

KITP - April 2018

Portal Couplings and Precision Cosmology

Adam Ritz

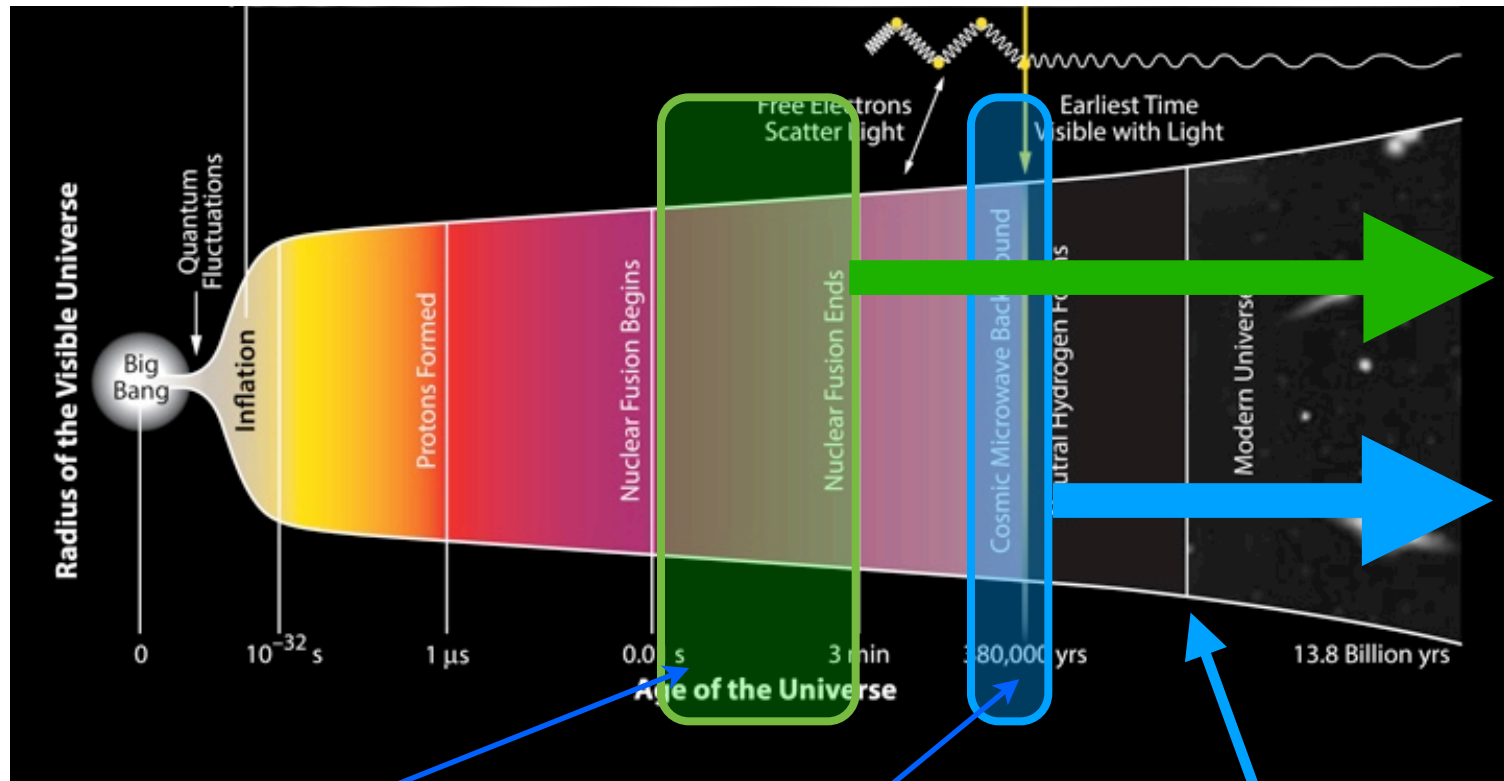
University of Victoria



A. Fradette, M. Pospelov, J. Pradler, & AR (1407.0993; and to appear)
M. Pospelov, AR & C. Skordis (0808.0673, after BICEP2/Keck)

Cosmological probes of new physics

CMB (spectrum/anisotropies) and BBN (elemental abundances) provide precision *calorimeters* (and *polarimeters*) to test for new particle physics...



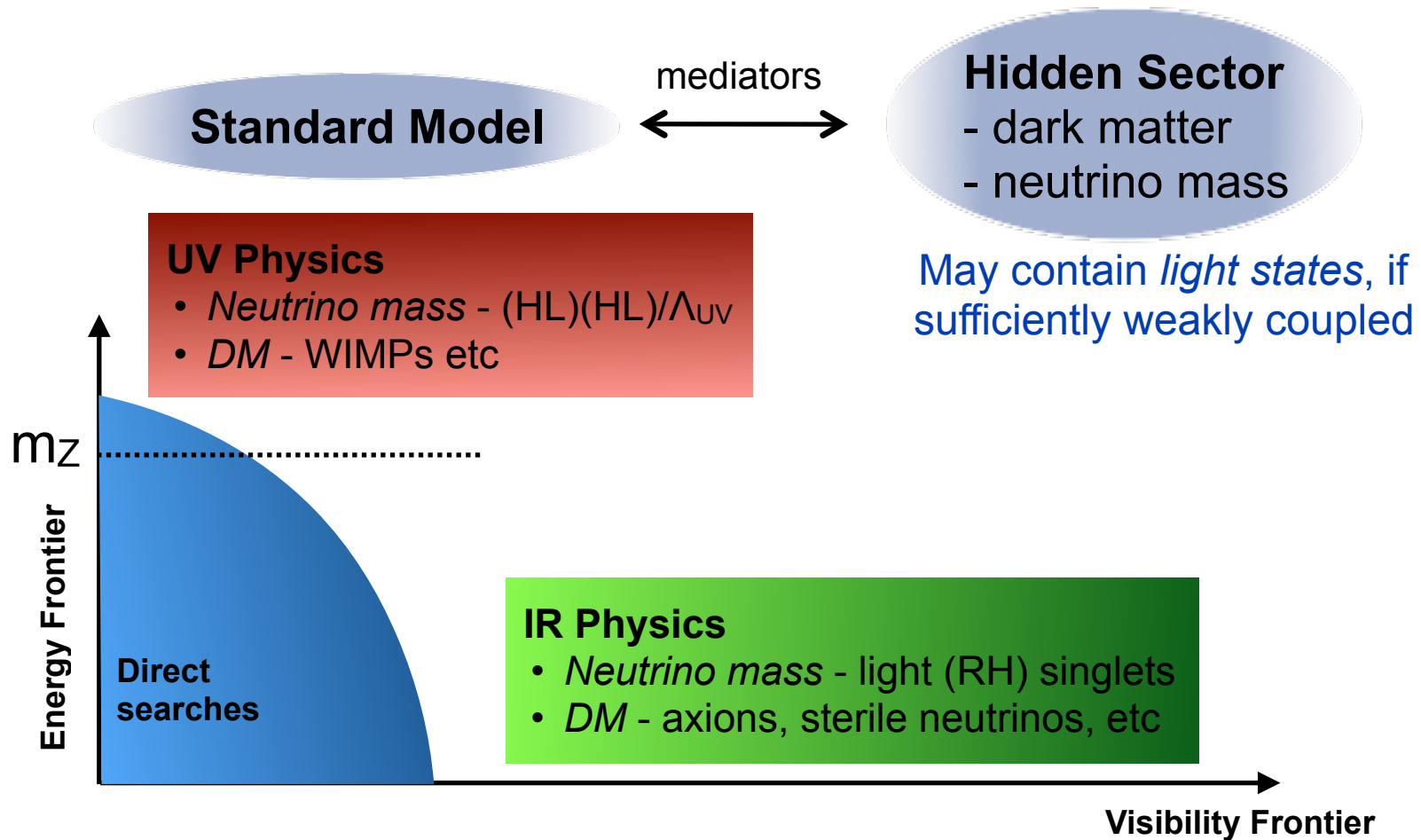
BBN ($t \sim 1\text{s} - 3\text{m}$)

CMB ($t \sim 10^5\text{ yrs}$)

First stars, reionization

New physics in a dark/hidden sector

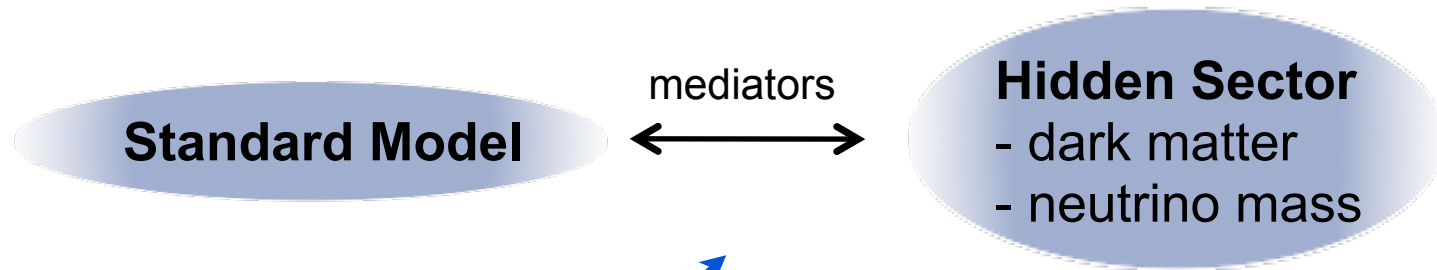
Empirical evidence for new physics (e.g. *neutrino mass*, *dark matter*) arguably points to a hidden/dark sector, but not directly to a specific mass scale



► a priori all options deserve exploration, so what theoretical guidance is there, and how far down can we probe the (in)visibility frontier?

New physics in a dark/hidden sector

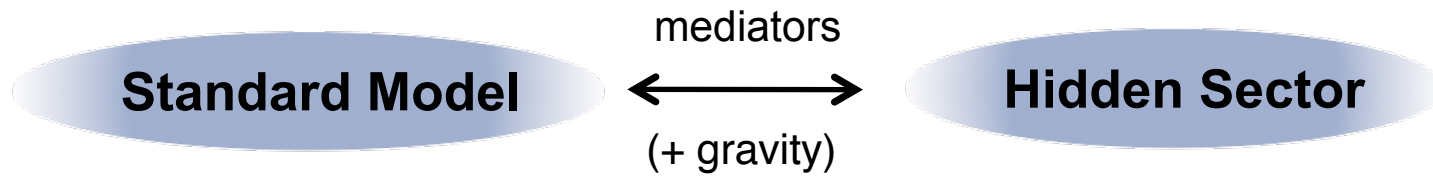
Empirical evidence for new physics (e.g. *neutrino mass*, *dark matter*) arguably points to a hidden/dark sector, but not directly to a specific mass scale



Easier to be systematic if we focus first on the mediation channels...

Substantial research effort over the past decade....

EFT for a (neutral) hidden sector



$$\mathcal{L} = \sum_{n=k+l-4} \frac{\mathcal{O}_k^{(SM)} \mathcal{O}_l^{(med)}}{\Lambda^n} \sim \mathcal{O}_{portals} + \mathcal{O}\left(\frac{1}{\Lambda}\right)$$

Generic interactions are irrelevant (dimension > 4), but there are three UV-complete relevant or marginal “portals” to a neutral hidden sector

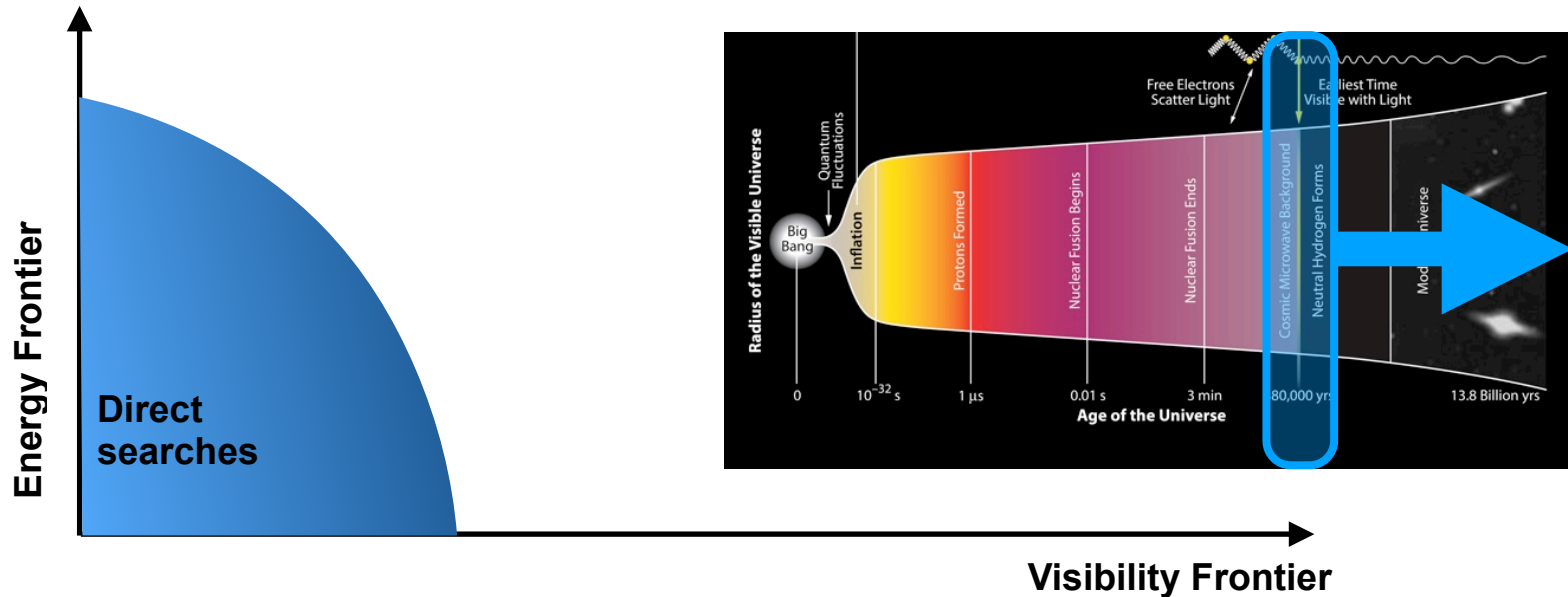
- Vector portal: $\mathcal{L} = -\frac{\kappa}{2} B^{\mu\nu} V_{\mu\nu}$ [Okun; Holdom; Foot et al]
- Higgs portal: $\mathcal{L} = -H^\dagger H (AS + \lambda S^2)$ [Patt & Wilczek]
- Neutrino portal: $\mathcal{L} = -Y_N^{ij} \bar{L}_i H N_j$

higher dimensional

$$\left[\bullet \text{ Axion portal: } \mathcal{L} = \frac{1}{2f_a} (F_{\mu\nu} \tilde{F}^{\mu\nu} + c_g G_{\mu\nu}^a \tilde{G}^{a\mu\nu}) a \right]$$

CMB Sensitivity to the (In)visibility frontier

CMB calorimetry/polarimetry and very dark sectors



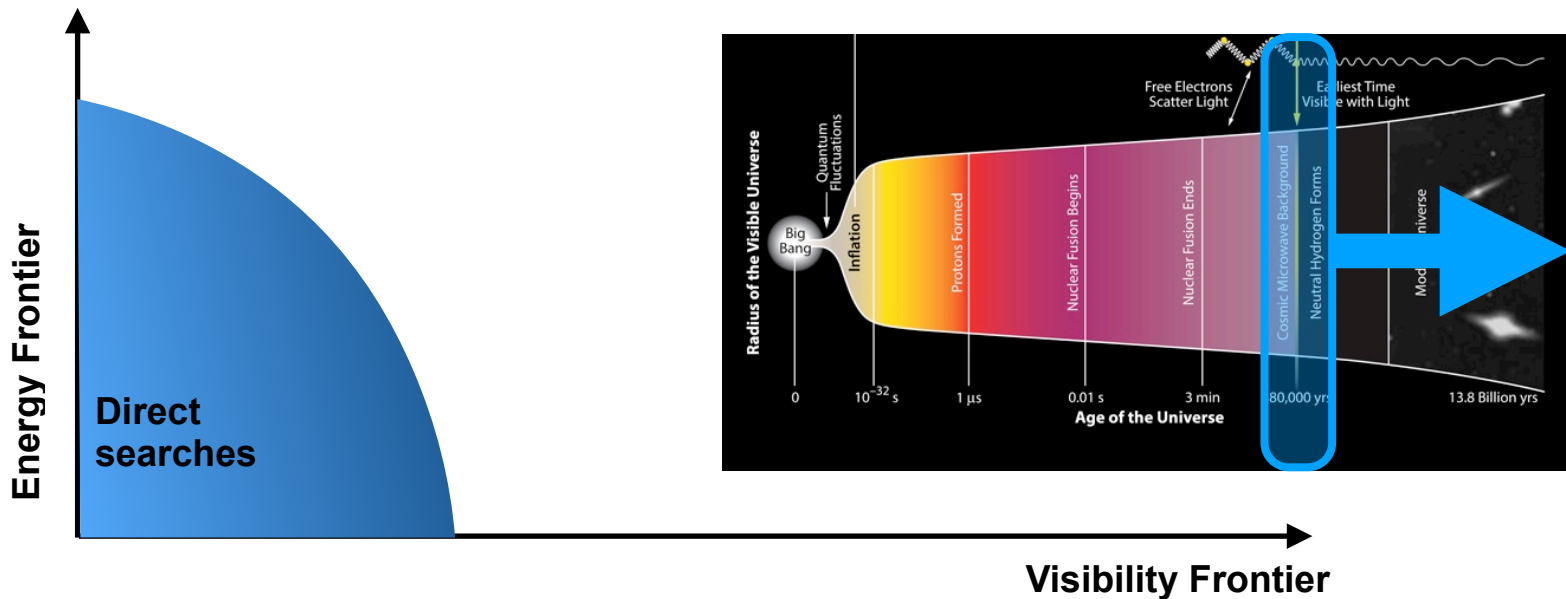
Case studies in this talk:

- (i) (very) dark photons (vector portal)
- (ii) (very) dark scalars (higgs portal)
- (iii) (very) light axions

NB: Impact from late decays of 'dark singlet leptons' through the neutrino portal was studied earlier [White et al '94, Adams et al '98, Lopez et al '98,...]

