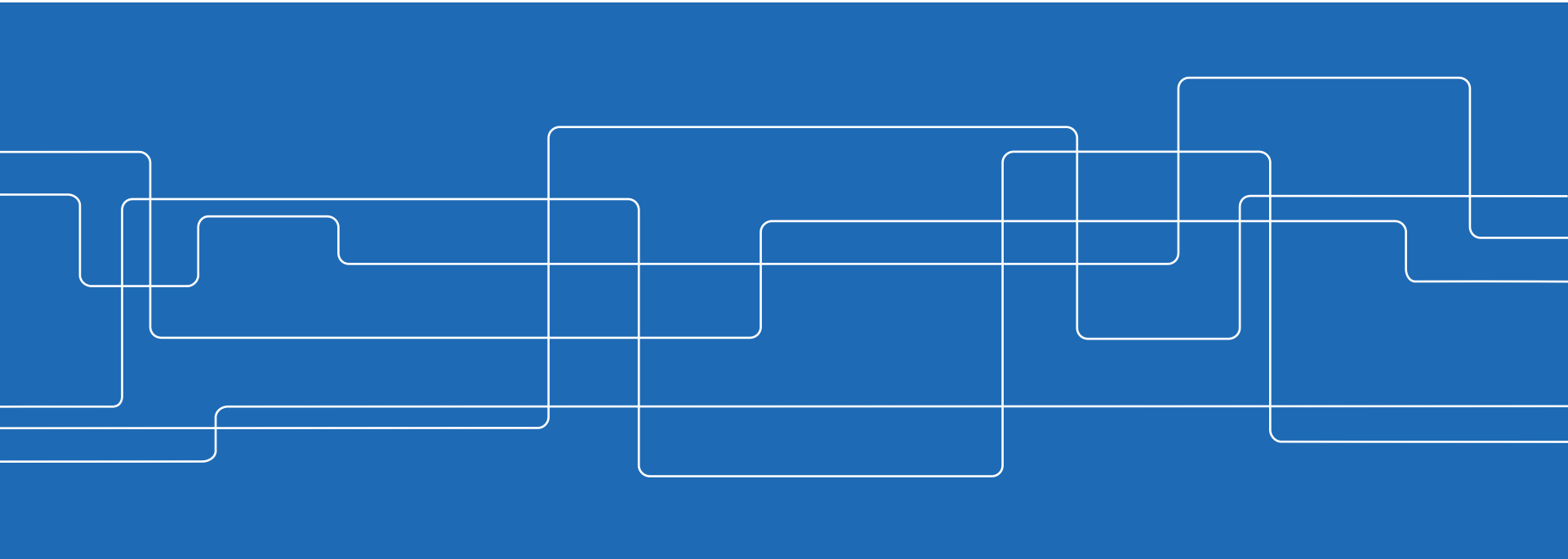




NSIs

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Non-Standard Interactions (NSIs)

Motivation:

It has been firmly established that neutrino oscillations is the best and leading description of neutrino flavor transitions. However, there might still be room for new physics effects on the sub-leading level that could be described by so-called **non-standard neutrino interactions**.

Wolfenstein; Valle; Guzzo et al.; Roulet; Grossman

Other scenarios are e.g.:

- Neutrino decay (e.g. Pakvasa, Weiler, Winter)
- Neutrino decoherence (e.g. Pakvasa, Weiler, Winter)
- Non-unitary mixing (e.g. Winter)



We have some specialists on NSIs in the audience

- Friedland: atmospheric neutrinos, K2K, MINOS, NOvA, LHC monojets
- Hernandez: large gauge invariant NSIs
- Minakata: neutrino factories, T2KK, CP violation, parameter degeneracy, perturbation theory
- Pakvasa: before and after KamLAND
- Salvado: long-baseline exps., atmospheric neutrinos
- Winter: large gauge invariant NSIs, neutrino factories

You can find out more about NSIs in the review that I wrote:

[T. Ohlsson, Rep. Prog. Phys. 76, 044201 \(2013\), 1209.2710](#)



From a Lagrangian to effective NSI parameters

Lagrangian for NSIs (in terms of operators):

$$\mathcal{L}_{\text{NSI}} = -2\sqrt{2}G_F \varepsilon_{\alpha\beta}^{ff'C} (\bar{\nu}_\alpha \gamma^\mu P_L \nu_\beta) (\bar{f} \gamma_\mu P_C f')$$

Wolfenstein; Grossman; Berezhiani & Rossi; Davidson et al.

