

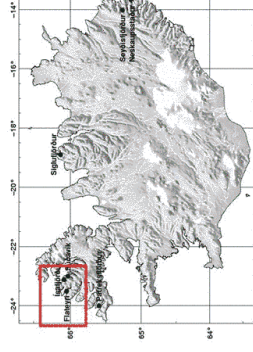
Arresting and Deflecting Snow Avalanches

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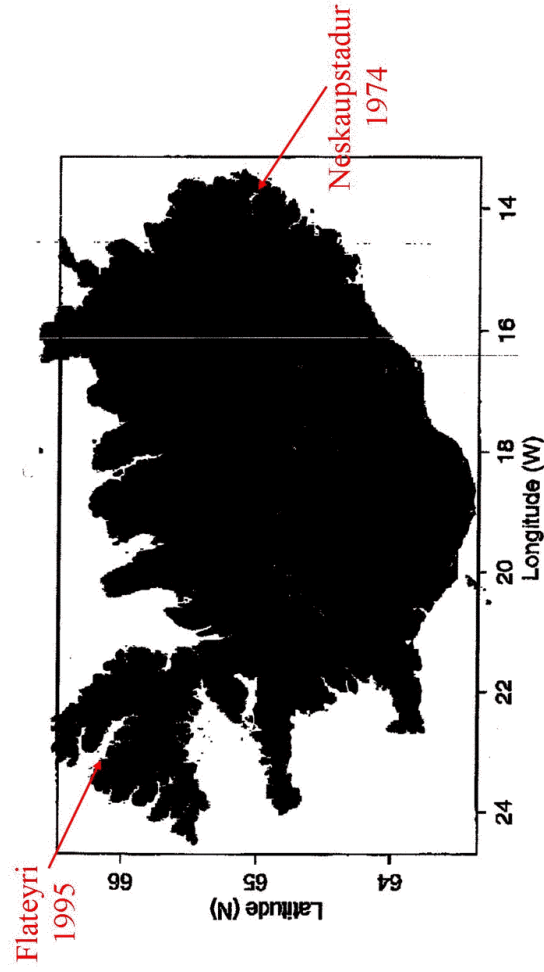


- New housing at base of mountain gully
- Some conical mounds to arrest avalanches



- On 26 October 1995 a large volume snow avalanche struck Flateyri.
- 20 fatalities; third most serious avalanche accident in Icelandic recorded history.
- All but one of the destroyed houses outside of the declared avalanche-danger areas.

Snow Avalanche occurrence

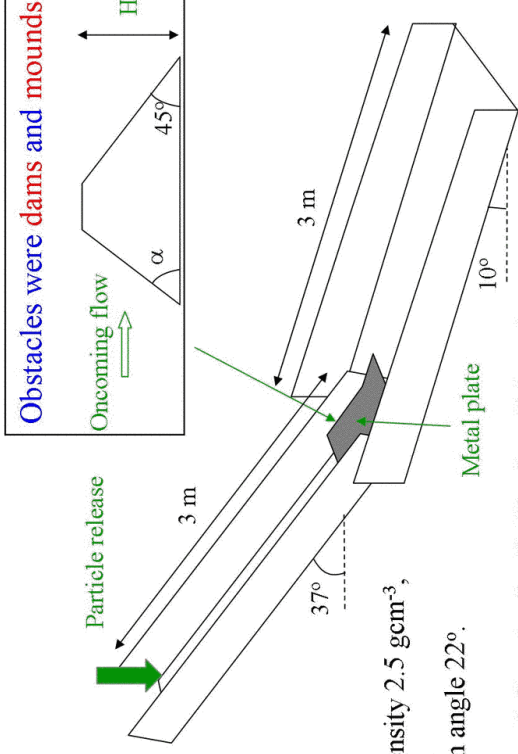


Various defence schemes employed:

- Village relocation; Evacuation procedures; Snowpack stabilisation.
- Deflecting dams; Braking mounds.



