

# **Formation of the Oldest Stars in the Milky Way Halo**

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**School of  
Earth and  
Space  
Exploration**

**Fusing Science and Engineering**



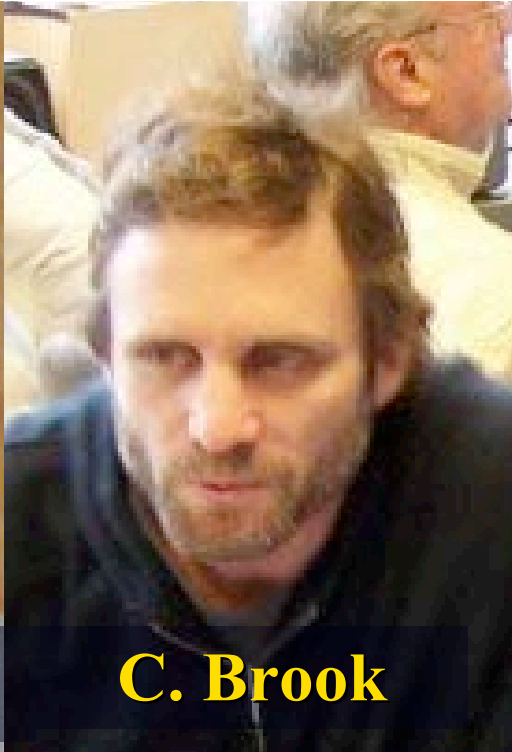
**I. Spatial Distribution of the  
First Stars**

**II. Halo Globular Clusters**

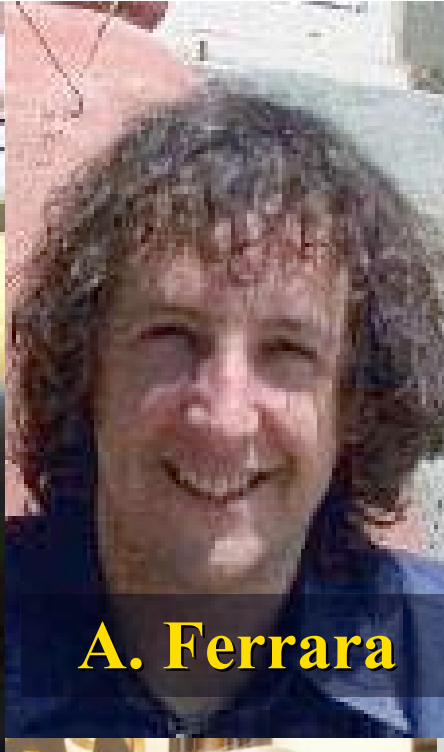
**III. Simulation Early Star  
Formation**



**D. Kawata**



**C. Brook**



**A. Ferrara**



**B. Gibson**



**R. Schneider**



**J. Weiseit**



**F. Harlow**

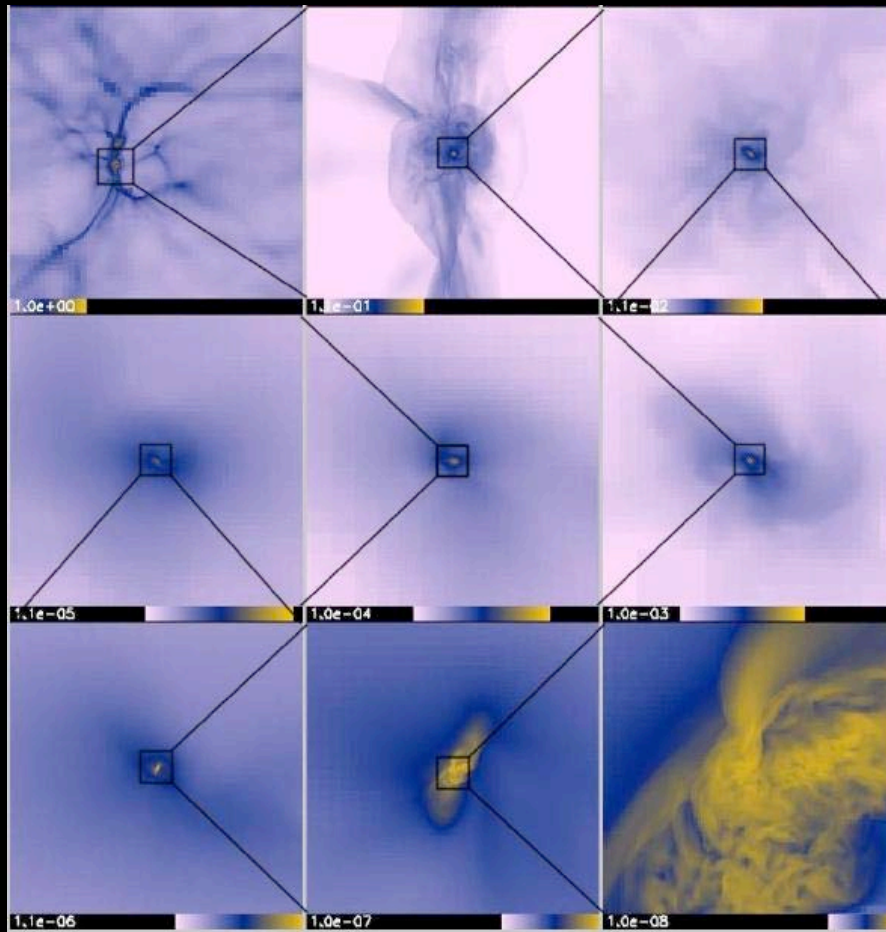


**Will Gray**

A large, oval-shaped field of stars, predominantly red and orange in color, set against a dark background. A white grid of lines is overlaid on the stars, resembling a celestial map or a coordinate system. The stars are densely packed and vary in brightness, with some appearing as bright points and others as fainter specks. The overall appearance is that of a star field, possibly representing the early universe or a specific region of the sky.

# **I. Where are the First Stars?**

# The 1st Objects: Very Massive?



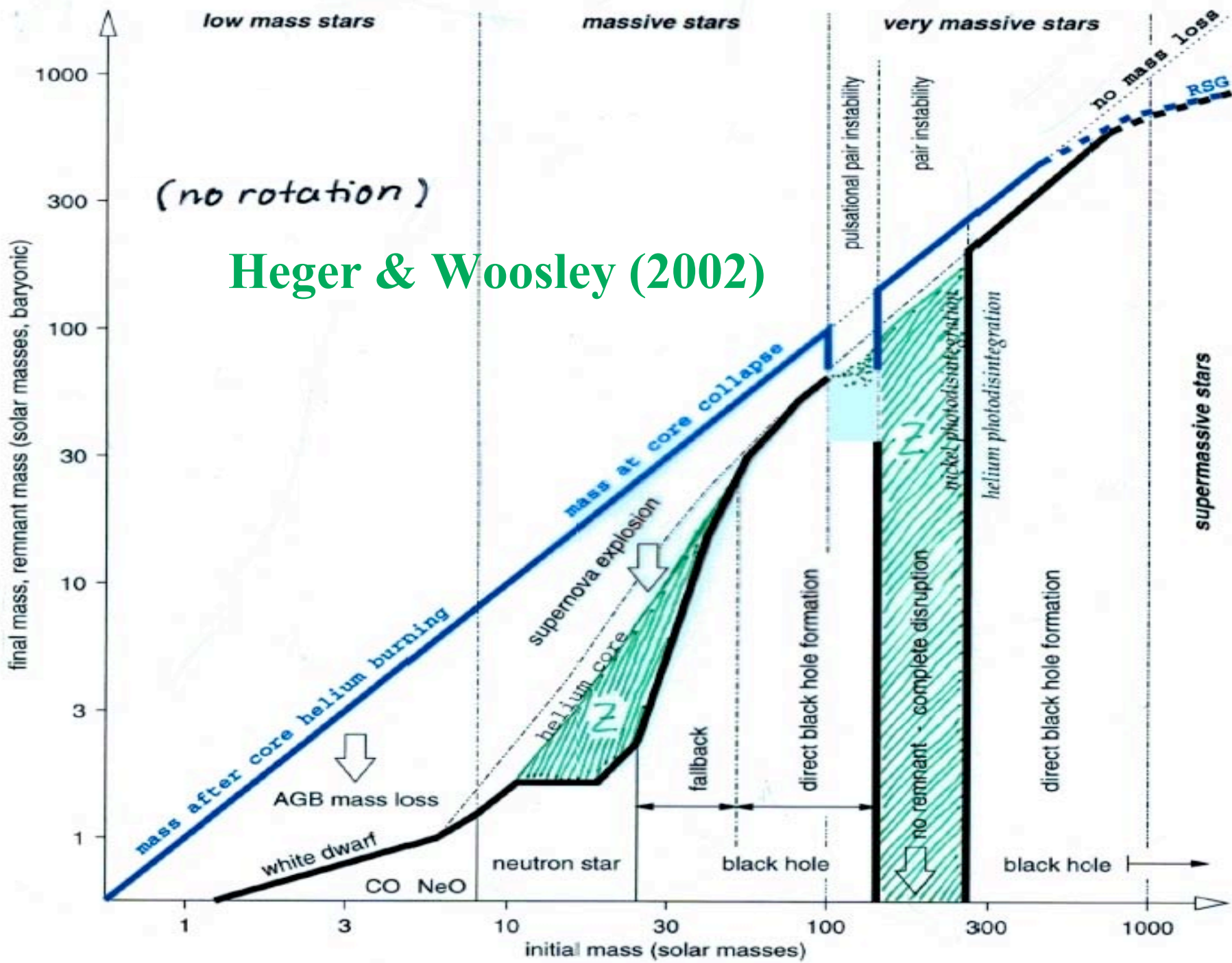
$H_2$  cooling takes you to a  
typical density of  
 $10^4 \text{ cm}^{-3}$  & T of 100 K

.... LTE

$M_{\text{jeans}} \sim 1000 M_{\text{sun}}$

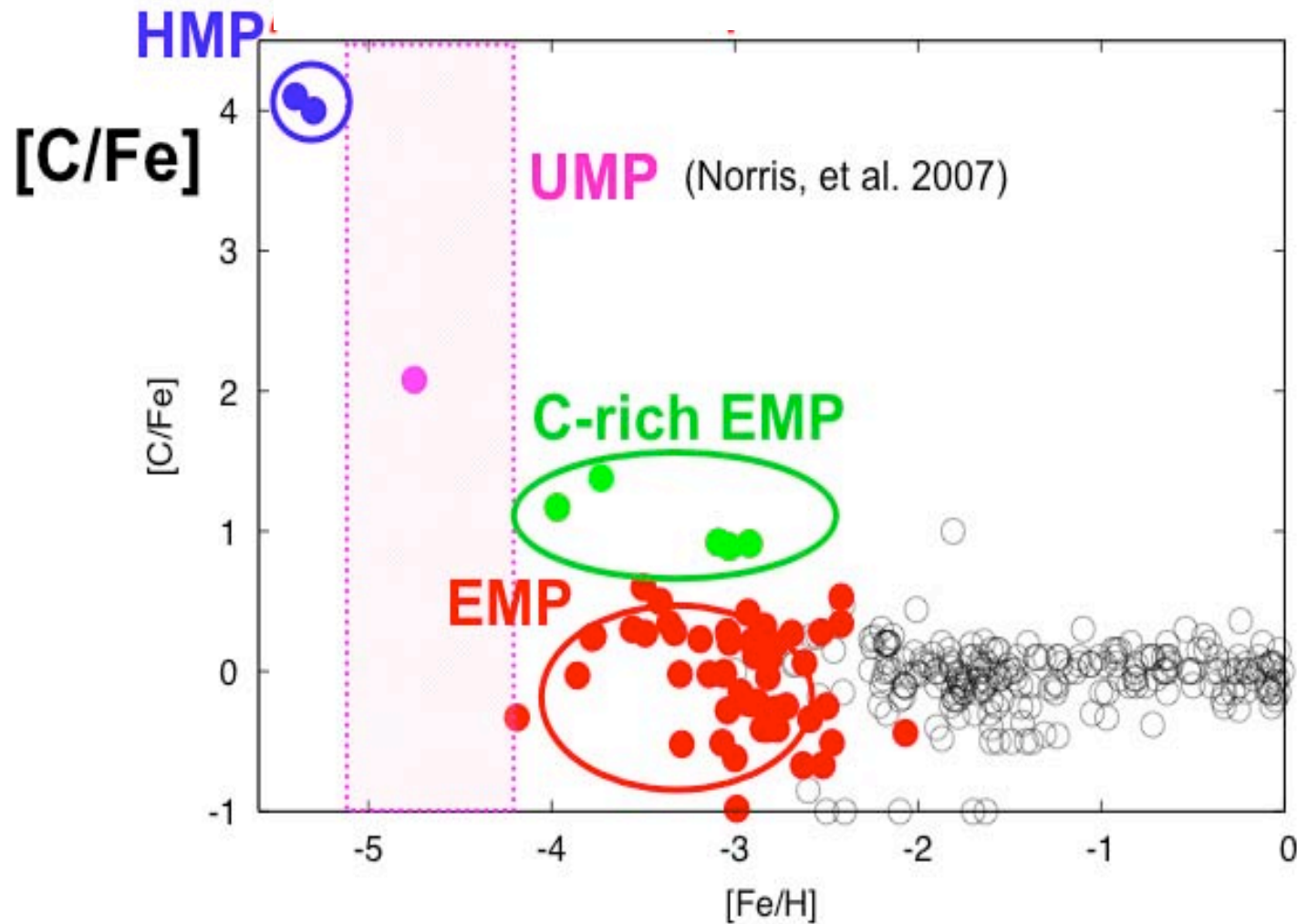
Abel, Byran, Norman (2001)

# Heger & Woosley (2002)



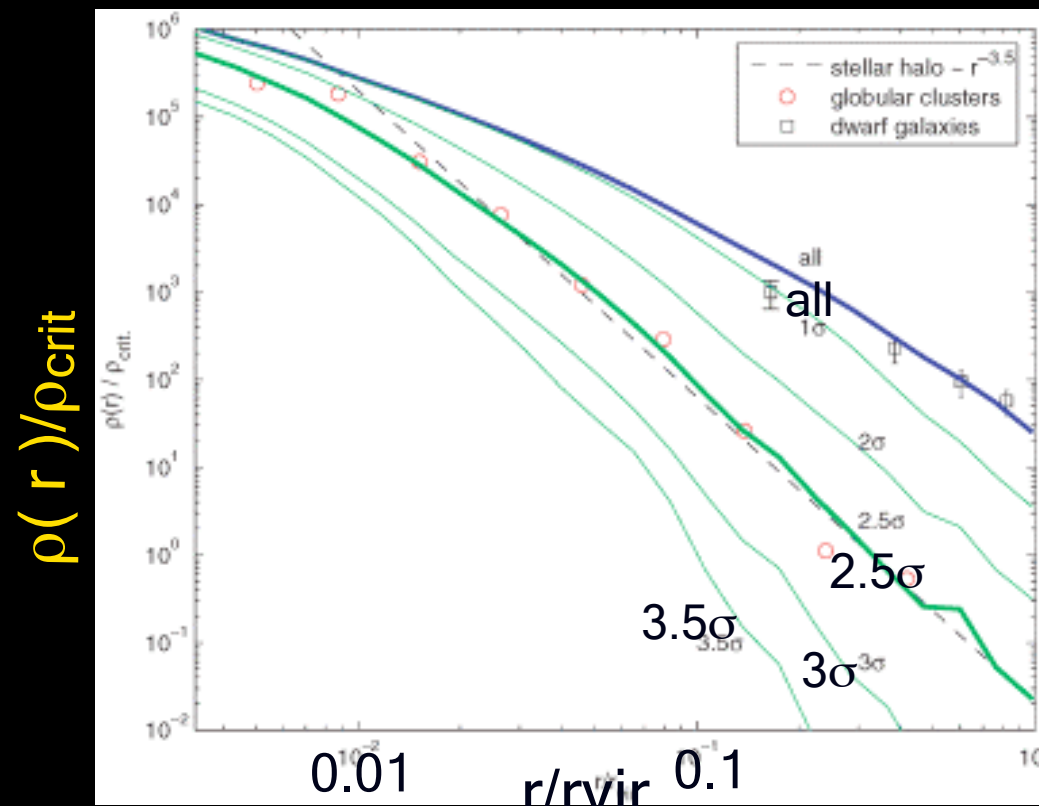
# Metal-Poor Stars

Beers, Christrieb (2005)



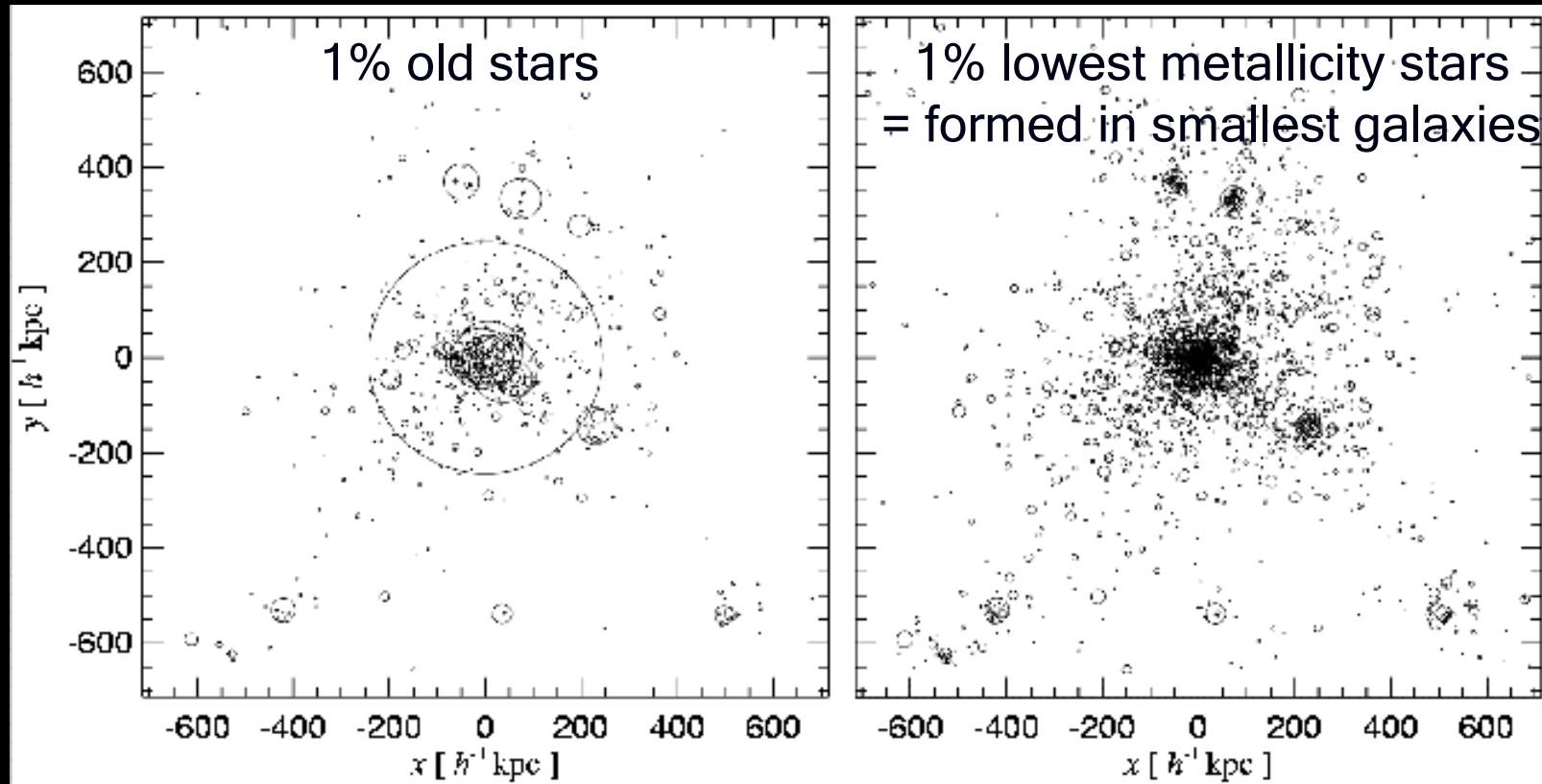


Theoretical prediction of the distribution of first generation stars  
Diemand, Madau & Moore (2005); Moore et al. (2006)  
(see also White & Springel 2005)  
Particles in high- $\sigma$  collapsed halos are centrally concentrated.  
high- $\sigma$  ( $>3$ ) building blocks = the birthplace of the oldest stars



The bulge is the best place to look for the old stars!  
The oldest stars = the first generation (metal-free) stars?