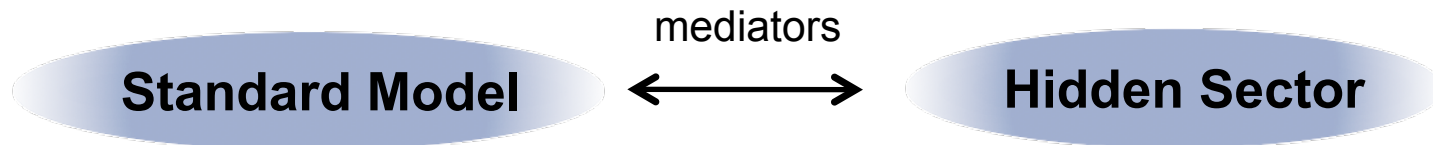
Case (i) - Dark photons (vector portal)

CMB calorimetry/polarimetry and very dark sectors



- (i) (very) dark photons (vector portal)
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- (iii) (very) light axions

Case (i) - Dark photons (vector portal)



$$\mathcal{L} = -\frac{1}{4}V_{\mu\nu}^2 - \frac{\kappa}{2}V_{\mu\nu}F^{\mu\nu} - \frac{1}{2}m_V^2 V_\mu^2 + \dots$$

[Okun, Holdom]



$$\mathcal{L}_{\text{int}} = -\kappa e V_\mu J_{\text{em}}^\mu \quad \text{[Fayet, 1980,81]}$$

A' - couples to the SM via the EM current

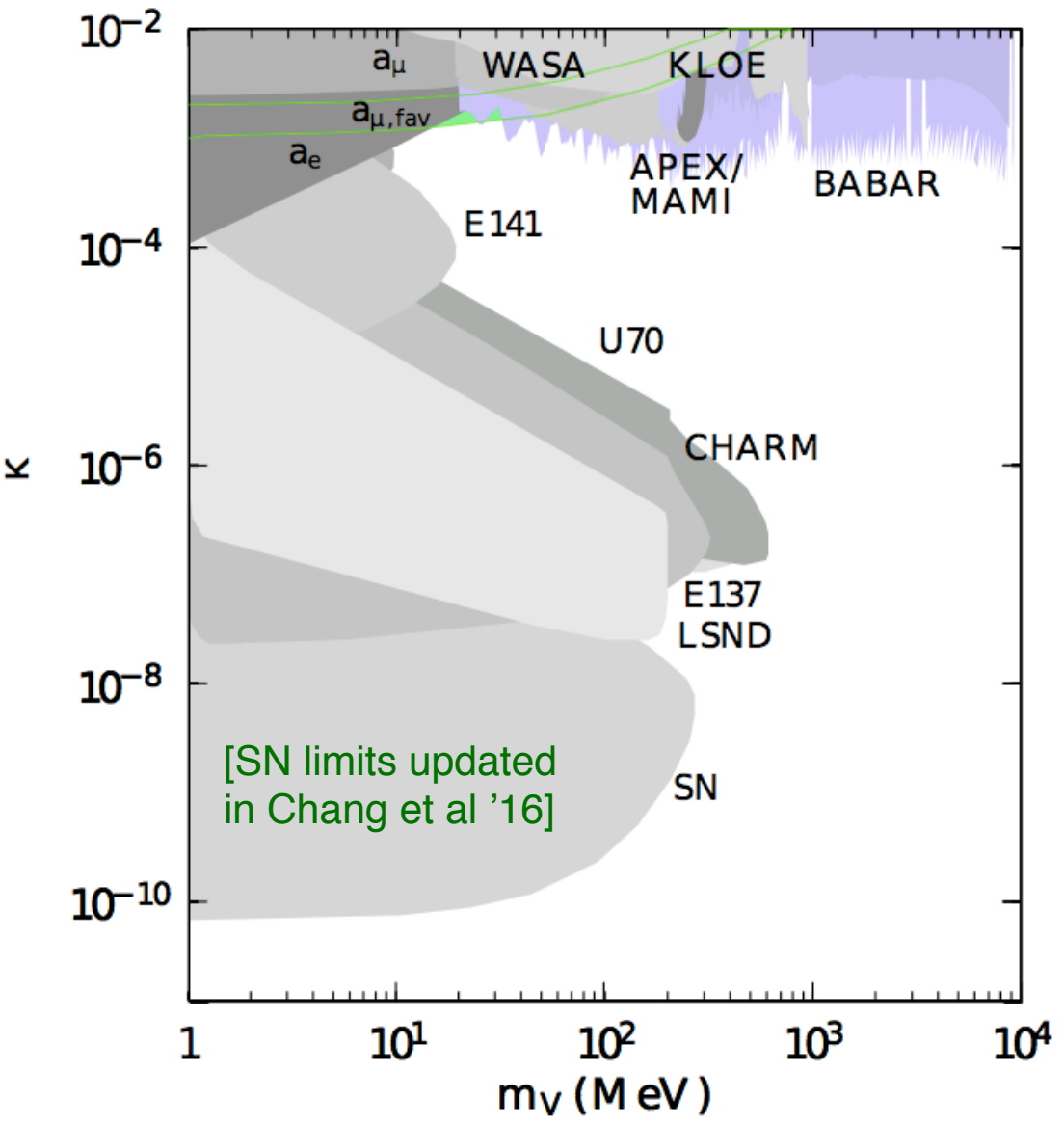
$$\alpha_{\text{eff}} = \alpha \kappa^2$$

- Simple 2D parameter space $\{\kappa, m_V\}$
- Vector mass via Higgs or Stueckelberg mechanism
 - If $m_V > 2m_e$, $V \rightarrow$ leptons, hadrons, $\text{Br} \sim \mathcal{O}(\kappa^2)$
 - If $m_V < 2m_e$, $V \rightarrow 3\gamma$ or 2ν and is a warm DM candidate
- Generic mediator for DM model-building over a large mass range

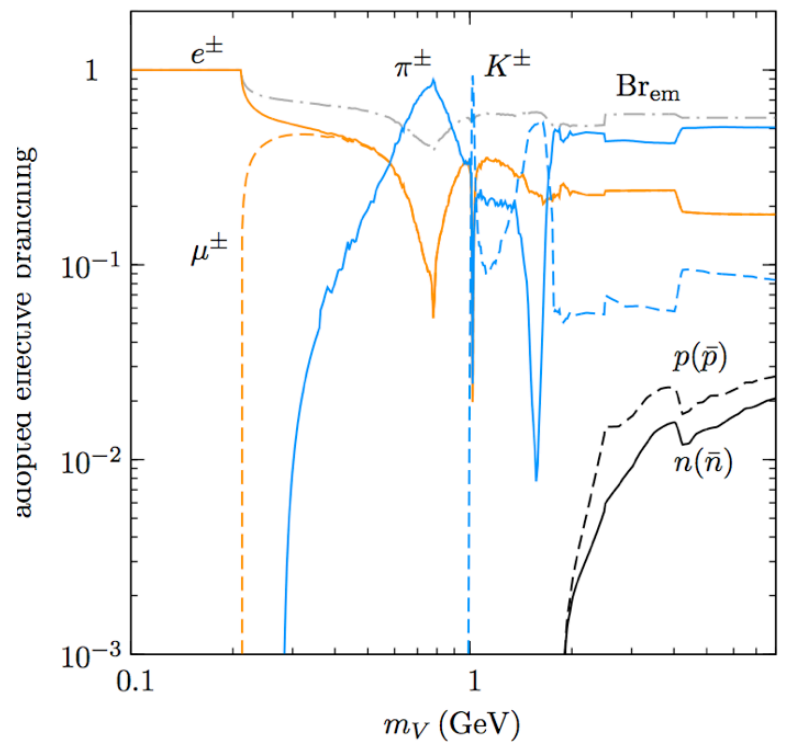
*Alternate Notation : $\kappa = \epsilon$, $V_\mu = A'_\mu$

Dark Photons - sensitivity if $\text{Br}(\text{SM}) \sim 1$

[See e.g. Snowmass NLWCP WG, Essig et al '13; Dark Sectors Workshop '16]



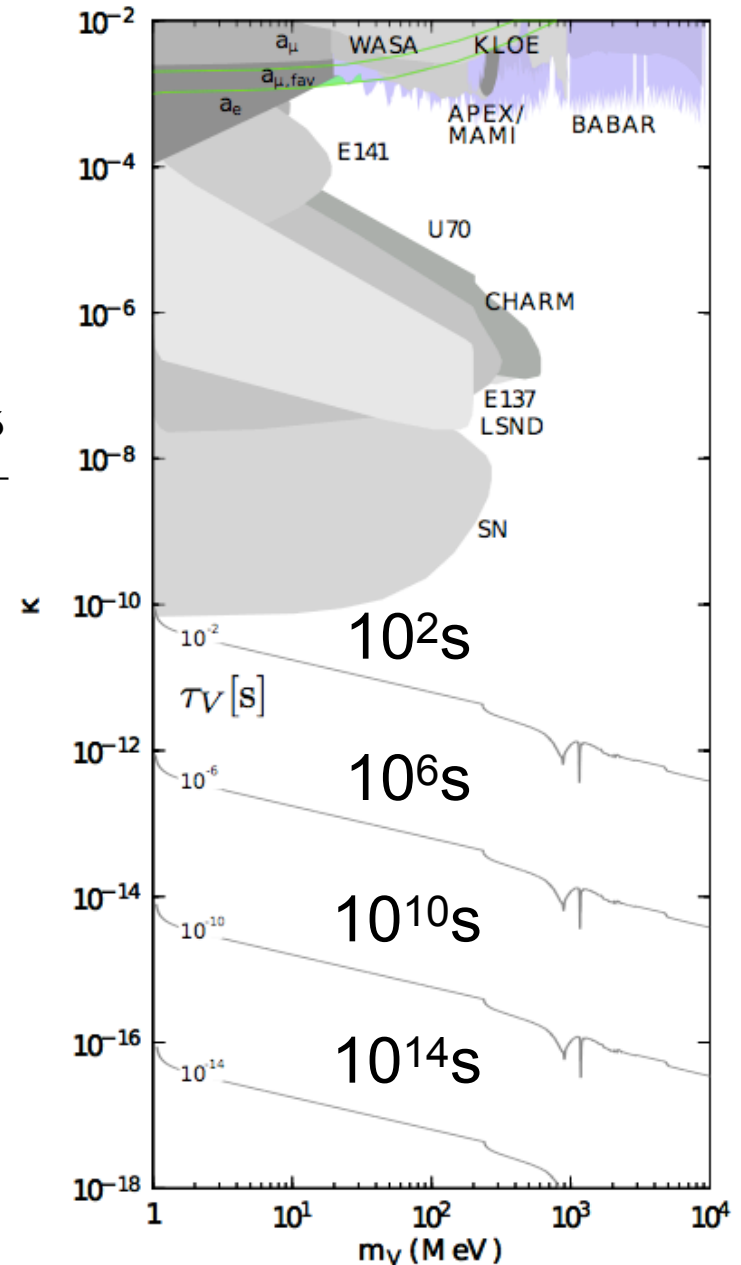
Assuming $\text{Br}(V \rightarrow \text{SM}) \sim 1$
(no extra light dark sector states)



Very dark photons

Cosmological sensitivity
to energy injection from
late decays?

$$\tau_V \sim \frac{3}{\alpha_{\text{eff}} m_V} = 6 \times 10^5 \text{ yr} \times \frac{10 \text{ MeV}}{m_V} \times \frac{10^{-35}}{\alpha_{\text{eff}}}$$



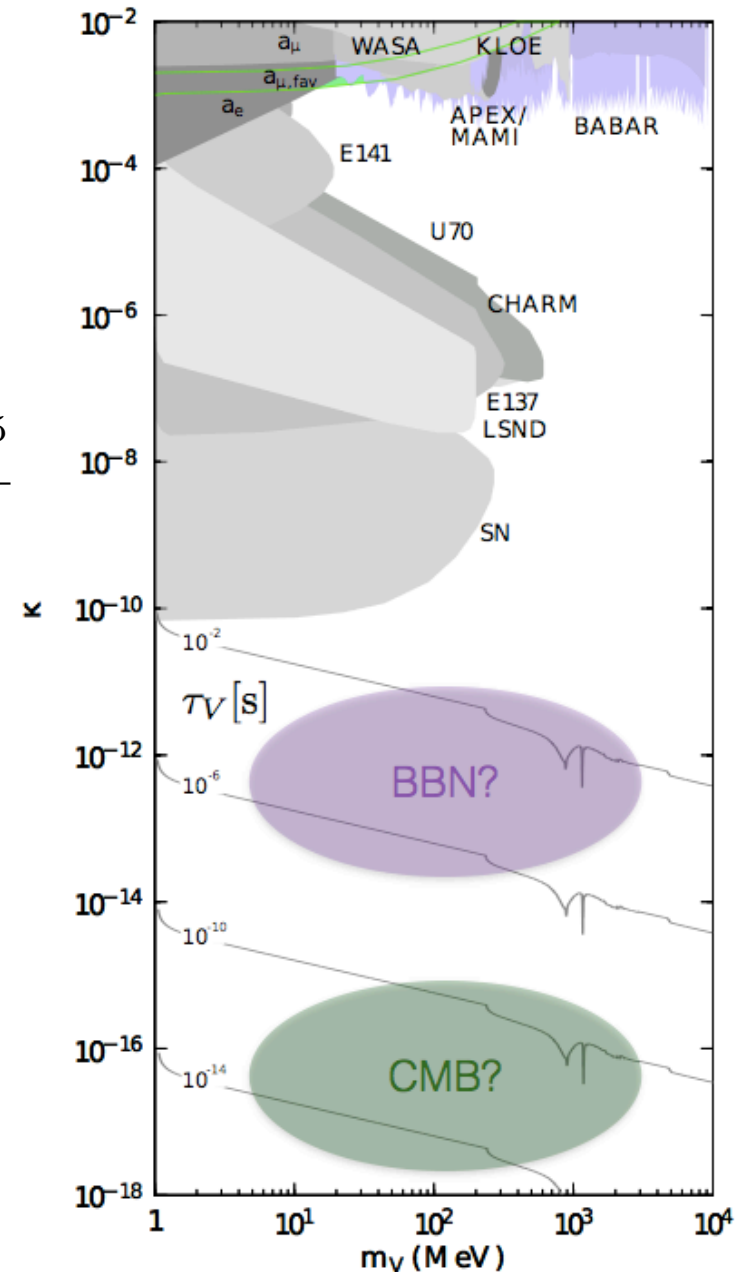
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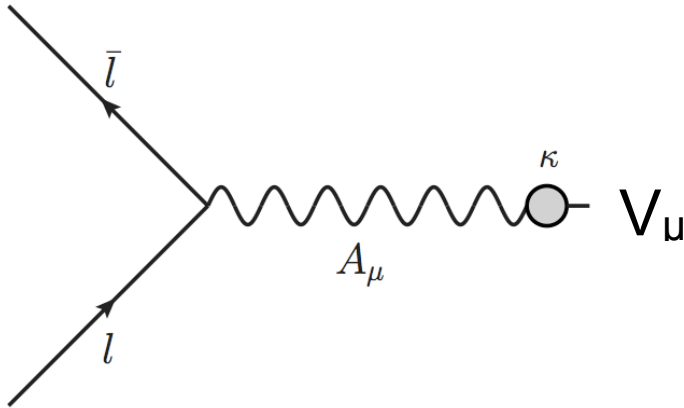
BBN ($t \sim 1\text{-}10^3 \text{ s}$) \longrightarrow

