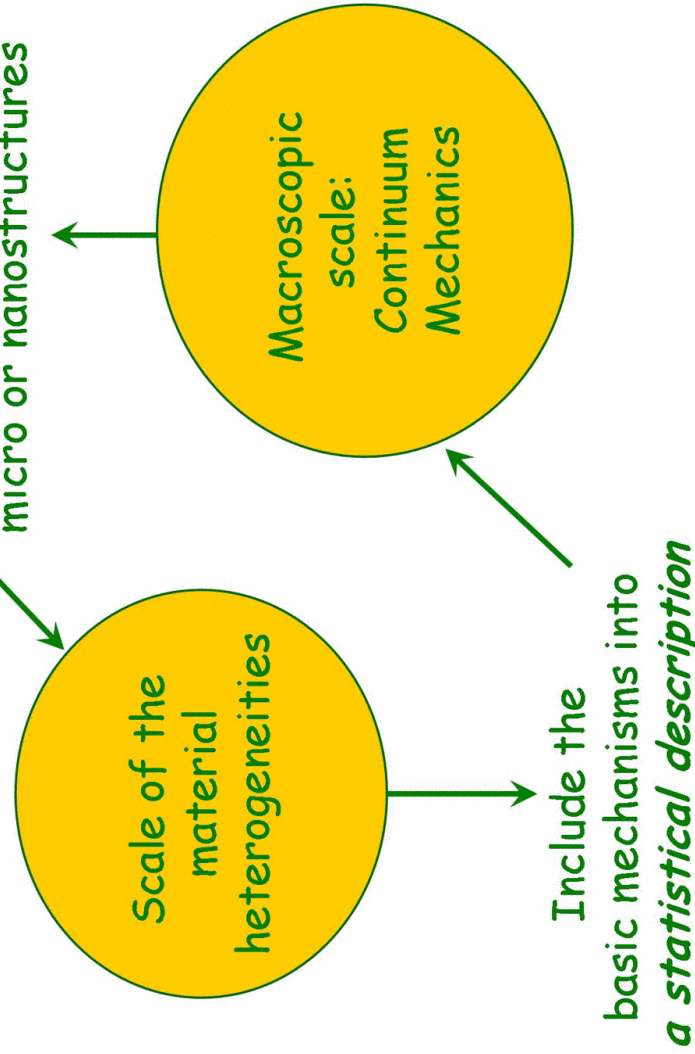




DAMAGE AND CRACK PROPAGATION IN SILICATE GLASSES

SPCSI, CEA-Saclay, France
FRACTURE GROUP
C.L. Rountree, D. Bonamy, S. Prades,
C. Guillot, E. Bouchaud

KITP- From the Atomic to the Tectonic... 27/09/05





Crack propagation through heterogeneous materials

- *Universal* features due to *different* microscopic processes
- Fracture surfaces \swarrow *Universal morphology*
- *Relevant* similarities? \swarrow *Within a material-dependent* range of length scales
- *Macroscopic consequences* of microscopic processes?
Daniel Bonamy tomorrow!

KITP- From the Atomic to the Tectonic... 27/09/05



OUTLINE

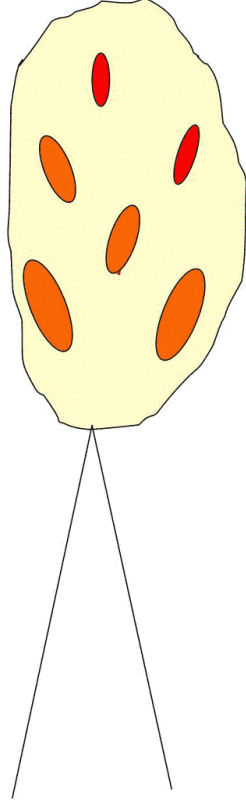
- 1- Damage mechanism in the stress corrosion fracture of glass
- 2- Macroscopic consequences
- 3- Conclusion & Work in progress

KITP- From the Atomic to the Tectonic... 27/09/05

CEA 1- Damage mechanism



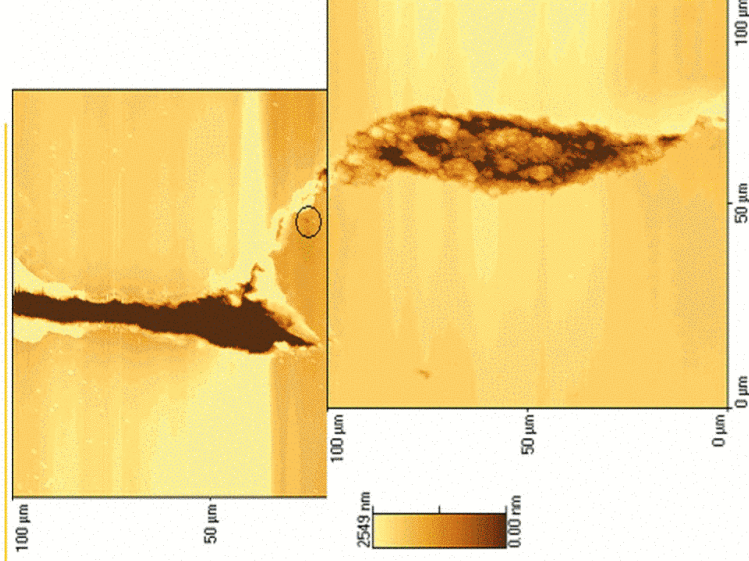
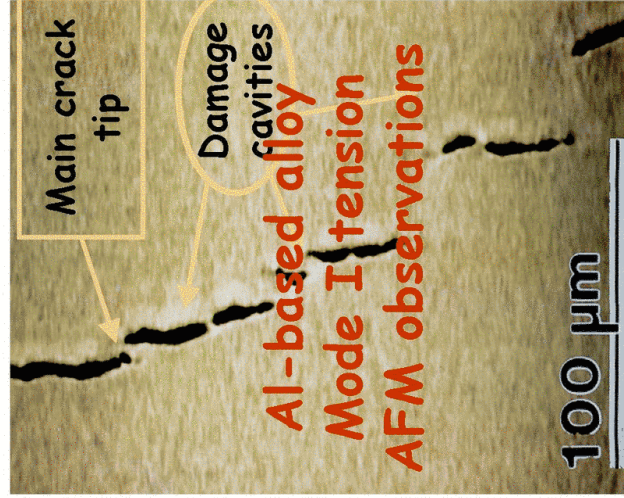
Disorder ⇒ the first bonds to break are unlikely to be closest to the crack tip!



