

# Fluctuations: Experiment

**Gunther Roland**  
**MIT**

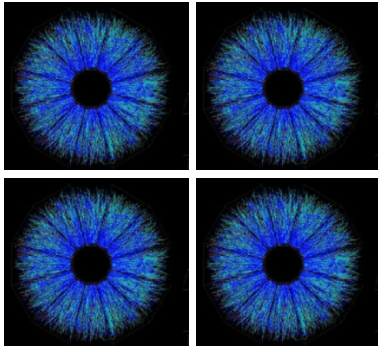
*QCD in the RHIC Era*  
-  
*ITP/UCSB April 8-12 2002*

## Fluctuations: Experiment

- Survey of experimental results
  - **Global** fluctuations of **intensive** variables
  - Energy and centrality dependence
- Some mild Speculation

## Event-by-Event Fluctuations

Are these events **'different'** or **'the same'**?



- What do we mean by 'different'?
- What physics would make them more 'different' or more 'the same'?
- What does the data tell us?

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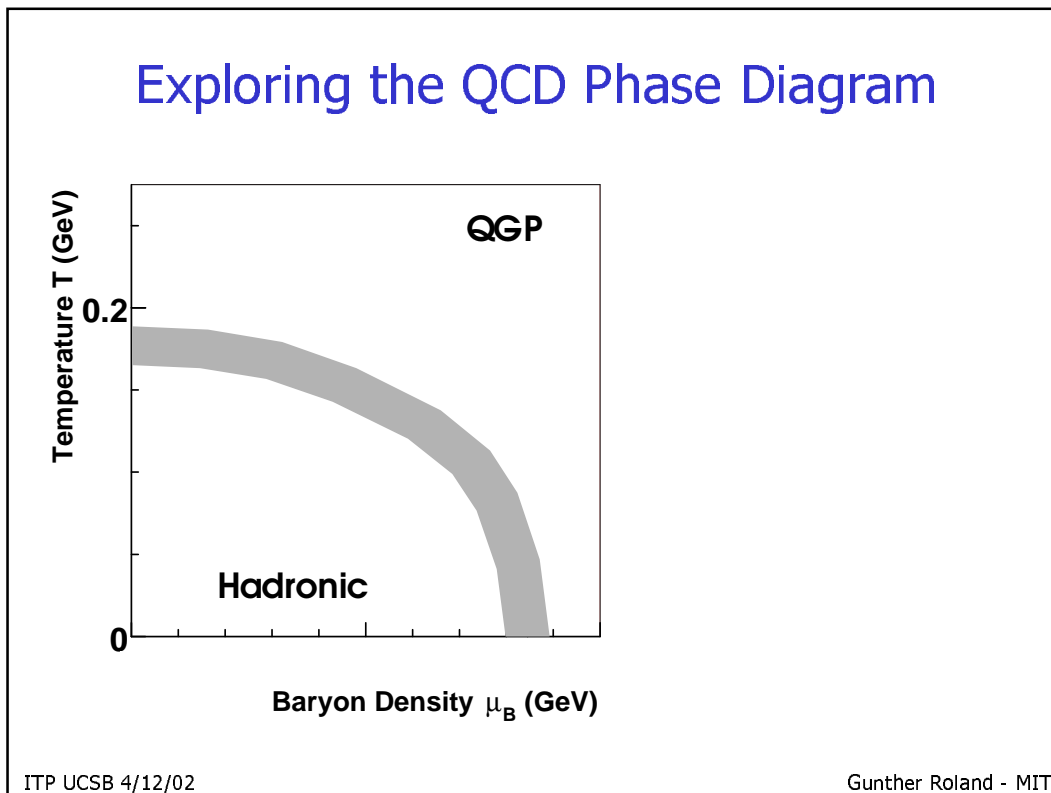
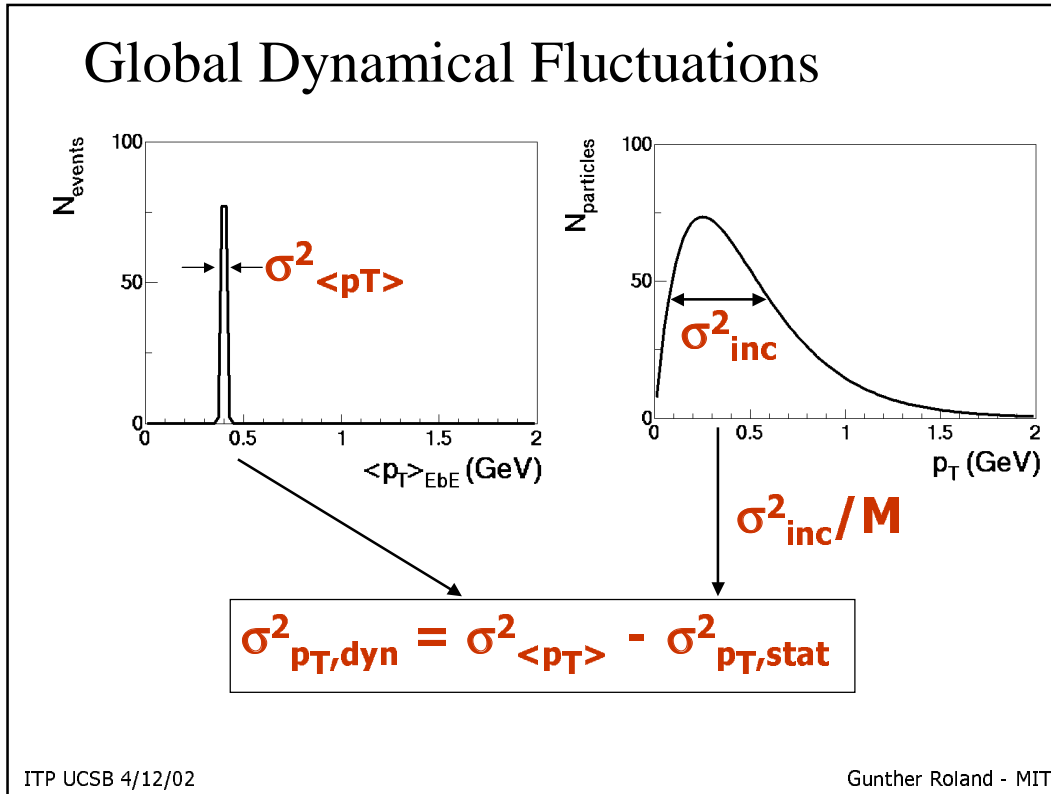
## Global Dynamical Fluctuations

