

CP VIOLATION IN RADIATIVE HIGGS DECAYS

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THE GOAL

- show that there are observables in $h \rightarrow \gamma\gamma$ linear in CPV parameter
- the effects can be $O(1)$
- warning: the measurement is challenging
- LHC upgrade? Only Higgs factory?

MOTIVATION

- NP could modify higgs couplings
 - most of the studies on CP conserving case
 - how about CPV?
see Roni's talk on 7/1/13
- e.g., one could have NP generate $i\bar{\tau}\gamma_5\tau h$
- here will focus on Higgs decays to vectors
 - in particular on $h\rightarrow\gamma\gamma$

MOTIVATION

- compare NP contribs. to $h \rightarrow \gamma\gamma$ and $h \rightarrow ZZ$

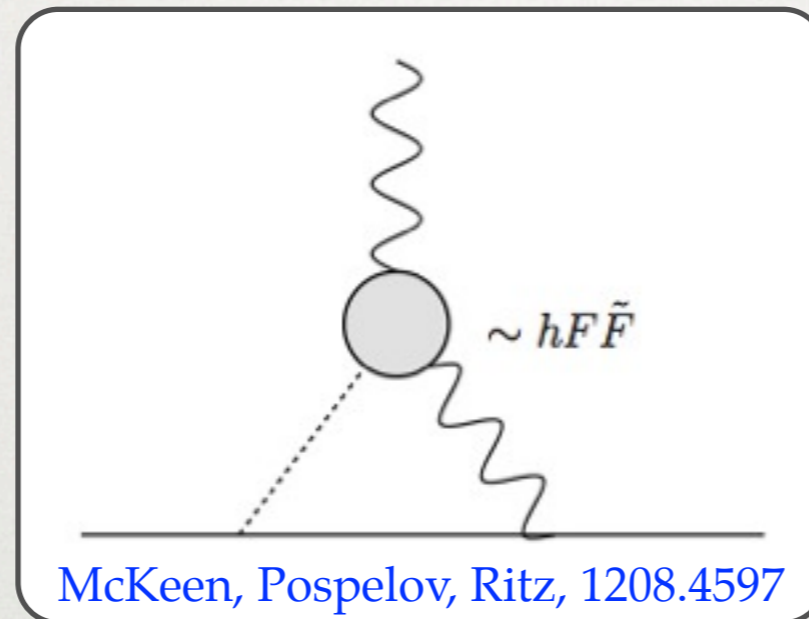
$$\mathcal{L}_{\text{eff}} \supset c_V \frac{m_Z^2}{v} h Z^\mu Z_\mu + \hat{c} \frac{\alpha}{\pi v} h F_{\mu\nu} F^{\mu\nu} + \hat{c}_{ZZ} \frac{\alpha}{\pi v} h Z^{\mu\nu} Z_{\mu\nu} \\ + \tilde{c}_{ZZ} \frac{\alpha}{2\pi v} h Z_{\mu\nu} \tilde{Z}^{\mu\nu} + \tilde{c} \frac{\alpha}{2\pi v} h F_{\mu\nu} \tilde{F}^{\mu\nu},$$

tree \nearrow c_V loop \nearrow \hat{c}
loop \nearrow \tilde{c}_{ZZ} loop \nearrow \tilde{c}

- 0^+ Higgs experimentally preferred at more than 3σ
 - \tilde{c} and \tilde{c}_{ZZ} ops. are P and CP violating
- CPV only in dim 5 ops., generated at 1-loop from NP
- in $h \rightarrow \gamma\gamma$ also the CP conserving (SM) at 1-loop
 - large $O(1)$ CPV effects possible
- unlike $h \rightarrow ZZ$ which has a tree level c_V
 - to see CPV in $h \rightarrow ZZ$ need a measurement at $O(0.001)$

EDM CONSTRAINTS

- constraint on $y_e \tilde{c}$ from electron EDM



- gives $\tilde{c} \lesssim 10^{-2}$ for SM electron yukawa
 - vanishes if the Higgs does not couple to e^-
 - or if coupling to e^- is purely CPV
- important to have an independent measurement of \tilde{c}

CPV IN DIPHOTON HIGGS DECAYS

- from now on focus on $h \rightarrow \gamma\gamma$

$$\mathcal{H}_{\text{eff}} = -\hat{c} \frac{\alpha}{\pi v} h F_{\mu\nu} F^{\mu\nu} - \frac{\tilde{c}}{2} \frac{\alpha}{\pi v} h F_{\mu\nu} \tilde{F}^{\mu\nu}$$

- how to measure CPV coupl. ?
- in the rate quadratic sensitivity

$$\mu_{\gamma\gamma} \equiv \frac{\Gamma(h \rightarrow \gamma\gamma)}{\Gamma(h \rightarrow \gamma\gamma)_{\text{SM}}} = \frac{\hat{c}^2 + \tilde{c}^2}{\hat{c}_{\text{SM}}^2}$$

- here $c_{\text{SM}} = -0.81$
- CP conserving and CPV always add up
- how about differential $h \rightarrow \gamma\gamma$ rate?

MEASURING CPV

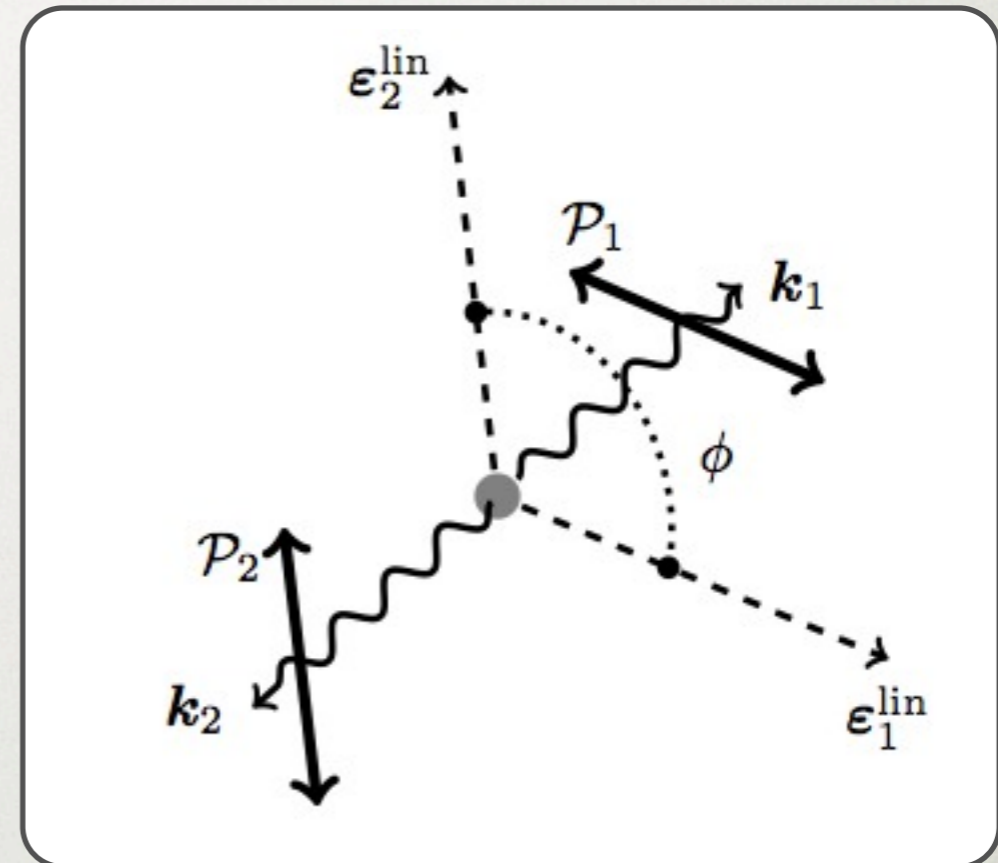
- Higgs is a scalar \Rightarrow no information on \tilde{c} from angular distributions of photons
- need to measure photon polarizations
- if perfect linear polarization analyzers

