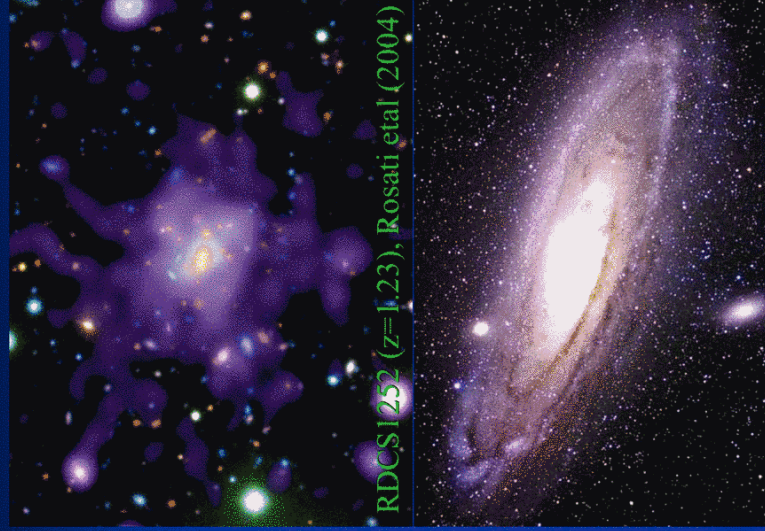


Quasar Feedback in Structure Formation

Evan Scannapieco
KITP

ES & Peng Oh: ApJ 608, 62; astro-ph/0401087

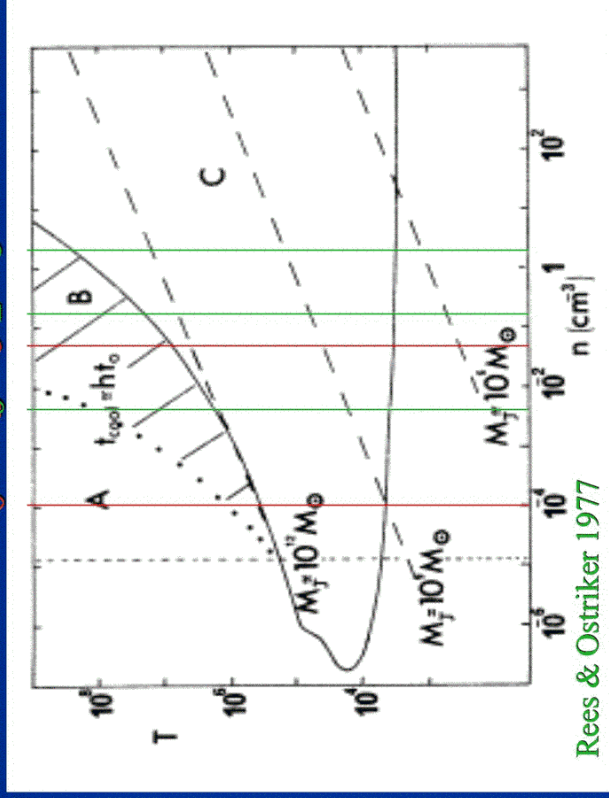
What Determines L_* ?



A Classic Argument

Redshift

0 0.5 2 5

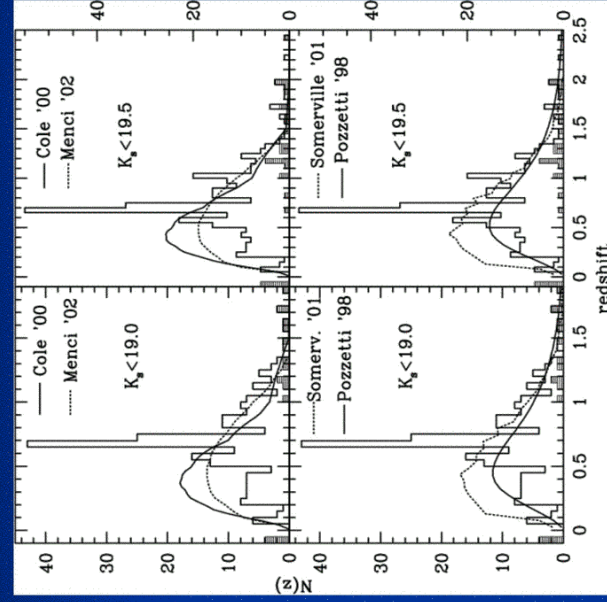
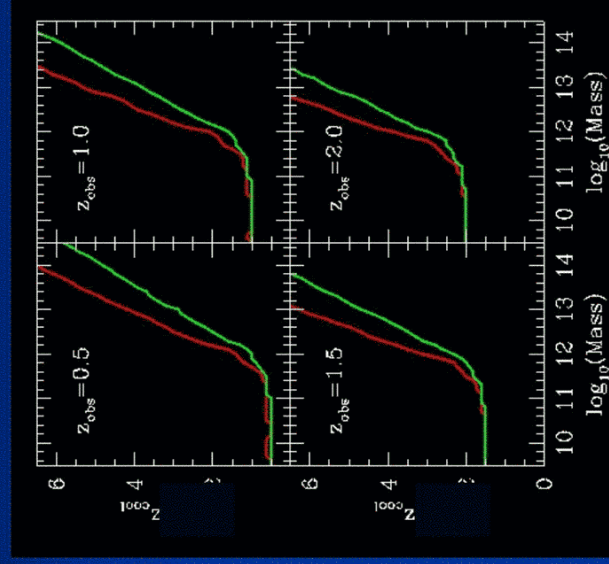


$$\frac{nkT}{\Lambda \langle n^2 \rangle} > t_{\text{hubble}}$$

Problem #1
Overcooling

(Suginozaki & Ostriker 1998
Davé et al 2001)

