

Scanning tunneling spectroscopy of graphene on BN

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January 14, 2012

An aerial photograph of the University of Arizona campus. The foreground and middle ground are filled with various university buildings, many with distinctive red-tiled roofs. Lush green trees and palm trees are scattered throughout the campus. In the background, a range of rugged, brown mountains stretches across the horizon under a clear blue sky.

Outline

Scanning tunneling microscopy

Topography

Moiré patterns

Spectroscopy

Charged impurities

Scattering from edges

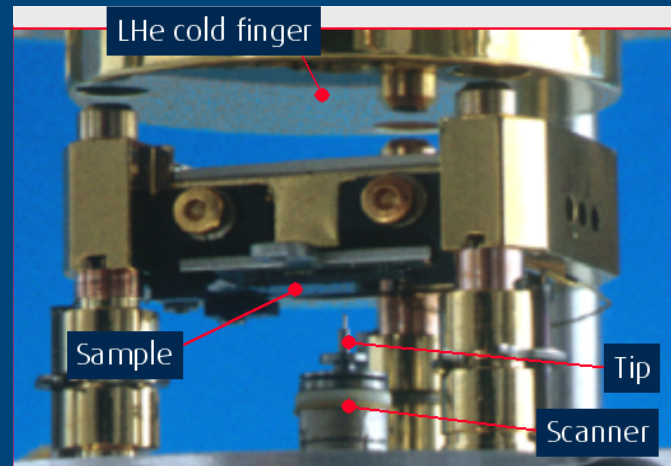
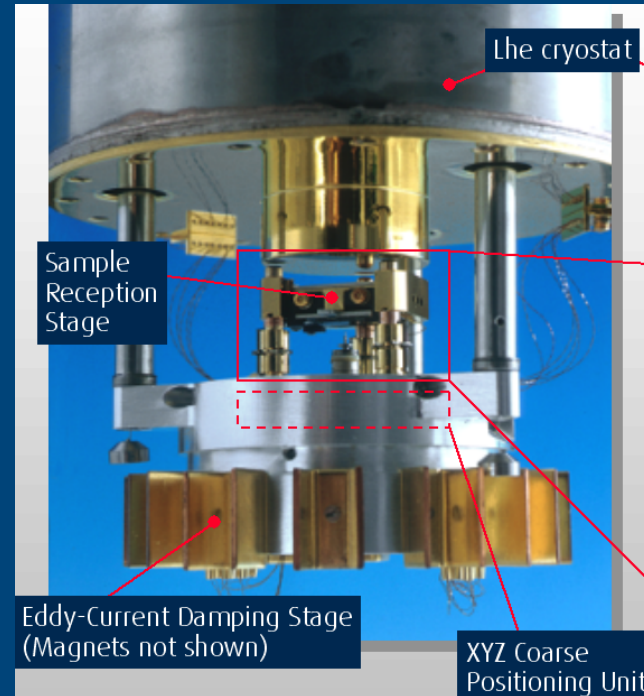
Periodic potentials

Conclusions

Scanning Tunneling Microscope



Spatial Resolution 1 \AA
Pressure $< 3 \times 10^{-11}$ mbar
Temperature 4.5 K



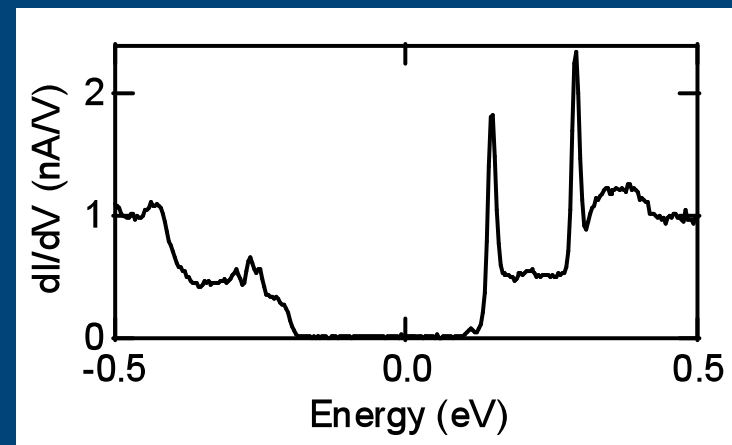
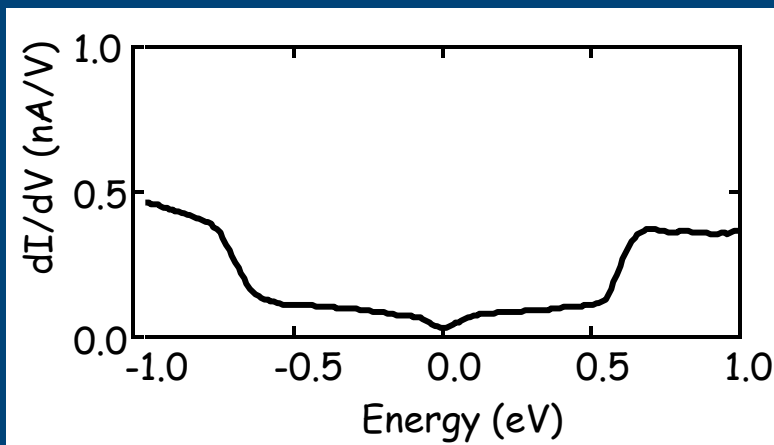
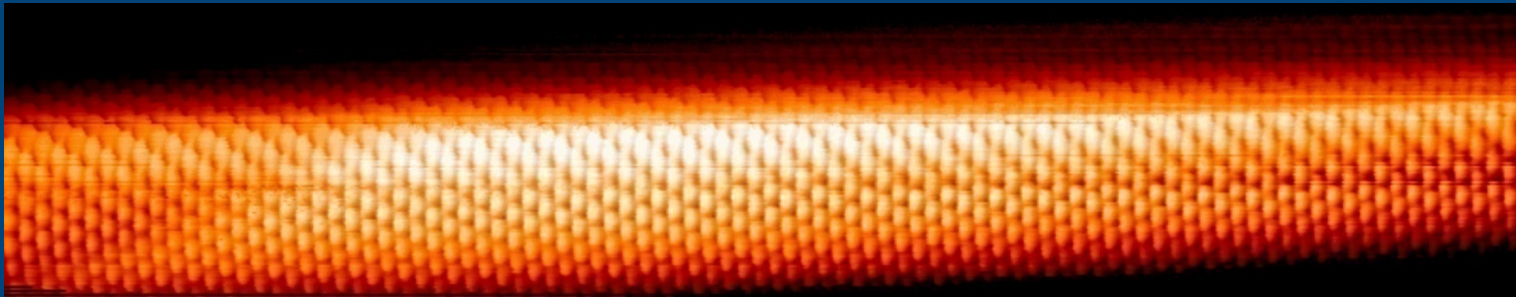
Scanning Tunneling Microscopy

Topography

$$I \propto e^{-Z/Z_0} \int_0^{eV} dE \text{LDOS}(E, r)$$

Spectroscopy

$$\partial I / \partial V \propto \text{LDOS}(eV, r)$$



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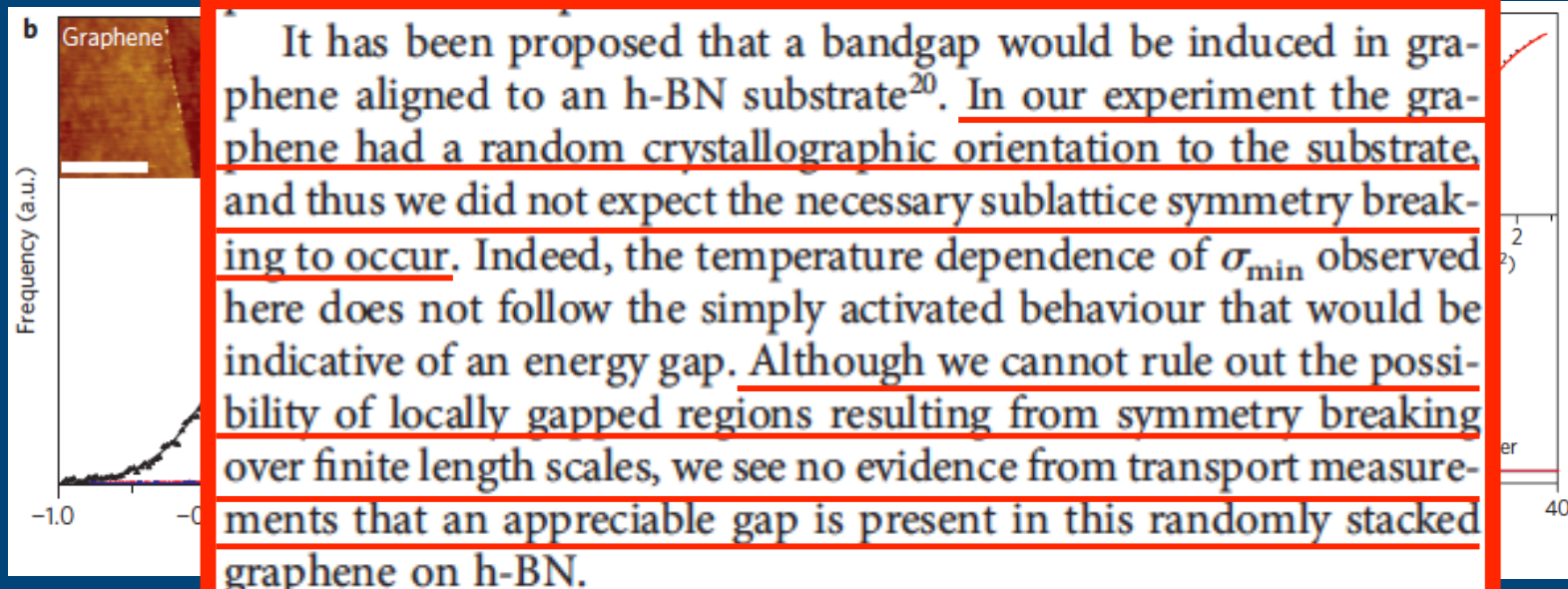
Why use hBN?

h-BN: hexagonal lattice, with ~same lattice constant as graphene (1.8% mismatch)
atomically smooth surface
no dangling bonds / charge traps
insulator, with bandgap $\sim 6\text{eV}$

Boron nitride substrates for high-quality graphene electronics

C. R. Dean^{1,2*}, A. F. Young³, I. Meric¹, C. Lee^{4,5}, L. Wang², S. Sorgenfrei¹, K. Watanabe⁶, T. Taniguchi⁶, P. Kim³, K. L. Shepard¹ and J. Hone^{2*}

Dean et al, Nature Nano 5, 722 (2010)



It has been proposed that a bandgap would be induced in graphene aligned to an h-BN substrate²⁰. In our experiment the graphene had a random crystallographic orientation to the substrate, and thus we did not expect the necessary sublattice symmetry breaking to occur. Indeed, the temperature dependence of σ_{\min} observed here does not follow the simply activated behaviour that would be indicative of an energy gap. Although we cannot rule out the possibility of locally gapped regions resulting from symmetry breaking over finite length scales, we see no evidence from transport measurements that an appreciable gap is present in this randomly stacked graphene on h-BN.

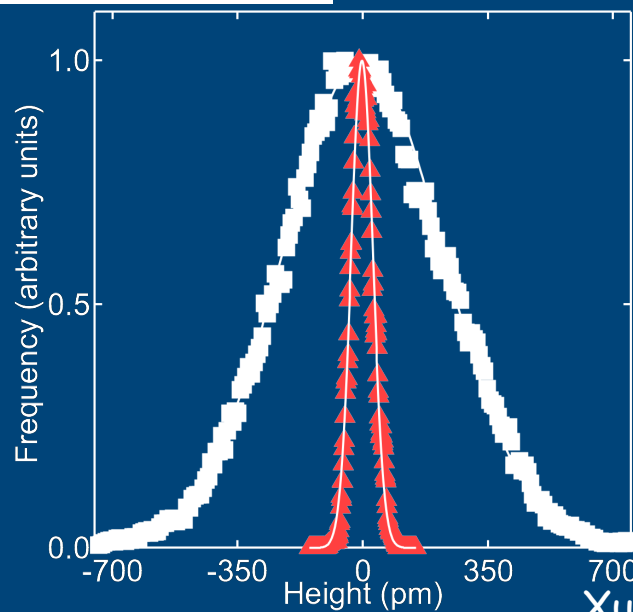
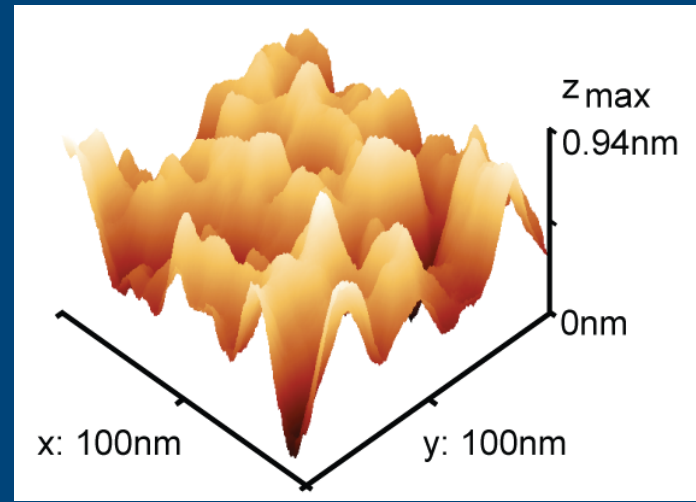
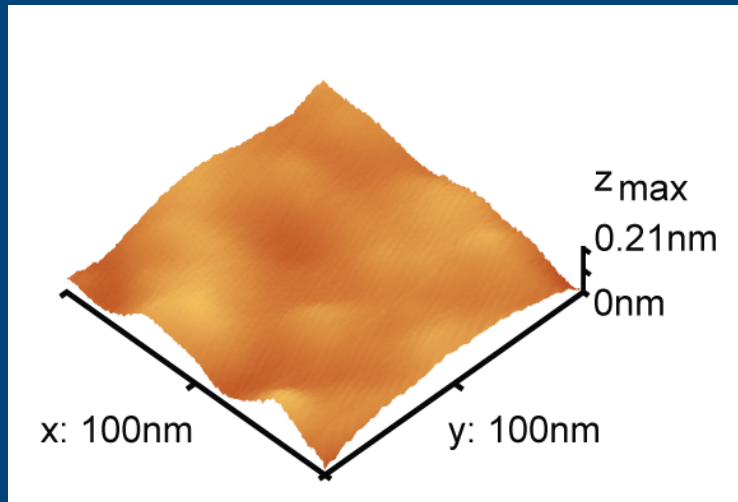
AFM topography, $h(r)$

