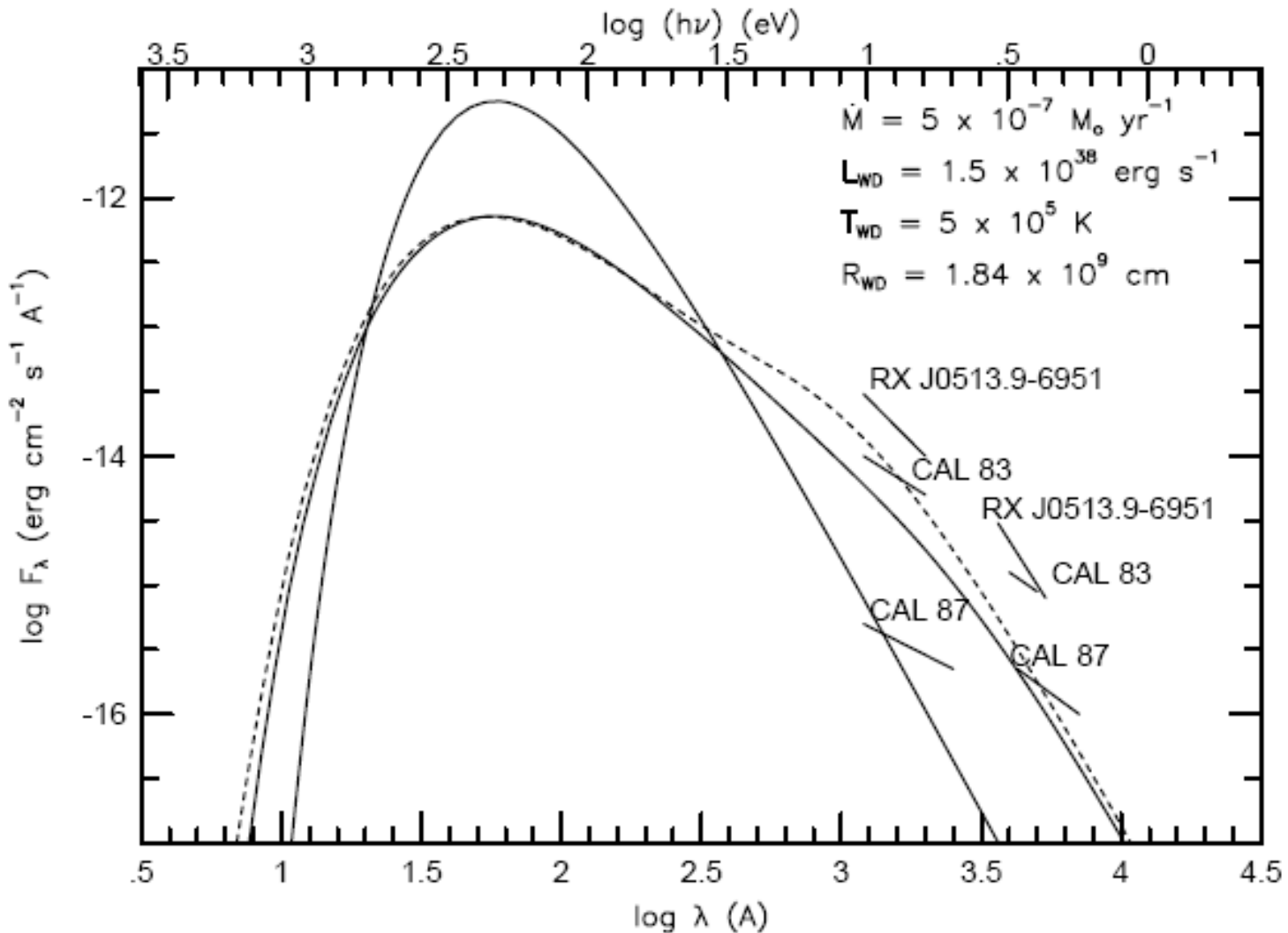


Accretion discs in Superluminous Supersoft Sources

It is widely believed they should be different from discs in CVs because of:

1. Very high accretion rates
2. Strong (X-ray) irradiation by a burning white dwarf
3. Observation suggest "obscuring wall" at the outer disc rim and "flaring"



WD + irradiated, flared accretion disc

1.

SSSS

Mass-transfer rate $\sim 10^{-7}$ Msun/year
 $\sim 6.3 \times 10^{18}$ g/s

DN

$$\dot{M}_{\max} \approx 7.8 \times 10^{16} \left(\frac{\alpha_{\text{hot}}}{0.2} \right)^{0.01} P_{\text{hr}}^{1.79} \text{ g s}^{-1}$$
$$\sim 2 \times 10^{18} \text{ g/s} \quad (P_{\text{orb}} = 6 \text{ hr})$$

$$L_{\text{acc}} \sim 10^{36} \text{ erg/s} \sim 0.01 L_{\text{Edd}}$$

...but what is κ ?