CMB ($t \sim 10^{12}\text{-}10^{14} \text{ s}$) \longrightarrow



Thermal production

- Production in the early universe via freeze-in

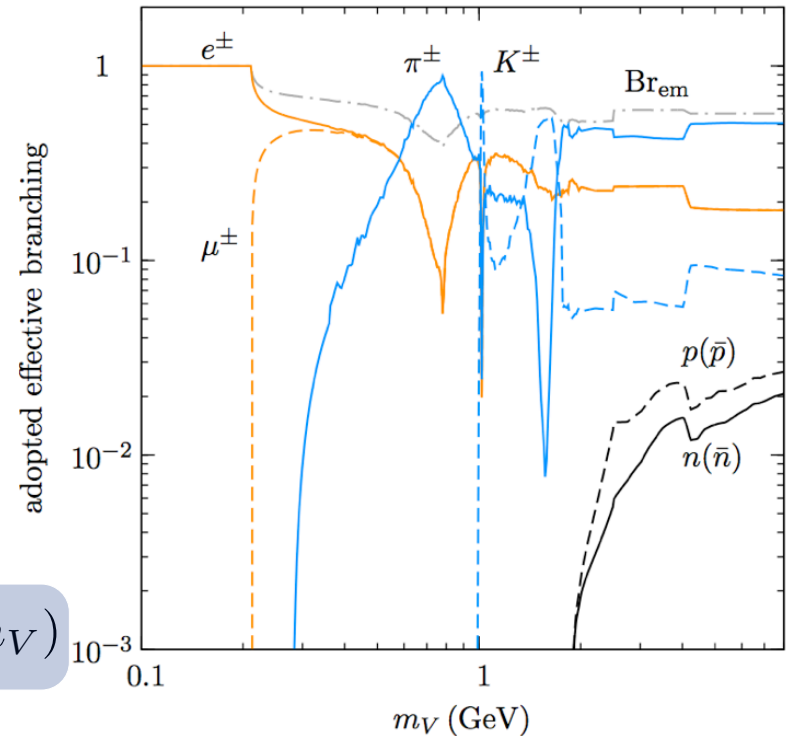


$$s\dot{Y}_V = \dot{n}_V + 3Hn = \frac{3}{2\pi^2}\Gamma_V m_V^2 T K_1(m_V/T)$$

Freeze-in abundance ($T_{\text{max prod}} \sim m_V$)

$$Y_{V,\text{fo}} \sim \frac{\Gamma_V m_V^3}{H(m_V) s(m_V)}$$

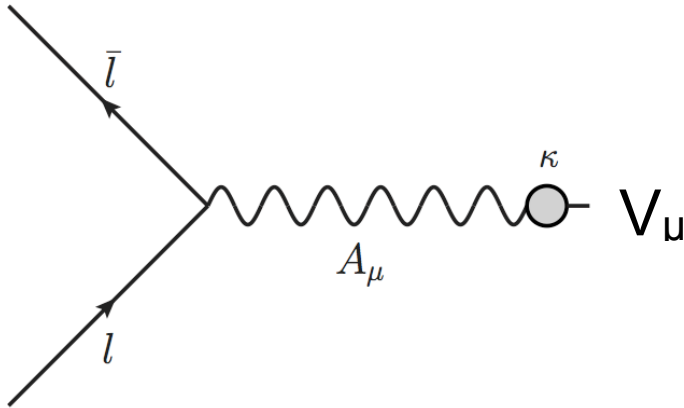
$$\sim 2 \times 10^{-17} \times \left(\frac{10^{14} \text{ s}}{\tau_V}\right) \times \left(\frac{10 \text{ MeV}}{m_V}\right)^2$$



NB: conservatively ignoring production modes during inflation

Thermal production

- Production in the early universe via freeze-in

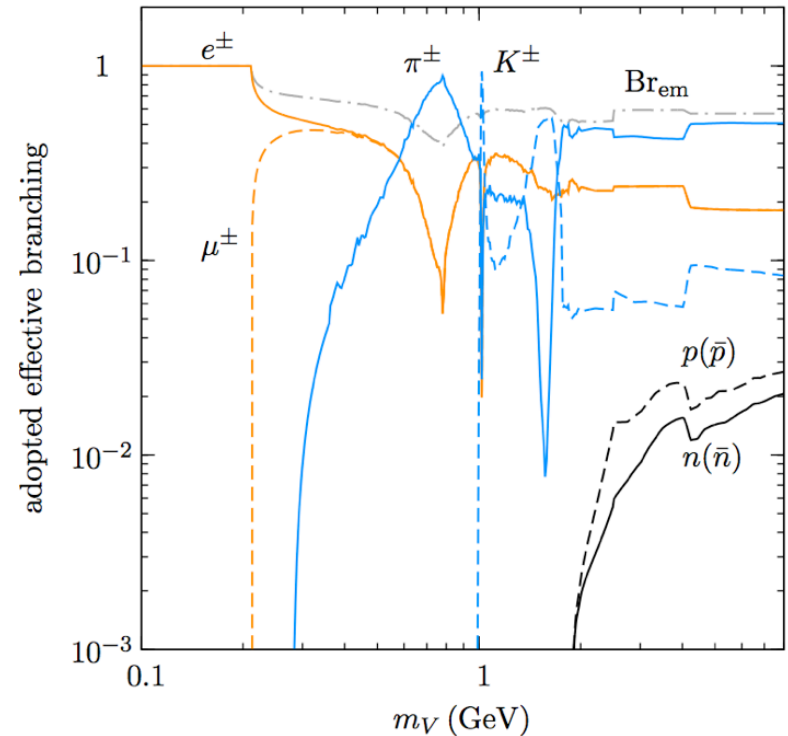


$$s\dot{Y}_V = \dot{n}_V + 3Hn = \frac{3}{2\pi^2} \Gamma_V m_V^2 T K_1(m_V/T)$$

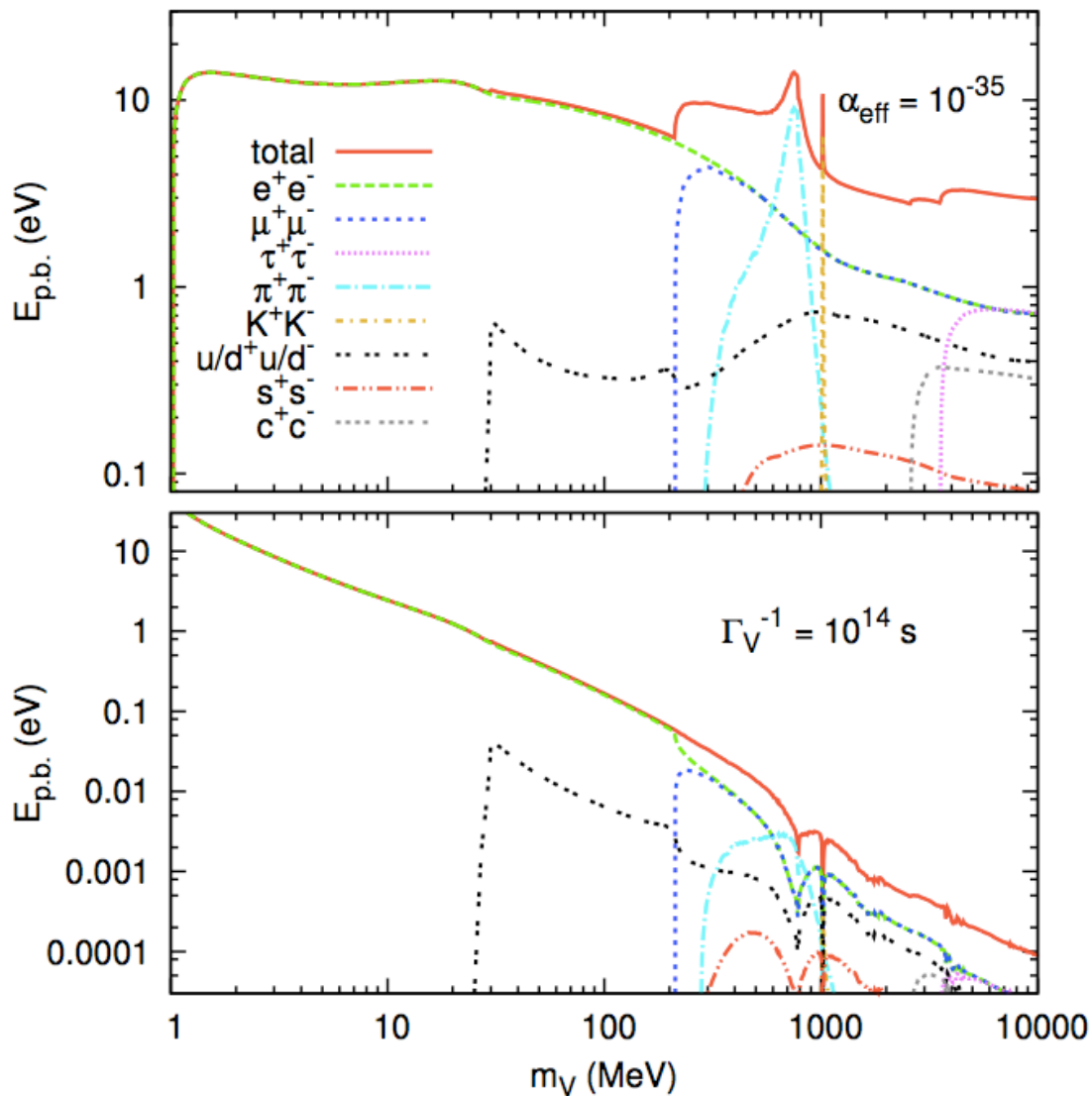
➡ Energy stored per baryon

$$E_{\text{p.b.}} = m_V Y_{V,f} \frac{s}{n_b} \Big|_0 \sim 2.6 \text{eV} \times \left(\frac{10^{14} \text{s}}{\tau_V} \right) \times \left(\frac{10 \text{ MeV}}{m_V} \right)$$

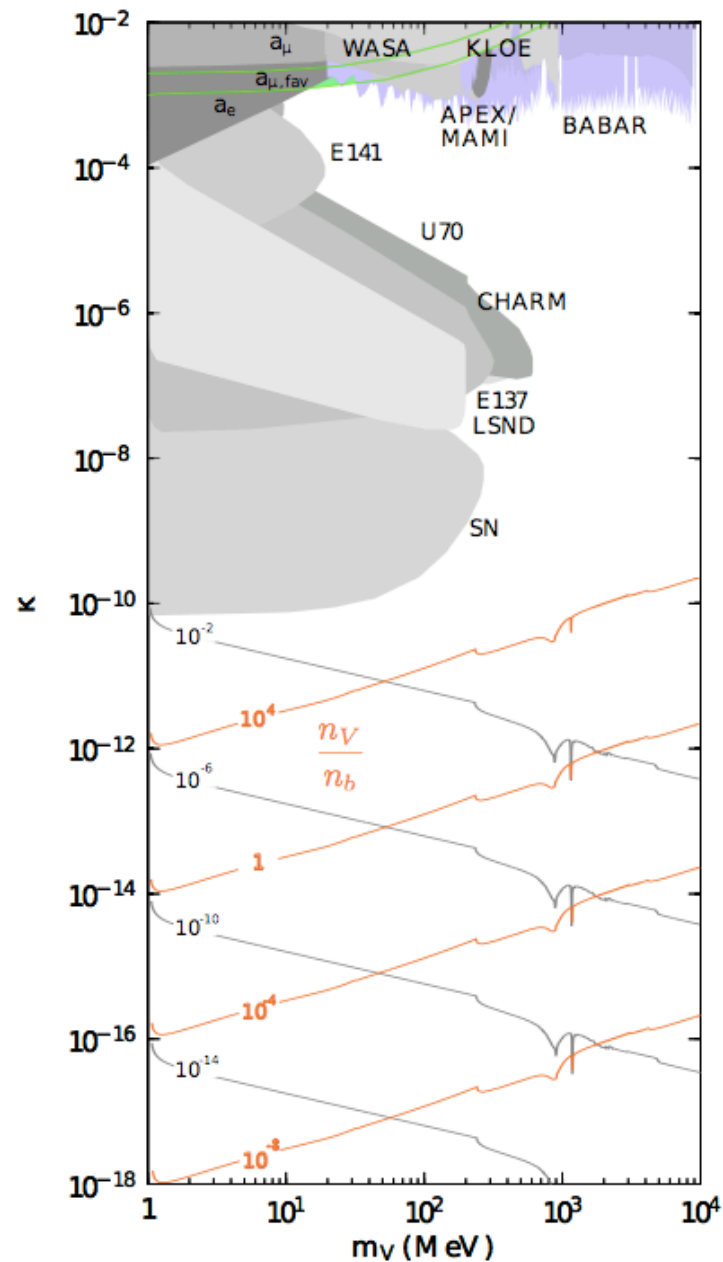
CMB has sensitivity to $\sim 0.1 \text{eV p.b.}$!



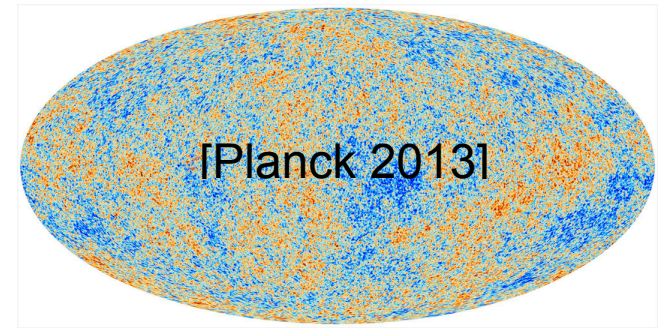
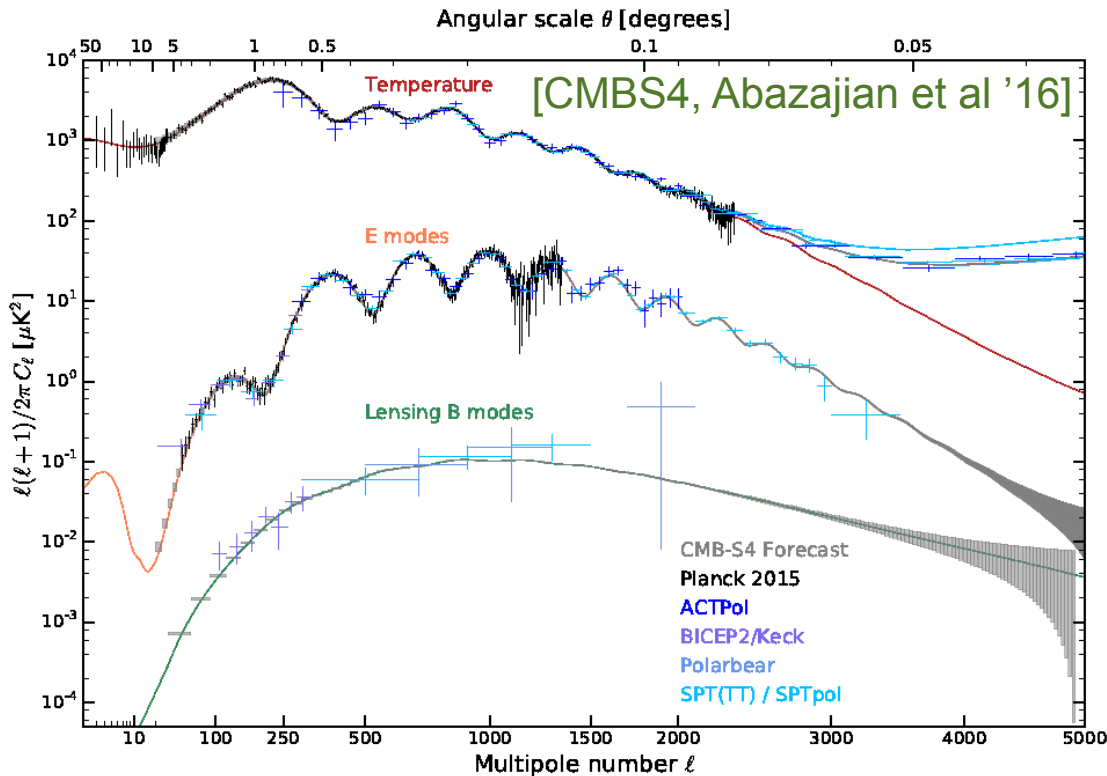
Energy injection



