

Maintenance of memory and a diverse repertoire.

Rafi Ahmed

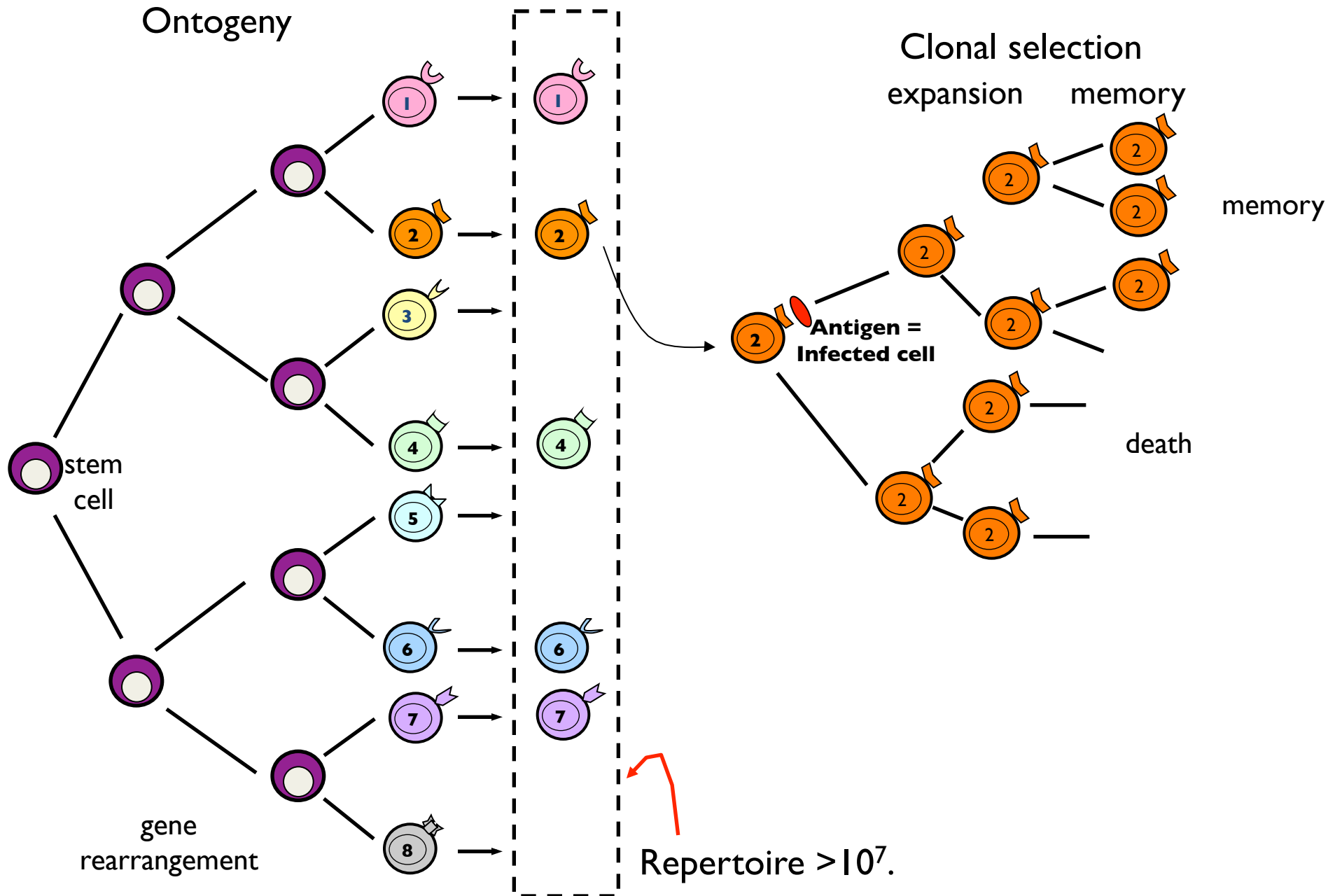
Joseph Blattman

Jorg Goronzy

Philip Johnson

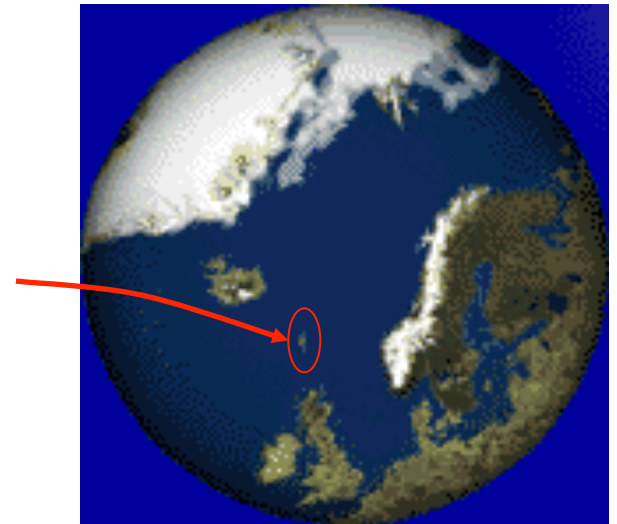
Andrew Yates

Clonal selection theory for adaptive responses



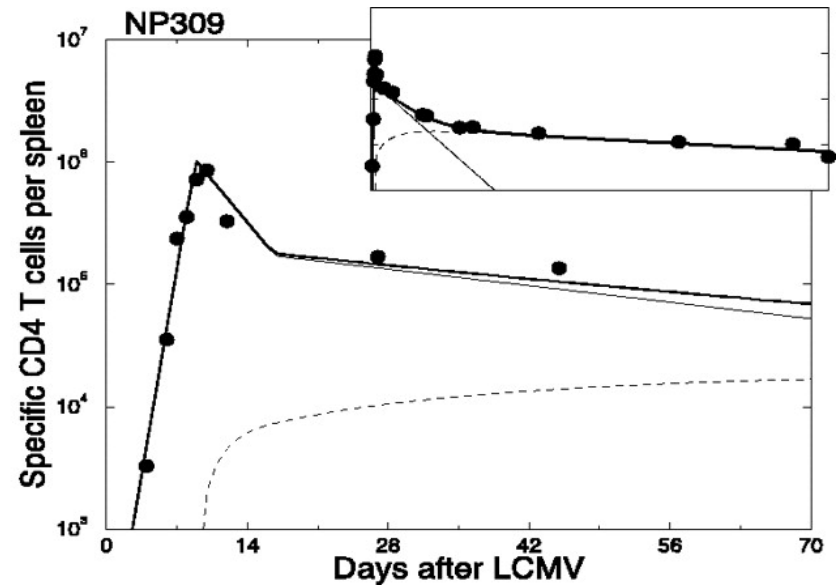
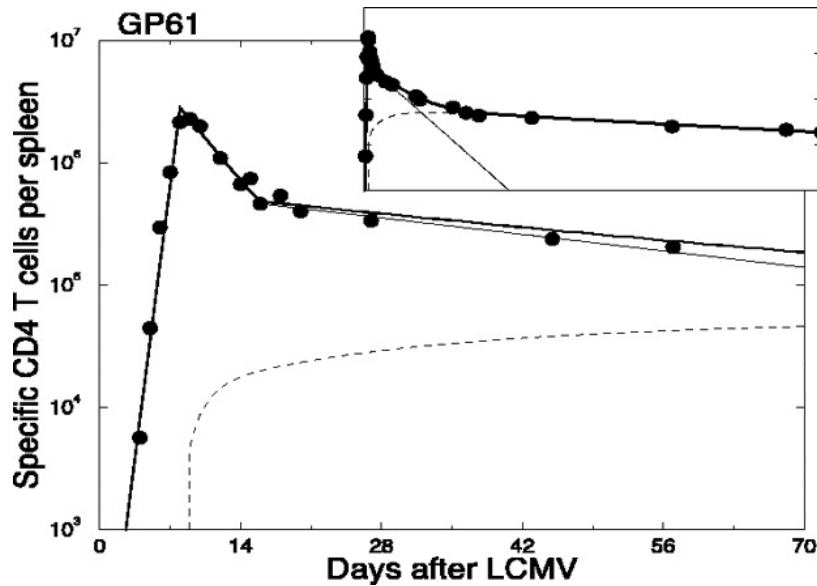
A historical introduction

- Thucydides (430 BC)
Those who had successfully recovered from disease were able to take care of the ill during a plague in Athens.
- Panum (1847)
Memory lasted between 1781 & 1846
measles epidemics in the Faroe islands.
- Yellow fever (1931)
Antibody titers persisted for decades following a 1855 epidemic in Norfolk, VA. Measured by protection of monkeys conferred by transferred immune sera.



Memory in mice

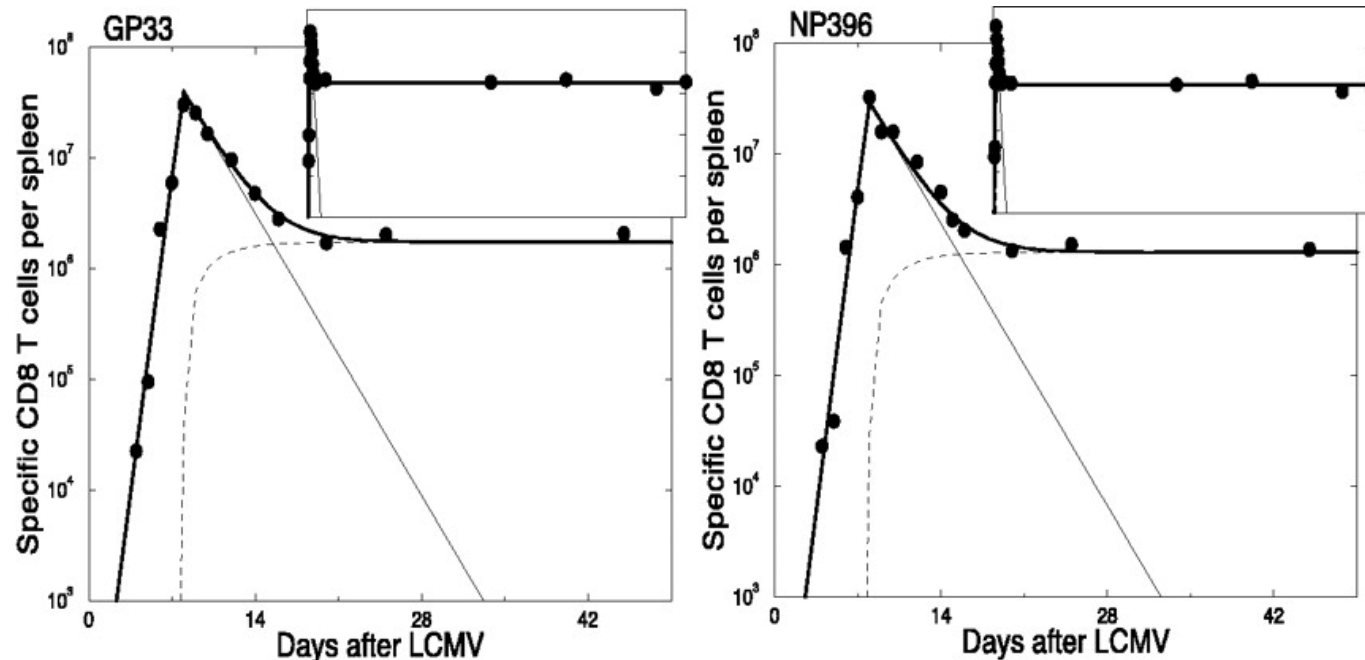
Mice: CD4 T cell responses following LCMV De Boer et al JI (2003)



CD4 T cells exhibit biphasic contraction

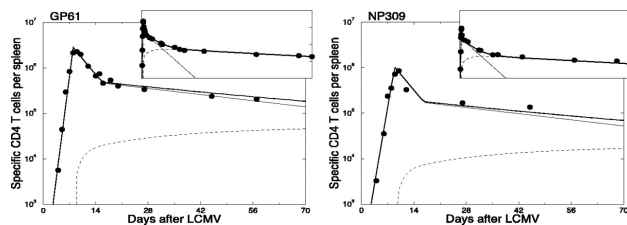
Memory in mice

Mice: CD8 T cell responses following LCMV De Boer et al JI (2003)



