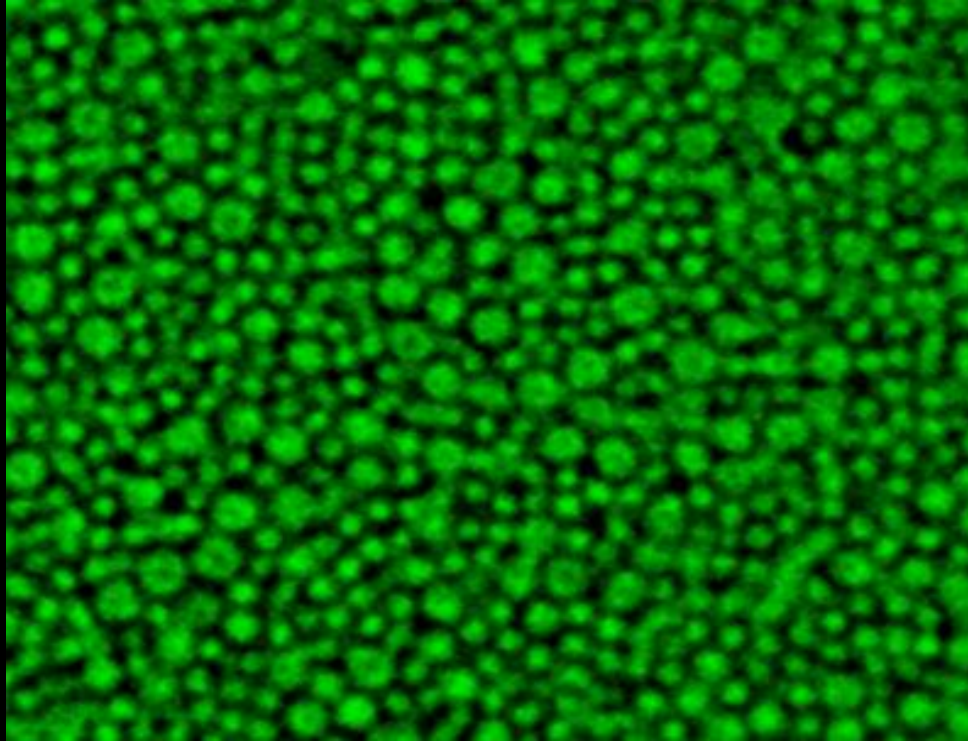
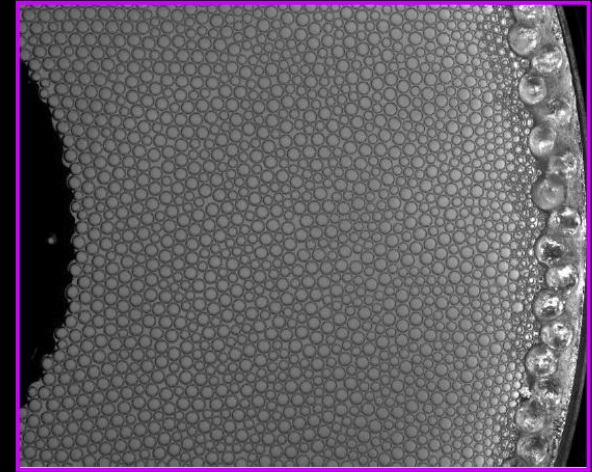


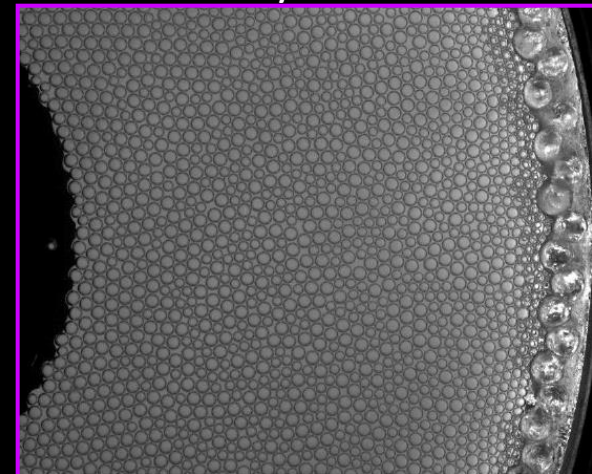
Direct Experimental Evidence of Encoding and Retrieving Mechanical Memory in Sheared Amorphous Solids



No memory encoded



Memory encoded



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Bangalore, India

Acknowledgements



Srimayee Mukherji
(PhD Student, JNCASR)



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(MS Student JNCASR, Now at Univ. of Oslo)

Earlier experiments on 3D colloidal glasses Under oscillatory shear:

Dr. Hima Nagamanasa (IBS Seoul)

Dr. Shreyas Gokhale (MIT)

Prof. Rajesh Ganapathy (JNCASR)



Rajesh Ganapathy
(JNCASR)

Nature (2005)

LETTERS

Chaos and threshold for irreversibility in sheared suspensions

D. J. Pine^{1,2}, J. P. Gollub^{1,3}, J. F. Brady⁴ & A. M. Leshansky⁵

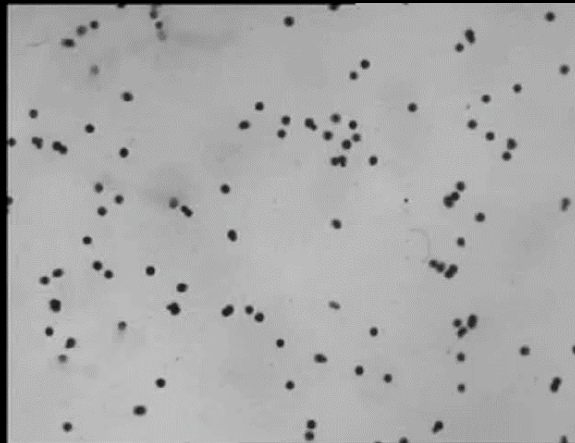
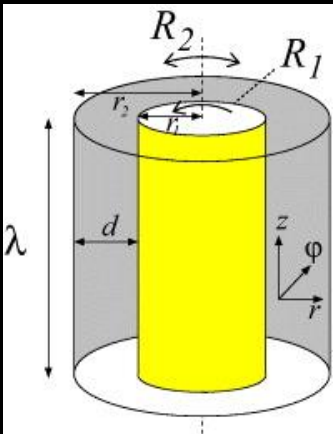
ARTICLES

Random organization in periodically driven systems

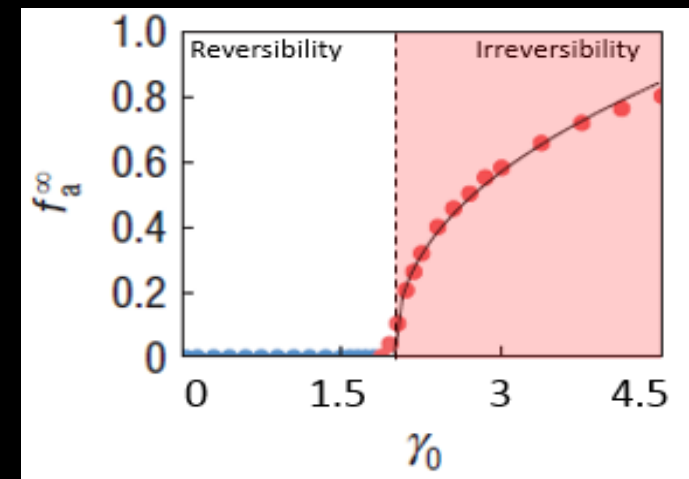
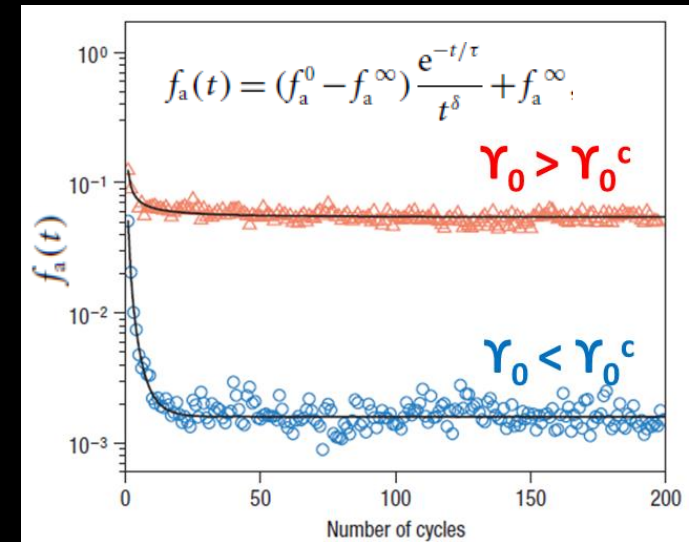
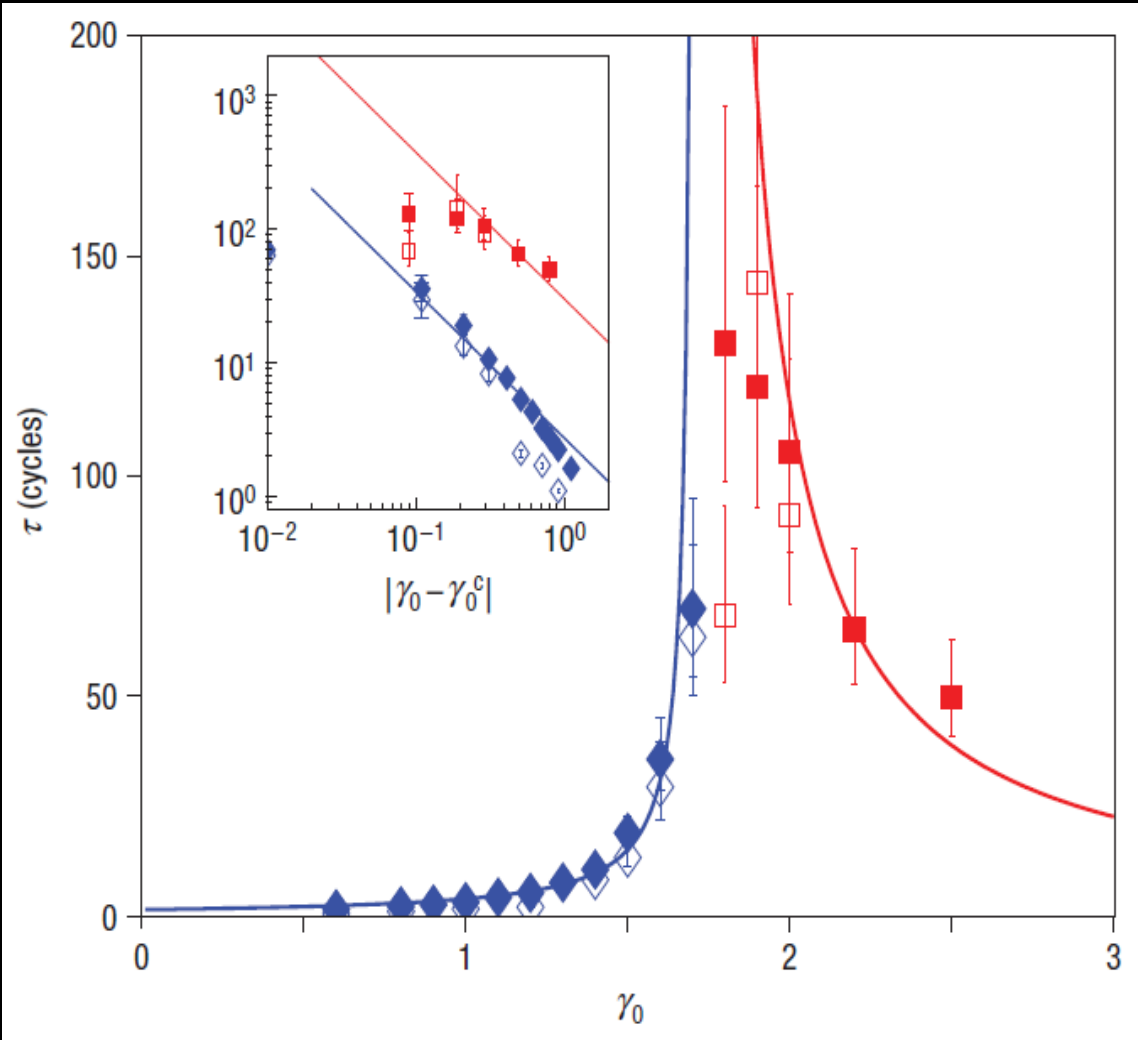
LAURENT CORTÉ¹, P. M. CHAIKIN¹, J. P. GOLLUB² AND D. J. PINE^{1*}

nature physics | VOL 4 | MAY 2008 |

$$\gamma(t) = \gamma_0 \sin(\omega t)$$



Random Organization & Basis for Mechanical Memory



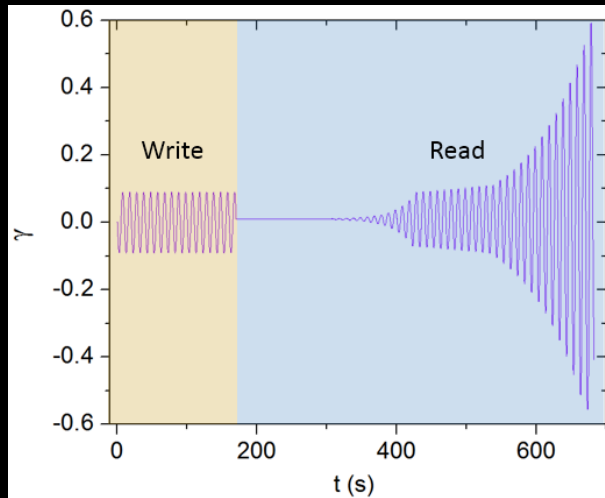
- Irreversibility onset – Non-equilibrium phase transition from an absorbing state to a fluctuating steady state
- System adapts to a particular strain

Mechanical Memory – Dilute Suspensions

PRL 107, 010603 (2011)

PHYSICAL REVIEW LETTERS

week ending
1 JULY 2011

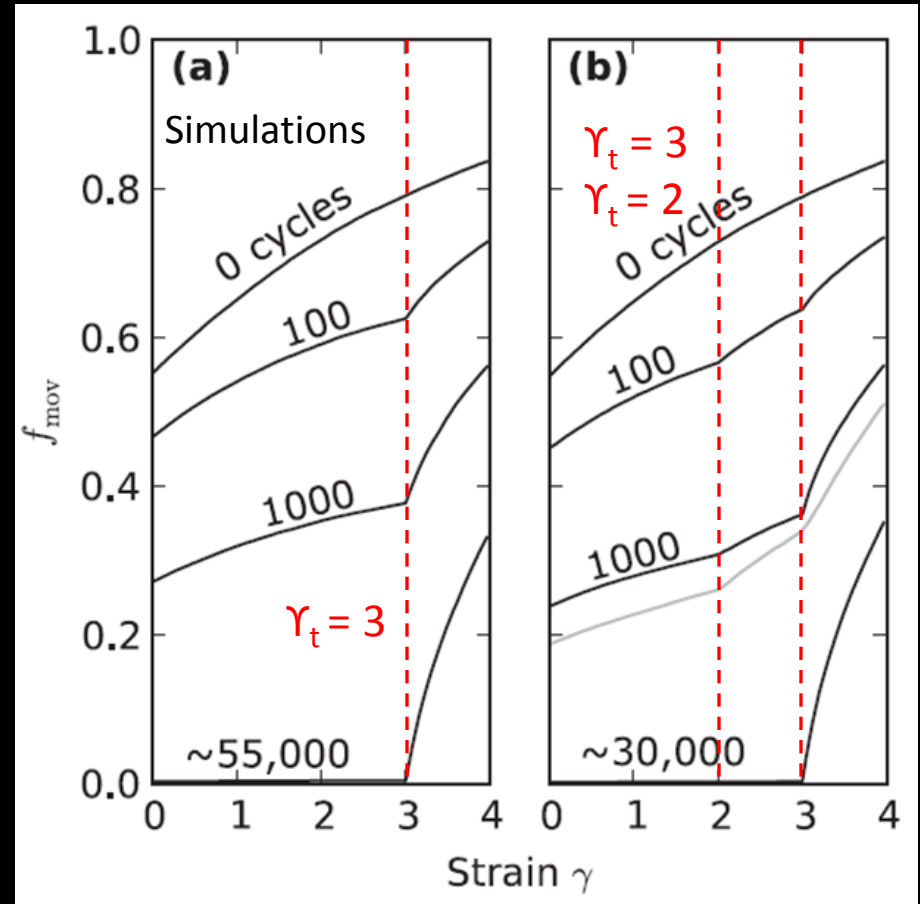


Reading memory

Done by applying one cycle of shear of each strain amplitude across γ_t

Noise stabilizes multiple memories.

cycles. Grey line: memory of both values remains after 10^5 cycles when the system is stabilized by noise ($\epsilon_{\text{noise}} = 0.006$).



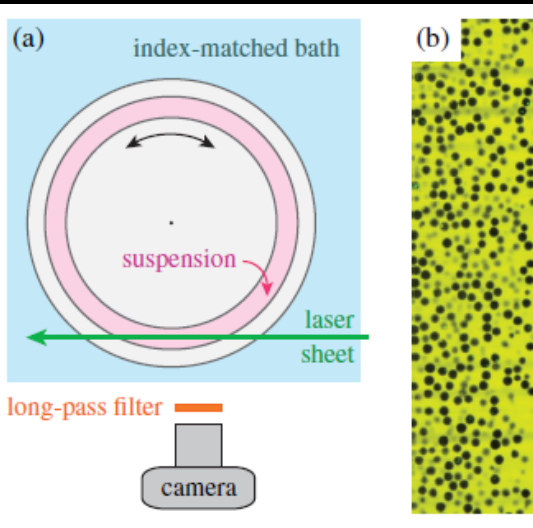
In (b) , Two memories.