Advection of heat important? (slim discs?)

$$q_{\text{ad}} = \frac{2}{3} f^{-1} \left(\frac{H}{R}\right)^2 Q^+$$

Radial flux $q_{\text{th}} = \left(\frac{H}{R}\right) Q^-$

But in SSSS $(H/R)^2 < 0.004$

2.

Equations for irradiated discs (Dubus et al.)

$$\frac{\partial \Sigma}{\partial t} = -\frac{1}{r} \frac{\partial}{\partial r} (r \Sigma v_r) + \frac{1}{2\pi r} \frac{\partial \dot{M}_{\text{ext}}}{\partial r} \quad (1)$$

and

$$\begin{aligned} \frac{\partial \Sigma j_K}{\partial t} = & -\frac{1}{r} \frac{\partial}{\partial r} (r \Sigma j_K v_r) + \frac{1}{r} \frac{\partial}{\partial r} \left(-\frac{3}{2} r^2 \Sigma \nu \Omega_K \right) \\ & + \frac{j_2}{2\pi r} \frac{\partial \dot{M}_{\text{ext}}}{\partial r} - \frac{1}{2\pi r} \mathcal{G}_{\text{tid}}(r) \end{aligned} \quad (2)$$

$$\begin{aligned} \frac{\partial T_c}{\partial t} = & \frac{2(Q^+ - Q^- + (1/2) Q_i + J)}{C_p \Sigma} \\ & - \frac{\mathfrak{R} T_c}{\mu C_m} \frac{1}{r} \frac{\partial (r v_r)}{\partial r} - v_r \frac{\partial T_c}{\partial r} \end{aligned} \quad (3)$$

$$Q^+ = \frac{9}{8} \nu \Sigma \Omega_K^2$$

$$Q^- = \sigma T_{\text{eff}}^4$$

$$\frac{dP}{dz} = -\rho g_z = -\rho \Omega_K^2 z$$

$$\nabla_{\text{rad}} = \frac{\kappa_R P F_z}{4P_{\text{rad}} c g_z}$$

$$\frac{ds}{dz} = 2\rho$$

$$\frac{d \ln T}{dz} = \nabla \frac{d \ln P}{dz}$$

$$\frac{dF_z}{dz} = \frac{3}{2} \alpha \Omega_K^2 P + \frac{dF_r}{dz}$$

Surface boundary condition

$$T^4(\tau_s) = T_{\text{eff}}^4 + T_{\text{irr}}^4$$

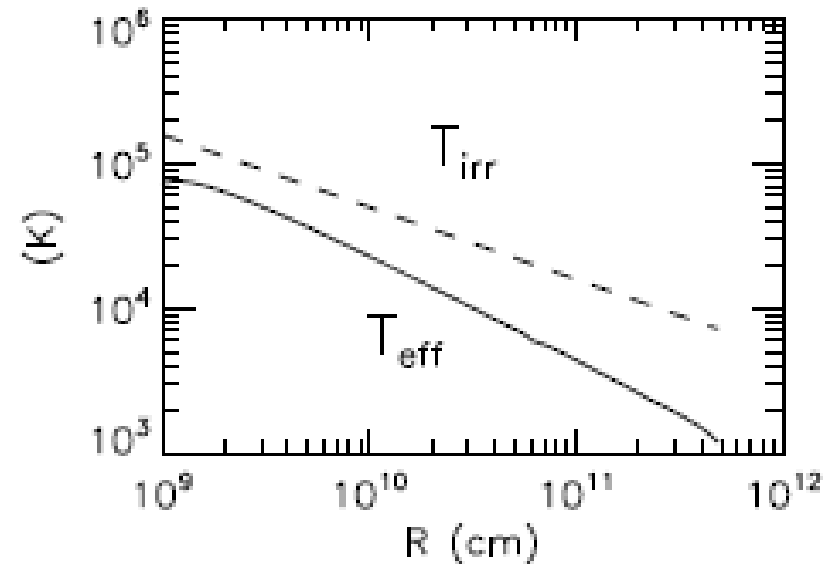
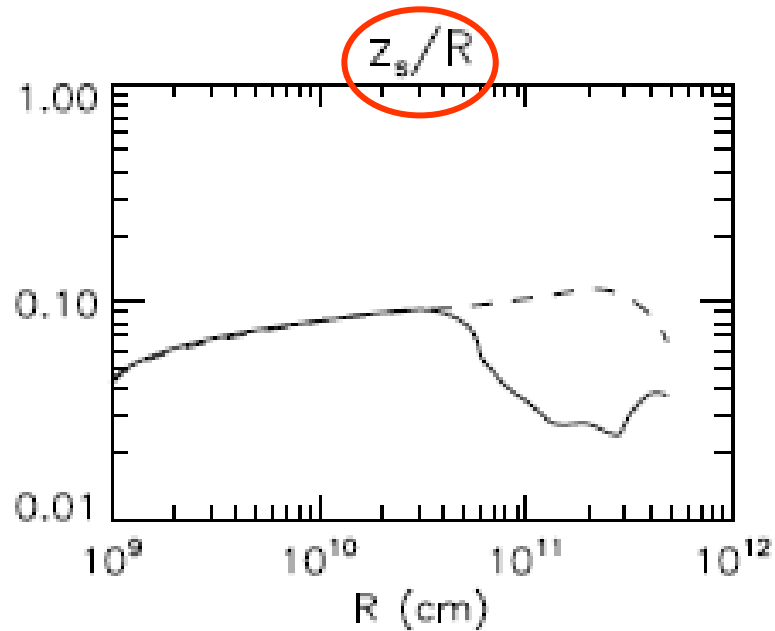
For $\tau_{\text{tot}} \gg 1$, the temperature at the disc midplane