Simplified QCD transition
(quarks \rightarrow mesons at $T \sim 157 \text{ MeV}$)

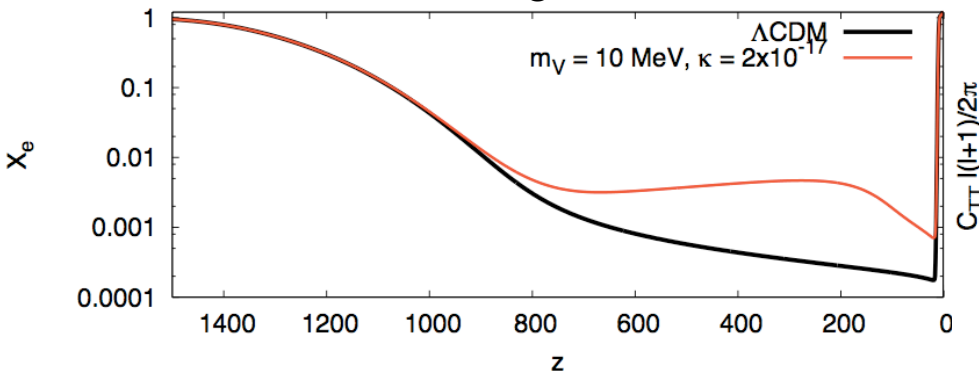


CMB sensitivity

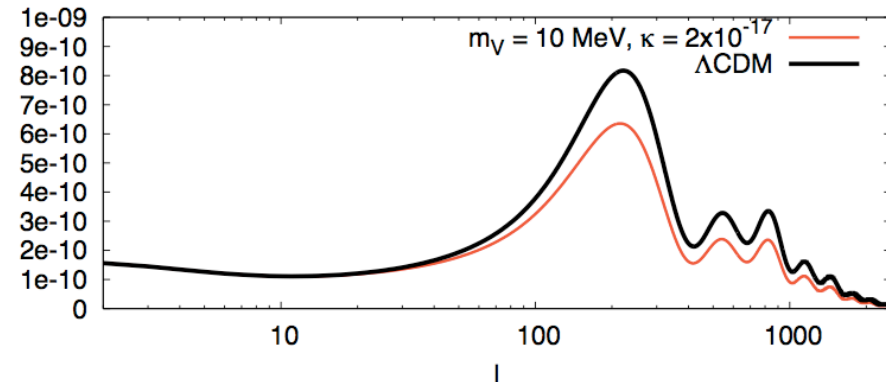


Precision TT and EE anisotropy spectrum constrains modifications to the visibility function, e.g. from energy injection

Partial reionization enhances late scattering off CMB



Washes out small-scale TT correlations



CMB - VDP energy injection

[Following Chen & Kamionkowski '03; Zhang et al '07; Slatyer '12]

$$\frac{dE}{dt dV} = 3\zeta m_p \Gamma e^{-\Gamma t}$$



$$\zeta = \frac{f}{3} \frac{\Omega_V}{\Omega_b} = \frac{f}{3} \frac{E_{\text{p.b.}}}{m_p}$$

f = efficiency for deposited energy to produce ionization (~1/3) and heating (~2/3)

$$\Rightarrow \zeta \Gamma_V < (2 - 10) \times 10^{-25} \text{ Hz}$$

CMB - VDP energy injection

[Following Chen & Kamionkowski '03; Zhang et al '07; Slatyer '12]

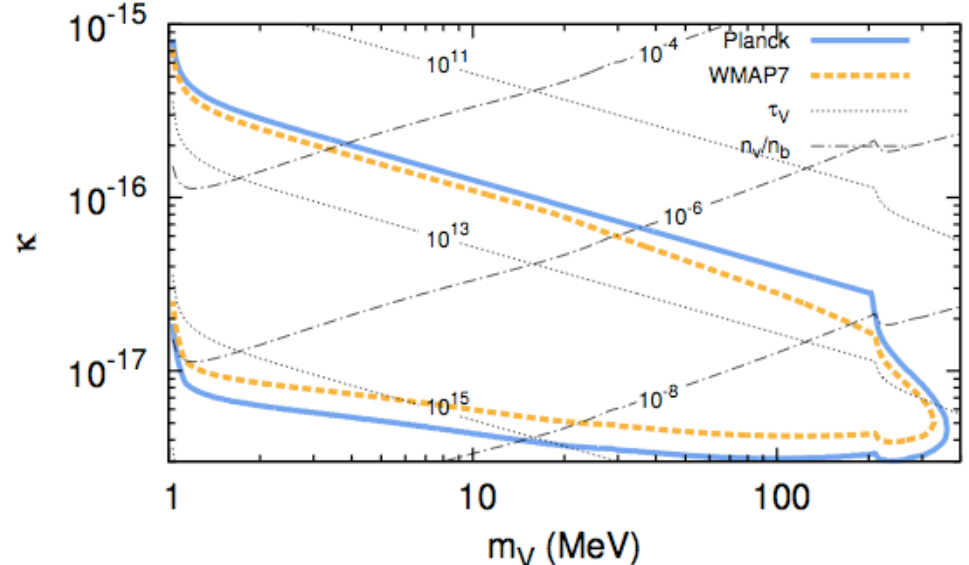
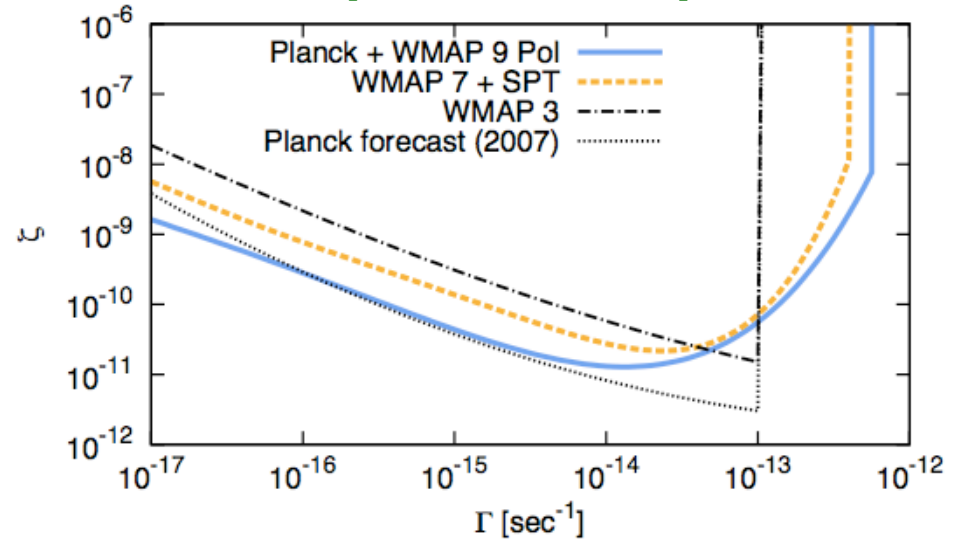
$$\frac{dE}{dt dV} = 3\zeta m_p \Gamma e^{-\Gamma t}$$

$$\zeta = \frac{f \Omega_V}{3 \Omega_b} = \frac{f E_{\text{p.b.}}}{3 m_p}$$

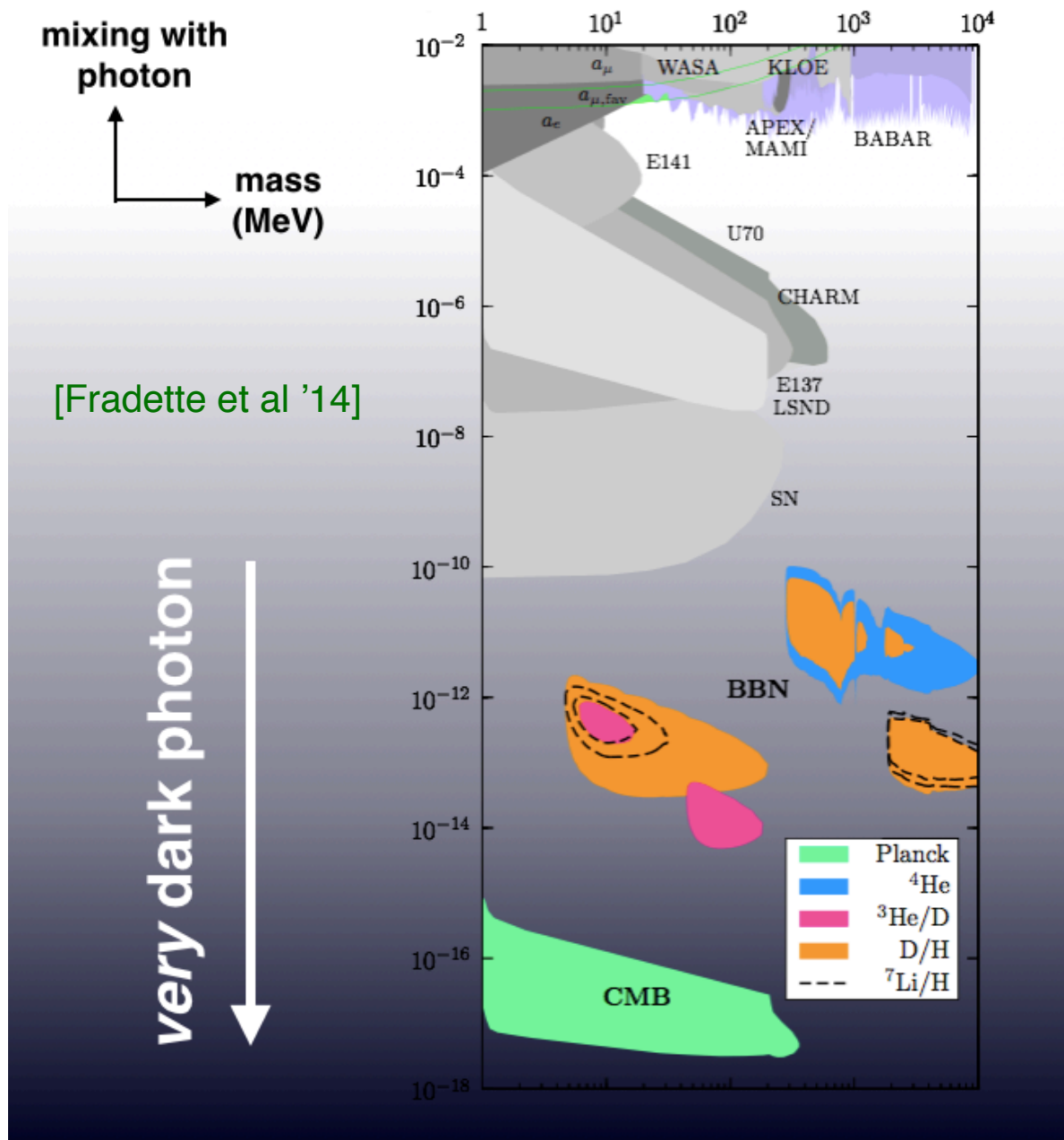
f = efficiency for deposited energy to produce ionization (~1/3) and heating (~2/3)

$$\Rightarrow \zeta \Gamma_V < (2 - 10) \times 10^{-25} \text{ Hz}$$

[Fradette et al '14]



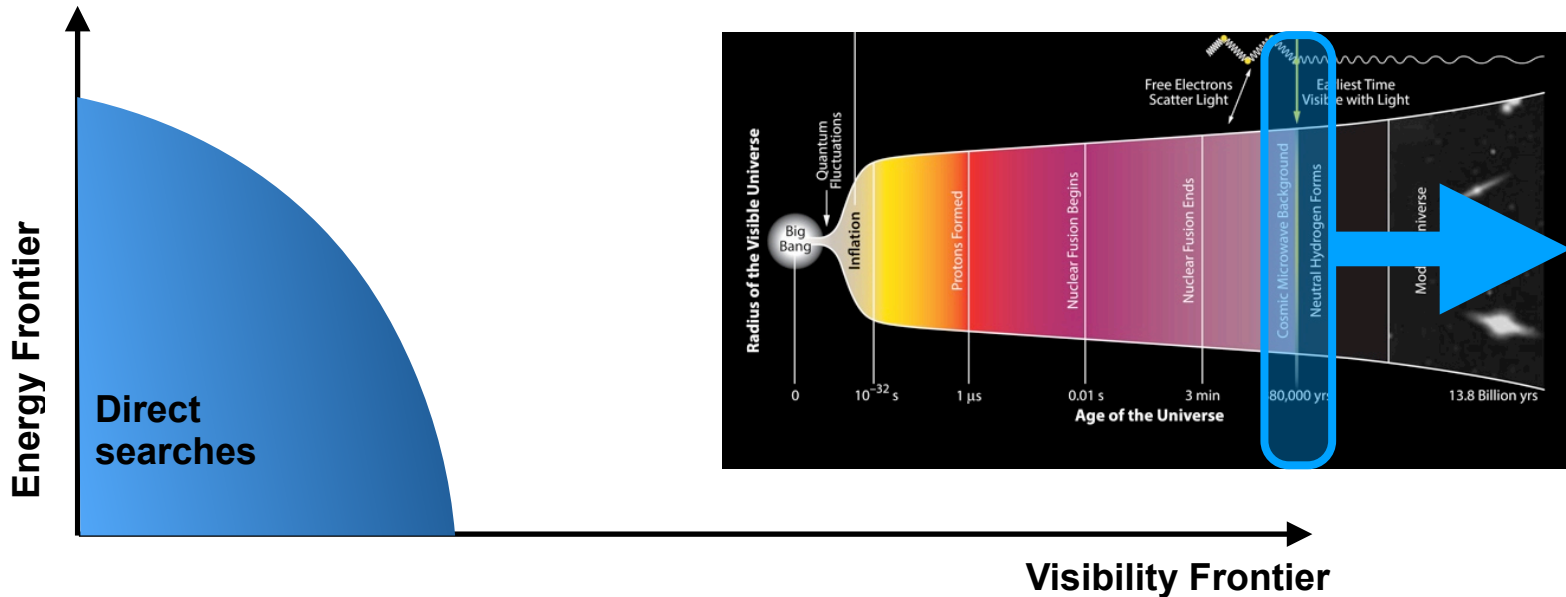
Cosmological constraints on VDP



[See also Berger et al '16]

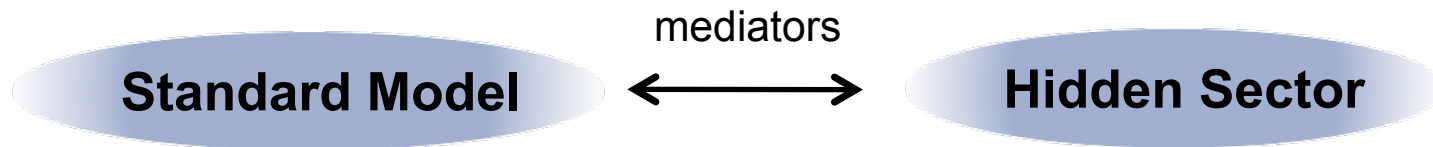
Case (ii) - Dark Scalars

CMB calorimetry/polarimetry and very dark sectors



- (i) (very) dark photons (vector portal)
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- (iii) (very) light axions

Case (ii) - Dark scalars (Higgs portal)



