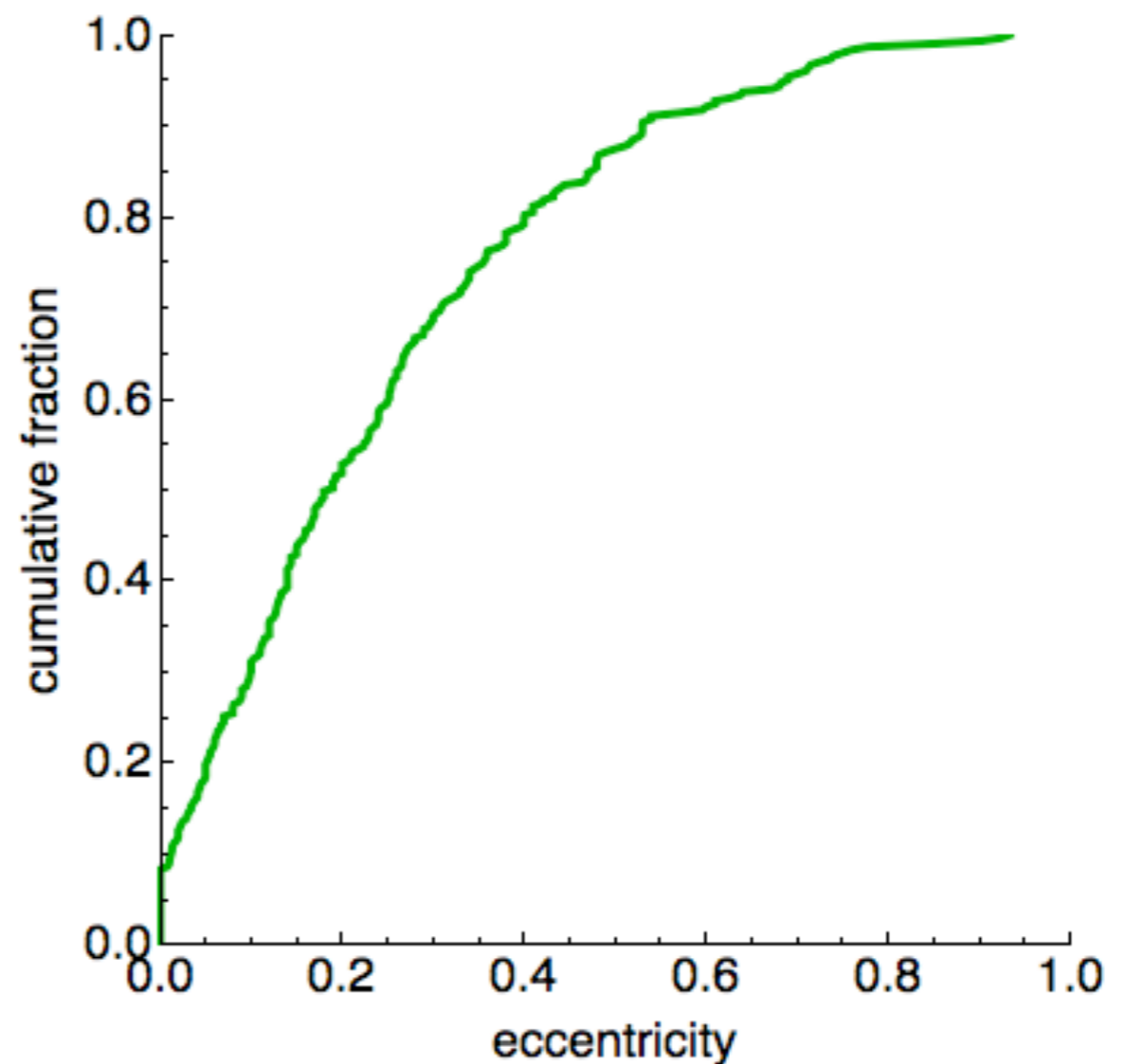
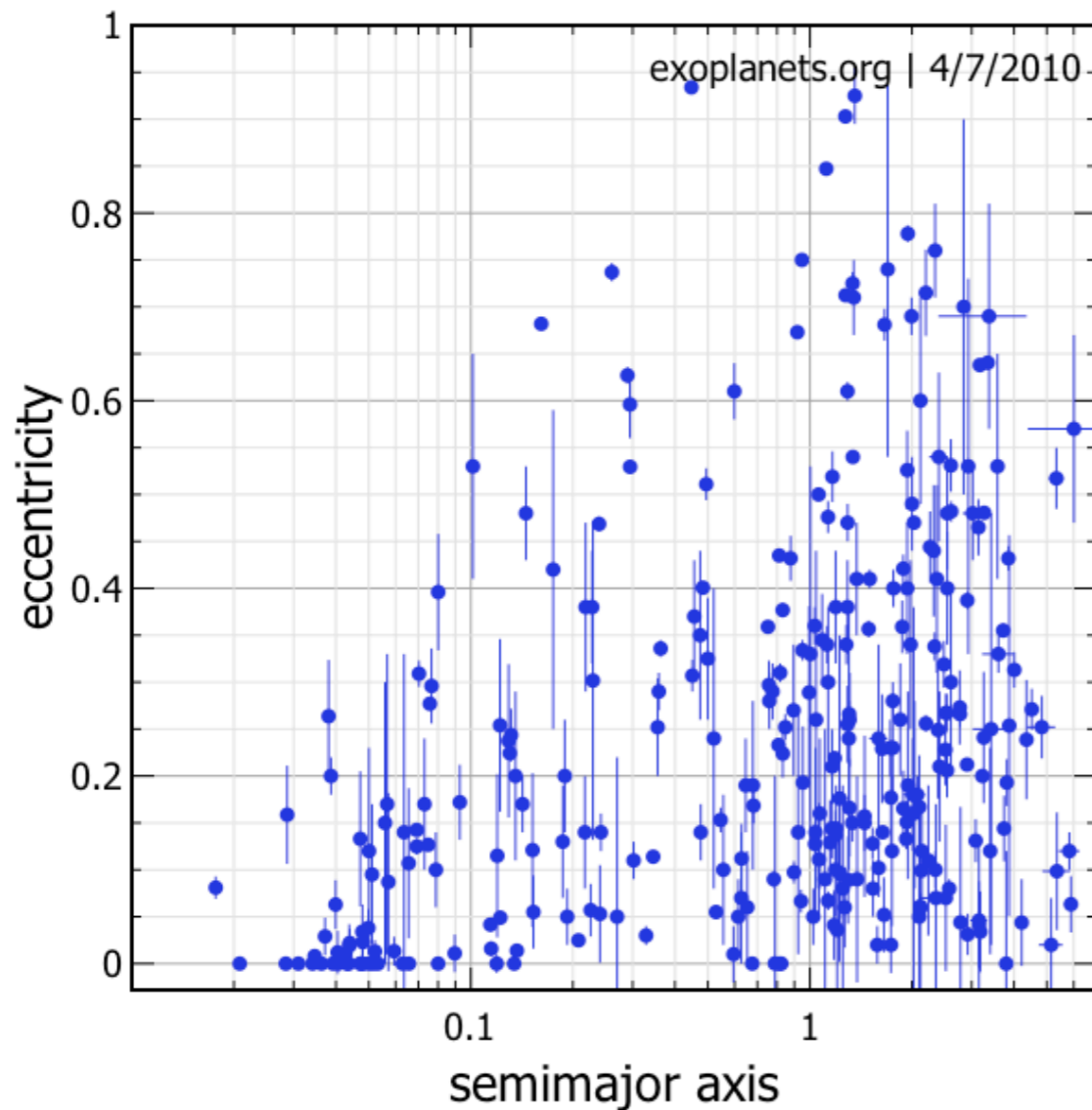


Revisiting the (RV) exoplanet eccentricity distribution

Margaret Pan (IAS/UCB)

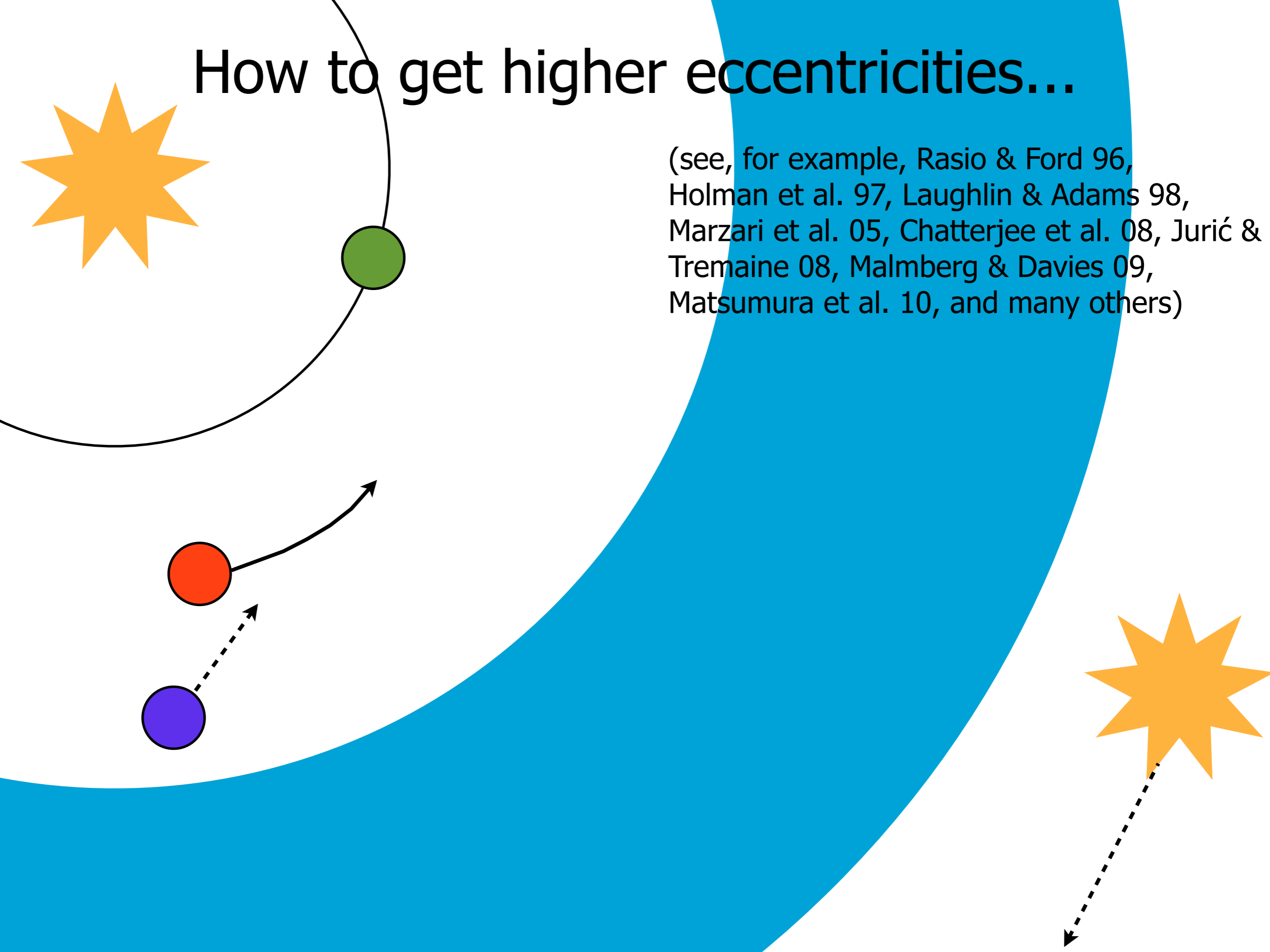
working with

Nadia Zakamska (IAS)
Eric Ford (UF)

