

The hidden harmony is better than the obvious one.

Heraclitus

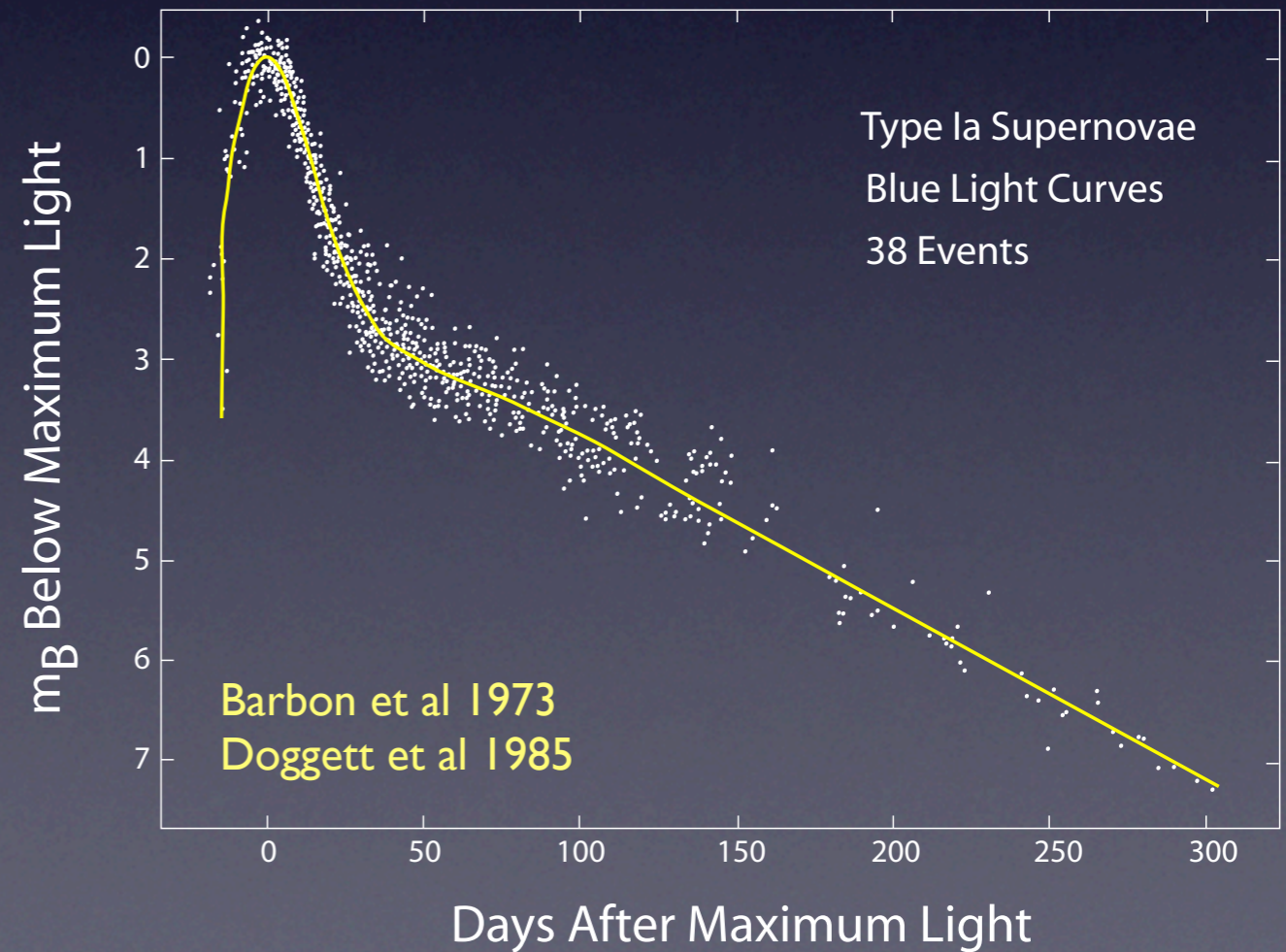
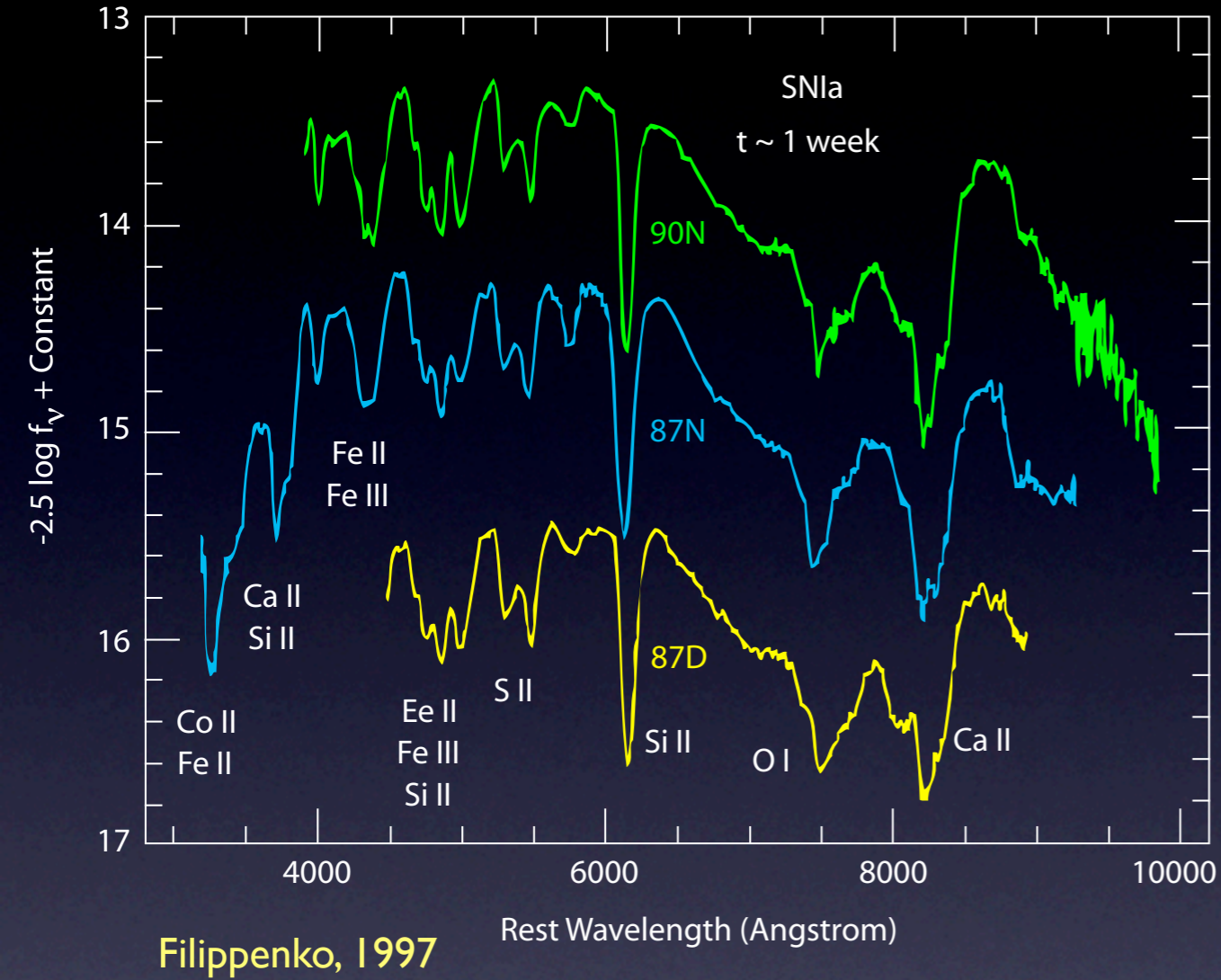
On Variations in the Peak Luminosity of Type Ia Supernovae

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An outline of this talk on thermonuclear supernovae

