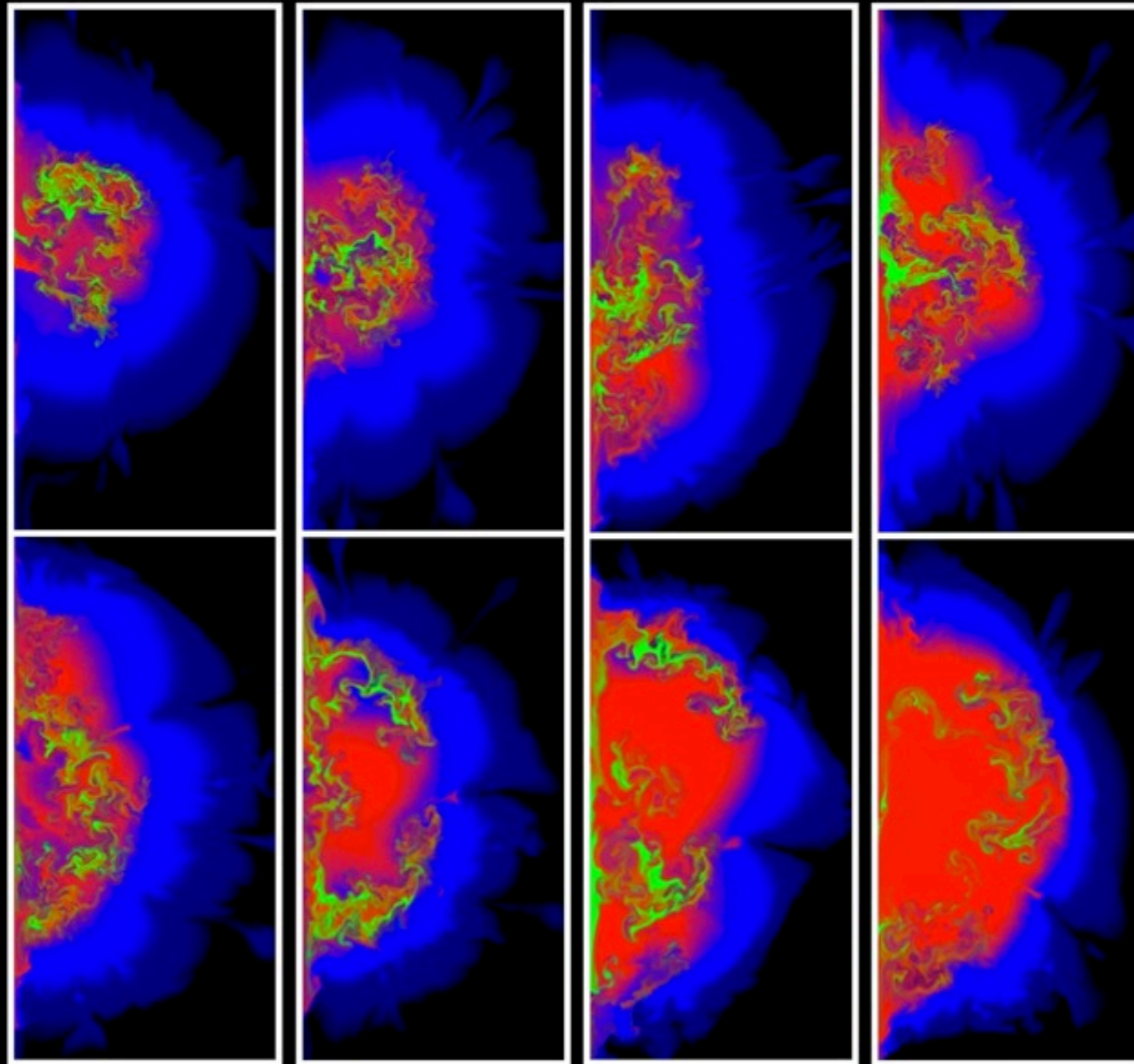


light curves
of type Ia supernovae
from different
progenitor scenarios

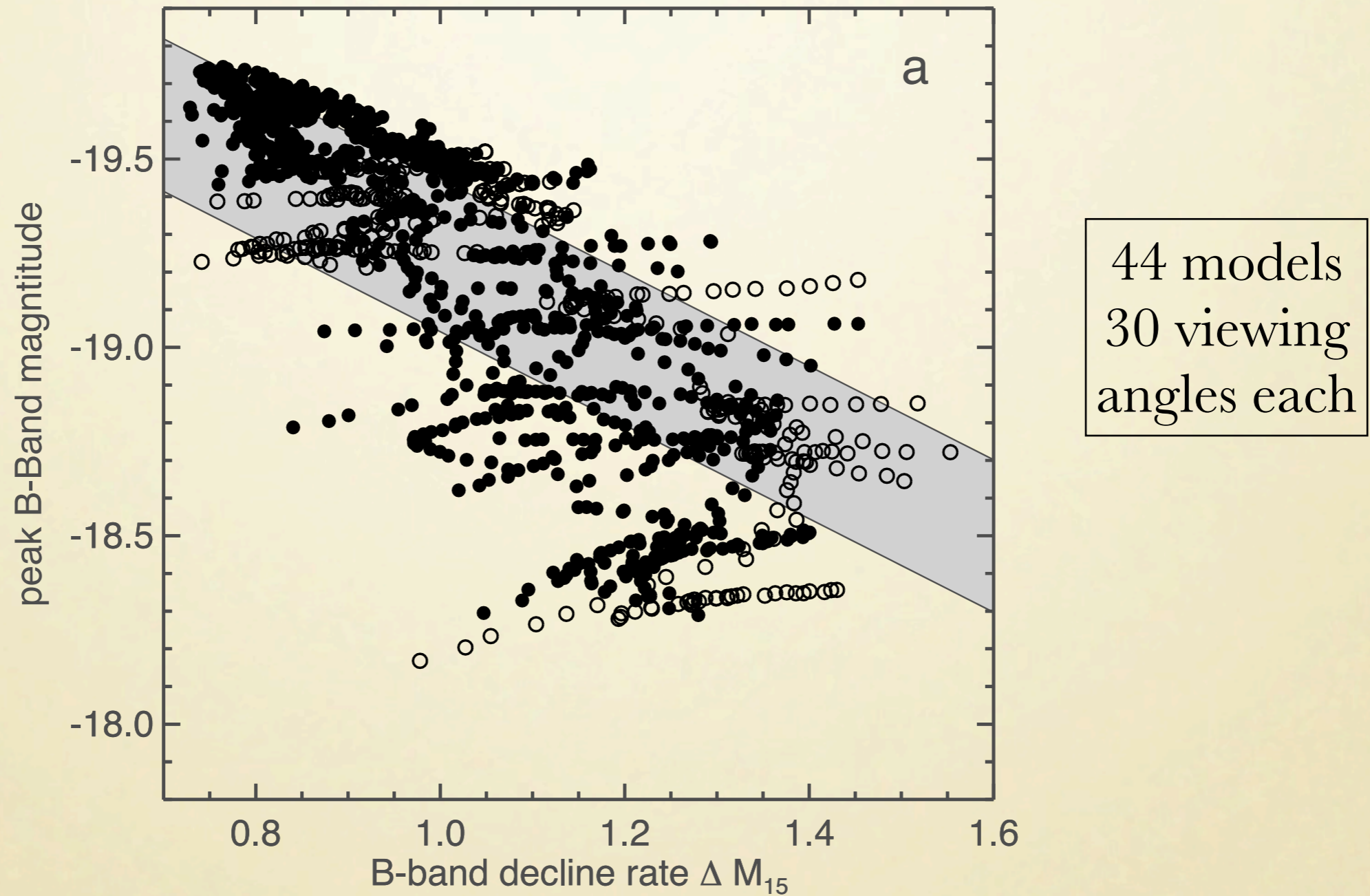
daniel kasen
UC Santa Cruz

2-D delayed detonation models



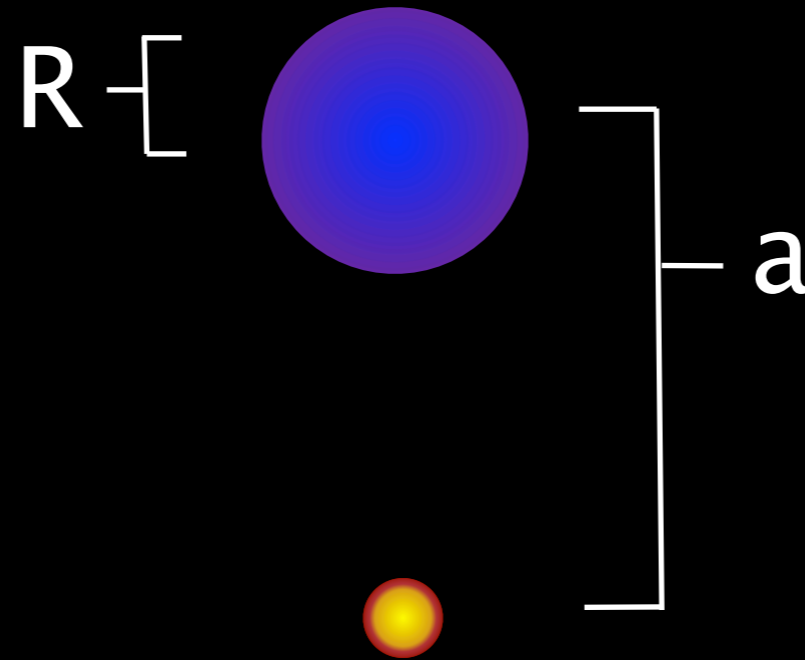
kasen, röpke, and woosley; nature (2009)

width-luminosity relations for 2-dimensional delayed detonation models



kasen, röpke, and woosley; nature (2009)