White & Springel (2005):  
N-body + Semi-analytic model



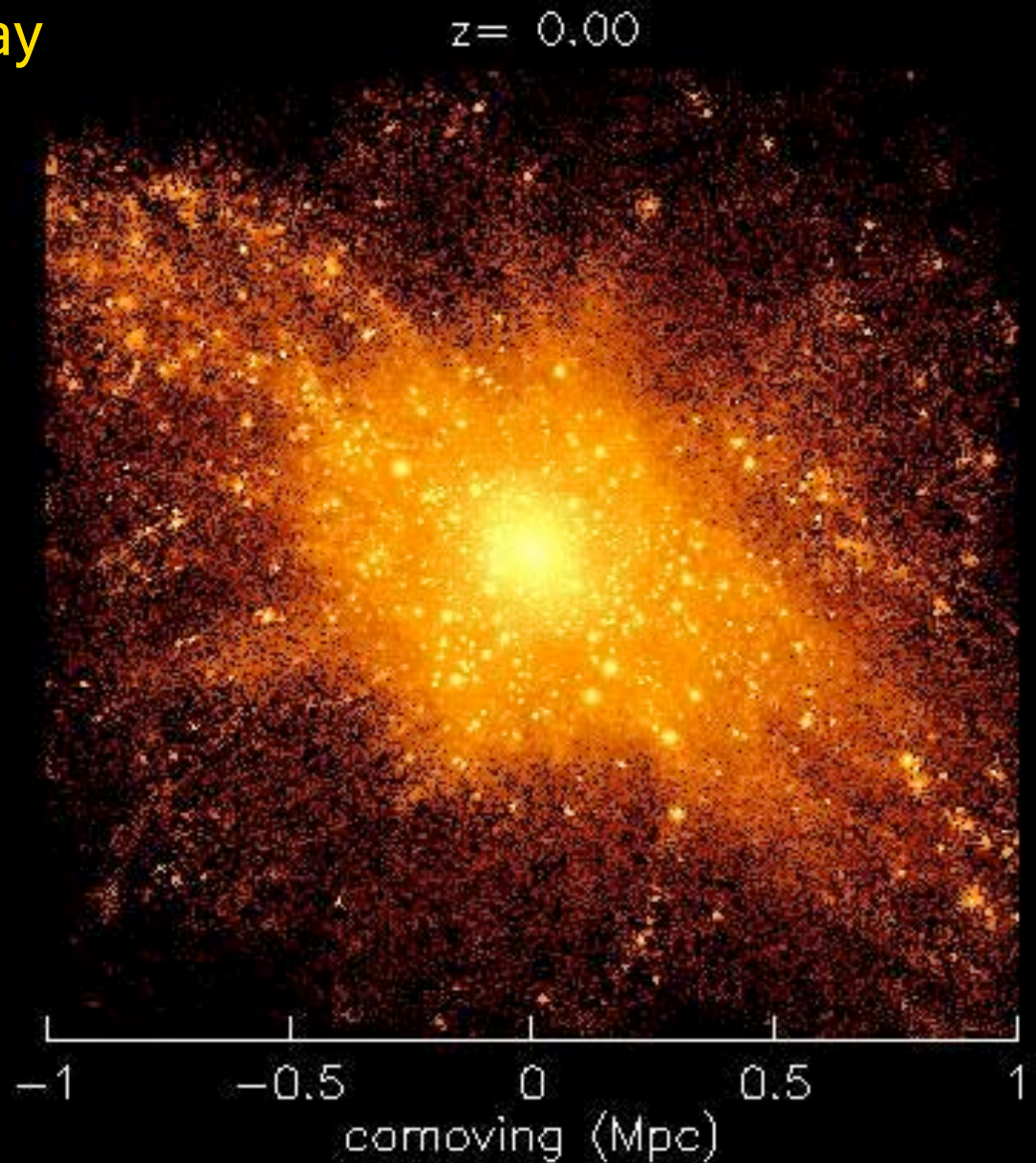
60% within 10 kpc

16% within 10 kpc

The oldest stars are preferentially at small radii, while...  
the low metallicity stars lie preferentially at larger radii?

# High-resolution Milky-Way N-body simulation

- LCDM multi-resolution simulation of  $8 \times 10^{11} M_{\odot}$  galaxy.
- DM simulation with  $7 \times 10^5 M_{\odot}$  particles.
- star formation threshold  $T_{\text{vir}} = 10^4 \text{ K}$  limit.



**ES, D. Kawata, C. Brook, R. Schneider, A. Ferrara, B. K. Gibson (2006)**

## Semi-analytic model + outflow model (Fiducial Model)

Star formation in a collapsed halo.

10 % of baryon mass  $\Rightarrow$  stars  $\Rightarrow$  inner 10 % of particles

 Outflow bubble  $\Rightarrow$  enrich the IGM

metal-free stars : free parameters. 3 models

strong ( $E_{g_{III}}=10^{-2}$ ) outflow,

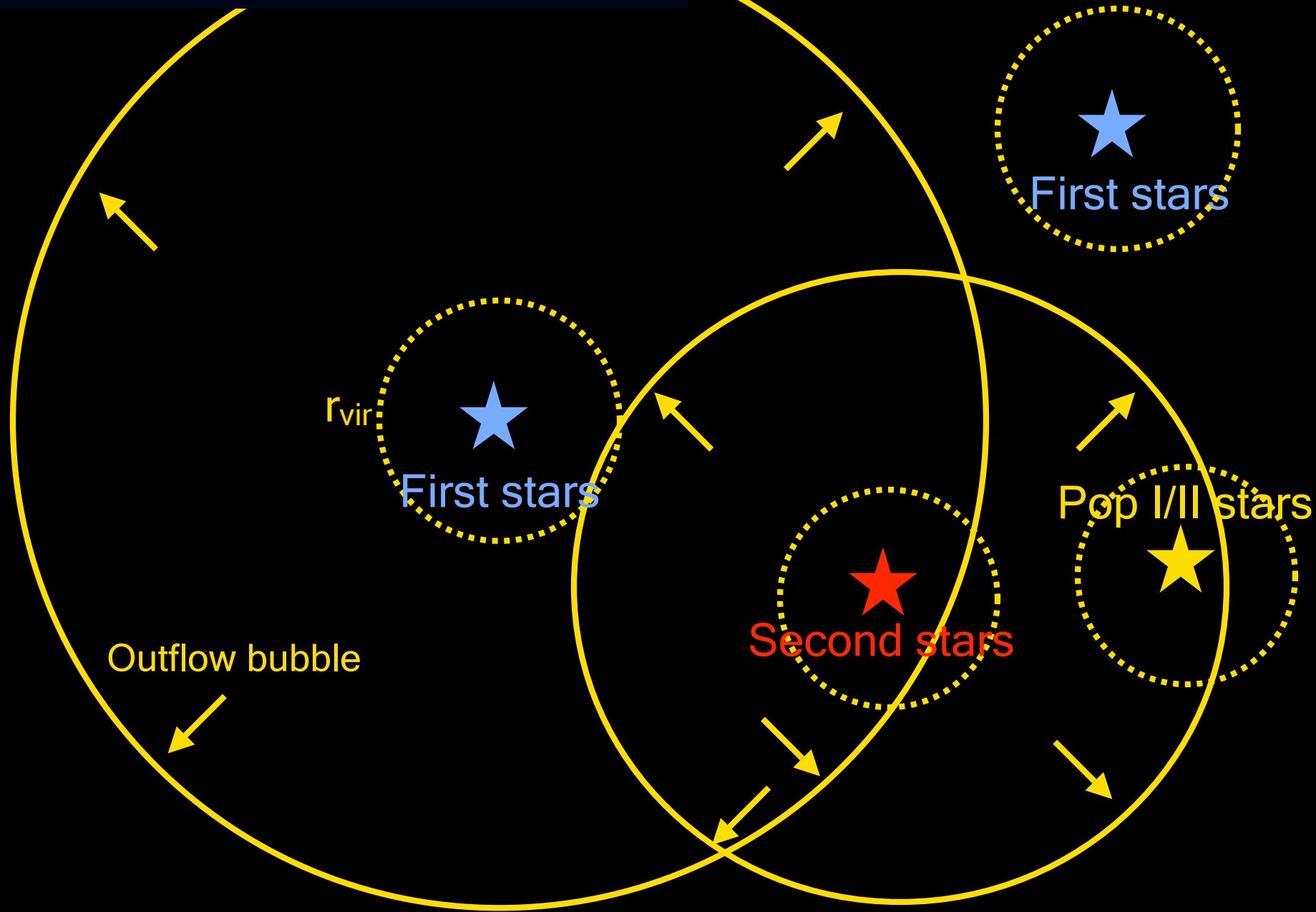
moderate ( $E_{g_{III}}=10^{-3}$ ) outflow,

weak ( $E_{g_{III}}=10^{-4}$ ) outflow

the other parameters

= Scannapieco, Schneider, Ferrara (2003)

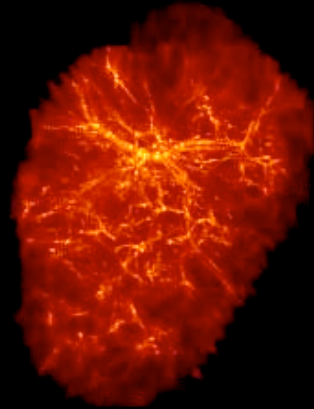
# Definition of first and second stars



# Milky Way Implications

$z = 9.84$

halo particles



first



second

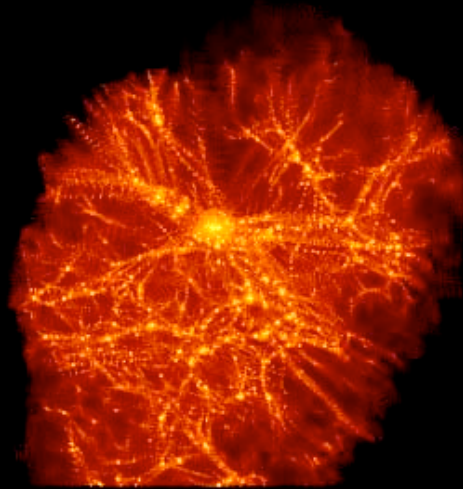


**ES et al  
(2006)**

# Milky Way Implications

$z = 6.02$

halo particles



first



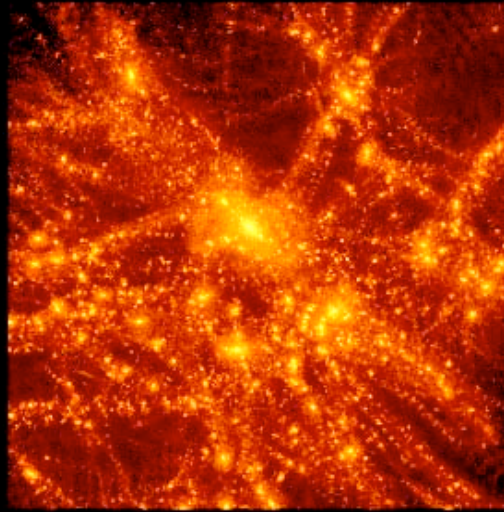
second



**ES et al  
(2006)**

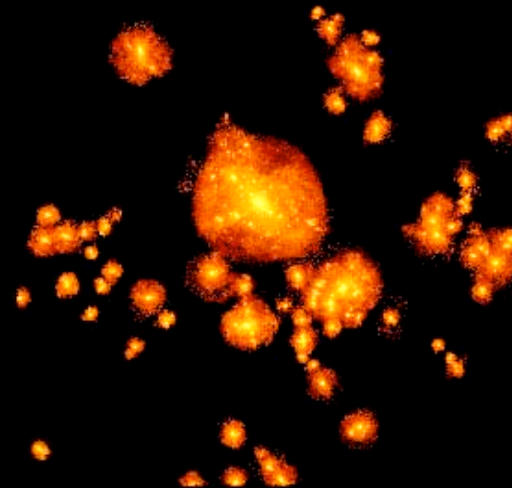
# Milky Way Implications

$z = 3.00$

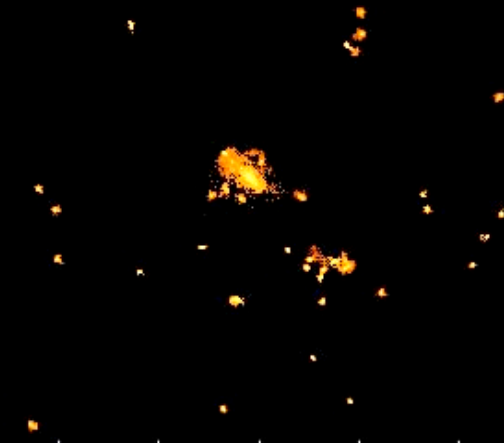


first

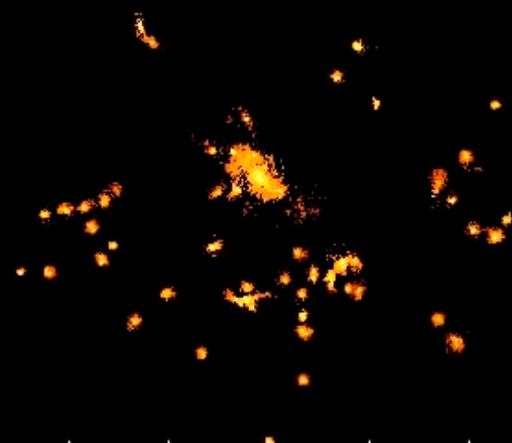
halo particles



second



-200 -100 0 100 200  
(kpc)



-200 -100 0 100 200  
(kpc)

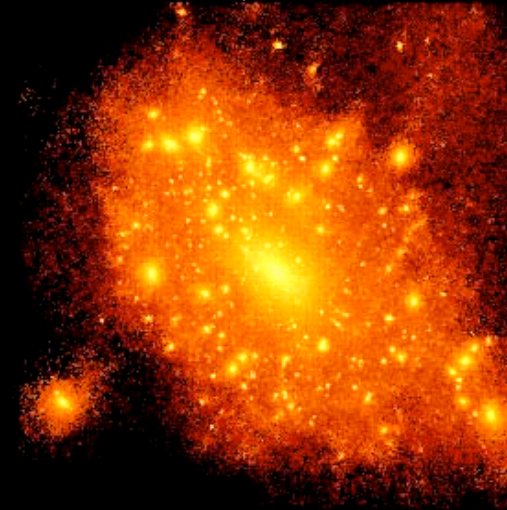
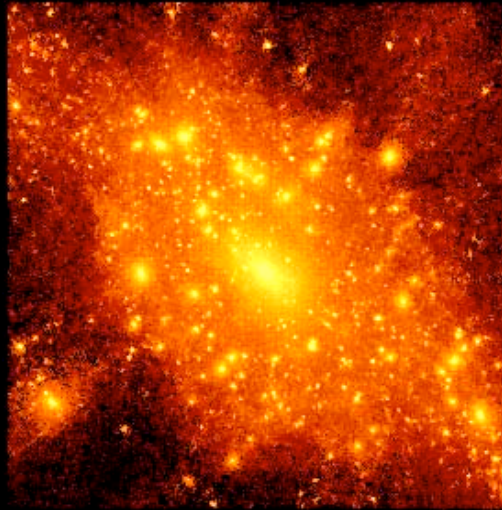
**ES et al  
(2006)**



# Milky Way Implications

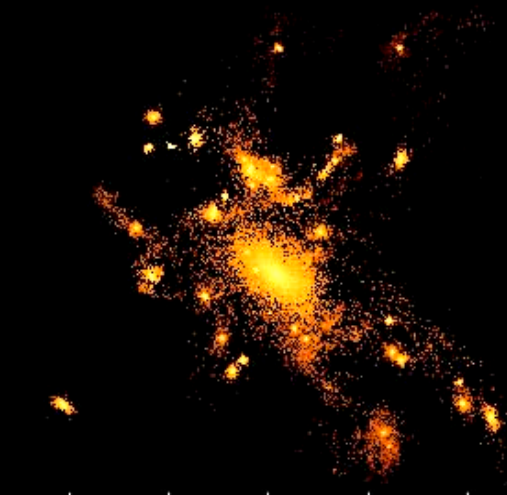
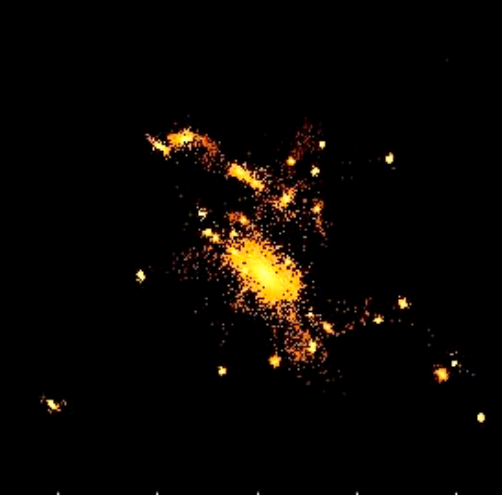
$z = 1.00$

halo particles



first

second



-200 -100 0 100 200  
(kpc)

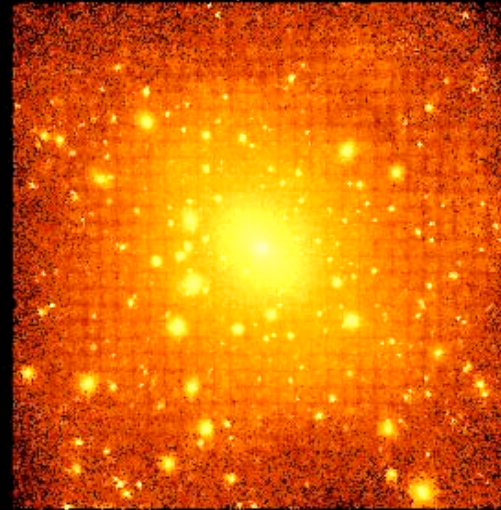
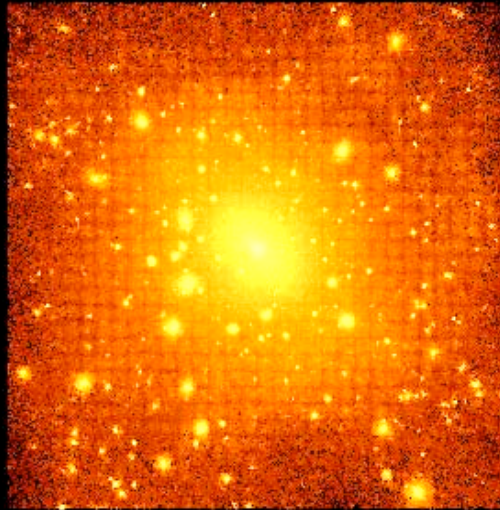
-200 -100 0 100 200  
(kpc)

**ES et al  
(2006)**

# Milky Way Implications

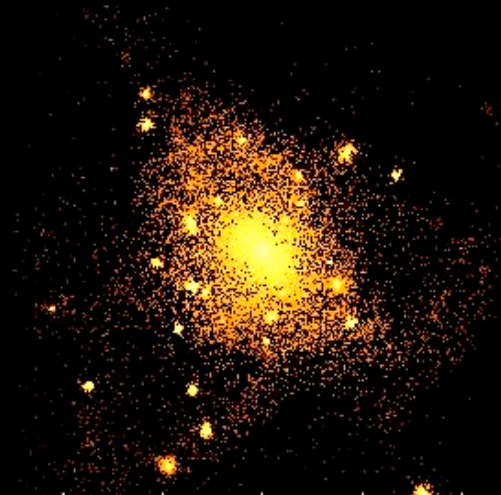
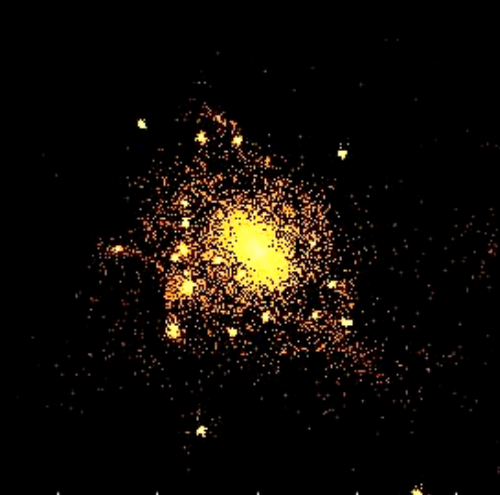
$z = 0.00$