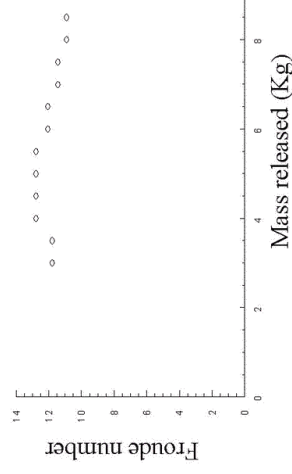
Rapid flow Experiments



- The apparatus
- Glass ballotini particles
 - diameter 100µm, density 2.5 gcm⁻³, angle of repose 26°, dynamic bed friction angle 22°.
- Mass released 3-8 Kg
- Measurements of flow speed, flow depth, distribution of deposit
 - using analysis of video recordings, tracer particles, depth gauges

The flow on the upper chute

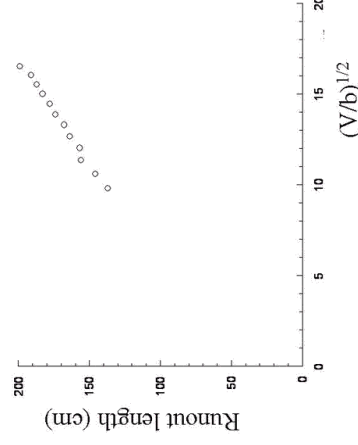
- The flow rapidly attains a terminal velocity.
 - The material travels as a “hummock” shape, with the front moving faster than the following stream.
 - Constant Froude number ($F=U/(gh)^{1/2}$)



Balance drag and gravitational forces

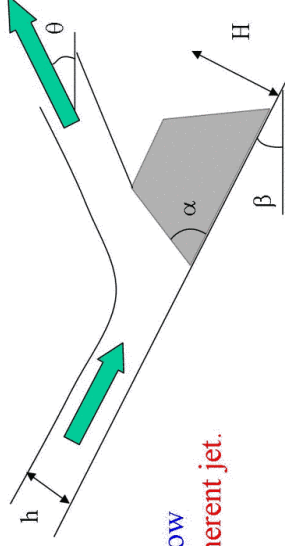
$$C_D u^2 = g(\sin \theta - \cos \theta \tan \delta) h$$

- Runout length proportional to $(\text{Volume/breadth})^{1/2}$ but deposit is layered.



Jet formation

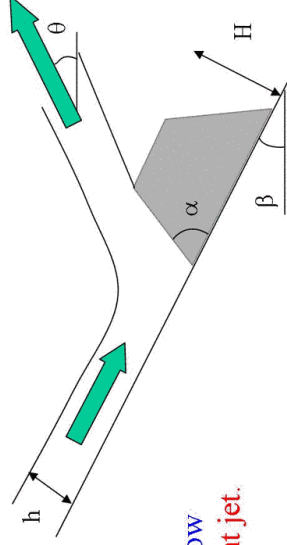
- The height of the obstacles varied in the range $1 < H/h < 7$
- On striking the dam/mound, the flow became airborne and formed a **coherent jet**.





Jet formation

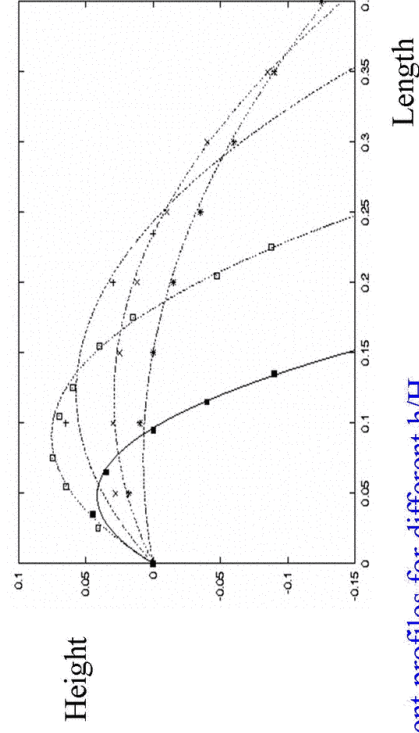
- The height of the obstacles varied in the range $1 < H/h < 7$



- On striking the dam/mound, the flow became airborne and formed a coherent jet.
- The jet trajectory is not affected by air resistance.
 - It takes a parabolic shape.
 - The horizontal component of velocity is constant.
- The throw angle $\theta = \text{fn}(\alpha, h/H)$
 - expect that $\theta \rightarrow \alpha - \beta$, as $H/h \rightarrow \infty$.