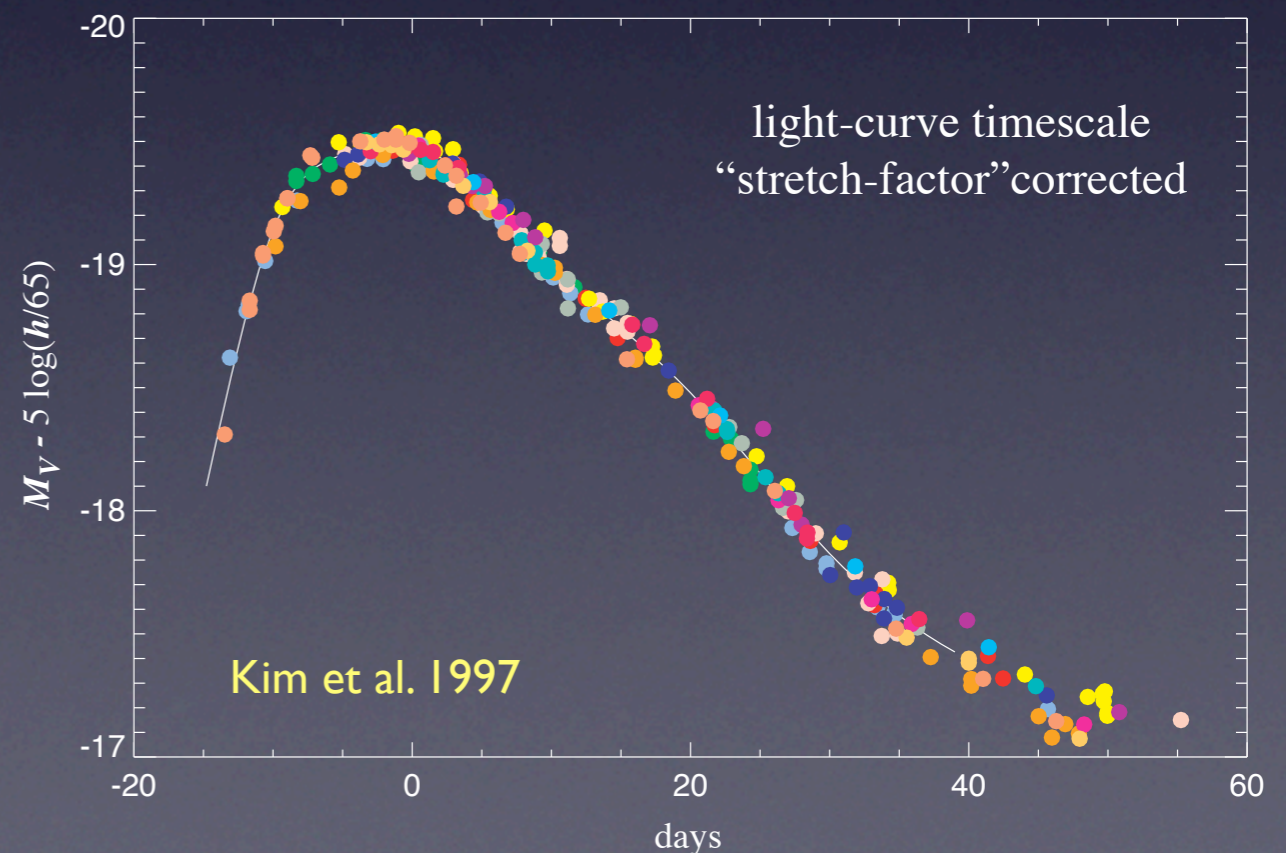
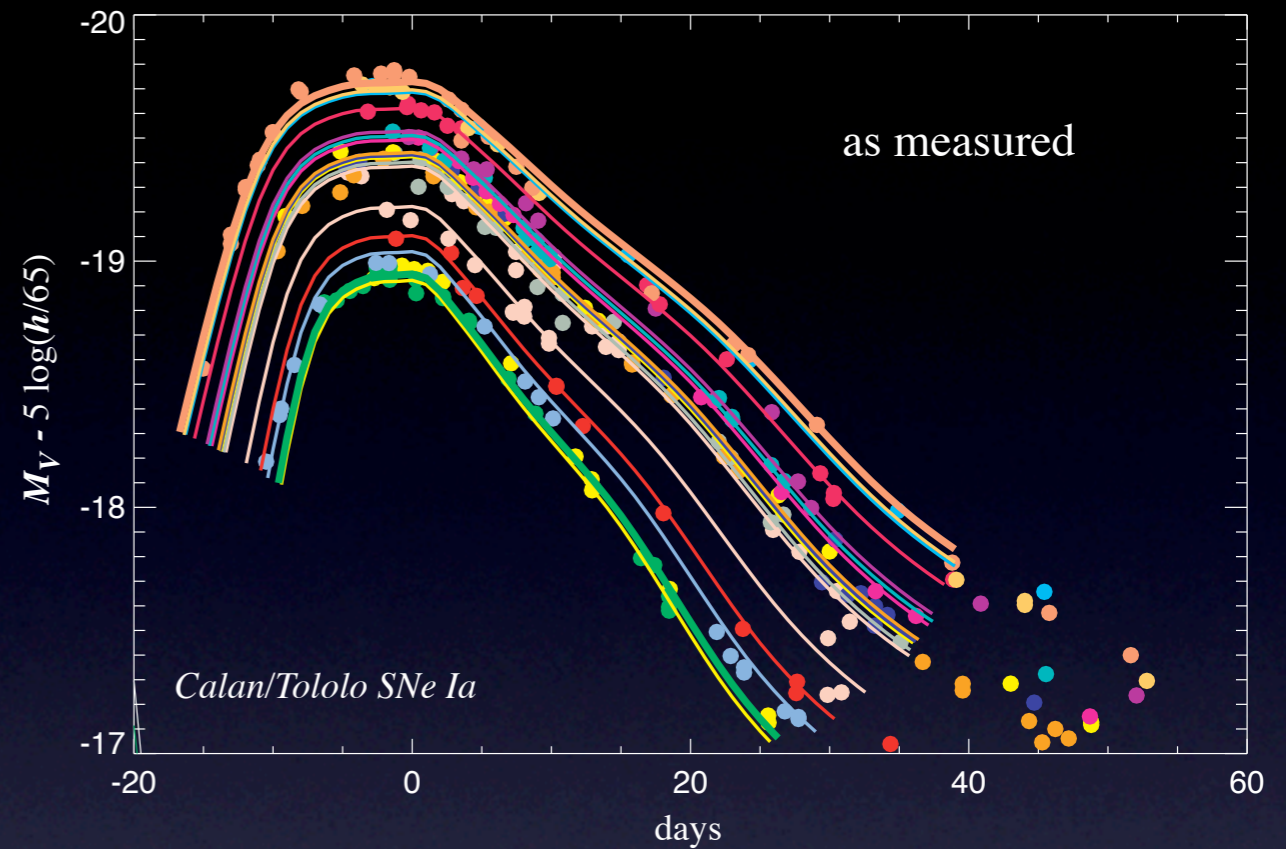
- A few observations
- Why the intrinsic scatter?
- Tracking the proton/neutron ratio
- Some new results

The spectra and light curves near peak light are similar.

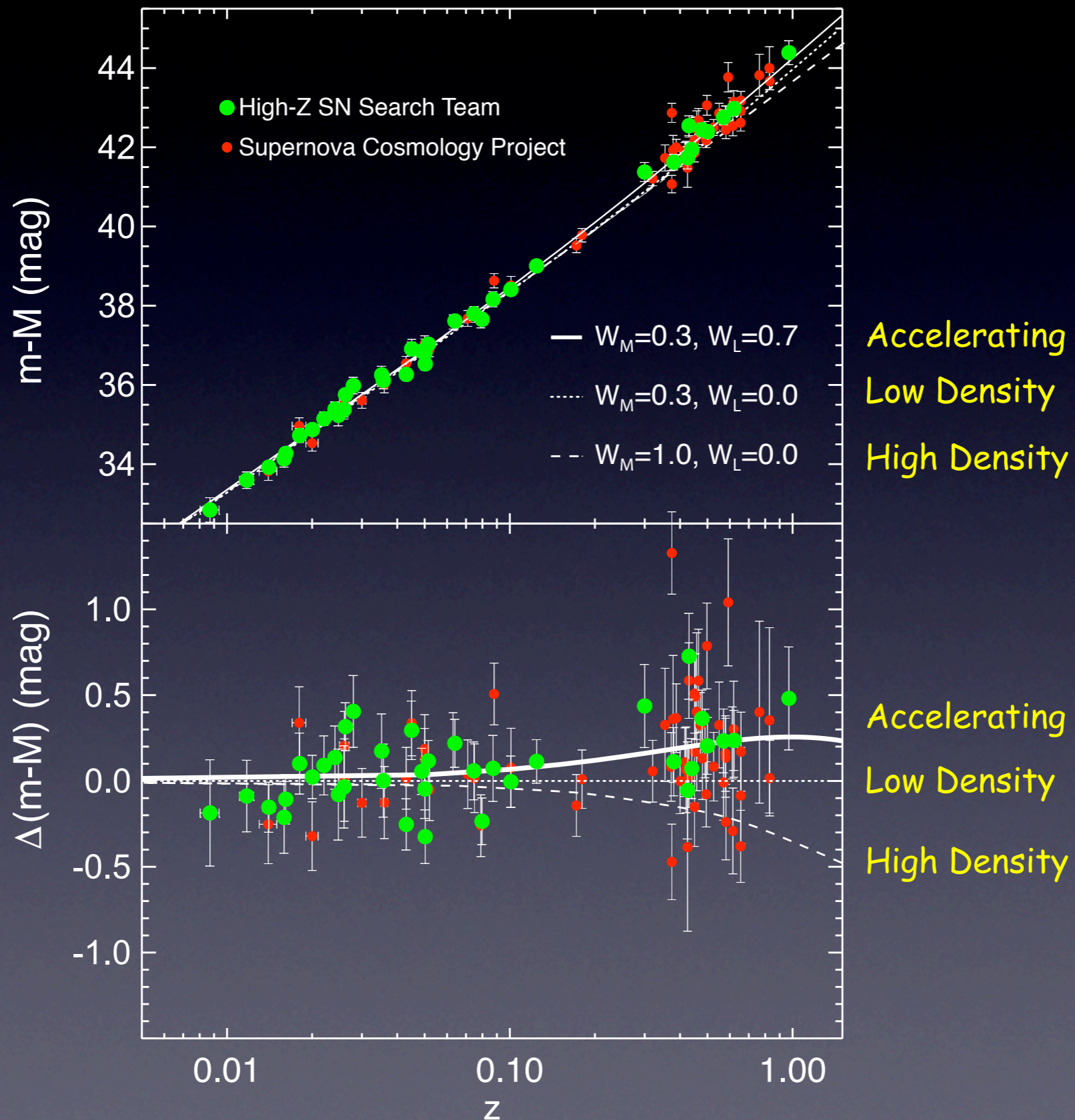


Brighter light curves are broader.