halo particles



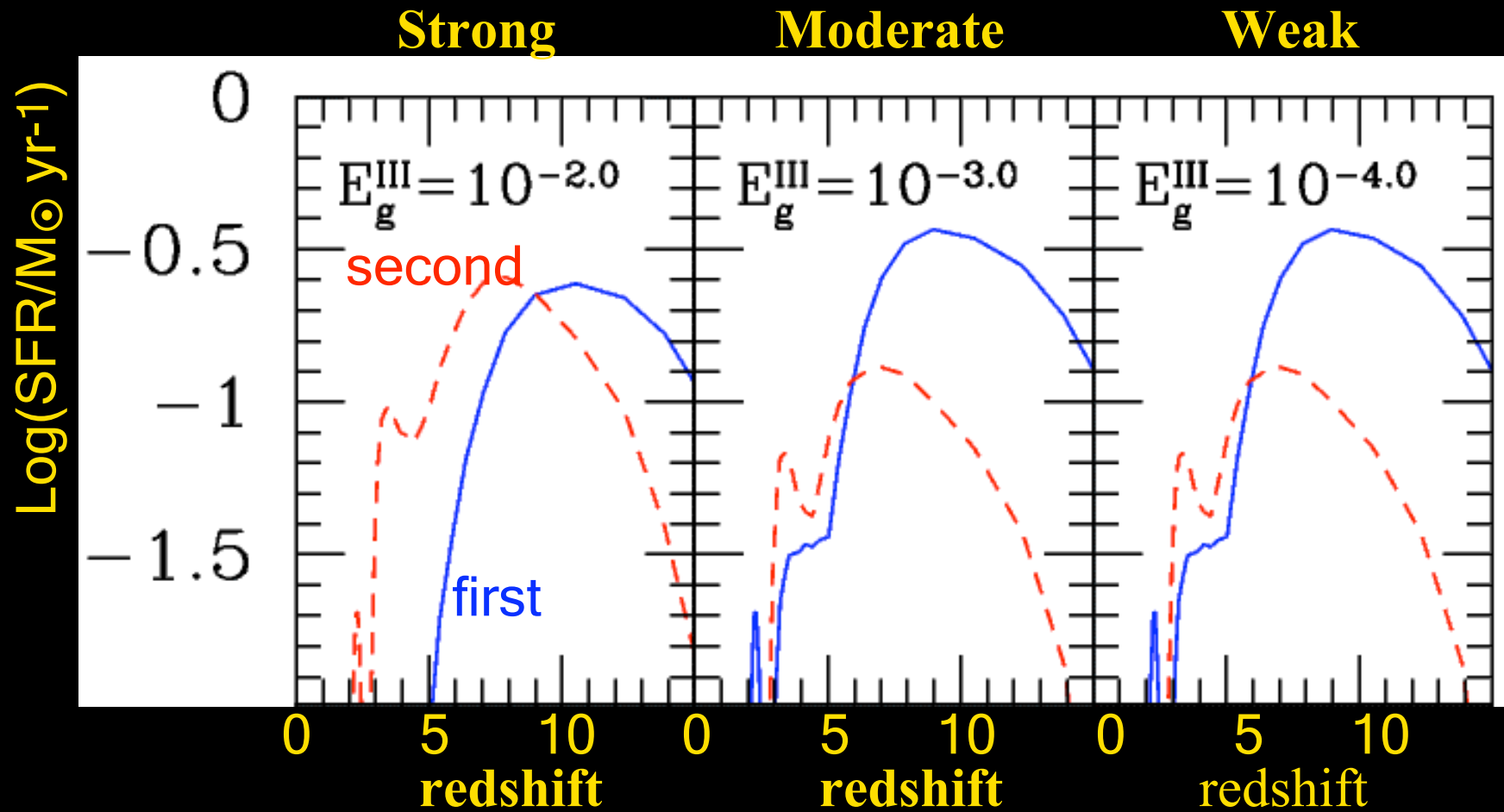
first

second



**ES et al  
(2006)**

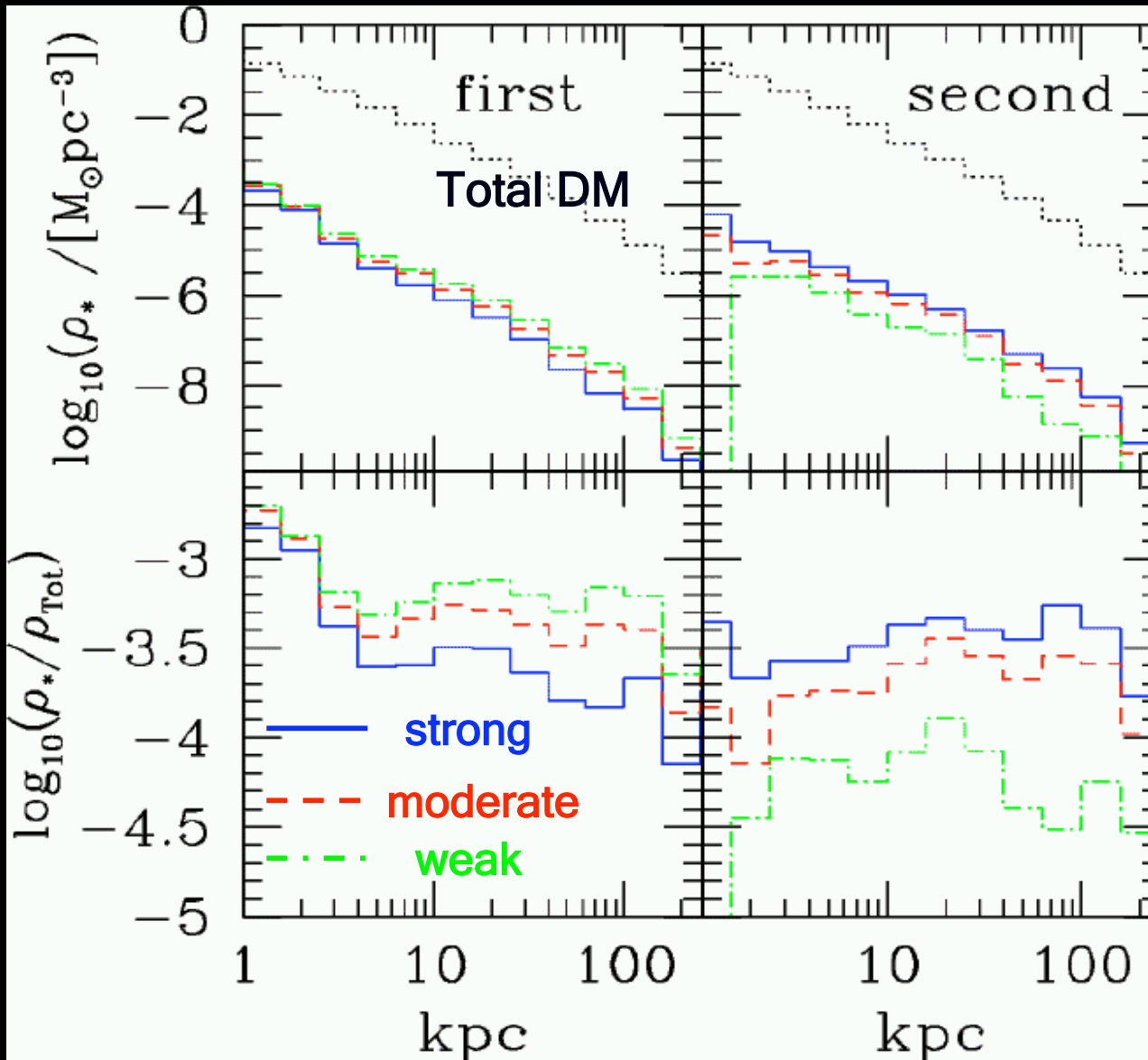
# Star Formation History



**First stars: peak around  $z=10$  and continue till  $z\sim 5$**

**Weaker outflow (inefficient IGM enrichment) allows first stars to form at lower redshift**

## The radial distribution of first and second stars at $z=0$



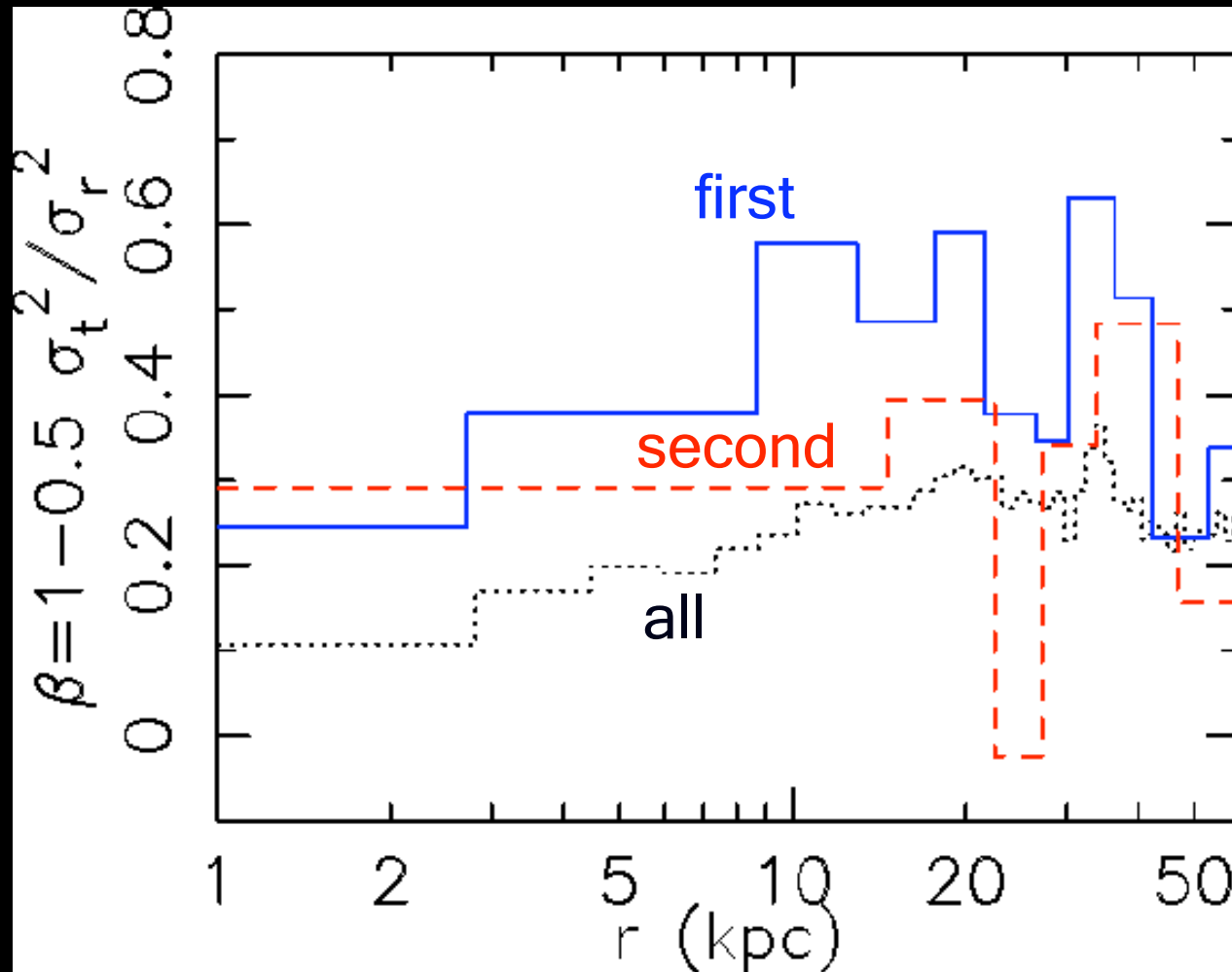
**Density profile centrally concentrated, but the profile is similar to total DM**

**Fraction: first or second stars/total only small difference between inner and outer region**

**Weaker outflow flatter profile**

**First and second stars end up everywhere!**

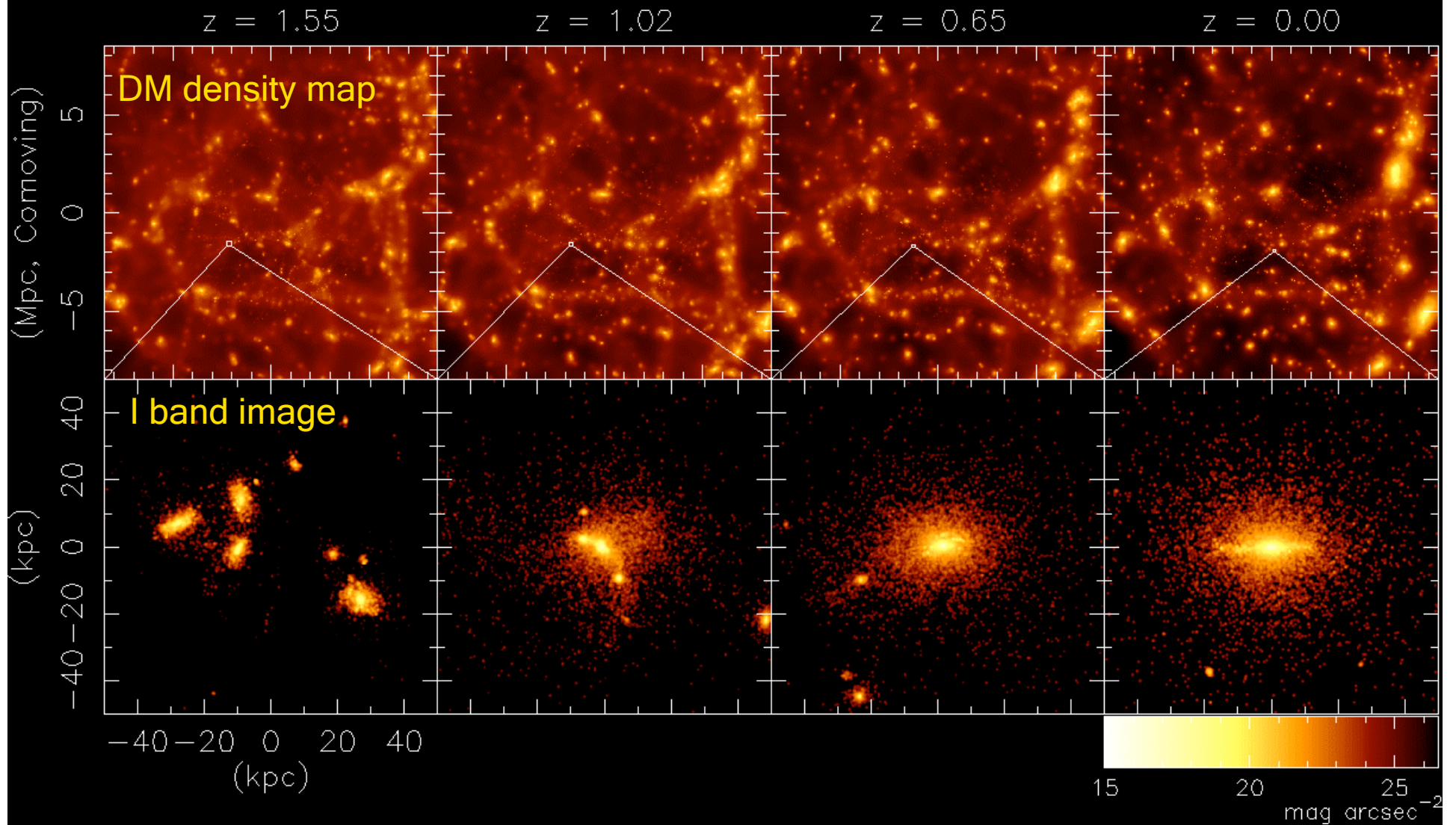
Kinematics of first and second stars (moderate outflow)  
anisotropy ( $\beta=1-0.5\sigma_t^2/\sigma_r^2$ ) vs. radius



First stars have higher  $\beta$ , the radial velocity dispersion dominant

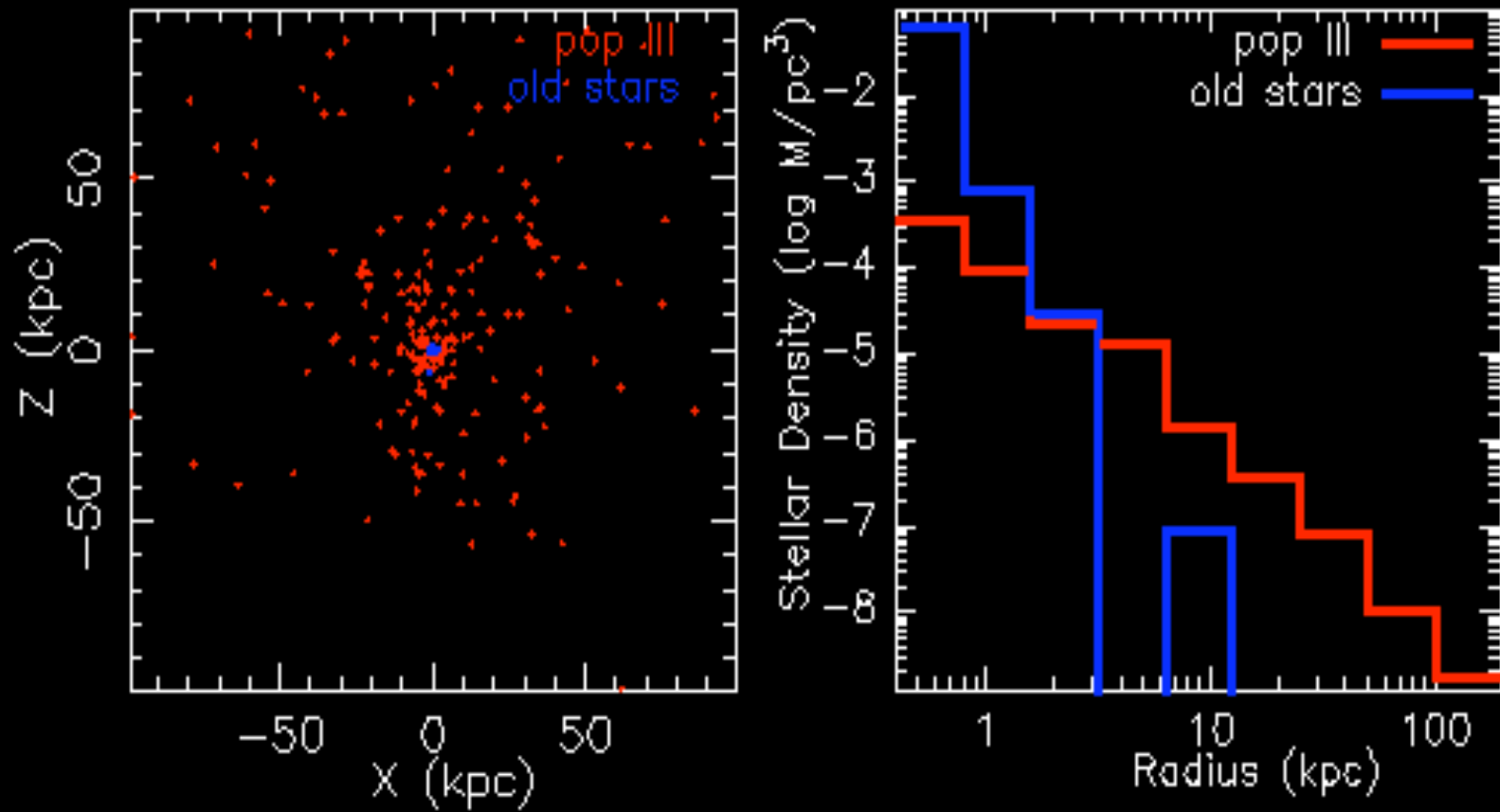
# 4. Chemodynamics cosmological simulations of disk galaxies

Brook et al. ApJ submitted



Simply identify the place of metal free and old stars

# Full SPH calculations DM: $8 \times 10^6 M_{\odot}$



Limits on Mass function:

**No Metal free observed stars:  $M_{\min} \approx 0.8 M$**

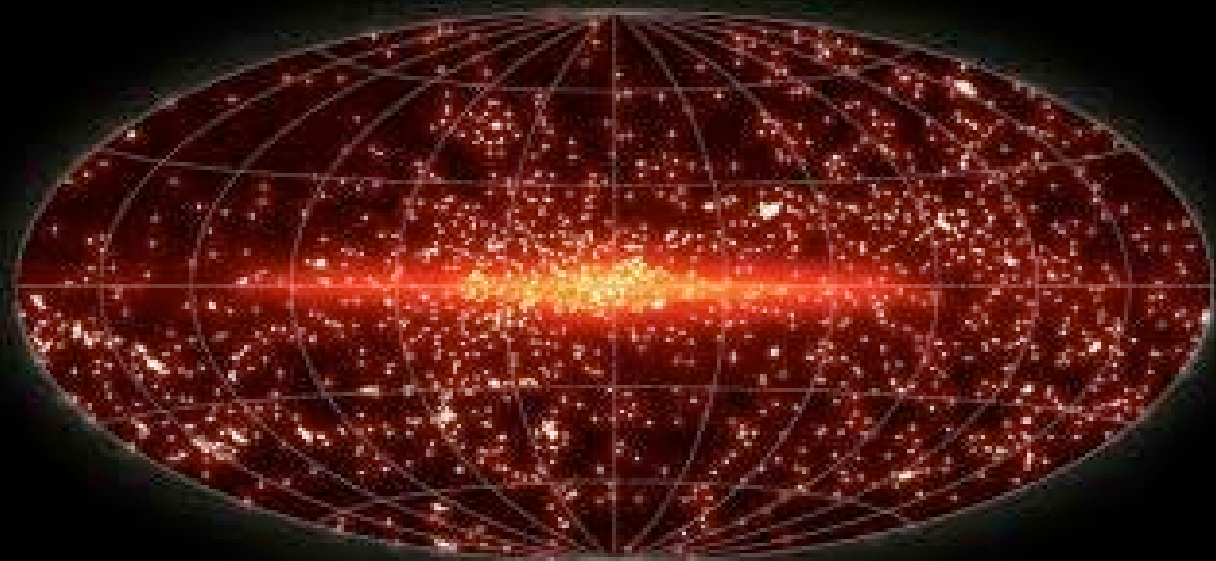
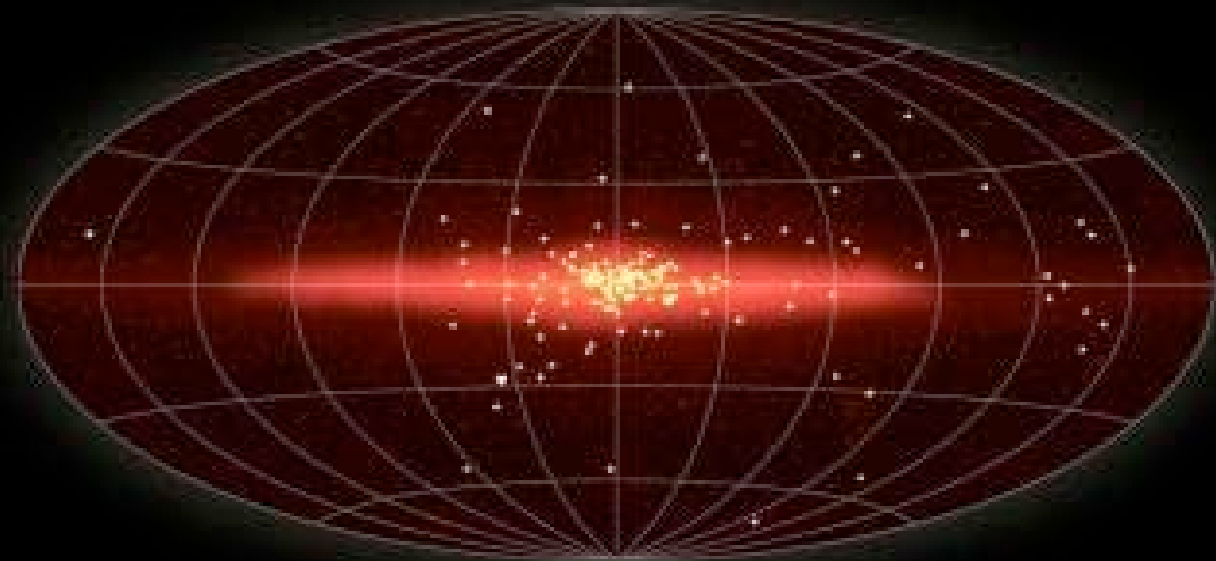
Limits for nucleosynthesis:

**Odd even effect not observed**

**<1/2 Fe from Pop III is from PPSN**

**Metallicity distribution function of halo stars, etc... have important implications for PopIII star formation.**





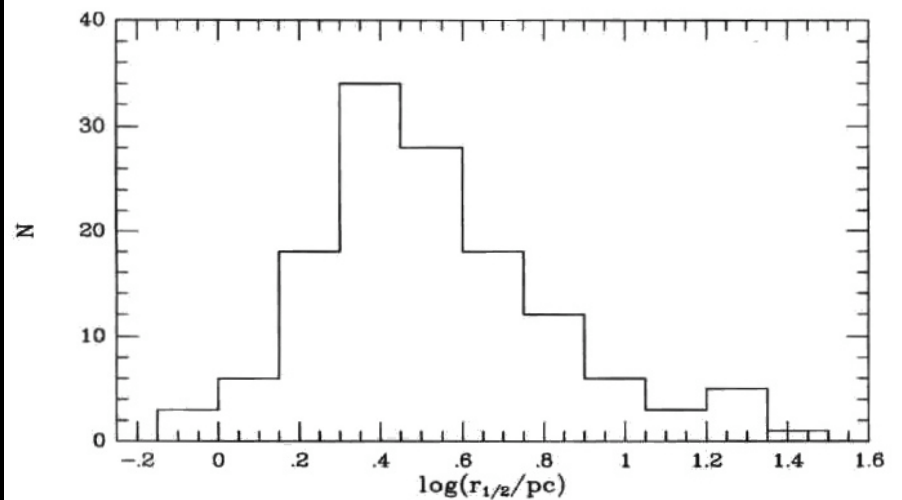
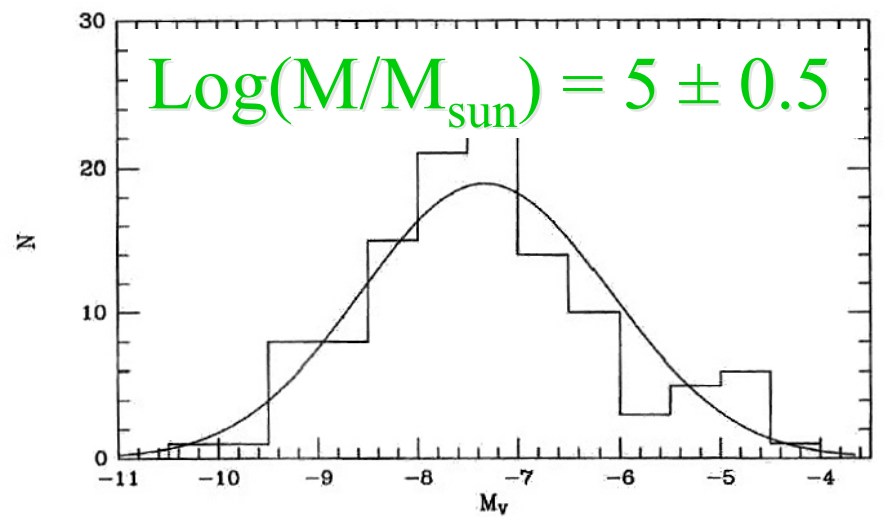
A dense field of stars, likely representing a star cluster or galaxy core, with a grid overlay. The stars are concentrated in the lower half of the image. Two rectangular boxes highlight specific regions: a blue box in the upper right and a red box in the lower left. The text "II Globular Clusters" is centered in the middle of the image.

