

Dynamos driven by magnetic instabilities

Examples: magnetic buoyancy, MRI

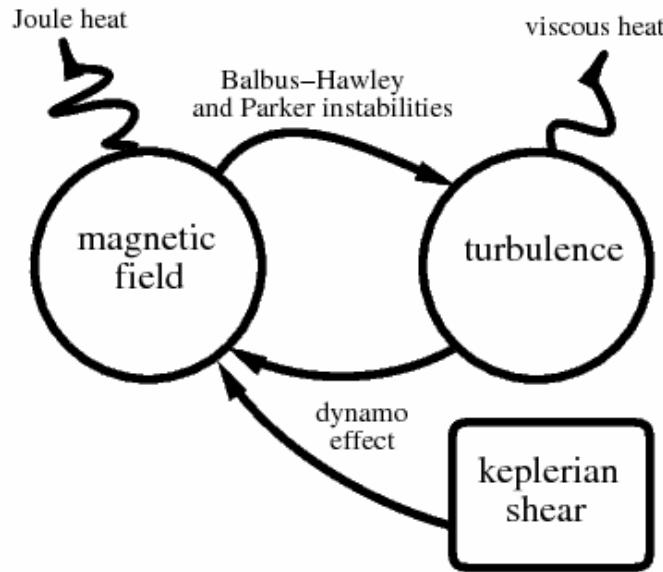
More “powerful”, can overcome quenching?

No! ...still have to fight magnetic helicity!

Negative alpha: why?

Axel Brandenburg (*Nordita, Stockholm*)

Unstratified MRI turbulence

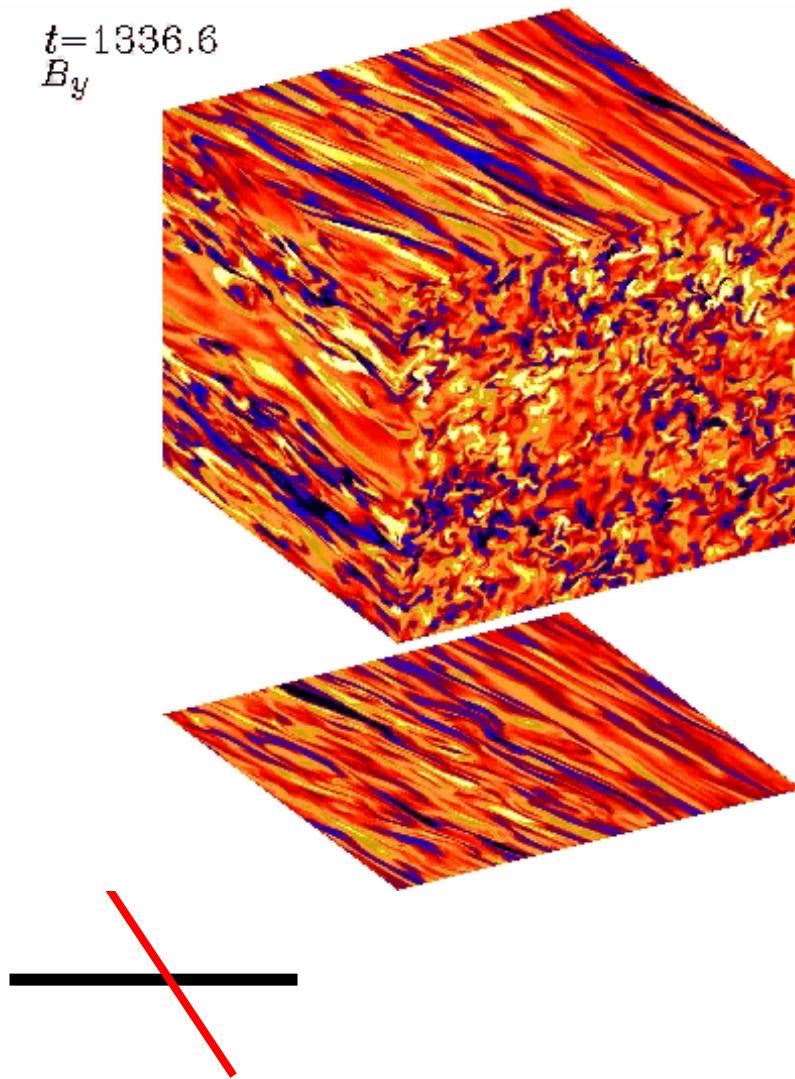


w/o hypervisc.