(b) With dual training values, $\gamma_1 = 3.0$ and $\gamma_2 = 2.0$, (pattern: $\gamma_1, \gamma_2, \gamma_2, \gamma_2, \gamma_2, \gamma_2$, repeat . . .), both values can be identified at intermediate times. The system completely self-organizes, re-

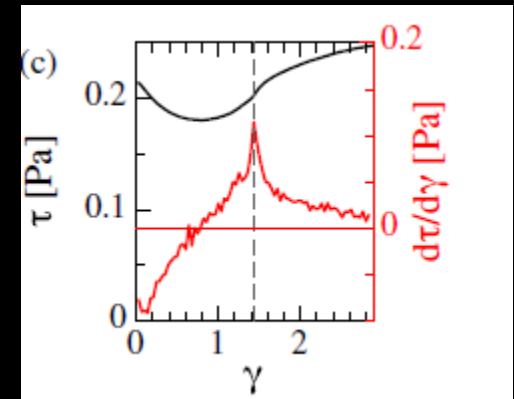
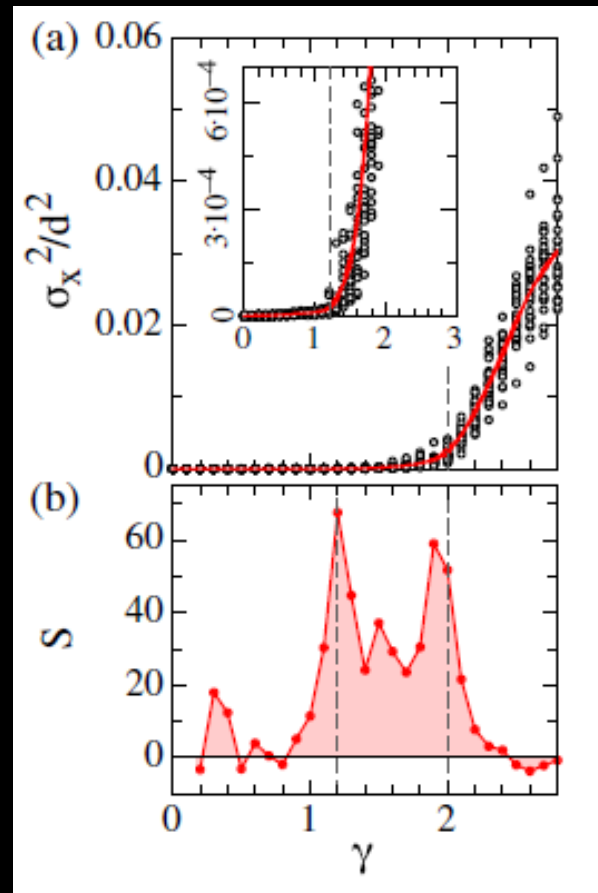


Multiple Transient Memories in Experiments on Sheared Non-Brownian Suspensions

Joseph D. Paulsen,^{1,2,4,*} Nathan C. Keim,^{3,4} and Sidney R. Nagel⁴



the particles have diameters, d , between 106 and 125 μm , with volume fraction of $\phi = 0.35$.



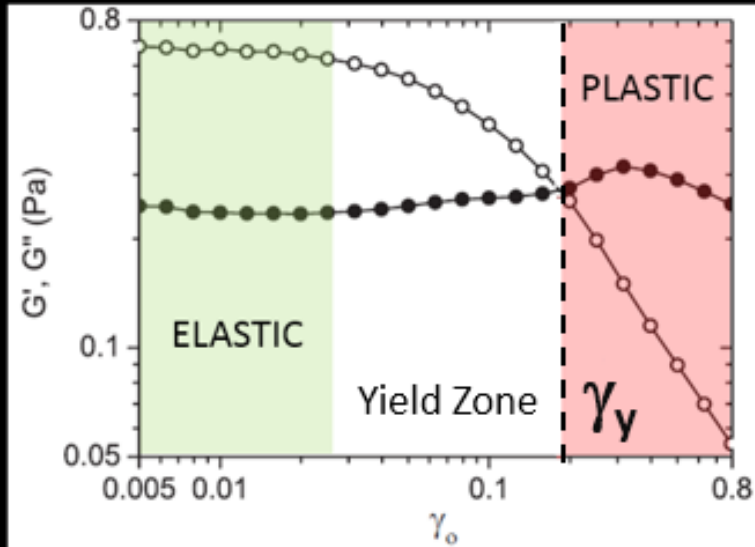
Also see Keim, Paulsen and Nagel, PRE 88,032306(2013)

FIG. 3 (color online). Multiple memories. (a) Readout of 48 independent experiments with the training sequence $\gamma = 2.0, 1.2, 1.2, 1.2, 1.2$ repeated 4 times. Points: individual runs.

Do concepts carry over to dense suspensions?

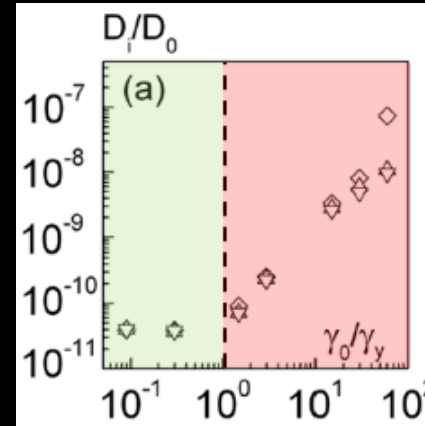
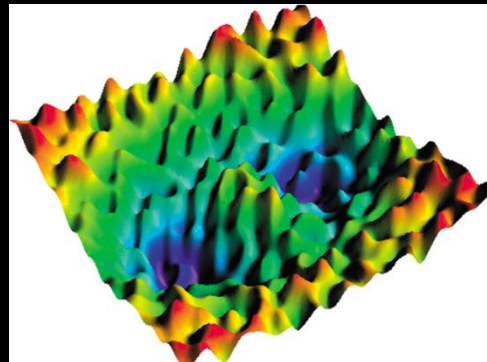
Dense Suspensions
Appearance of a yield stress

Examples: Emulsions, Foams and Suspensions



Elastic Regime – Reversible Dynamics
Plastic Regime – Irreversible Dynamics

Roughness of the energy landscape plays the role of noise

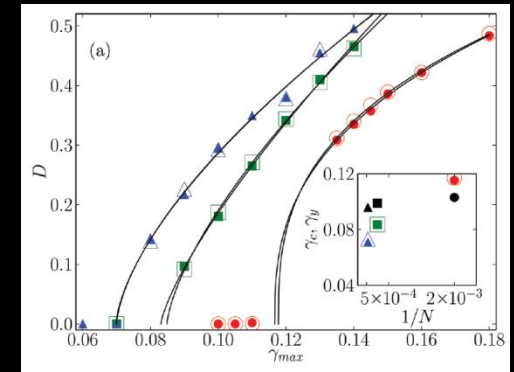


Yielding shares similarities with Random Organization

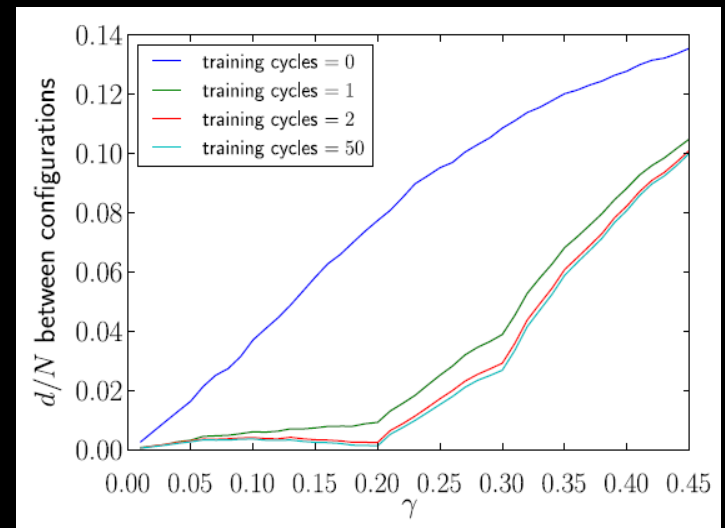
Knowlton et al., Soft Matter (2014)

Mohan et al., J of Rheology (2013)

Fiocco et al., PRE (2013)

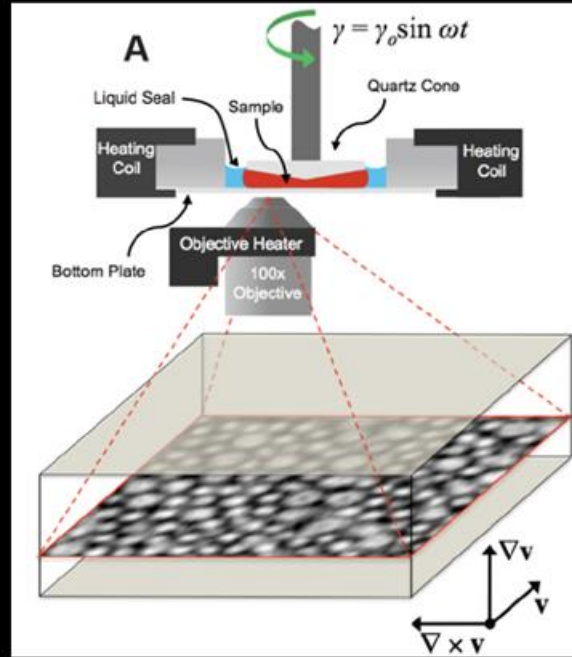
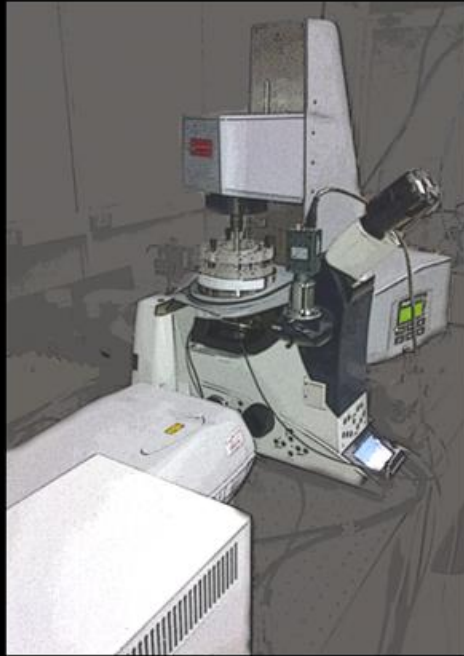


Memory in Simulations



Fiocco, Foffi and Sastry, PRL (2014)

Random Organization and Yielding in Colloidal Glasses



K.Hima Nagamanasa, S Gokhale,
A K Sood and R Ganapathy,

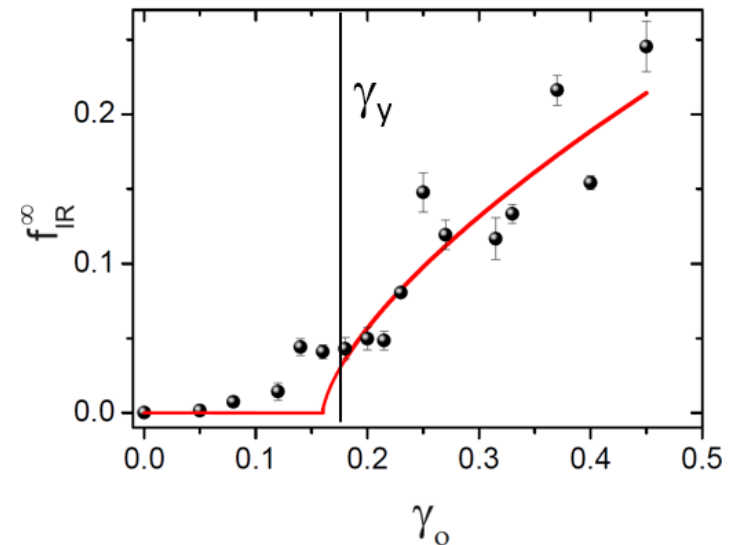
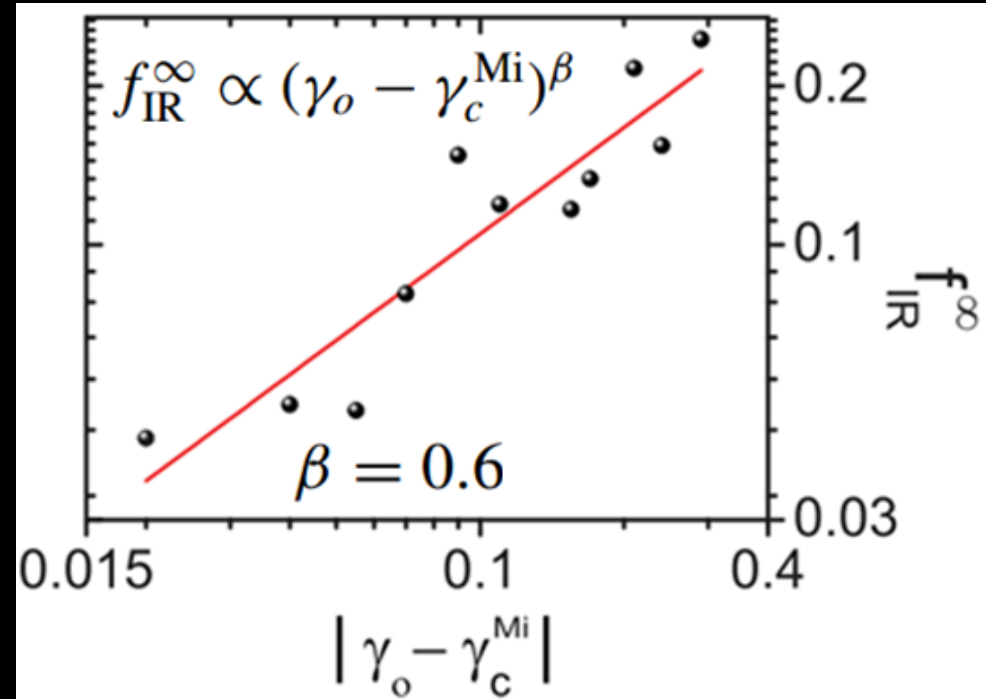
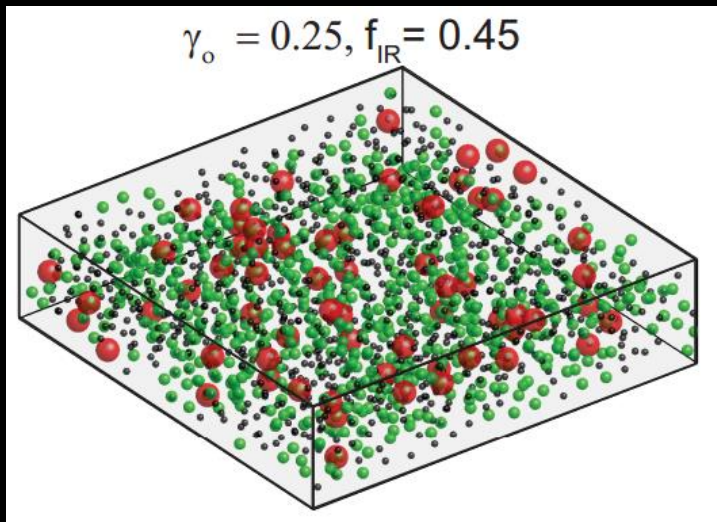
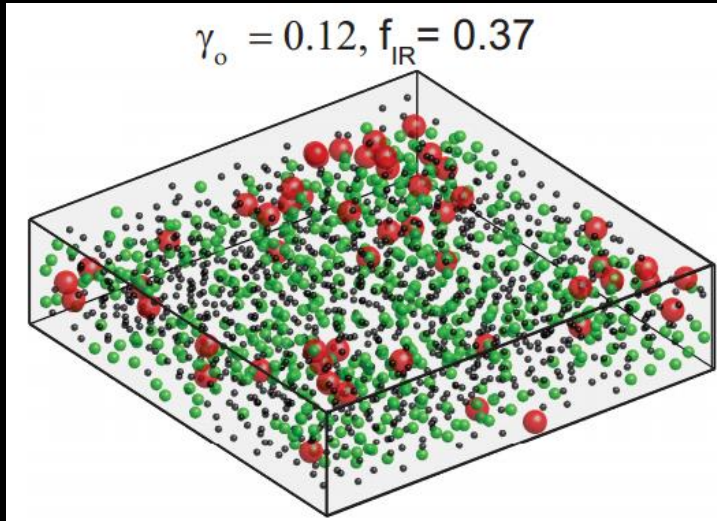
PRE 89, 062308(2014)

Binary Colloidal Glass made of
Poly N-isopropylacrylamide (PNIPAM) particles
size ($\sim 1 \mu\text{m}$)

$$n_{\text{small}} : n_{\text{big}} = 3:1 \quad R_{\text{small}} : R_{\text{big}} = 1:2$$

$$\phi_{\text{Particle}} > \phi_{\text{glass}} \quad 58\% \text{ at } 27^\circ\text{C}$$