## II Globular Clusters

# Globular Clusters

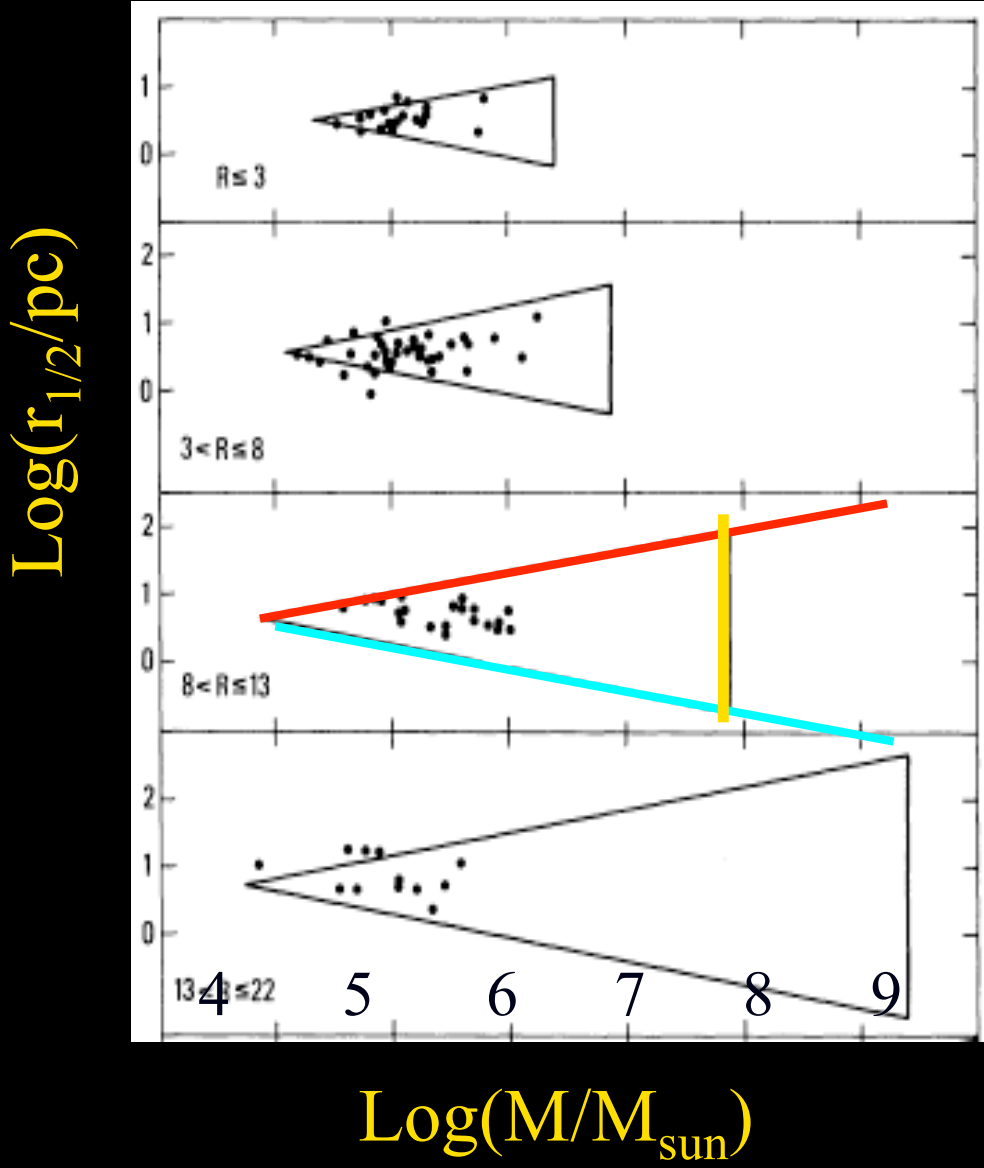


M92, Hillary Mathis REU(NOAO/AURA/NSF)



Ashman & Zepf (1998)

# Issue # 1: Globular Cluster Sizes



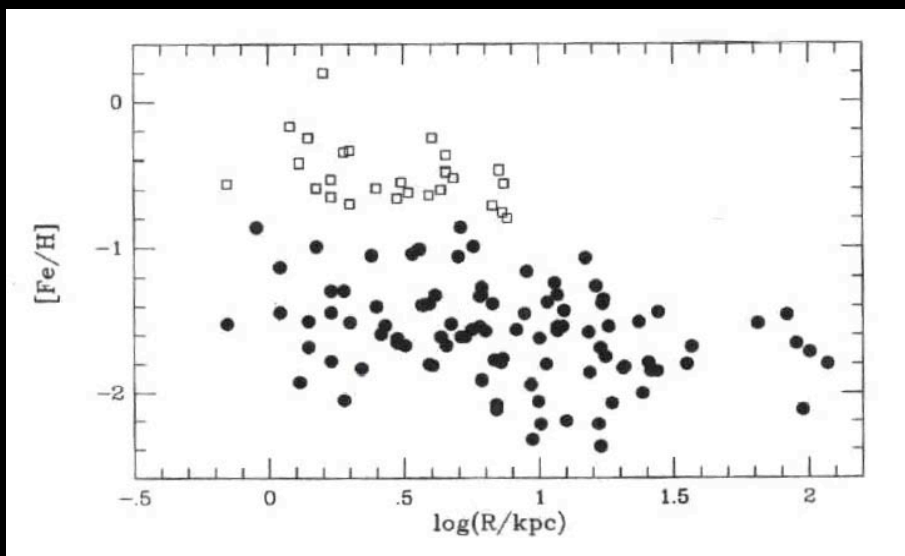
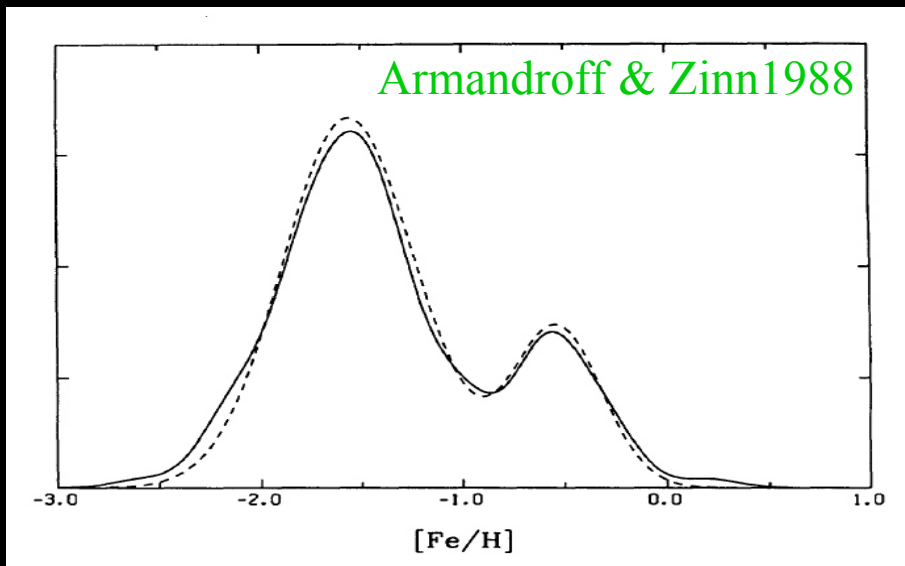
Disk shocking  
 $t \sim r_{1/2}^{-3} M R$

Evaporation  
 $t \sim r_{1/2}^{3/2} M^{1/2}$

Dynamical Friction  
 $t \sim M^{-1} R^2$

Maximum mass is an intrinsic property of the *initial* GC population

# #2: Globular Cluster Metallicities



Double-peaked

$[\text{Fe}/\text{H}] \sim -0.5 \pm .25$

$[\text{Fe}/\text{H}] \sim -1.6 \pm .35$

Dynamically Different

“Halo” and “Disk,” Also

seen in other galaxies

(eg Forbes Brodie Huchra 1997)

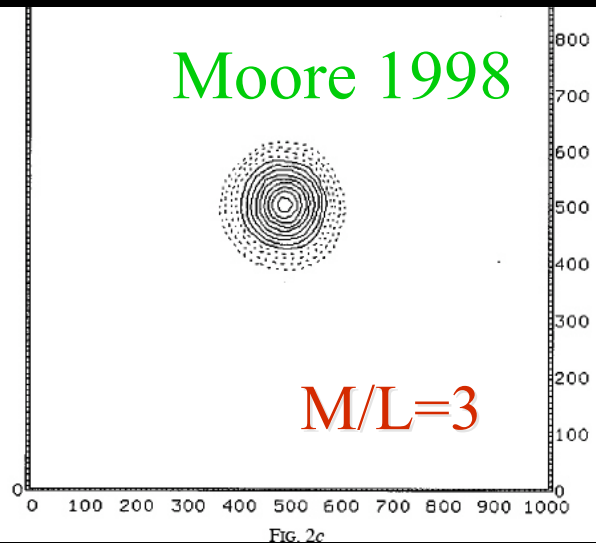
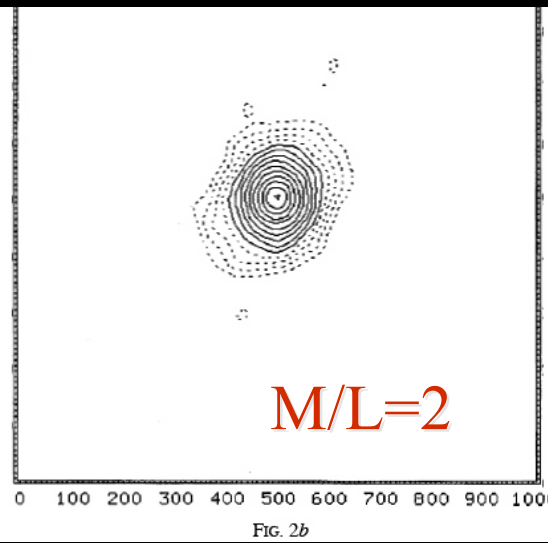
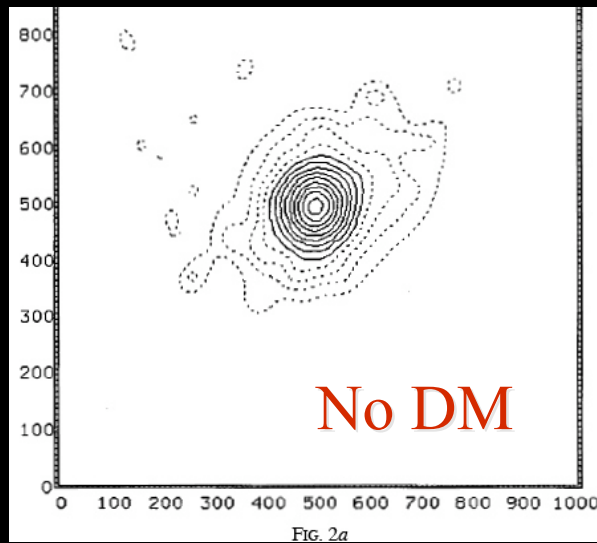
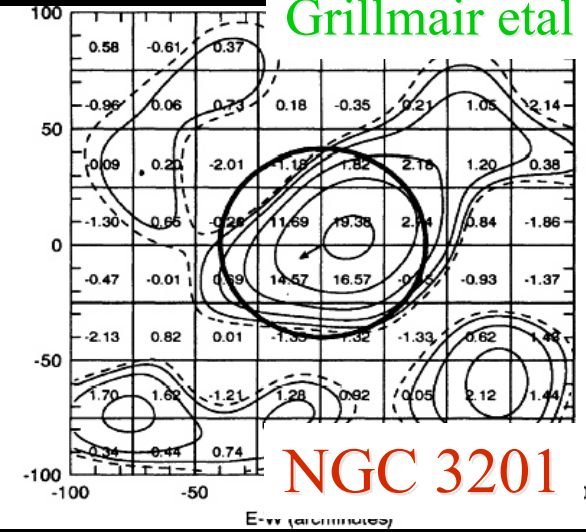
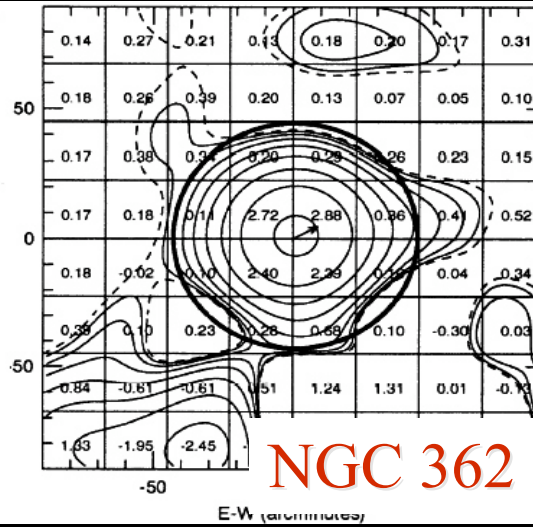
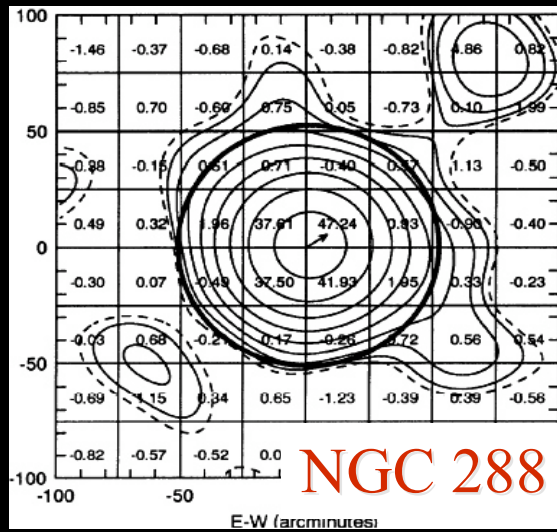
Narrow range  $< \Delta Z \pm 0.1$

In each GC (eg Sunzeff 1993)

*One generation*

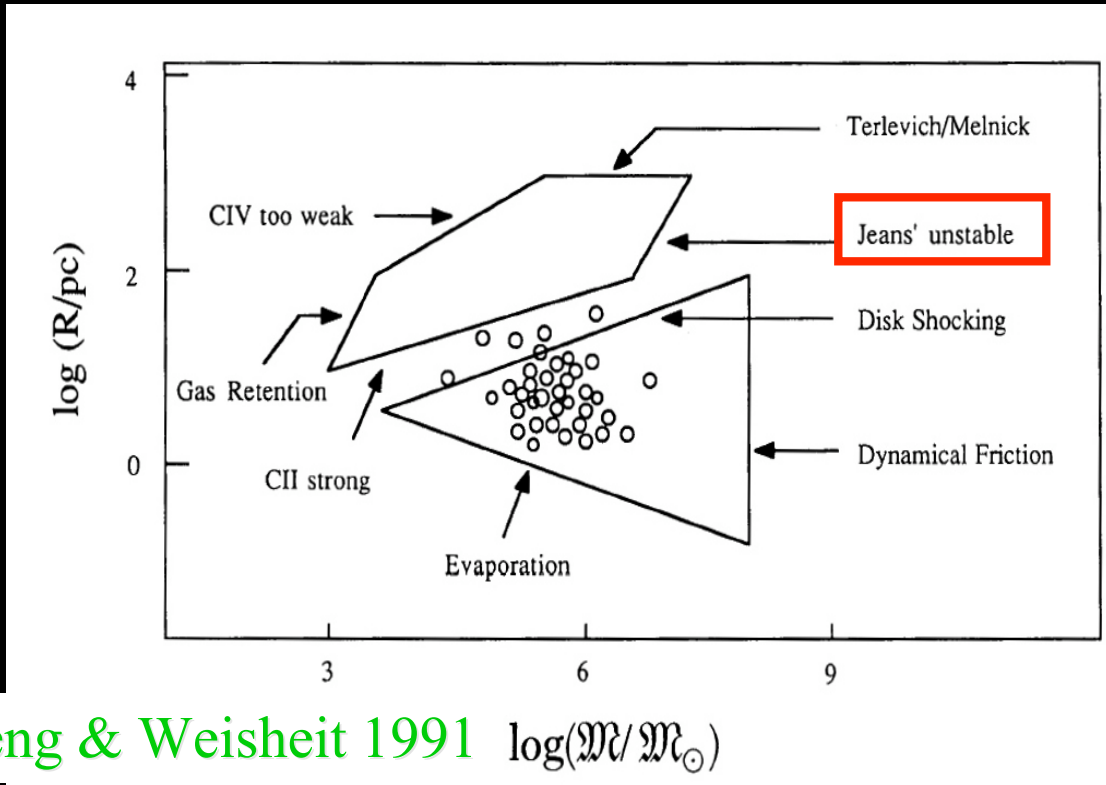
# #3: (No) Dark Matter In GCs

Grillmair et al 1995



Moore 1998

# Explanation #1: Minihalos



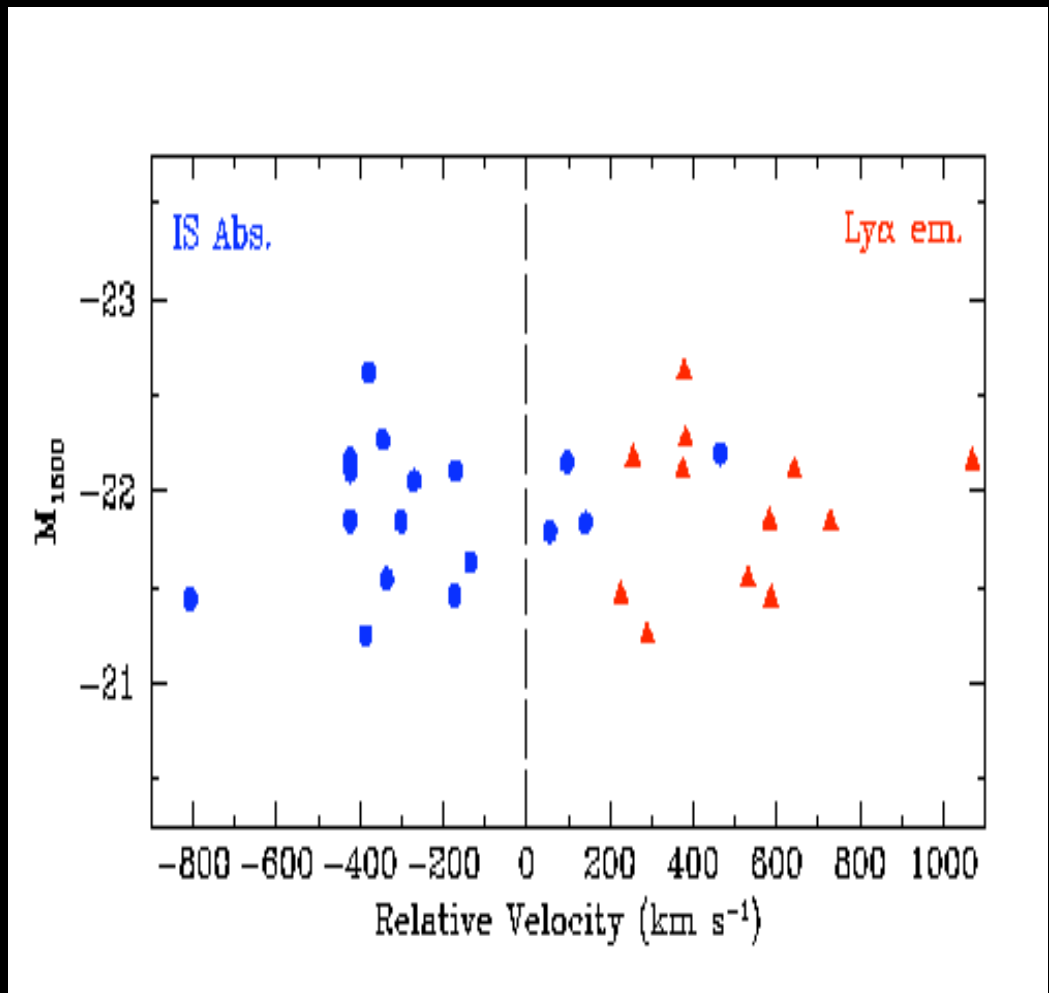
$$T_{\text{vir}} \leq 10^4 \text{ K at } z \sim 10$$

Below this temperature you need dust or  $\text{H}_2$  to cool.