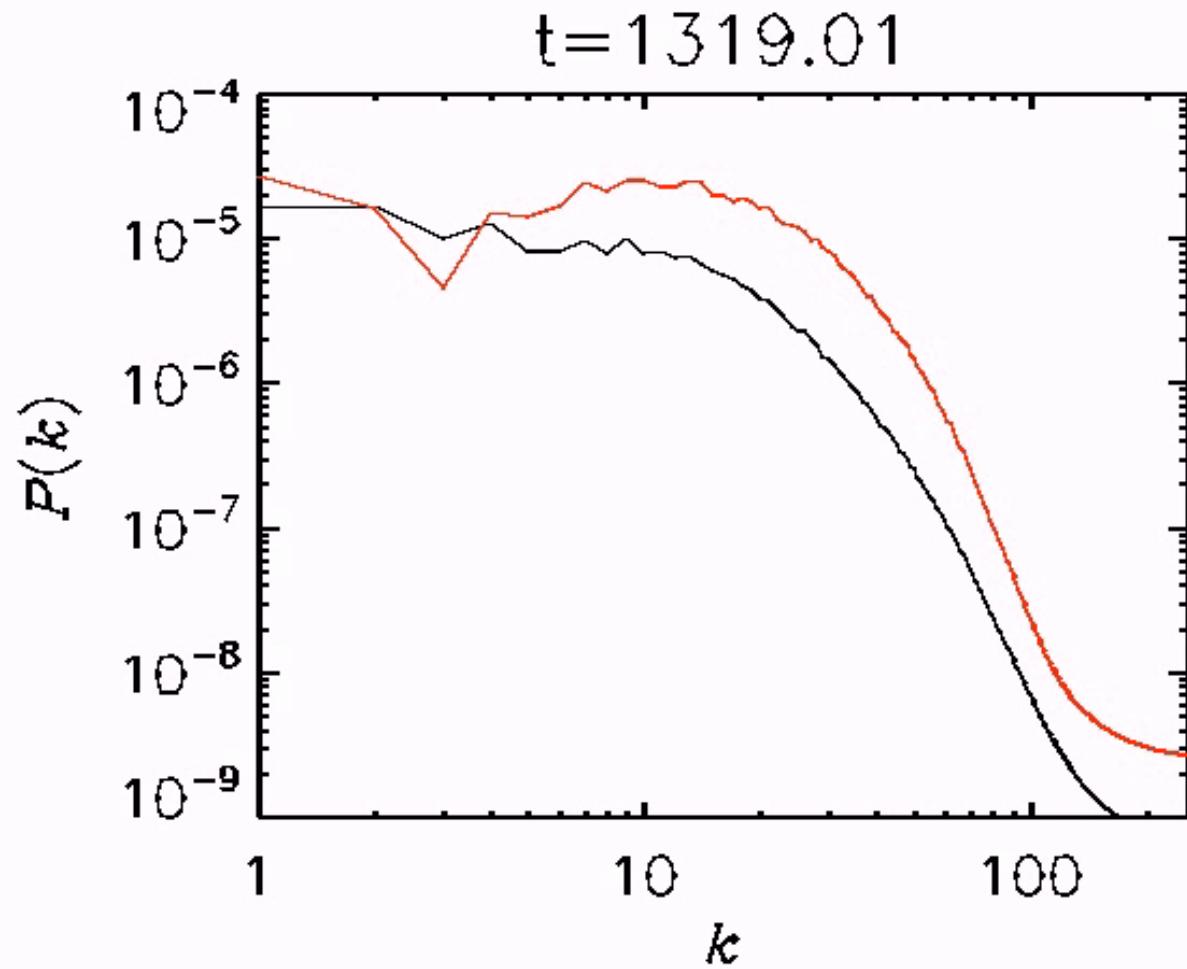
$\Delta t = 60 = 2$ orbits

No large scale field

- (i) Too short?
- (ii) No stratification?