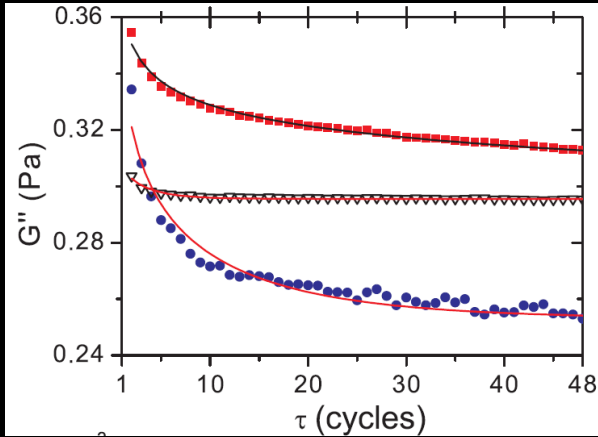
Quantifying Irreversible Yield Events (3D)



Fraction of particles (f_{IR}) that did not return to their positions after one complete oscillation cycle

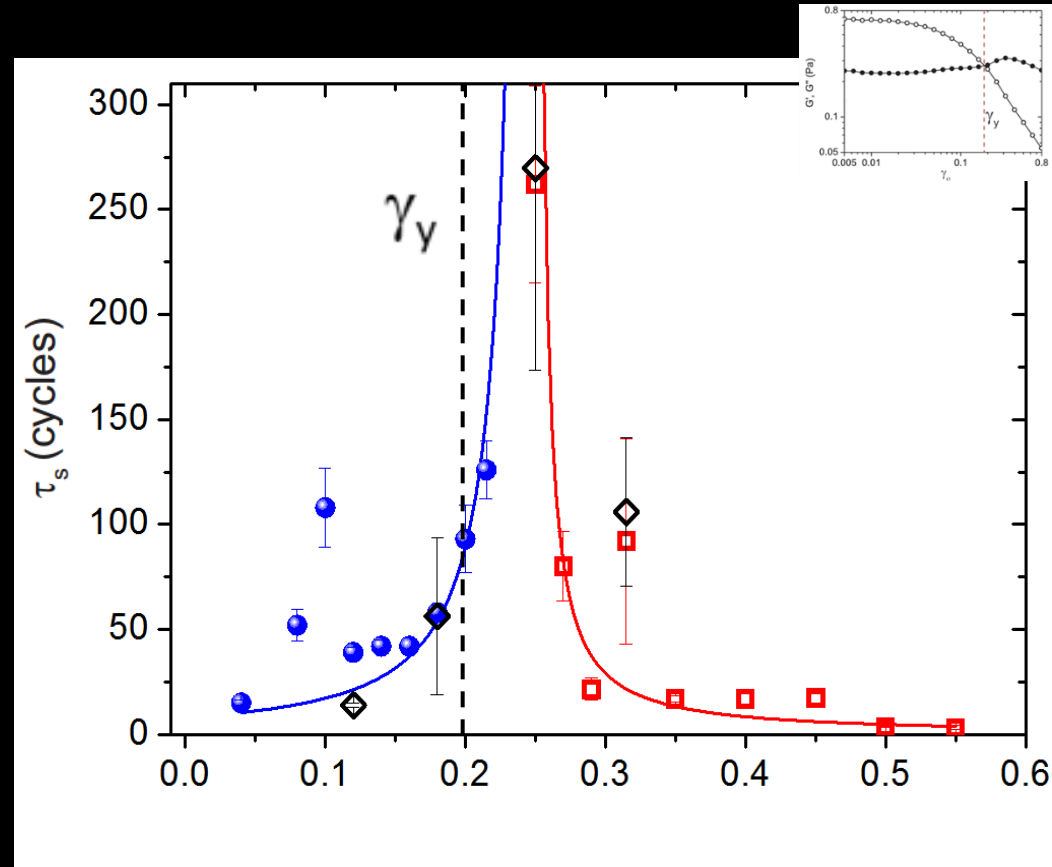
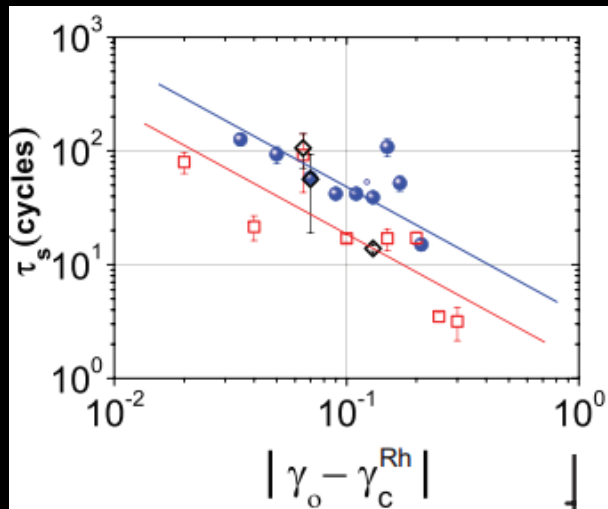
Signatures of Slowing Down Near Yield

Irreversible events lead to dissipation of energy and should also reflect in the loss modulus G''



$\gamma_o = 0.04$ (\bullet), $\gamma_o = 0.25$ (\blacksquare) and $\gamma_o = 0.45$ (∇)

$$G''(\tau) = (G''_o - G''_\infty) \frac{e^{-\tau/\tau_s}}{\tau^\delta} + G''_\infty$$



$$\tau_s \propto |\gamma_o - \gamma_c|^{-\alpha}, \text{ with } \alpha = 1.1$$

“Absorbing Phase Transition”, CDP Universality Class

Menon and Ramaswamy PRE 79, 061108 (2009)

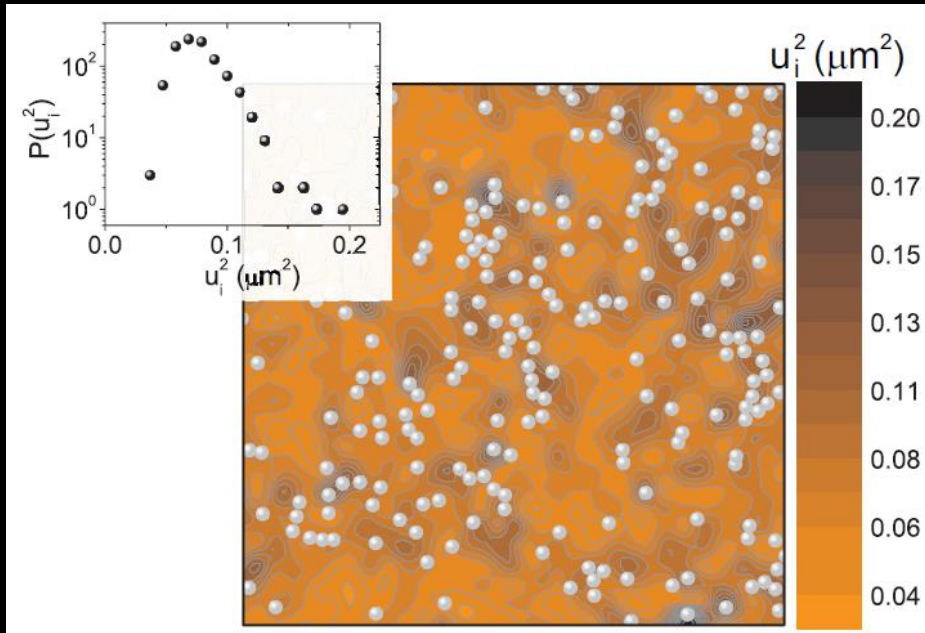
Spatial Cooperativity Near Yielding

Debye-Waller factor: mean squared deviation of a from its mean position

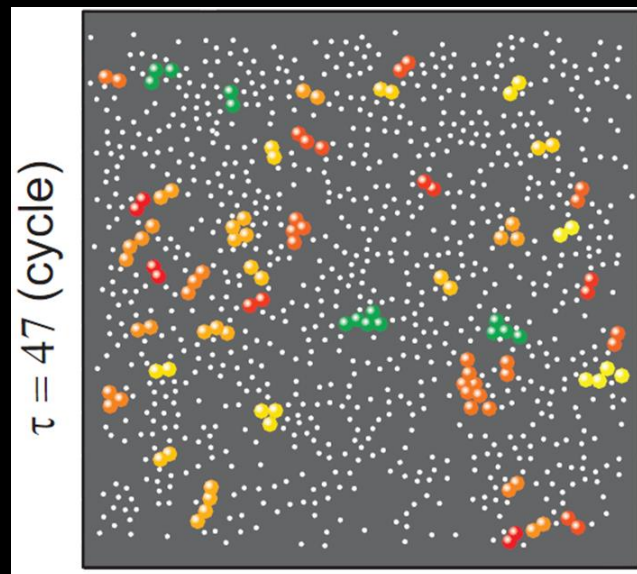
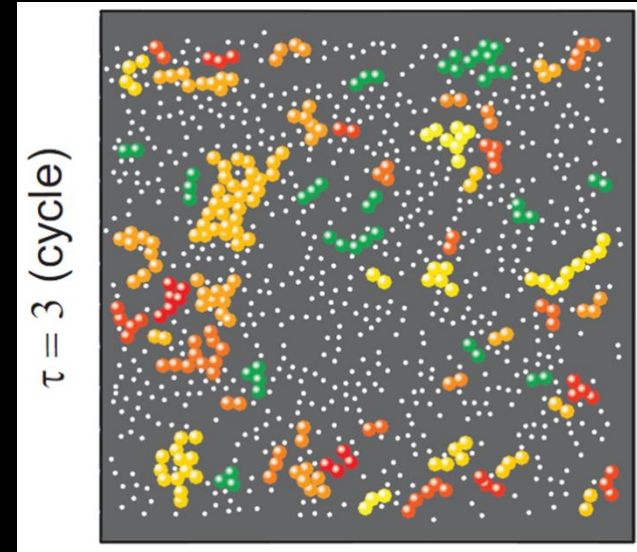
$$DW_i = \left\langle \left(\langle r_i \rangle - r_i(t) \right)^2 \right\rangle_{\text{cycle}}$$

$r_i(t)$ instantaneous displacement

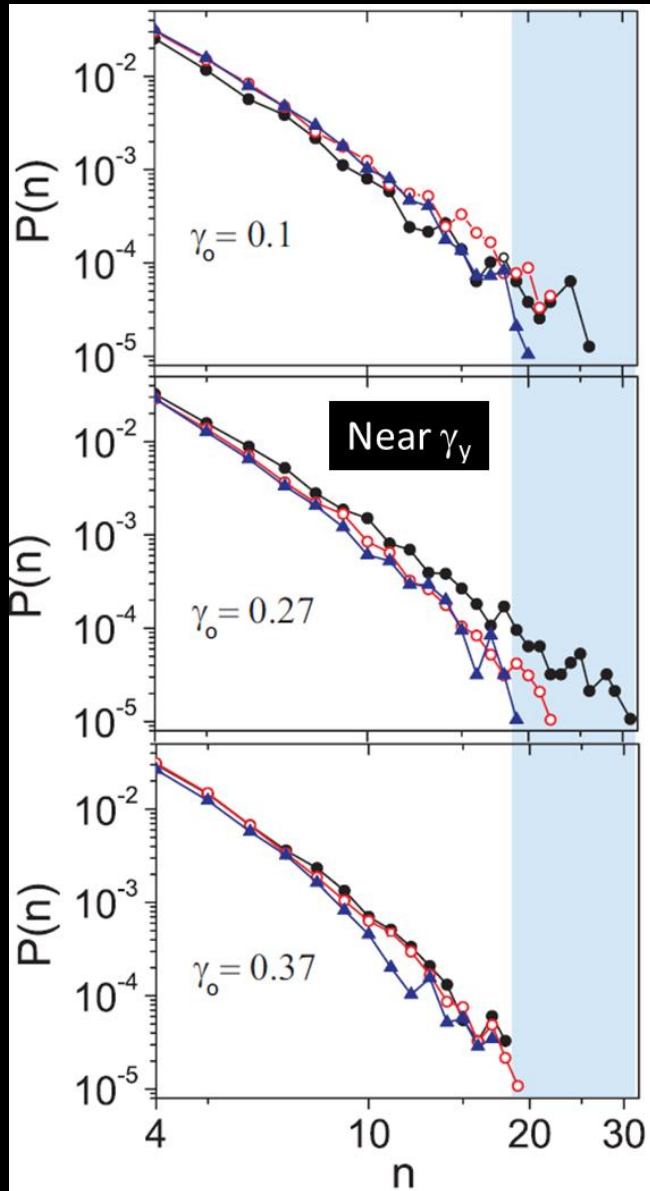
$\langle r_i \rangle$ average position of the particle



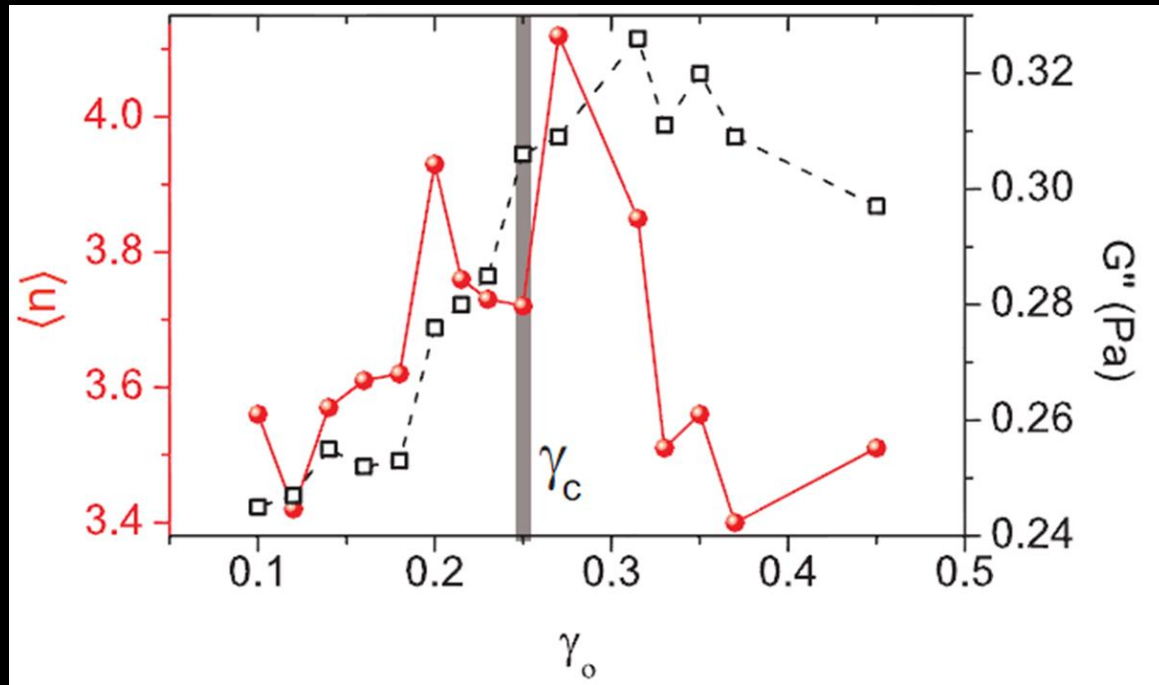
$$\gamma_0 = 0.27$$



Time Evolution of Spatial Cooperativity



$\tau = 2$ to 10 (●)
 $\tau = 20$ to 30 (○)
 $\tau = 37$ to 47 (▲)

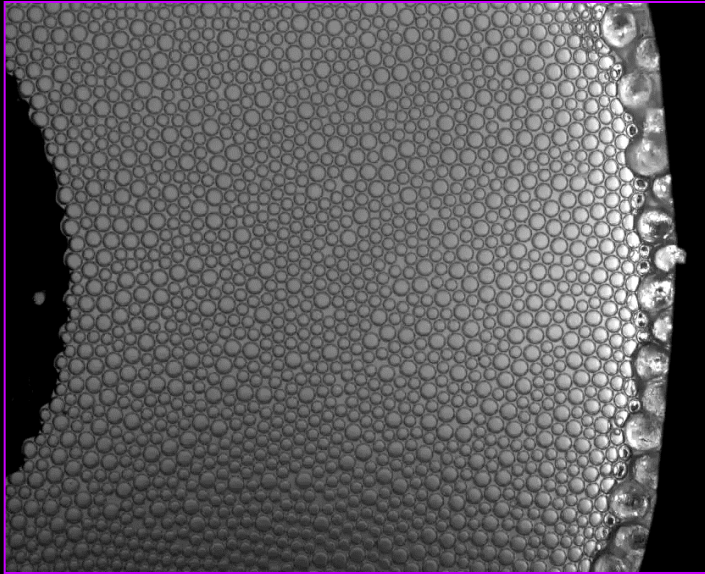


Maximal cooperative
dynamics near yielding

Questions

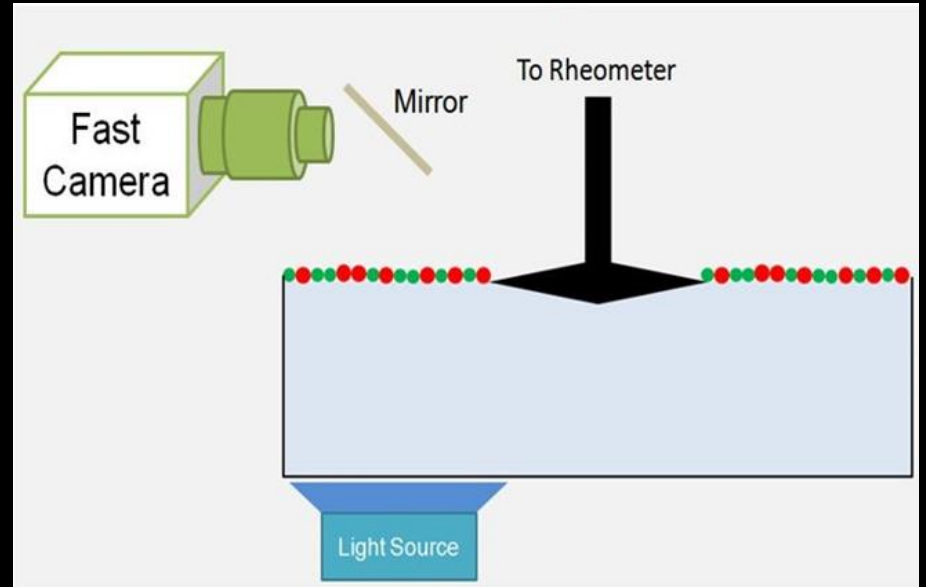
- Experimental system to directly observe memory in amorphous solids?