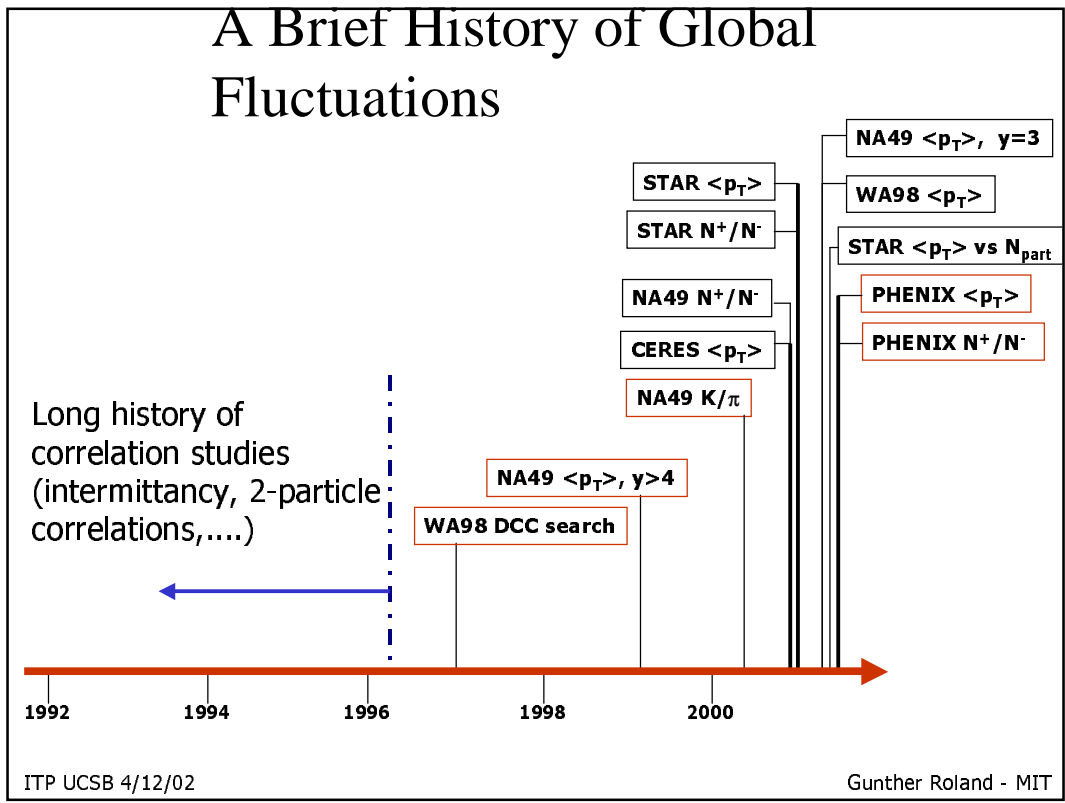
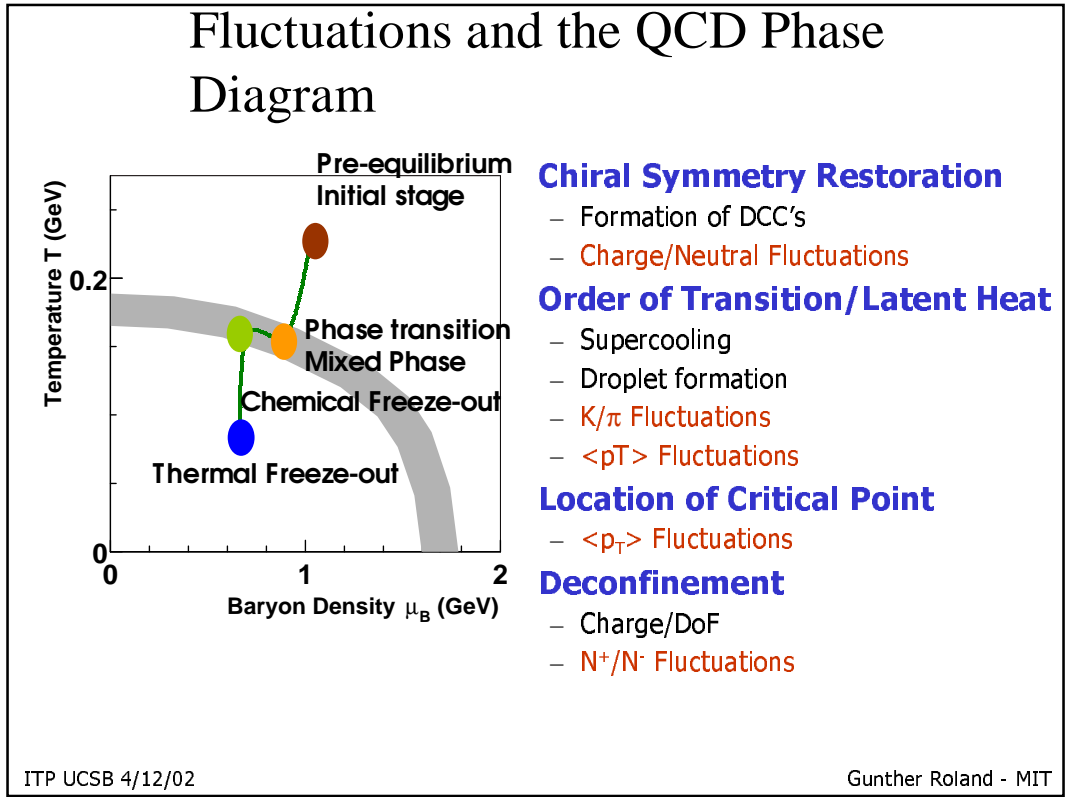
Example:  $\langle p_T \rangle_{EbE}$  Fluctuations ( $\langle p_T \rangle_{EbE} = \sum p_{Ti}$ )

- **Global**: Study variation of  $\langle p_T \rangle_{EbE}$  from event to event
- **Dynamical**: Study  $\sigma^2 \langle p_T \rangle_{EbE}$  relative to statistical reference

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## Look at Event-by-Event Fluctuations in

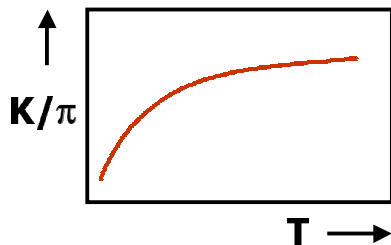
- $K/\pi$  ratio
- $N^+, N^-$  multiplicities
- $\langle p_T \rangle$

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## E-by-E fluctuations in the $K/\pi$ ratio

- Is strangeness enhanced in every event?
- Can we see signs of super-cooling below  $T_{\text{crit}}$ ?



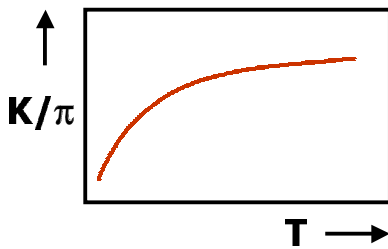
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## E-by-E fluctuations in the $K/\pi$ ratio

- Is strangeness enhanced in every event?
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### NA49 Measurement



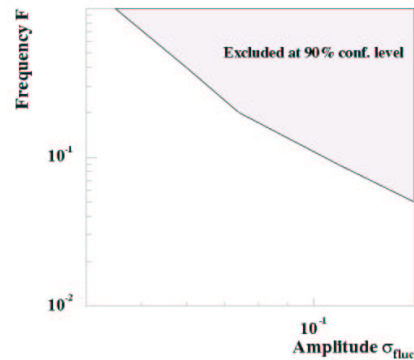
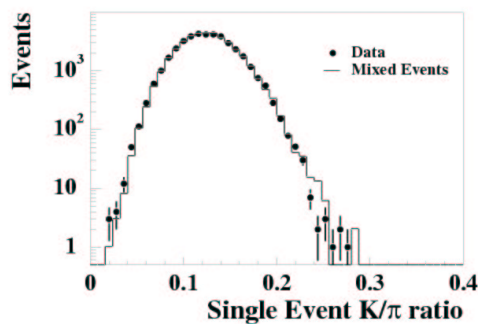
- Use  $dE/dx$  to identify  $\pi, K, p$  event-by-event
- Do Max Likelihood fit to extract  $K/\pi$  ratio event-by-event
- Required 2 years of detector calibration to eliminate  $dE/dx$  – multiplicity correlation