Problem #2 Strong Evolution



K20; Cimatti et al 2002

Problem #2 Strong Evolution

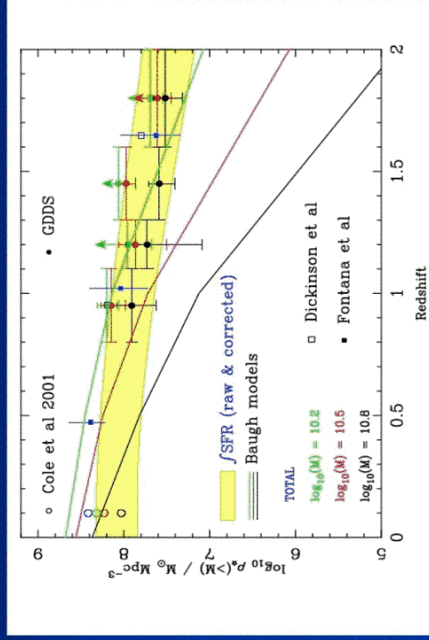
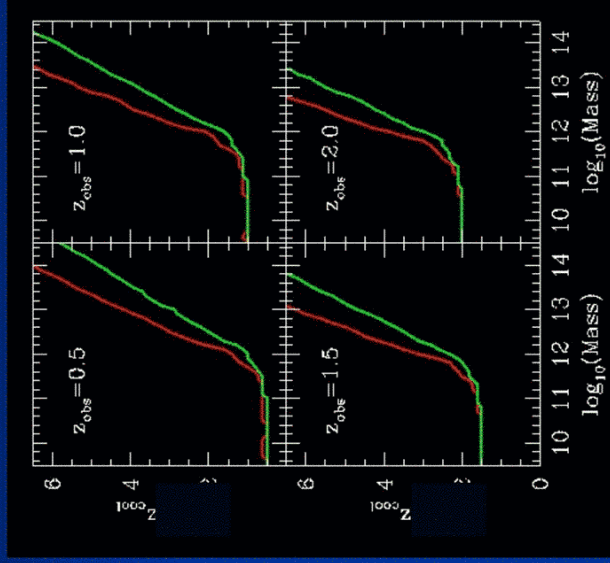


FIG. 3.— Mass density vs redshift for GDDS galaxies (solid circles) at $z \gtrsim 1$ and from Cole et al. (2001) (open circles) in the local Universe (we take $z = 0.1$). We plot the cumulative mass density of galaxies more massive than a given mass threshold. Photometric estimates of the total mass density from Fontana et al. (2003) and Dickinson et al. (2003) which are claimed to be total are also plotted (filled squares; open squares). The solid lines show the same quantity from the GALFORM model. The shaded region shows the result of integrating the Universal UV-derived SFH without and with a dust correction.

Glazebrook et al 2004

Clusters: X-ray Emission

$$L_x \sim M r_{\text{gas}} T^{1/2}$$

$$T \sim M^{2/3} \rho_{\text{DM}}^{1/3}$$

$$L_x \sim \rho_{\text{gas}} \rho_{\text{DM}}^{-1/2} T^2$$

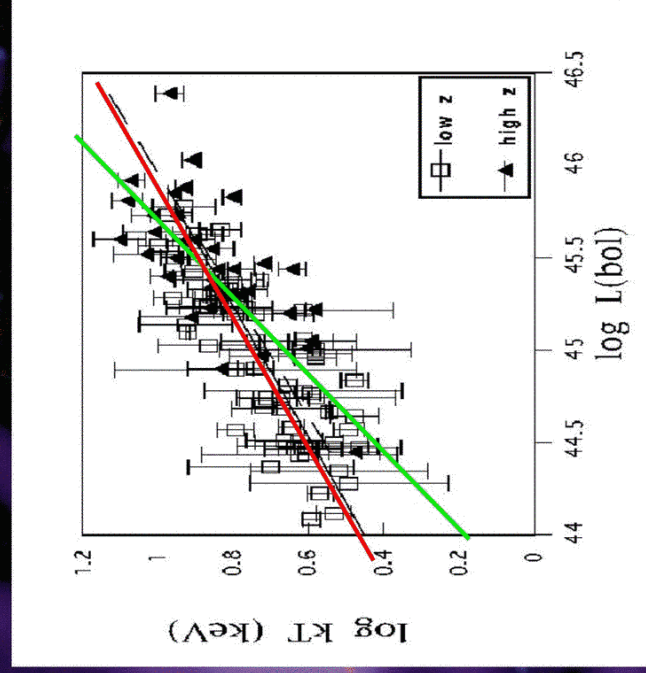
Virialized Gas:

$$L_x \sim T^2$$

Preheated Gas:

$$\rho_{\text{gas}} = \rho_i (T/T_i)^{3/2}$$

$$L_x \sim T^{7/2}$$



Mushotzky and Scharf 1997

Clusters: X-ray Emission

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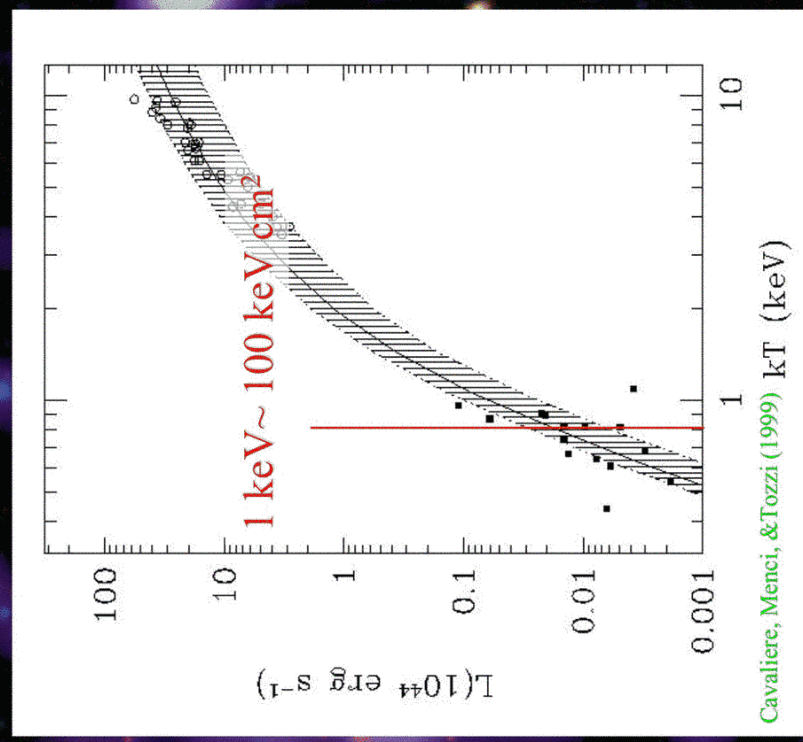
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$$L_x \sim T^{7/2}$$



Cavaliere, Menci, & Tozzi (1999) kT (keV)

Heating Sources

$$1 \text{ keV/Baryon} \sim 2 \times 10^{58} \text{ ergs} / M_{12(\text{gas})}$$

$$\text{Supernovae: } M_*/300 \times 10^{51} \times \epsilon$$

$$= \epsilon \times 3 \times 10^{60} \text{ ergs} \times M_{12(*)}$$

$$\text{AGN: } M_{\text{bh}} = 1.6 \times 10^8 \sigma_{c,200}^{4.58 \pm 0.5}$$

Ferrarese (2002)
 $\sigma_{c,200} = 10^{0.19} v_{c,300}^{1.16 \pm 0.09}$

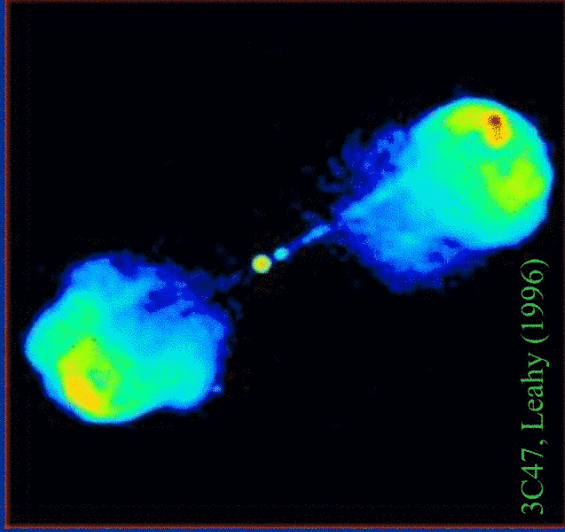
$$M_{\text{bh}} c^2 \approx 1.8 \times 10^{54} \times 1.6 \times 10^8 v_{c,300}^5$$

$$v_c = 400 M_{12}^{1/3} (z=2)$$

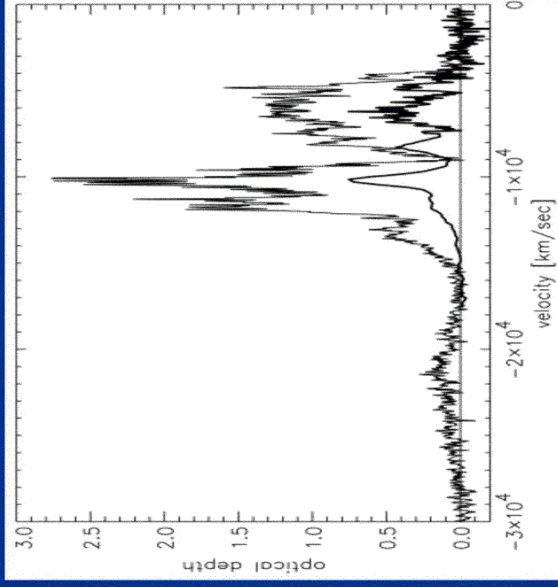
$$\approx \epsilon \times 10^{63} \text{ ergs} \times M_{12(\text{gas})}^{5/3}$$

But how is it coupled?