Experimental System – Bubble Rafts



Amorphous Solid: Bi-disperse Bubble Raft

Soft - Frictionless - Athermal Particles

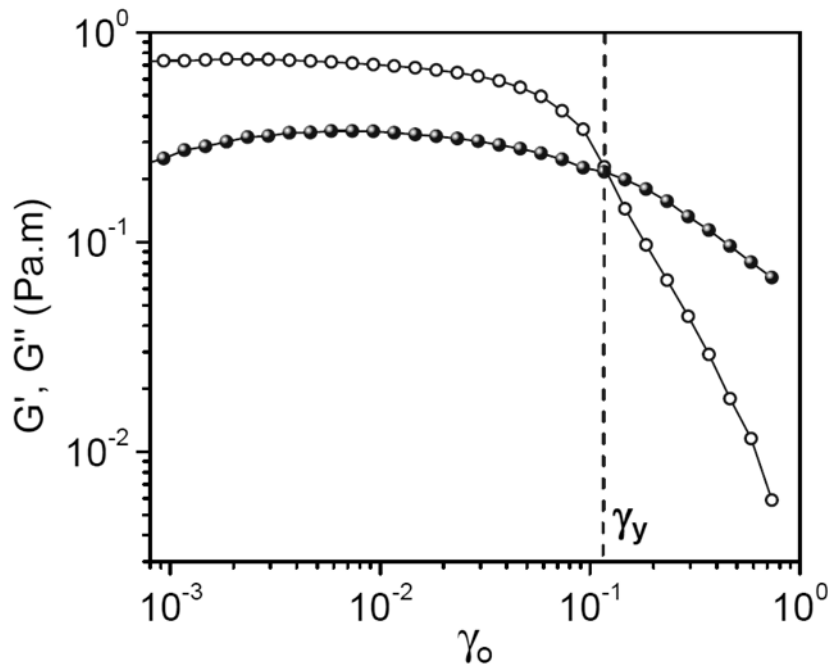


2D Couette Geometry

Area fraction – $\phi > 0.8$

Experimental Details – Bubble Rafts

$\omega = 0.5 \text{ rad/s}$



Basic characterization:

Couette geometry

Area fraction: $\phi > 0.8$

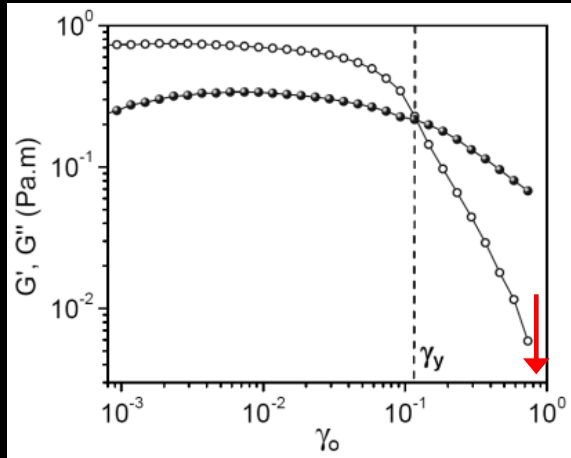
Type of raft: Bidisperse amorphous with some polydispersity

Number ratio of bubbles used: On an average for every 8 big bubbles there are 11 small bubbles in this raft.

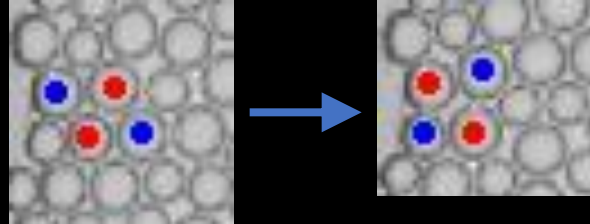
Size of bubbles: Between 1mm and 2.5mm in diameter.

Number of bubbles in the field of view: ~ 1300 .

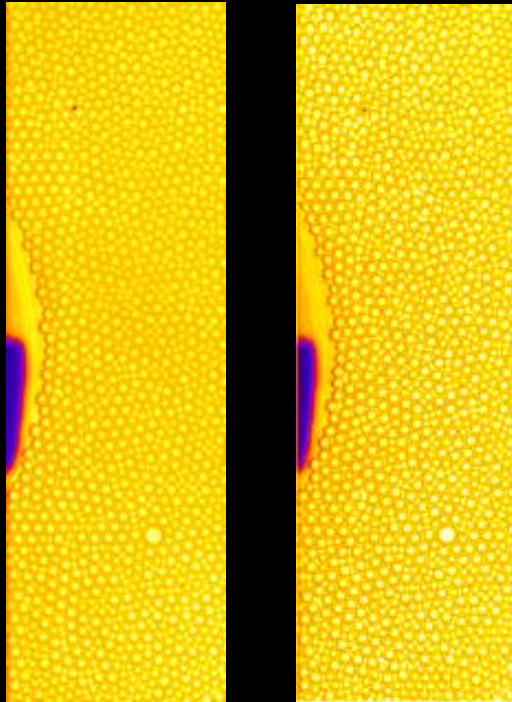
Random Organization – Athermal Amorphous Solids



Irreversible T1 Event

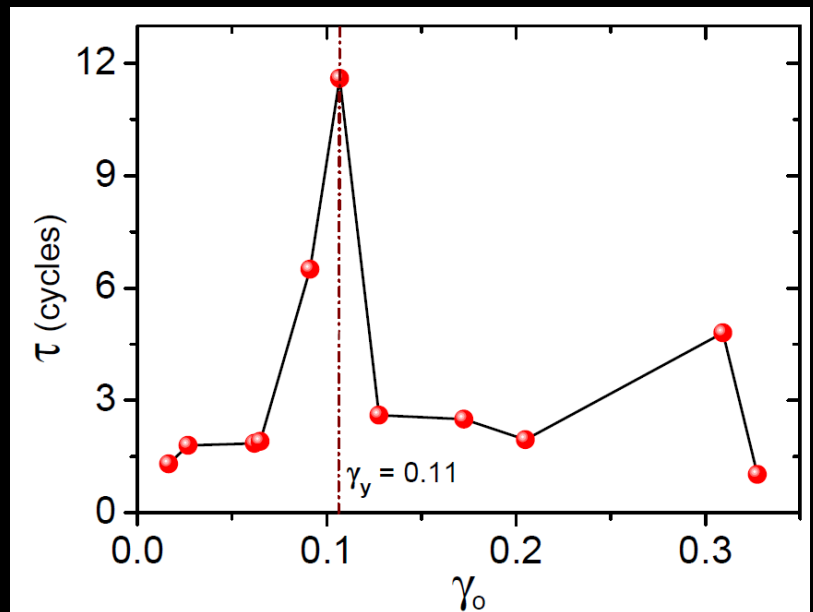
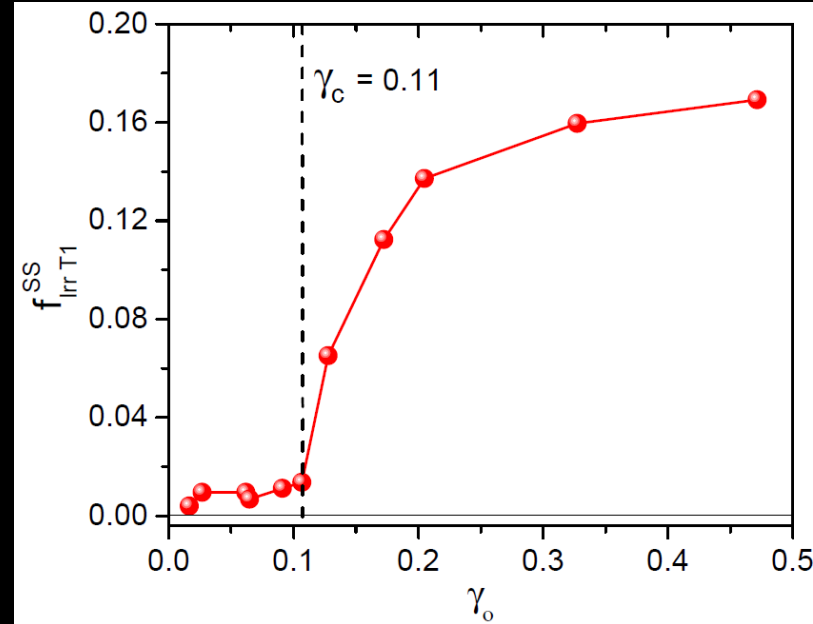
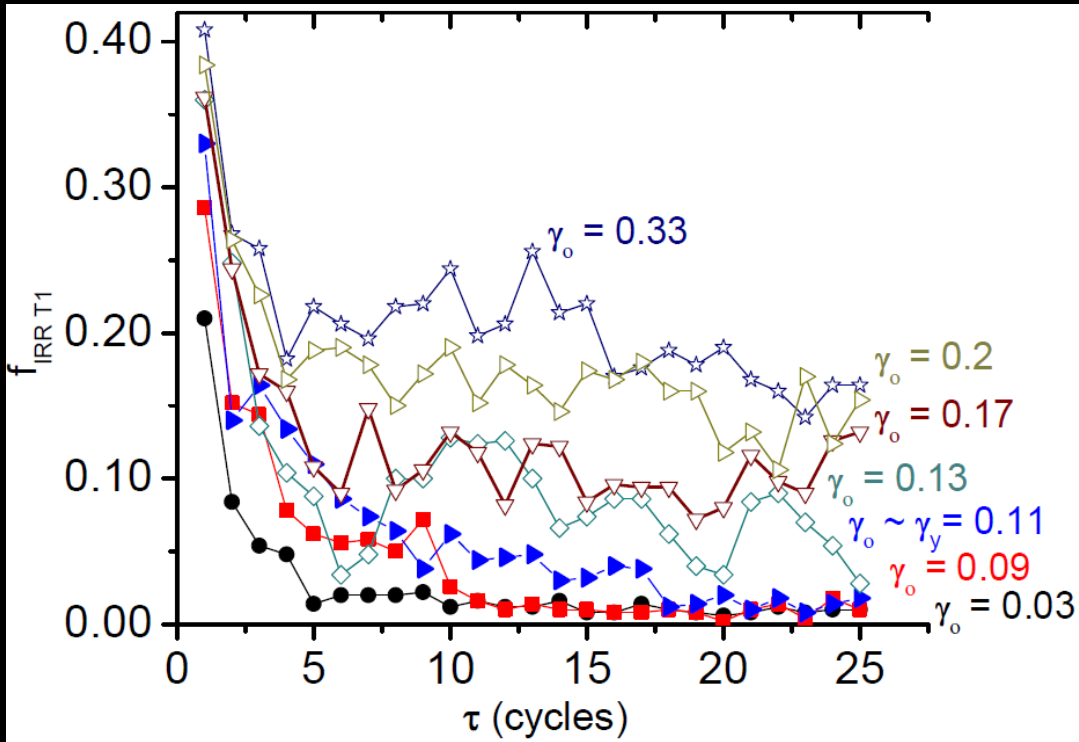


T1 events correspond to a neighbor switching event in which two neighboring bubbles lose contact, and two next nearest neighbors become neighbors .



A True “Absorbing/Reversible State” below Yield

Time Evolution of Irreversibility



Encoding and Retrieving Memory

Writing Memory

Done by applying repeated cycles of shear of the same strain amplitude γ_t

$$\text{MSD}(n) = \frac{\sum_{i=1}^N |\mathbf{R}_i(n) - \mathbf{R}_i(n-1)|^2}{N}$$

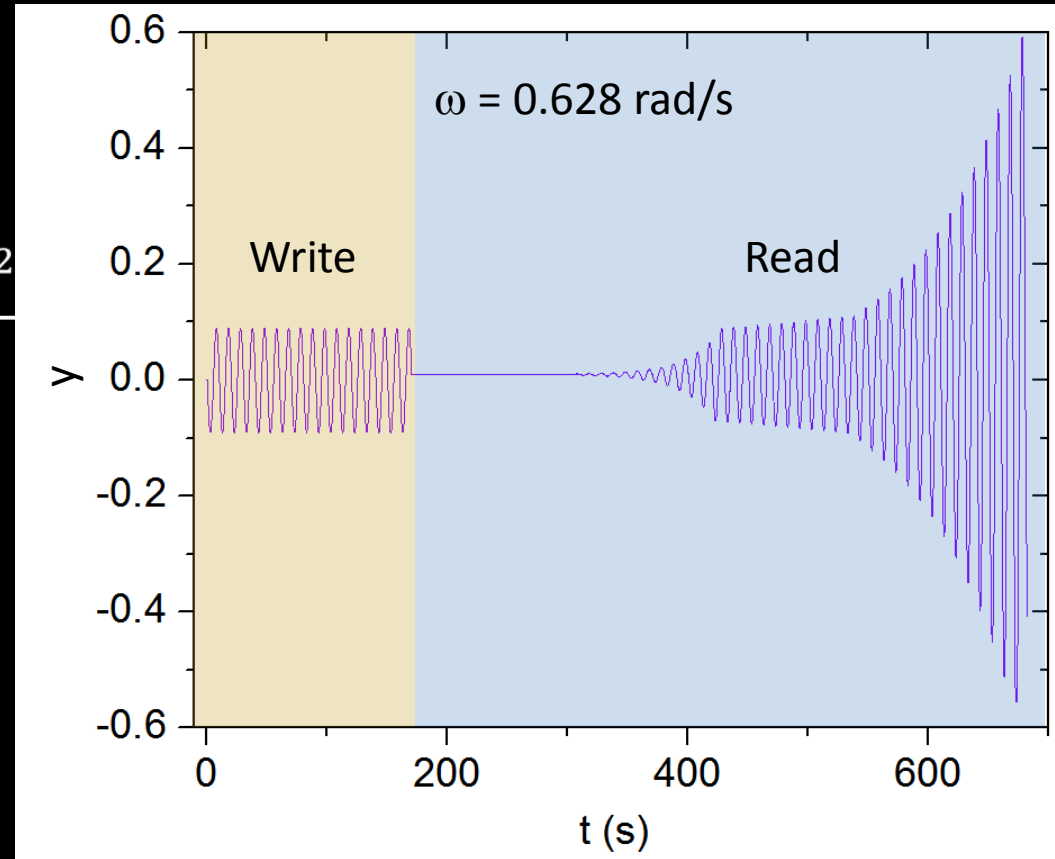
i: particle index
n: step number

MSD \propto fraction of particles that did not return at the end of a cycle

Reading memory

Done by applying one cycle of shear of each strain amplitude across γ_t

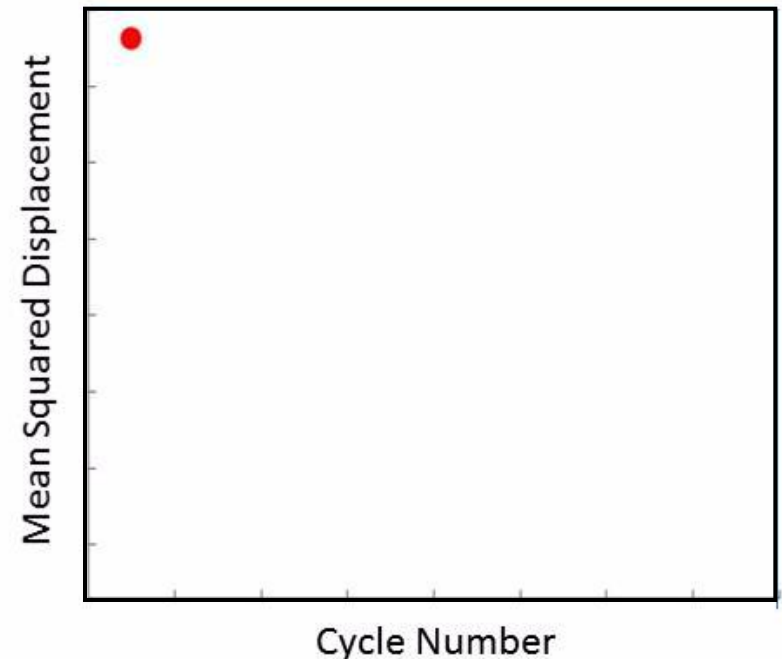
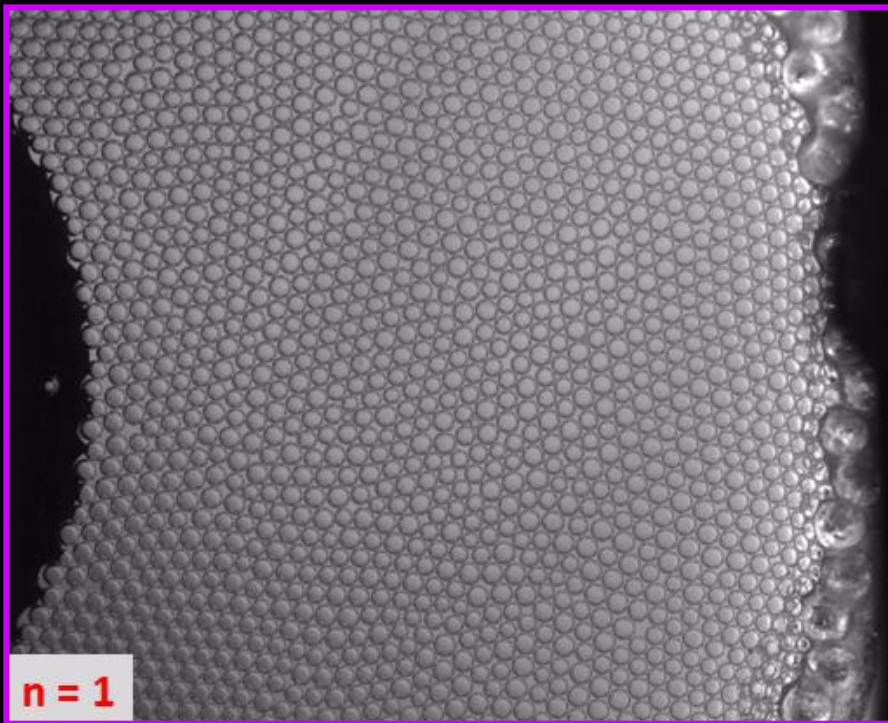
$$\text{MSD}(\gamma_0) = \frac{\sum_{i=1}^N |\mathbf{R}_i(\gamma_0 + \delta\gamma_0) - \mathbf{R}_i(\gamma_0)|^2}{N}$$