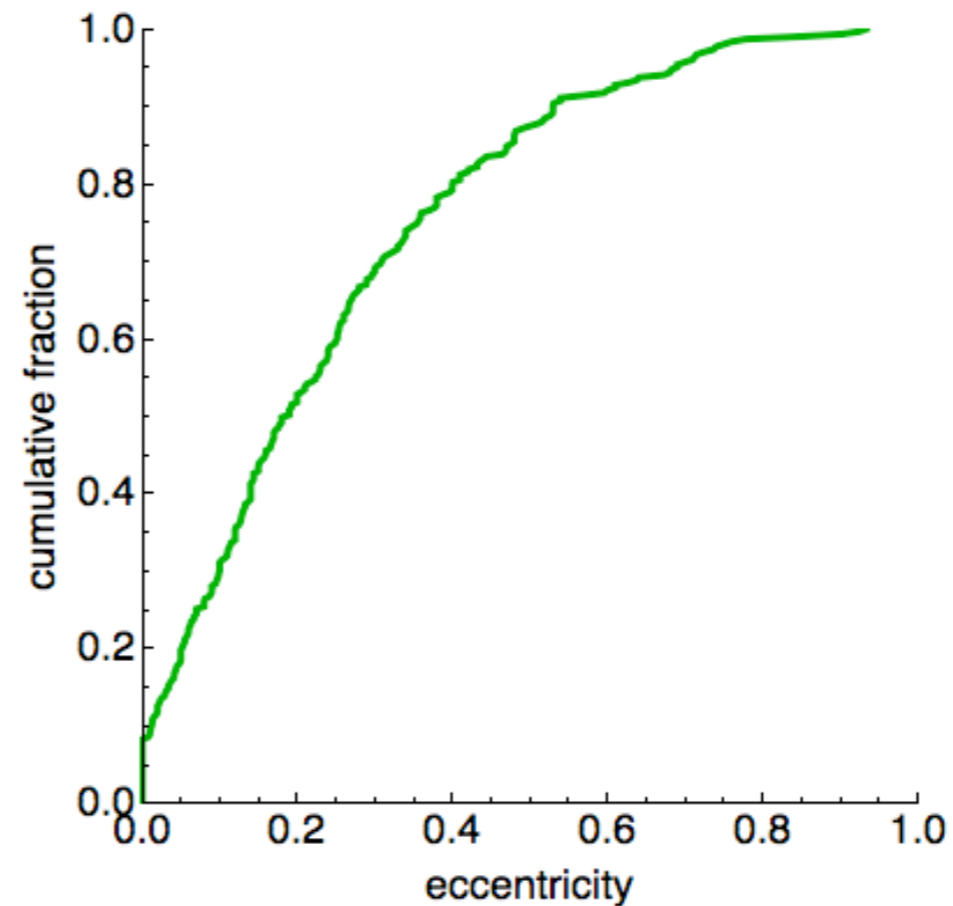
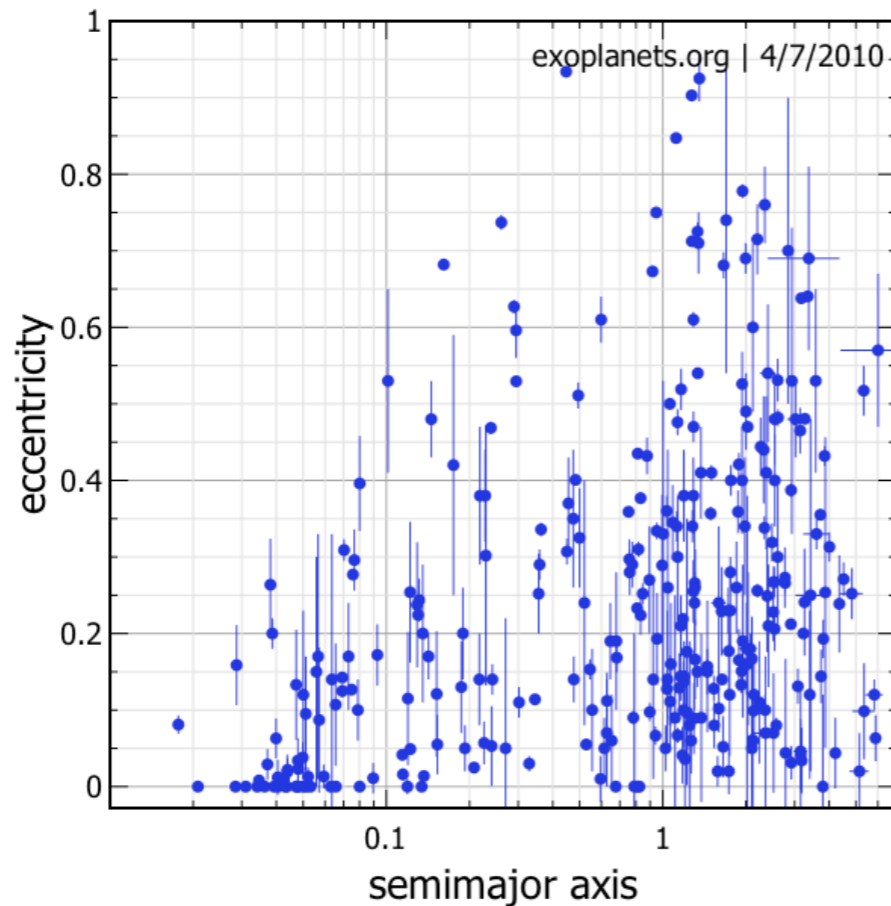


How to get higher eccentricities...

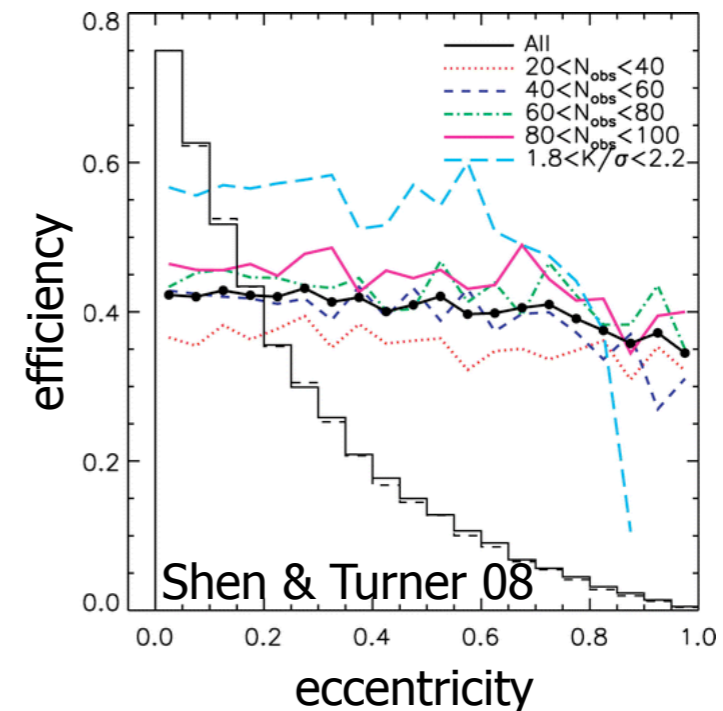
(see, for example, Rasio & Ford 96, Holman et al. 97, Laughlin & Adams 98, Marzari et al. 05, Chatterjee et al. 08, Jurić & Tremaine 08, Malmberg & Davies 09, Matsumura et al. 10, and many others)



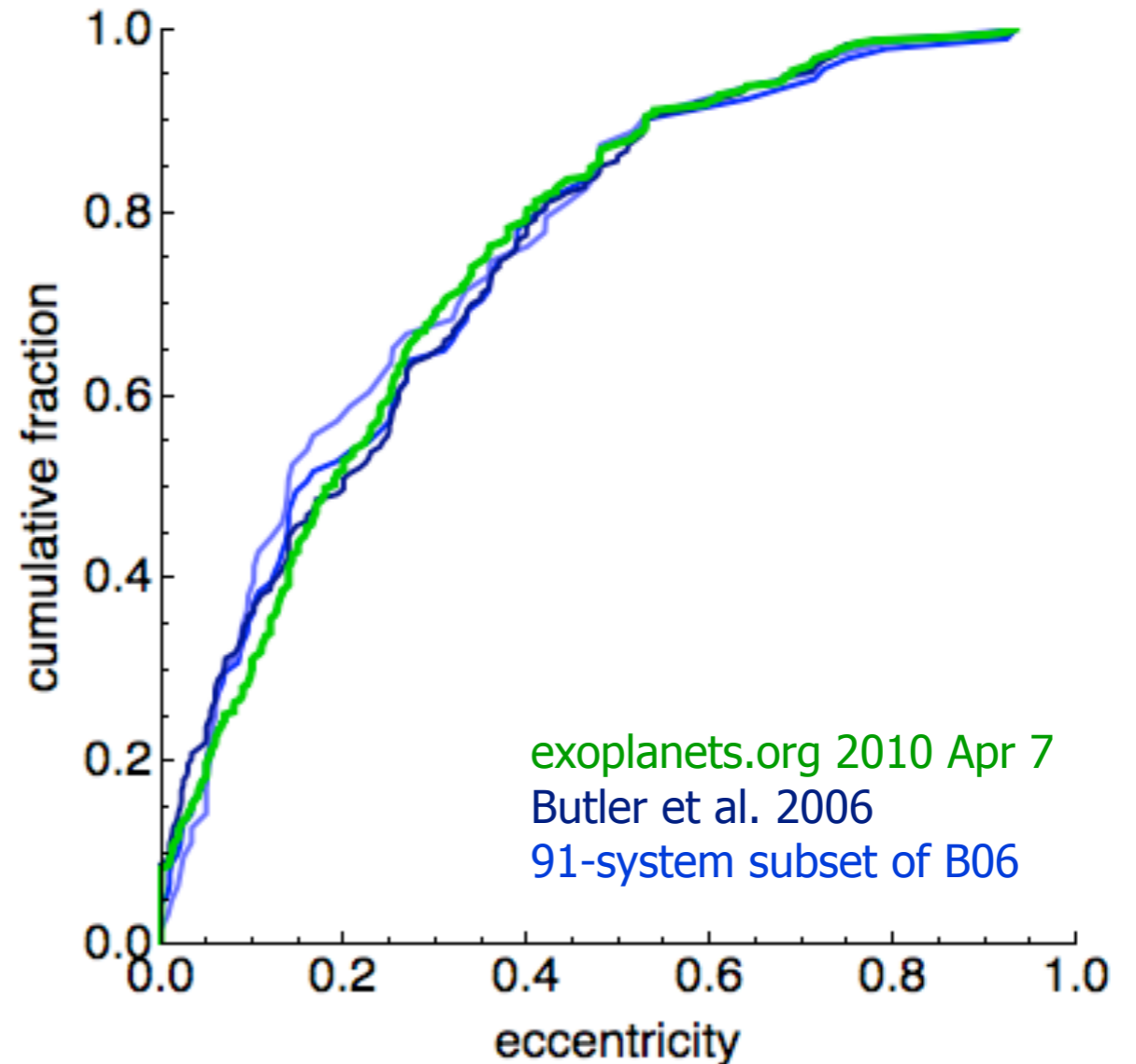
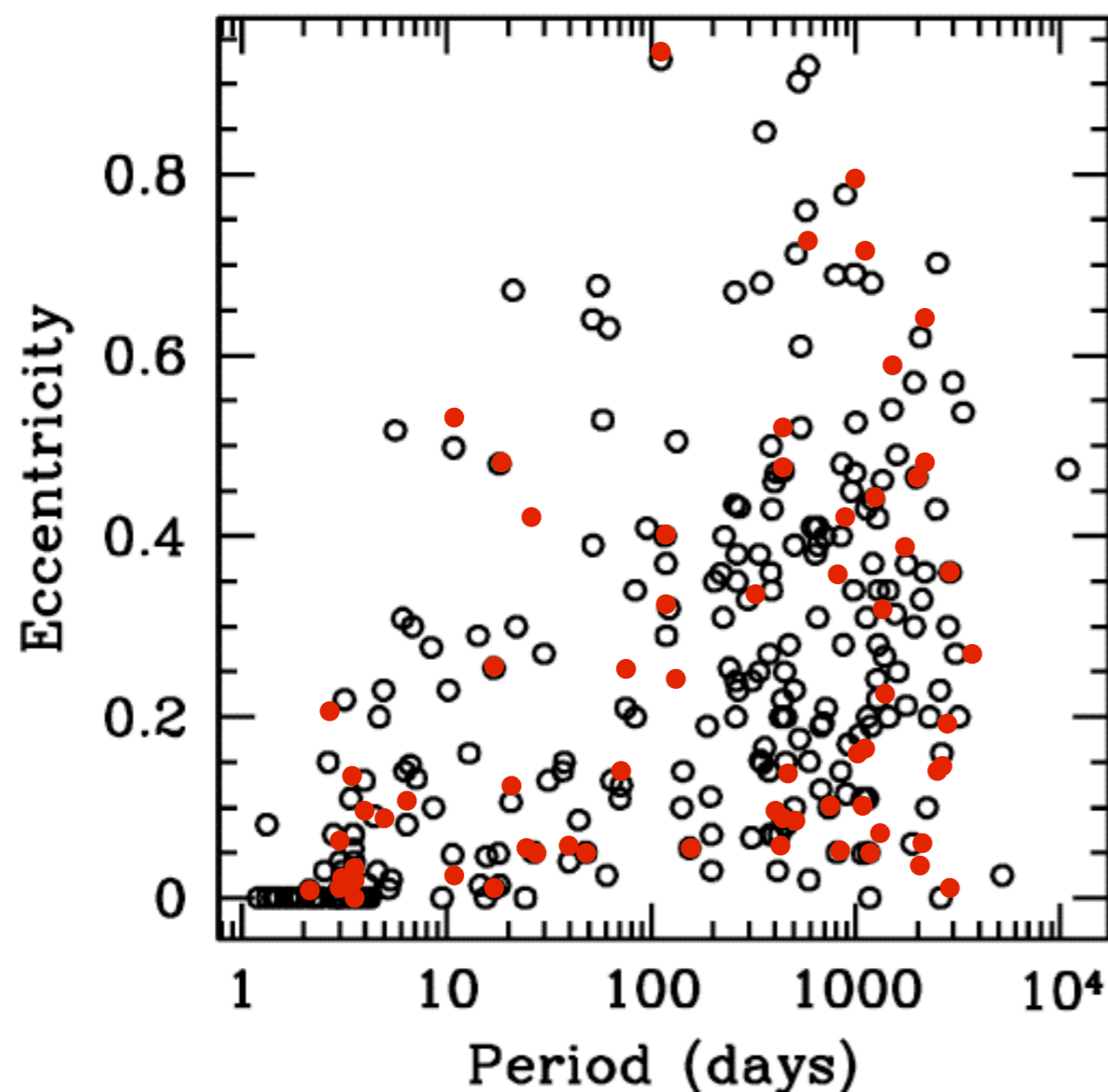
Should we take this as a given?