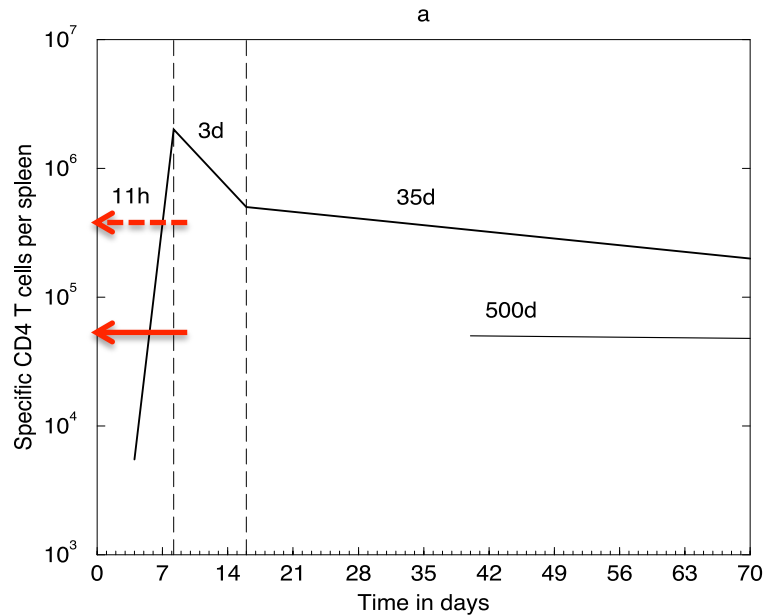
CD8 T cells exhibit no discernable loss of memory

Biphasic decay of CD4 memory

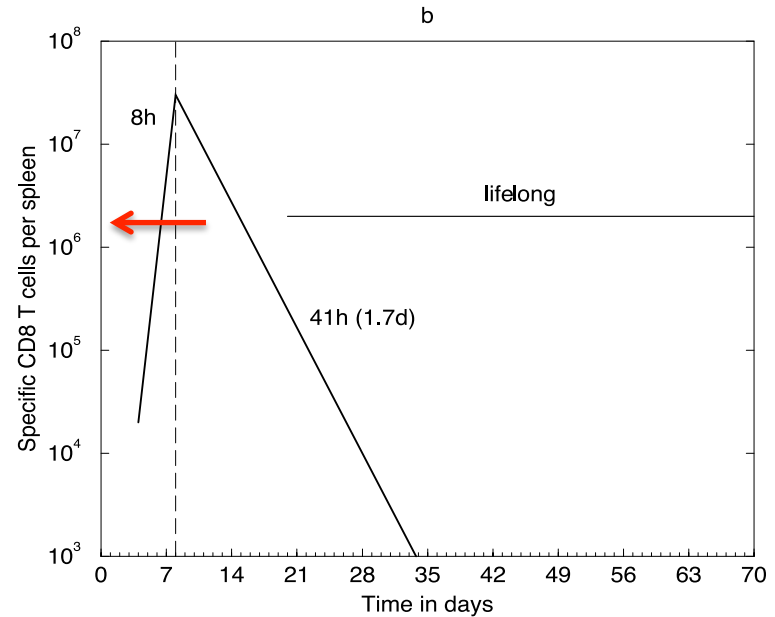


Memory in mice

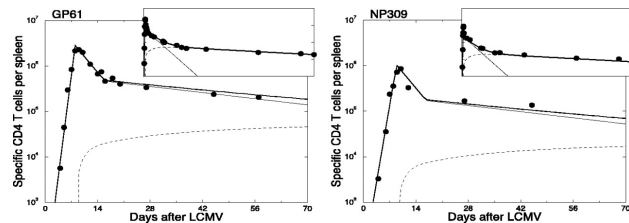
CD4 T-cells



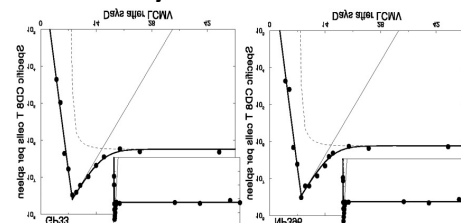
CD8 T-cells



Biphasic decay of CD4 memory



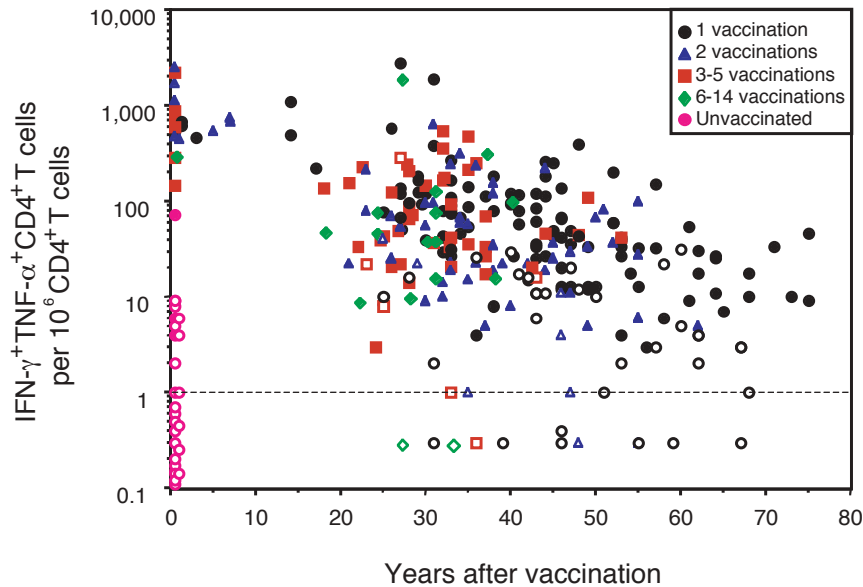
No decay of CD8 memory



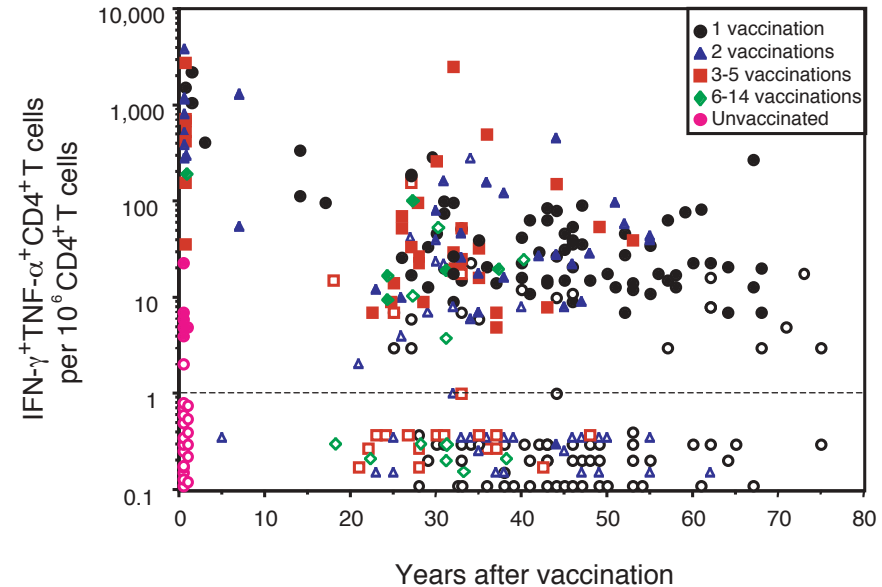
Memory in mice and men

Hammarlund ... and Slifka (2003) Nat. Med

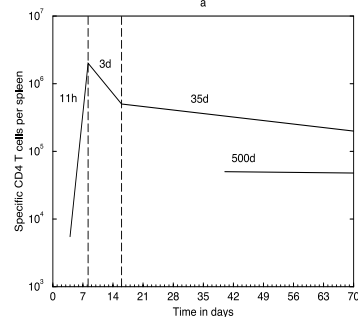
CD4+ T cells ($t_{1/2} \approx 10$ years)



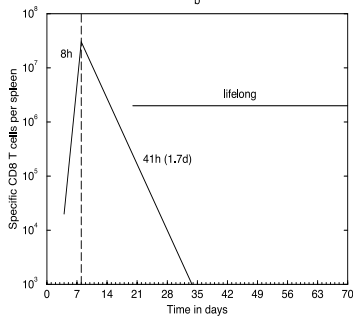
CD8+ T cells ($t_{1/2} \approx 15$ years)



CD4 T-cells



CD8 T-cells



1. Magnitude of response

2. Rate of decay

Hypothesis for immune memory

- Immortal memory cells

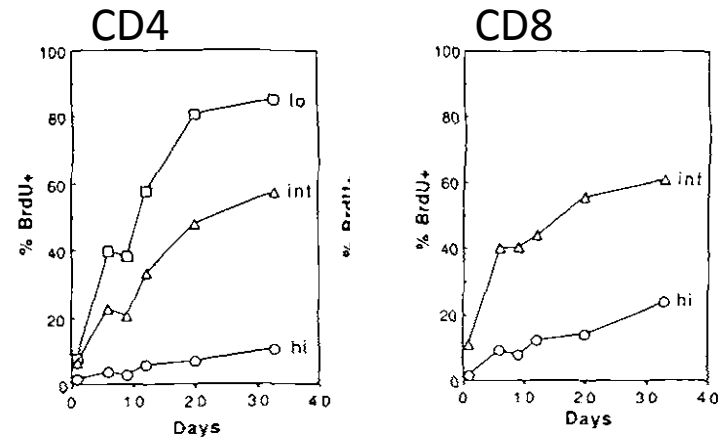
Tough and Sprent
rejected this 20 years ago
JEM 1994

“long-lived memory from short lived cells”

1. How?

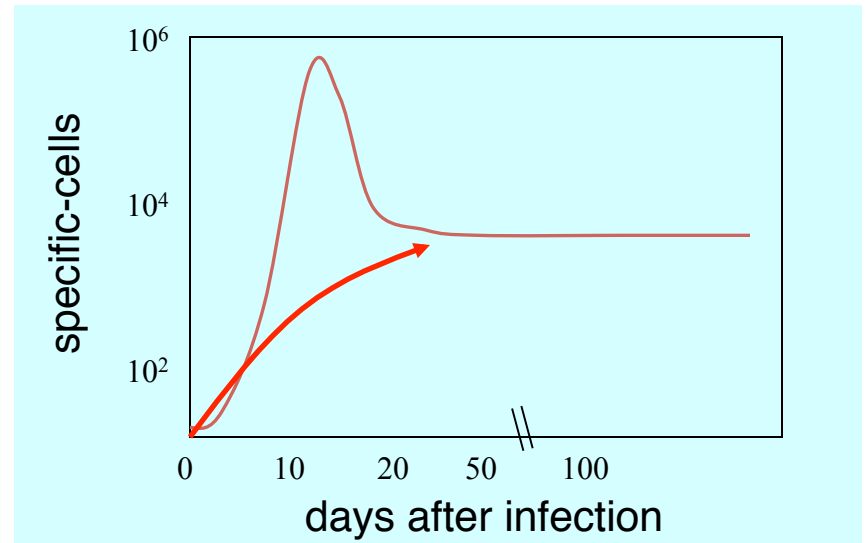
2. Rules for the longevity of memory?

- Maintenance of memory requires antigen:
association of antigen with memory
 - persistent antigen (as antigen or live pathogen)
 - reexposure to antigen (infection)
 - anti-idiotypic networks
- Memory does not require antigen:
adoptive transfer experiments
 - bystander stimulation
 - homeostasis: (active and passive attrition models)



Constructing a simple model

- Define memory as the number of antigen-specific cells following stimulation
- Memory is a general phenomenon (i.e. it is possible to make a general model for memory)
- Include the relevant biology
Repertoire of lineages with
 - (i) input (from thymus),
 - (ii) specific-stimulation,
 - (iii) cross-reactivity,
 - (iv) homeostasis (total population)
 - (v) turnover/death,
- Memory \gg acute infection.
On the timescale of memory, an acute infection is approximated by a jump in the # of pathogen-specific immune cells.