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## E-by-E fluctuations in the $K/\pi$ ratio

NA49, PRL 86 (2001) 1965

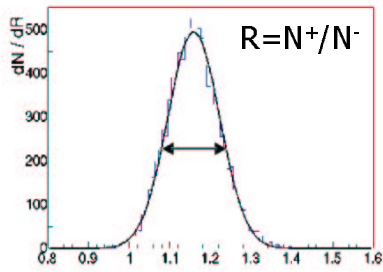
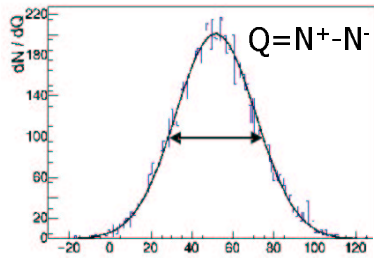


- Dynamical fluctuations are small ( $< \sim 5\%$ )
- Compatible with resonance gas (Jeon, Koch; nuclth/9906074)
- Strangeness enhancement in every event
- Chemical freeze-out at same  $T$  in every event

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## Charge fluctuations

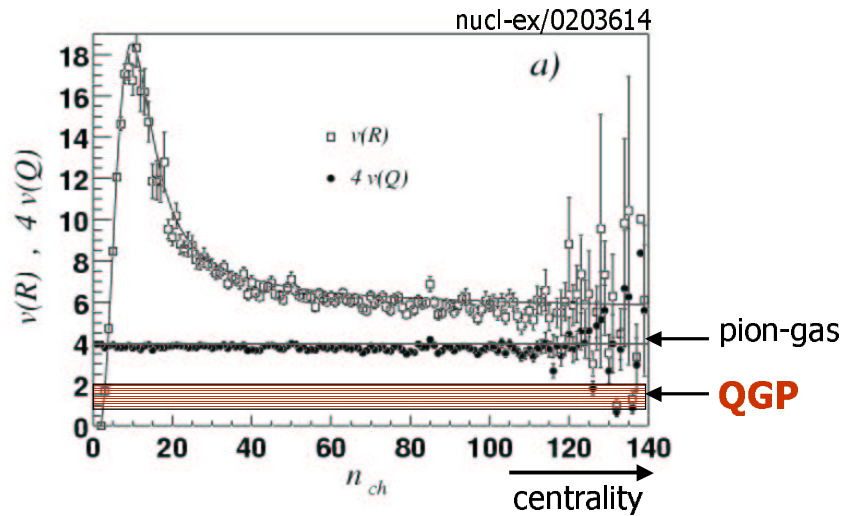


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- Net Charge/ $\Delta y$  Fluctuations  $\leftrightarrow$  Charge/DoF
  - Jeon, Koch hep-ph/0003168
  - Asakawa, Heinz, Mueller hep-ph/0003169
  - **Change from 1-2 (QGP) to 4 (Pion Gas)**
- Fluctuations frozen b/c charge conservation
  - Diffusion vs Expansion timescale
- Fluctuations of  $N^+/N^-$  ratio or  $N^+-N^-$  difference vs statistical reference

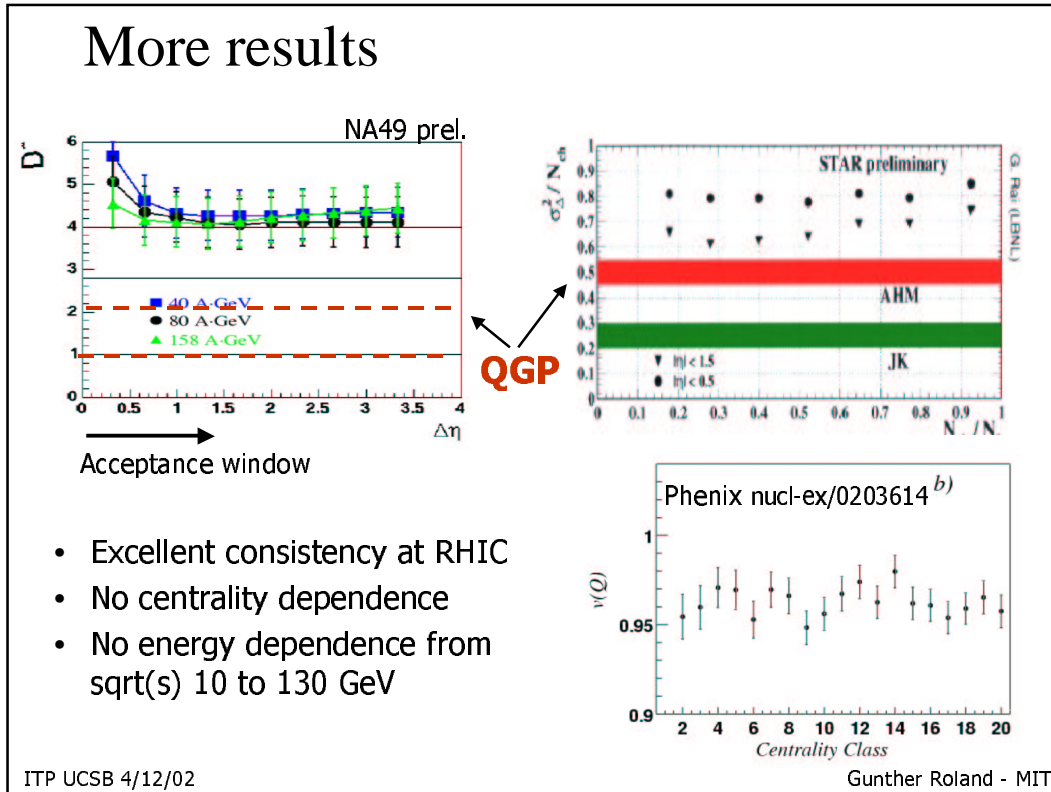
## Charge fluctuations at RHIC: PHENIX



No sign of QGP suppression of charge fluctuations

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- Excellent consistency at RHIC
- No centrality dependence
- No energy dependence from sqrt(s) 10 to 130 GeV

## Charge Fluctuations

- Fluctuations close to resonance gas prediction
- Little/no energy or centrality dependence
- **Where's the QGP?**
  - Diffusion wins?
  - Dilution by late stage resonance formation (Zaraneck, NA49 simulations)
  - Quark coalescence (Bialas, hep-ph/0203047)



## $\langle p_T \rangle_{\text{EbE}}$ Fluctuations

- $p_T$  - simple observable (supposedly...)
- High statistical precision:  $\sigma_{p_T, \text{EbE}} / \langle p_T \rangle_{\text{inc}} < 0.1\%$
- Sensitive to many interesting scenarios
  - Critical endpoint
  - DCC production
  - Droplet formation
  - Jets
  - **Any non-statistical, momentum-localized process**