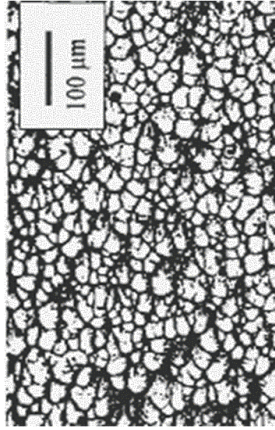
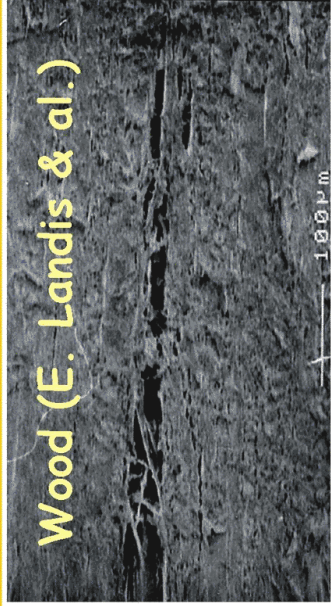
Extent of the damaged zone depends on material & loading conditions

- « **Plasticity** » ⇒
- cracks turn into cavities
 - likely to affect nanometric length scales in glasses

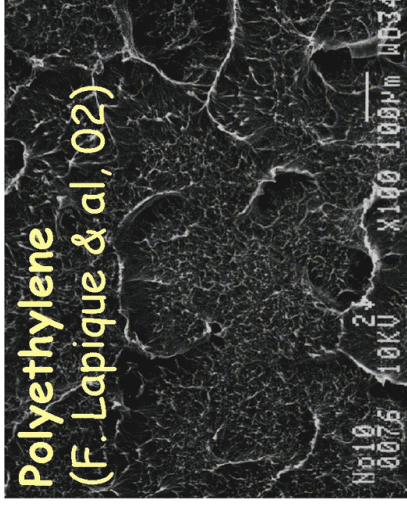
CEA 1- Damage mechanism



CEI 1- Damage mechanism



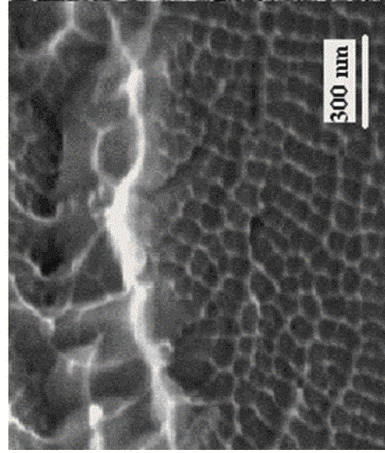
PMMA (K. Ravi-Chandar & al 97)



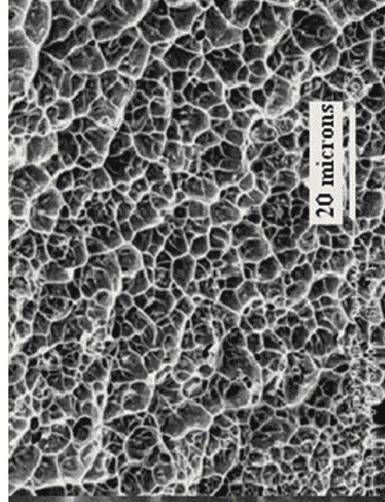
CEI 1- Damage mechanism



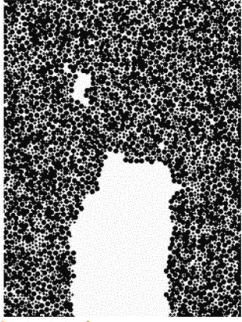
Metallic glasses (Xi et al, PRL 94, 2005)



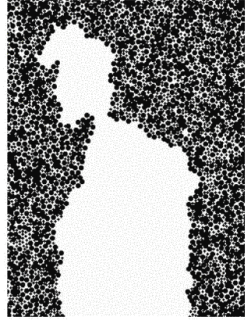
Mg-based
 $K_{Ic} = 2 \text{ MPa}\sqrt{\text{m}}$



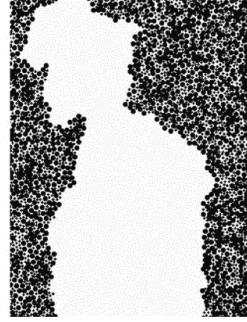
Ce-based
 $K_{Ic} = 10 \text{ MPa}\sqrt{\text{m}}$