Writing Memory

$$\gamma_y = 0.06$$

Stroboscopically Viewed

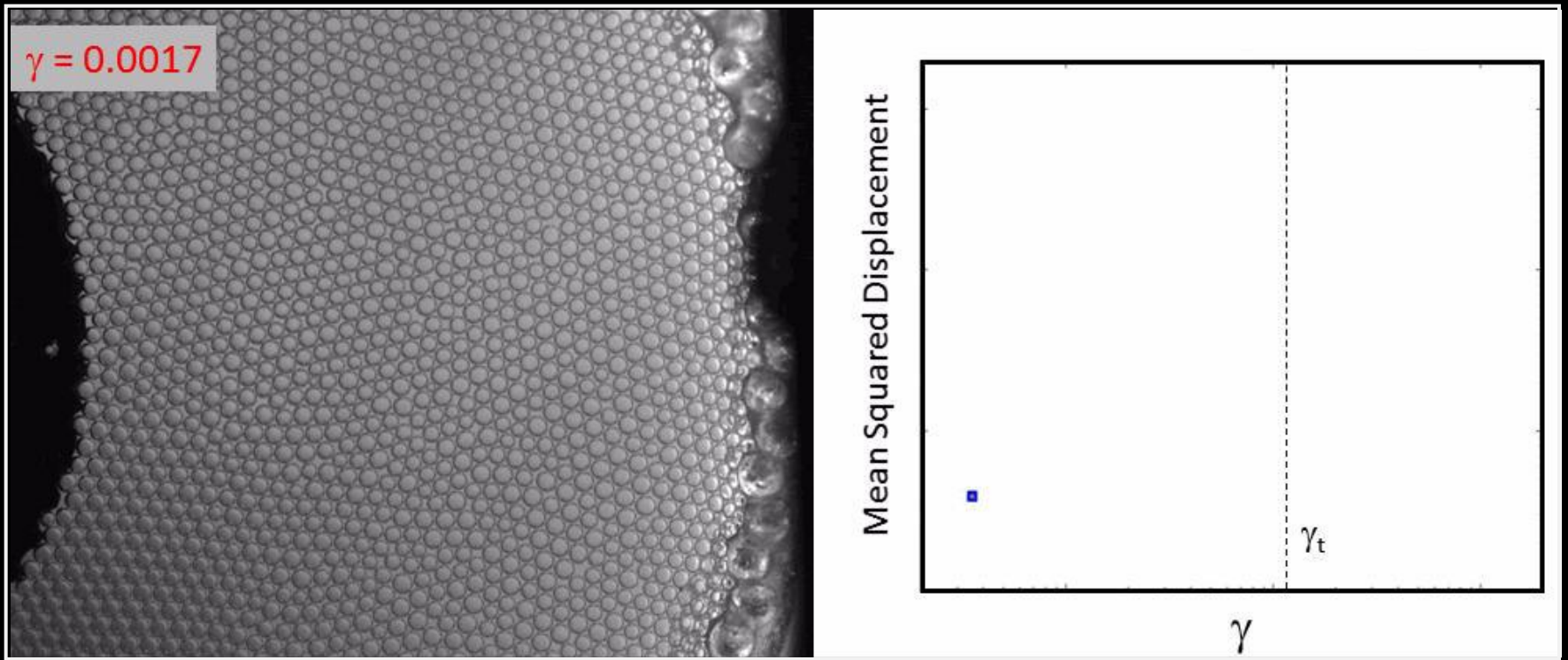


$$\gamma_t = 0.06, \omega = 0.628 \text{ rad/s}$$

$$\text{MSD}(n) = \frac{\sum_{i=1}^N |\mathbf{R}_i(n) - \mathbf{R}_i(n-1)|^2}{N}$$

Reading Memory

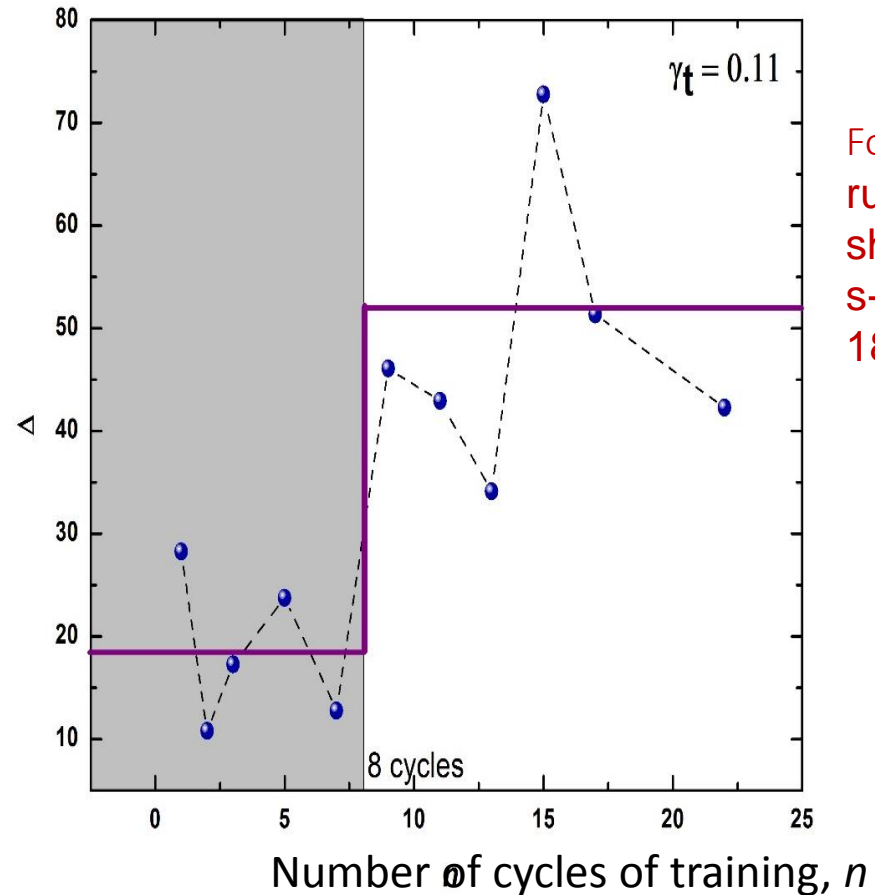
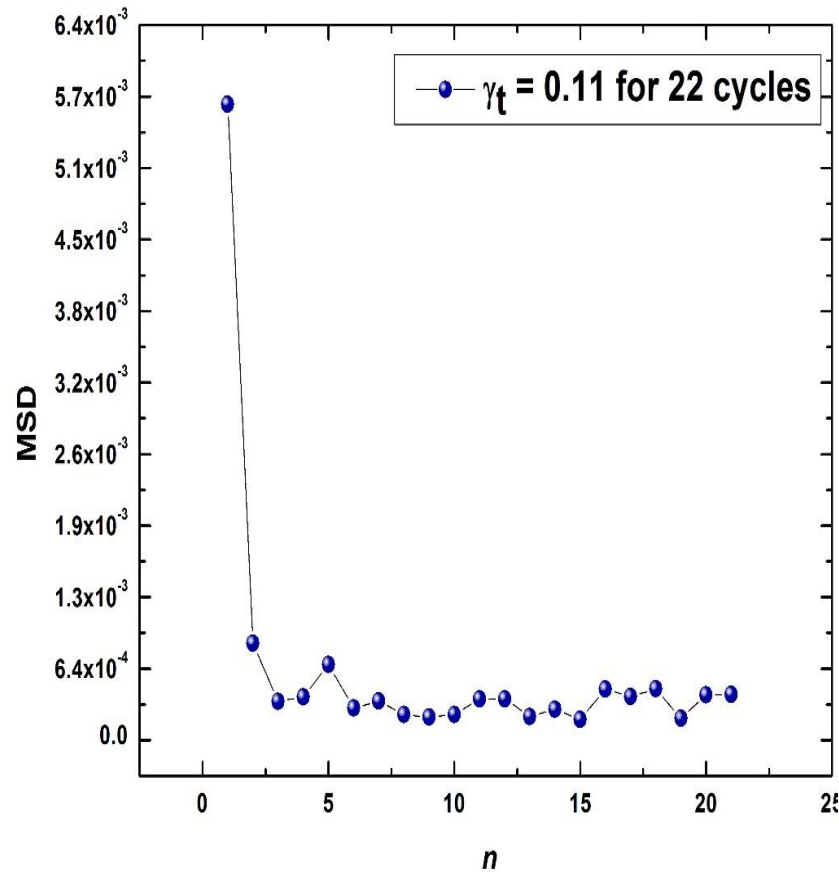
Stroboscopically Viewed



Reading memory after
training at $\gamma_t = 0.06$

$$\text{MSD}(\gamma_0) = \frac{\sum_{i=1}^N |\mathbf{R}_i(\gamma_0 + \delta\gamma_0) - \mathbf{R}_i(\gamma_0)|^2}{N}$$

Memory as a function of training extent



For every run, pre-shear at 5 s-1 for 180s.

In encoding of memory, MSD decays within 2-3 cycles.

Is memory writing complete at the end of 2-3 cycles?

Likely that though MSD has reached steady state, force chains have not? (BB talk).

Measurement of Forces Inside a Three-Dimensional Pile of Frictionless Droplets

J. Zhou,¹ S. Long,² Q. Wang,² A. D. Dinsmore^{1*}

SCIENCE VOL 312 16 JUNE 2006

1631

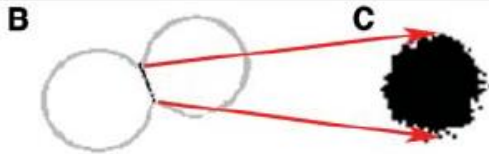
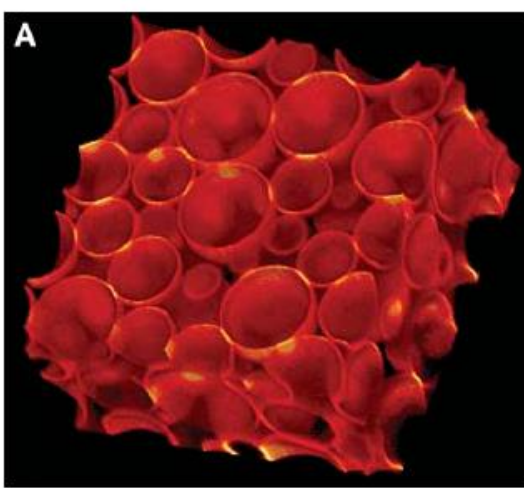


Fig. 1. (A) The projection of a 3D image of a small part (80 μm by 80 μm by 30 μm) of a pile shows the fluorescence from the surfaces of the liquid droplets. Droplets of a mixture of perfluorodecalin and α,α,α -trifluorotoluene were formed in refractive-index-matched K-phosphate-aqueous buffer with fluorescent TMR-CPMV particles. Droplets were piled in a 5.7-mm-diameter cylindrical tube to a depth of 6 mm and imaged with a confocal microscope (Zeiss Laser Scan Microscope model 510, 40 \times objective with a numerical aperture of 1.3). (B) A cross section shows the surfaces of two adjacent droplets in the pile. The surfaces were isolated by means of intensity gradients in the 3D image. (C) Voxels shared by two adjacent droplets were identified (black); a projection of the contact area defines a circular shape of area A.

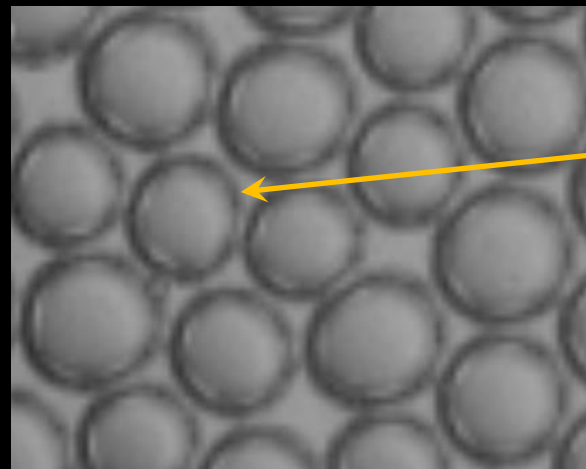
Force of between two droplets of radius R_i & R_j

$$f_{ij} = \gamma A_{ij} \frac{(R_i + R_j)}{(R_i R_j)}$$

A_{ij} - Contact area

γ - Surface tension

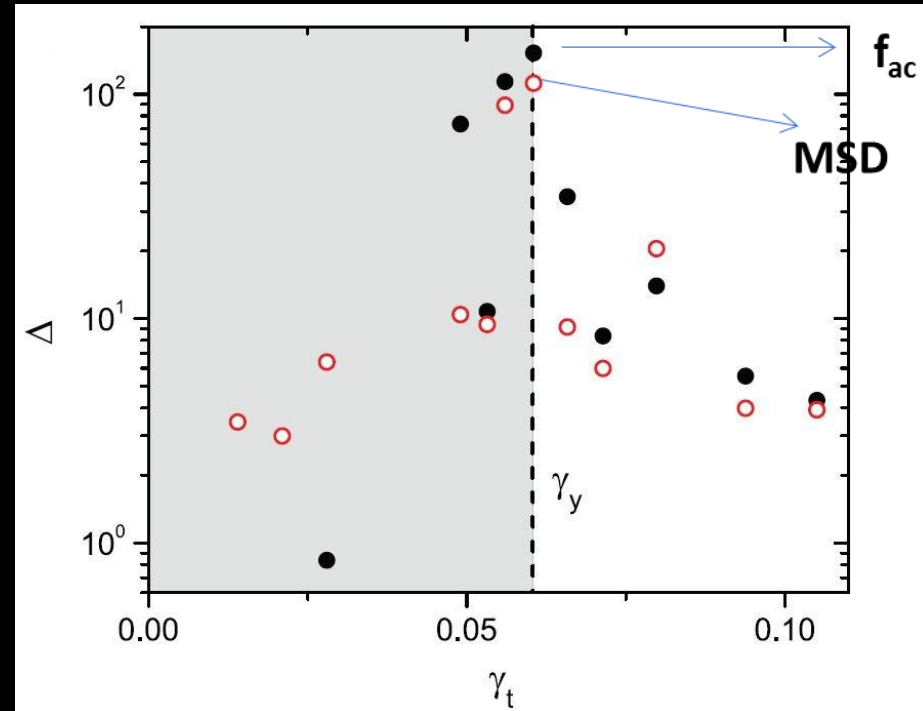
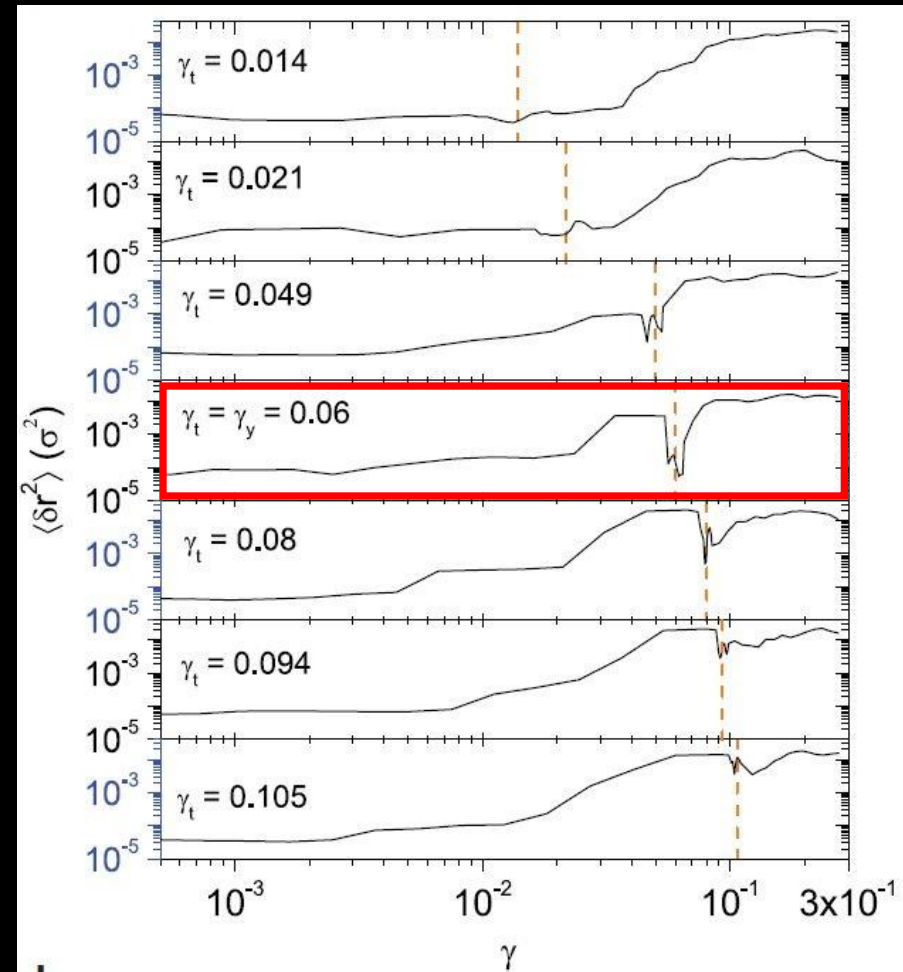
Bubble Rafts