Model-1



“effective repertoire” n very large $\sim 10^7$

x_i = number of cells in the i^{th} lineage

$X = \sum x_i$ = total number of cells

$$\frac{dx_i}{dt} = a_i^* + mq_i^* + cq x_i + S(X) x_i - dx_i$$

deterministic terms (above the equation)

stochastic terms (below the equation)

input (arrow pointing to a_i^*)

stimulation (arrow pointing to mq_i^*)

bystander (arrow pointing to $cq x_i$)

homeostasis (arrow pointing to $S(X) x_i$)

death (arrow pointing to $-dx_i$)

Results - either memory or a diverse repertoire

The decline of memory is exponential at rate

$$R = -\frac{na + nmq}{\tilde{X}}$$

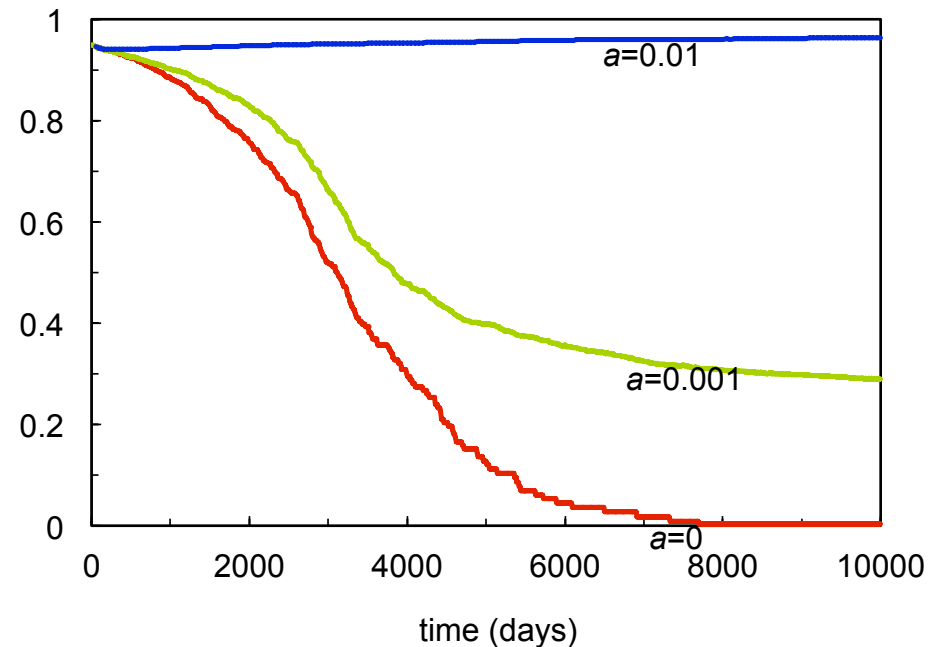
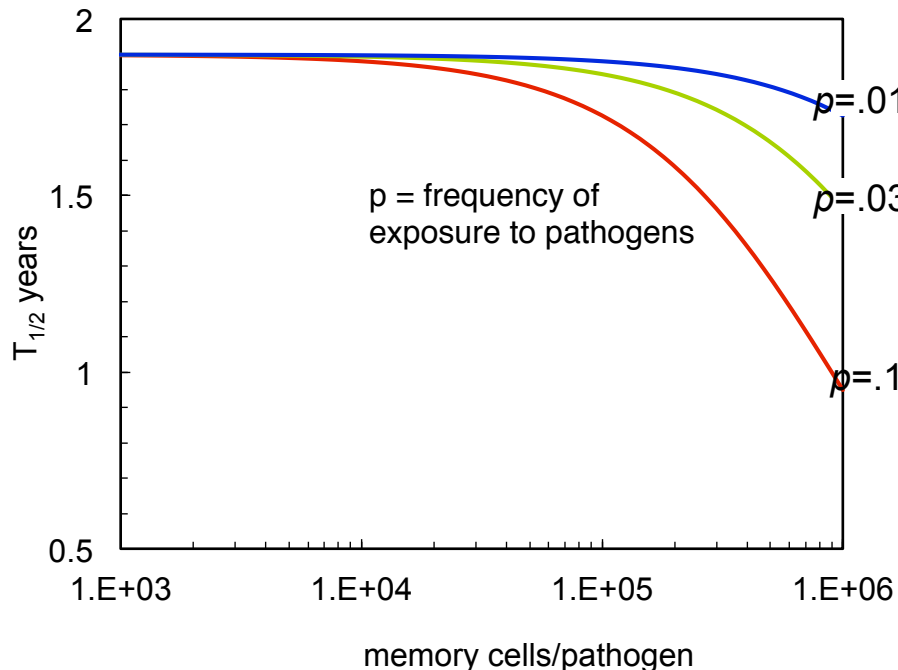
$$= \frac{\text{input} + \text{expansion due to other pathogens}}{\text{total population size}}$$

The longevity of memory is

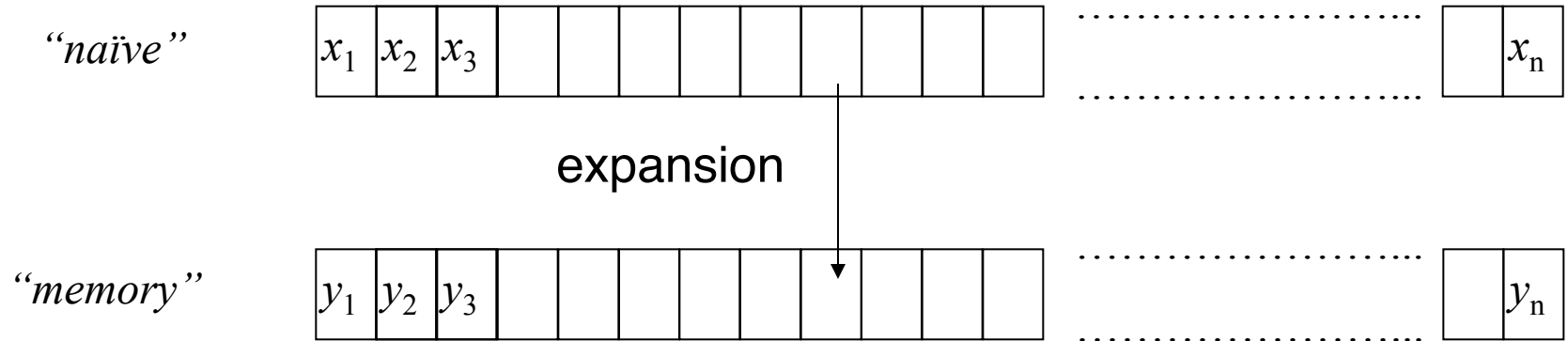
- (i) independent of cross-reactivity
- (ii) relatively long if thymic input small

The repertoire is maintained only if the input from the thymus is sufficiently large that

$$\tilde{x} = \tilde{X} \frac{a}{n(a + mq)} > 1$$



Model 2



“naïve”

$$\frac{dx_i}{dt} = a_i^* - q_i^* x_i + S_X(X, Y) x_i - dx_i$$

expansion homeostasis death

“memory”

$$\frac{dy_i}{dt} = m q_i^* + S_Y(X, Y) y_i + c q y_i - dy_i$$

bystander

Results - memory

Independent homeostasis of naïve and memory populations results in the maintenance of memory and the naïve repertoire

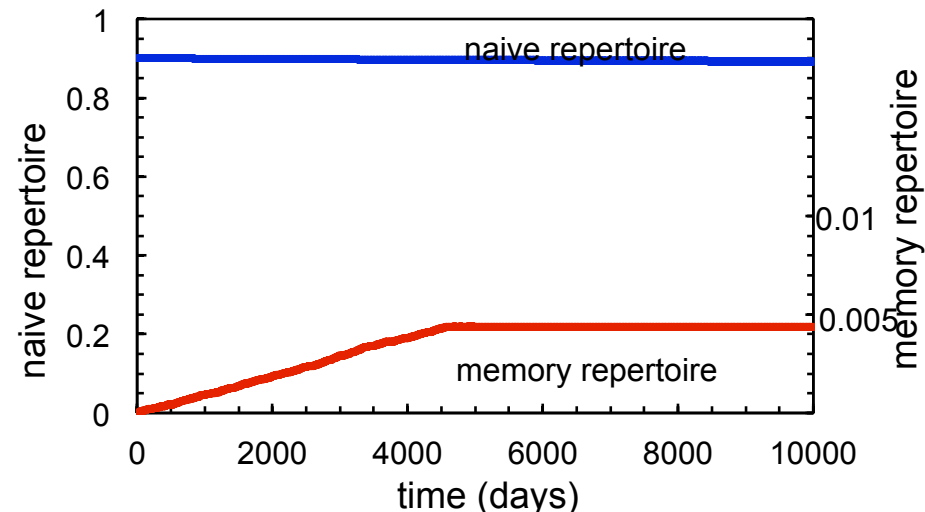
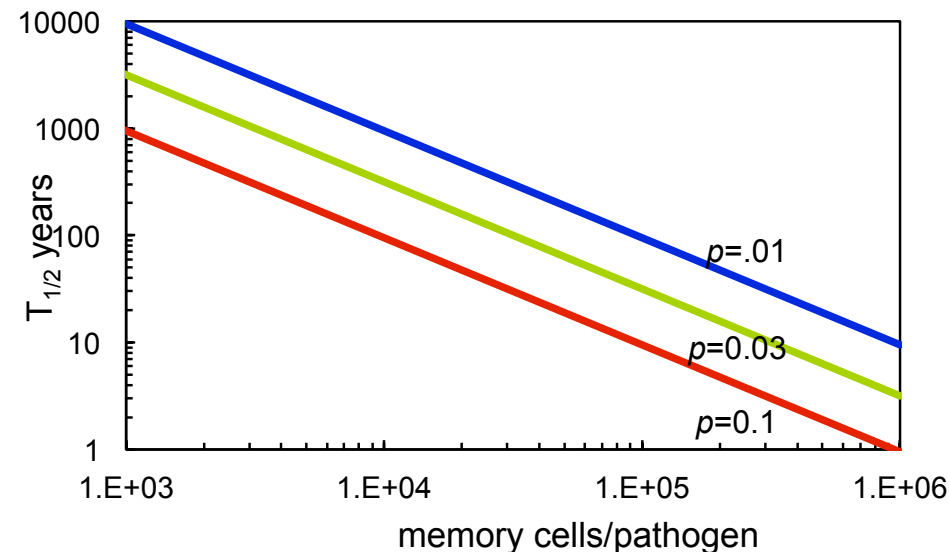
Loss of memory at rate

$$R = -\frac{nmq}{Y} = \frac{\text{expansion to other pathogens}}{\text{size of memory compartment}}$$