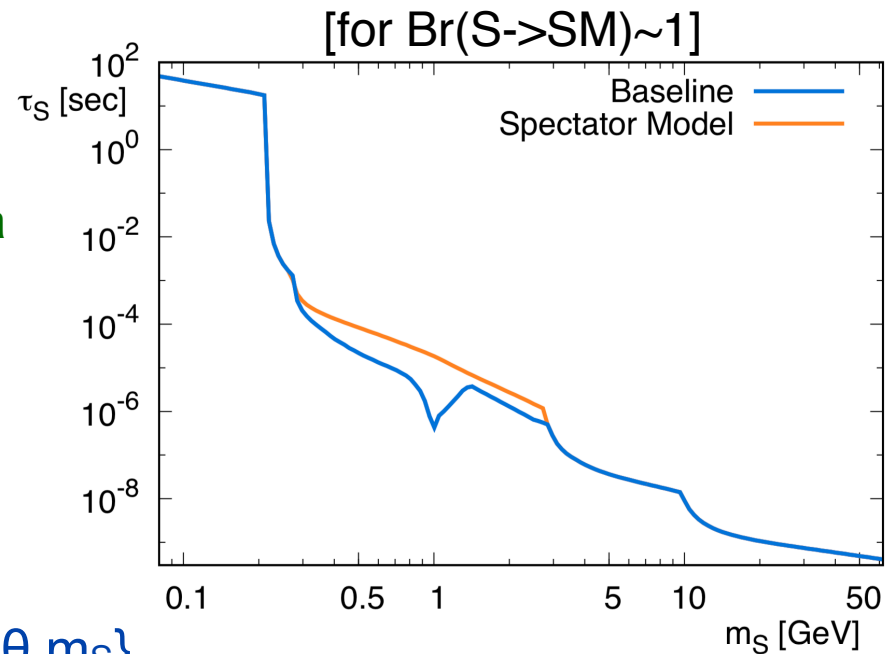
$$\mathcal{L}_{H/S} \supset \mu^2 H^\dagger H - \lambda_H (H^\dagger H)^2 - \frac{1}{2} m_S^2 S^2 - A S H^\dagger H$$



$$\mathcal{L}_{\text{int}} = -\theta S J_S$$

S - couples to the SM via the scalar current

$$\theta = \frac{A v}{m_H^2 - m_S^2}$$



- Simple 2D parameter space $\{\theta, m_S\}$
- If $m_S > 2m_e$, S decays to leptons, hadrons, $\text{Br} \sim \mathcal{O}(\theta^2)$

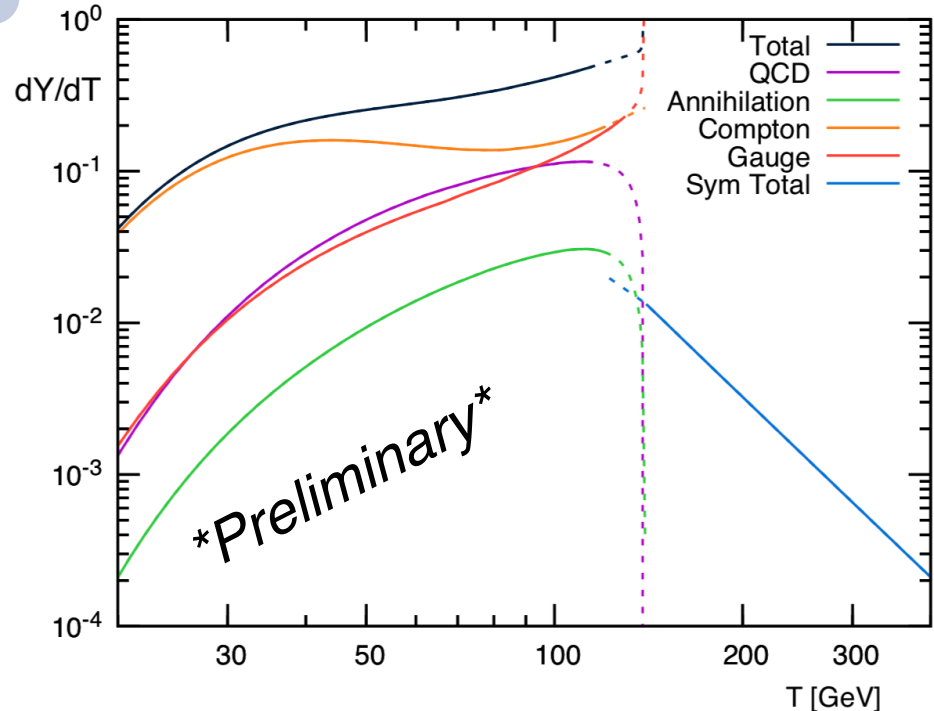
Thermal production

Production in the early universe via freeze-in

[Fradette et al - to appear]

Production Channel i	$Y_i^{v \gg 0}$	$Y_i^{v \gtrsim 0}$	Y_i^{sym}	$Y_i^{\text{tot}} [10^{10} \theta^2]$
$t\bar{t} \rightarrow gS$	2.11	0.93	0	6.29-8.11
$tg \rightarrow tS (\times 2)$	4.17	0.90		
$t\bar{t} \rightarrow hS$	0.41	0.08	0.03-0.05	1.72-2.01
$t\bar{t} \rightarrow ZS$	0.44	0.11		
$t\bar{b} \rightarrow W^+S (\times 2)$	0.82	0.11		
$th \rightarrow tS (\times 2)$	0.38	0.13	0.14-0.21	14.40-17.77
$tZ \rightarrow tS (\times 2)$	1.46	0.77		
$tW \rightarrow bS (\times 2)$	3.66	1.43		
$bW \rightarrow tS (\times 2)$	8.70	1.11		
$Zh \rightarrow ZS$	0.26	0.10	0.01-0.02	8.68-10.93
$ZZ \rightarrow hS$	0.33	0.17		
$WW \rightarrow hS$	0.57	0.25		
$WW \rightarrow ZS$	3.47	0.89		
$Wh \rightarrow WS (\times 2)$	0.46	0.16		
$WZ \rightarrow WS (\times 2)$	3.57	0.69		
$hh \rightarrow hS$	0.01	< 0.01		
Total	30.81	7.84	0.19-0.28	31.1-38.8

$$(T_{\text{max prod}} \sim m_W)$$



NB: Thermal effects are important (need to include thermal masses and $v(T)$), and production is significant around the EWPT

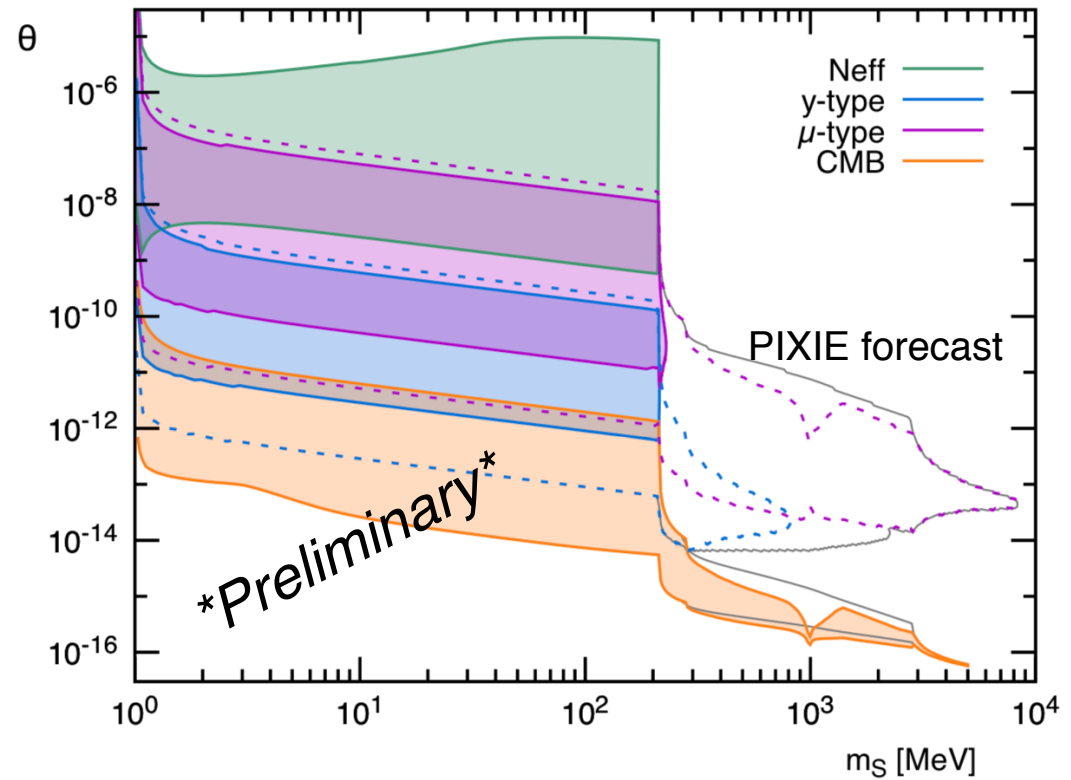
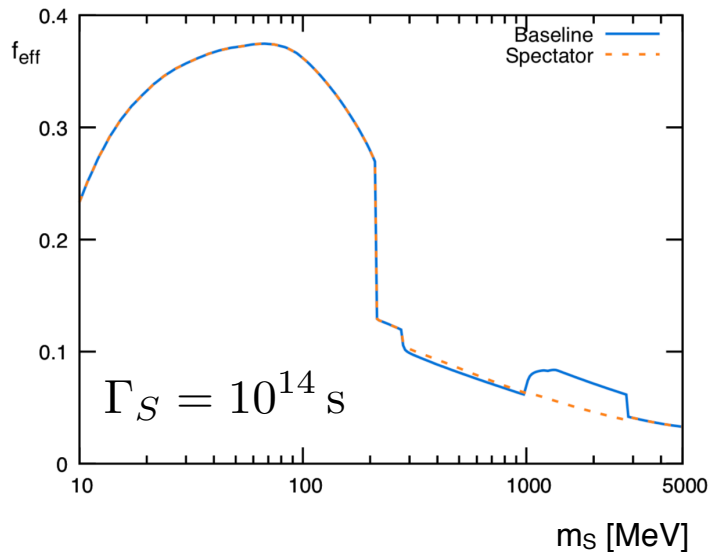
Freeze-in abundance



CMB constraints (Planck, COBE-FIRAS)

Energy injection from decays: $\frac{dE}{dt dV} = 3\zeta m_p \Gamma e^{-\Gamma t}$

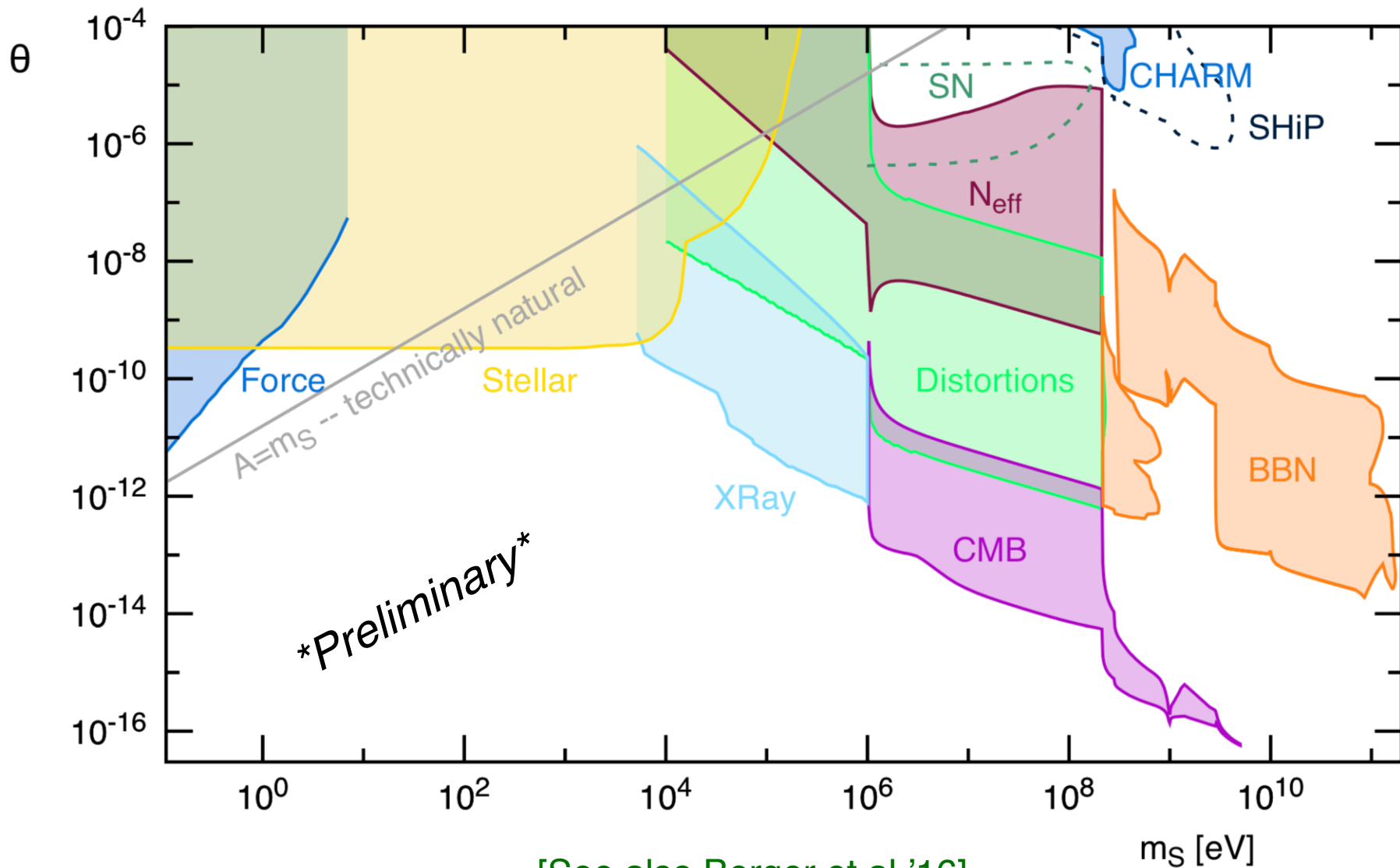
$$\zeta = f_{\text{eff}} \frac{m_S Y_S s_0}{m_p n_{b,0}}$$



[Fradette et al - to appear]

Cosmological constraints

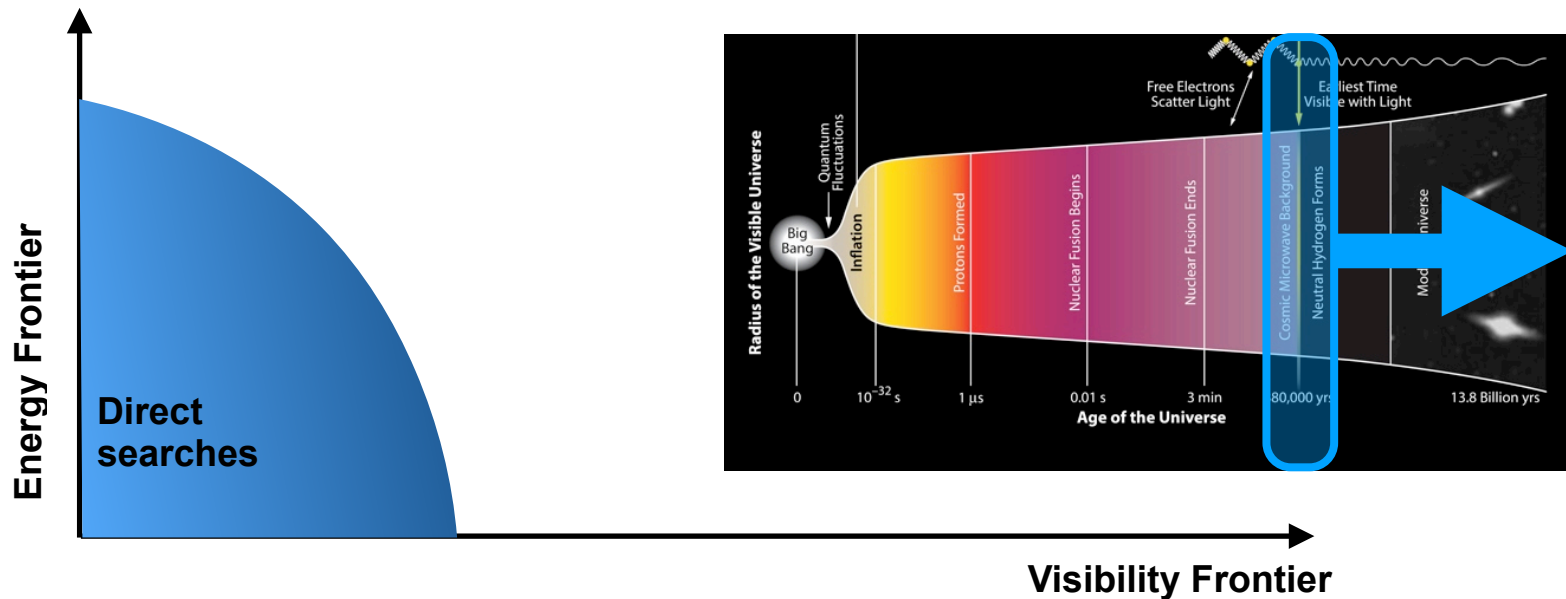
[Fradette et al - to appear]



[See also Berger et al '16]

Case (iii) - Very light (but dark!) axions

CMB calorimetry/polarimetry and very dark sectors



- (i) (very) dark photons (vector portal)
- (ii) (very) dark scalars (higgs portal)
- (iii) (very) light axions