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## (Too?) Many ways to measure $p_T$ Fluctuations

$$\phi_{p_T} = (\langle Z \rangle / \langle M \rangle)^{1/2} - \bar{z}^{1/2}, \quad w/ \quad z = p_T - \langle p_T \rangle, \quad Z = \sum z$$

(Gazdzicki, Mrowczynski)

$$\sigma_{\text{dyn}}^2 = (\sigma_{\text{EbE}}^2 - \sigma_{\text{inc}}^2 / \langle M \rangle) \times \langle M \rangle / (\langle M \rangle - 1)$$

(Voloshin)

$$\Delta\sigma^2 = \overline{M \times (\langle p_T \rangle_{\text{inc}} - \langle p_T \rangle)^2} - \sigma_{\text{EbE}}^2$$

(Trainor)

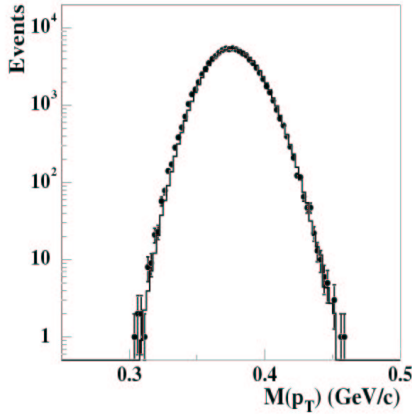
Direct model comparison (NA49, WA98, PHENIX)

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## Global $\langle p_T \rangle$ fluctuations at SPS

NA49, Phys Lett B459 (1999) 679



- Charged particles,  $4 < y_\pi < 5.5$

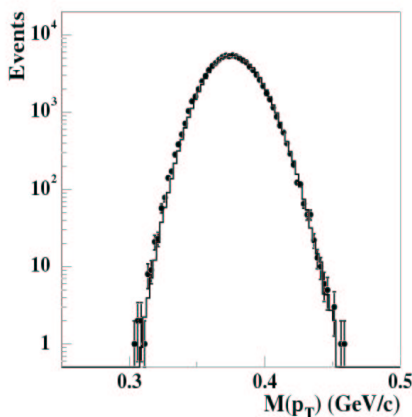
$$\Phi_{p_T} = 0.6 \pm 1.0 \text{ MeV}/c$$

- Result consistent with statistical fluctuations only
  - Expect +5 MeV from HBT
  - Canceled by -5 MeV from two-track resolution

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## Global $\langle p_T \rangle$ fluctuations at SPS



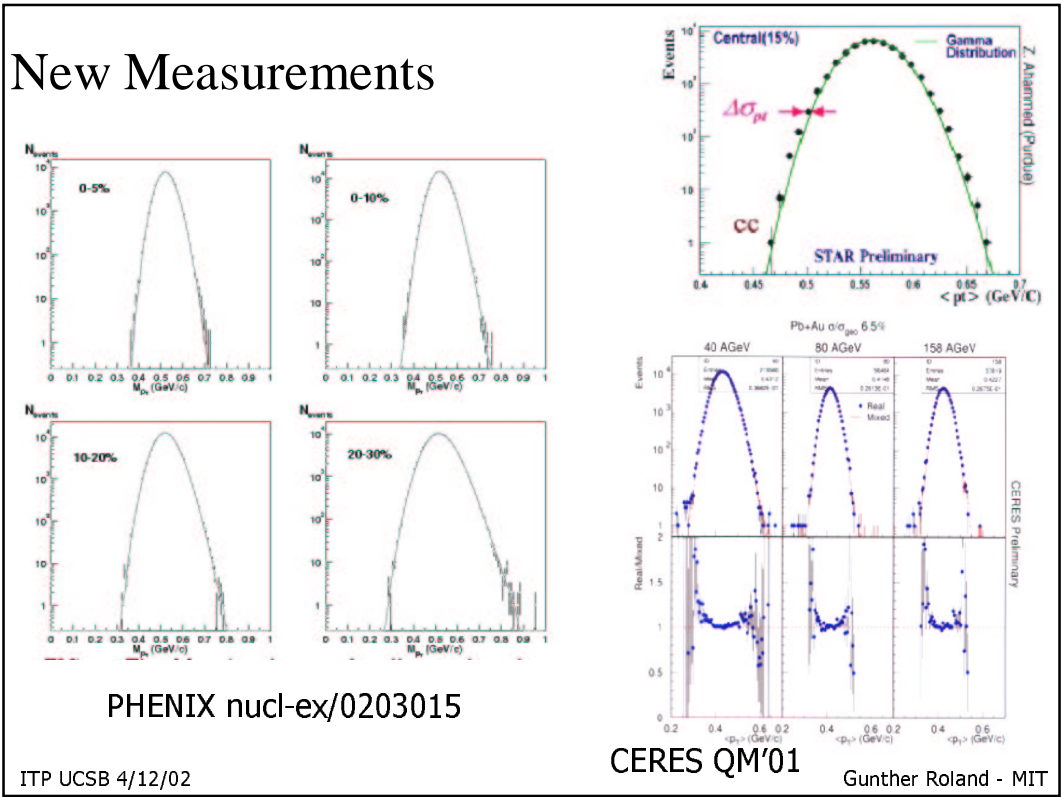
It's not a Gaussian....

...it's a Gamma-func

(M. Tannenbaum, Phys.Lett.B 498(2001) 29)

|   |                                 |
|---|---------------------------------|
| No. of events   | 98426                           |
| $\langle N \rangle$   | $270.13 \pm 0.07$               |
| $(\langle N^2 \rangle - \langle N \rangle^2)^{\frac{1}{2}}$ | $23.29 \pm 0.05$                |
| $\overline{p_T}$  | $376.75 \pm 0.06 \text{ MeV}/c$ |
| $(\overline{p_T^2} - \overline{p_T}^2)^{\frac{1}{2}}$       | $282.2 \pm 0.1 \text{ MeV}/c$   |

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### Look at $\langle p_T \rangle$ Fluctuations vs

- Collision Energy
  - Critical point
- Centrality
  - Reaction mechanisms

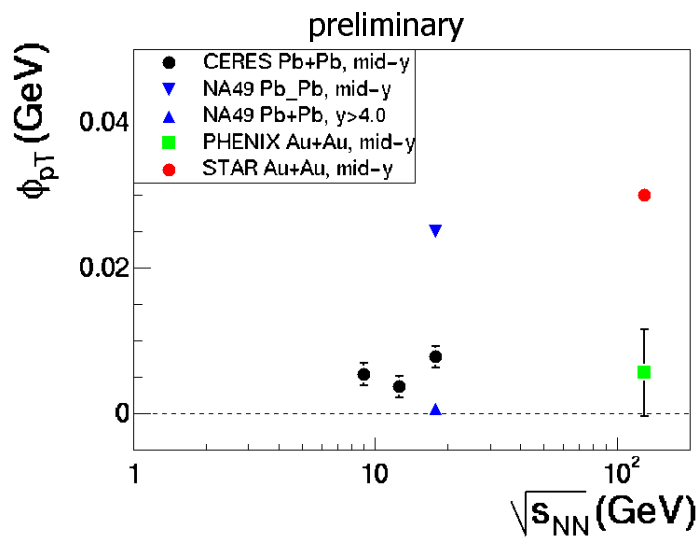
## $\langle p_T \rangle_{EbE}$ Fluctuations vs $\sqrt{s}$