- No strong bias against high/low eccentricities in detection of RV planet signal (Endl et al. 02, Cumming 04, Shen & Turner 08)
- What about the orbit parameter extraction process?



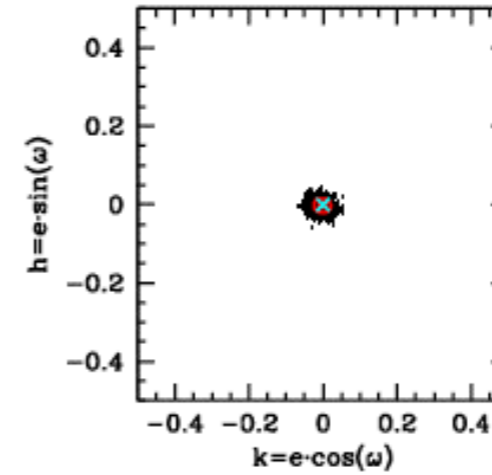
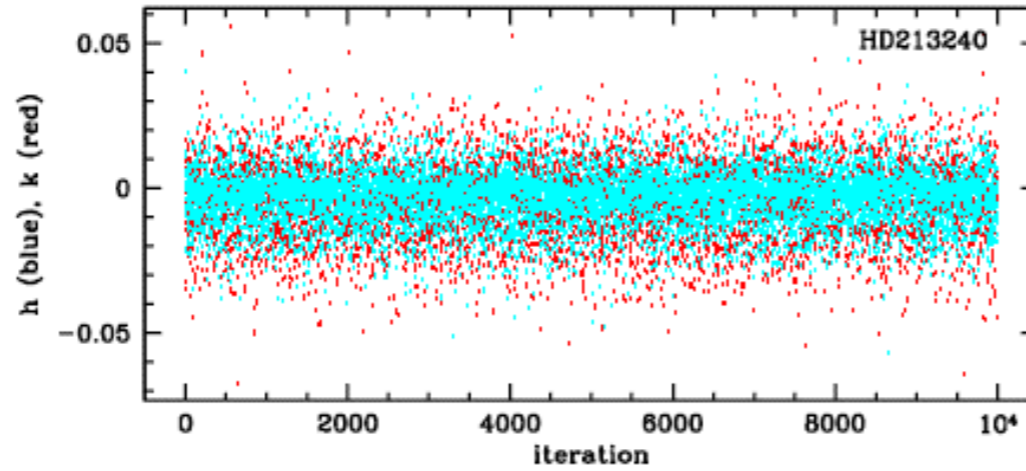
Our experiment



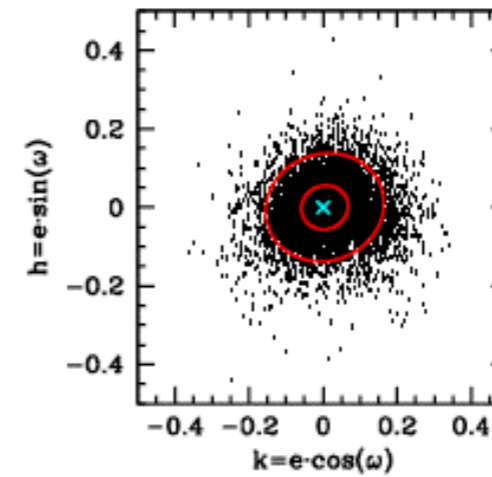
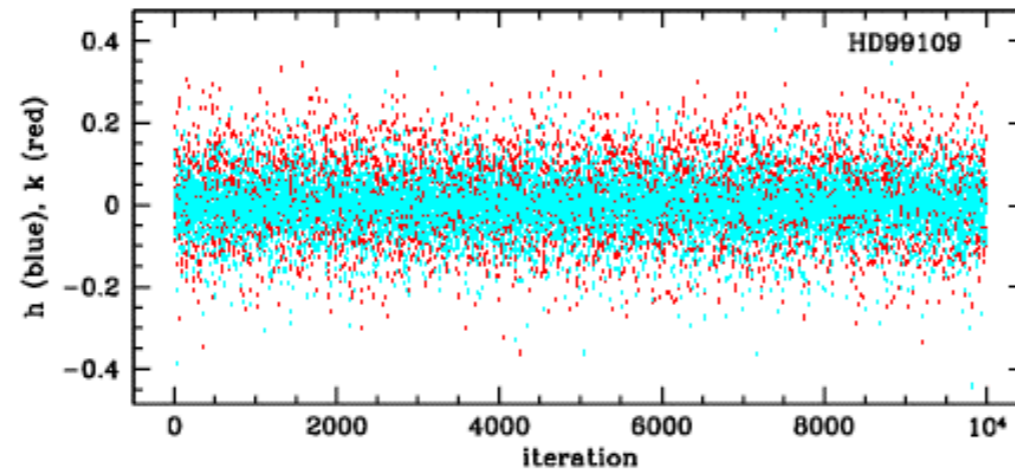
- Dominant planet of 91 systems in Butler et al. 2006 with $N_{\text{obs}} \leq 90$
- Retain period, velocity amplitude, observation times, uncertainties
- Use eccentricities 0, 0.05, 0.1, 0.3, 0.6

MCMC

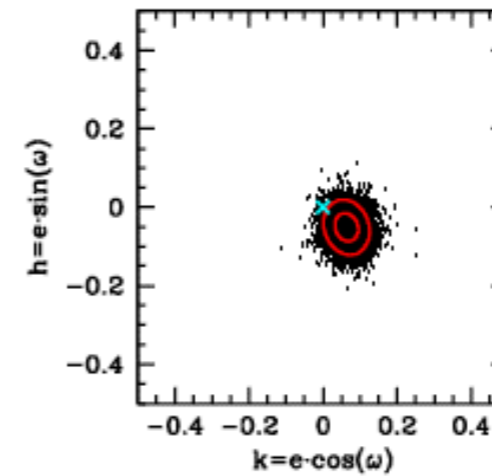
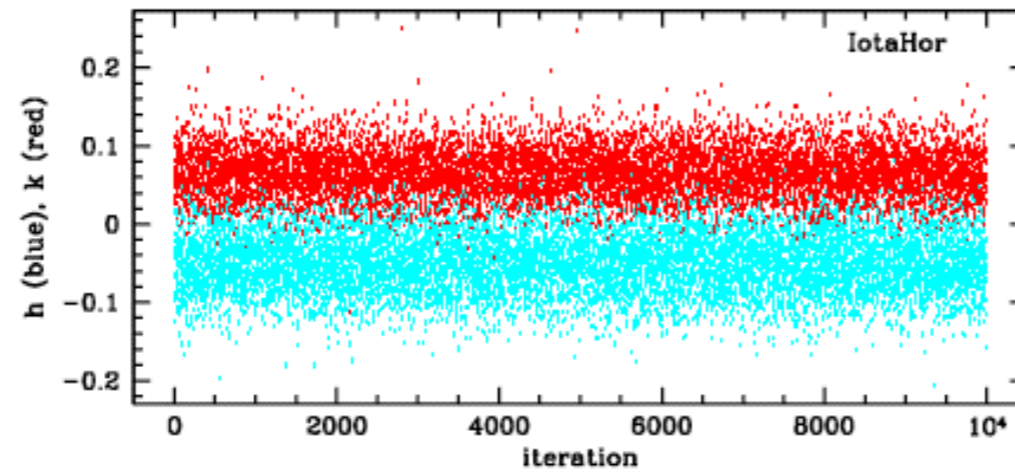
sample
chain ①



