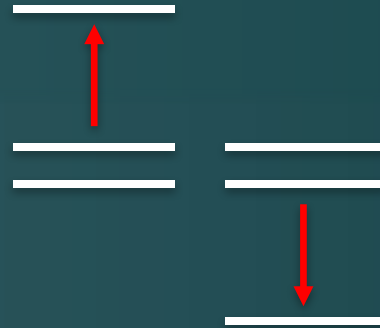
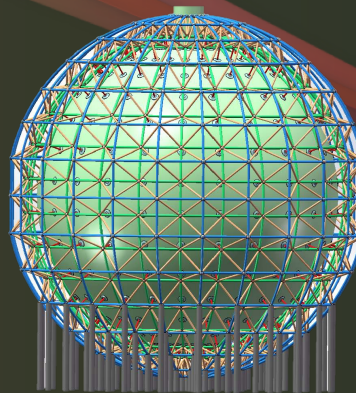


Neutrino Mass Hierarchy



KITP Nuclear Conference
Symmetry tests in nuclei and atoms
St. Barbara, 19 Sep 16

Michael Wurm

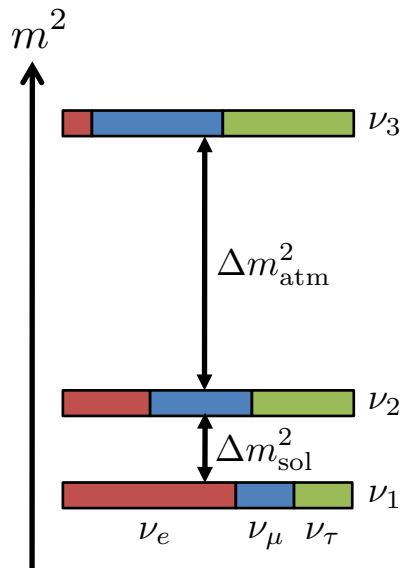


Status of 3-flavor neutrino oscillations

$$U_{3 \times 3} = U_{\text{PMNS}}$$

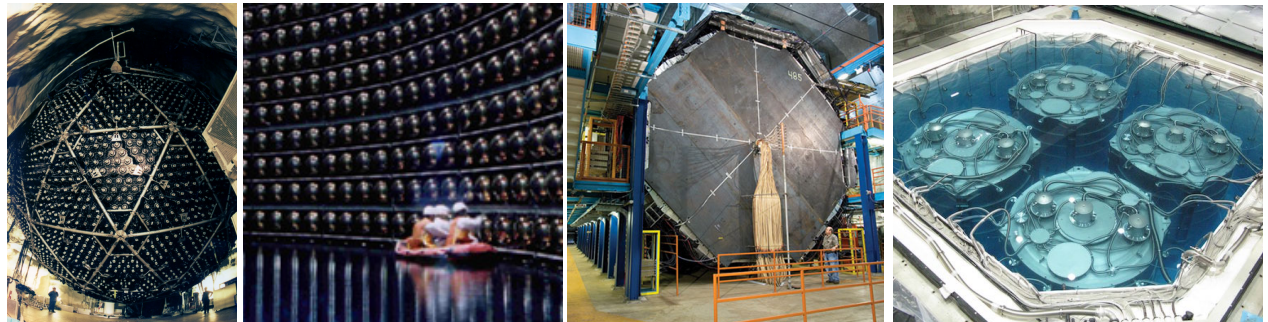
$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & 0 & s_{13}e^{-i\delta} \\ 0 & 1 & 0 \\ -s_{13}e^{i\delta} & 0 & c_{13} \end{pmatrix} \begin{pmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$

atmospheric mixing
(maximal 45°?)
reactor mixing & CP violation
(small $\theta_{13} \approx 9^\circ$, $\delta \neq 0$?)
solar mixing
(large 33°)



mass squared differences :

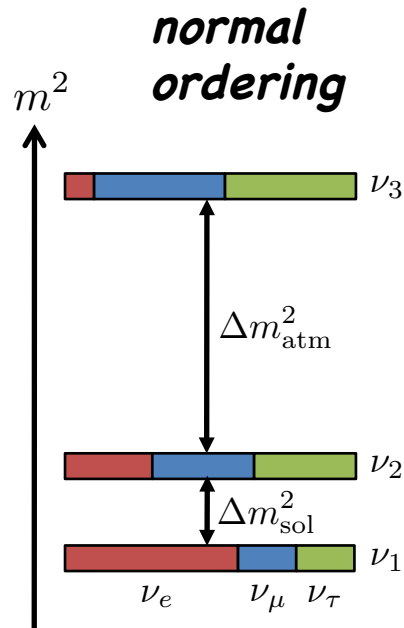
- $\Delta m_{\text{sol}}^2 = \Delta m_{21}^2$ \rightarrow small splitting: $+8 \times 10^{-5} \text{ eV}^2$
- $\Delta m_{\text{atm}}^2 = \Delta m_{32}^2 \approx \Delta m_{31}^2$ \rightarrow large splitting: $\pm 2.5 \times 10^{-3} \text{ eV}^2$



Open issues in 3-flavor neutrino mixing

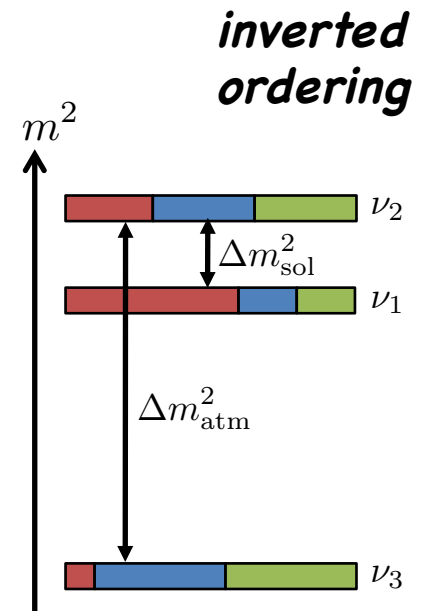
$$\mathbf{U}_{3 \times 3} = \mathbf{U}_{\text{PMNS}}$$

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & c_{23} & s_{23} \\ 0 & -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & 0 & s_{13}e^{-i\delta} \\ 0 & 1 & 0 \\ -s_{13}e^{i\delta} & 0 & c_{13} \end{pmatrix} \begin{pmatrix} c_{12} & s_{12} & 0 \\ -s_{12} & c_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$



What is the

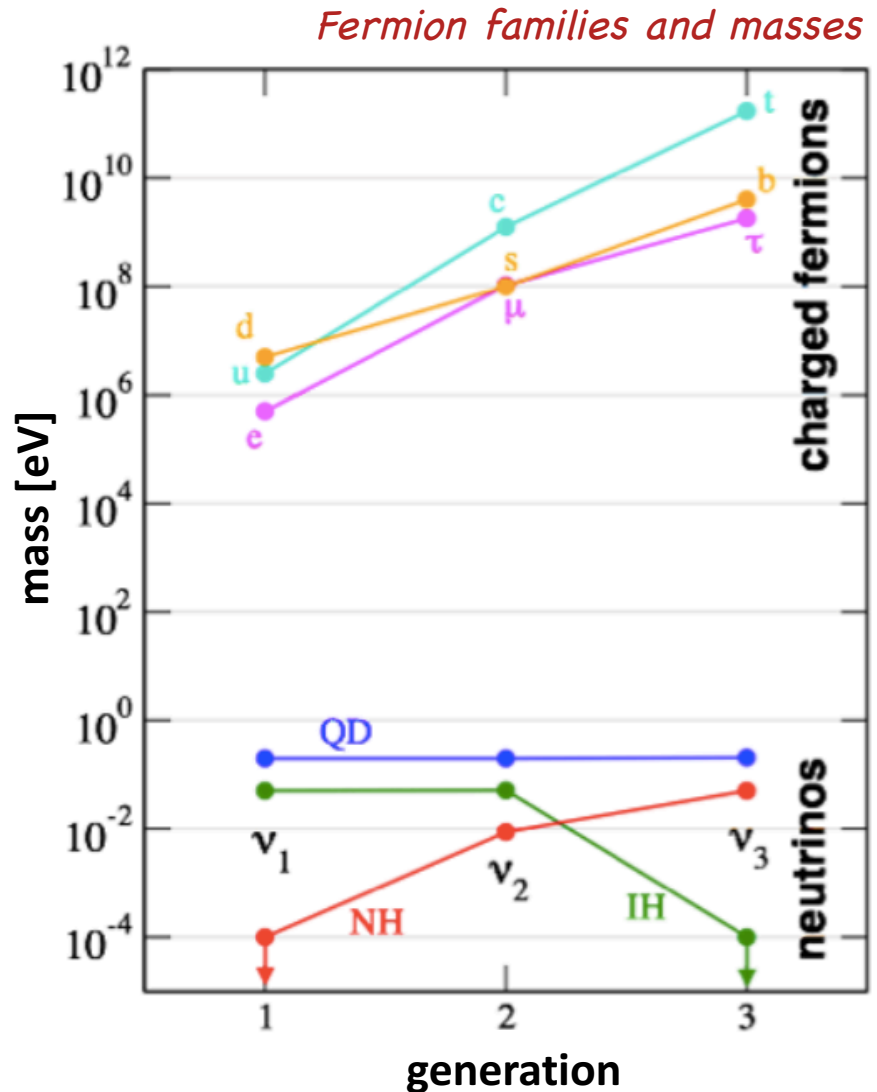
- octant of θ_{23} ($\geq 45^\circ$)
- value of **CP-phase**?
- **mass hierarchy (MH)?**
(sign of Δm^2_{atm})



MH: 'Symmetries' in neutrino masses

■ Arrangement of the neutrino masses

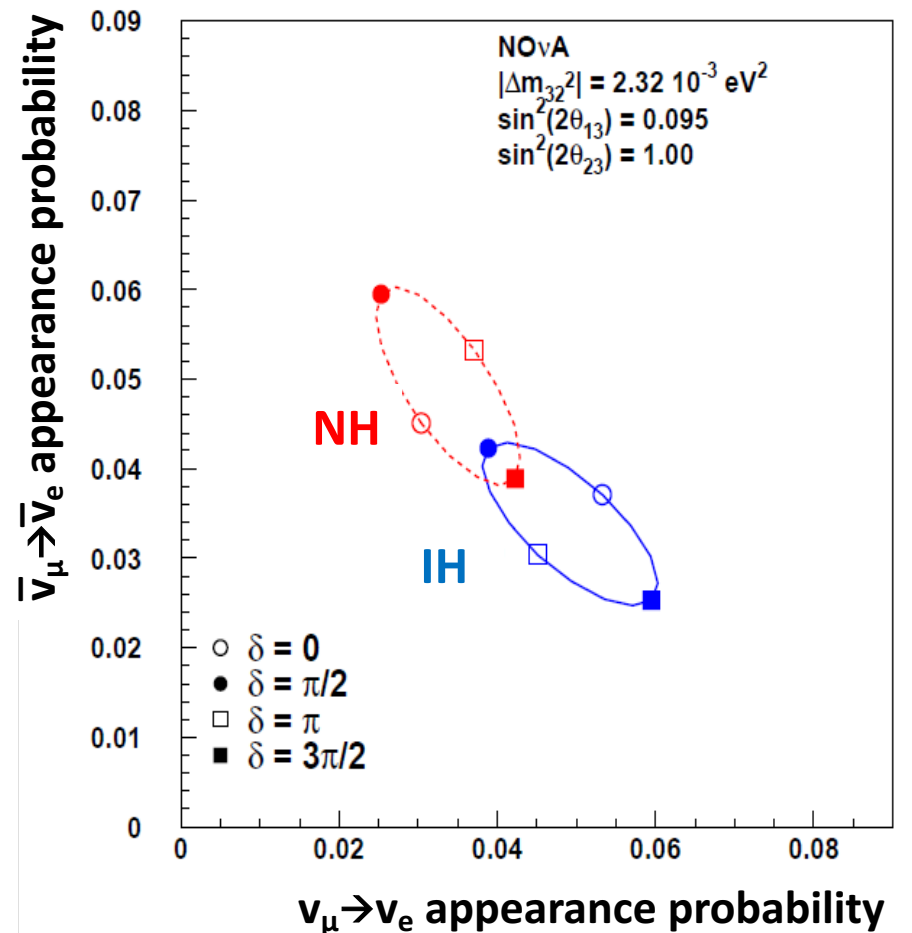
- as in quark sector: $m_1 < m_2 < m_3$
→ normal hierarchy (NH)
- opposed to it: $m_3 < m_1 < m_2$
→ inverted hierarchy (IH)
- w/o clear ordering: $m_1 \approx m_2 \approx m_3$
→ quasi-degenerate (QD)



MH: CP violation in the leptonic sector

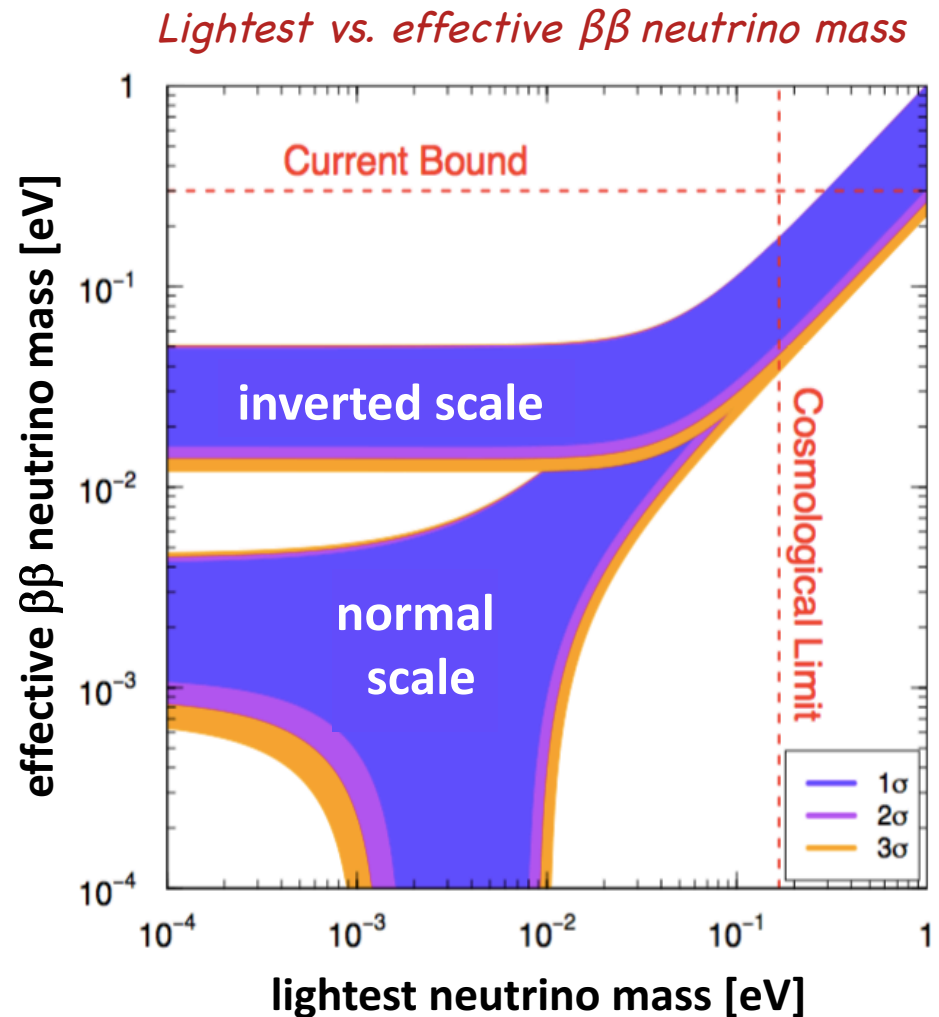
- **Arrangement** of the neutrino masses
 - as in quark sector
 - normal hierarchy (NH)
 - opposed to it
 - inverted hierarchy (IH)
 - w/o clear ordering
 - quasi-degenerate (QD)
- resolving the **degeneracy** in the interpretation of δ_{CP} measurements

NO ν A: degeneracy of MH and δ_{CP}



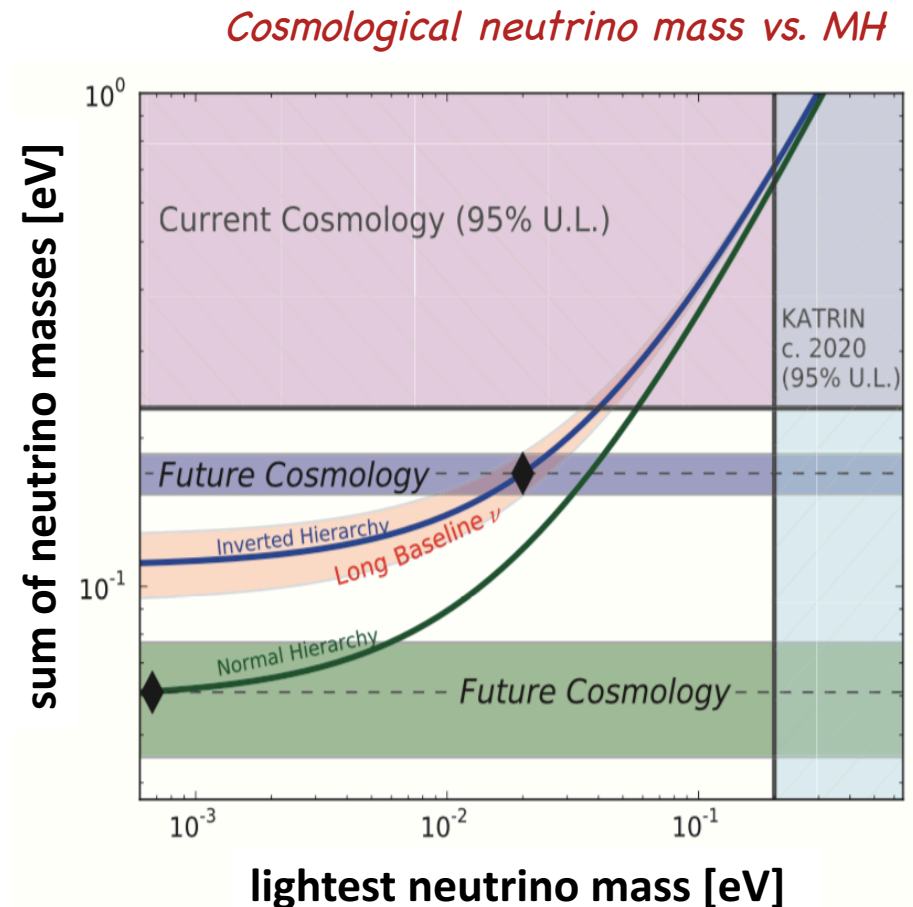
MH: Effective mass range of $0\nu\beta\beta$ decay

- **Arrangement** of the neutrino masses
 - as in quark sector
 - normal hierarchy (NH)
 - opposed to it
 - inverted hierarchy (IH)
 - w/o clear ordering
 - quasi-degenerate (QD)
- resolving the **degeneracy** in the interpretation of δ_{CP} measurements
- target range for **sensitivity** of $0\nu\beta\beta$ decay experiments



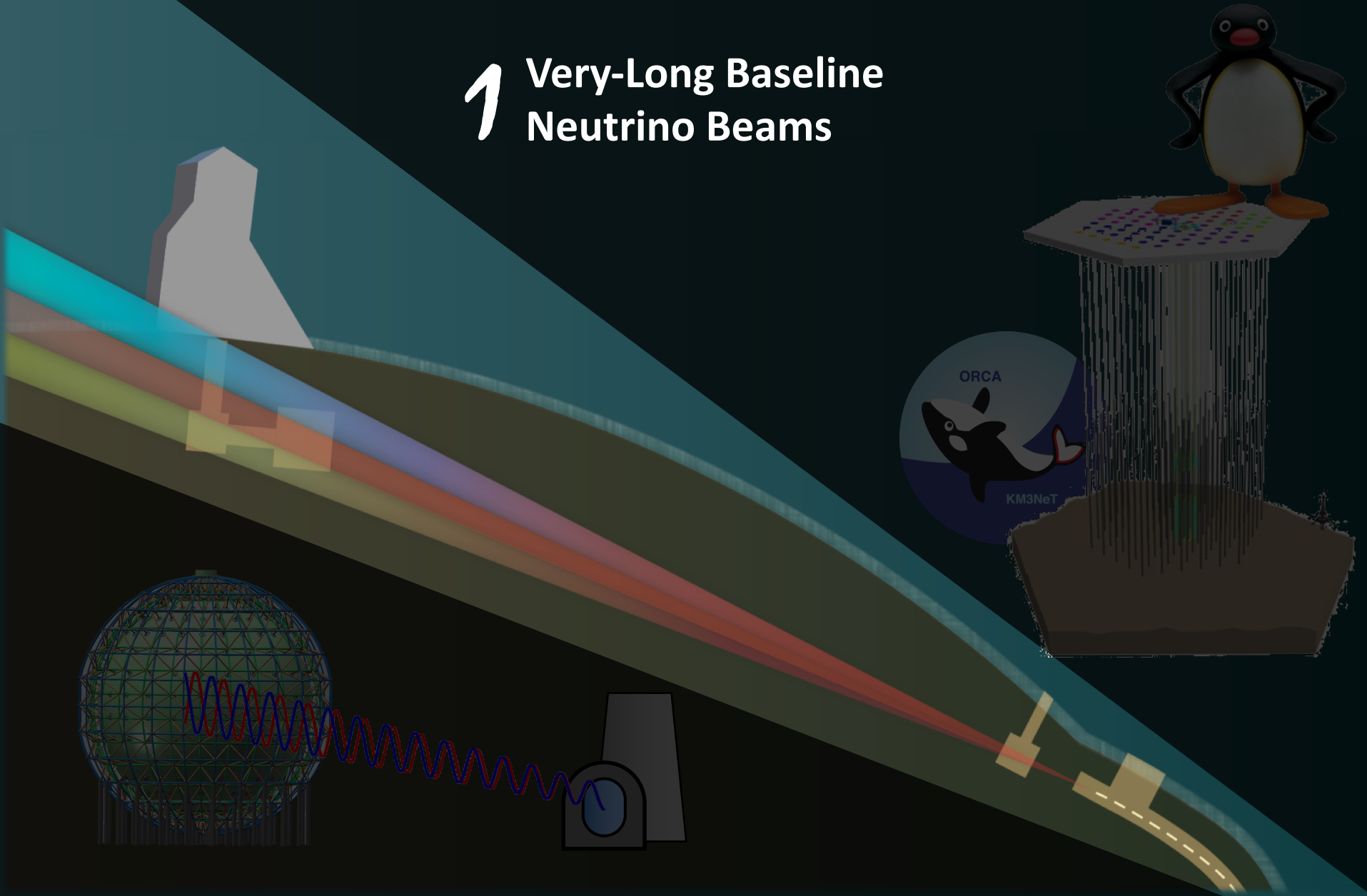
MH: Absolute neutrino mass scale

- **Arrangement** of the neutrino masses
 - as in quark sector
 - normal hierarchy (NH)
 - opposed to it
 - inverted hierarchy (IH)
 - w/o clear ordering
 - quasi-degenerate (QD)
- resolving the **degeneracy** in the interpretation of δ_{CP} measurements
- target range for **sensitivity** of $0\nu\beta\beta$ decay experiments
- combination with **cosmology** to find **lightest neutrino mass**



