

Role of shear in large scale dynamo

Unquenching alpha

Omega contours perpendicular to surface

Explicit role of shear in MRI

Incoherent alpha-shear dynamo

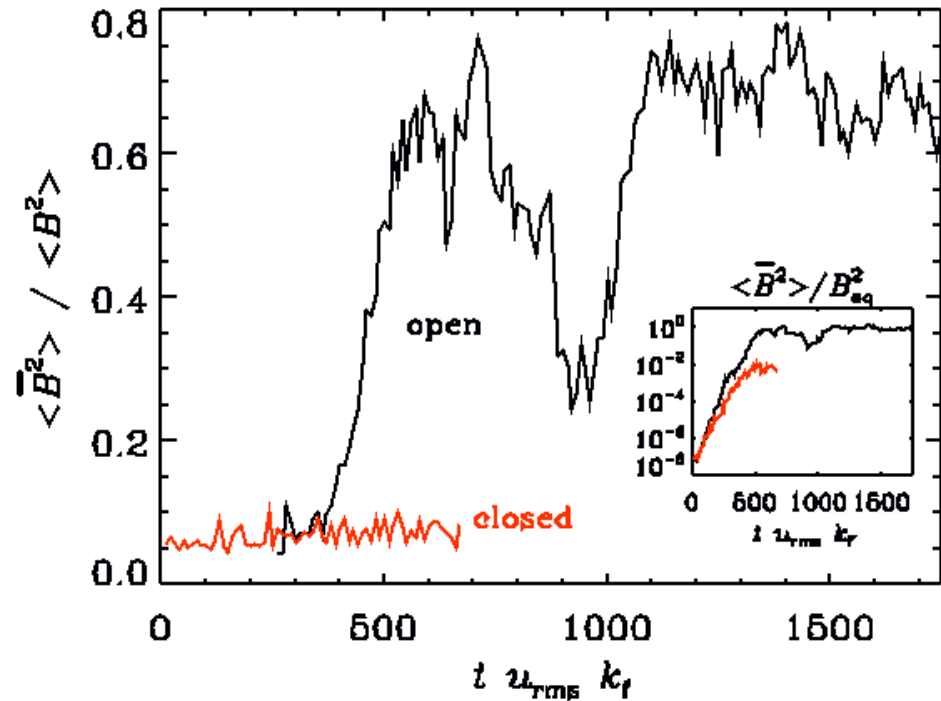
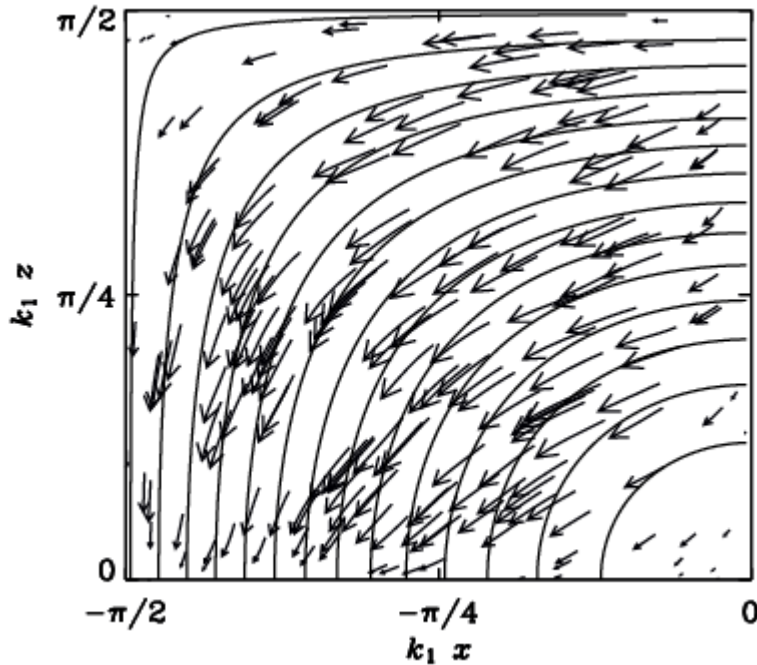
Axel Brandenburg (*Nordita, Stockholm*)