$$T_c^4 \equiv T^4(\tau_{\text{tot}}) = \frac{3}{8} \tau_{\text{tot}} T_{\text{eff}}^4 + T_{\text{irr}}^4$$

For the vertical structure to be dominated by irradiation:

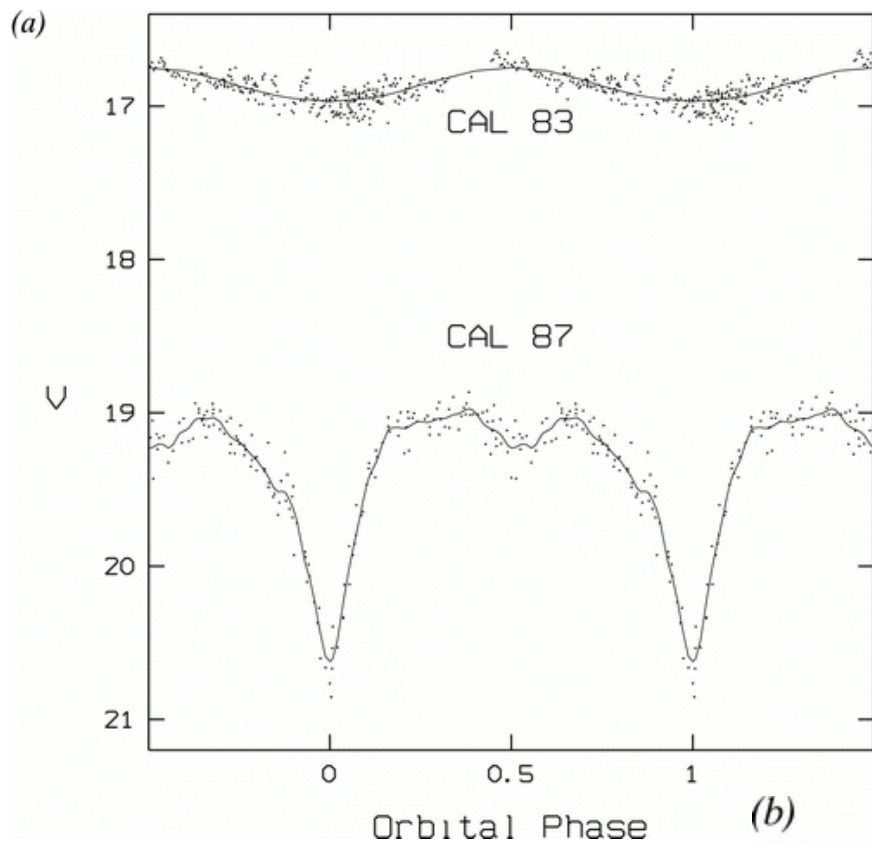
$$\frac{F_{\text{irr}}}{\tau_{\text{tot}}} \equiv \frac{\sigma T_{\text{irr}}^4}{\tau_{\text{tot}}} \gg F_{\text{vis}}$$