Note that the operators are non-renormalizable and not gauge inv.!

Integration of heavy degrees of freedom:

$$\varepsilon \propto \frac{m_W^2}{m_X^2}$$

If the NSI scale is 1 (10) TeV, then the NSI parameters are 10^{-2} (10^{-4}).



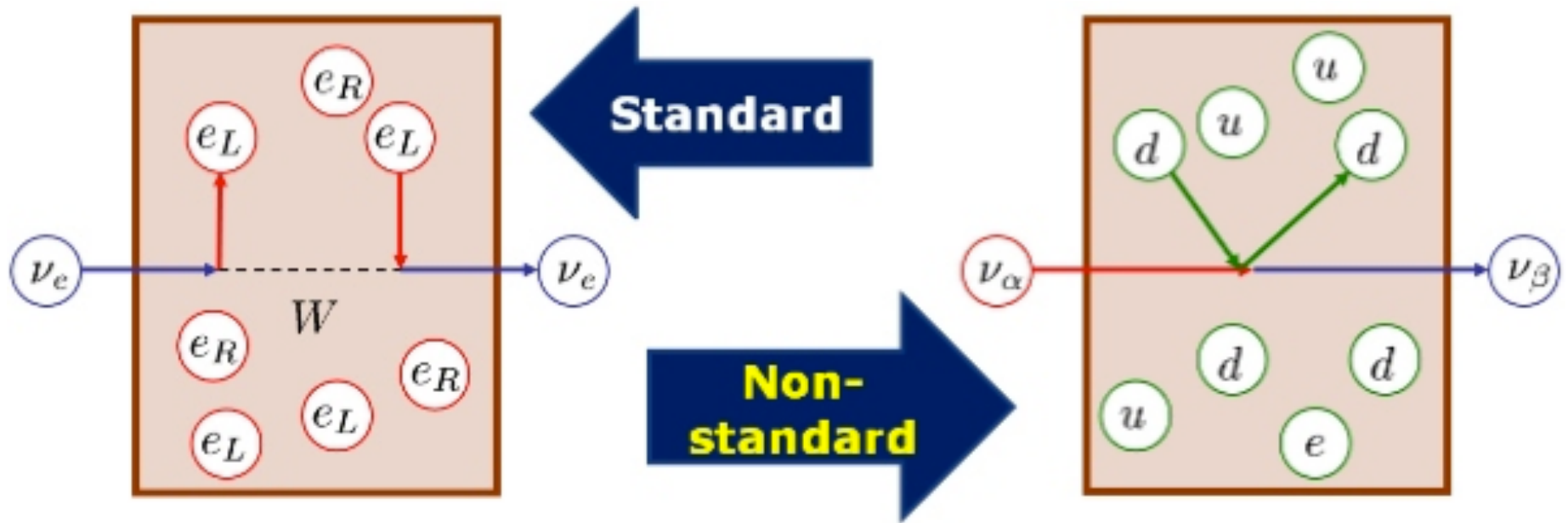
Different types of NSIs

- Production and detection NSIs
- Propagation (or matter) NSIs
- Combination of both

Here we will discuss matter NSIs only!

In addition, we will concentrate on atmospheric and accelerator neutrinos.

Schematic picture of matter NSIs



$$i \frac{d}{dt} \begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \frac{1}{2E} \left[U \begin{pmatrix} 0 & 0 & 0 \\ 0 & \Delta m_{21}^2 & 0 \\ 0 & 0 & \Delta m_{31}^2 \end{pmatrix} U^\dagger + A \begin{pmatrix} 1 + \varepsilon_{ee} & \varepsilon_{e\mu} & \varepsilon_{e\tau} \\ \varepsilon_{e\mu}^* & \varepsilon_{\mu\mu} & \varepsilon_{\mu\tau} \\ \varepsilon_{e\tau}^* & \varepsilon_{\mu\tau}^* & \varepsilon_{\tau\tau} \end{pmatrix} \right] \begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix}$$