Jet profiles

- Motion of particles in jet only influenced by gravitational forces



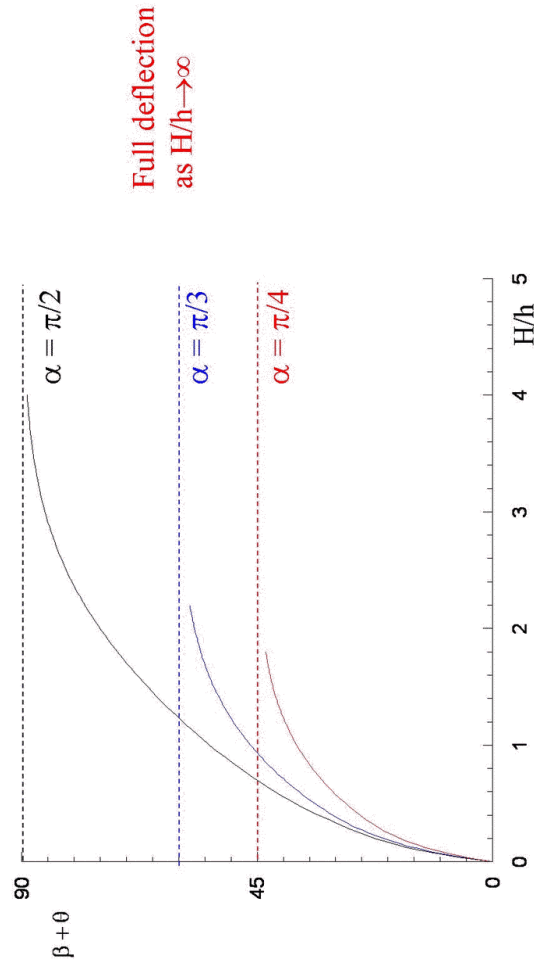
- Different profiles for different h/H

- Hence it is possible to predict:
 - Jump Length, Jump Height etc.
 - important implications for avalanche defence measures.

The deflection of inviscid, irrotational jets

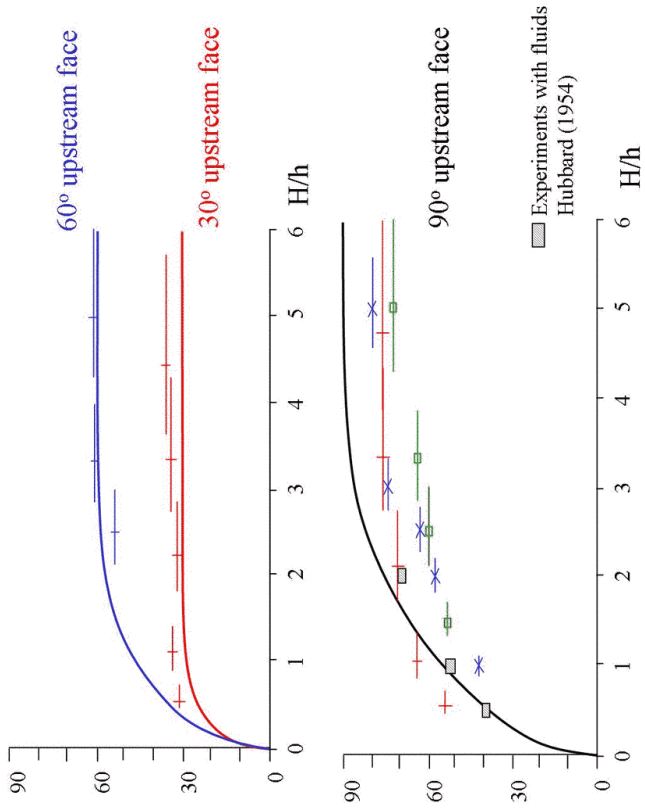
$W(z) = \phi + i\psi$, with $dW/dz = u - i v$, $\mathbf{u} = (u, v)$
 • Write complex potential
 • Find $\theta + \beta = \text{fn}(h/H)$