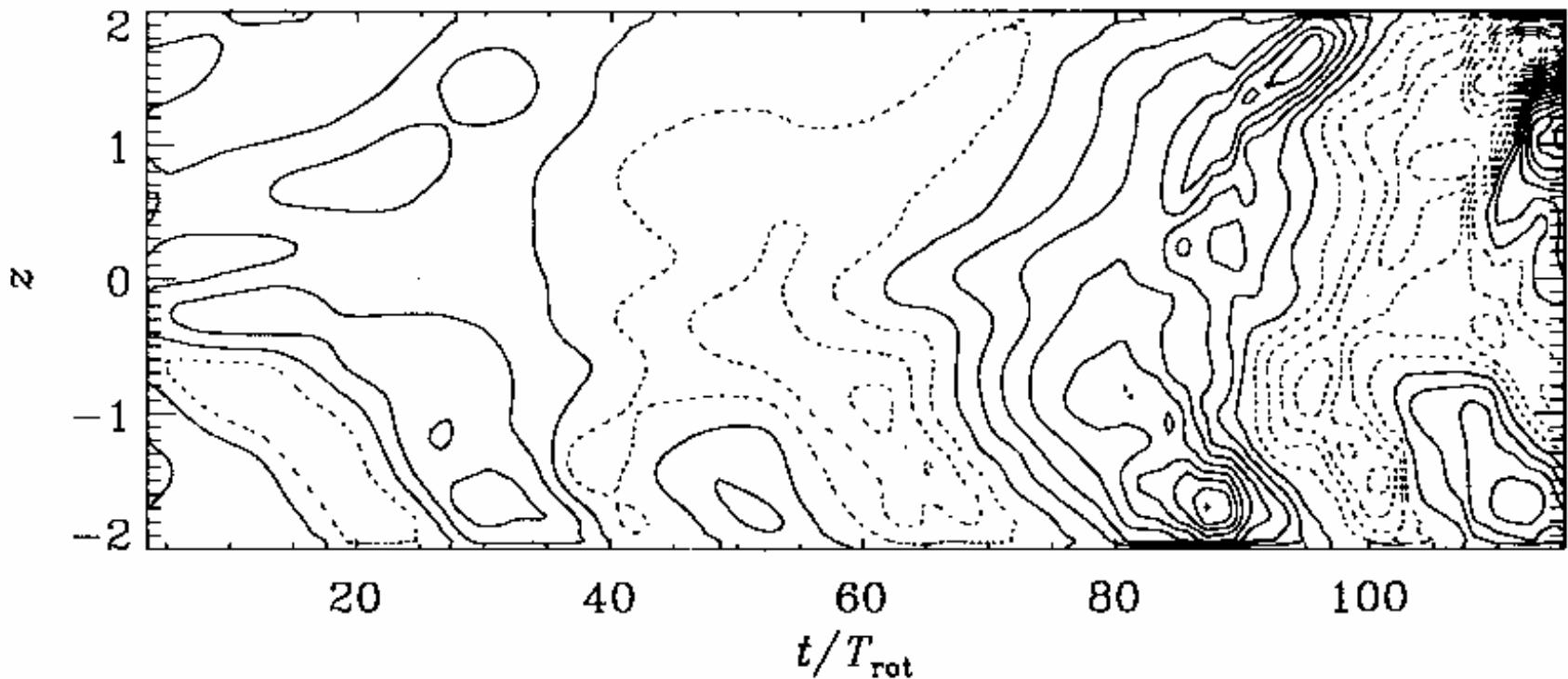


Animated spectra



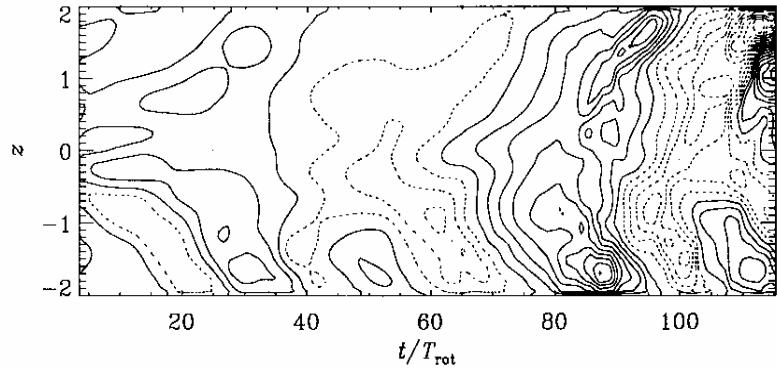
Old stratified runs

$\langle B_y \rangle$