Primordial clouds, after the very first stars form may not be able to form stars on their own:  
Minihalos (total masses  $< \sim 5 \times 10^7 M_{\text{sun}}$ )

## #2: Galaxy Outflows

- In a sample of 19 Ly-break  $z \sim 3$  starbursting galaxies, winds were found in all objects.
- Velocities  $\sim 200$  km/s
- Ly $\alpha$ -nebular emission + metal absorption-nebular emission.
- SFR  $\sim 20$  Msolar /yr

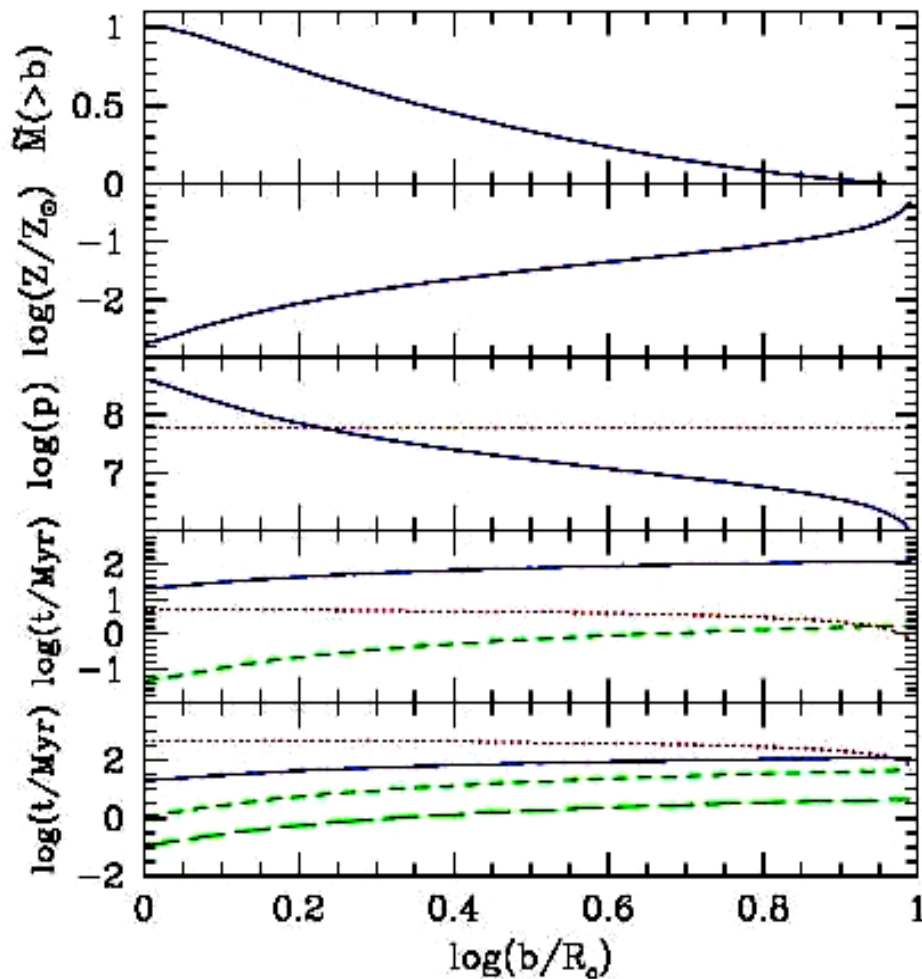


M. Pettini et al 2001



# Fiducial Interaction

$$E = 10^{56} \text{ ergs} ; M = 10^{6.5} M_{\text{sun}} ; Z \sim 10^{-1.5} Z_{\text{sun}}$$



Gas is stripped  
from the potential

Free-fall time

Sound Xing time

Cooling time

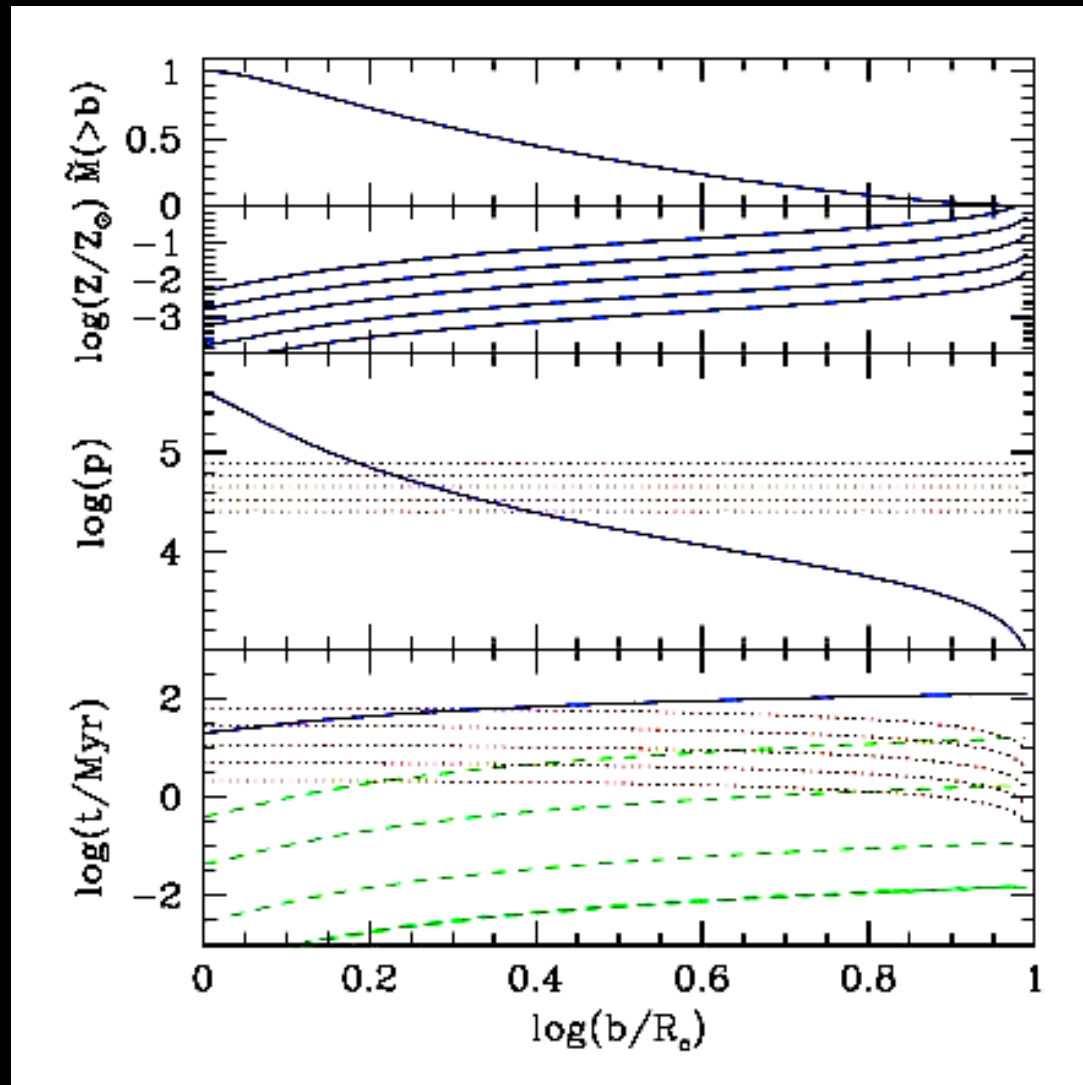
Cooling by:

nonequilibrium proc.

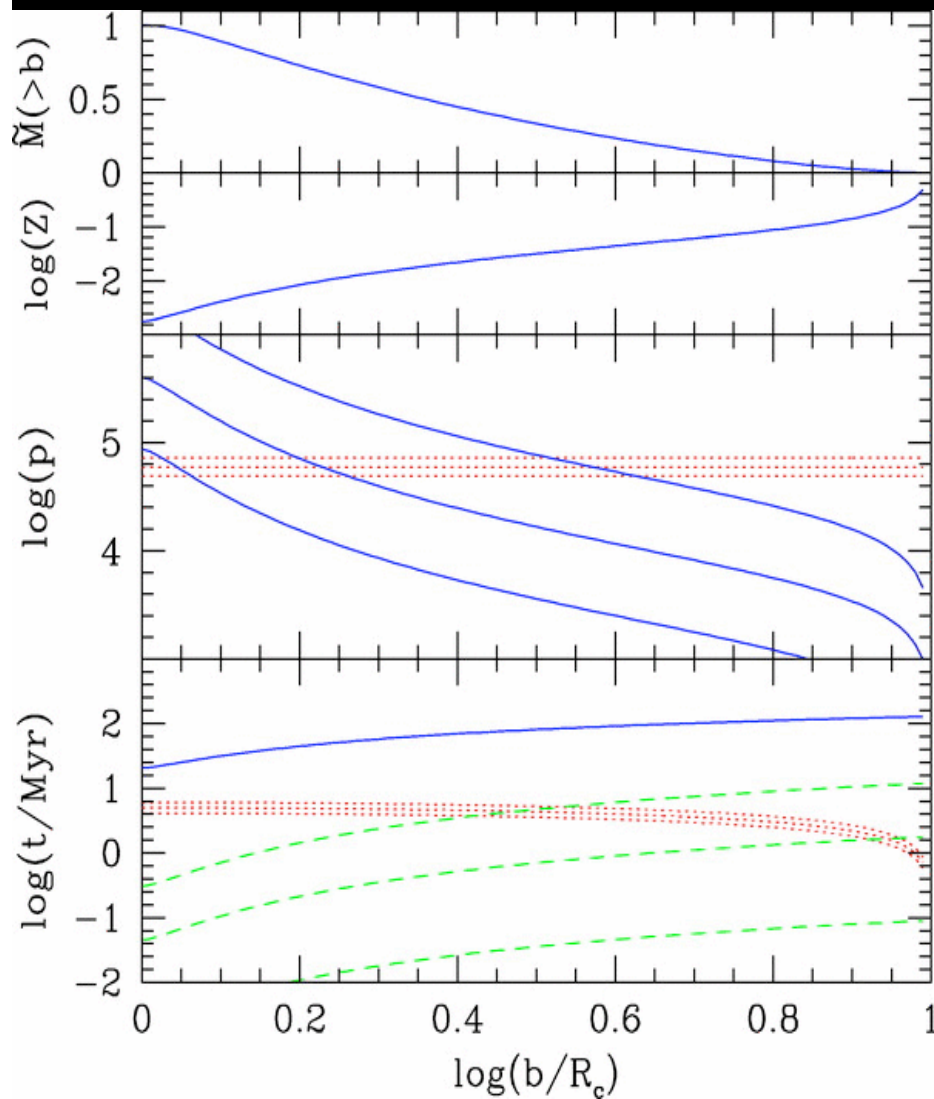
Infrared CII, FeII, SiII (<13.6eV)

# Parameter Dependencies

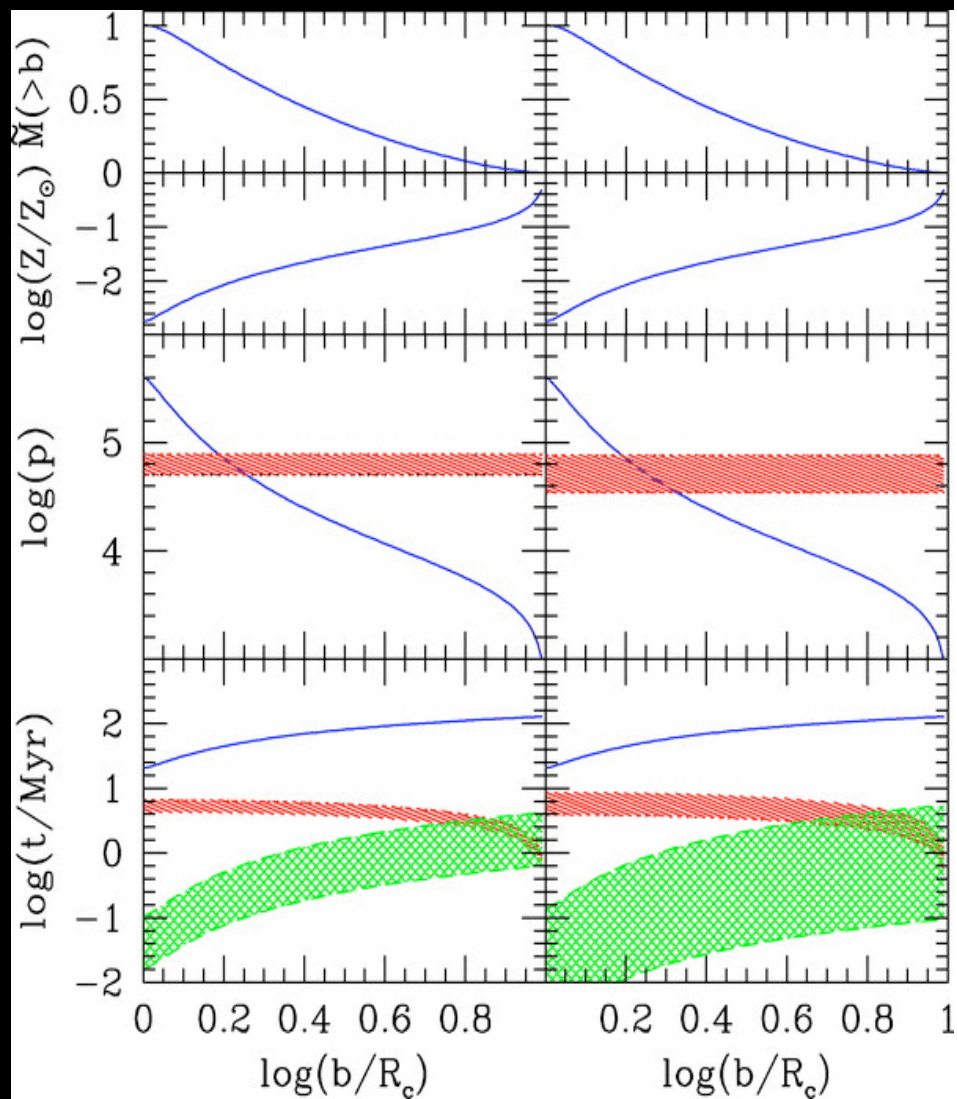
Distance  
( $-3 < \log Z < -1$ )



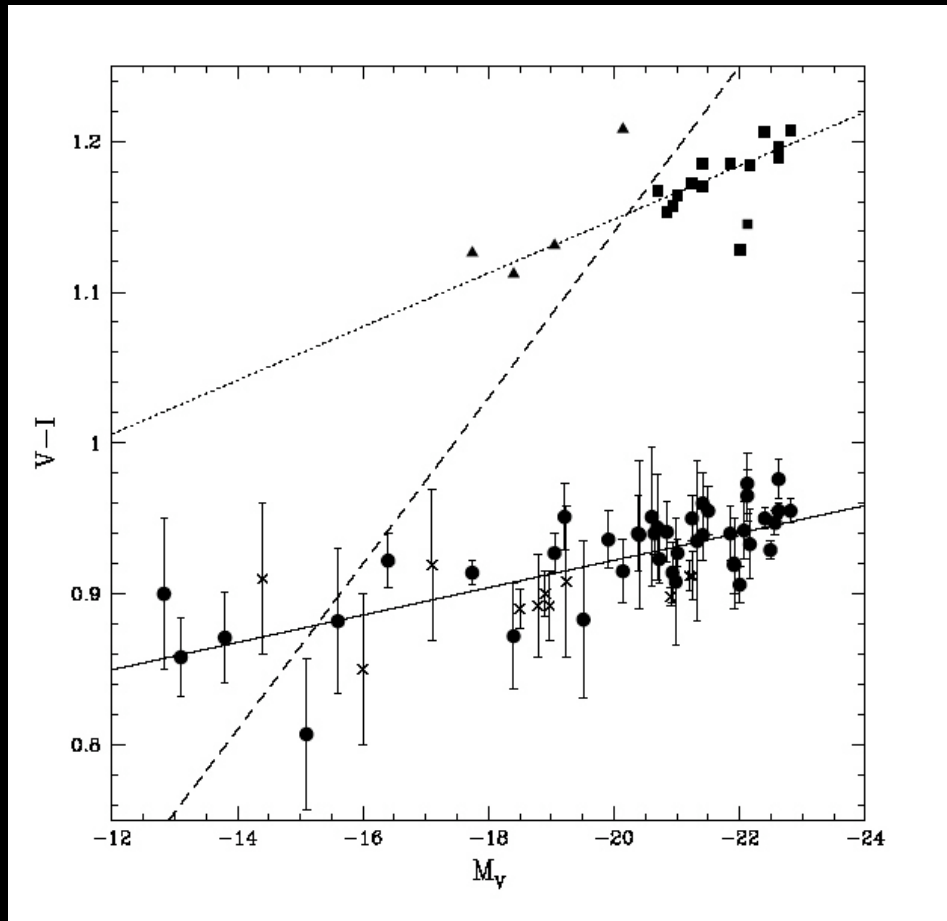
# Minihalo mass



# Starburst energy



# Other Observables



Strader, Brodie, & Forbes 2004

$$Z \propto L^{1/6}$$

Fix  $v_s$ :

$$R \propto E^{1/3} (1+z)^{-1}$$

Assume ejected Z

E of starburst  $\propto L$

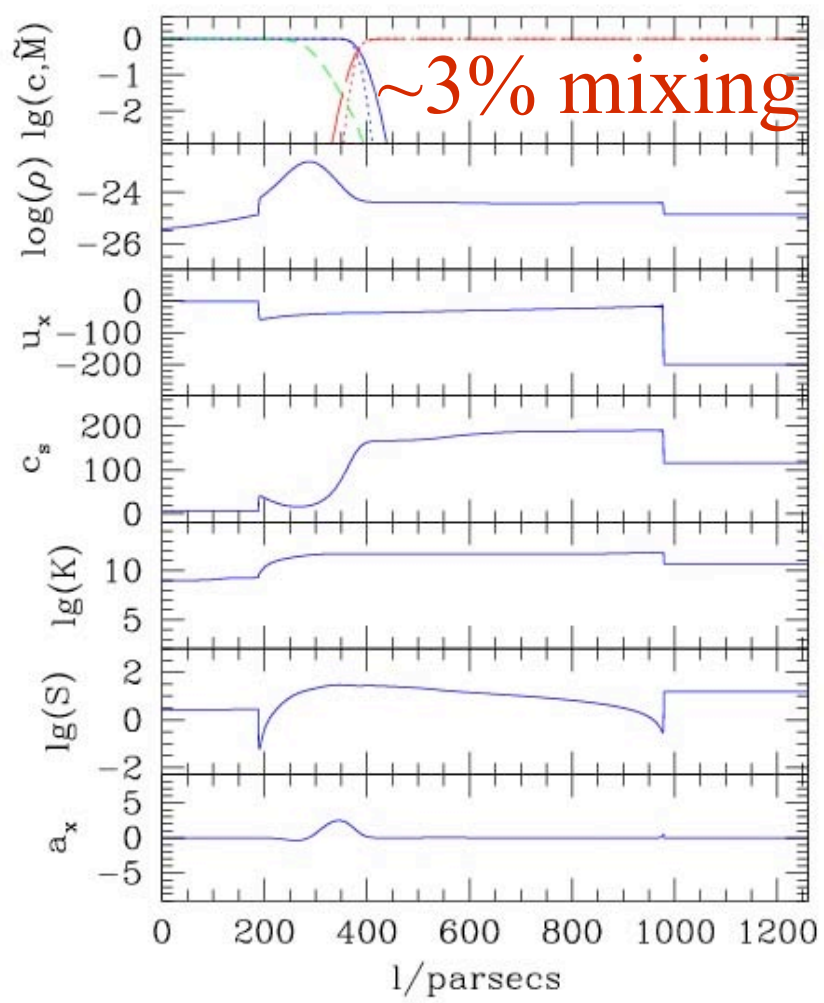
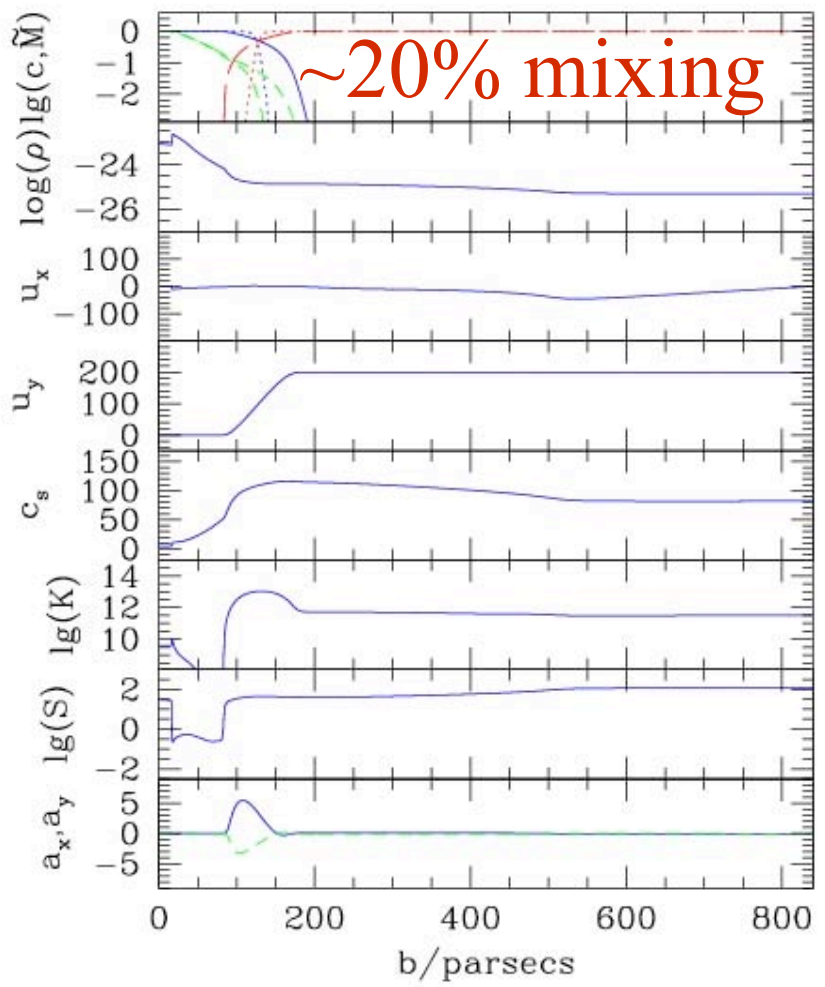
$$Z \propto L^{1/3} (1+z)^2$$

