

Neutrino Decays: Lifetimes and Decay Modes

Sandip Pakvasa
University of Hawaii
Honolulu

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Astrophysical neutrino flavor mix:

How many ways can the flavor mix deviate significantly from 1:1:1 ?

1. Initial flux different from canonical: e.g. the damped muon scenario. In this case the flavor mix will be:

4:7:7

similarly for the beta beam source, the flavor mix will be:

5:2:2

instead of 1:1:1

2. Neutrino Decay:

Do neutrinos decay?

Since $\delta m^2 \neq 0$, and flavor is not conserved, in general ν 's will decay.

The only question is whether the lifetimes are short enough to be interesting and what are the dominant decay modes.

What do we know?

- Radiative decays: $\nu_i \rightarrow \nu_j + \gamma$:

$$\text{m.e.: } \bar{\Psi}_j (C + D\gamma_5) \sigma_{\mu\nu} \Psi_i F_{\mu\nu}$$

$$\text{SM: } 1/\tau = (9/16)(\alpha/\pi)G_F^2/\{128\pi^3\}(\delta m_{ij}^2)^3/m_i \\ \sum_a m_a^2/m_W^2 (U_{ia} U_{ja}^*)^2 \rightarrow \tau_{\text{SM}} > 10^{45} \text{ s}$$

(Petcov, Marciano-Sanda)(1977)

Exptl. Bounds on $\kappa = e/m_i [C + D^2]^{1/2} = \kappa_0 \mu_B$

From $\nu_e + e \rightarrow e + \nu'$: $\kappa_0 < 10^{-11}$ (PDG2010), this corresponds to: $\tau > 10^{20}$ s.

Bounds for other flavors somewhat weaker but still too strong for radiative decay to be Of practical interest.

Invisible Decays:

■ $\nu_i \rightarrow \nu_j + \nu + \nu$: Exptl Bounds:

$F < \epsilon G_F$, $\epsilon < O(1)$, from invisible width of Z

Bilenky and Santamaria(1999):If new physics at scales below Z mass, bounds get weaker, Sigurdson et al.

$\tau > 10^{34}$ s

$\nu_{iL} \rightarrow \nu_{jL} + \phi$: $g_{ij} \bar{\Psi}_{jL} \gamma_\mu \Psi_{jL} d_\mu \phi$

If isospin conserved: invisible decays of charged leptons governed by the same g_{ij} , and bounds on $\mu \rightarrow e + \phi$, and $\tau \rightarrow \mu/e + \phi$ yield bounds such as: $\tau > 10^{24}$ s.

{Jodidio et al. (1986), PDG(1996)}

Conclusion: Only “fast” invisible decays are Majoron type couplings

- $g v_{jR}^C v_{iL} X$:
- I(isospin) can be a mixture of 0 and 1(G-R, CMP)
- The final state ν can be mixture of flavor/sterile states.....
- Bounds on g from π & K decays
 - Barger,Keung,SP(1982),Lessa,Peres(2007), $g^2 < 5 \cdot 10^{-6}$
 - SN energy loss bounds: Farzan(2003): $g < 5 \cdot 10^{-7}$
 - $g^2 < 5 \cdot 10^{-6}$ corresp. to $\tau > 10^{-8}$ s/eV
 - $g < 5 \cdot 10^{-7}$ corresp. to $\tau > 0.1$ s/ev

Current experimental limits on τ_i :

- $\tau_1/m_1 > 10^5 \text{ s/eV}$ SN 1987A
 B. o. E. Careful analysis. Bound can also apply to τ_2/m_2 in principle...
- $\tau_2/m_2 > 10^{-4} \text{ s/eV}$ (Solar) $10^{-4}-10^{-2} \text{ s/eV}$ Beacom-
 Bell(2003), KamLand(2004) also a better bound for τ_1/m_1
 from lower energy events at Borexino
- $\tau_3/m_3 > 3 \cdot 10^{-11} \text{ s/eV}$ (Atm) $9 \cdot 10^{-11} \text{ s/eV}$
 Gonzalez-Garcia-Maltoni(2008)

Cosmology: WMAP/PLANCK \rightarrow free-streaming ν 's \rightarrow

$\tau > 10^{10} \text{ s/eV}$ at least for one ν .
 Hannestad-Raffelt(2005), Bell et al.(2005), Friedland et al(2007).

(With L/E of TeV/Mpsc or PeV/1000Mpsc, can at most reach τ of 10^3 s/eV)

These bounds depend crucially on free-streaming and whether one or all neutrinos are free-streaming.

When ν_i decays, U_{ai}^2 gets multiplied by the factor $\exp(-L/\gamma\tau)$ and goes to 0 for sufficiently long L . For normal hierarchy, only ν_1 survives,

and the final flavor mix is simply (SP 1981):

$$e:\mu:\tau = |U_{e1}|^2 : |U_{\mu1}|^2 : |U_{\tau1}|^2 \\ \sim 4:1:1$$

or even 10:1:1 with the new best fits...

These flavor mixes are drastically different from canonical 1:1:1 and easily distinguishable.

Effects on absolute fluxes in decay scenarios:

- In normal hierarchy, if only ν_1 survives:

ν_μ flux can go down by as much as a factor of 0.1 from the original flux at the source. .

ν_e flux is enhanced from the original by a factor of 2.

Early Universe neutrino count is modified to $3+4/7$ (this is allowed by PLANCK and BBN)

But if the decay is into a sterile neutrino then (NH).....

ν_3 and ν_2 simply disappear and only ν_1 survives but at a smaller flux. The final fluxes are then:

ν_e : 2/3 of the original flux

ν_μ : 1/6 of the original flux

Other implications: ν -counting in early universe modified by 3 \rightarrow 4 + 4/7, this is in some conflict with PLANCK + BBN.