Disc's shape

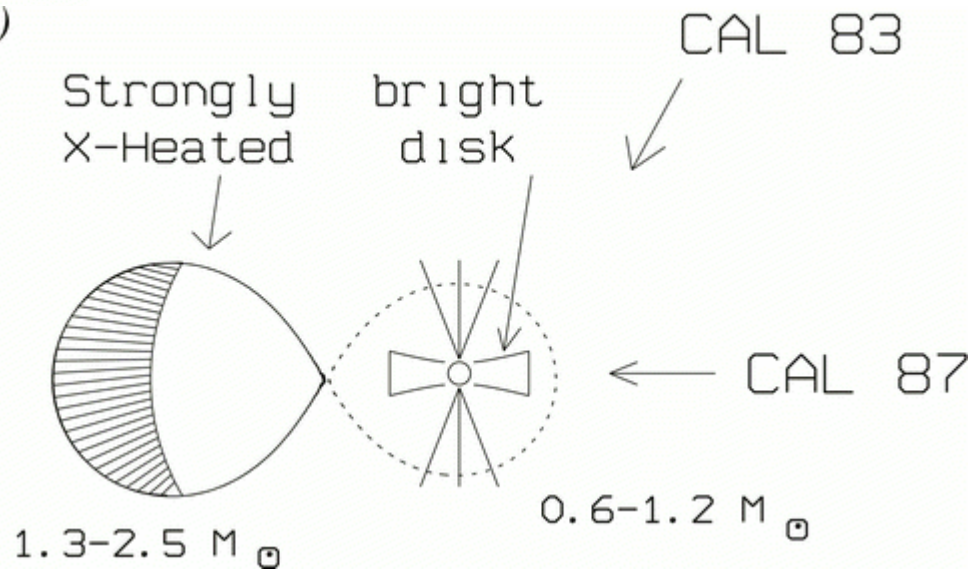


Accretion rate: 1×10^{18} g/s

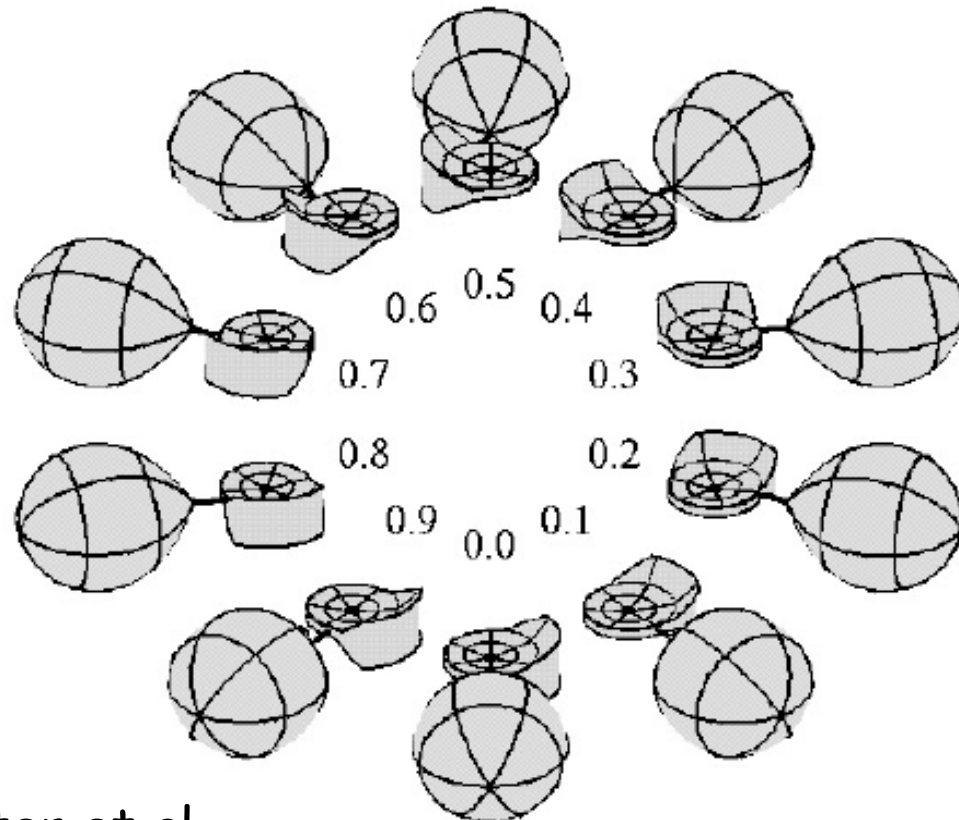
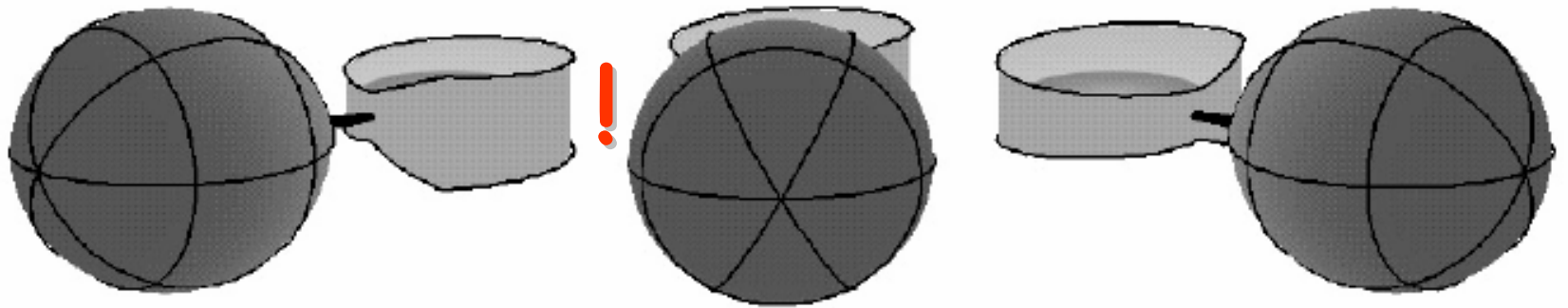
...but this is for a point source, near the WD this is not a valid approximation.