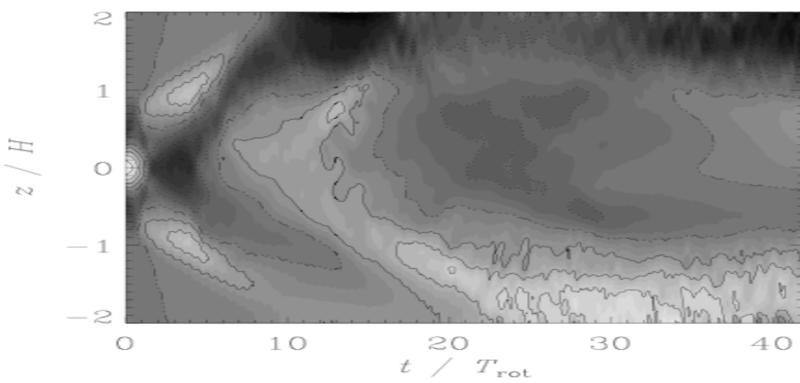


Brandenburg et al. (1995)

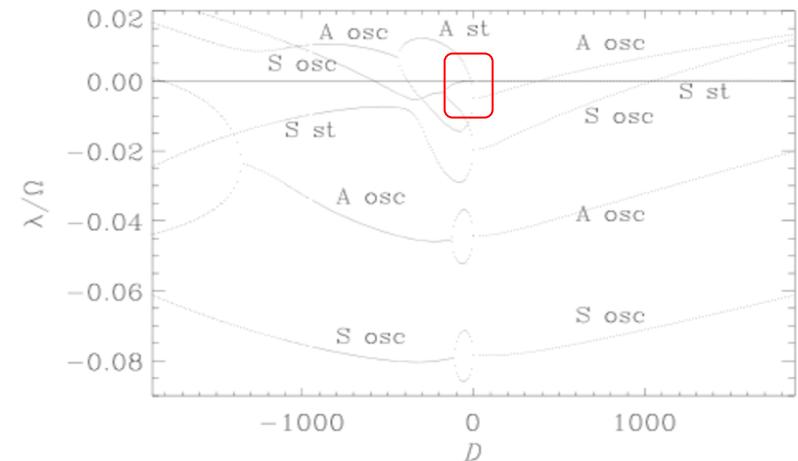
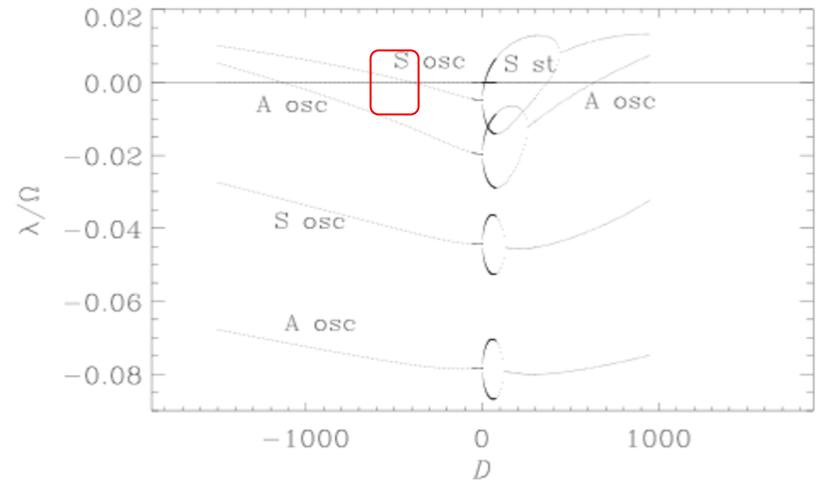
Different boundary conditions