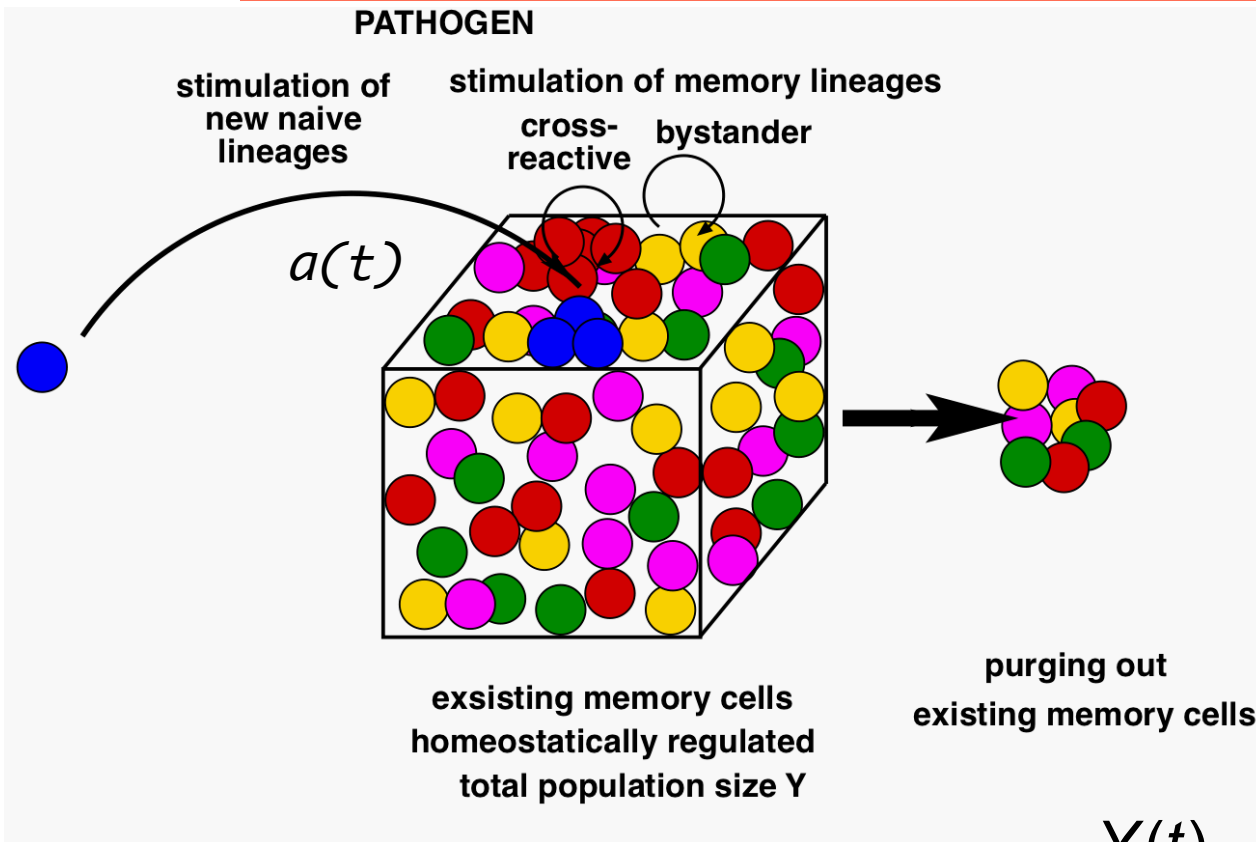
Memory repertoire

$$r_m = \frac{Y \ln(m)}{m}$$

m = expansion due to new pathogens; $p = nq$ = frequency of exposure to new pathogens



A simple model for immune memory



1. Incorporation of “new” memory cells
2. Change in size of memory compartment

$y(t)$ = number of memory cells of a given specificity

$a(t)$ = influx of new memory cells

$Y(t)$ = total population size of all memory cells

$$y(t) = y(0) \underbrace{\frac{Y(t)}{Y(0)}}_{\text{Change in size of memory compartment}} \exp \left(\underbrace{-\int_0^t \frac{a(s)}{Y(s)} ds}_{\text{Purging due to addition of memory cells to new pathogens}} \right)$$

Change in size of memory compartment

Purging due to addition of memory cells to new pathogens

Testing the model

- Assumptions:
 - All “memory cells” equal
 - Turnover/homeostasis is independent of:
 - antigenic specificity
 - previous division history
- Predictions:
 - Loss of preexisting memory on exposure to novel pathogens

Are all memory cells “equal”

The CFSE dye dilution assay allows us to look at the turnover of memory cells specific for different lineages with unprecedented accuracy.

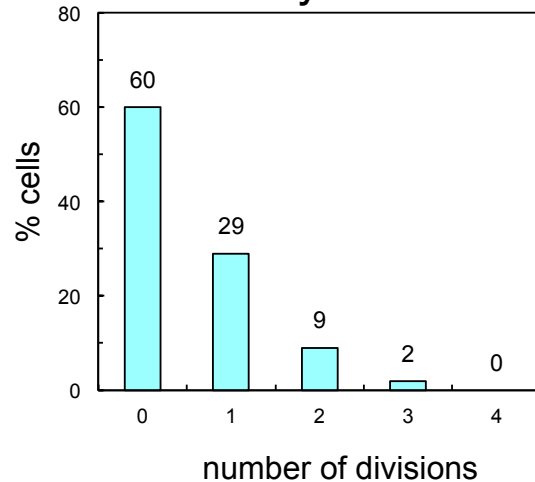
Using this assay we would like to test the assumptions of the model, namely

1. Does the turnover of memory cells depend on their antigenic specificity?
2. Does it depend on time since the primary response or the number of divisions a cell has undergone?

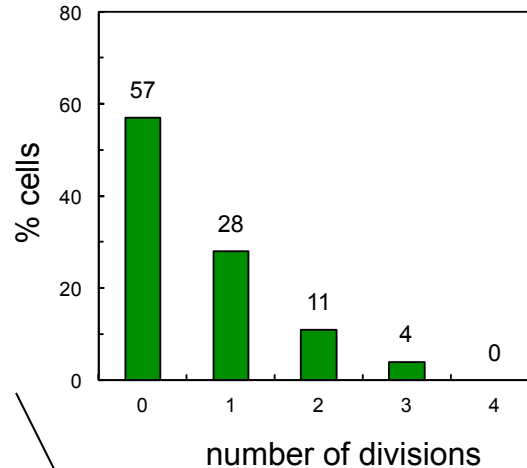
Turnover of memory cells of different specificities

turnover @ 21 days after transfer

NP396-specific
memory cells

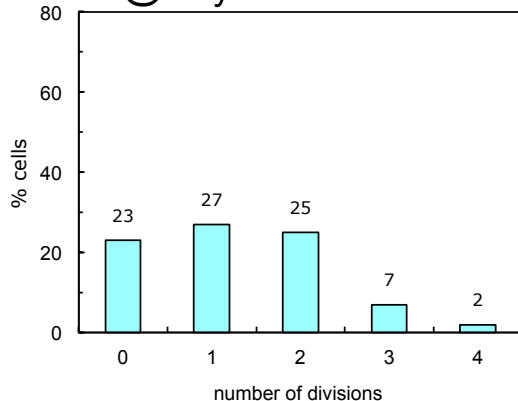


all memory cells
(CD44^{hi}, CD8)

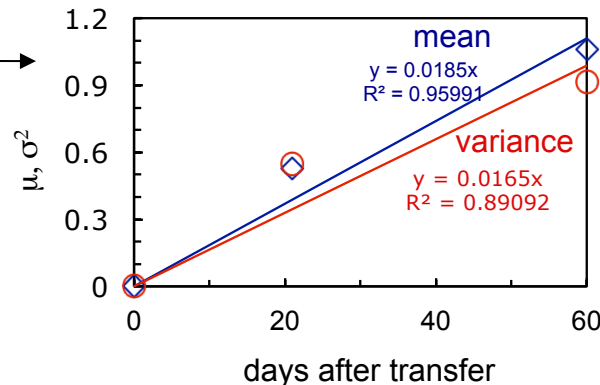


Memory cell turnover is
independent of specificity

NP396 cells
@ day 60

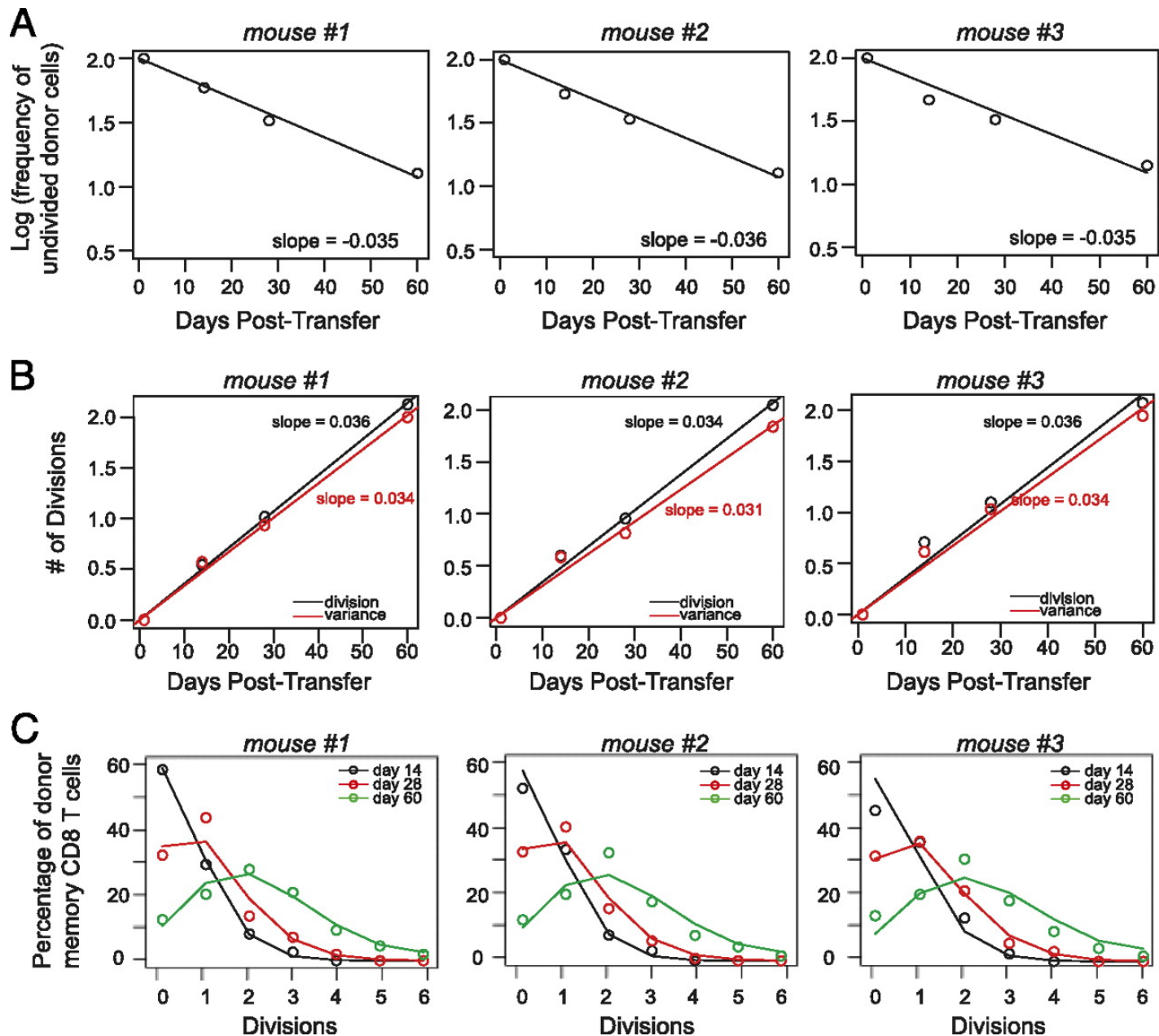


Mean and variance



Poisson distribution?