Radio jets ~10%

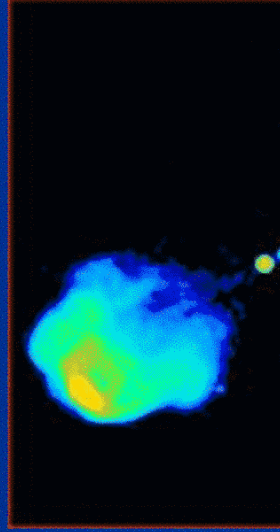


BAL Winds ~All

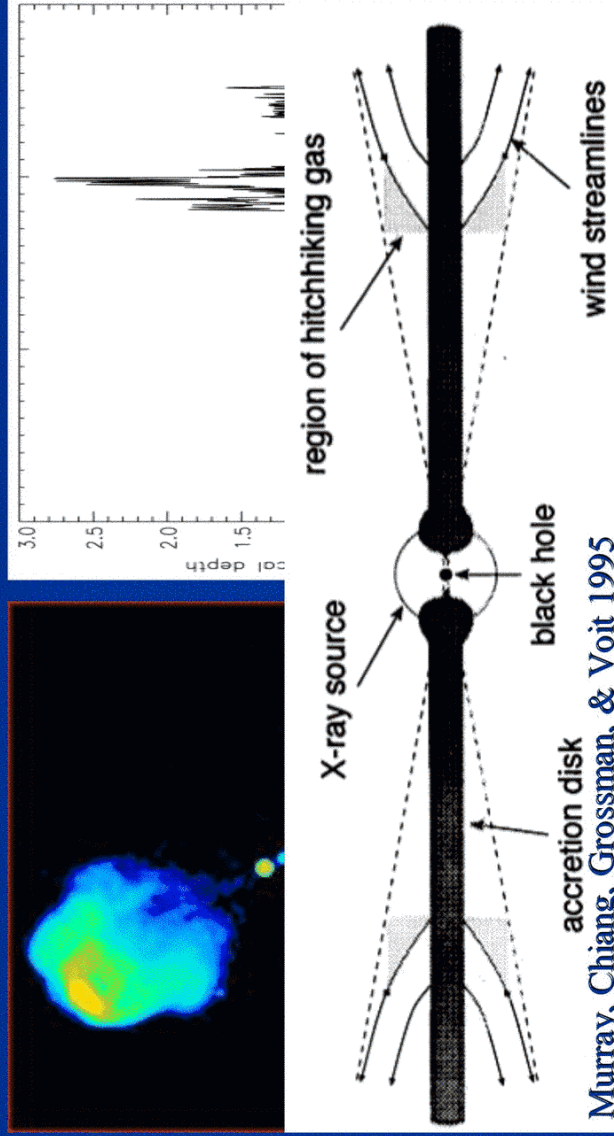


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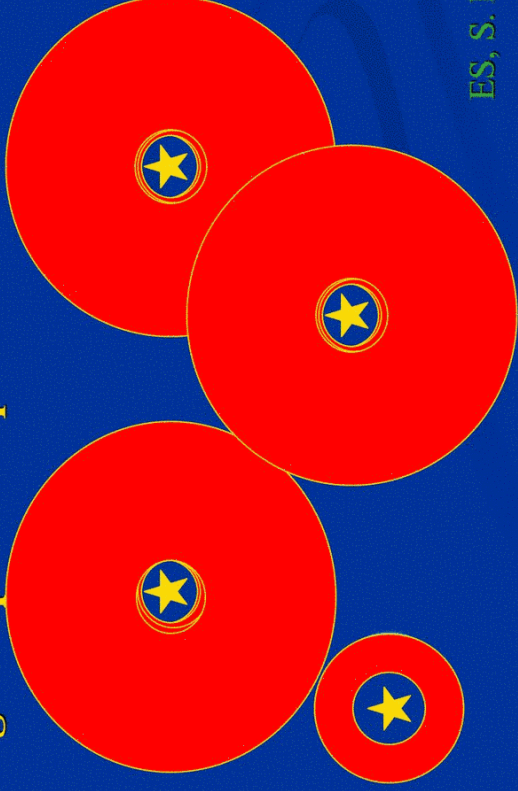


BAL Winds ~All



Alternative Picture

- Compelling evidence that properties of massive galaxies and clusters are not set by cooling
- Energetics point to quasars



ES, S. P. Oh (2004)

Step 1: A model to relate quasars to cosmological halos

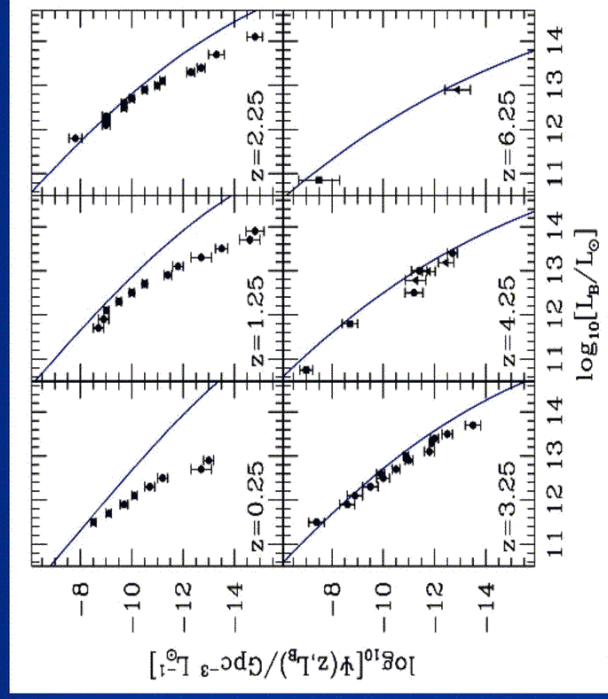
Wythe & Loeb (2003)

Every time two halos whose masses are within a factor of 3 merge, you light a quasar.

Each black hole shines at its Eddington luminosity (M_{BH} mass as above) for a time proportional to the dynamical time of the galaxy in which it's contained.