- Systematics not straightforward
  - Different acceptance
  - Different variables
  - Different phase-space region
- Here
  - Translate to  $\phi_{pT}$
  - Correct for acceptance assuming  $y_{corr} \gg y_{acc}$

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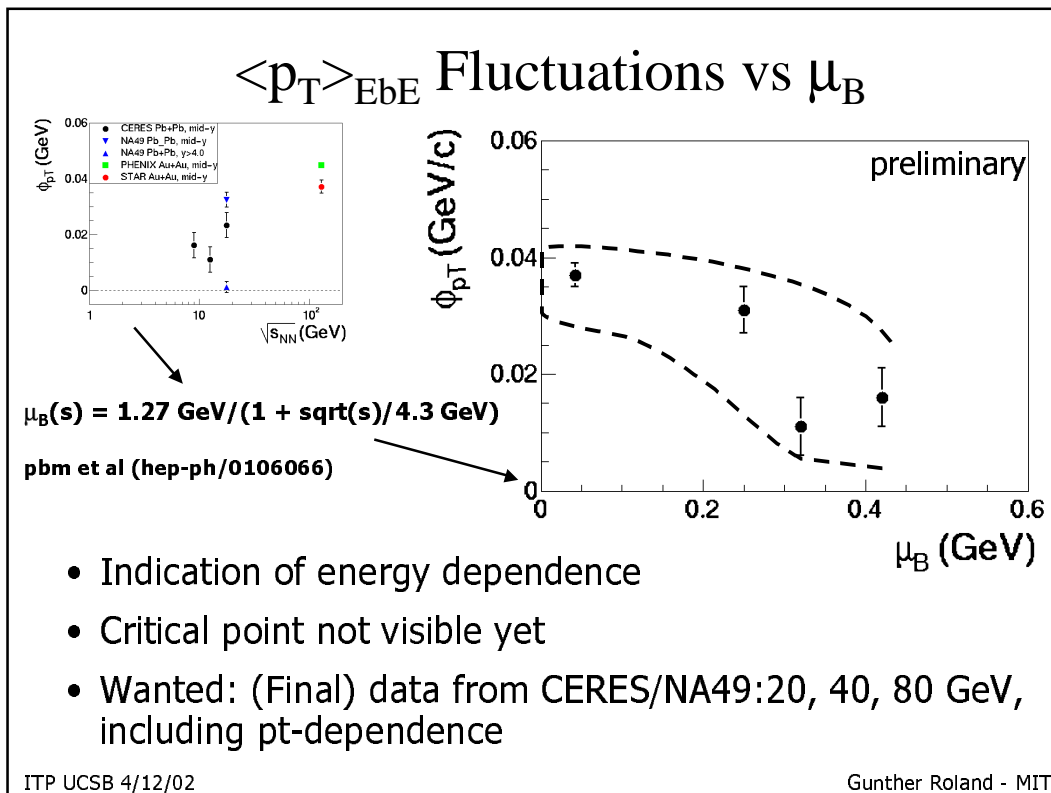
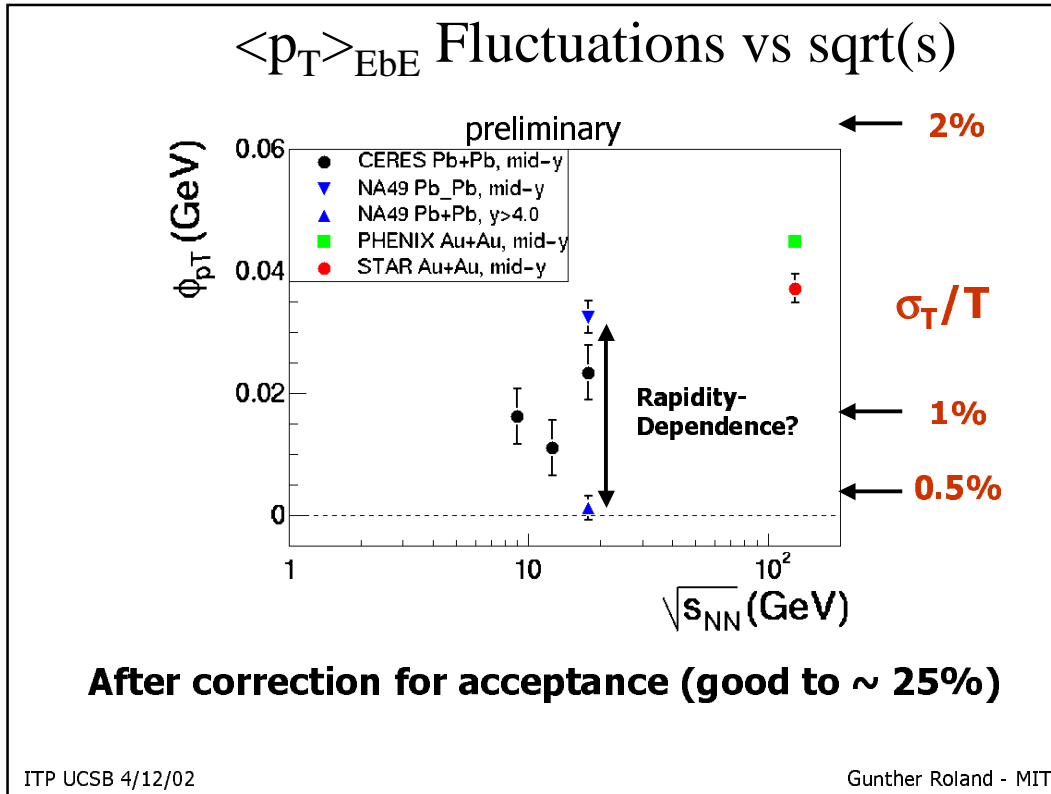
## $\langle p_T \rangle_{EbE}$ Fluctuations vs $\sqrt{s}$