(b)

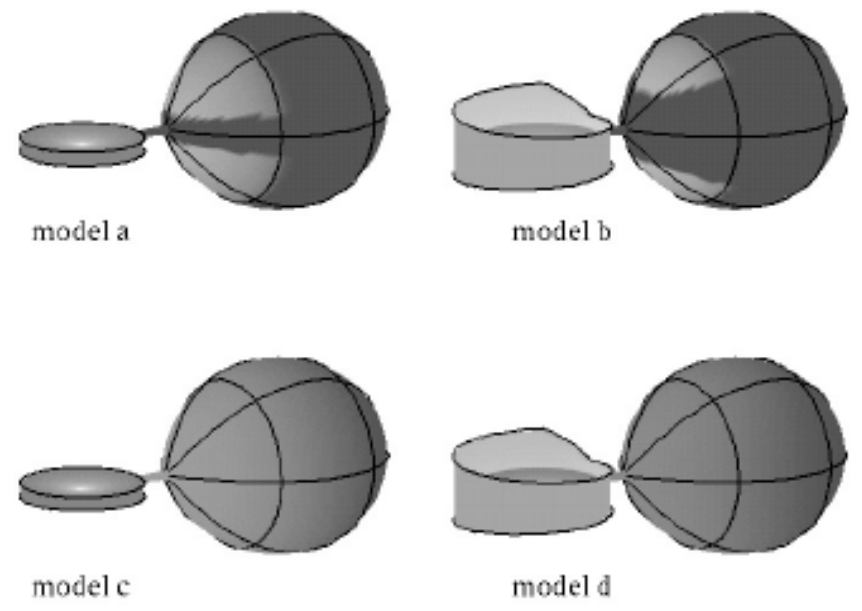
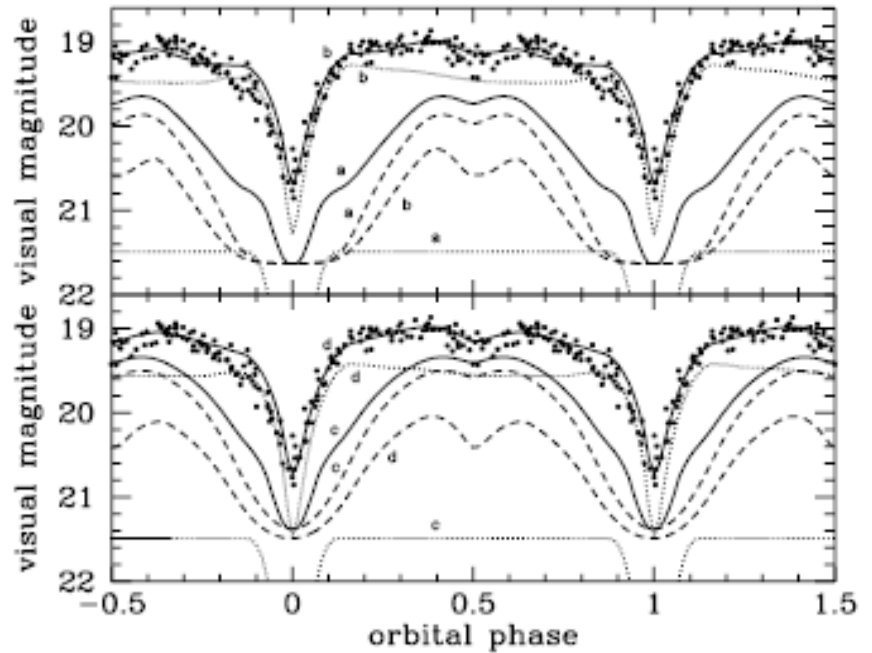