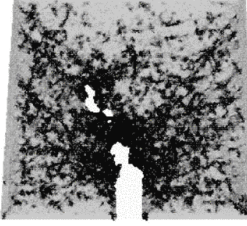
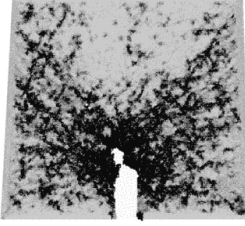
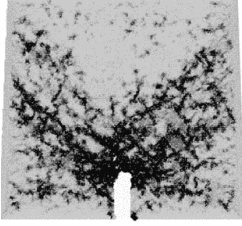
t = 600



t = 800



t = 1000

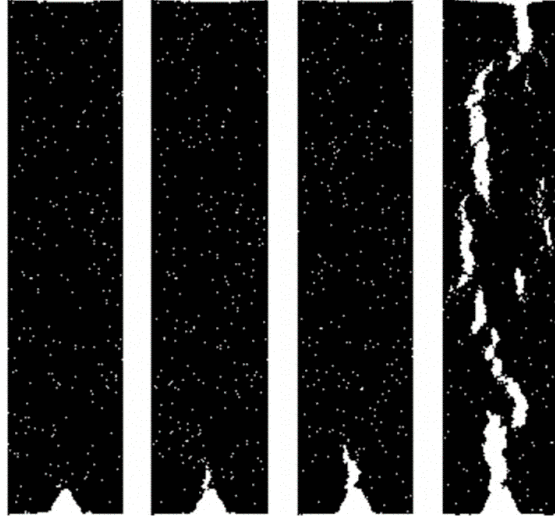


LENNARD-JONES GLASS

(M. FALK, PRB 60 (99))



POROUS MATERIAL



(AURADOU & al,
Eur. Phys. J B 44 (05))



LENNARD-JONES GLASS

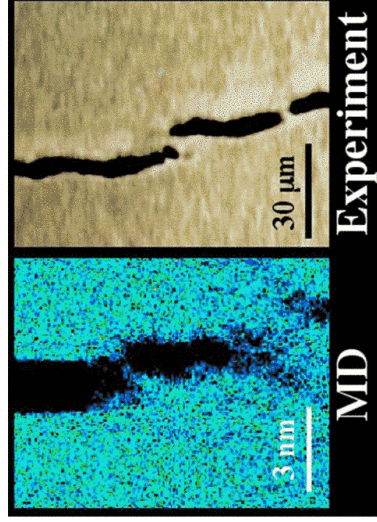


(LORENZ & al, PRE 68 (03))



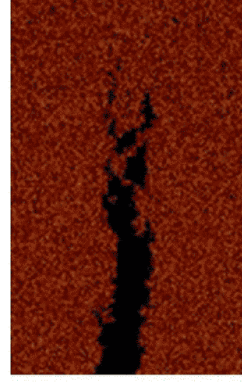
A. NAKANO
et al. (94)
MD amorphous
 Si_3N_4