$$\frac{d\Gamma}{d\phi} = \frac{2}{\pi} \Gamma_{h \rightarrow \gamma\gamma} \cos^2(\phi + \xi)$$

- where $\xi \equiv \tan^{-1}(\tilde{c}/\hat{c})$

- CPV causes a shift in the modulation of the rate
 - the shift is linear in CPV ξ
 - more sensitive than the total rate

$$\Gamma_{h \rightarrow \gamma\gamma} = \frac{\alpha^2}{4\pi^3} \frac{m_h^3}{v^2} (\hat{c}^2 + \tilde{c}^2)$$



LINEAR SENSITIVITY

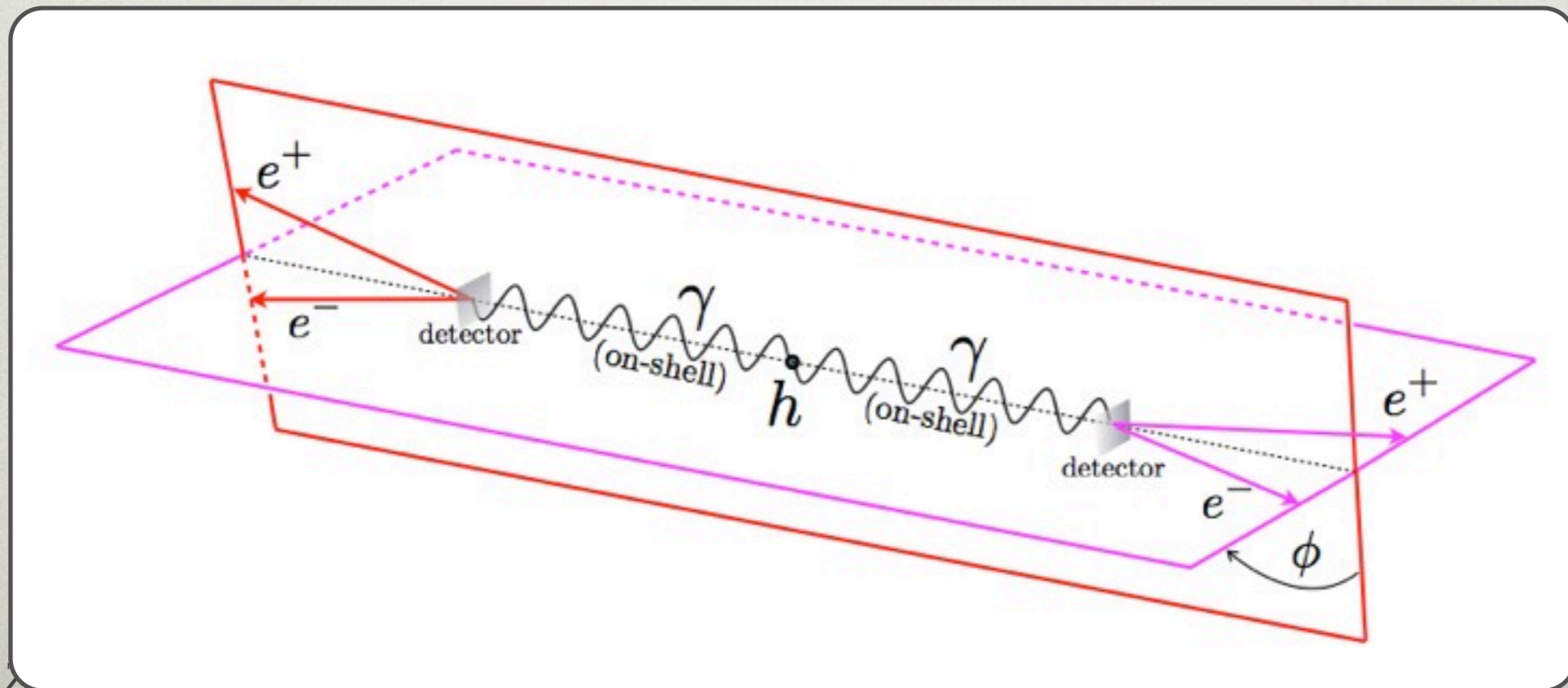
- linear sensitivity comes from helicity interference

$$\mathcal{H}_{\text{eff}}|h\rangle \propto \sqrt{\hat{c}^2 + \tilde{c}^2} \left(e^{-i\xi} |++\rangle + e^{i\xi} |--\rangle \right)$$

- to be sensitive to CPV phase ξ need interference between ++ and -- helicity states
- interference term then linear in \tilde{c}