Concepts for MH measurement

1 Very-Long Baseline Neutrino Beams



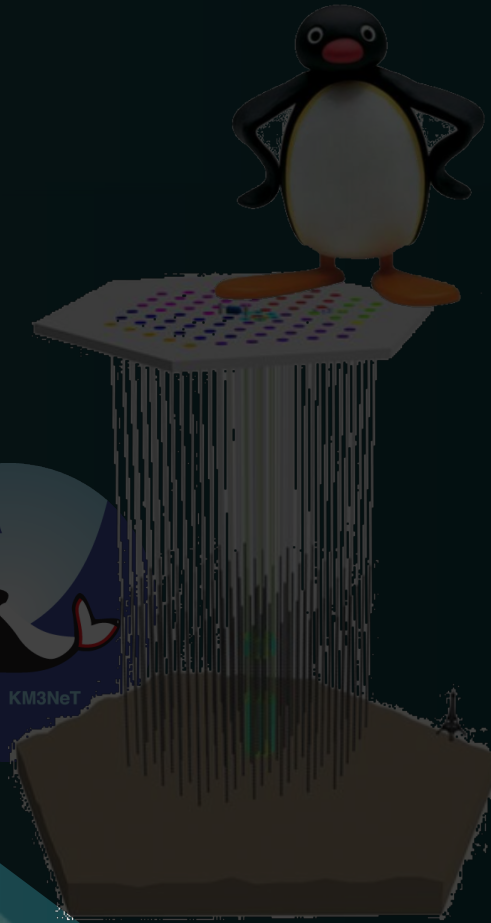
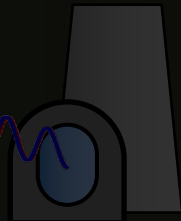
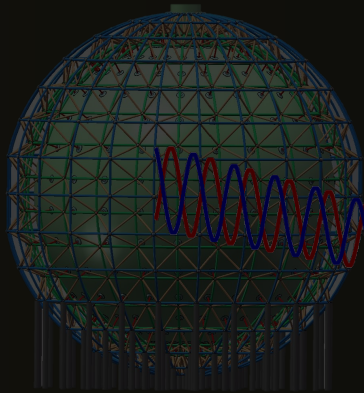
Concepts for MH measurement

↑ Very-Long Baseline
Neutrino Beams

Electron neutrino
appearance

>1000 km

Muon neutrino beam



Long Baseline Beams: $\nu_\mu \rightarrow \nu_e$ appearance

Oscillation probability for ν_e appearance
in a ν_μ neutrino beam:

$$\begin{aligned} P_{\mu e(\bar{\mu}\bar{e})} = & \sin^2 \theta_{23} \sin^2 2\theta_{13} \left(\frac{\Delta_{13}}{B_\pm} \right)^2 \sin^2 \left(\frac{B_\pm L}{2} \right) \\ & + \cos^2 \theta_{23} \sin^2 2\theta_{12} \left(\frac{\Delta_{12}}{A} \right)^2 \sin^2 \left(\frac{AL}{2} \right) \\ & + J \frac{\Delta_{12}}{A} \frac{\Delta_{13}}{B_\pm} \sin \left(\frac{AL}{2} \right) \sin \left(\frac{B_\pm L}{2} \right) \cos \left(\mp \delta - \frac{\Delta_{13}L}{2} \right) \end{aligned}$$

*good approximation
for 1st atmospheric
oscillation maximum*

$$J = \cos \theta_{13} \sin 2\theta_{12} \sin 2\theta_{13} \sin 2\theta_{23}$$

$$\Delta_{ij} = \frac{\Delta m_{ij}^2}{2E_\nu} \quad B_\pm = |A \pm \Delta_{13}| \quad A = \sqrt{2}G_F N_e$$

Long Baseline Beams: $\nu_\mu \rightarrow \nu_e$ appearance

Oscillation probability for ν_e appearance

in a ν_μ neutrino beam:

$$P_{\mu e(\bar{\mu}\bar{e})} = \begin{aligned} & \text{atmospheric oscillations} \rightarrow T2K \\ & \sin^2 \theta_{23} \sin^2 2\theta_{13} \left(\frac{\Delta_{13}}{B_\pm} \right)^2 \sin^2 \left(\frac{B_\pm L}{2} \right) \\ & \text{solar oscillations} \\ & + \cos^2 \theta_{23} \sin^2 2\theta_{12} \left(\frac{\Delta_{12}}{A} \right)^2 \sin^2 \left(\frac{AL}{2} \right) \approx 0 \\ & + J \frac{\Delta_{12}}{A} \frac{\Delta_{13}}{B_\pm} \sin \left(\frac{AL}{2} \right) \sin \left(\frac{B_\pm L}{2} \right) \cos \left(\mp \delta - \frac{\Delta_{13}L}{2} \right) \\ & \text{neutrino-antineutrino asymmetry term} \end{aligned}$$

$$J = \cos \theta_{13} \sin 2\theta_{12} \sin 2\theta_{13} \sin 2\theta_{23}$$

$$\Delta_{ij} = \frac{\Delta m_{ij}^2}{2E_\nu} \quad B_\pm = |A \pm \Delta_{13}| \quad A = \sqrt{2}G_F N_e$$

Matter effects, mass hierarchy, CP violation

Oscillation probability for ν_e appearance
in a ν_μ neutrino beam:

$$\begin{aligned}
 P_{\mu e(\bar{\mu}\bar{e})} = & \text{atmospheric oscillations} \rightarrow T2K \quad \left(\frac{\Delta_{13}}{B_\pm} \right)^2 \sin^2 \left(\frac{B_\pm L}{2} \right) \quad \text{effects of weak matter potential} \\
 & + \text{solar oscillations} \quad \cos^2 \theta_{23} \sin^2 2\theta_{12} \left(\frac{\Delta_{12}}{A} \right)^2 \sin^2 \left(\frac{AL}{2} \right) \approx 0 \quad \text{leptonic CP violation} \\
 & + J \frac{\Delta_{12}}{A} \frac{\Delta_{13}}{B_\pm} \sin \left(\frac{AL}{2} \right) \sin \left(\frac{B_\pm L}{2} \right) \cos \left(\mp \delta - \frac{\Delta_{13}L}{2} \right) \quad \text{neutrino-antineutrino asymmetry term}
 \end{aligned}$$

$$J = \cos \theta_{13} \sin 2\theta_{12} \sin 2\theta_{13} \sin 2\theta_{23}$$

$$\Delta_{ij} = \frac{\Delta m_{ij}^2}{2E_\nu}$$

$$B_\pm = |A \pm \Delta_{13}|$$

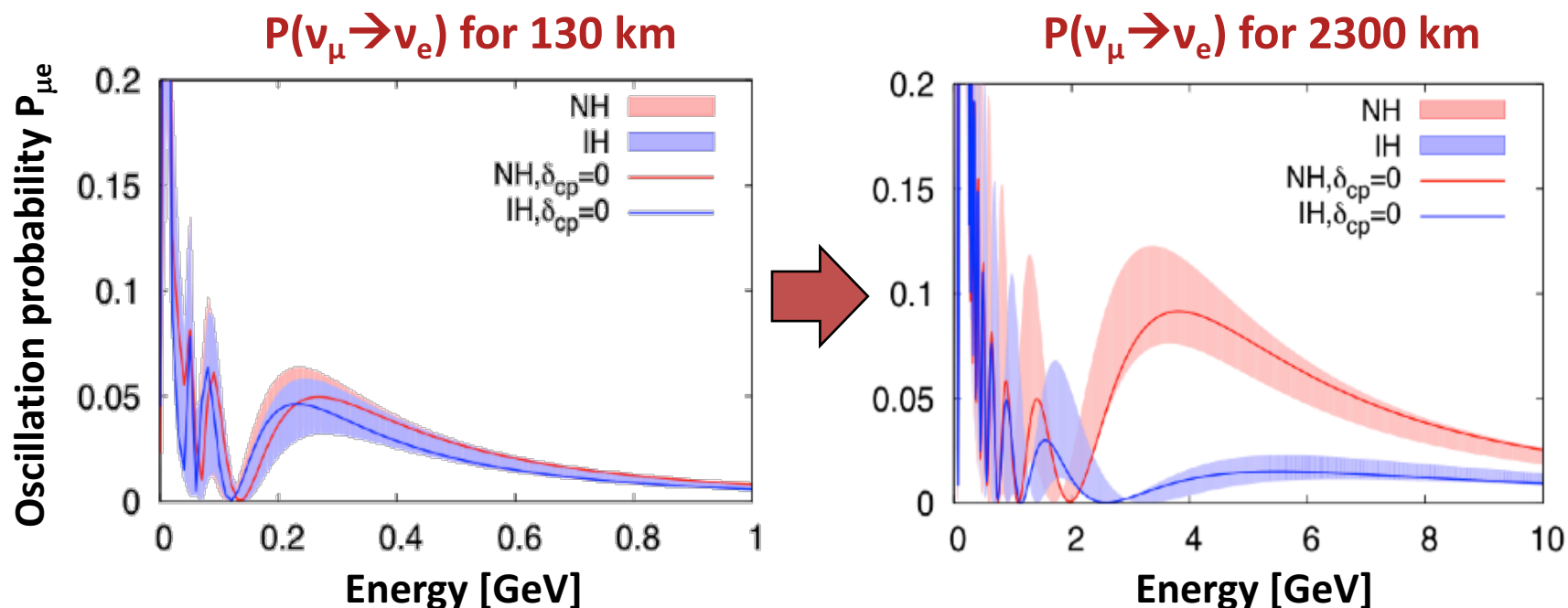
weak matter potential A

$$A = \sqrt{2}G_F N_e$$

$\longrightarrow \nu \leftrightarrow \bar{\nu}$ asymmetry if $A \sim \Delta_{13}$!

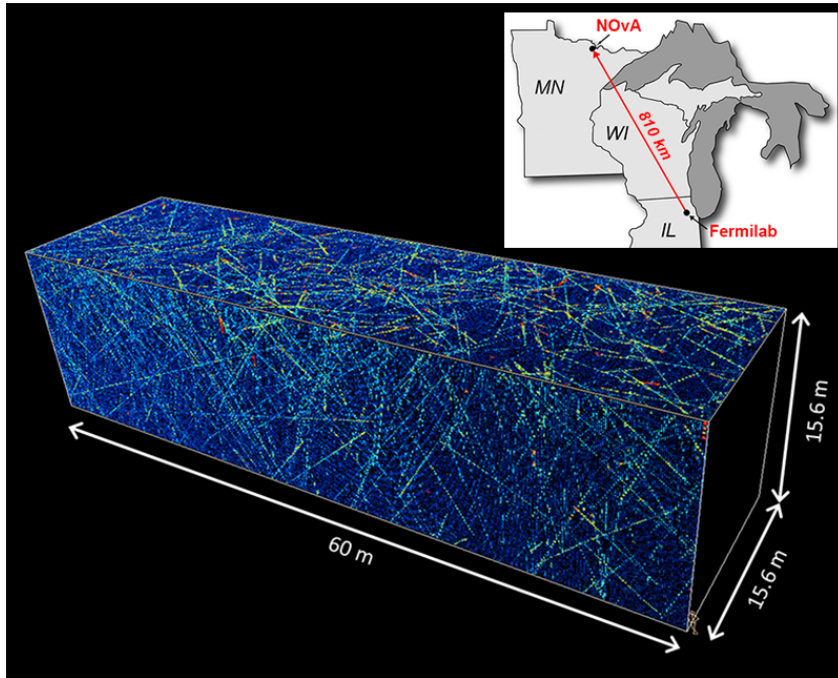
Oscillation patterns for long-baseline beam

- Oscillation probabilities differ for $\nu_\mu \rightarrow \nu_e$ vs. $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$
- Enhanced electron-flavor appearance for: neutrinos \rightarrow normal hierarchy
antineutrinos \rightarrow inverted



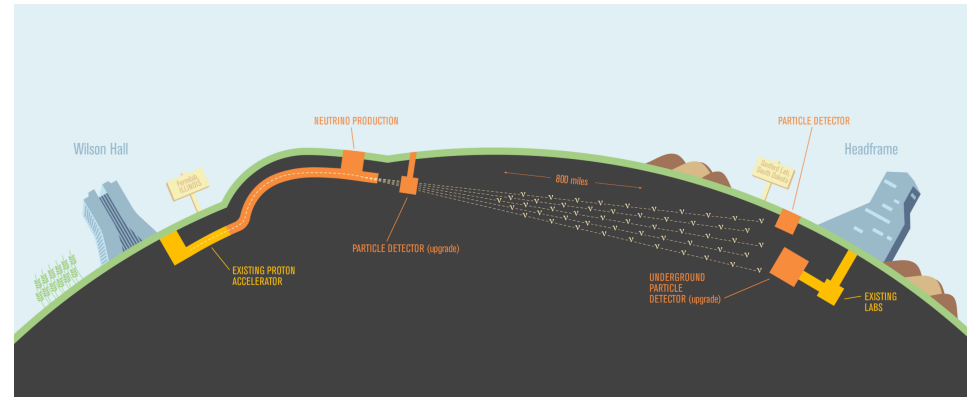
- **Far detector** at first atmospheric oscillation maximum:
longer baseline \rightarrow larger energy \rightarrow larger matter effect!

Long-baseline oscillation experiments



NOvA

- baseline: 810km
- alignment: 16 mrad off-axis
- spectrum: (2 ± 1) GeV
- beam power: 400kW
- detector: 14kt of segmented scintillator

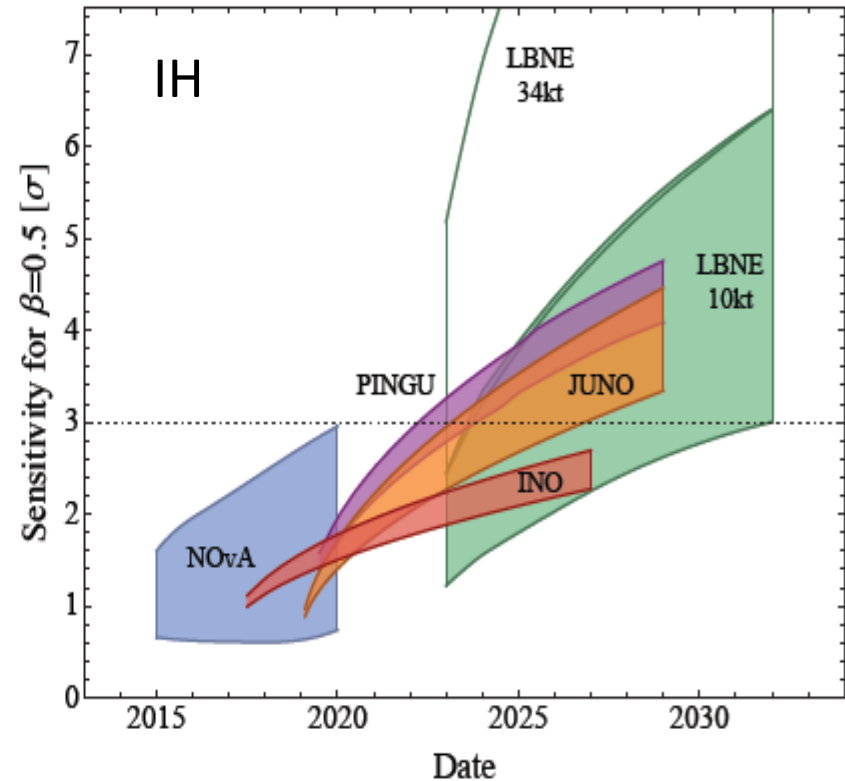
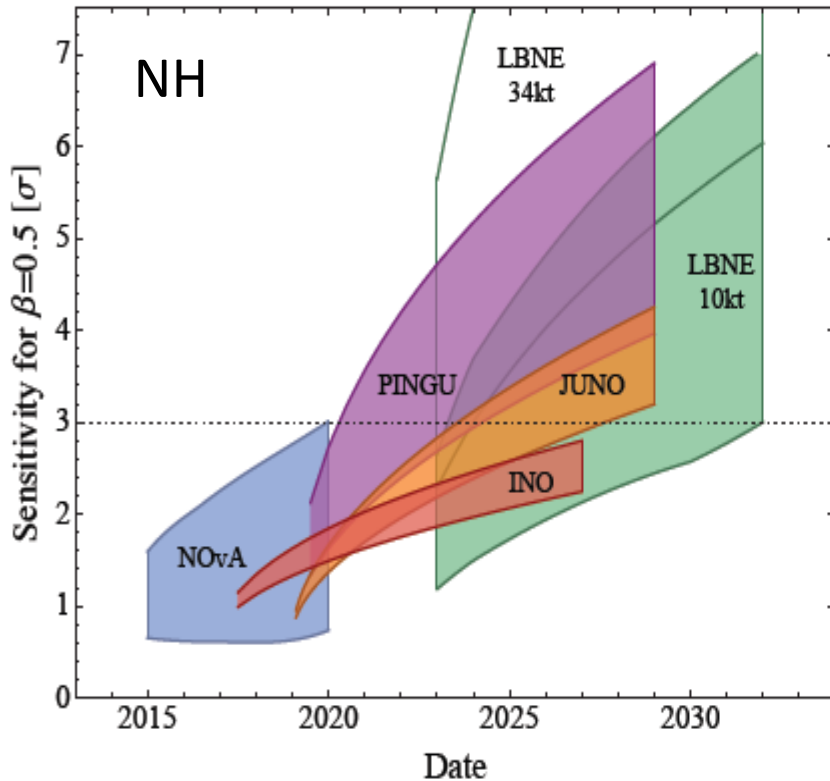


LBNF/DUNE

- baseline: 1300km
- alignment: on-axis
- wide-band beam, 3.5 GeV
- beam power: 700kW
- detector: 4x10kt LAr TPC

Experimental sensitivities to MH

Blennow, Schvez, arXiv:1311.1822



Experimental technique

- long-baseline beams: NOvA, DUNE ...
- atmospheric ν 's: INO, PINGU, ORCA, HK ...
- reactor neutrinos: JUNO, RENO-50 ...

Mode

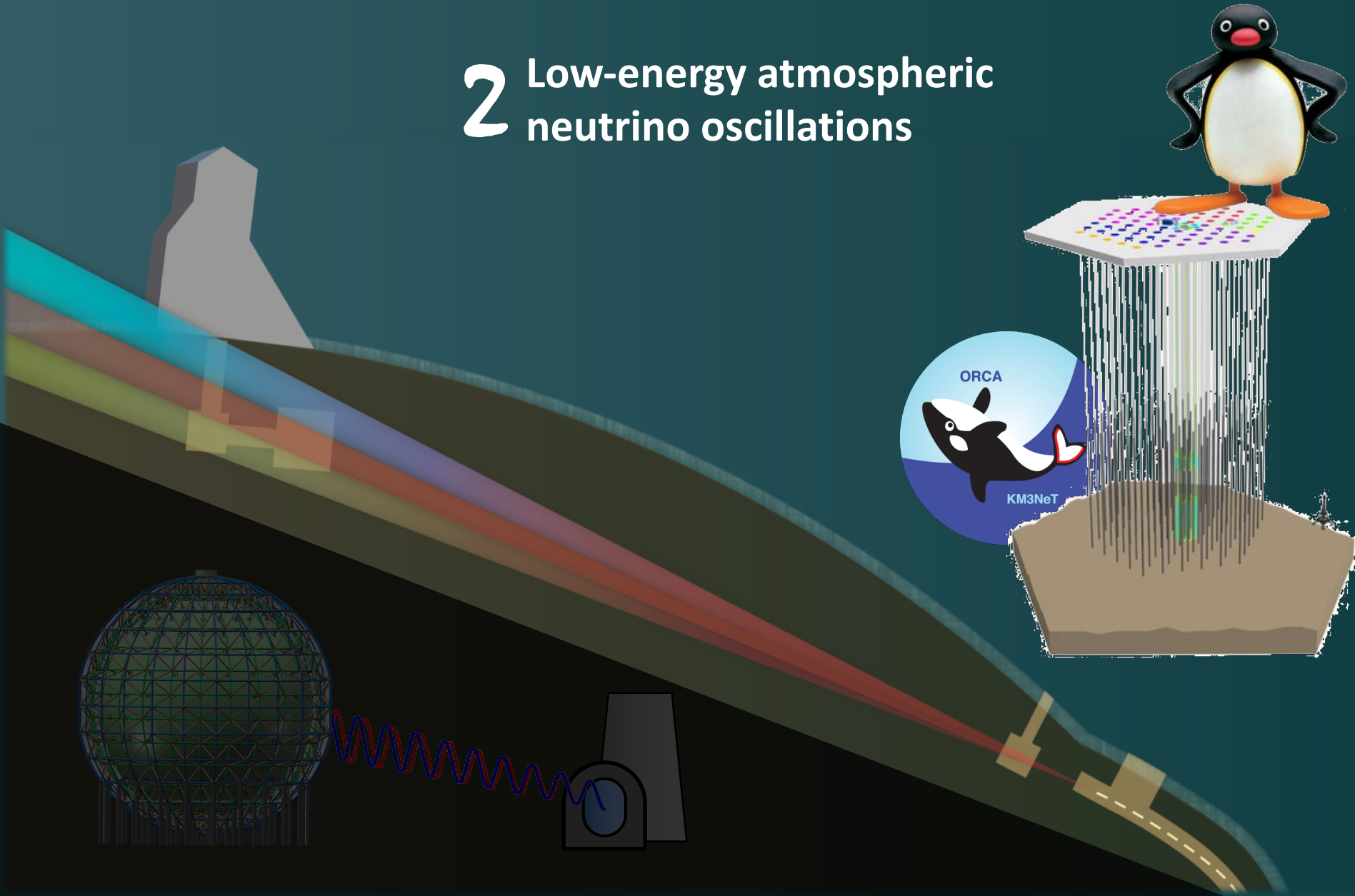
- $\nu_\mu \rightarrow \nu_e$
- $\nu_\mu \rightarrow \nu_\mu$
- $\bar{\nu}_e \rightarrow \bar{\nu}_e$

Dominant factor

- value of δ_{CP}
- value of $\theta_{23}=40-50^\circ$
- energy res. (3-3.5%)

