

**KITP, Santa Barbara, August 17, 2011**

**LFV, DM and LHC:  
how's SUSY health  
these days?**

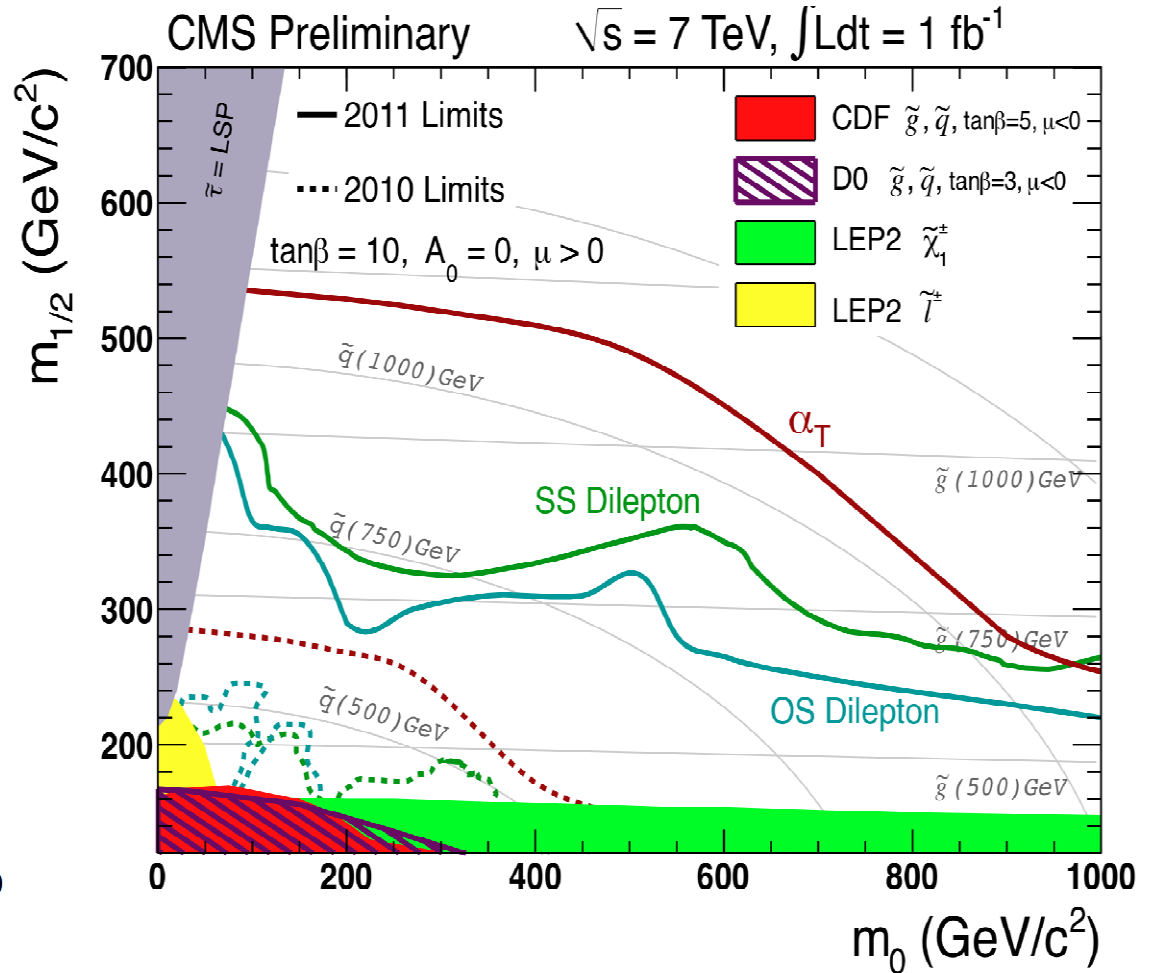
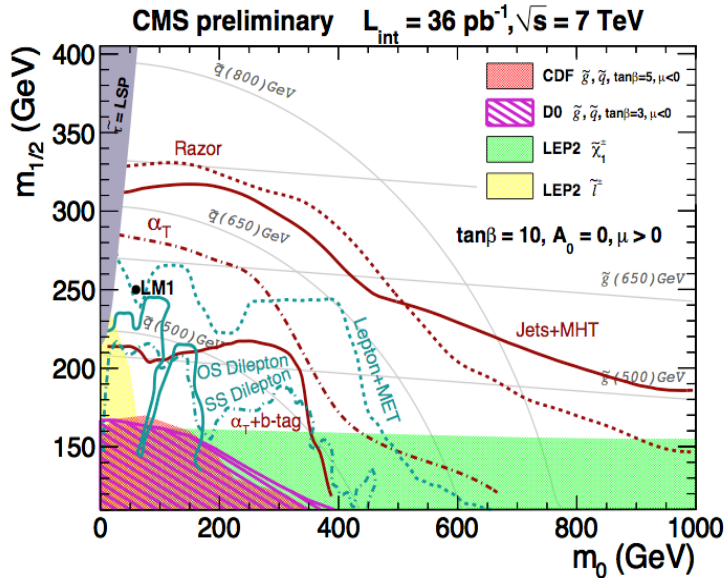
**Antonio Masiero**

**Univ. of Padova and INFN, Padova**

# Progress on SUSY

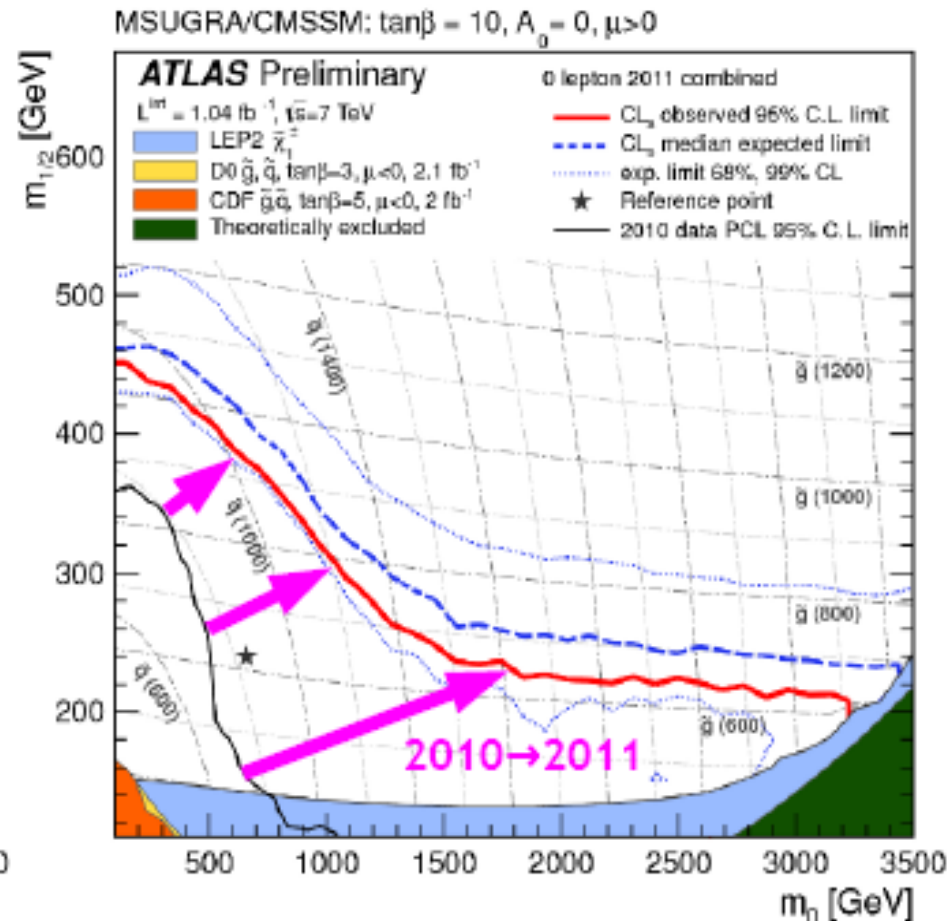
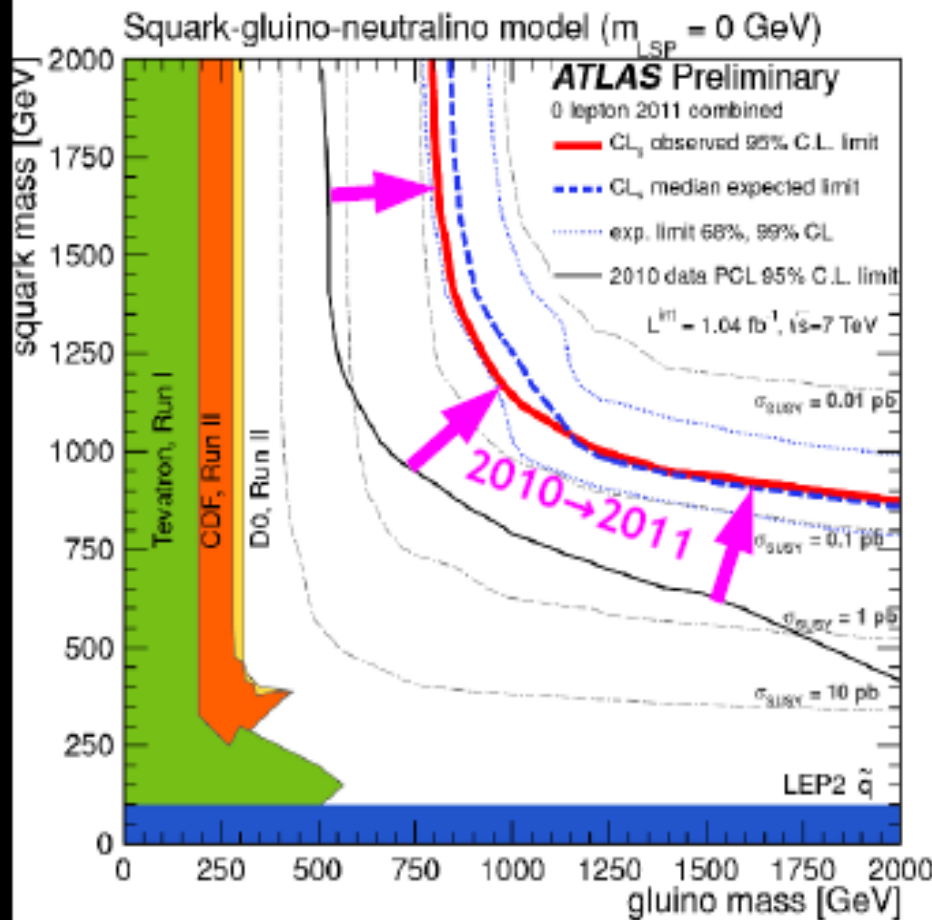
G. Tonelli EPS-HEP 2011

Results of the first three SUSY analyses completed on 2011 data ( $\alpha_T$ , Same Sign and Opposite Sign dileptons).



Within the constrained SSM models we are crossing the border of excluding gluinos and squarks up to 1TeV and beyond. The air is getting thin for constrained SUSY. More conclusive results after summer.

# SUSY in 0-lepton channel



Simplified model with two  $\tilde{q}$  generations,  $m(\tilde{\chi}_1^0) \sim 0$

$m_{\tilde{g}} > 800 \text{ GeV}$     $m_{\tilde{q}} > 850 \text{ GeV}$

Equal mass case:  $m_{\tilde{g}} = m_{\tilde{q}} > 1.075 \text{ TeV}$

MSUGRA/CMSSM:  $\tan\beta = 10$ ,  $A_0 = 0$ ,  $\mu > 0$

Equal mass case:  $m_{\tilde{g}} = m_{\tilde{q}} > 980 \text{ GeV}$

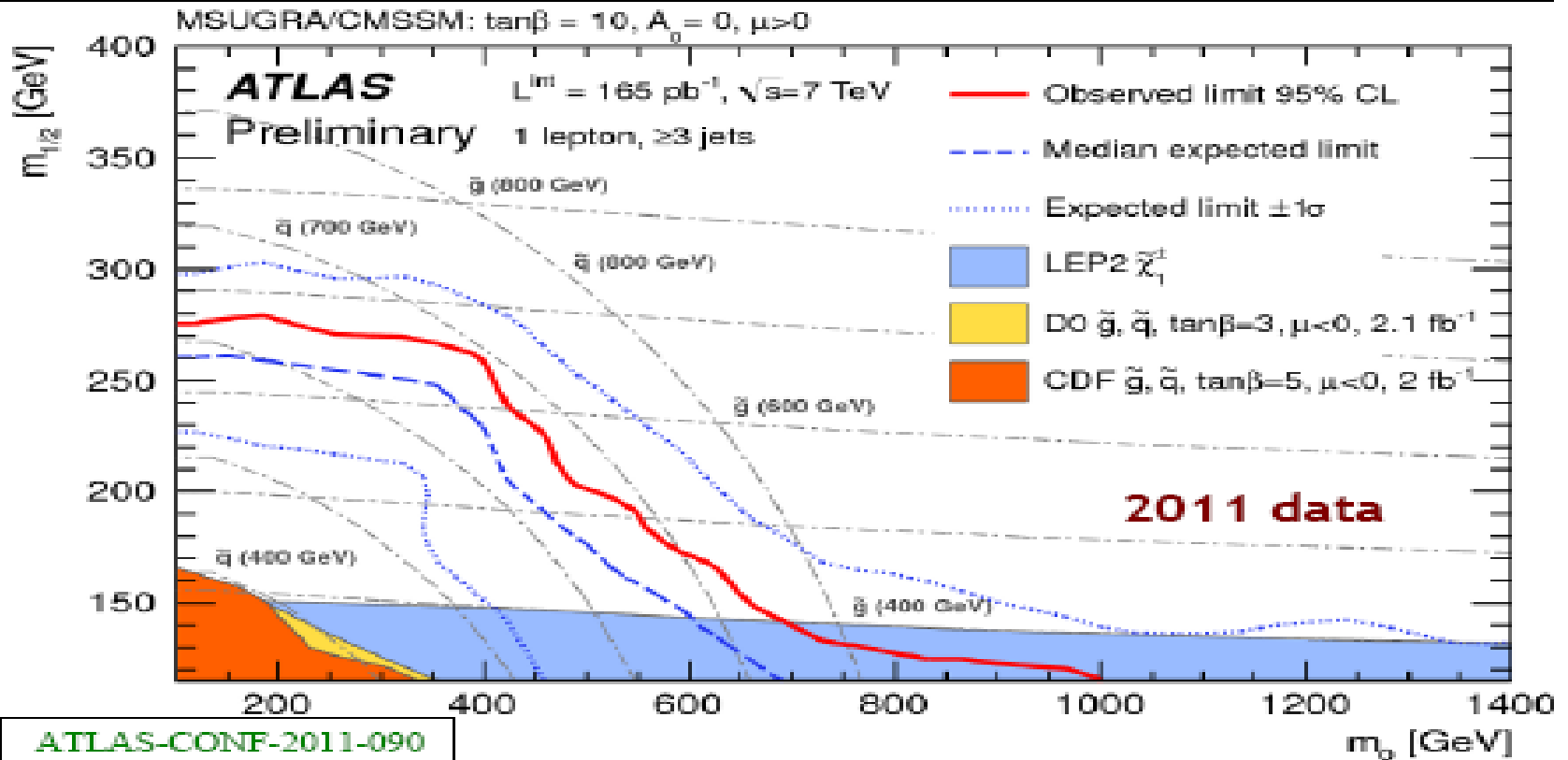
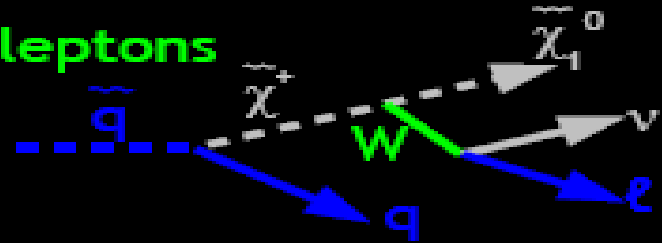
D. CHARLTON EPS-HEP 2011

# SUSY in 1-lepton channel

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$gg, gq, qq$  may give isolated leptons

Single  $e/\mu$ , jets,  $E_T^{\text{miss}}$

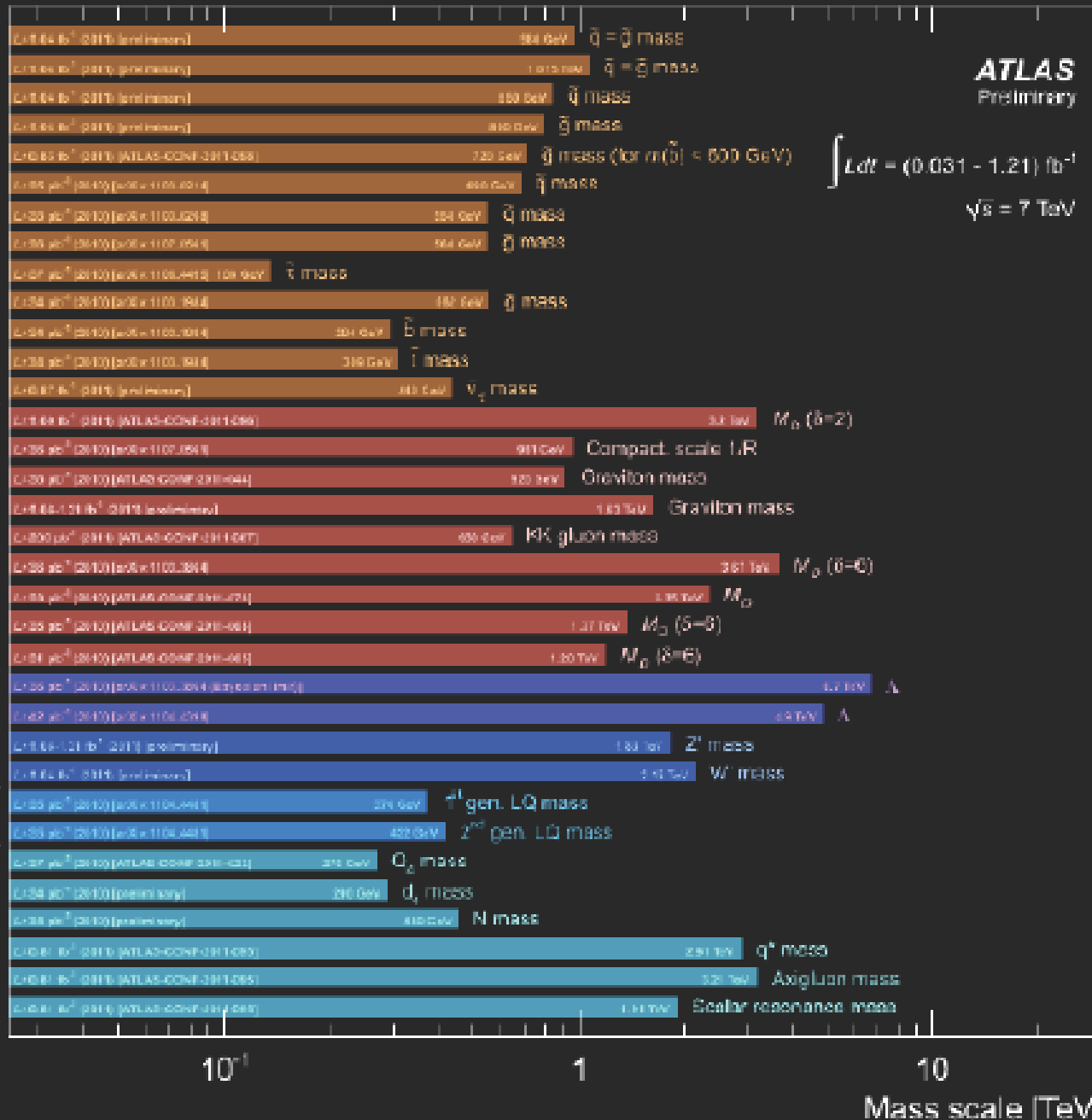


# ATLAS Searches<sup>a</sup> - 95% CL Lower Limits (EPS-HEP 2011)

**ATLAS**  
Preliminary

$$\int L dt = (0.031 - 1.21) \text{ fb}^{-1}$$

$\sqrt{s} = 7 \text{ TeV}$



SUSY

Extra dimensions

LQ, Z/W, Q, L

Other

<sup>a</sup>Only a selection of the available results shown

Impressive bounds on squarks and gluinos, into TeV range...