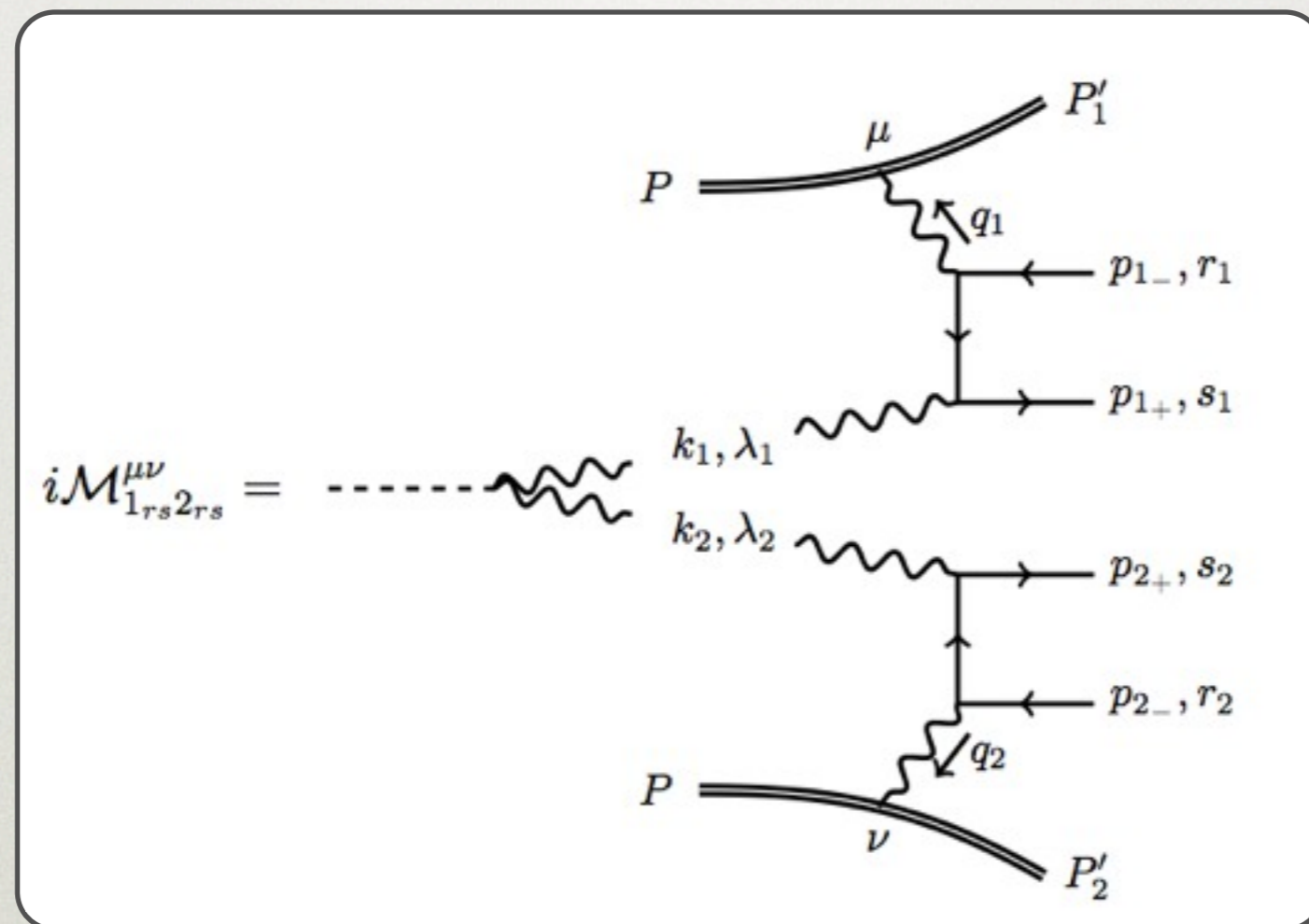
MEASURING CPV

- how to measure a polarization of a ~ 60 GeV photon?
 - $\sim 50\%$ of the photons convert in Si tracker
 - can one use these?



HIGGS-BETHE-HEITLER

- the photons are on-shell and convert to e^+e^- after traveling macroscopic distance



- it is a $3 \rightarrow 6$ process
 - relatively involved kinematics

HOW EXPERIMENTALLY CHALLENGING

- how experimentally difficult?
 - should one worry about decoherence?
 - no! $\Leftarrow \gamma + \text{Si}$ xsec is dominated by Bethe-Heitler conversion
 - so that essentially no interactions with material before conversion
 - to determine e^+e^- orientation need to measure their opening angle
 - roughly half event have opening angles larger than 10^{-4}
 - need to measure opening angles of $O(10^{-4})$ to $O(10^{-3})$
 - angle of 10^{-4} corresponds to $50\mu\text{m}$ over lever arm of 0.5m
 - at the limit of present ATLAS silicon detector

HOW EXPERIMENTALLY CHALLENGING

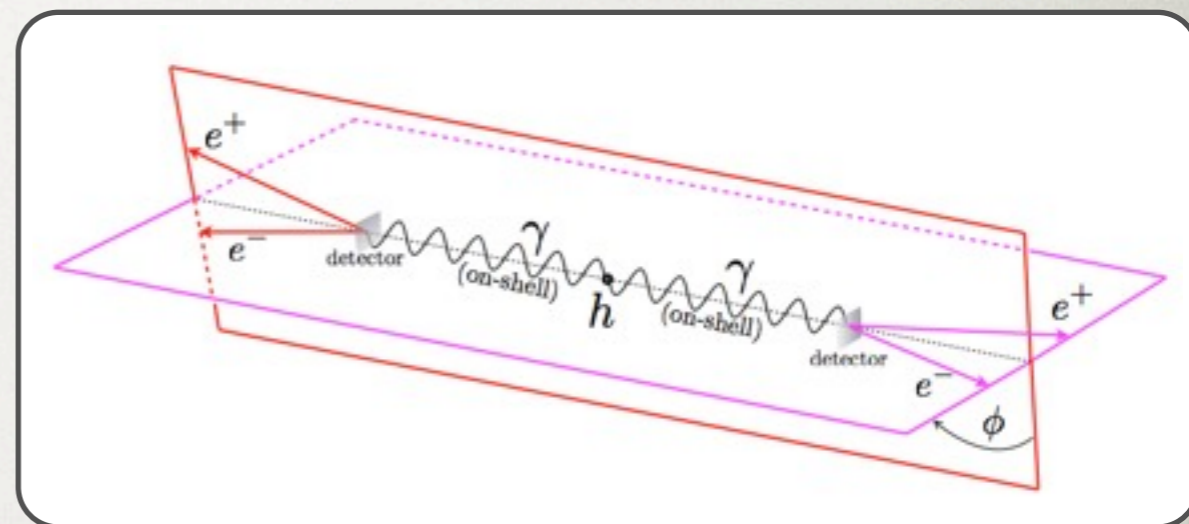
- another exp. challenge: multiple scattering of outgoing electrons
- after traversing 0.01 radiation length of material
 - typical scattering angle $\sim 10^{-4}$ for 10 GeV electron and $\sim 10^{-3}$ for 1 GeV electron
- **challenging but maybe not impossible**
 - could potentially determine the e^+e^- orientation on a statistical basis
- a more realistic detector study needed
 - this is just the first step \Rightarrow we are mostly dealing with theory aspects

WHAT WE HAVE DONE

- what we have done
 - analytical results for HBH using Feynman diagrams and spin-helicity formalism
 - built a Monte Carlo program for HBH
 - uses Mathematica to have enough precision
 - eventually C++ code or interface with MadGraph (but needs quadruple precision)
- the goal is to understand where the sensitivity to CPV comes from / how large it is
 - for now leave backgrounds aside