Weakly shifted away from $V_g=0$

Topography Measurements

hBN

SiO₂



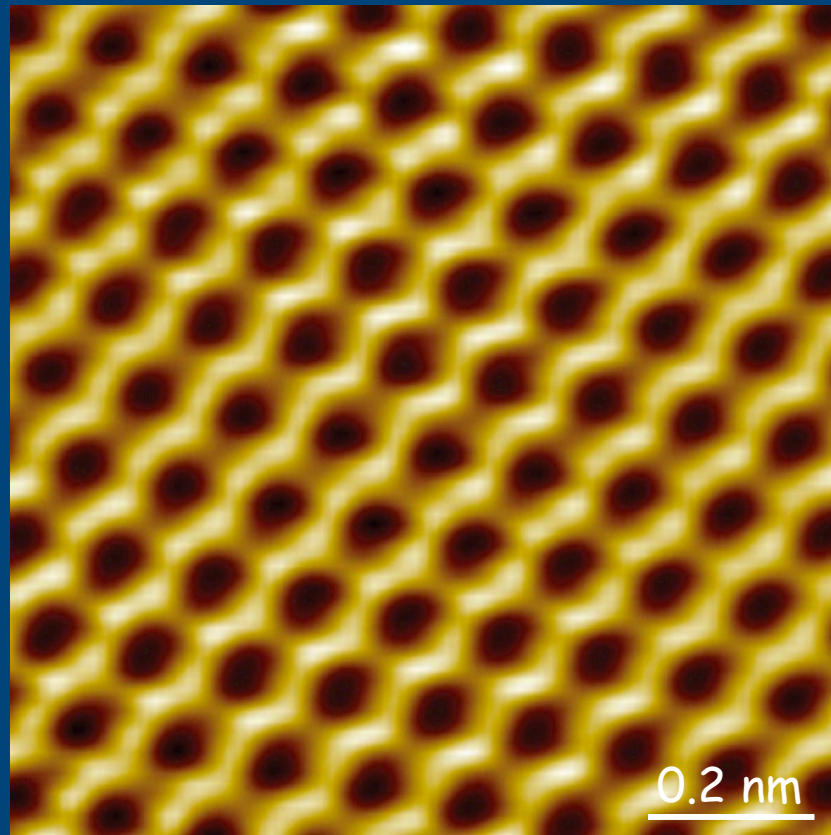
Standard deviations are:

SiO₂: 224.5 ± 0.9 pm

BN: 30.2 ± 0.2 pm

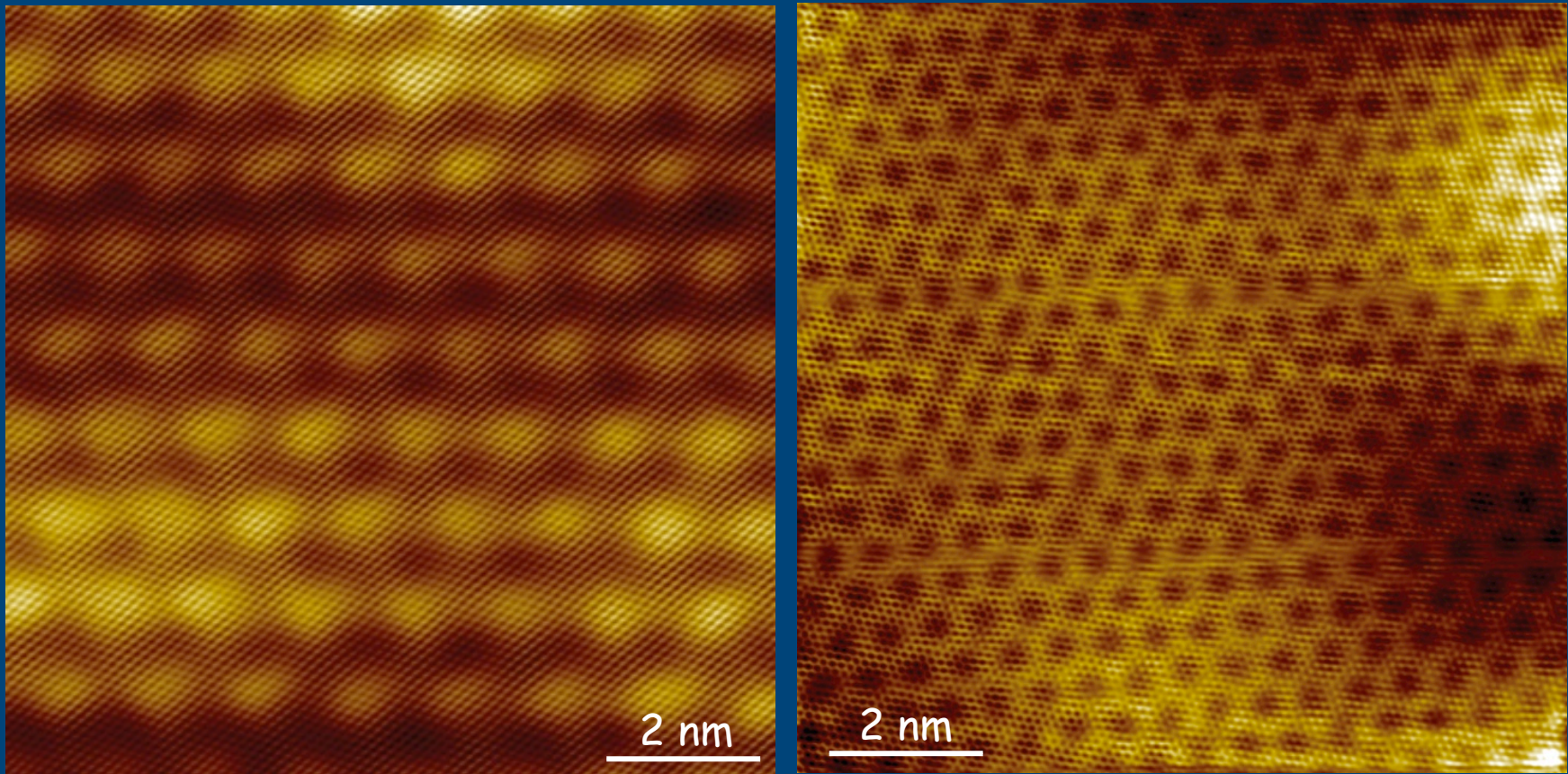
Xue et al., Nat. Mater. 10, 282 (2011)

Atomic Resolution



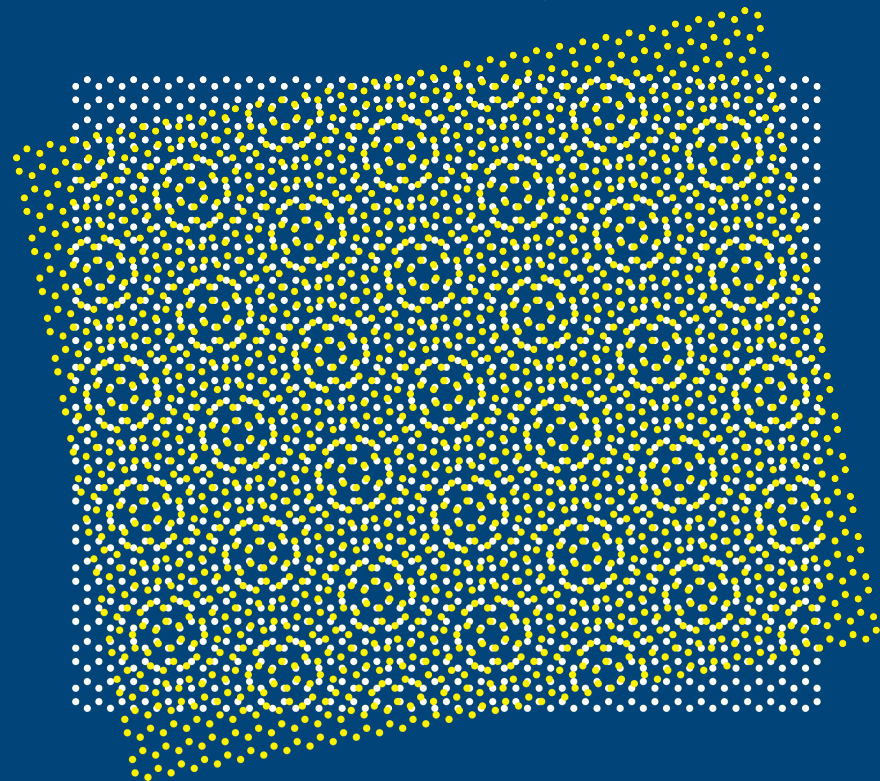
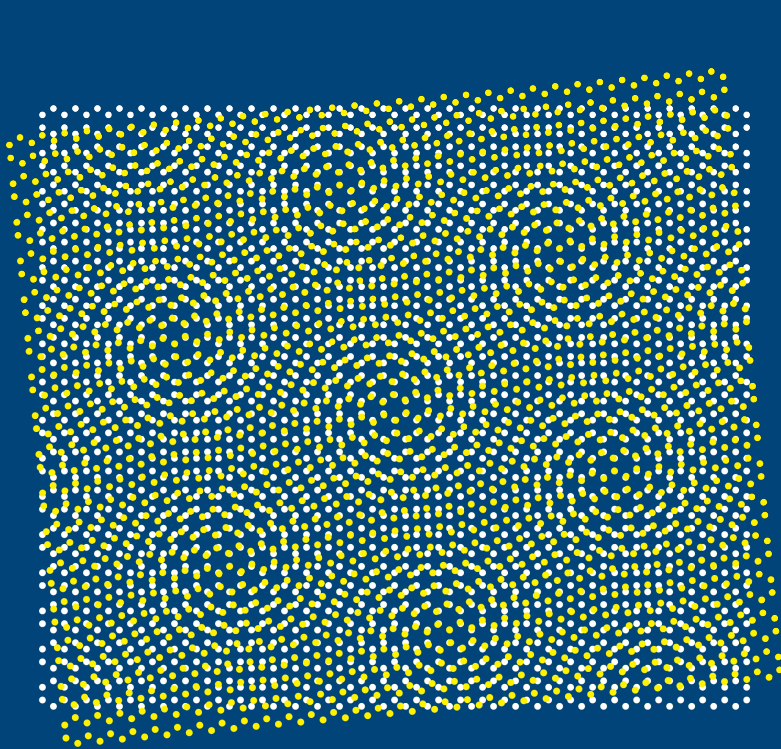
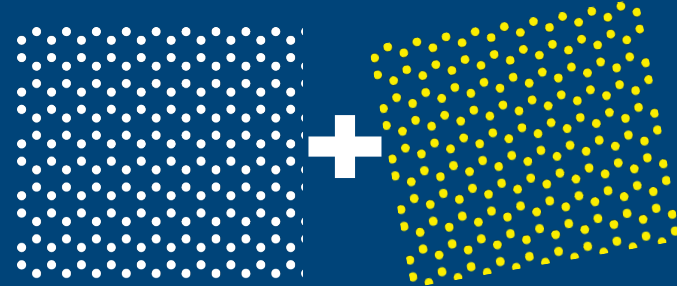
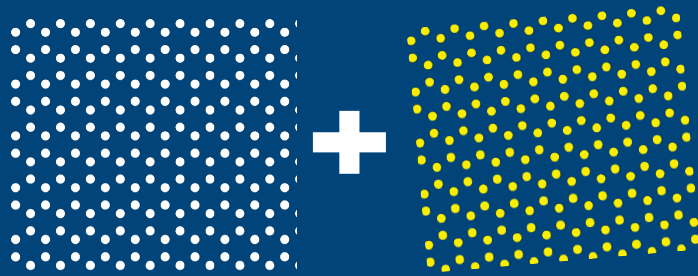
Atomic resolution image shows hexagonal lattice