Dual role of shear

$$\begin{aligned} &\longrightarrow \nabla \Omega \\ &\longrightarrow \nabla \cdot \bar{\mathbf{F}}_C^{SS} \end{aligned}$$

Evidence: forced turbulence with shear

to “unquench” α

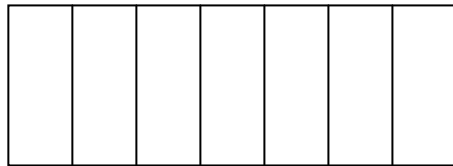


Brandenburg (2005, ApJ)

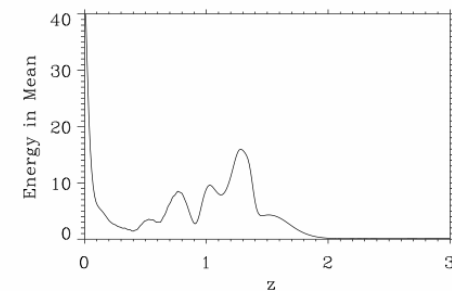
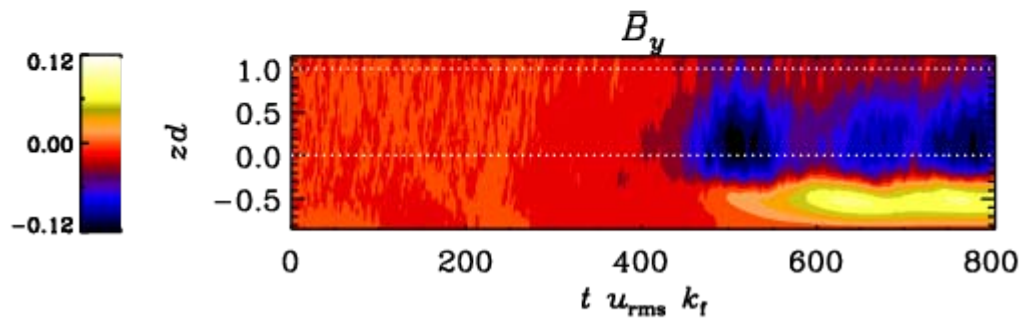
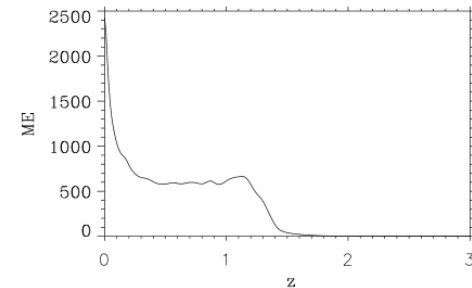
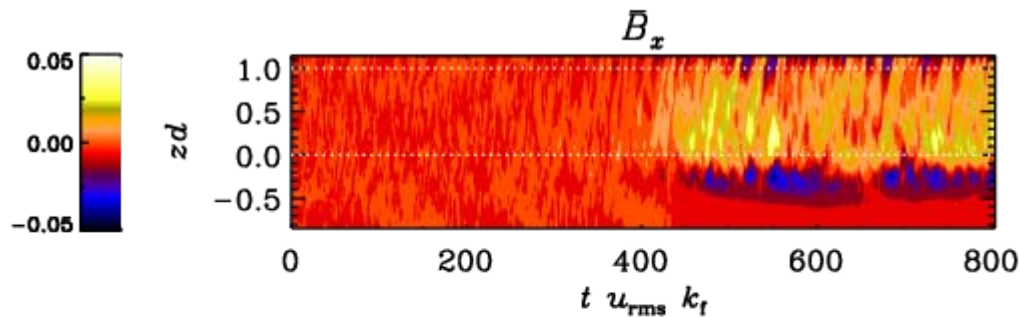
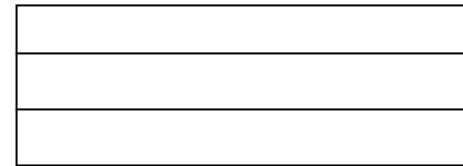
Check: turn on perf cond bc's in successful LS dyn.