sample
chain ②

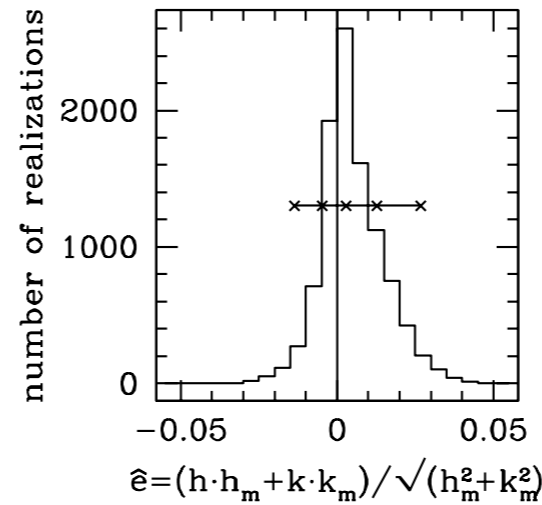
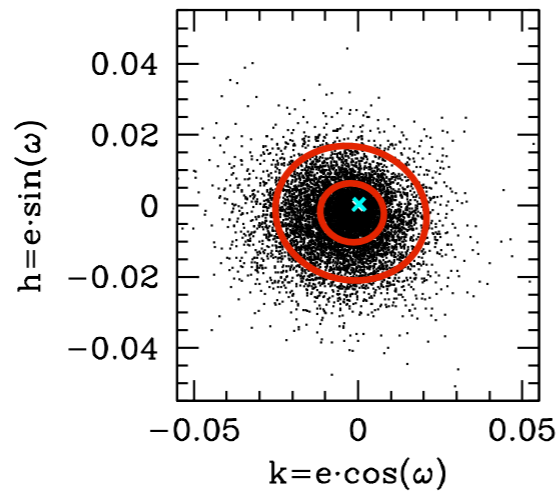
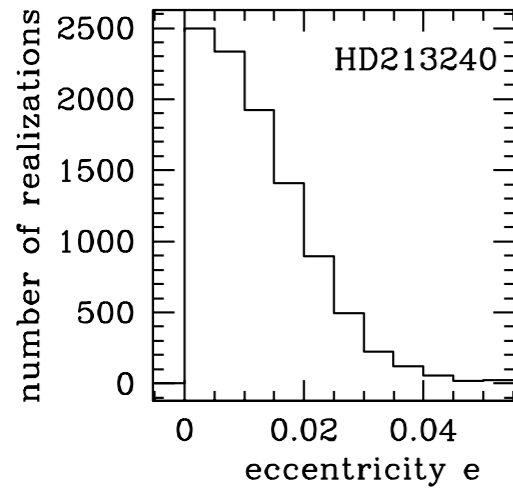


sample
chain ③



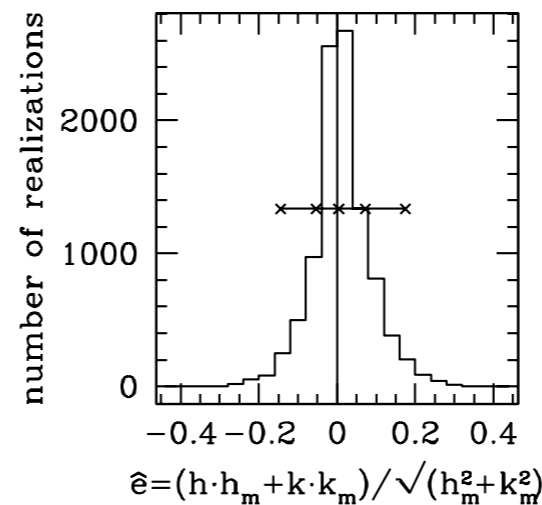
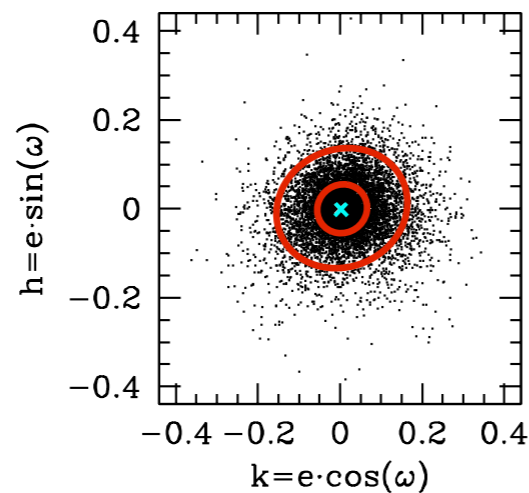
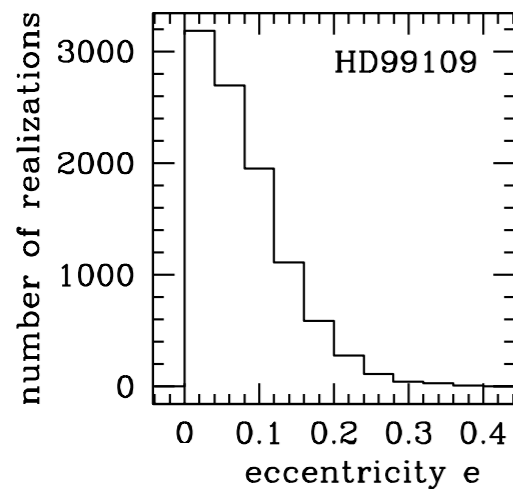
Eccentricity measures

①

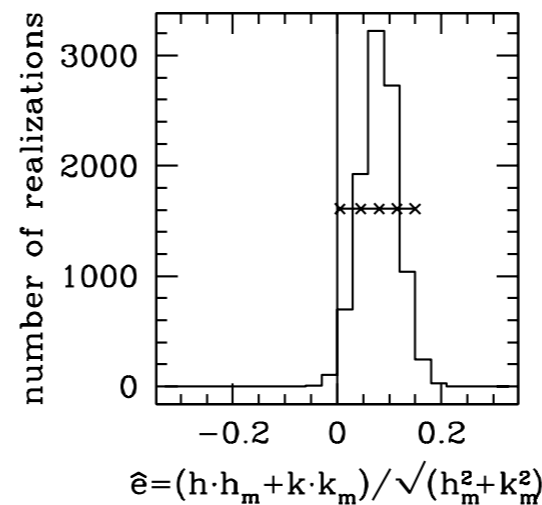
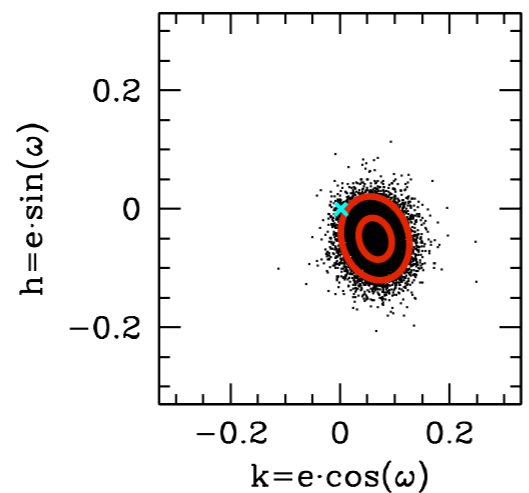
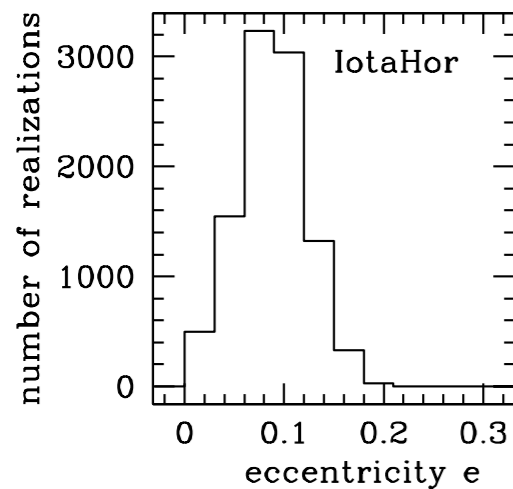


What eccentricity measure best represents the MCMC output?

②



③

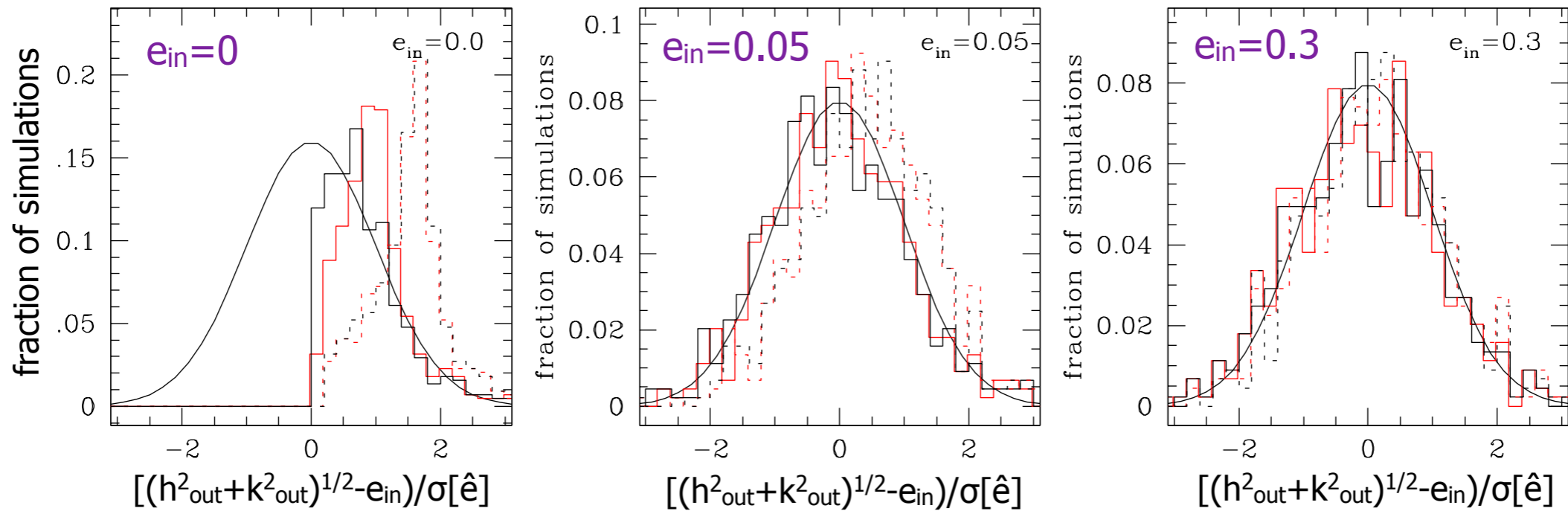
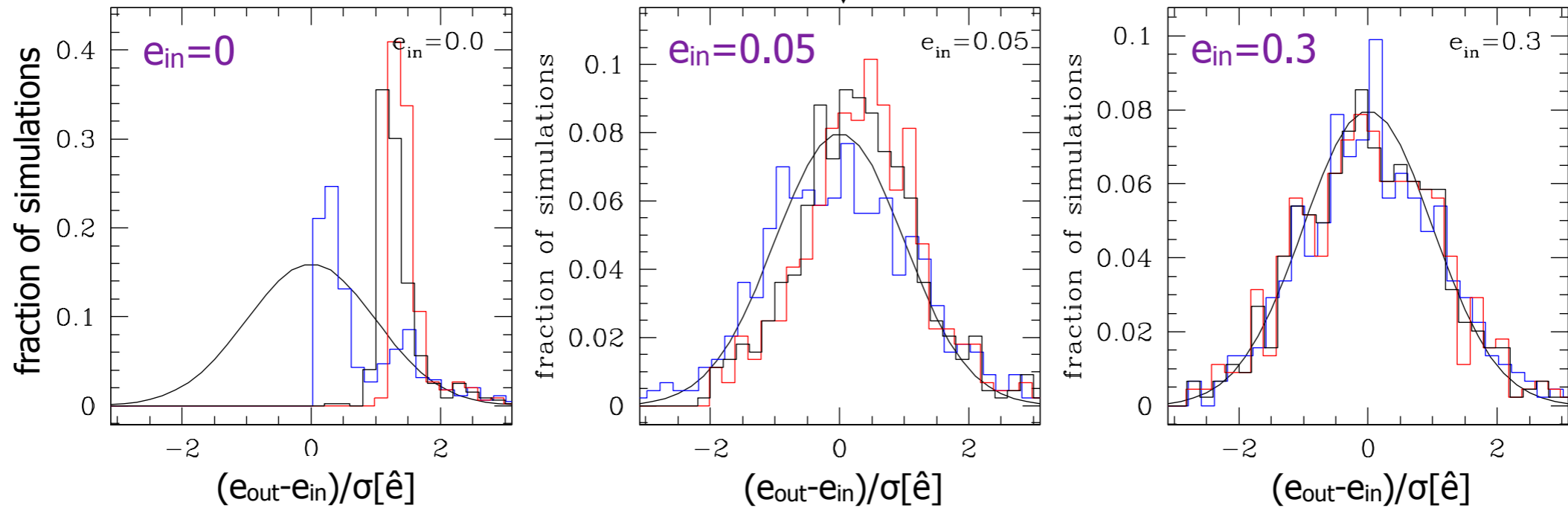