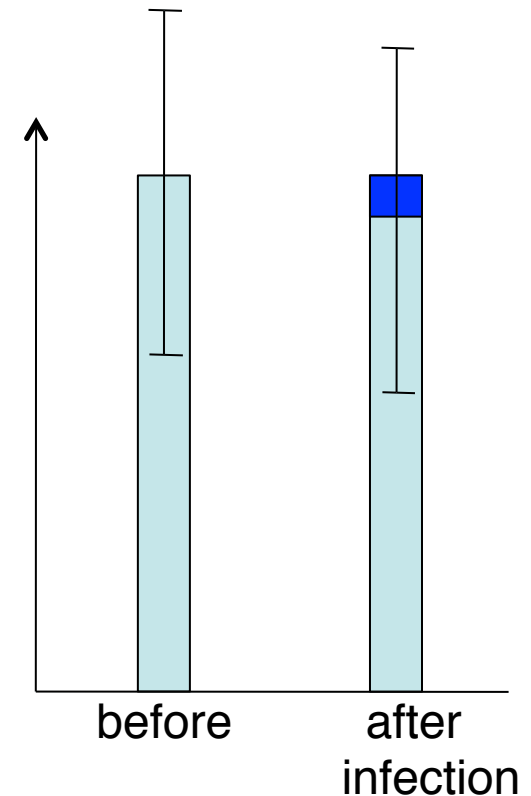
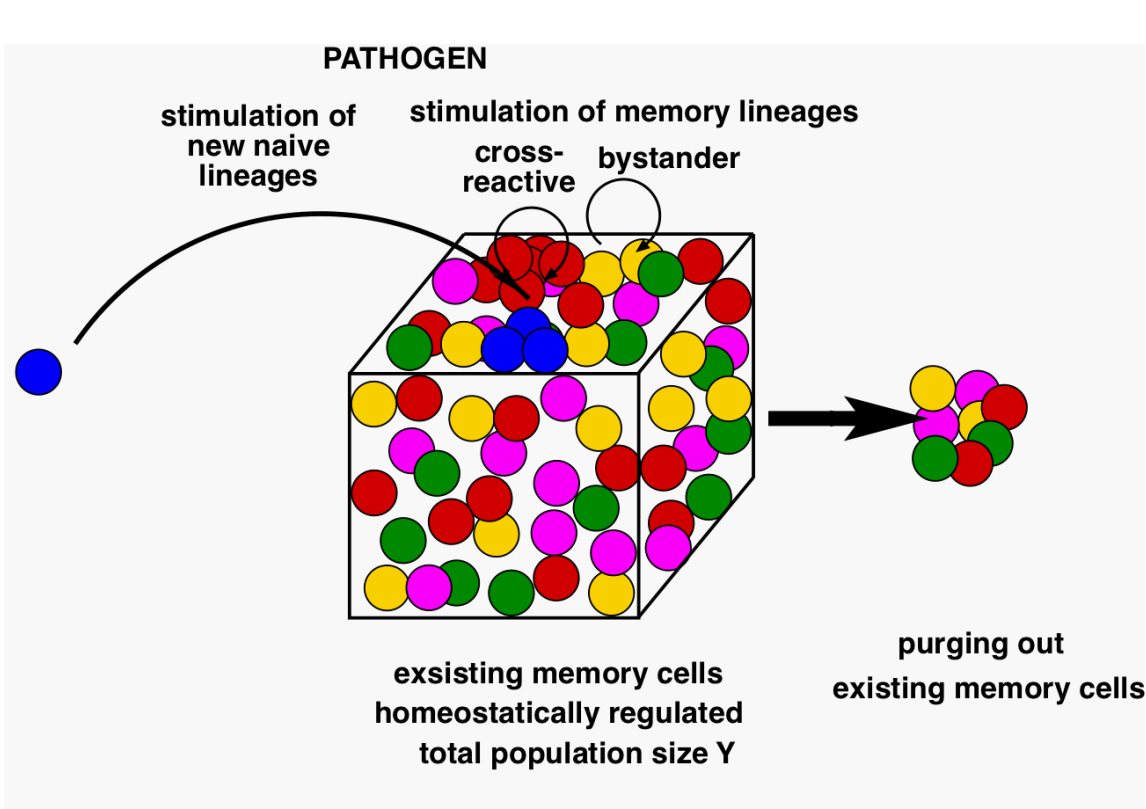
Turnover of antigen-specific memory cells



Prediction – loss of memory following exp. to new pathogens

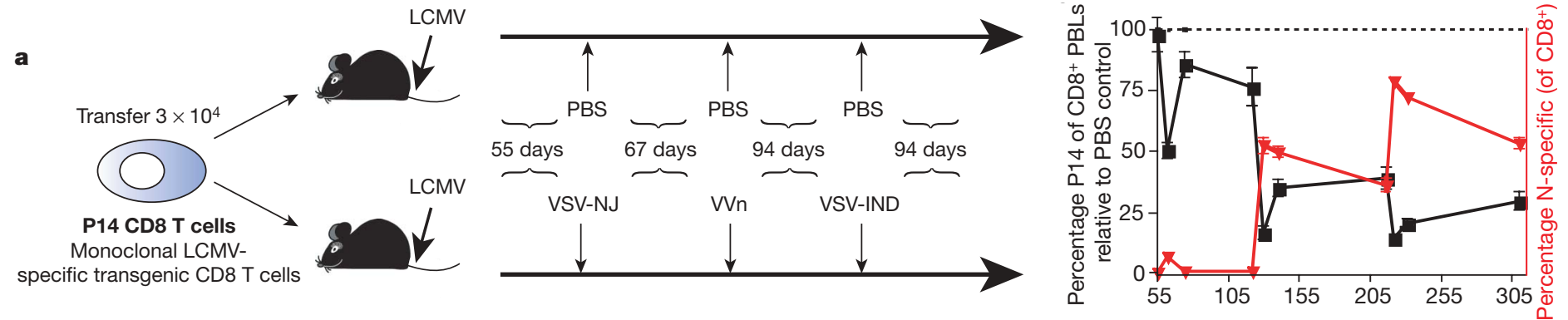
First suggested by Selin and Welsh. Some potential problems

1. Need to measure total cell numbers (not percentages).
2. Inter mouse variation in numbers of cells about 50%.



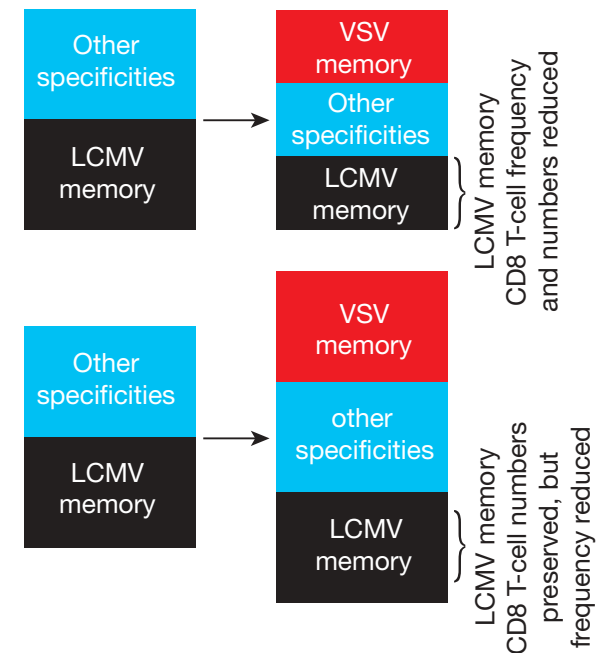
Experimental design

Immunization regime results in over half the CD8 memory population being specific for new pathogens.