Jet deflection – theoretical results

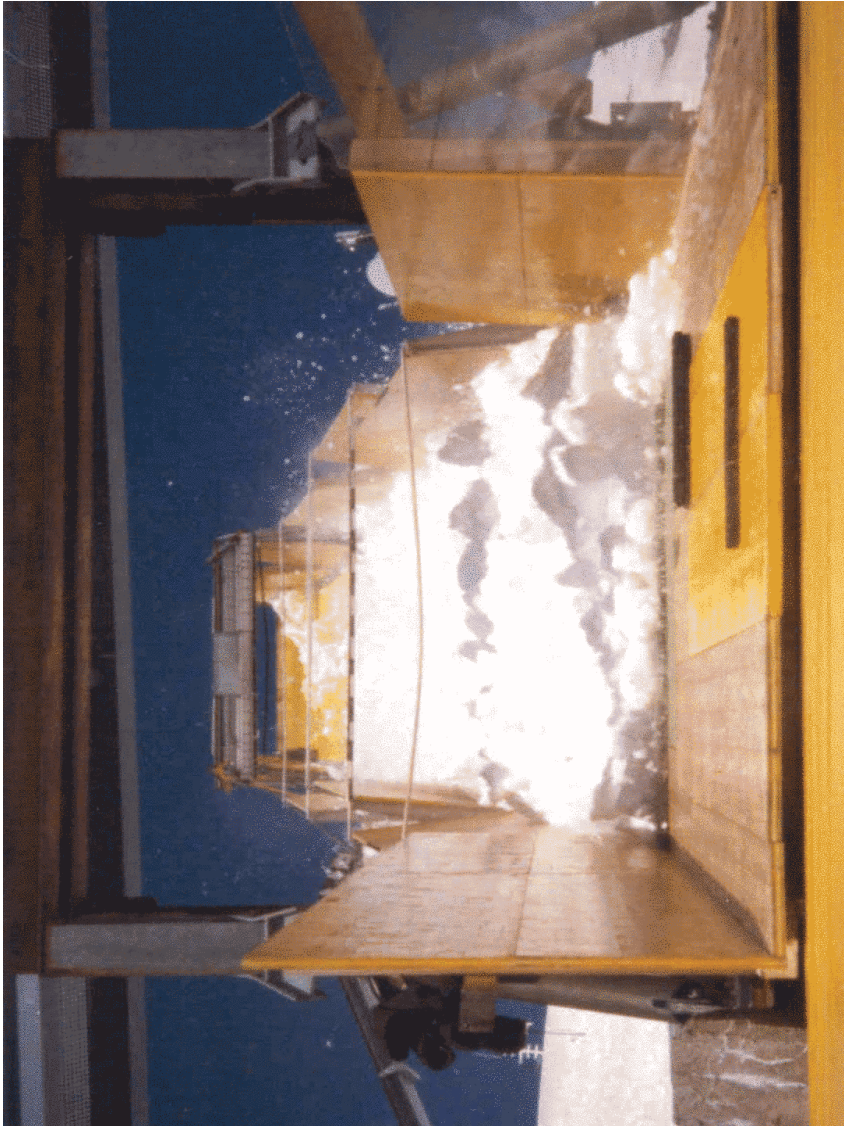


Jet deflection - results

- Comparing these inviscid, irrotational, gravity-free results for fluid motion with experimentally- measured deflection of a rapid granular flow:

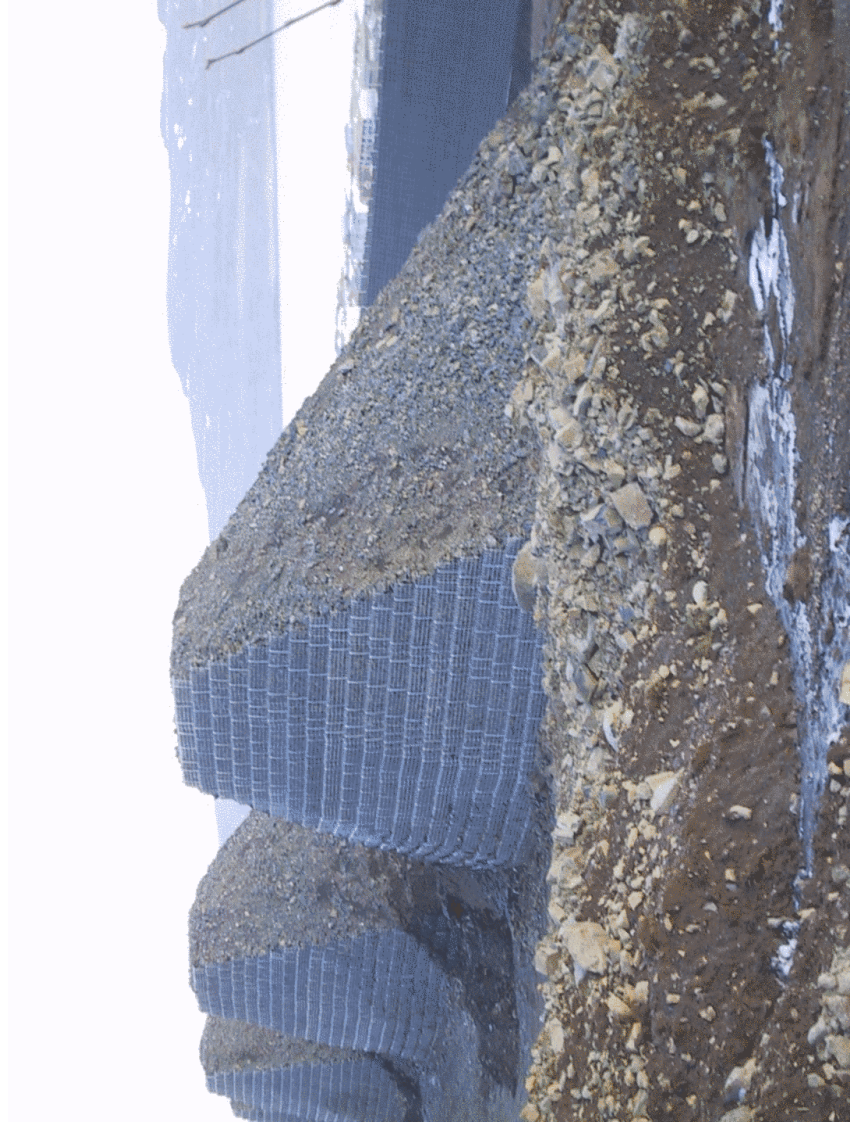
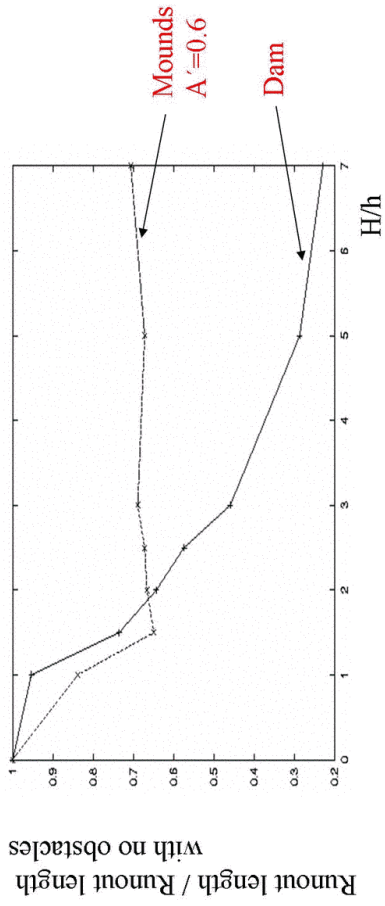
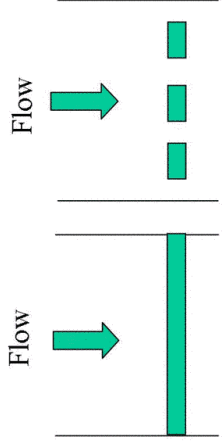