Topography Measurements



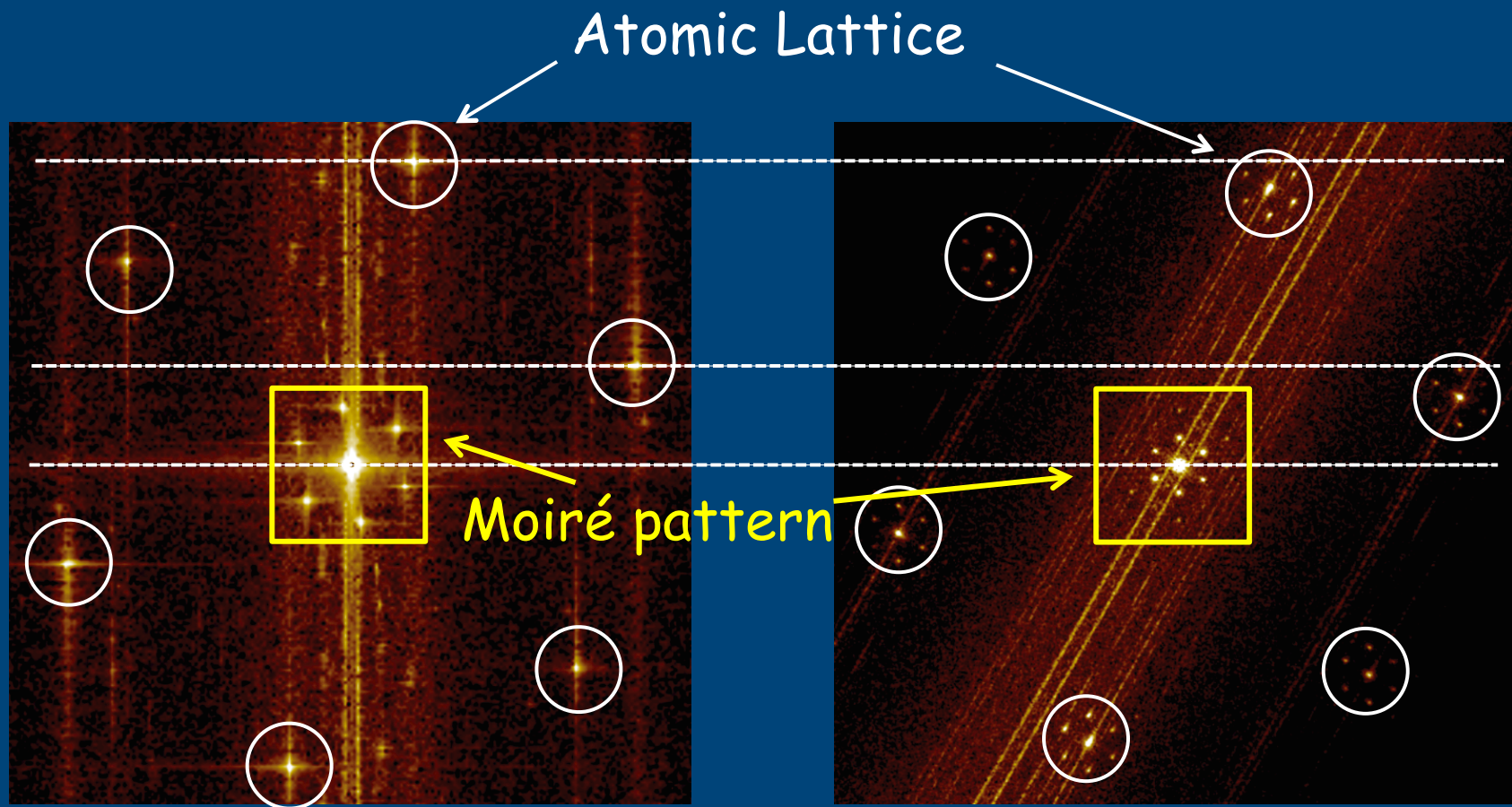
Large scale images show moiré pattern
Different areas of the same graphene flake

Moiré Patterns



Moiré patterns arise from rotation
between graphene and hBN

Fourier Transforms



Different size moiré patterns
Graphene lattice rotated between two images

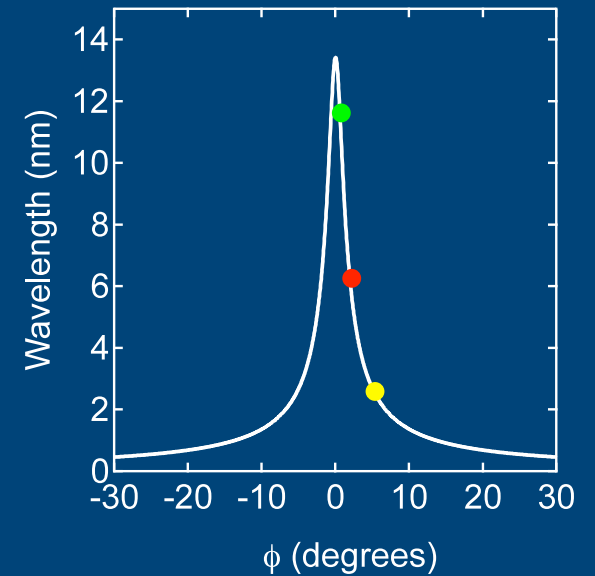
Moiré Wavelength

$$\lambda = \frac{(1 + \delta)a}{\sqrt{2(1 + \delta)(1 - \cos\phi) + \delta^2}}$$

a : graphene lattice constant

δ : mismatch of h-BN

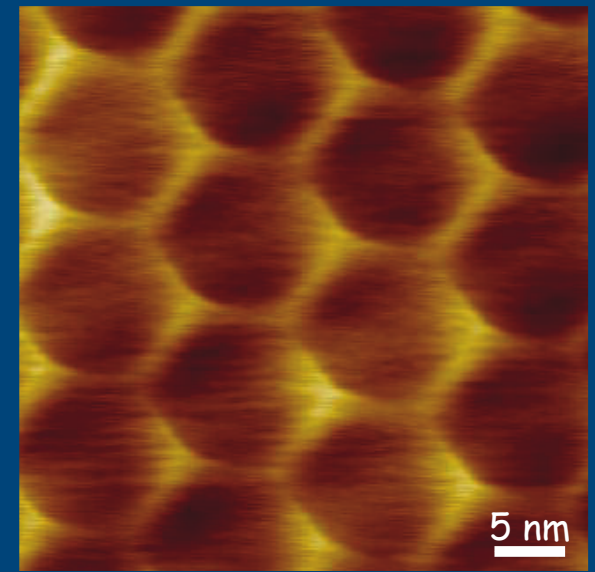
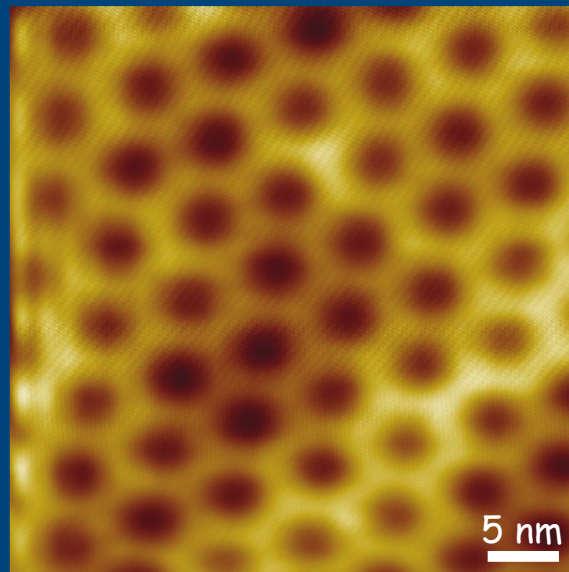
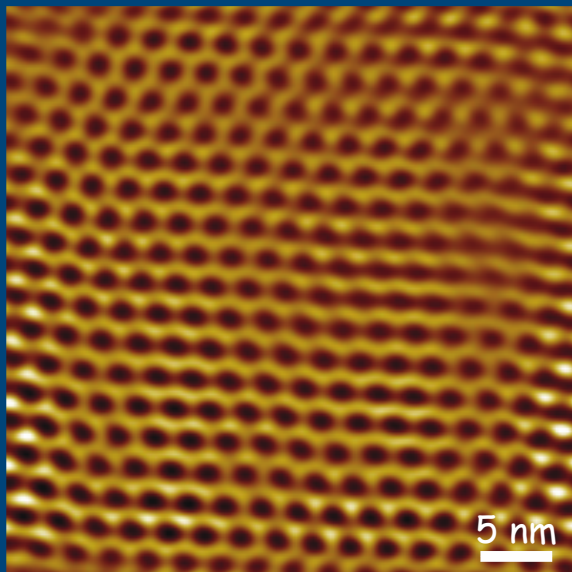
ϕ : Angle between lattices



2.4 nm

6.0 nm

11.5 nm



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Scattering from edges

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Conclusions

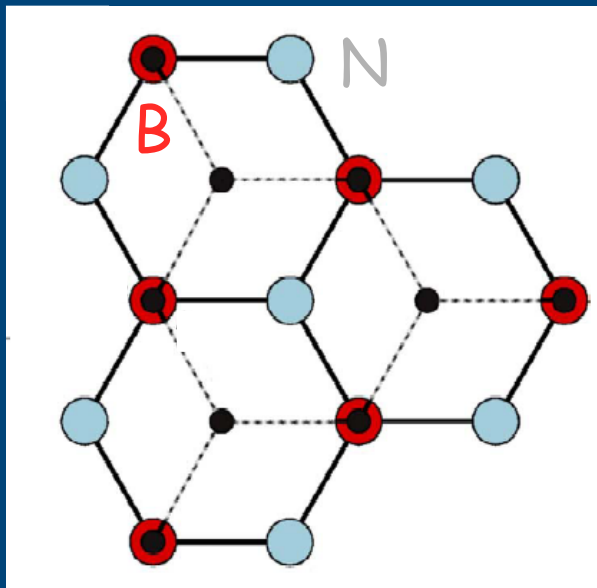
Consequence of moiré pattern: No energy gap

Previous theoretical prediction¹

No moiré pattern.

Broken symmetry of A-B carbon atoms.

50 meV energy gap.

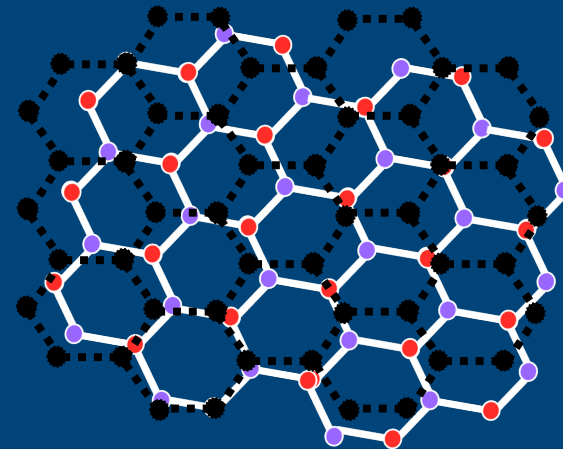


Experimental observation:

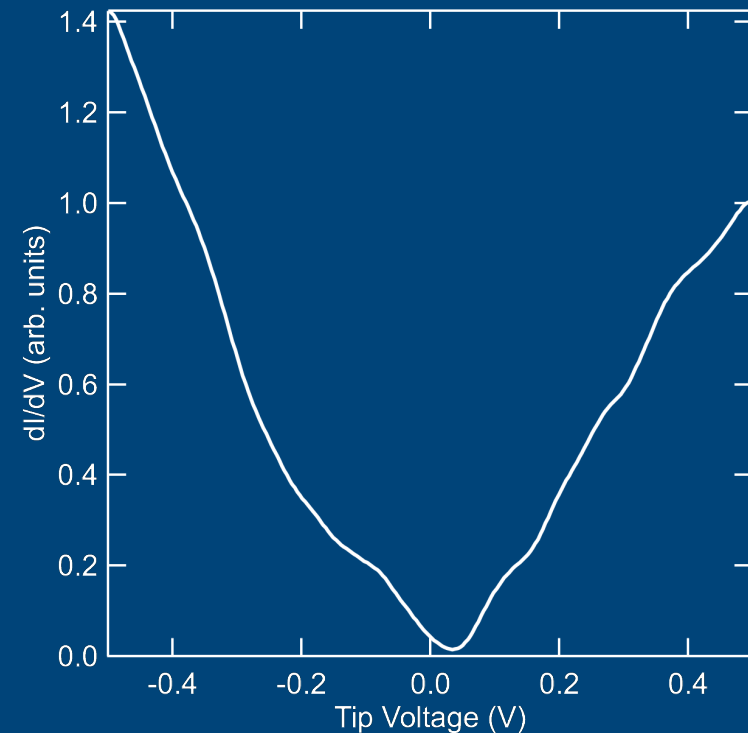
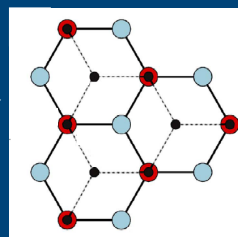
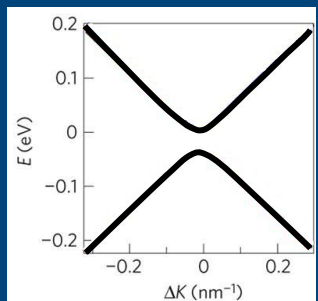
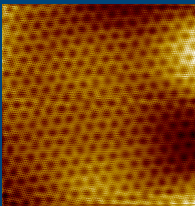
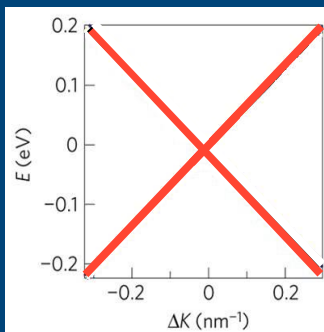
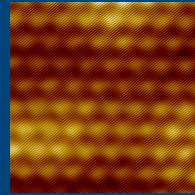
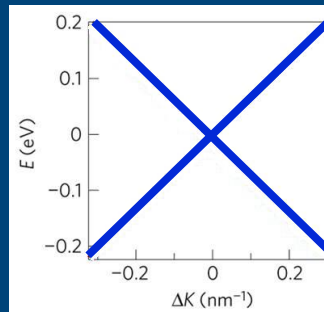
Has moiré pattern.

Symmetry of A-B carbon atoms is restored.

No energy gap.



