

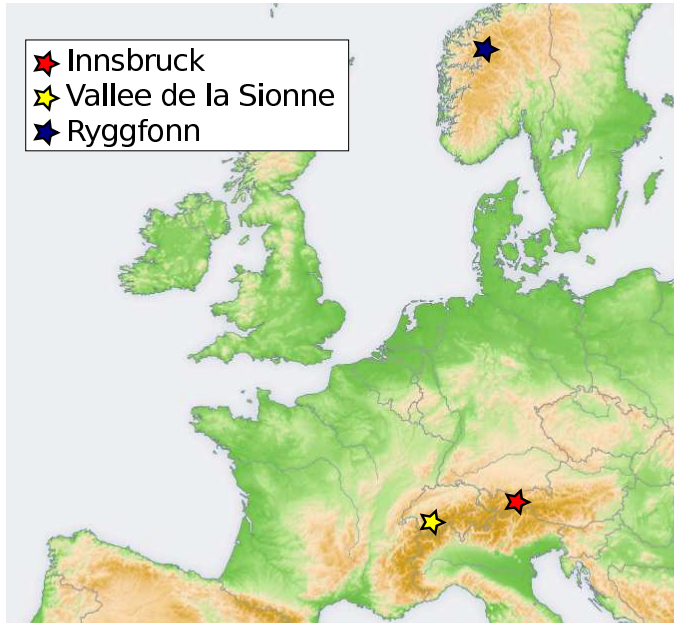
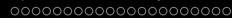
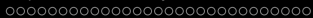
connecting computational and experimental snow avalanche dynamics

Jan-Thomas Fischer*,
Fromm, R.*, Gauer, P., Sovilla, B., Fellin, W.

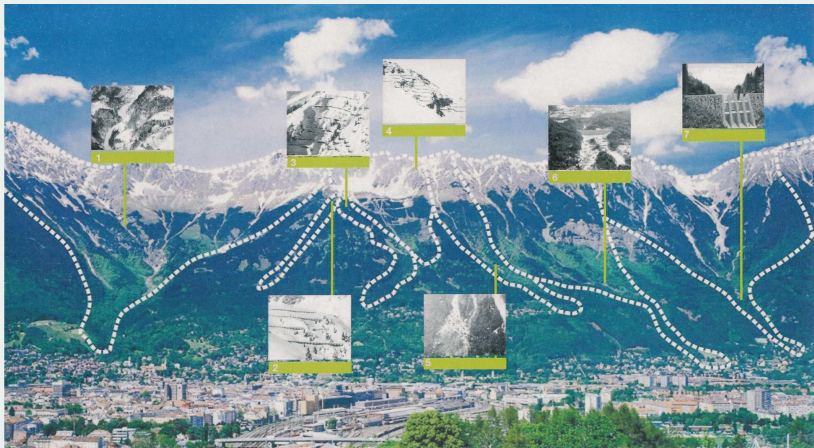
* Department for natural hazards - Austrian Research Centre for Forests BFW
Rennweg 1, 6020 Innsbruck, Austria

Fluid-mediated Particle Transport in Geophysical Flows
KITP, UCSB, 2013





Innsbruck, Tyrol, Austria



Avalanches north of Innsbruck

1: „Höttinger Graben“ avalanche
5: „Penzenlahn“ avalanche,

2: „Schneckenuff“ avalanche
6: „Arzler Alm“ avalanche,

3: „Gerlechner“ avalanche
7: „Mühlauer Klamm“ avalanche

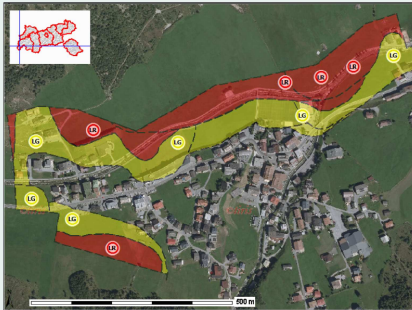
4: „Rastboden“ & „Gerschrofen“ avalanches,

1999 Galtür, Austria



destructive potential of extreme snow avalanches

hazard mapping



how far?

→ **runout**

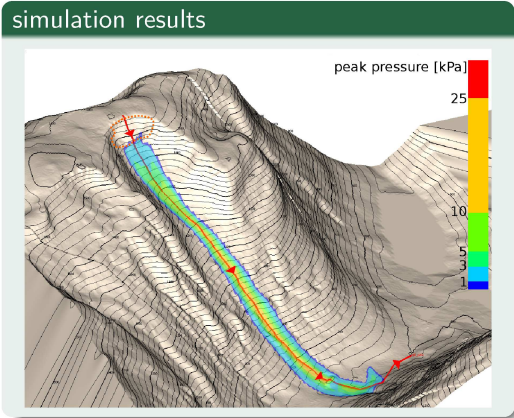
mitigation planning



how destructive?

→ **pressure**

methods: computational and experimental avalanche dynamics



computation [5]

samosAT

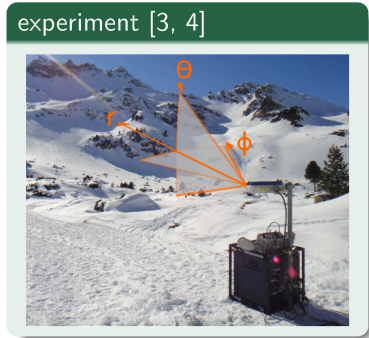
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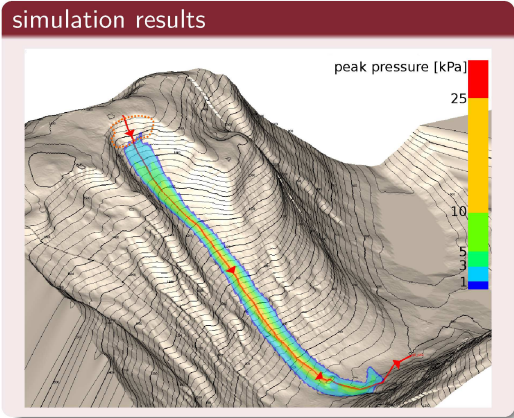
Rechnermodell, Lauchhut
Zusammenarbeit mit der BLS
zur Entwicklung der Software
für die Auswertung von Lauchhut-Griffe

AVL FIRE®

RAMMS
rigid mass movement

Max. flow height
5m
0m





computation [5]