Also need Ω contours \perp to surface

Example: convection with shear



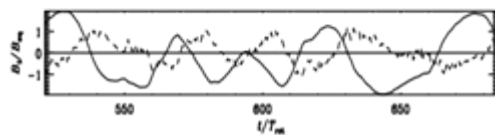
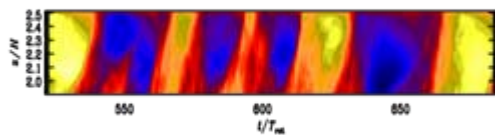
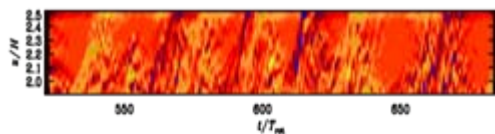
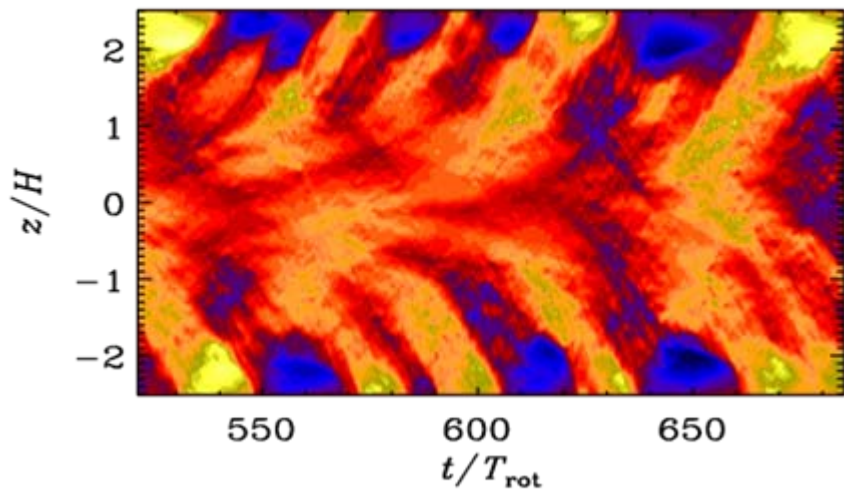
→ need small-scale helical exhaust out of the domain, not back in on the other side



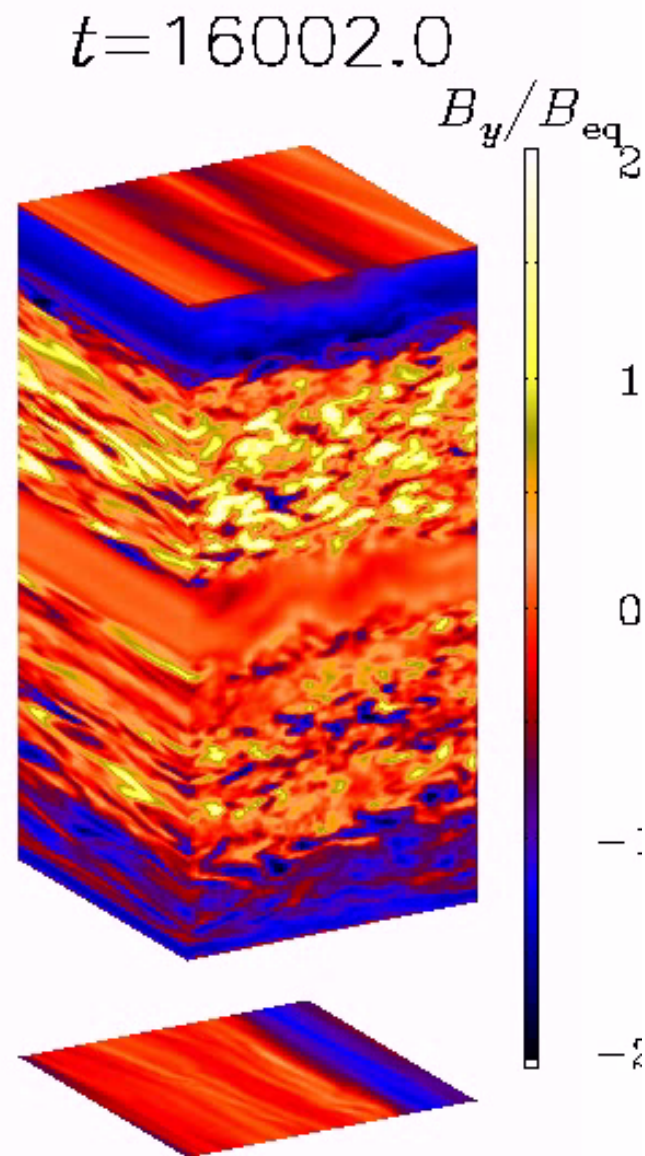
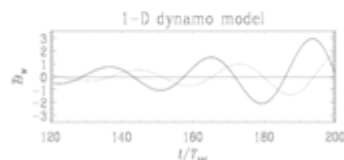
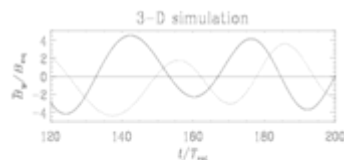
Kapyla et al. (2008, A&A)