Spectroscopy Measurements



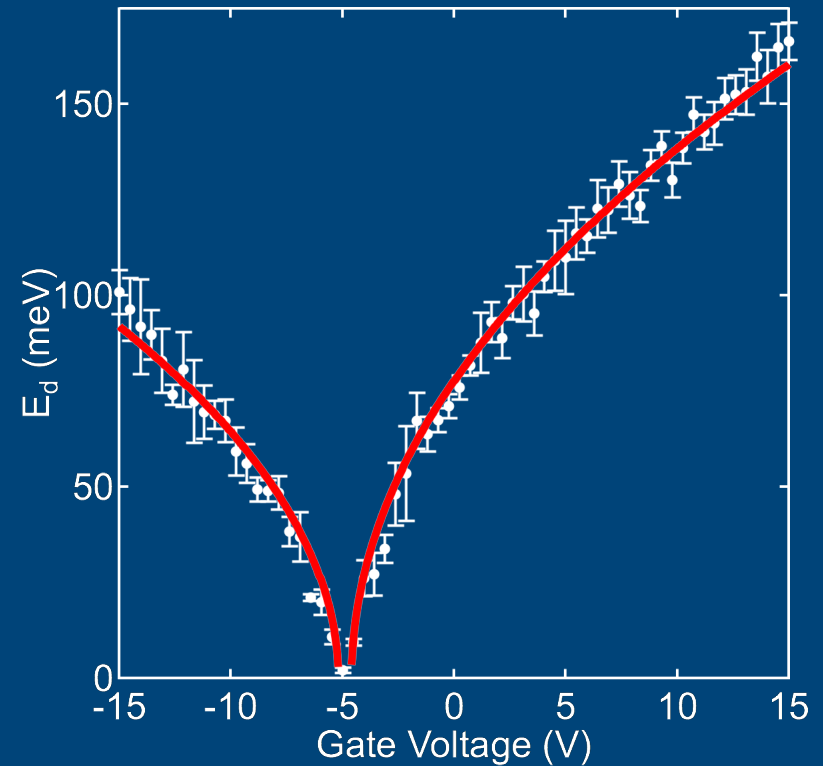
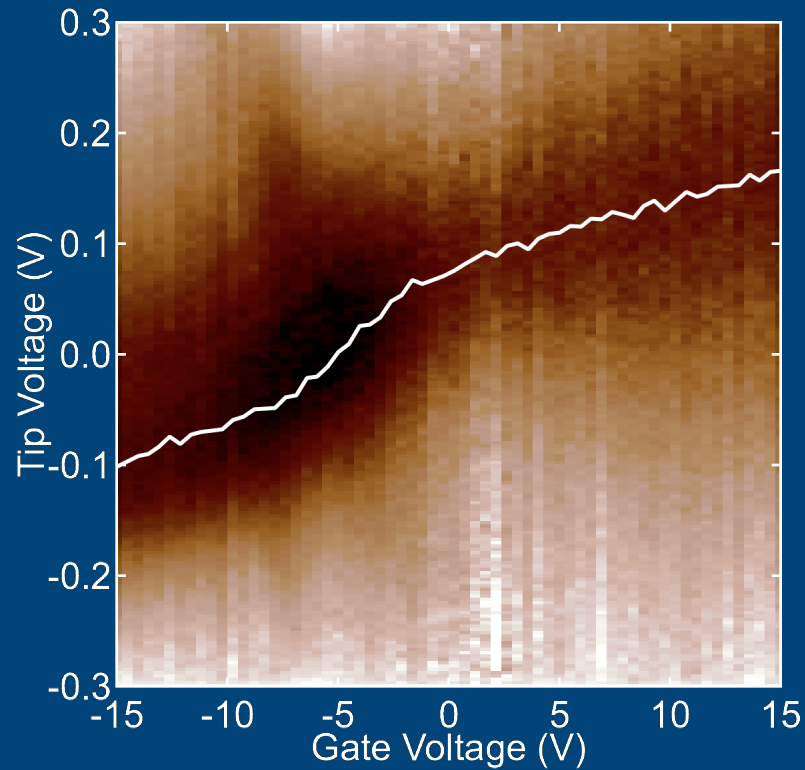
Spectroscopy
measured by STM

No energy gap.

Calculated dispersion relations for
three different configurations.

Gate Dependence

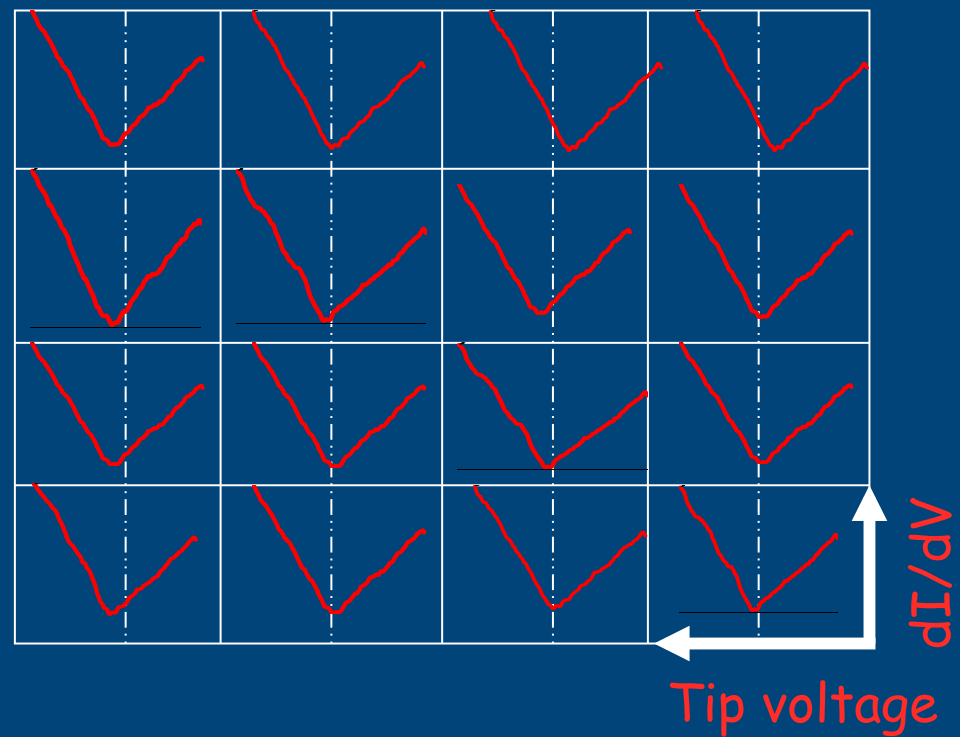
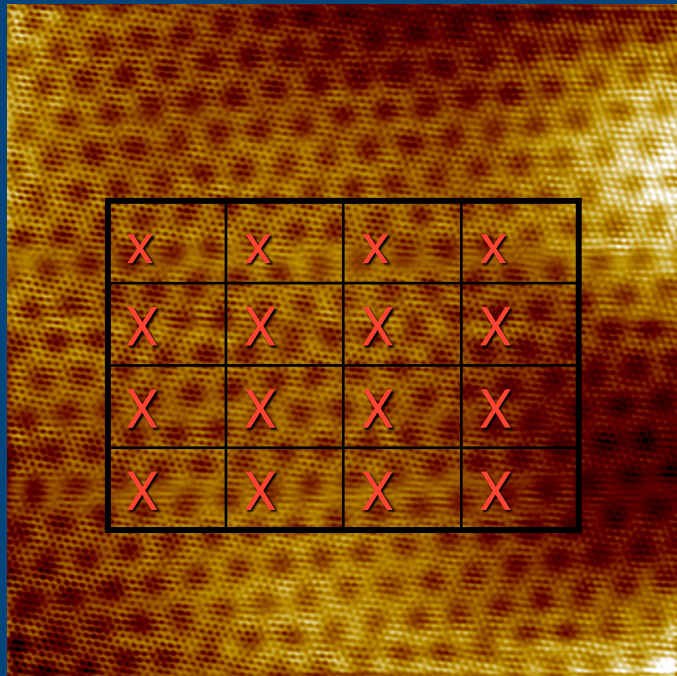
dI/dV curves



Dirac point follows expected energy for linear dispersion

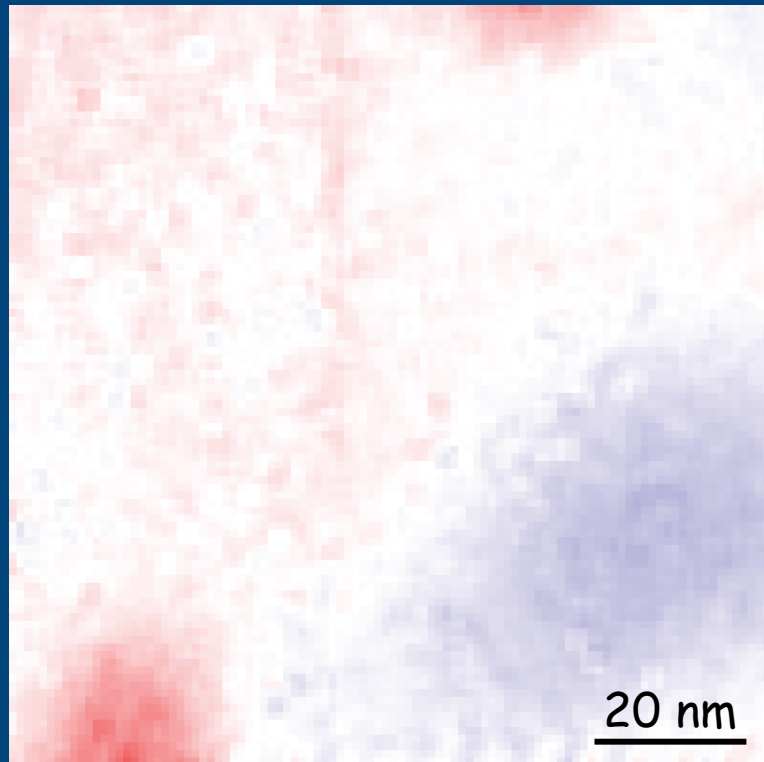
Spectroscopy Map

- Spectroscopy performed on a 1 nm x 1 nm grid
- Measure tip voltage corresponding to Dirac point

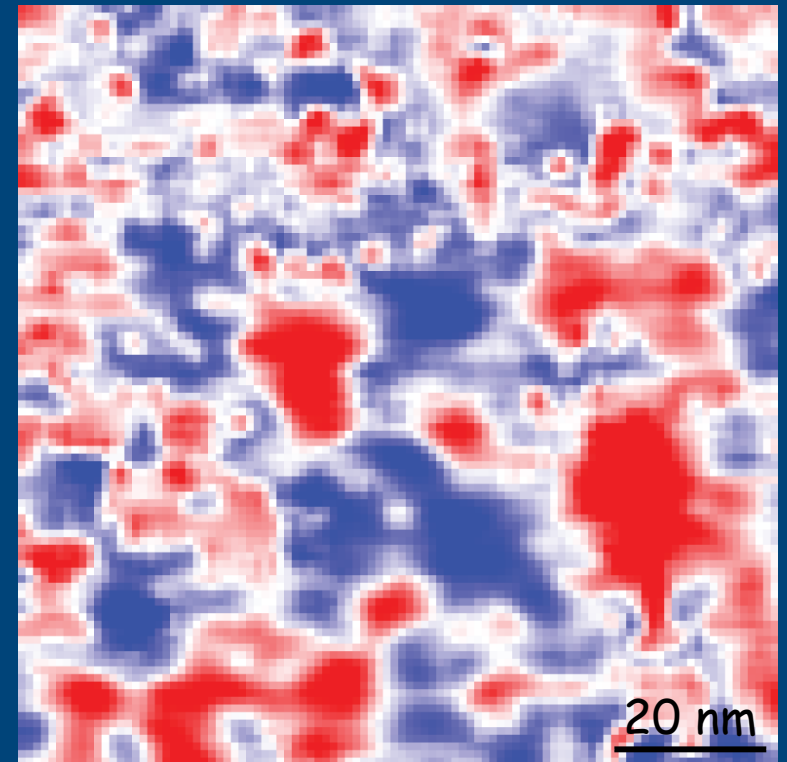


Spectroscopy Map

hBN

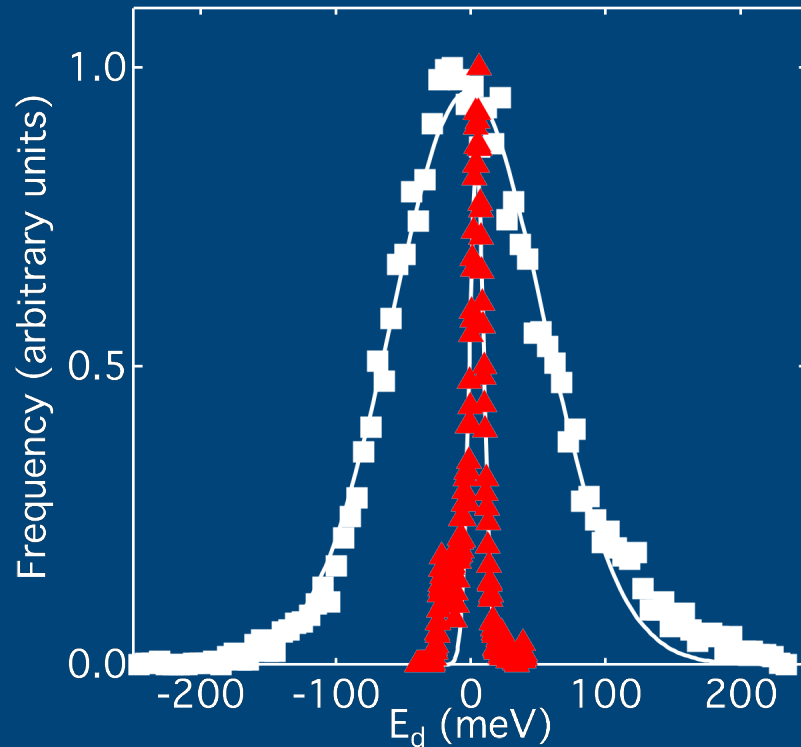


SiO₂

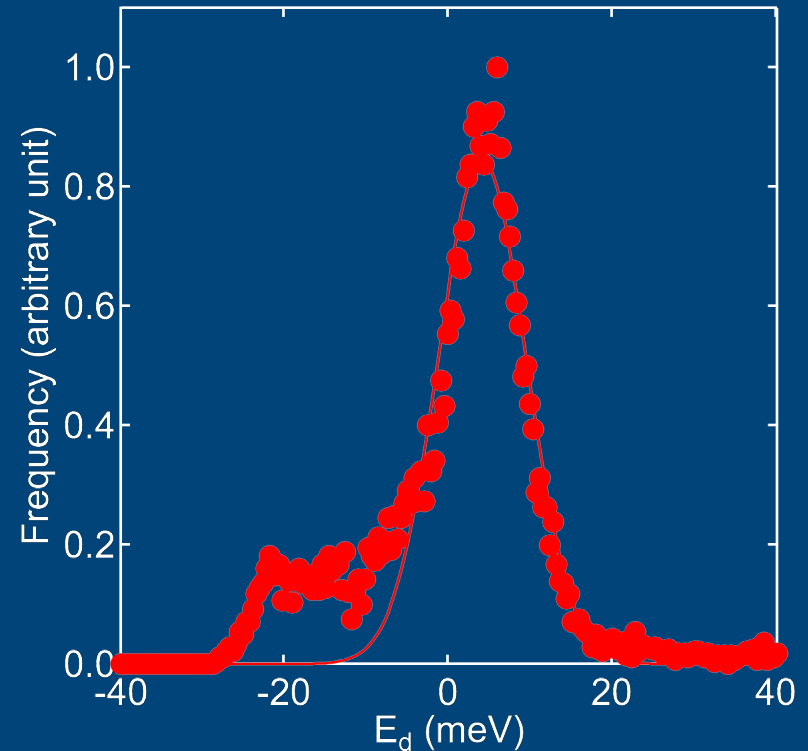


Potential fluctuations much smaller on hBN
Spatial extent of puddles is larger on hBN