- The Phillips relation compensates for the variation in peak luminosity to give a standard candle.
- This makes the peak luminosity a function of a single parameter: e.g., the width of the light curve or the mass of ^{56}Ni ejected.

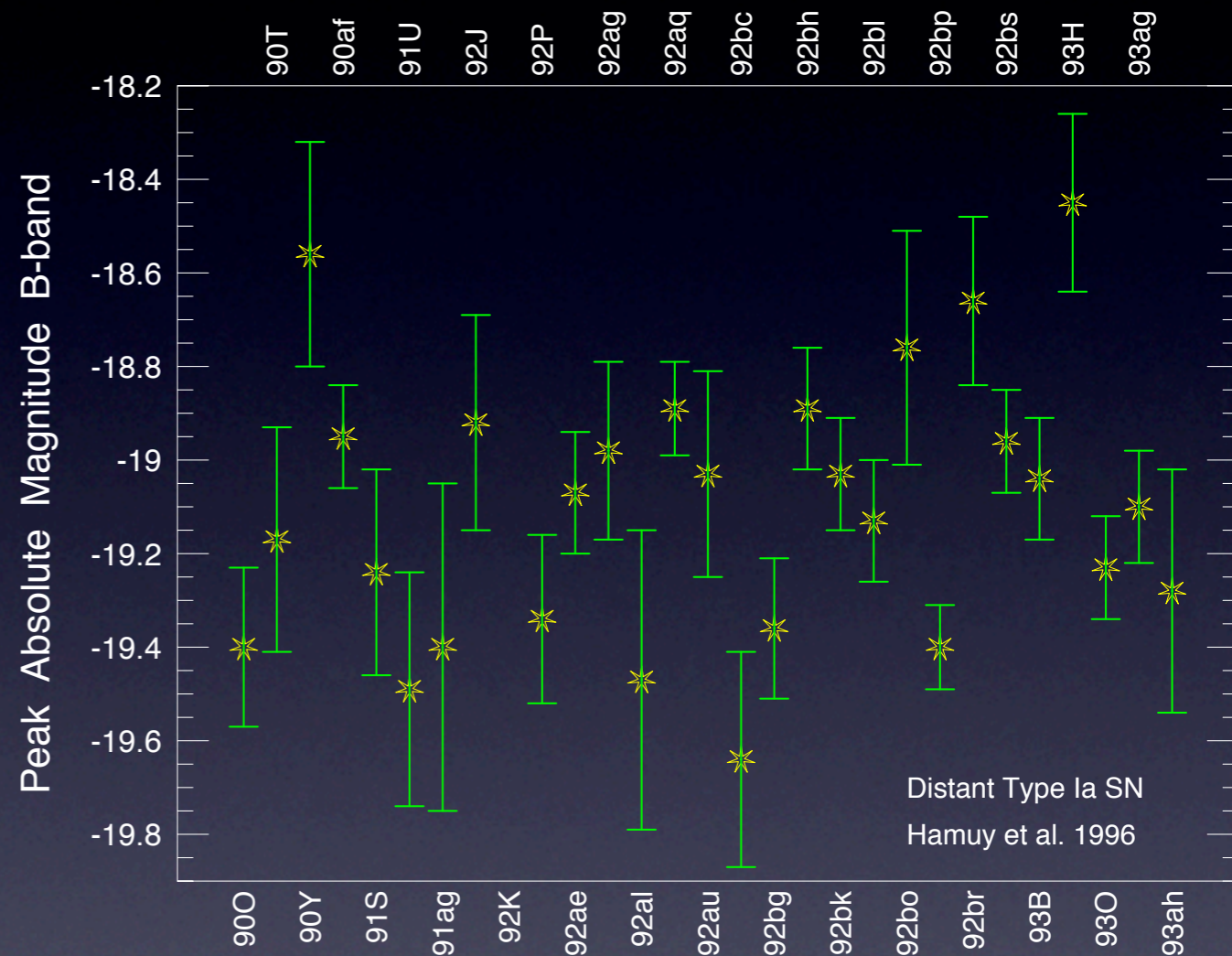
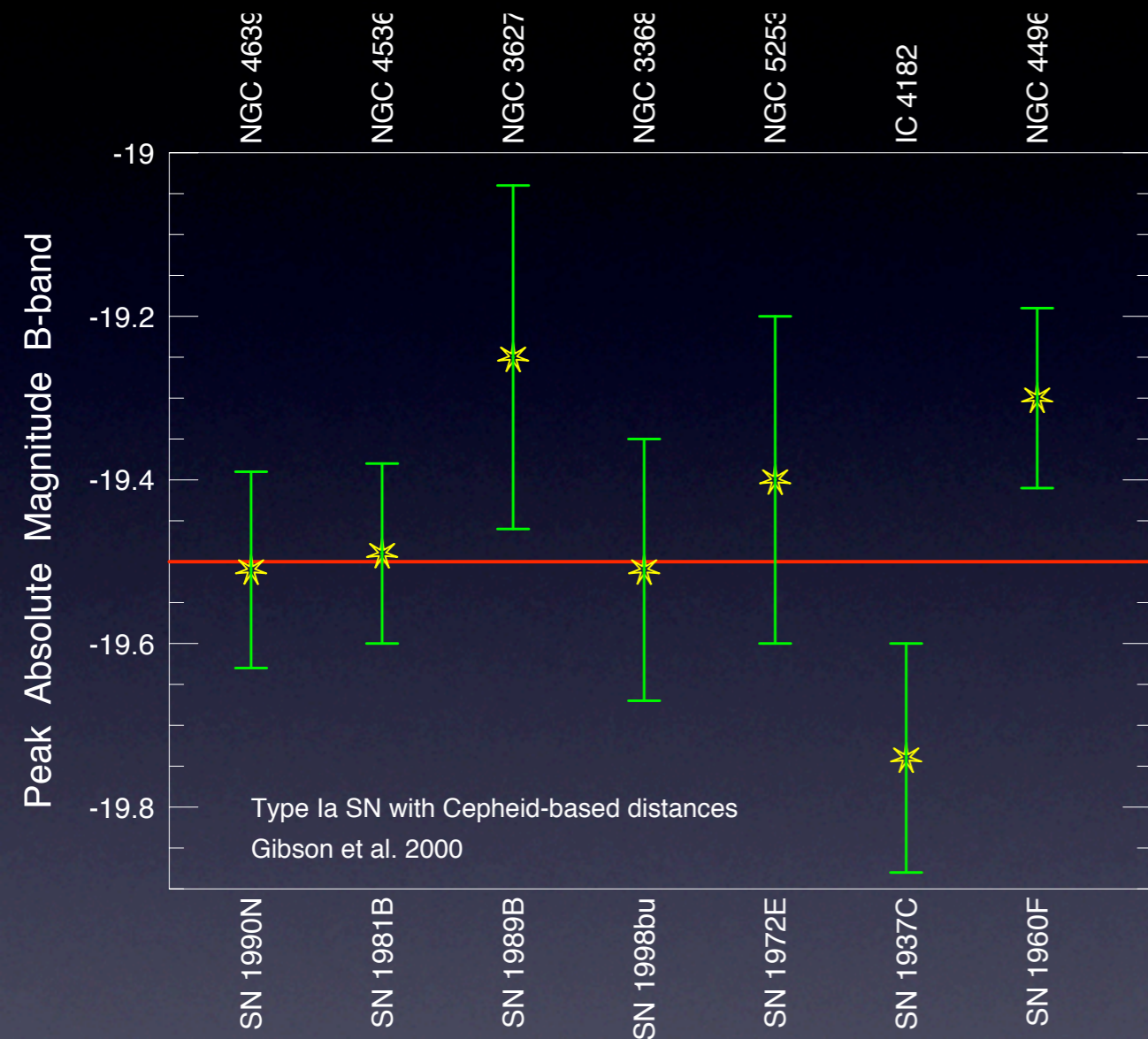


Dimmer than the template is interpreted as evidence an accelerating universe.