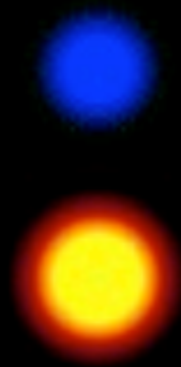
single degenerate progenitor system



$R @ 10^{11} - 10^{12}$ cm (main sequence, $M = 1 - 6 M_{\text{sun}}$)

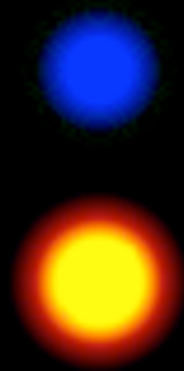
$R @ 10^{13}$ cm (red giant; $M @ 1 M_{\text{sun}}$)

$a/R = 2 - 3$ in Roche lobe overflow



supernova companion interaction

Wheeler et al. (1975); Fryxell & Arnett (1981); Livne et al. (1992); Marietta et al. (2000); Pakmor et al. (2008).



density plot
red giant @
 $a = 2.5 \times 10^{13} \text{ cm}$



signatures of companion interaction

search for tycho's companion

ruiz-lapiente et al (2004)

kerzendorf (2009)

search for stripped hydrogen

mattila et al., (2005)

leonard et al., (2007)

supernova polarization

kasen et al., (2004)



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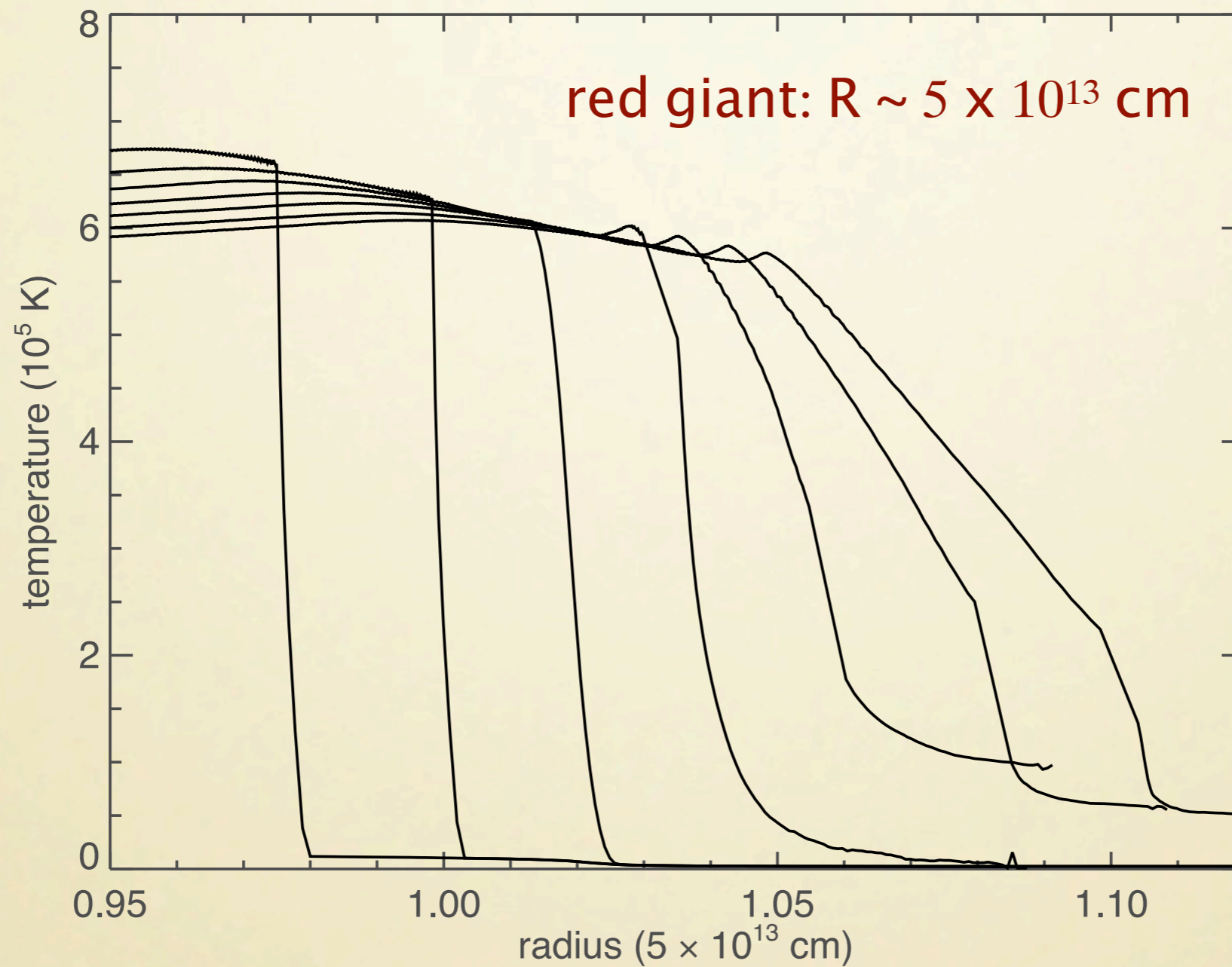
kasen et al., (2004)

could we see the collision itself?

kasen, (2009)

SHOCK BREAKOUT IN SNIIP

photons escape when diffusion time @ dynamical time

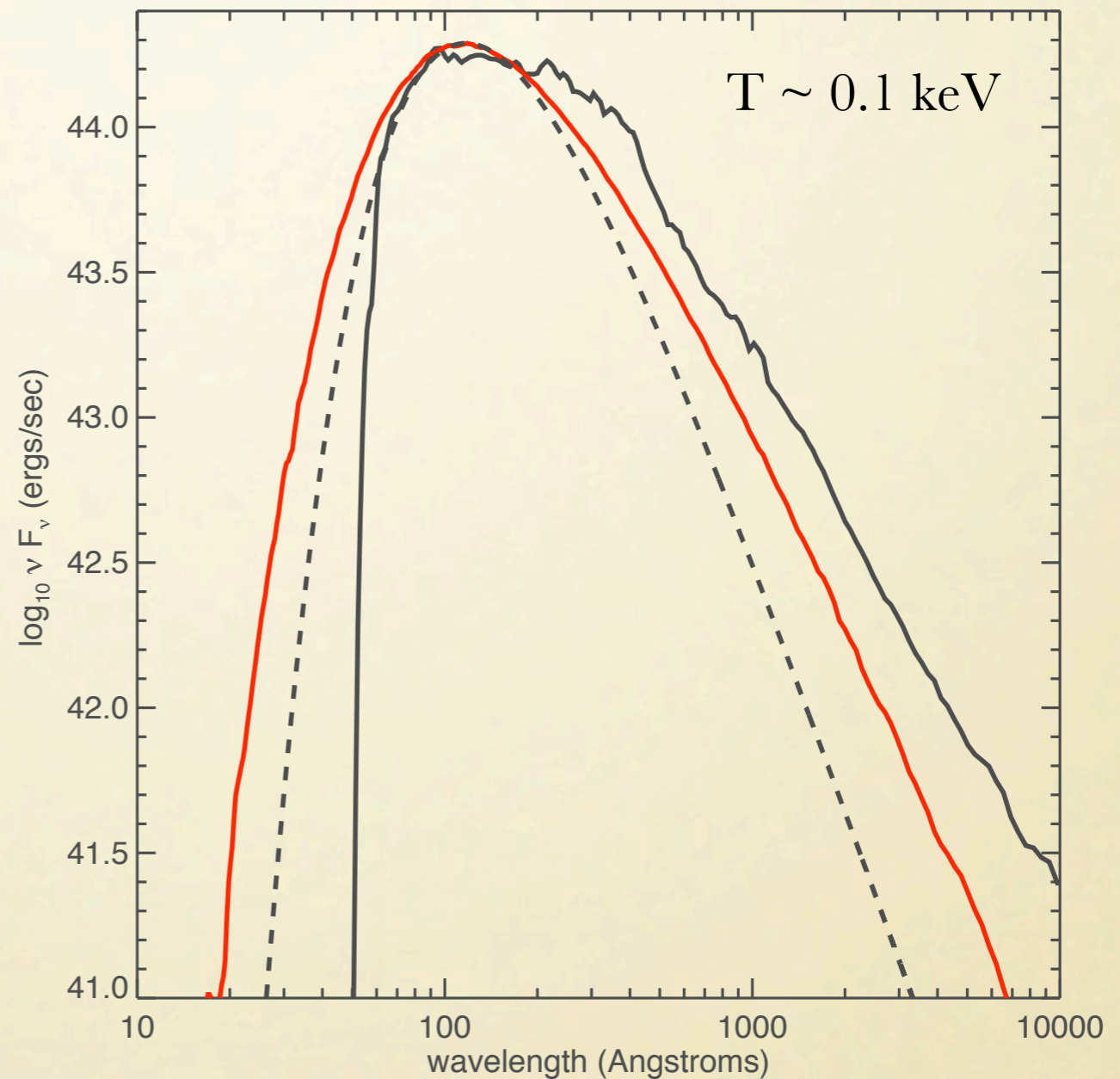
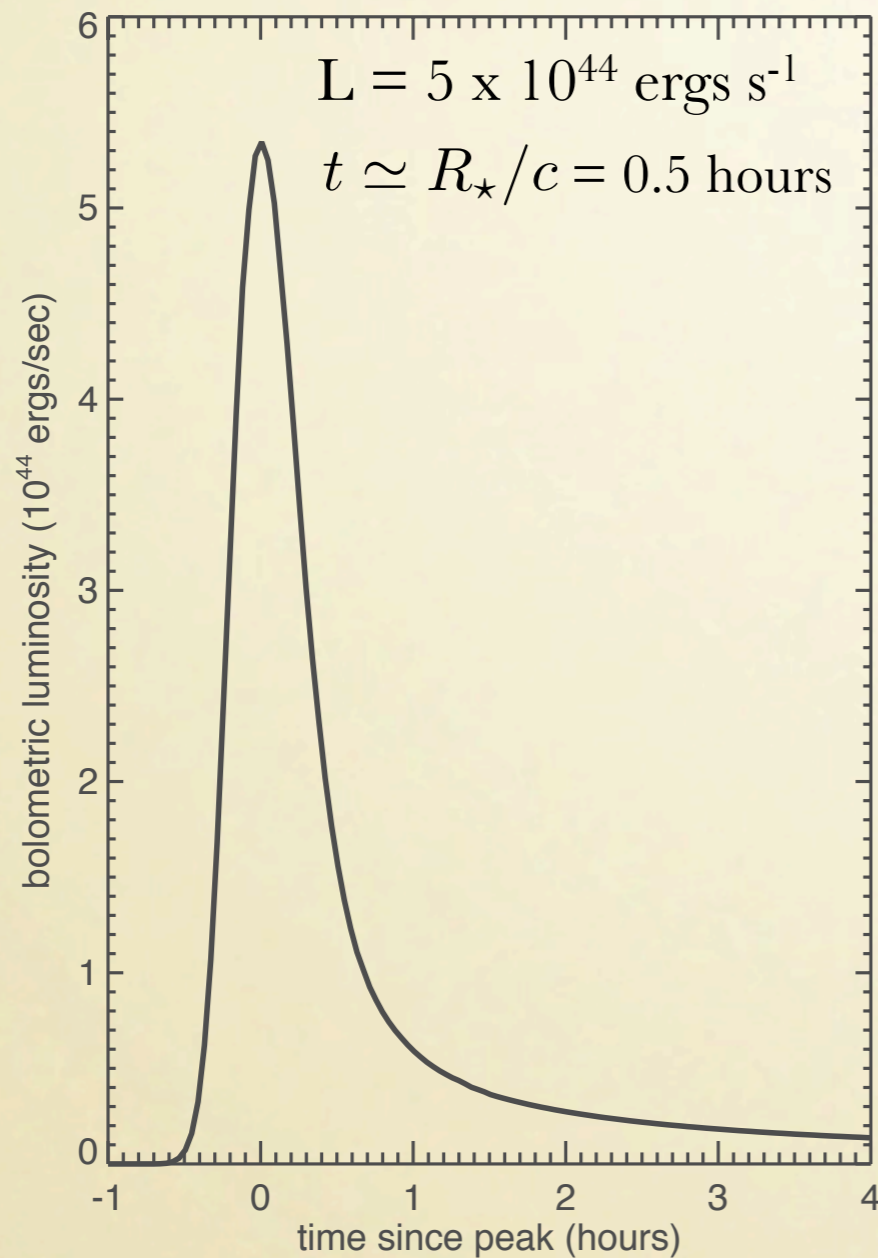