Concepts for MH measurement

2 Low-energy atmospheric neutrino oscillations



MH from atmospheric neutrinos

D. Grant

Source: Atmospheric μ -neutrinos

- Energies: 2-20 GeV
- Baselines: 20-13000 km
- Matter potential:
Earth core & mantle

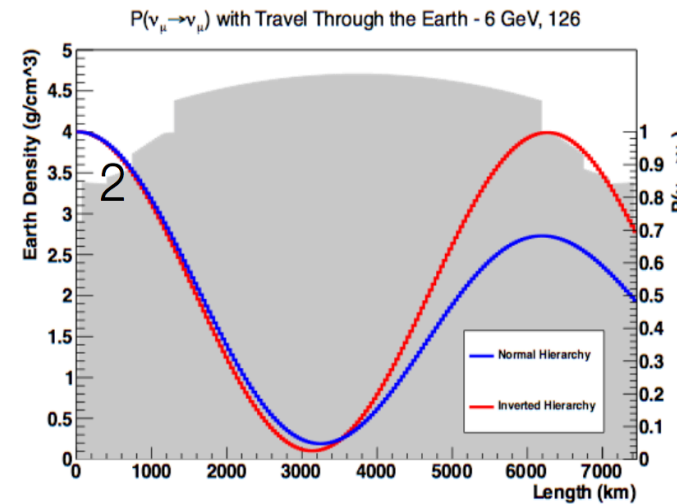
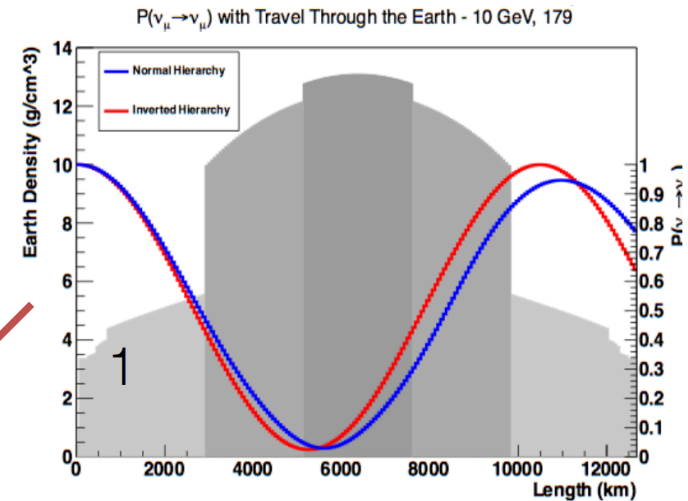
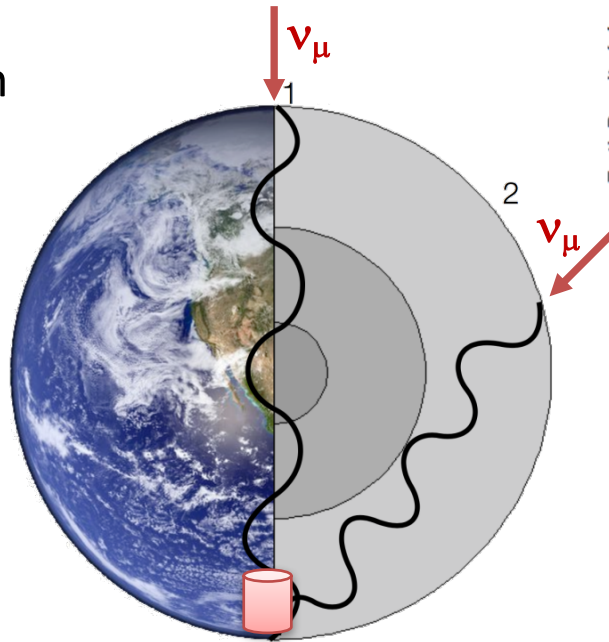
MH signature

matter effects in

- $\nu_\mu \rightarrow \nu_\mu$ disappearance
- $\nu_\mu \rightarrow \nu_e$ appearance

Detector requirements

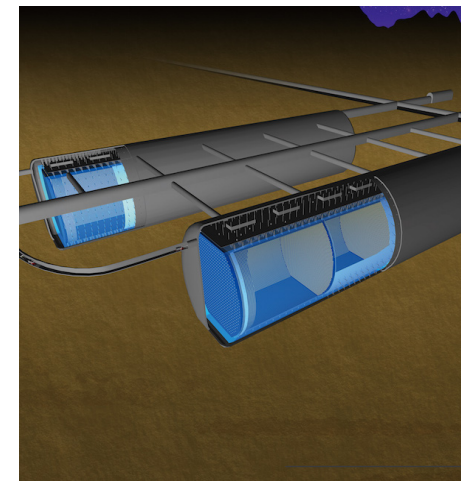
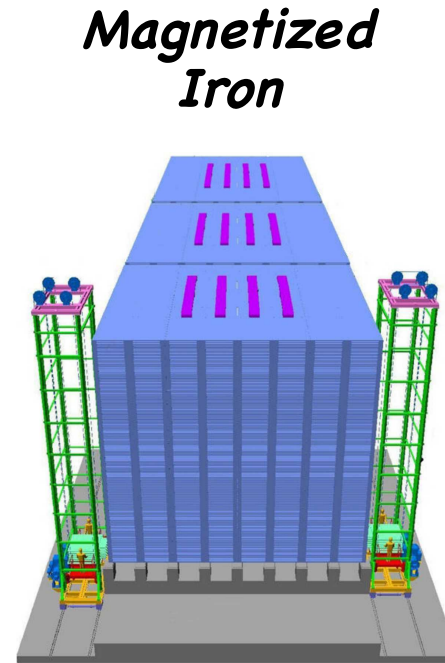
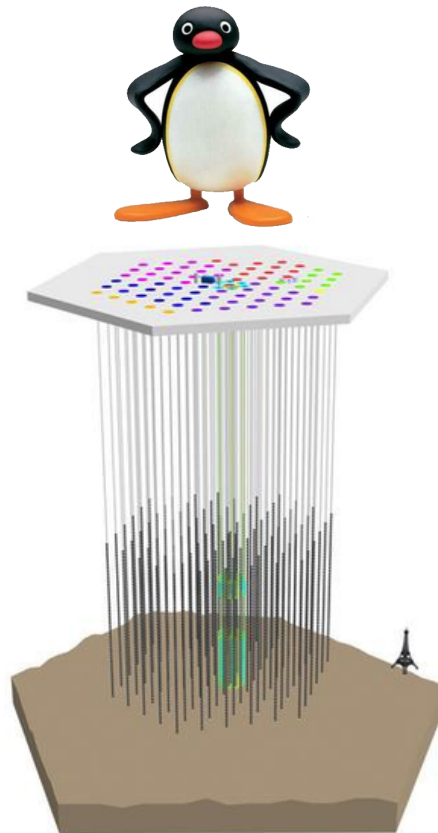
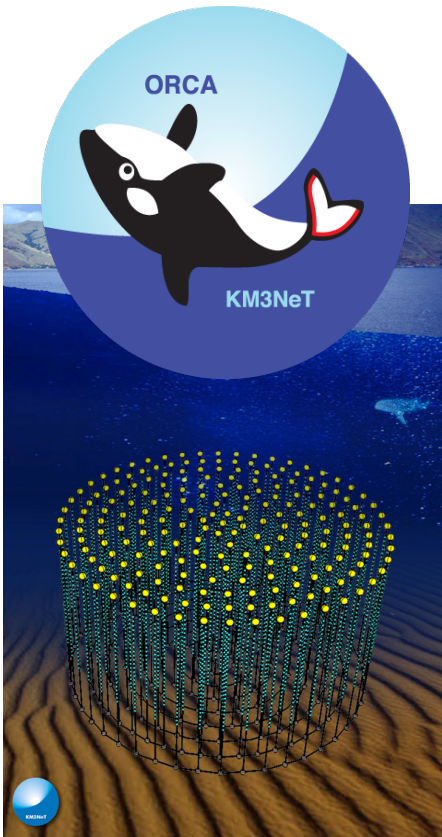
- relatively low energy threshold
- good angular resolution
- flavor identification
- nice to have: lepton charge ID ($\nu/\bar{\nu}$)



Projects with atmospheric MH sensitivity

*Low-energy detectors
→ extended target size*

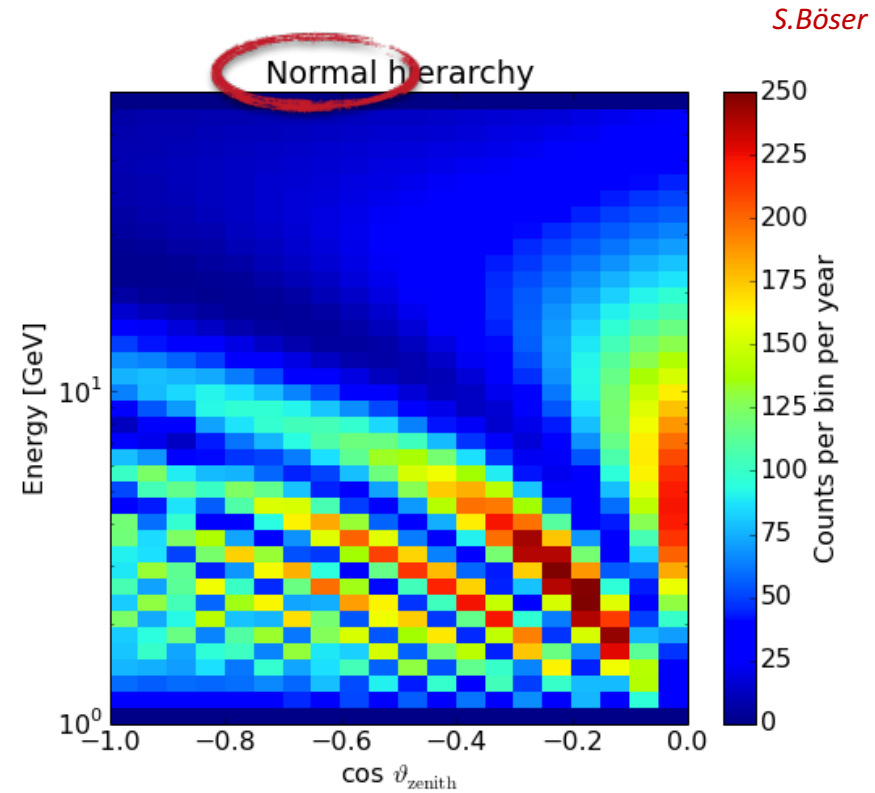
*Cosmic neutrino telescopes
→ low energy extensions*



Atmospheric ν signal observed in PINGU

Event statistics

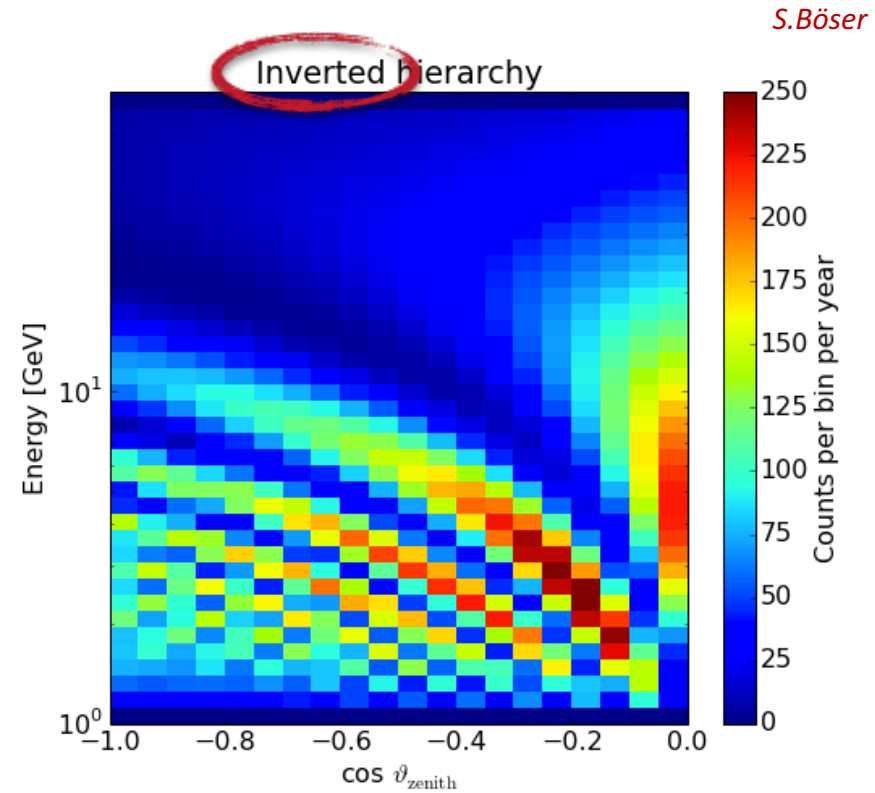
- ν_{μ} : $5.0 \times 10^4 \text{ yr}^{-1}$
- ν_e : $3.8 \times 10^4 \text{ yr}^{-1}$



Atmospheric ν signal observed in PINGU

Event statistics

- ν_{μ} : $5.0 \times 10^4 \text{ yr}^{-1}$
- ν_e : $3.8 \times 10^4 \text{ yr}^{-1}$

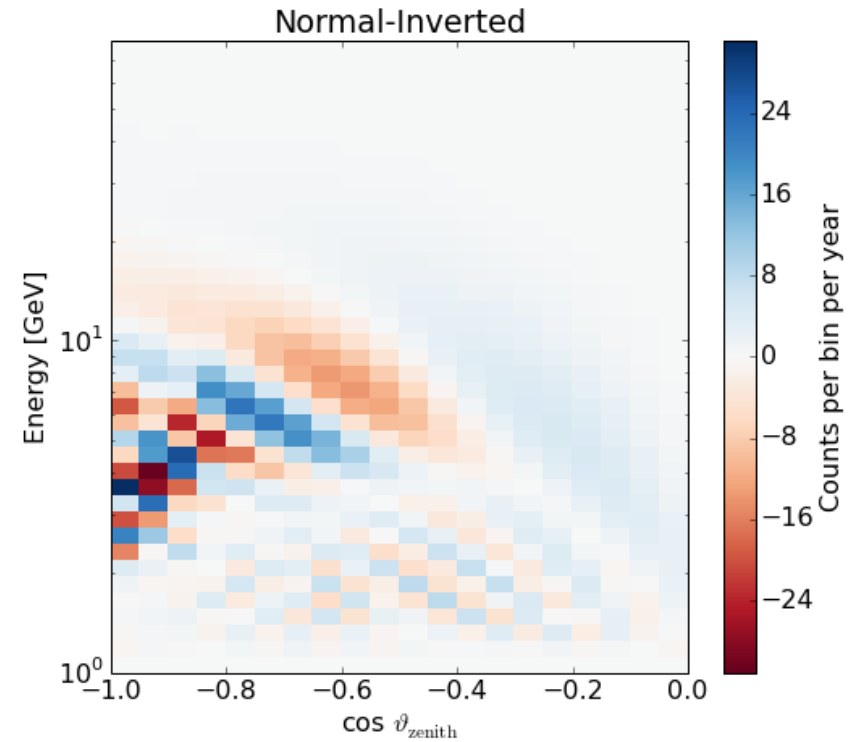


Atmospheric ν signal observed in PINGU

S.Böser

Event statistics

- ν_{μ} : $5.0 \times 10^4 \text{ yr}^{-1}$
 - ν_e : $3.8 \times 10^4 \text{ yr}^{-1}$
- detectable difference



Atmospheric ν signal observed in PINGU

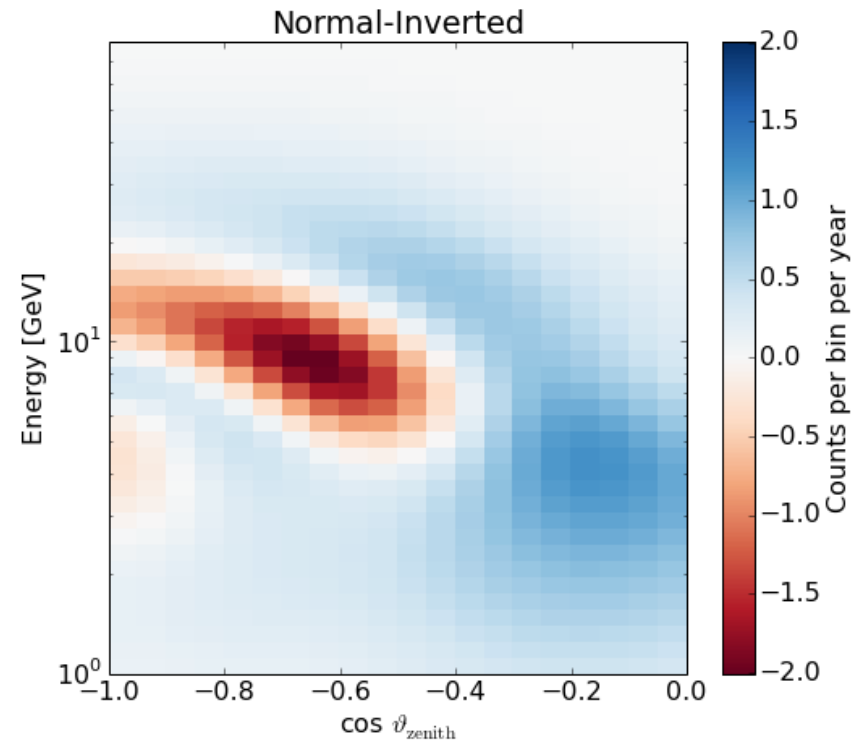
S.Böser

Event statistics

- ν_{μ} : $5.0 \times 10^4 \text{ yr}^{-1}$
 - ν_e : $3.8 \times 10^4 \text{ yr}^{-1}$
- detectable difference

Detector resolution

- energy resolution:
~20% above 10 GeV
- directional resolution
improving with energy



Atmospheric ν signal observed in PINGU

S.Böser

Event statistics

- ν_{μ} : $5.0 \times 10^4 \text{ yr}^{-1}$
- ν_e : $3.8 \times 10^4 \text{ yr}^{-1}$

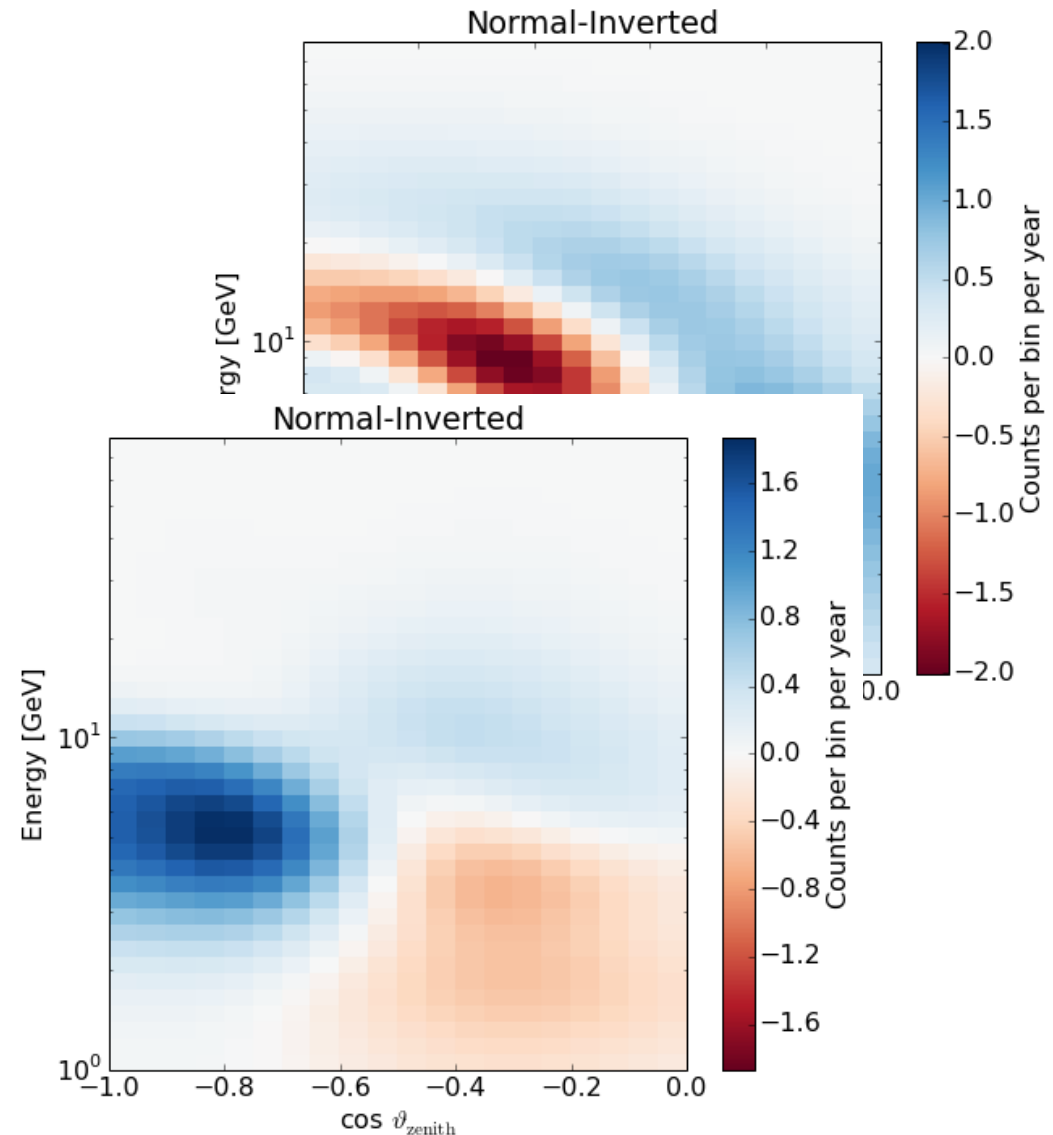
→ detectable difference

Detector resolution

- energy resolution:
~20% above 10 GeV
- directional resolution
improving with energy