Distortion of bubble perimeters from a circle contains information of forces

For us , this is “ to do next”

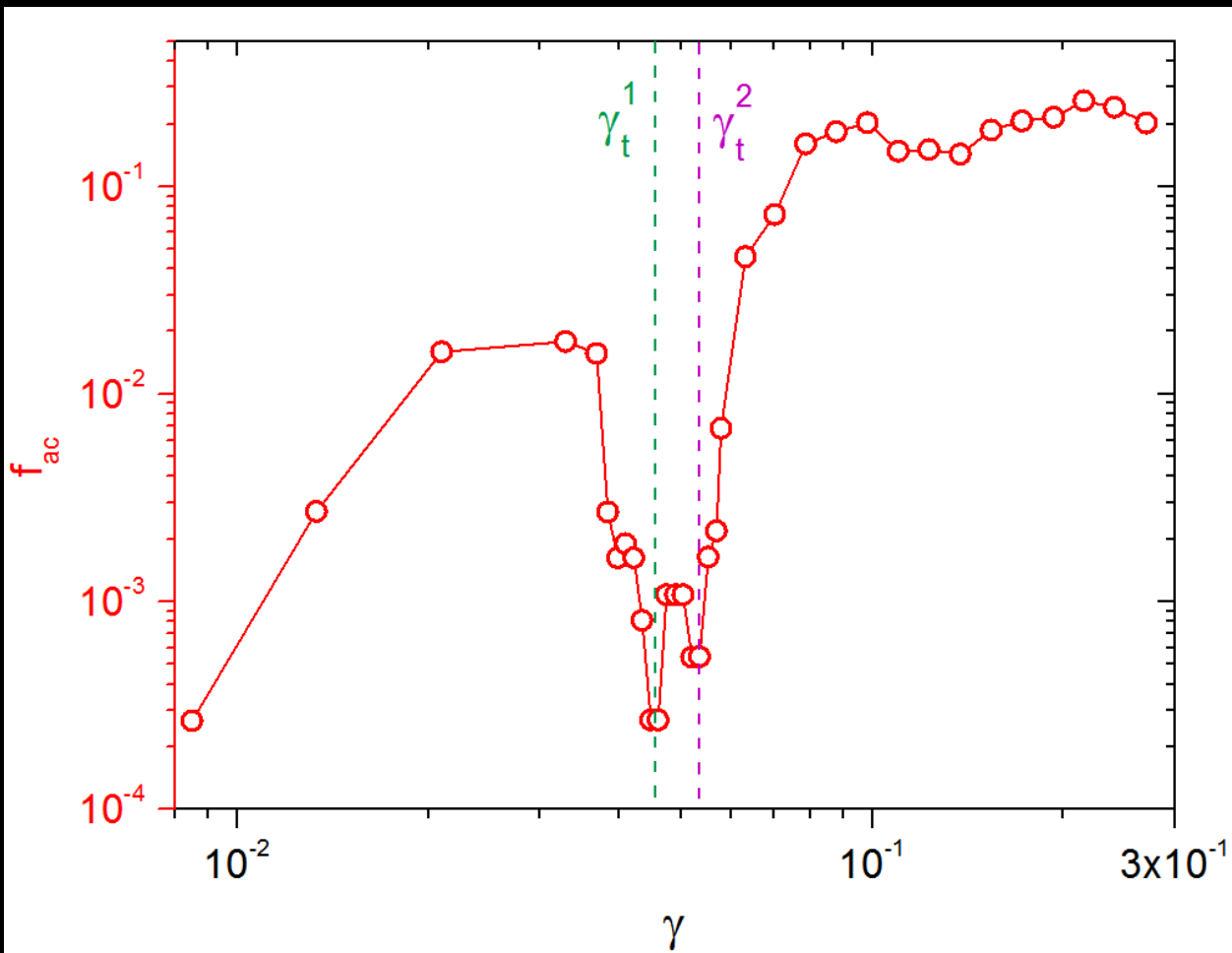
Strength of Memory



Δ maximum at yield!

Why??

Experimental Evidence for Multiple Memories in Amorphous Solids



$$\gamma_t^1 = 0.042 ; \gamma_t^2 = 0.053$$

Training sequence –

$\gamma_t^2 \gamma_t^1 \gamma_t^1 \gamma_t^2 \gamma_t^1 \gamma_t^1$,
11 cycles of each

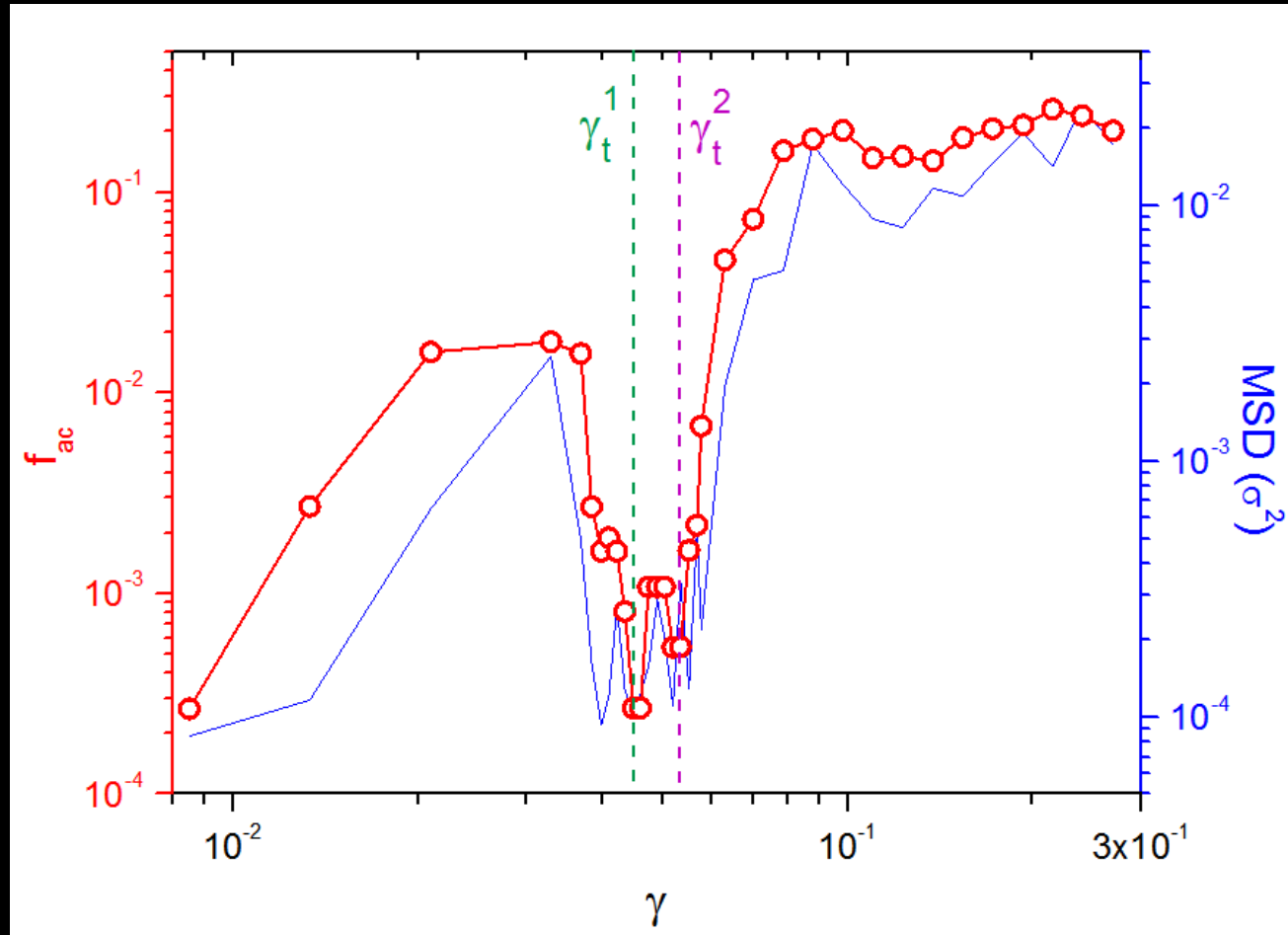
Dilute non-Brownian suspensions -- noise required for persistent multiple memories.
Athermal amorphous solids - experiments confirm-persistent multiple memories –achieved without external noise due to complex landscape.

Two read outs for Multiple Memories.....

$$\gamma_t^1 = 0.042 ; \gamma_t^2 = 0.053$$

Training sequence –

$\gamma_t^2 \gamma_t^1 \gamma_t^1 \gamma_t^2 \gamma_t^1 \gamma_t^1$,
11 cycles of each



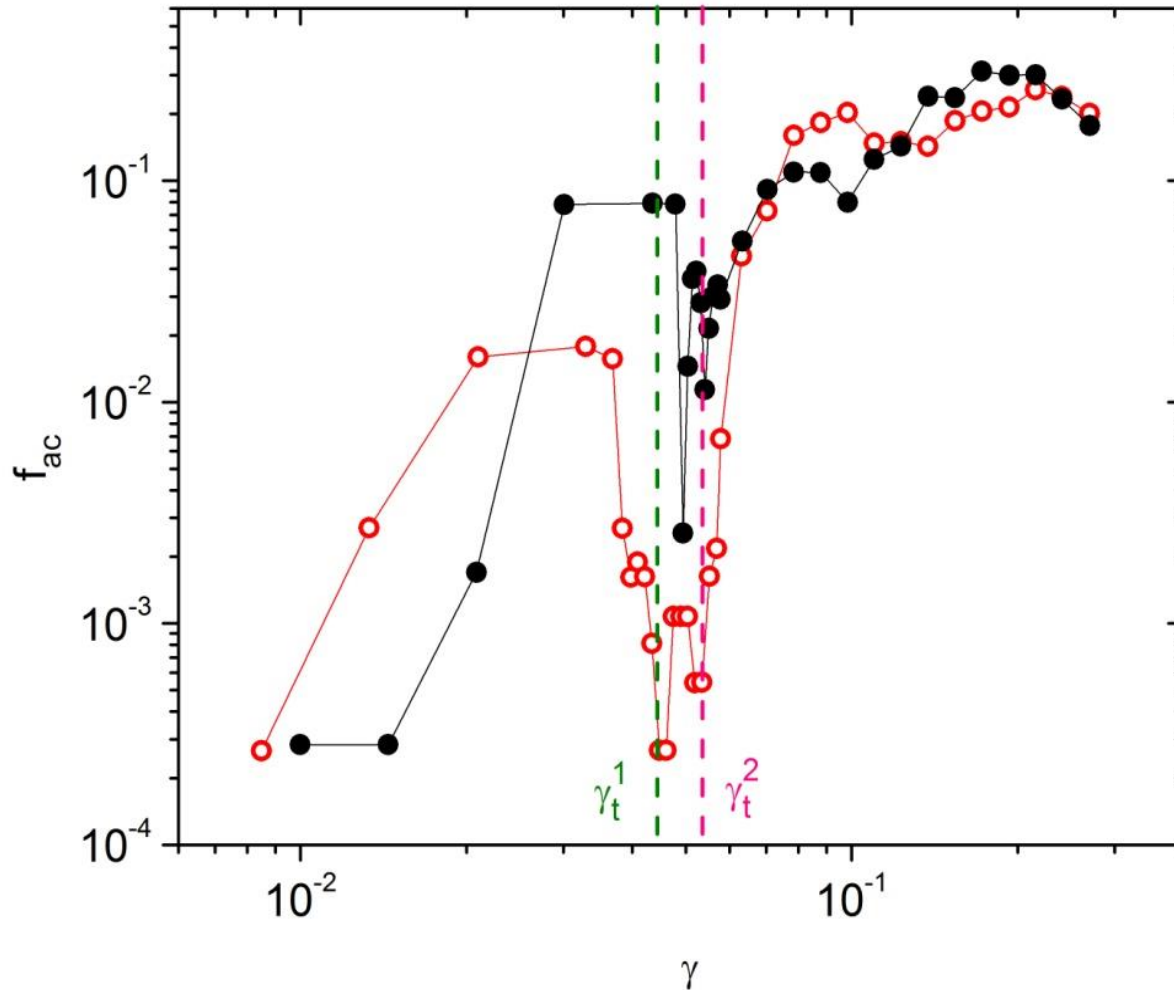
Comparing Single and multiple memories

$$\gamma_t^1 = 0.042$$

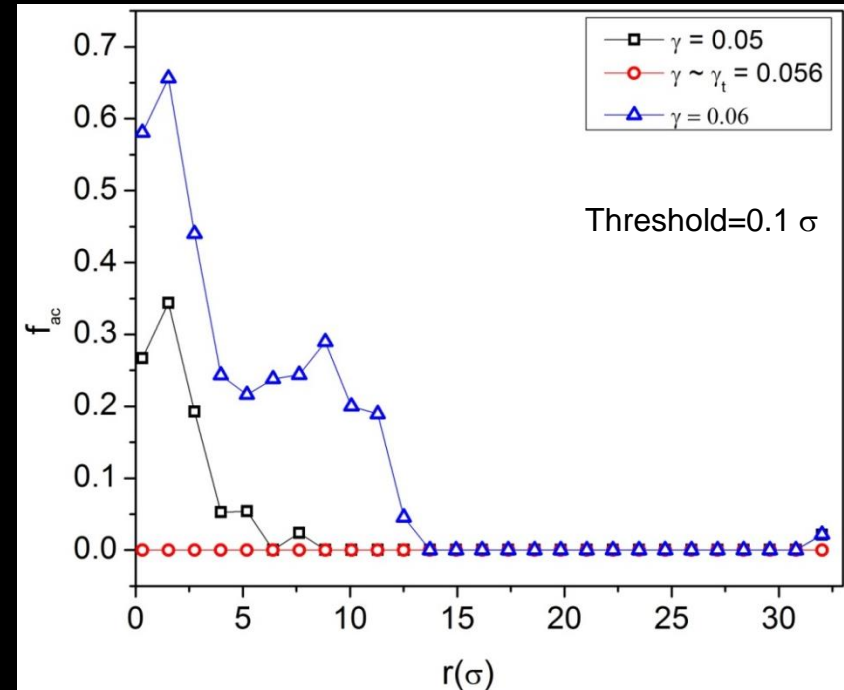
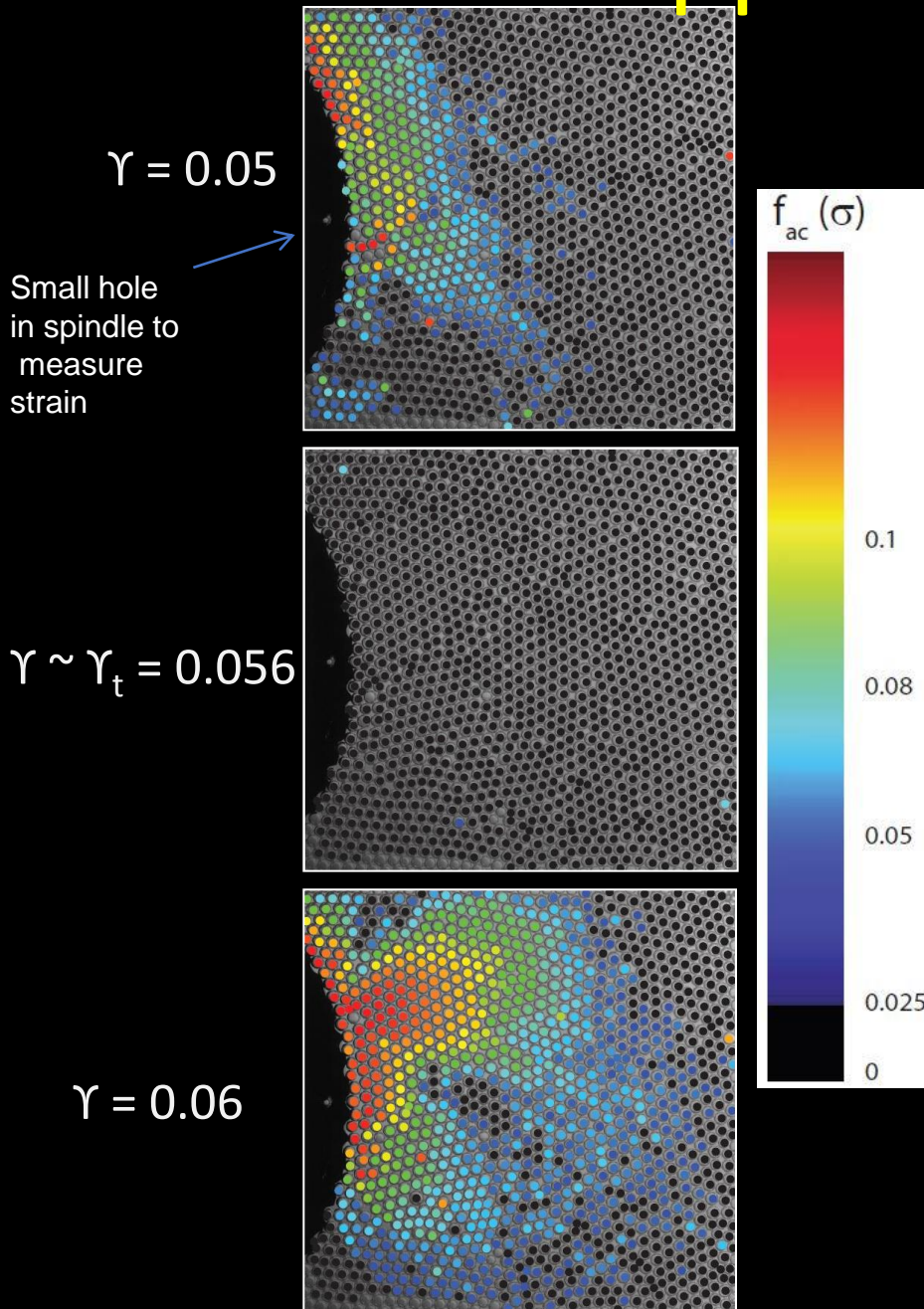
$$\gamma_t^2 = 0.053$$