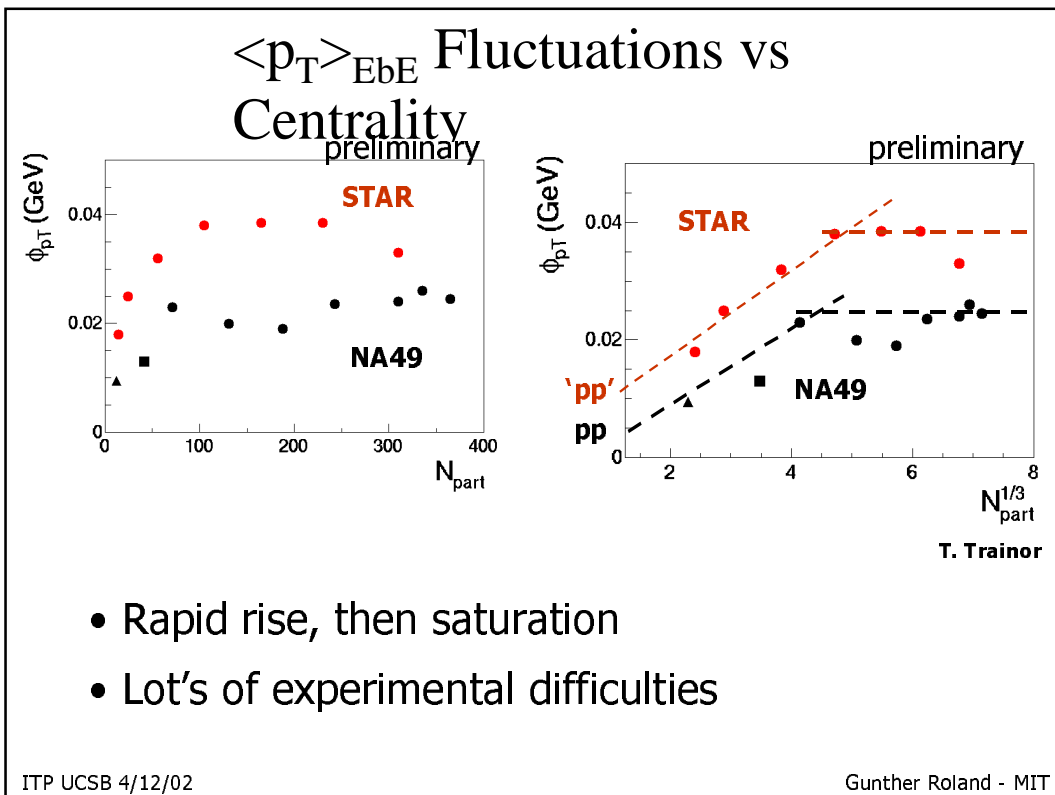
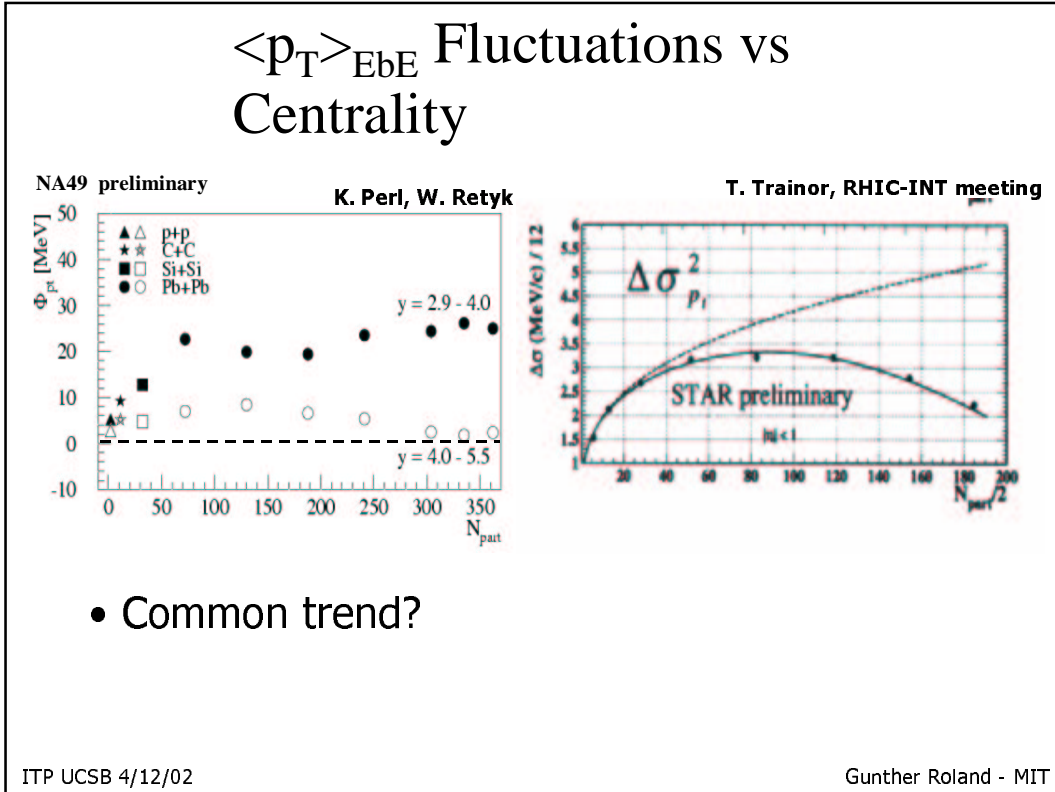


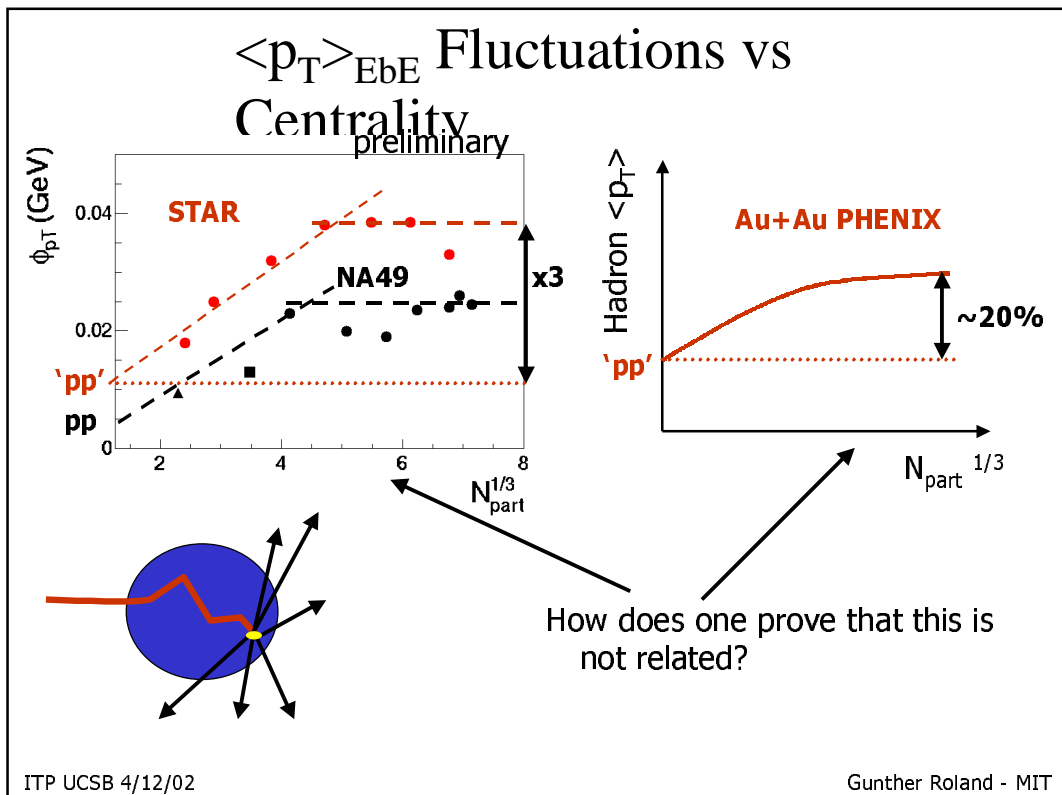
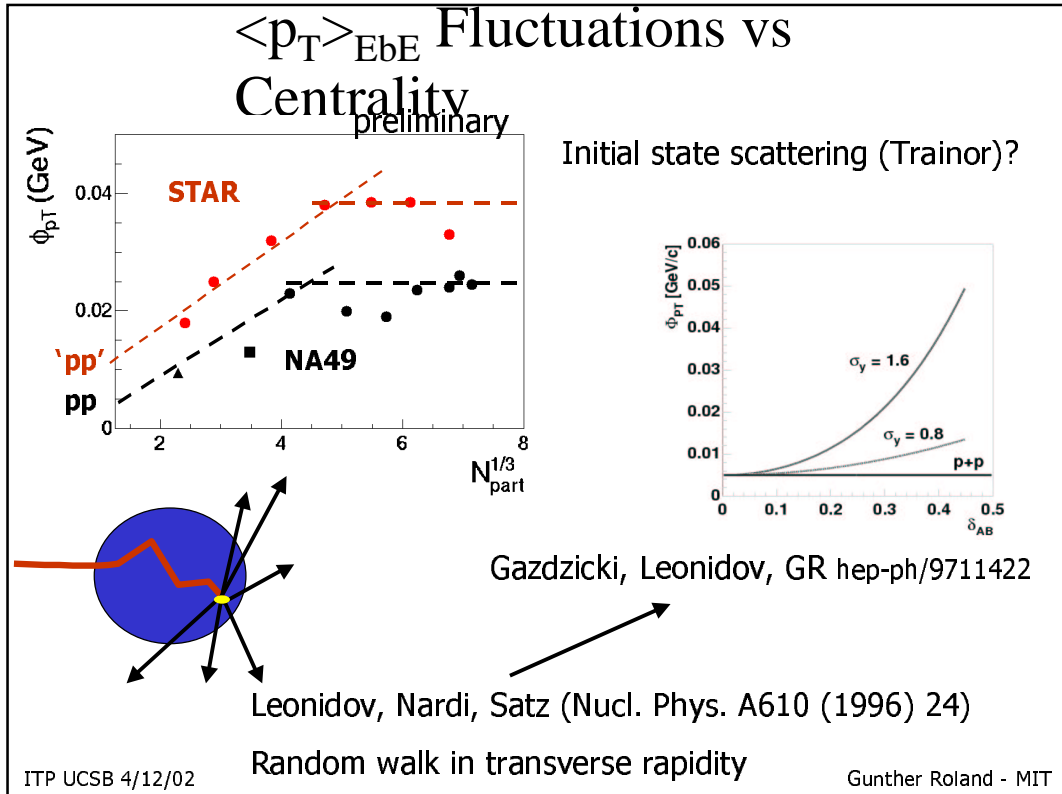
**This is confusing....**

