

Glassiness in insulating granular Al thin films

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OUTLINE

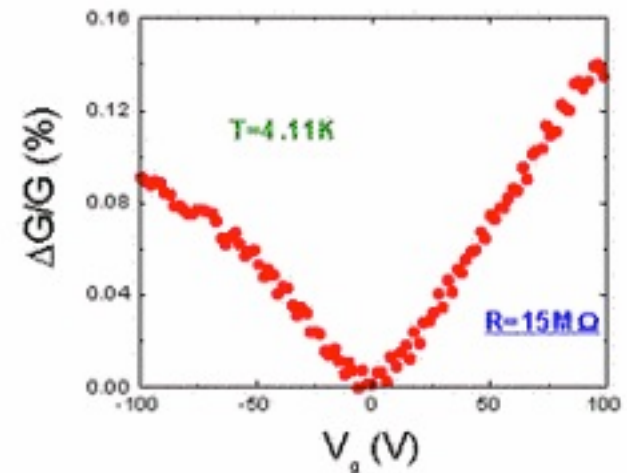
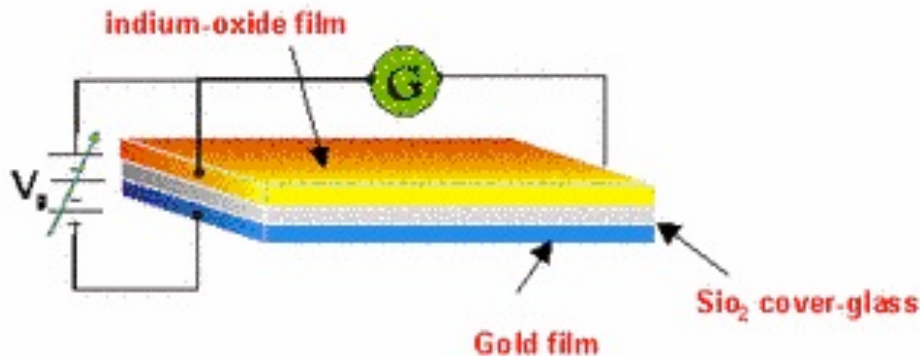
- how it started
- manifestations of « glassiness » in granular AI
- ageing
- questions

Electron Coulomb glass ?

J. H. Davies, P. A. Lee and T. Rice (1982):

localized electrons + unscreened coulomb repulsion → highly correlated → new glass (finite T glass transition?)

Ben Chorin et Ovadyahu (1991): anomalous field effect and very slow relaxation of conductance in insulating indium oxide



Manifestation of the electron (Coulomb ?) glass in indium oxide ...

Indium oxide ... what else ?

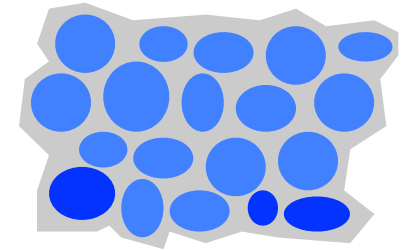
QUESTIONS:

- *What is special with indium oxide ? Why no other system ?*

- *Standard doped semi-conductors: \emptyset*

- *What about granular metals ?*

→ *look for these effects in granular Al*



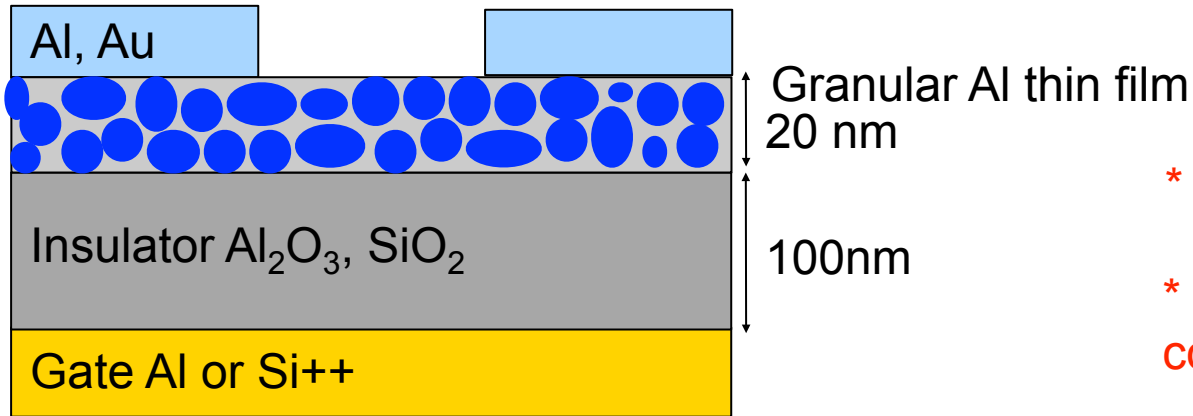
actually seen in: granular gold (Adkins et al., 1984)

ultrathin lead (Goldman et al. , 1997 and 2001)

OUTLINE

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Granular Aluminium samples

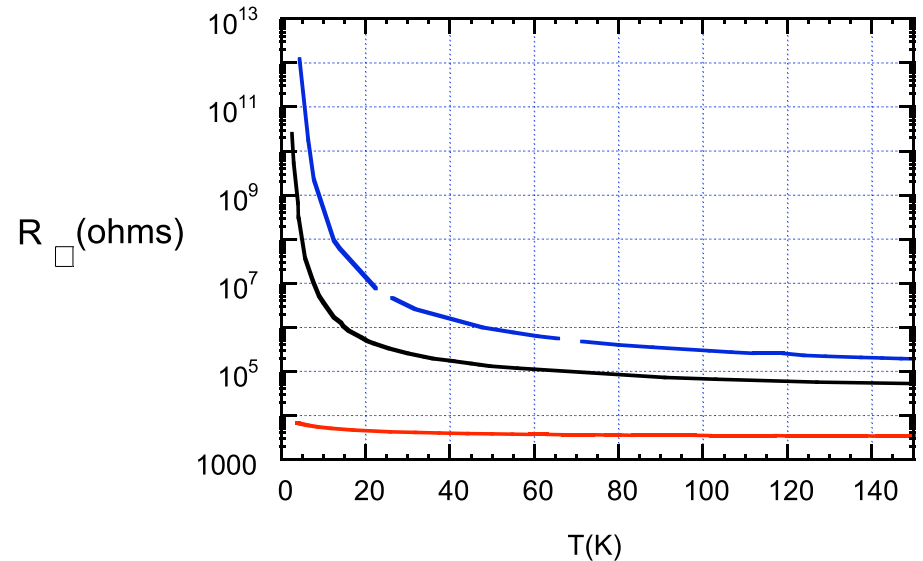


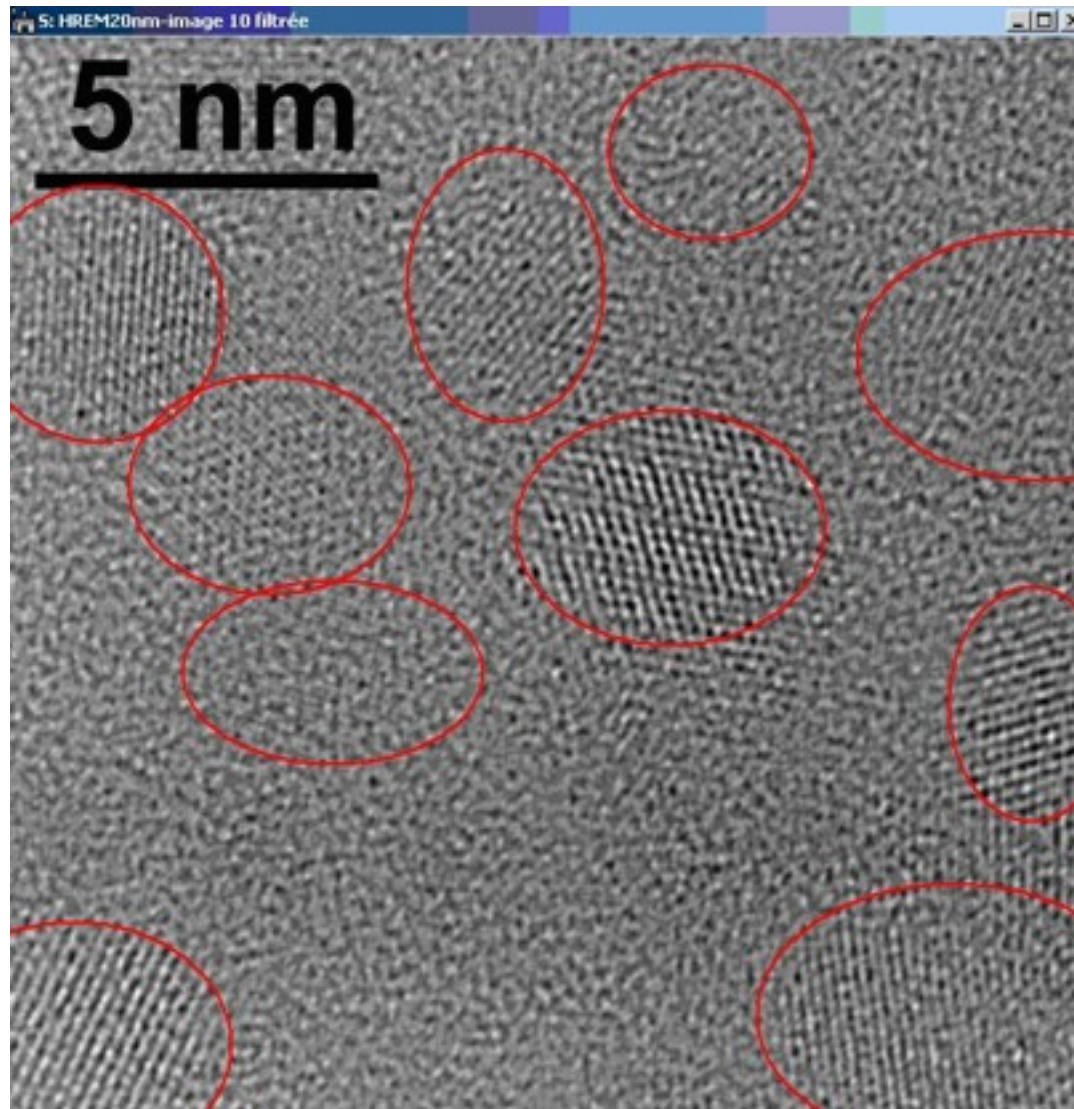
* Al evaporated in P(O₂)

* nanometric Al grains covered by Al₂O₃

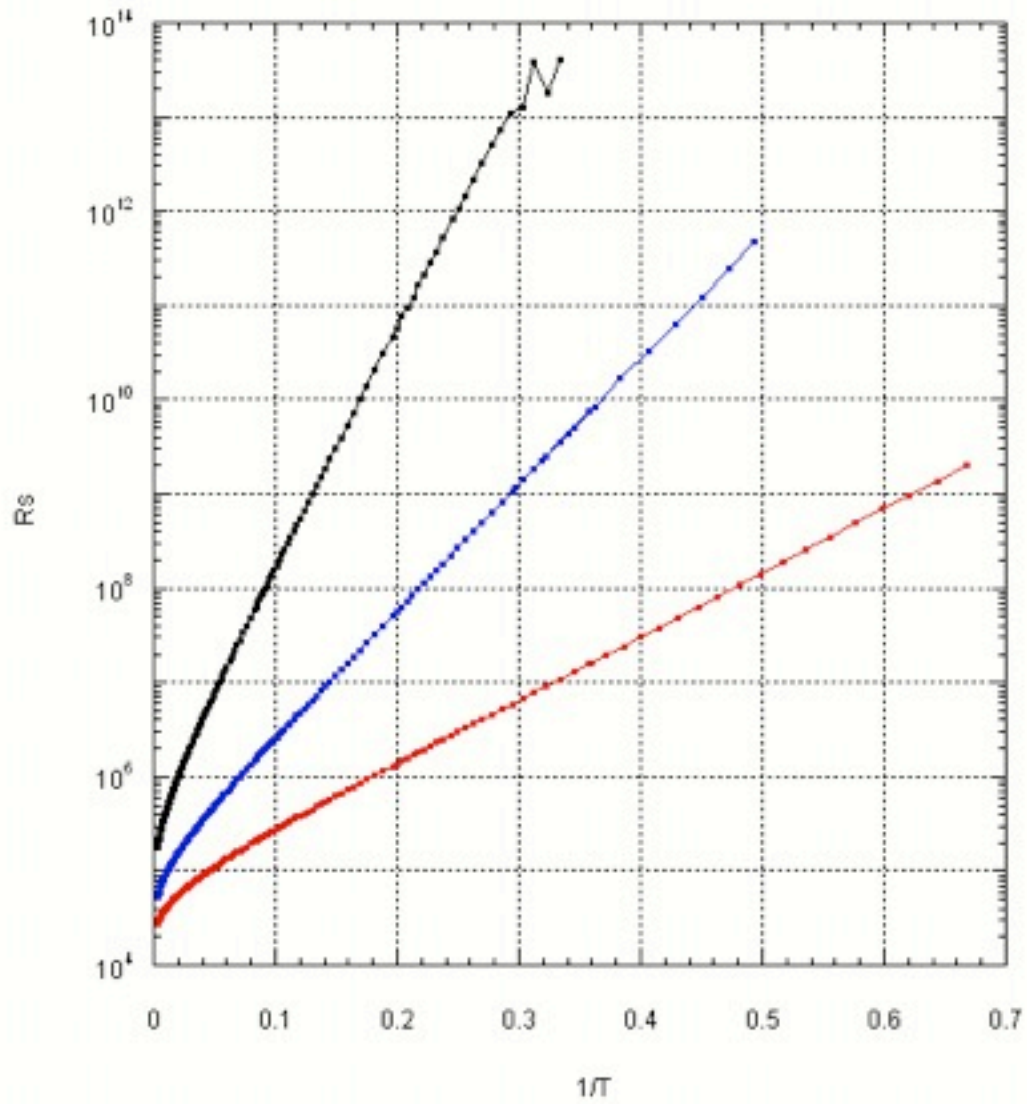
Study insulating films:

R/\square at 4K: 100 k Ω \rightarrow 100 G Ω



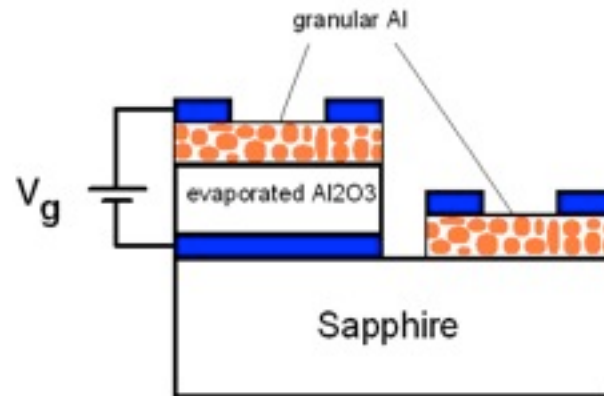
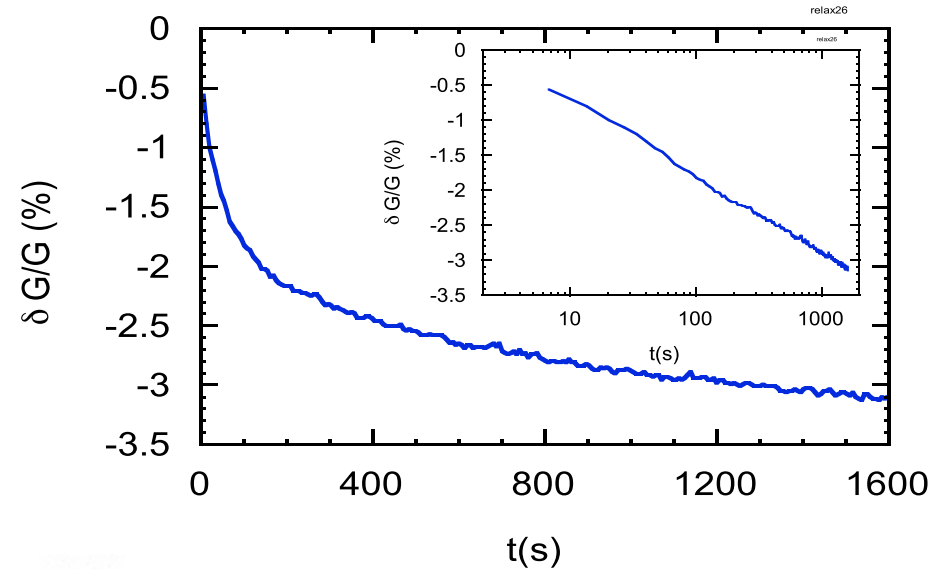
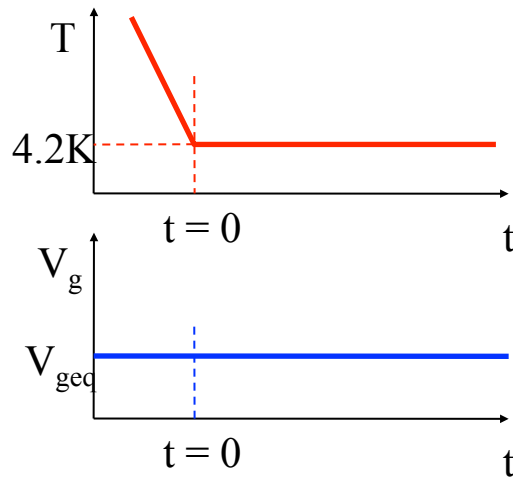


RT10nm2
RT10NM21
RT10nm13



Out of equilibrium effects: slow relaxation

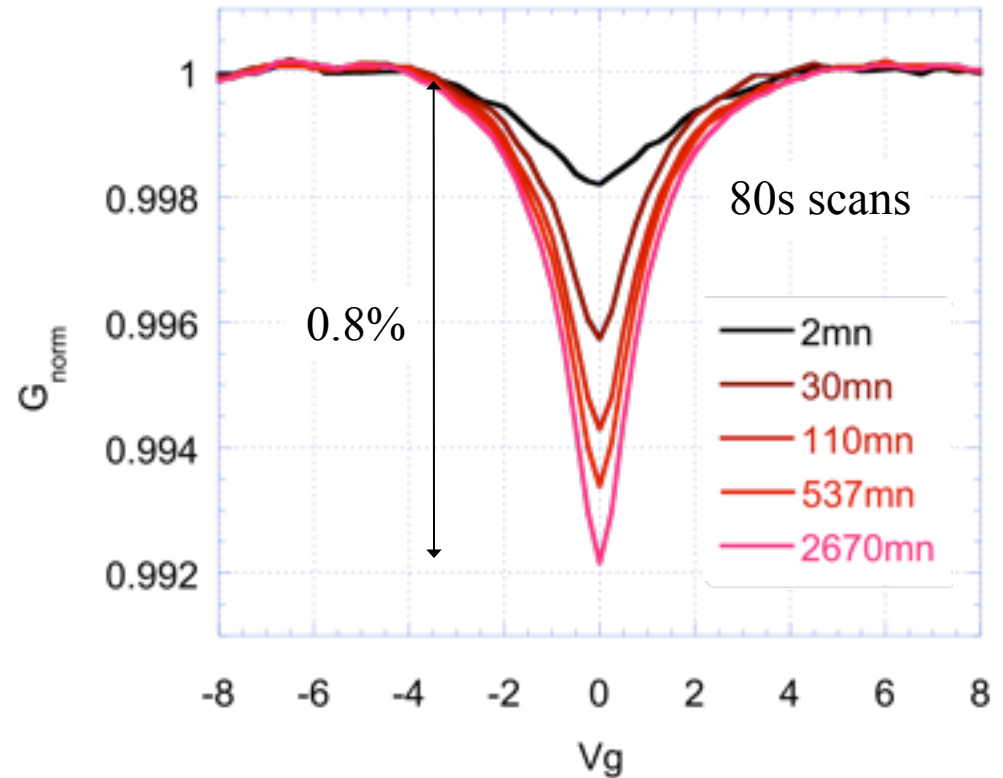
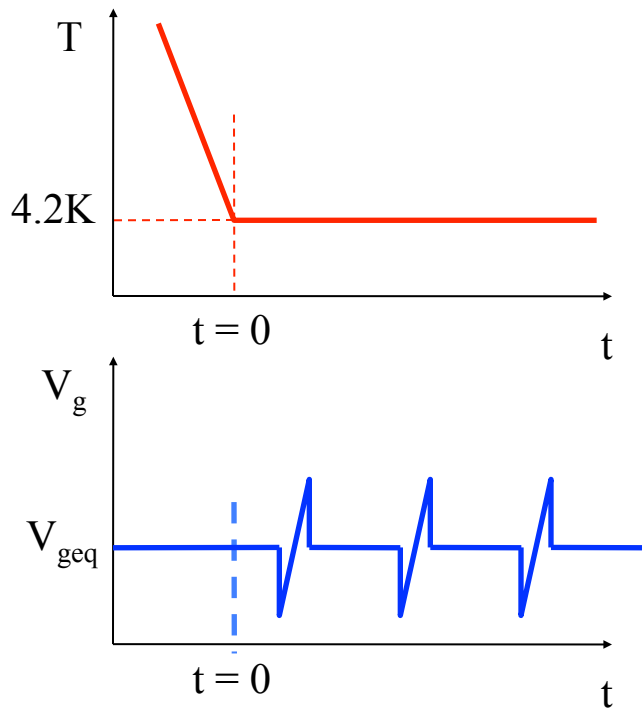
Never ending slow conductance relaxation after a quench



Out of equilibrium effects: field effect anomaly

$G(t, V_g)$ after a quench at 4.2K

$R_{\square} = 30\text{M}\Omega$ at 4.2K

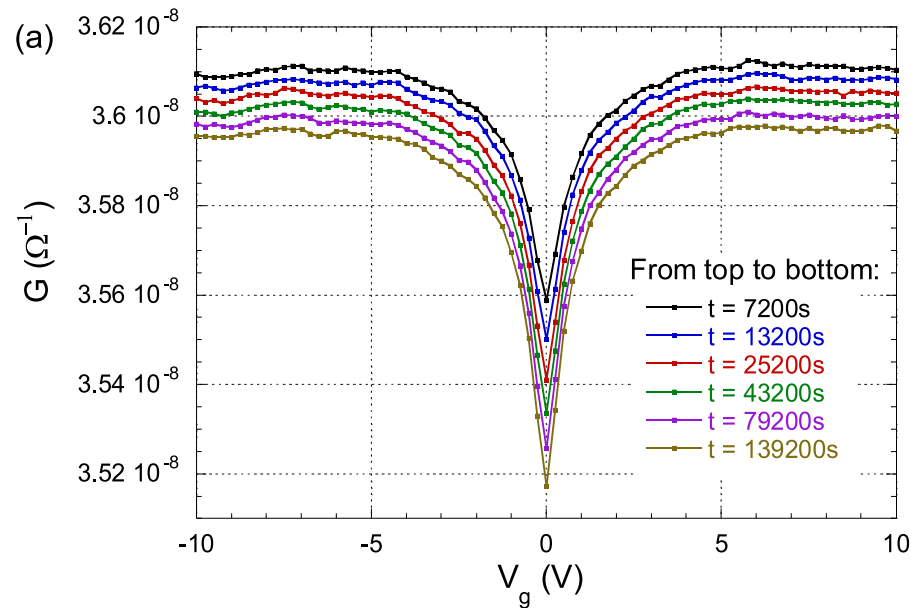


- Field effect anomaly (the “cusp” or “dip”)

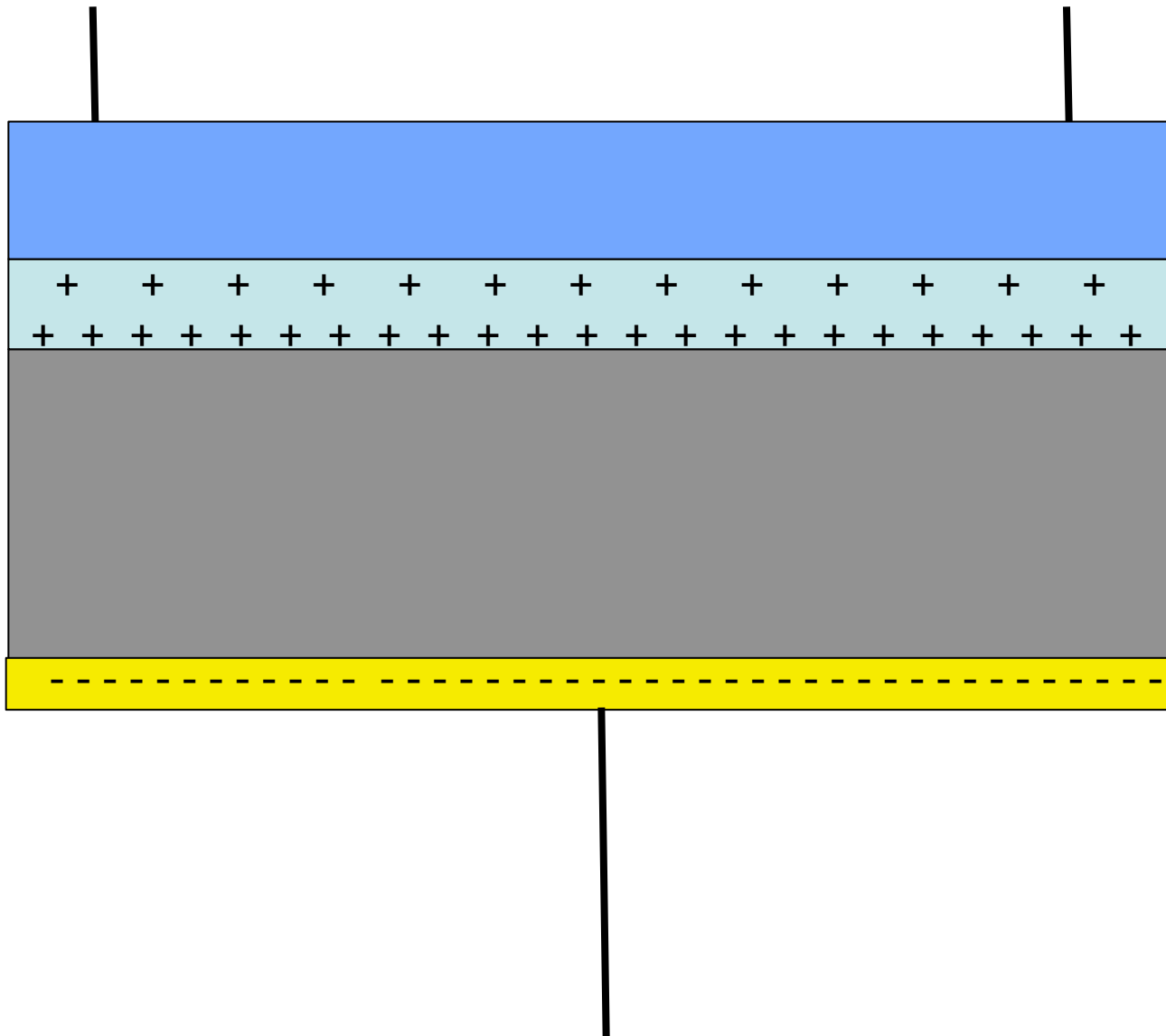
- Amplitude grows like $\text{Ln}(t)$

Out of equilibrium effects: thickness dependence

Baseline relaxation in «thick enough» samples:



- signature of a finite screening length (L_{screen} around 10 nm)

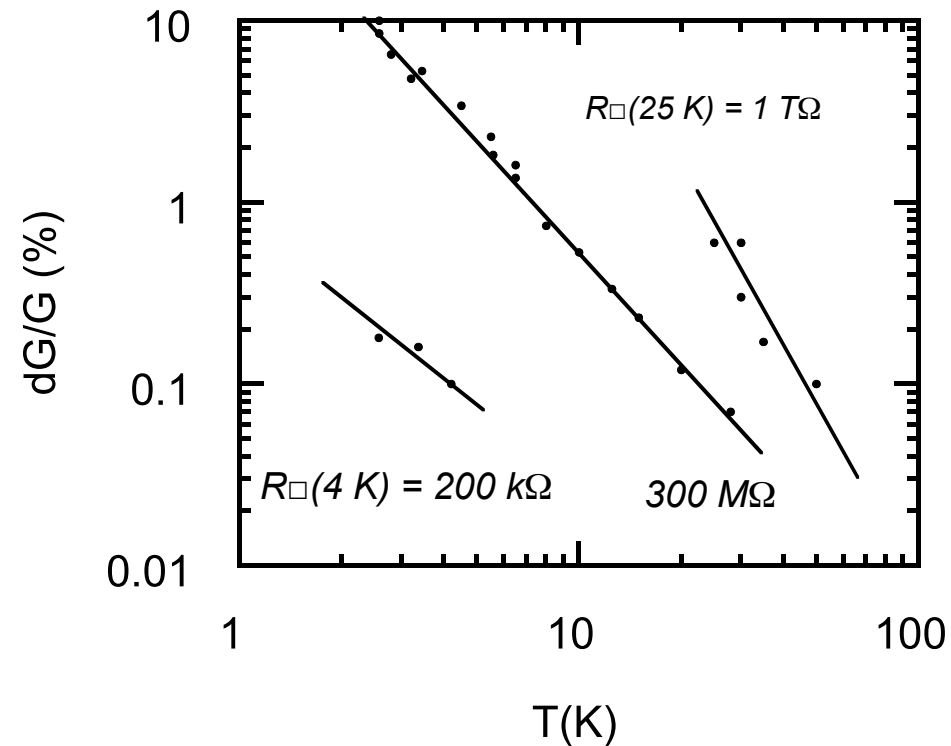


Granular Aluminium

Gate

When do we see this anomaly ?

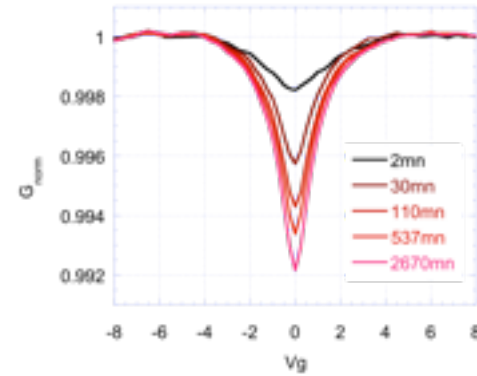
- the anomaly is **always** seen in insulating films
- it is most prominent (in %):
 - at low T (most measurements at 4K)
 - in more insulating samples



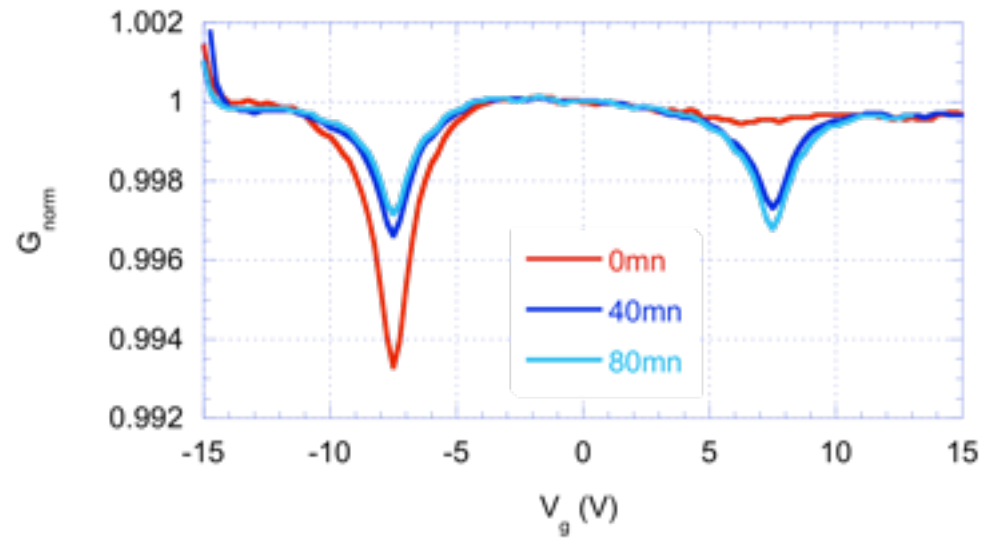
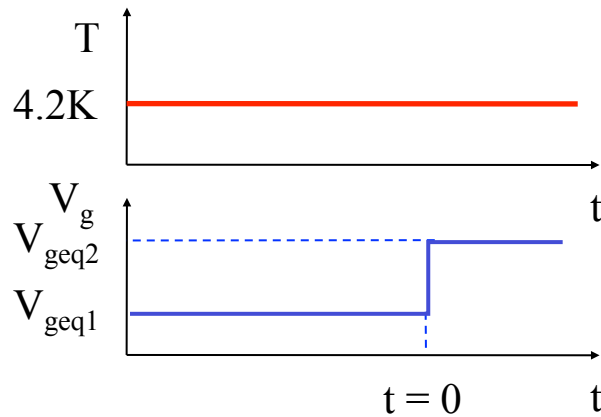
- for practical reasons we study samples where the anomaly is not so large ($\leq 1\%$) but it can be a large effect (more than 10%)

Cusp dynamics

Recall: after a cooling



After a gate voltage change:

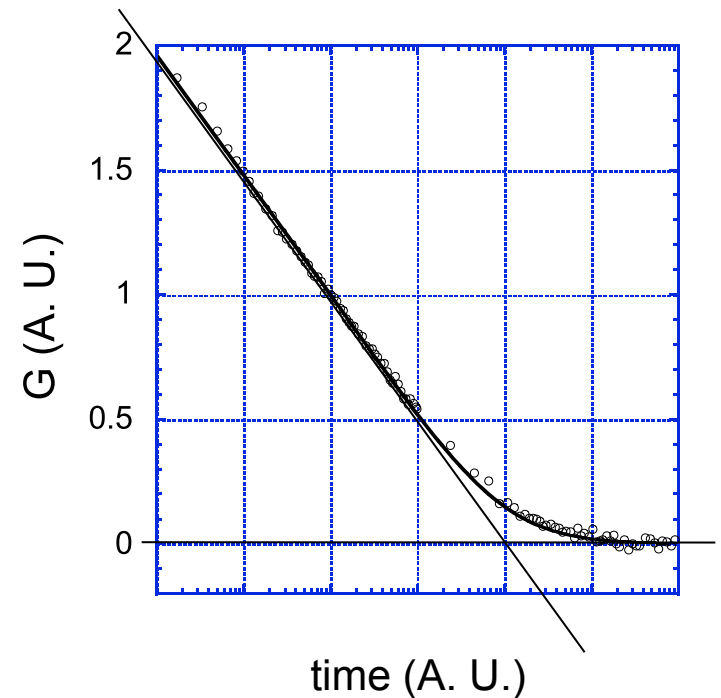
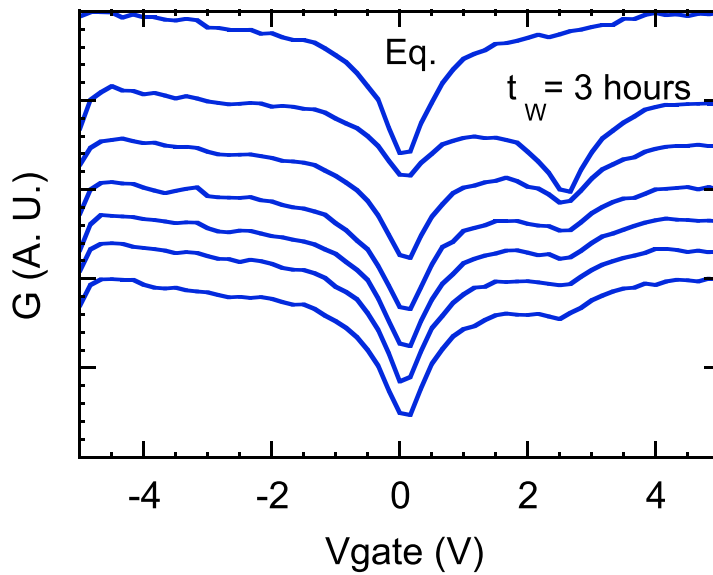


Is the dynamics activated ?

Is the dynamics accelerated when T is increased ? (it would explain why the dip becomes very faint)

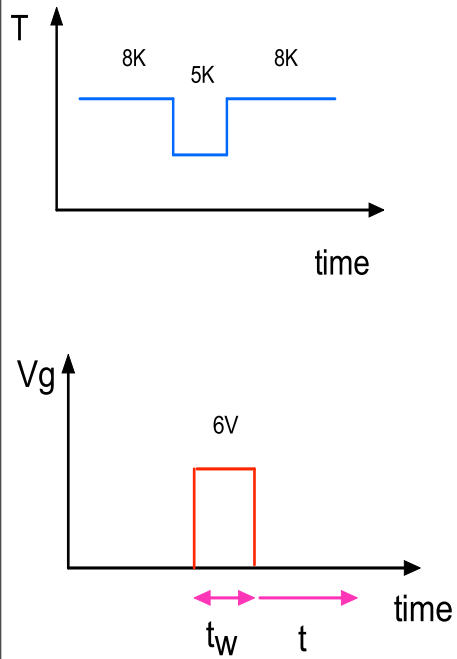
But how to detect a change of the dynamics if it has no characteristic time ?

→ look at the **erasure time** of a previously formed dip

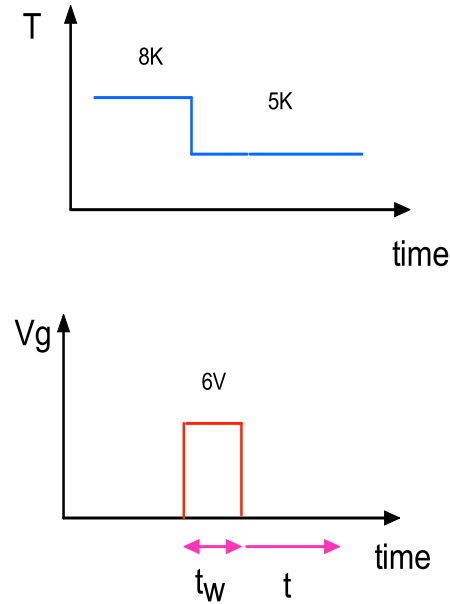


Is the dynamics activated ?