AMORPHOUS CERAMICS



Ti_3Al -based
alloy

Experiment



C. Rountree & R. Kalia (03)
MD amorphous SiO_2

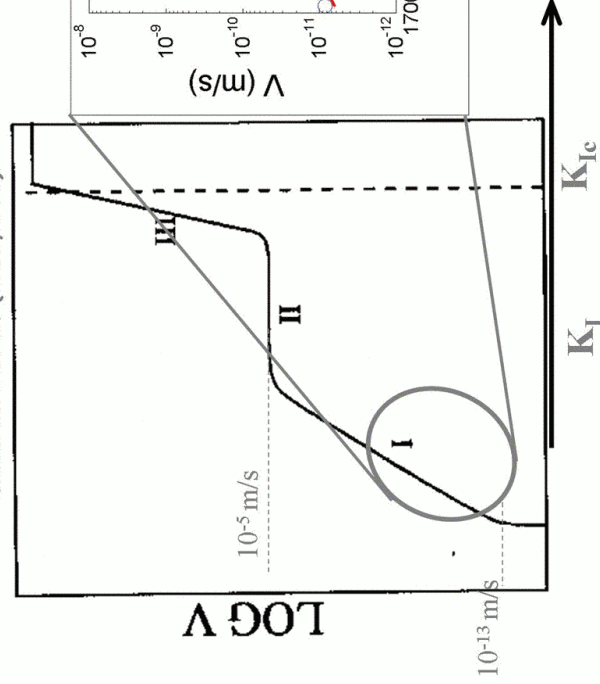


1- Damage mechanism

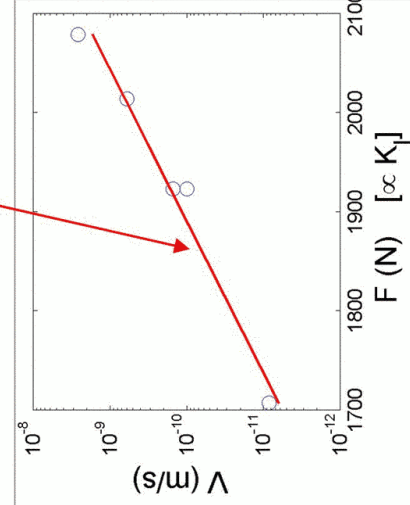


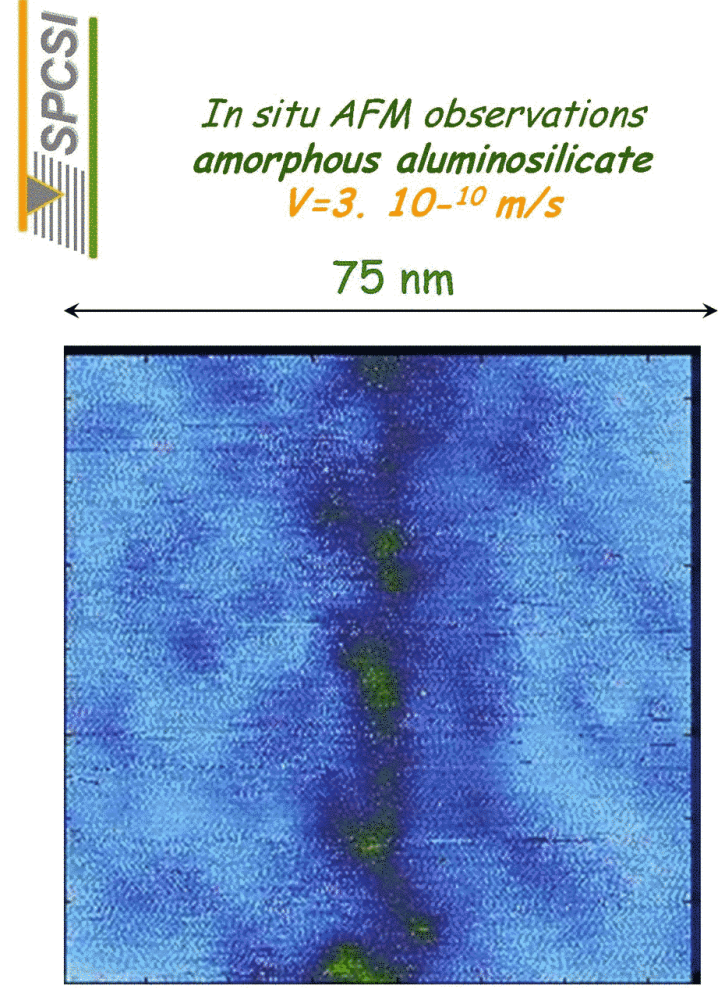
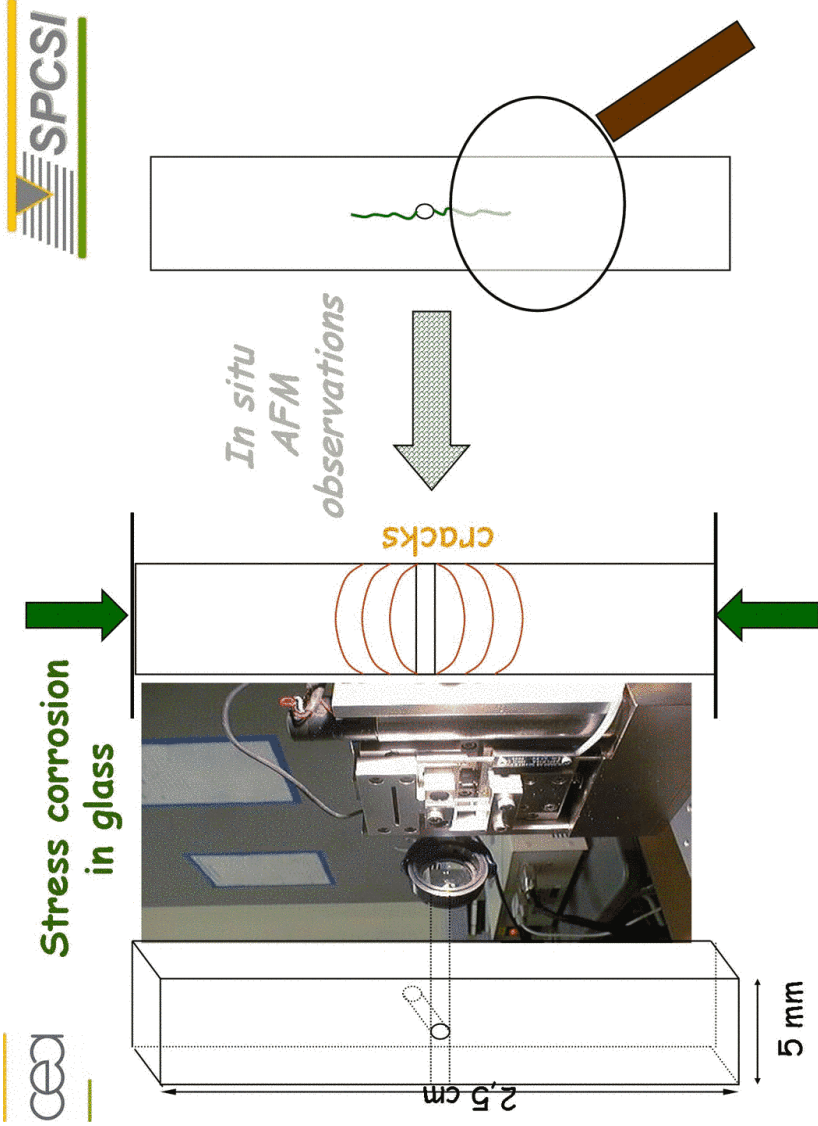
Stress corrosion in a humid environment

Wiederhorn et al. (1967, 1970)



$$V = V_0 \exp(K_I^2 / K_0^2)$$



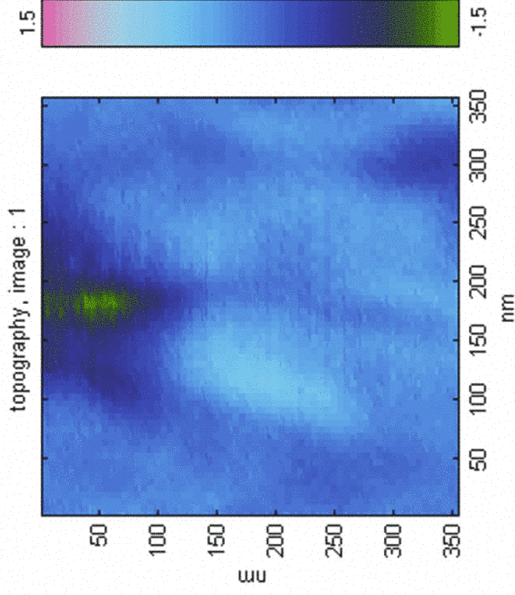


Collaboration with F. Célarié, L. Ferrero & C. Marlière (LdV, Montpellier University)