kasen & woosley (2009 in prep)

SHOCK BREAKOUT IN SNIIP

implicit monte carlo radiation hydrodynamics

kasen & woosley (2009 in prep)

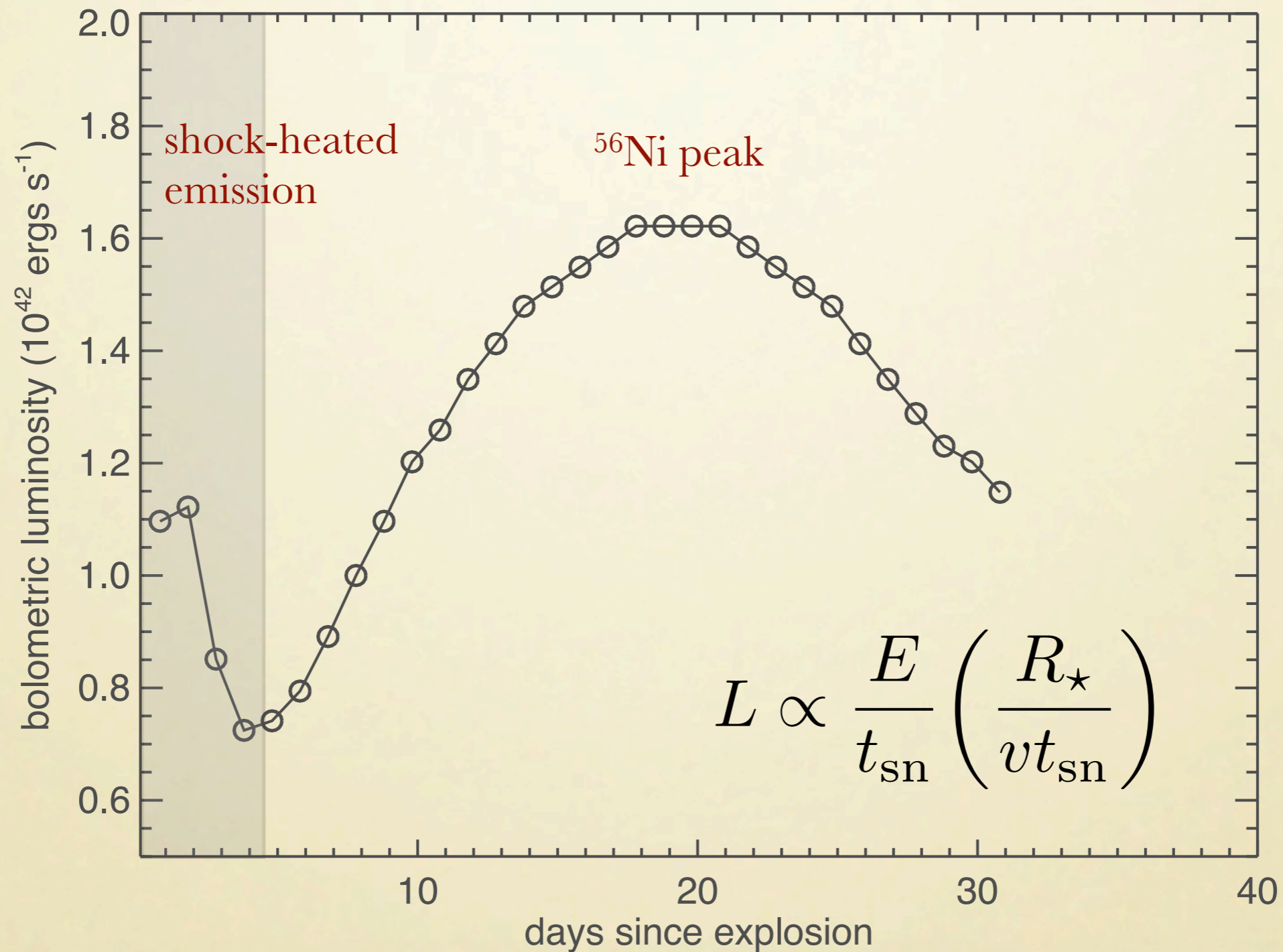


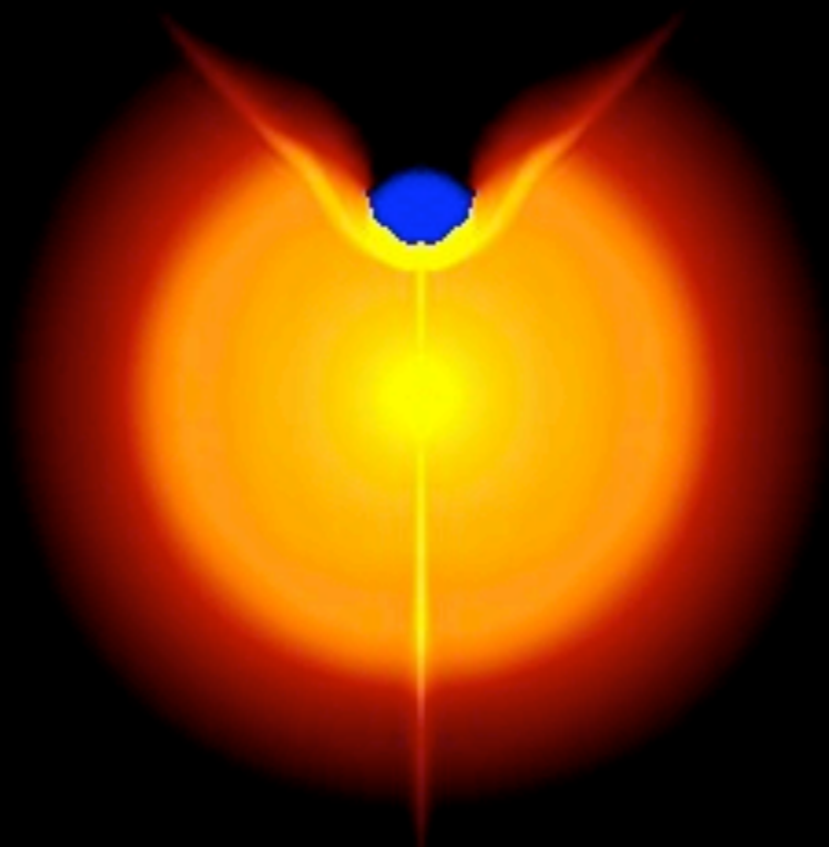
sn2008d: soderberg et al (2008), modjaz et al (2009)

snls-06D2dc: gezari et al (2008), schawinski (2008)