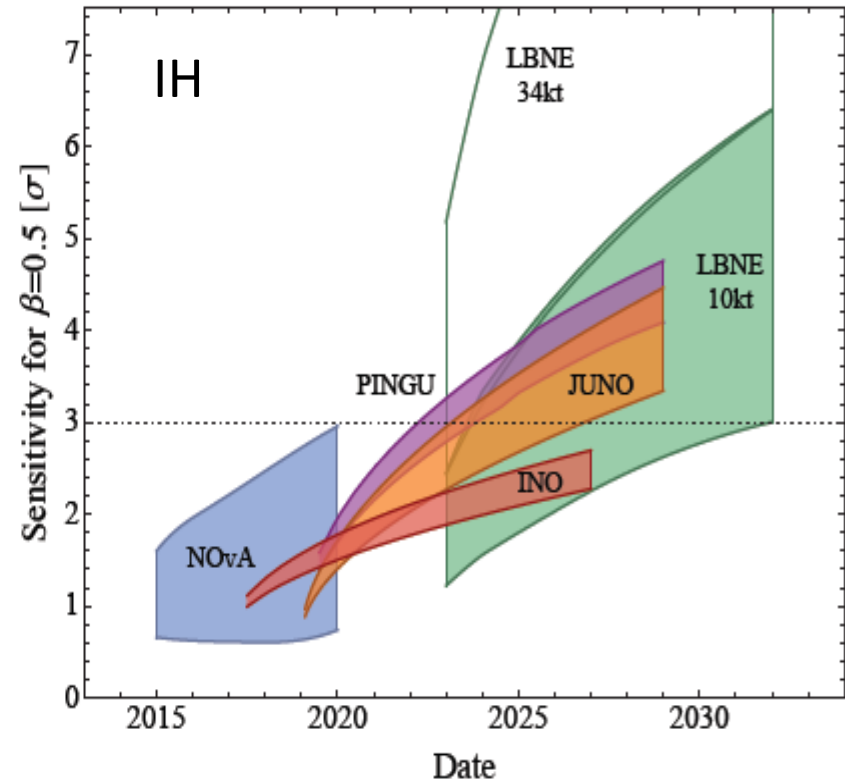
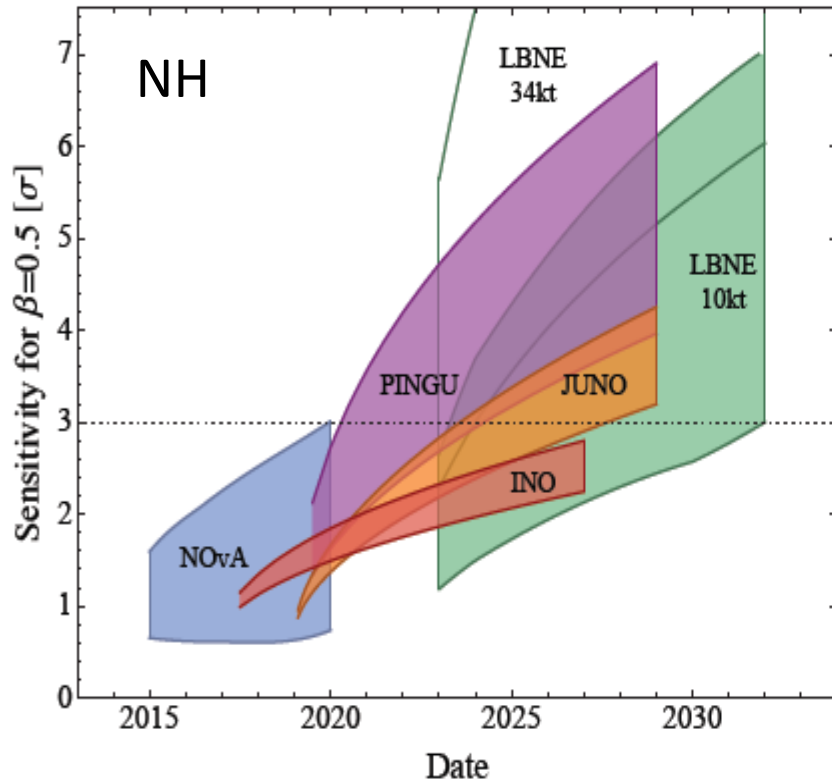
Particle identification

- ν_{μ} (CC): tracks
 - ν_e (CC) + ν_x (NC): cascades
- distinction of event types



Experimental sensitivities to MH

Blennow, Schwetz, arXiv:1311.1822



Experimental technique

- long-baseline beams: NOvA, DUNE ...
- atmospheric ν 's: INO, PINGU, ORCA, HK ...
- reactor neutrinos: JUNO, RENO-50 ...

Mode

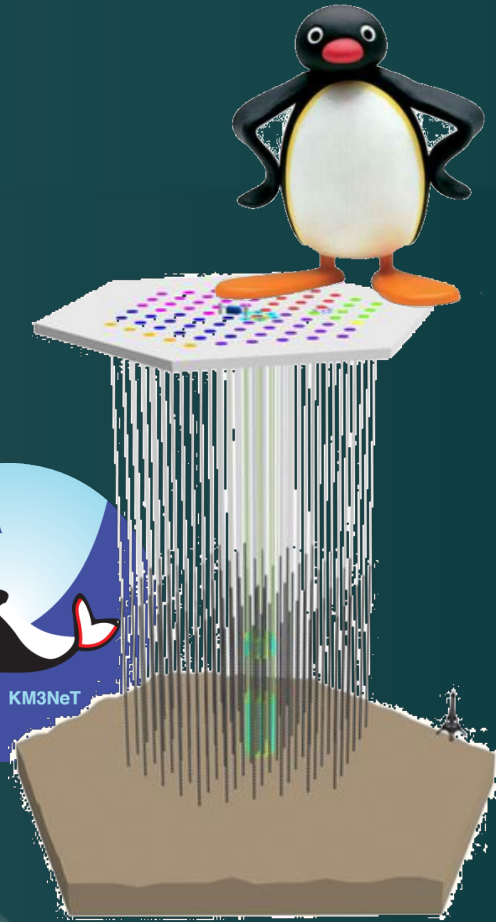
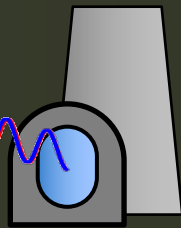
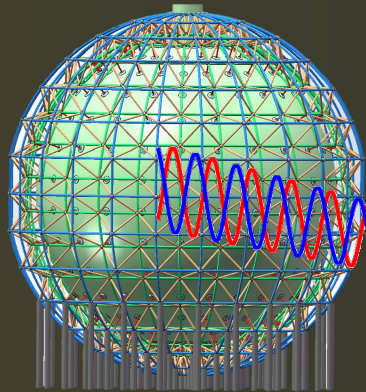
- $\nu_\mu \rightarrow \nu_e$
- $\nu_\mu \rightarrow \nu_\mu$
- $\bar{\nu}_e \rightarrow \bar{\nu}_e$

Dominant factor

- value of δ_{CP}
- value of $\theta_{23}=40-50^\circ$
- energy res. (3-3.5%)

Concepts for MH measurement

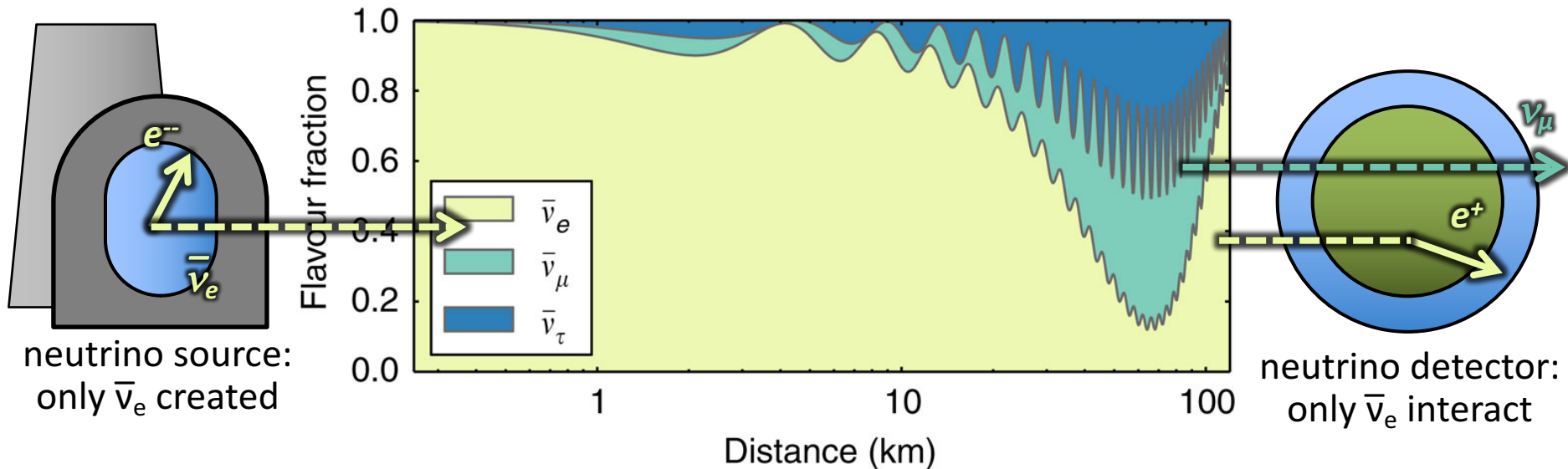
3 Mid-baseline reactor
neutrino oscillations



Reactor neutrino oscillation experiments

Common three-flavor reactor electron-antineutrino survival probability:

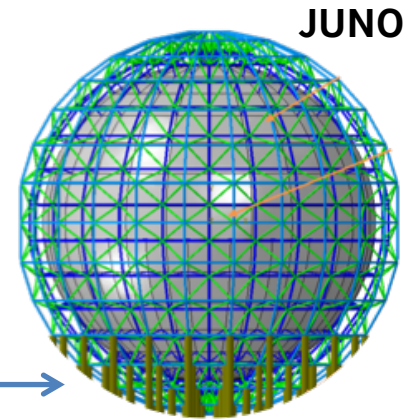
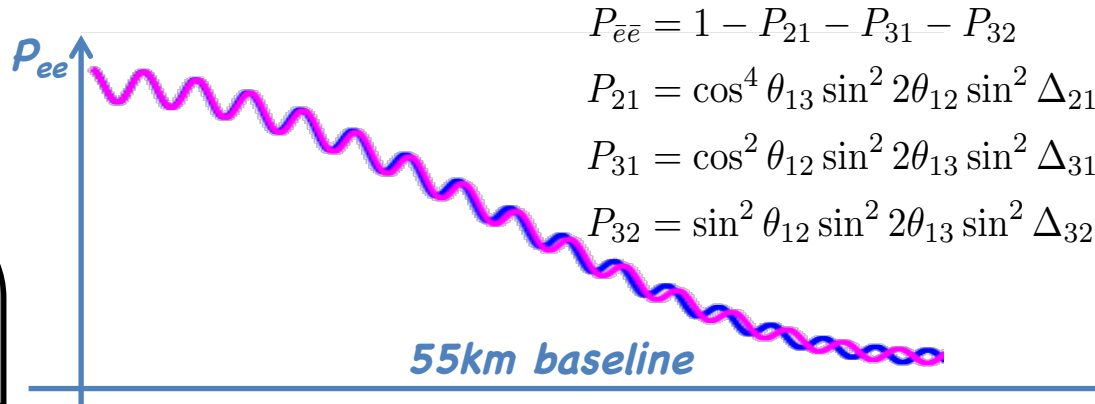
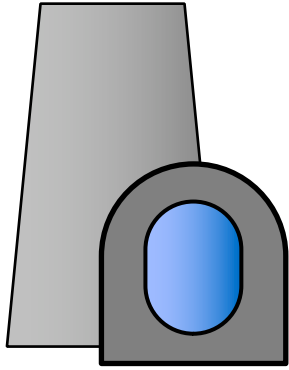
$$P_{ee} = 1 - \sin^2(2\theta_{13}) \sin^2\left(\frac{\Delta m_{31}^2}{4E}\right) - \sin^2(2\theta_{12}) \sin^2\left(\frac{\Delta m_{21}^2}{4E}\right)$$



→ oscillation parameters are extracted from $\bar{\nu}_e$ **disappearance pattern**

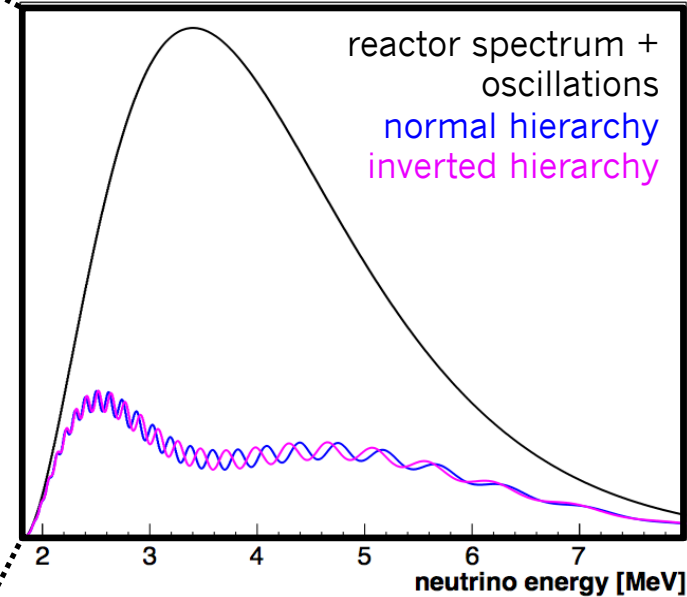
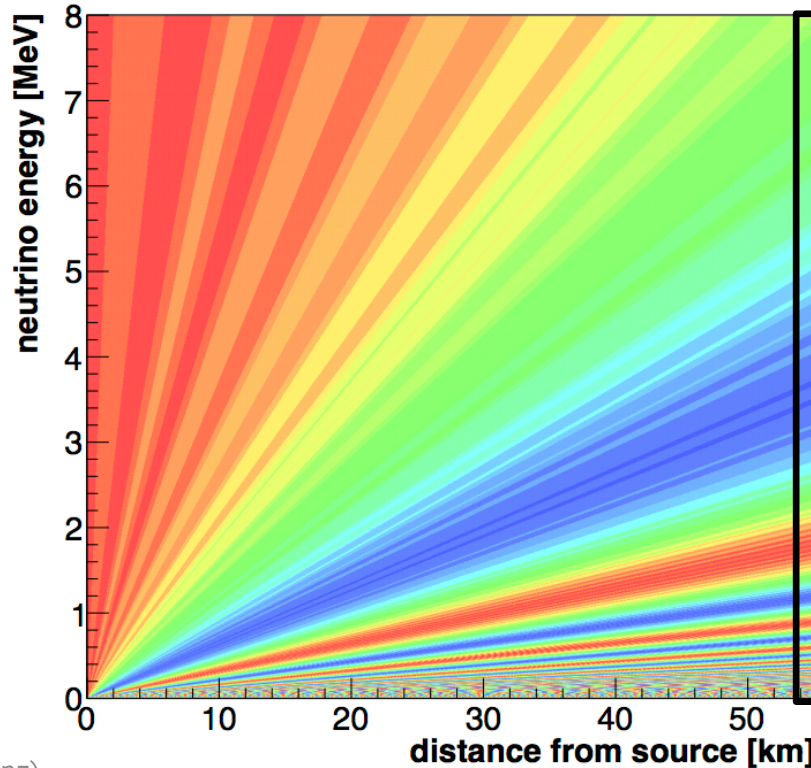
→ however, the formula above implicitly assumes $\Delta m_{31}^2 = \Delta m_{32}^2$

Reactor ν signal at 53km distance



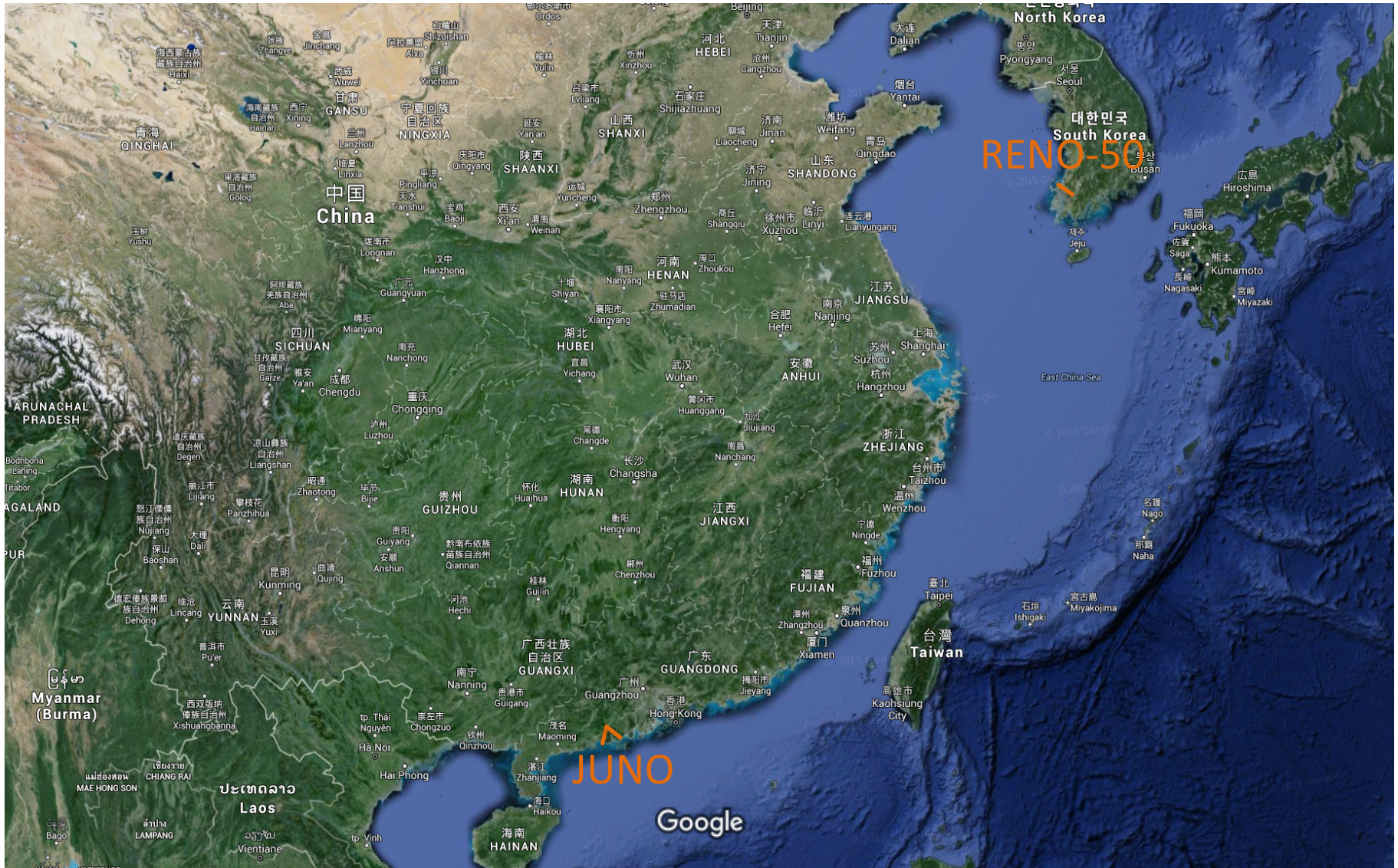
Nuclear reactors at
 ■ Yangjiang
 ■ Taishan
 (so. China)

Total power:
 38 GW



→ **MH from spectral wiggles**

Reactor experiments for MH



Bilder © 2015 Landsat,Data SIO, NOAA, U.S. Navy, NGA, GEBCO,Kartendaten © 2015 Google,SK planet,ZENRIN 200 mi

Basic detector requirements for JUNO

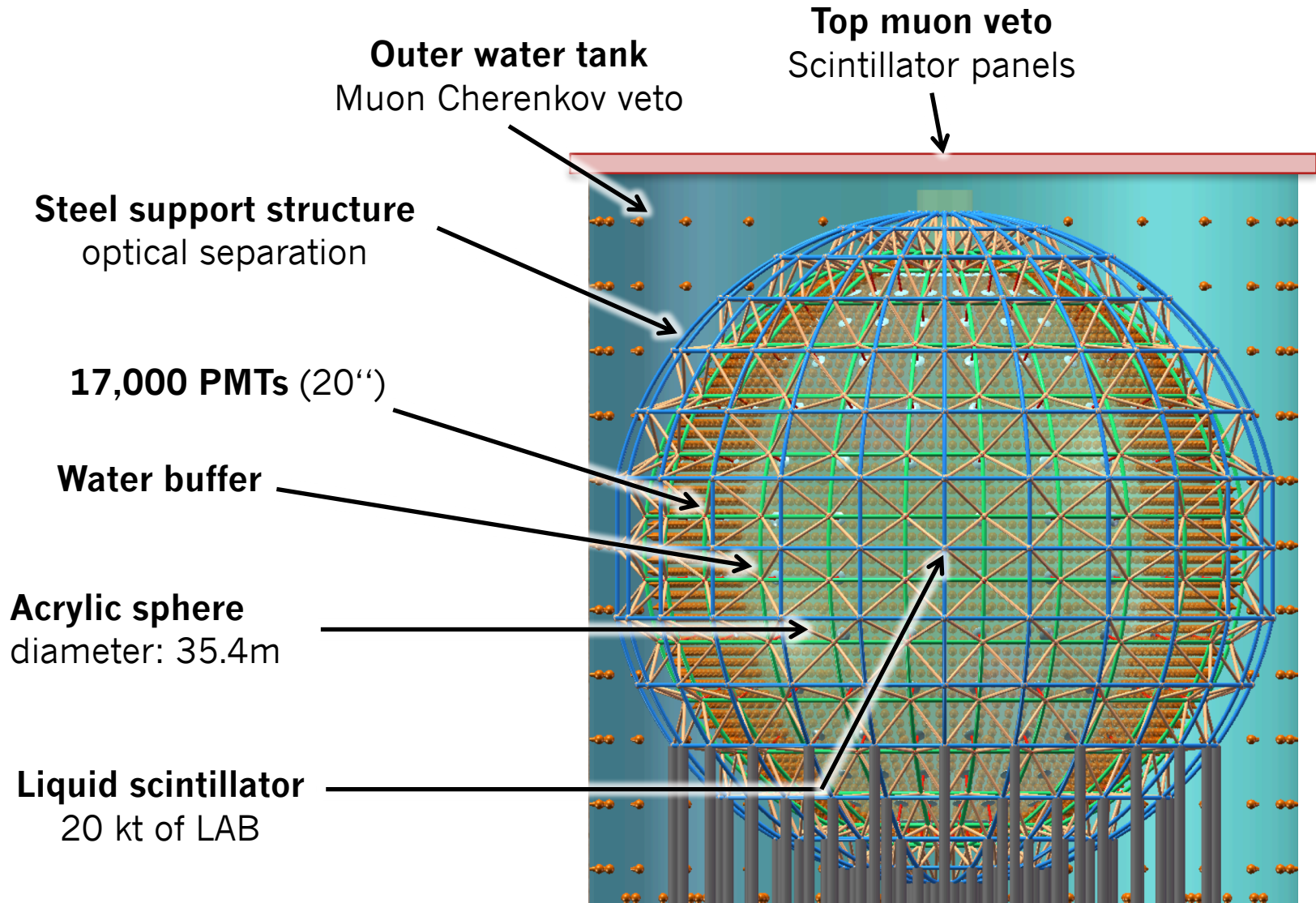
- reactor antineutrinos at MeV energies
 - **Liquid-scintillator detector**
 - Detection by inverse beta decay