Fixed sigma

peaks (CDM):

$$Z \propto L^{1/3-0}$$

# 1D Simulation of (Turbulent) Mixing

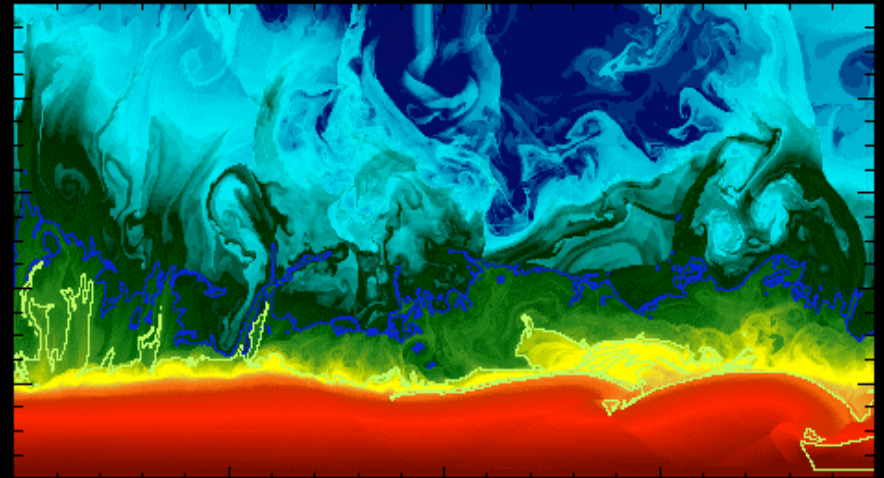




# **III Simulating Triggered GC formation**

# FLASH3 (AMR) Simulations

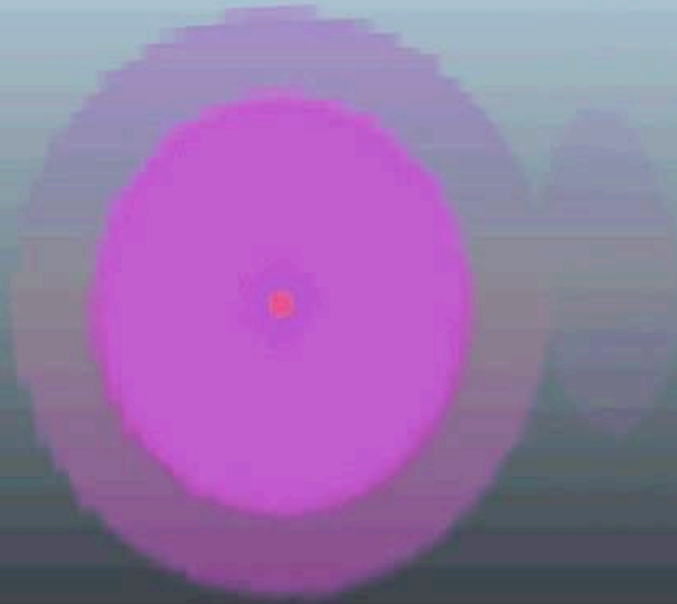
- initially hydrostatic cluster, static gravity
- 4 levels of refinement,  $256^3$  effective resolution, 1 kpc<sup>3</sup> box
- NFW halo
- Saguaro computer cluster (4096 core cluster at ASU)
- Multigrid Self Gravity
- **NO COOLING!**





4.4265e-27

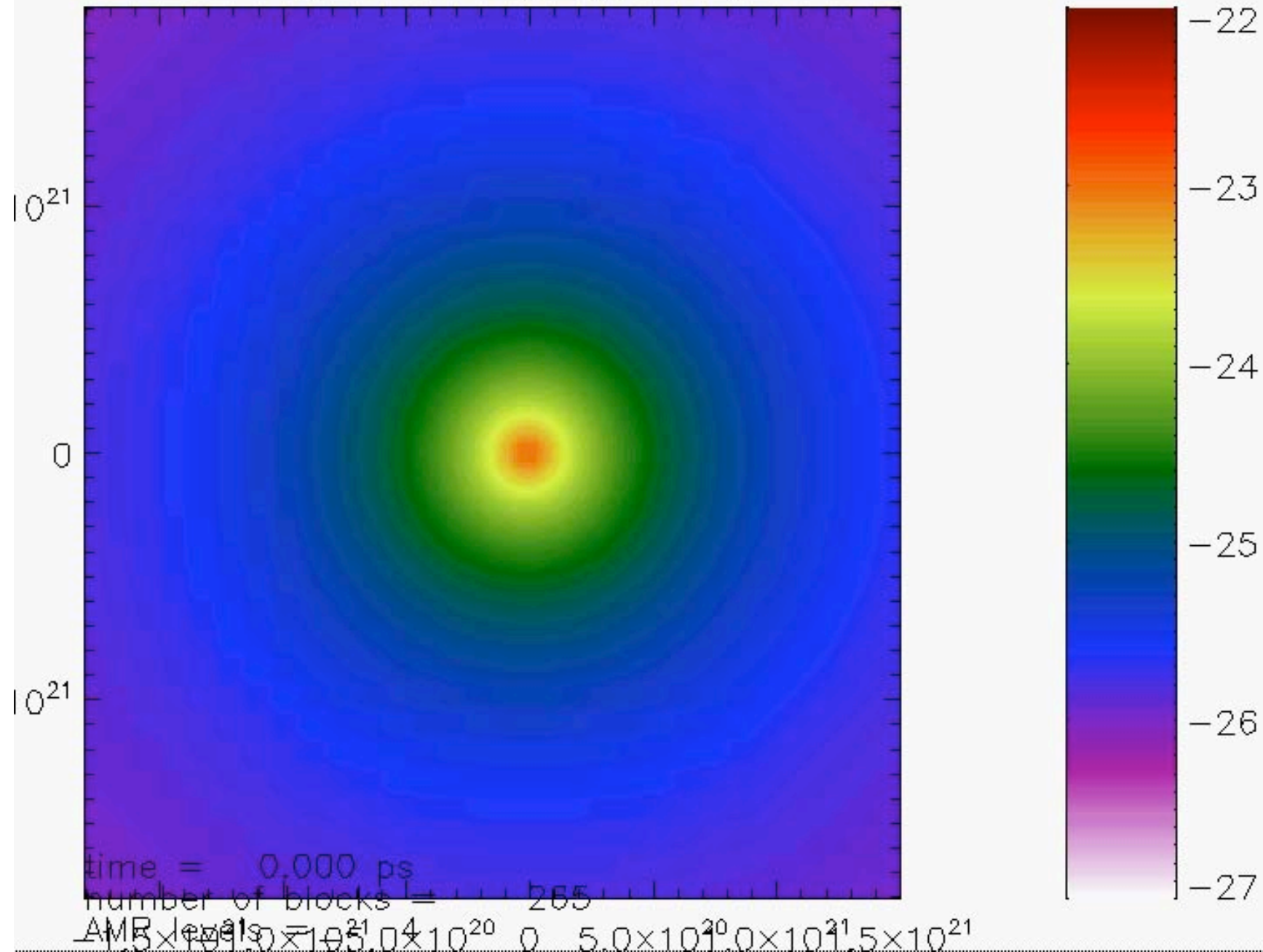
8 9



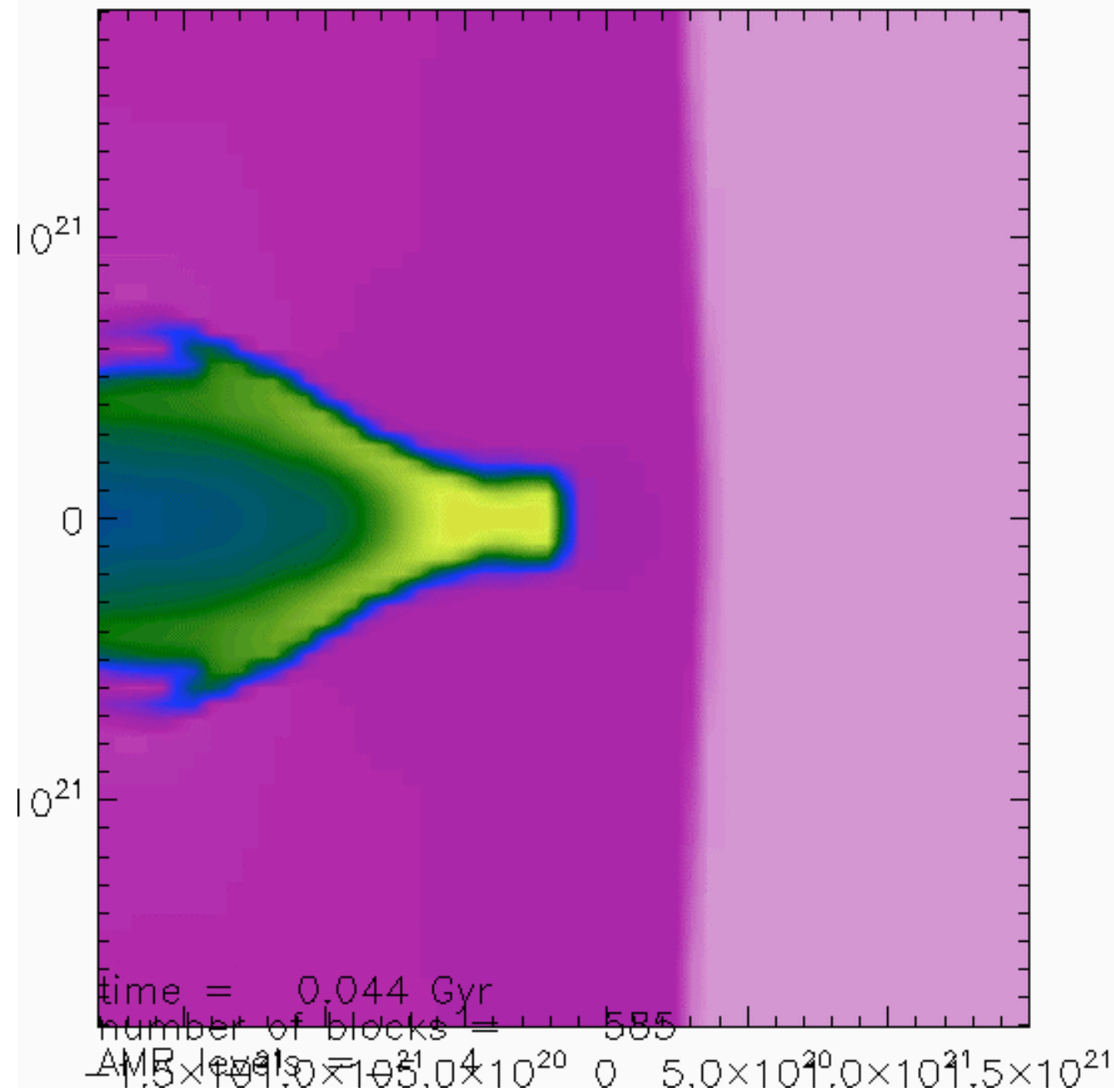
Timestep 2 of 100



Log10 Density (g/cm<sup>3</sup>)



Log10 Density (g/cm<sup>3</sup>)

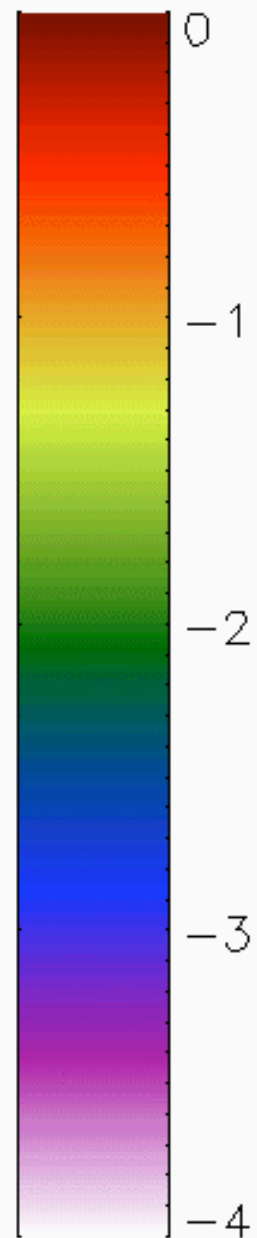
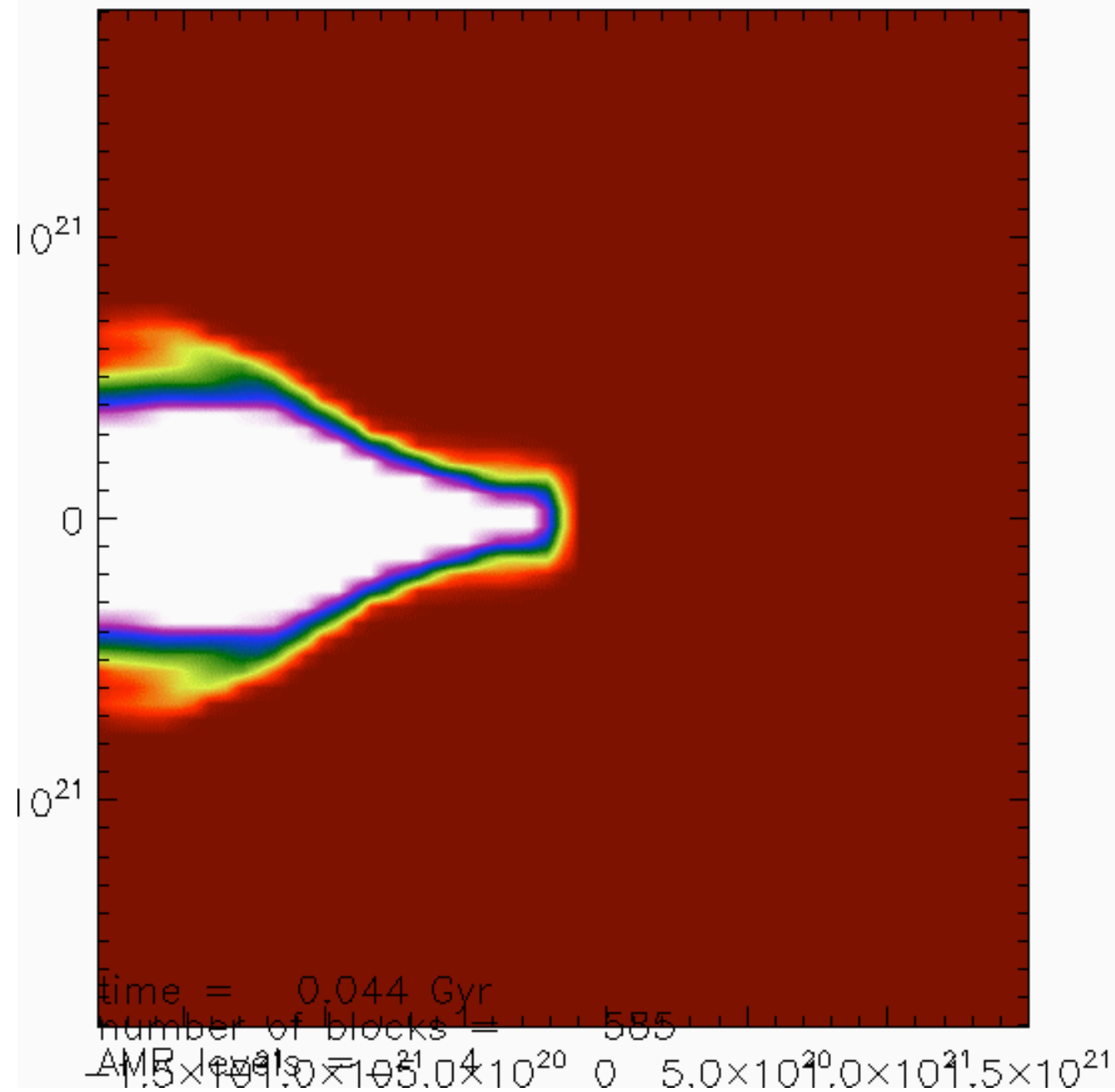


time = 0.044 Gyr

number of blocks = 585

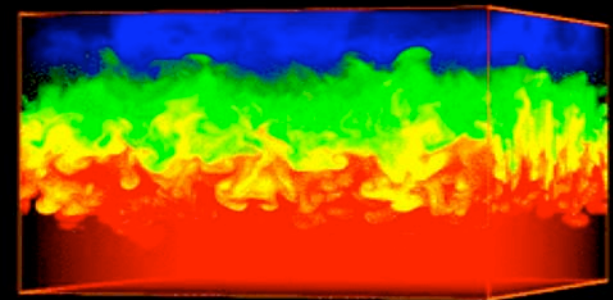
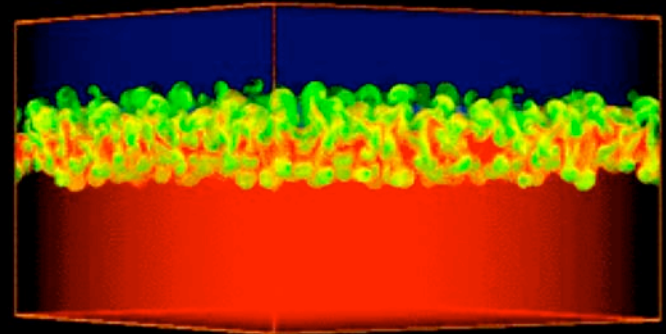
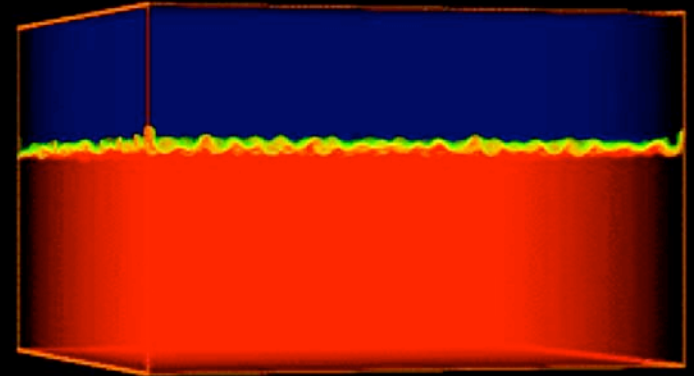
$1.5 \times 10^{21}$   $1.0 \times 10^{21}$   $5.0 \times 10^{20}$  0  $5.0 \times 10^{20}$   $1.0 \times 10^{21}$   $1.5 \times 10^{21}$

Log10 metl



# Rayleigh Taylor Instability

$$h_b = \alpha_b A_o g t^2$$



Cook et al. (2004)

# Dimonte & Tipton '06 Turbulence Model

based on buoyancy-drag models for RT and RM instabilities: **self-similar**,  
**conserves energy**, **preserves Galilean invariance**, **works with shocks**