$$B_x = B_y = B_{z,z} = 0$$

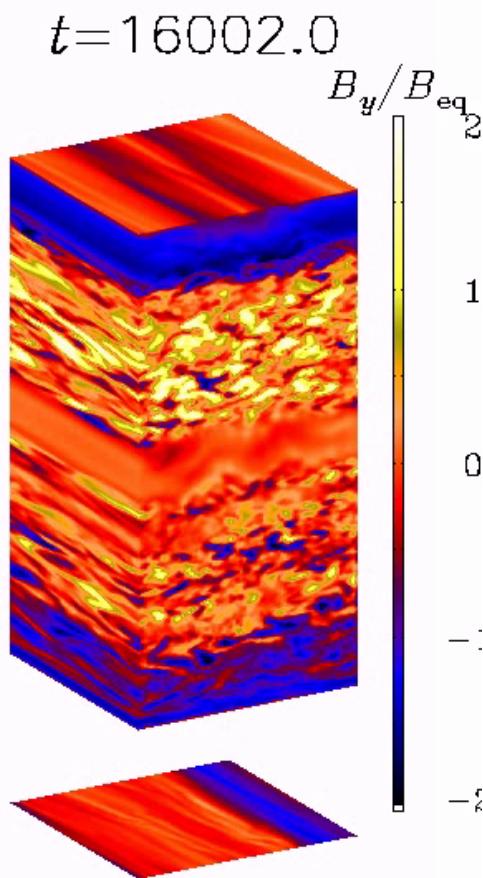


$$B_{x,z} = B_{y,z} = B_z = 0$$

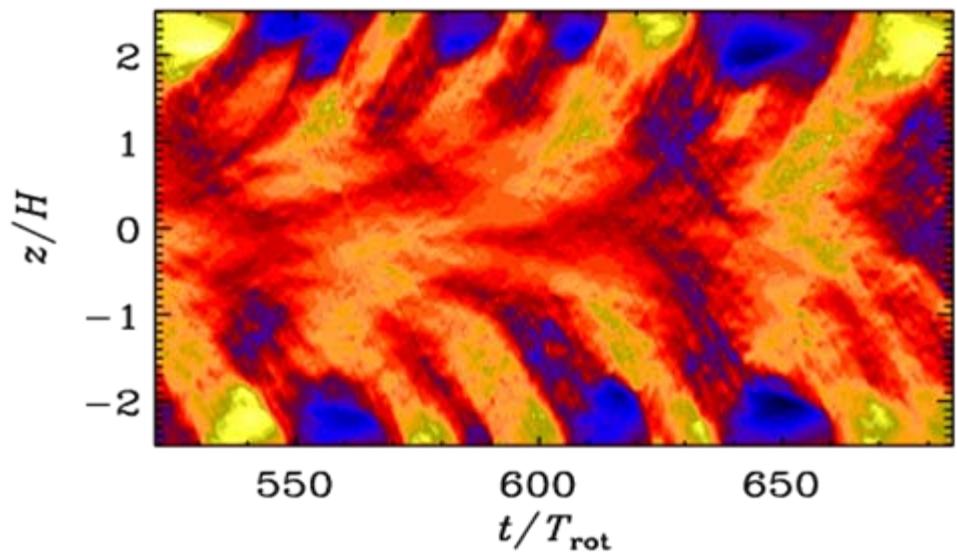
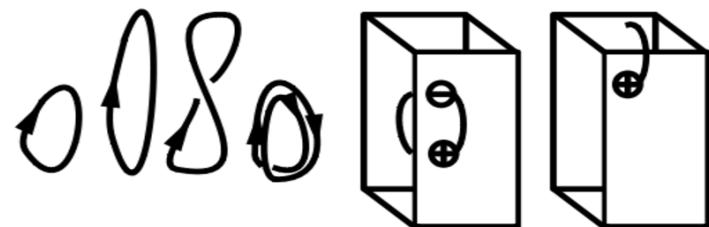


Tall disk with potential field b.c.