File: 2307H58.SM2

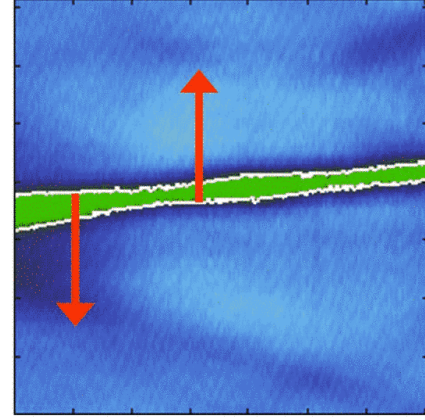
Created on: 23/7 14:17:0

Flatten order: 1



*In situ AFM observations
Pure silica glass
 $V=3. 10^{-11}$ m/s*

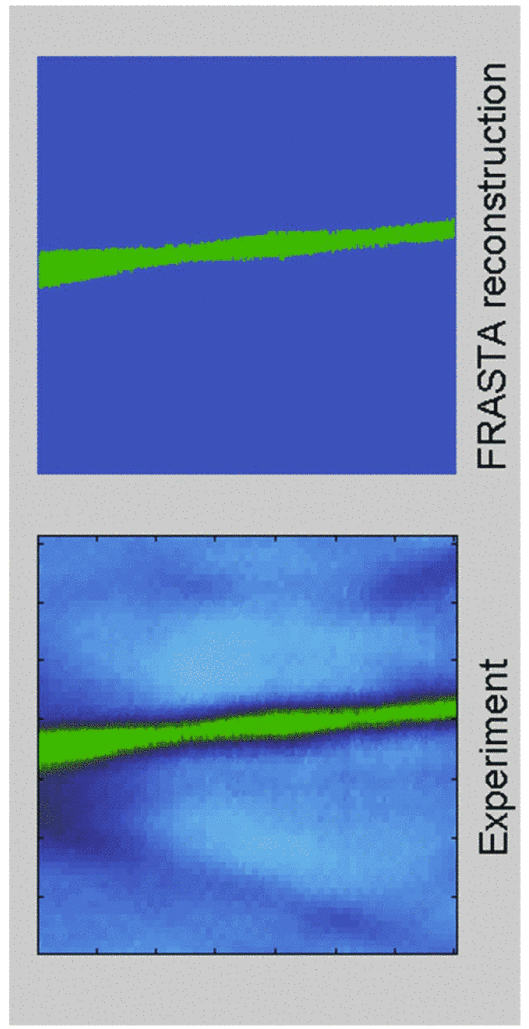
FRASTA METHOD



Final image: definition of contours

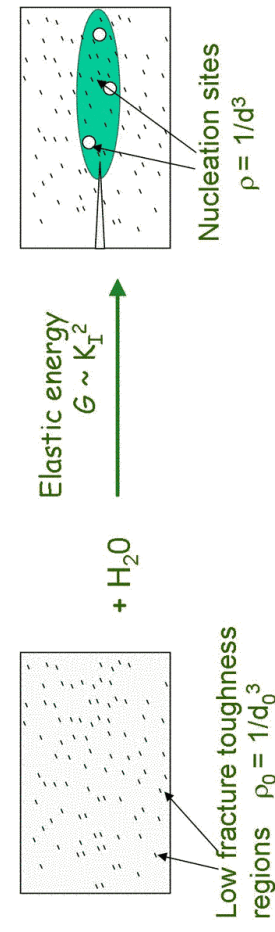
Relative movement of the contours: going back in time.

CEA 1- Damage mechanism SPCSI



The observed cavities are printed on the final fracture lines

CEA 1- Damage mechanism

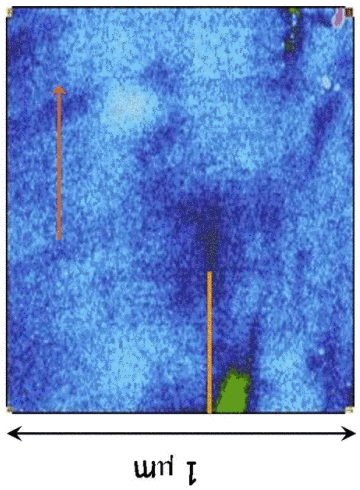


$\rho \propto \rho_0 \exp(-K_I^2/K_0^2)$
 $V \propto V_0 \exp(K_I^2/K_0^2)$
 $\rho \propto \rho_0 V_0 / V$
 $\rho \approx \rho_0$ for $V > V_{zoneII}$

$V_{zoneII} \approx 10^{-5}$ m/s
 (Wiederhorn et al., 67)

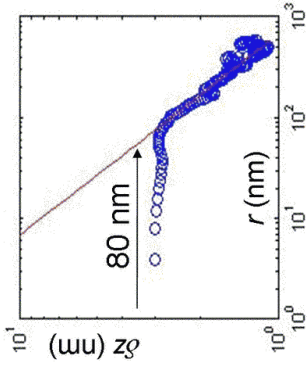
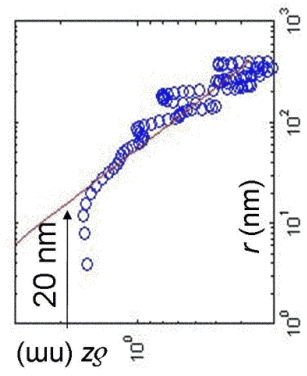
Dynamic fracture
 $d_0 \sim 1$ nm (C. Rountree)
Stress corrosion
 $V = 10^{-10}$ m/s $\Rightarrow d \sim 40$ nm
 $V = 10^{-11}$ m/s $\Rightarrow d \sim 100$ nm