“Downturn” -not explained by CDM alone

“Locations” of quasars don't depend much on merger picture



Step 2: Sedov-Taylor Blast Waves

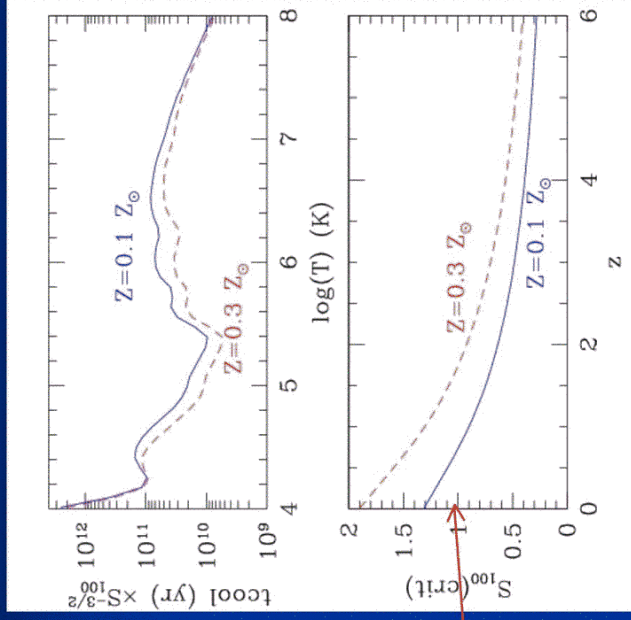
$$E_{60} = 1.2 \epsilon_k M_{12}^{5/3} (1+Z)$$

$$R = 1.7 \text{ Mpc } E_{60}^{1/5} t_{\text{Gyr}}^{2/5} \times \delta^{-1/5} (1+Z)^{-3/5}$$

Critical Entropy

Oh & Benson (2003)

100 keV cm²



$$S = 2 \times 10^4 \text{ keV cm}^2 E_{60} R_{\text{Mpc}}^{-3} \delta^{-5/3} (1+Z)^{-5}$$

Step 3: Feedback

To compute the average number of supercritical impacting a random point in space, you just count bubbles:

$$N_S(z) \propto \int_z^\infty dz' \int_{M_{\text{min}}}^\infty dM R_S^3(z, z', M) n(z', M)$$

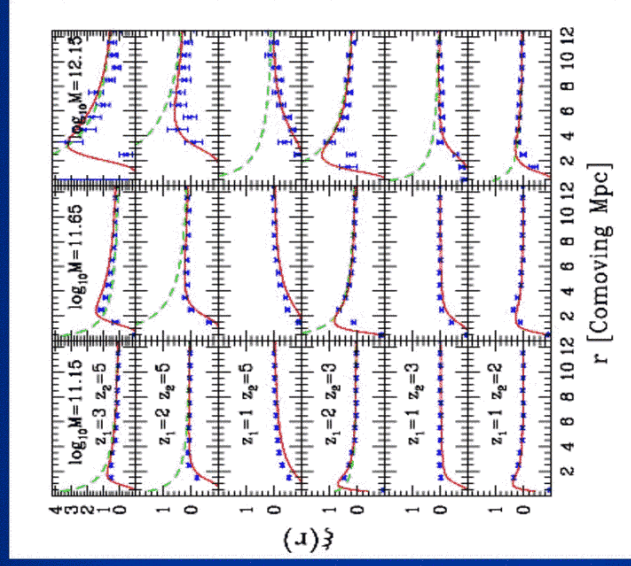
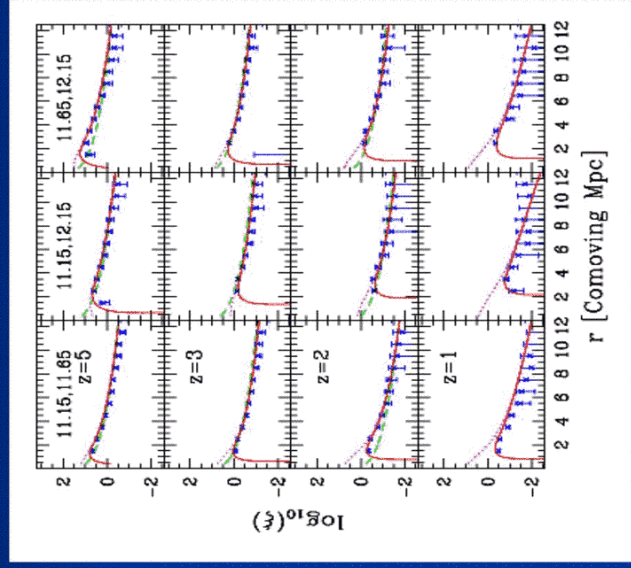
To compute the average number impacting a forming object, you have to account for clustering:

$$N_S(z, M_F) \propto \int_z^\infty dz' \int_{M_{\text{min}}}^\infty dM b(z, z', M, M_F) R_S^3(z, z', M) n(z', M)$$

$$\text{Fraction surviving} = 1 - \exp[-N_S(z, M_F)]$$

$b(z, z', M, M_F)$ from ES & Barkana (2002)

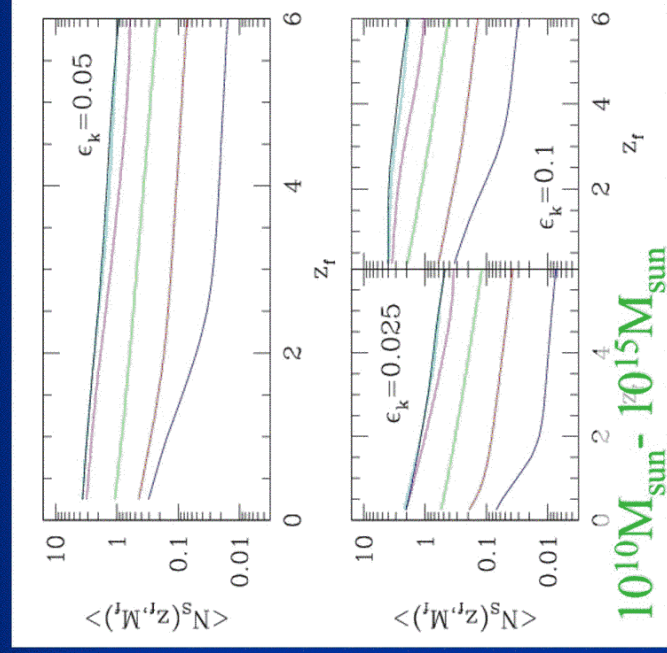
And it works....