- $e_{\text{mean}}, e_{\text{median}}$
- e_{mode}
- $\sqrt{(h^2_{\text{median}} + k^2_{\text{median}})}, \sqrt{(h^2_{\text{mean}} + k^2_{\text{mean}})}$

$$h = e \sin \omega, k = e \cos \omega$$

Eccentricity biases for mock systems

$e_{\text{mean}}, e_{\text{median}}, e_{\text{mode}}$

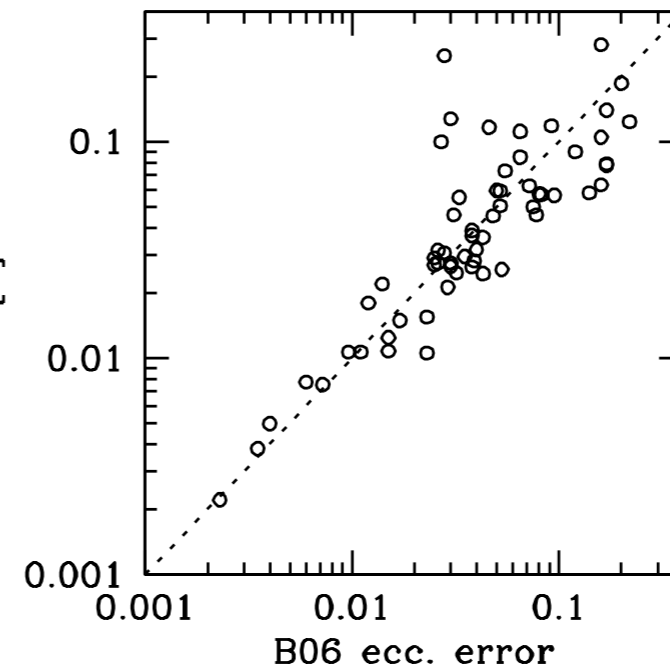
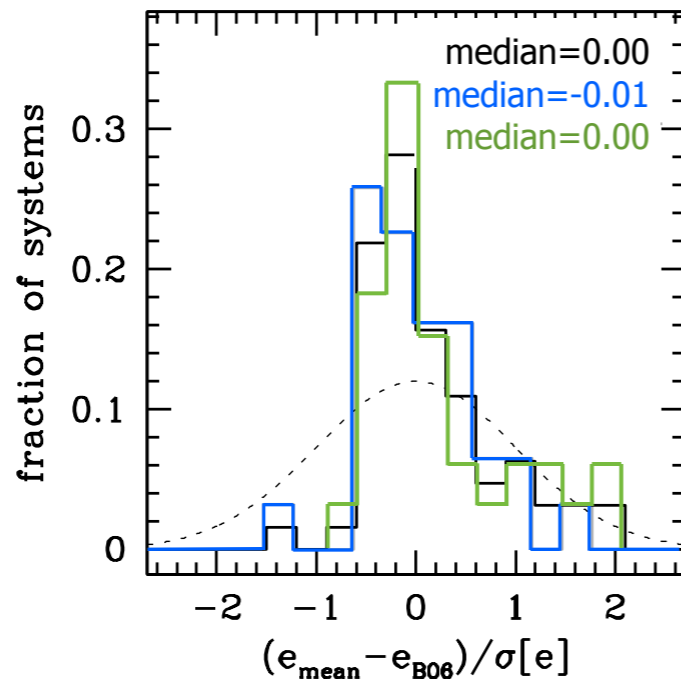


$\sqrt{(h^2_{\text{median}}+k^2_{\text{median}})}, \sqrt{(h^2_{\text{mean}}+k^2_{\text{mean}})}$

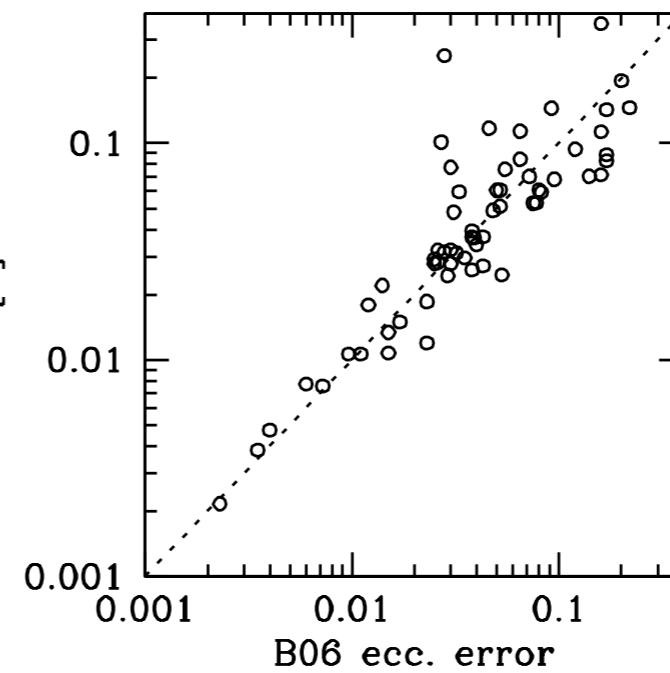
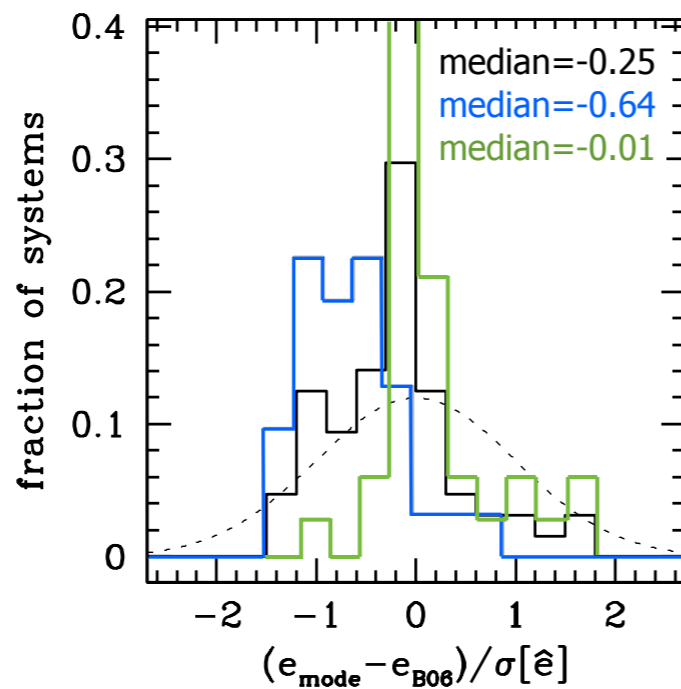
Real planets