EARLY LUMINOSITY

SN 2008D (from Modjaz et al. 2009)





$$a \sim 10^{11} - 10^{13} \text{ cm}$$

comparable length scale, velocities and temperatures
as in core-collapse shock breakout

so does the collision produce an x-ray burst, followed
by early UV/optical emission?

kasen 2009 apj submitted (astro-ph soon) analytic + some simulation

expansion

interaction timescale

$$t_i = a/v$$

$$\simeq 3 - 8 \text{ hours for RG}$$

$$\simeq 5 - 20 \text{ mins for MS}$$

shock conditions

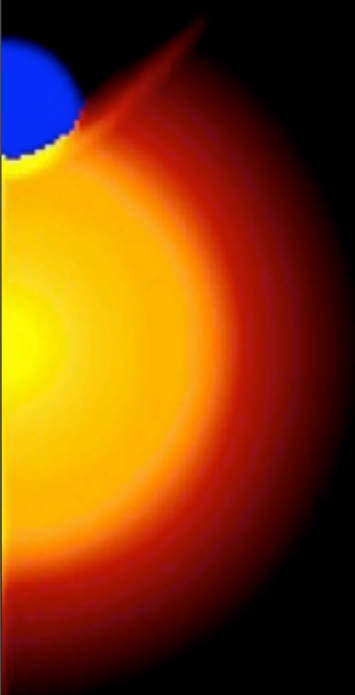
$$\gamma = 4/3 \quad (\text{radiation dominated gas})$$

$$\rho_s = \frac{\gamma + 1}{\gamma - 1} = 7\rho_0$$

$$p_s = \frac{2}{1 + \gamma} \rho_0 v^2 \sin^2 \chi$$

$$p_s = \frac{a_R T^4}{3}$$

$$T_s = 2.8 \times 10^6 \left(\frac{a}{10^{13} \text{ cm}} \right)^{-3/4} \text{ K}$$



carving a hole

half opening angle

$$\theta_h = 30^\circ - 40^\circ$$

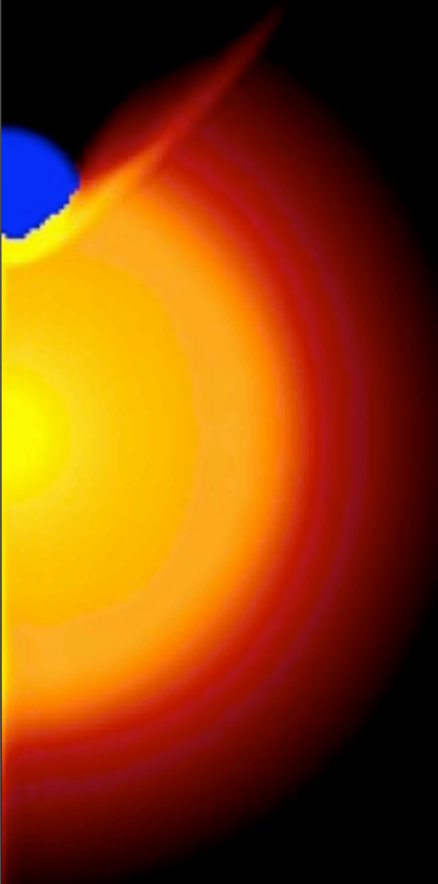
solid angle of shadowcone

$$\frac{\Omega_h}{4\pi} \approx \frac{1}{10}$$

thickness of shell from mass conservation

$$\rho_0 V_h = \rho_s V_{sh}$$

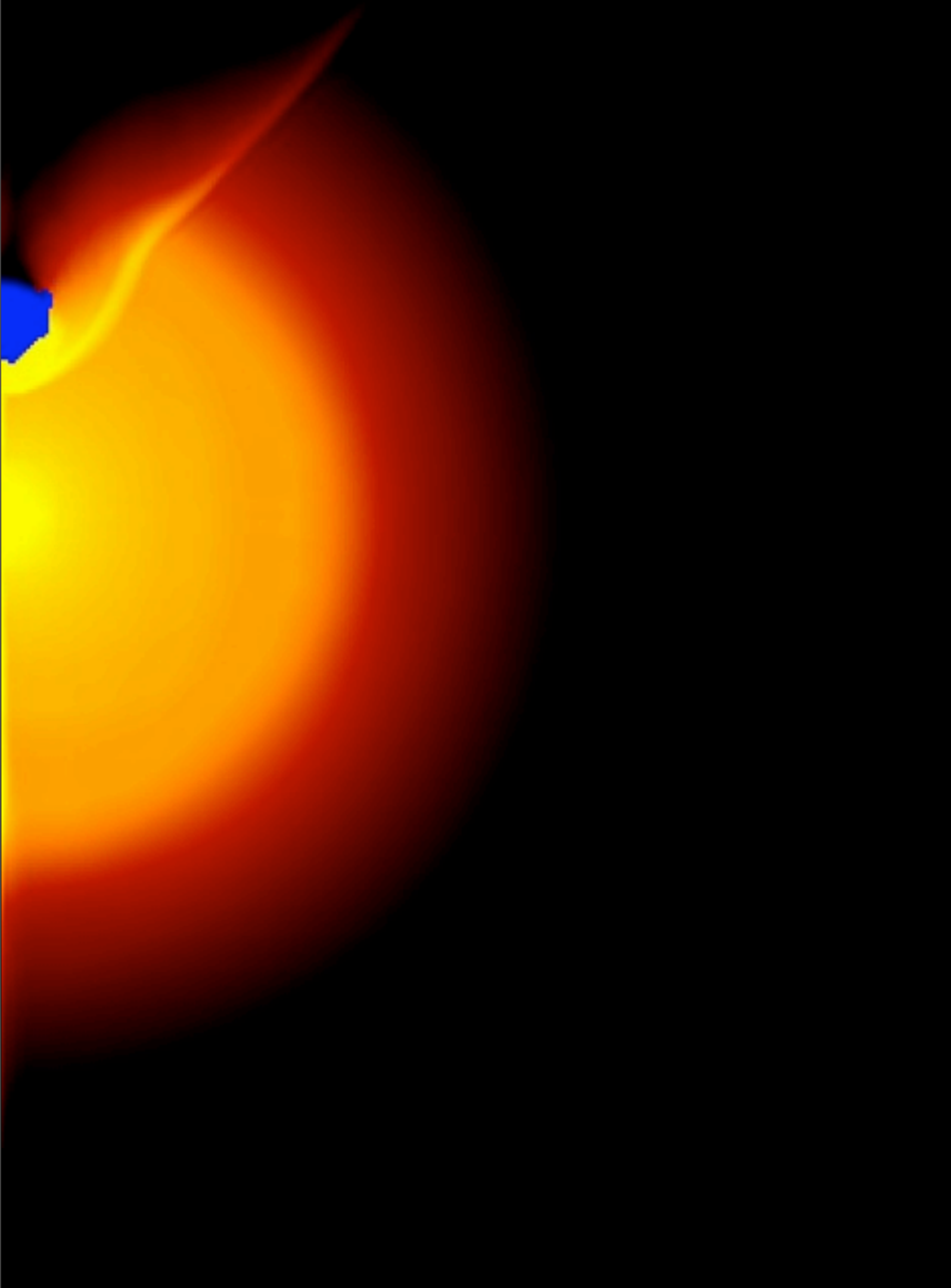
$$\frac{l_{sh}}{a} = \frac{\Omega_h}{4\pi} \frac{2\rho_0}{\rho_s} \approx \frac{1}{35}$$



