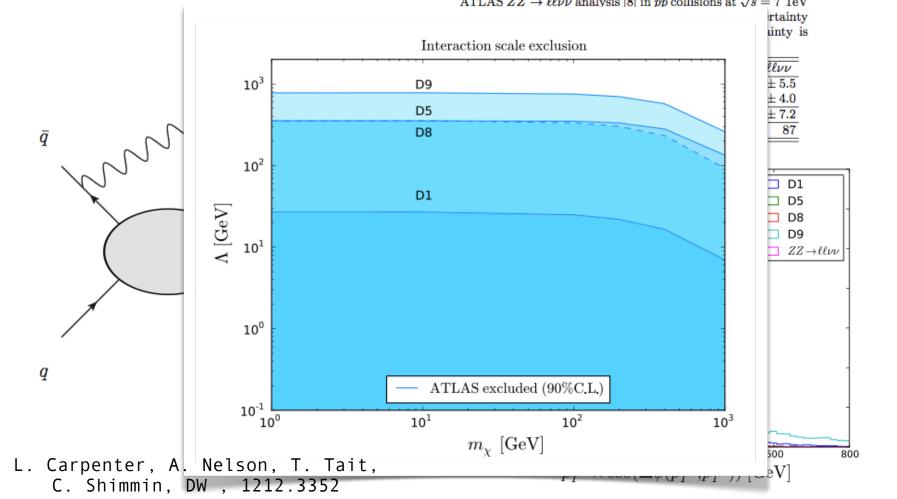




L. Carpenter, A. Nelson, T. Tait, C. Shimmin, DW , 1212.3352

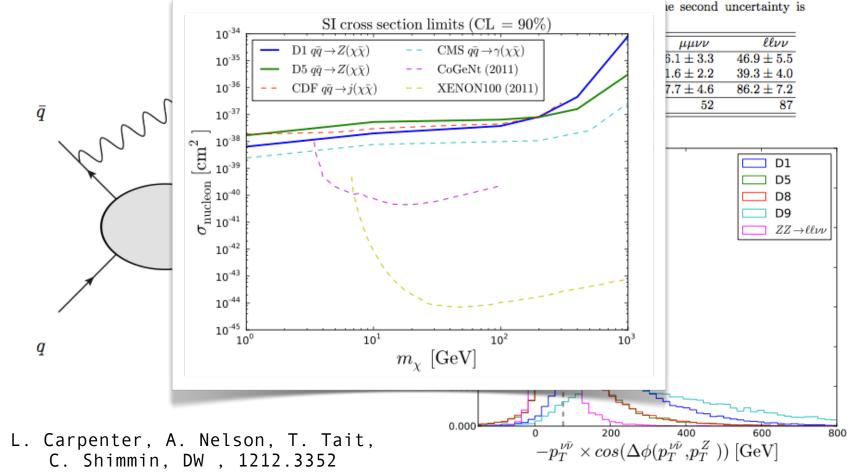
### Mono-Z

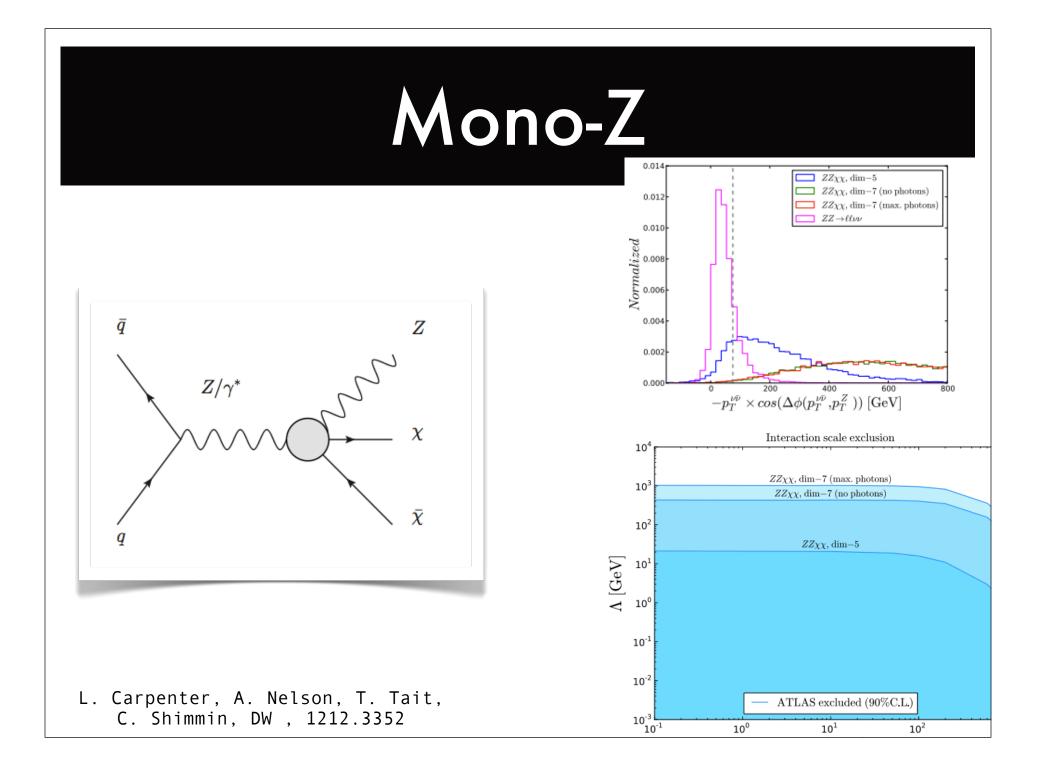
TABLE II: Expected backgrounds and observed data in the ATLAS  $ZZ \rightarrow \ell\ell\nu\nu$  analysis [8] in pp collisions at  $\sqrt{s} = 7$  TeV



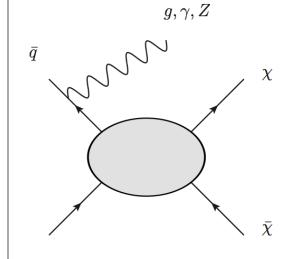
### Mono-Z

TABLE II: Expected backgrounds and observed data in the ATLAS  $ZZ \rightarrow \ell\ell\nu\nu$  analysis [8] in pp collisions at  $\sqrt{s} = 7$  TeV with integrated luminosity of 4.6 fb<sup>-1</sup>. The first uncertainty