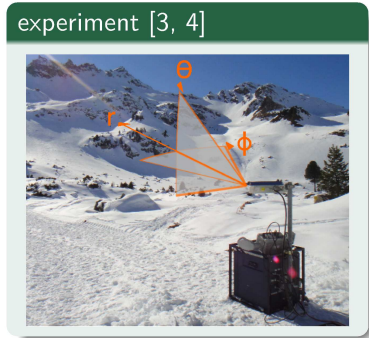
samosAT

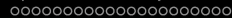
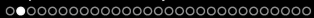
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Rechnermodell, Laichleit
Zusammenarbeit mit der BLS
an der Universität für Bodenkultur
für den Bauingenieurwissenschaften

RAMMS
rigid free movement

Max. free height
5 m
0 m





dfa - dense flow avalanche



Thehighrisespages.de

psa - powder snow avalanche



model equations - shallow water/Savage Hutter

$$\partial_t \begin{pmatrix} h \\ hu_x \\ hu_y \end{pmatrix} + \partial_x \begin{pmatrix} hu_x \\ hu_x^2 + \frac{g_z h^2}{2} \\ hu_x u_y \end{pmatrix} + \partial_y \begin{pmatrix} hu_y \\ hu_x u_y \\ hu_y^2 + \frac{g_z h^2}{2} \end{pmatrix} = \begin{pmatrix} 0 \\ S_x \\ S_y \end{pmatrix}$$

$$S_i = hg_i - \frac{u_i}{\|\mathbf{u}\|} \frac{\tau^b}{\rho}$$

flow height: h , velocity: $\mathbf{u} = (u_x, u_y)$, grav. acceleration: $\mathbf{g} = (g_x, g_y, g_z)$

model assumptions

- incompressible material
- boundary conditions
- shallowness/dimension analysis
- depth integration

phenomenological bottom friction

$$\tau_{RAMMS}^b = \mu \rho h g_z + \frac{\|\rho \mathbf{g}\|}{\xi} \mathbf{u}^2$$

$$\tau_{SamosAT}^b = \mu \left(1 + \frac{R_s^0}{R_s^0 + R_s}\right) \rho h g_z + \frac{\rho \mathbf{u}^2}{\left(\frac{1}{\kappa} \ln \frac{h}{R} + B\right)^2} + \tau_0$$

$$\tau_{XYZ}^b = \dots$$

with

$$R_s = \frac{\rho \mathbf{u}^2}{h g_z}, \text{ friction parameters: } \mu, \xi, R_s^0, \kappa, R, B, \tau_0, \dots$$

model results and their interpretation

model results - spatiotemporal evolution of flow variables:

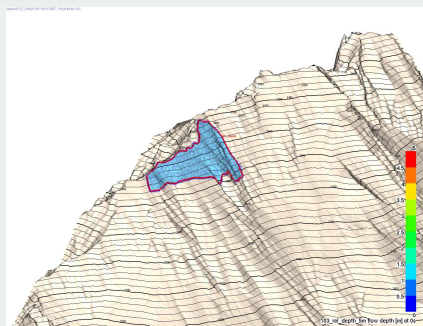
- $h(x, y, t)$ - flow depth
- $\mathbf{u}(x, y, t)$ - flow velocity

simulation results - maximum impact pressure

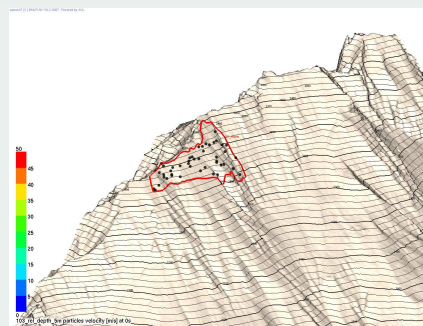
- $P(x, y, t) = \rho_{flow} u^2$
- $\tilde{P}(x, y) = \max_t P(x, y, t)$

[9, 1]

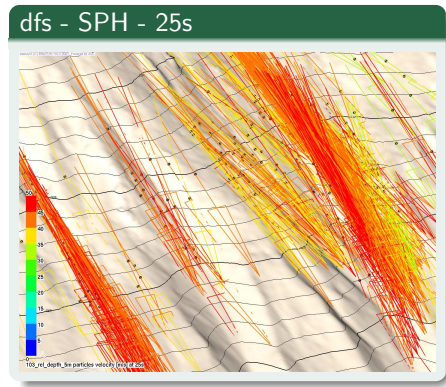
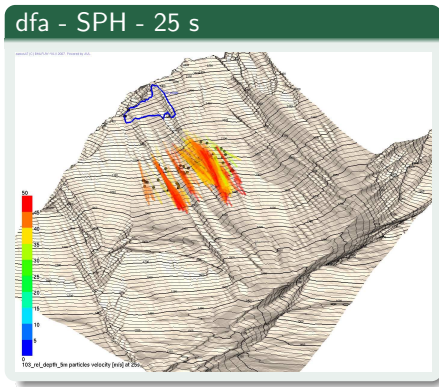
dfa - SPH - continuum



dfa - SPH - numerical particles



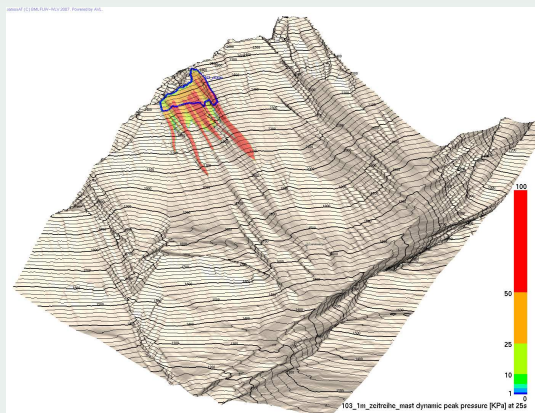
- discretization in: time, space, mass



- computation of spatiotemporal evolution of flow variables

example Vallée de la Sionne, Switzerland:

simulation results 25s:



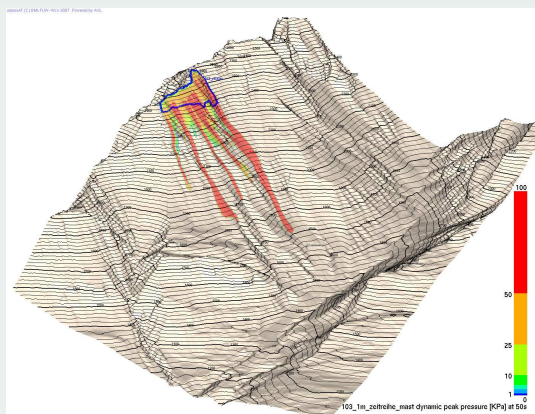
- how far?
→ **runout**

- how destructive?
→ **pressure**

- initial conditions → measurements

example Vallée de la Sionne, Switzerland:

simulation results 50s:



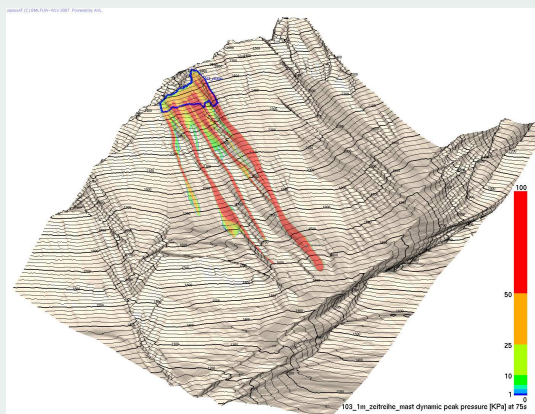
- how far?
→ **runout**

- how destructive?
→ **pressure**

- initial conditions → measurements

example Vallée de la Sionne, Switzerland:

simulation results 75s:



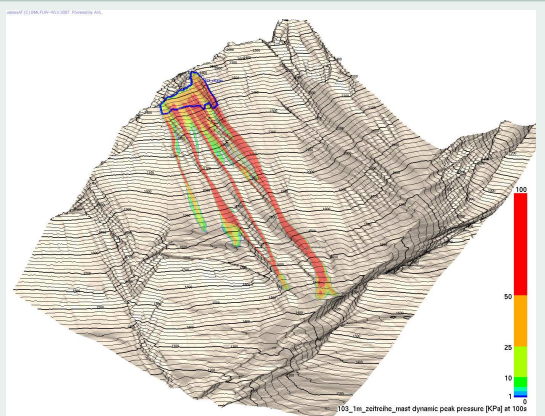
- how far?
→ **runout**

- how destructive?
→ **pressure**

- initial conditions → measurements

example Vallée de la Sionne, Switzerland:

simulation results 100s:

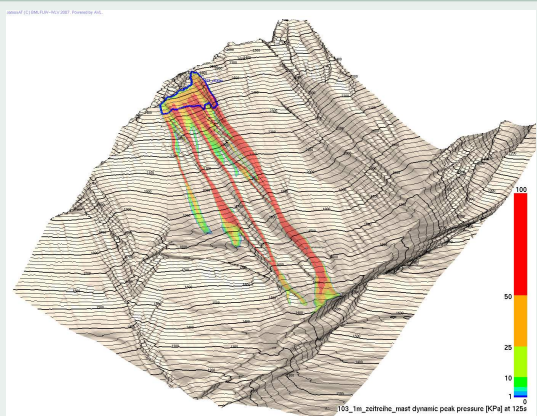


- how far?
→ **runout**
- how destructive?
→ **pressure**

- initial conditions → measurements

example Vallée de la Sionne, Switzerland:

simulation results 125s:

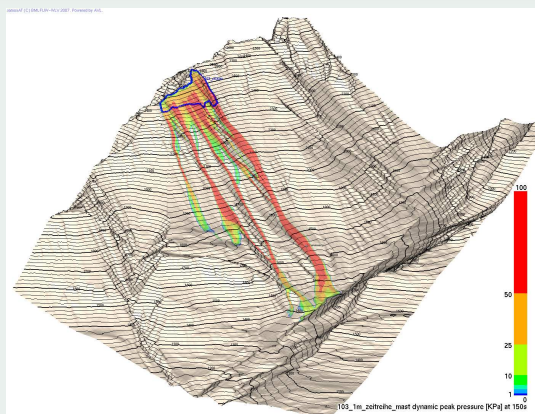


- how far?
→ **runout**
- how destructive?
→ **pressure**

- initial conditions → measurements

example Vallée de la Sionne, Switzerland:

simulation results 150s:

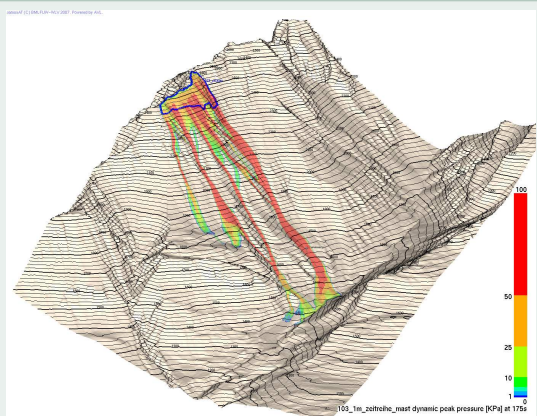


- how far?
→ **runout**
- how destructive?
→ **pressure**

- initial conditions → measurements

example Vallée de la Sionne, Switzerland:

simulation results 175s:

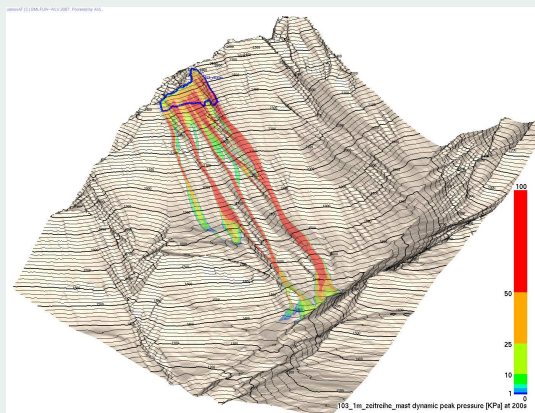


- how far?
→ **runout**
- how destructive?
→ **pressure**

- initial conditions → measurements

example Vallée de la Sionne, Switzerland:

simulation results 200s:

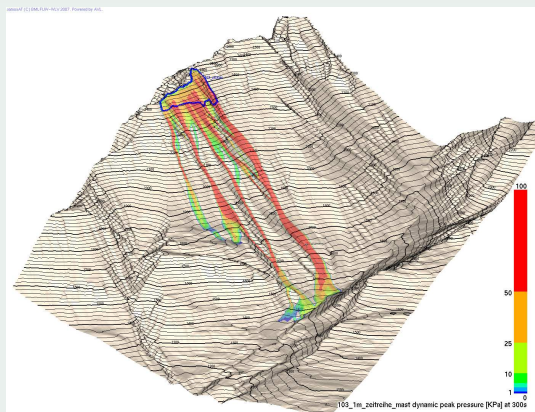


- how far?
→ **runout**
- how destructive?
→ **pressure**

- initial conditions → measurements

example Vallée de la Sionne, Switzerland:

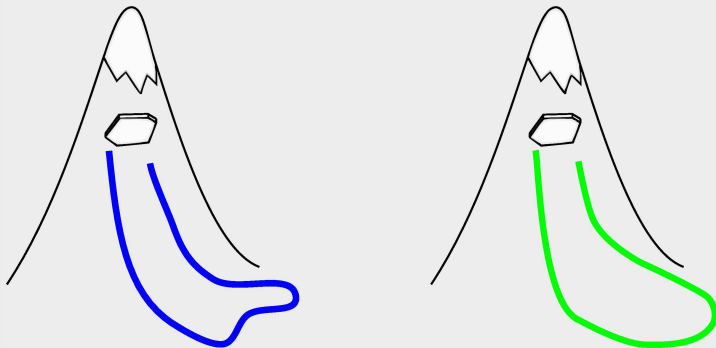
simulation results final:



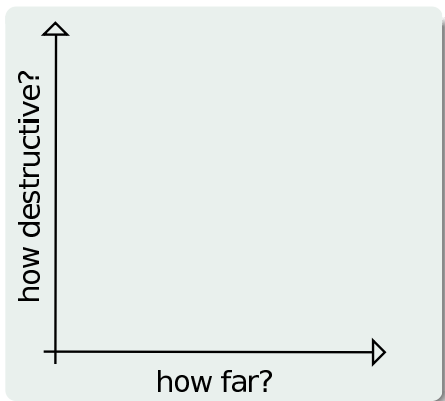
- how far?
→ **runout**
- how destructive?
→ **pressure**

- model parameters → back calculation

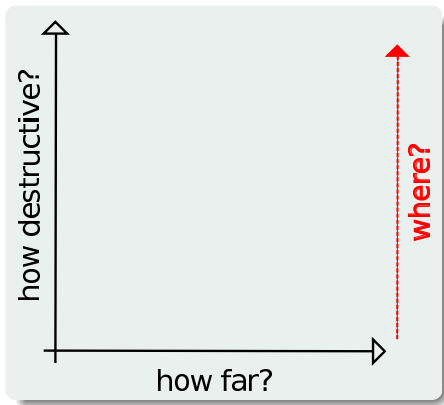
method for evaluation and comparison [2]



input: topography, release information, model parameters
 output: flow depth, velocity, ... maximum impact pressure - $\tilde{P}(x, y)$



scalar metric, to represent main avalanche features



scalar metric, to represent main avalanche features

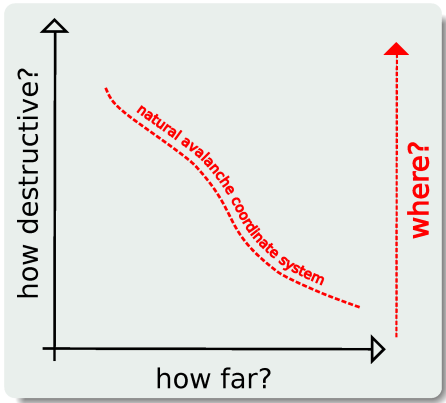
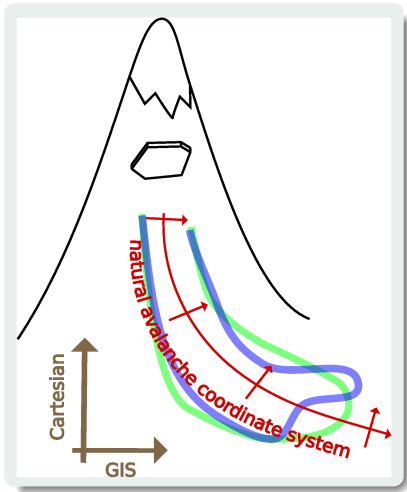


- how to determine start and end point in a global framework?
- how would an avalanche see it?



- how would an avalanche see it - change of framework
- coordinate transformation along the avalanche path

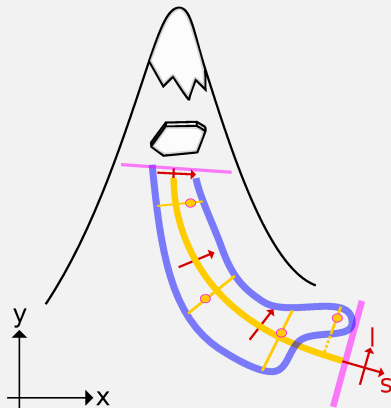
coordinate transformation



where? path dependent coordinate system

indicators - path dependent metric

destructiveness



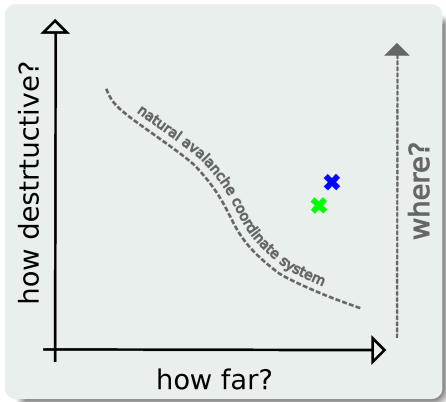
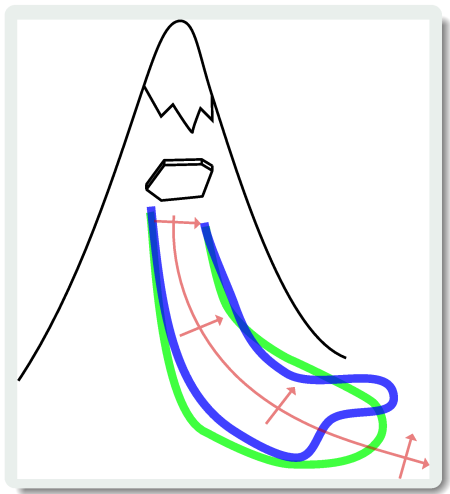
what is destructiveness?