reclosing

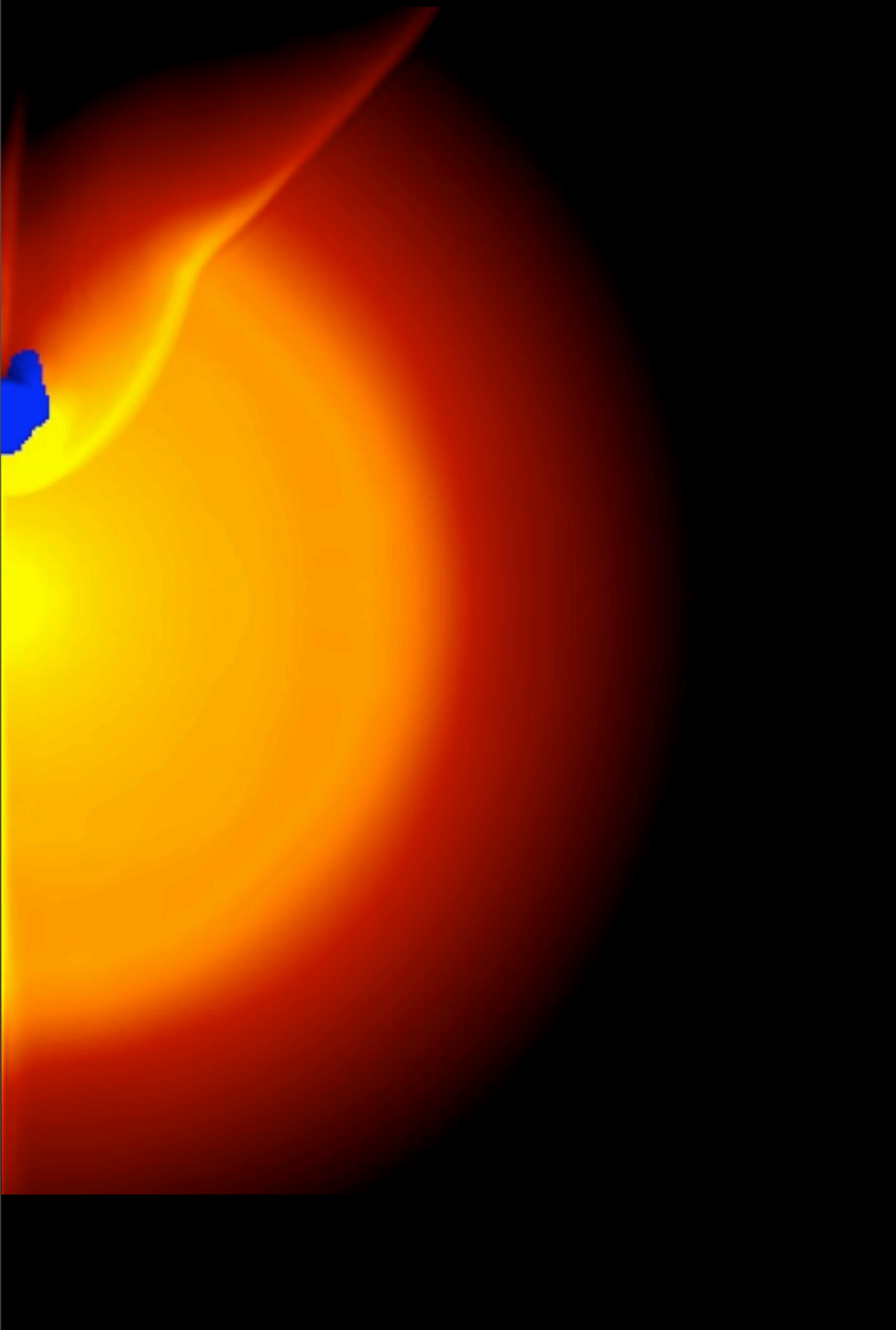
lateral expansion to refill
the hole on roughly
the interaction timescale

$$t \sim a / v$$



engulfed

the bulk of the ejecta remains
very optically thick
at these phase



prompt burst

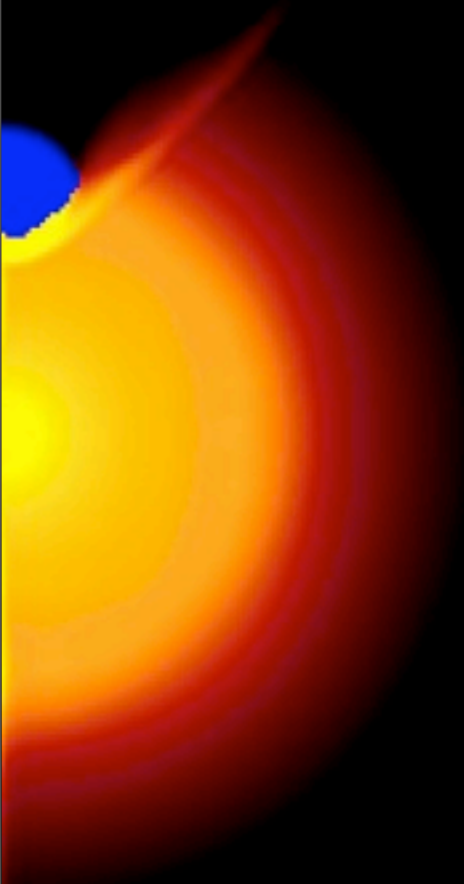
diffusion time = dynamical time

$$\frac{l_d^2 \kappa \rho_s}{3c} = a/v$$

$$\frac{l_d}{l_{\text{sh}}} \approx 3 \frac{a}{v_t t_{\text{sn}}} \left(\frac{4\pi}{\Omega_h} \right)$$

$$\approx 1/3 \quad \text{for RG}$$

$$\approx 0.1 - 0.01 \quad \text{for MS}$$



PROMPT X-RAY BURST

ANALYTICAL ESTIMATES

isotropic equivalent luminosity

$$L_x = 5 \times 10^{44} M_c^{1/2} v_9^{5/2} \kappa_e^{-1/2} \text{ ergs s}^{-1}$$

visible from $\theta < \theta_h$ or $\Omega_h/4\pi = 10\%$ of the time

red giant

$$t_i \simeq 3 - 8 \text{ hours}$$

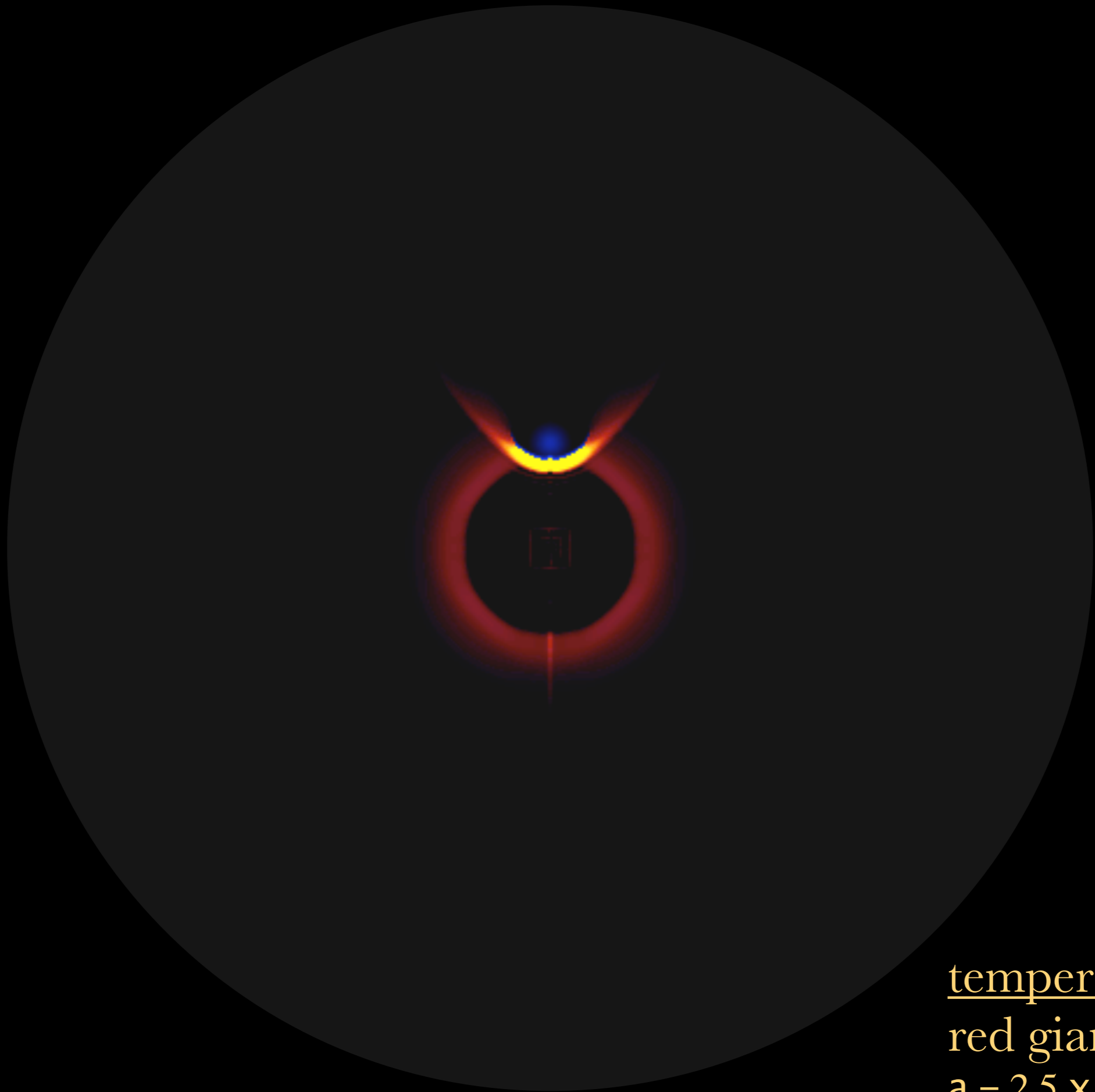
$$T_s \simeq 0.1 - 0.2 \text{ keV}$$

main sequence

$$t_i \simeq 5 - 20 \text{ mins}$$

$$T_s \simeq 1 - 5 \text{ keV}$$

non-equilibrium, non-thermal effects
line fluorescence emission
sub-structure and variability



temperature plot
red giant
 $a = 2.5 \times 10^{13}$ cm

EARLY LUMINOSITY

ANALYTICAL ESTIMATES

self-similar diffusion wave analysis (ala Chevalier 1992)