$d \approx d_0 (V_{zoneII} / V)^{1/3}$

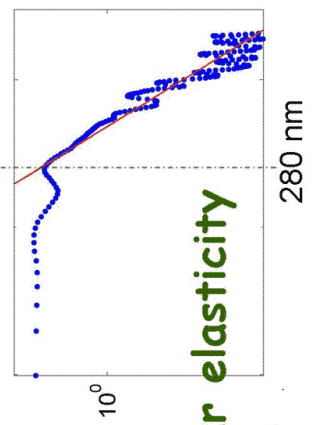
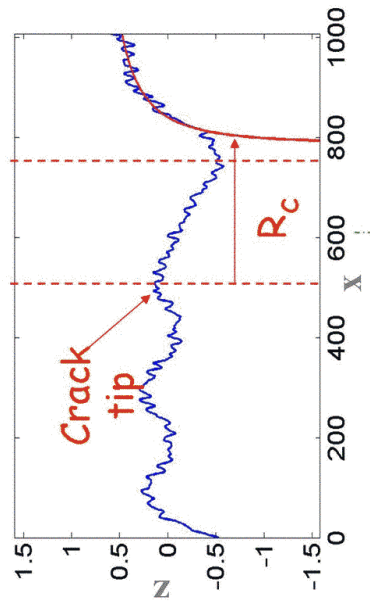
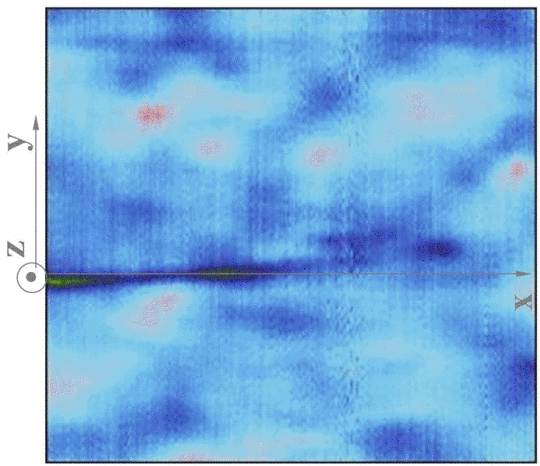


Linear elasticity :

$$\delta Z \propto r^{-0.5}$$

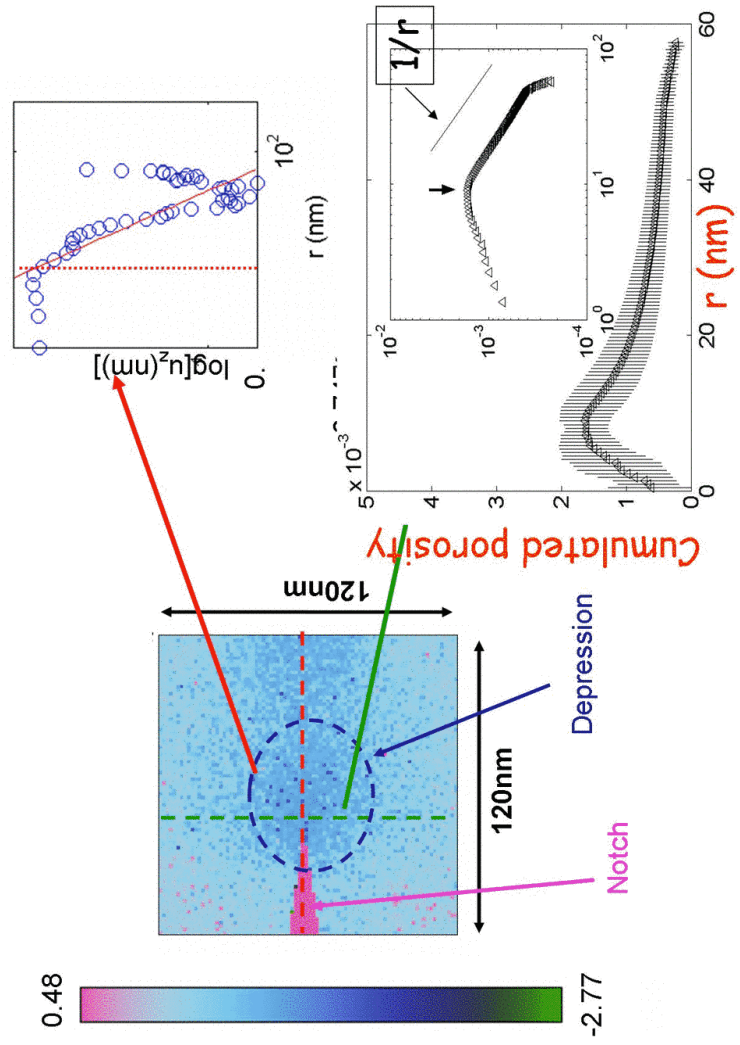


Departure from linear elasticity
within the damage zone
(20nmx80nm)