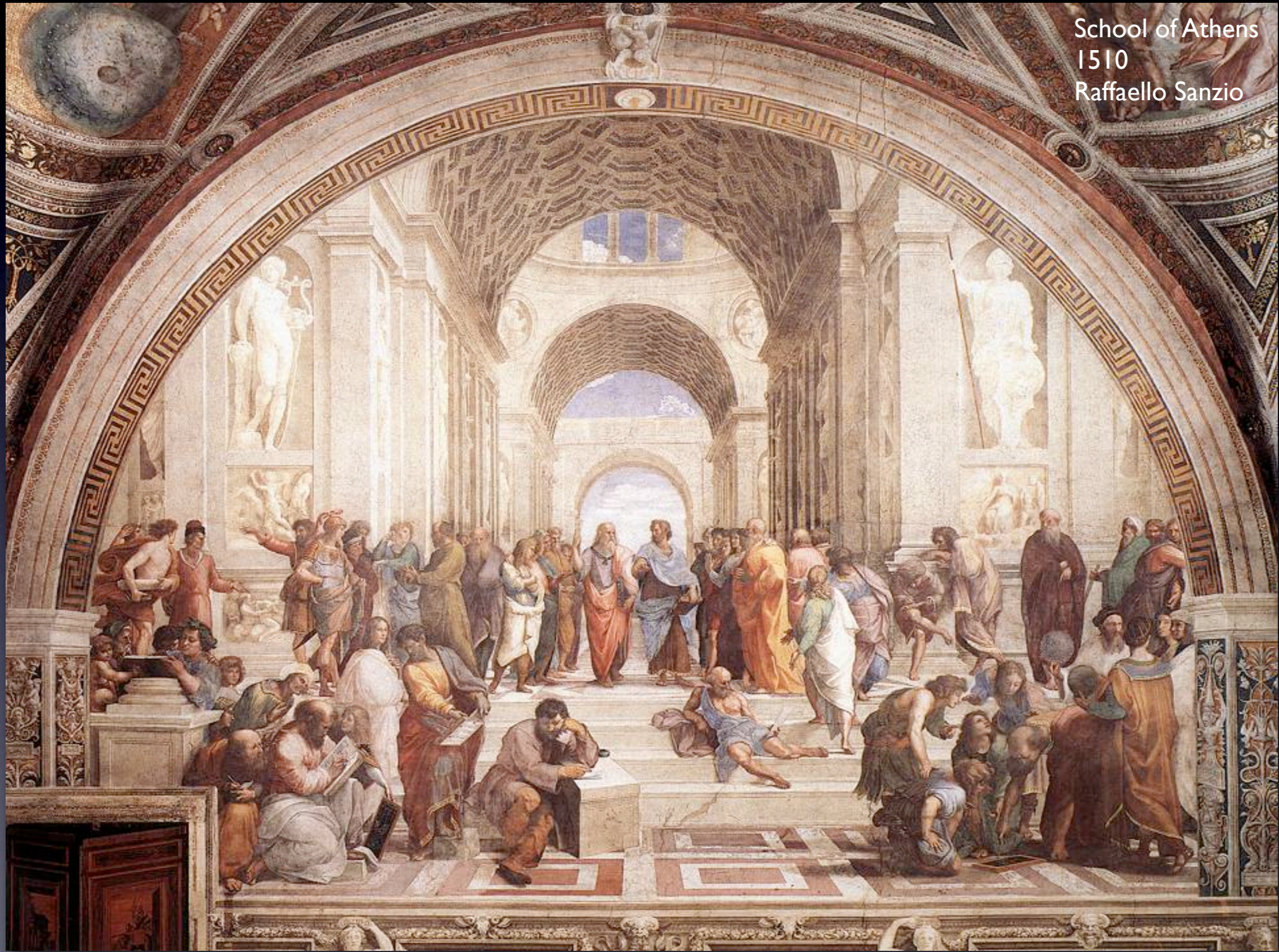
Riess et al. 1998

For nearby supernovae, the intrinsic variation in peak magnitude is ~ 0.5 in the B and V bands.



For more distant events, there are several sub-luminous events which broaden the variation to about 1 magnitude in B.

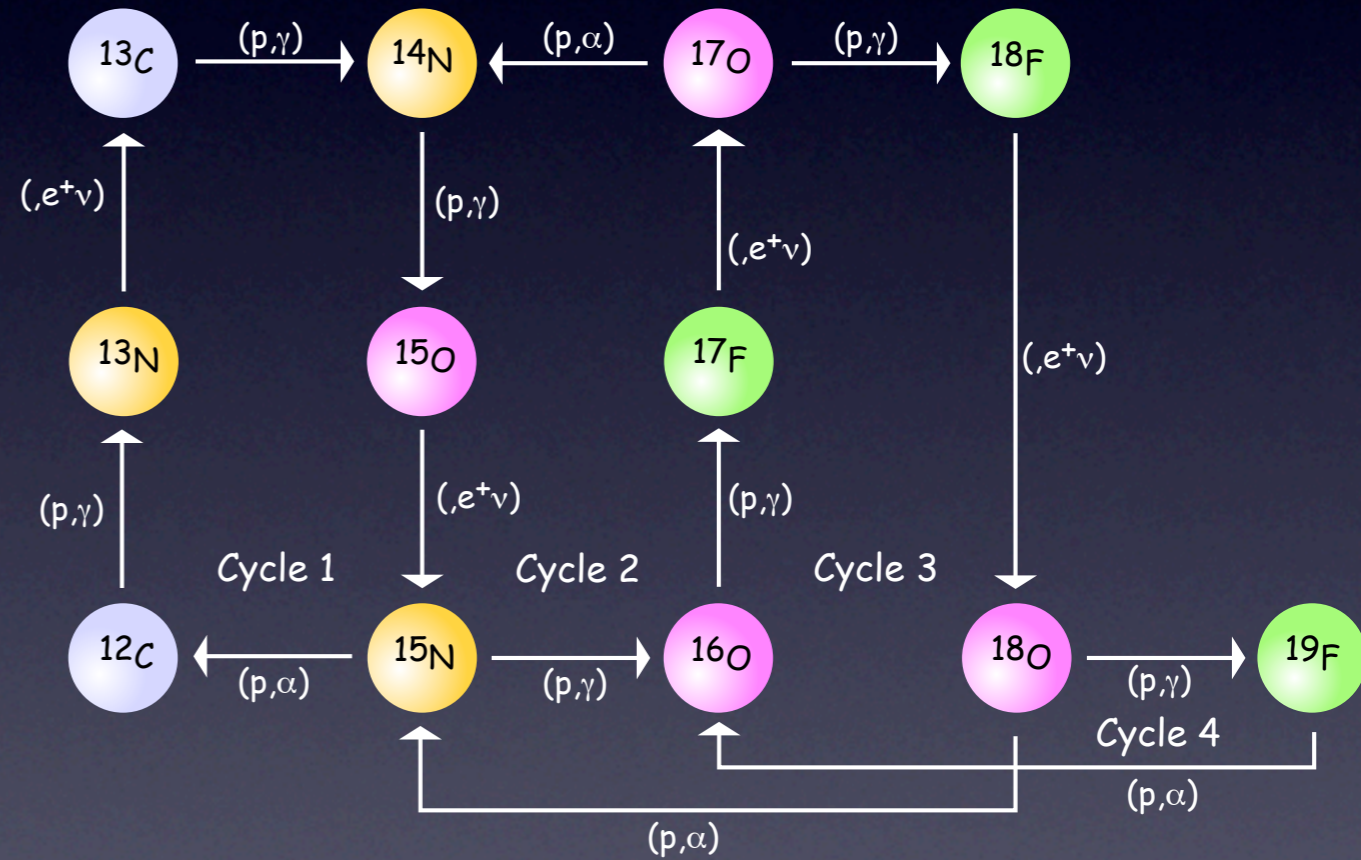
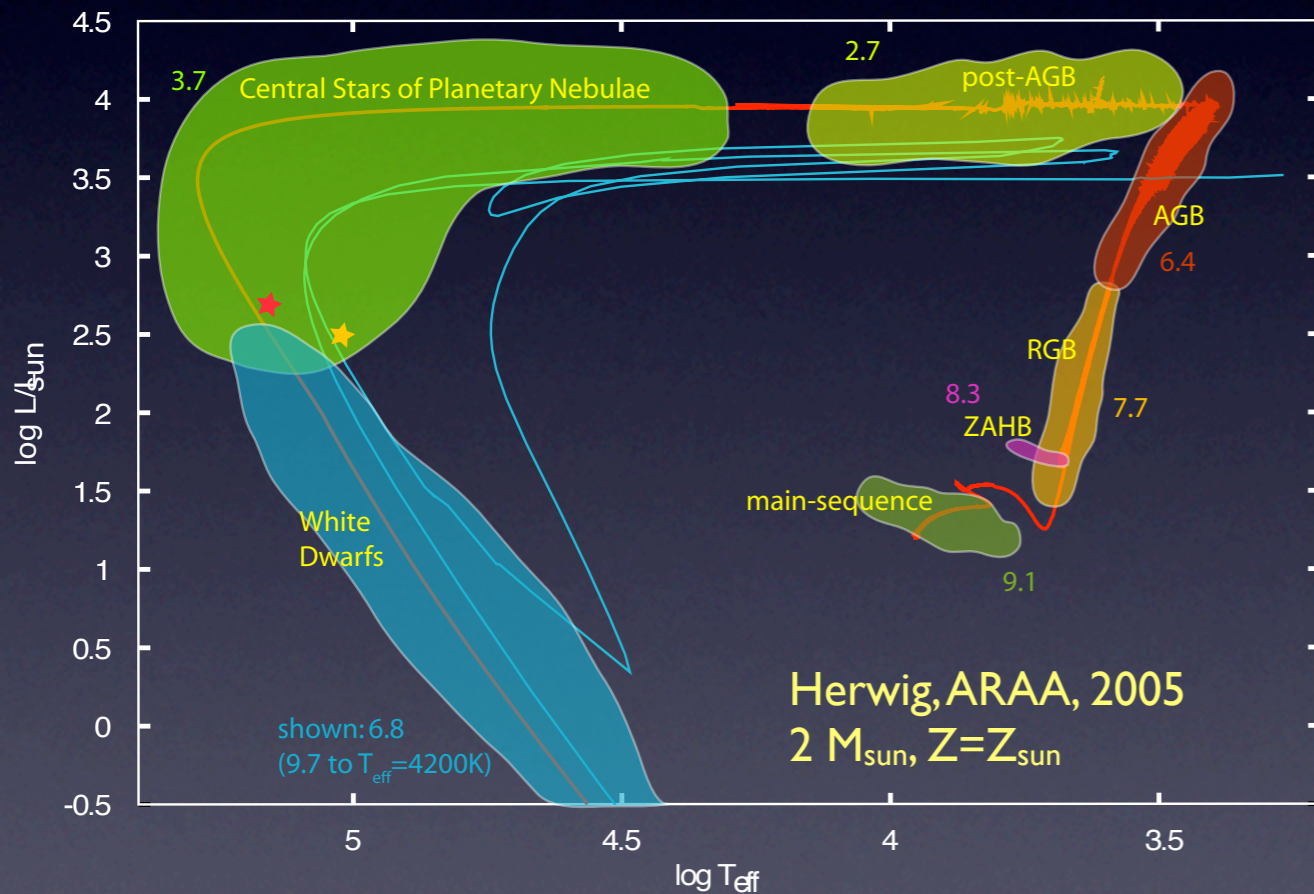
Let's re-explore the idea that variations in the peak luminosity originate in part from a scatter in the metallicity of the main-sequence stars that become white dwarfs.