black=all systems ; blue= $e < 0.1$; green= $e > 0.1$

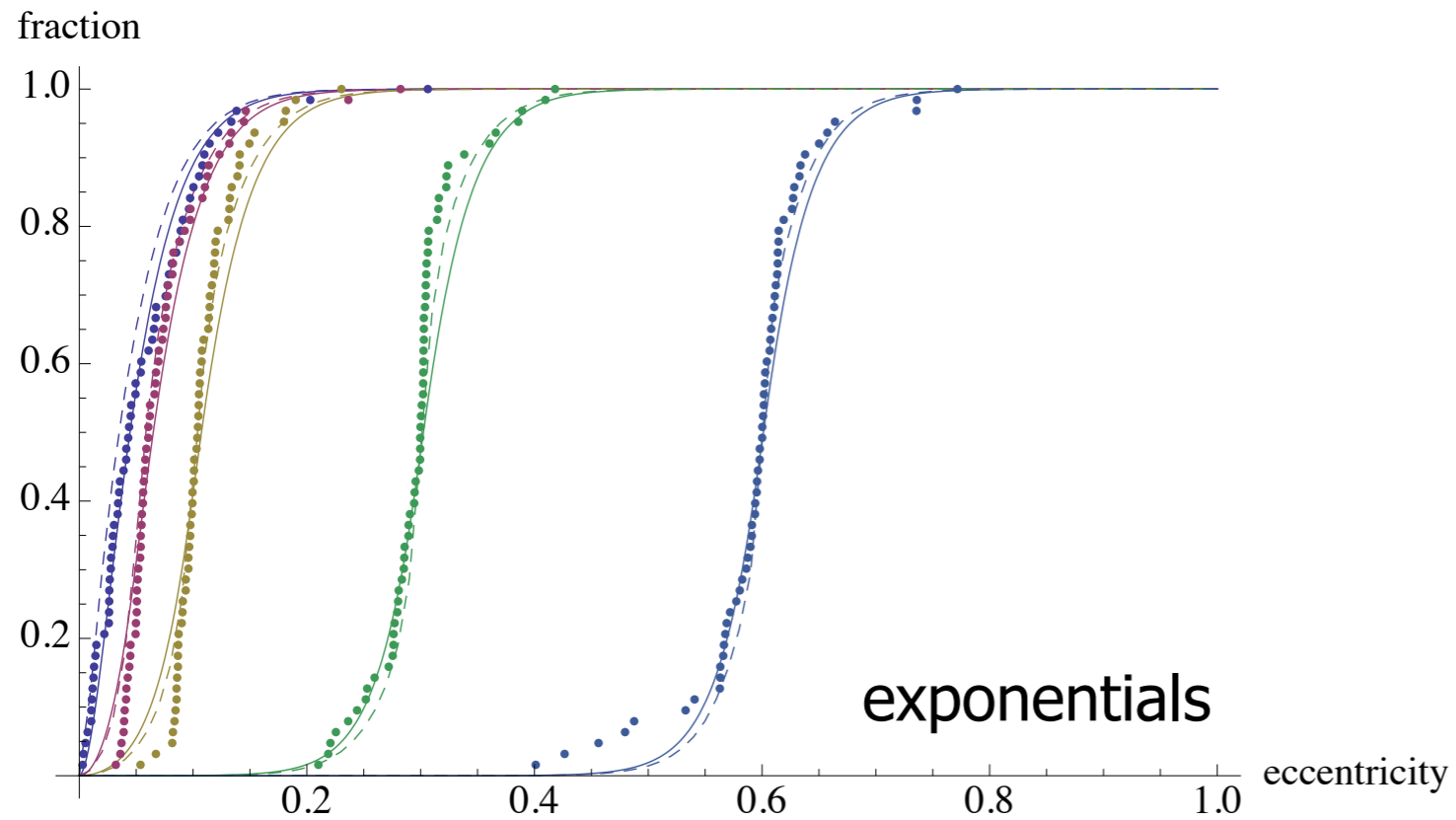
e_{mean}



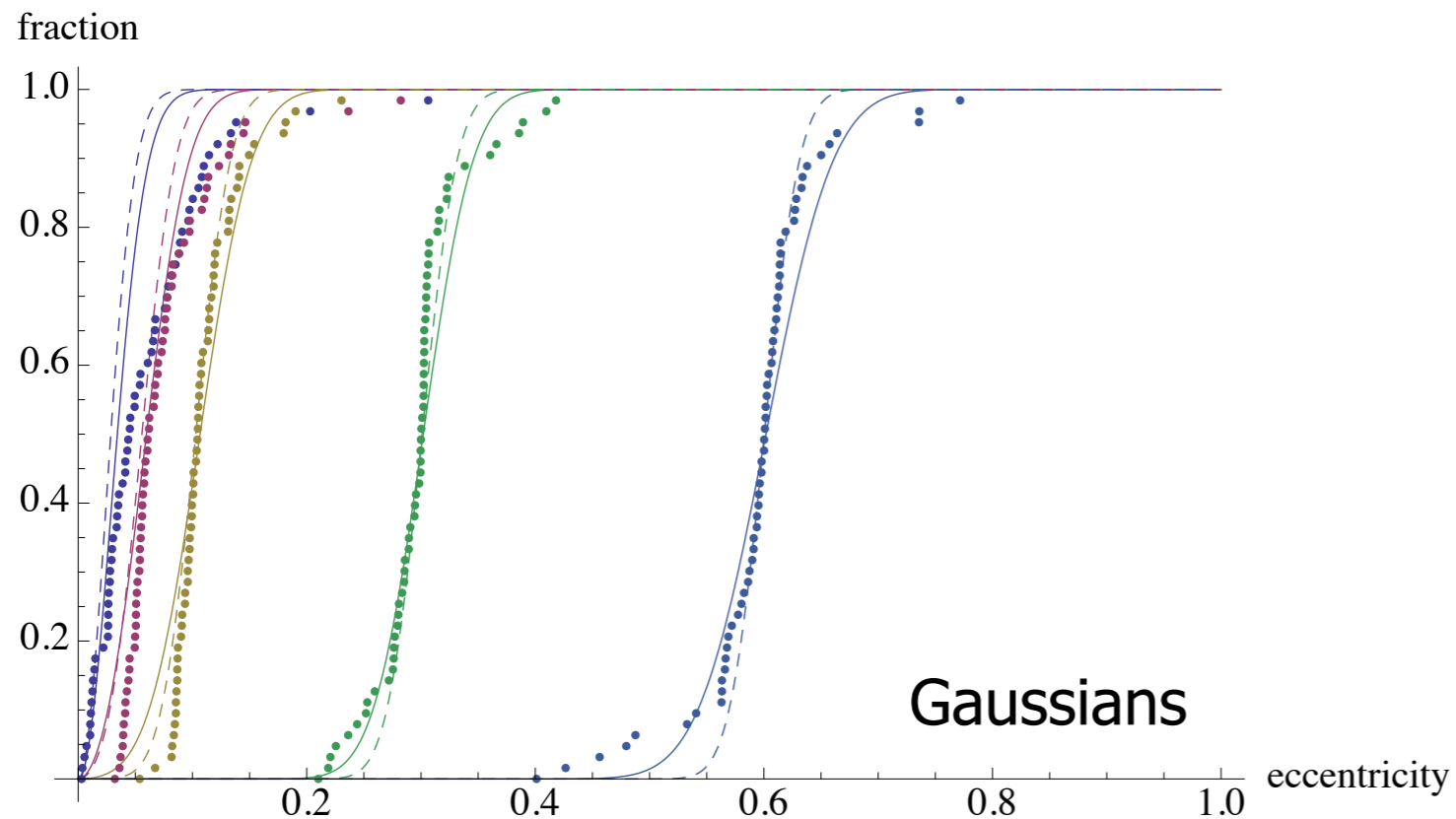
e_{mode}



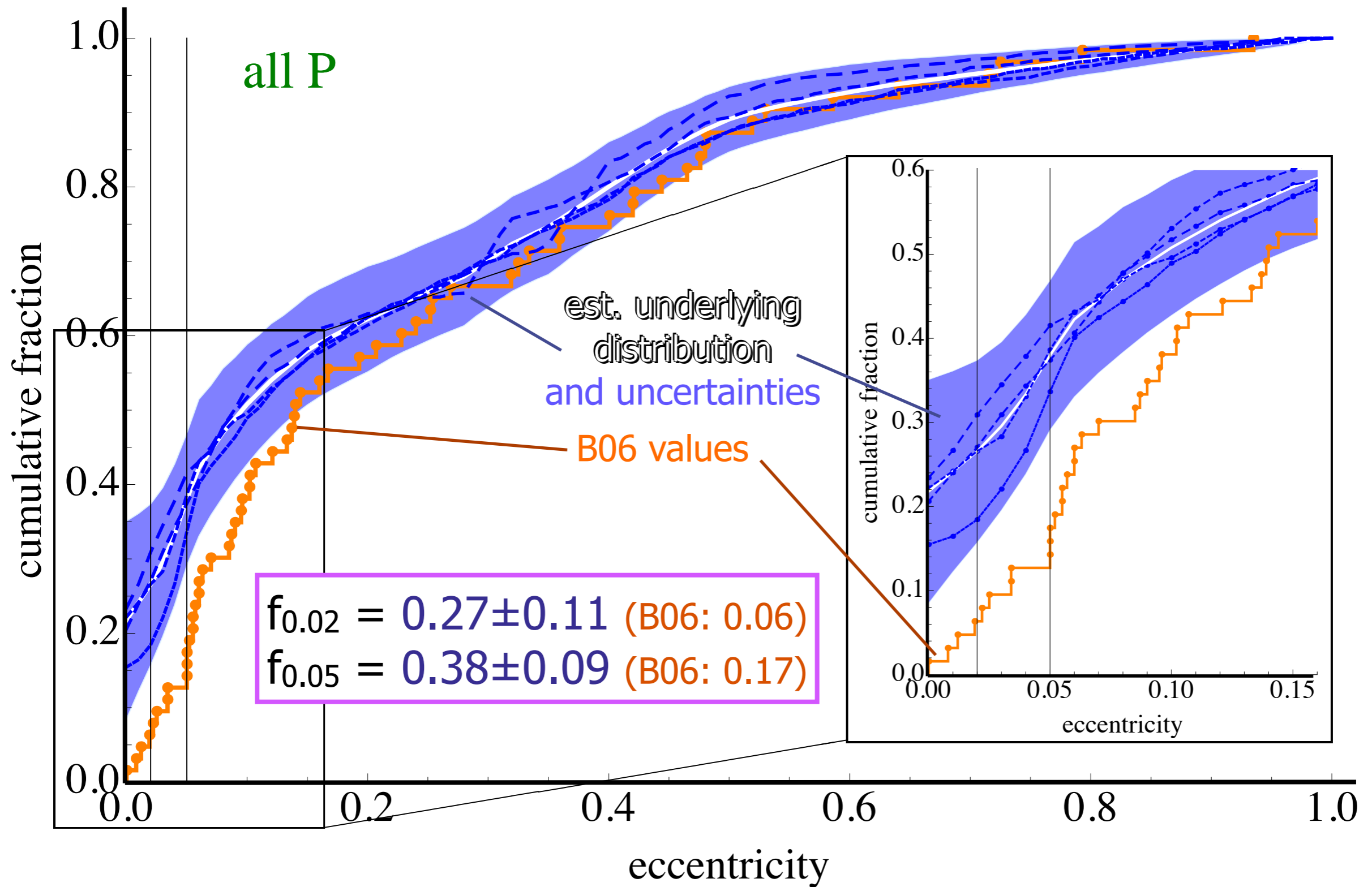
Estimating the underlying distribution



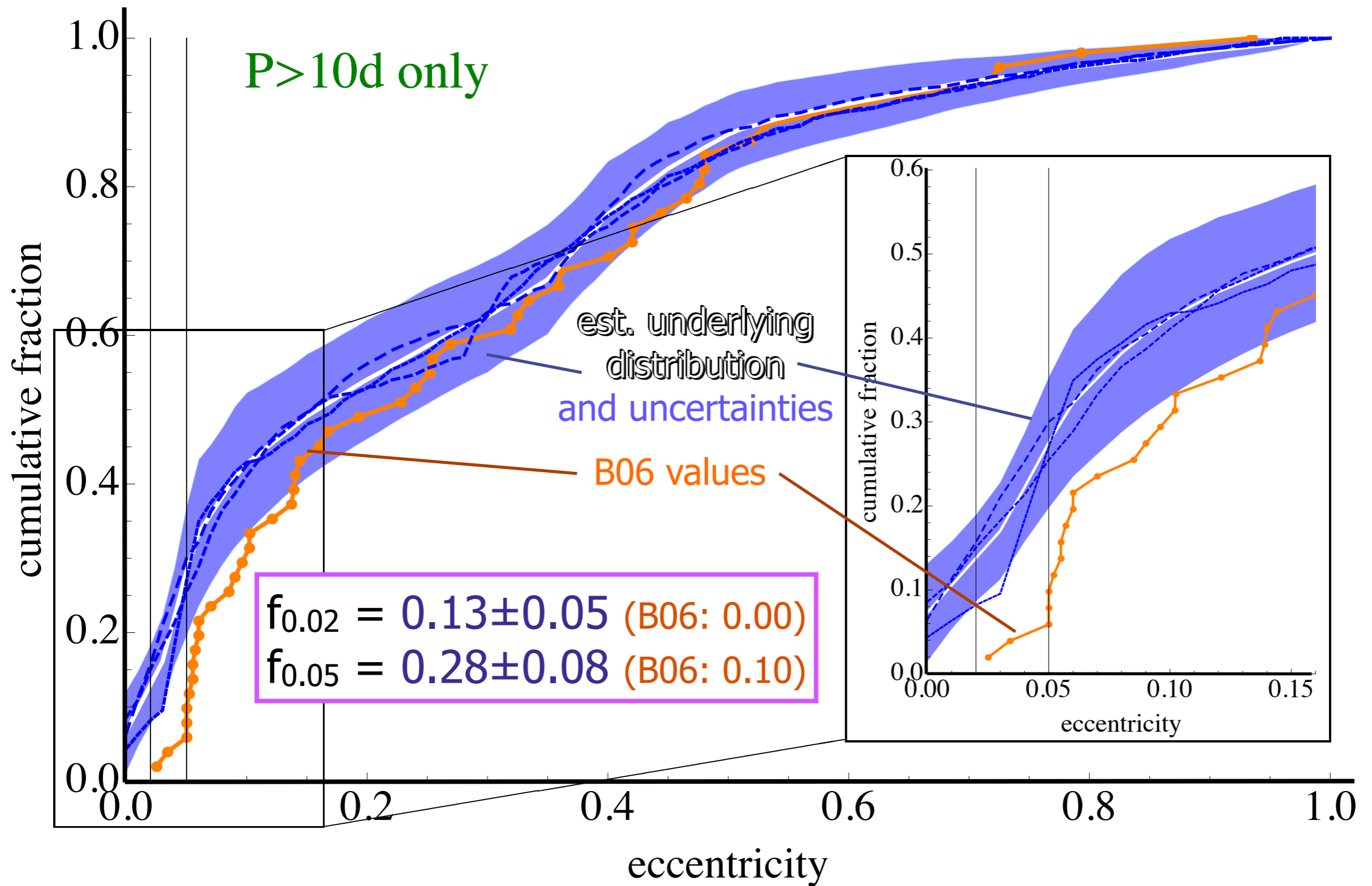
- Need $P(e|e_{in})$;
have measurements for $e_{in}=0, 0.05, 0.1, 0.3, 0.6$
- Gaussians in h, k (Shen & Turner 08) don't fit well
- Exponentials in h, k are better