Mappings and approximative formulas with NSIs

First-order non-degenerate perturbation theory leads to model-independent mappings for the effective NSI parameters:

$$\tilde{U}_{e3} \simeq \frac{s_{13}e^{-i\delta}}{1 - \hat{A}} + \frac{\hat{A}(s_{23}\varepsilon_{e\mu} + c_{23}\varepsilon_{e\tau})}{1 - \hat{A}}$$

Meloni et al., 0901.1784

Using two-flavor neutrino oscillations, we have MSW-like mappings:

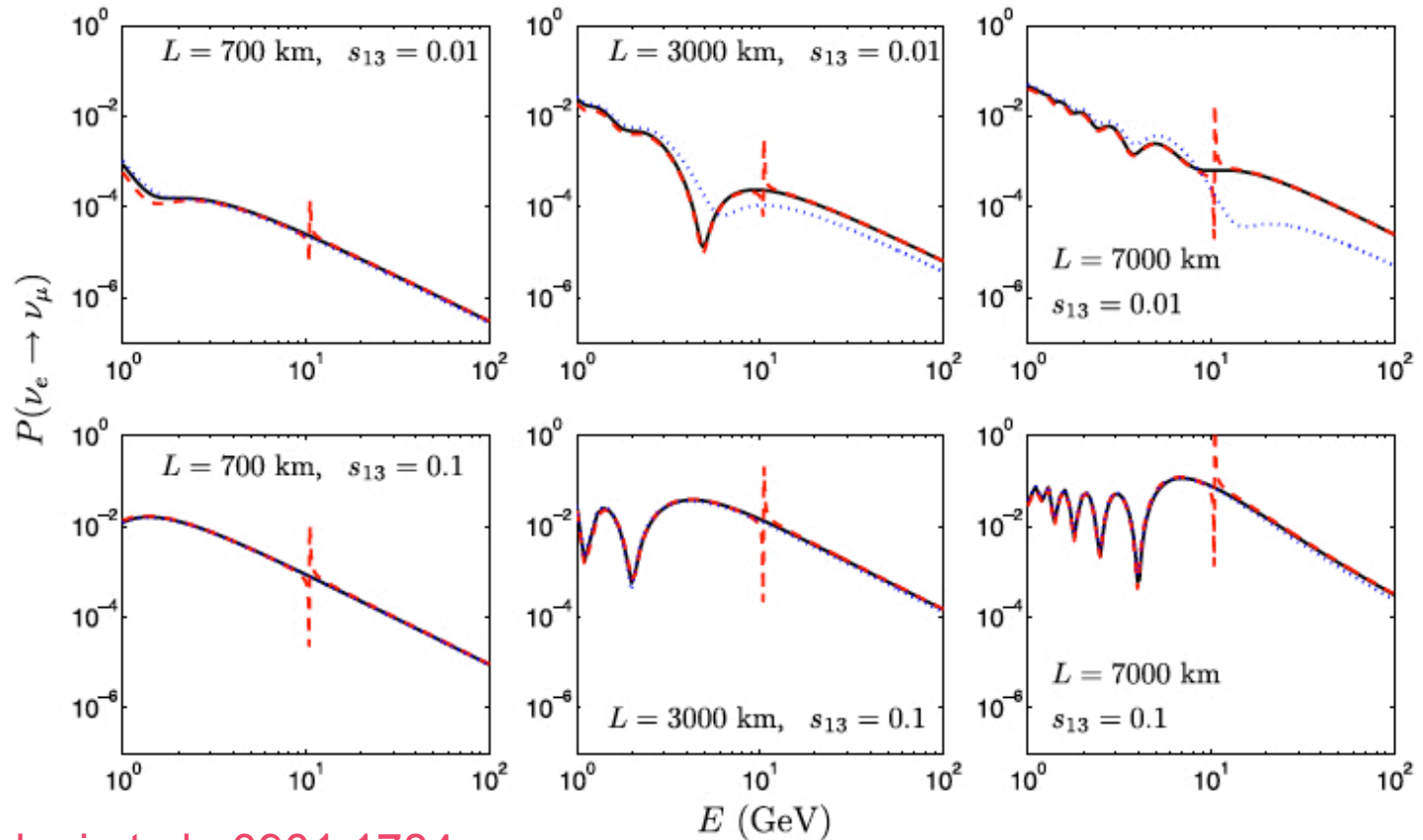
$$\begin{aligned} (\Delta\tilde{m}^2)^2 &= \left[\Delta m^2 \cos(2\theta) - A (1 + \varepsilon_{ee} - \varepsilon_{\tau\tau}) \right]^2 \\ &\quad + \left[\Delta m^2 \sin(2\theta) + 2A\varepsilon_{e\tau} \right]^2, \end{aligned}$$

$$\sin(2\tilde{\theta}) = \frac{\Delta m^2 \sin(2\theta) + 2A\varepsilon_{e\tau}}{\Delta\tilde{m}^2}.$$