### Combination

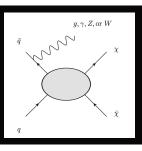


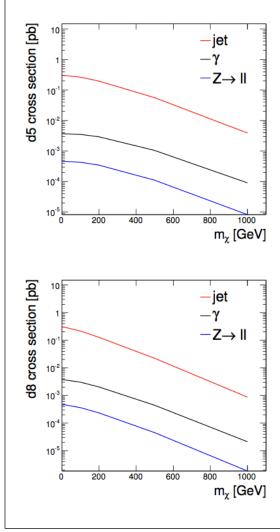
q

Channel	Bg.	Obs	Limit	Eff.	Lumi.	Limit
			N		$(fb^{-1})$	$\sigma$ (fb)
ATLAS jet+ $\not\!\!\!E_T$	$750\pm60$	785	139.3	1.7%	4.8	1,700
$\text{CMS jet} + \not\!\!\!E_T$	$1225\pm101$	1142	125.2	2.2%	5.0	$1,\!140$
ATLAS $\gamma + \not\!\!\!E_T$	$137\pm20$	116	27.4	18%	4.6	33
$\text{CMS } \gamma + \not\!\!\!E_T$	$75.1\pm9.4$	73	19.3	11%	5.0	35
ATLAS $Z + \not\!\!\!E_T$	$86.2\pm7.2$	87	21.7	13%	4.6	36