Case (iii) - Very light (but dark!) axions

- With multiple $U(1)_{PQ}$ symmetries broken at high scales, only one linear combination of Goldstone modes becomes the massive PQ axion (with a potential role in the strong CP problem, and as dark matter)

[Peccei & Quinn, Weinberg, Wilczek, KSVZ, ZDFS]

- A simple realization involves two “axions” with a shift symmetry $a \rightarrow a + \text{const}$ [Anselm & Uraltsev '82]

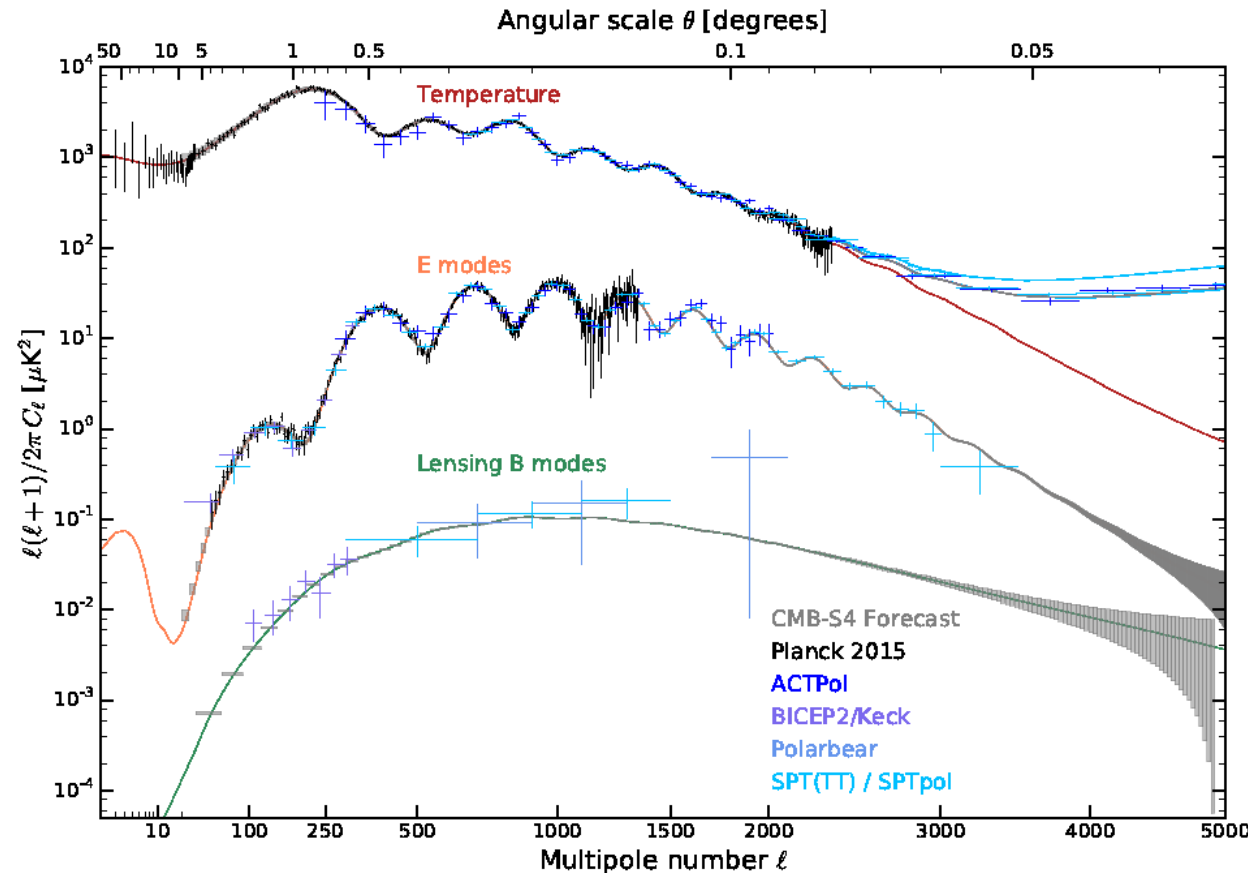
$$\frac{1}{2} \left(\frac{a_1}{g_1} + \frac{a_2}{g_2} \right) G_{\mu\nu} \tilde{G}^{\mu\nu} + \frac{1}{2} \left(\frac{a_1}{f_1} + \frac{a_2}{f_2} \right) F_{\mu\nu} \tilde{F}^{\mu\nu} \rightarrow \mathcal{L}_{QCDa} + \frac{a}{2f_a} F_{\mu\nu} \tilde{F}^{\mu\nu}$$

QCD axion (massive)
massless pseudoscalar

$m_a \sim m_\pi f_\pi / f_a$

Probing new dofs with CMB polarization

[CMBS4, Abazajian et al '16]



Temperature quadrupole anisotropy only produces E-mode (gradient-type) polarization, $Q \neq 0$

► Precision measurements of CMB polarization (with $BB \ll EE$) now allow its use as a precision probe of physics affecting photon polarization

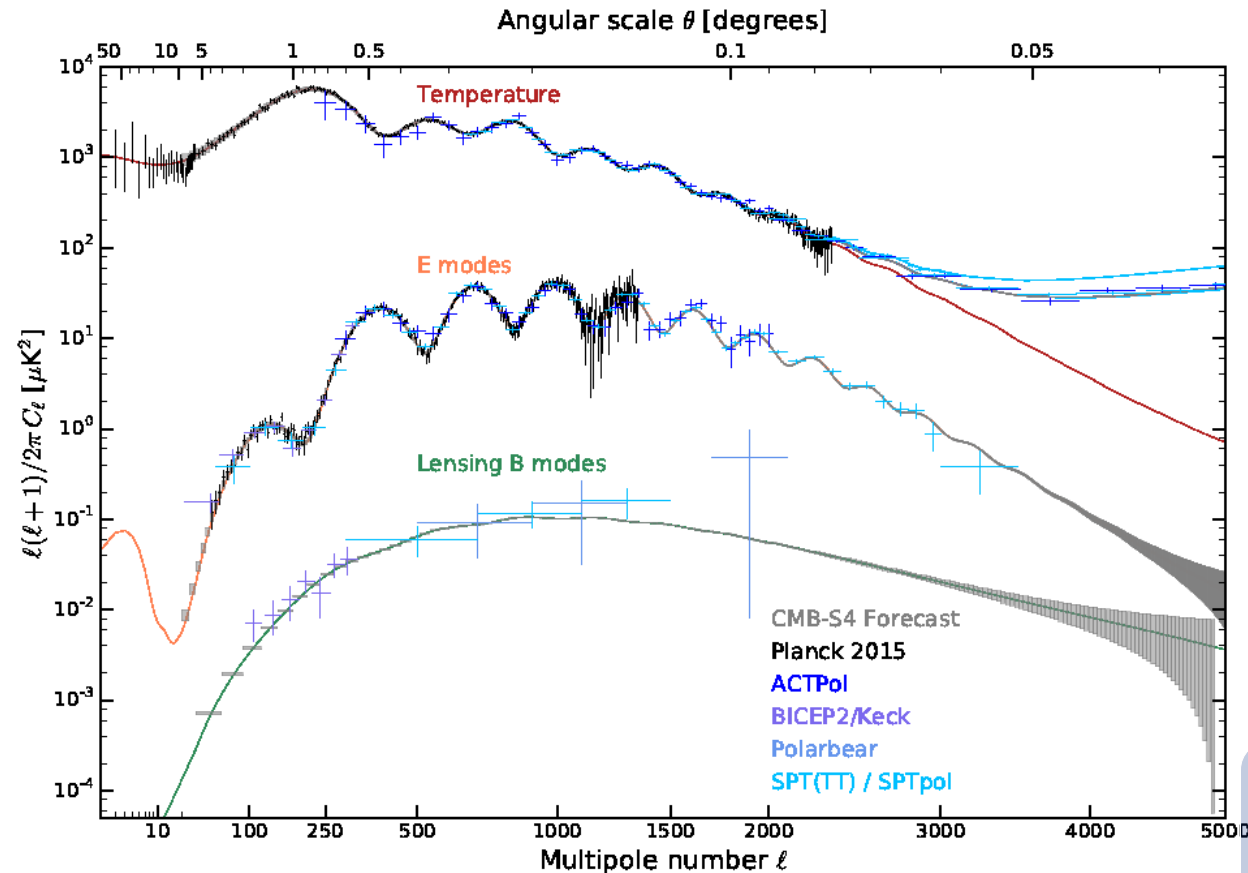
E.g. gravitational waves (tensor perturbations) from inflation,

$$P_{ij} = E_i^* E_j - \frac{1}{2} \delta_{ij} E^2 \propto Q \sigma_3 + U \sigma_1$$

$$r = 16\epsilon \propto \left(\frac{H_{inf}}{M_{Pl}} \right)^2$$

Probing new dofs with CMB polarization

[CMBS4, Abazajian et al '16]



Temperature quadrupole anisotropy only produces E-mode (gradient-type) polarization, $Q \neq 0$

► Precision measurements of CMB polarization (with $BB \ll EE$) now allow its use as a precision probe of physics affecting photon polarization

Inflationary perturbations are generic \Rightarrow B-mode can be used as a diagnostic of any new dofs present during inflation that affect photon polarization

$$P_{ij} = E_i^* E_j - \frac{1}{2} \delta_{ij} E^2 \propto Q \sigma_3 + U \sigma_1$$

Axions and EM polarization

Axion electrodynamics:

$$\mathcal{L} = \frac{a}{2f_a} F_{\mu\nu} \tilde{F}^{\mu\nu} \sim -\frac{\partial_\mu a}{f_a} A_\nu \tilde{F}^{\mu\nu}$$

As photons propagate over a region with $\lambda_\gamma \ll \lambda_a$ the equations take the form [Harari & Sikivie '92]

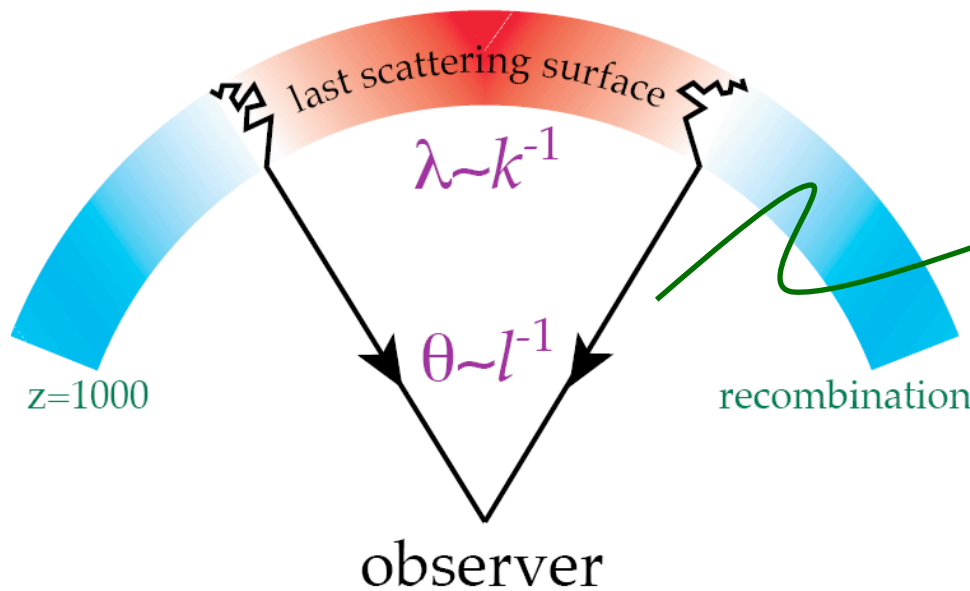
$$\square \left(\vec{E} + \frac{a}{f_a} \vec{B} \right) = \frac{a}{f_a} \square \vec{B}, \quad \square \left(\vec{B} - \frac{a}{f_a} \vec{E} \right) = -\frac{a}{f_a} \square \vec{E}$$

⇒ resulting rotation of polarization, by angle

$$\Delta\psi = \frac{\Delta a}{f_a}$$

(Perturbative) rotation of CMB polarization

Thomson scattering and the TT quadrupole anisotropy produce linear (E-mode) polarization at the SLS



$$\mathcal{L}_{\gamma a} = \frac{a}{2f_a} F_{\mu\nu} \tilde{F}^{\mu\nu}$$



$$\Delta\psi = \frac{\Delta a}{f_a} \quad [\text{Harari \& Sikivie '92; Lue et al '98}]$$

[W.Hu, background.uchicago.edu/~whu/physics/tour.html]

Induced rotation from E-mode to B-mode: $U \simeq 2\Delta\psi Q$

Inflationary pseudoscalar perturbations

$$\delta a = \frac{H}{2\pi}$$

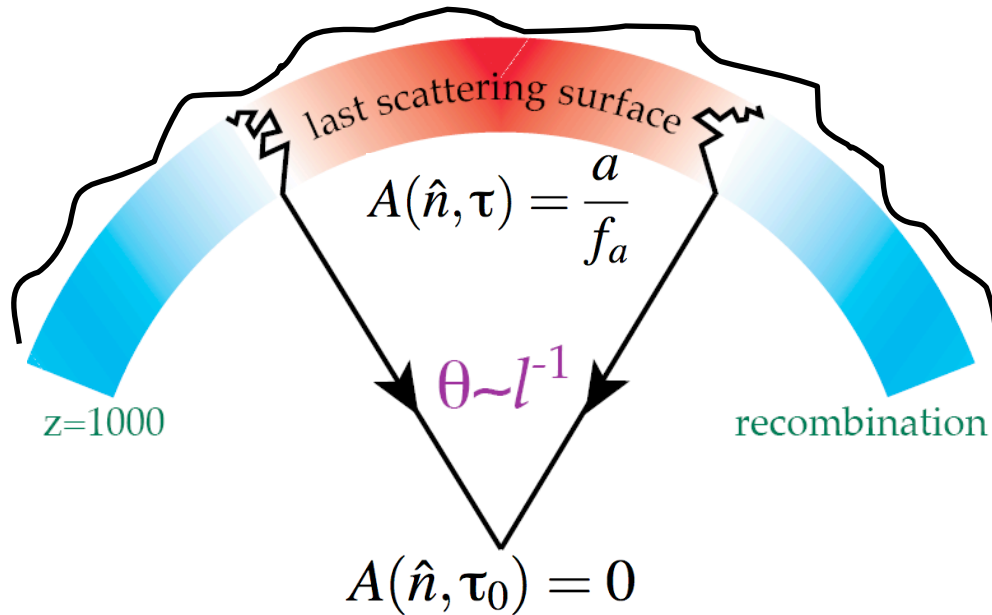
$$\langle \xi_A^*(\vec{q}_1), \xi_A(\vec{q}_2) \rangle = P_A(q_1) \delta^{(3)}(\vec{q}_1 - \vec{q}_2)$$

$$P_A(q) = \frac{1}{4\pi q^3} \left(\frac{H}{2\pi f_a} \right)^2 q^{n_a - 1}$$



stochastic rotation of
linear polarization

$$\Delta\psi(\hat{n}) = \frac{\Delta a(\hat{n})}{f_a} = A(\hat{n}, \tau_{LSS})$$



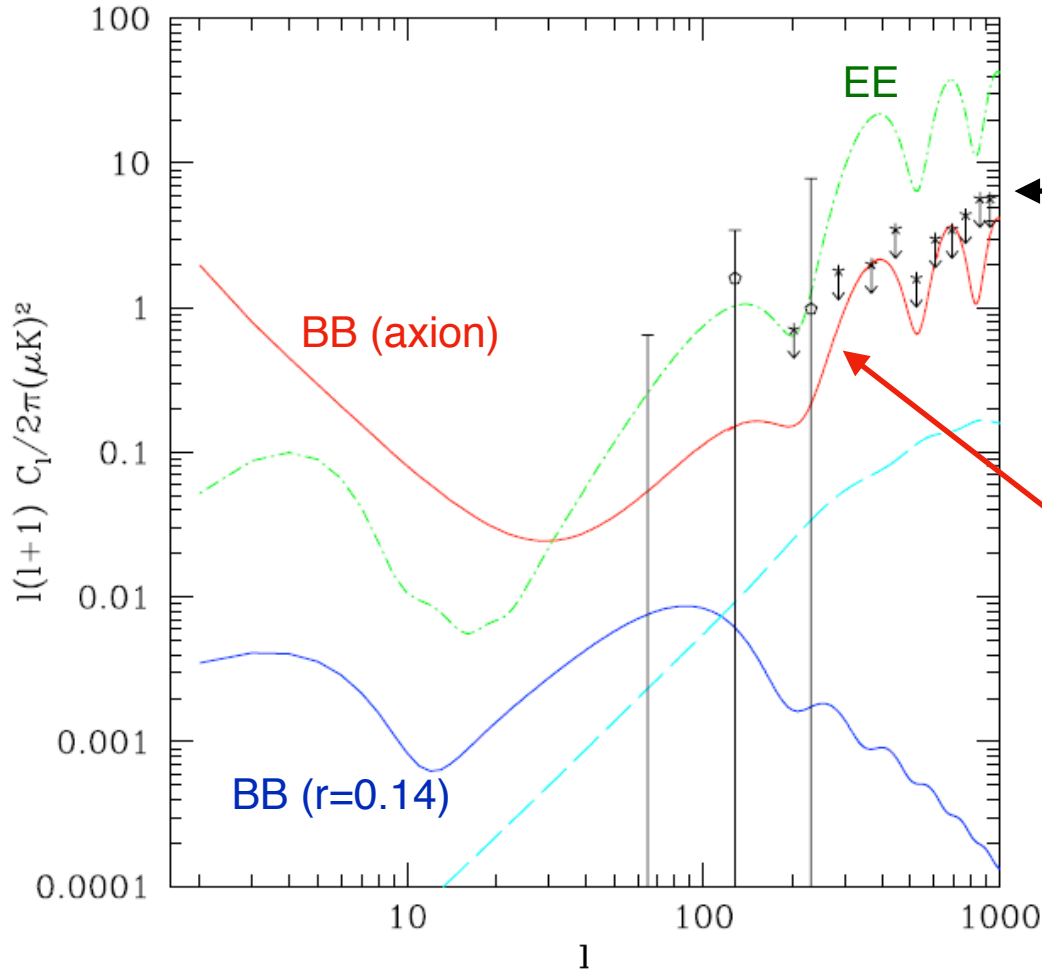
Induced stochastic rotation from E-mode to B-mode

$$U(\hat{n}) \simeq 2A(\hat{n})Q(\hat{n}) + \dots$$

Compute C_{BI} 's by generalizing the formalism of Zaldarriaga and Seljak ('96), for scalar and pseudoscalar modes [Pospelov, AR, Skordis, '08]