**What do we learn?** → **Papucci talk**

1. Plain vanilla SUSY models (like MSSM with flavor-universal soft masses) are being pushed into a corner

*but*

Rychkov EPS-HEP 2011

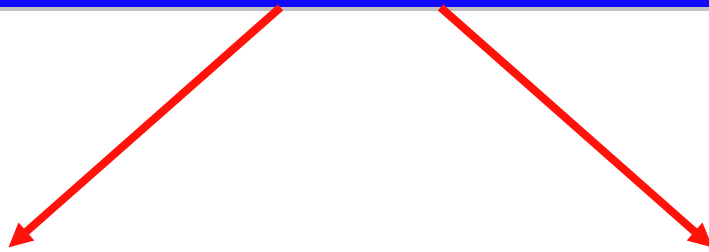
2. Several other, theoretically motivated, scenarios remain very poorly constrained by existing searches

“Flavor-Split” spectra  
(heavy 1st-2nd gen squarks, gluino below 1-1.5 TeV, light 3rd gen)

“Squashed” spectra  
(everything below ~500GeV but splittings are small,  $O(10\text{GeV})$ )

Low MET scenarios  
(not necessarily RPV)

# WHY TO GO BEYOND THE SM



## “OBSERVATIONAL” REASONS

### •HIGH ENERGY PHYSICS

**NO** (but  $A_{FB}^{Z \rightarrow bb}$  .....

### •FCNC, $CP \neq$

**NO** (but CPV in Bs,  $\sin 2\beta$  tension...)

### •HIGH PRECISION LOW-EN.

**NO** (but  $(g-2)_\mu$  ...)

### •NEUTRINO PHYSICS

**YES**  $\nu \neq 0$ ,  $\theta_\nu \neq 0$

### •COSMO - PARTICLE PHYSICS

**YES** DM,  $\Delta B_{\text{cosm}}$ , INFLAT., DE)

## THEORETICAL REASONS

### •INTRINSIC INCONSISTENCY OF SM AS QFT

**NO** (spont. broken gauge theory without anomalies)

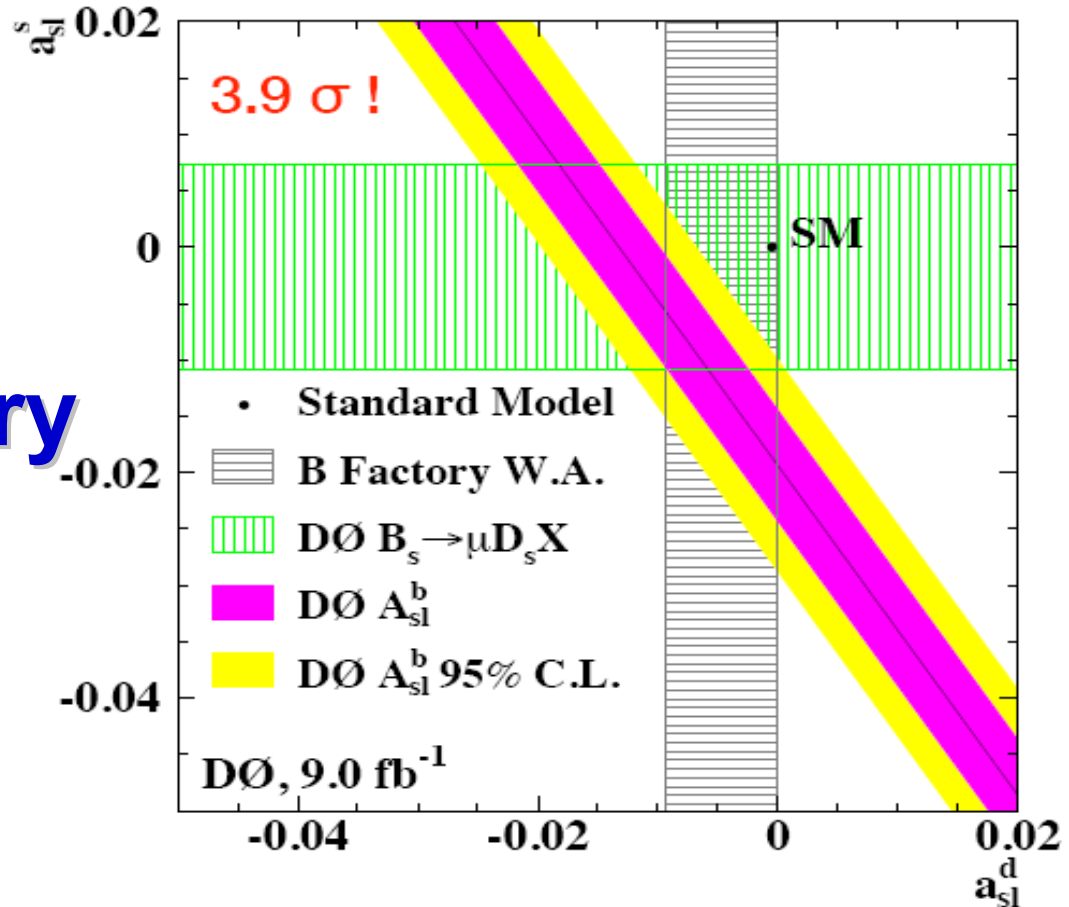
### •NO ANSWER TO QUESTIONS THAT “WE” CONSIDER “FUNDAMENTAL” QUESTIONS TO BE ANSWERED BY “FUNDAMENTAL” THEORY

**YES** (hierarchy, unification, flavor)

# EVIDENCE OF NP ALONG THE HIGH INTENSITY ROAD?

- “FLAVOR COLDS for the SM:

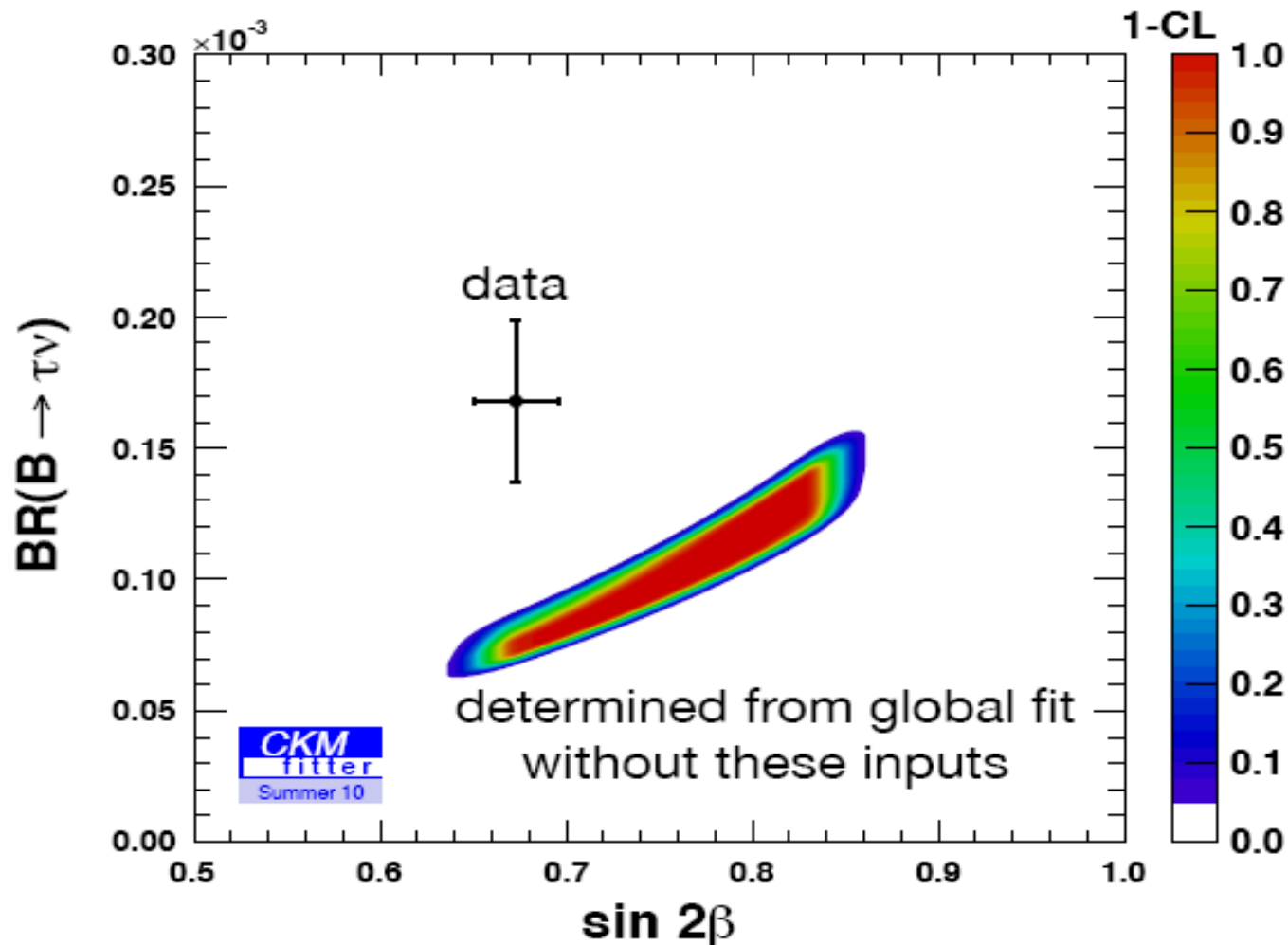
**Like-sign dimuon charge asymmetry**



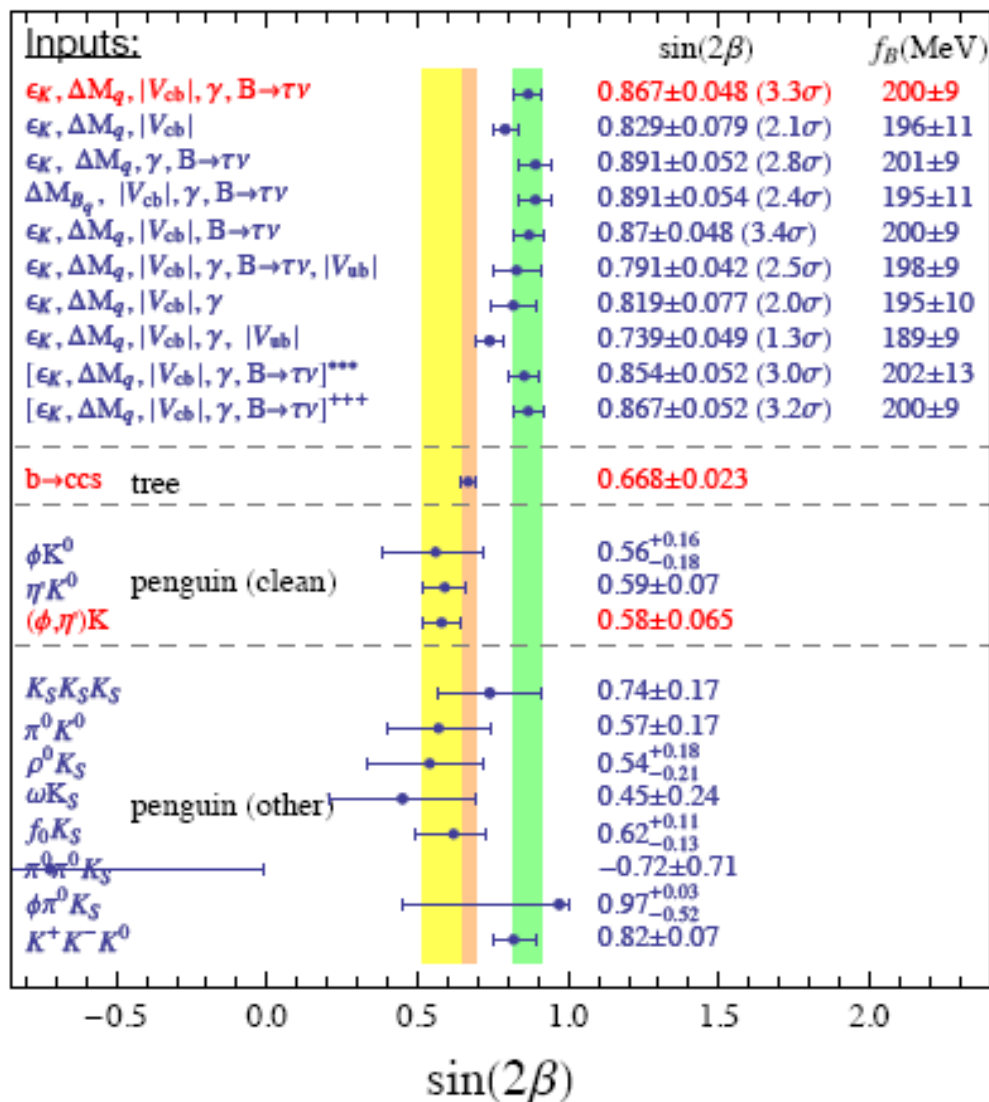


But *tension* in the UT fit even neglecting CPV in the  $B_s$  mixing

Lenz, Nierste + CKMfitter (2010)



# Theoretical analyses without CPV in $B_s$ mixing



➔ consistent determination of  $\sin 2\beta$  **much larger** than direct measurement !

➔ direct measurement from mixing-induced CP violation in tree-level decays

➔ direct measurement from mixing-induced CP violation in penguin modes (interpreted as a hint for New Physics in penguin-induced FCNC processes)

Lunghi, Soni (2010)

\*\*\* lattice errors increased by 50%

+++ adding hadronic uncertainty  $\delta \Delta S_{\Psi K} = 0.021$

# $V_{ub}$ CRISIS

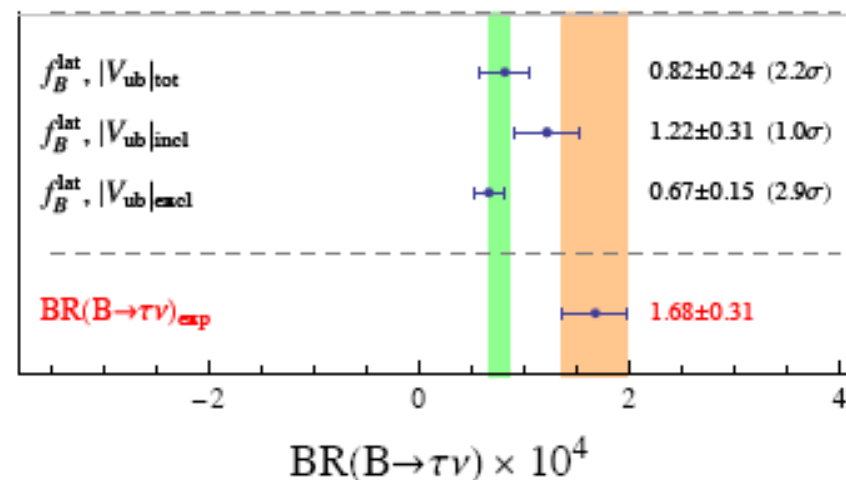
- ▶ discrepancies in the determinations of  $V_{ub}$  from inclusive semileptonic decays  $B \rightarrow X_u \ell \nu$ , exclusive semileptonic decays  $B \rightarrow \pi \ell \nu$ , and leptonic decay  $B \rightarrow \tau \nu$  (“ $V_{ub}$  crisis”)
- ▶ large difference of  $(14.4 \pm 2.9)\%$  in the direct CP asymmetries measured in  $B^0 \rightarrow K^+ \pi^-$  vs.  $B^+ \rightarrow K^+ \pi^0$  decays, which is in conflict with the prediction of  $(2.2 \pm 2.4)\%$  from QCD factorization (“ $B \rightarrow K\pi$  puzzle”)
- ▶ enhanced  $B_s \rightarrow \mu^+ \mu^-$  branching ratio observed by CDF (but not by LHCb and CMS 😞)

For many years, there has been a persistent discrepancy between determinations of  $|V_{ub}|$  from **inclusive and exclusive semileptonic decays** of B mesons ( $B \rightarrow X_u l \nu$  vs.  $B \rightarrow \pi l \nu$ ). HFAG quotes:

$$|V_{ub}|_{\text{incl}} = (4.32 \pm 0.16 \pm 0.22) \cdot 10^{-3}$$

$$|V_{ub}|_{\text{excl}} = (3.51 \pm 0.10 \pm 0.46) \cdot 10^{-3}$$

Measurement of the purely leptonic decay  $B \rightarrow \tau \nu$  sharpen the discrepancy further:

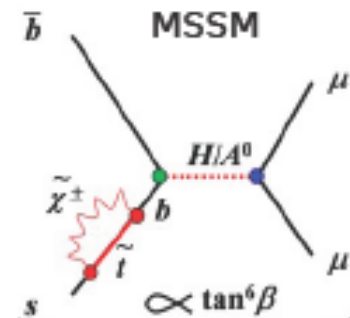


(not most up-to-date values!)

Lunghi, Soni (2010)

# Rare decays $B_{d,s} \rightarrow \mu^+ \mu^-$

- \* interesting rare decays, which can be much enhanced in models with a warped extra dimension or SUSY models with large  $\tan\beta$



Excess in  $B_s$  mode reported by CDF:

$$\mathcal{B}(B_s \rightarrow \mu^+ \mu^-) = (1.8_{-0.9}^{+1.1}) \cdot 10^{-8}$$

$$\text{SM: } (3.2 \pm 0.2) \cdot 10^{-9}$$

$$\mathcal{B}(B_d \rightarrow \mu^+ \mu^-) < 6.0 \cdot 10^{-9}$$

$$\text{SM: } (1.0 \pm 0.1) \cdot 10^{-10}$$

Unfortunately no excess seen at LHCb (CMS):

$$\mathcal{B}(B_s \rightarrow \mu^+ \mu^-) < 1.5 (1.9) \cdot 10^{-8}$$

(at 95% CL)

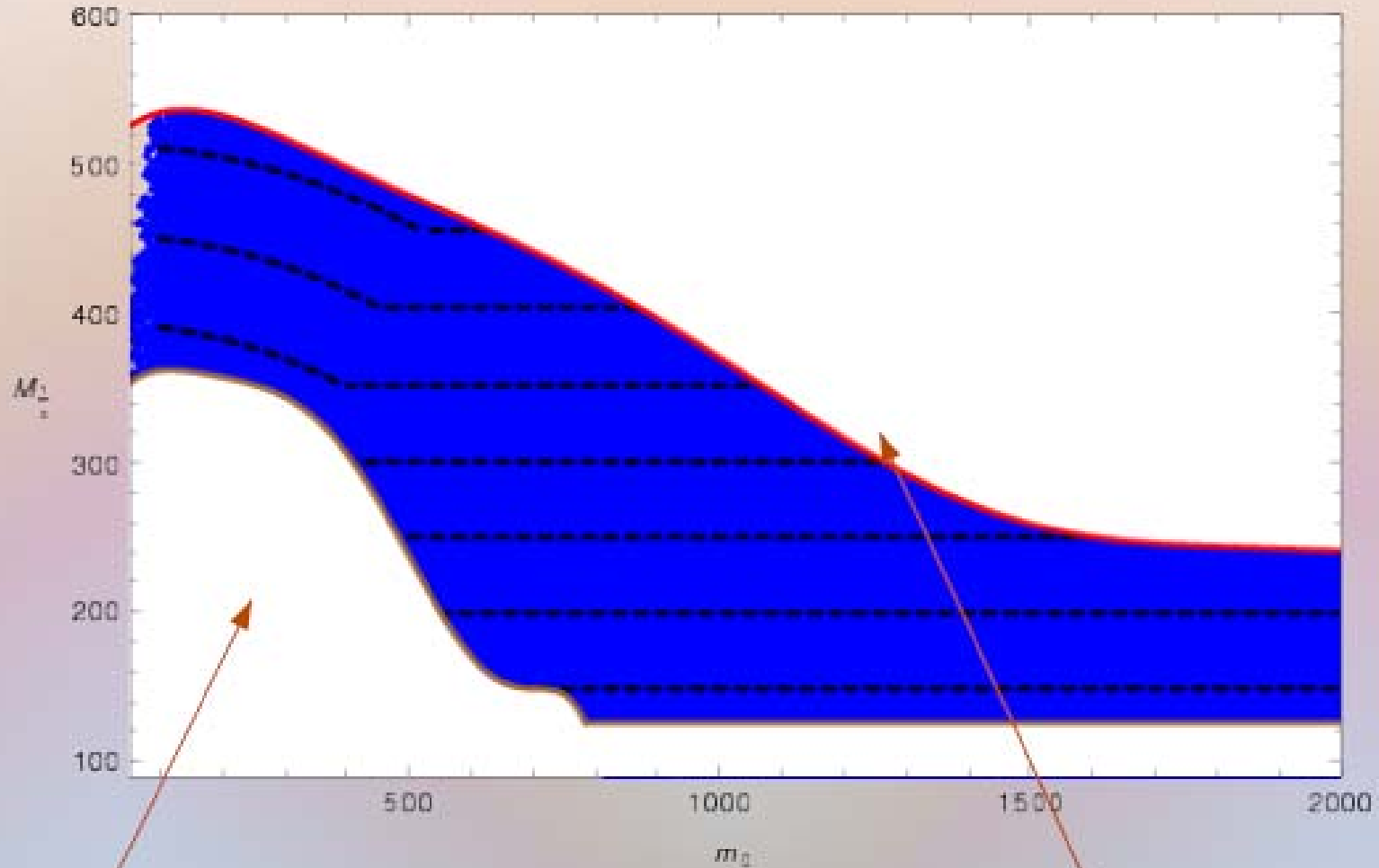
$$\mathcal{B}(B_d \rightarrow \mu^+ \mu^-) < 5.2 (4.6) \cdot 10^{-9}$$

NEUBERT EPS11

These bounds do not rule out the CDF result, but without refined LHC measurements the situation is inconclusive!