CAL 87



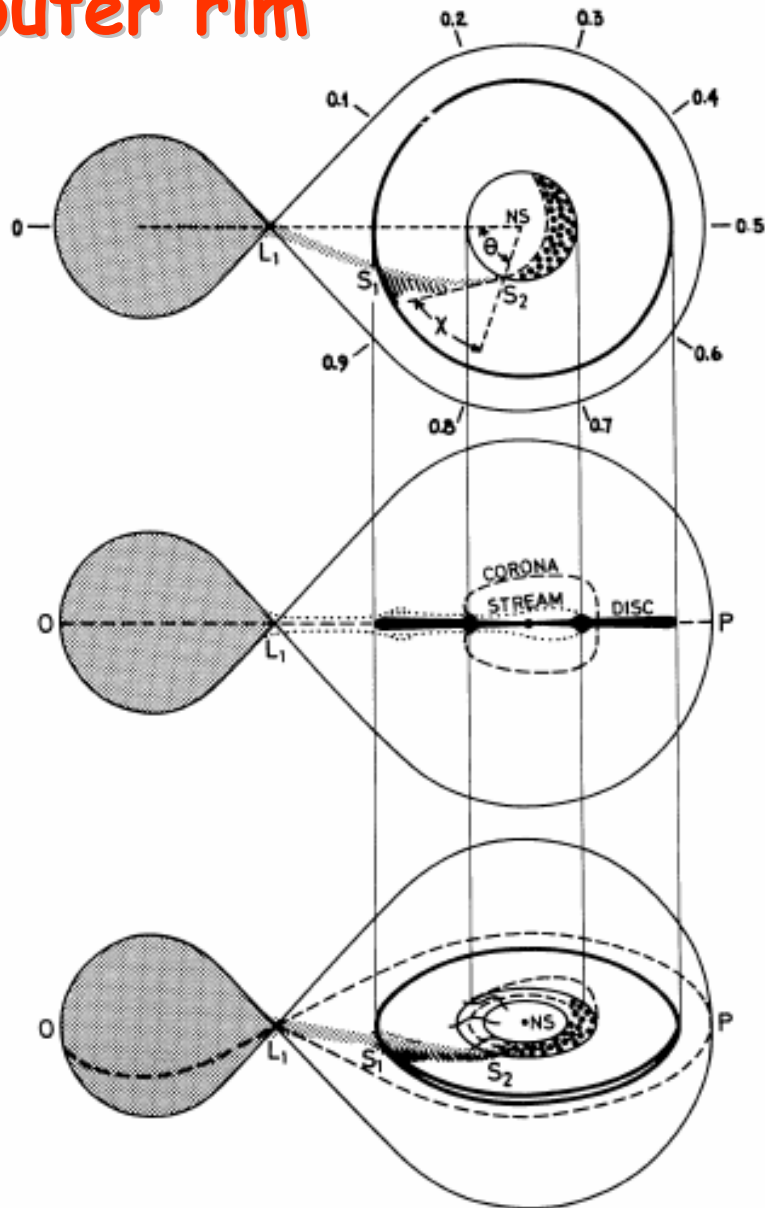
RX J0019

Inspiration: LMXBs



Schandl et al.