N. Zhou, D. Berge, DW

## Combination

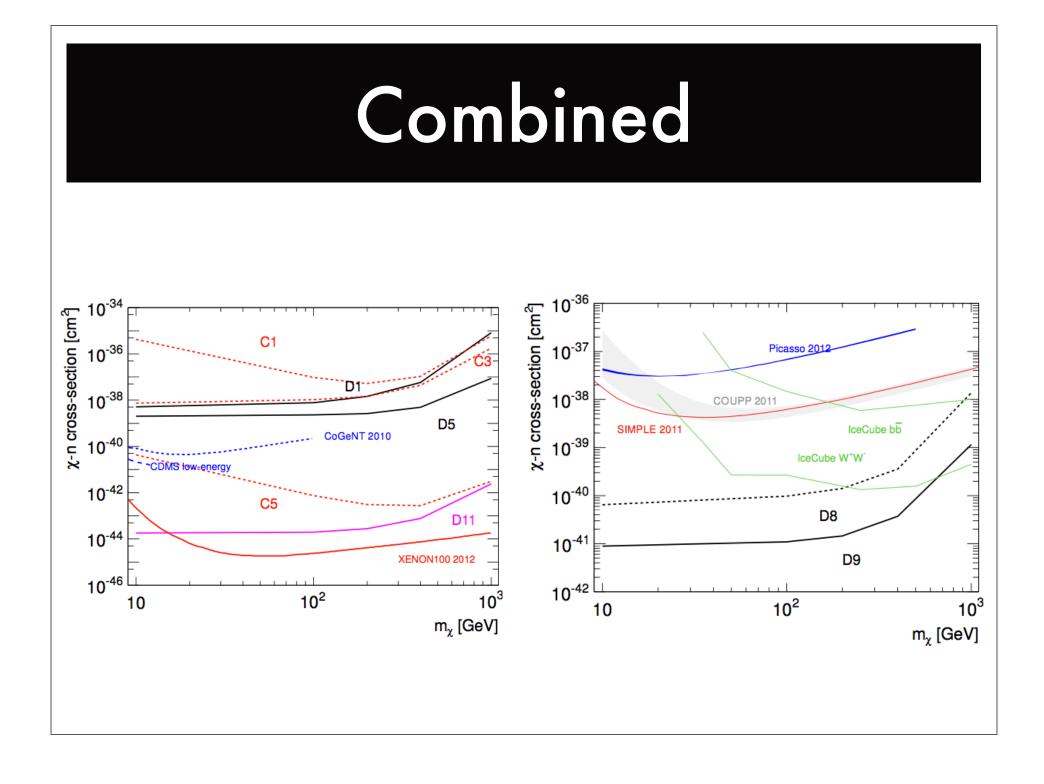




### D5, WIMP mass of 10 GeV

Channel	Limit $\sigma$	Pred.	Limit $M_{\star}$	
	(fb)	$(M_{\star} = 1 \text{ TeV})$	(GeV)	
ATLAS jet+ $\not\!\!\!E_T$	1,700	370	685 750	1
$\text{CMS jet} + \not\!\!\!E_T$	1,140	370	750	} 785
ATLAS $\gamma + \not\!\!\!E_T$	33	3.7	580	645 795
$\text{CMS } \gamma + \not\!$	35	3.7	570	5 645 J 100
ATLAS $Z + \not\!\!\!E_T$	36	0.5	340	

N. Zhou, D. Berge, DW



### The future

$$\frac{\Delta N_{bg}}{N_{bg}}(\mathcal{L}) = f_0$$

$$\frac{\Delta N_{bg}}{N_{bg}}(\mathcal{L}) = \frac{f_0}{2} + \frac{f_0}{2} \times \sqrt{\frac{\mathcal{L} = 5}{\mathcal{L}}}$$

$$\frac{\Delta N_{bg}}{N_{bg}}(\mathcal{L}) = f_0 \times \sqrt{\frac{\mathcal{L} = 5}{\mathcal{L}}}$$