Spectroscopy Comparison



SiO₂: 55.6 ± 0.7 meV



BN: 5.4 ± 0.1 meV

Distribution on hBN is 10 times narrower

Extra bump in distribution observed in most samples

Outline

Scanning tunneling microscopy

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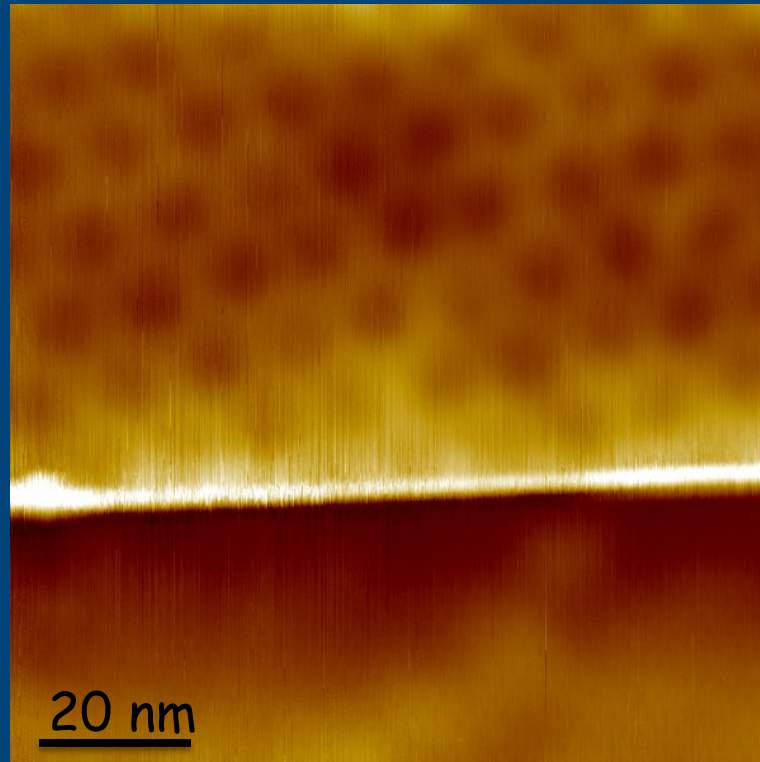
Charged impurities

Scattering from edges

Periodic potentials

Conclusions

Topography of step edge



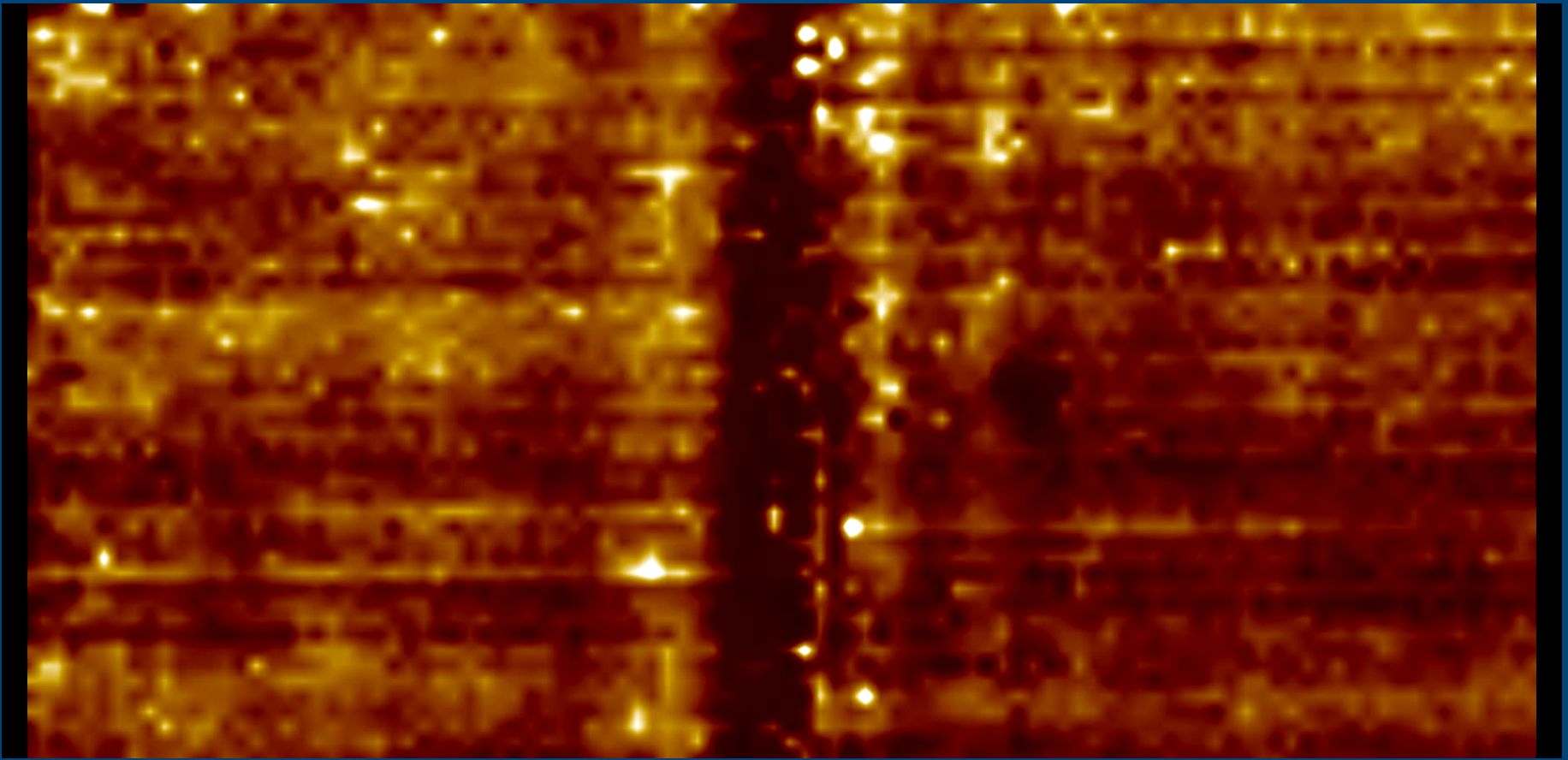
Step is about 0.6 nm high

Graphene lattice has the same orientation
above and below the step

Density of States Versus Energy

Step edge running vertically through images

Series of gap voltages (energies)



Xue et al., PRL 108, 016801 (2012)

Density of States Images

Step edge running horizontally through images

Series of gap voltages (energies)

-138 meV

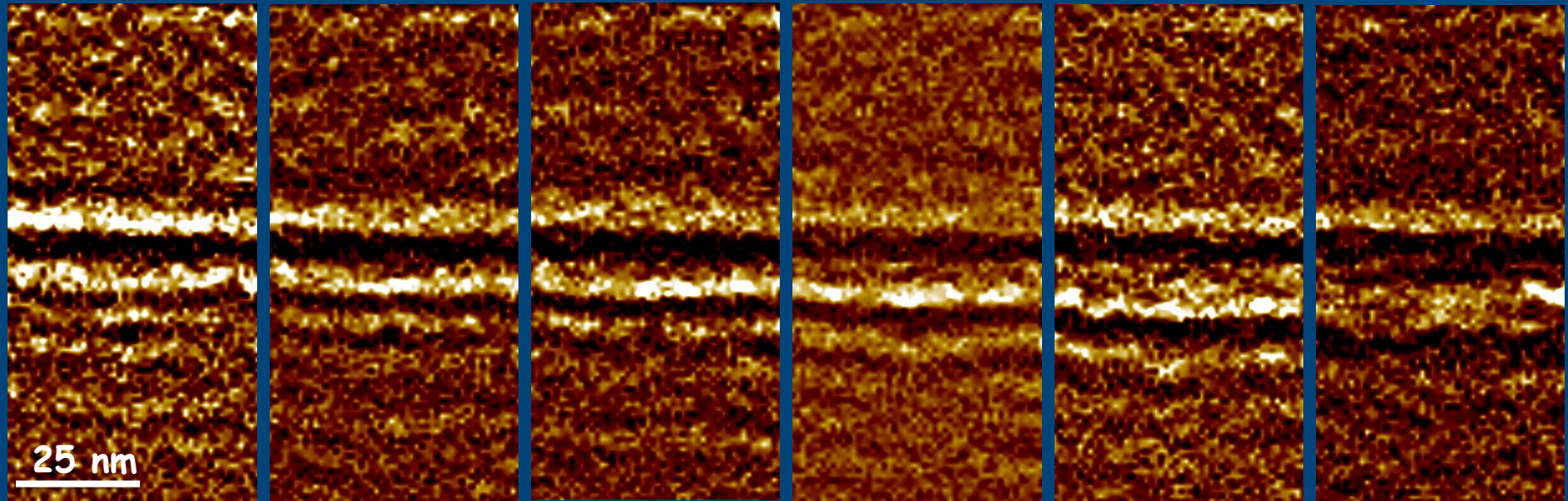
-118 meV

-98 meV

-78 meV

-58 meV

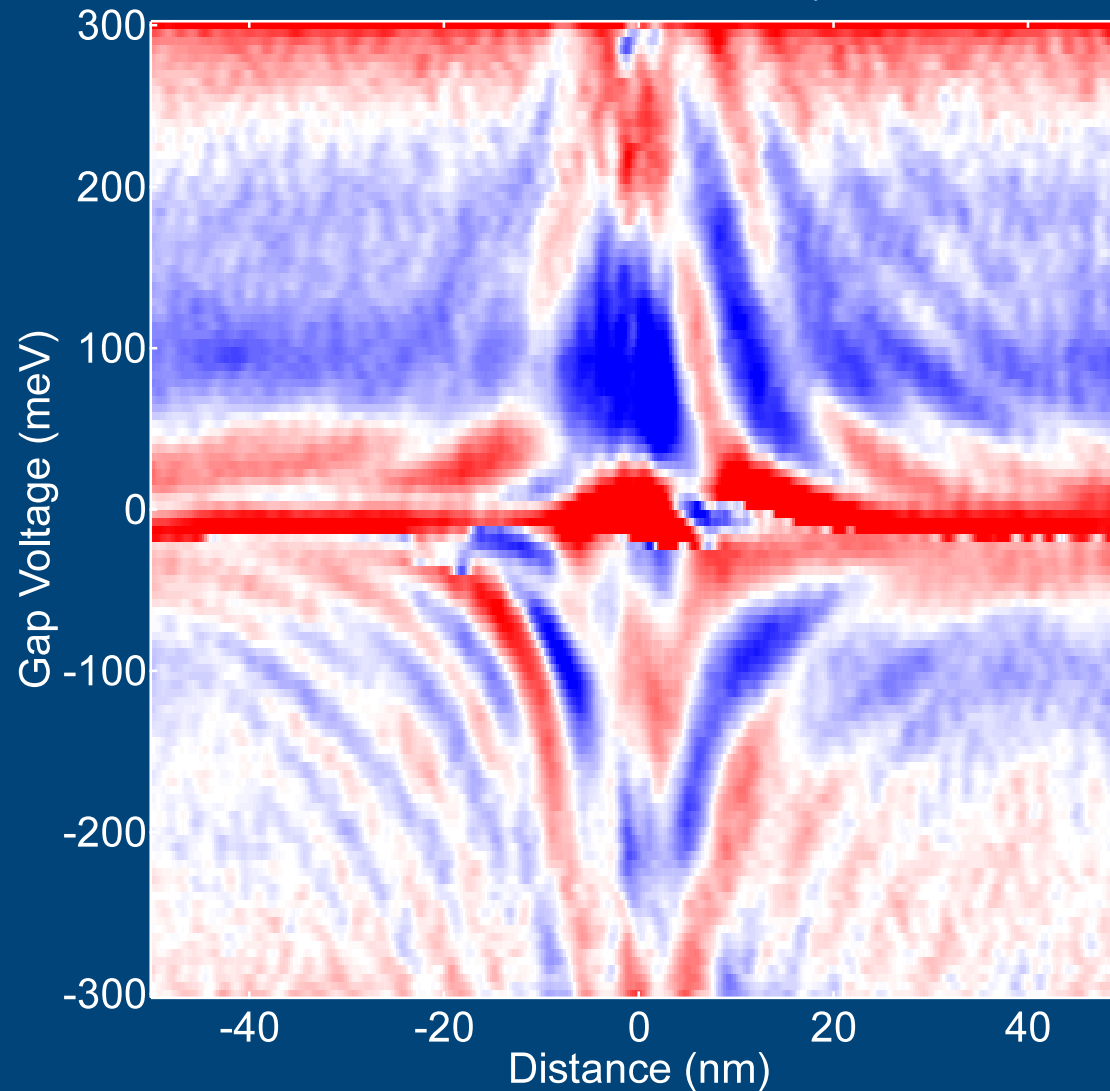
-38 meV



Wavelength increases with decreasing energy

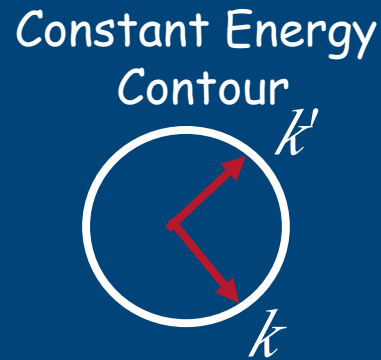
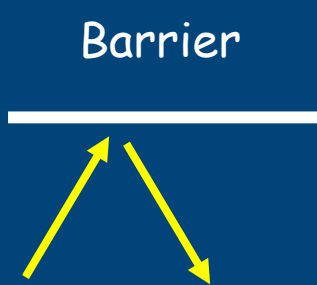
Density of States Images