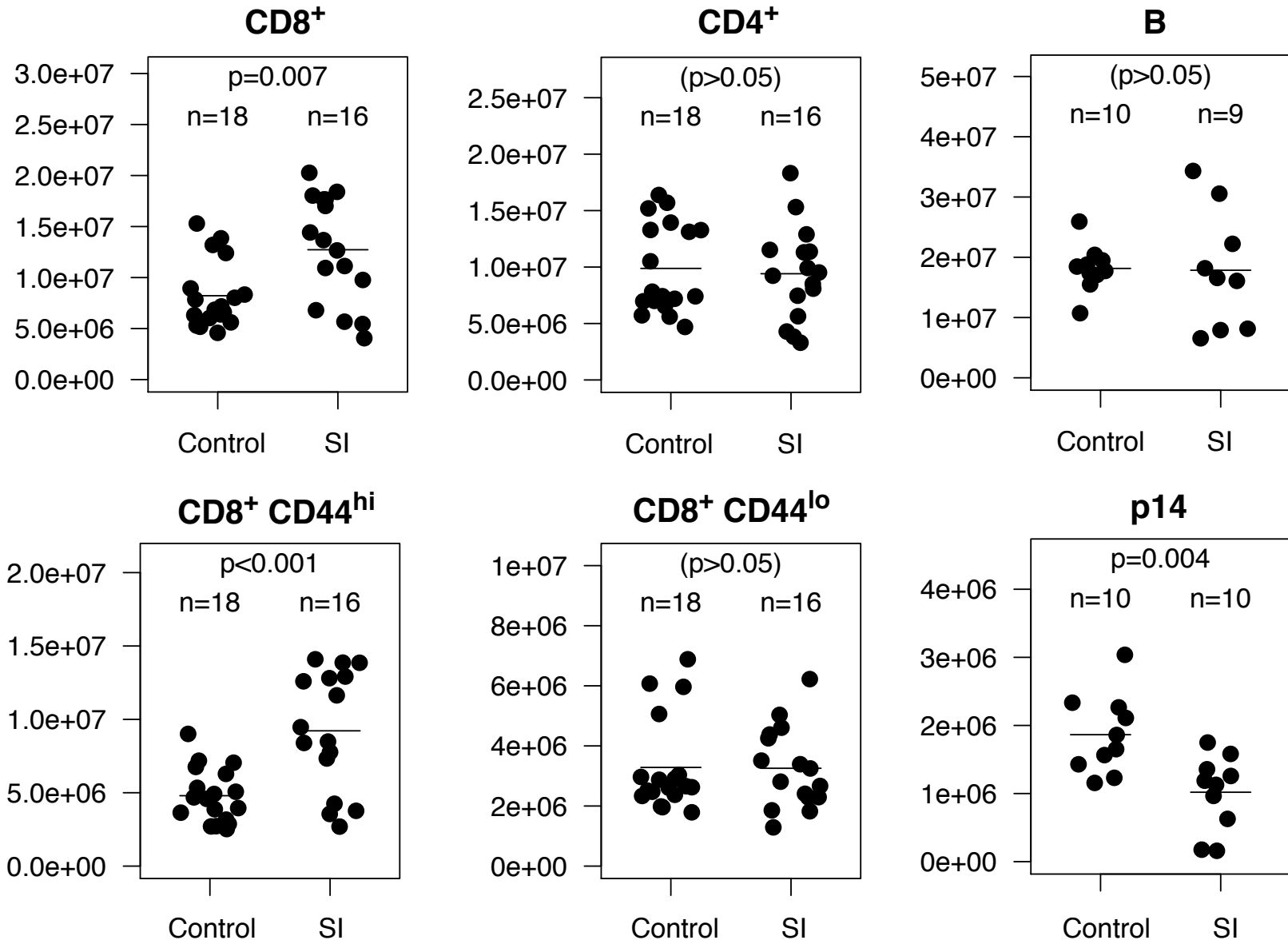


What is the relative contribution of

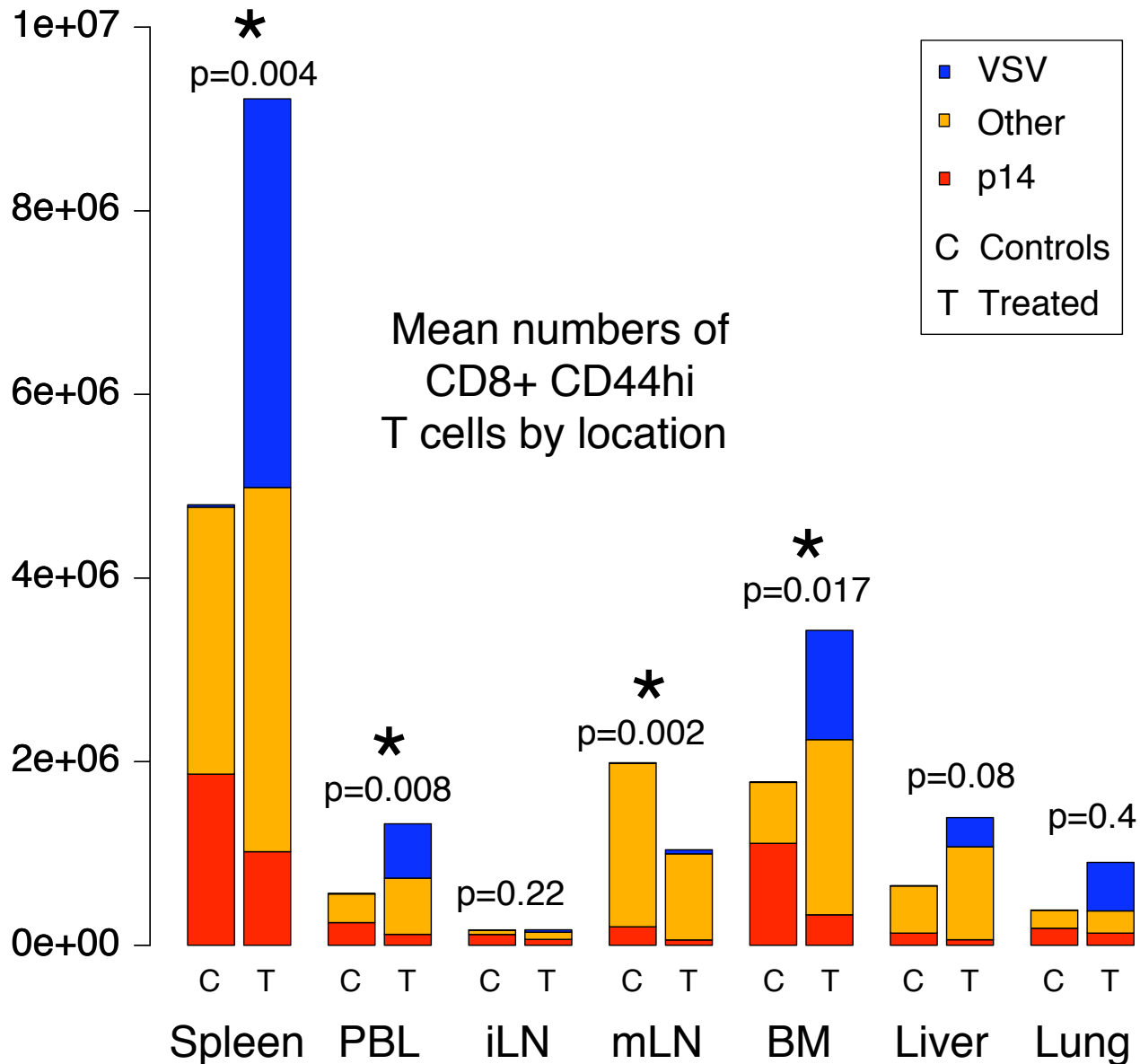
- attrition in existing memory
- increase in size of memory pool



Change in the numbers of cells in the spleen



Specificity of memory CD8 cells



Open questions

Discrepancy between memory in mice and men
(numbers of CD4 and CD8, and rates of decay)

Flexibility in size of the memory compartment
(causes, limits and consequences ...)

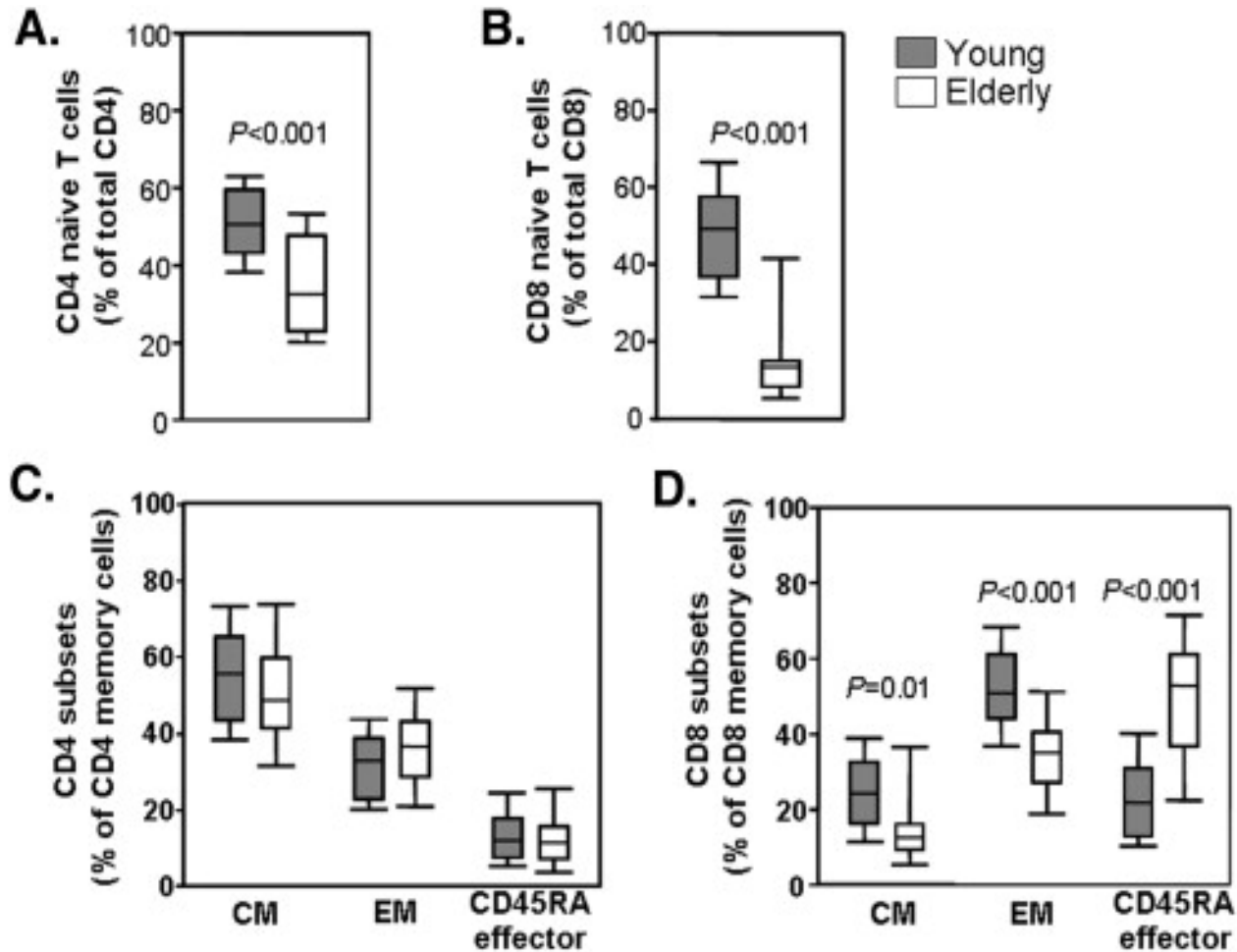
Potential heterogeneity in memory
(Rob's talk)

The role of cross-reactivity in the maintenance of
memory.
(Matzinger, Selin and Welsh, Ganusov ...)

Heterogeneity in protection by vaccination.

Repertoire and aging

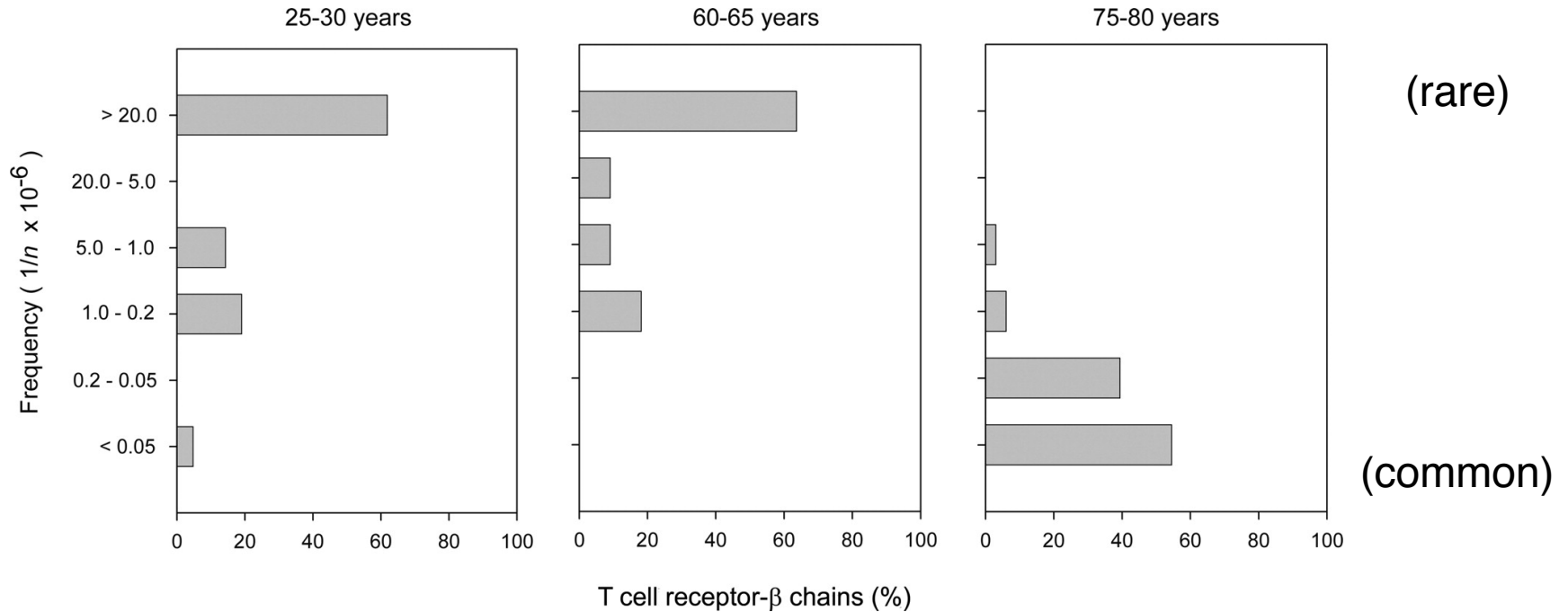
What happens during aging?



Sampling restricted to blood

Czesnikiewicz-Guzik et al
(2008) Clinical Immunology

Naïve CD4 T cell repertoire



Relatively severe loss of the naïve CD4 T cell repertoire @ around 70 yrs

(results qualitative ... pairing problem etc.)

Thymic output declines much earlier

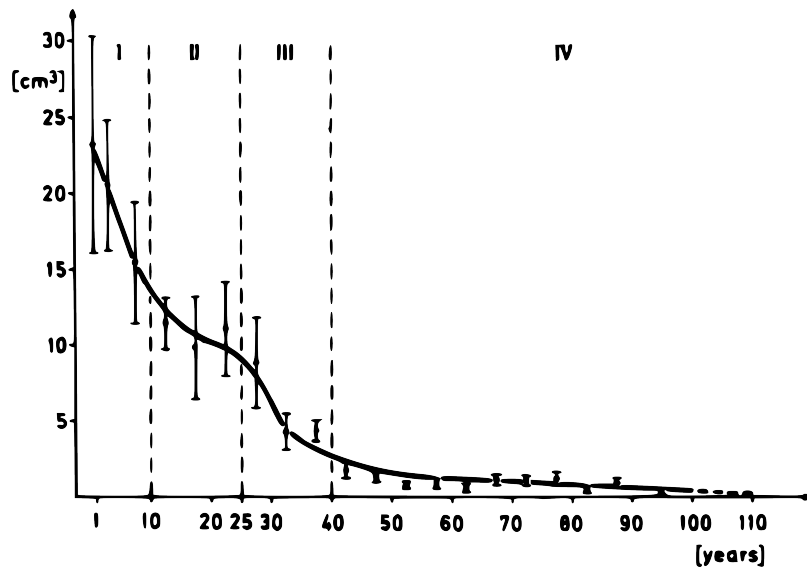
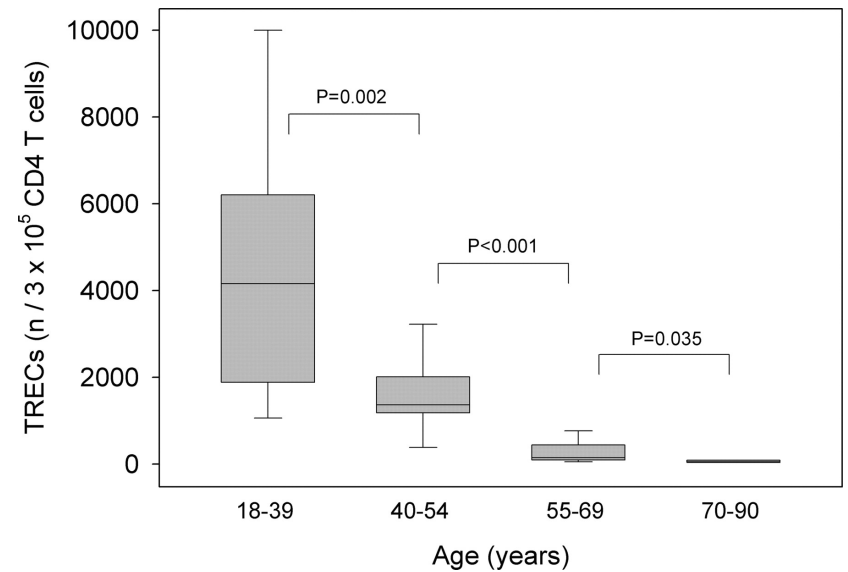


Fig 7 from Steinmann et al. (1985)



Naylor et al (2005) J. Immunology

What causes the crash in the repertoire?