# Relevant Parameter Space for $2 \text{ fb}^{-1}$

Jones at the EPS-HEP 2011 on the work in progress by Calibbi, Hodgkinson, Jones, A.M. and Vives



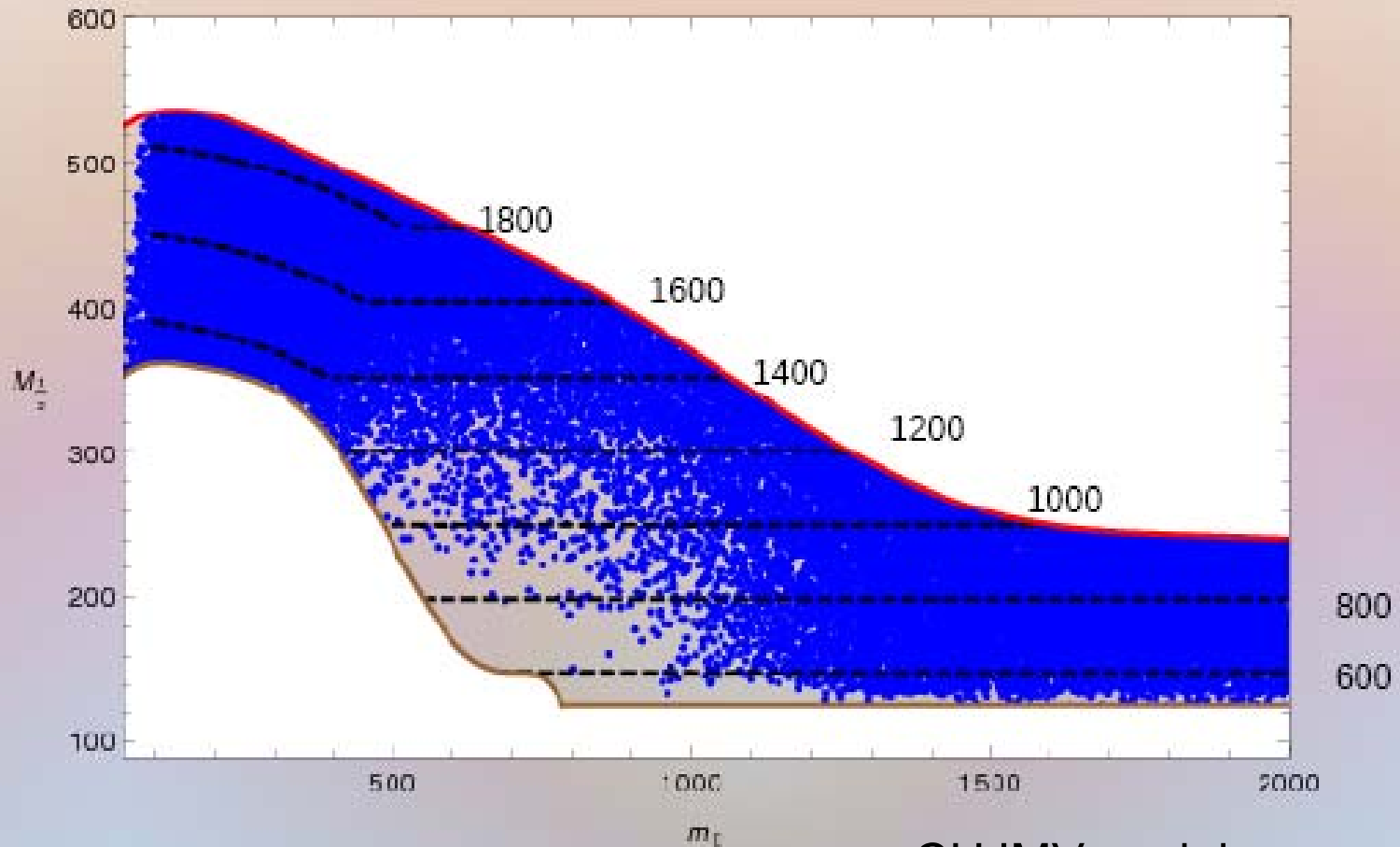
ATLAS Collaboration (1102.5290 [hep-ex])

Baer, Barger, Lessa, Tata (1004.3594 [hep-ph])

# Flavour $3\sigma$ Constraints

$$b \rightarrow s\gamma$$

$$(g - 2)_\mu$$



CHJMV work in progress

# The Role of $B_s \rightarrow \mu \mu$

## IMPACT ON THE SUSY PARAMETER SPACE

- LHCb with  $2 \text{ fb}^{-1}$ 
  - Exclusion of  $\text{BR}(B_s \rightarrow \mu \mu)$  down to  $4 \times 10^{-9}$ , 95% C.L.
  - $3\sigma$  evidence of  $\text{BR}(B_s \rightarrow \mu \mu)$  down to  $5 \times 10^{-9}$ .
  - $5\sigma$  discovery of  $\text{BR}(B_s \rightarrow \mu \mu)$  down to  $9 \times 10^{-9}$ .

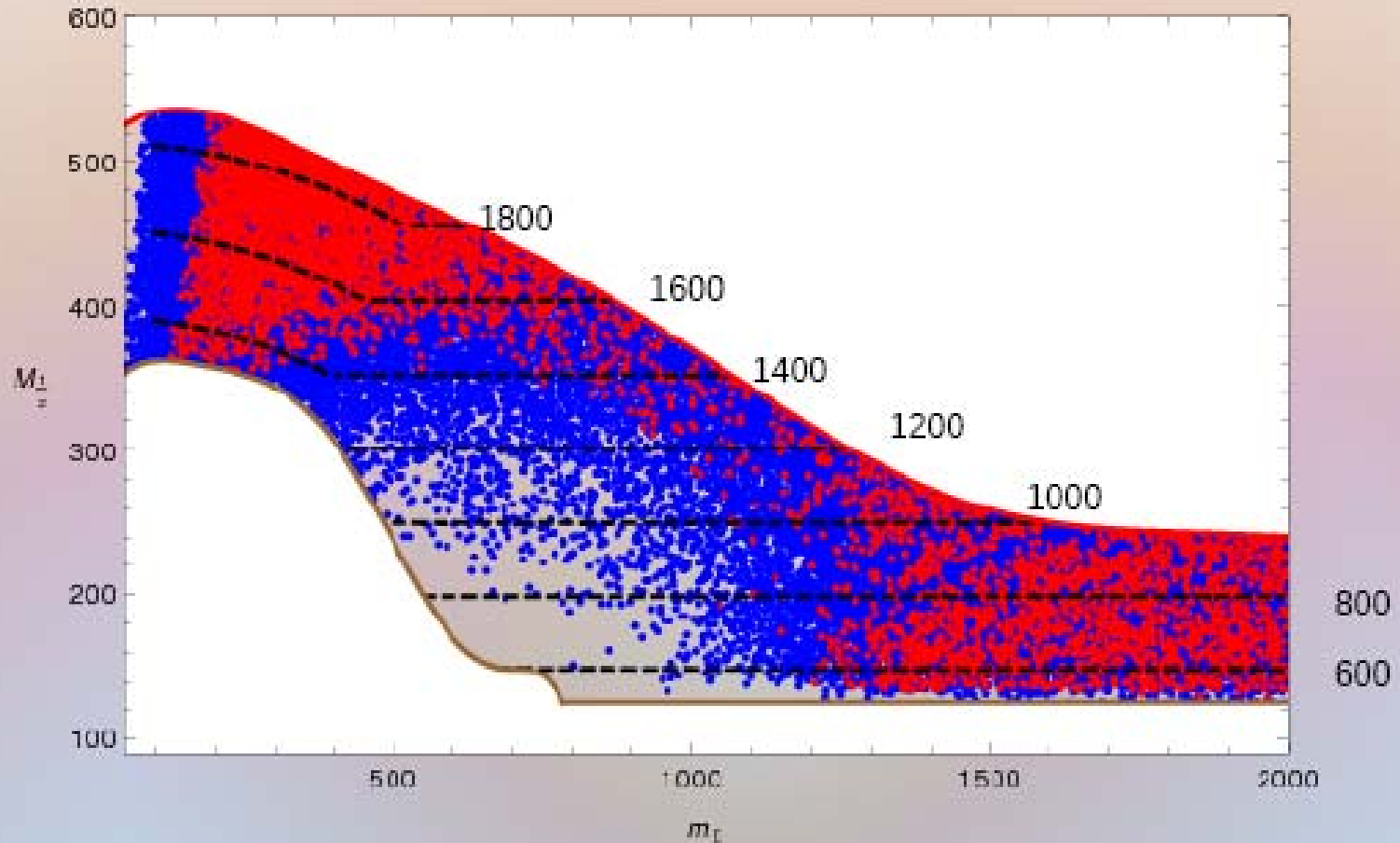
R. Lambert @ Moriond

- CDF with  $7 \text{ fb}^{-1}$ 
  - $\text{BR}(B_s \rightarrow \mu \mu) = (1.8 \pm 1) \times 10^{-8}$



# Exclusion due to $B_s \rightarrow \mu\mu$

$$\text{BR}(B_s \rightarrow \mu\mu) < 4 \times 10^{-9}$$

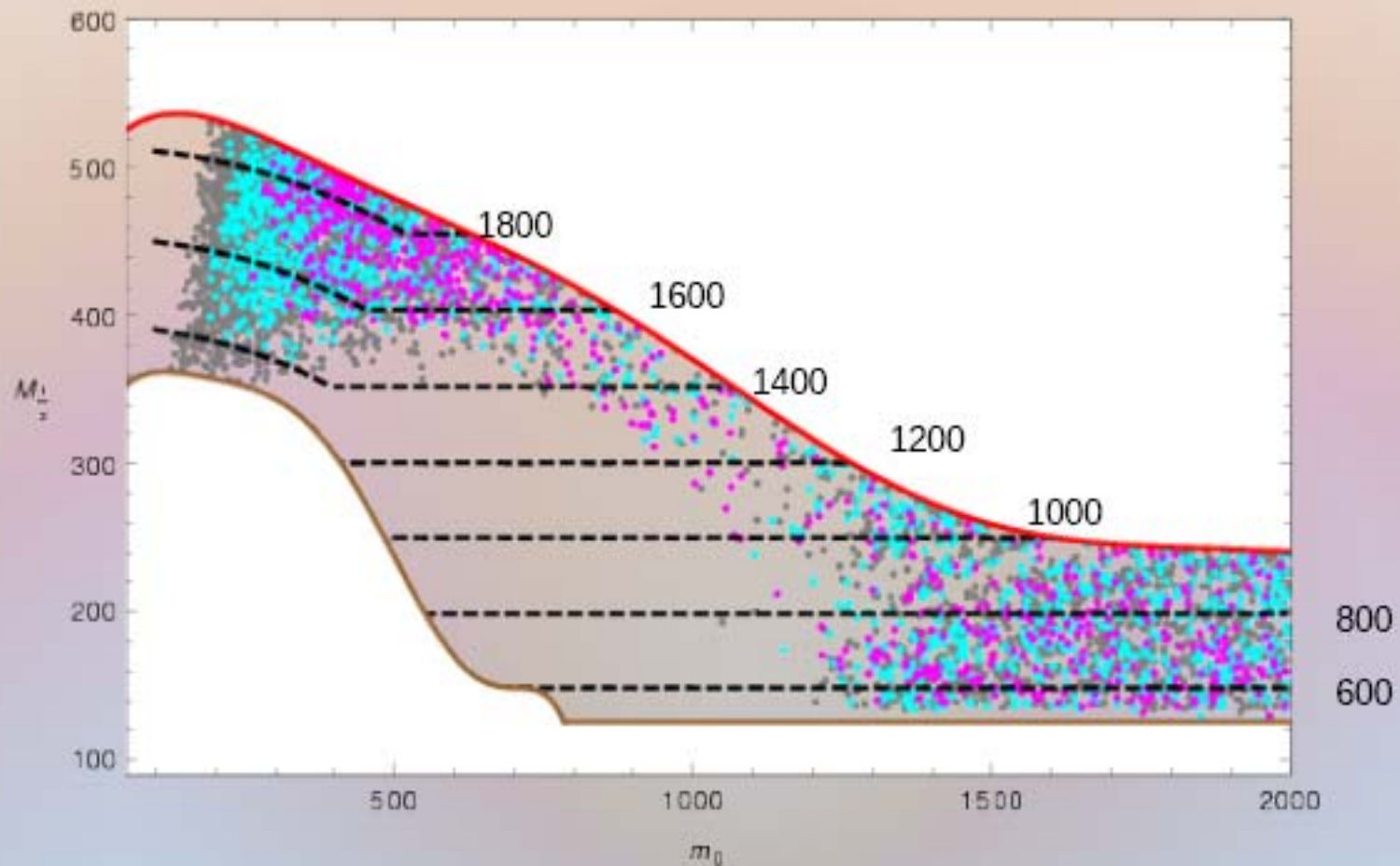


CHJMV work in progress

# A Large $B_s \rightarrow \mu\mu$

■  $\text{BR}(B_s \rightarrow \mu\mu) > 5 \times 10^{-9}$

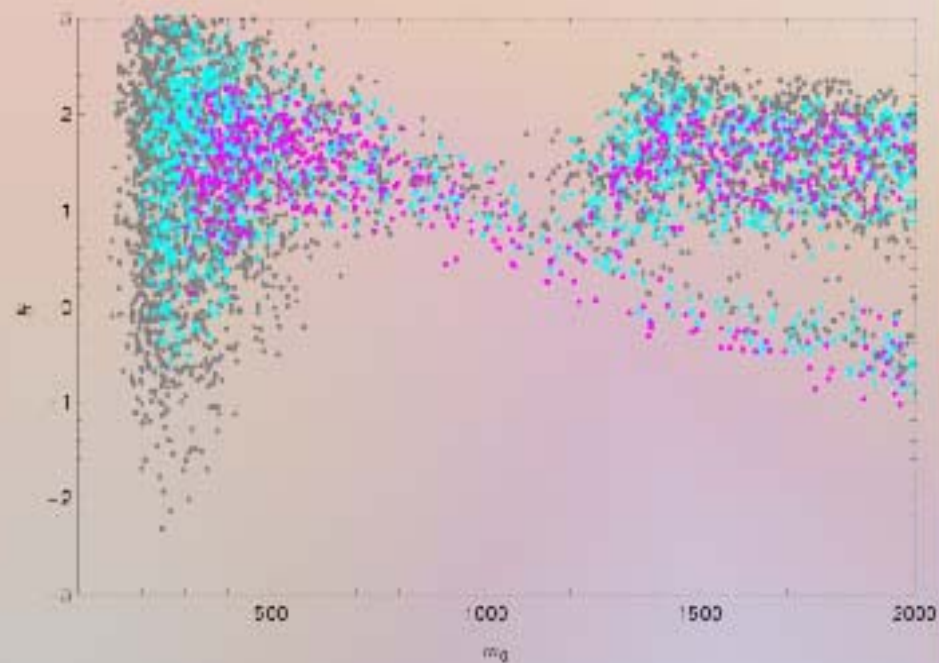
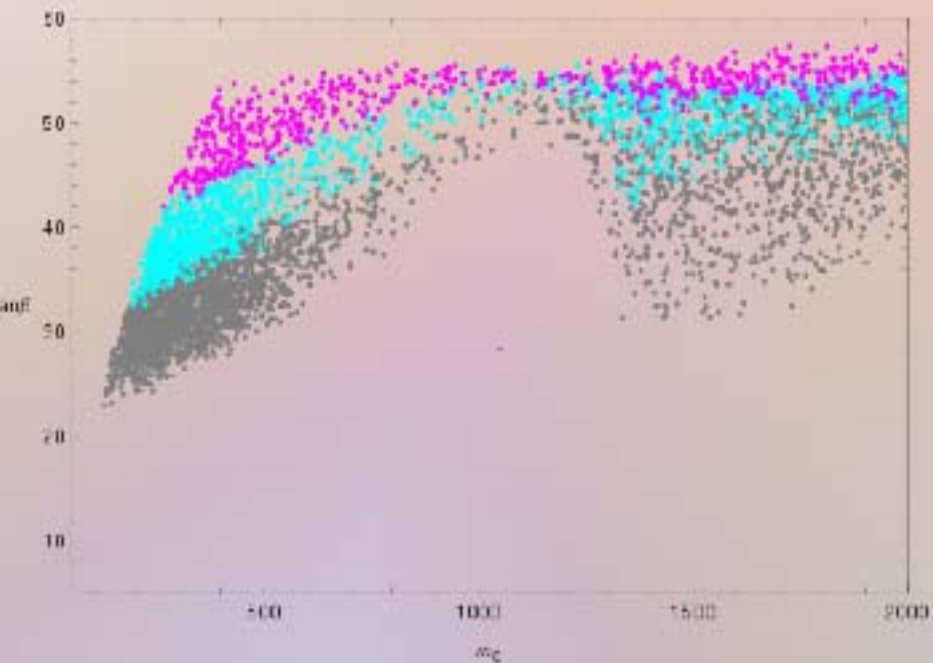
■  $\text{BR}(B_s \rightarrow \mu\mu) > 9 \times 10^{-9}$



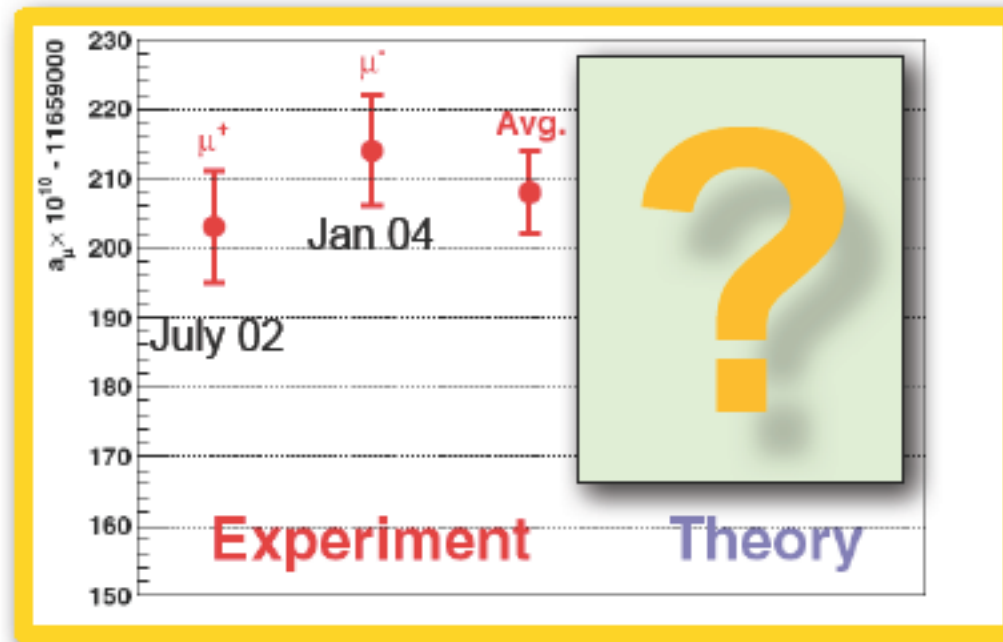
# A Large $B_s \rightarrow \mu\mu$

■  $\text{BR}(B_s \rightarrow \mu\mu) > 5 \times 10^{-9}$

■  $\text{BR}(B_s \rightarrow \mu\mu) > 9 \times 10^{-9}$



## The muon g-2: the experimental result



- Today:  $a_\mu^{\text{EXP}} = (116592089 \pm 54_{\text{stat}} \pm 33_{\text{sys}}) \times 10^{-11}$  [0.5ppm].
  - Future: new muon g-2 experiments proposed at:
    - Fermilab (P989), aiming at 0.14ppm **STAGE-1 APPROVAL!!**
    - J-PARC aiming at 0.1 ppm
- [D. Hetzog & N. Saito, U.Paris, Feb 2010; B. Lee Roberts & T. Mibe, Tau2010]
- Are theorists ready for this (amazing) precision? [not yet]

## The muon g-2: Standard Model vs. Experiment

Adding up all contributions, we get the following SM predictions and comparisons with the measured value:

$$a_{\mu}^{\text{EXP}} = 116592089 (63) \times 10^{-11}$$

E821 – Final Report: PRD73 (2006) 072  
with latest value of  $\lambda = \mu_{\mu}/\mu_{\rho}$  (CODATA'06)

	$a_{\mu}^{\text{SM}} \times 10^{11}$	$(\Delta a_{\mu} = a_{\mu}^{\text{EXP}} - a_{\mu}^{\text{SM}}) \times 10^{11}$	$\sigma$
[1]	116 591 782 (59)	307 (86)	3.6
[2]	116 591 802 (49)	287 (80)	3.6
[3]	116 591 830 (52)	259 (82)	3.2
[4]	116 591 894 (54)	195 (83)	2.4

with  $a_{\mu}^{\text{HHO}}(|b|) = 105 (26) \times 10^{-11}$

- [1] F. Jegerlehner, A. Nyffeler, Phys. Rept. 477 (2009) 1
- [2] Davier et al, arXiv:1010.4180, Oct 2010 (includes BaBar and KLOE10  $2\pi$ )
- [3] HLMNT10: Hagiwara et al, Tau 2010, Sep. 2010 (incl BaBar and KLOE10  $2\pi$ )
- [4] Davier et al, arXiv:1010.4180, Oct 2010,  $\tau$  data.