**K = Turbulent KE** , **L= Turbulent Length Scale**

$$\frac{\partial \bar{\rho} K}{\partial t} + \frac{\partial \bar{\rho} K \tilde{u}_j}{\partial x_j} = \frac{\partial}{\partial x_j} \left( \frac{\mu_t}{N_K} \frac{\partial K}{\partial x_j} \right) - R_{i,j} \frac{\partial \tilde{u}_i}{\partial x_j} + S_K$$

turb. diffusion
work associated with
source term with  

turbulent stress
RM and RT contributions

$$\frac{\partial \bar{\rho} L}{\partial t} + \frac{\partial \bar{\rho} L \tilde{u}_j}{\partial x_j} = \frac{\partial}{\partial x_j} \left( \frac{\mu_t}{N_L} \frac{\partial L}{\partial x_j} \right) + \bar{\rho} V + C_C \bar{\rho} L \frac{\partial \tilde{u}_i}{\partial x_i},$$

turb. diffusion
growth of eddies
growth of eddies  

through turb. motion
through motion in mean flow

$$S_K = \bar{\rho} V \left[ C_B A_i g_i - C_D \frac{V^2}{L} \right], \quad \mu_T = C_\mu \bar{\rho} L V, \quad V \equiv \sqrt{2K}$$

buoyancy
drag
turb. viscosity
turb. velocity

# Modified Fluid Equations

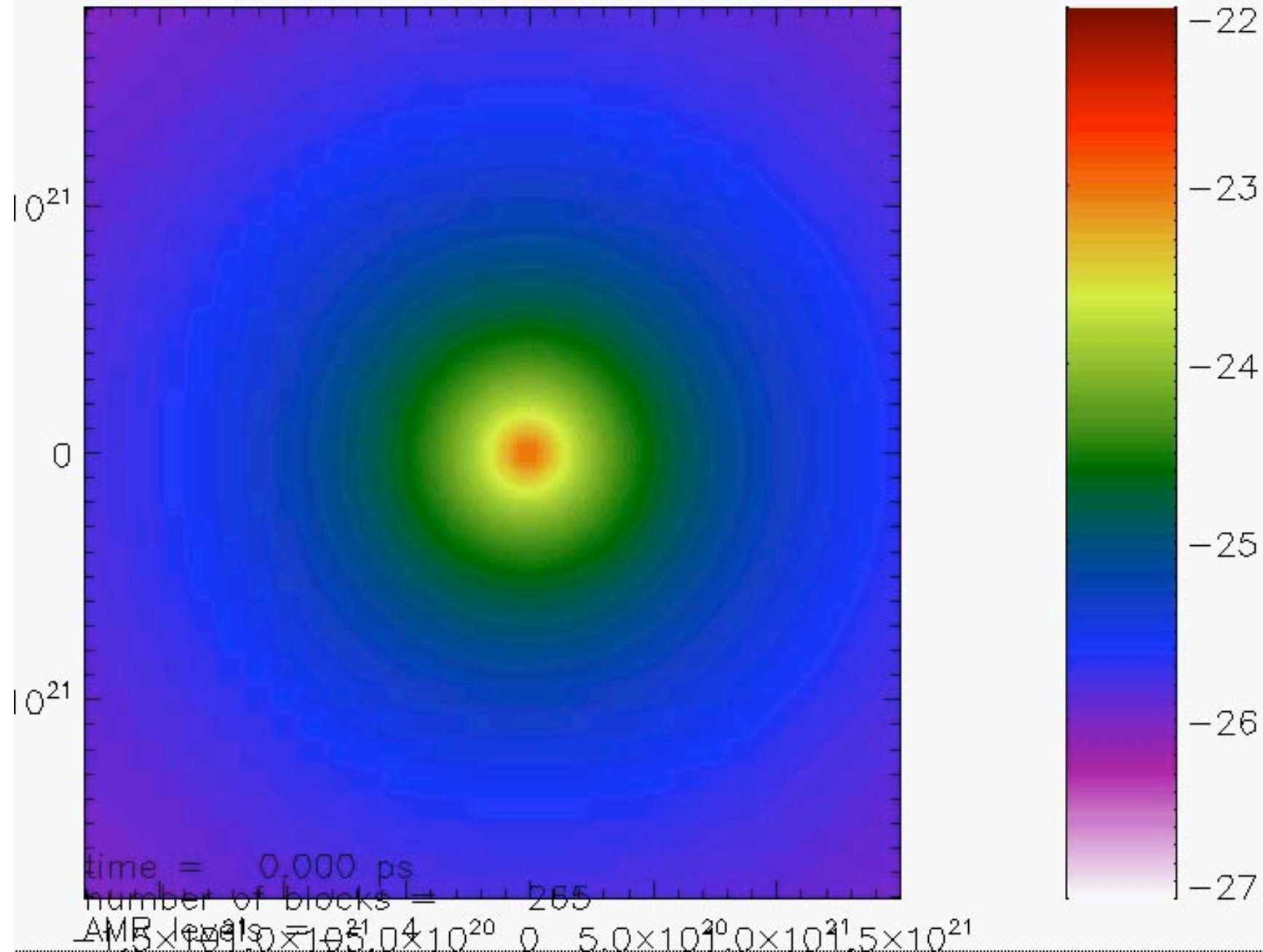
Leading order in expansion around mean velocity: mean quantities are modified by presence of

1. Reynolds stress  $R_{i,j}$
2. Turbulent viscosity,  $\mu_t$
3. Source term  $S_K$

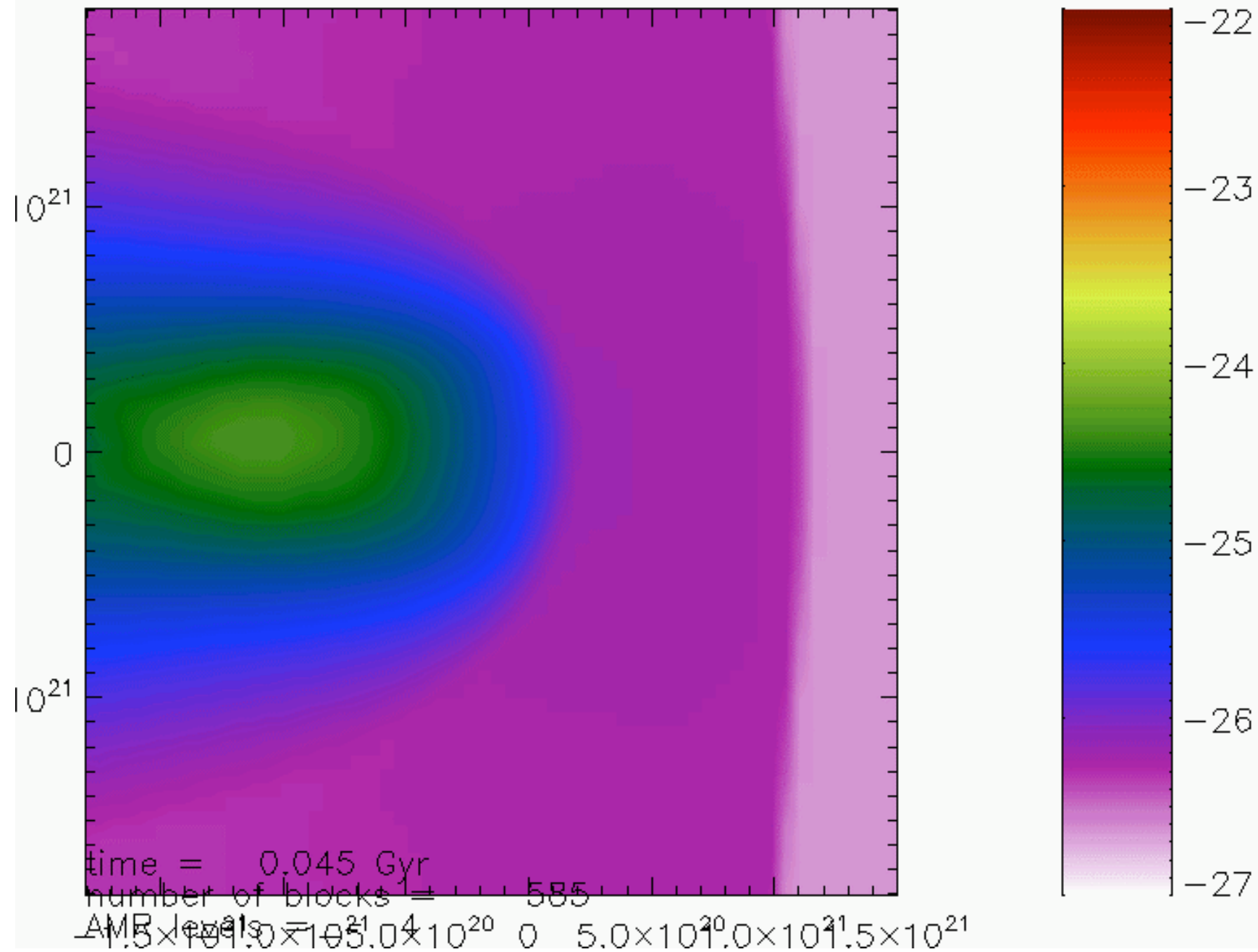
$$\frac{\partial \rho u_i}{\partial t} + \frac{\partial \rho u_i u_j}{\partial x_j} = - \frac{\partial P}{\partial x_i} - \frac{\partial R_{i,j}}{\partial x_j}$$

$$\frac{\partial \rho E}{\partial t} + \frac{\partial \rho E u_j}{\partial x_j} = \frac{\partial}{\partial x_j} \left( \frac{\mu_t}{N_E} \frac{\partial E}{\partial x_j} \right) - \frac{\partial P u_j}{\partial x_j} - S_K$$

Log10 Density (g/cm<sup>3</sup>)

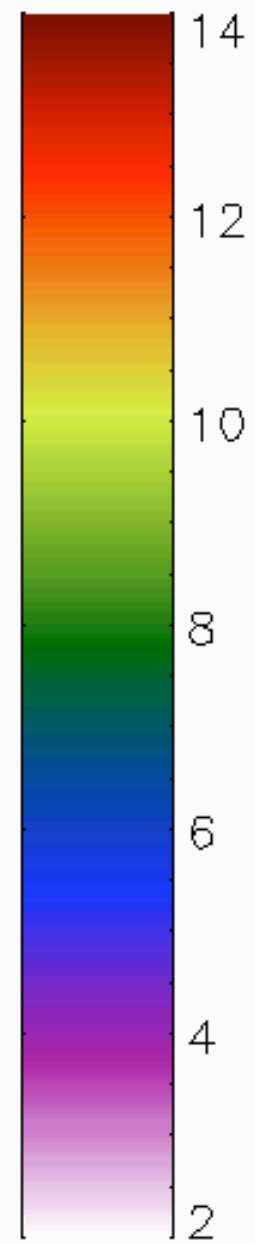
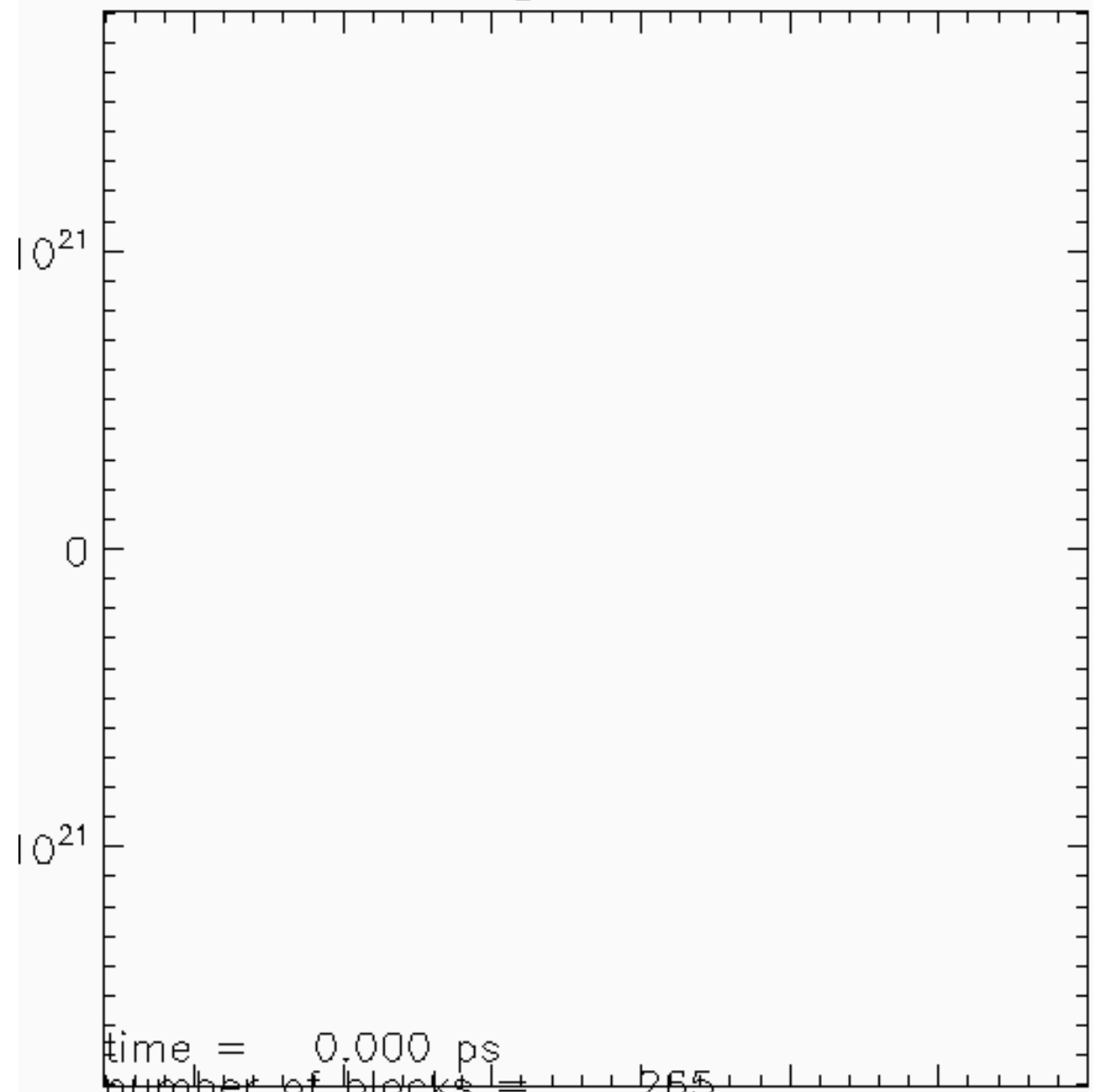


Log10 Density (g/cm<sup>3</sup>)



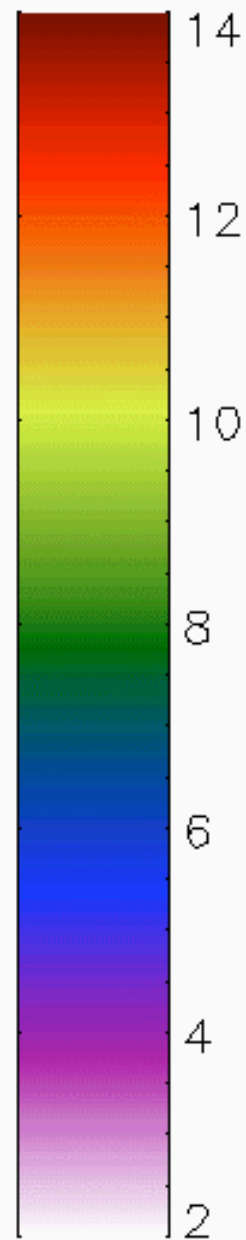
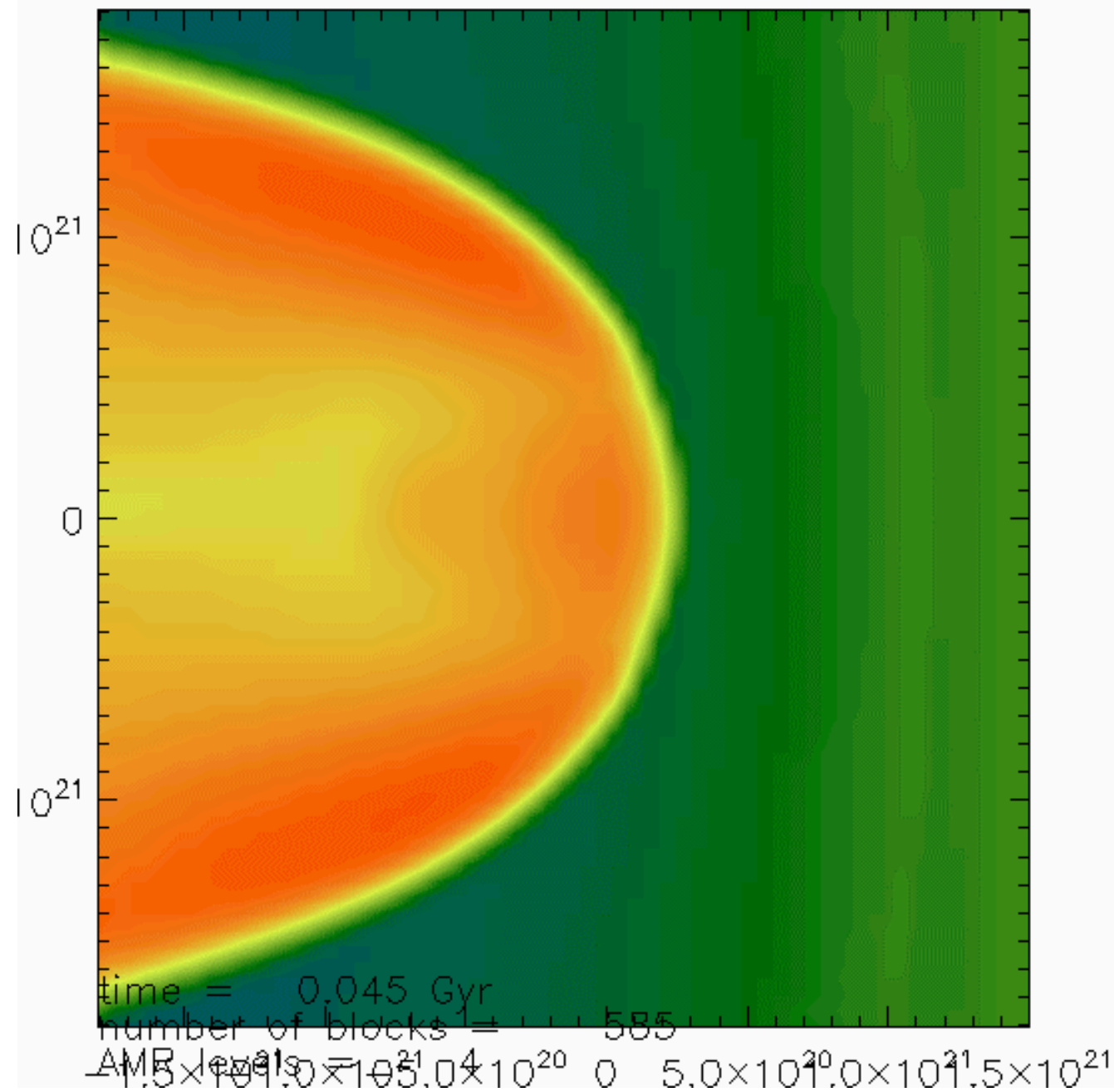


Log10 k

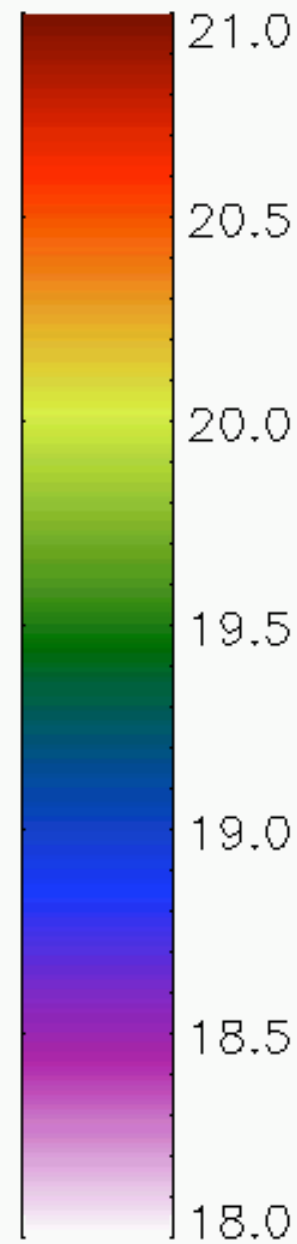
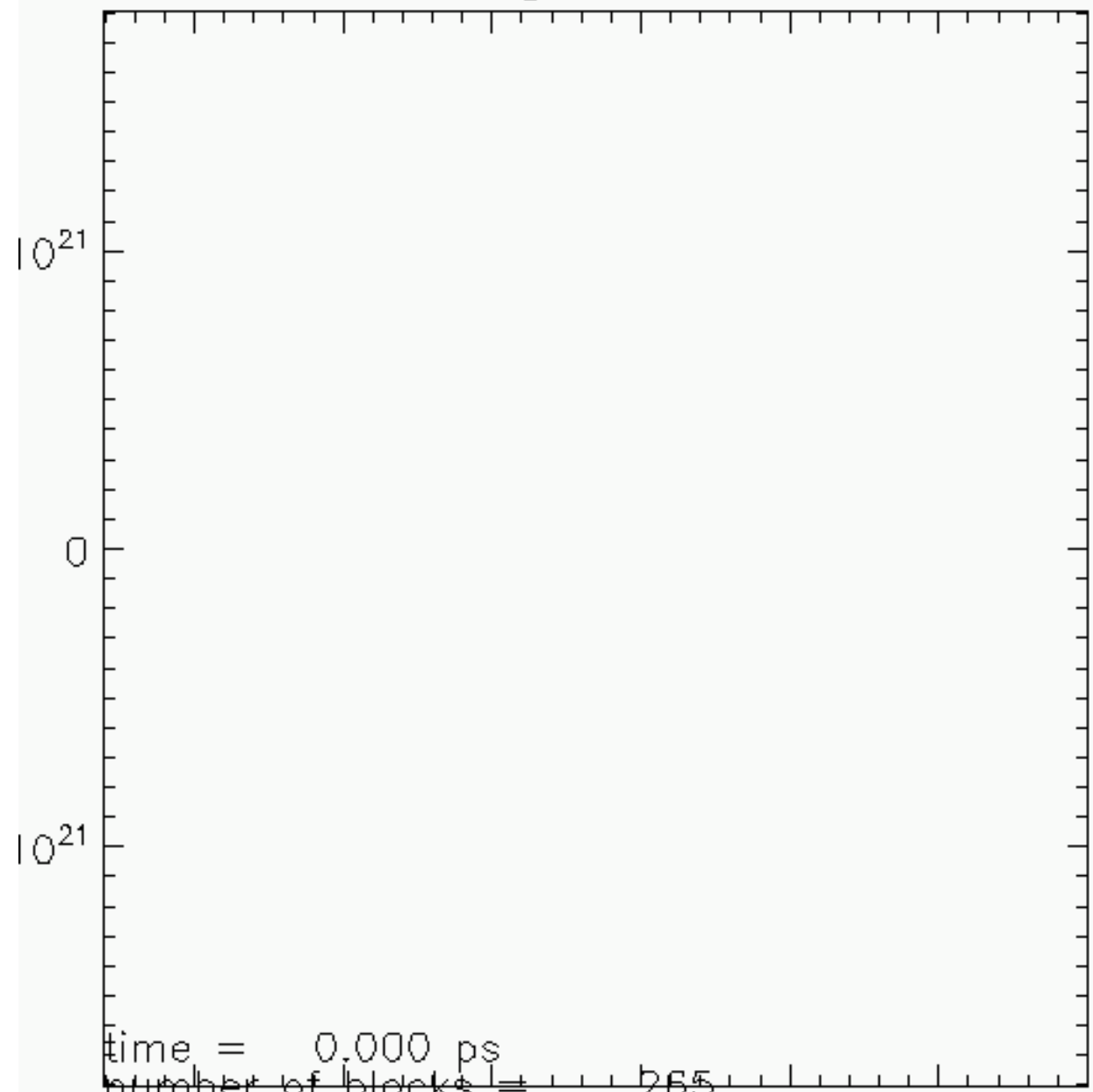


time = 0.000 ps  
number of blocks = 265  
AMB levels =  $1.5 \times 10^{21}$   $1.0 \times 10^{21}$   $5.0 \times 10^{20}$  0  $5.0 \times 10^{19}$   $1.0 \times 10^{19}$   $1.5 \times 10^{18}$