a measure for destructiveness is the **A**veraged (along the avalanche path)
Maximum (cross sectional)
Peak **P**ressure (**AMPP**)

$$P_{cross}^{max}(s) = \max_l P(s, l)$$

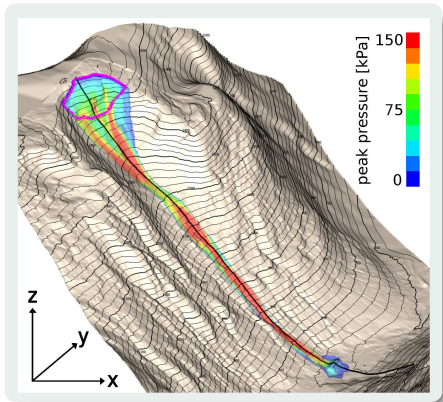
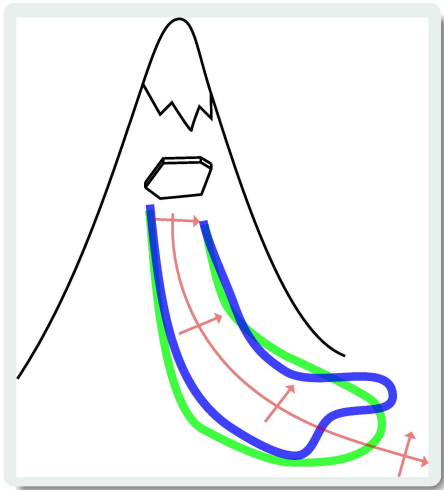
$$AMPP = \frac{1}{|s_{start} - s_{runout}|} \int_{s_{start}}^{s_{runout}} P_{cross}^{max}(s) ds$$

two dimensional pressure results $\tilde{P}(x, y)$ to define scalar indicators in new coordinate system $P(s, l)$



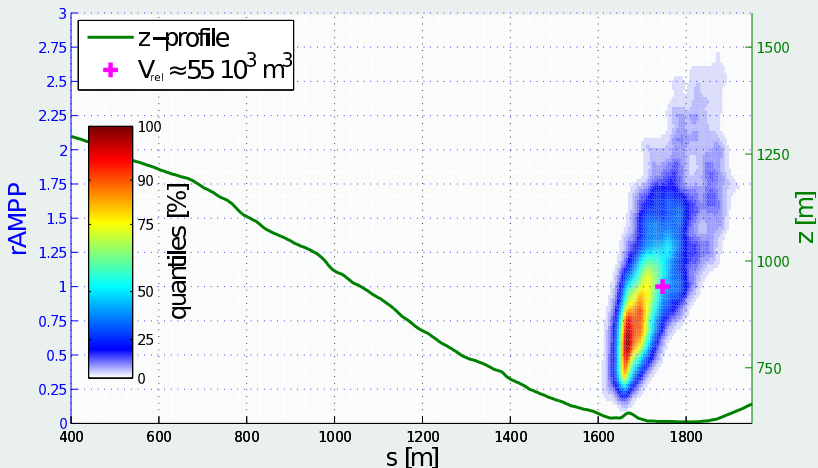
comparison of multiple simulation runs

Example - Ryggfonn



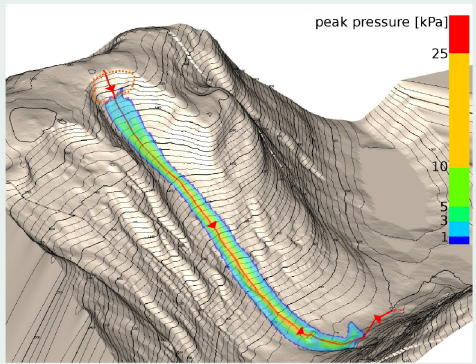
definition of path dependent coordinate system

variation of model parameters



application in sensitivity analysis, calibration, uncertainty analysis

simulation results [2]



computation [5]

samosAT

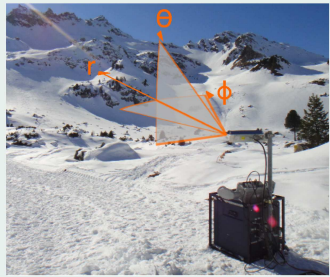
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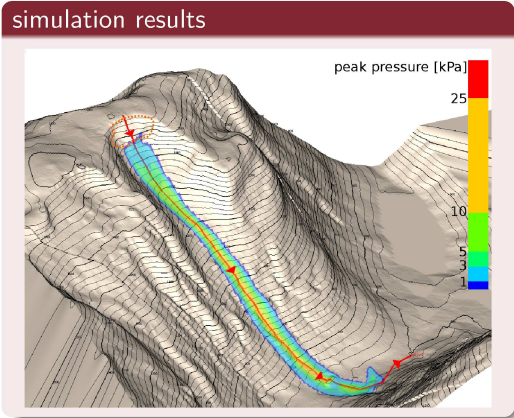
Rechnermodell, Lauchloch
Zusammenarbeit mit der BVL
an der Universität für Bodenkultur
für den Naturgefahrenschutz ggr/le

RAMMS
rigid mass movement

Max. flow height
5 m
0 m

experiment [3, 4]





computation [5]

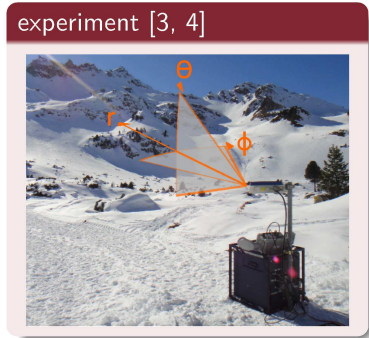
samosAT

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Rechnermodell, Lauchloch
Zusammenarbeit mit der WLV
an der Universität für Bodenkultur
für den Naturgefahrenschutz gGmbH