Note that the th. error is now about the same as the exp. one

# Top anti-Top asymmetry



5.1 fb<sup>-1</sup>

CDF public note 10436

$$A_{fb} = 0.42 \pm (0.15)^{stat} \pm (0.05)^{syst}$$

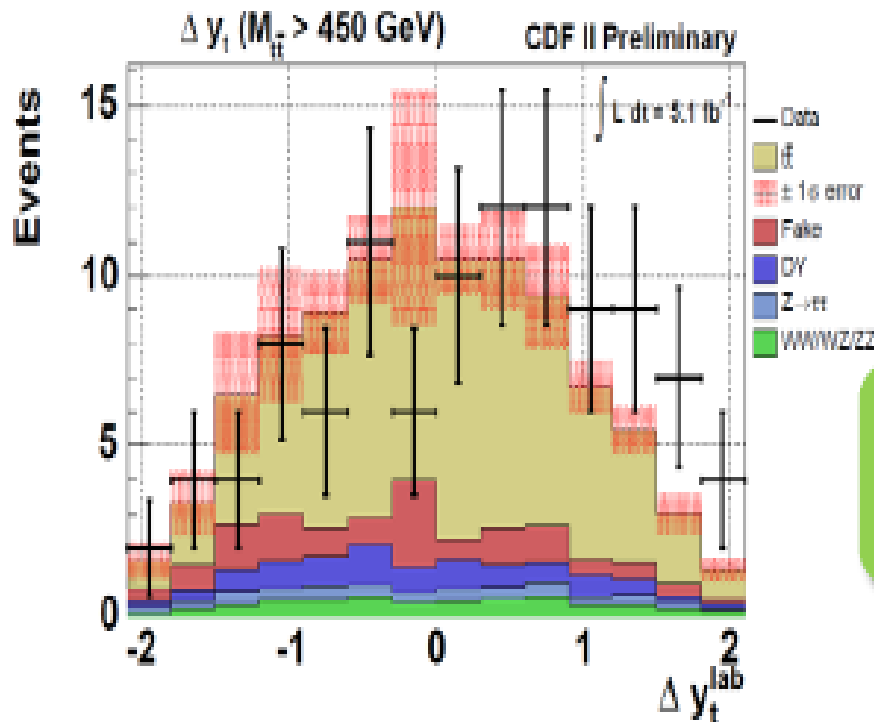
(dilepton final state)

- ✓ 2.3 $\sigma$  from the SM prediction.
- ✓ 3.4 $\sigma$  in the l+jets topology.

DUPERRIN EPS-HEP 2011

✓ axigluons, diquarks, new weak bosons, EDs etc..

✓ Or gluon radiations modeling at NLO?



# Is it possible that there is “only” a light higgs boson and no NP?

- This is acceptable if one argues that no ultraviolet completion of the SM is needed at the TeV scale simply because there is no actual fine-tuning related to the higgs mass stabilization ( **the correct value of the higgs mass is “environmentally” selected**). This explanation is similar to the one adopted for the cosmological constant
- Barring such wayout, **one is lead to have TeV NP to ensure the unitarity of the elw. theory at the TeV scale**

# **% FINE-TUNING FOR THE NEW PHYSICS AT THE ELW. SCALE**

- **Elementary Higgs** → In the **MSSM** % fine-tuning among the SUSY param. to avoid light SUSY particles which would have been already seen at LEP and Tevatron **and now also at LHC**
- **Elementary Higgs** → **PSEUDO-GOLDSTONE boson in the LITTLE HIGGS model** →  $\Lambda^2$  div. cancelled by new colored fermions, new W,Z,  $\gamma$ , 2Higgs doublets... → % fine-tuning to avoid too large elw. Corrections
- **COMPOSITE HIGGS** in a **5-dim.** holographic theory ( Higgs is a **PSEUDO-GOLDSTONE** boson and the elw. symmetry breaking is triggered by bulk effects ( in 5 dim. the theory is **WEAKLY** coupled, but in 4 dim. the bulk looks like a **STRONGLY** coupled sector) → also here % fine-tuning needed to survive the elw. precision tests



# The Energy Scale from the “Observational” New Physics

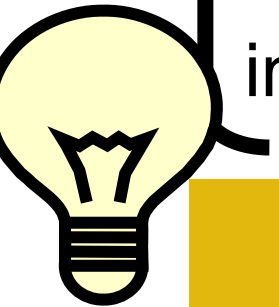
neutrino masses

dark matter

baryogenesis

inflation

NO NEED FOR THE  
NP SCALE TO BE  
CLOSE TO THE  
ELW. SCALE



# The Energy Scale from the “Theoretical” New Physics

★ ★ ★ Stabilization of the electroweak symmetry breaking  
at  $M_W$  calls for an **ULTRAVIOLET COMPLETION** of the SM  
**already at the TeV scale** +

★ **CORRECT GRAND UNIFICATION “CALLS” FOR NEW PARTICLES  
AT THE ELW. SCALE**

***THE DM ROAD TO NEW  
PHYSICS BEYOND THE SM:  
IS DM A PARTICLE OF  
THE NEW PHYSICS AT  
THE ELECTROWEAK  
ENERGY SCALE ?***

# CONNECTION DM – ELW. SCALE

## THE WIMP MIRACLE: STABLE ELW. SCALE WIMPs

1) ENLARGEMENT OF THE SM

SUSY  
( $x^\mu, \theta$ )

EXTRA DIM.  
( $x^\mu, j^i$ )

LITTLE HIGGS.  
SM part + new part

Anticomm.  
Coord.

New bosonic  
Coord.

to cancel  $\Lambda^2$   
at 1-Loop

2) SELECTION RULE

R-PARITY LSP

KK-PARITY LKP

T-PARITY LTP

→ DISCRETE SYMM.

Neutralino spin 1/2

spin1

spin0

→ STABLE NEW PART.

$m_{LSP}$

$m_{LKP}$

$m_{LTP}$

3) FIND REGION (S) PARAM. SPACE WHERE THE “L” NEW PART. IS NEUTRAL +  $\Omega_L h^2$  OK

~100 - 200  
GeV \*

~600 - 800  
GeV

~400 - 800  
GeV

\* But abandoning gaugino-masss unif. → Possible to have  $m_{LSP}$  down to 7 GeV

# IS THE “*WIMP MIRACLE*” AN ACTUAL MIRACLE?

## USUAL STATEMENT

Many possibilities for DM candidates, but WIMPs are really special: peculiar coincidence between particle physics and cosmology parameters to provide a VIABLE DM CANDIDATE AT THE ELW. SCALE

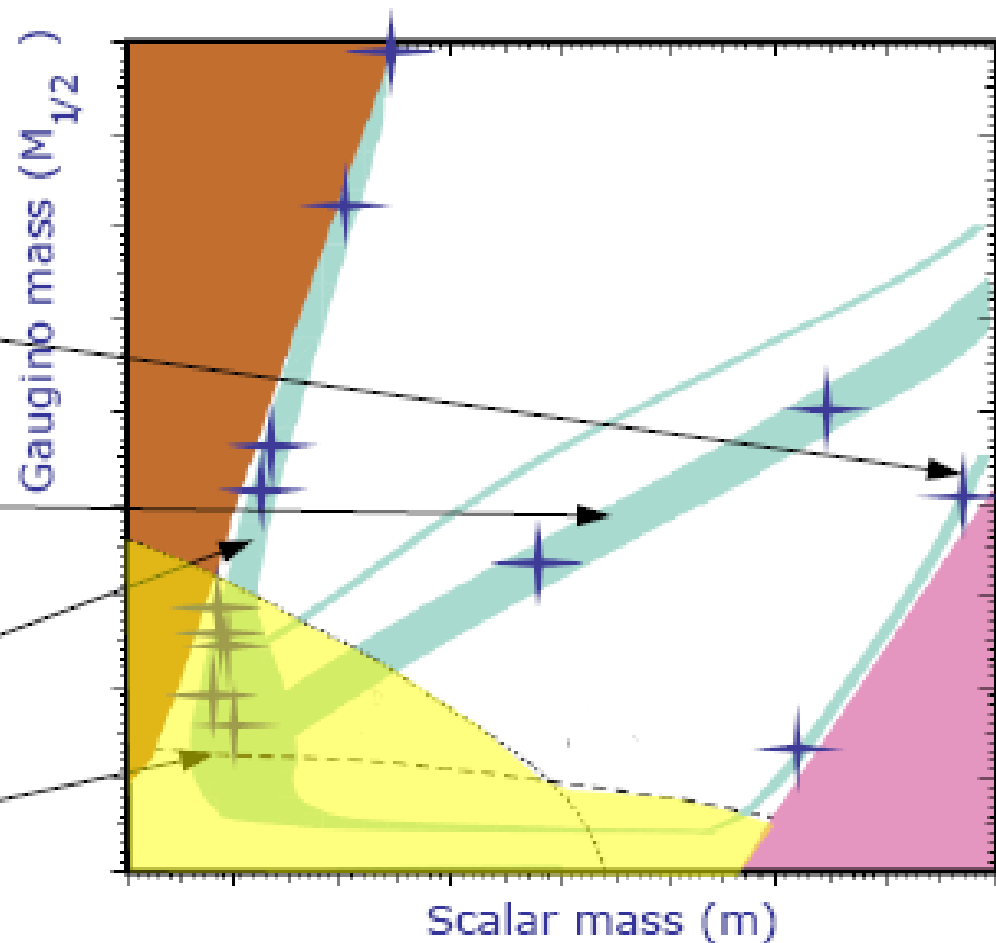
## HOWEVER

when it comes to quantitatively reproduce the precisely determined DM density → once again the fine-tuning threat...

LHC reach in the SUSY parameter space (example CMSSM - A, M, m,  $\tan\beta$ ,  $\mu$ )

Regions compatible with Neutralino DM (having correct relic density)

- Focus-Point region (Higgsino-Bino neutralino)
- Resonant annihilation (with pseudoscalar Higgs)
- Coannihilation region (small LSP-NLSP mass difference)
- Bulk (small SUSY masses)  
Mostly excluded by LEP constraints (still available in non-minimal models)



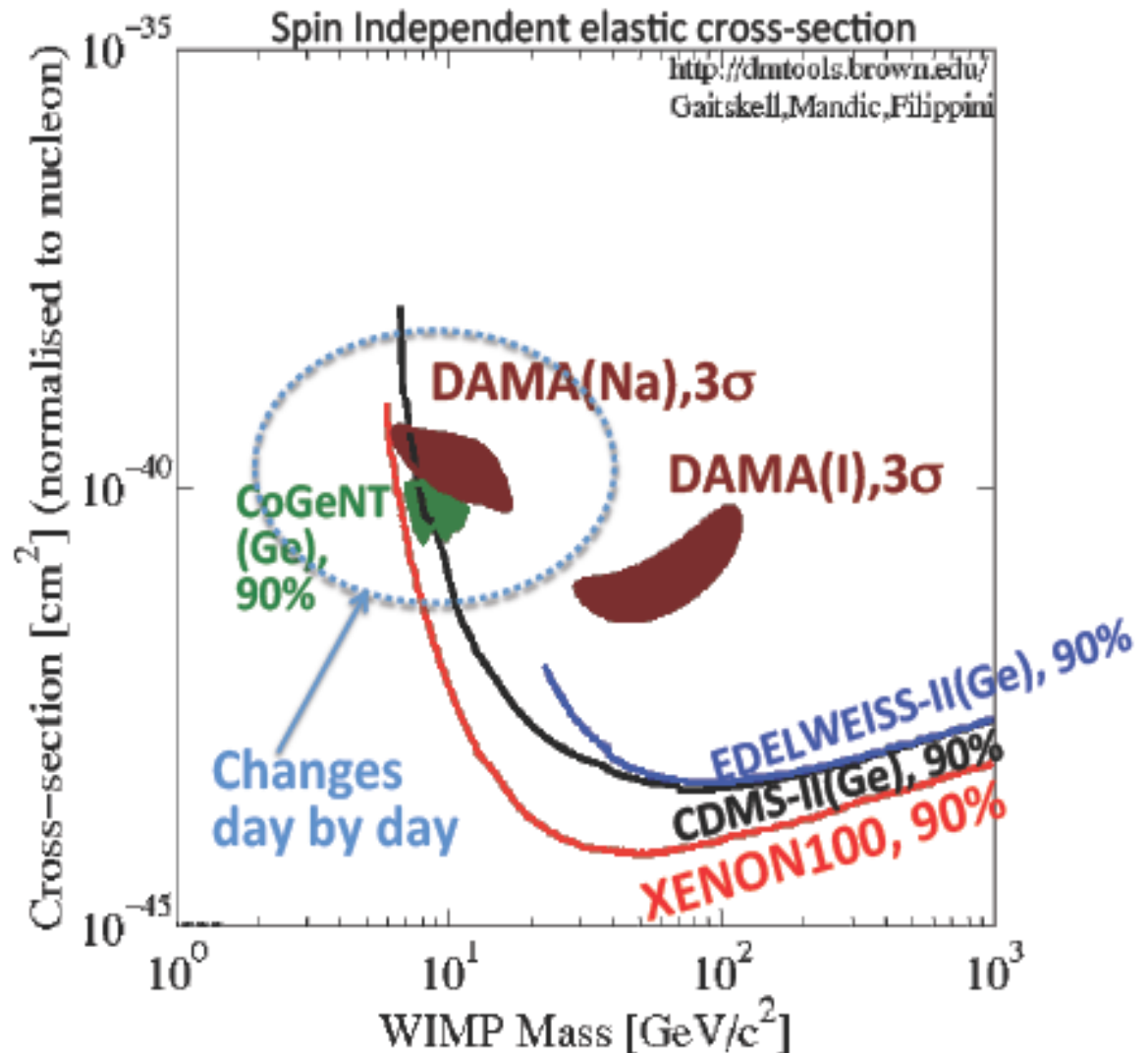
(see e.g., Ellis, Ferstl, Olive)

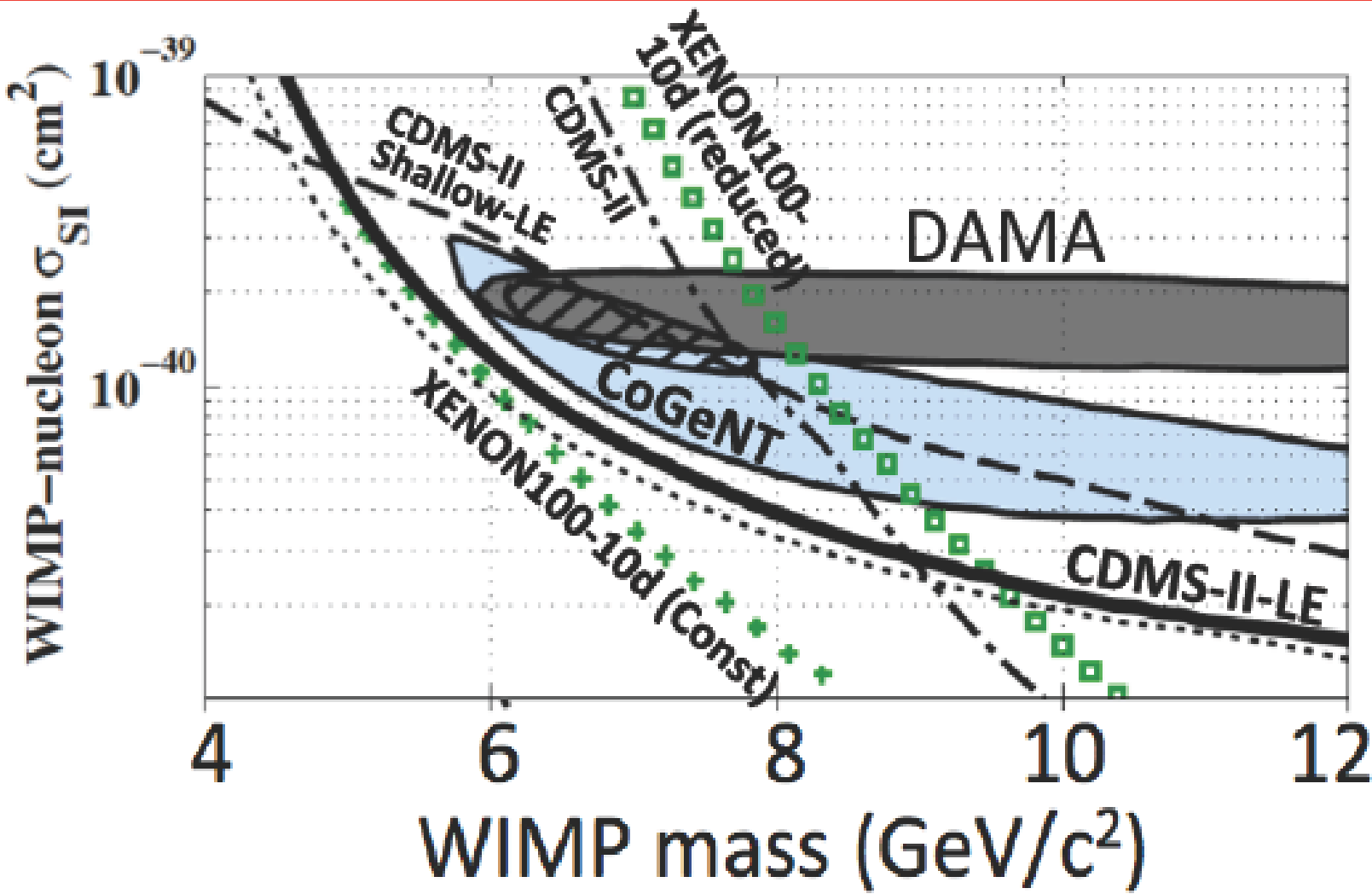
# Recent Status

Sorry,  
We did not plot all the  
results

CRESST-II:  
Wait until their FINAL  
results

Low threshold Analysis by  
CDMS-II (LE) and  
XENON-10 (LE)





# DM and **NON-STANDARD COSMOLOGIES** **BEFORE NUCLEOSYNTHESIS**

- **NEUTRALINO RELIC DENSITY MAY DIFFER FROM ITS STANDARD VALUE**, i.e. the value it gets when the expansion rate of the Universe is what is expected in Standard Cosmology (EX.: **SCALAR-TENSOR THEORIES OF GRAVITY, KINATION, EXTRA-DIM. RANDALL-SUNDRUM TYPE II MODEL, ETC.**)
- **WIMPS MAY BE “COLDER”**, i.e. they may have smaller typical velocities and, hence, they may lead to smaller masses for the first structures which form **GELMINI, GONDOLO**



# WHY $H \neq H_{\text{GR}}$

$$H_{\text{GR}}^2 = \frac{1}{3M_p^2} \rho_{\text{tot}} \simeq 2.76 g_* \frac{T^4}{M_p^2}$$