CPV SENSITIVE OBSERVABLES

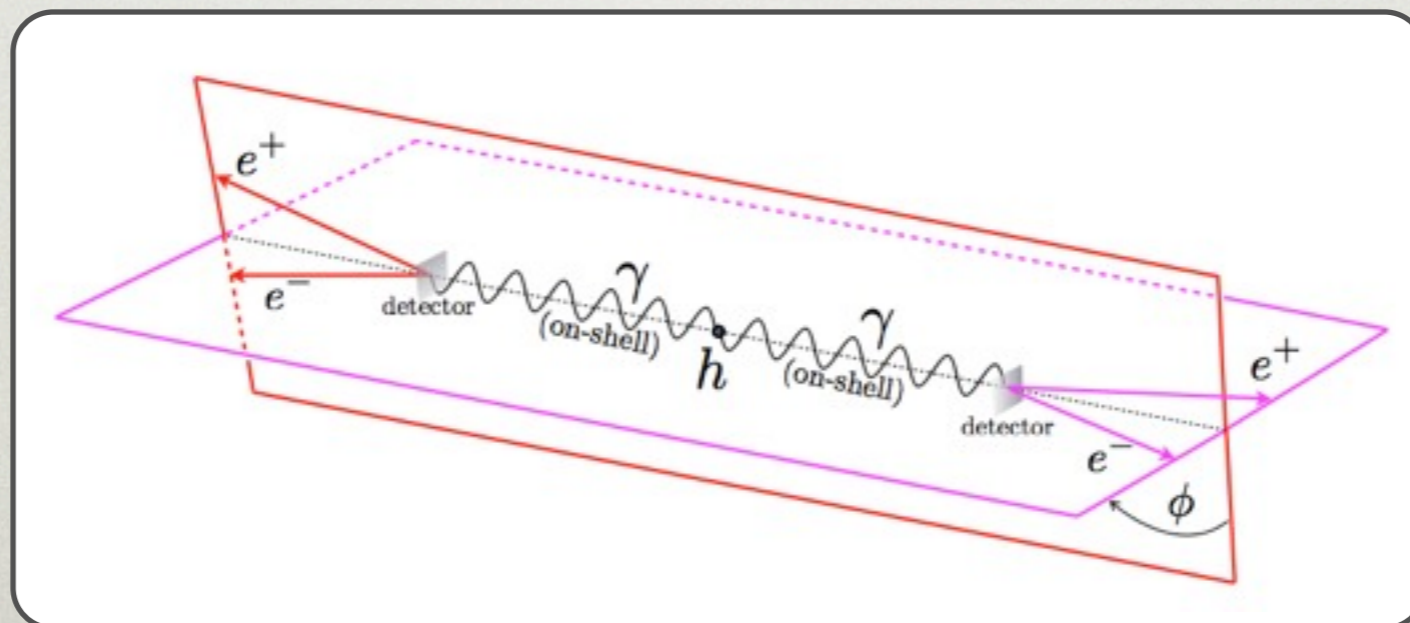
- what are CPV sensitive observables?
- counting the parameters describing leptonic config.
 - 8 angular variables+4energies
 - 3 angles are just global rotations
 - of the remaining 5
 - two are opening angles between e^+e^- on the same branch
 - two measure acoplanarity between e^+e^- and photon on the same branch
 - cannot be sensitive to CPV
- this leaves us with a single angle that carries info about CPV



CPV SENSITIVE OBSERVABLES

- there is just one angle that carries information about CPV phase ξ
- can be taken to be the angle between e^+e^- planes

$$\cos \phi = \frac{\mathbf{p}_{1+} \times \mathbf{p}_{1-}}{\|\mathbf{p}_{1+} \times \mathbf{p}_{1-}\|} \cdot \frac{\mathbf{p}_{2+} \times \mathbf{p}_{2-}}{\|\mathbf{p}_{2+} \times \mathbf{p}_{2-}\|}$$



THE SIZE OF CPV

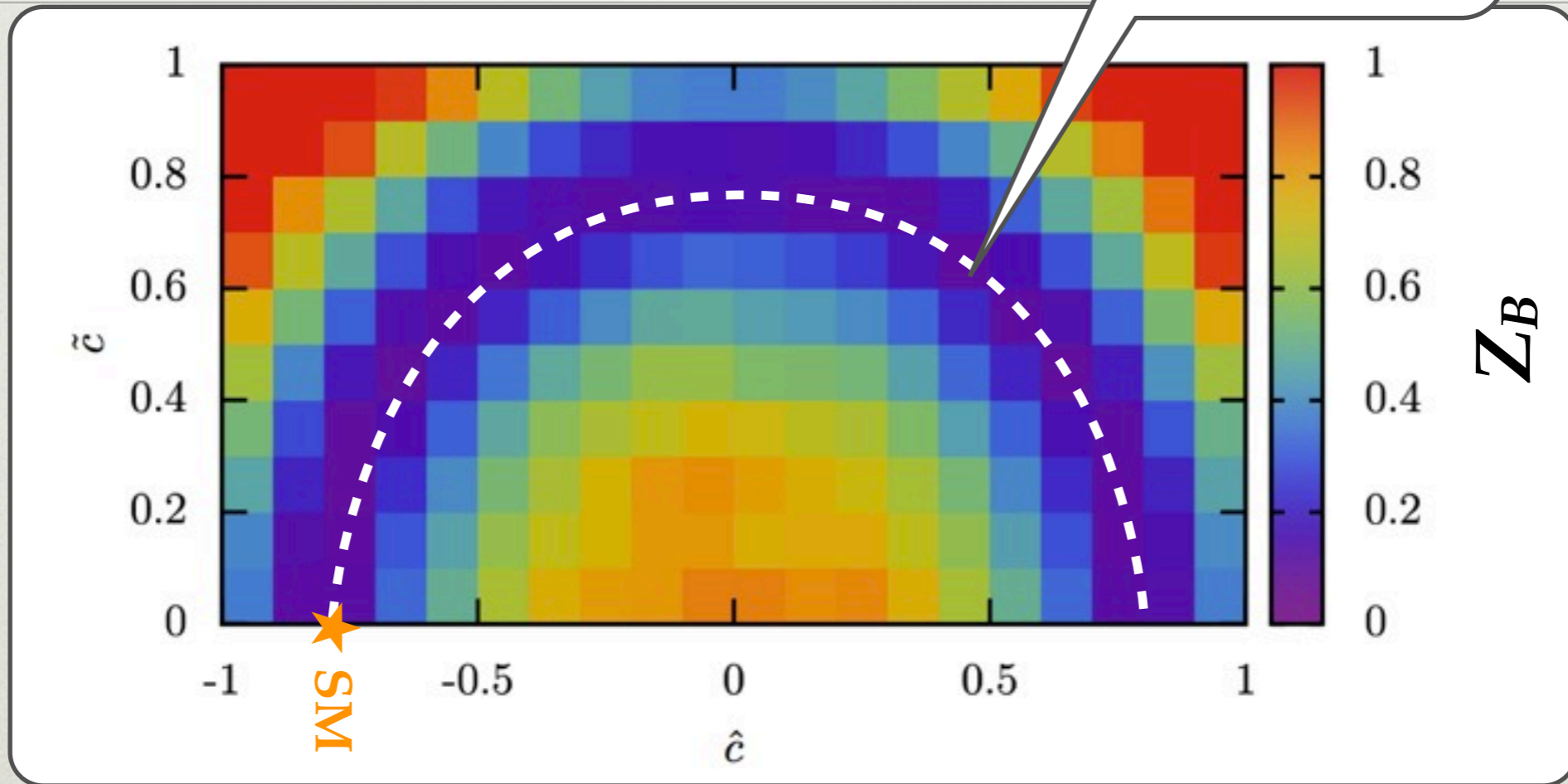
- how big of an effect should we expect from $\tilde{c} \sim O(1)$?
- first look at an integrated effect
 - define Z_B global variable