All data in x-direction (along step edge) averaged



Color scale is change in density of states

Distance Dependence



Assume barrier along x-axis

$$k_x = k'_x \quad k_y = -k'_y$$

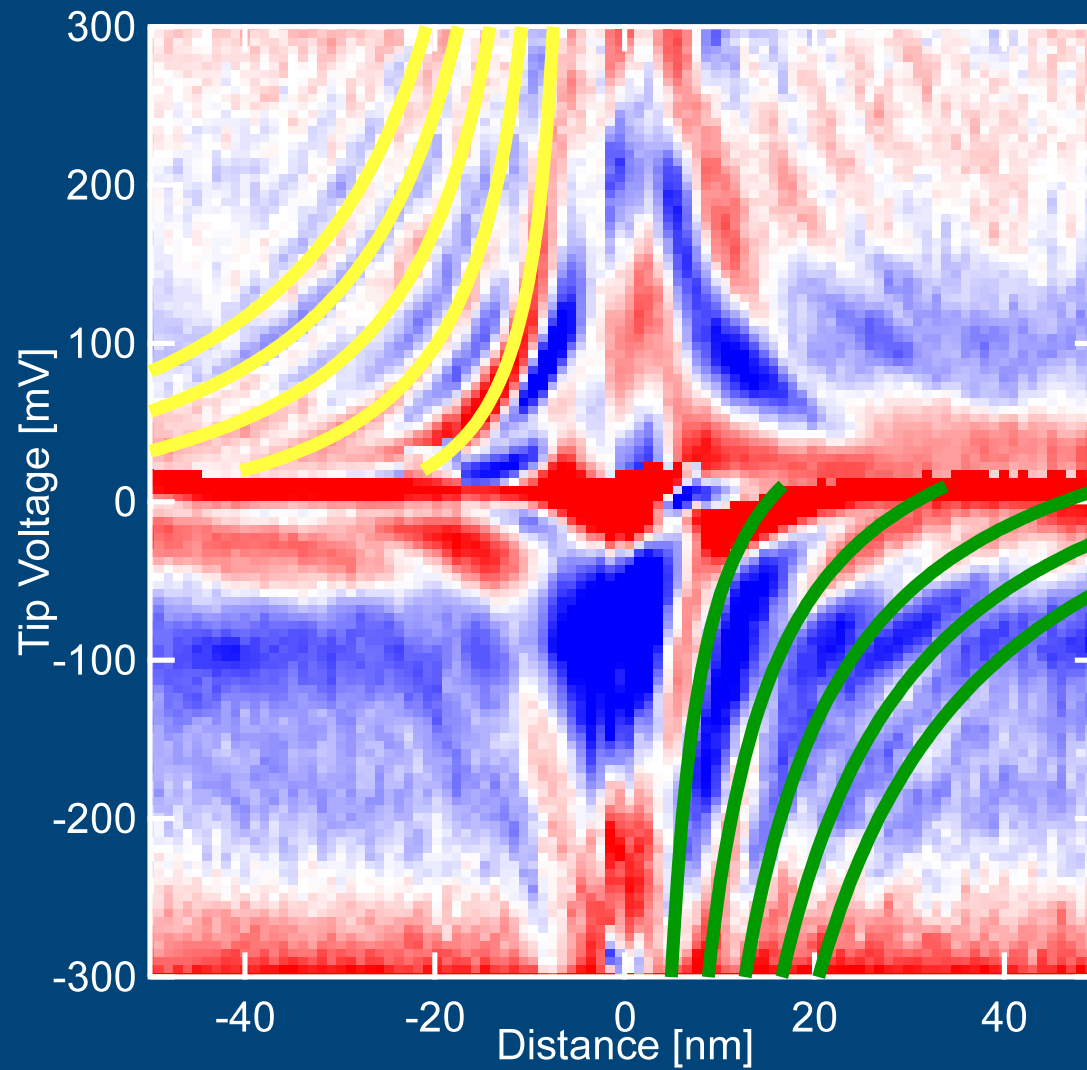
$$\rho(E, y) \propto \oint_{CEC} \left| \psi(k_x, k_y) + r \psi(k_x, -k_y) \right|^2 dk$$

$$\delta\rho(E, y) \propto \oint_{CEC} \cos(2k_y y) \sin\theta_k dk \quad \tan\theta_k = \frac{k_x}{k_y}$$

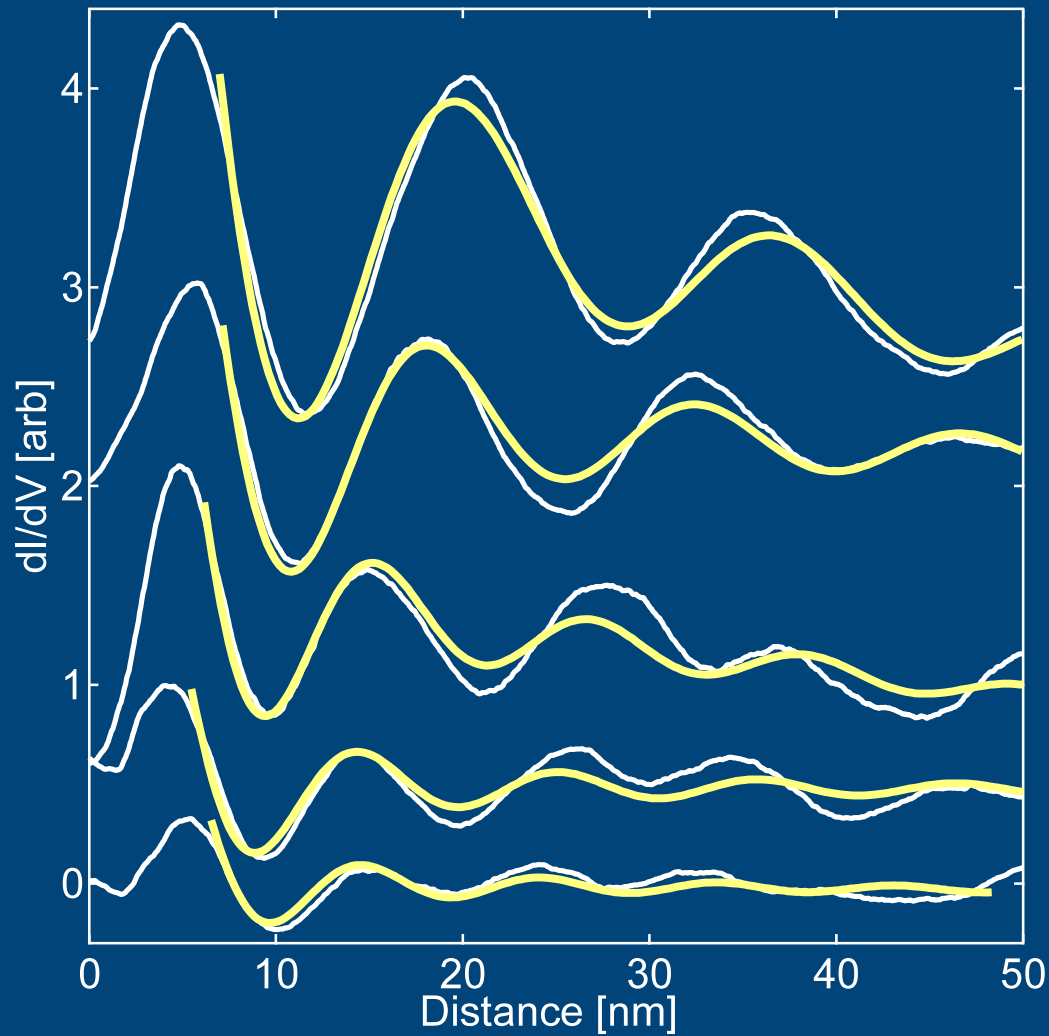
$$\delta\rho(E, y) \propto \frac{\cos(2ky - 3\pi/4)}{(ky)^{3/2}}$$

Faster decay than normal metal

Energy Dependence



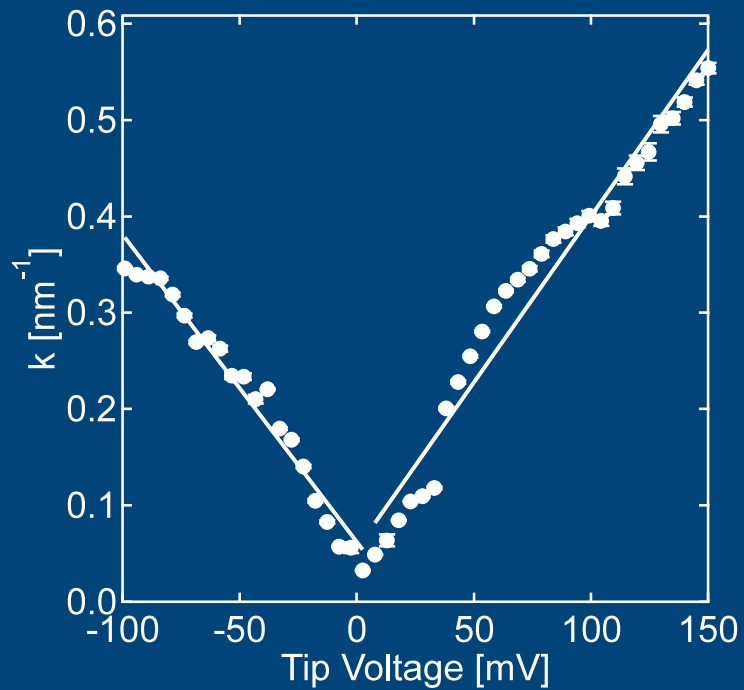
Distance Dependence



$$\delta\rho(E, y) \propto \frac{\cos(2ky - 3\pi/4)}{(ky)^{3/2}}$$

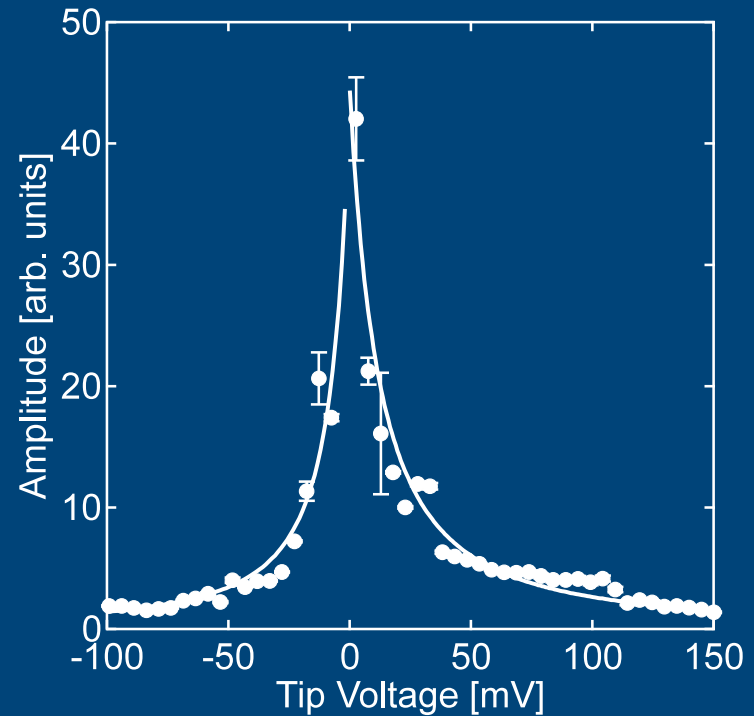
Analysis

Dispersion Relation



$$v_F = 0.50 \pm 0.05 \times 10^6 \text{ m/s}$$

Amplitude of oscillations



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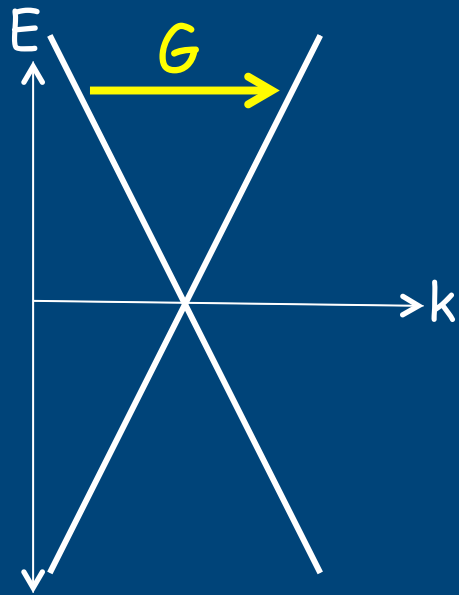
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Graphene in Periodic Potential