1 Change the number of relativistic d.o.f.'s,  $g_*$  ;

R. Catena

2 Consider a  $\rho_{\text{tot}}$  not dominated by relativistic d.o.f.'s;

- Kination

P. Salati, Phys. Lett. B 571 (2003) 121

3 Consider theories where the effective Planck mass is different from the constant  $M_p$ :

- Scalar-Tensor theories

R. C., N. Fornengo, A. Masiero, M. Pletroni and F. Rosati, Phys. Rev. D 70 (2004) 063519

- Extradimensions

L. Randall and R. Sundrum, Phys. Rev. Lett. 83 (1999) 4690

# DIRECT AND INDIRECT SEARCHES FOR WIMPs

- **PROBING NEW PHYSICS AT THE ELW. SCALE**
- **INFORMATION ON THE EVOLUTION OF THE EARLY UNIVERSE BEFORE THE NUCLEOSYNTHESIS TIME, i.e. at times  $< 1$  sec.**

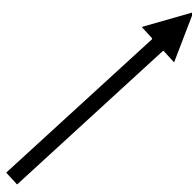
# 4. ELW. SYMM. BREAKING STABILIZATION VS. FLAVOR PROTECTION: THE SCALE TENSION

$$M(B_d - \bar{B}_d) \sim c_{\text{SM}} \frac{(y_t V_{tb}^* V_{td})^2}{16 \pi^2 M_W^2} + c_{\text{new}} \frac{1}{\Lambda^2}$$

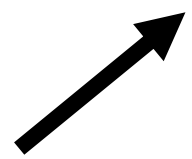
If  $c_{\text{new}} \sim c_{\text{SM}} \sim 1$

Isidori

$\Lambda > 10^4 \text{ TeV}$  for  $O^{(6)} \sim (\bar{s} d)^2$   
[  $K^0 - \bar{K}^0$  mixing ]



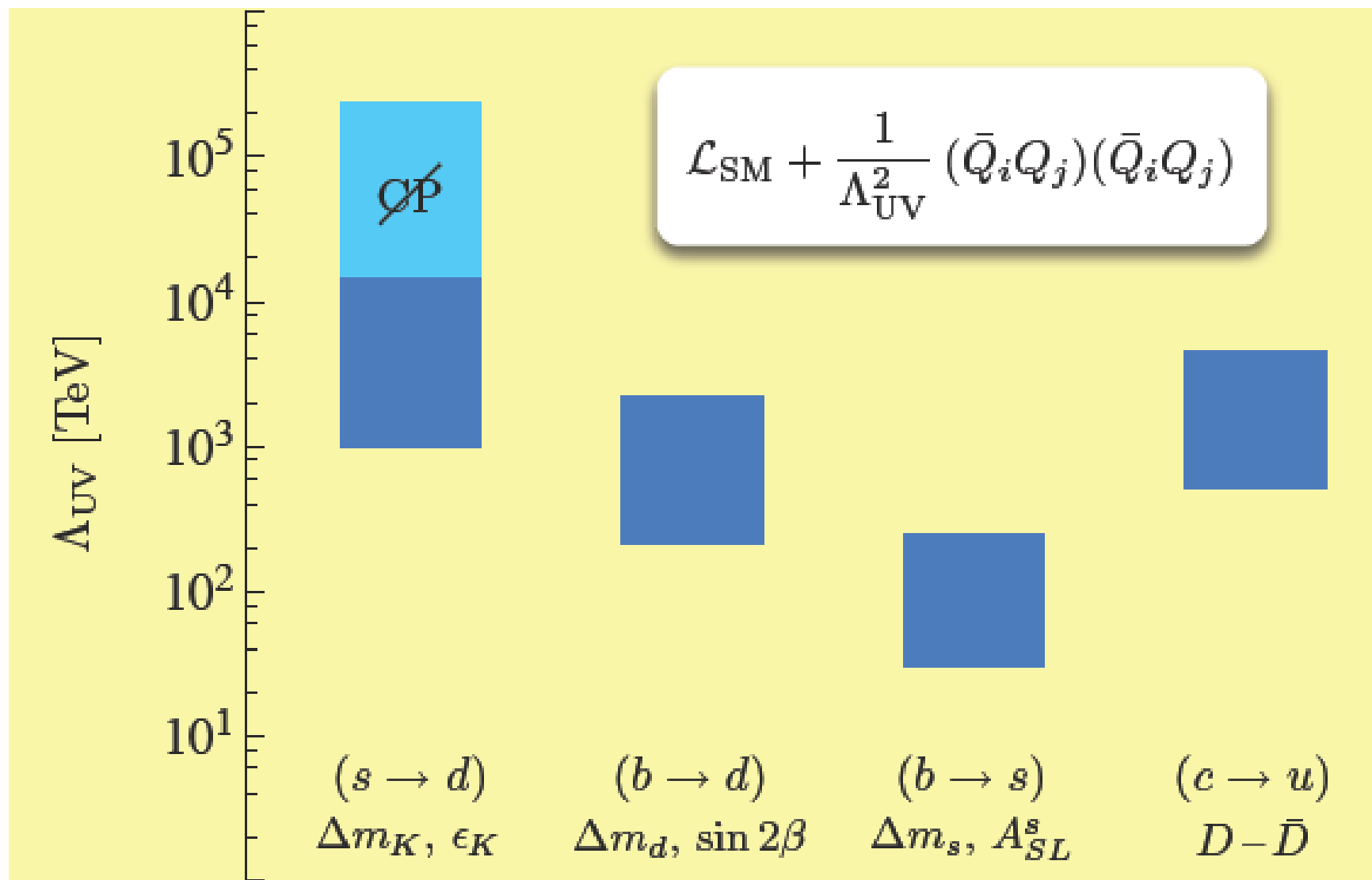
$\Lambda > 10^3 \text{ TeV}$  for  $O^{(6)} \sim (\bar{b} d)^2$   
[  $B^0 - \bar{B}^0$  mixing ]



UV SM COMPLETION TO STABILIZE THE ELW.  
SYMM. BREAKING:  $\Lambda_{\text{UV}} \sim O(1 \text{ TeV})$

# Flavor Structure in the SM and Beyond

NEUBERT EPS-HEP 2011



Generic bounds without a flavor symmetry

$K - \bar{K}$	$8 \times 10^{-7}$	$6 \times 10^{-9}$
$D - \bar{D}$	$5 \times 10^{-7}$	$1 \times 10^{-7}$
$B - \bar{B}$	$5 \times 10^{-6}$	$1 \times 10^{-6}$
$B_s - \bar{B}_s$	$2 \times 10^{-4}$	$2 \times 10^{-4}$

**SMALLNESS OF  
THE NP COUPLINGS  
IF THE NP SCALE IS  
1 TEV**

$$Y_t \sim 1, \quad Y_c \sim 10^{-2}, \quad Y_u \sim 10^{-5}$$

$$Y_b \sim 10^{-2}, \quad Y_s \sim 10^{-3}, \quad Y_d \sim 10^{-4}$$

$$Y_\tau \sim 10^{-2}, \quad Y_\mu \sim 10^{-3}, \quad Y_e \sim 10^{-6}$$

$$|V_{us}| \sim 0.2, \quad |V_{cb}| \sim 0.04, \quad |V_{ub}| \sim 0.004, \quad \delta_{\text{KM}} \sim 1$$

**SMALLNESS  
OF THE SM  
COUPLINGS**

NIR

# THE FLAVOUR PROBLEMS

## FERMION MASSES

What is the rationale hiding behind the spectrum of fermion masses and mixing angles (our “**Balmer lines**” problem)

→ **LACK OF A FLAVOUR “THEORY”**

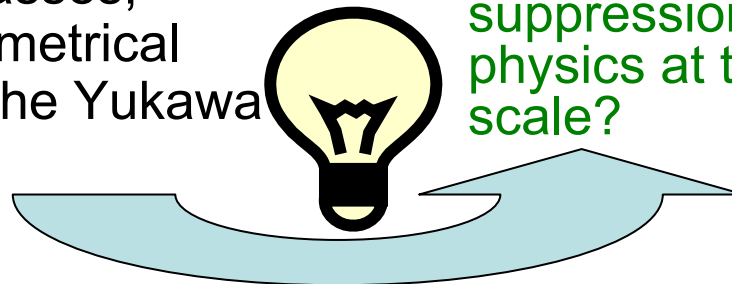
( new flavour – horizontal symmetry, radiatively induced lighter fermion masses, dynamical or geometrical determination of the Yukawa couplings, ...?)

## FCNC

Flavour changing neutral current (FCNC) processes are suppressed.

In the SM two nice mechanisms are at work: the **GIM mechanism** and the structure of the **CKM mixing matrix**.

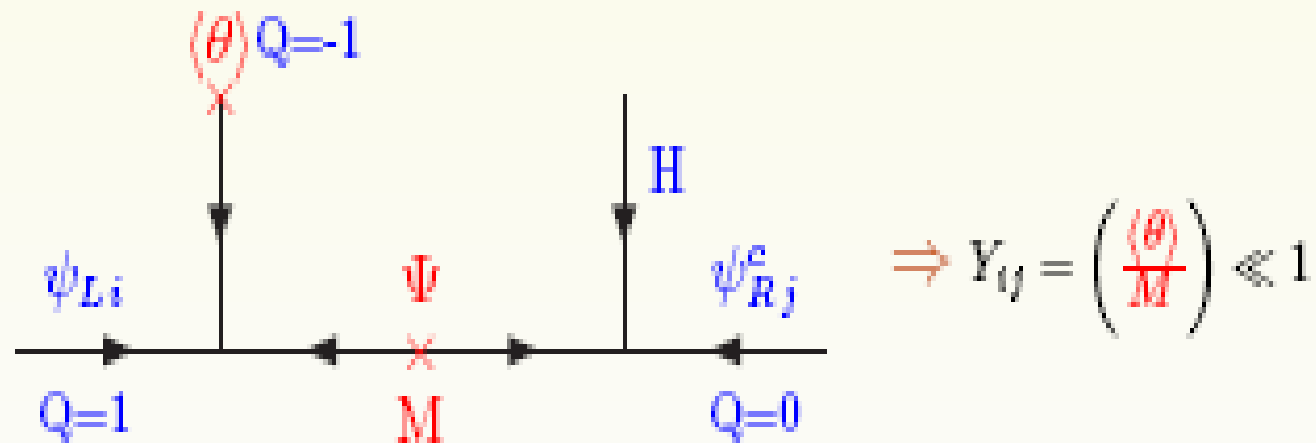
How to cope with such delicate suppression if there is new physics at the electroweak scale?



# **MSSM** **FAMILY SYMM.**

- **AMBITION:** simultaneously accounting for the “correct” SM fermion masses and mixings ( **SM Flavor Puzzle** ) and a structure of the SUSY soft breaking masses allowing for adequate FCNC suppression + possible “explanation” of the alleged SM FCNC difficulties ( **SUSY Flavor Puzzle** )
- Mechanism a la Frogatt – Nielsen with **abelian or non-abelian family symmetry**

- Froggatt-Nielsen mechanism and flavour symmetry to understand small Yukawa elements. Example:  $U(1)_F$



## Yukawa Textures

What we want:

$$Y_u \propto \begin{pmatrix} 0 & \varepsilon^3 & \varepsilon^3 \\ \varepsilon^3 & \varepsilon^2 & \varepsilon^2 \\ \varepsilon^3 & \varepsilon^2 & 1 \end{pmatrix} \quad Y_d \propto \begin{pmatrix} 0 & \bar{\varepsilon}^3 & \bar{\varepsilon}^3 \\ \bar{\varepsilon}^3 & \bar{\varepsilon}^2 & \bar{\varepsilon}^2 \\ \bar{\varepsilon}^3 & \bar{\varepsilon}^2 & 1 \end{pmatrix}$$

$$\varepsilon = 0.05 \quad \bar{\varepsilon} = 0.15$$



# $SU(3)$ Flavour model

ROBERTS, ROMANINO, ROSS, VELASCO-SEVILLA;  
ROSS, VELASCO-SEVILLA, VIVES

•  $Q, L \sim \mathbf{3}$  and  $d^c, u^c, e^c \sim \mathbf{\bar{3}}$ ; flavon fields:  $\theta_3, \theta_{23} \sim \mathbf{\bar{3}}, \bar{\theta}_3, \bar{\theta}_{23} \sim \mathbf{3}$

• Family Symmetry breaking:  $SU(3) \xrightarrow{(\theta_3)} SU(2) \xrightarrow{(\theta_{23})} \emptyset$

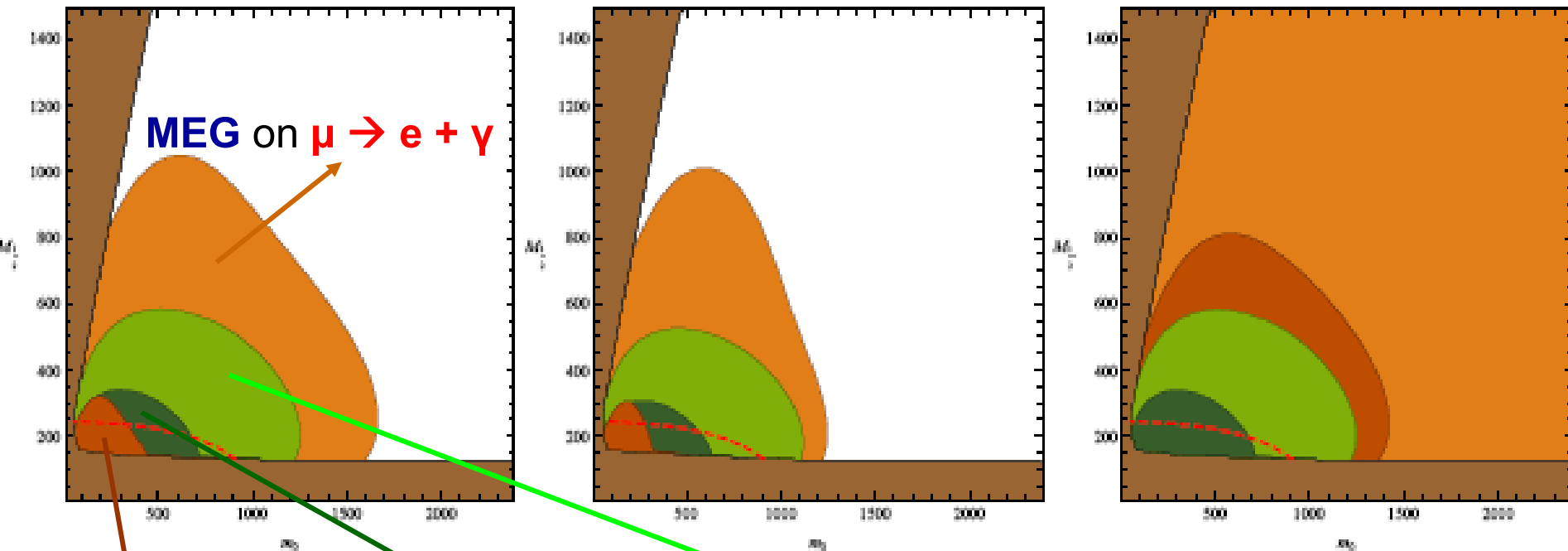
$\theta_3, \bar{\theta}_3 = \begin{pmatrix} 0 \\ 0 \\ a_3 \end{pmatrix}, \theta_{23}, \bar{\theta}_{23} = \begin{pmatrix} 0 \\ b \\ b \end{pmatrix}$  with  $\left(\frac{a_3}{M}\right) \sim \mathcal{O}(1), \left(\frac{b}{M_u}\right) \simeq \left(\frac{b}{M_d}\right)^2 = \epsilon \sim 0.05.$

• Yukawa superpotential:  $W_Y = H \psi_i \psi_j^c \left[ \theta_3^i \theta_3^j + \theta_{23}^i \theta_{23}^j (\theta_3 \bar{\theta}_3) + \epsilon^{ikh} \bar{\theta}_{23,k} \bar{\theta}_{3,l} \theta_{23}^j (\theta_{23} \bar{\theta}_3) \right]$

$$Y^f = \begin{pmatrix} 0 & a \epsilon^3 & b \epsilon^3 \\ a \epsilon^3 & \epsilon^2 & c \epsilon^2 \\ b \epsilon^3 & c \epsilon^2 & 1 \end{pmatrix} \frac{|a_3|^2}{M^2},$$

**O. VIVES**

# LFV CONSTRAINTS IN THE $M_0 - M_{1/2}$ SUSY PLANE



**PRESENT BOUND ON  $\tau \rightarrow \mu + \gamma$**

**FUTURE BOUND ON  $\tau \rightarrow \mu + \gamma$  at SUPER B**

**PRESENT BOUND ON  $\mu \rightarrow e + \gamma$**

**CALIBBI, JONES, A.M., J-H. PARK, POROD and VIVES**

# FLAVOR BLINDNESS OF THE NP AT THE ELW. SCALE?

- **THREE DECADES OF FLAVOR TESTS** ( Redundant determination of the UT triangle  $\longrightarrow$  verification of the SM, theoretically and experimentally “high precision” FCNC tests, ex.  $b \longrightarrow s + \gamma$ , CP violating flavor conserving and flavor changing tests, lepton flavor violating (LFV) processes, ...) clearly state that:
  - A) in the **HADRONIC SECTOR** the **CKM flavor pattern of the SM represents the main bulk of the flavor structure and of (flavor violating) CP violation;**
  - B) in the **LEPTONIC SECTOR**: although neutrino flavors exhibit large admixtures, LFV, i.e. non – conservation of individual lepton flavor numbers in FCNC transitions among charged leptons, is extremely small: once again the SM is right ( to first approximation) predicting negligibly small LFV

# What to make of this triumph of the CKM pattern in **hadronic flavor tests?**

New Physics at the Elw.  
Scale is Flavor Blind  
CKM exhausts the flavor  
changing pattern at the elw.  
Scale  $\longrightarrow$

**MINIMAL FLAVOR  
VIOLATION**

MFV : Flavor originates only  
from the SM Yukawa coupl.

New Physics introduces  
**NEW FLAVOR SOURCES** in  
addition to the CKM pattern.  
They give rise to  
contributions which are  
<10% in the “flavor  
observables” which have  
already been observed!