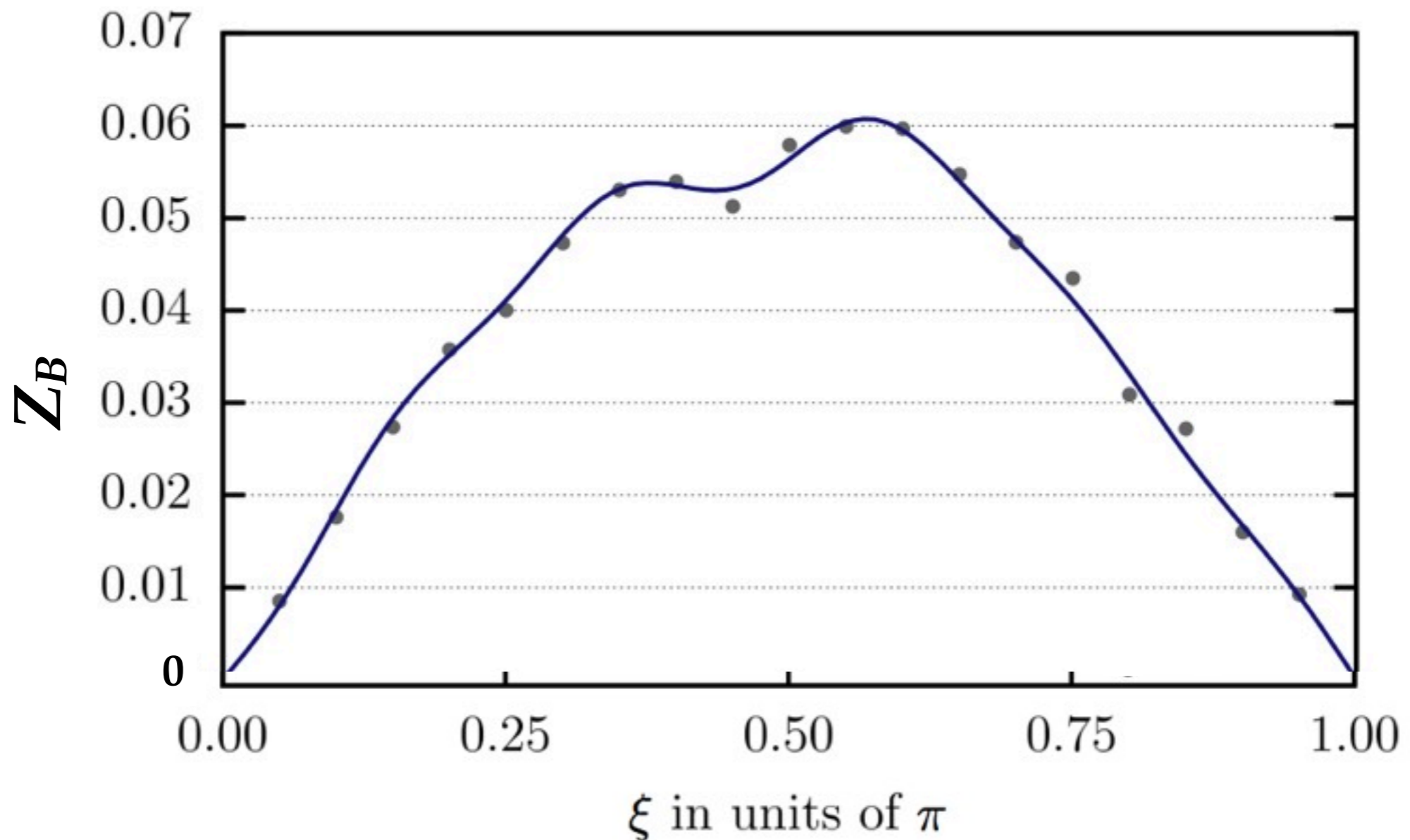
$$Z_B(\hat{c}, \tilde{c}) = \frac{\int |d\Gamma(\text{SM})/d\text{PS} - d\Gamma(\hat{c}, \tilde{c})/d\text{PS}| d\text{PS}}{\int [d\Gamma(\text{SM})/d\text{PS}] d\text{PS}}$$

- a proxy for integrated matrix element method sensitivity

Z_B

$$\tilde{c}^2 + \hat{c}^2 = \hat{c}_{\text{SM}}^2$$





- the integrated effect (for the conservative case) $\sim O(5\%)$
- is this $O(5\%)$ everywhere?
- or $O(5\%)$ phase space has $O(1)$ effect?
 - second possibility much better experimentally

LARGE EFFECTS?

- differential spectrum has the following form

$$\frac{d\Gamma_{\text{BHB}}}{d\phi} = \mathcal{A} + \mathcal{B} \cos(2\xi + 2\phi)$$

- sensitivity to $\xi \Leftrightarrow$ how large is \mathcal{B}/\mathcal{A} ?