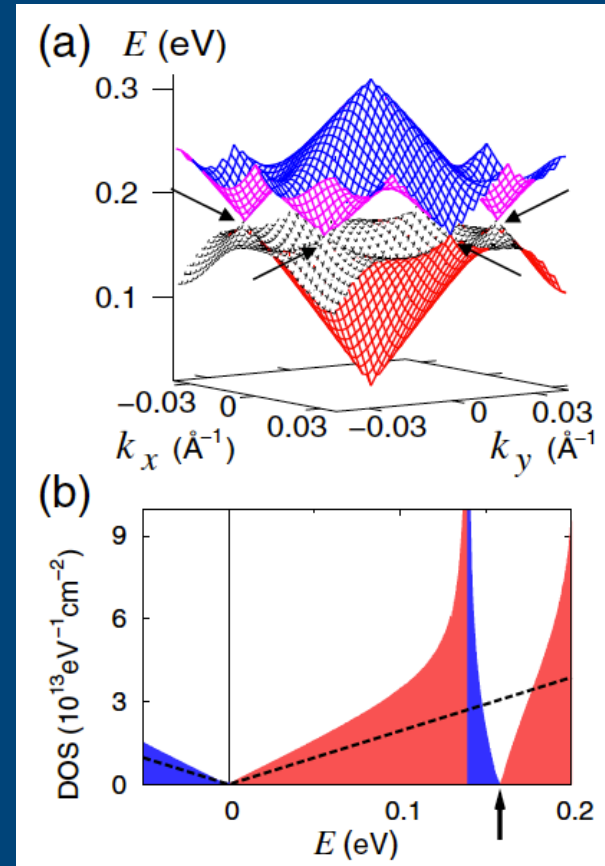
Schrödinger

Band gap
opens

Dirac

New superlattice
Dirac point

$$E = \hbar v_F G / 2$$

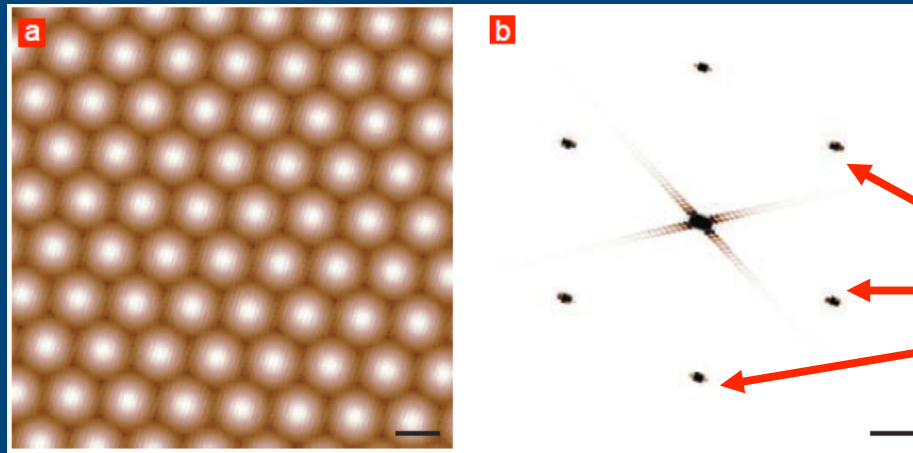


Park et al., *Nat. Phys.* **4**, 213 (2008); *PRL* **101**, 126804 (2008); Barbier et al., *PRB* **77**, 115446 (2008)
 Brey and Fertig, *PRL* **103**, 046809 (2009); Barbier et al., *PRB* **80**, 205415 (2009);
 Sun et al., *PRL* **105**, 156801 (2010); Burset et al., *PRB* **83**, 195434 (2011);
 Ortix et al., arXiv:1111:0399 (2011)

Graphene on hBN

- Calculate interlayer hopping from $\mu=A,B$ carbon sites to ν =Boron, Nitrogen sites
- Keep nearest neighbors and next n.n. -> four different hoppings

$$V_{\mu\nu}(m, n) = \gamma_{\perp} \exp[-|\mathbf{r}_{1\mu}(m, n) - \mathbf{r}_{2\nu}(m', n')|/\xi]$$



Six satellite maxima
Corresponding
to moiré pattern

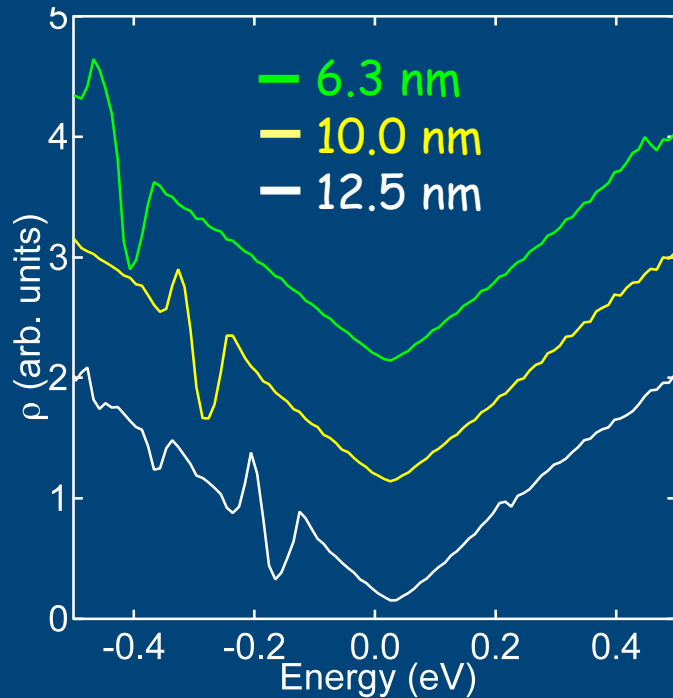
$V_{AA}(m, n)$

$V_{AA}(k_x, k_y)$

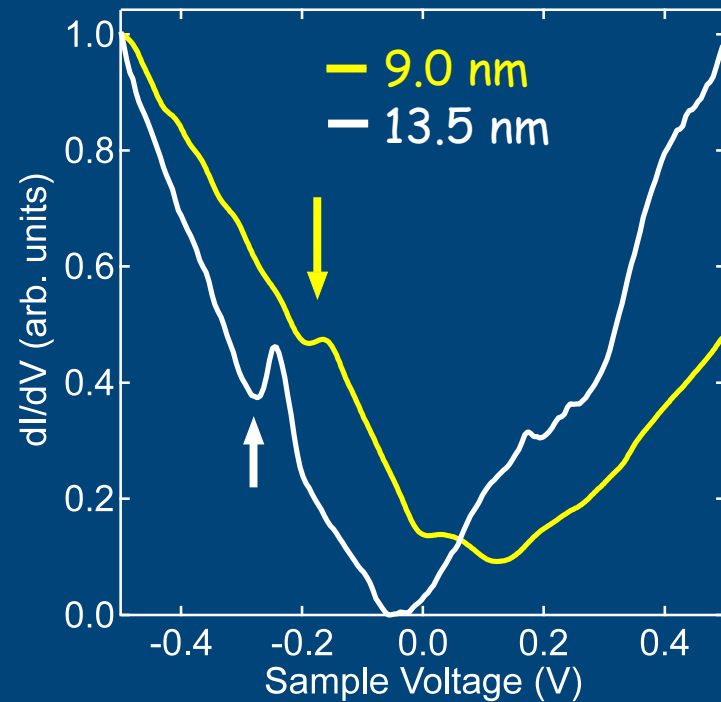
Graphene experiences periodic potential
given by moiré pattern

Spectroscopy

Theory



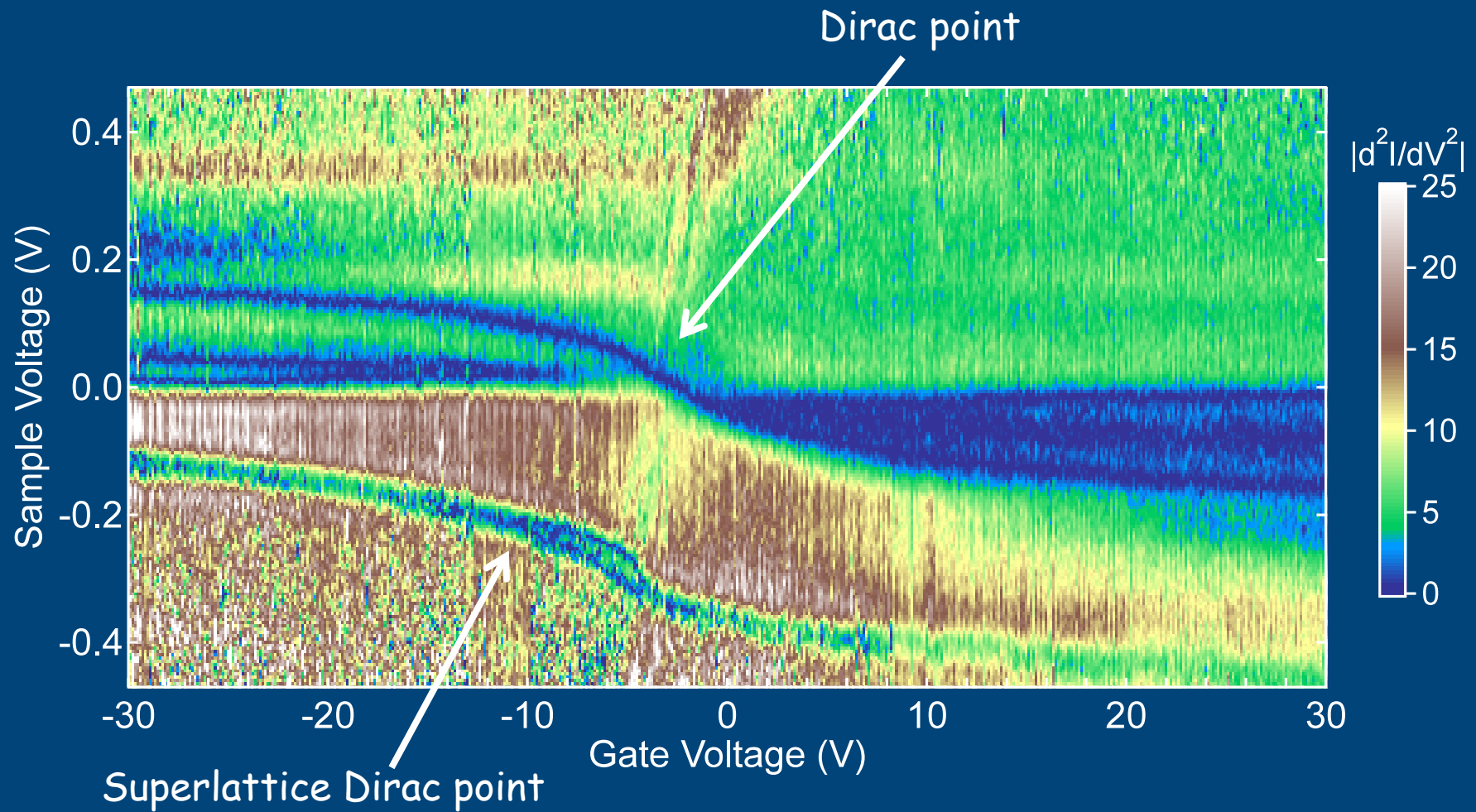
Experiment



Dips in density of states due to superlattice potential

Gate Dependence

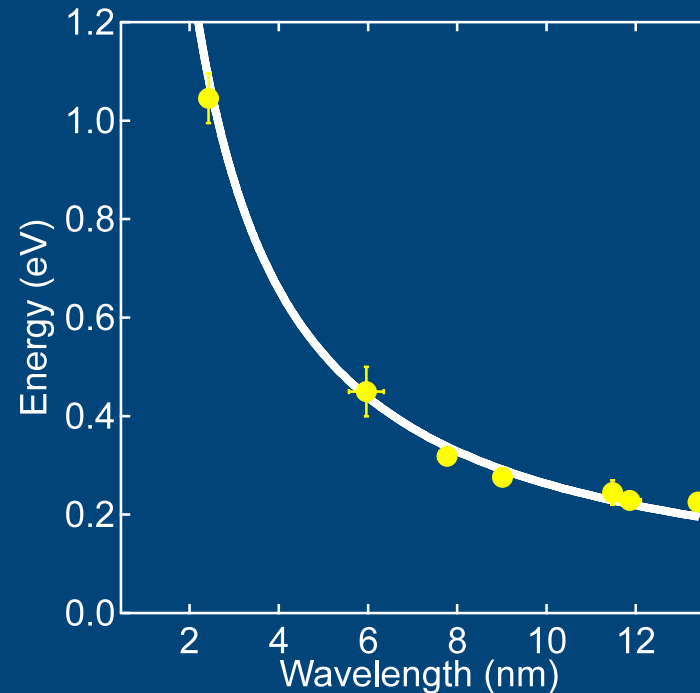
9.0 nm moiré



Dips move together with Fermi energy

Yankowitz et al., submitted

Superlattice Dirac Point



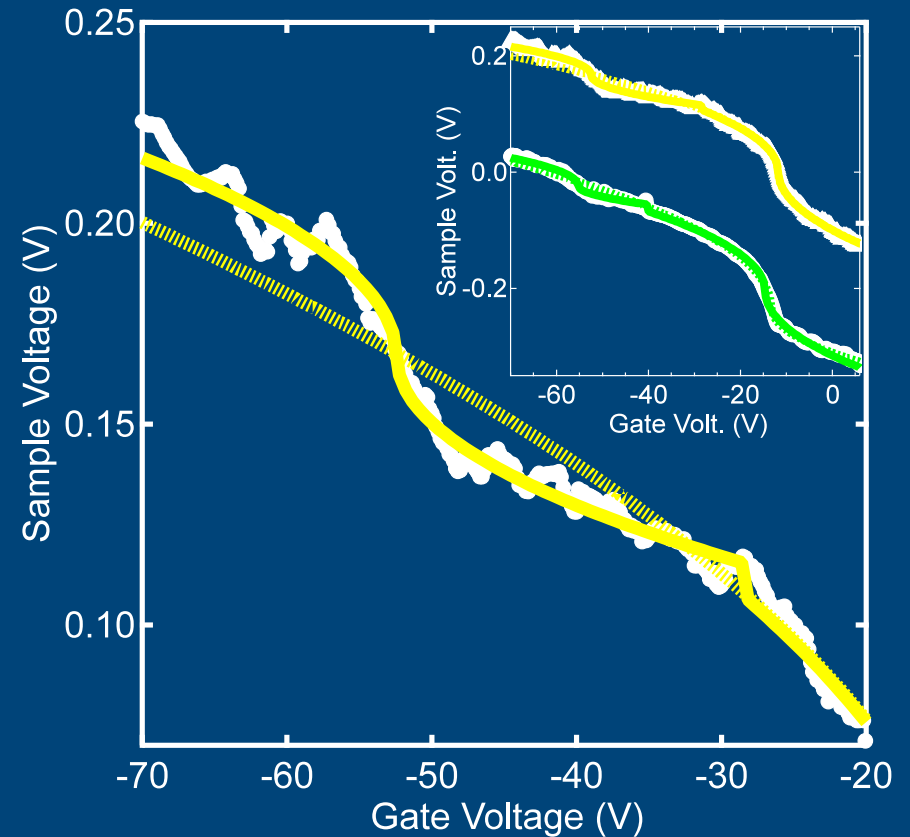
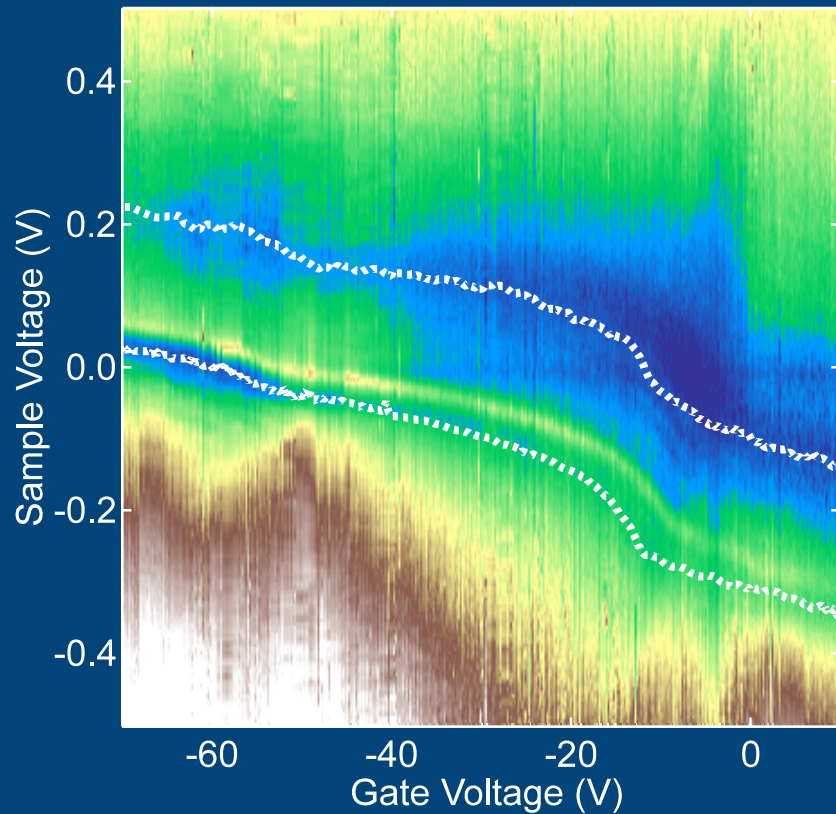
Energy of superlattice Dirac points
determined by wavelength of potential