# SuperB vs. LHC Sensitivity

## Reach in testing $\Lambda_{\text{SUSY}}$

	superB	general MSSM	high-scale MFV
$ \left(\delta_{13}^d\right)_{LL}  (LL \gg RR)$	$1.8 \cdot 10^{-2} \frac{m_{\tilde{q}}}{(350\text{GeV})}$	1	$\sim 10^{-3} \frac{(350\text{GeV})^2}{m_{\tilde{q}}^2}$
$ \left(\delta_{13}^d\right)_{LL}  (LL \sim RR)$	$1.3 \cdot 10^{-3} \frac{m_{\tilde{q}}}{(350\text{GeV})}$	1	—
$ \left(\delta_{13}^d\right)_{LR} $	$3.3 \cdot 10^{-3} \frac{m_{\tilde{q}}}{(350\text{GeV})}$	$\sim 10^{-1} \tan \beta \frac{(350\text{GeV})}{m_{\tilde{q}}}$	$\sim 10^{-4} \tan \beta \frac{(350\text{GeV})^3}{m_{\tilde{q}}^3}$
$ \left(\delta_{23}^d\right)_{LR} $	$1.0 \cdot 10^{-3} \frac{m_{\tilde{q}}}{(350\text{GeV})}$	$\sim 10^{-1} \tan \beta \frac{(350\text{GeV})}{m_{\tilde{q}}}$	$\sim 10^{-3} \tan \beta \frac{(350\text{GeV})^3}{m_{\tilde{q}}^3}$

**SuperB can probe MFV ( with small-moderate  $\tan\beta$ ) for TeV squarks; for a generic non-MFV MSSM  $\longrightarrow$  sensitivity to squark masses  $> 100$  TeV !**

**Ciuchini, Isidori, Silvestrini** ***SLOW-DECOUPLING OF NP IN FCNC***

# Estimates of error for 2015



Hadronic matrix element	Current lattice error	6 TFlop Year	60 TFlop Year [2011 LHCb]	1-10 PFlop Year [2015 SuperB]
$f_+^{K\pi}(0)$	0.9% (22% on $1-f_+$ )	0.7% (17% on $1-f_+$ )	0.4% (10% on $1-f_+$ )	<b>&lt; 0.1%</b> (2.4% on $1-f_+$ )
$\hat{B}_K$	11%	5%	3%	<b>1%</b>
$f_B$	14%	3.5 - 4.5%	2.5 - 4.0%	<b>1 - 1.5%</b>
$f_{B_s} B_{B_s}^{1/2}$	13%	4 - 5%	3 - 4%	<b>1 - 1.5%</b>
$\xi$	5% (26% on $\xi-1$ )	3% (18% on $\xi-1$ )	1.5 - 2 % (9-12% on $\xi-1$ )	<b>0.5 - 0.8 %</b> (3-4% on $\xi-1$ )
$\mathcal{F}_{B \rightarrow D/D^*lv}$	4% (40% on $1-\mathcal{F}$ )	2% (21% on $1-\mathcal{F}$ )	1.2% (13% on $1-\mathcal{F}$ )	<b>0.5%</b> (5% on $1-\mathcal{F}$ )
$f_+^{B\pi}, \dots$	11%	5.5 - 6.5%	4 - 5%	<b>2 - 3%</b>
$T_1^{B \rightarrow K^*/\rho}$	13%	----	----	<b>3 - 4%</b>

# SUSY SEE-SAW

- UV COMPLETION OF THE SM TO STABILIZE THE ELW. SCALE:

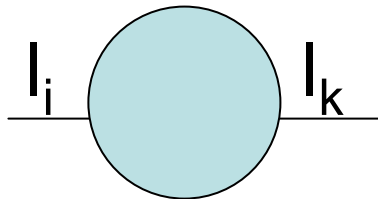
**LOW-ENERGY  
SUSY**

- COMPLETION OF THE SM FERMIONIC SPECTRUM TO ALLOW FOR NEUTRINO MASSES:  
NATURALLY SMALL PHYSICAL NEUTRINO MASSES WITH RIGHT-HANDED NEUTRINO WITH A LARGE MAJORANA MASS

**SEE-SAW**

# LFV and NEW PHYSICS

- Flavor in the **HADRONIC SECTOR**:  
CKM paradigm
- Flavor in the **LEPTONIC SECTOR**:
  - Neutrino masses and (large) mixings
  - Extreme smallness of LFV in the charged lepton sector of the SM with massive neutrinos:

  $l_i \rightarrow l_k$  suppressed by  $(m_{\nu_i}^2 - m_{\nu_k}^2) / M_W^2$



# NEW BOUND OF MEG AT THE EPS 2011

The MEG Experiment

$$\mu^+ \rightarrow e^+ \gamma$$

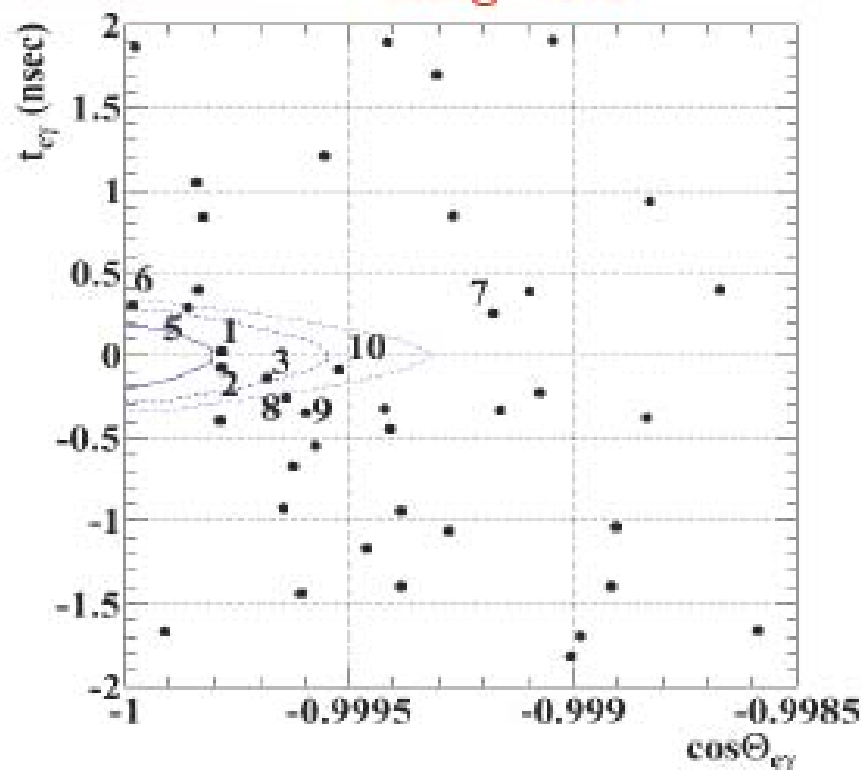
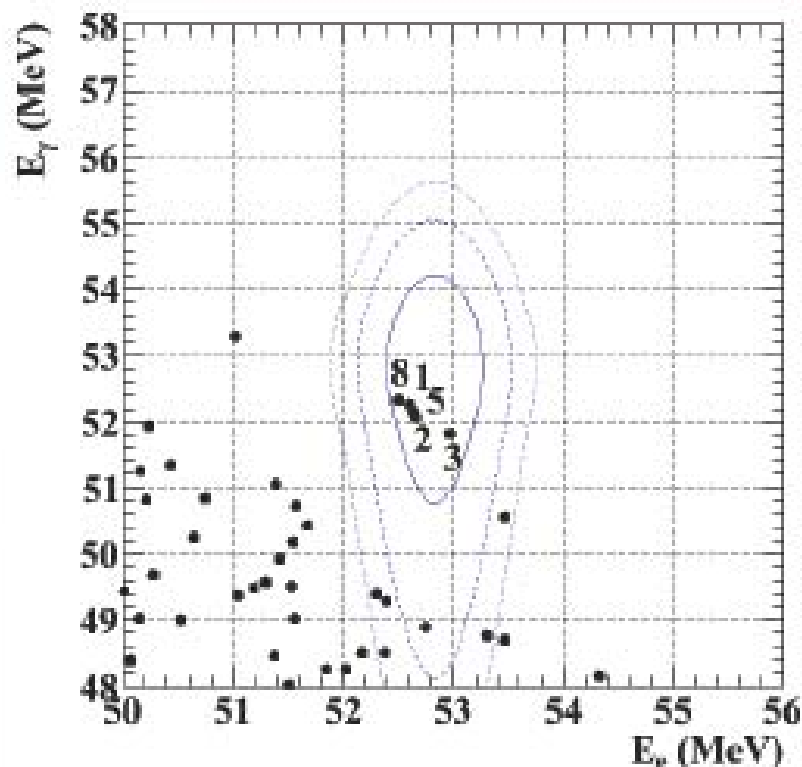
# Event distribution after unblinding



$BR < 1.5 \times 10^{-11}$  @90%CL

$6.1 \times 10^{-12}$  expected

$N_{sig} = 3.0$

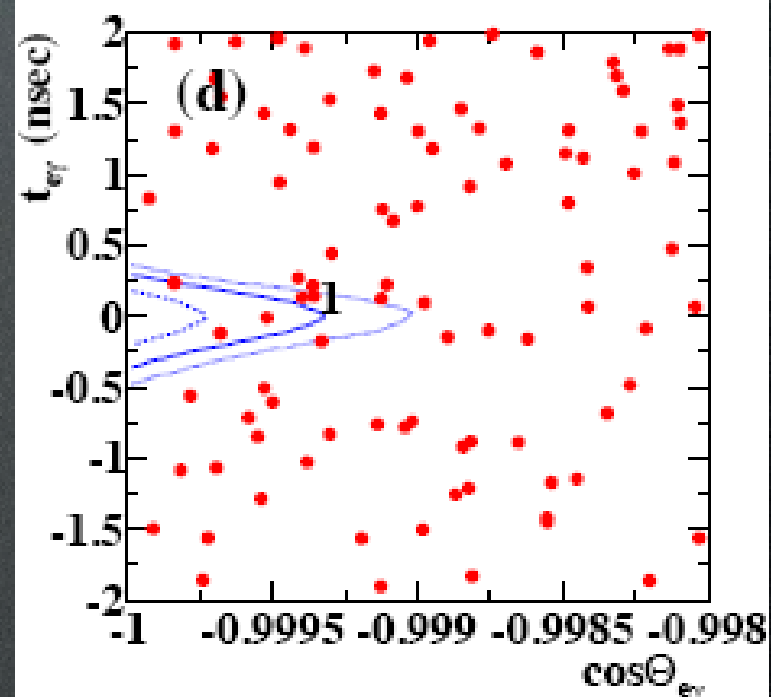
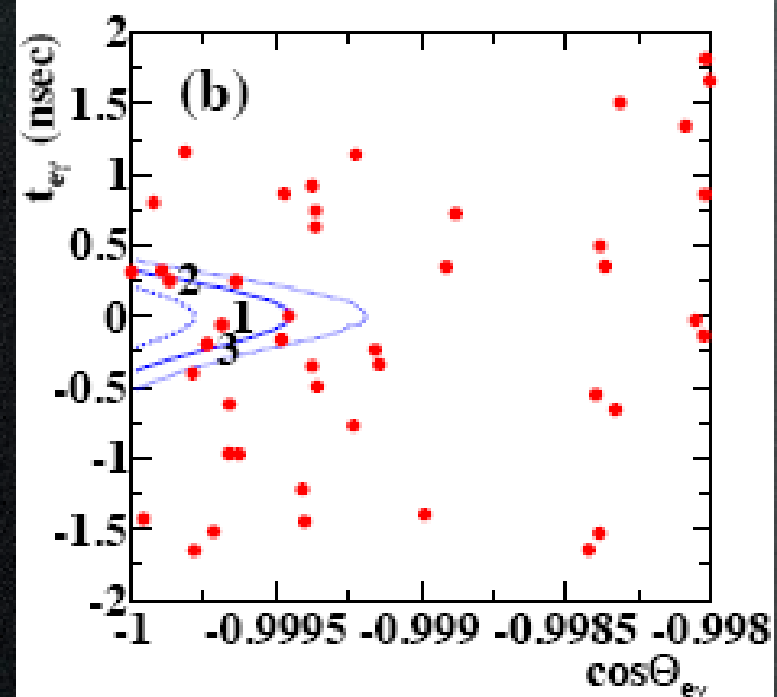
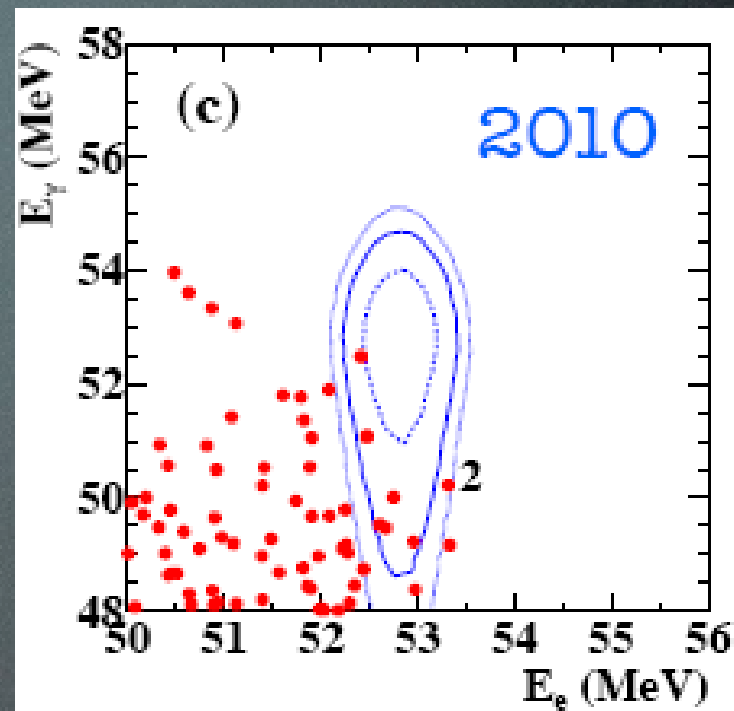
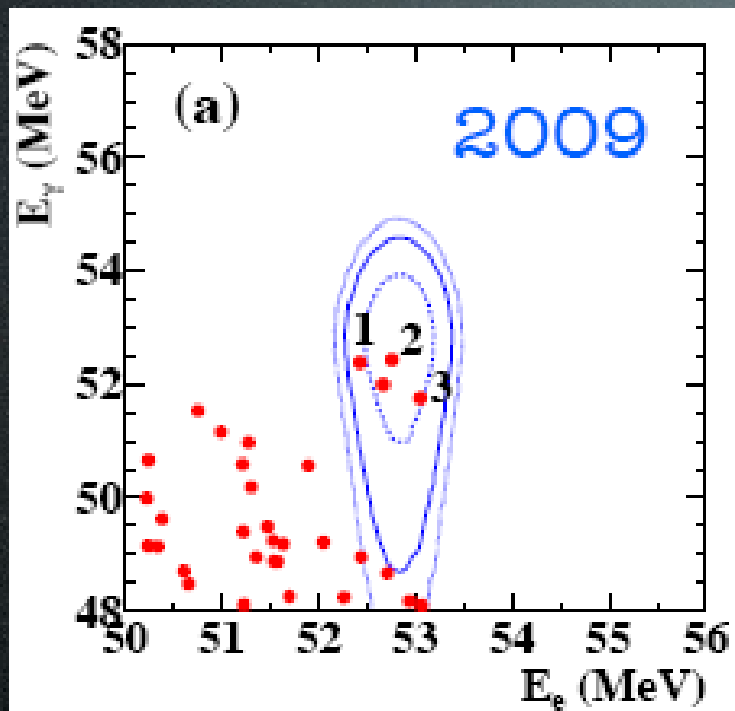


preliminary result of MEG 2009 data

Blue lines are 1(58.3% included inside the region w.r.t. analysis window), 1.64(74.2%) and 2(88.5%) sigma regions.

For each plot, cut on other variables for roughly 90% window is applied.

Numbers in figures are ranking by  $L_{sig}/(L_{sig}+L_{B0})$ . Same numbered dots in the right and the left figure are an identical event.



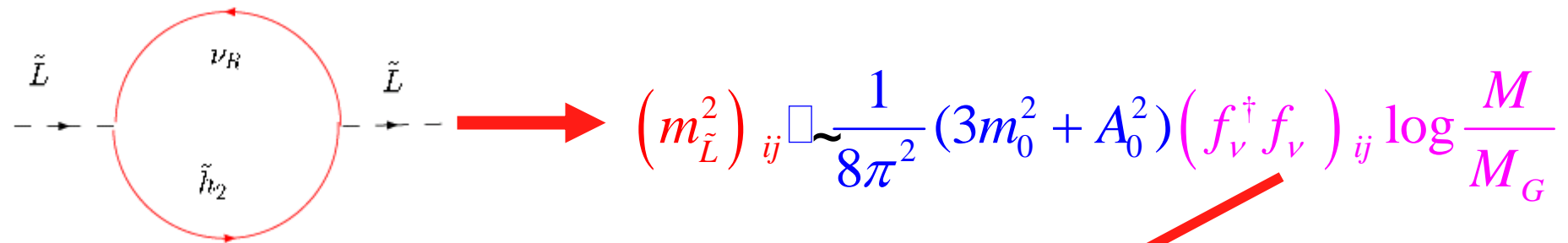
# MEG summary

- 2009+2010 data consistent w/ no signal
- New physics is now constrained by  
5× tighter upper limit:  
 $BR < 2.4 \times 10^{-12}$  @90% C.L.  
(Preprint will be posted at arXiv today)
- MEG is accumulating more data this and  
next year to reach  $O(10^{-13})$  sensitivity;  
So stay tuned!
- Detector improvements/upgrades

**SUSY SEESAW: Flavor universal SUSY breaking and yet large lepton flavor violation**

Borzumati, A. M. 1986 (after discussions with W. Marciano and A. Sanda)

$$L = f_l \bar{e}_R L h_1 + f_\nu \bar{\nu}_R L h_2 + M \nu_R \nu_R$$



**Non-diagonality of the slepton mass matrix** in the basis of diagonal lepton mass matrix depends on the **unitary matrix U** which diagonalizes  $(f_\nu^\dagger f_\nu)$

# How Large LFV in SUSY SEESAW?

- 1) Size of the **Dirac neutrino couplings**  $f_\nu$
- 2) Size of the **diagonalizing matrix U**

In **MSSM seesaw** or in **SUSY SU(5)** (Moroi): not possible to correlate the neutrino Yukawa couplings to know Yukawas;

In **SUSY SO(10)** (A.M., Vempati, Vives) at least one neutrino Dirac Yukawa coupling has to be of the **order of the top Yukawa coupling**  $\longrightarrow$  one large of  $O(1) f_\nu$

U  $\longrightarrow$  two “extreme” cases:

- a) U with “small” entries  $\longrightarrow$   $U = CKM$ ;
- b) U with “large” entries with the exception of the 13 entry  $\longrightarrow$   $U = PMNS$  matrix responsible for the diagonalization of the neutrino mass matrix

**THE STRONG ENHANCEMENT  
OF LFV IN SUSY SEESAW  
MODELS CAN OCCUR  
EVEN IF THE MECHANISM  
RESPONSIBLE FOR SUSY  
BREAKING IS  
ABSOLUTELY  
FLAVOR BLIND**

# LFV in SUSYGUTs with SEESAW



Scale of appearance of the SUSY soft breaking terms resulting from the spontaneous breaking of supergravity

**Low-energy SUSY has “memory” of all the multi-step RG occurring from such superlarge scale down to  $M_W$**

**potentially large LFV**

Barbieri, Hall; Barbieri, Hall, Strumia; Hisano, Nomura, Yanagida; Hisano, Moroi, Tobe Yamaguchi; Moroi; A.M., Vempati, Vives; Carvalho, Ellis, Gomez, Lola; Calibbi, Faccia, A.M, Vempati

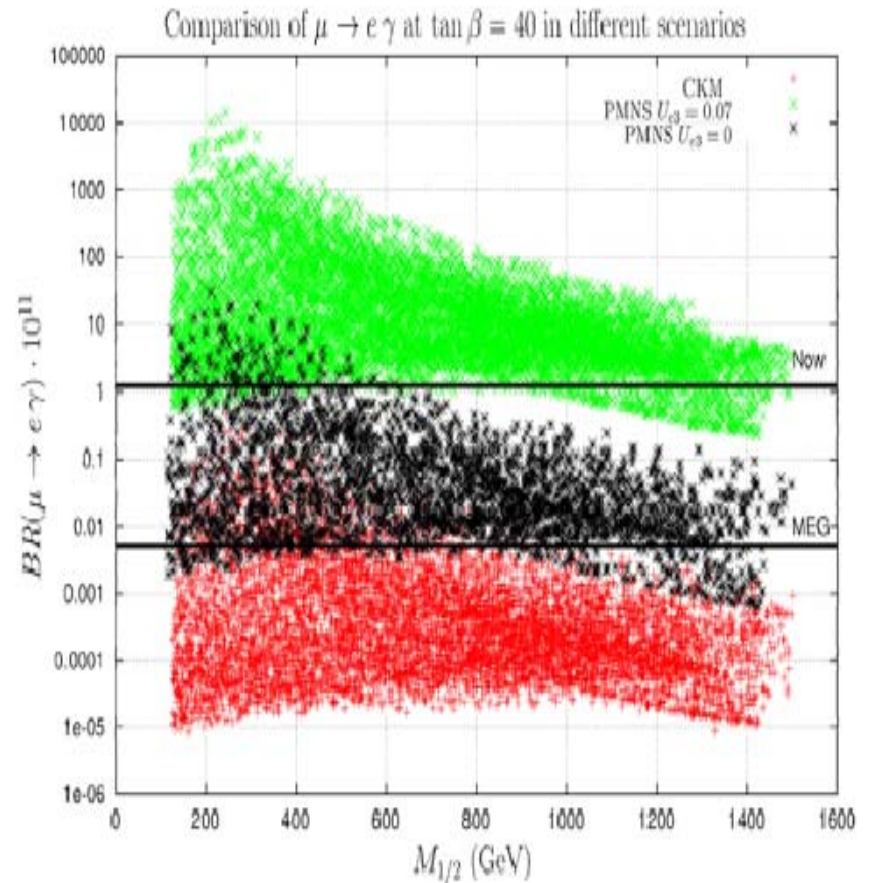
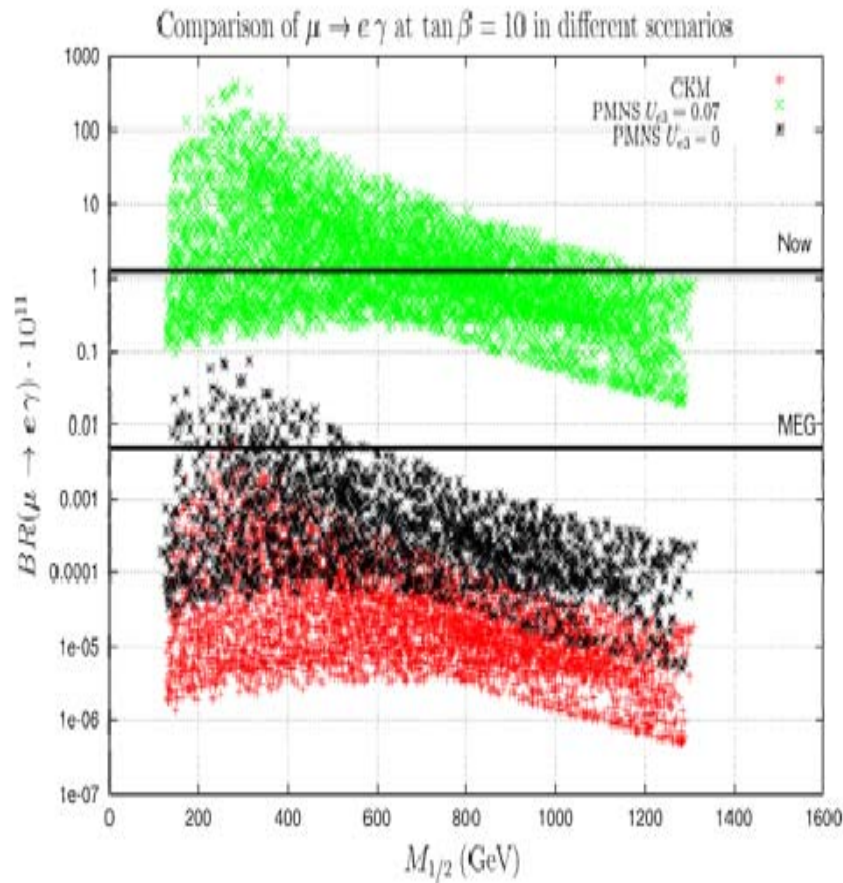
LFV in MSSMseesaw:  $\mu$   $e\gamma$  Borzumati, A.M.  
 $\tau$   $\mu\gamma$  Blazek, King;