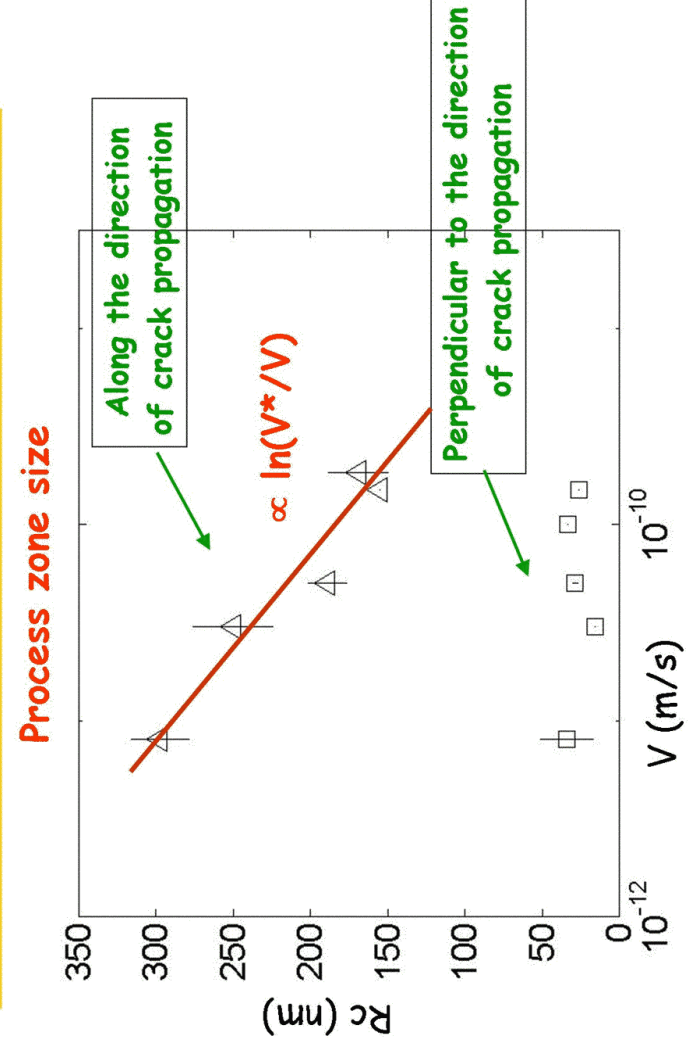


Departure from linear elasticity
 $R_c \approx 280$ nm

CEA SPCSI 2- Macroscopic consequences



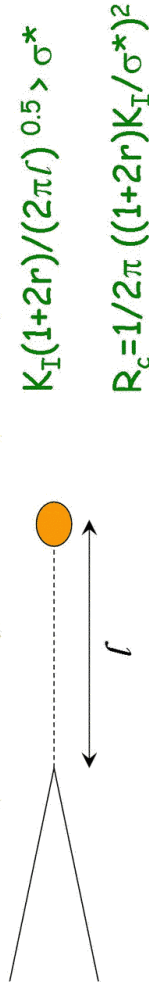
CEA SPCSI 2- Macroscopic consequences



CEA 2- Macroscopic consequences



Collaboration with K. Ravichandrar
(University of Austin, Texas)



$r \approx 1-2$

Dynamic fracture: $\sigma^* \approx 12 \text{ GPa}$; $K_I \approx K_{Ic} = 1 \text{ MPa}\sqrt{\text{m}}$

$R_c \approx 10-40 \text{ nm}$

SC fracture: $\sigma^* \approx 3-4 \text{ GPa}$; $K_I \approx K_{Ic} = 0.4-0.5 \text{ MPa}\sqrt{\text{m}}$

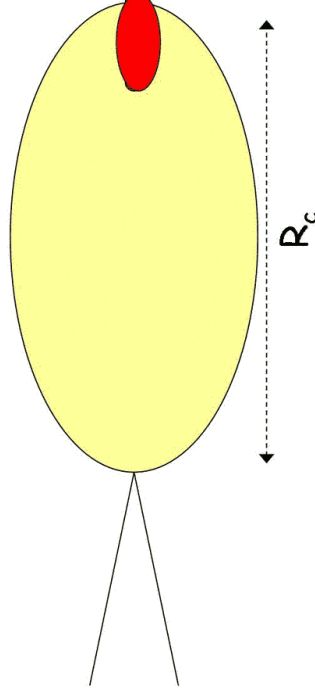
$R_c \approx 15-110 \text{ nm}$

r, σ^* depend on $V \dots$

Integrated process over the whole sample thickness

⇒ account for water diffusion within the PZ.

CEA 2- Macroscopic consequences



Stress field at distance R_c from the crack tip:

$K_I/(2\pi R_c)^{0.5} < \sigma^*$ still elastic !