$2\pi \times 2\pi \times 8\pi$

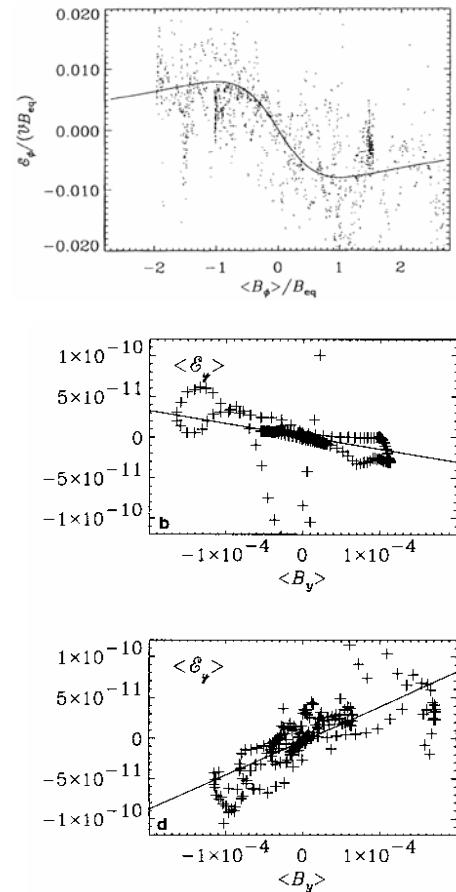
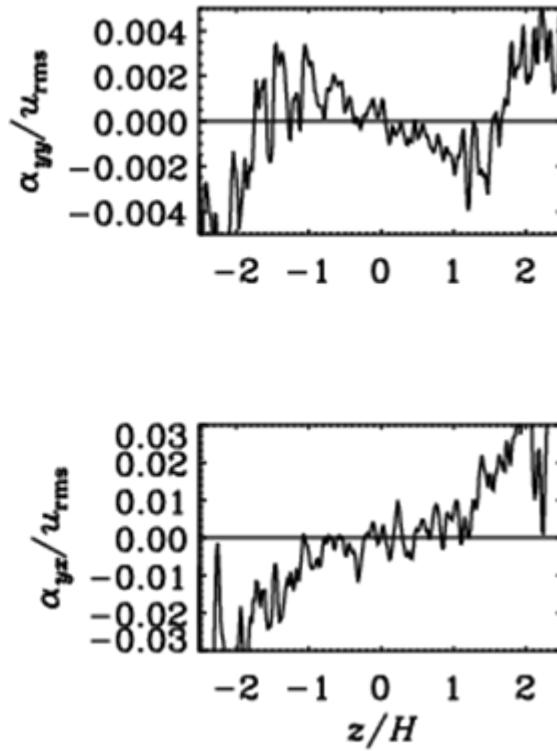
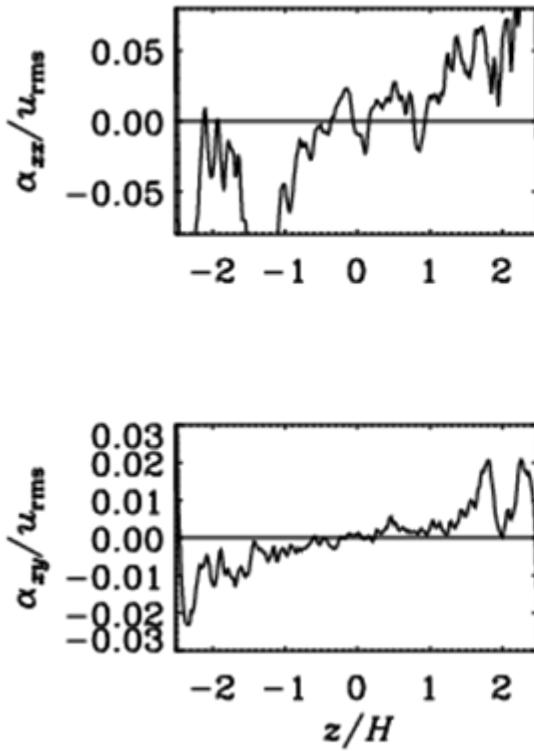