RAMMS
rigid free movement

Max. free height
5 m
0 m



Ryggfonn

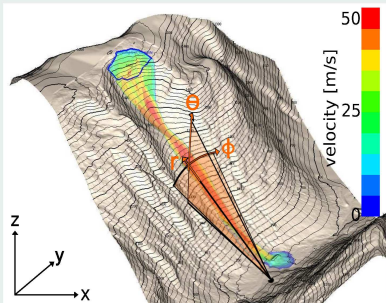


Vallée de la Sionne



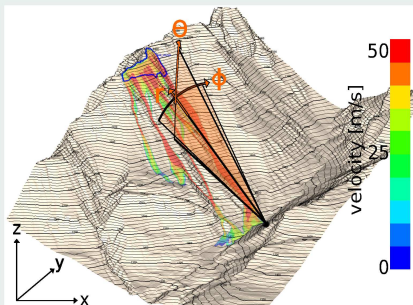
Doppler radar positions at test sites

Rygghonn - 17.04.1997



- $V_{rel} \approx 12 - 30 \times 10^3 \text{ m}^3$
- $V_{dep} \approx 40 \times 10^3 \text{ m}^3$
- $\bar{\alpha} = 28^\circ$
- $\Delta Z = 900 \text{ m}$

Vallée de la Sionne - 10.02.1999



- $V_{rel} \approx 84 \times 10^3 \text{ m}^3$
- $V_{dep} \approx 505 \times 10^3 \text{ m}^3$
- $\bar{\alpha} = 30^\circ$
- $\Delta Z = 1200 \text{ m}$

Ryggfonn



Vallée de la Sionne

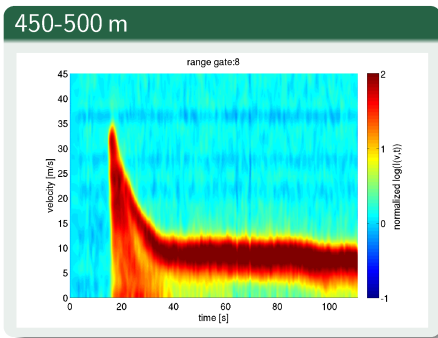


Vallée de la Sionne, 10. 2. 1999

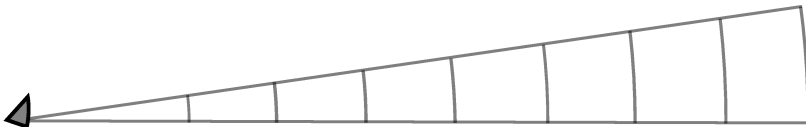


Ryggfonn 17.04.1997

450-500 m

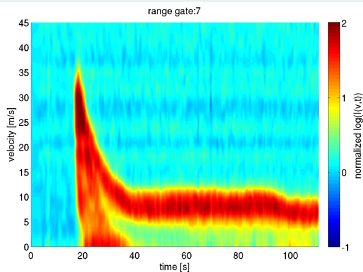


- range gate intensity spectra
 $I(t, \Delta f) \rightarrow I(t, v)$
- lowpass and noise filtering
- normalizing with background signal

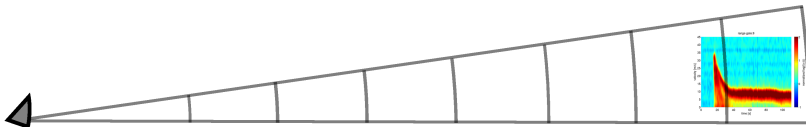
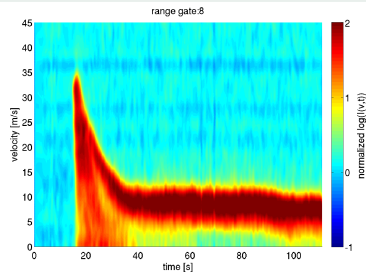


Ryggfonn 17.04.1997

400-450 m

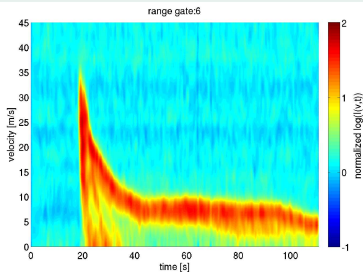


450-500 m

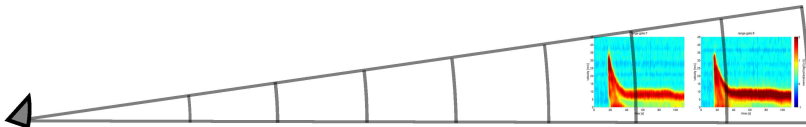
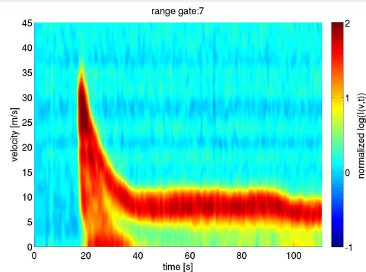


Ryggfonn 17.04.1997

350-400 m

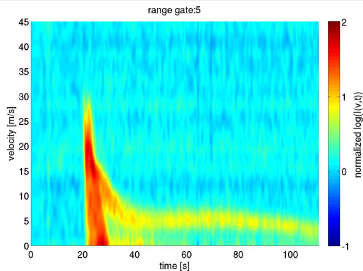


400-450 m

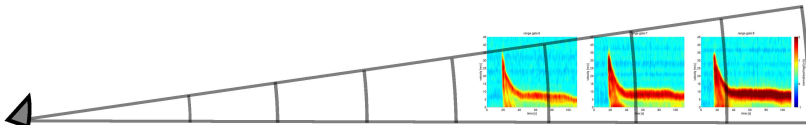
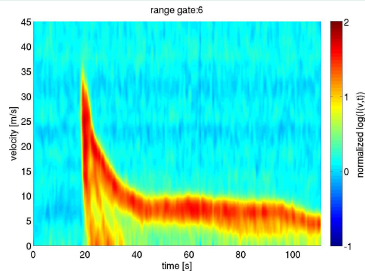


Ryggfonn 17.04.1997

300-350 m

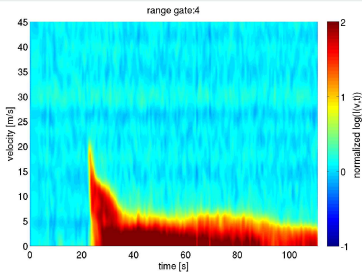


350-400 m

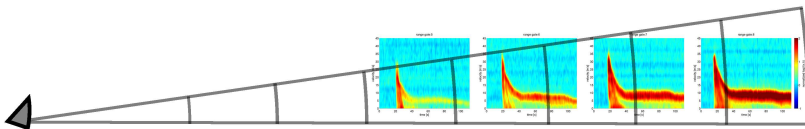
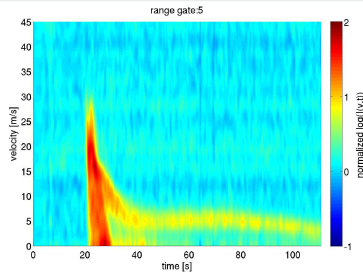