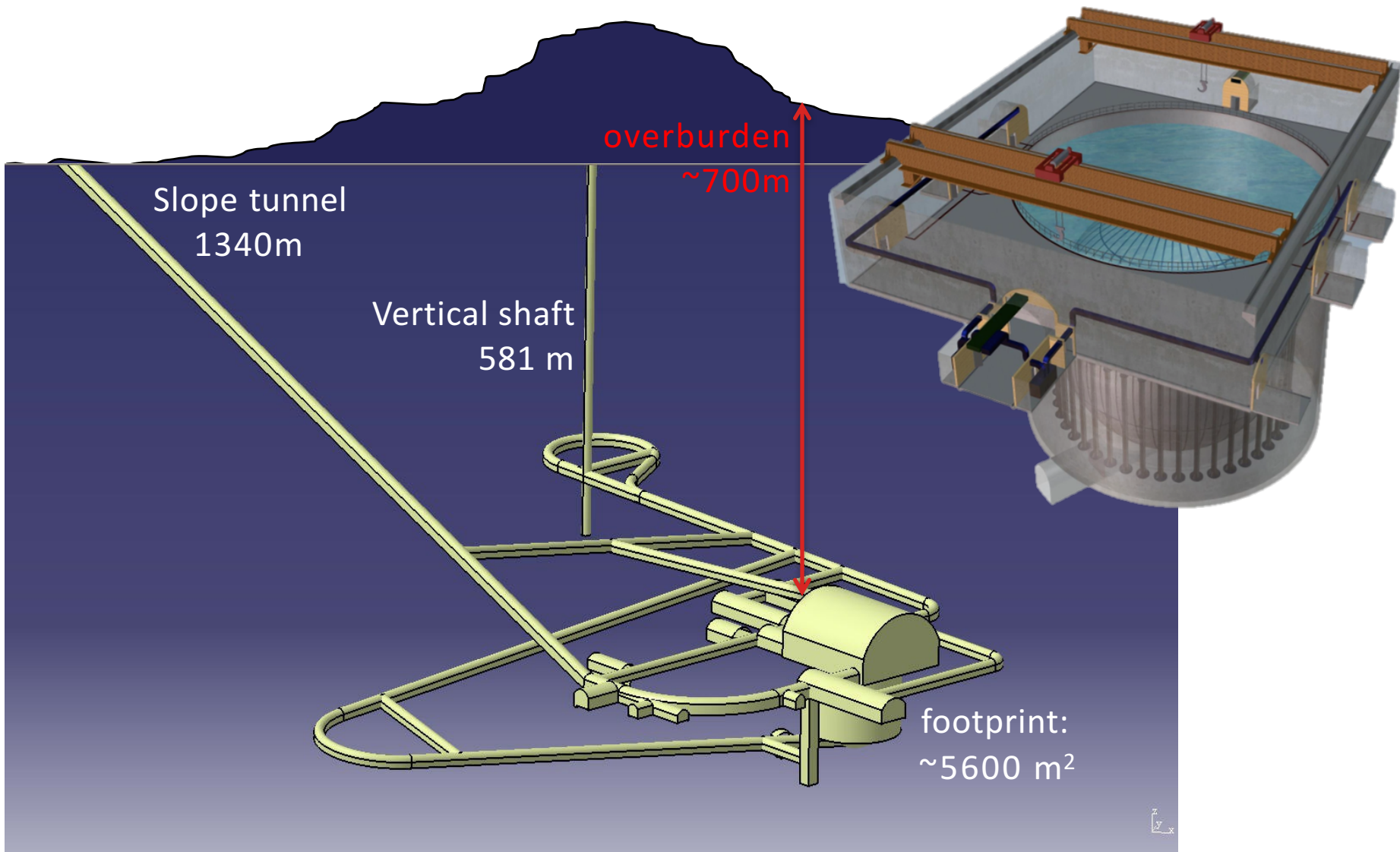
- signature in position of spectral wiggles
 - **~3% energy resolution** at 1 MeV
 - photoelectron yield: **~1,100 pe/MeV**
- large distance to source and high-statistics measurement
 - large target mass: **20 kilotons of LAB**
- cosmogenic background
 - rock overburden of **~700 m**



JUNO detector layout

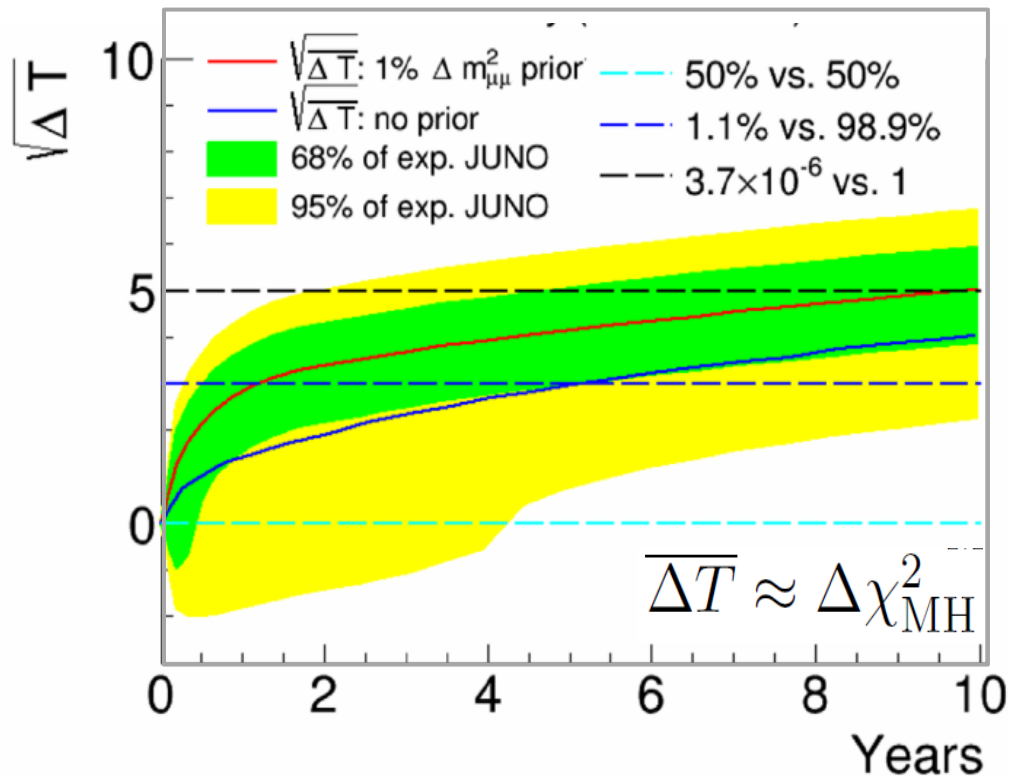


Underground laboratory



Sensitivity to mass hierarchy

JUNO, arXiv:1507.05613



defining factors:

- E resolution: 3% at 1MeV
- statistics: 100,000 ev

Sensitivity budget	$\Delta\chi^2$
Statistics only	+16
different core distances	-3
reactor background	-1.7
spectral shape	-1
S/B ratio (rate)	-0.6
S/B ratio (shape)	-0.1
information on $\Delta m_{\mu\mu}^2$	+8

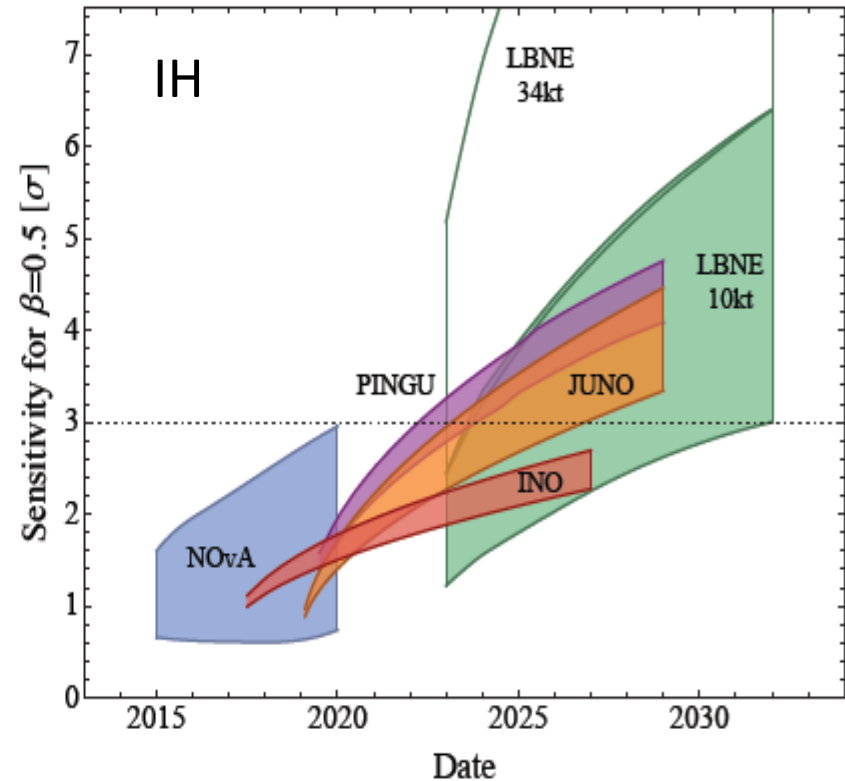
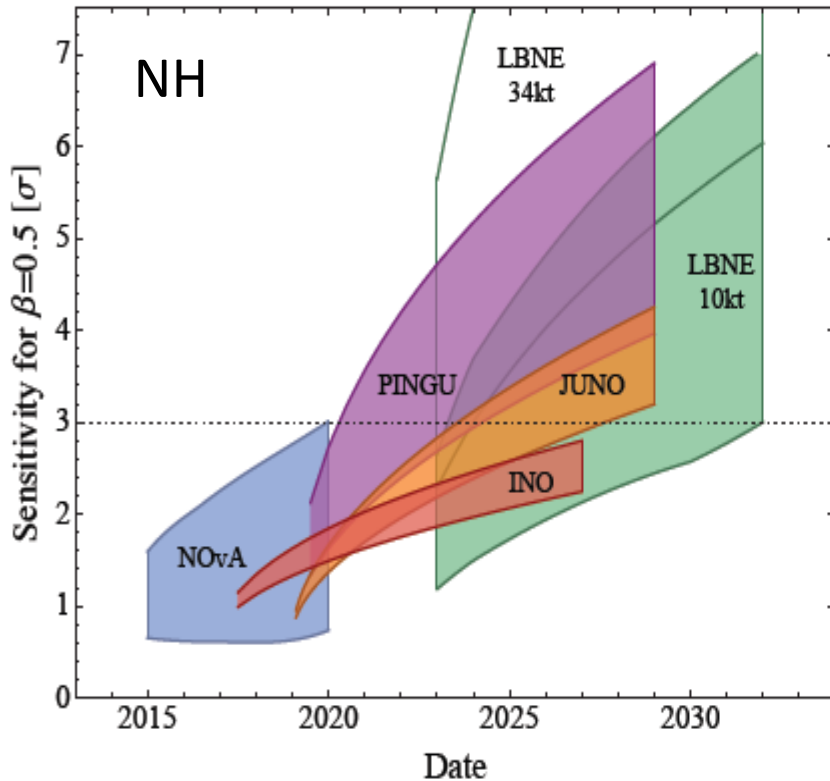
JUNO's expected sensitivity level

(assuming 3% energy resolution)

- JUNO alone based on 6 years: $\sim 3\sigma$
- + precise data by T2K/NOvA on $\Delta m_{\mu\mu}^2$: 4σ

Experimental sensitivities to MH

Blennow, Schvez, arXiv:1311.1822



Experimental technique

- long-baseline beams: NOvA, DUNE ...
- atmospheric ν 's: INO, PINGU, ORCA, HK ...
- reactor neutrinos: JUNO, RENO-50 ...

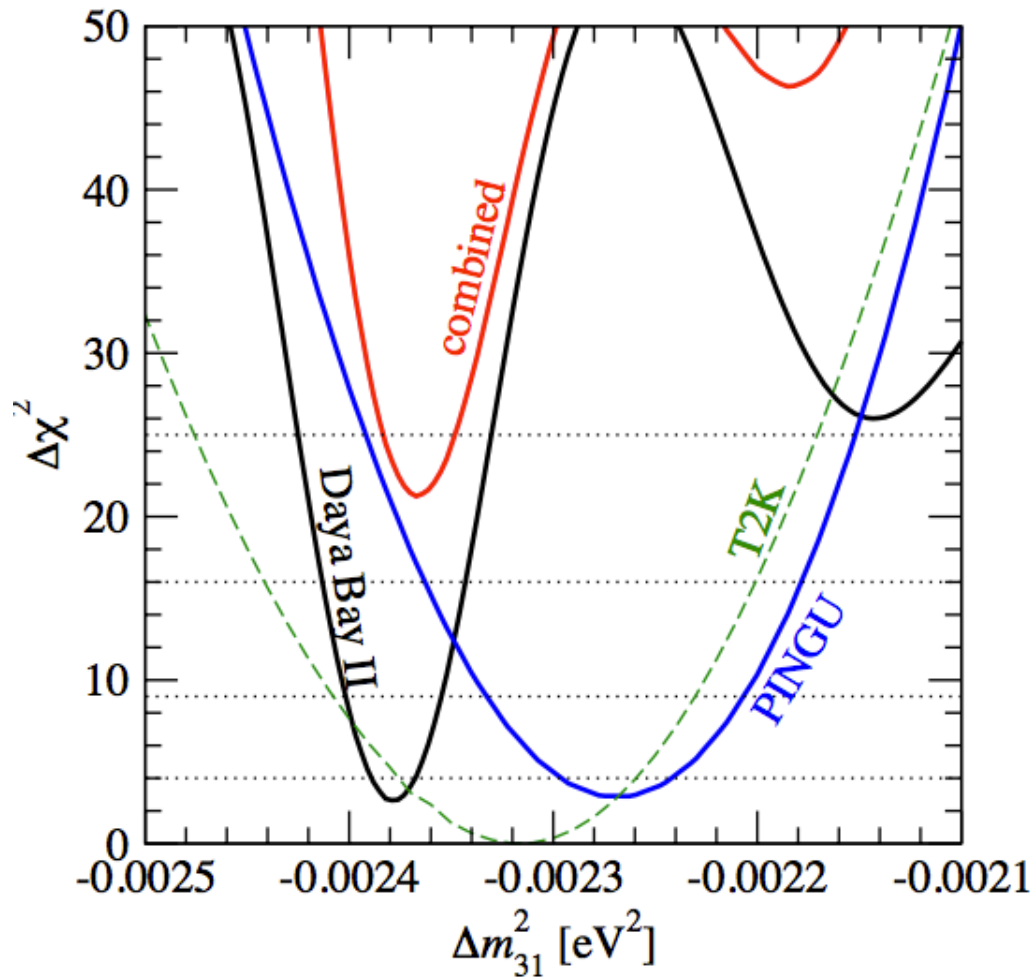
Mode

- $\nu_\mu \rightarrow \nu_e$
- $\nu_\mu \rightarrow \nu_\mu$
- $\bar{\nu}_e \rightarrow \bar{\nu}_e$

Dominant factor

- value of δ_{CP}
- value of $\theta_{23}=40-50^\circ$
- energy res. (3-3.5%)

Complementarity of MH experiments



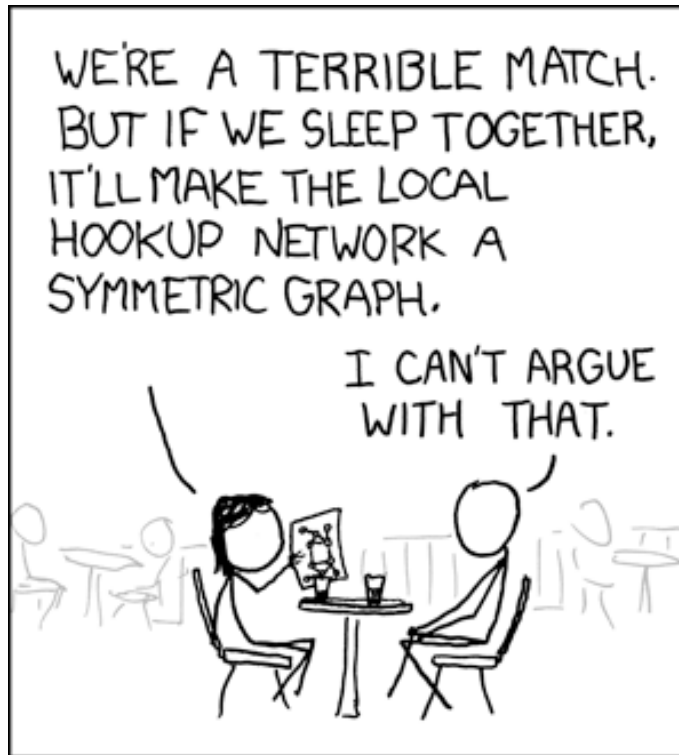
combine measurements
of $|\Delta m_{31}^2|$ from PINGU
and JUNO

Blennow, Schwetz, arXiv:1306.3988

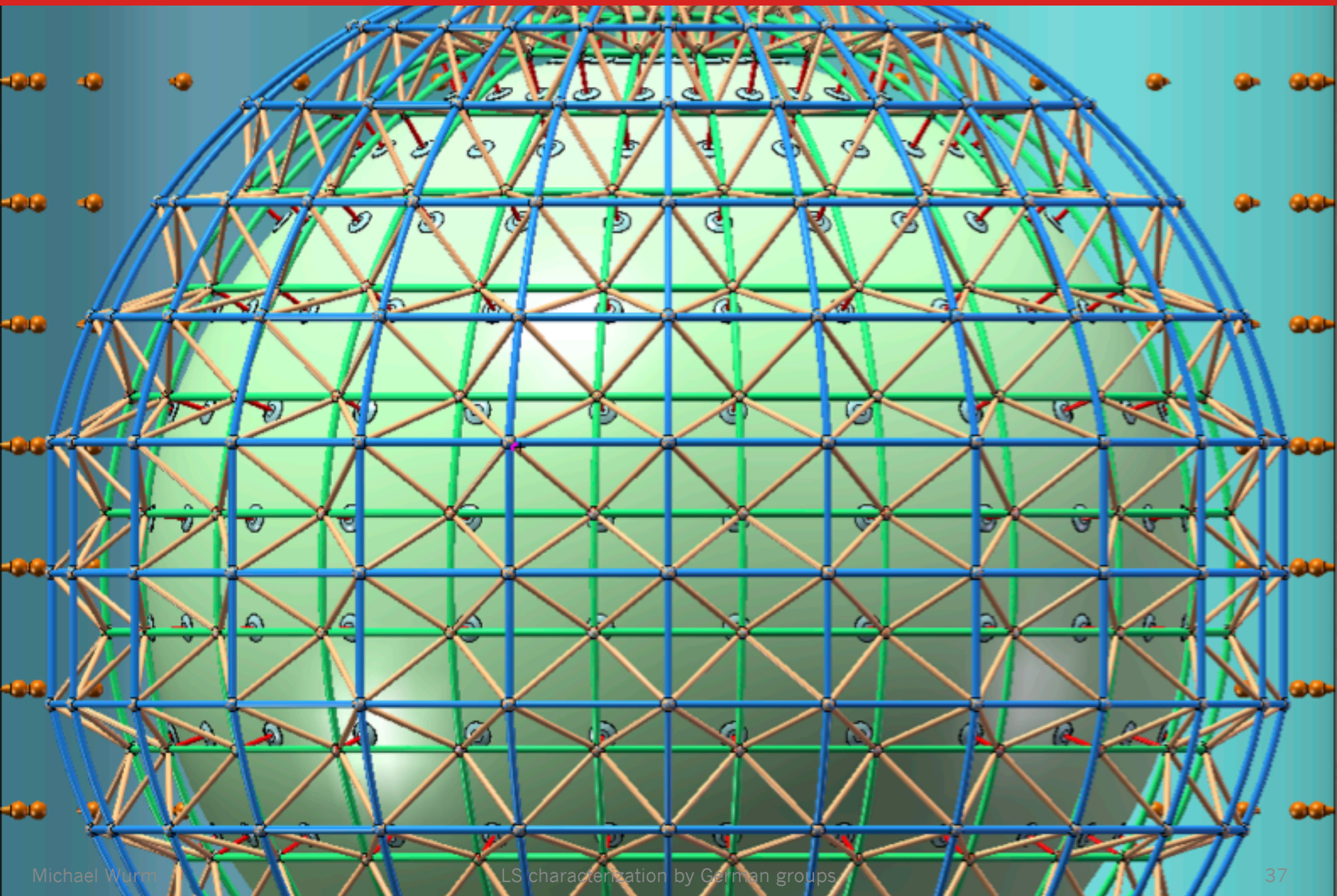
Conclusions

- While not a classic ‘symmetry’ itself, mass hierarchy is of consequence for other aspects of symmetry in the neutrino sector:
 - fermionic mass ordering, leptonic CP, $0\nu\beta\beta$ sensitivity ...
 - Three major approaches to measuring MH:
 - long-baseline neutrino beams
 - low-energy atmospheric- ν detectors
 - mid-baseline reactor neutrino experiments
 - Techniques are subject to different systematics/boundary conditions
- combination will bring sufficient sensitivity for a MH discovery!

Thank you!