School of Athens
1510
Raffaello Sanzio

Most of a main-sequence star's initial metallicity comes from the CNO and ^{56}Fe nuclei inherited from its ambient interstellar medium.

The slowest step in the hydrogen burning CNO cycle is $^{14}\text{N}(p,\gamma)$. All the CNO piles up at ^{14}N when hydrogen burning is done.



During helium burning all of the ^{14}N is converted into ^{22}Ne by $^{14}\text{N}(\alpha,\gamma)^{18}\text{F}(\beta^+, \nu_e)^{18}\text{O}(\alpha,\gamma)^{22}\text{Ne}$.

Mass and charge conservation set the white dwarf's ^{22}Ne mass fraction and neutron enrichment

$$\sum_{i=1}^n X_i = 1 \quad Y_e = \sum_{i=1}^n \frac{Z_i}{A_i} X_i$$

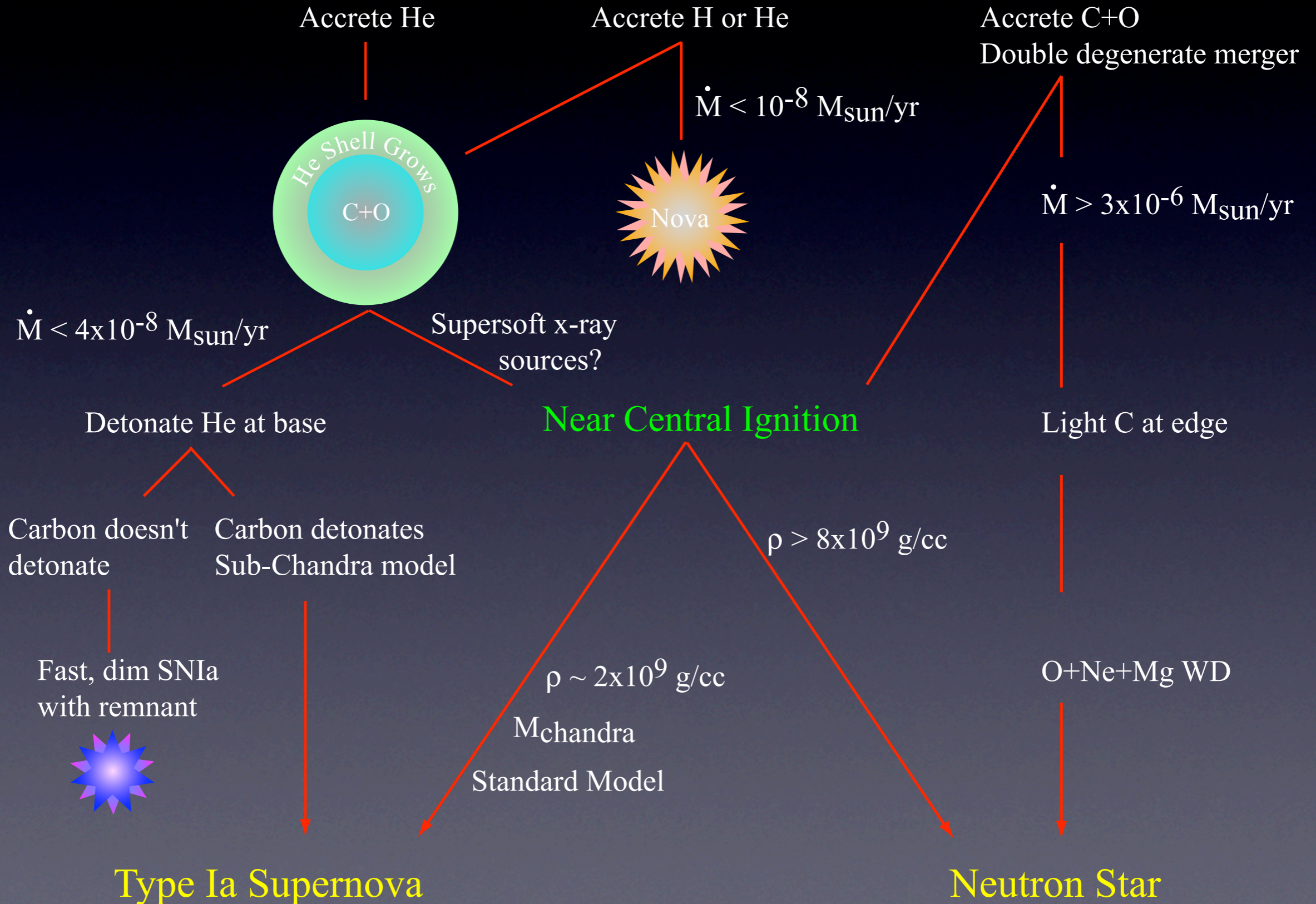
$$X(^{22}\text{Ne}) = 22 \left[\frac{X(^{12}\text{C})}{12} + \frac{X(^{14}\text{N})}{14} + \frac{X(^{16}\text{O})}{16} \right]$$

$$Y_e = \frac{10}{22} X(^{22}\text{Ne}) + \frac{26}{56} X(^{56}\text{Fe}) + \frac{1}{2} [1 - X(^{22}\text{Ne}) - X(^{56}\text{Fe})]$$