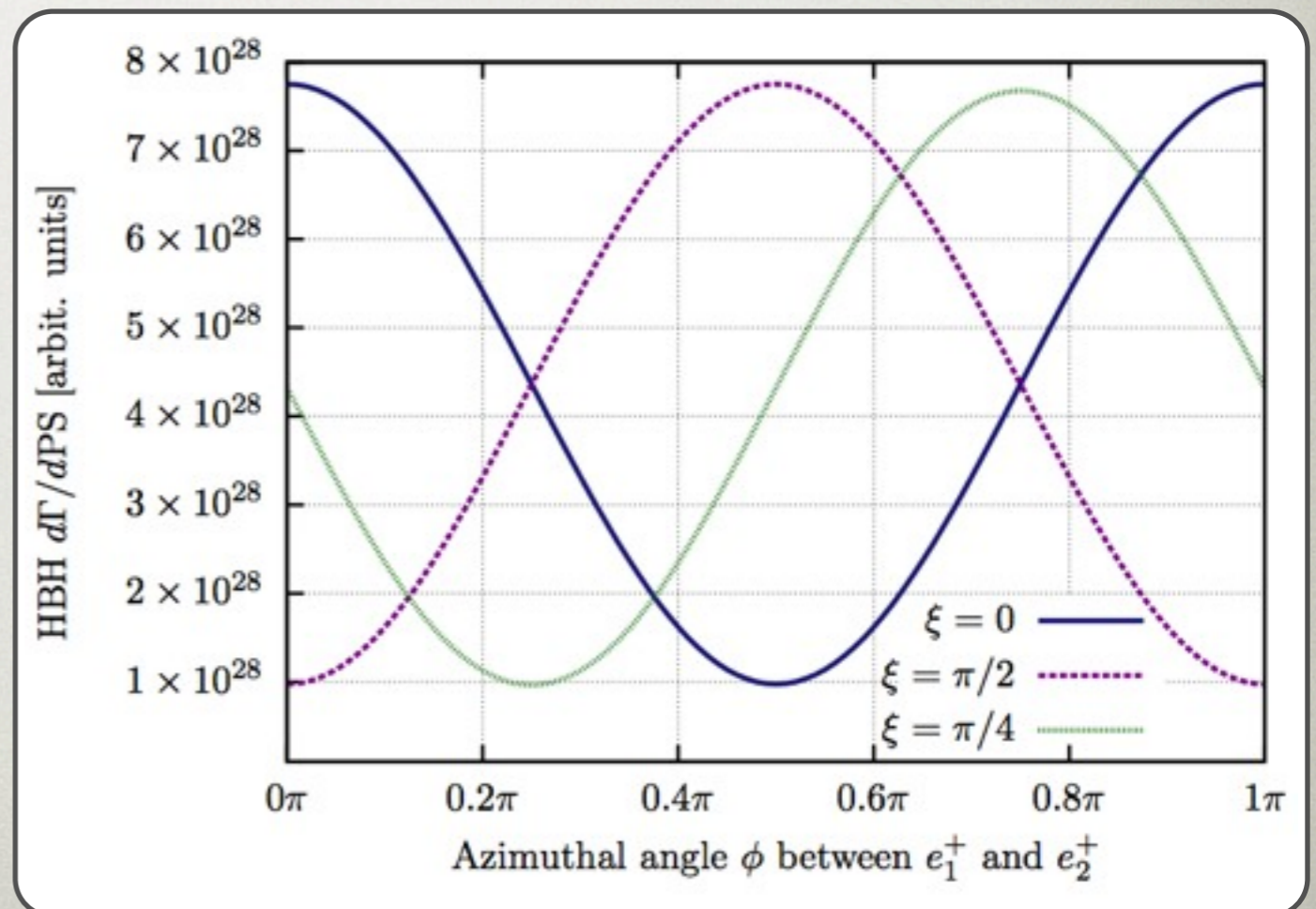
- are there slices in phase space where $\mathcal{B}/\mathcal{A} \sim O(1)$?

- yes! \Rightarrow an example:

$$E_{i+} = E_{i-} = m_h/4,$$

$$\theta_{i+} = 10^{-4},$$

$$\theta_{i-} = 2\theta_{i+}$$



INCREASING SENSITIVITY TO CPV

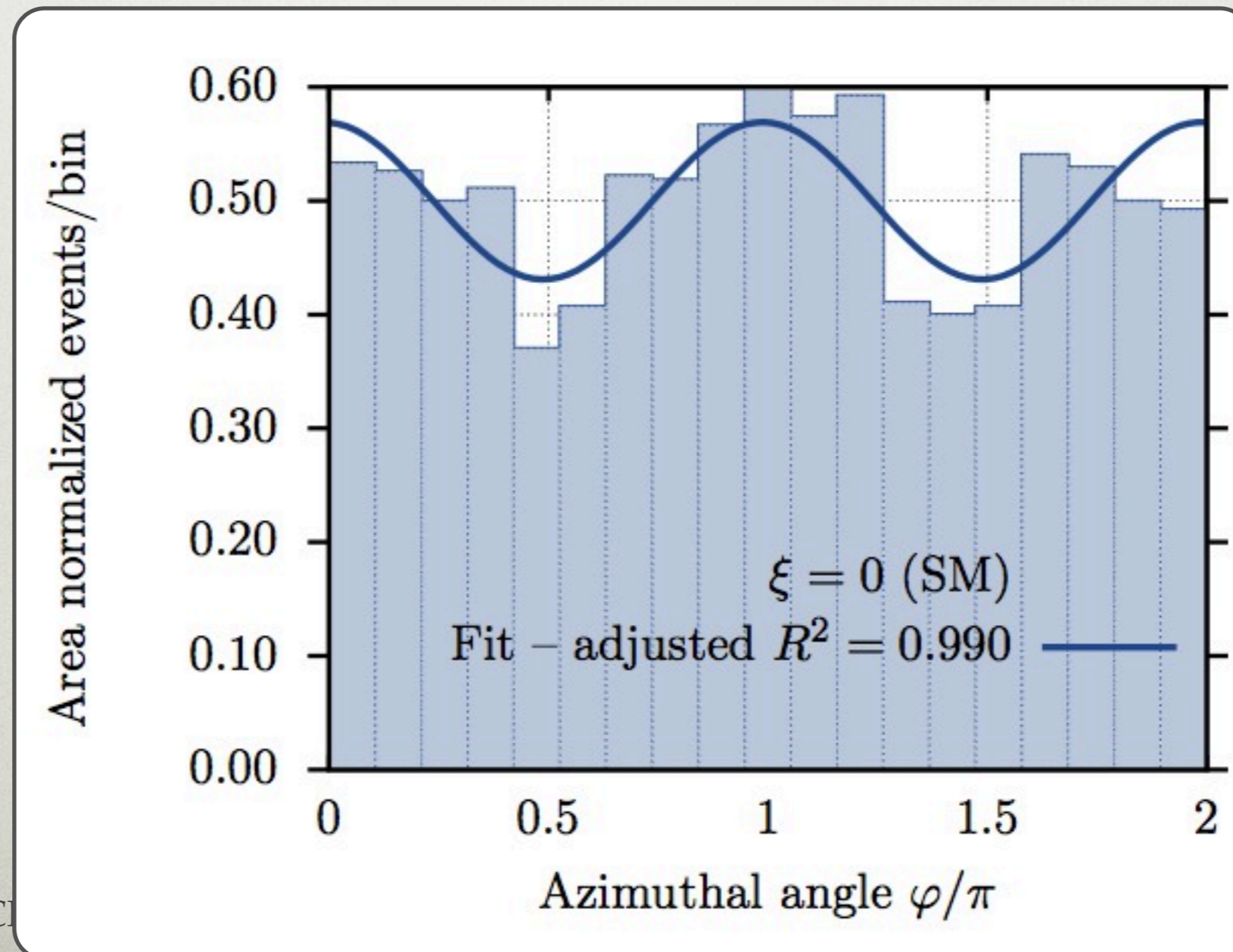
- want to select regions in phase space most sensitive to CPV phase ξ
- sensitivity to ξ from helicity interference
- can use variable

$$\mathcal{T} \sim \frac{\text{interf. term in } |\mathcal{M}|^2}{\text{total } |\mathcal{M}|^2}$$