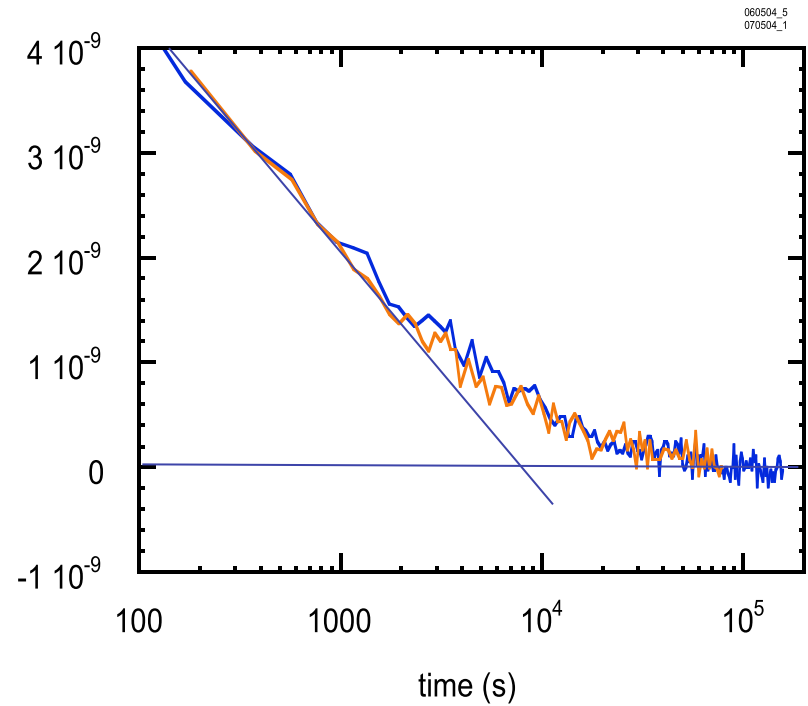
I



II



G



\Rightarrow dynamics is not activated

OUTLINE

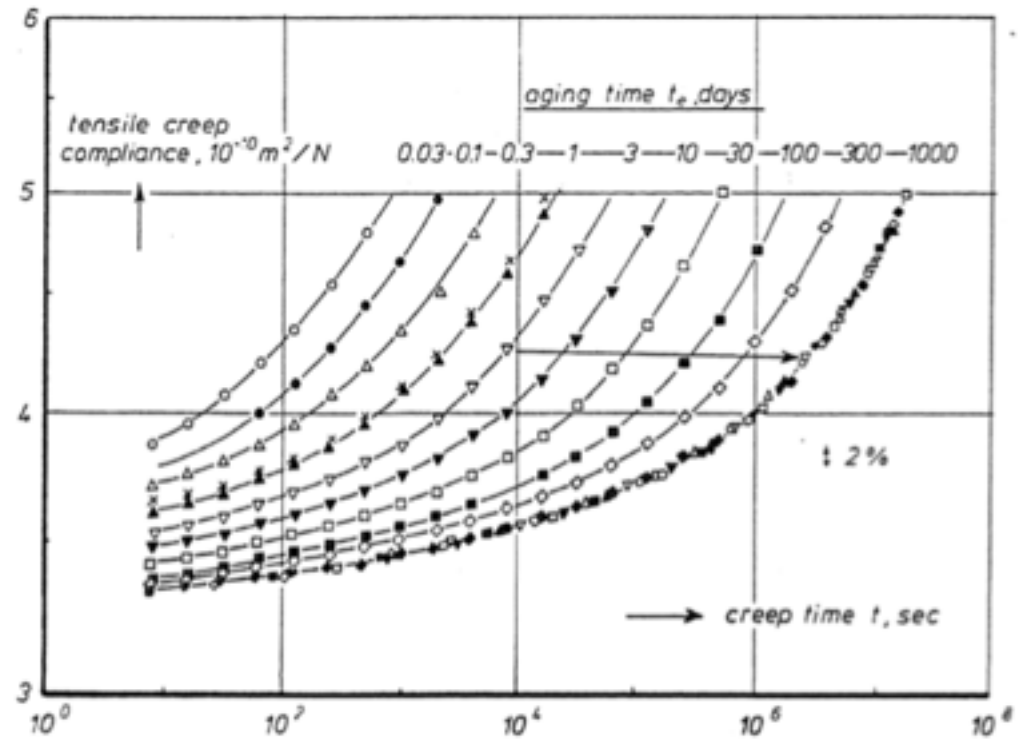
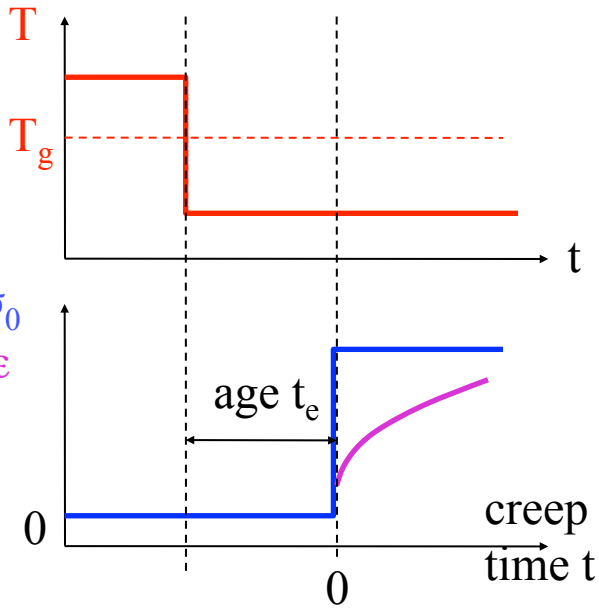
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If it is a glass ... does it age ?

AGEING:

Ex: creep tests on polymers

Creep compliance $(t) = \epsilon(t) / \sigma_0$

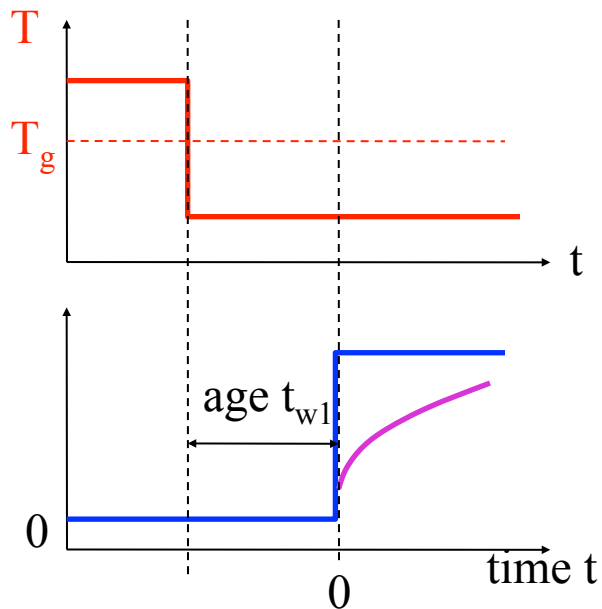


The dynamics depends on time: the « older » the system, the slower the response to a stimulus !

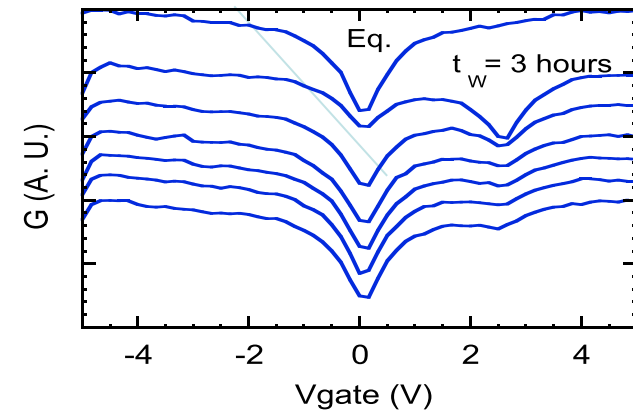
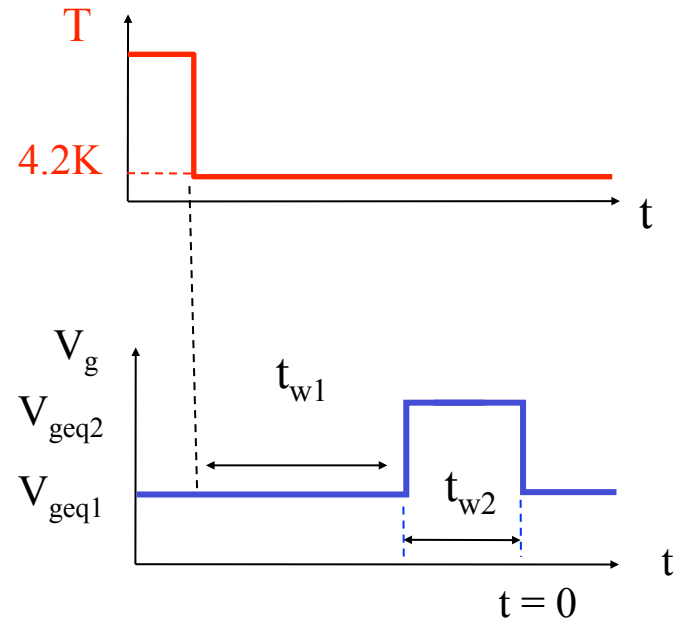
*PVC quenched from 90°C to 40°C ($T_g=80^\circ\text{C}$)
L.C.E Struik, 1978*

« ageing » and « Two dip » protocols

Standard « ageing » protocol

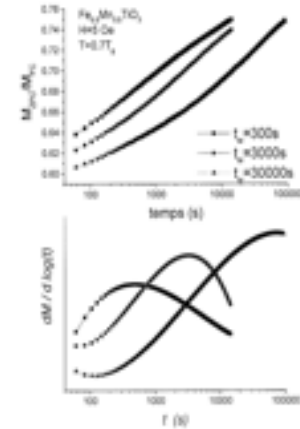
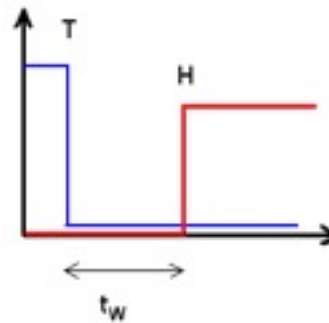


« Two dips » protocol

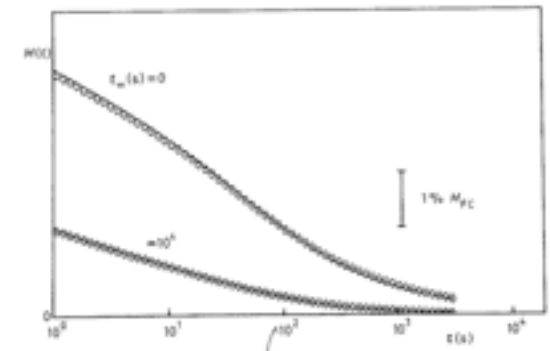
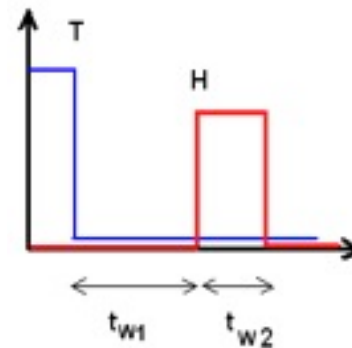


equivalent spin glasses protocols

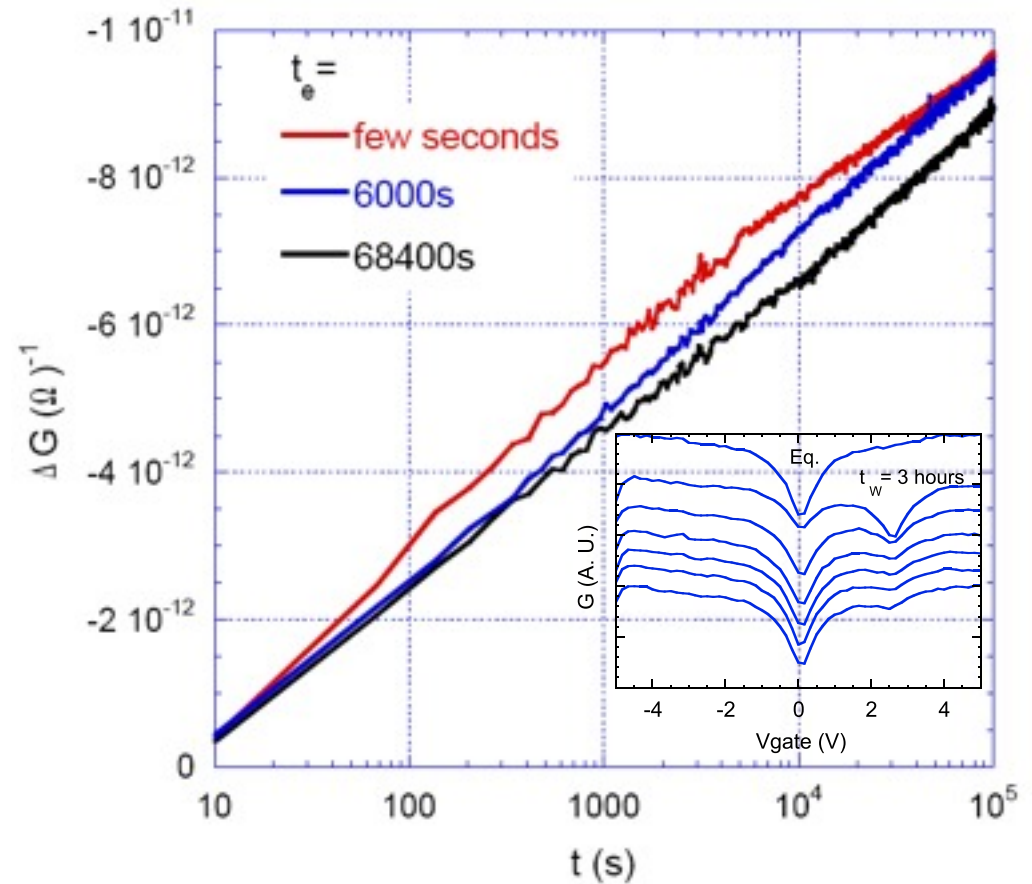
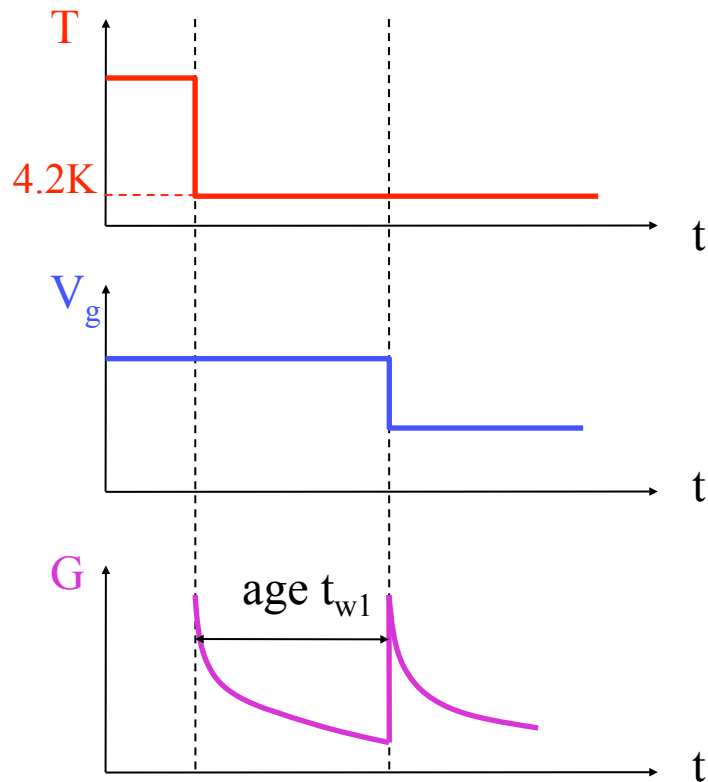
* Zero field cooled relaxation (ZFC):