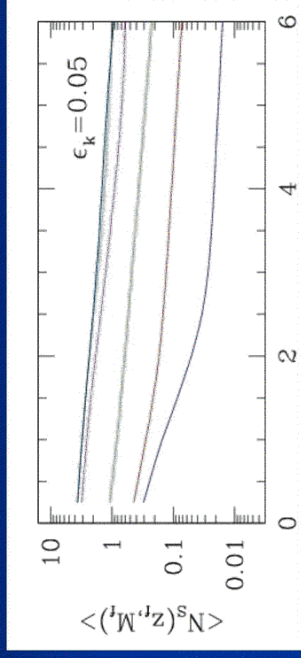
ES & Thacker (2004)

$N_S(z, M_F)$

- At low mass N increases with mass
- At high mass self-regulation
- Same trends of ϵ regardless of ϵ
- Can't avoid heating things above S_{crit} (Recalls Voit & Bryan '01)



$N_S(z, M_F)$



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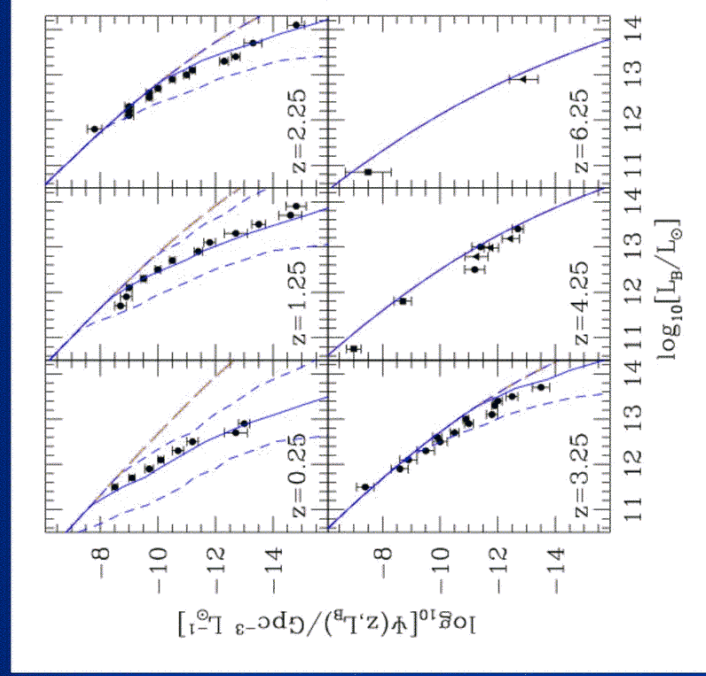
But you put the entropy floor in at the group scale, which smooths things out early to get the profiles at larger radii.

Quasar Luminosity Function

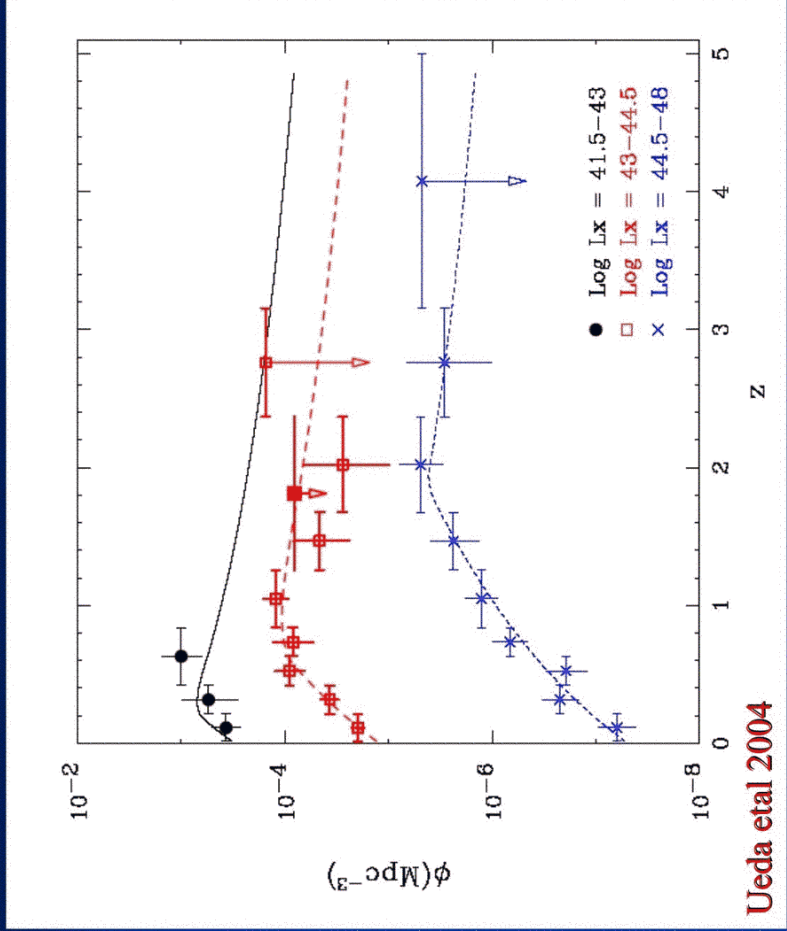
One free parameter reproduces **two** major features:
Turnover redshift
Turnover luminosity

Top Down:

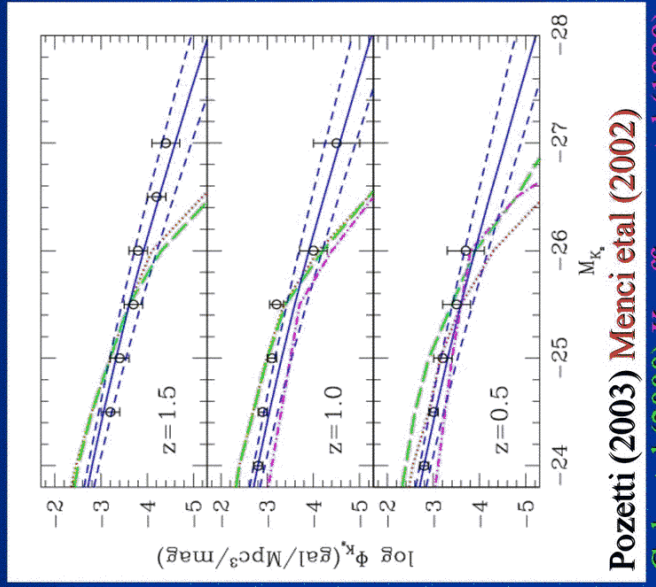
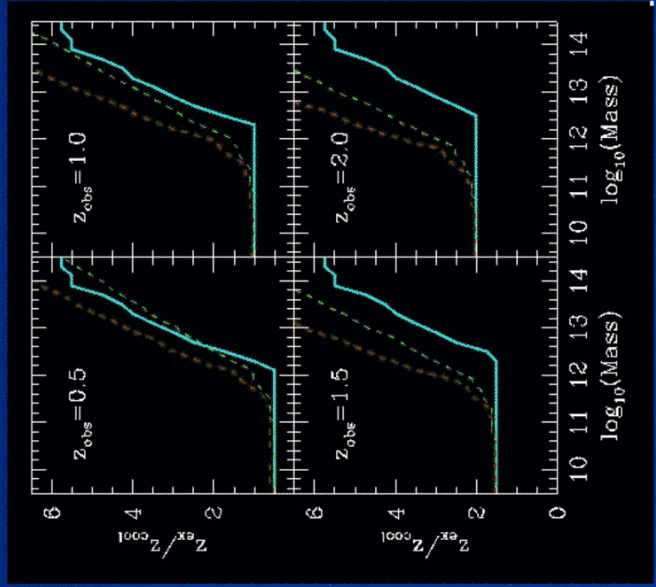
Size of progenitor that can raise $S > S_{\text{crit}}$ becomes smaller as mean density goes down.



AGN in the X-ray



Galaxies and Stars



DEEP1/2 and COMBO-17

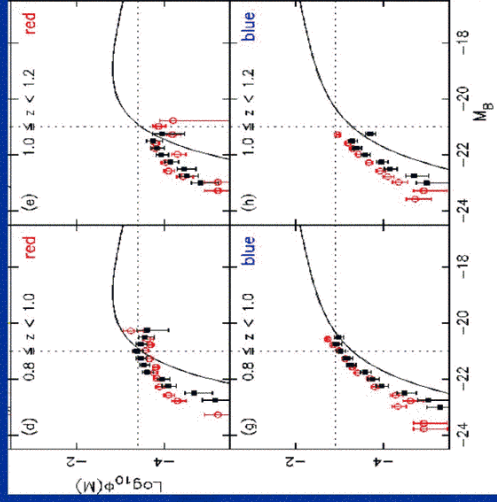
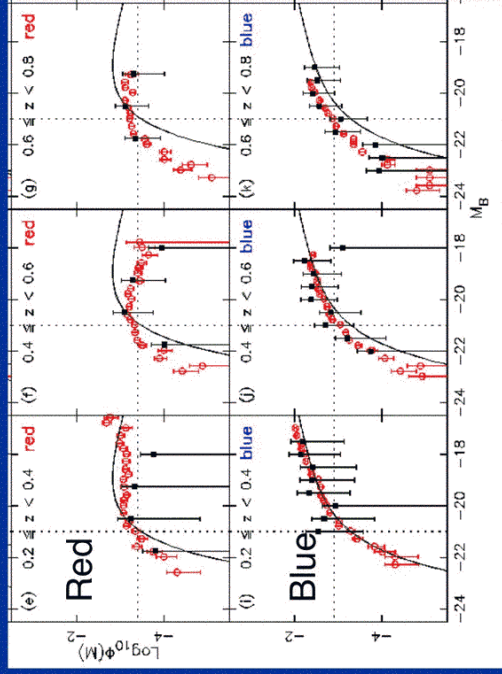
Deep1/2

Combo 17

Restframe B band

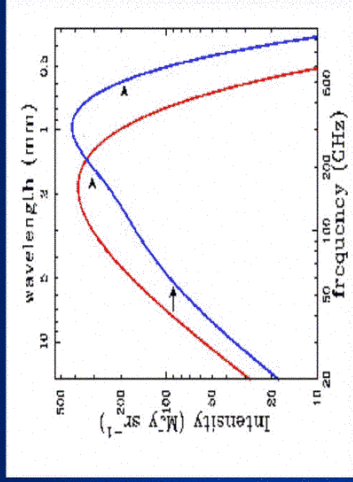
Red galaxies: L^* brightens by about 1.6 mag at $z \sim 1$, but number density is lower.

Blue galaxies: L^* brightens by about 0.8 mag at $z \sim 1$, but number density is constant.