Constraint (from 2008)

In 2008, QUAED had the best sensitivity to $\sim O(10^2-10^3)$ B-modes



[Pospelov, AR, Skordis, '08]

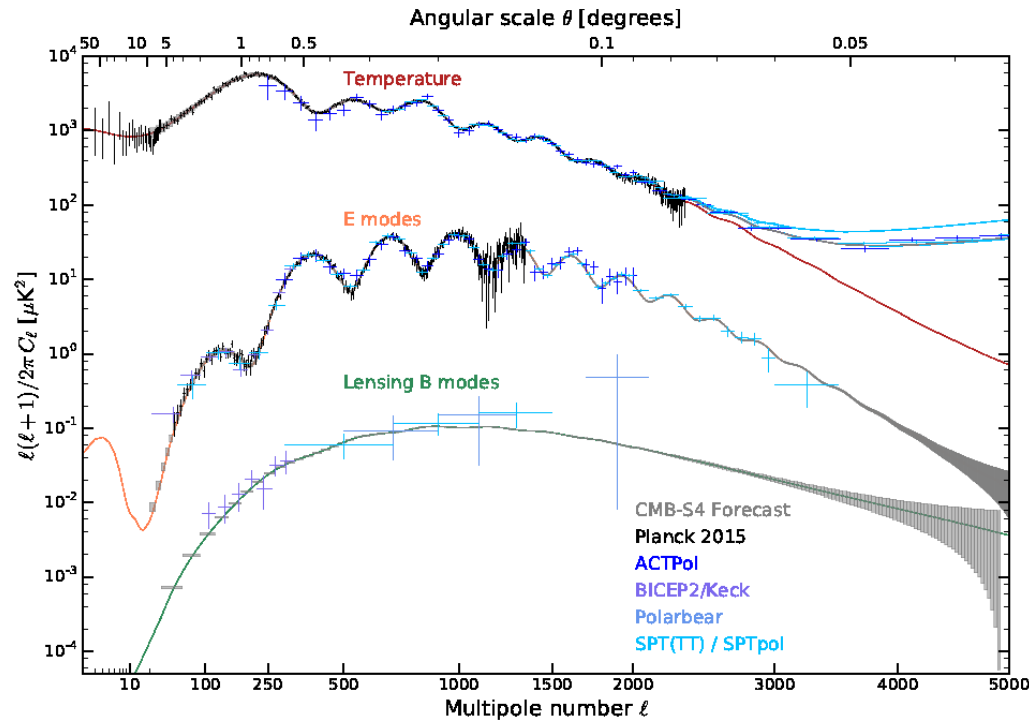
← QUAED data constrain H/f_a , and observationally $r \sim 0.14(H_{14})^2$, where $H_{14} = H/10^{14}$ GeV

→ Induced B-modes (from axion-induced rotation) track E-mode for large l 's

$$f_a > 2 \times 10^{14} \text{ GeV} \times H_{14} \sim 5 \times 10^{14} \text{ GeV} \times \sqrt{r}$$

Updated constraint from BICEP-2/Keck

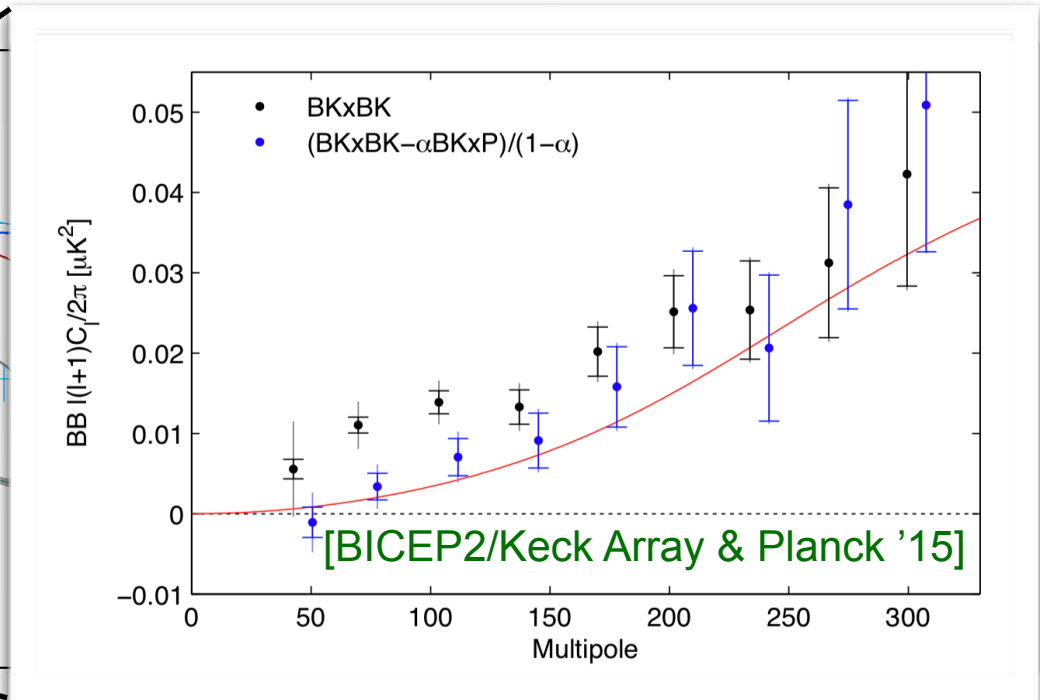
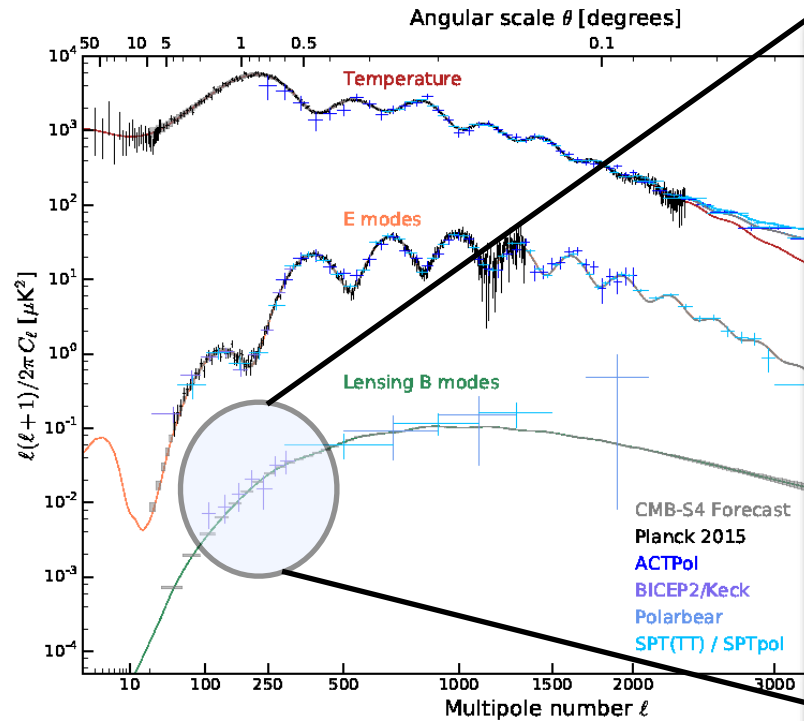
BICEP-2/Keck Array & Planck provide the best sensitivity to $l \sim O(10^2)$ B-modes



[CMBS4, Abazajian et al '16]

Updated constraint from BICEP-2/Keck

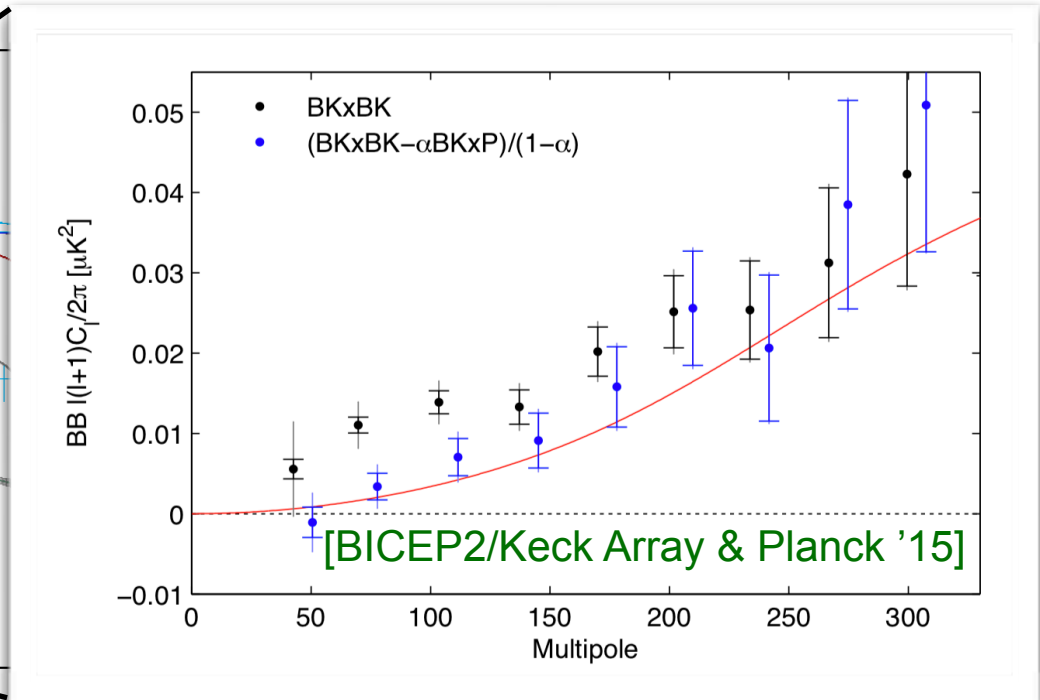
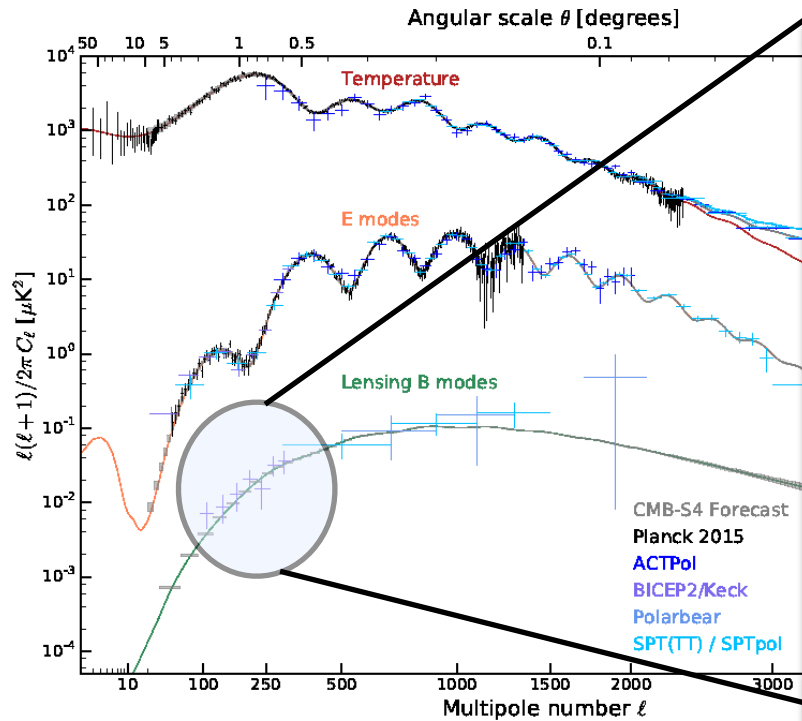
BICEP-2/Keck Array & Planck provide the best sensitivity to $l \sim O(10^2)$ B-modes



Updated constraint: $f_a \geq 10^{15} \text{ GeV} \times H_{14}$ [see also Lee et al '14]

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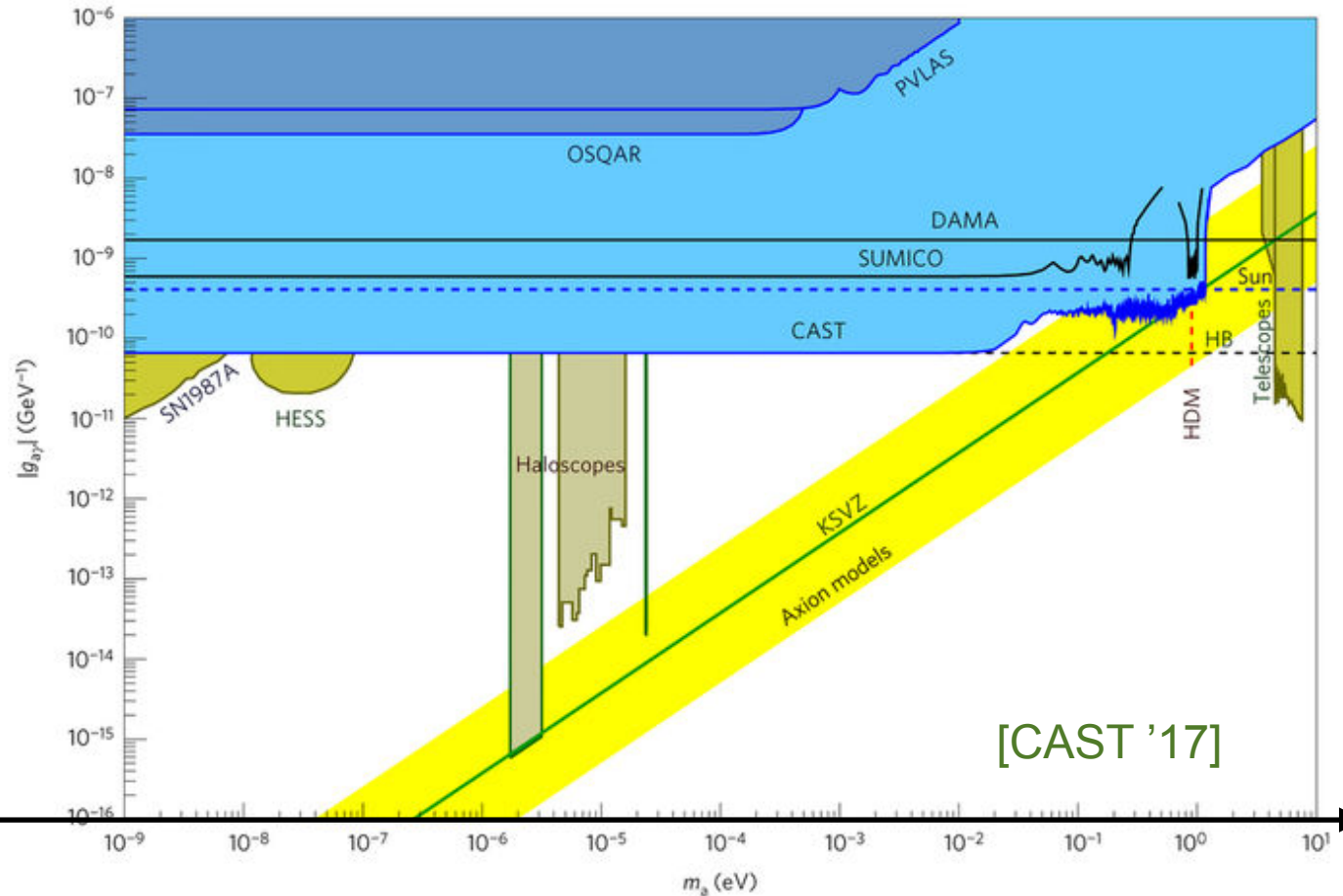