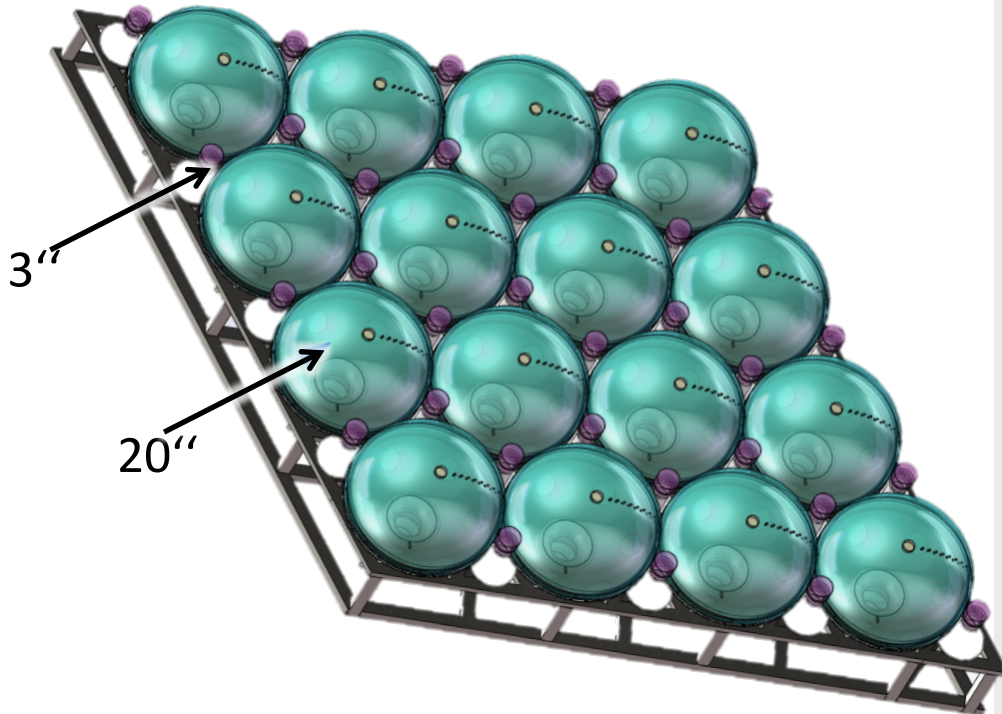
Backup Slides

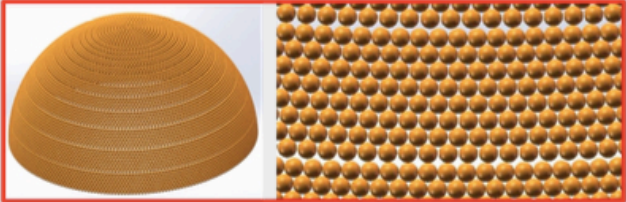
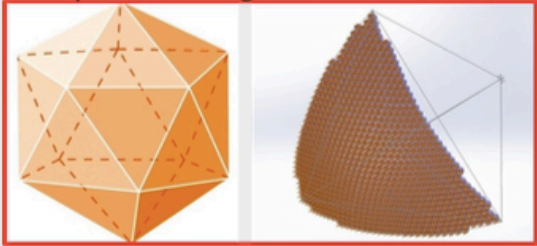
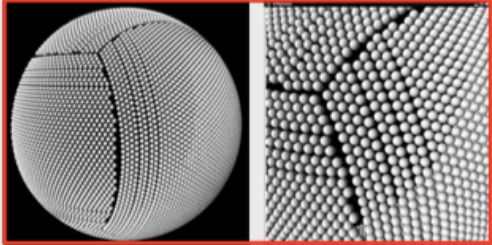
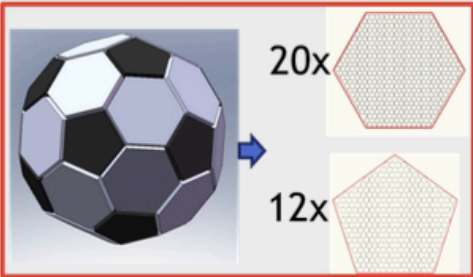


Light detection

Light collection required:

- optical coverage: 75%
 - 17,000 large PMTs (20")
 - additional small PMTs (3")
(double calorimetry + timing)



1	Supper layer arrangement method 77.8%		SELECTED
2	Spherical triangle method 72%		
3	Volleyball arrangement method 75.96%		
4	Football arrangement method 74.08%		

Light detection

Light collection required:

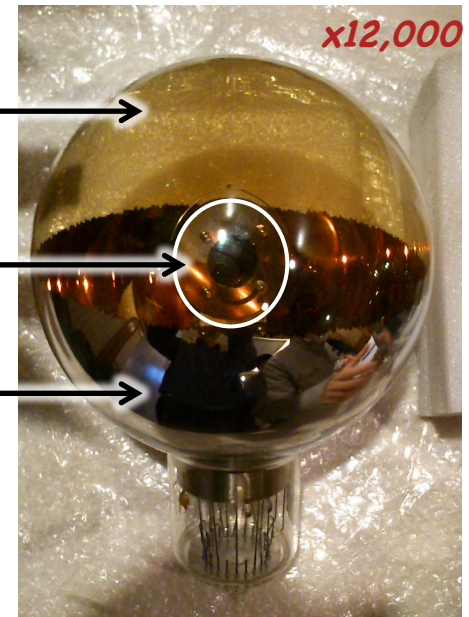
- optical coverage: 75%
- quantum efficiency QE x collection efficiency CE = 35%

→ photons detected: ~26%

Parameter	Hamamatsu 20"	new MCP-PMT
Photocathode	transmission	transmission + reflection
QE (400nm)	30%(T)	26%(T) + 4%(R)
relative CE	100%	110%
peak-to-valley ratio	>3	>3
transit time spread	~3ns	~12ns
dark rate	~30kHz	~30kHz
afterpulsing	10%	3%



Hamamatsu R12860 (20" PMT)



MCP-PMT 8" prototype

JUNO's liquid scintillator

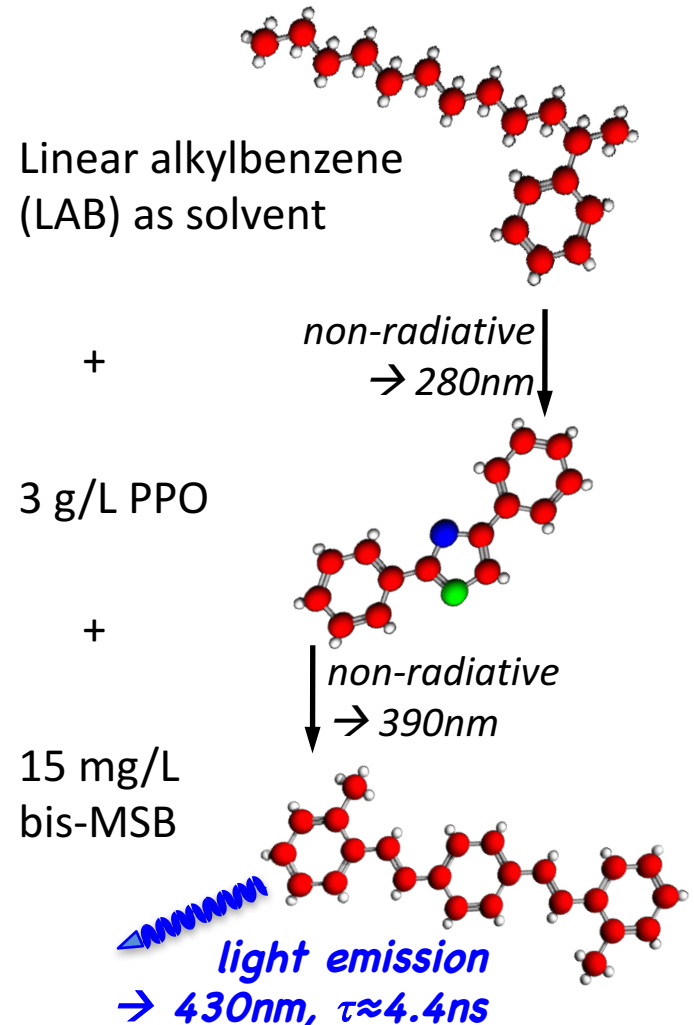
Required properties:

- Light transport over >17m
 - solvent LAB **very transparent**
 - no addition of gadolinium
 - Al₂O₃ column purification
- **High light yield:** >10⁴ ph/MeV
 - pure LAB, no addition of paraffins
 - large fluor (PPO) concentration
- **Radiopurity:**
 - reactor neutrinos: <10⁻¹⁵ g/g in U/Th
 - solar neutrinos: <10⁻¹⁷ g/g
 - vacuum distillation

for free:

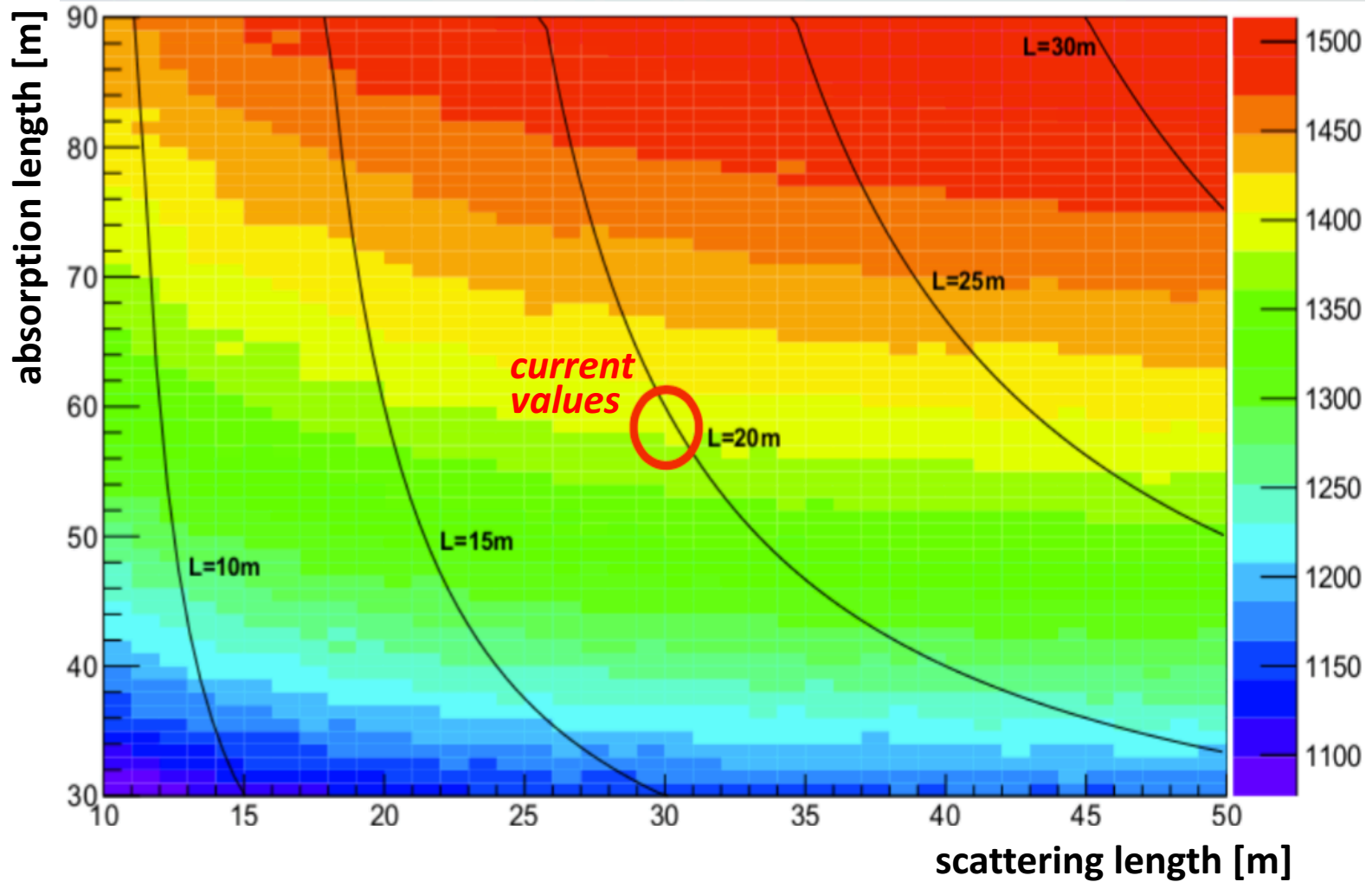
- Fast fluorescence times
 - **good spatial resolution**
- Good **pulse shaping** properties
 - background discrimination, e.g. e⁺/e⁻

LENA-style liquid scintillator

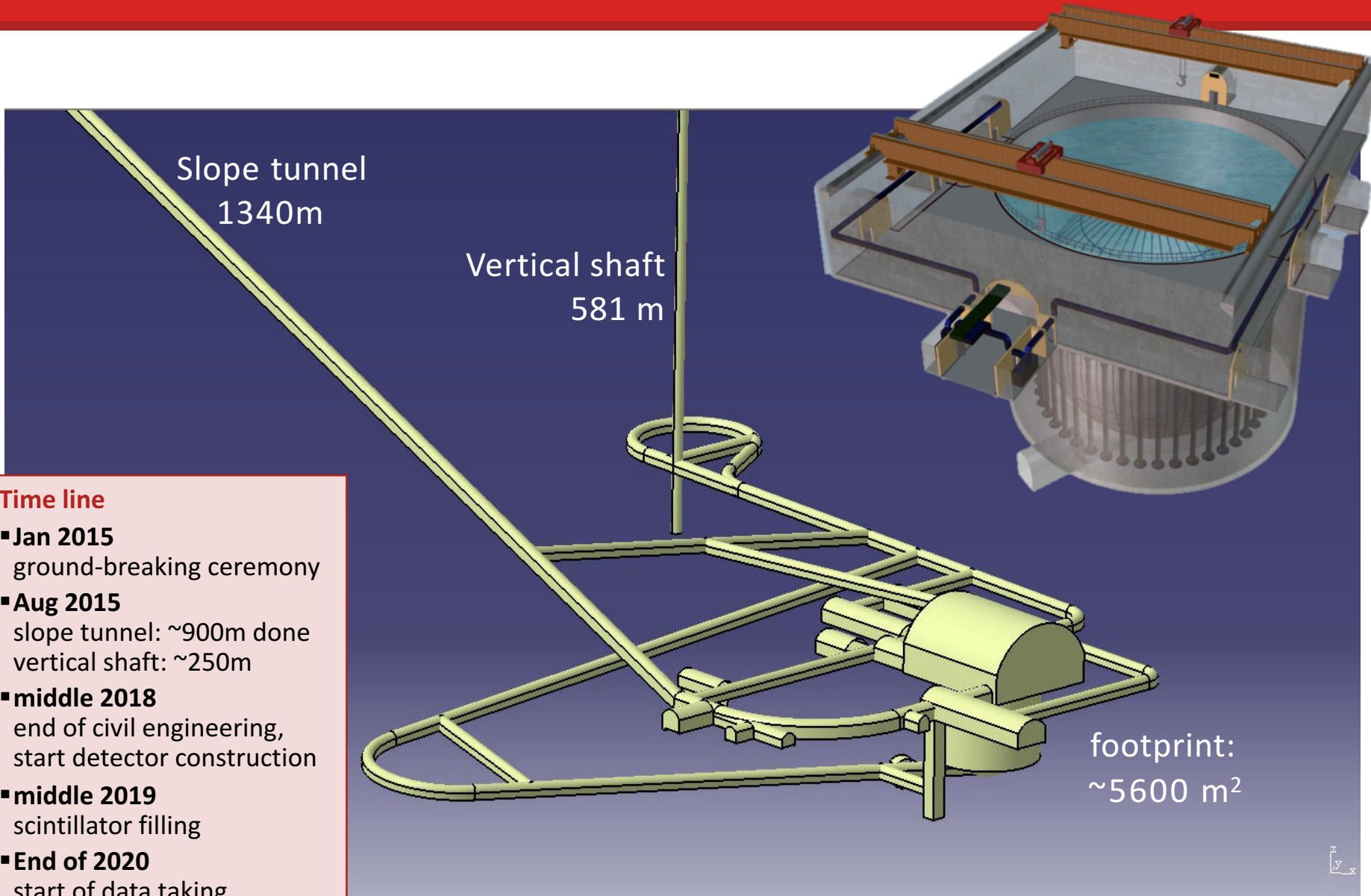


p.e. yield vs. scintillator transparency

Number of detected photoelectrons

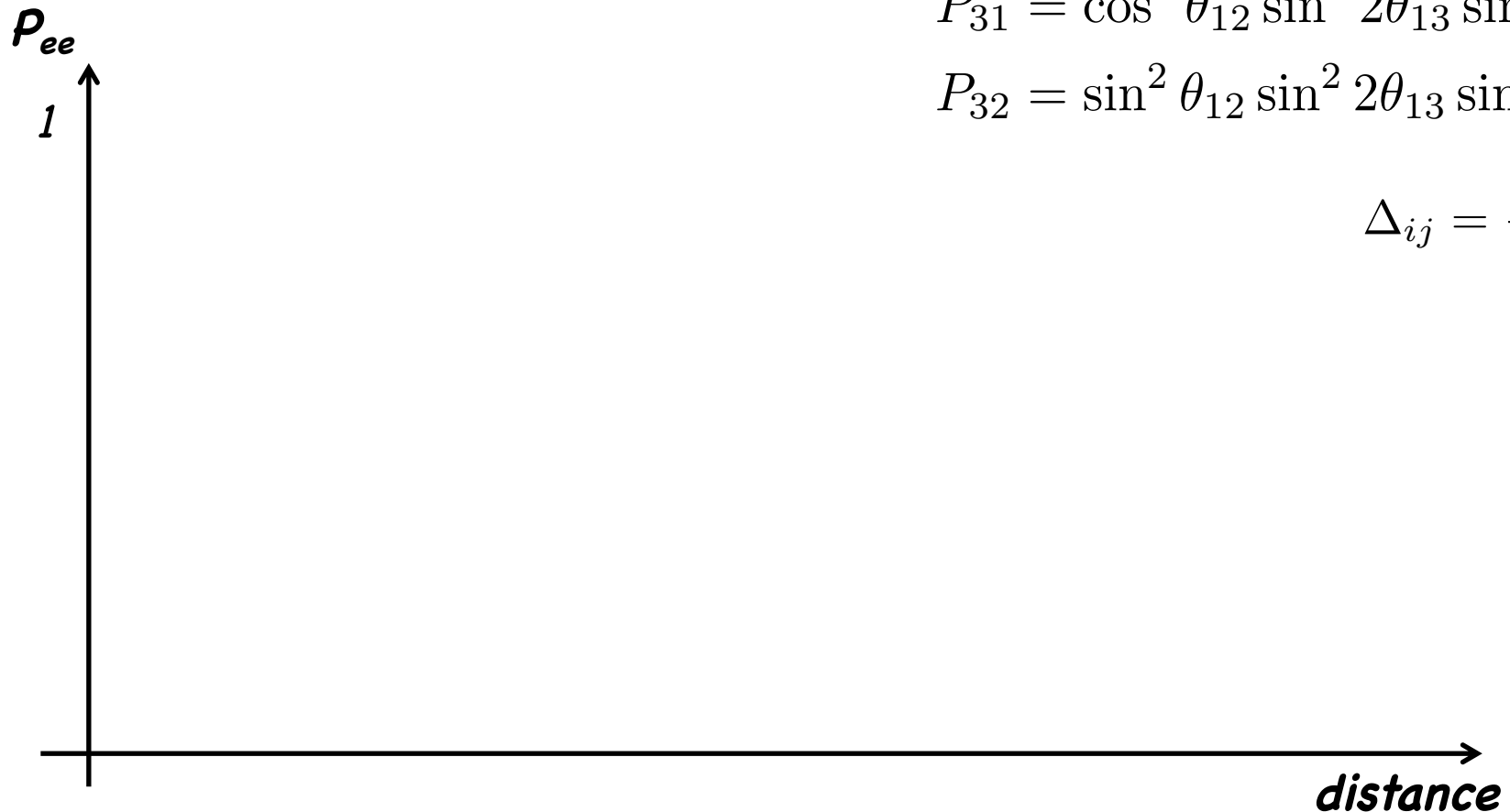


Schedule



How to measure MH? – Reactor neutrinos

[Petcov, Piai, hep-ph/0112074]



Survival probability

$$P_{\bar{e}\bar{e}} = 1 - P_{21} - P_{31} - P_{32}$$

$$P_{21} = \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 \Delta_{21}$$

$$P_{31} = \cos^2 \theta_{12} \sin^2 2\theta_{13} \sin^2 \Delta_{31}$$

$$P_{32} = \sin^2 \theta_{12} \sin^2 2\theta_{13} \sin^2 \Delta_{32}$$

$$\Delta_{ij} = \frac{\Delta m_{ij}^2 L}{4E}$$

How to measure MH? – Reactor neutrinos

Survival probability

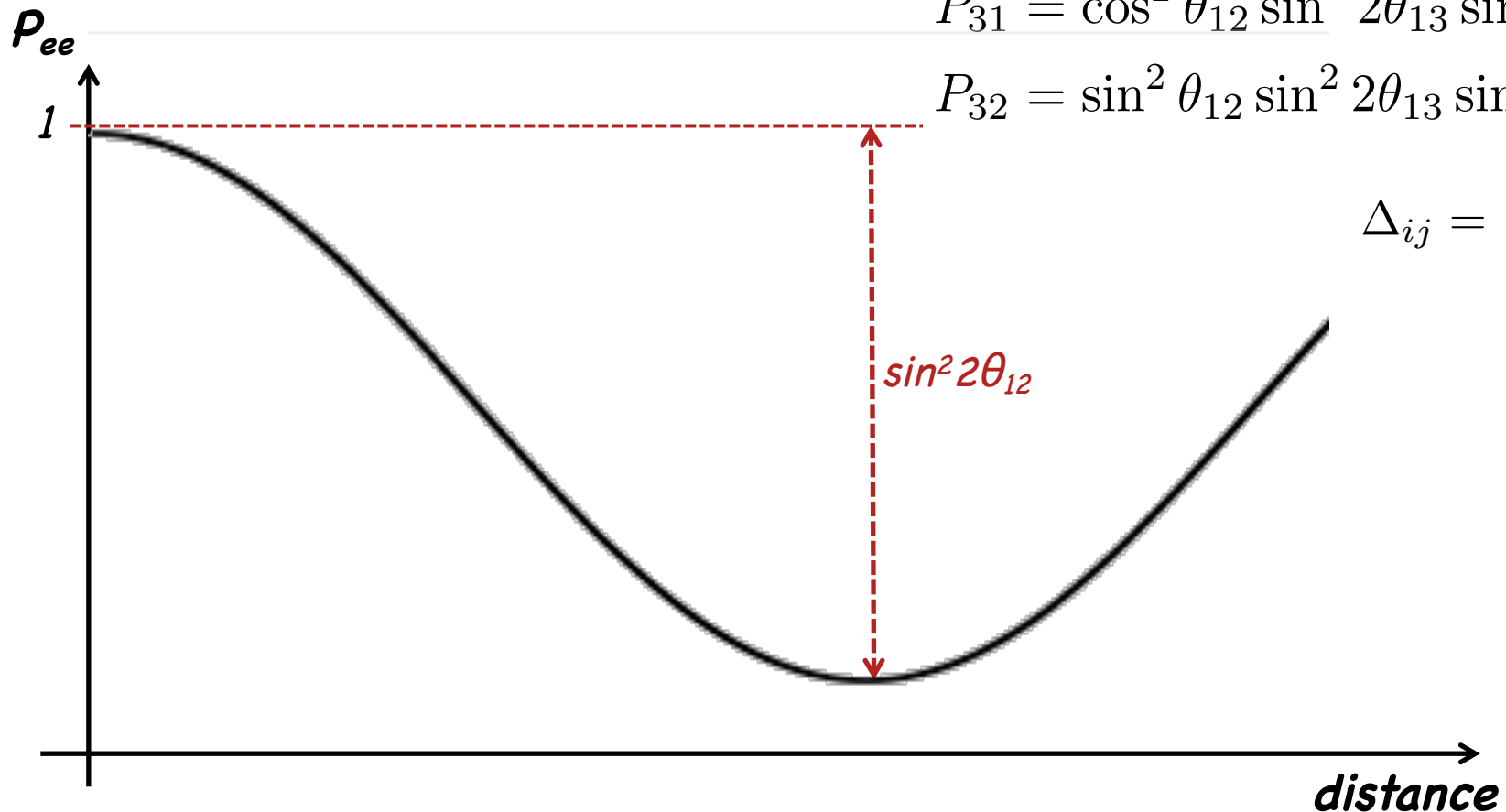
$$P_{\bar{e}\bar{e}} = 1 - P_{21} - P_{31} - P_{32}$$

$$P_{21} = \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 \Delta_{21}$$

$$P_{31} = \cos^2 \theta_{12} \sin^2 2\theta_{13} \sin^2 \Delta_{31}$$

$$P_{32} = \sin^2 \theta_{12} \sin^2 2\theta_{13} \sin^2 \Delta_{32}$$

$$\Delta_{ij} = \frac{\Delta m_{ij}^2 L}{4E}$$



How to measure MH? – Reactor neutrinos

- subdominant oscillation pattern depends on phase terms of P_{31}/P_{32}
- depends on **relative sizes** of Δm^2_{32} and Δm^2_{31}