* Isothermal remanent magnetization (IRM):



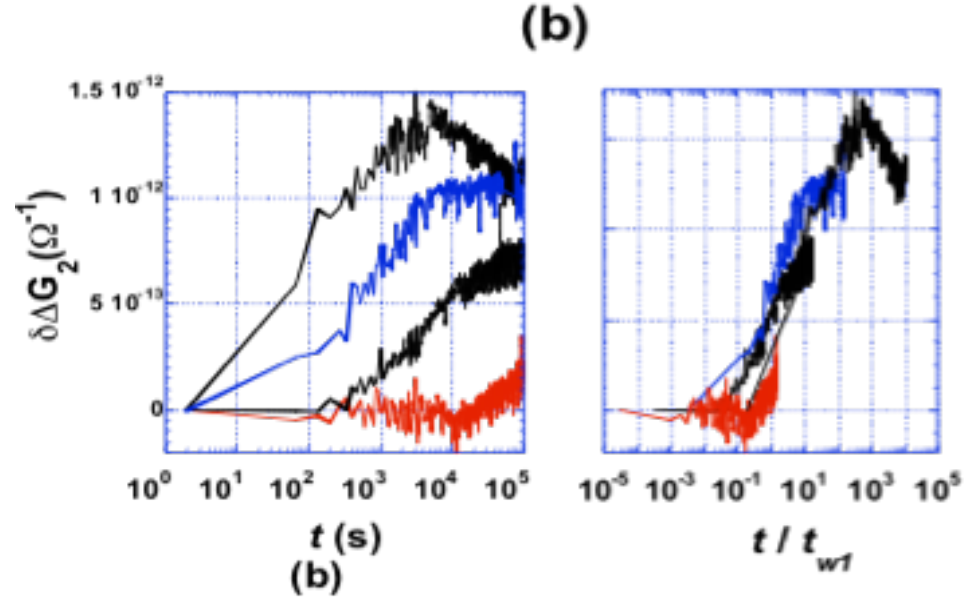
Standard ageing protocol (1)



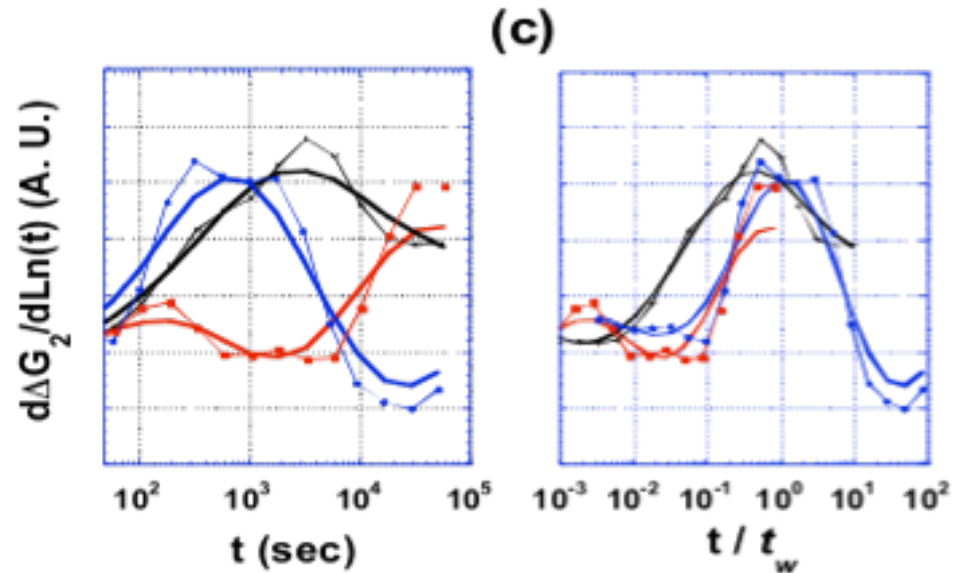
New dip growth: **NOT** like $\text{Ln}(t)$

Standard ageing protocol (2)

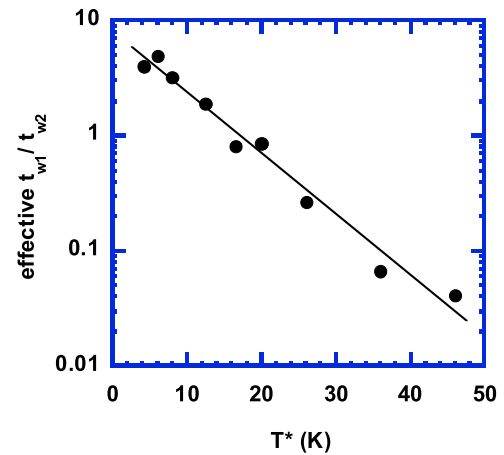
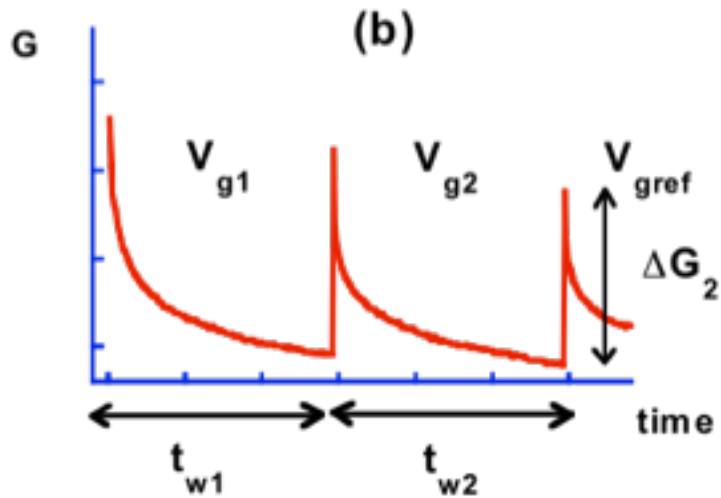
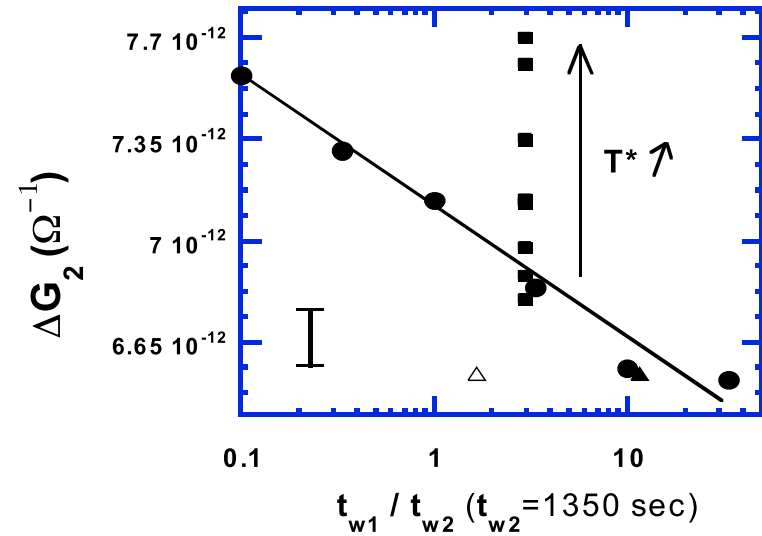
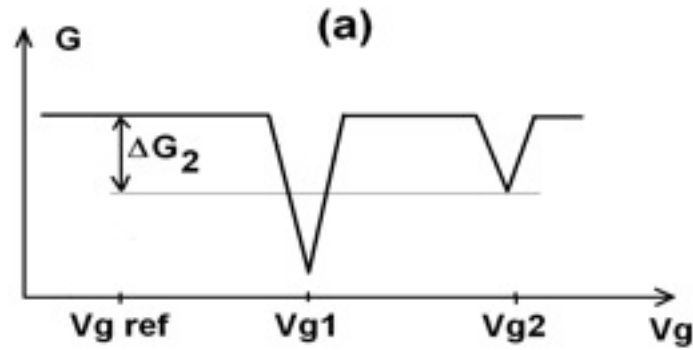
Departures from pure $\text{Ln}(t)$ relaxation scale with t_{w1}



Effective relaxation time distribution $d\Delta G_2/d\text{Ln}(t)$ scales with t_{w1}

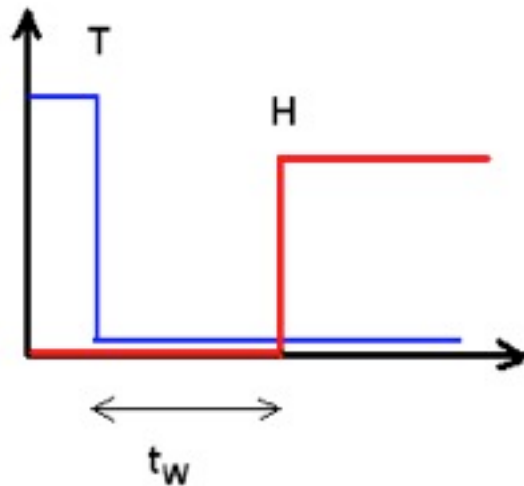


Rejuvenation by annealing

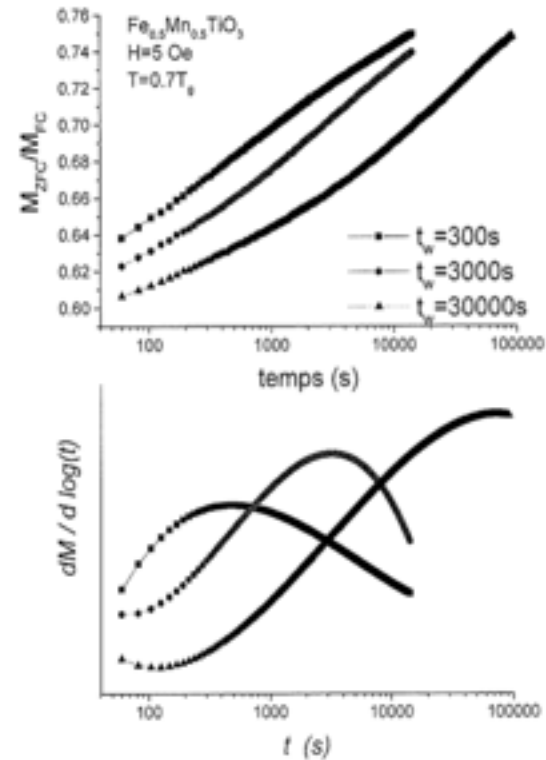


Example of spin glasses

Zero field cooling relaxation



Magnetization (t)