Log10 k

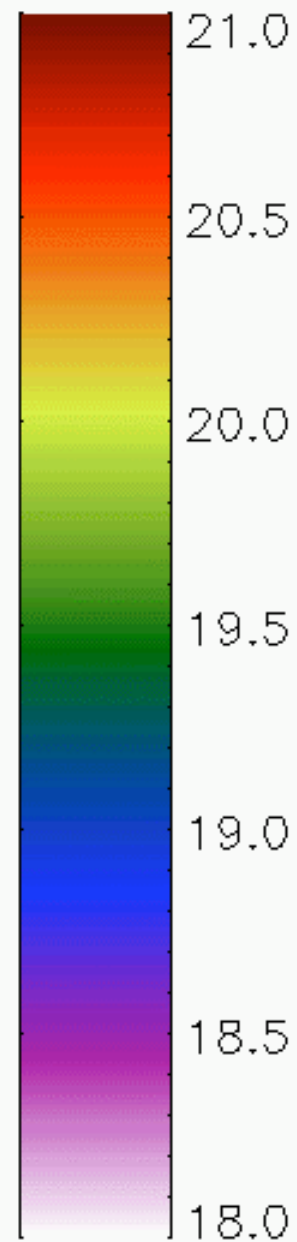
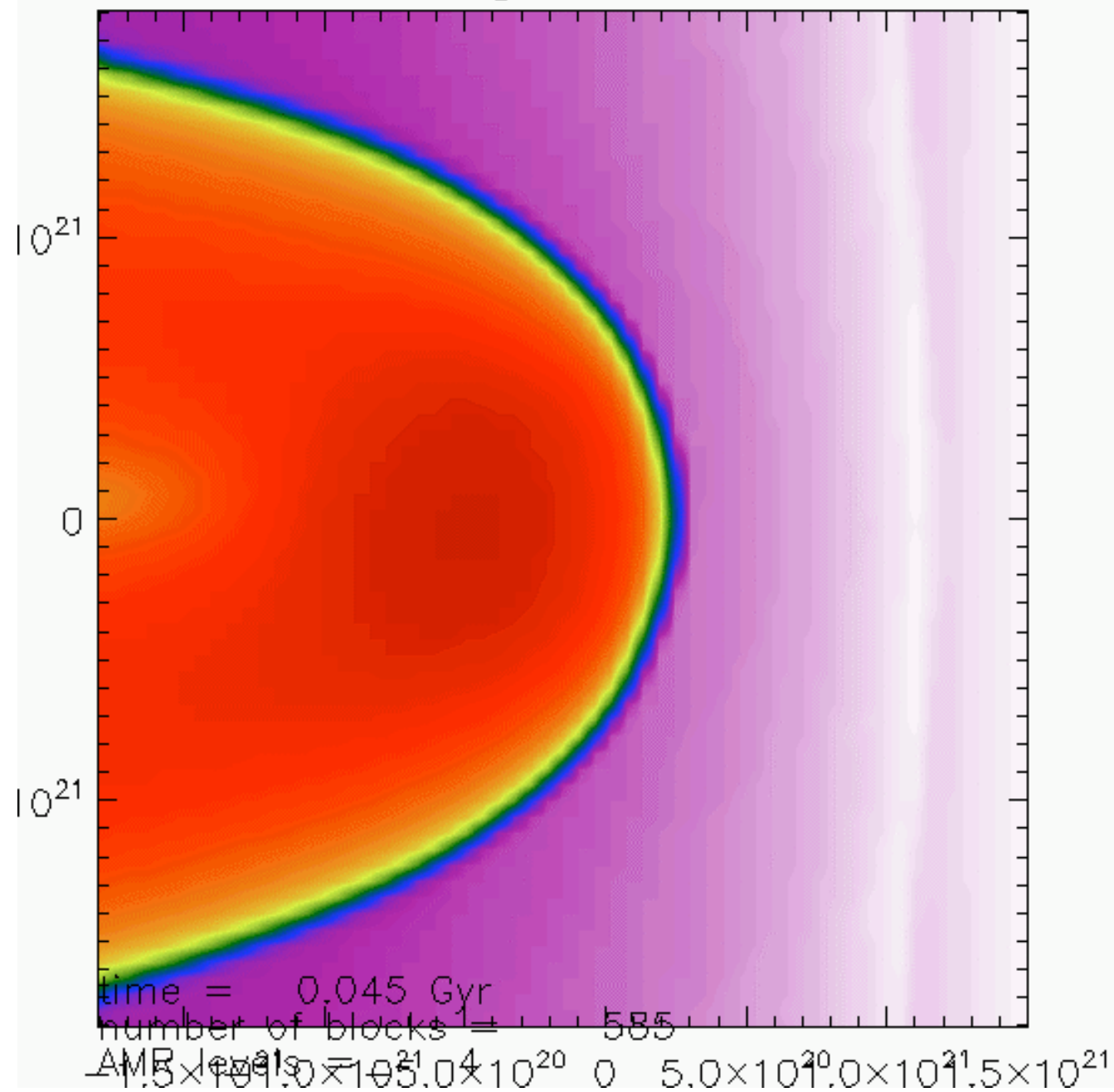


Log10 I

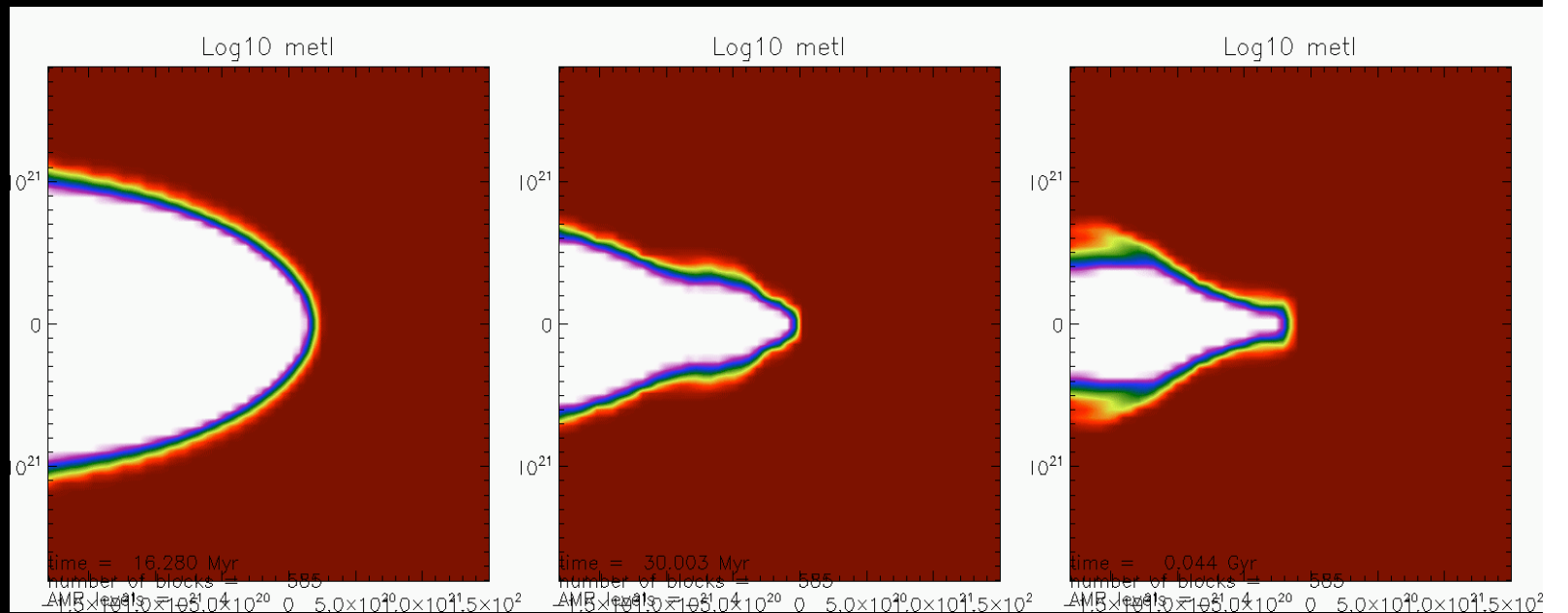


time = 0.000 ps  
number of blocks l = 265  
AMB levels = 1.5x10<sup>21</sup> 1.0x10<sup>21</sup> 5.0x10<sup>20</sup> 0 5.0x10<sup>20</sup> 1.0x10<sup>21</sup> 1.5x10<sup>21</sup>

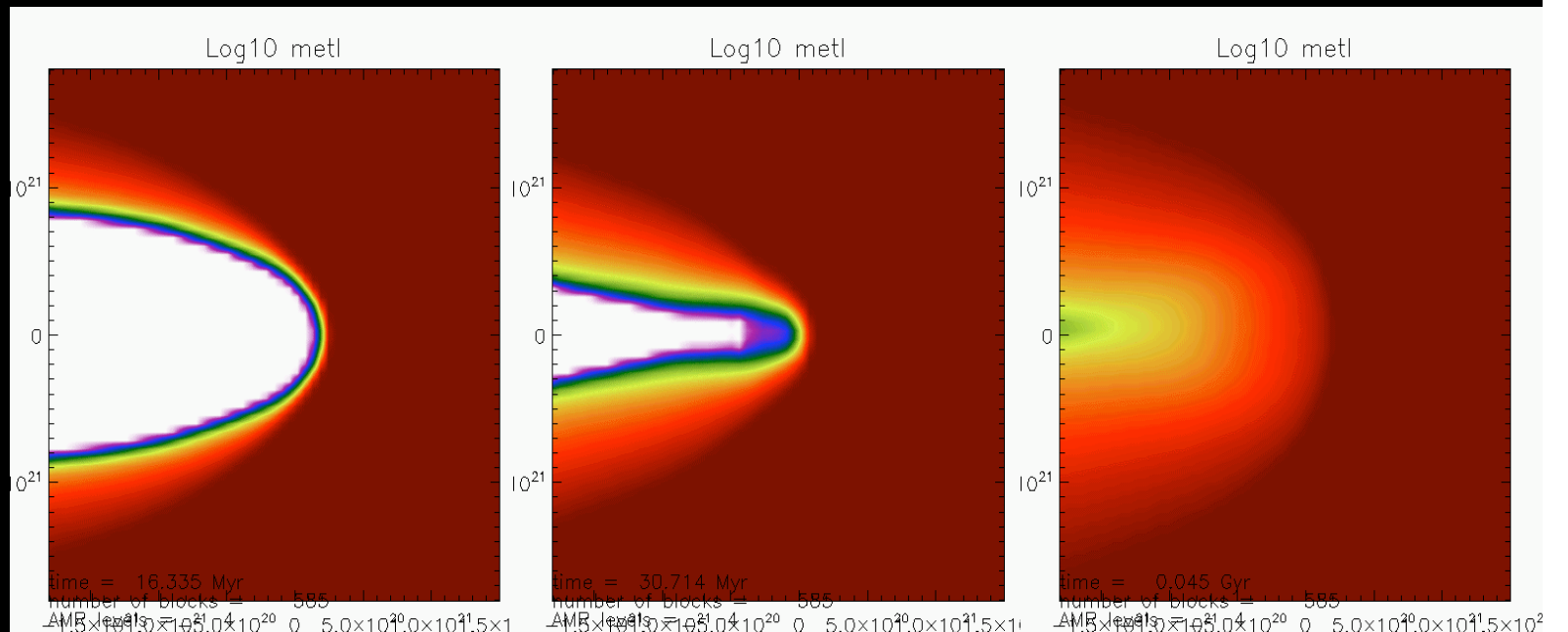
Log10 I



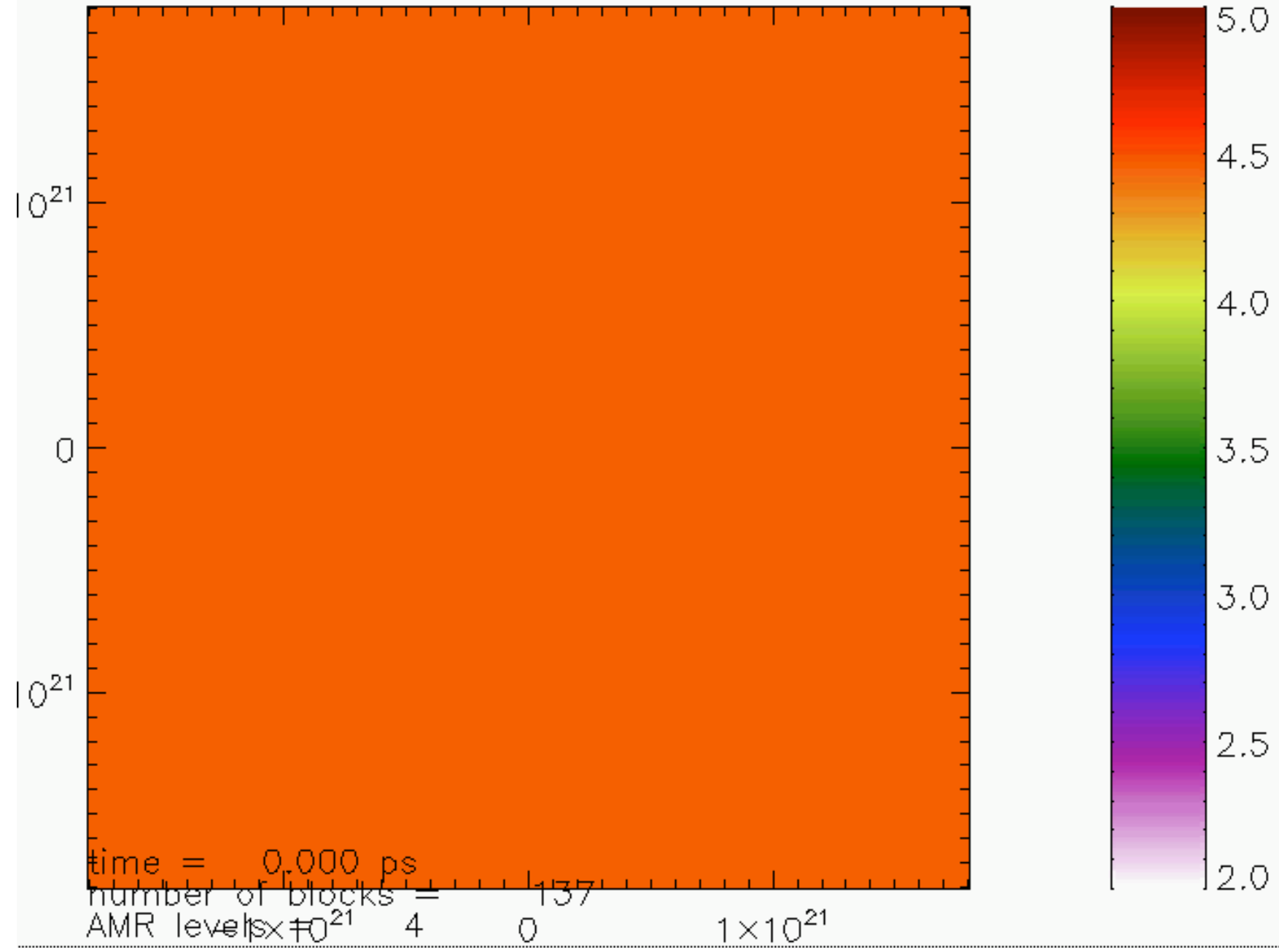
**No  
Turb**



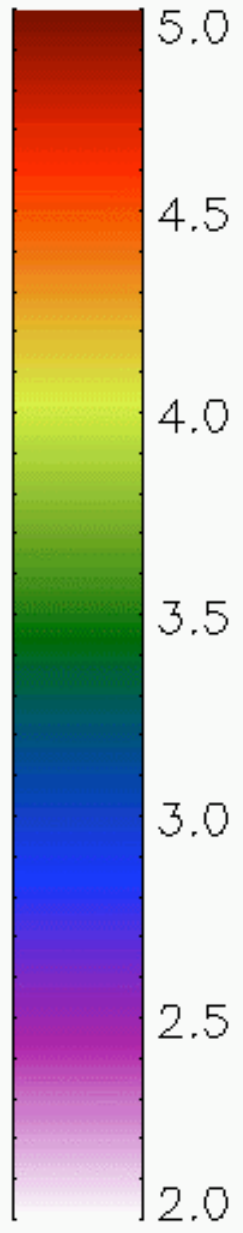
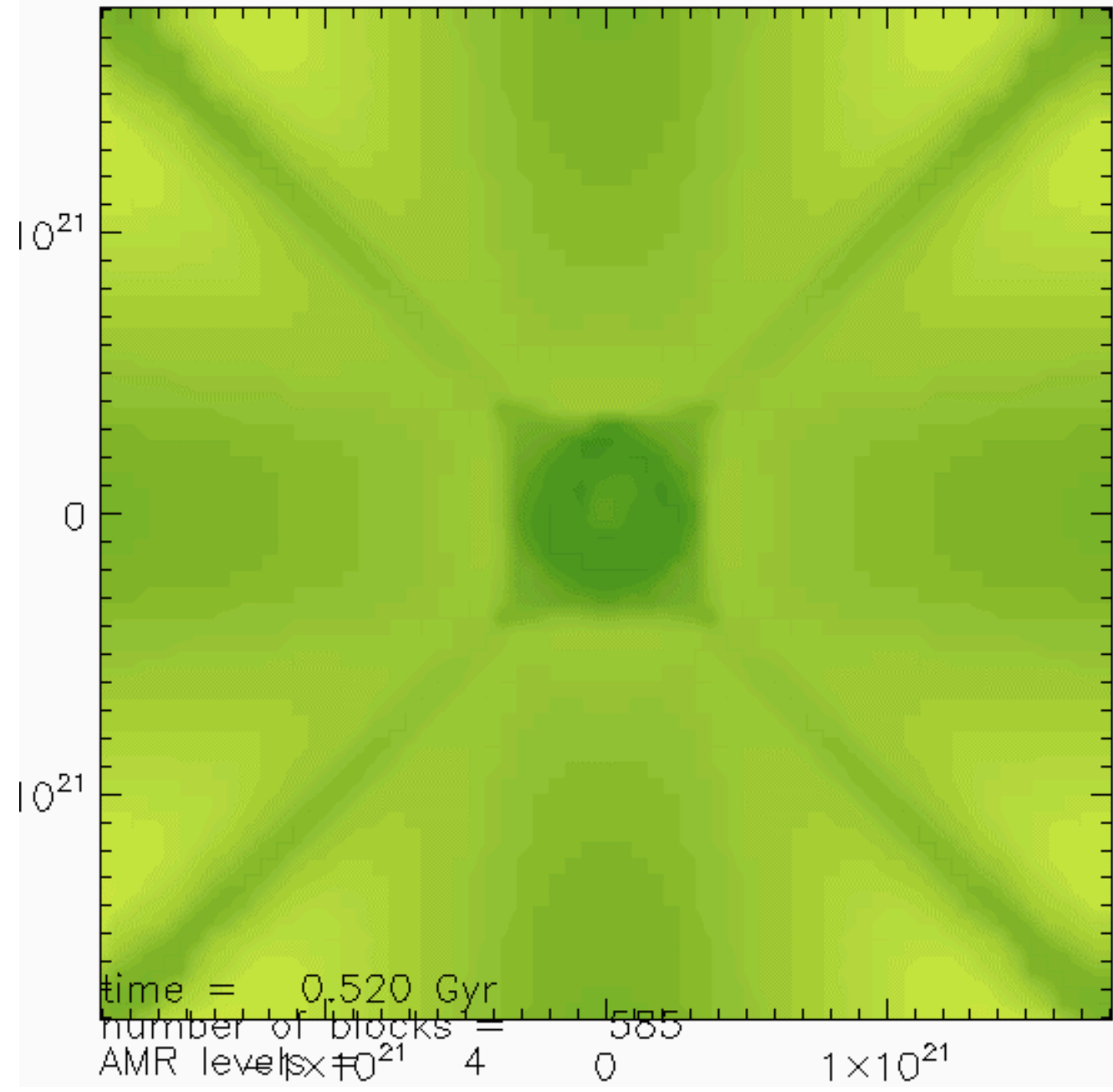
**Turb**



# Log10 Temperature (K)



# Log10 Temperature (K)



# Conclusions

## I First Stars

- Metal-free stars and their products end up everywhere
- Lack of metal-free stars argues for high mass, lack of odd even effect constrains PPSNe

## II Halo Globular Clusters

- observed maximum mass
- chemical homogeneity
- the lack of dark matter

## III Globular Cluster Simulations

- Use subgrid models of mixing which should have many applications
- Include primordial chemistry + metal cooling.

STAY TUNED...