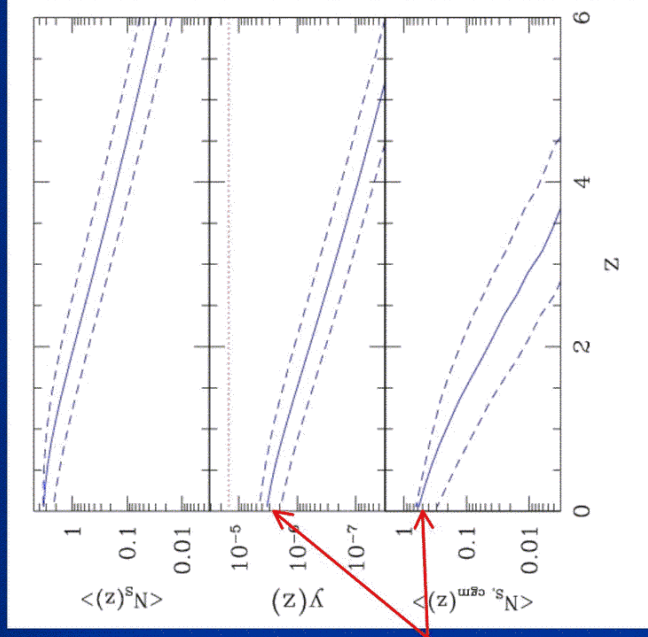
Willmer et al. 2004

Intergalactic Medium



• By $z \sim 0$ $N_{\text{CGM}}(z) \sim 1$, could drastically change “WHIM”

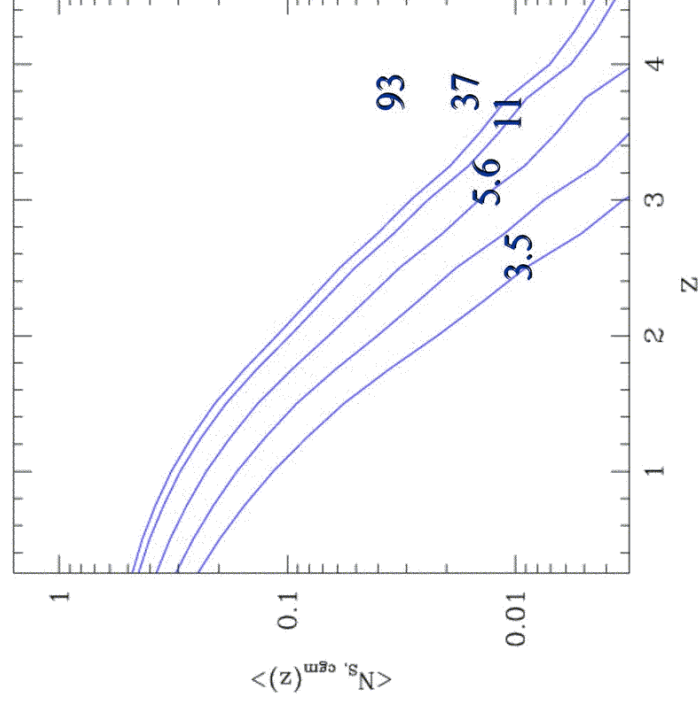
SZ constraints $\sim 10 \mu\text{K}$



Conclusions

- Quasar outflows are likely to play a key role in structure formation and IGM physics, much as SNe play a key role in the physics of the ISM.
- On quasar scales, outflows inhibit their own formation, reproducing the characteristic turn over redshift and luminosity in $\Psi(z, L_B)$
- On galaxy scales, quasar outflows fixes L^* as the nonlinear scale at the redshift of strong feedback. Afterwards little evolution is expected (as observed)
- On cluster scales, quasar outflows explain why the ICM has been heated to the magic value of 100 keV cm^2cm
- This heating has imposes number of observable features: including CMB distortions, WHIM properties, lack of evolution in X-ray group prop., direct X-ray measurements

Impact as a function of overdensity



Other Observables

Evolution of disk sizes

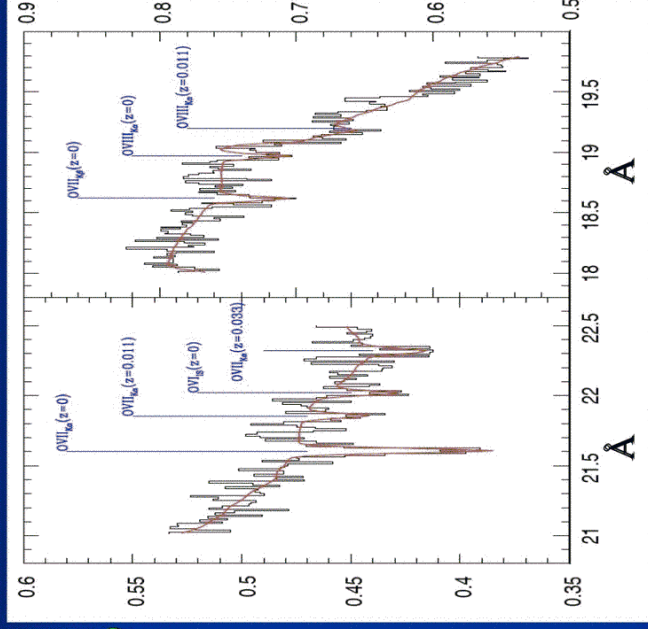
$$R \propto M^{-1/3} H(z)^{-2/3} \quad \text{Mo, Mao, White (1998)}$$

$$\propto M^{-1/3} [\Omega_{\Lambda} + \Omega_{\Lambda} (1+z)^3]^{2/3}$$

cluster sizes do not evolve with redshift, first hint of preheating

May be an important heating source for the local WHIM:

UV measurements, X-ray forest



Nicastro et al (2003)