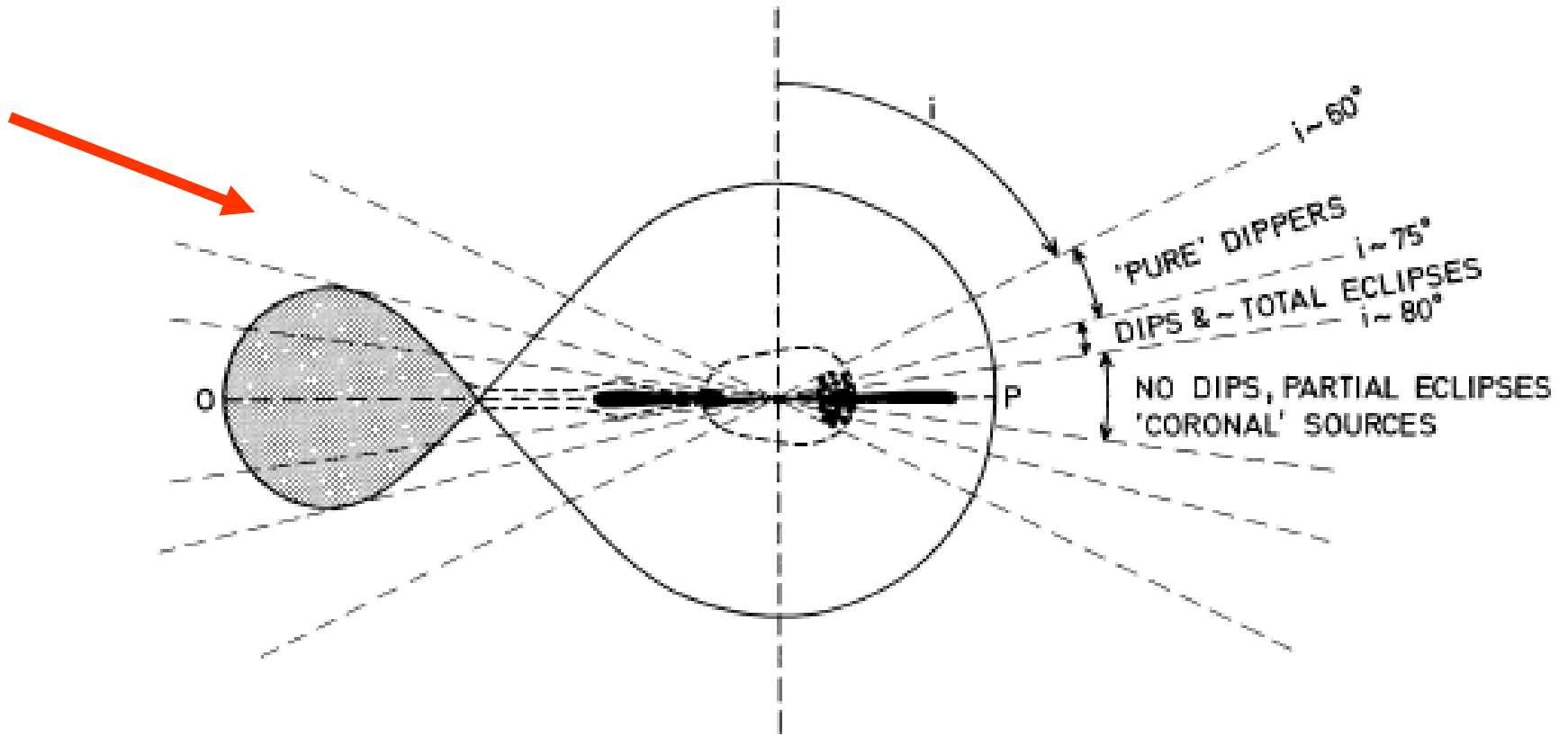
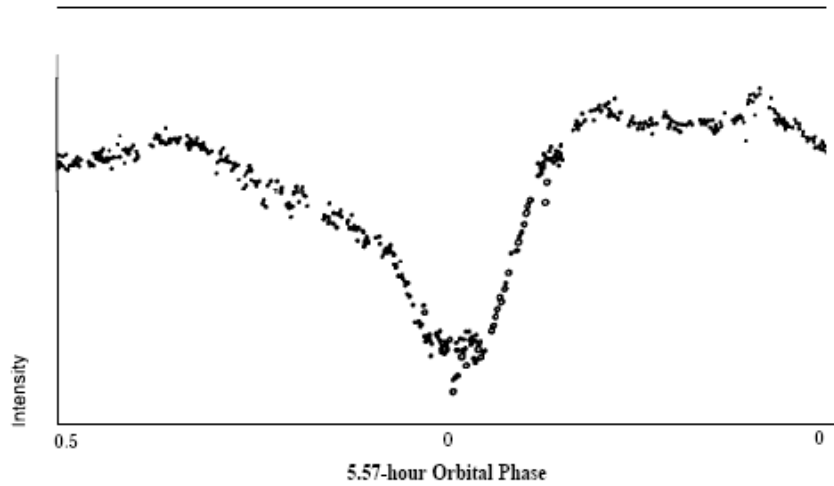
Alternative to skyscrapers at the disc outer rim