Survival probability

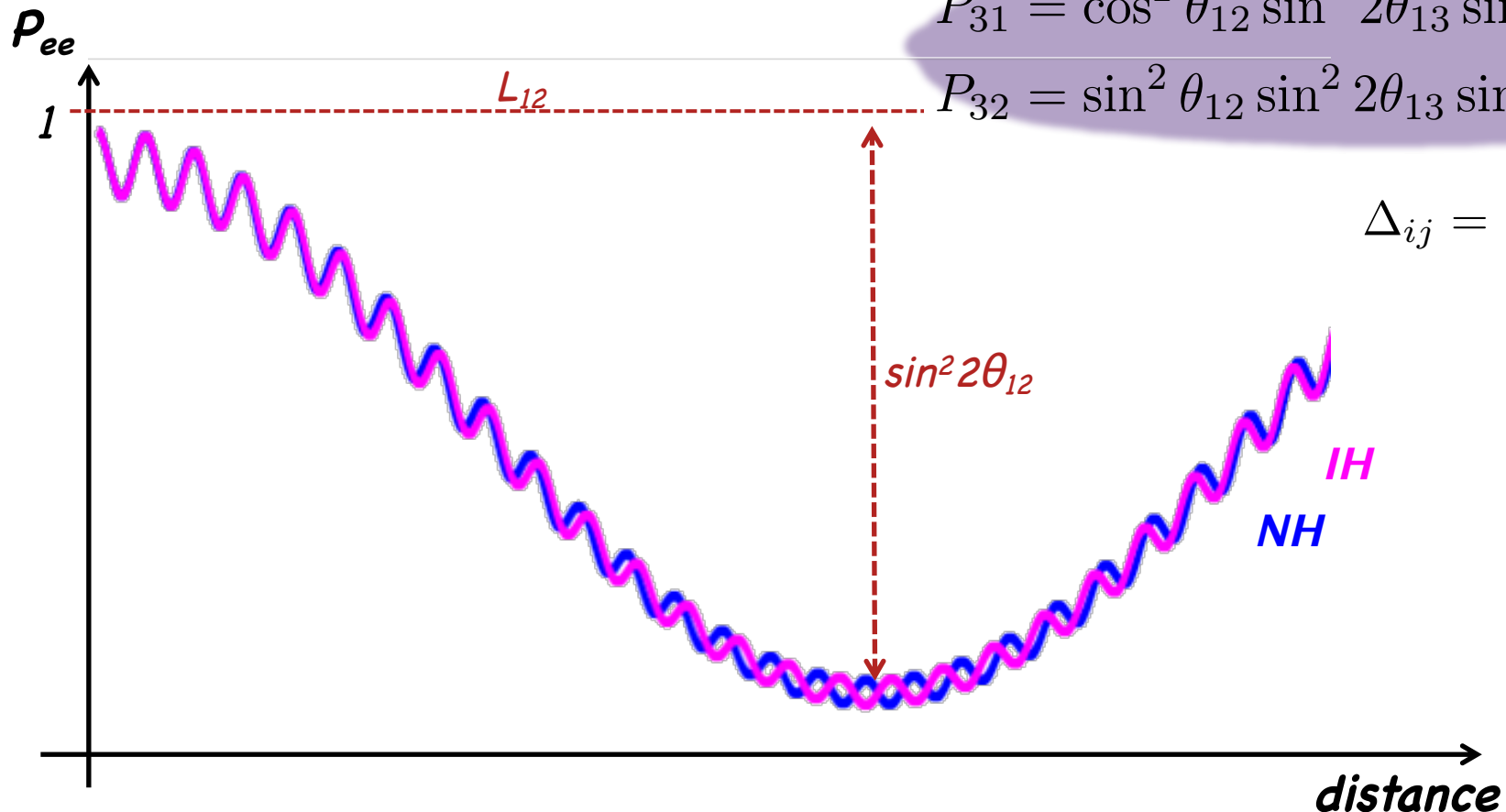
$$P_{\bar{e}\bar{e}} = 1 - P_{21} - P_{31} - P_{32}$$

$$P_{21} = \cos^4 \theta_{13} \sin^2 2\theta_{12} \sin^2 \Delta_{21}$$

$$P_{31} = \cos^2 \theta_{12} \sin^2 2\theta_{13} \sin^2 \Delta_{31}$$

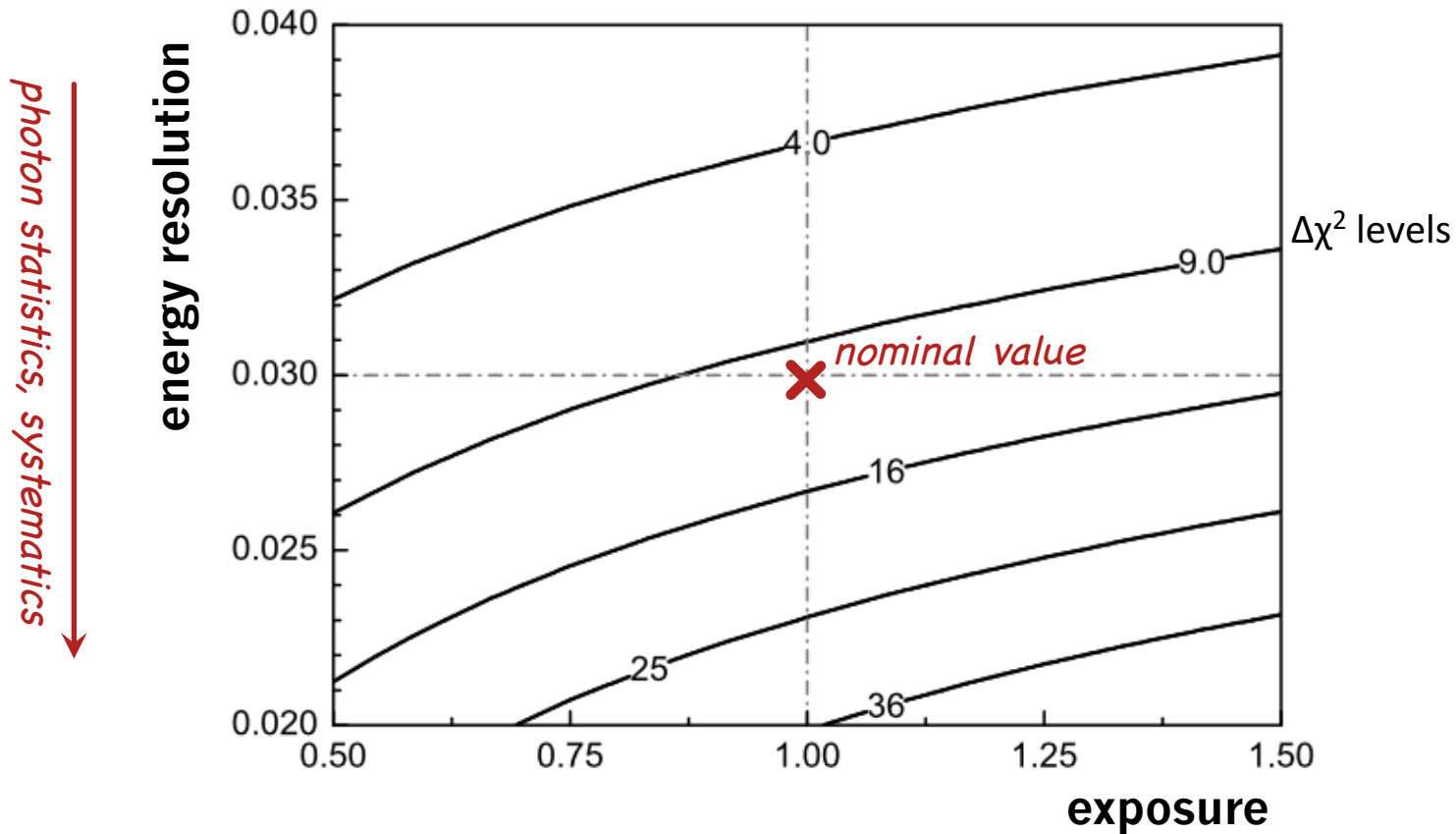
$$P_{32} = \sin^2 \theta_{12} \sin^2 2\theta_{13} \sin^2 \Delta_{32}$$

$$\Delta_{ij} = \frac{\Delta m^2_{ij} L}{4E}$$



Sensitivity vs. energy resolution

Sensitivity to mass hierarchy



photon statistics, systematics

target mass, cosmogenics veto

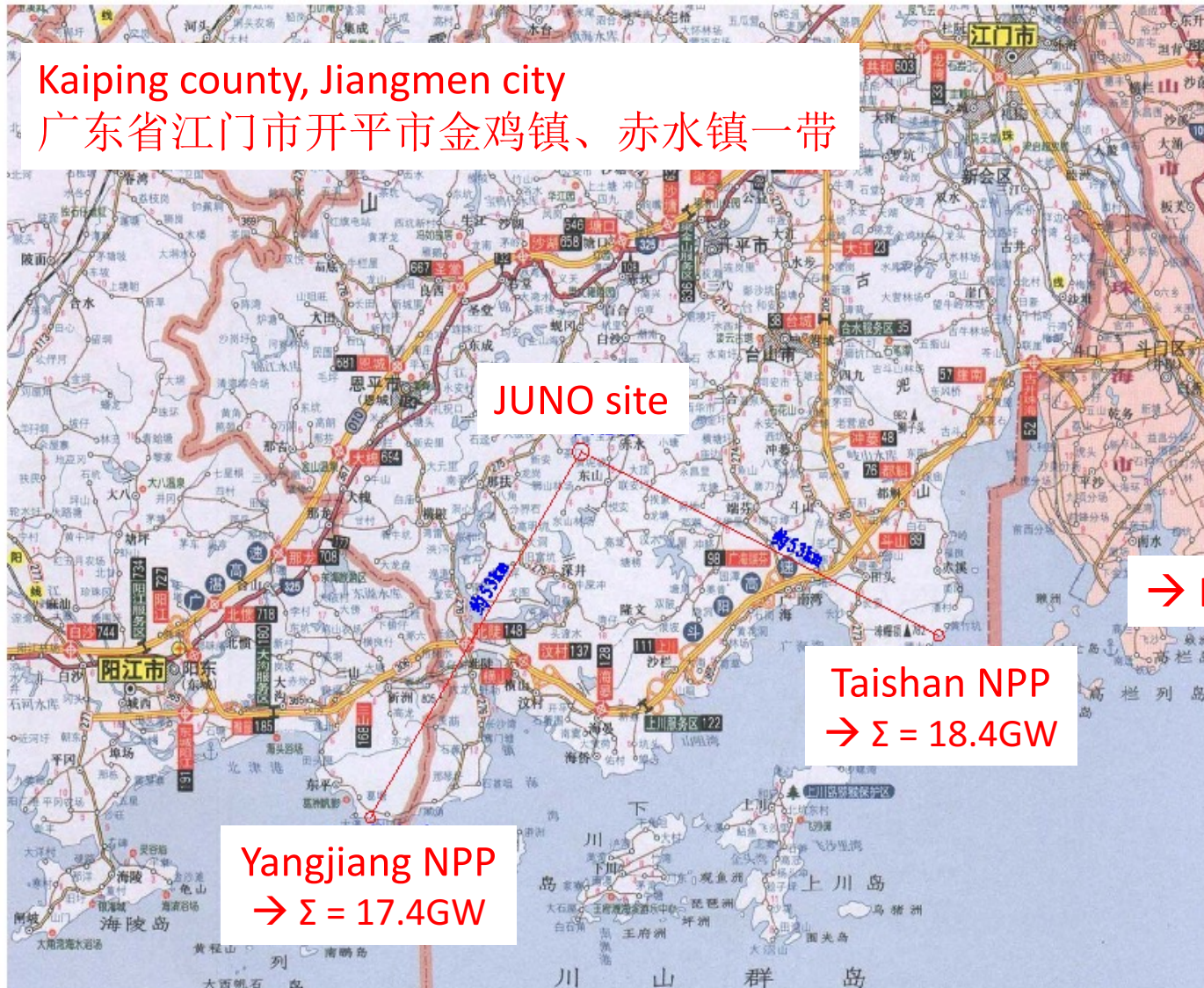
nominal exposure

- 36 GW x 6 years x 20kt
- 80% IBD efficiency

Experimental setup for reactor neutrinos



Experimental setup for reactor neutrinos



JUNO Collaboration

380 scientists, 60 institutions, 1/3 from Europe



Armenia, Austria, Belgium, Brazil, Chile, Chinese Republic, Czech Republic, Germany, Finland, France, Italy, Japan, Korea, Russia, Taiwan, and the United States

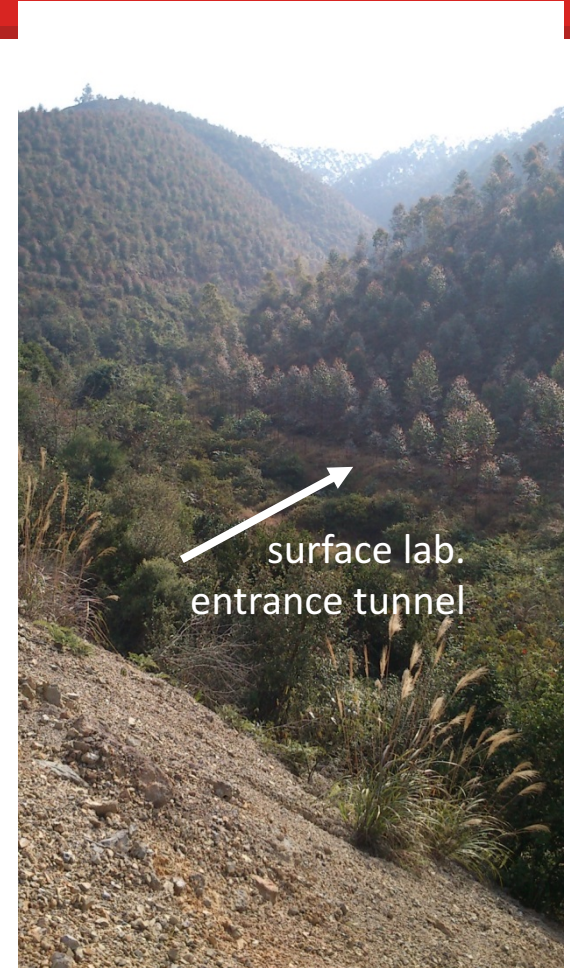
German institutes



Slope tunnel



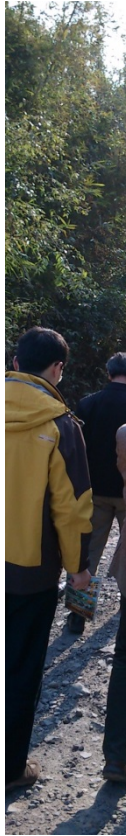
Surface facilities



Surface facilities



Surface facilities



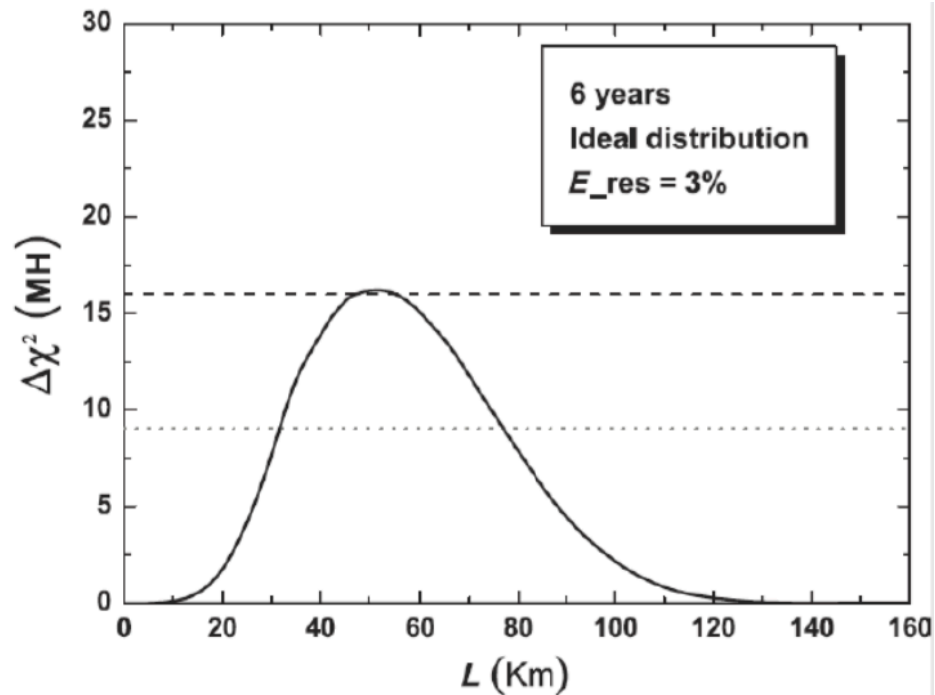
lab.
unnel



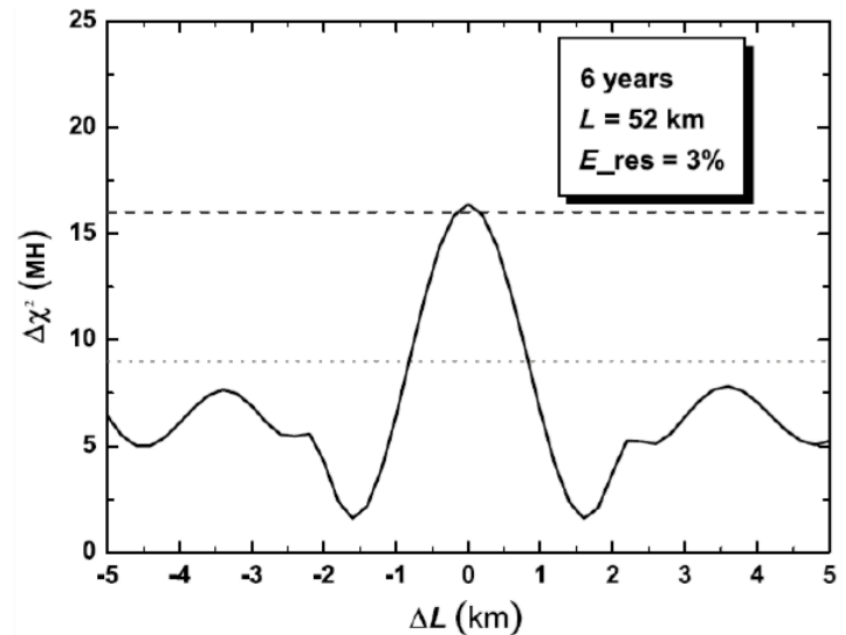
January 2016

Optimum baseline

Baseline optimization



Difference between baselines to reactor complexes



Non-stochastic terms in E resolution

Energy resolution function

$$\frac{\Delta E}{E} = \sqrt{\frac{a^2}{E} + b^2 + \frac{c^2}{E^2}}$$

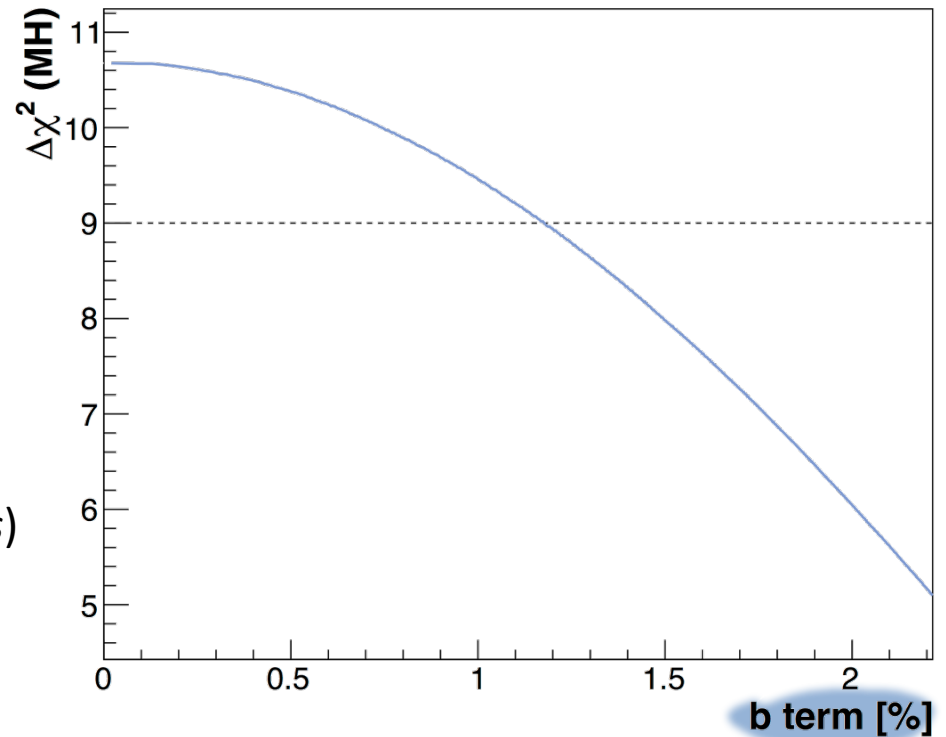
a term:

stochastic term (*photon statistics*)