Kitazawa et al., hep-ph/0606013

Neutrino oscillations probabilities with NSIs

Electron neutrino-muon neutrino channel



Meloni et al., 0901.1784

solid = exact numeric; dashed = approximate; dotted = result without NSIs

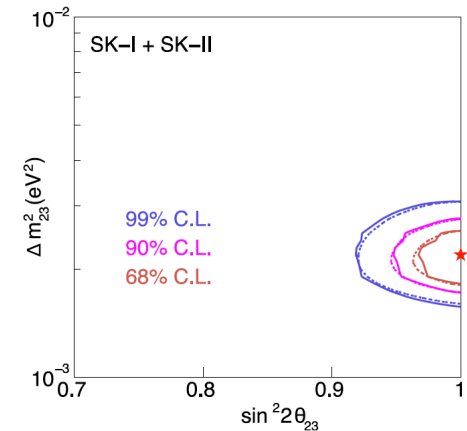
Atmospheric neutrinos with NSIs

Super-Kamiokande I and II:

Bounds @ 90 % C.L.:

$$|\varepsilon_{\mu\tau}| < 0.033 \quad \text{and} \quad |\varepsilon_{\tau\tau} - \varepsilon_{\mu\mu}| < 0.147$$

Super-Kamiokande, Mitsuka et al., 1109.1889



PINGU:

$$\text{Bounds @ 90 \% C.L.: } -0.0043 \text{ } (-0.0048) < \varepsilon_{\mu\tau} < 0.0047 \text{ } (0.0046)$$

$$-0.03 \text{ } (-0.016) < \varepsilon_{\tau\tau} < 0.017 \text{ } (0.032)$$

PINGU could improve the Super-K bounds by one order of magnitude!

Choubey & Ohlsson, 1410.0410



Accelerator neutrinos with NSIs

MINOS:

Bounds @ 90 % C.L.:

$$-0.200 < \varepsilon_{\mu\tau} < 0.070$$

MINOS, Adamson et al., 1303.5314

MINOS + T2K:

Bounds @ 90 % C.L.:

maximum value allowed to $|\varepsilon_{e\tau}|$ varies from 0.7 to 2.3

Coelho et al., 1209.3757



Phenomenological NSIs

Model-independent bounds on matter NSI parameters:

$$\left(\begin{array}{ccc} |\varepsilon_{ee}| < 4.2 & |\varepsilon_{e\mu}| < 0.33 & |\varepsilon_{e\tau}| < 3.0 \\ & |\varepsilon_{\mu\mu}| < 0.068 & |\varepsilon_{\mu\tau}| < 0.33 \\ & & |\varepsilon_{\tau\tau}| < 21 \end{array} \right) \quad (\text{Earth}),$$
$$\left(\begin{array}{ccc} |\varepsilon_{ee}| < 2.5 & |\varepsilon_{e\mu}| < 0.21 & |\varepsilon_{e\tau}| < 1.7 \\ & |\varepsilon_{\mu\mu}| < 0.046 & |\varepsilon_{\mu\tau}| < 0.21 \\ & & |\varepsilon_{\tau\tau}| < 9.0 \end{array} \right) \quad (\text{solar}),$$

Bounds on matter NSIs $\sim 10^{-2} - 10$

Biggio et al., 0907.0097

Phenomenological NSIs

Ruled out by experiments!

Model-independent bounds on matter NSI parameters:

$$\left(\begin{array}{ccc}
 |\varepsilon_{ee}| < 4.2 & |\varepsilon_{e\mu}| < 0.33 & |\varepsilon_{e\tau}| < 3.0 \\
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 \end{array} \right) \quad \text{(solar),}$$

Bounds on matter NSIs $\sim 10^{-2} - 10$

Biggio et al., 0907.0097



Future

- Investigate sensitivity and discovery reaches of NSIs.
- Determine better bounds on the NSI parameters.
- Find values of NSI parameters.