Ryggfonn 17.04.1997

250-300 m

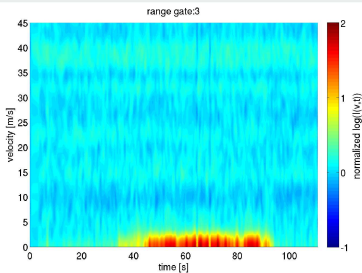


300-350 m

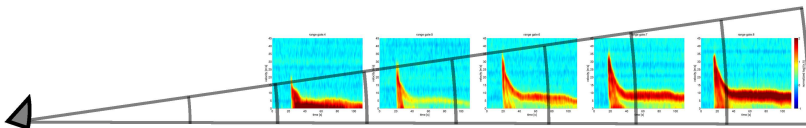
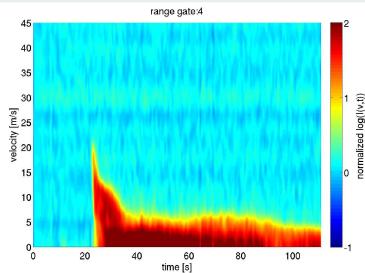


Ryggfonn 17.04.1997

200-250 m

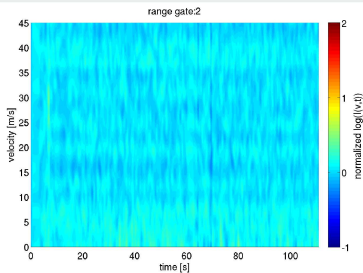


250-300 m

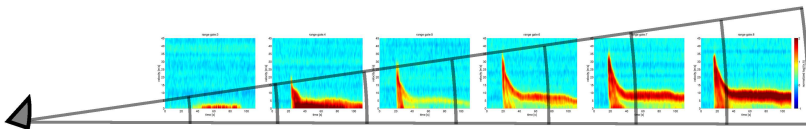
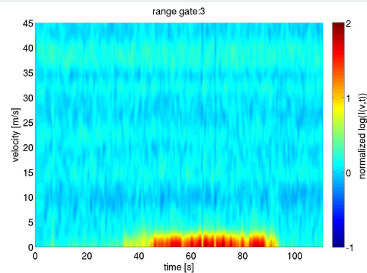


Ryggfonn 17.04.1997

150-200 m



200-250 m

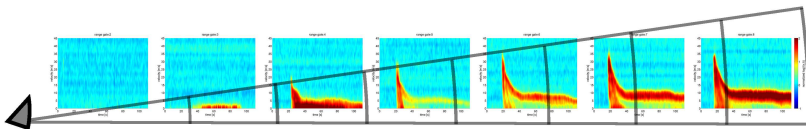
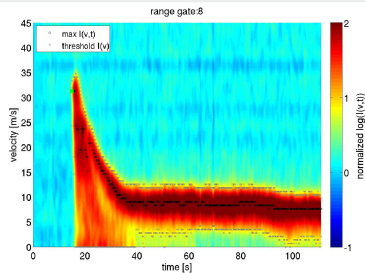


Ryggfonn 17.04.1997

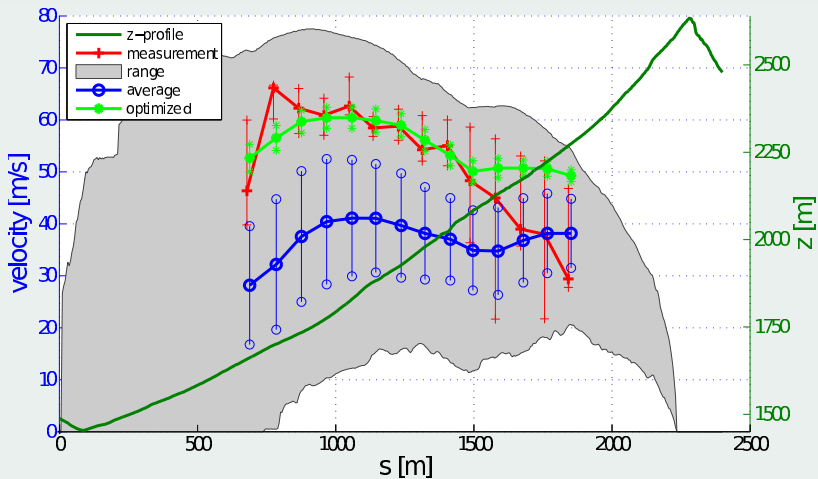
different velocity types

- velocity of maximum intensity
- front velocity
- velocity range
- [12, 8, 6]...

450-500 m



Vallée de la Sionne - avalanche simulation with monte carlo input variations



velocity range, average and best fit...