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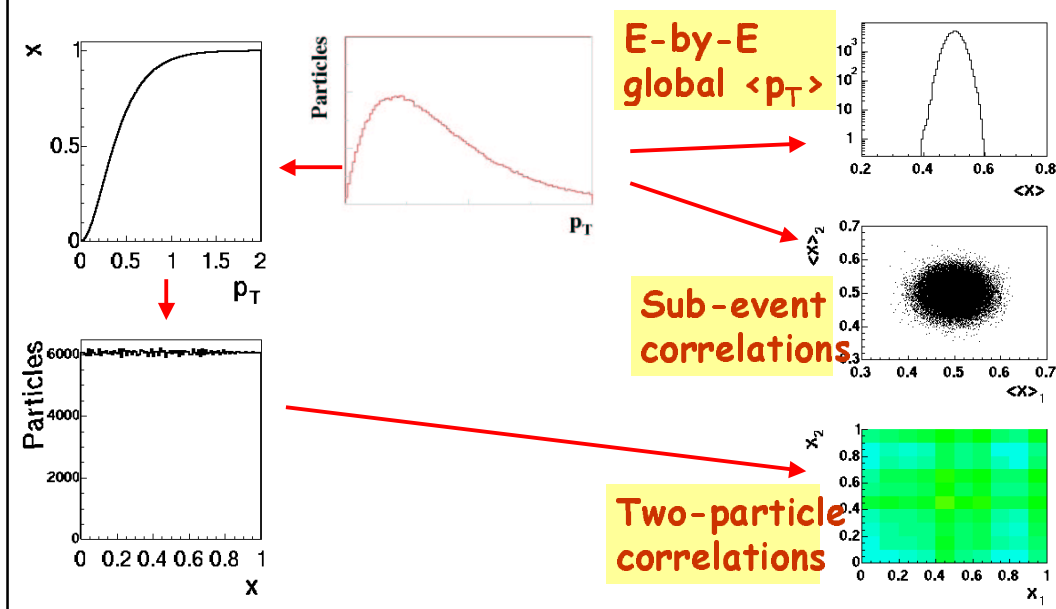
## Learning more

- Look at p+p and p+A data
  - Connection between 'radial flow' and fluctuations
  - p+A centrality dependence
- Look at more differential measures
  - Fluctuations at low/high pT
  - 2-particle correlators