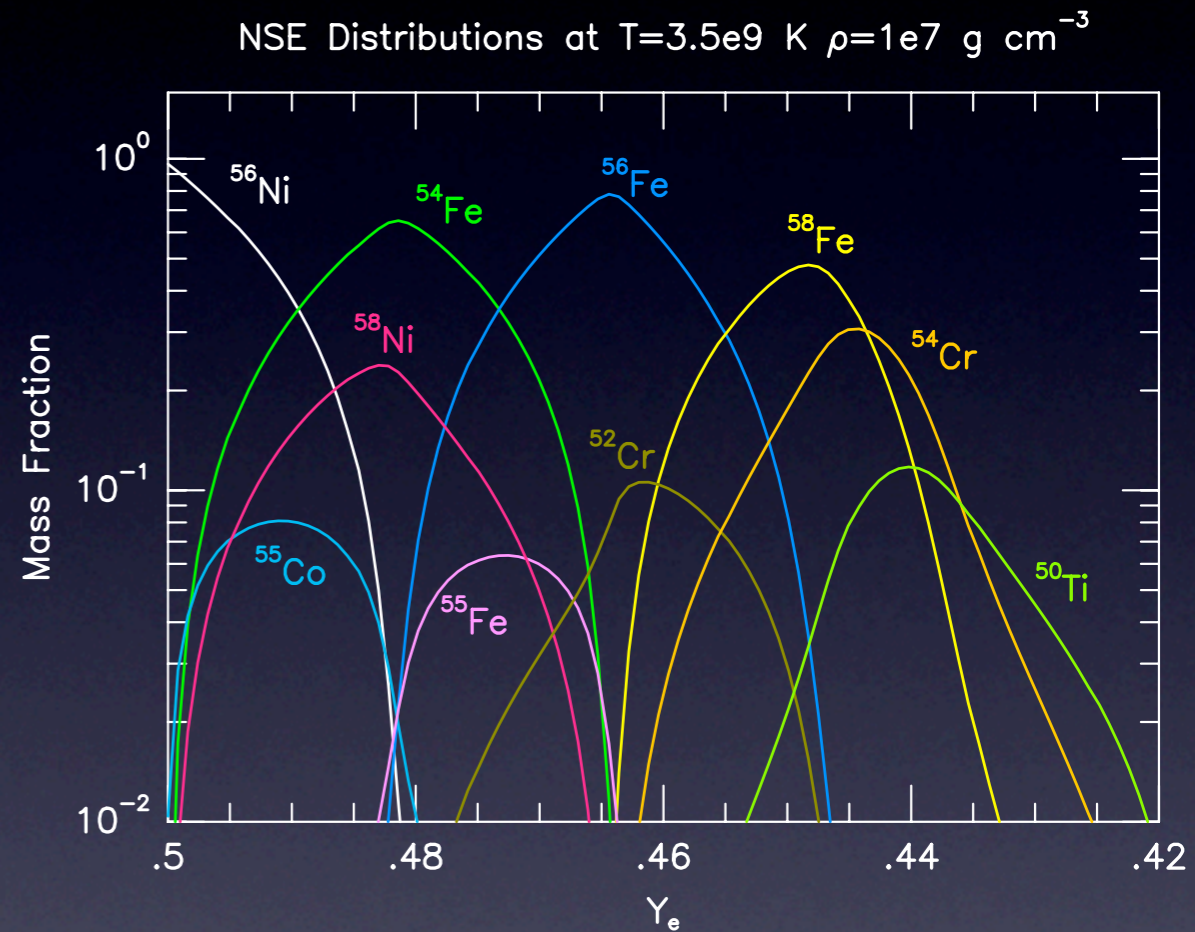
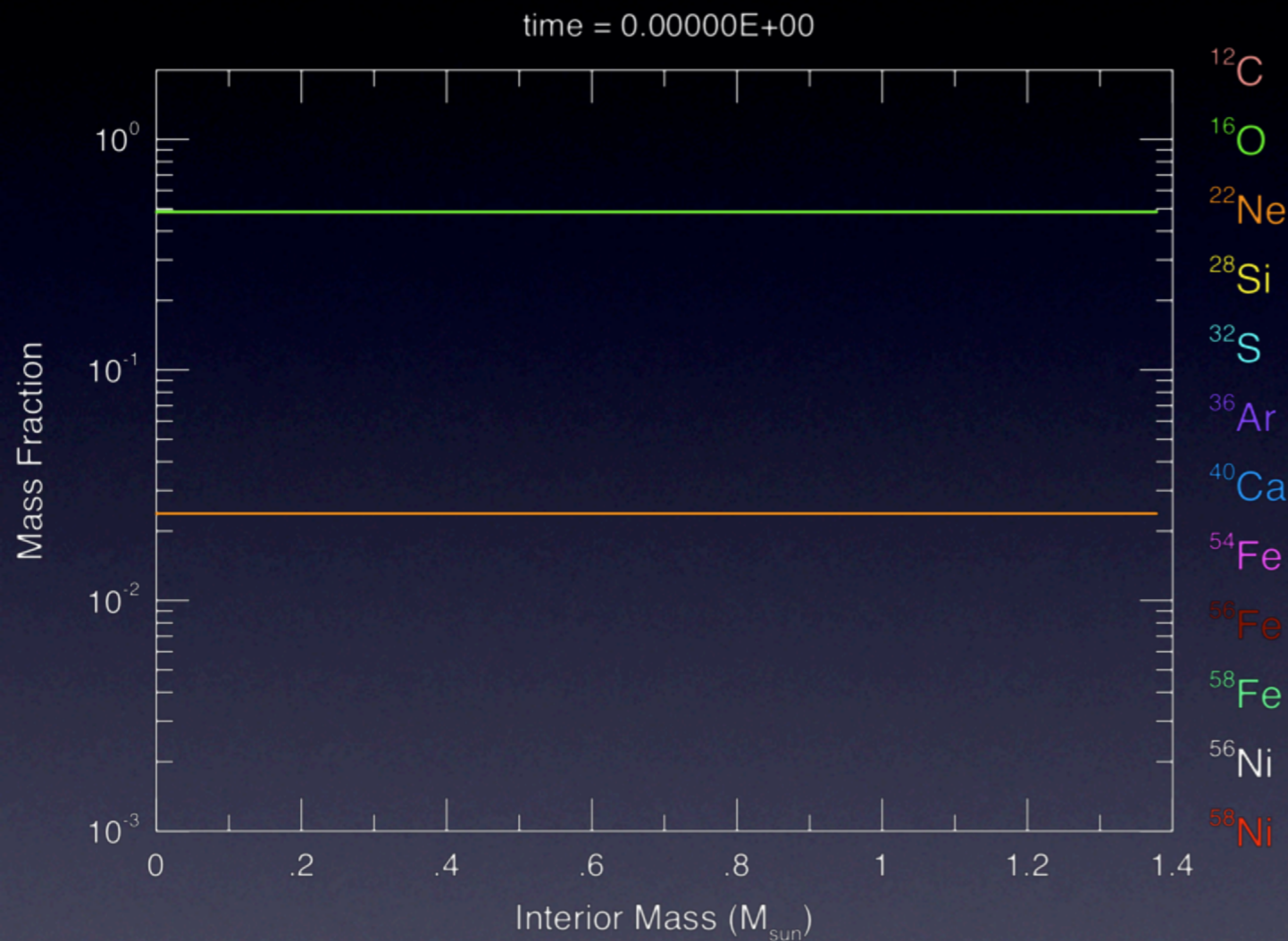
Assuming the ^{22}Ne and ^{56}Fe are uniformly distributed.

We'll assume the standard model of a Type Ia supernova.

Carbon-Oxygen White Dwarf



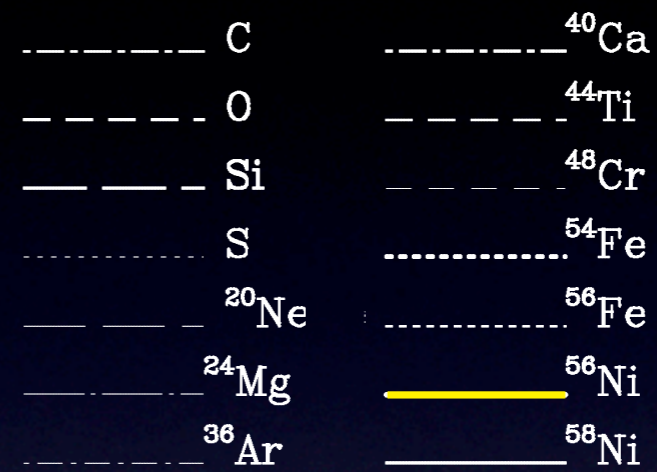
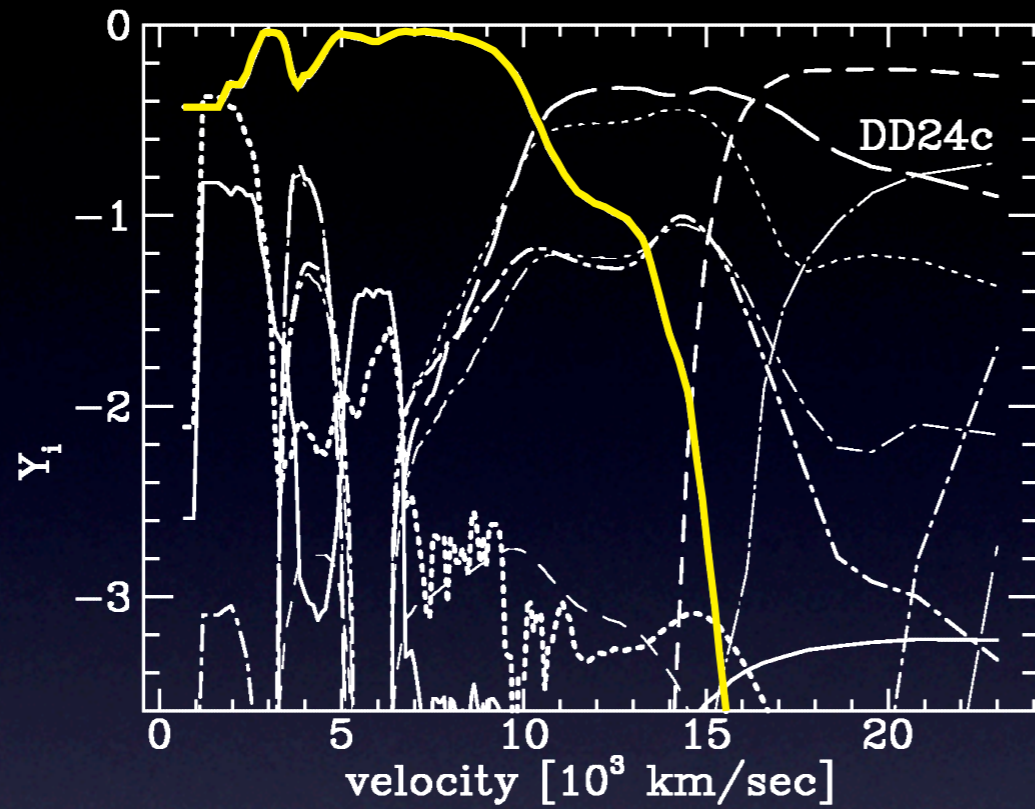
Nearly all such ID models produce most of their ^{56}Ni in a nuclear statistical equilibrium environment between ~ 0.2 and $0.8 M_{\text{sun}}$.