General analysis: Casas Ibarra; Lavignac, Masina, Savoy; Hisano, Moroi, Tobe, Yamaguchi; Ellis, Hisano, Raidal, Shimizu; Fukuyama, Kikuchi, Okada; Petcov, Rodejohann, Shindou, Takanishi; Arganda, Herrero; Deppish, Pas, Redelbach, Rueckl; Petcov, Shindou

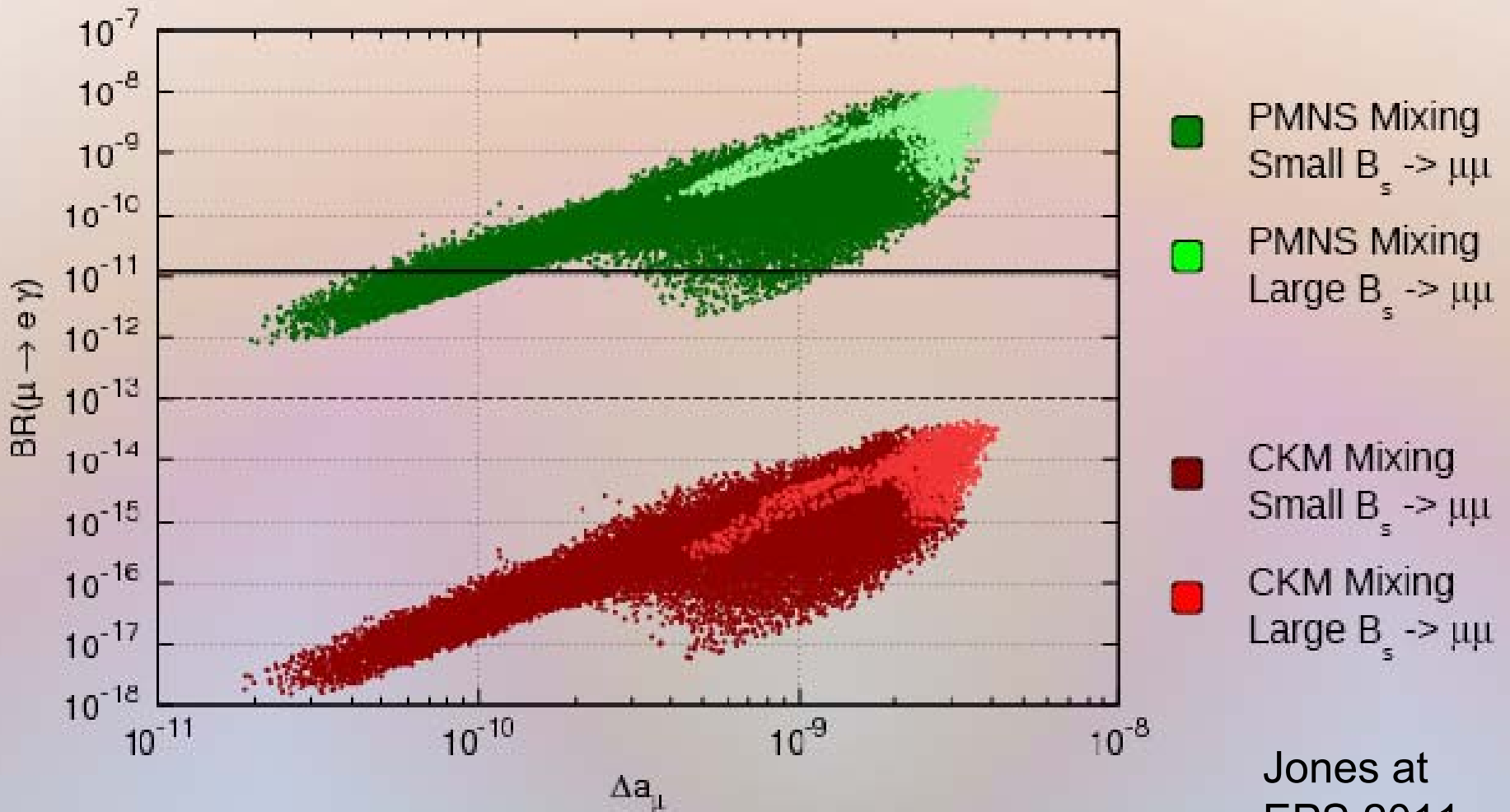


# $\mu \rightarrow e\gamma$ in SUSYGUT: past and future

$\mu \rightarrow e\gamma$  in the  $U_{e3} = 0$  PMNS case



# Comparing CKM and PMNS

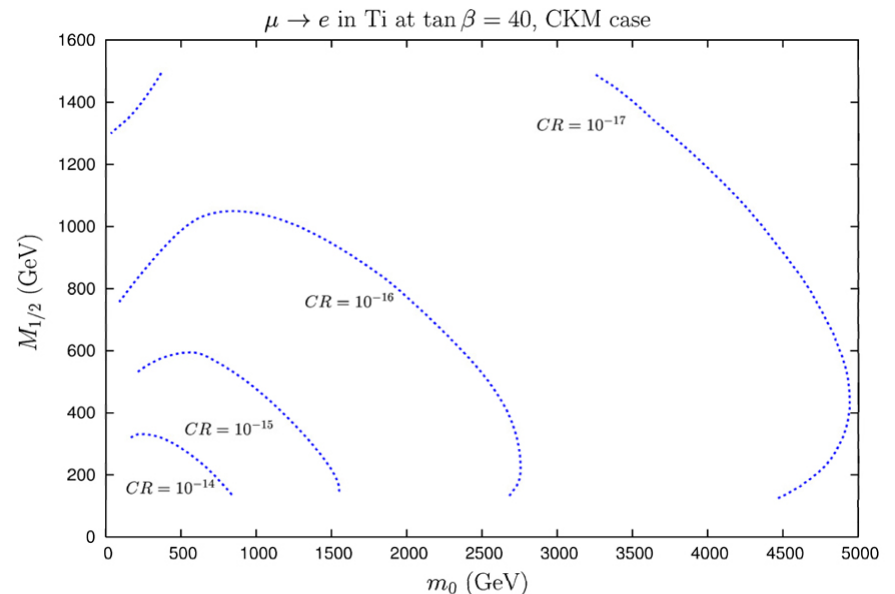
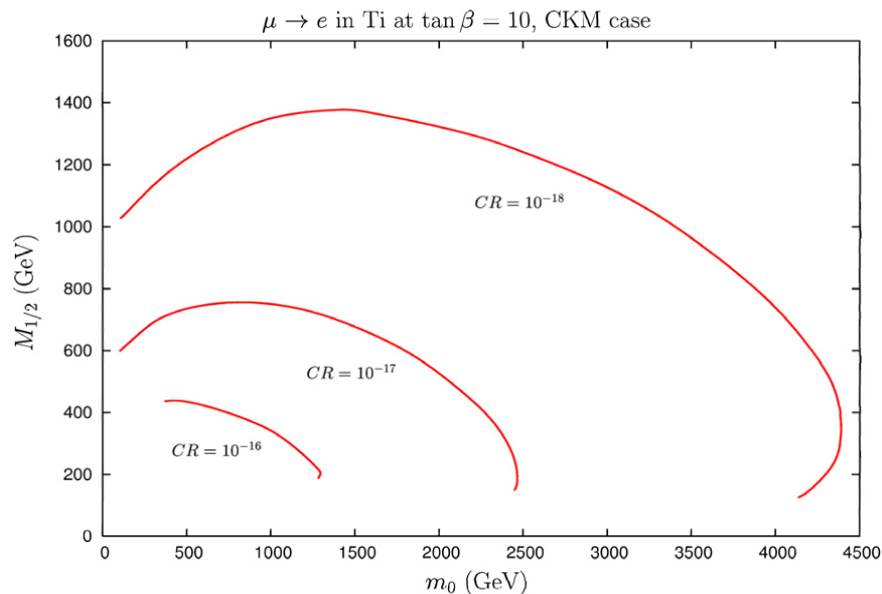
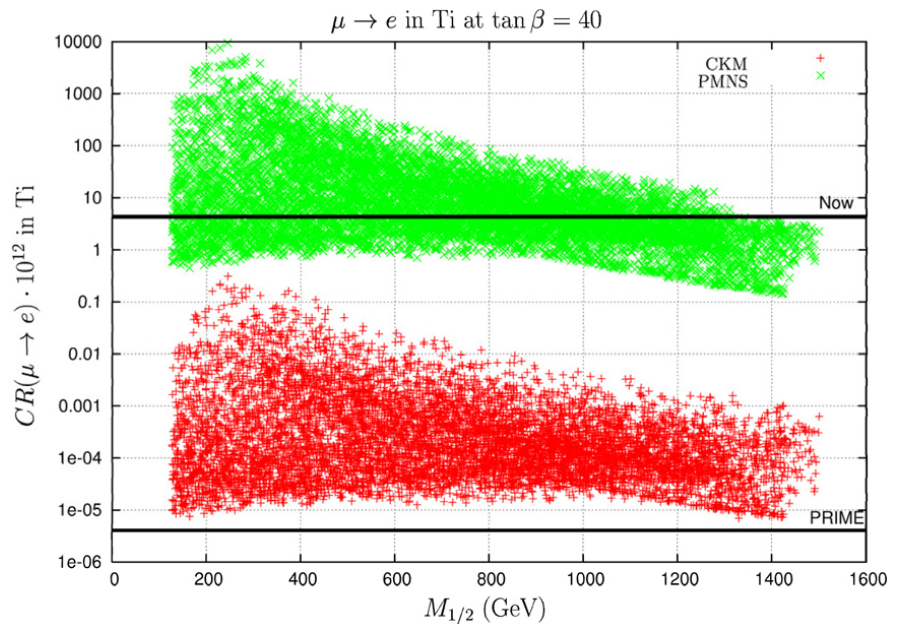
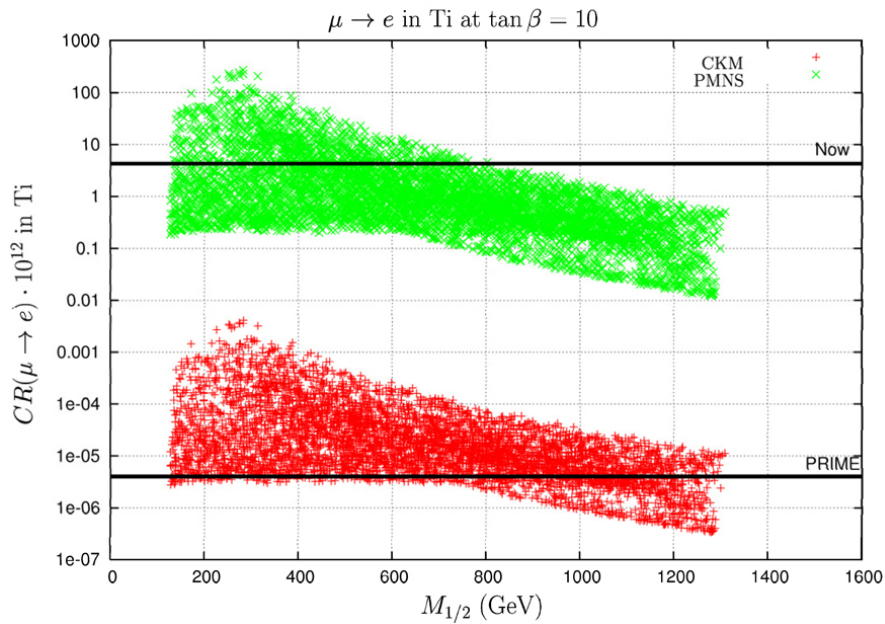


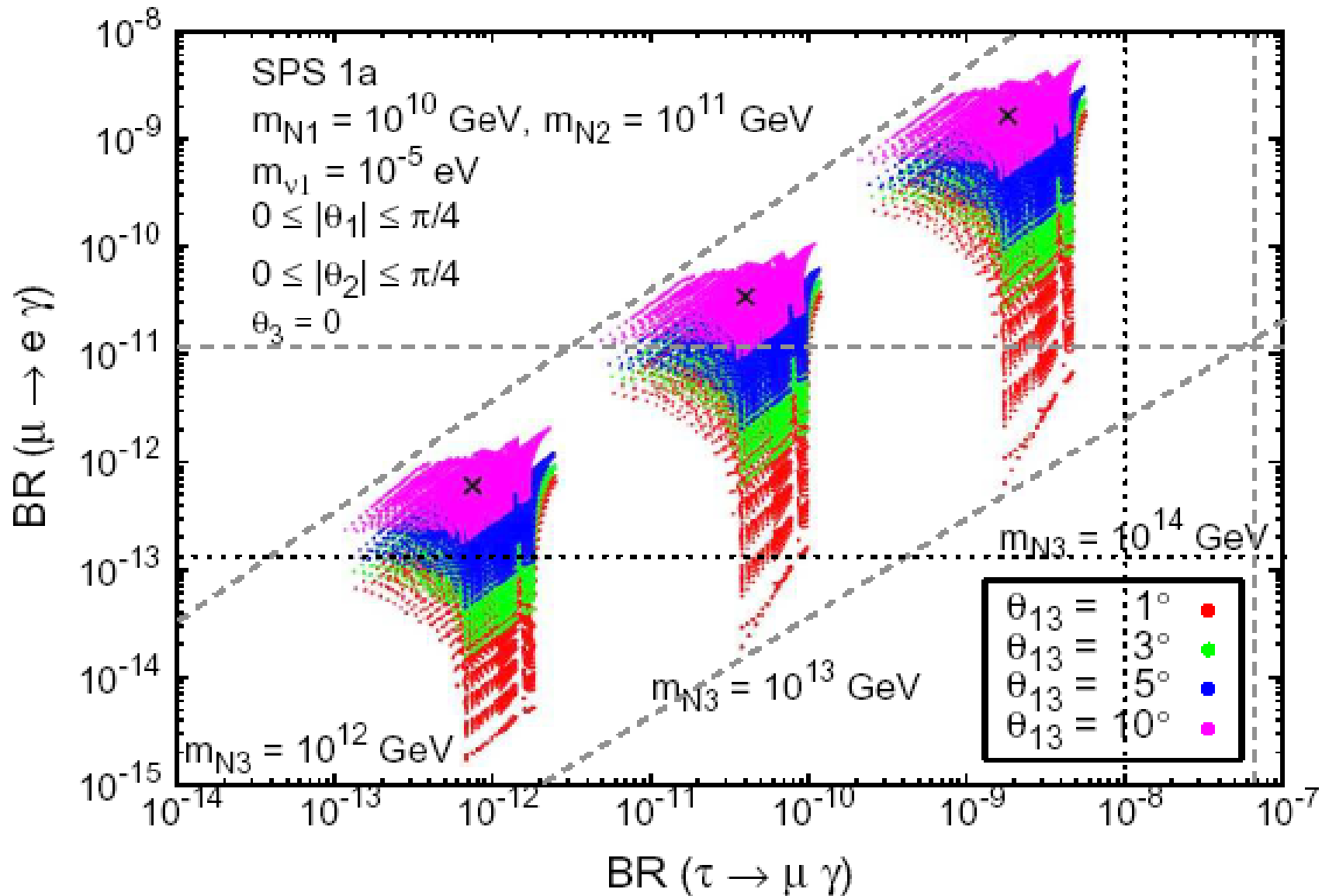
$$m_{\nu_1} = 0.001 \text{ eV}$$

$$\sin^2 2\theta_{13} = 0.04$$

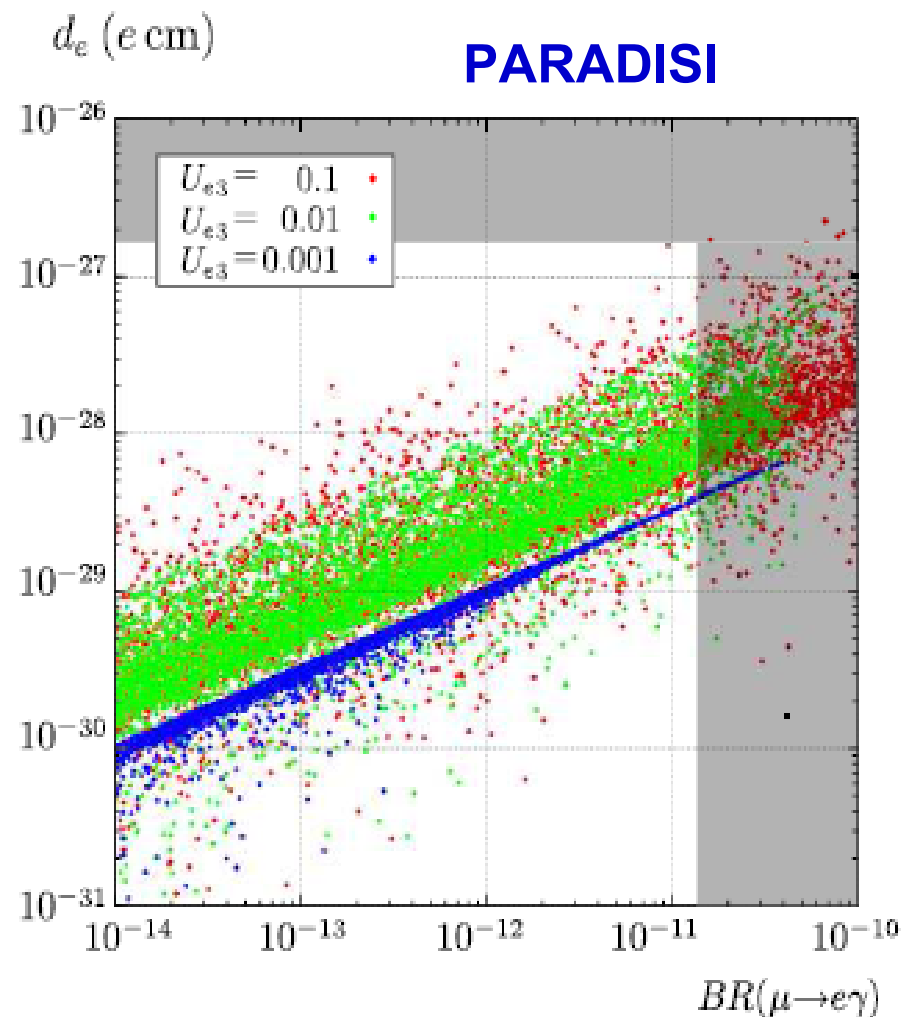
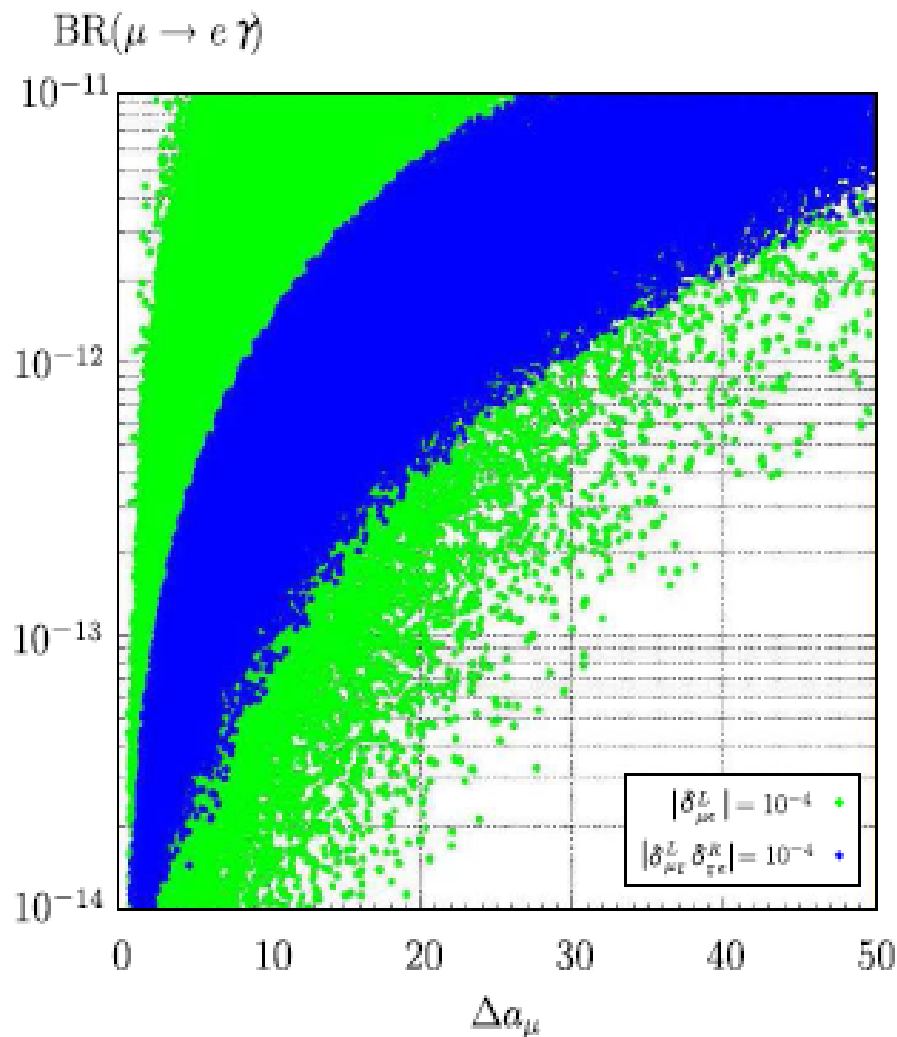
Jones at  
EPS 2011