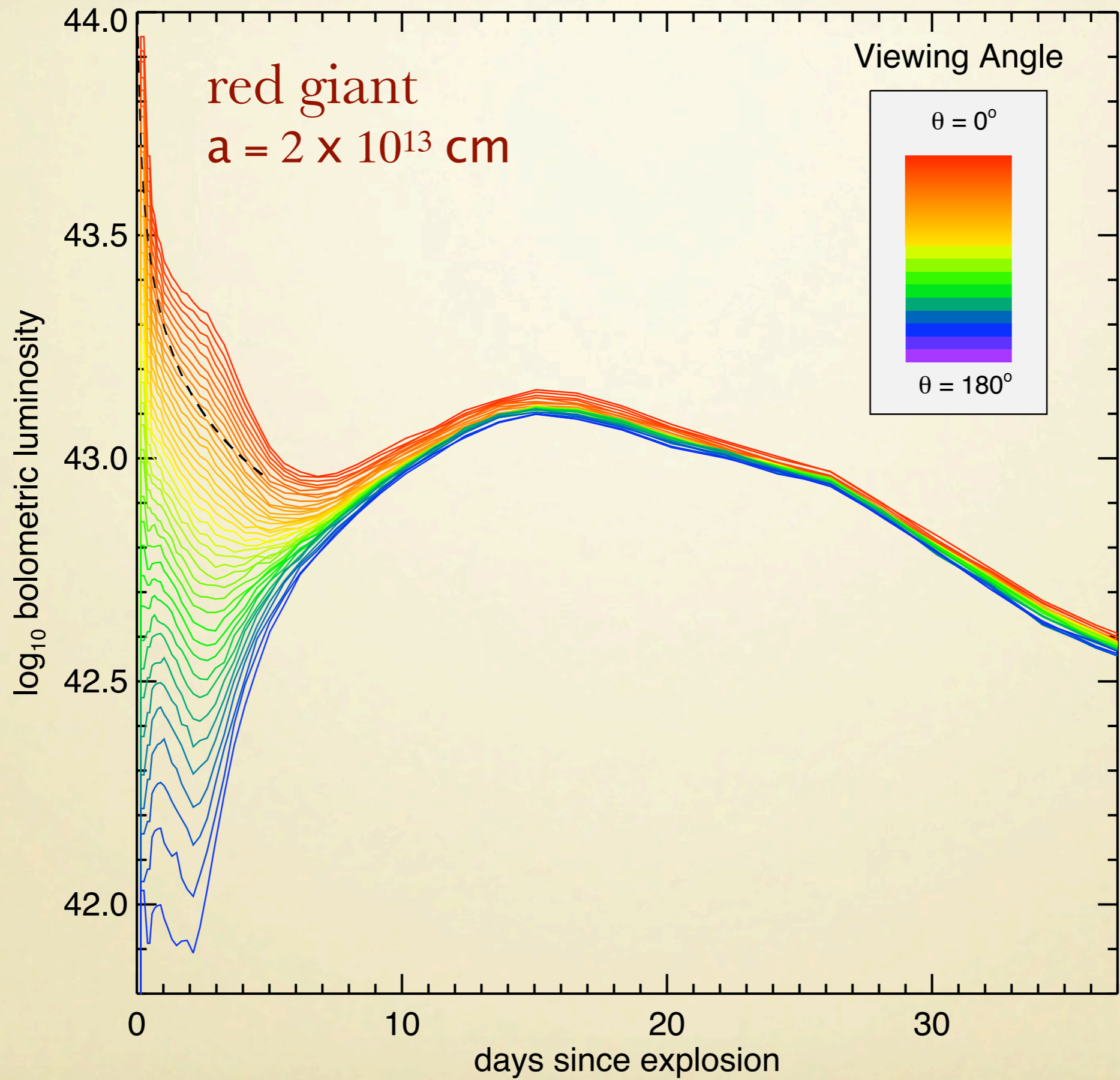
$$L_c = C \frac{M v_t^2}{t_{\text{sn}}} \left(\frac{a}{v t_{\text{sn}}} \right) \left(\frac{t}{t_{\text{sn}}} \right)^{-4/(n-2)}$$