W7, Nomoto et al. 1984

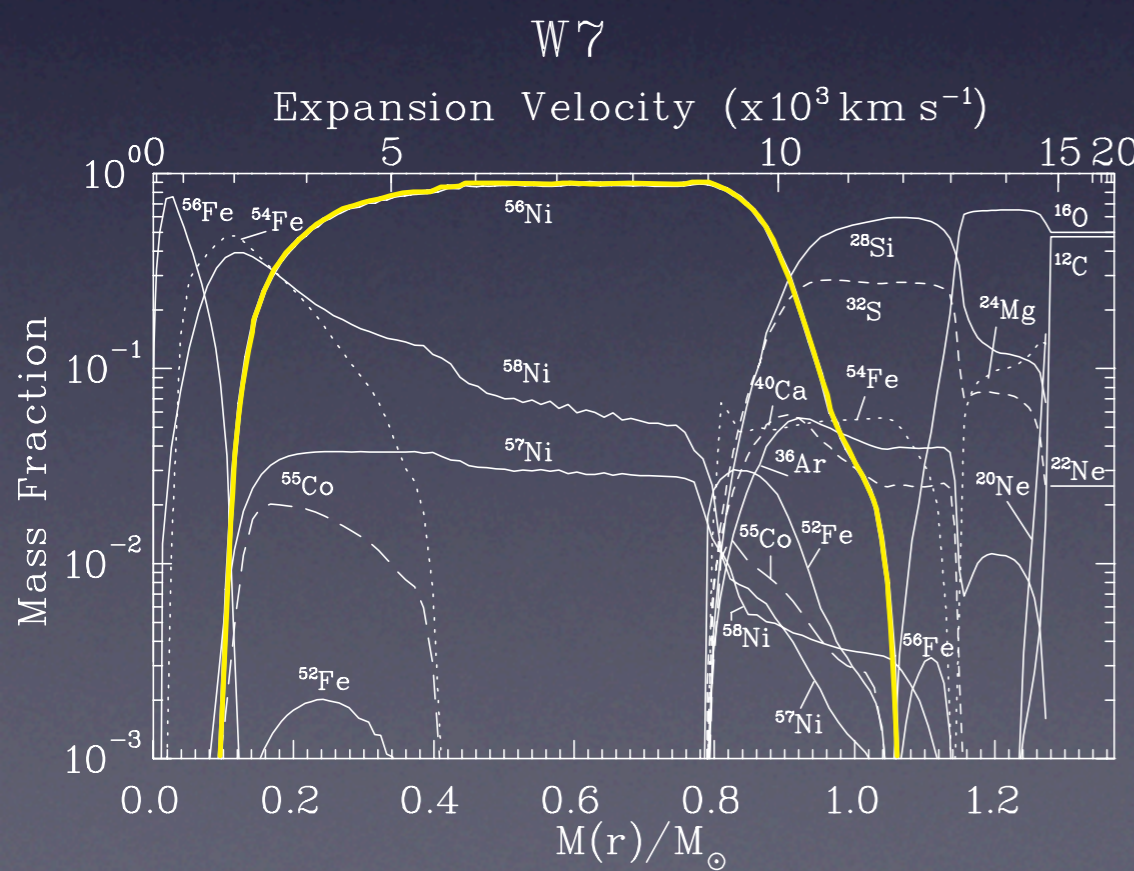
In this region, weak reactions occur on time-scales longer than the time-scale for disruption of the white dwarf.

While many 1D models have sophisticated flame treatments, we want to elucidate physics that are robust to any complicated hydrodynamics.

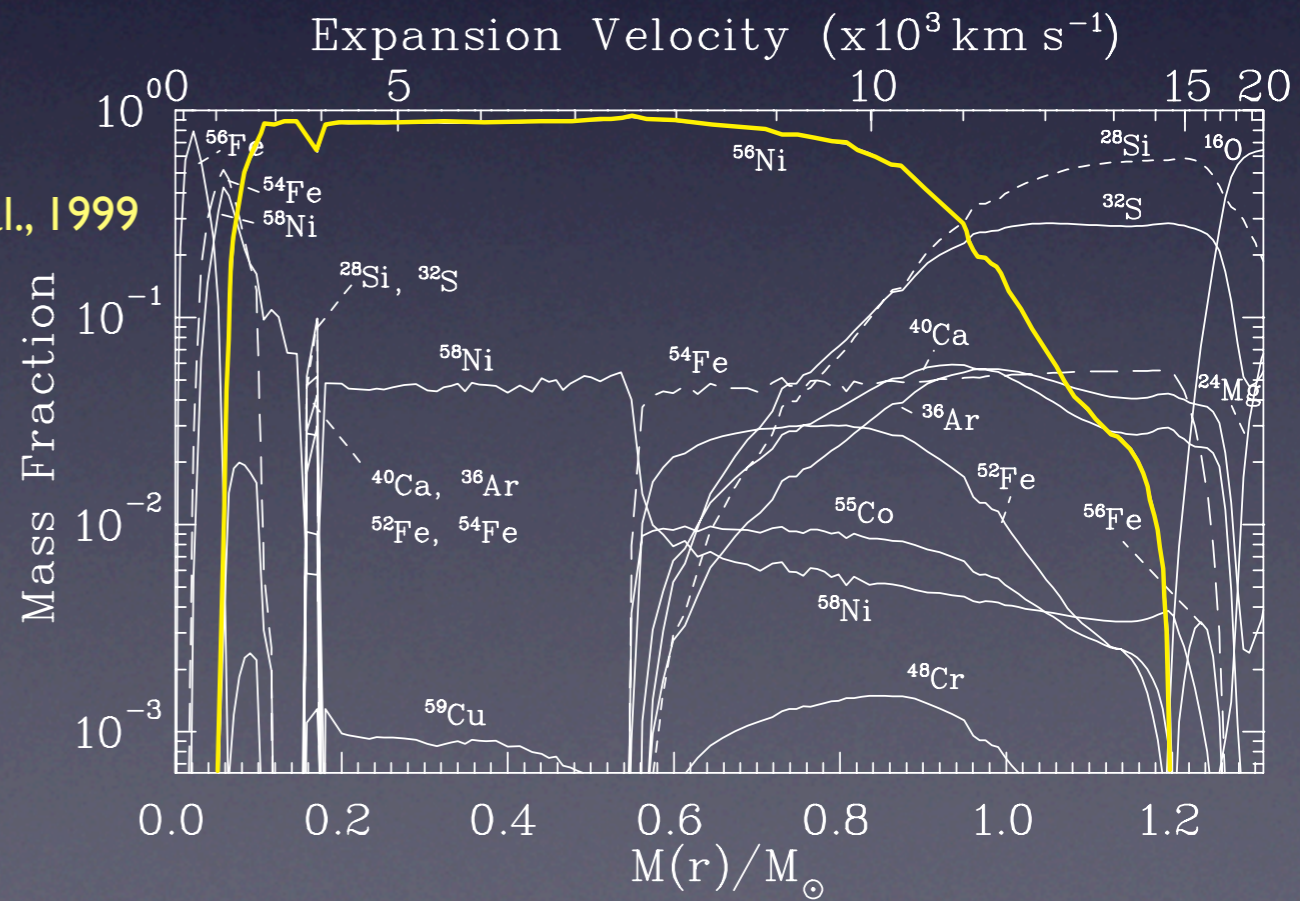


Höflich et al., 1998

WS15DD2



Iwamoto et al., 1999



Consider the case when ^{56}Ni and ^{58}Ni are the only two species in nuclear statistical equilibrium. Mass and charge conservation

$$\sum_{i=1}^n X_i = 1 \quad Y_e = \sum_{i=1}^n \frac{Z_i}{A_i} X_i$$

imply a linear relationship between the mass fraction of ^{56}Ni and Y_e :

$$X(^{56}\text{Ni}) = 1 - X(^{58}\text{Ni}) = 58Y_e - 28$$

We can set this final Y_e equal to the initial Y_e of the white dwarf since weak interactions don't dominant where most of the ^{56}Ni is made.