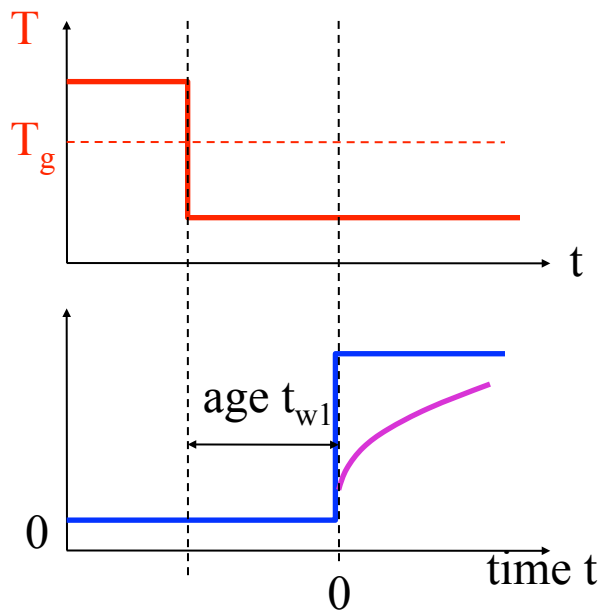


E. Vincent, 2006

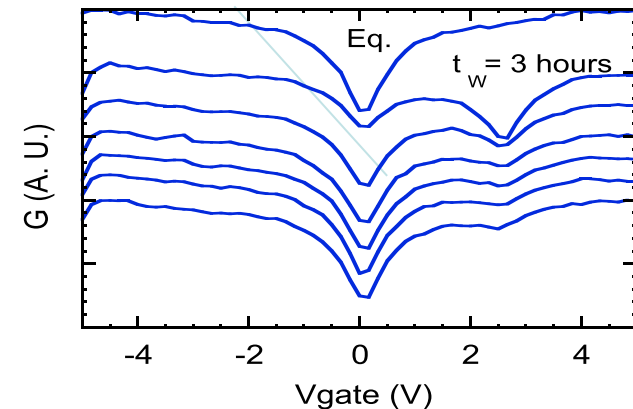
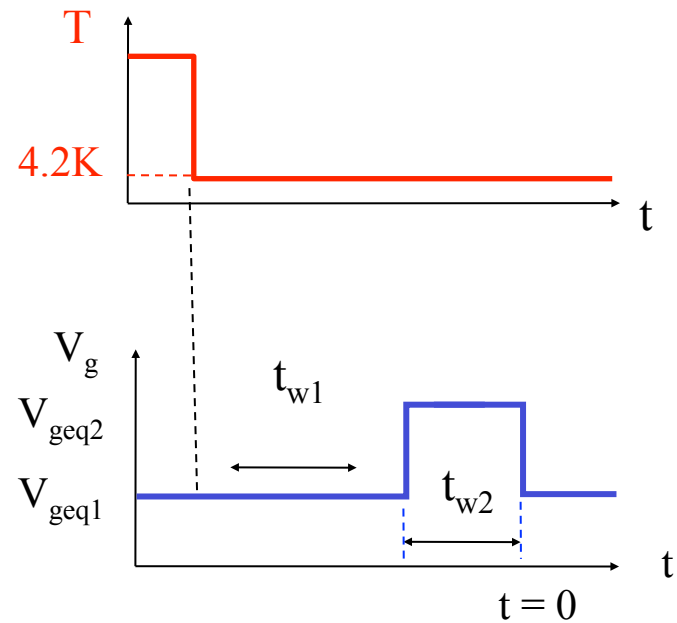
The age of the system is printed in its relaxation time distribution

« ageing » and « Two dip » protocols

Standard « ageing » protocol

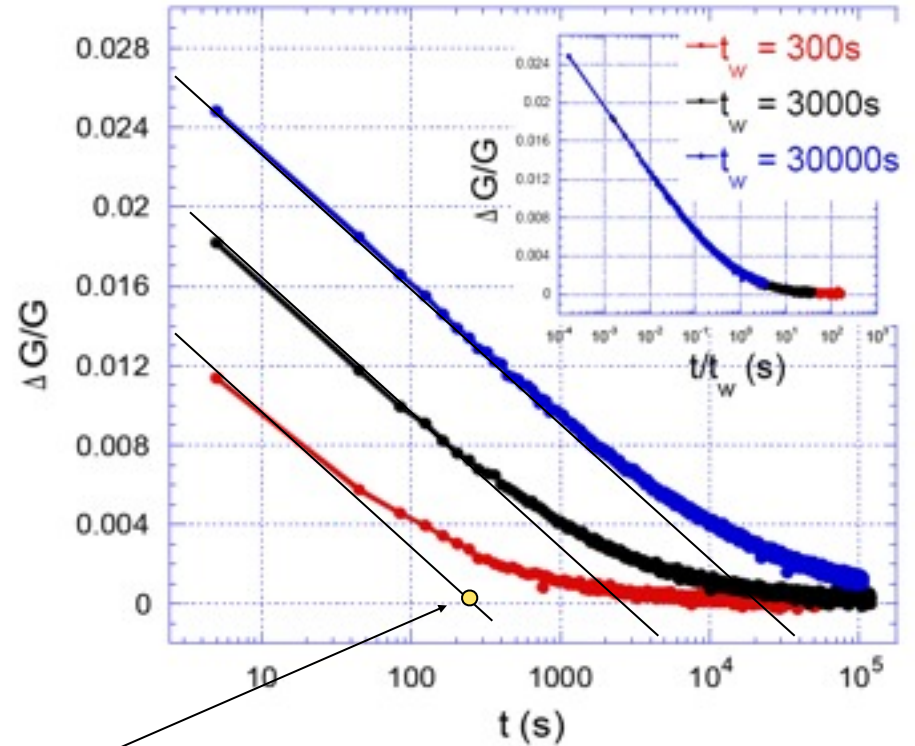
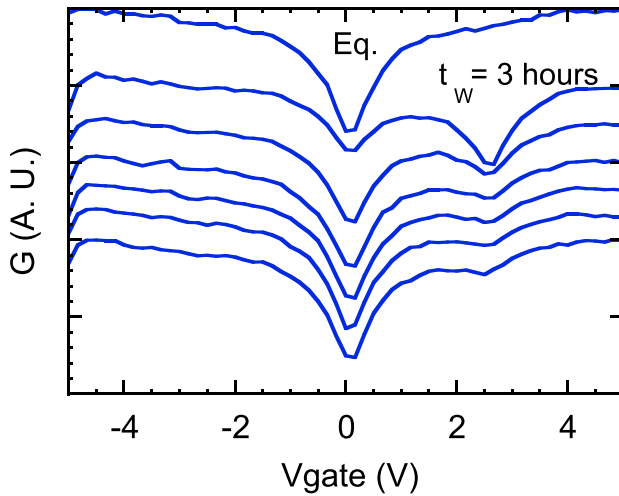


« Two dips » protocol



Two dip protocol: very «old» system

« Two dips » protocol

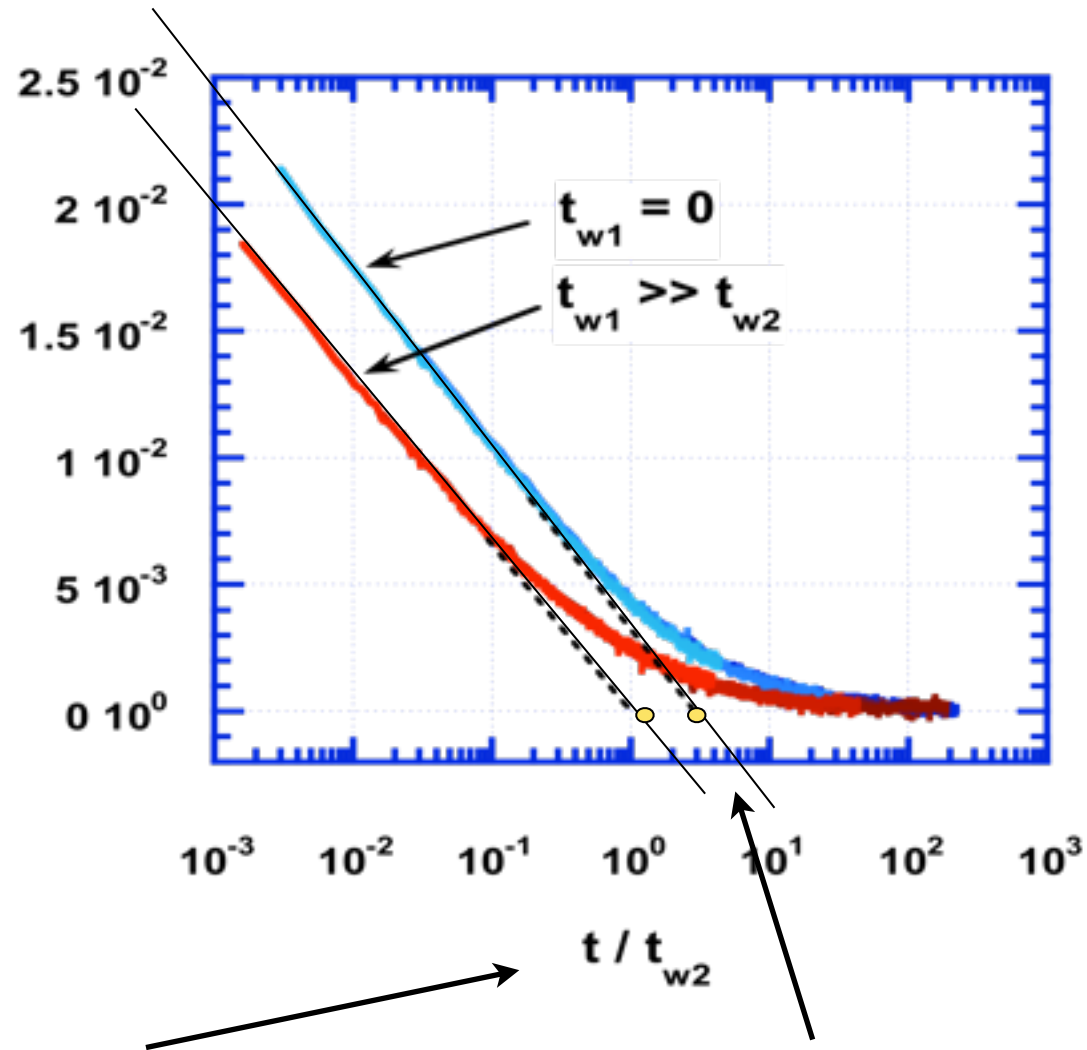
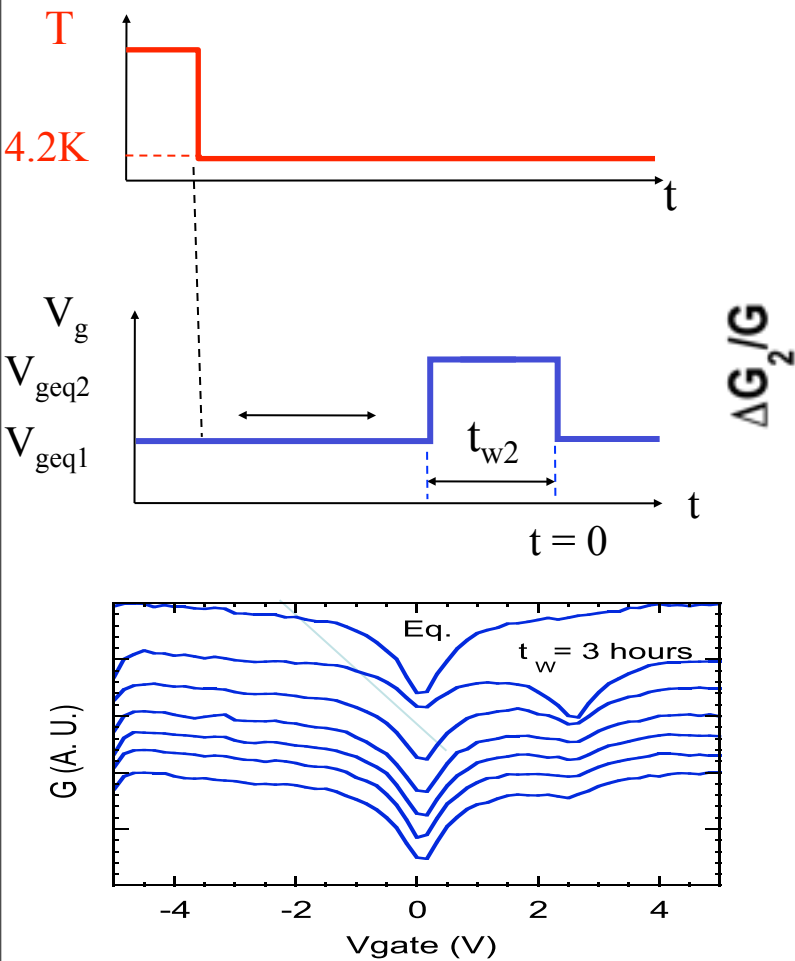


Erasure time

t/t_{w2} scaling

Two dip protocol: «young» (ageing) system

« Two dips » protocol



t/t_{w2} scaling:
memory of t_{w2}

value of t/t_{w2} erasure time:
memory of t_{w1}

A simple quantitative approach when $t_{w1} \gg t_{w2}$

A simple model can reproduce the data:

- collection of independent reversible « degrees of freedom »
- additive effect on G
- tunnel $\rightarrow \ln(\tau_i)$ has a broad (flat) distribution

Then:

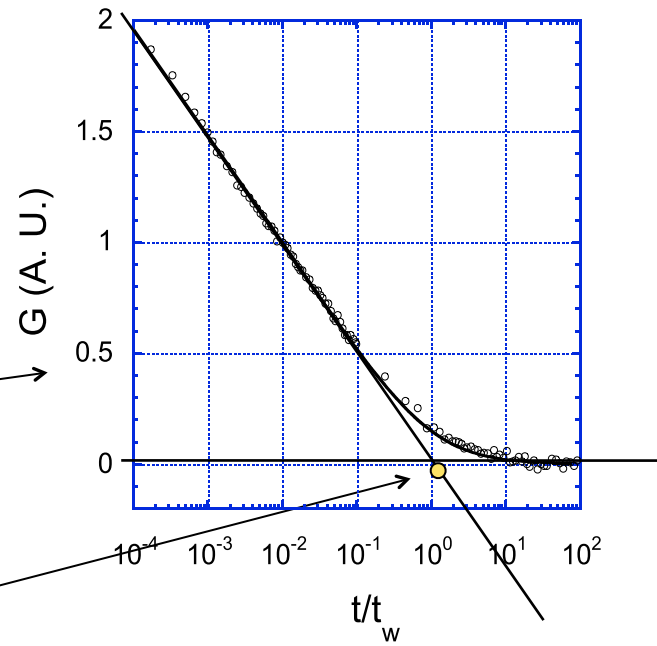
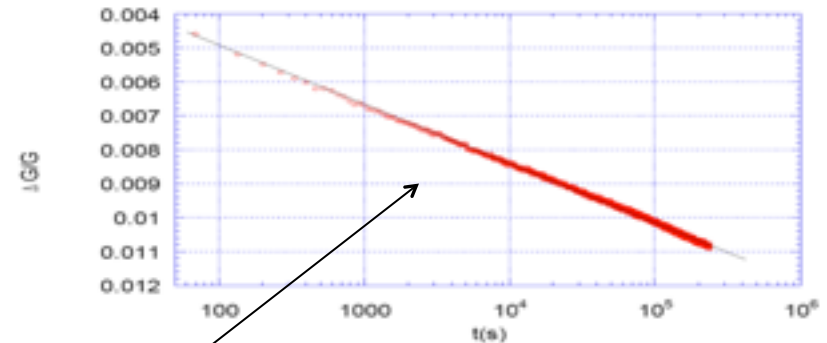
writing:

$$\Delta G(t < t_w) = -\Delta G_0 \sum_i (1 - \exp(-\frac{t}{\tau_i}))$$

erasure:

$$\Delta G(t > t_w) = \Delta G_0 \sum_i (1 - \exp(-\frac{t_w}{\tau_i})) \exp(-\frac{t - t_w}{\tau_i})$$

$$\Delta G(t > t_w) = -\Delta G_0 \ln(1 - \frac{t_w}{t})$$



erasure time

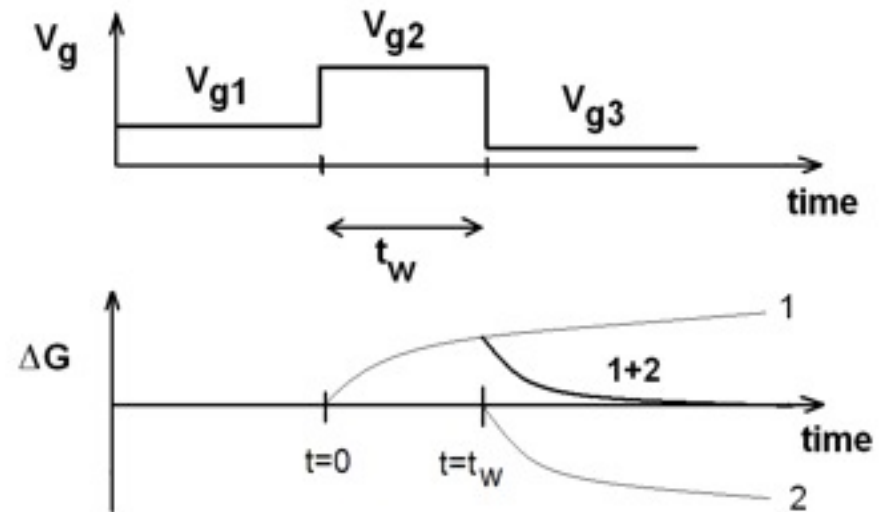
«Superposition principle»

erasure:

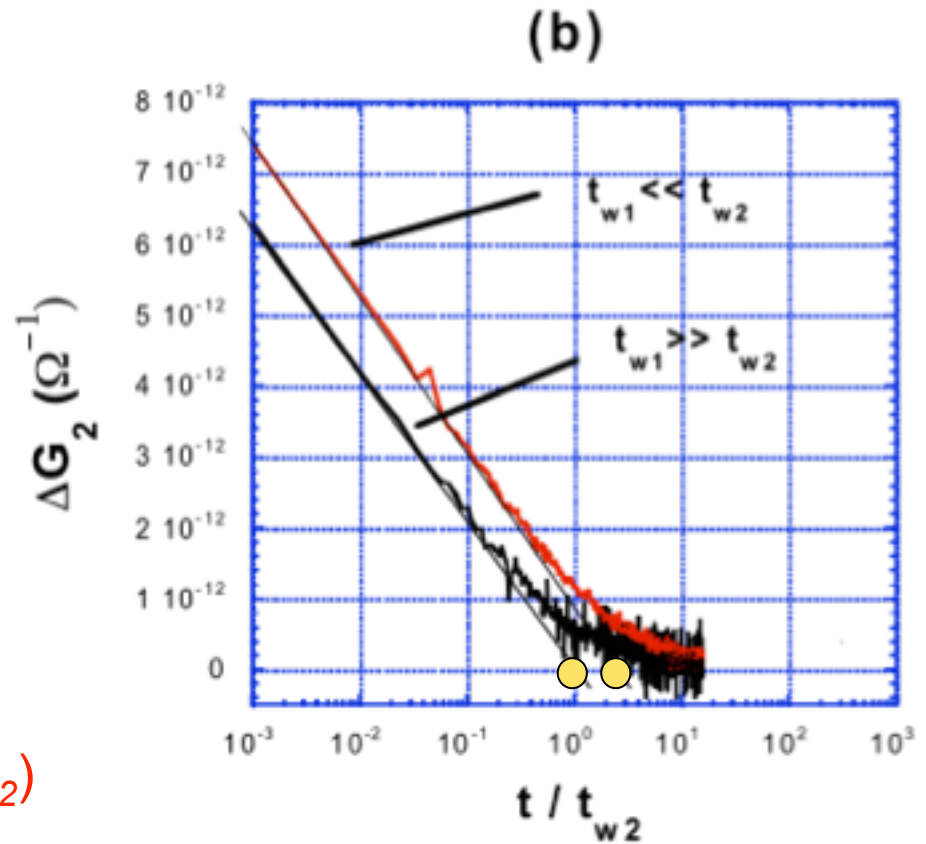
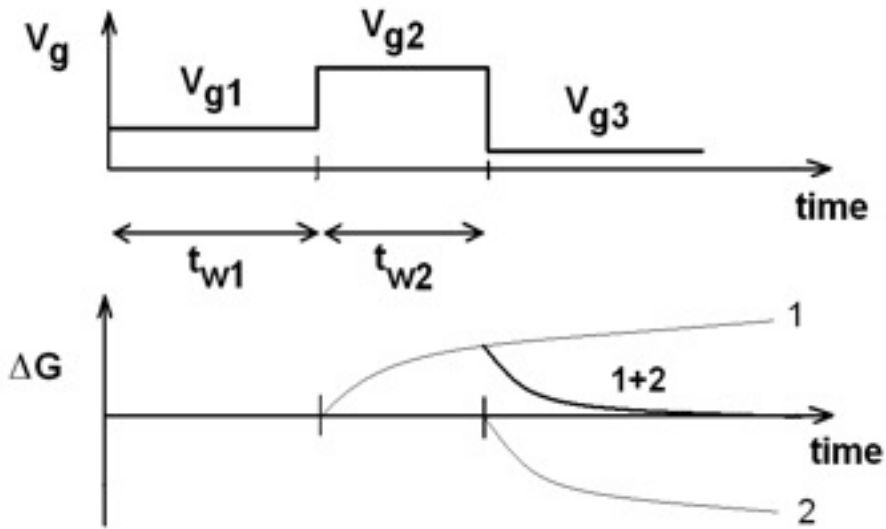
$$\Delta G(t > t_w) = \Delta G_0 \sum_i (1 - \exp(-\frac{t_w}{\tau_i})) \exp(-\frac{t - t_w}{\tau_i})$$

$$\Delta G(t > t_w) = \Delta G_0 \sum_i (1 - \exp(-\frac{t}{\tau_i})) - (1 - \exp(-\frac{t - t_w}{\tau_i}))$$

$$\Delta G(t > t_w) = \Delta G_0 (Ln(t) - Ln(t - t_w))$$



«Superposition principle»



Application of the principle for $G(V_g = V_{g2})$

A simple quantitative approach of ageing

- collection of independant reversible « degrees of freedom »

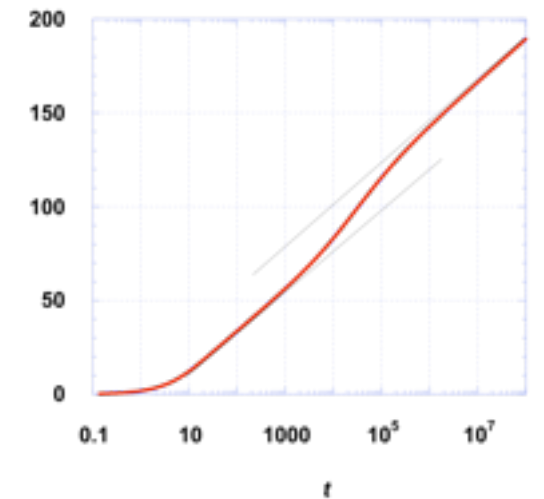
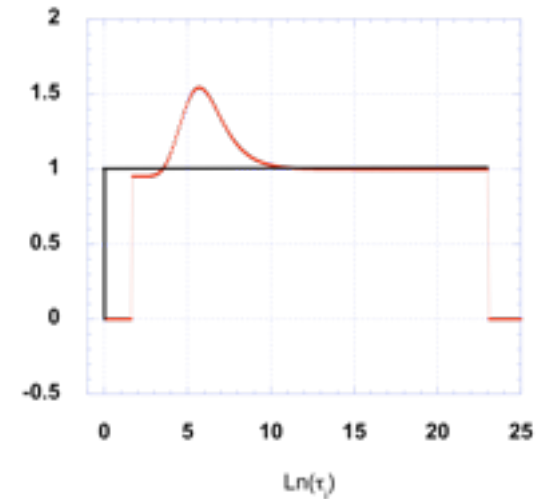
- additive effect on G

- $\text{Ln}(\tau_i)$ has a broad (flat) distribution

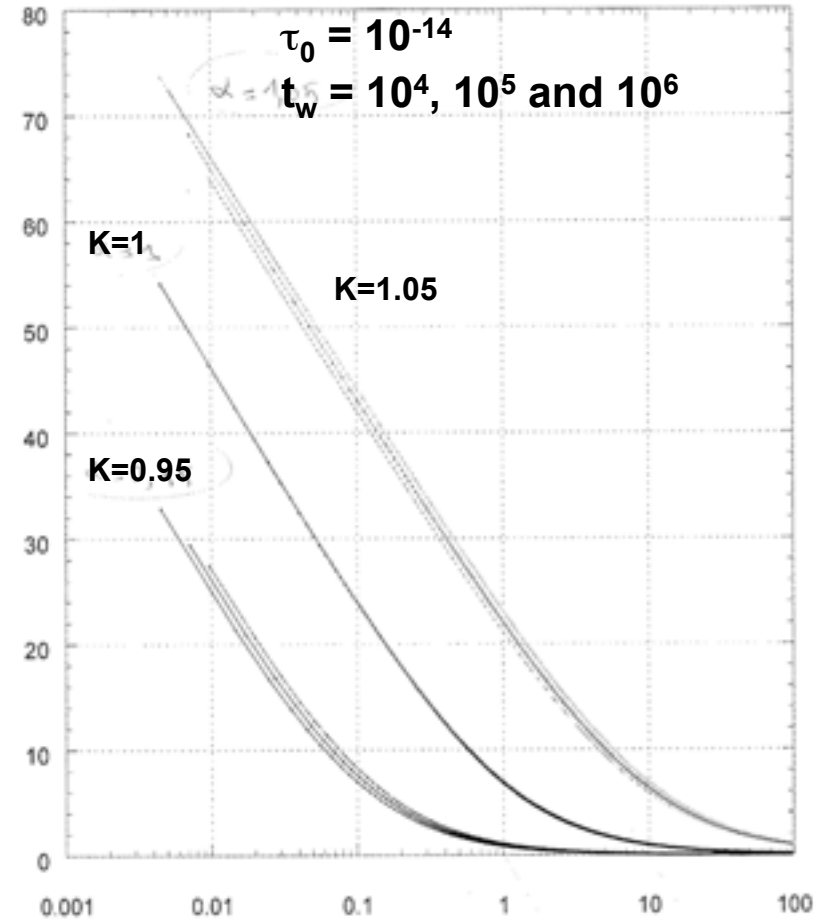
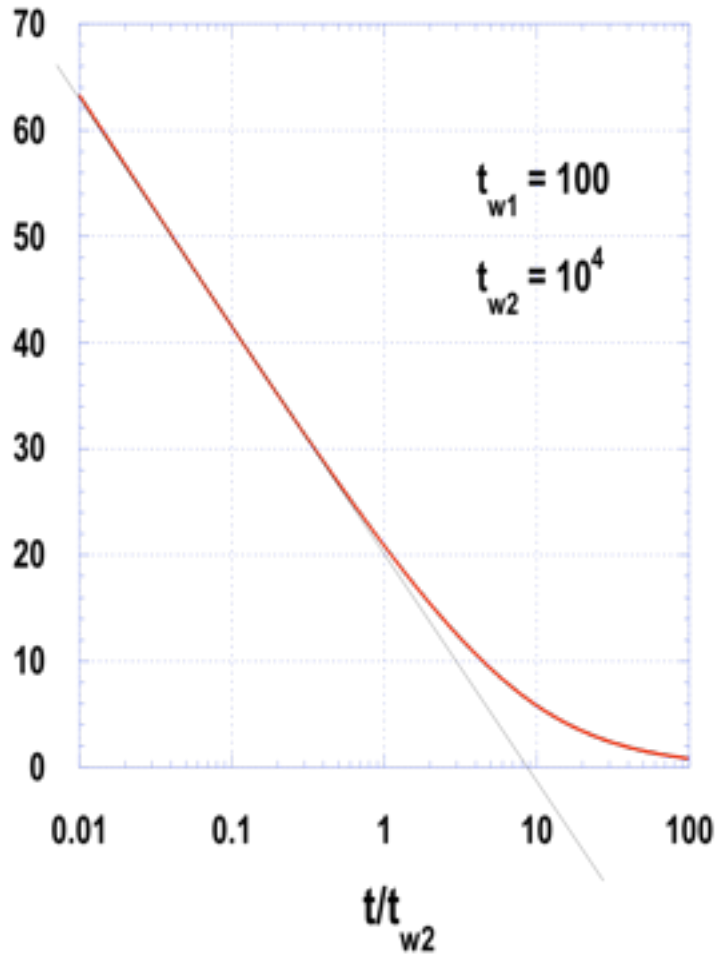
- $\tau_{i \rightarrow} \neq \tau_{i \leftarrow}$