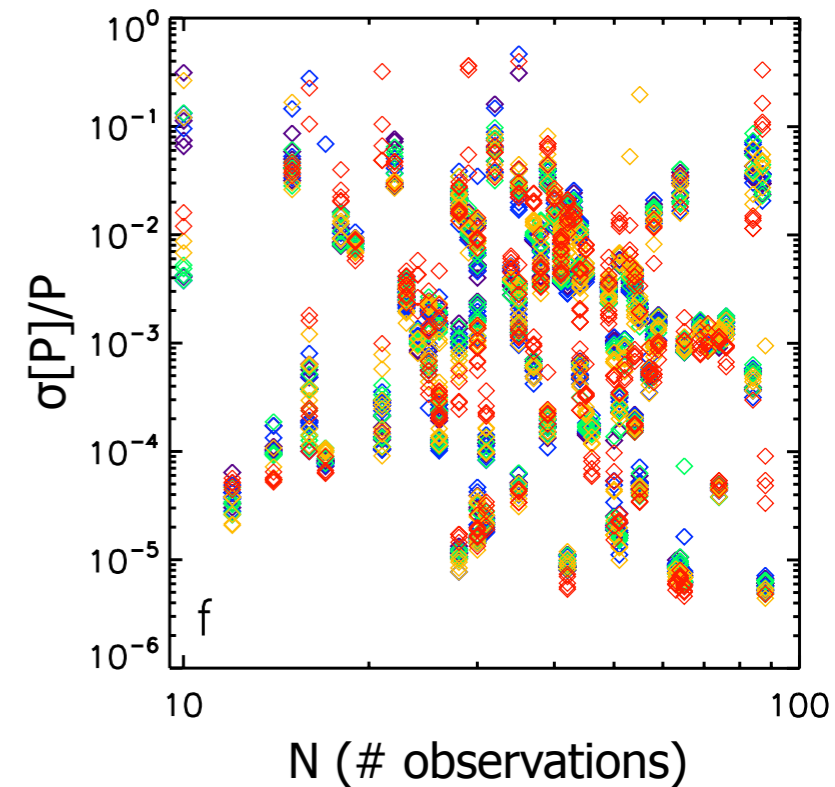
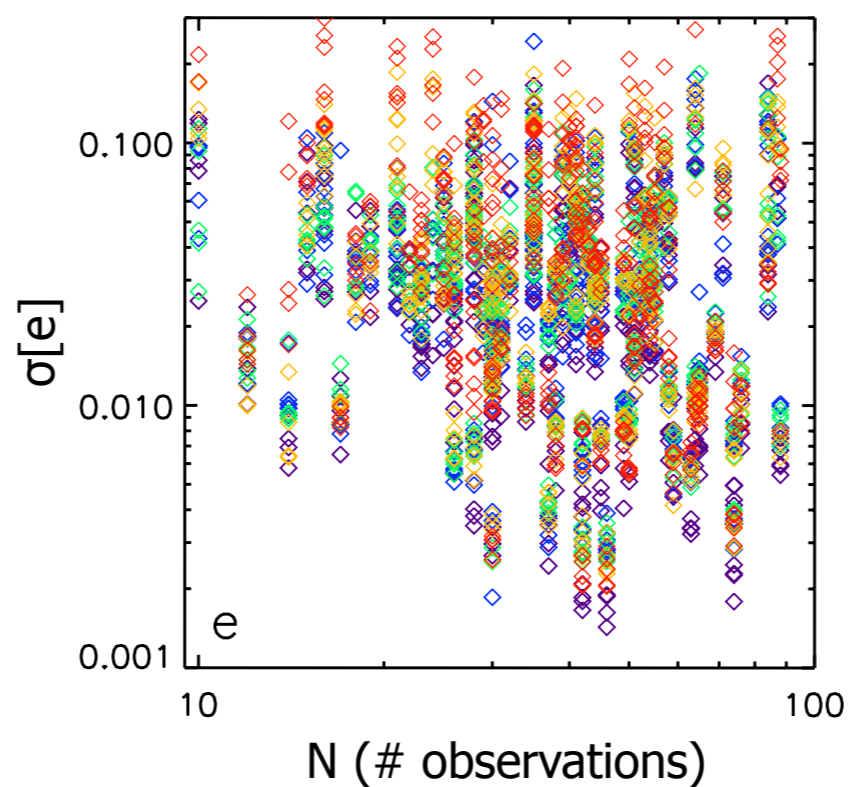
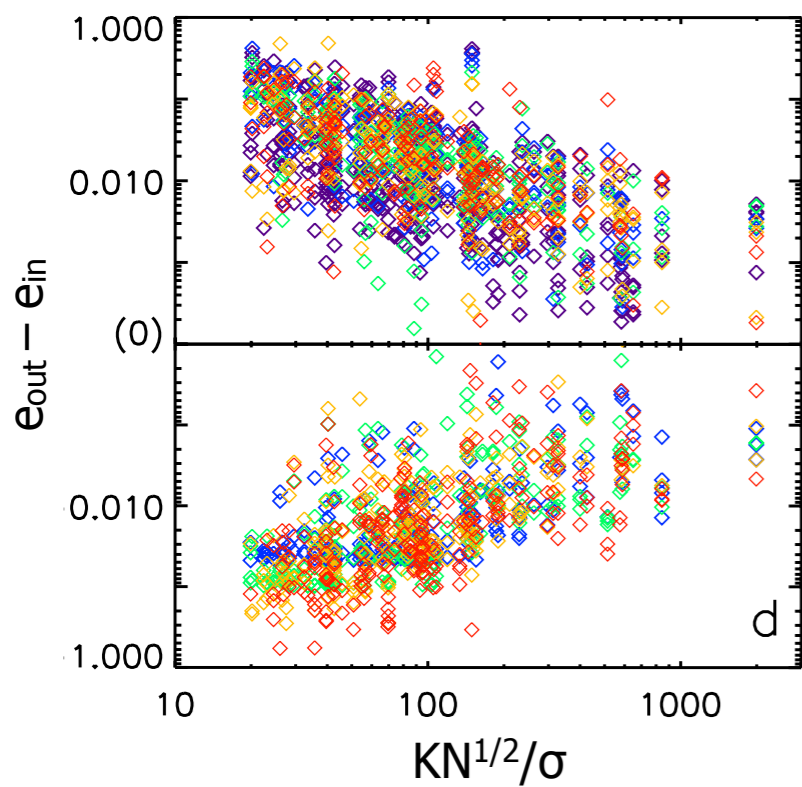
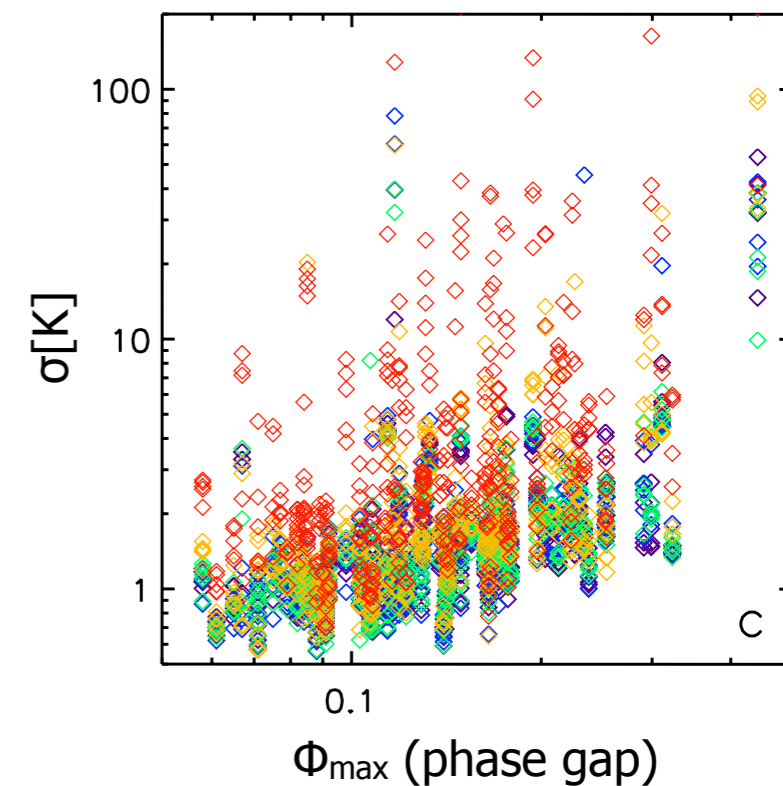
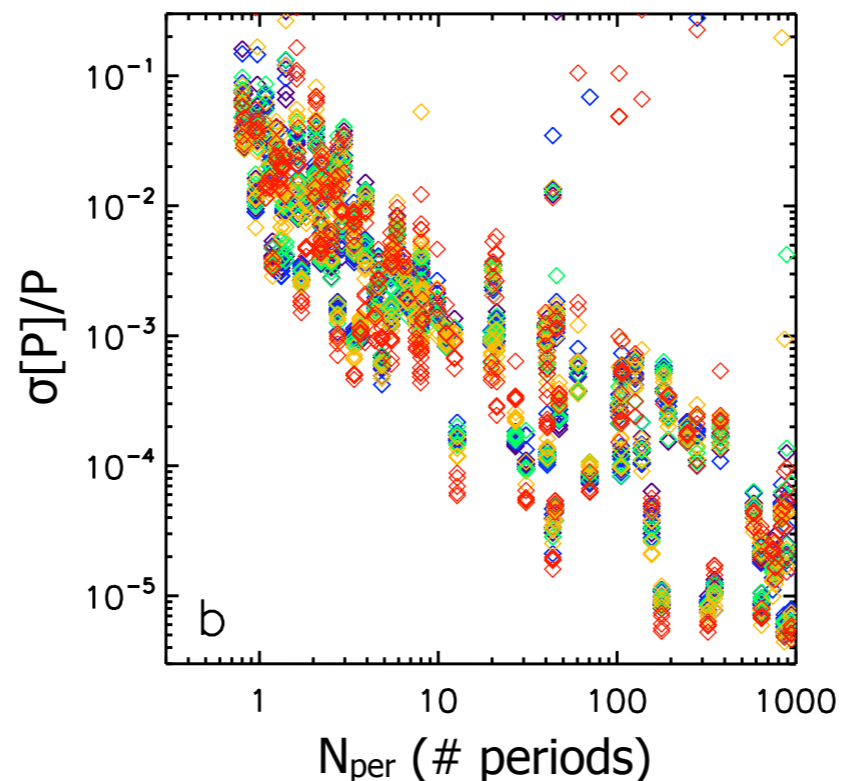
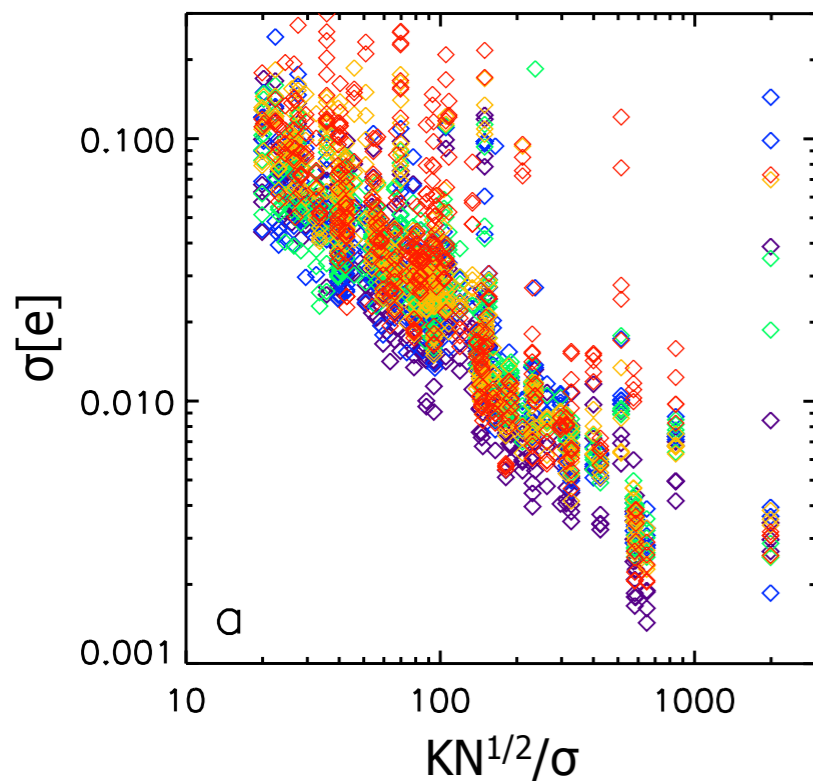
Estimating the underlying distribution