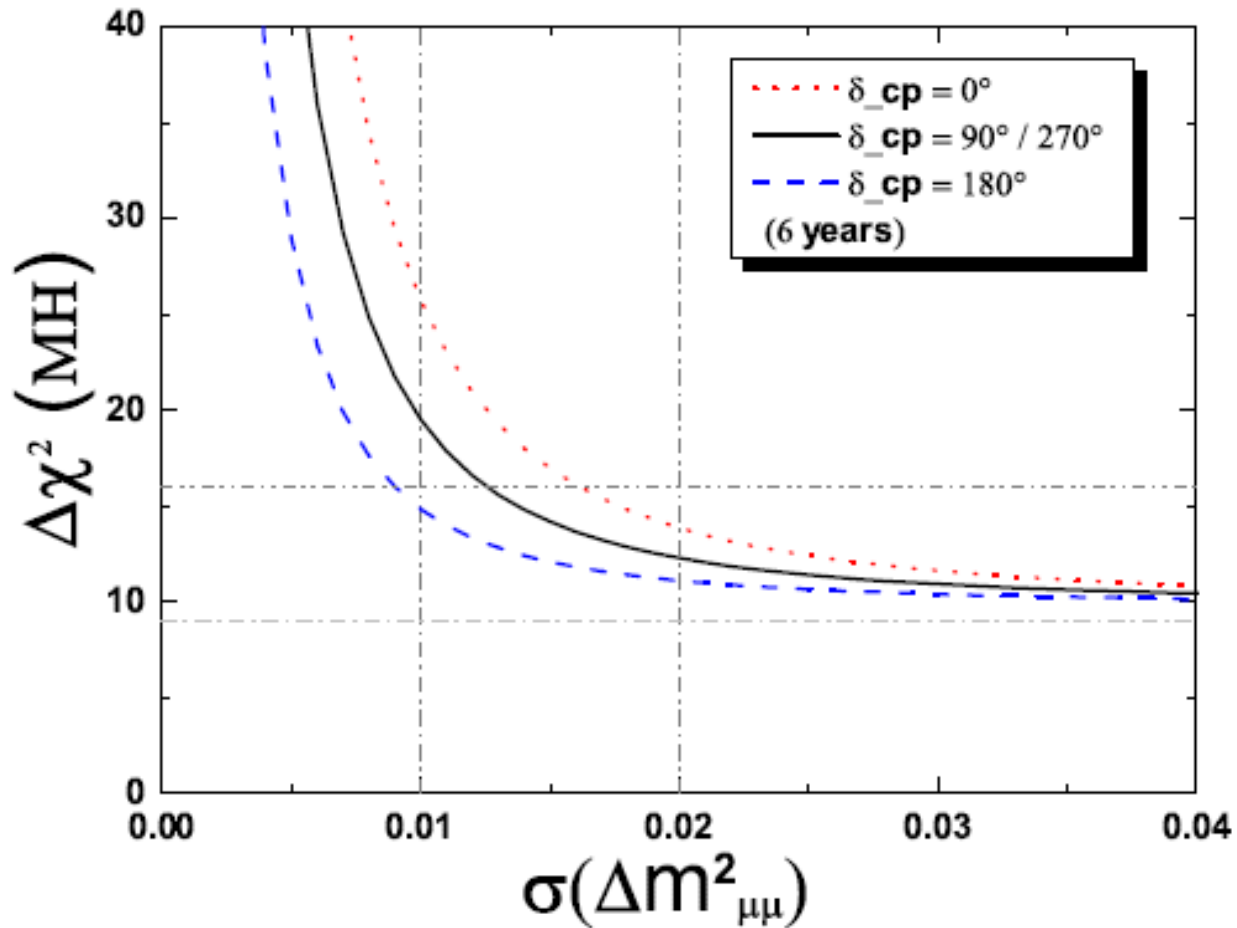
b & c terms:

systematic contributions (*detector effects*)

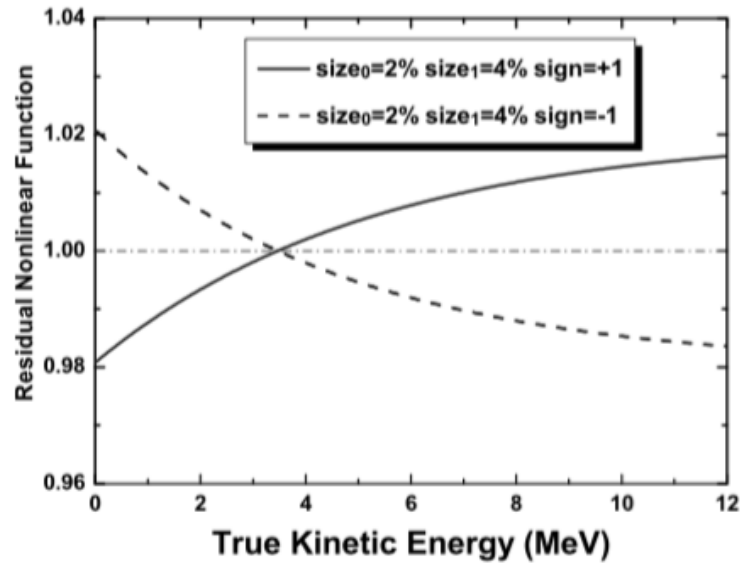
- PMT dark noise
- linearity of electronics
- position reconstruction uncertainty
- ...



Influence of $\Delta m^2_{\mu\mu}$ accuracy

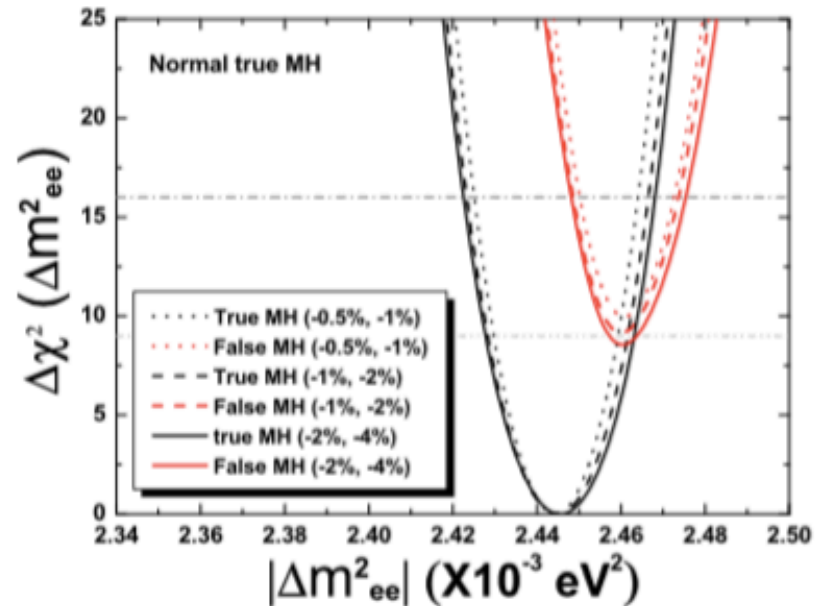
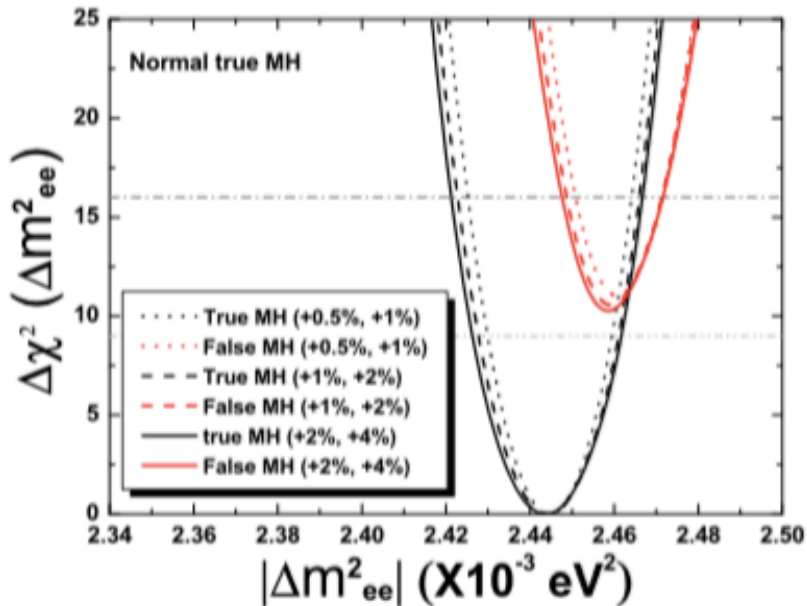


Influence of energy scale linearity

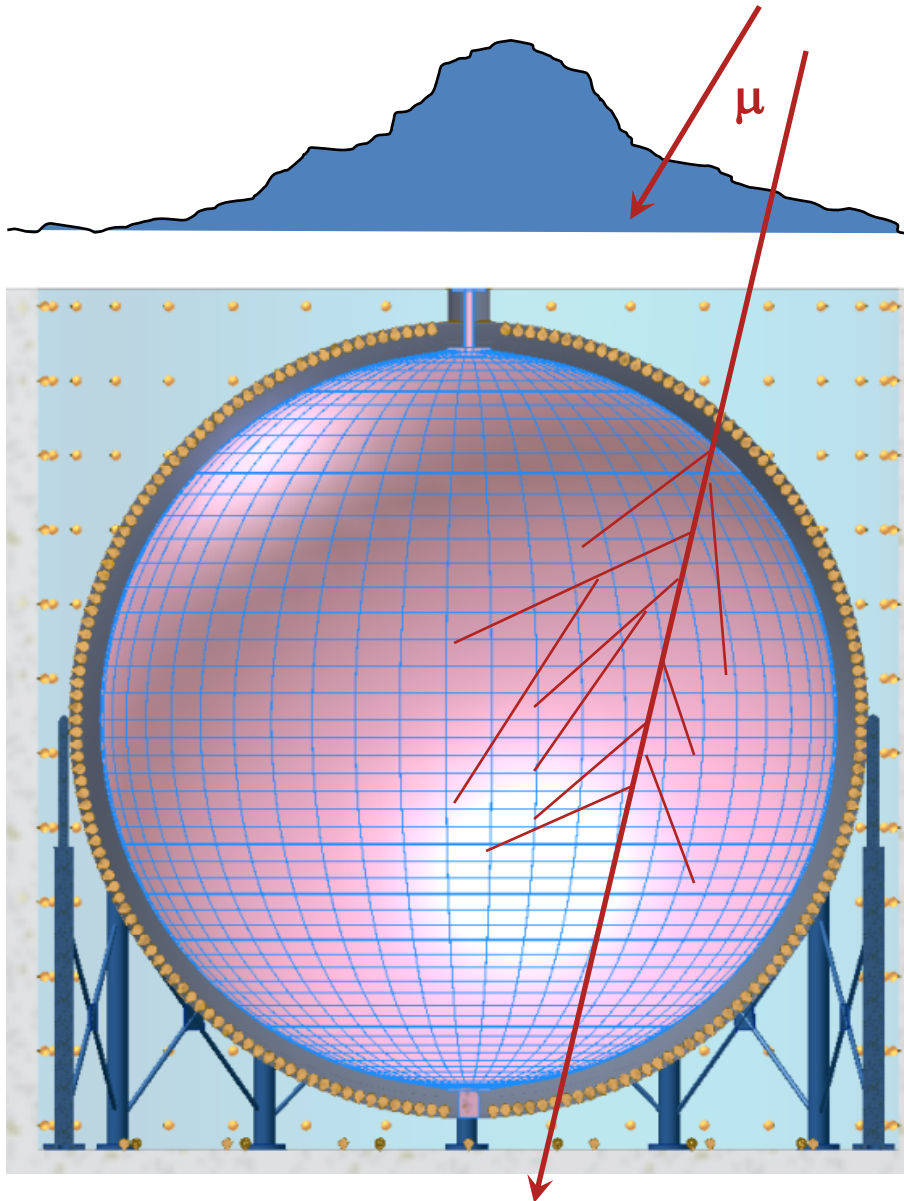


w/o self-calibration

w/ self-calibration



Cosmogenic backgrounds



Cosmic background level

- rock shielding: 700 m
- μ rate in Central Detector: $\sim 3 \text{ s}^{-1}$
- showering μ rate: $\sim 0.5 \text{ s}^{-1}$
- *radioisotopes from ^{12}C spallation*

Most dangerous: β n-emitters

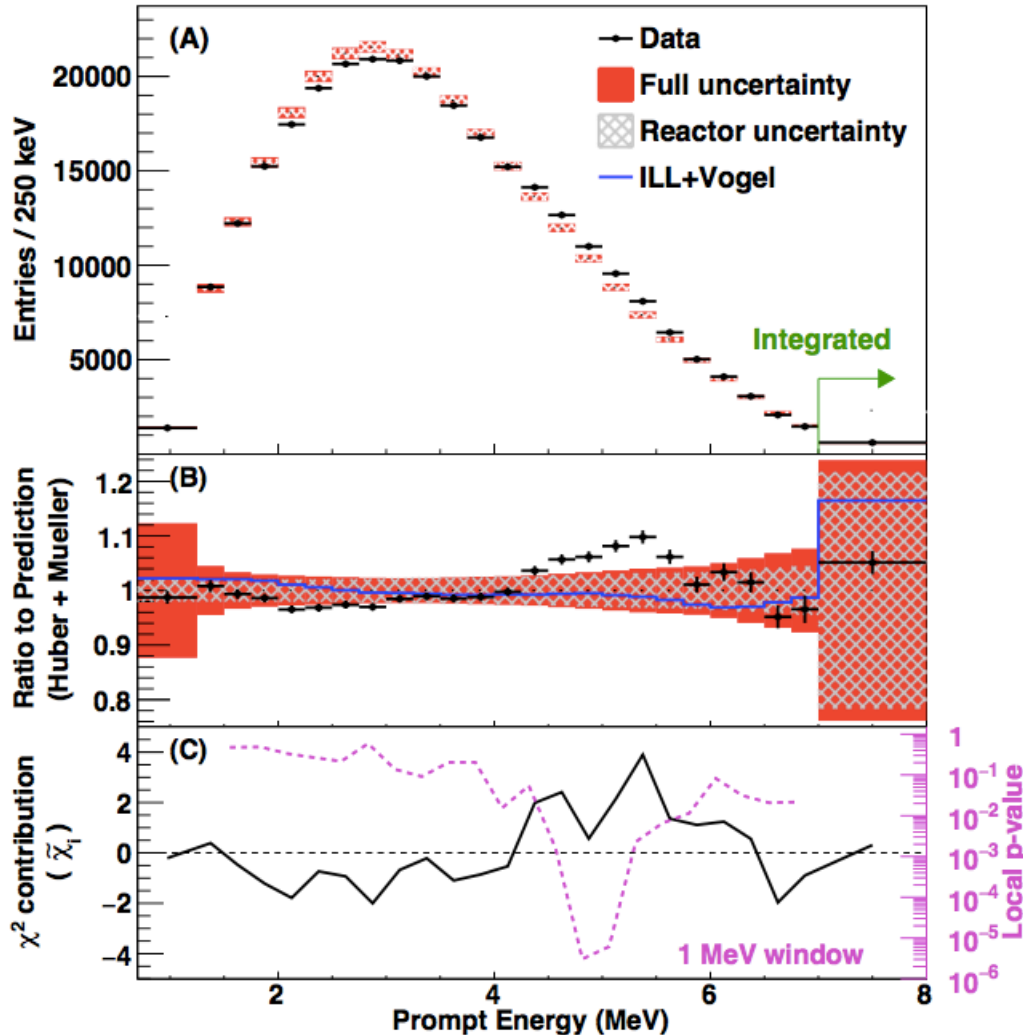
- $^9\text{Li} \rightarrow ^9\text{Be} + e^- + \nu_e$ [$\tau(^9\text{Li}) \sim 257 \text{ ms}$]
↳ $2\alpha + n$
- prompt electron signal
+ delayed neutron capture
- mimics neutrino (IBD) signature!

Expected ^9Li rate: $\sim 70 \text{ d}^{-1}$

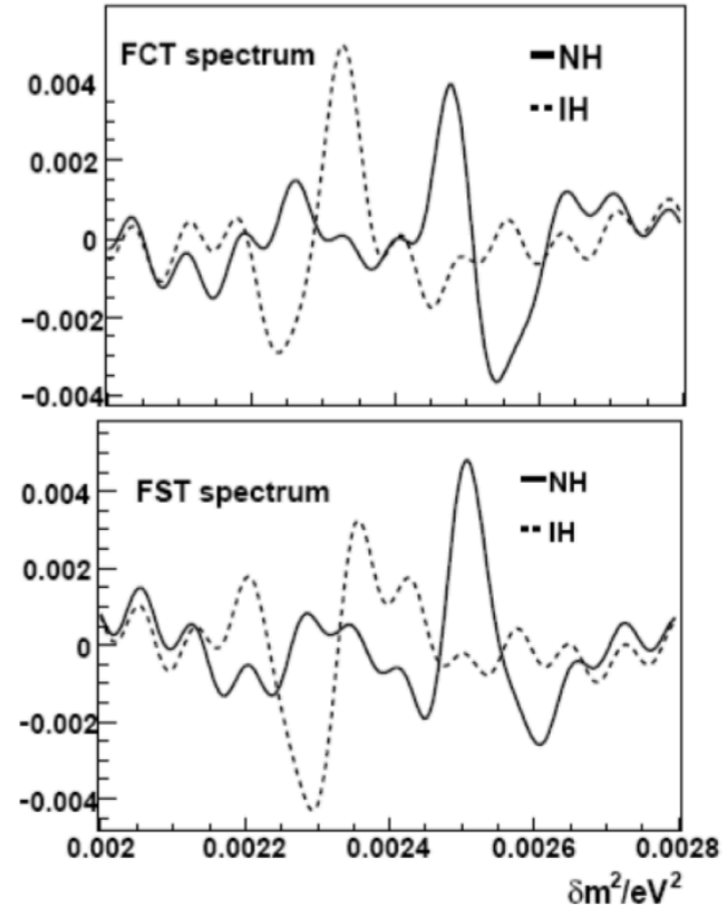
- signal to background $\sim 1:1$
- veto based on parent μ mandatory!
- dead time introduced: $\sim 20\%$

Reactor anomaly: 5 MeV bump

Daya Bay ND

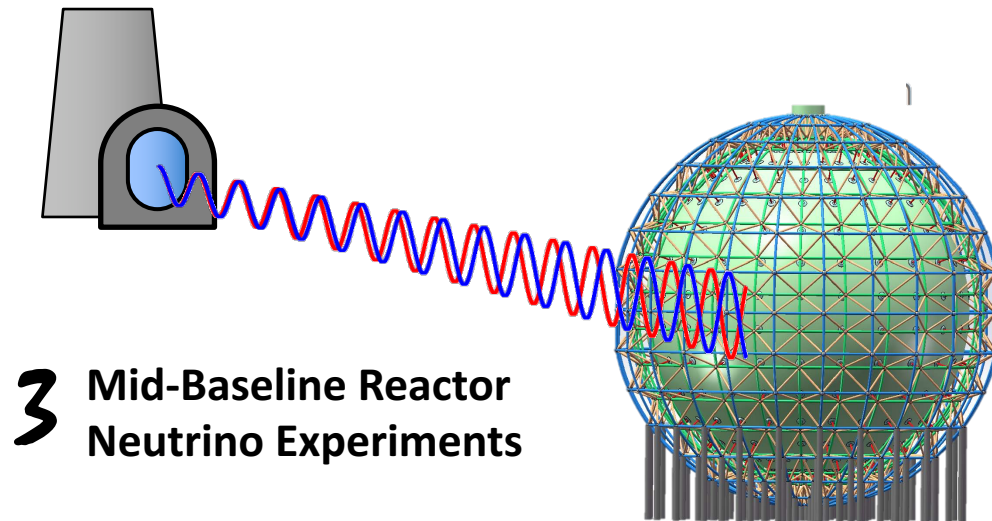
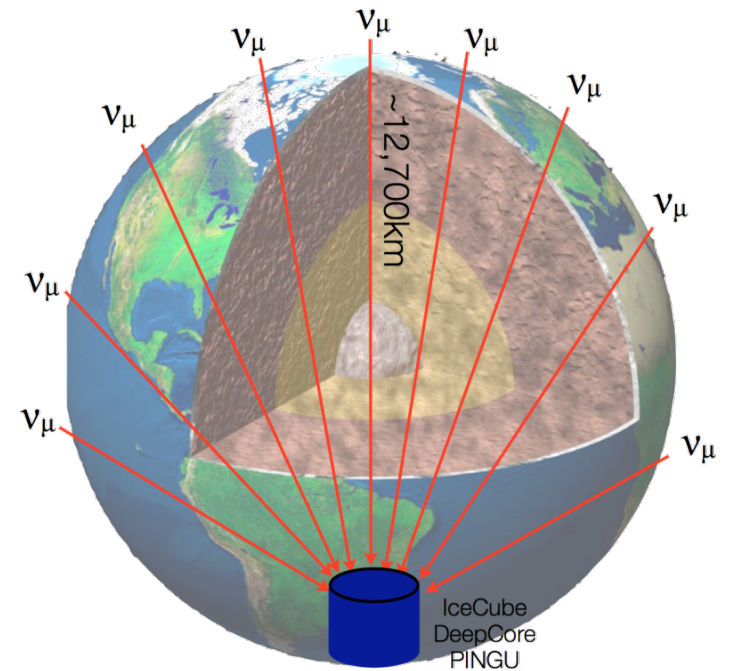
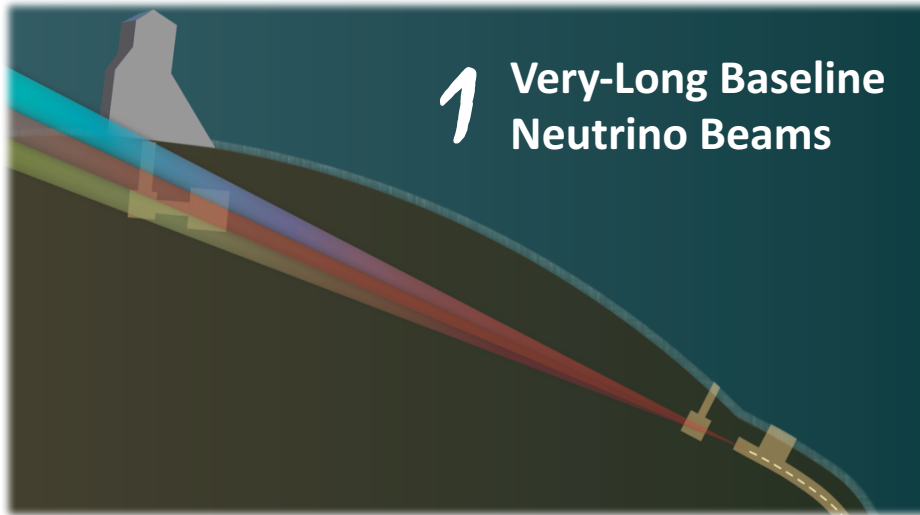


MH Fourier analysis



J. Learned et. al. Hep-ex/0612022

Concepts for MH measurement



Concepts for MH measurement