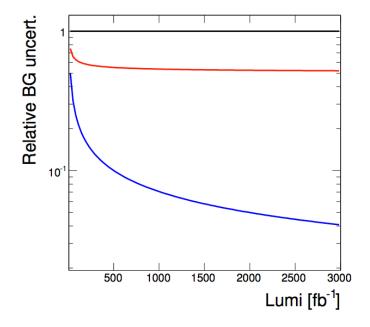
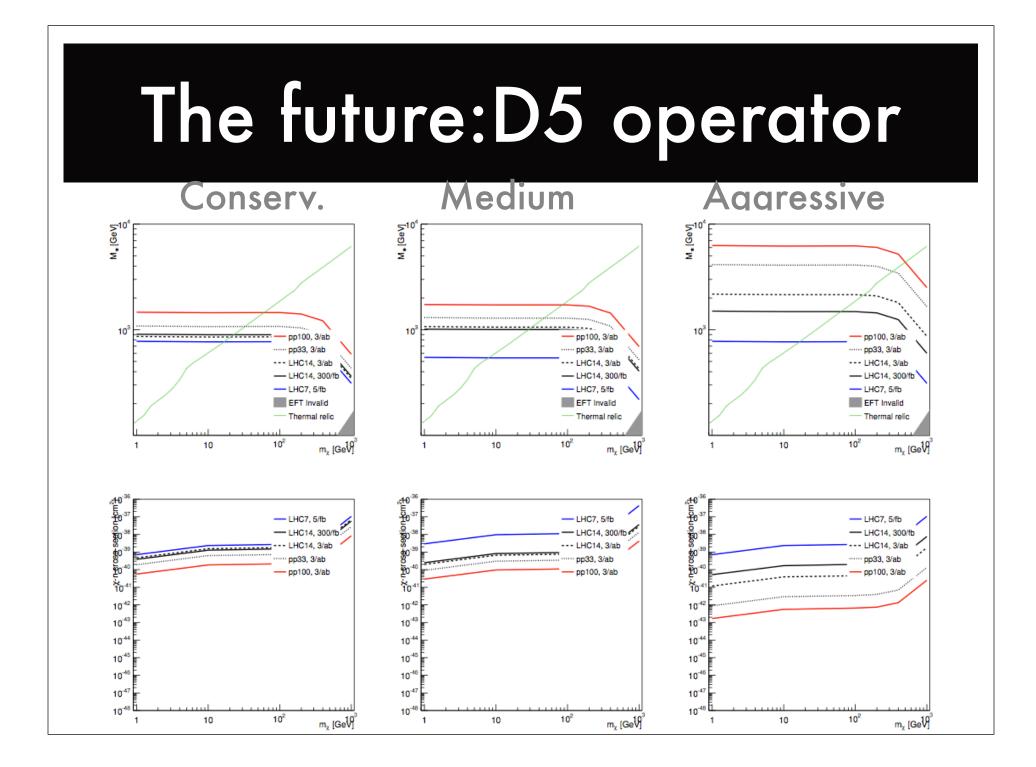
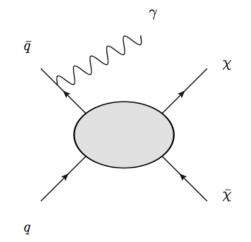


FIG. 1: Relative background uncertainties versus integrated luminosity for three assumptions: no improvement (black), statistical improvement for 50% (red), statistical improvement for full uncertainty (blue).

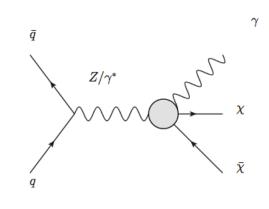


## Photons



LHC mono-photon results

Same final state can probe quark-WIMP effective ops. photon-WIMP effective ops.



Same diagram as Fermi line feature... results soon.

## Fermi: Conclusions

#### Supporting evidence

Features

- strong stat power

Locations

- consistent with GC

#### <u>Concerns</u>

Background assumptions - fair to assume featureless?

No Continuum - requires some theory gymnastics

Limb, solar signals Hints in theta - need resolution