- cut on \mathcal{T} selects large B/A regions

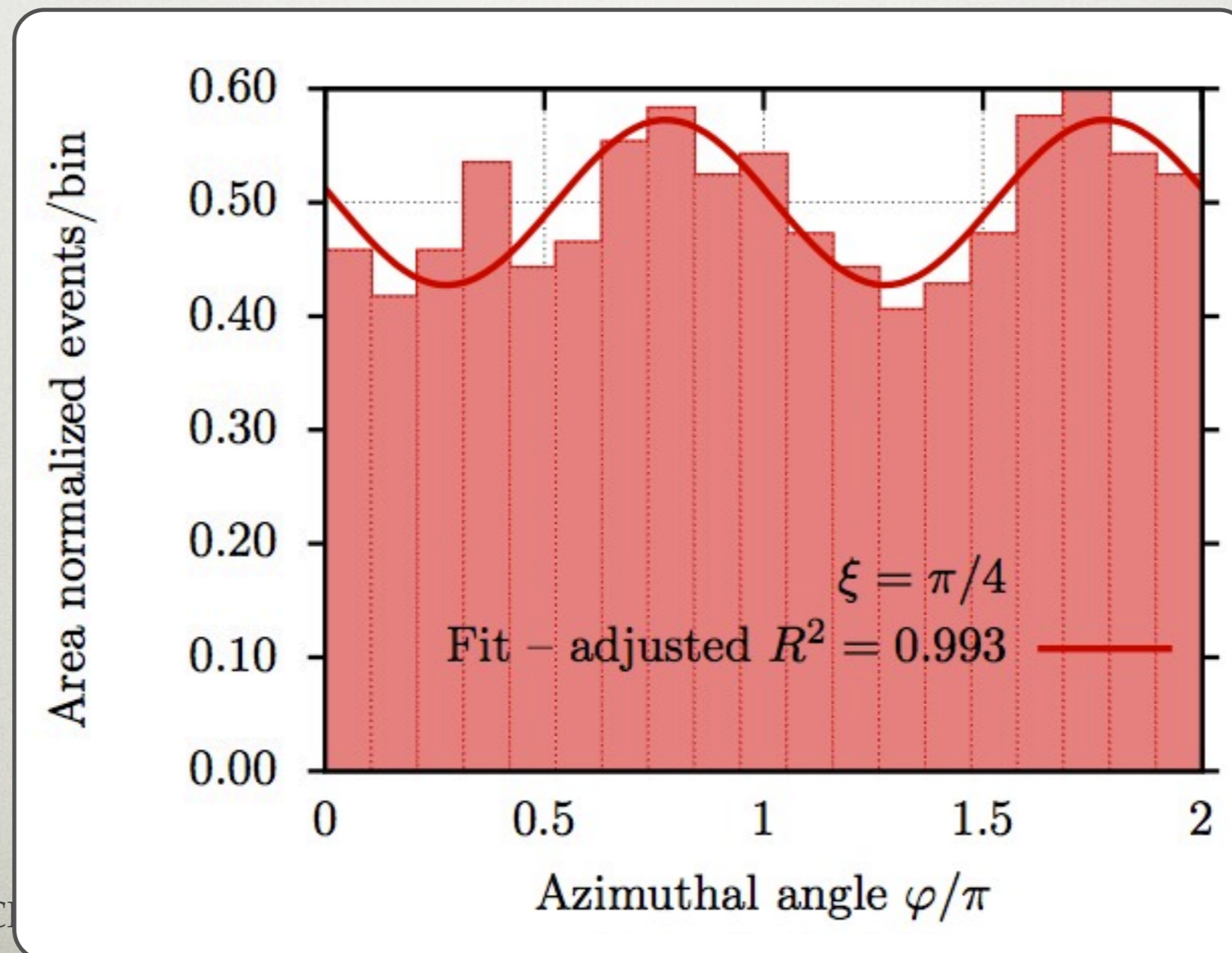
AN EXAMPLE

- a cut of $\mathcal{T} > 0.7$: oscillation amplitude is enhanced
 - this cut keeps 2% of events
 - visible shift due to nonzero ξ



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TRIPLE PRODUCTS

- triple product - a classic CPV observable

$$\tau_1 = \epsilon^{p_{1-} p_{1+} p_{2-} p_{2+}}$$

- a challenge is that for coplanar configs.

$$\langle \tau_1 \rangle = 0$$

- solution: do not integrate over whole phase space
- still work in progress
 - right now looks like a promising observable