Classic population genetics problem?

1. **Involution of the thymus** and decline in production of new naïve cells (loss of immigration)
2. **Stochastic extinction** during homeostatic replication or conversion into memory T cells (genetic drift or emigration)
3. **Decline in total number** of naïve T cells with age (population shrinkage)

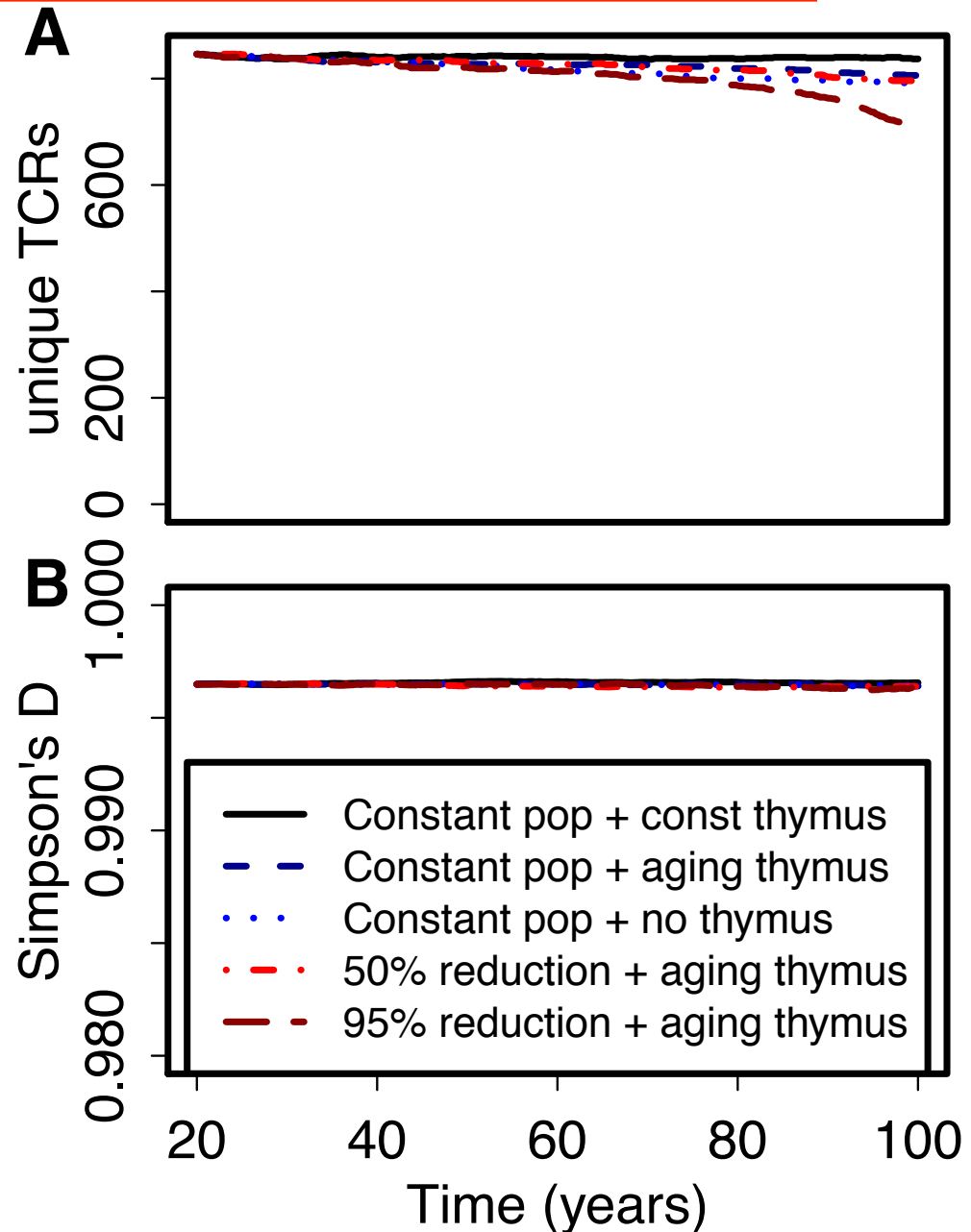
Conventional “neutral” model

Testing the conventional “neutral” model

We perform a forward simulation of the naïve T cell population and track the following transitions:

- Emigration from the thymus with a TCR chosen at random from the potential repertoire. New lineages emigrate at time-dependent rate $\nu[t]$ and start with clone size $C=500$.
- Homeostatic division at rate $\lambda(1\{N[t]/K[t]\})$, where $\lambda=1$, $N[t]$ is the total population size and $K[t]$ is the age-dependent carrying capacity. Due to computational constraints, $K[0]=5 \times 10^5$.
- Cell death / conversion to memory at rate $\delta=0.001/\text{day}$

For parameters in a biologically reasonable regime or how the total naïve population size changes, this neutral model cannot reproduce the abrupt decline of the repertoire

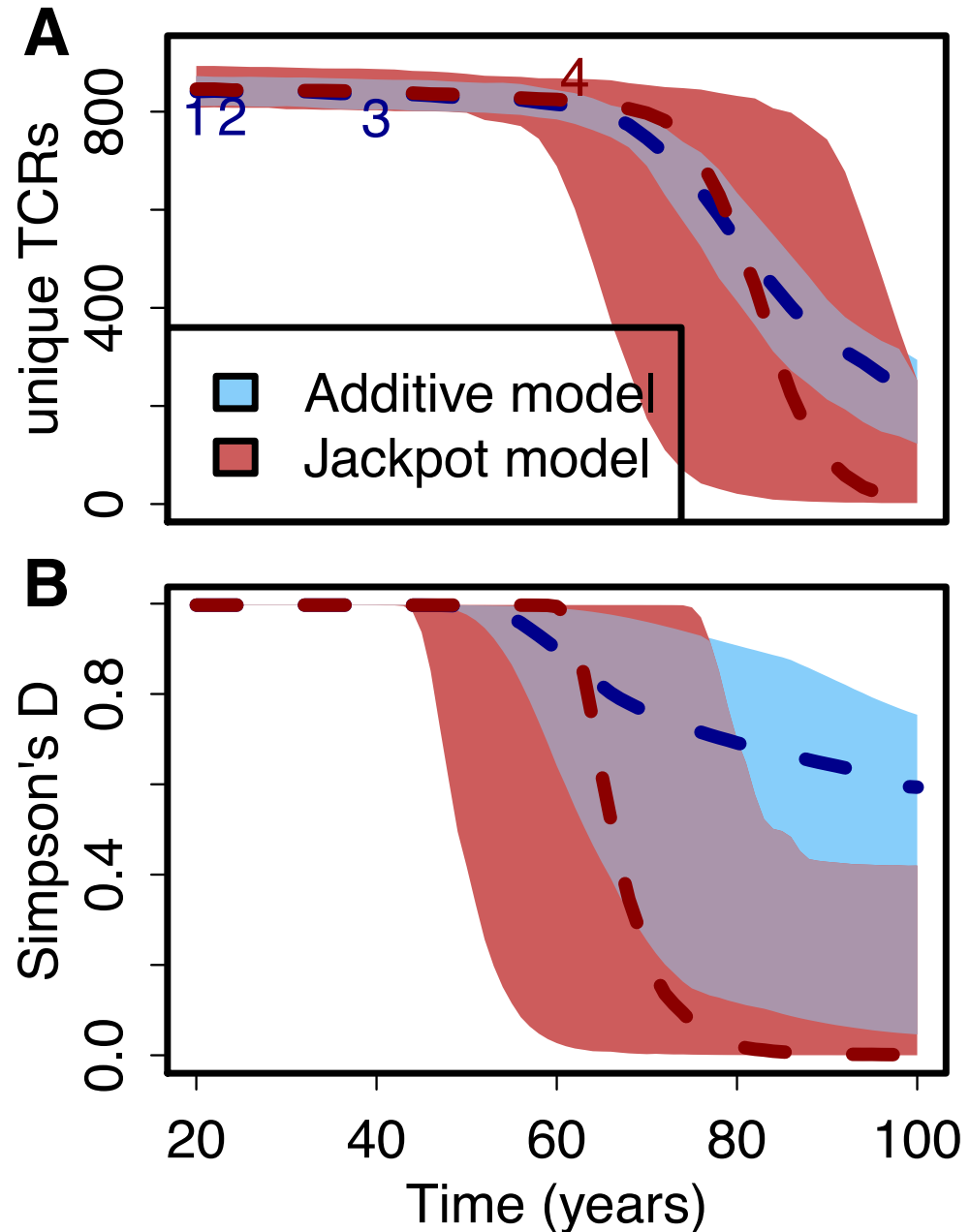


Alternative “selection” models

We now modify our neutral model to consider the effect of ‘mutations’ (either genetic or epigenetic) that might lead to a heritable change in a lineage's homeostatic division rate. We implement this change using two different models:

- “additive” in which each additional mutation, m , increases the division rate by $(1+C_1 \min[m,3])$
- “jackpot” in which multiple mutations must accrue before any benefit arises and increases the division rate by $(1+C_2)$

Since mutations arise stochastically, we shade regions where 90% of simulated trajectories fall.



Similarities with cancer models

Armitage-Doll model

$$E_0 \xrightarrow{\lambda_0} E_1 \xrightarrow{\lambda_1} \dots \xrightarrow{\lambda_{n-1}} E_n$$

$$h(t) \approx \frac{N \lambda_0 \lambda_1 \dots \lambda_{n-1} t^{n-1}}{(n-1)!}$$