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NB: $\langle B_{lm} E_{l'm'} \rangle \Rightarrow$ optimal estimator for rot^n angle $\alpha(\hat{n}) = \sum \alpha_{lm} Y_{lm}(\hat{n})$
[Kamionkowski '08, Gluscevic et al '09, Yadav et al '09]

$$0.1^\circ \leftrightarrow f_a/H_{14} \sim 10^{15} \text{ GeV}$$

Light axion/pseudoscalar constraints



Depending on the scale of inflation, could provide new sensitivity at very low f_a (for very low mass)

NB: CASPER NMR proposal targets a similar coupling regime [Budker et al '13]

Concluding Remarks

Summary

- BBN and the CMB are powerful “calorimeters” to use in testing for late energy injection from dark sector decays via *all portal interactions*
- CMB polarization is also a precision probe of inflationary pseudoscalar perturbations, through rotation of E to B modes

Comments

- Important *Assumption*: $\text{Br}(\text{SM}) \sim 1$. The phenomenology changes significantly if $\text{Br}(\text{hidden})$ is dominant (due to the change in lifetime)
- Freeze-in is a generic production mode, but inflation is a further non-thermal production source, can be relevant for a wide range of hidden sector states [e.g. Nelson & Scholtz '11; Graham et al '15]
- Possible to target sensitivity to the gravitational scale, e.g.

$$g_{Se} \sim 10^{-16} \left(\frac{\theta}{10^{-16}} \right) \left(\frac{m_e}{v} \right) \sim \left(\frac{\theta}{10^{-16}} \right) \times \left(\frac{m_e}{M_{\text{pl}}} \right)$$

Extra slides...

CMB - Induced B-modes

- Using the formalism of Zaldarriaga and Seljak ('96), for scalar and pseudoscalar modes (with momenta k and q):

$$U(k, q, \hat{n}) = \frac{3}{2}(1 - (\hat{n} \cdot \hat{k})^2) \int_0^{\tau_0} d\tau e^{i(\tau_0 - \tau)\hat{n} \cdot (\vec{k} + \vec{q})} g(\tau) \Pi(k, \tau) \Delta_A(\tau, q) + \dots$$

source \rightarrow $Q(k, \tau)$

- The basis-independent expansion coeffs are:

$$a_{Blm} = -\frac{1}{2} \int d\Omega (Y_{2,lm}^* + Y_{-2,lm}^*) U(\hat{n})$$

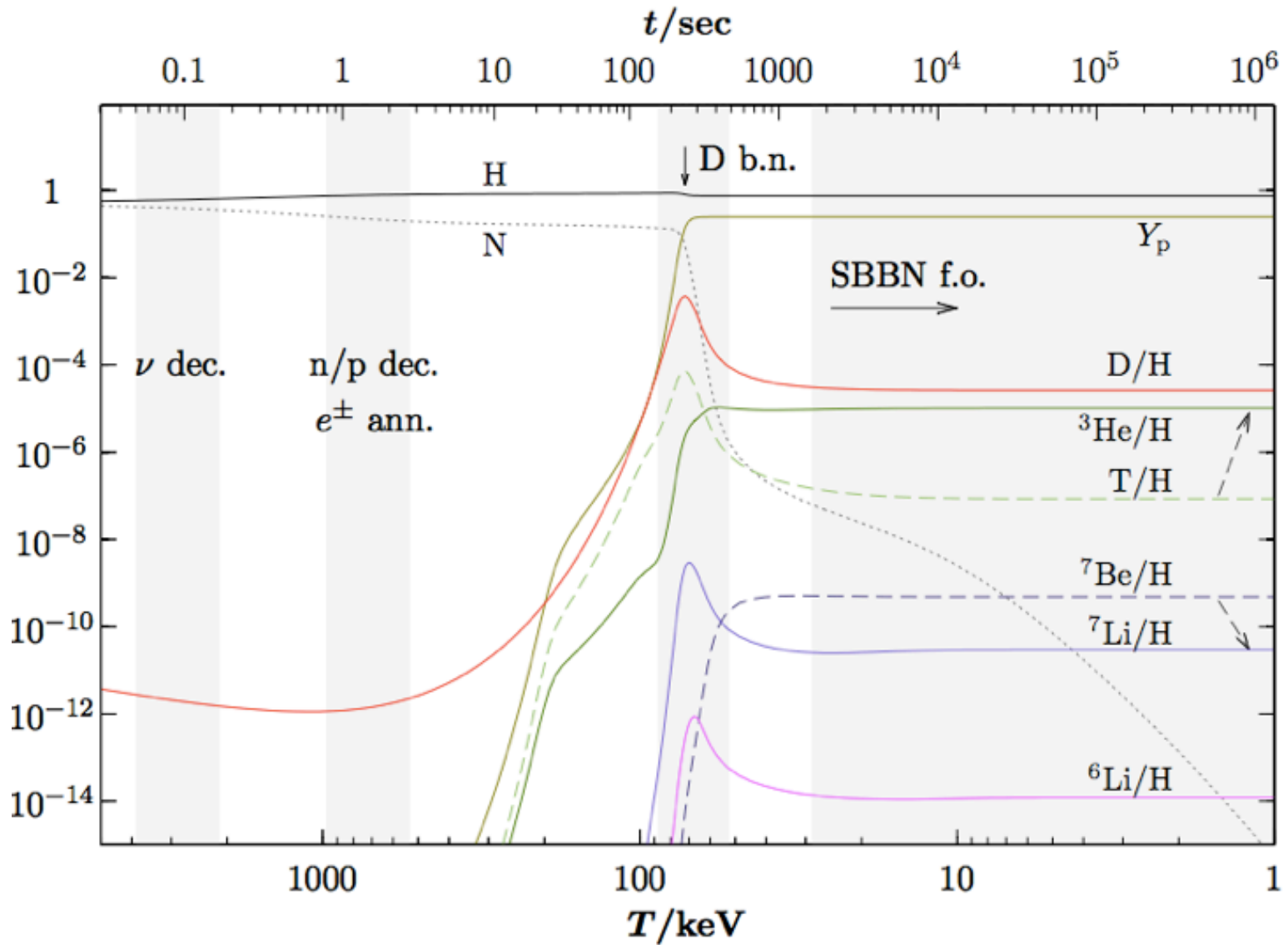
- Integrating over generic (k, q) perturbations:

$$a_{Blm} = \frac{3}{2} \left[\frac{(l-2)!}{(l+2)!} \right]^{1/2} \int d\Omega_n d^3k d^3q Y_{0,lm}^*(\hat{n}) \times \int_0^{\tau_0} d\tau (m^2 - (1 + \partial_x^2)^2 x^2) e^{ix\mu + iy\nu} g(\tau) \Pi(k, \tau) \Delta_A(q, \tau) \xi(\vec{k}) \xi_A(\vec{q})$$

$$\Rightarrow C_{Bl} = \frac{1}{2l+1} \sum_m \langle a_{Blm}^* a_{Blm} \rangle = \dots$$

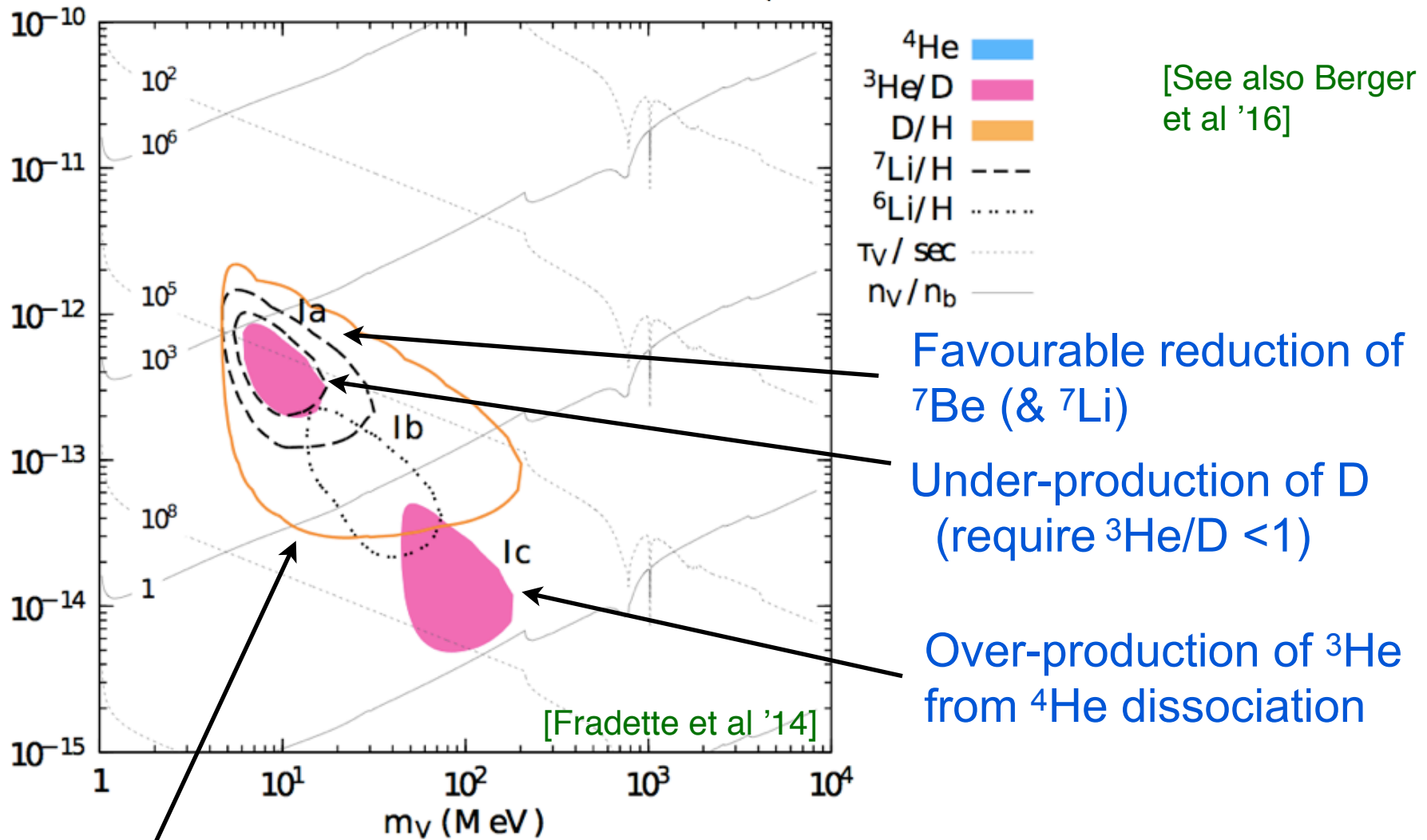
perturbations of
inflaton and A

BBN



BBN - VDP (EM) energy injection ($m_\nu < 2m_\pi$)

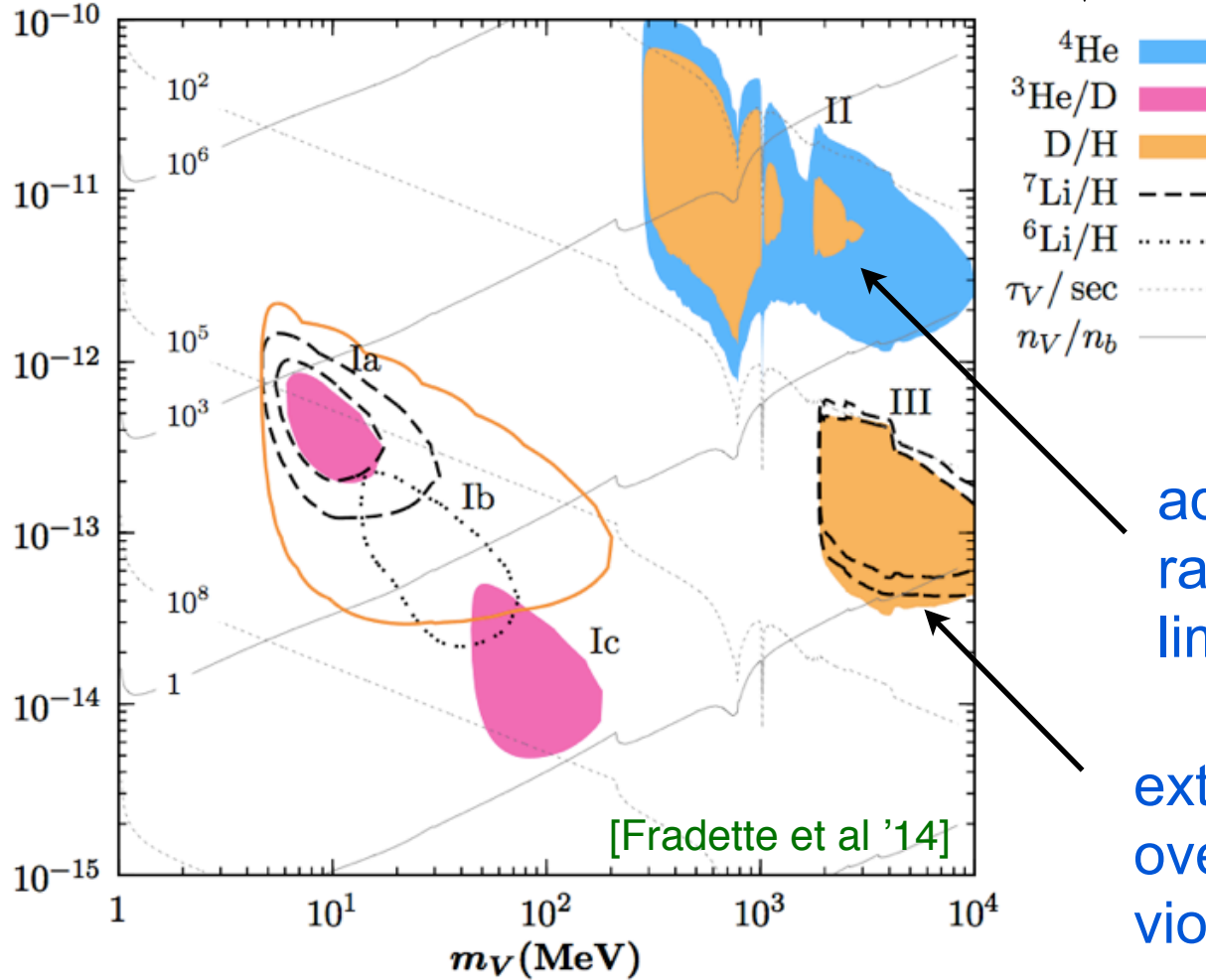
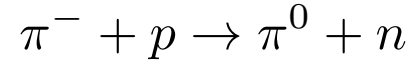
$V \rightarrow e^+e^-$ (EM cascade) $t_{\text{ph}} \simeq \begin{cases} 2 \times 10^4 \text{s}, & {}^7\text{Be} + \gamma \rightarrow {}^3\text{He} + {}^4\text{He} \quad (1.59 \text{ MeV}) \\ 5 \times 10^4 \text{s}, & \text{D} + \gamma \rightarrow n + p \quad (2.22 \text{ MeV}) \\ 4 \times 10^6 \text{s}, & {}^4\text{He} + \gamma \rightarrow {}^3\text{He}/\text{T} + n/p \quad (20 \text{ MeV}) \end{cases}$



Exclusion based on measured D/H [Pettini & Cooke]

BBN - VDP (had) energy injection ($m_\nu > 2m_\pi$)

Charge exchange/absorption



additional $p \leftrightarrow n$
 raises n/p and violates
 limits on D/H and ${}^4\text{He}$

extra n from $\nu \rightarrow n\bar{n}$
 over-produces D ,
 violating $\text{D}/\text{H} < 3 \times 10^{-5}$