Ryggfonn, Norway - scanning position



avalanche release



artificially released slab

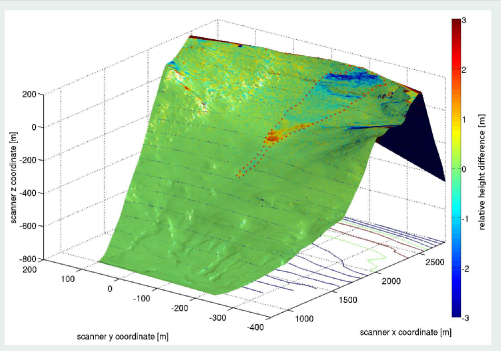
avalanche deposition



field measurement

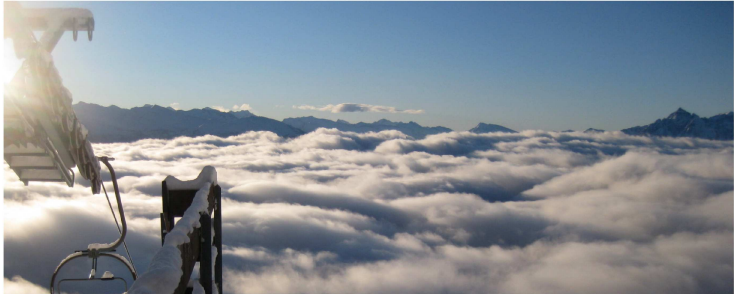


data evaluation

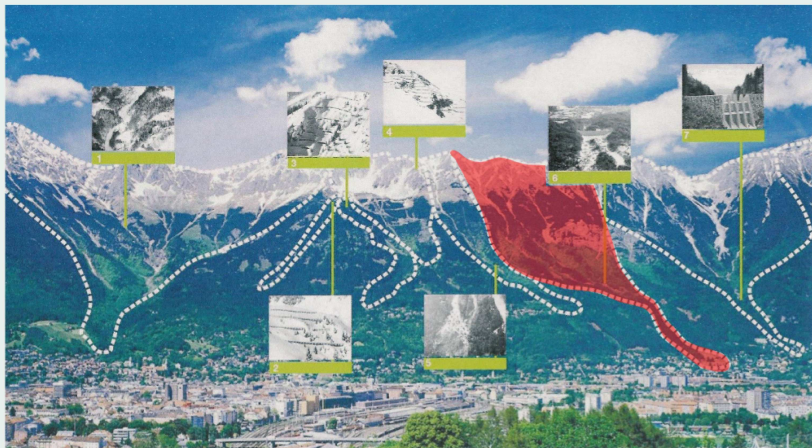


volume $\approx 15000 \text{ m}^3$
 areas of erosion and deposition

thank you for your attention



Arzler Alm avalanche, Innsbruck, Tyrol, Austria



Avalanches north of Innsbruck

1: „Höttinger Graben“ avalanche
5: „Penzenlahn“ avalanche,

2: „Schneckenfuf“ avalanche
6: „Arzler Alm“ avalanche,

3: „Gerlechner“ avalanche
7: „Mühlauer Klamm“ avalanche

4: „Rastiboden“ & „Gerschrofen“ avalanches,

historical events - e.g. 1923

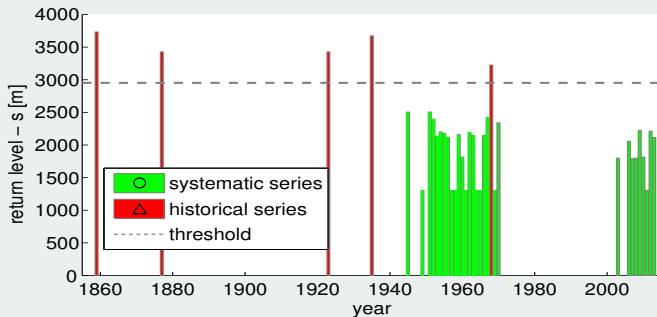


Phot. Richard Müller, A. Druck.

Ein Bild der Mühslauer Lawine vom Jahre 1923, die fast am gleichen Tage, am 3. Februar, aus dem Gebiete des Arzler Horns herabkam.

- what run out is expected for a certain return period?
- what return period can be assigned to an event?
- can extreme value analysis be helpful?

time series data



- horizontally projected runlength - return level s [m]
- **systematic series:** block maxima of continuous observation (30 y)
- **historical series:** observed events above limit (5 y)
- **threshold:** upper limit for all non observed events (121 y)

generalized extreme value (GEV) distribution

$$f_{\theta}(R) = \frac{1}{\sigma} \left(1 - \xi \frac{(R - \mu)}{\sigma}\right)^{(1/\xi - 1)} \exp\left(-\left(1 - \xi \frac{(R - \mu)}{\sigma}\right)^{1/\xi}\right), \quad \xi \neq 0,$$

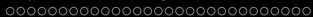
$$F_{\theta}(R) = \exp\left(-\left(1 - \xi \frac{(R - \mu)}{\sigma}\right)^{1/\xi}\right), \quad \xi \neq 0,$$

with $\theta = \{\mu, \sigma, \xi\}$: location μ , scale σ and shape ξ .

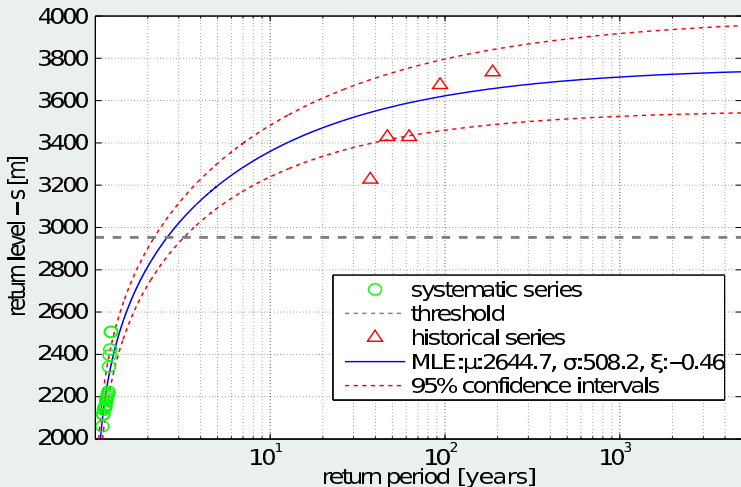
→ maximum likelihood estimate fit with customized likelihood function

$$L = \prod_i^s f(R_i|\theta) F(R_{lim}|\theta)^{n-h-s} \prod_j^h f(R_j|\theta),$$

with n , the total length of the investigated series, the run out threshold R_{lim} , R_i the run out values of the systematic series of length s and R_j the run out values of the historical series of length h , respectively.

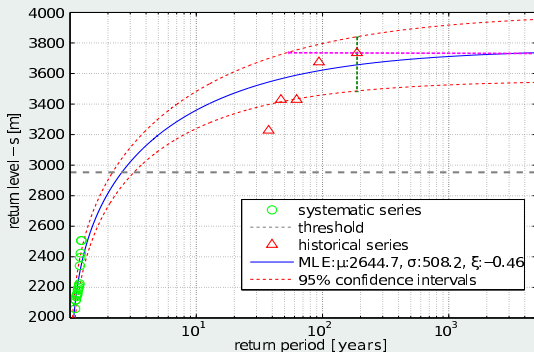


return level - return period



return period = 1 / exceedance probability

return level - return period - largest event 1859



- empirical observation: return level $s = 3735$ m return period 187 y
- GEV estimate for RP 187 y: 3657 m (3486 m to 3840 m)
- GEV estimate for RL $s = 3735$ m: 4313 y (52 y to ∞ y)
 → return period estimates difficult - return level estimates O.K.