stretch - twist - fold ... - escape dynamo



Full alpha tensor for MRI

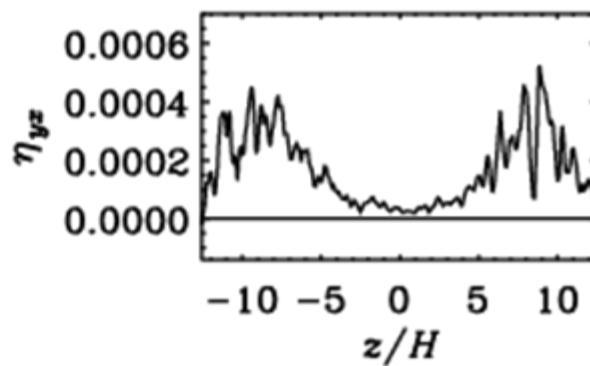
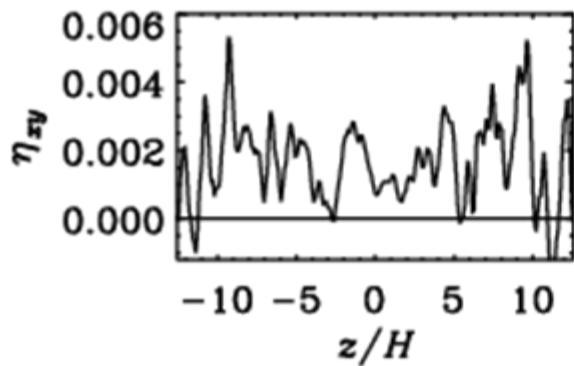
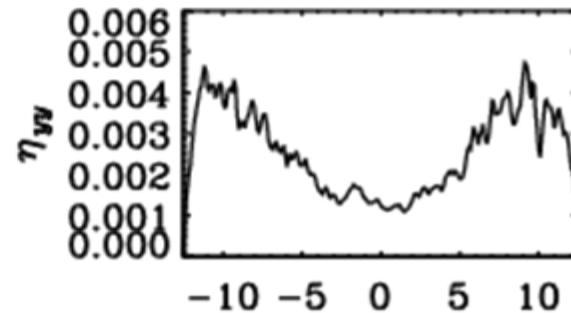
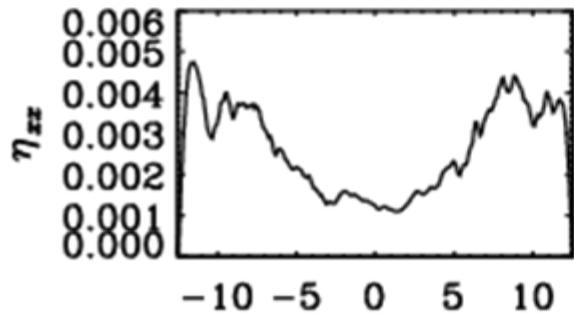
Testfield method:



α_{yy} negative, as before (Brandenburg et al. 1995)

Old 1997 and 1995 results

Full eta tensor



η_{xy} and η_{yx} the same and positive (new)

η_{yx} always positive (new)

Negative alpha?

Brandenburg (1998)

$$\frac{\partial \bar{\boldsymbol{\epsilon}}}{\partial t} = \overline{\dot{\mathbf{u}} \times \mathbf{b}} + \dots = \frac{\overline{\delta\rho}}{\rho} \mathbf{g} \times \mathbf{b} + \dots$$

$$\frac{\delta\rho}{\rho} = -\frac{\delta \mathbf{B}^2}{8\pi p} = -\frac{2\bar{B}_y b_y}{8\pi p}$$

$$\frac{\partial \bar{\mathcal{E}}_y}{\partial t} = g \bar{B}_y \frac{\overline{b_y b_x}}{4\pi p} - \text{triple correlations}$$

$$g = \Omega^2 z, \quad \text{Ro}^{-1} = \alpha \Omega, \quad c_s = \Omega H$$

$$\alpha_{yy} = \tau g \frac{\overline{b_x b_y}}{4\pi p} = -\alpha_{ss} \text{Ro}^{-1} c_s \frac{z}{H}$$