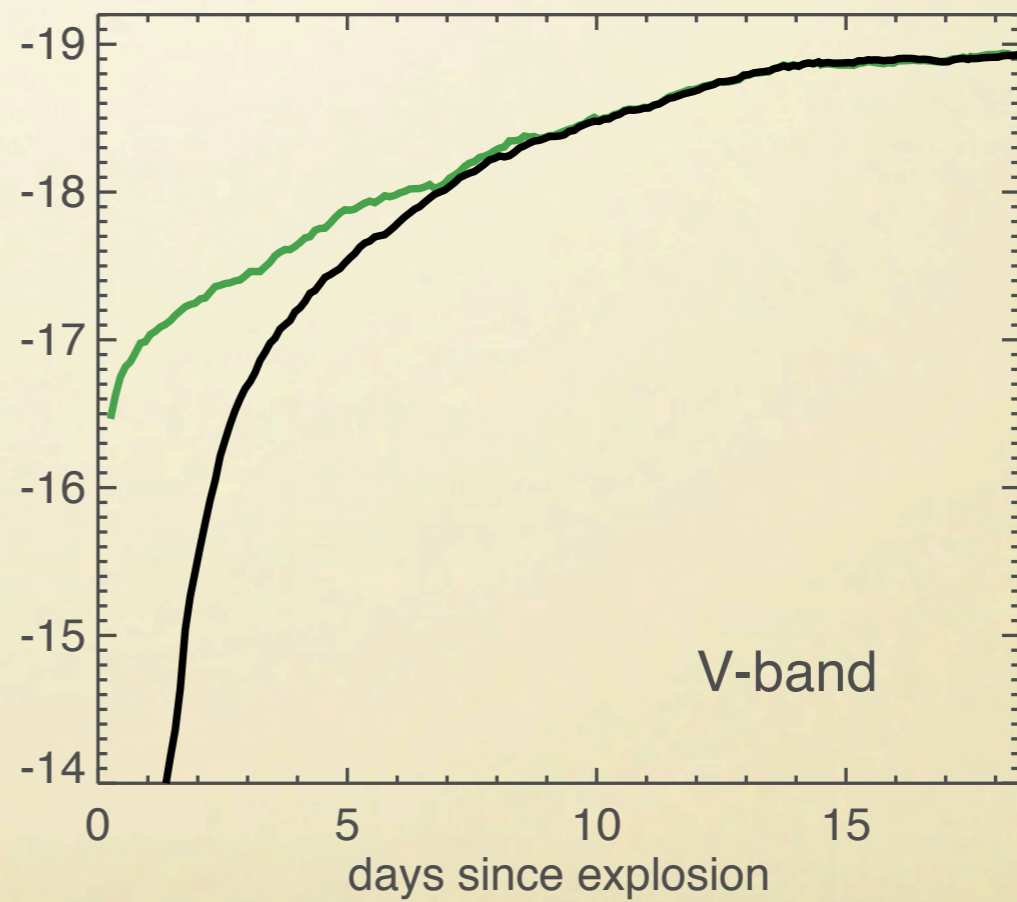
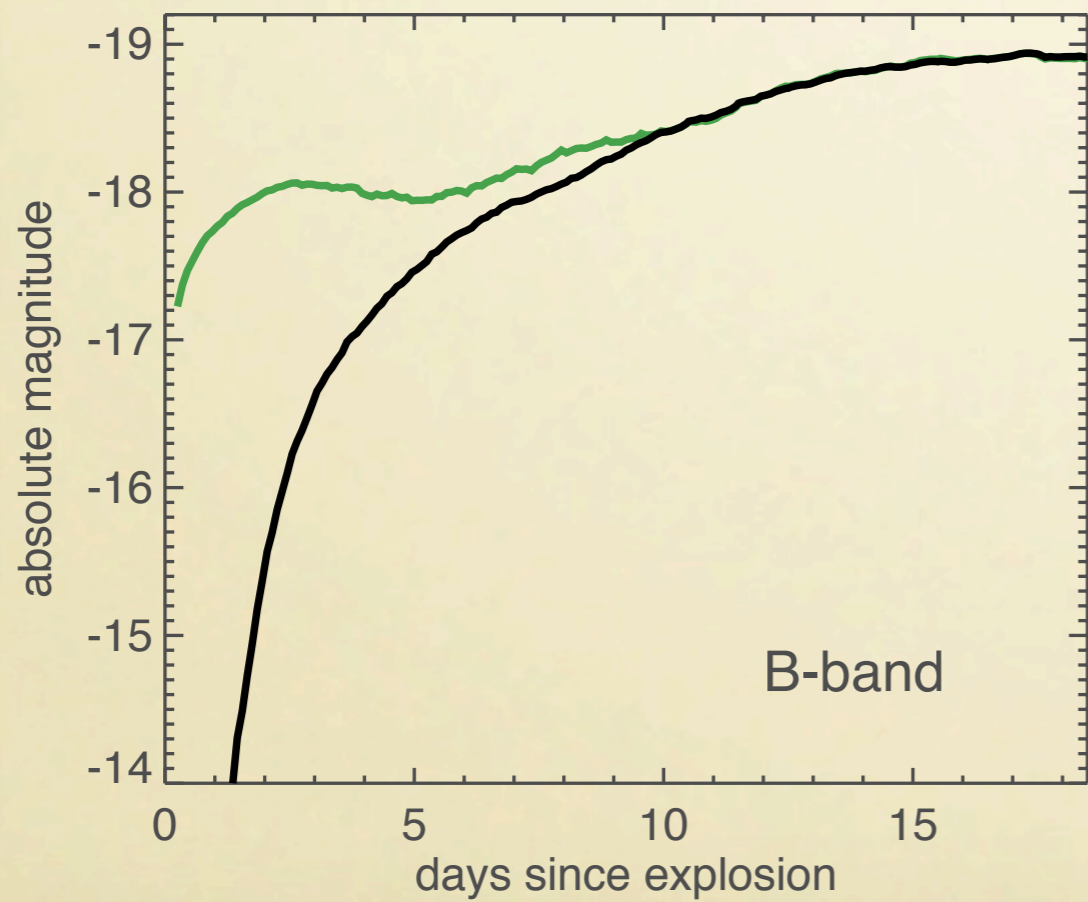
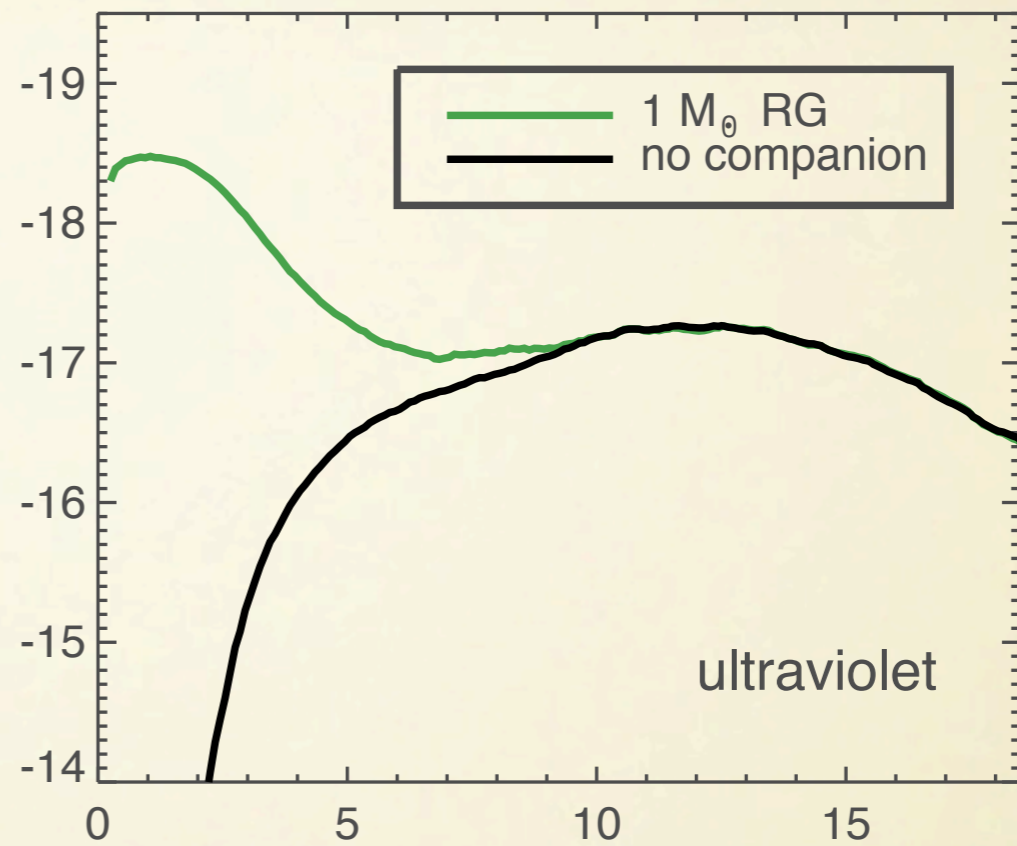
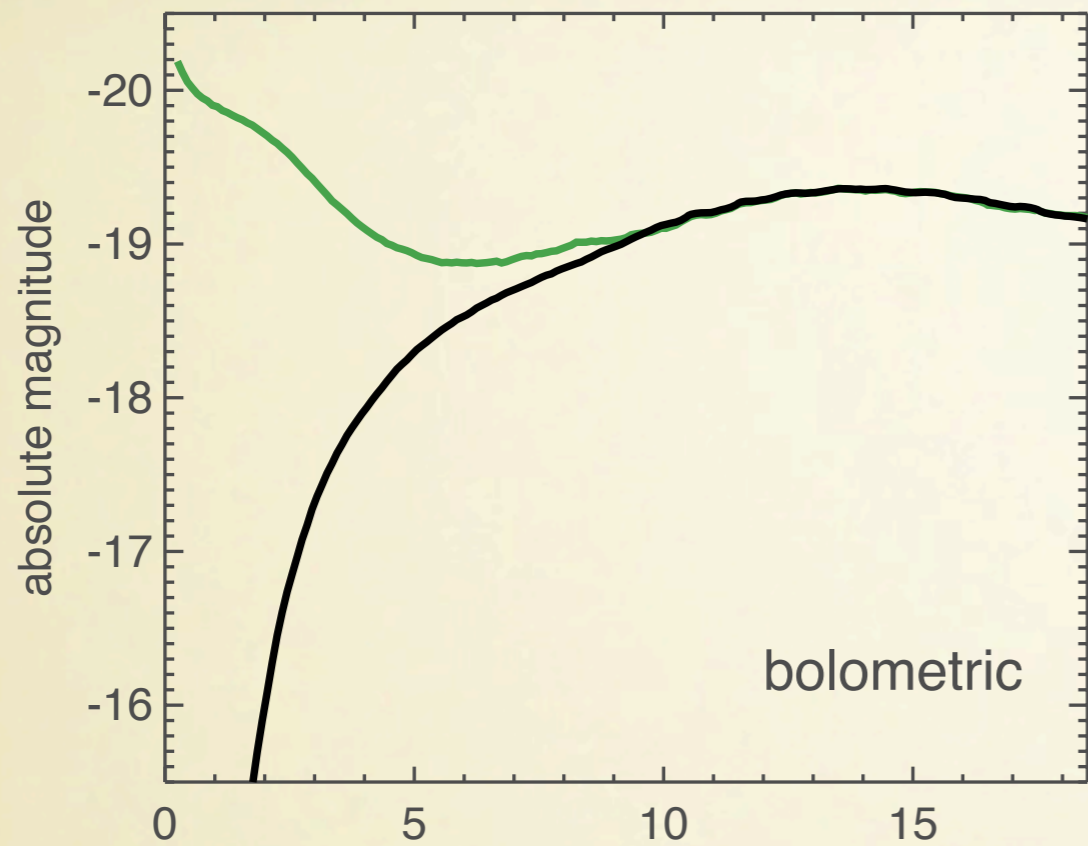
(isotropic equivalent comoving frame luminosity)