# $\mu \rightarrow e$ in Ti and **PRISM/PRIME** conversion experiment





# **LFV, $g - 2$ , EDM:** a promising correlation in SUSY SEESAW



# DEVIATION from $\mu - e$ UNIVERSALITY

A.M., Paradisi, Petronzio

- Denoting by  $\Delta r_{NP}^{e-\mu}$  the deviation from  $\mu - e$  universality in  $R_{K,\pi}$  due to new physics, i.e.:

$$R_{K,\pi} = R_{K,\pi}^{SM} \left( 1 + \Delta r_{K,\pi}^{e-\mu} NP \right),$$

- we get at the  $2\sigma$  level:


$$-0.063 \leq \Delta r_{K}^{e-\mu} NP \leq 0.017 \quad \text{NA48/2}$$

$$-0.0107 \leq \Delta r_{\pi}^{e-\mu} NP \leq 0.0022 \quad \text{PDG}$$

**Presently:** error on  $R_K$  down to the **1% level** ( KLOE (09) and NA48 (07 data));using 40% of the data collected in 08, NA62 is now decreasing the uncertainty at the **0.7% level**

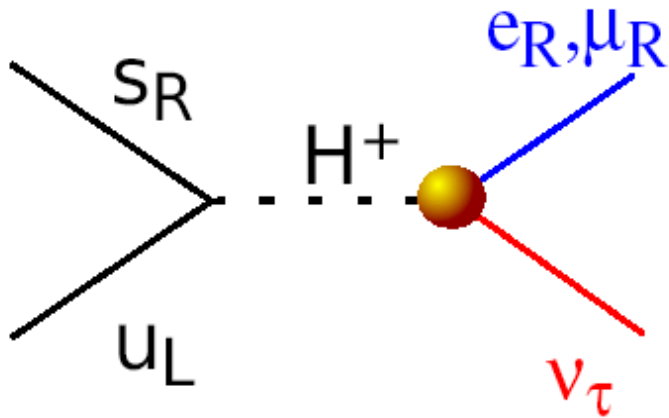
**Prospects:** Summer conf. we'll have the result concerning the 40% data analysis by NA62 and when the analysis of the whole sample of data is accomplished **the stat. uncertainty will be < 0.3%**

# HIGGS-MEDIATED LFV COUPLINGS

- When **non-holomorphic terms** are generated by loop effects ( HRS corrections)
- And a **source of LFV** among the sleptons is present
-  **Higgs-mediated (radiatively induced) H-lepton-lepton LFV couplings arise**  
Babu, Kolda; Sher; Kitano, Koike, Komine, Okada; Dedes, Ellis, Raidal; Brignole, Rossi; Arganda, Curiel, Herrero, Temes; Paradisi; Brignole, Rossi

# H mediated LFV SUSY contributions to $R_K$

$$R_K^{LFV} = \frac{\sum_i K \rightarrow e\nu_i}{\sum_i K \rightarrow \mu\nu_i} \simeq \frac{\Gamma_{SM}(K \rightarrow e\nu_e) + \Gamma(K \rightarrow e\nu_\tau)}{\Gamma_{SM}(K \rightarrow \mu\nu_\mu)}, \quad i = e, \mu, \tau$$



$$eH^\pm \nu_\tau \rightarrow \frac{g_2}{\sqrt{2}} \frac{m_\tau}{M_W} \Delta_R^{31} \tan^2 \beta$$

$$\Delta_R^{31} \sim \frac{\alpha_2}{4\pi} \delta_{RR}^{31}$$

$$\Delta_R^{31} \sim 5 \cdot 10^{-4} \quad t_\beta = 40 \quad M_{H^\pm} = 500 \text{ GeV}$$

$$\Delta r_K^{e-\mu} \simeq \left( \frac{m_K^4}{M_{H^\pm}^4} \right) \left( \frac{m_\tau^2}{m_e^2} \right) |\Delta_R^{31}|^2 \tan^6 \beta \approx 10^{-2}$$

Extension to  $B \rightarrow l\nu$  deviation from universality  
Isidori, Paradisi



## LFU breaking occurs with LFV

LFU breaking occurs in a **LF conserving** case because of the splitting in slepton masses

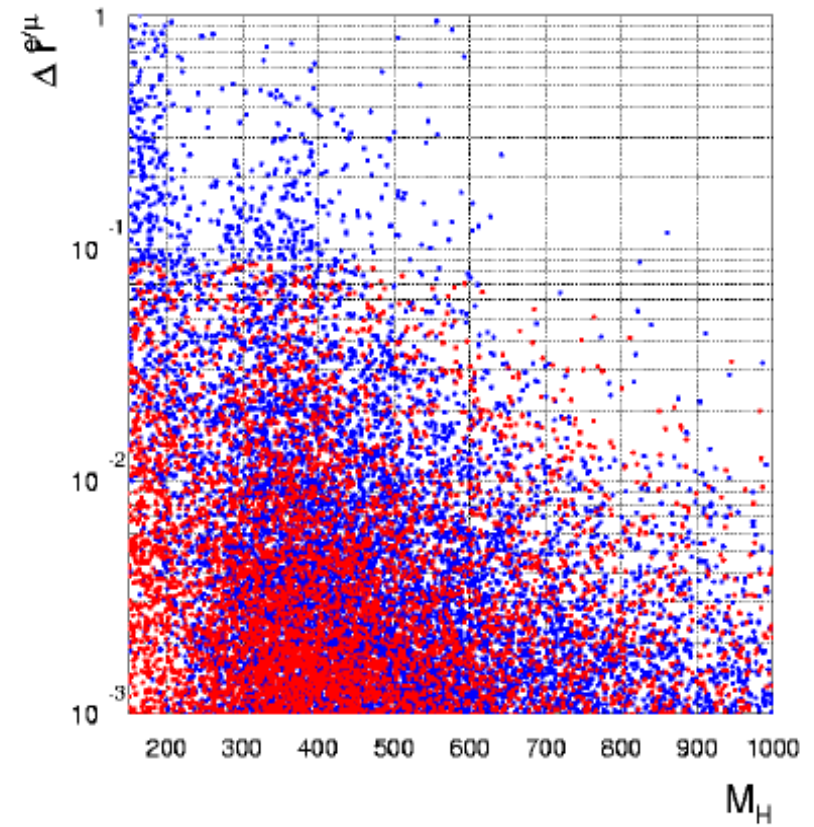
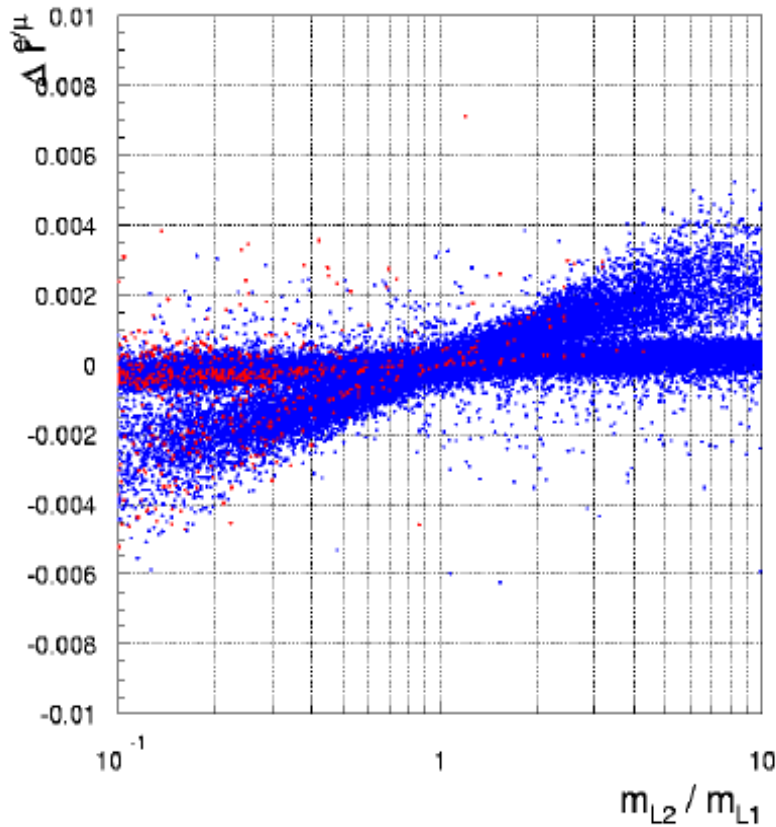


Figure 2: Left:  $\Delta r_K^{e/\mu}$  as a function of the mass splitting between the second and the first (left-handed) slepton generations. Red dots can saturate the  $(g - 2)_\mu$  discrepancy at the 95% C.L., i.e.  $1 \times 10^{-9} < (g - 2)_\mu < 5 \times 10^{-9}$ . Right:  $\Delta r_K^{e/\mu}$  as a function of  $M_{H+}$ .

# SUSY GUTs

- UV COMPLETION OF THE SM TO STABILIZE THE ELW. SCALE:

**LOW-ENERGY  
SUSY**

TREND OF UNIFICATION OF THE SM GAUGE COUPLINGS AT HIGH SCALE:

**GUTs**

# Large $\nu$ mixing $\leftrightarrow$ large b-s transitions in SUSY GUTs

In SU(5)  $d_R \leftrightarrow l_L$  connection in the 5-plet  
Large  $(\Delta^l_{23})_{LL}$  induced by large  $f_\nu$  of  $O(f_{top})$   
is accompanied by large  $(\Delta^d_{23})_{RR}$

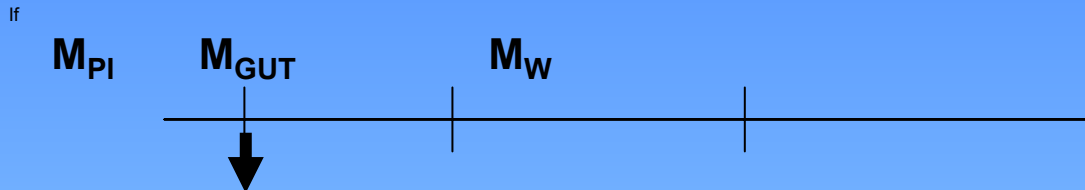
In **SU(5)** assume large  $f_\nu$  (Moroi)

In **SO(10)**  $f_\nu$  large because of an underlying Pati-Salam symmetry

(**Darwin Chang**, A.M., Murayama)

See also: Akama, Kiyo, Komine, Moroi; Hisano, Moroi, Tobe, Yamaguchi, Yanagida; Hisano, Nomura; Kitano, Koike, Komine, Okada

# FCNC HADRON-LEPTON CONNECTION IN SUSYGUT



soft **SUSY breaking terms** arise  
at a scale  $> M_{GUT}$ , they have to **respect**  
**the underlying quark-lepton GU symmetry**

constraints on  $\delta^{quark}$  **from LFV** and  
constraints on  $\delta^{lepton}$  **from hadronic FCNC**

Ciuchini, A.M., Silvestrini, Vempati, Vives PRL 2004

general analysis **Ciuchini, A.M., Paradisi, Silvestrini, Vempati, Vives** NPB 2007

For previous works: Baek, Goto, Okada, Okumura PRD 2001;

Hisano, Shimizu, PLB 2003;

Cheung, Kang, Kim, Lee PLB 2007

Borzumati, Mishima, Yamashita hep-ph 0705:2664

For recent works: Goto, Okada, Shindou, Tanaka PRD 2008;

Ko, J-h. Park, Yamaguchi arXiv:0809:2784

# GUT -RELATED SUSY SOFT BREAKING TERMS

$$m_Q^2 = m_{\tilde{e}^c}^2 = m_{\tilde{u}^c}^2 = m_{10}^2$$

$$m_{\tilde{d}^c}^2 = m_L^2 = m_{\frac{2}{5}}^2$$

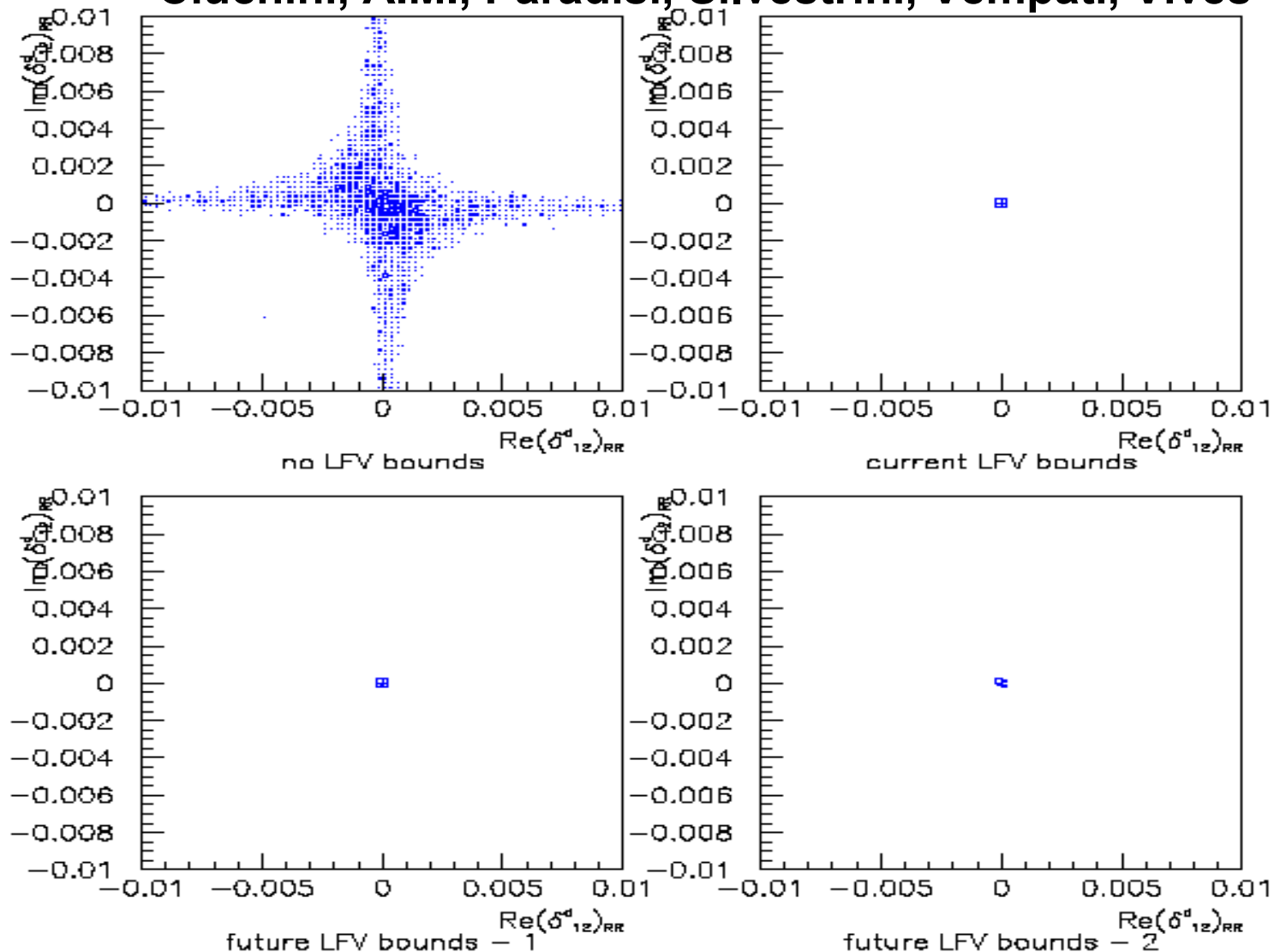
$$A_{ij}^e = A_{ji}^d.$$

SU(5) RELATIONS

	Relations at weak-scale	Relations at $M_{\text{GUT}}$
(1)	$(\delta_{ij}^u)_{\text{RR}} \approx (m_{e^c}^2/m_{u^c}^2) (\delta_{ij}^l)_{\text{RR}}$	$m_{u^c_0}^2 = m_{e^c_0}^2$
(2)	$(\delta_{ij}^q)_{\text{LL}} \approx (m_{e^c}^2/m_Q^2) (\delta_{ij}^l)_{\text{RR}}$	$m_{Q_0}^2 = m_{e^c_0}^2$
(3)	$(\delta_{ij}^d)_{\text{RR}} \approx (m_L^2/m_{d^c}^2) (\delta_{ij}^l)_{\text{LL}}$	$m_{d^c_0}^2 = m_{L_0}^2$
(4)	$(\delta_{ij}^d)_{\text{LR}} \approx (m_{L_{\text{avg}}}^2/m_{Q_{\text{avg}}}^2) (m_b/m_\tau) (\delta_{ij}^l)^*_{\text{LR}}$	$A_{ij_0}^e = A_{ji_0}^d$

# Bounds on the hadronic $(\delta_{12})_{RR}$ as modified by the inclusion of the LFV correlated bound

Ciuchini, A.M., Paradisi, Silvestrini, Vempati, Vives



# 3 QUESTIONS

- Are we sure that there is new physics (NP) at the TeV scale? **YES** (barring an anthropic approach)
- If yes, are we sure that LHC will see something “new”, i.e. beyond the SM with its “standard higgs boson”? **YES**
- If there is new physics at the TeV scale, what can flavor and DM physics tell to LHC and viceversa? (or, putting it in a less politically correct fashion: if LHC starts seeing some new physics signals, are flavor and DM physics still a valuable road to NP, or are they definitely missing that train? **NO**, actually to catch the “right train” it is highly desirable, though maybe strictly not necessary, to make use of **all the three roads at the same time**

# A FUTURE FOR FLAVOR PHYSICS IN OUR SEARCH BEYOND THE SM?

- The traditional **competition** between direct and indirect (FCNC, CPV) searches to establish who is going **to see the new physics first** is no longer the priority, rather
- **COMPLEMENTARITY** between direct and indirect searches for New Physics is the key-word
- Twofold meaning of such complementarity:
  - i) **synergy in “reconstructing” the “fundamental theory”** staying behind the signatures of NP;
  - ii) **coverage of complementary areas of the NP parameter space** ( ex.: multi-TeV SUSY physics)