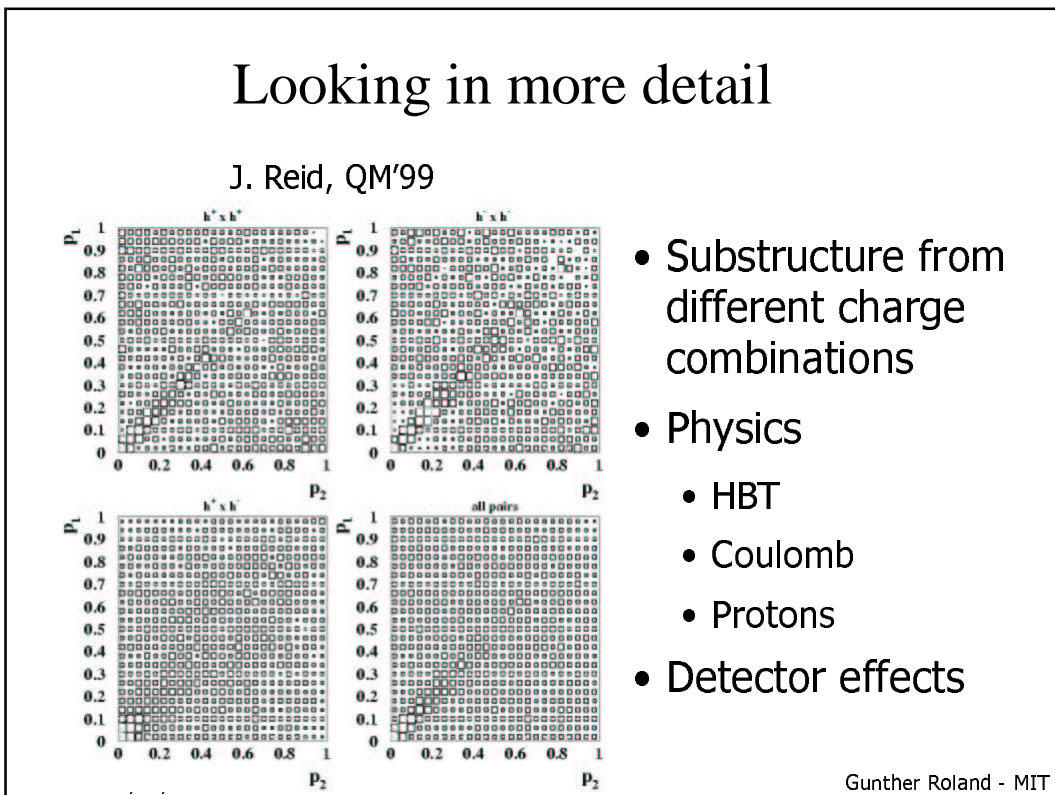
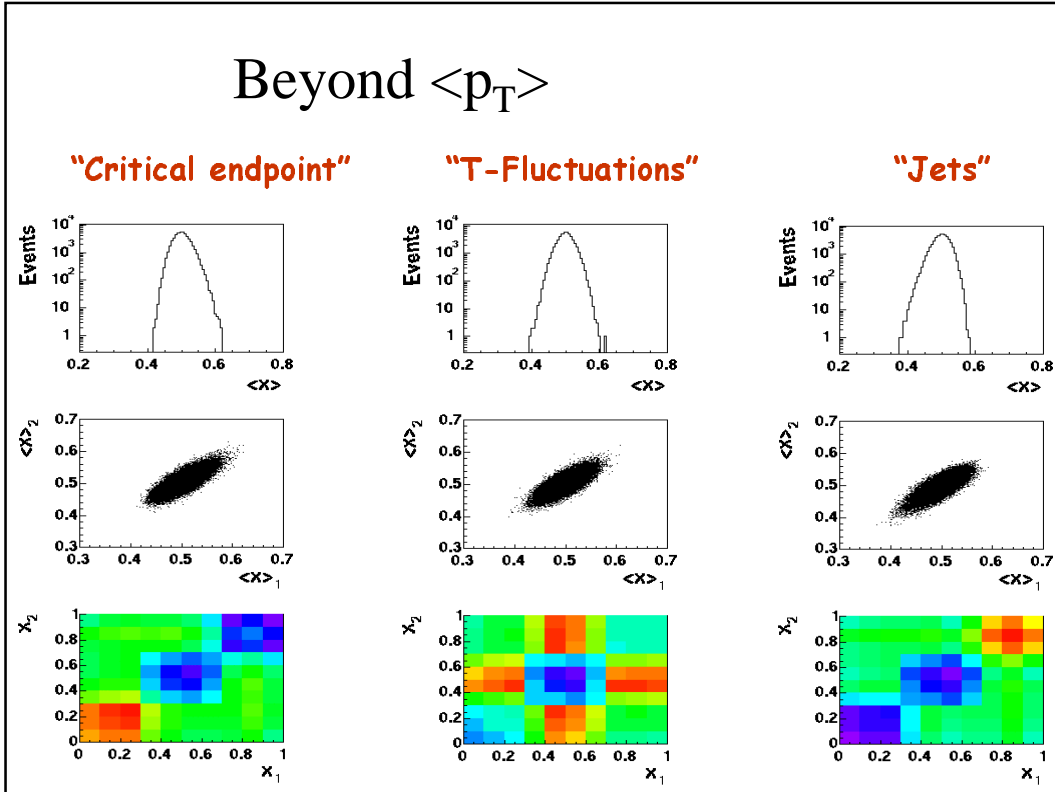
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## Differential measures of $p_T$ Fluctuations







## Summary

- Charge and K/π fluctuations look like resonance gas
  - No indication for strong first order transition
  - What happens to QGP charge fluctuations?
- $\langle p_T \rangle$  fluctuations small ( $\sim 1\%$ )
  - Non-zero near mid-rapidity
  - Not suggestive of critical point
  - Possible Energy and centrality dependence
  - Are we seeing initial state scattering?
  - Alternative look at issues of 'radial flow' and 'jet quenching'

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## CLT Variance Comparison Measures

$$\Delta \sigma_{p_t}^2 \quad (\Delta \sigma_{p_t}^2 \equiv 2\sigma_{p_t} \Delta \sigma_{p_t}) \quad \sigma_{p_t, \text{dynamical}}^2$$

difference factor  $\sim \Phi_{p_t}$       'dynamical'  $\equiv$  observed - 'statistical'

$\delta x \rightarrow a$  (single-particle 'bin'):  $\bar{m} \rightarrow \hat{m}$        $N(\Delta x)$  - total multiplicity in acceptance

bin contents:  $m(\delta x), n(\delta x) = N(\Delta x) / M(\Delta x, \delta x); \langle m(\delta x) \rangle = m(\delta x) / n(\delta x)$

$$\Delta \sigma_m^2(\delta x) \equiv \frac{(m - n\hat{m})^2}{n} - \sigma_m^2 \quad \sigma_{m, \text{dynamical}}^2 \equiv \overline{(\langle m \rangle - \hat{m})^2} - \sigma_m^2 / \bar{N} \quad \text{earlier}$$

$$\equiv \overline{n(\langle m \rangle - \hat{m})^2} - \sigma_m^2 \quad \longleftrightarrow \quad \equiv \frac{N(\langle m \rangle - \hat{m})^2 - \sigma_m^2}{N-1}$$

$$\equiv (N-1) \{ \overline{\langle m_i \cdot m_j \rangle_{i \neq j}} - \hat{m}^2 \} \quad \equiv \overline{\langle m_i \cdot m_j \rangle_{i \neq j}} - \hat{m}^2 \quad \text{later}$$

$$\equiv \frac{\overline{\Sigma_m^2(\delta x) - \Sigma_m^2(a)}}{N(\Delta x)}$$

scale variation of total variance

These two variance comparisons *seem* algebraically similar, yet are the subjects of strongly conflicting statements as to performance

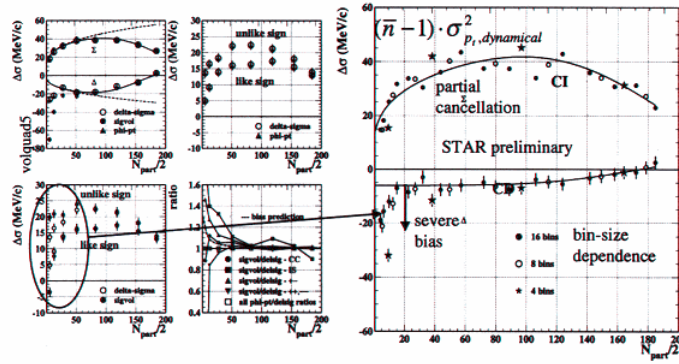
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### Measure Bias Observed with Data



precision ABC test - J.G. Reid

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### Charge fluctuations - $D^{\sim}$

$$D^{\sim} = (\langle \delta R \rangle^2 \cdot \langle N_{ch} \rangle_{acc}) / (C_y \cdot C_{\mu})$$

- $D^{\sim} = 4$  : pion gas with global charge conservation
- $D^{\sim} \approx 1$  (or 2 Heinz) : frozen QGP fluctuations with global charge conservation
- $D^{\sim} \approx 2.8$  : gas with resonances and with global charge conservation  
(if both particles fall in the acceptance, e.g.  $\Delta y$  window)

V. Koch, S. Jeon, hep-ph / 0003168  
 M. Bleicher, V. Koch, S. Jeon, hep-ph / 0006201

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