Tobias et al. (2008, ApJ)

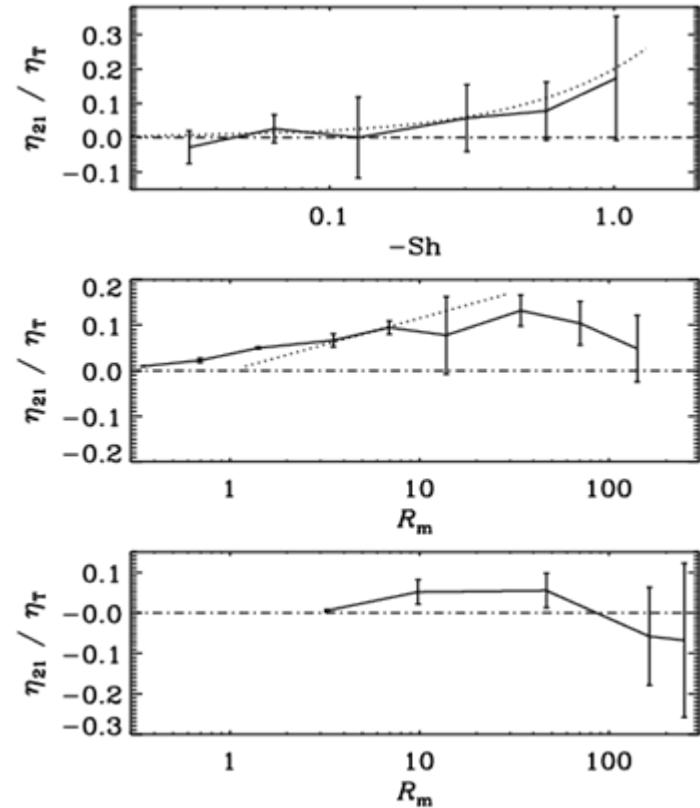
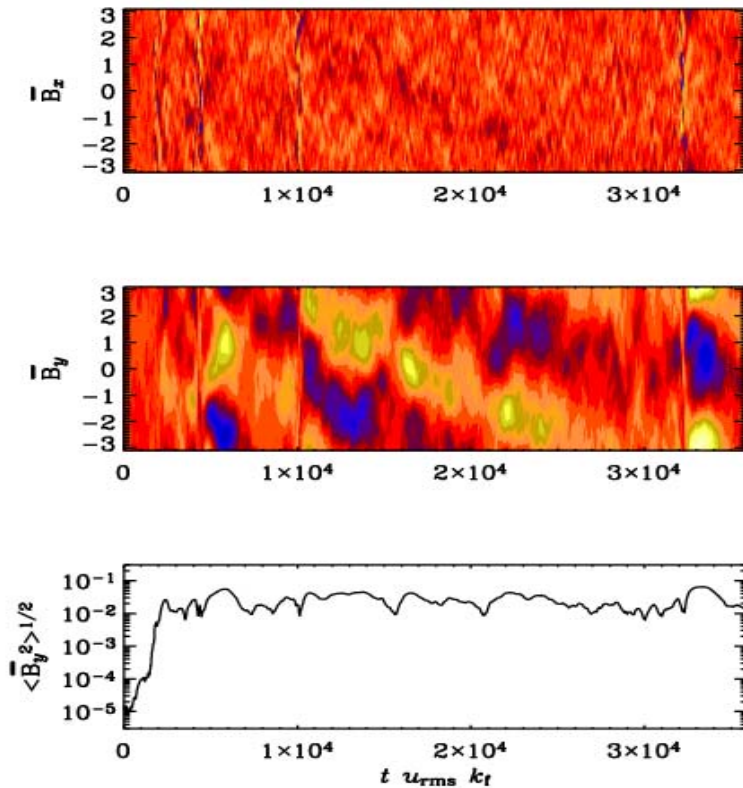
MRI from $S+2\Omega$