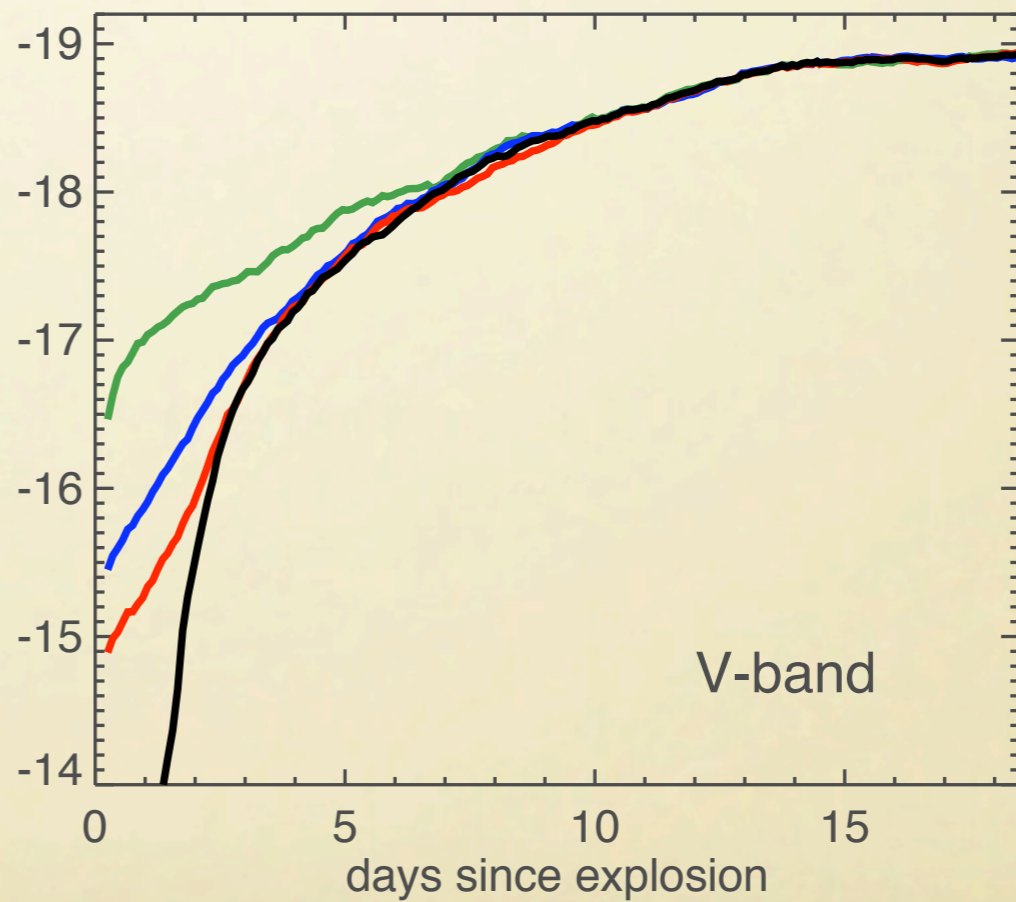
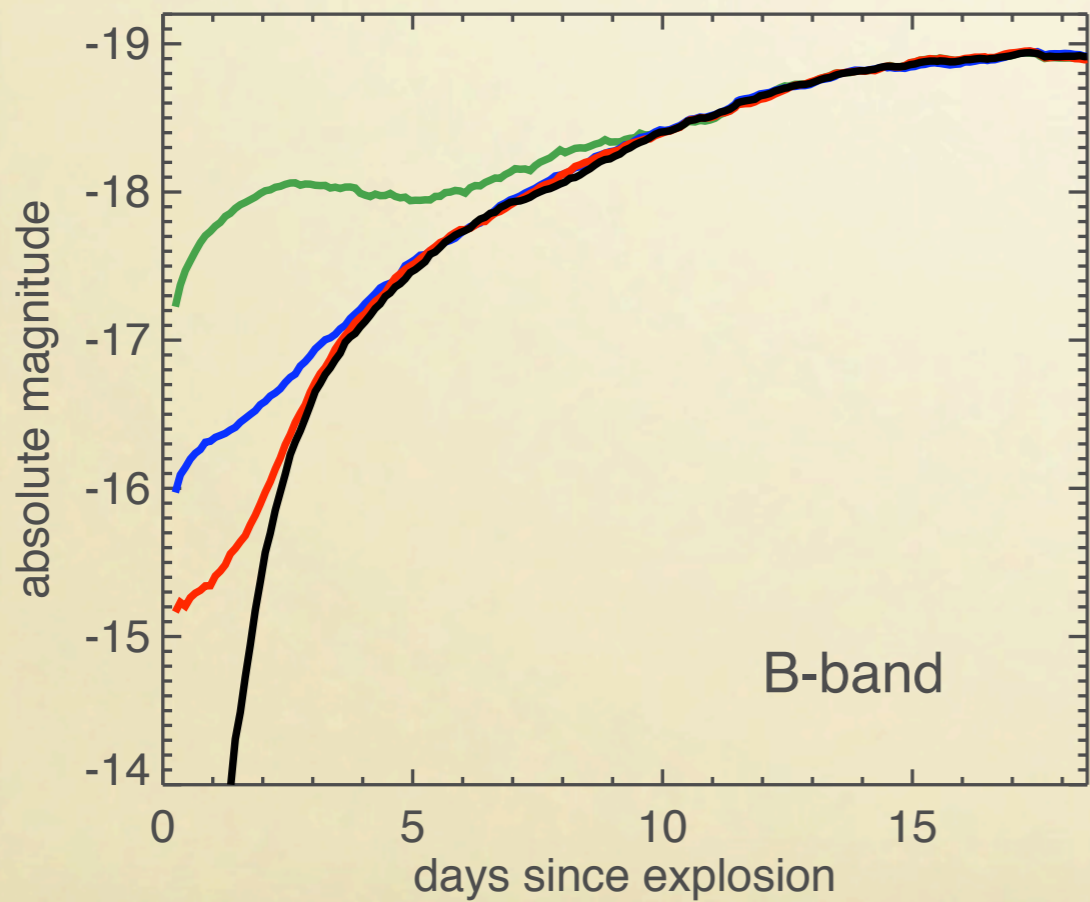
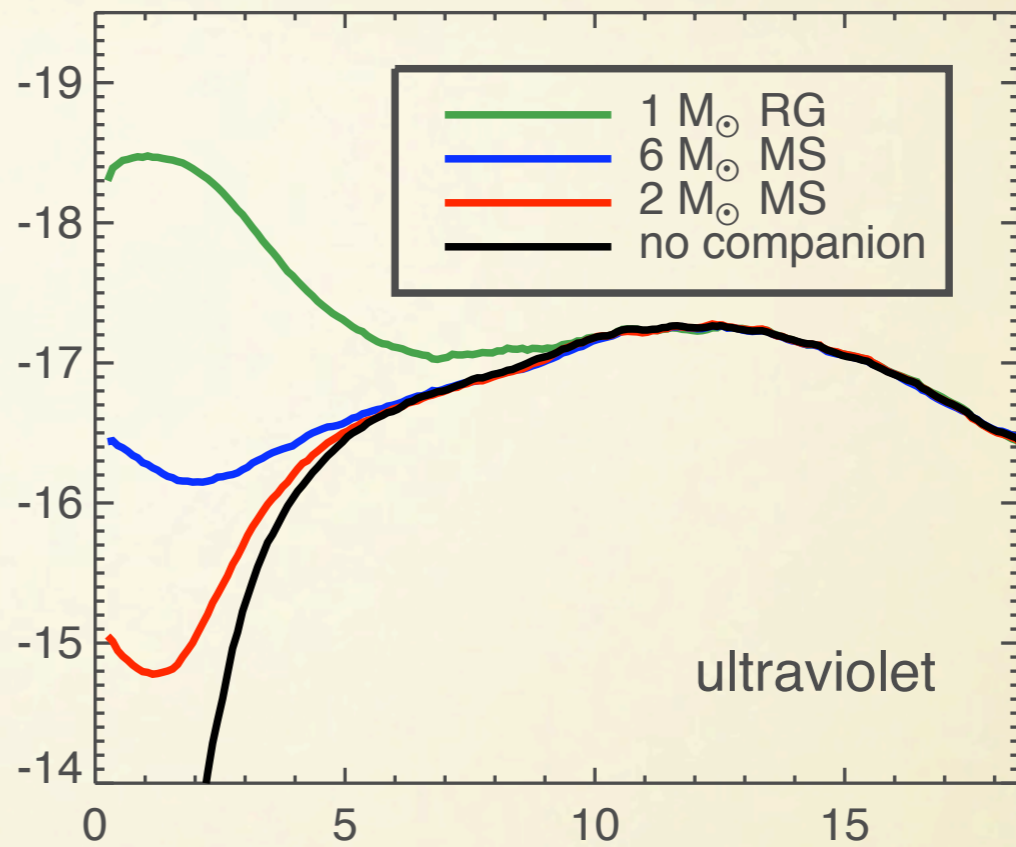
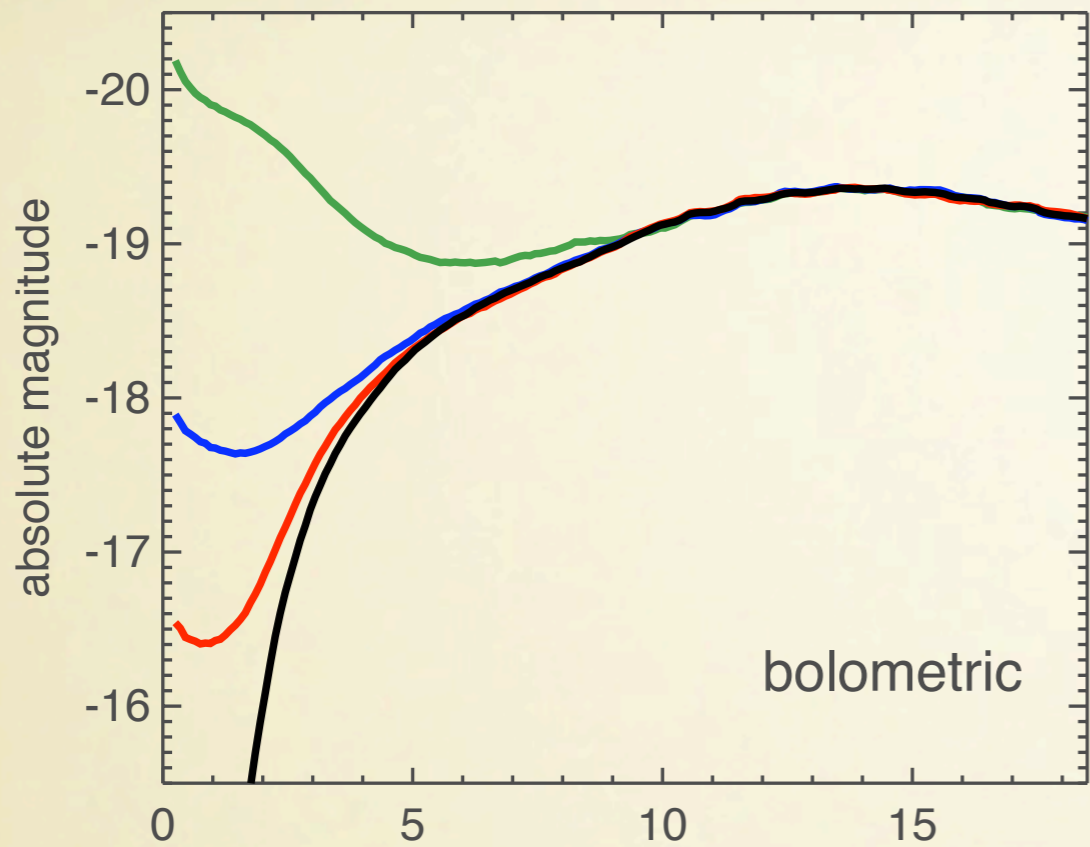
for density profile exponent $n = 10$

$$L_c = 10^{43} \left(\frac{a}{10^{13} \text{ cm}} \right) t_{\text{day}}^{-1/2} \text{ ergs s}^{-1}$$

$$T_{\text{eff}} = 2.5 \times 10^4 \left(\frac{a}{10^{13} \text{ cm}} \right)^{1/4} t_{\text{day}}^{-37/72} \text{ K} \quad (\text{I @ 1000 \AA})$$







SUPERNOVA COLLISION EMISSION

observational prospects

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providing an *empirical* means of determining how the parameters of the progenitor system influence the supernova explosion