Training sequence –

$\gamma_t^2 \gamma_t^1 \gamma_t^1 \gamma_t^2 \gamma_t^1 \gamma_t^1$,
11 cycles of each



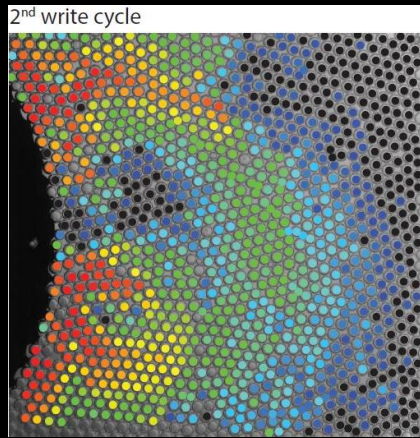
What happens during READ?



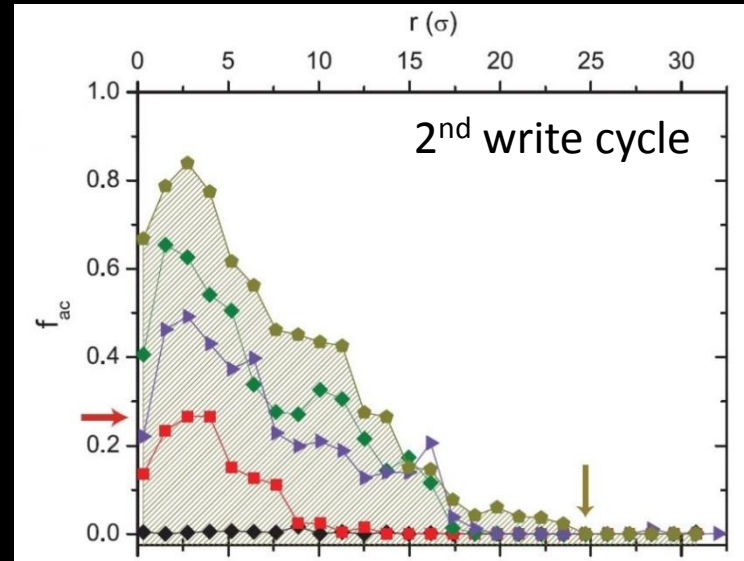
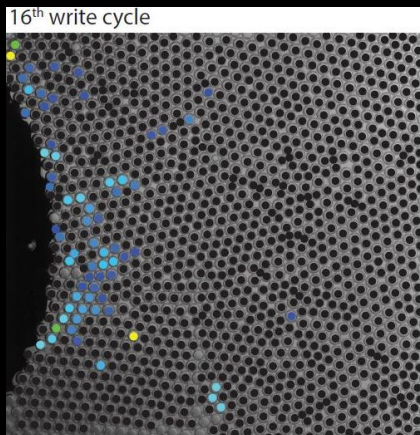
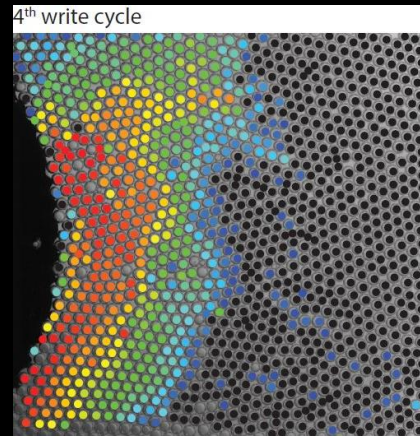
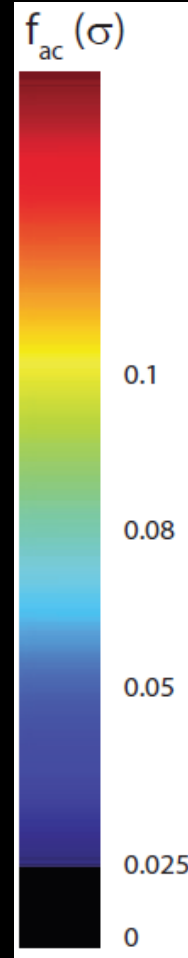
Over a short span of strain amplitudes across γ_t a large shift in the band-edge is observed.

Not just a linear change in profile-height

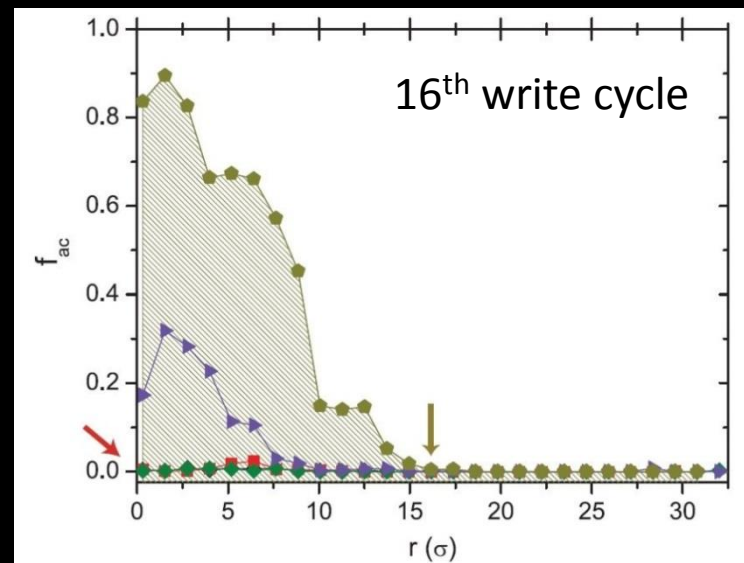
What happens during WRITE?



$$\gamma_t = 0.06$$

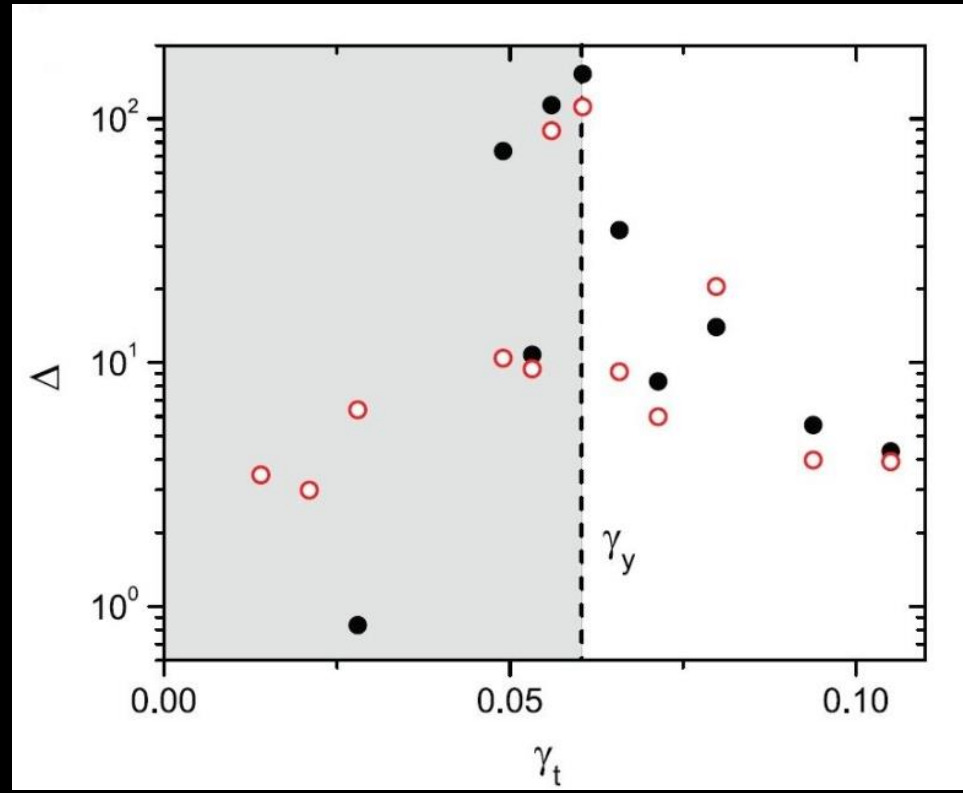
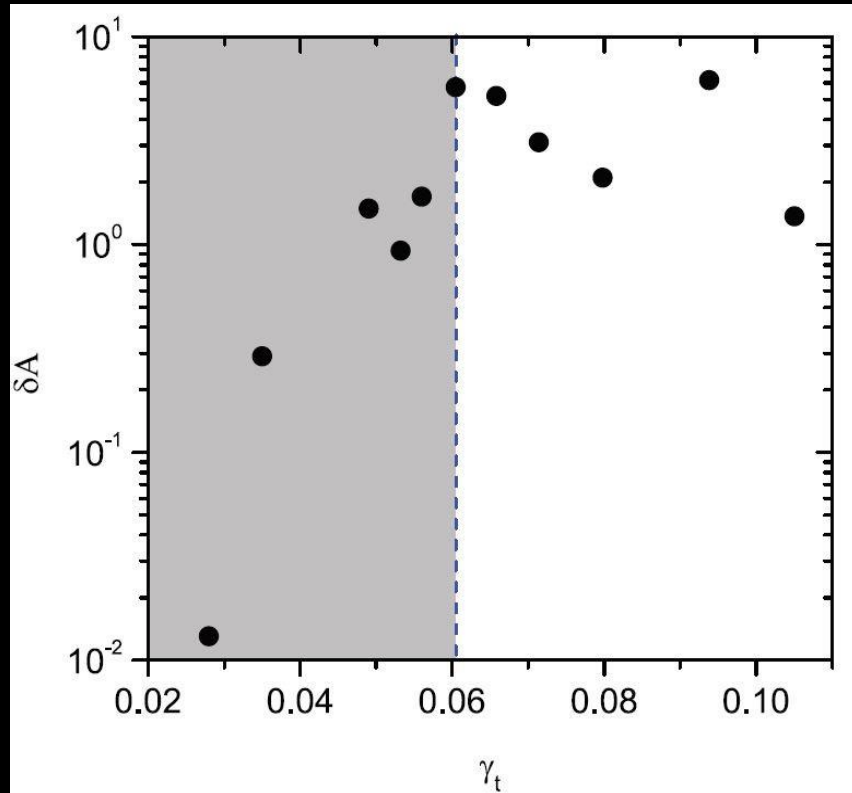


$$\gamma_t = 0.014$$
$$\gamma_t = 0.049$$
$$\gamma_t = \gamma_y = 0.06$$
$$\gamma_t = 0.08$$
$$\gamma_t = 0.105$$



- As a function of training cycle, a clear shift in band edge is visible.

Origin of a Maximum in Δ at Yield



Pre-yield: Active particle band edge **does not** reach out during initial write cycles, but **collapses completely** by the end of write

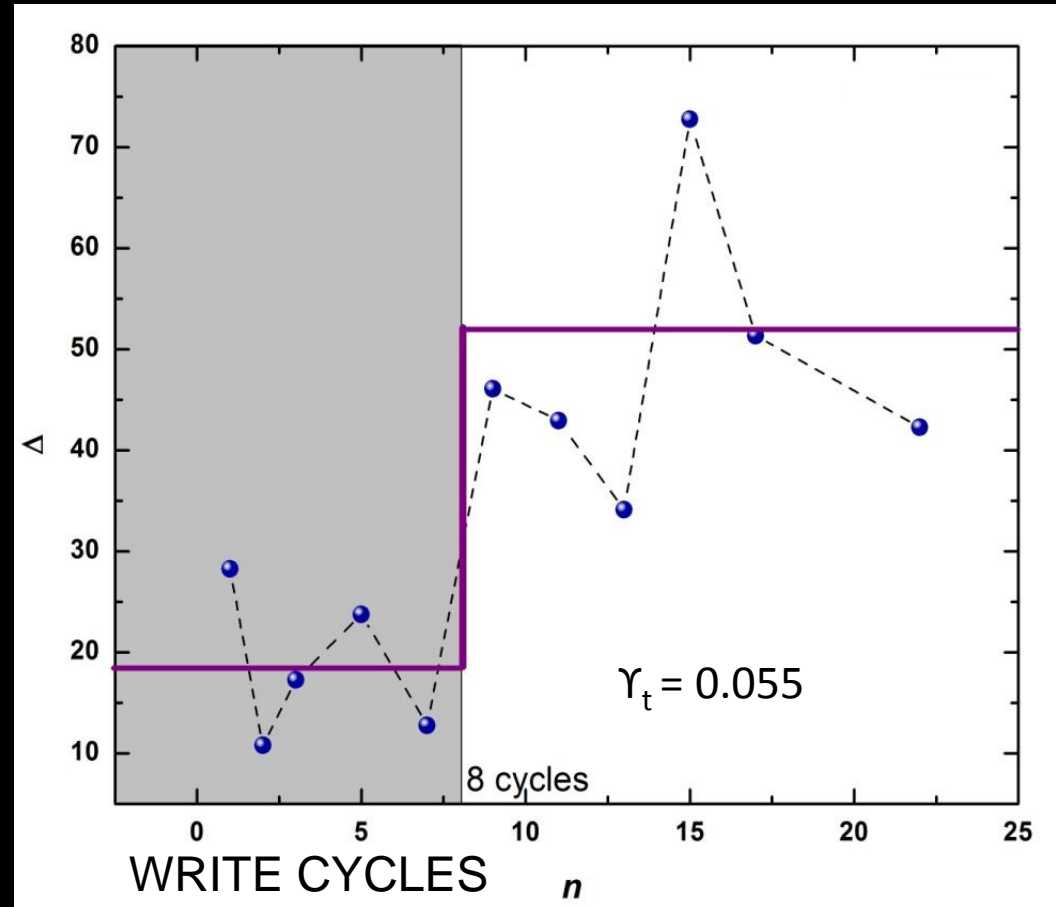
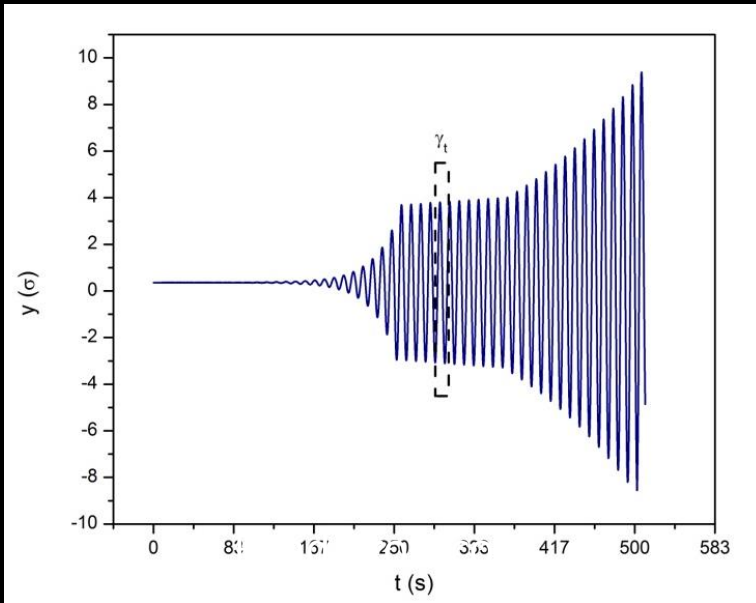
Post-yield: Active particle band edge **reaches out** farthest during initial write cycles, but **does not collapse completely** by the end of write

At Yield: Maximum motion of the active particle band edge

Is the act of reading creating memory?