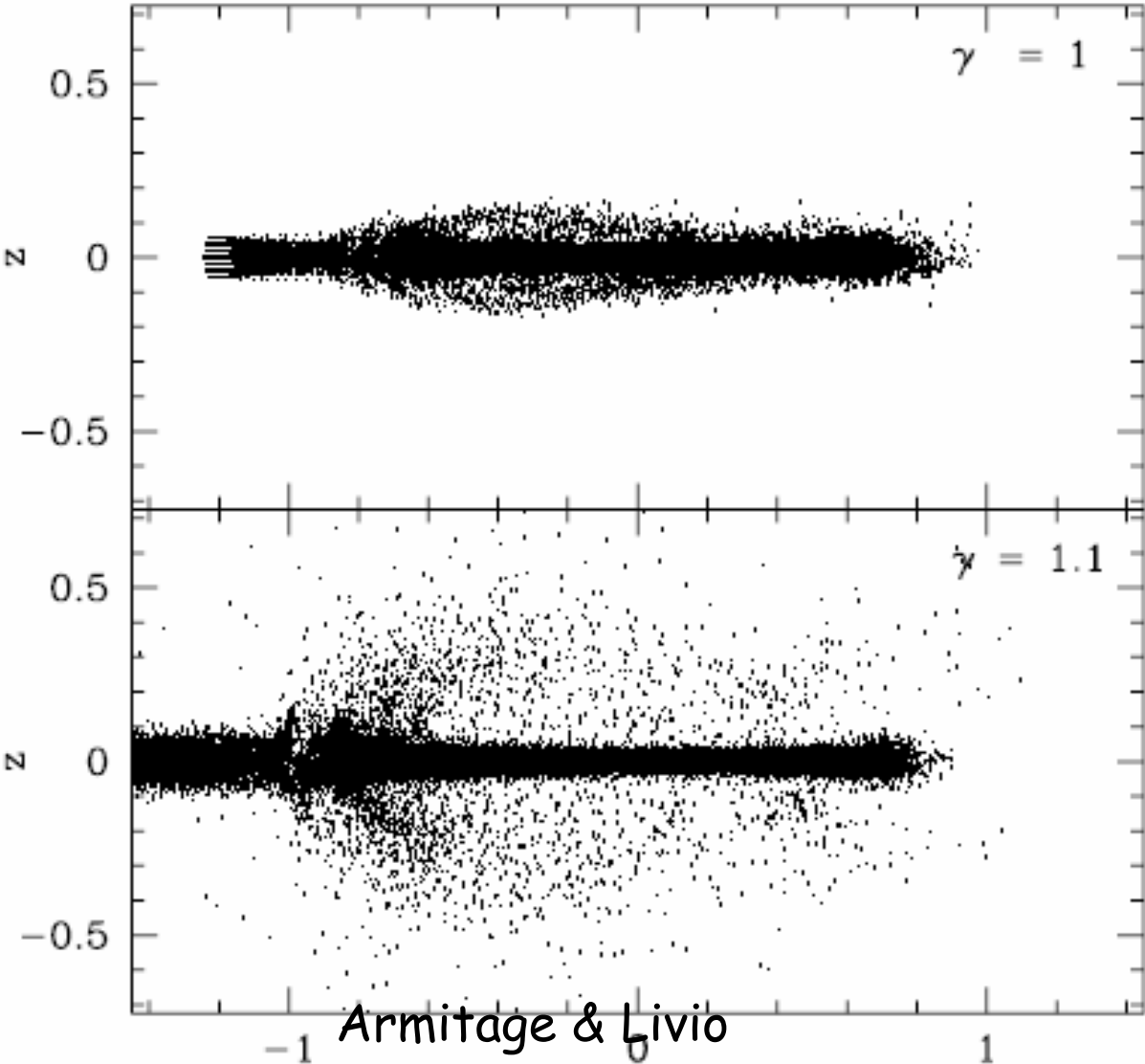
LMXBs

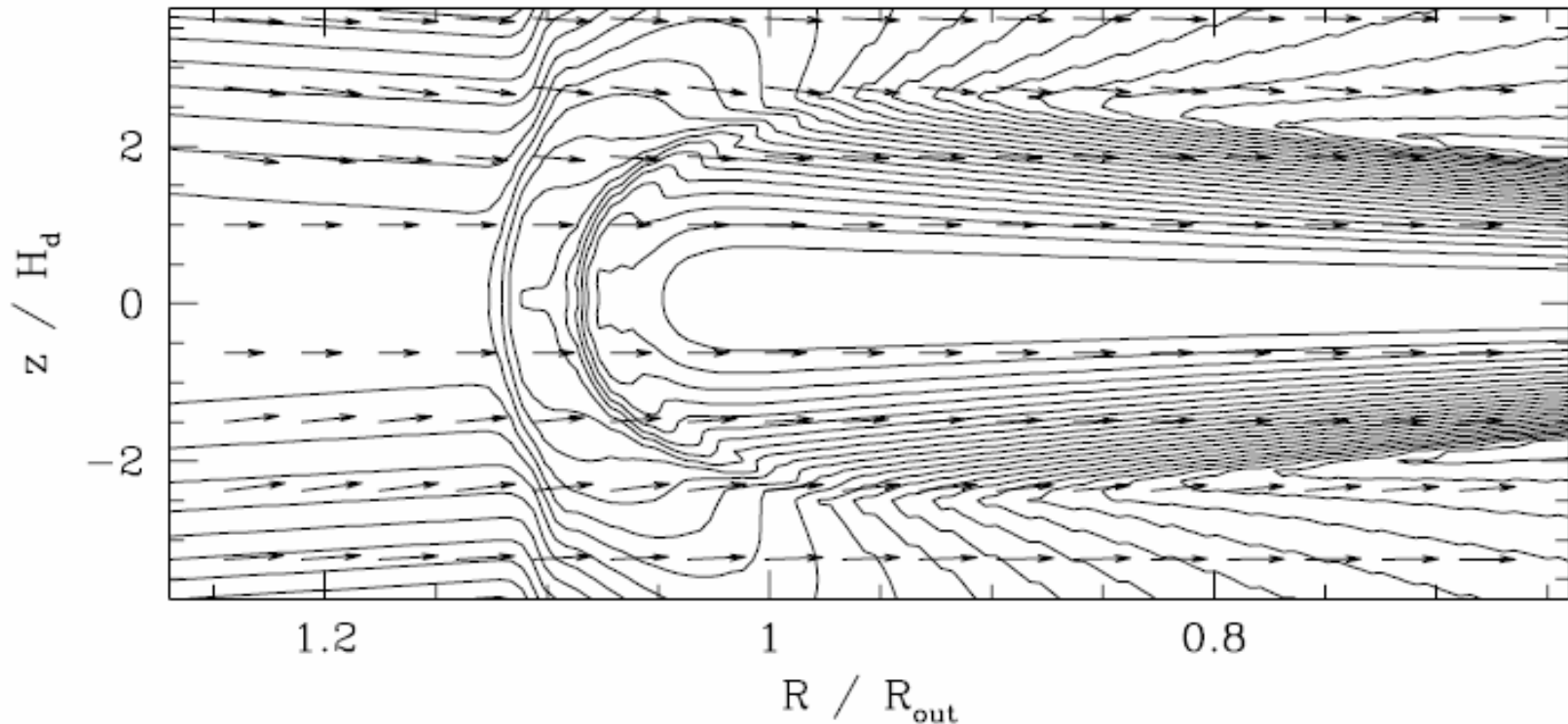
Frank, King & Lasota

Would this work for SSSS ?



Simulations of the stream-disc interaction





But according to T. Marsh & Co. in quiescent U Gem: no sign of overflow
but **$H/R \sim 0.15 - 0.25$!!!**

Conclusions:

1. SSSS discs can be (and will be) treated with the present thin-disc "technology"
2. Outer rim problem non-trivial & controversial
3. Big problem: WINDS from discs