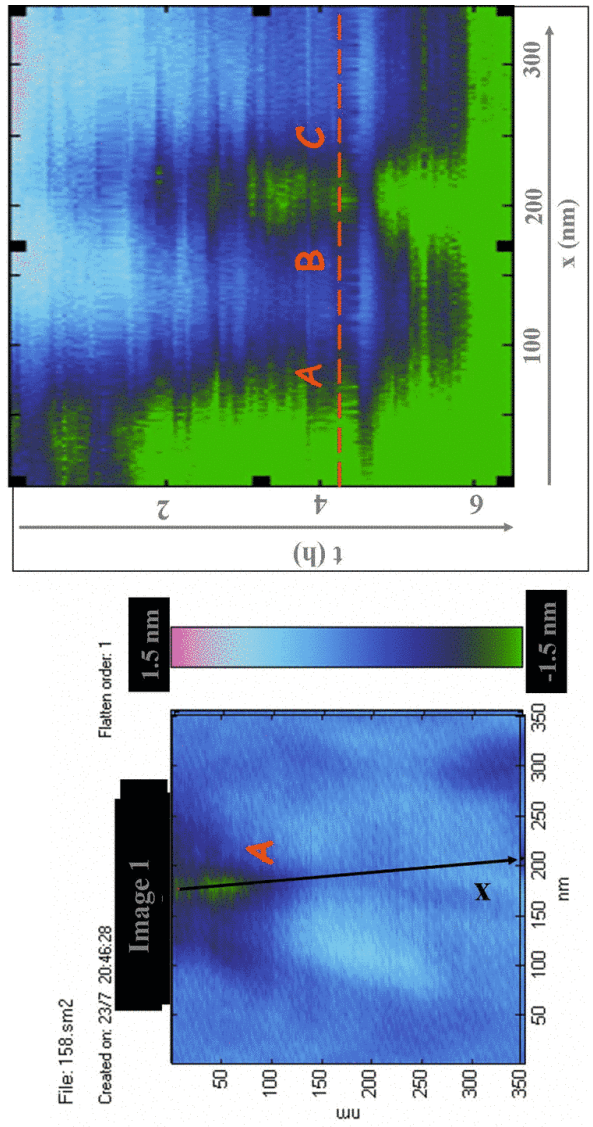
Except at the tips of the micro-crack

$K_I(1+2r)/(2\pi R_c)^{0.5} \approx \sigma^*$

« plastic » deformation

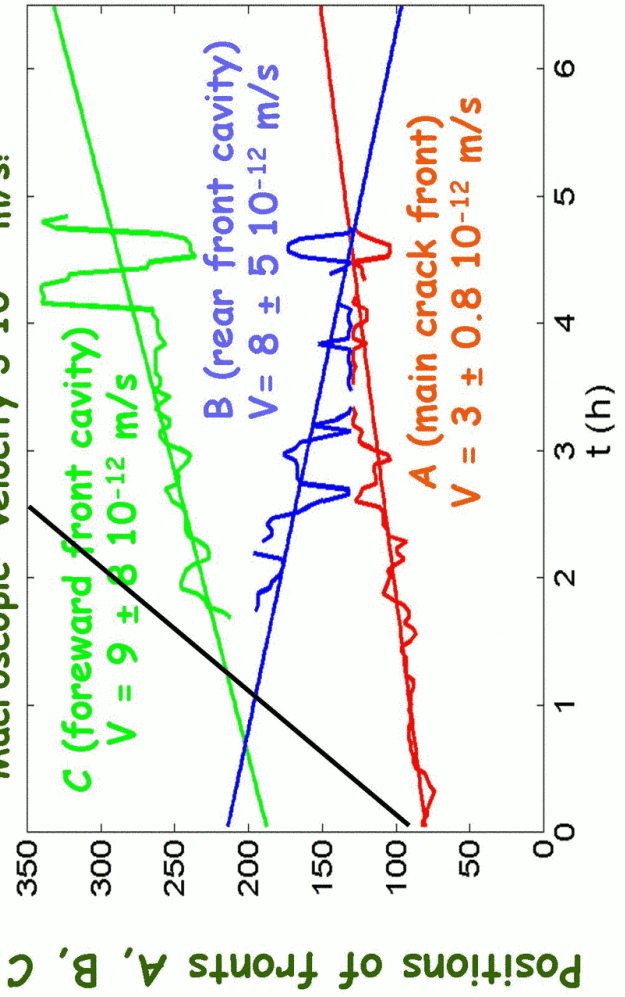
→ micro-crack becomes a cavity

Kinematics of cavity growth

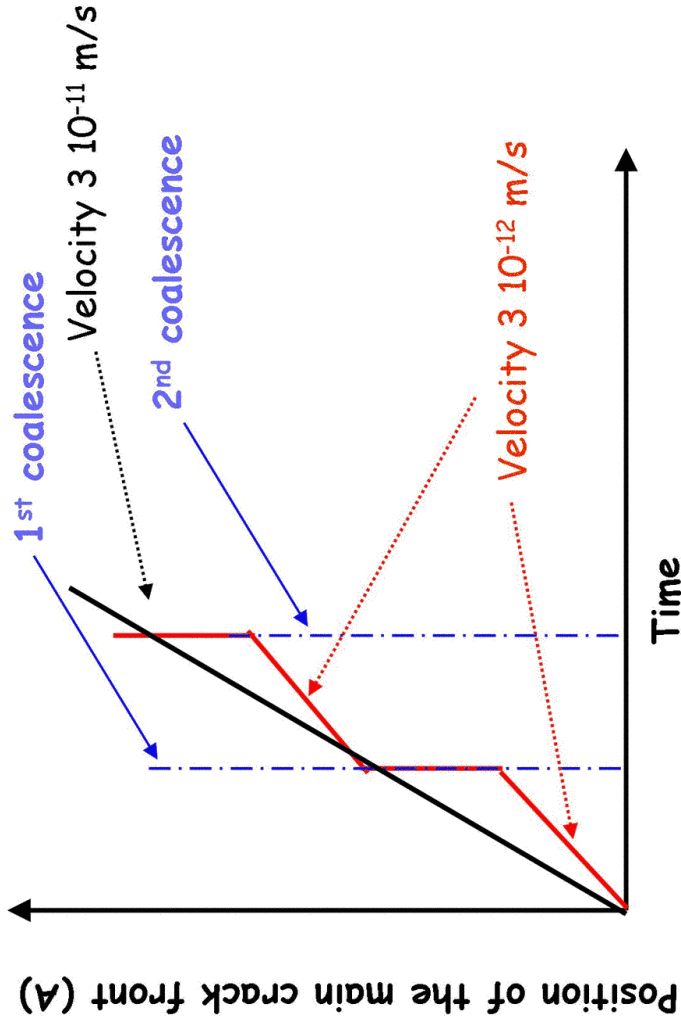


Intermittency of propagation

“Macroscopic” velocity $3 \cdot 10^{-11}$ m/s!



CEA 2- Macroscopic consequences



3- Conclusion



- **SC damage in glass**
observed at nanometric length scales
- **Damage cavities**
❖ damage due to “intrinsic disorder” (glassy state)
❖ microcracks turn into cavities due to localized plasticity
- **Macroscopic consequences:**
 - Non linear elastic deformations
~ *several 100 nm!*
 - Sample lifetime



3- Work in progress

Damage in 3D: *post mortem* AFM observations
& FRASTA in 3D

Link with the glass structure?

Cavities/micro-cracks: **plasticity of glass ?**

- Structural changes?
- Cavity extension ?
- Implications for the kinematics of cavities?
→ **MD simulations** (coll. USC & CNRS/Saint-Gobain)

Implications on the morphology of fracture surfaces ?

Daniel Bonamy's talk...