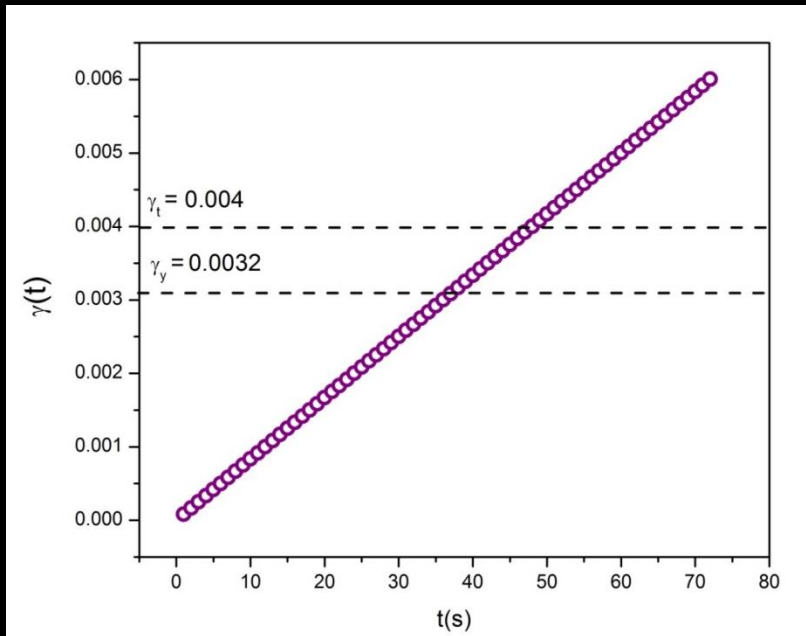
Starting from a given trained microstate,
only sequential READ is possible in experiments

Same γ_t and same read protocol
but different number of write cycles

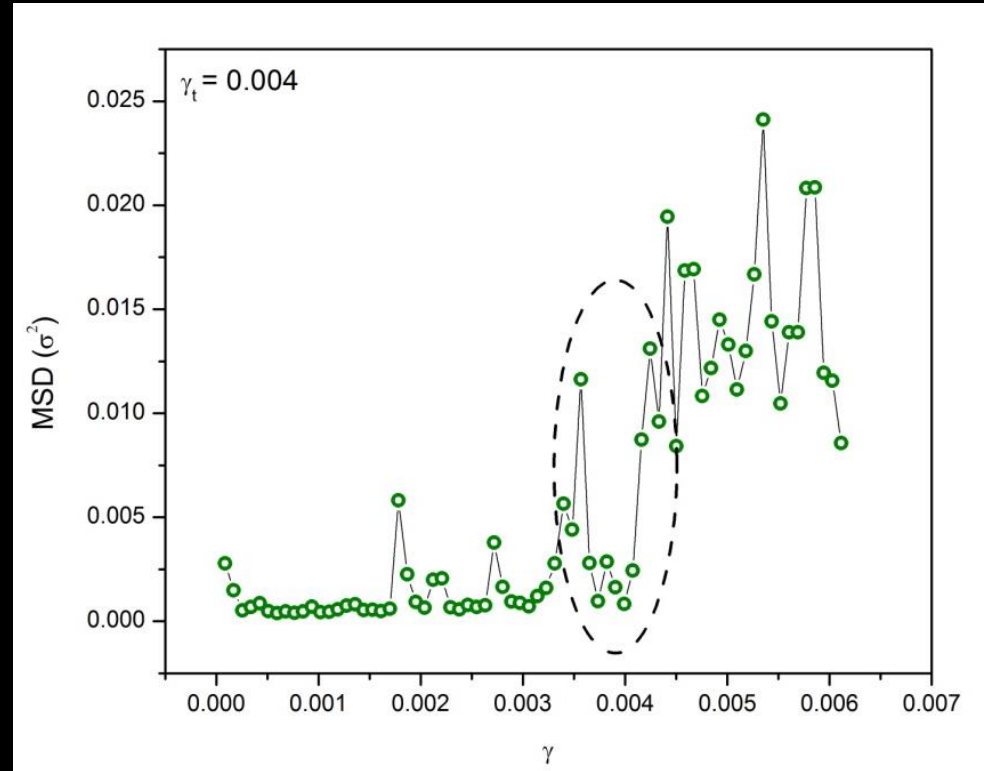


Is the act of reading creating memory?

Linear read

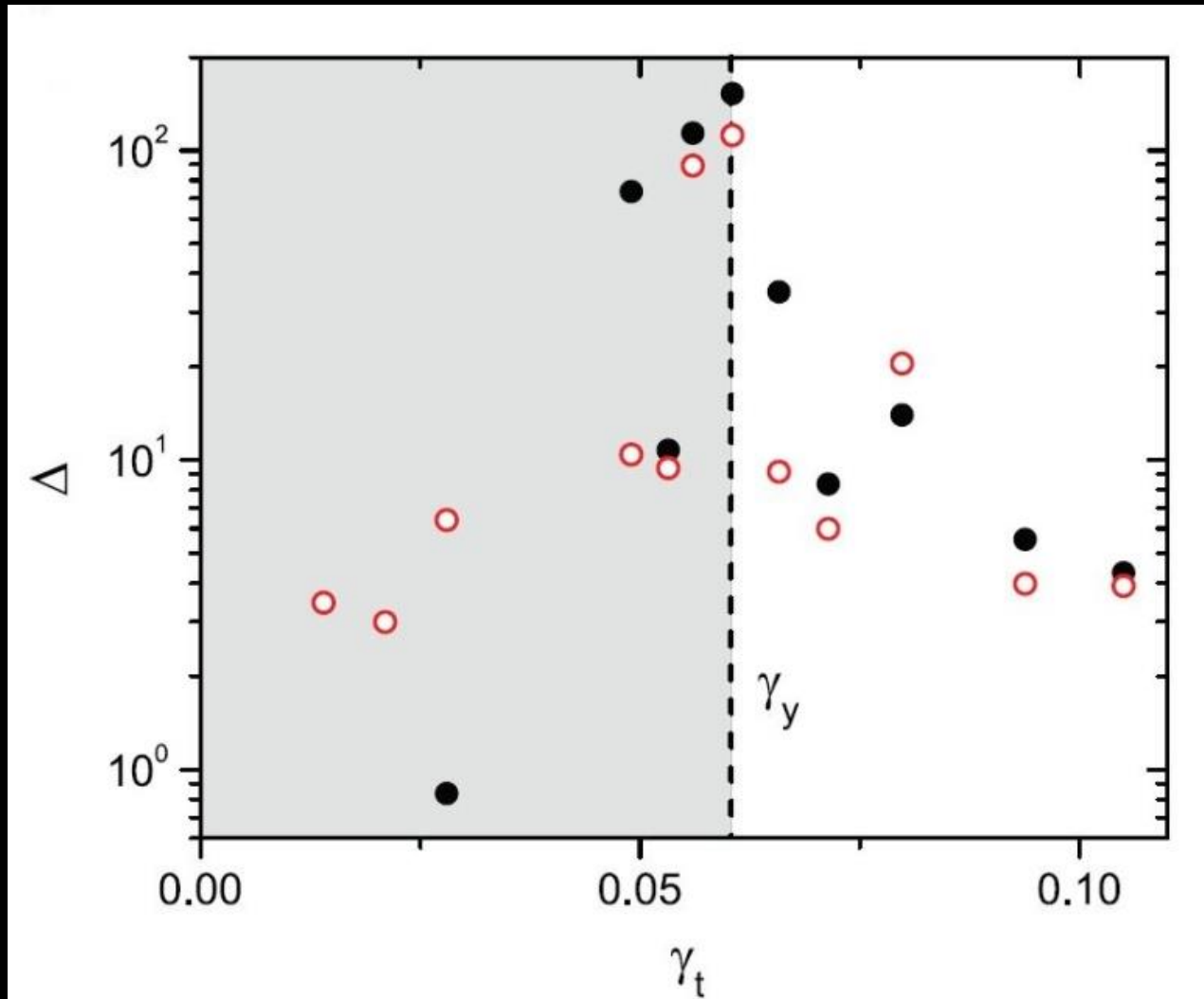


Read protocol 2



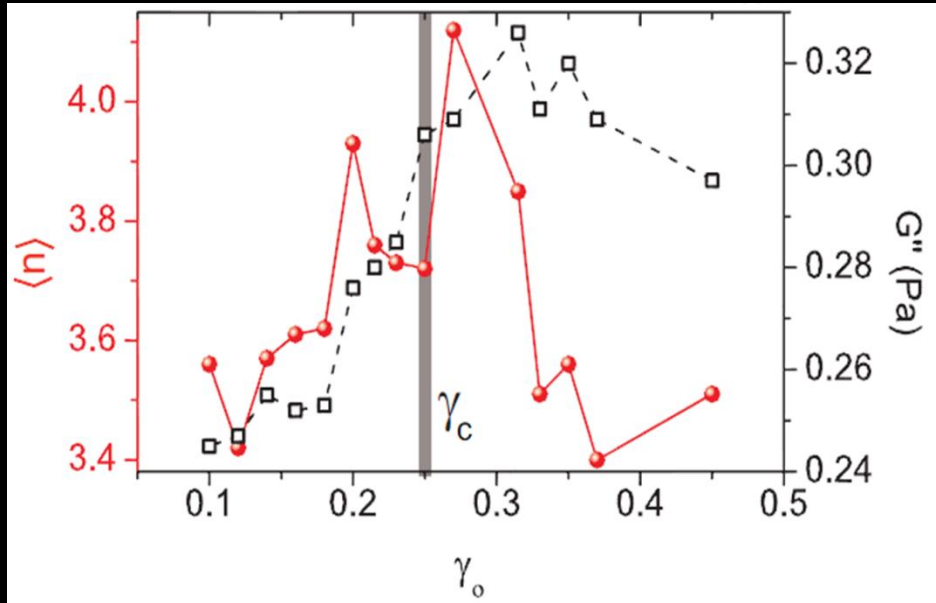
The act of reading memory may reinforce memory
but it is not the reason for observing memory

Origin of a Maximum in Δ at Yield



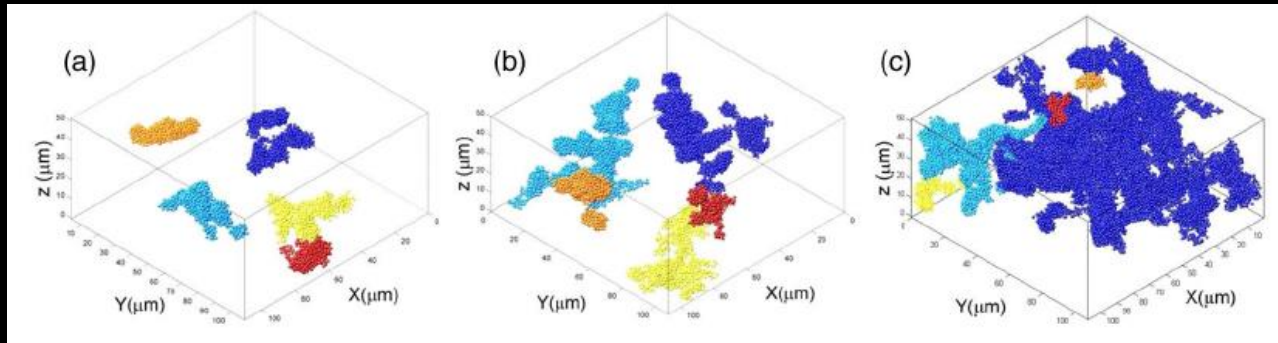
At Yield: Maximum motion of the active particle band edge

Origin of a Maximum in Δ at Yield



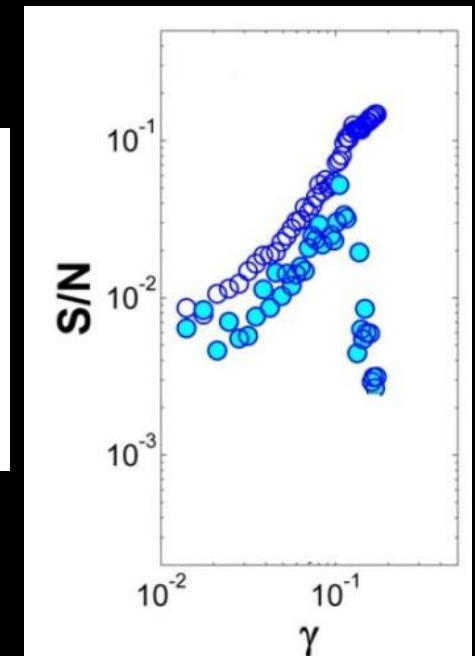
Size of most-mobile particle clusters maximal at yield

Nagamanasa et al., PRE (2014)



At yield size of percolating clusters is maximal

Schall et. al., PRL (2017)



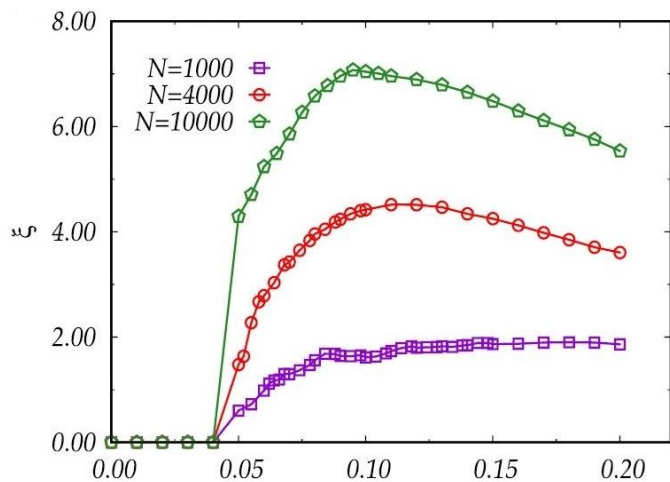
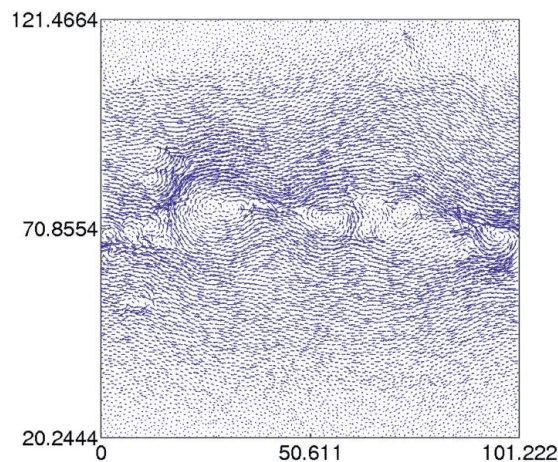
Percolation of largest active cluster. Normalized size of the largest and second-largest nonaffine cluster

Shear bands as manifestation of a criticality in yielding amorphous solids

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Contributed by Giorgio Parisi, April 19, 2017 (sent for review February 6, 2017; reviewed by Antonio Coniglio and Olivier Dauchot)



Shear band length scale maximal at yield in steady shear

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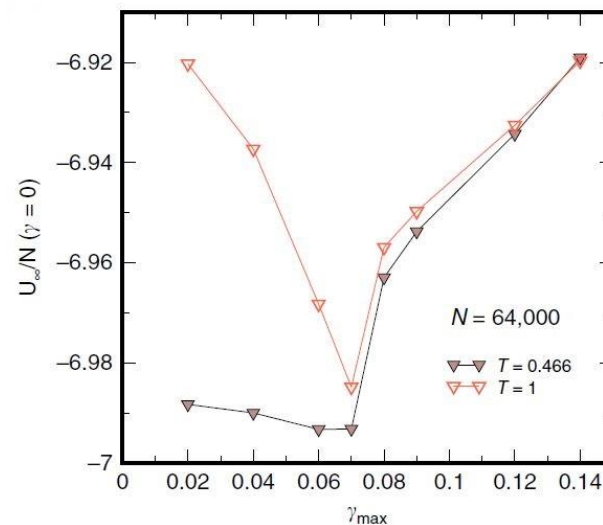
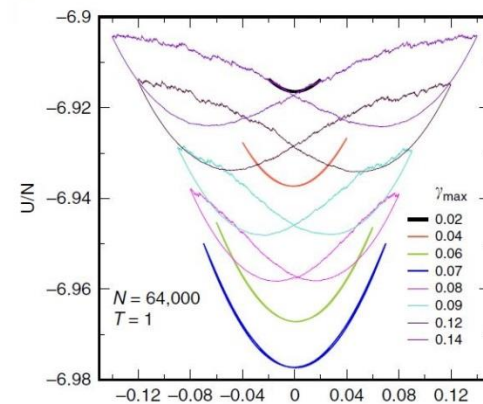
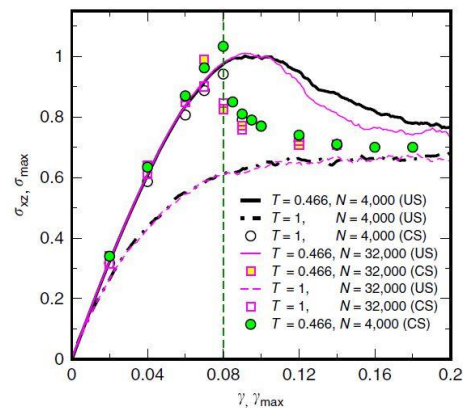
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OPEN

The yielding transition in amorphous solids under oscillatory shear deformation

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Subjecting amorphous solids to repeated yield strains makes well-annealed glasses

Summary

- *First experimental observation of memory in amorphous solids.*
- *Memory is maximal at the onset of yield and is correlated with spatial motion of active particle band edge.*
- *Is noise at yield strain self-optimized to result in a maximum in Δ ?*
- *Is Δ a read-out for ultrastability of glasses?*
- *System appears to remember similar strain amplitudes – is this a form of associative memory?*