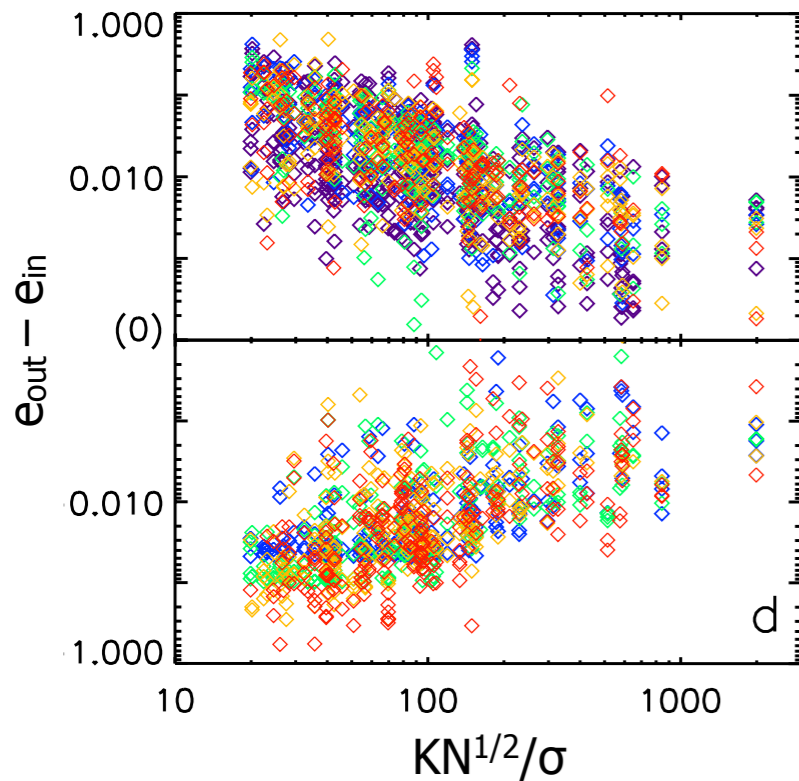
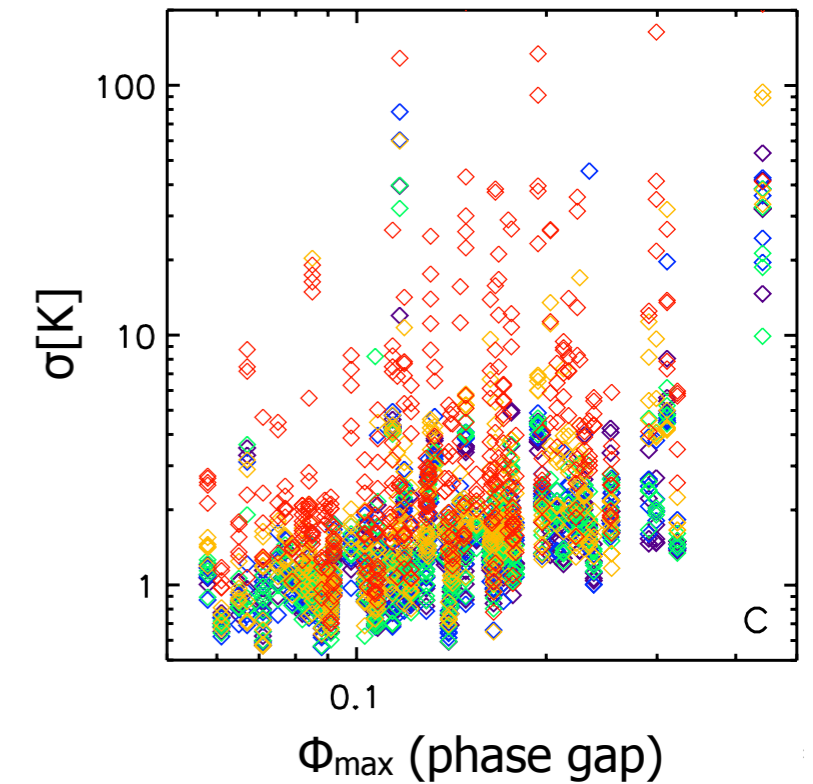
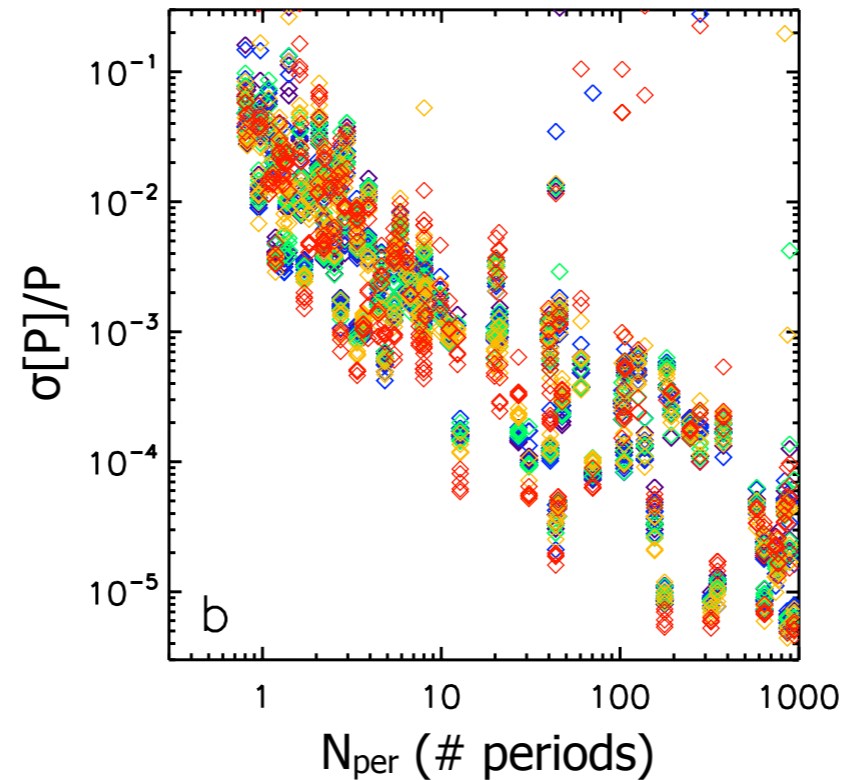
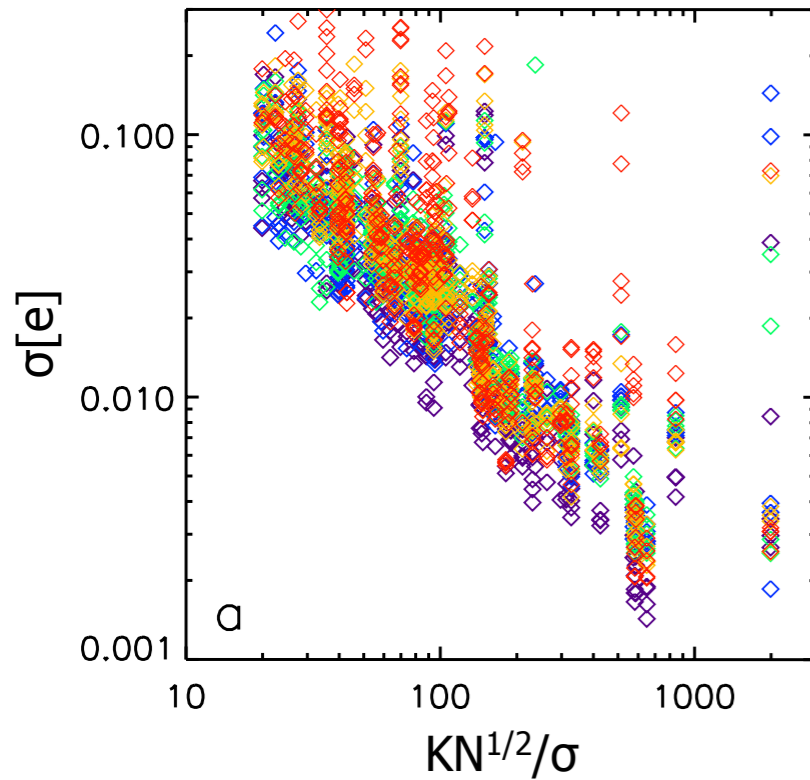
Estimating the underlying distribution



Trends in orbit parameter quality



Trends in orbit parameter quality



- $\sigma[e] < 0.05$ requires effective $S/N > \sim 40$
- $\sigma[P]/P < 0.1$ requires $N_{\text{per}} > 1$
 $\sigma[P]/P < 0.01$ requires $N_{\text{per}} > 2-3$
- $\sigma[K] < 3$ m/s requires
 phase gap < 0.3 when $e \lesssim 0.1$
 phase gap < 0.15 when $e \gtrsim 0.3$

Related work

- Shen & Turner 08 used χ^2 minimization to study eccentricity biases:
 - many variations on a single RV system rather than a catalog of systems
 - found eccentricity bias for datasets with low signal-to-noise ($K/\sigma < 3$) and moderate number of data points (< 60)

Summary

- Best-fit mean or median eccentricity output from orbit fitting procedures are **biased high for $e \leq 0.05$**
- We recommend **e_{mode}** as the reported eccentricity
- True fraction of low-eccentricity ($e \leq 0.05$) RV planets may be 35-40% rather than 15-20%
- **Future work:**
 - Larger planet catalog
 - Two-planet systems