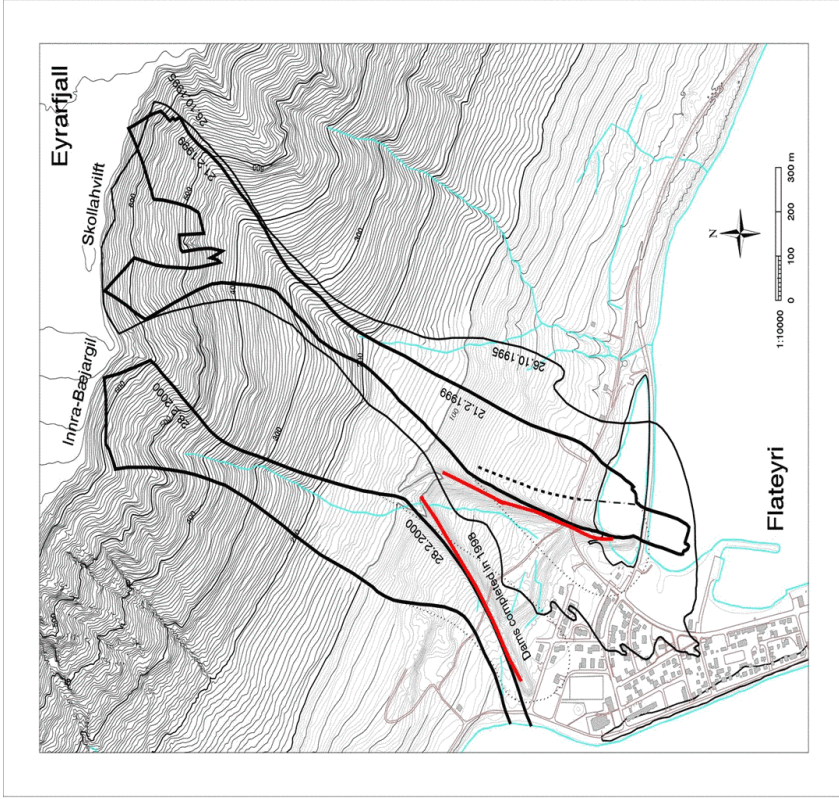




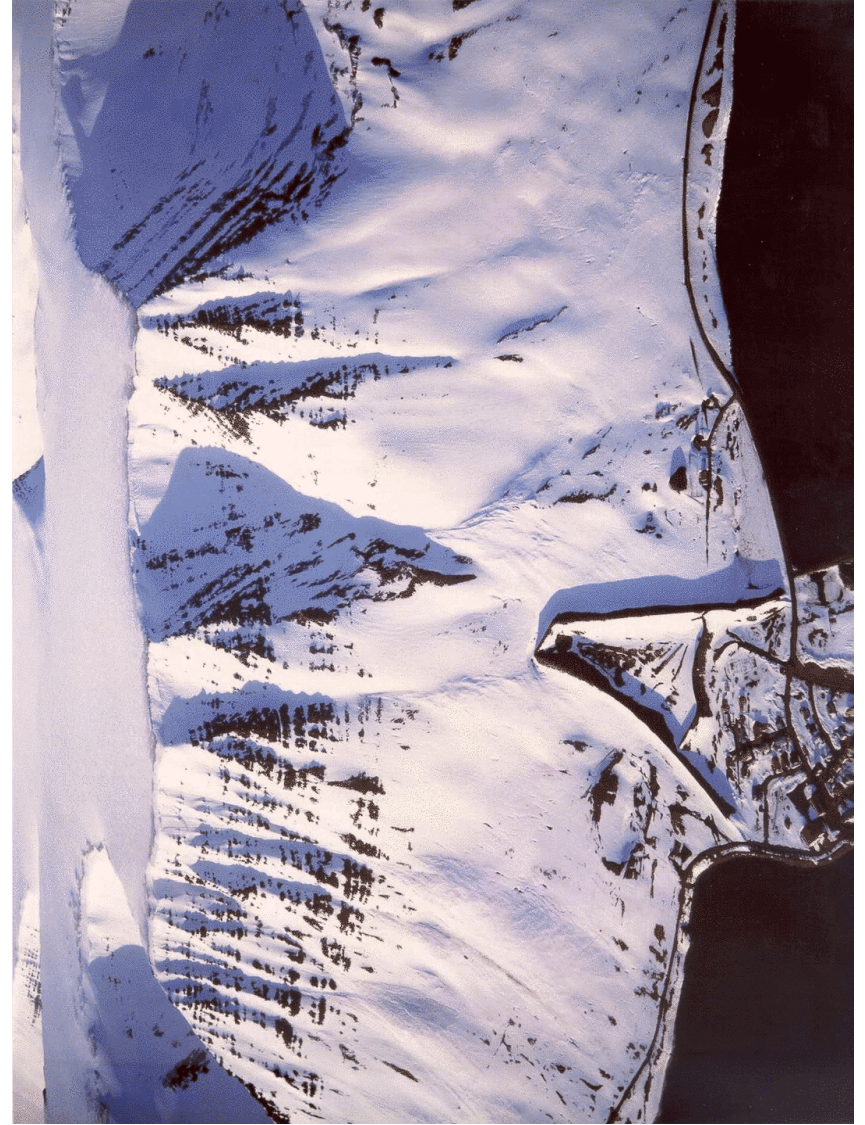
The effect of obstacles on runoff

- The effect of the obstacle height
- Dams vs Mounds: plan view of obstacles
- A' = Proportion of chute cross-sectional area filled by obstacles
 - $A' = 1$ for dam, $A' < 1$ for mounds (often $A' = 0.6$).

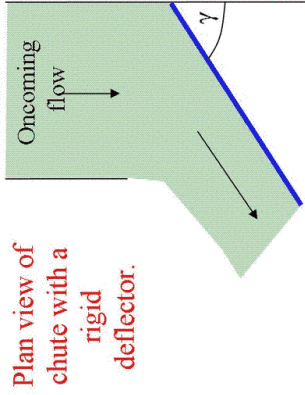




Deflecting Dams
at Flateyri



Experiments with deflecting dams



Plan view of chute with a rigid deflector.



- Sustained releases of particles of glass ballotini to generate a high Froude number avalanche on the chute.
- Measure the flow and investigate its deflection by the dam.

Deflection Shock

- Once the steady-state is established, we find an abrupt change in flow depth across a line in front of the dam.
- Assuming hydrostatic pressure, it is possible to calculate the deflection angle:

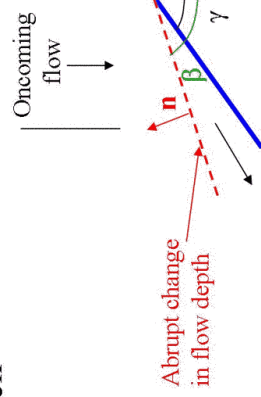
Jump conditions across the shock:

$$[h(\mathbf{u} \cdot \mathbf{n})]_{\pm}^{\pm} = 0 \quad \left[\frac{1}{2} g h^2 \mathbf{n} + h(\mathbf{u} \cdot \mathbf{n}) \mathbf{u} \right]_{\pm}^{\pm} = 0$$

Mass flux Momentum flux

- Determine the deflection angle, β ; the jump in flow depth; the downstream flow speed as function of:
 - Deflector angle, γ
 - Upstream Conditions U_1, h_1

Froude number $F = \frac{U_1}{\sqrt{g \cos \theta h_1}}$



Deflection Shock (results)

- Curves for different F
- There is a maximum deflector angle (γ_m) for which an attached shock can be found
- Two deflection angles for $\gamma < \gamma_m$