Suppose:

$$\tau_{i \leftarrow} = \tau_0 \exp(\xi_i) \text{ and } \tau_{i \rightarrow} = \tau_0 \exp(k * \xi_i)$$



A simple quantitative approach of ageing



OUTLINE

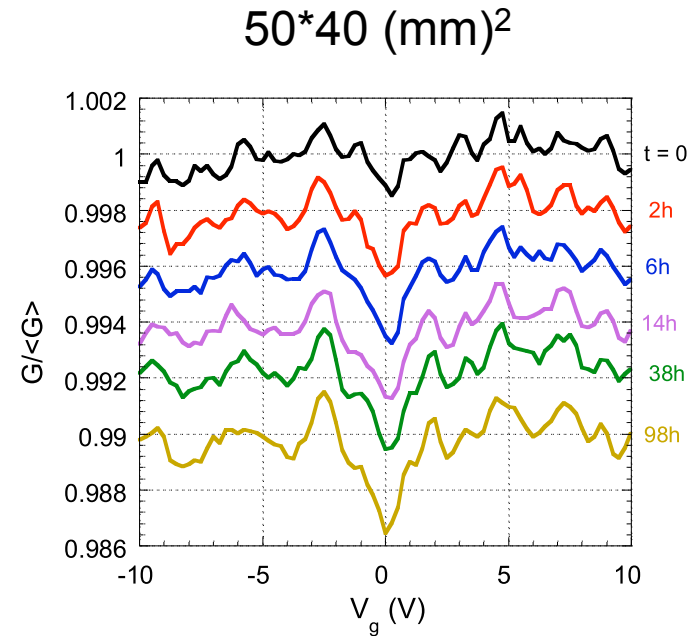
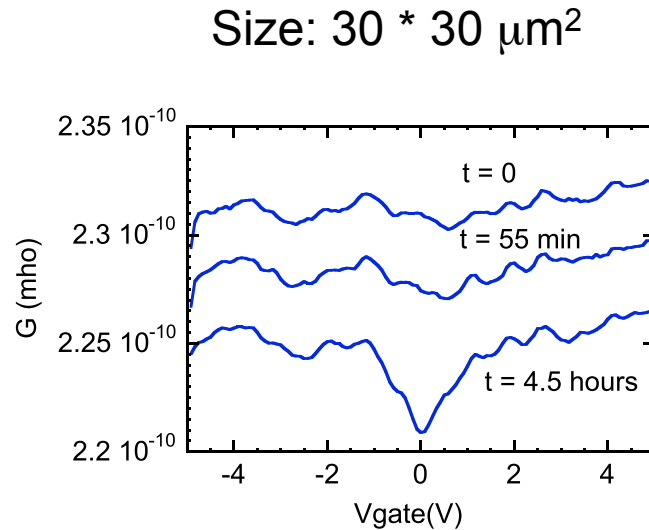
- how it started
- some aspects of the « glassiness » in granular Al
- is ageing present ? (is it a glass?)
- questions

Is this glass purely electronic ?

- competing « extrinsic » (non electronic) scenarios can be envisaged (slow atomic or ionic processes influencing the conductance)
- are there indications in favor of the coulomb electron glass ?
- 1) in Indium oxide: **effect of carrier concentration** (varied by changing oxygen concentration)
 - * systematic effect of carrier concentration on the field effect anomaly width
 - * the dynamics is also influenced by the carrier concentration (fast erasure of a formed field effect anomaly by a high enough V_g change)

Is this glass purely electronic ?

- 2) slow relaxation in mesoscopic samples :



- mesoscopic fluctuations (fluctuations of percolation path as a function of V_g) and the cusp coexist

- both seem to have **very different time scales** (disorder seems totally frozen) \rightarrow **may be consistent with electron glass** (cusp slow relaxation not due to disorder (atoms) relaxation)

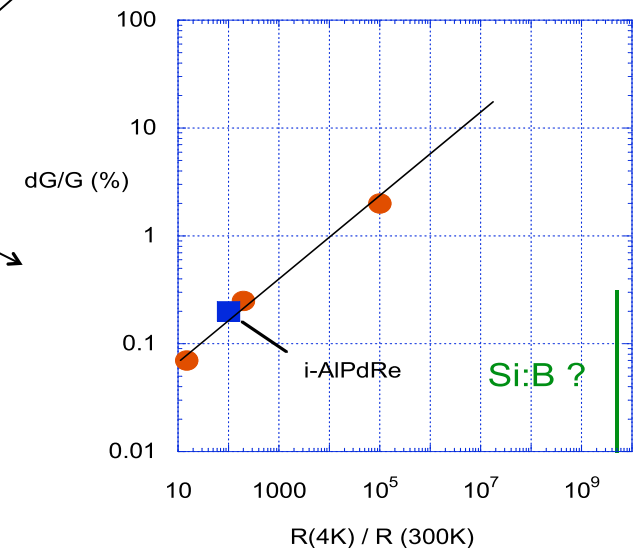
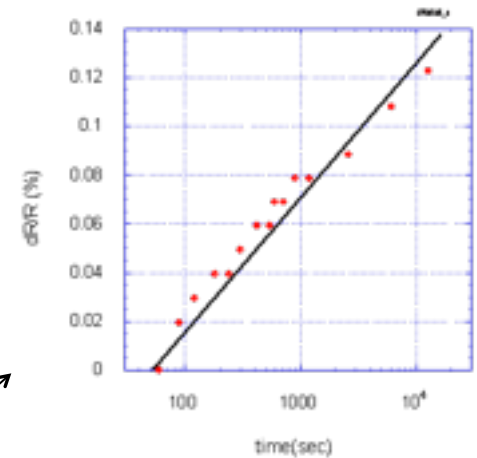
Is this glass purely electronic ?

- 3) systematics in other materials:

Up to now:

- studied in: indium oxide, granular aluminium
- seen in: granular gold, ultra thin Pb on a-Ge
- being studied in Ni films (without oxide, strong effect of magnetic field on the dynamics, Aviad Frydman)
- maybe present in icosahedral insulating quasicrystal i-AlPdRe

What do these materials have in common ?

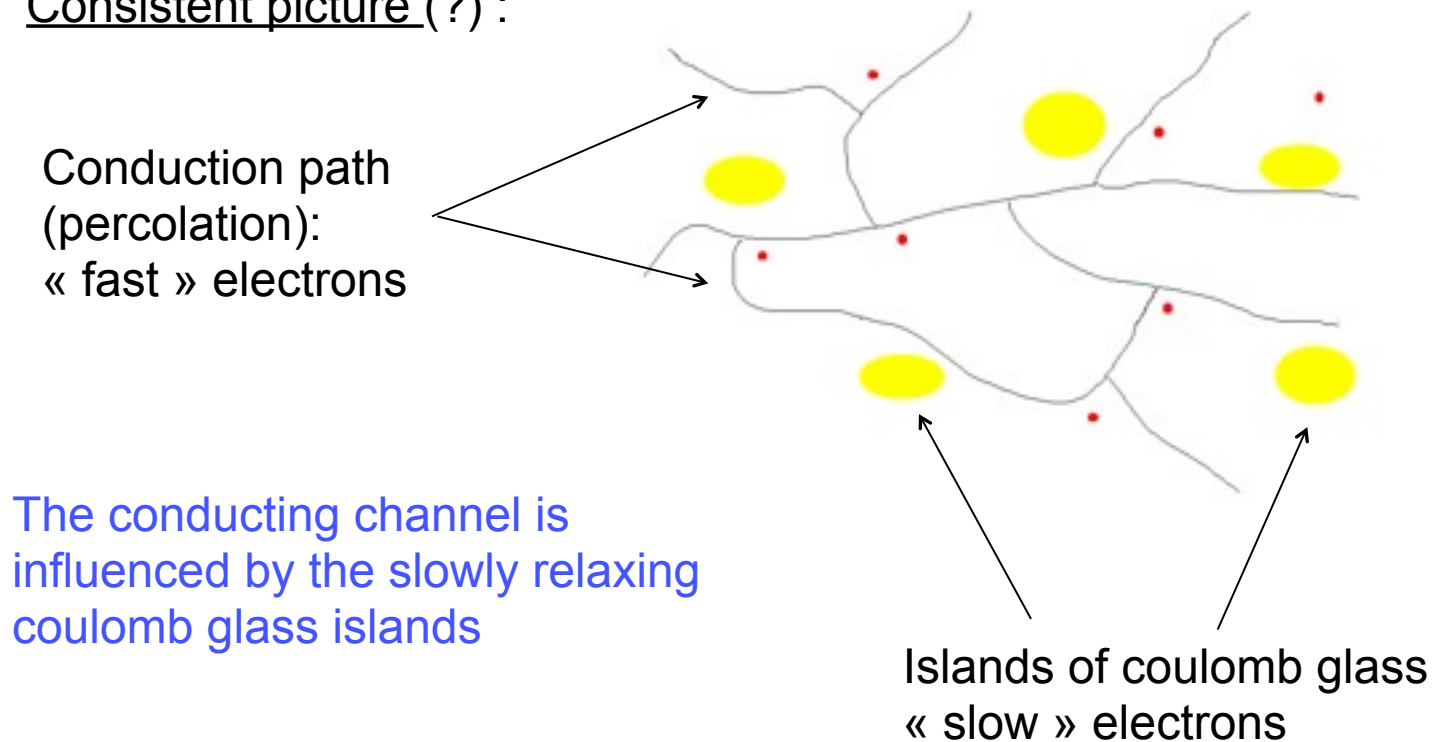


Only expected in insulating samples ?

Apparent paradoxes:

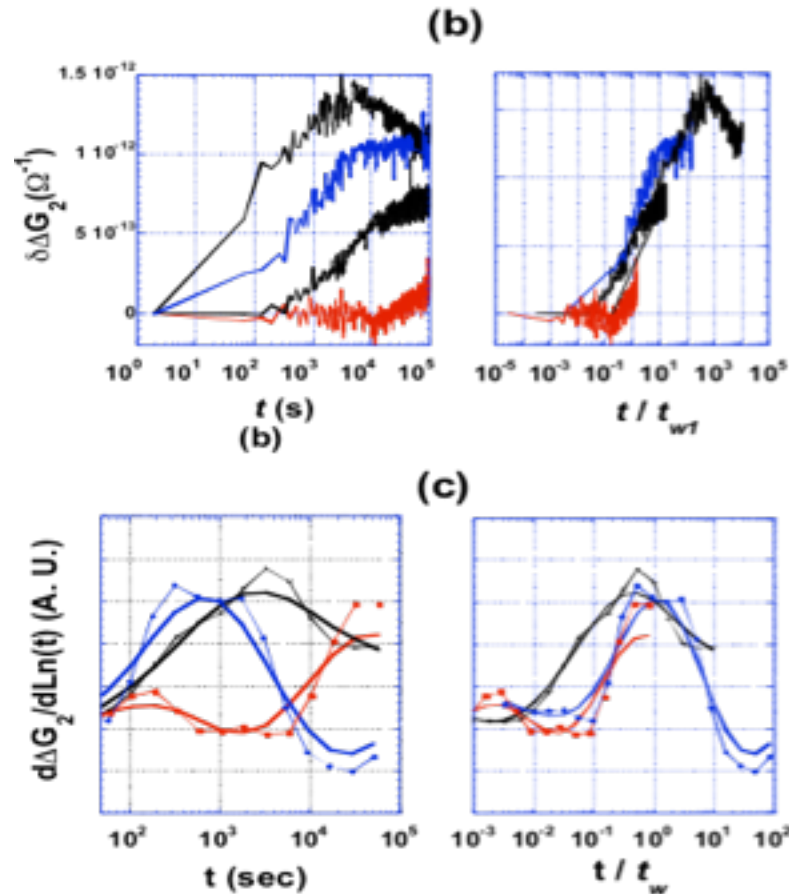
- thermal memory of cusp but not of « back-ground » conductance
- very slow relaxations even for weakly (and metallic?) insulating samples

Consistent picture (?) :



Understanding the dynamics ?

- mechanism / significance of the ageing behaviour ?
(indication for the importance of correlations ?)



What we need:

theoretical predictions*

*that can be tested experimentally