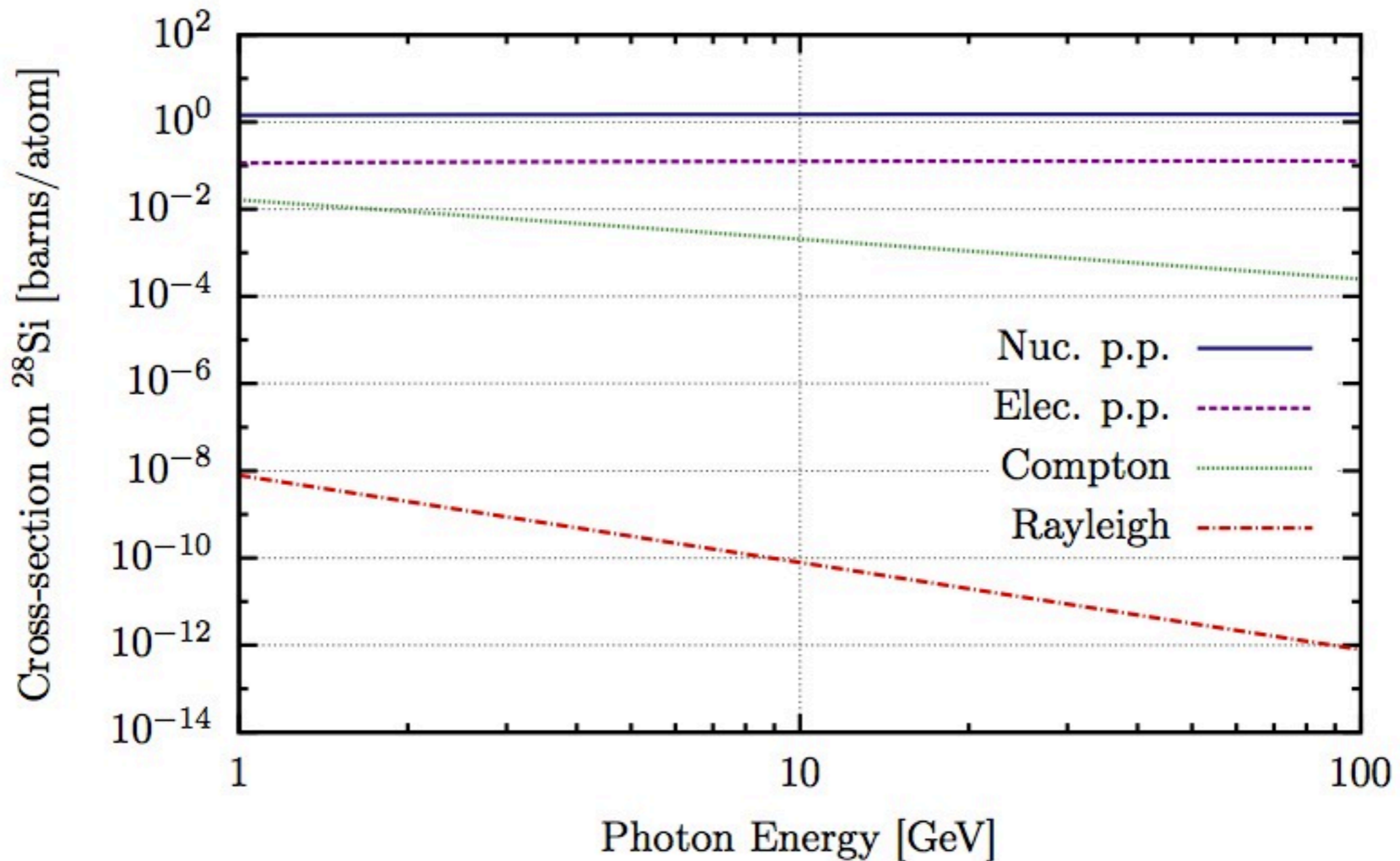
CONCLUSIONS

- converted photons can be used to probe CPV $h \rightarrow \gamma\gamma$ couplings
- proposed measurmnts. challenging but maybe not impossible

BACKUP SLIDES

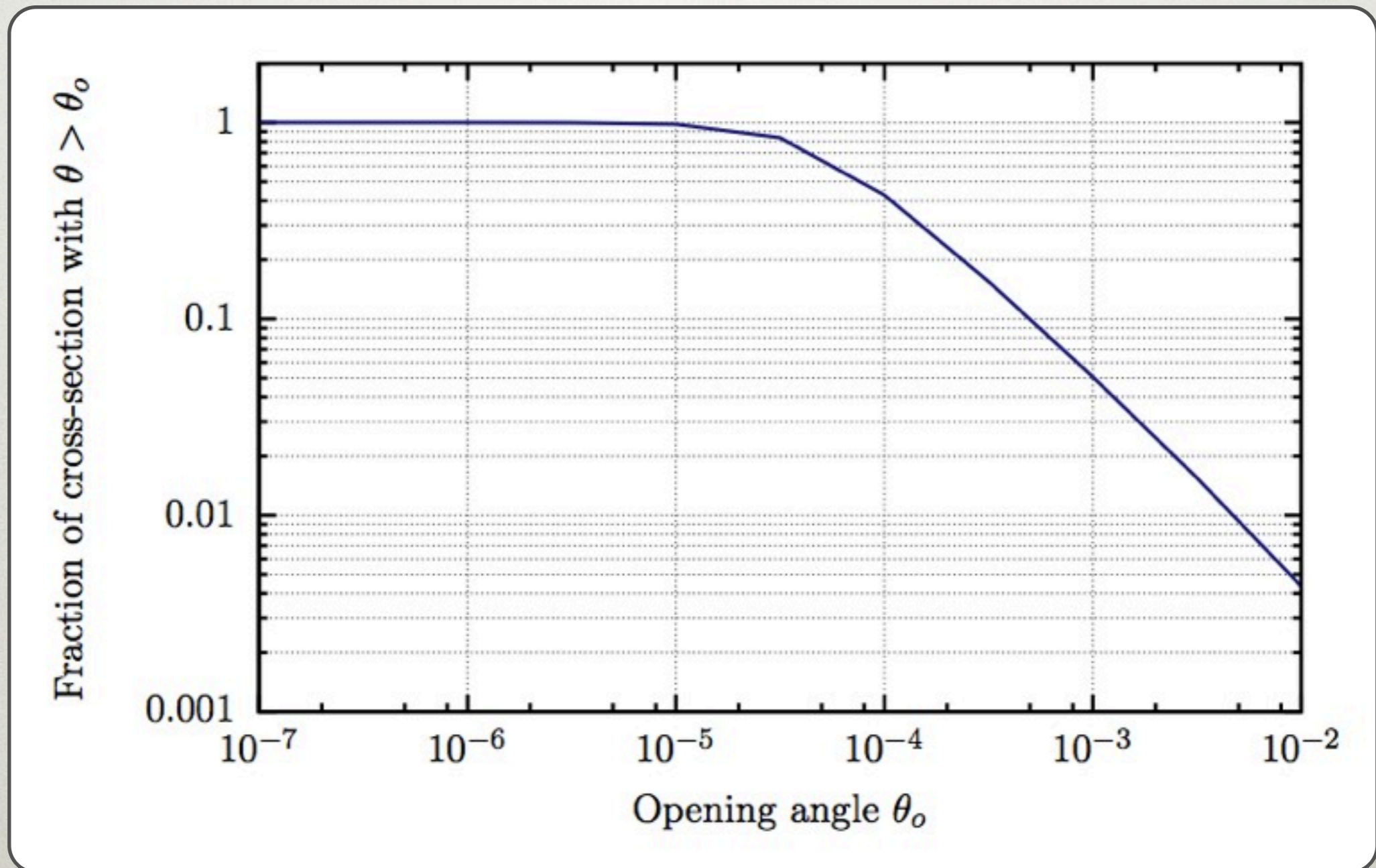
SCATTERING XSEC

- cross sections for $\gamma+^{28}\text{Si}$ interaction



OPENING ANGLE

- BH conversion of 50 GeV photon on ^{28}Si



CONCLUSIONS

- converted photons can be used to probe CPV $h \rightarrow \gamma\gamma$ couplings
- proposed measurements. challenging but maybe not impossible
- would break the degeneracy between CPC and CPV $h \rightarrow \gamma\gamma$ couplings present in the rate