Phase relation

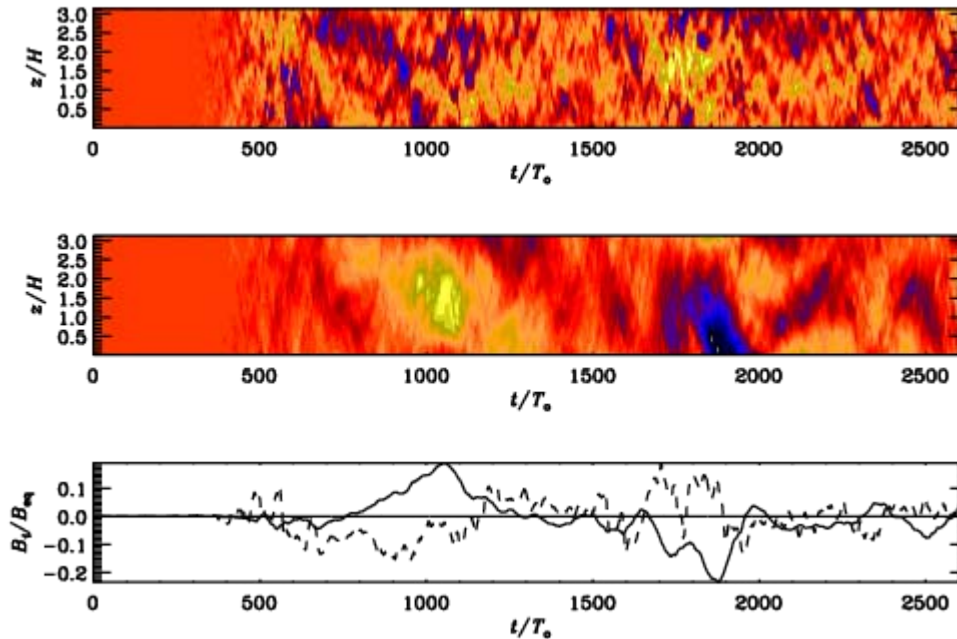


Non-helical shear flow



- (i) Cannot be shear-current effect, because here η_{21} has the wrong sign ($\eta_{21} S < 0$)
- (ii) Incoherent alpha-shear dynamo (Vishniac & Brandenburg 1997, Proctor 2007)

Phase relation as diagnostics?



$\frac{3}{4} \pi$ for $\alpha\Omega$ dynamo
 π for incoherent $\alpha\Omega$?

Difficulty: good averaging required

Model equations (VB97)

$$\partial_t B_r = -\partial_z(\alpha B_\theta) + D_t \partial_z^2 B_r,$$

$$\partial_t B_\theta = -\frac{3}{2}\Omega B_r + D_t \partial_z^2 B_\theta,$$