$$E = \hbar v_F G / 2 = 2\pi \hbar v_F / \sqrt{3} \lambda$$

$$v_F = 1.1 \times 10^6 \text{ m/s}$$

Superlattice Dirac Point

13.5 nm moiré



Superlattice Dirac point has reduced Fermi velocity

$$v_F^* / v_F = 0.5 - 0.7$$

Yankowitz et al., submitted

LDOS Maps

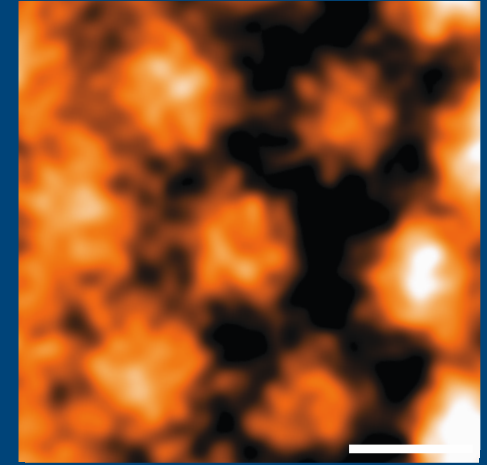
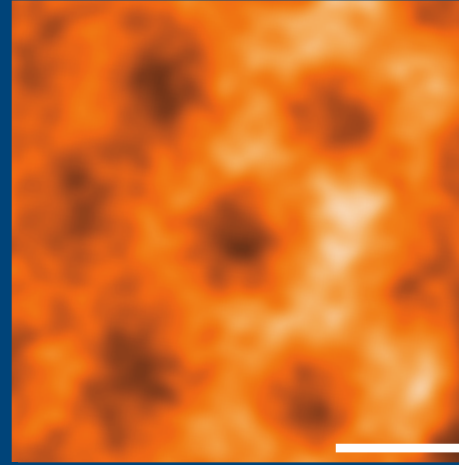
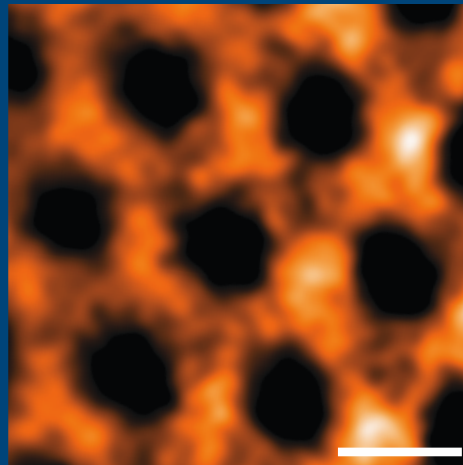
13.5 nm moiré

-0.3 eV

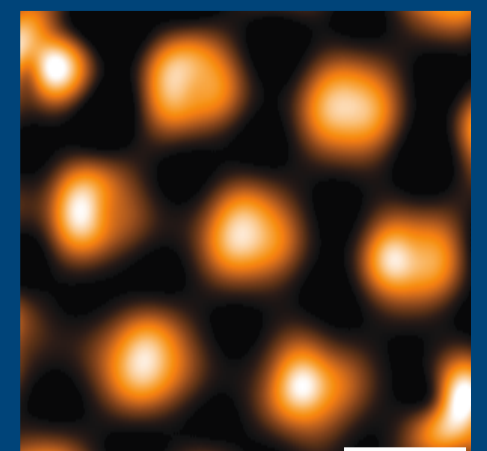
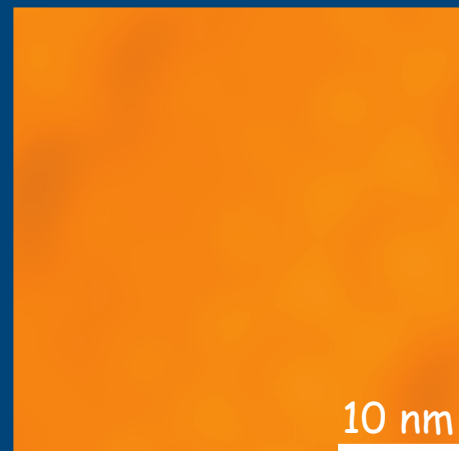
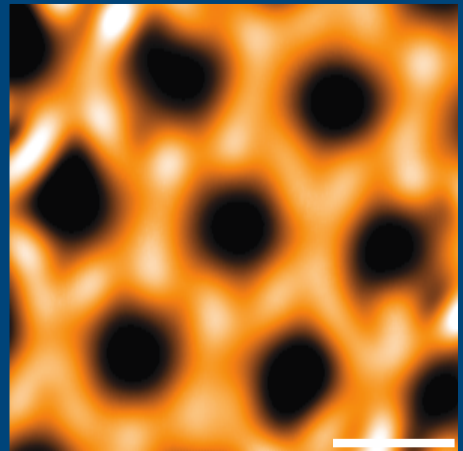
E_d

+0.3 eV

Expt.



Theory

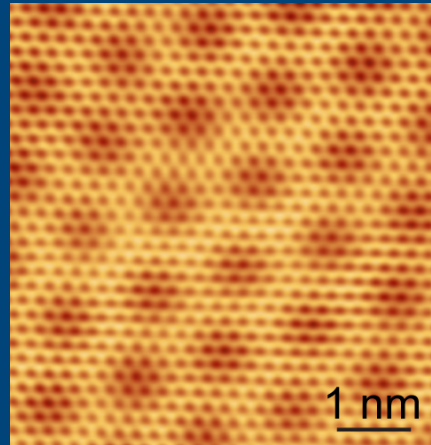


Spatial variation of images $\rightarrow v_F$ varies

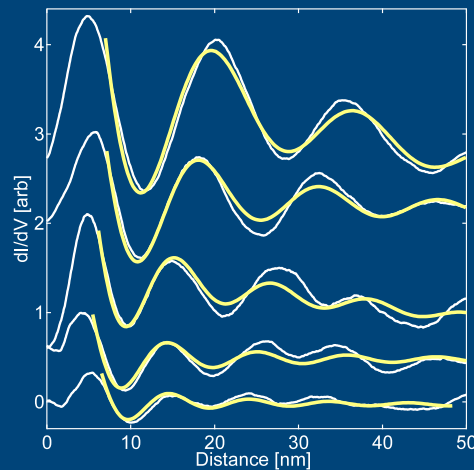
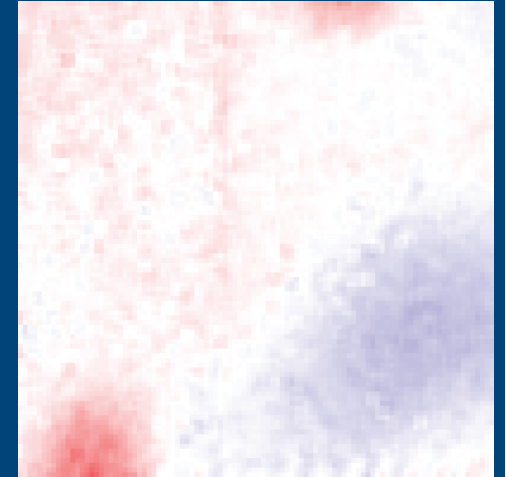
Yankowitz et al., submitted

Conclusions

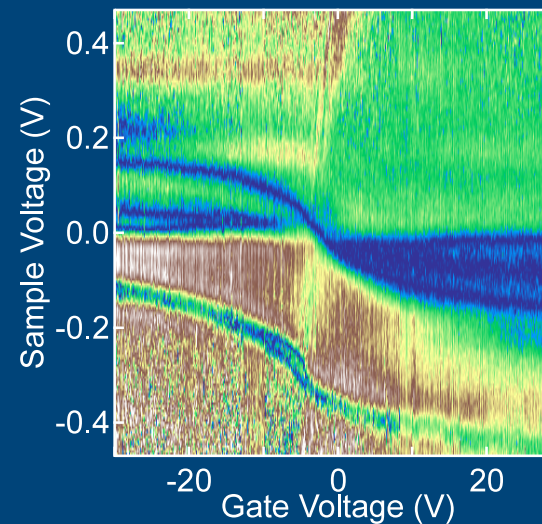
Moiré pattern
observed for
graphene on hBN



Electron and hole
puddles reduced
on hBN



LDOS oscillations
near step edges



Superlattice Dirac
point due to
periodic potential

Acknowledgements

LeRoy group

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Jiamin Xue (Ph.D. Student)
Matthew Yankowitz (Ph.D. Student)
Kyle Merry (Undergrad)
Collin Reynolds (Undergrad)
Sam Silva (Undergrad)
Pam Tautz (High School Teacher)
Reilly Bello (High School Student)
Braden Smith (High School Student)

NIMS

K. Watanabe
T. Taniguchi

Arizona

Prof. Philippe Jacquod
Prof. Arvinder Sandhu
Adam Roberts
Ty Newhouse-Illige

UC Riverside

Prof. Jeanie Lau
Wenzhong Bao
Feng Miao
Zeng Zhao

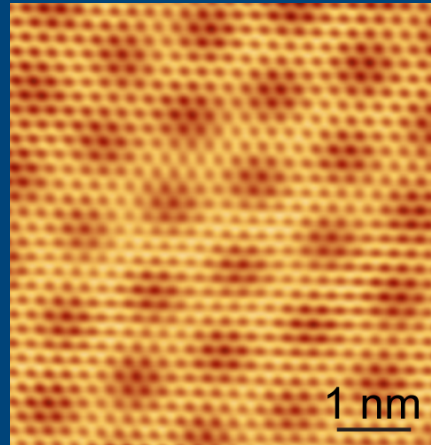
MIT

Prof. Pablo Jarillo-Herrero
Javier Sanchez-Yamagishi
Danny Bulmash

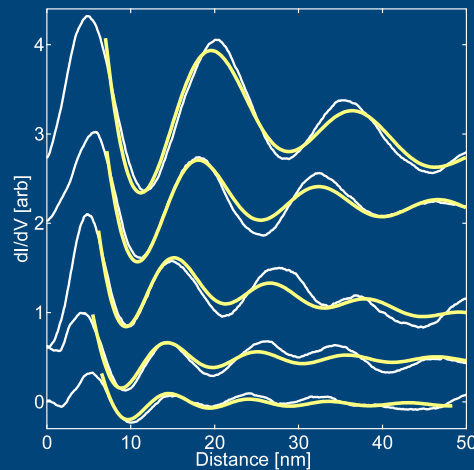
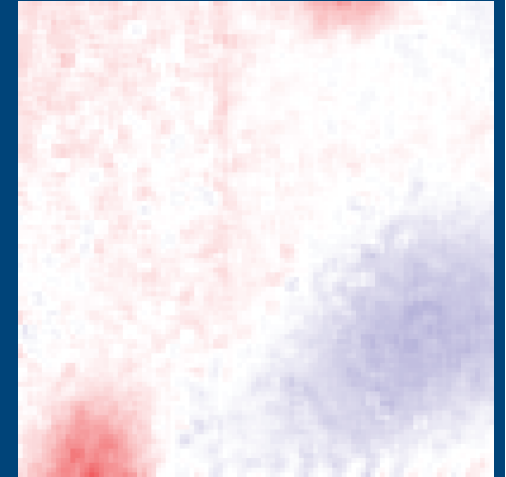


Conclusions

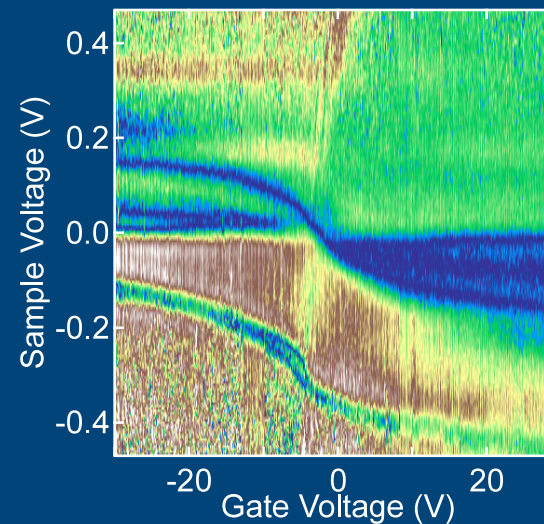
Moiré pattern
observed for
graphene on hBN



Electron and hole
puddles reduced
on hBN



LDOS oscillations
near step edges



Superlattice Dirac
point due to
periodic potential