Lubek-Moolgavkar model

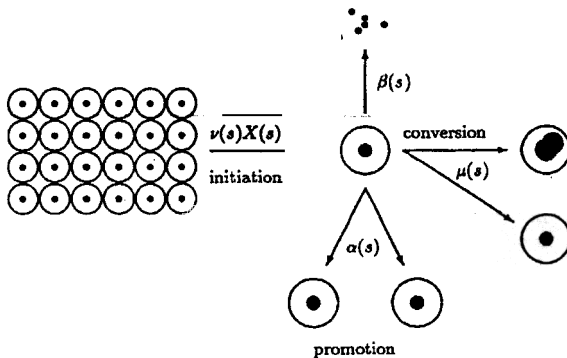
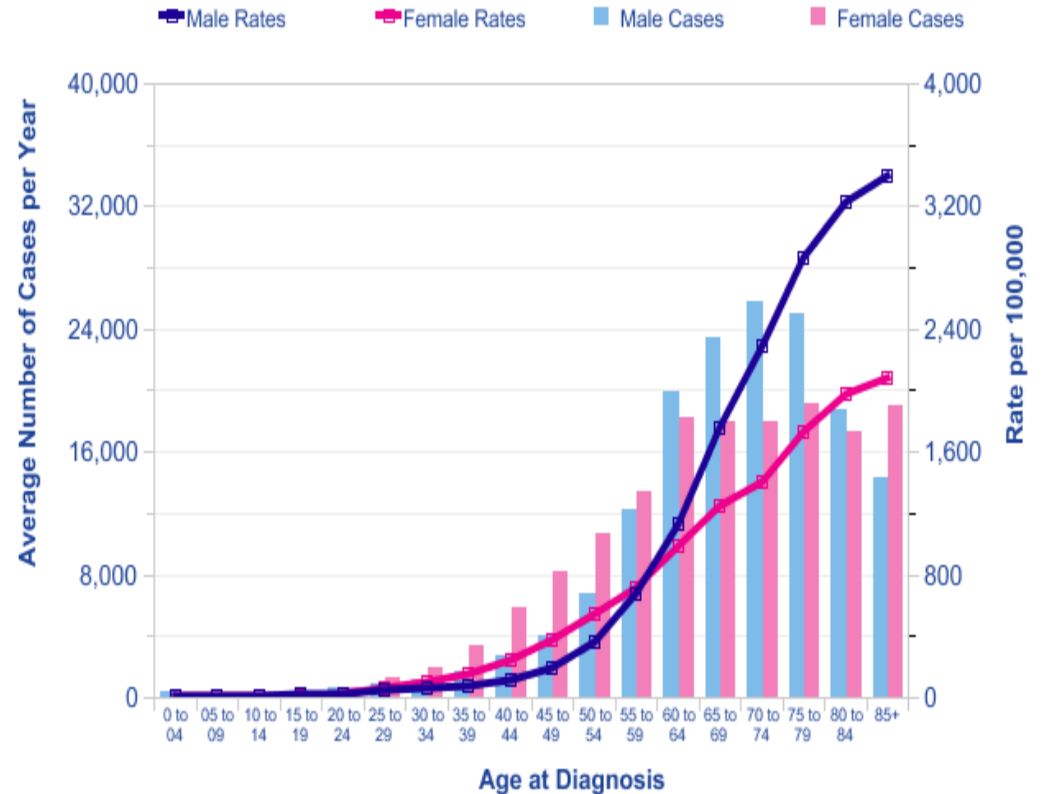


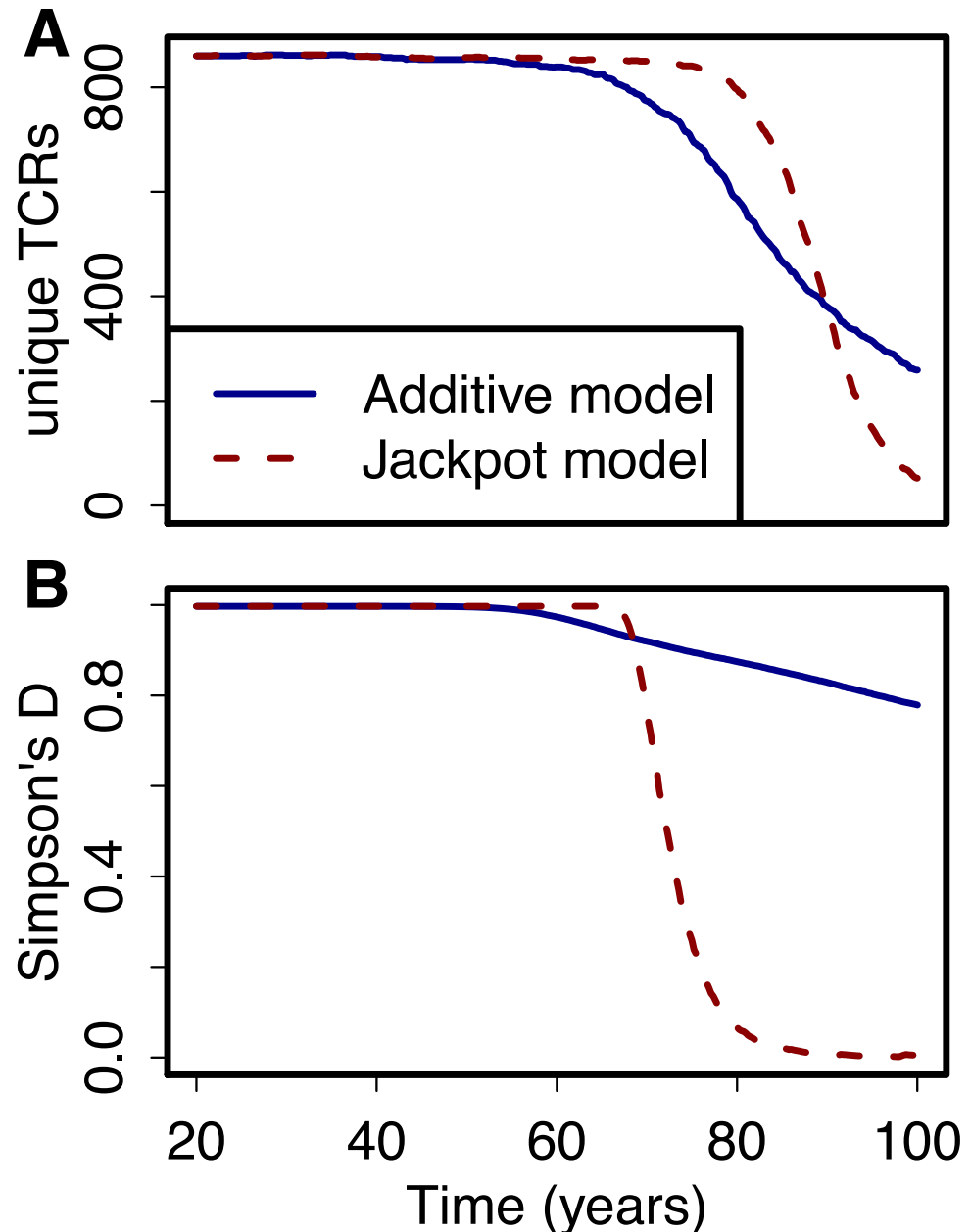
Figure 1. Two-mutation model for carcinogenesis.



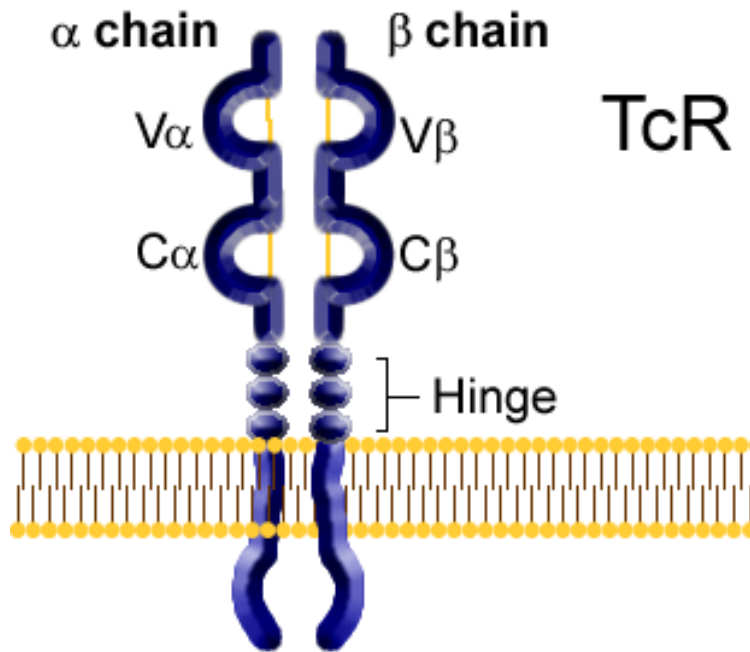
Implications and conclusions

While the form of selection has yet to be determined, these alternative “selection” models fit the observed data much better than the conventional model.

Our finding has implications for immunosenescence therapy: **thymic rejuvenation will have little effect under a selection model**, since new TCR lineages from the thymus will be less fit than the mutated lineage(s) in the population.



An open problem : measuring the immunological repertoire



How diverse is the immune system?

We can count the number of distinct α and β chains

The problem is determining the association between TCR α and β chains

Limitations of simple diversity measures

Exhaustive T-cell repertoire sequencing of human peripheral blood samples reveals signatures of antigen selection and a directly measured repertoire size of at least 1 million clonotypes

René L. Warren, J. Douglas Freeman, Thomas Zeng, et al.

Genome Res. published online February 24, 2011

repertoire between
 $10^6 - 10^{12}$

29 OCTOBER 1999 VOL 286 SCIENCE

A Direct Estimate of the Human $\alpha\beta$ T Cell Receptor Diversity

T. Petterí Arstila,*† Armanda Casrouge, Véronique Baron, Jos Even, Jean Kanellopoulos, Philippe Kourilsky

of α chains 10^6
 $\alpha\beta$ diversity $> 2.5 \cdot 10^7$?

comment by Kesmir,
Borgans & DeBoer

A potential solution

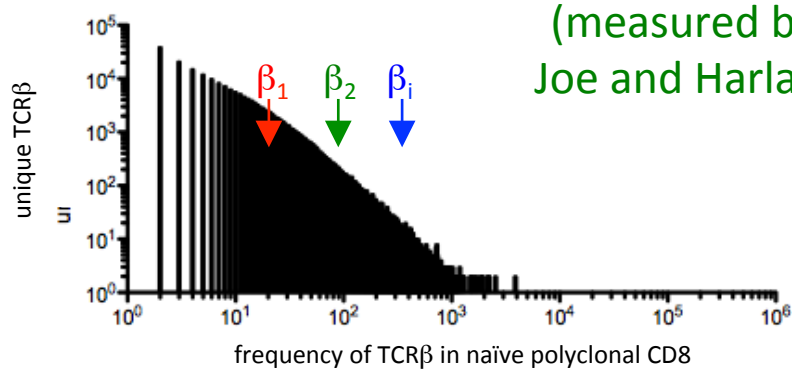


wild-type (H-2^b)



sequence TCRβ

*marginal frequency distribution
of TCRβ in naïve H-2^b polyclonal*



(measured by
Joe and Harlan)



TCRβtg (H-2^b)

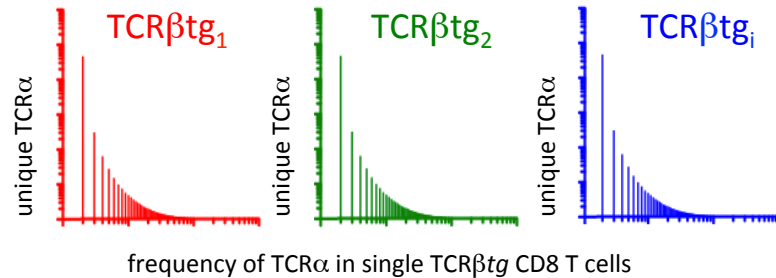
(TCRβtg₁, TCRβtg₂...TCRβtg_i)



sequence TCRα

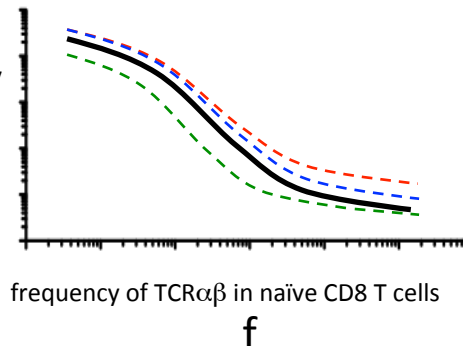
*conditional frequency distribution
of TCRα in each TCRβtg*

(proposed)



*joint frequency
distribution of TCRαβ*

frequency
spectrum
 Φ_f



also compute:

species richness

Simpson's diversity ($D = 1 - \sum \Phi_f^2$)
& other composite measures

Colleagues and collaborators

Theory

Carl Bergstrom
Vitaly Ganusov
Andreas Handel
Philip Johnson
Beth Kochin
Sergei Pilyugin
Roland Regoes
Sean Stromberg
Andrew Yates

Epidemiology

Ira Longini
Bruce Levin

Experiments

Immunology

Rafi Ahmed
Joseph Blattman

Dan Barber
Dan Choo
Susan Kaech
David Masopust
Kaja Murali-Krishna
Viva Vezys

Trey Langley
Mark Slifka

Ageing

Jorg Goronzy

Transplantation

Chris Larsen

Malaria

Jaap de Roode
Mary Stevenson

SIV/HIV

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Silvija Staprans

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