$$X(^{56}\text{Ni}) = 1 - 0.057 \frac{Z}{Z_{\odot}}$$

The average peak B and V magnitudes of nearby Type Ia events imply $\sim 0.6 M_{\text{sun}}$ of ^{56}Ni is produced. Using this fiducial mass gives

$$M(^{56}\text{Ni}) = \int X(^{56}\text{Ni}) dm \approx 0.6 \left[1 - 0.057 \frac{Z}{Z_{\odot}} \right] M_{\odot}$$

If a third isotope is present, say ^{54}Fe , then Saha-like equations must be solved for the NSE distribution. The net result is a slightly shallower slope

$$M(^{56}\text{Ni}) \approx 0.6 \left[1 - 0.054 \frac{Z}{Z_{\odot}} \right] M_{\odot}$$

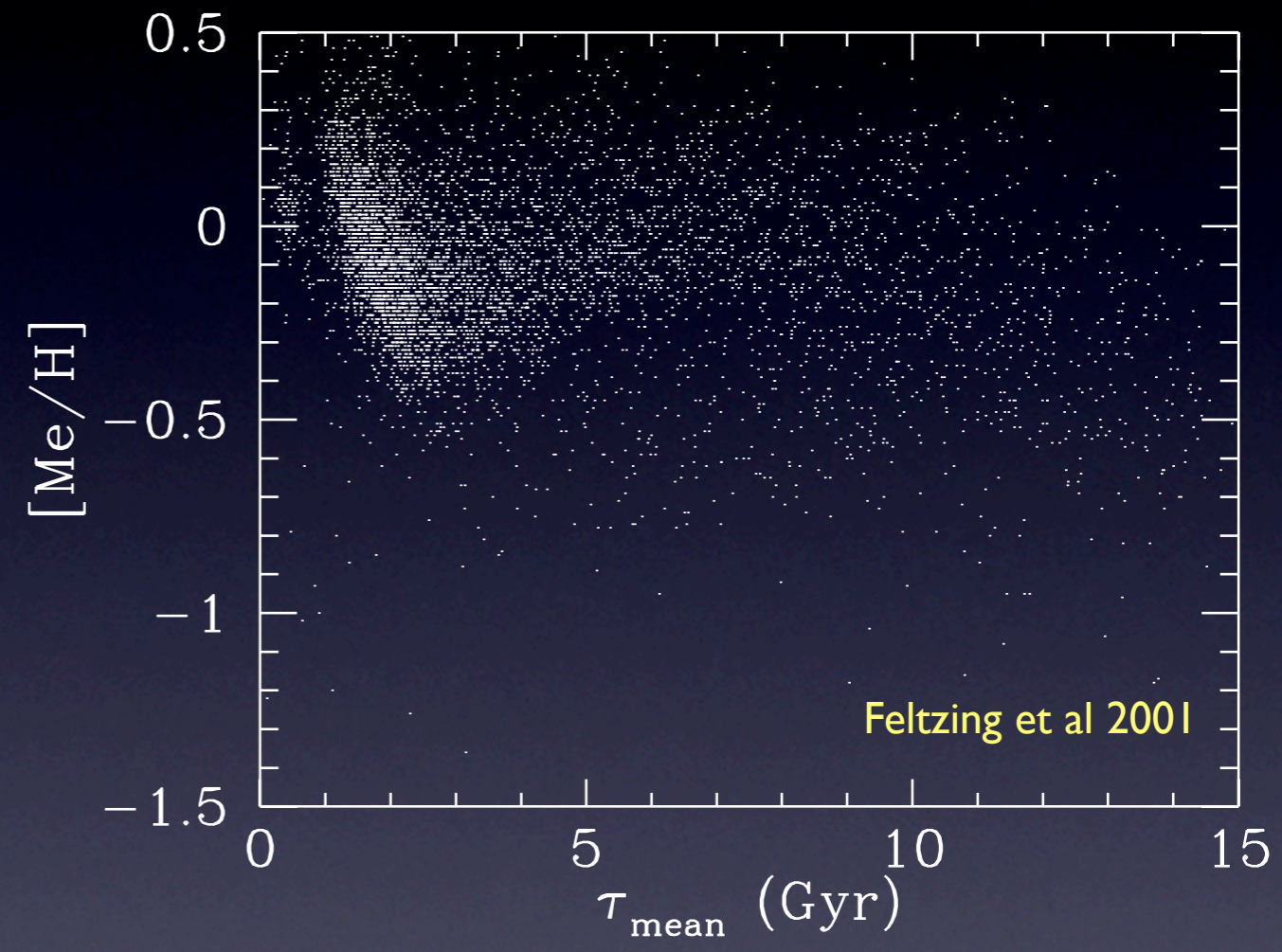
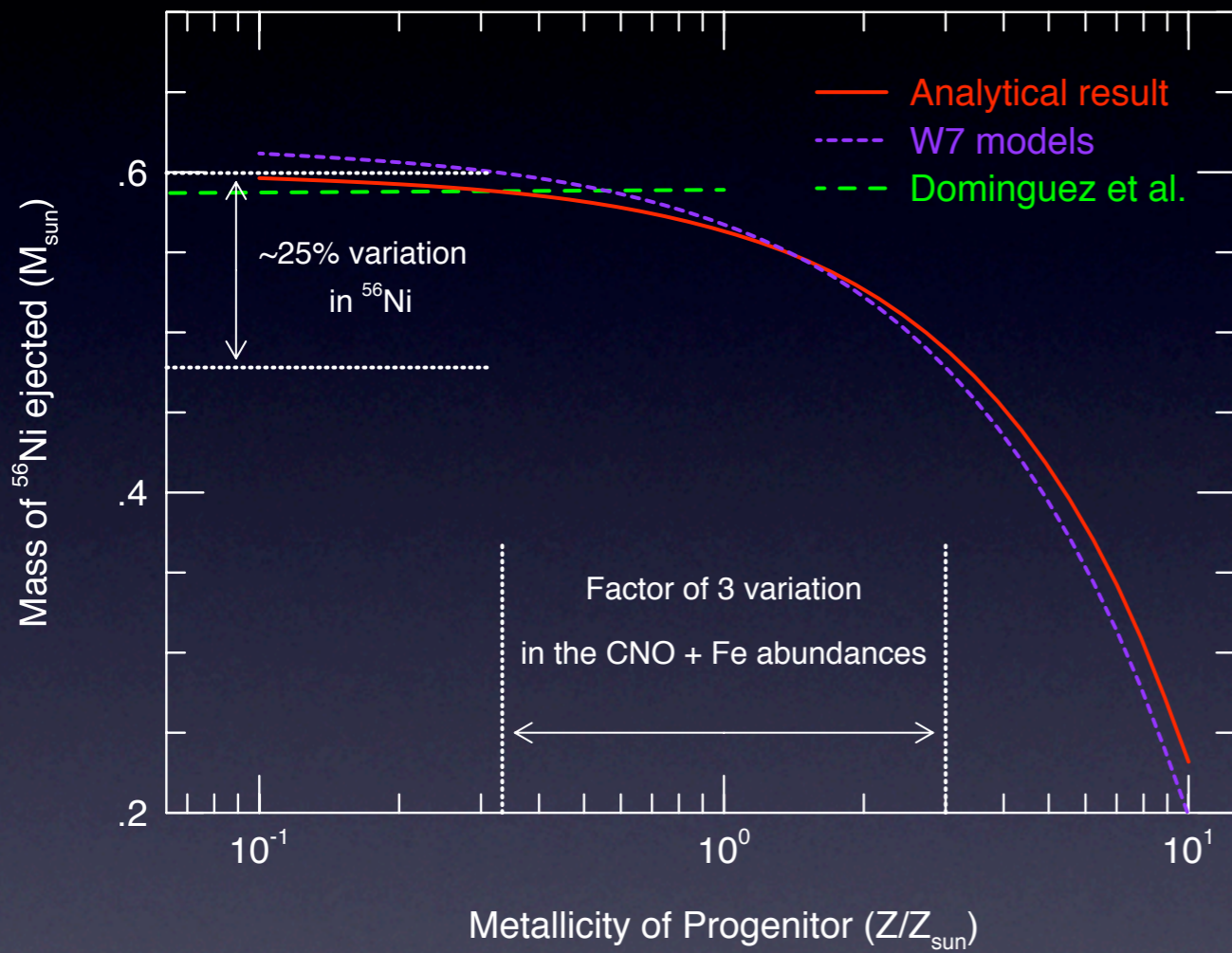
This result is robust.

As long as the region that reaches NSE does so on a timescale over which Y_e is nearly constant, then the mass of ^{56}Ni produced is largely independent of the details of flame front propagation.



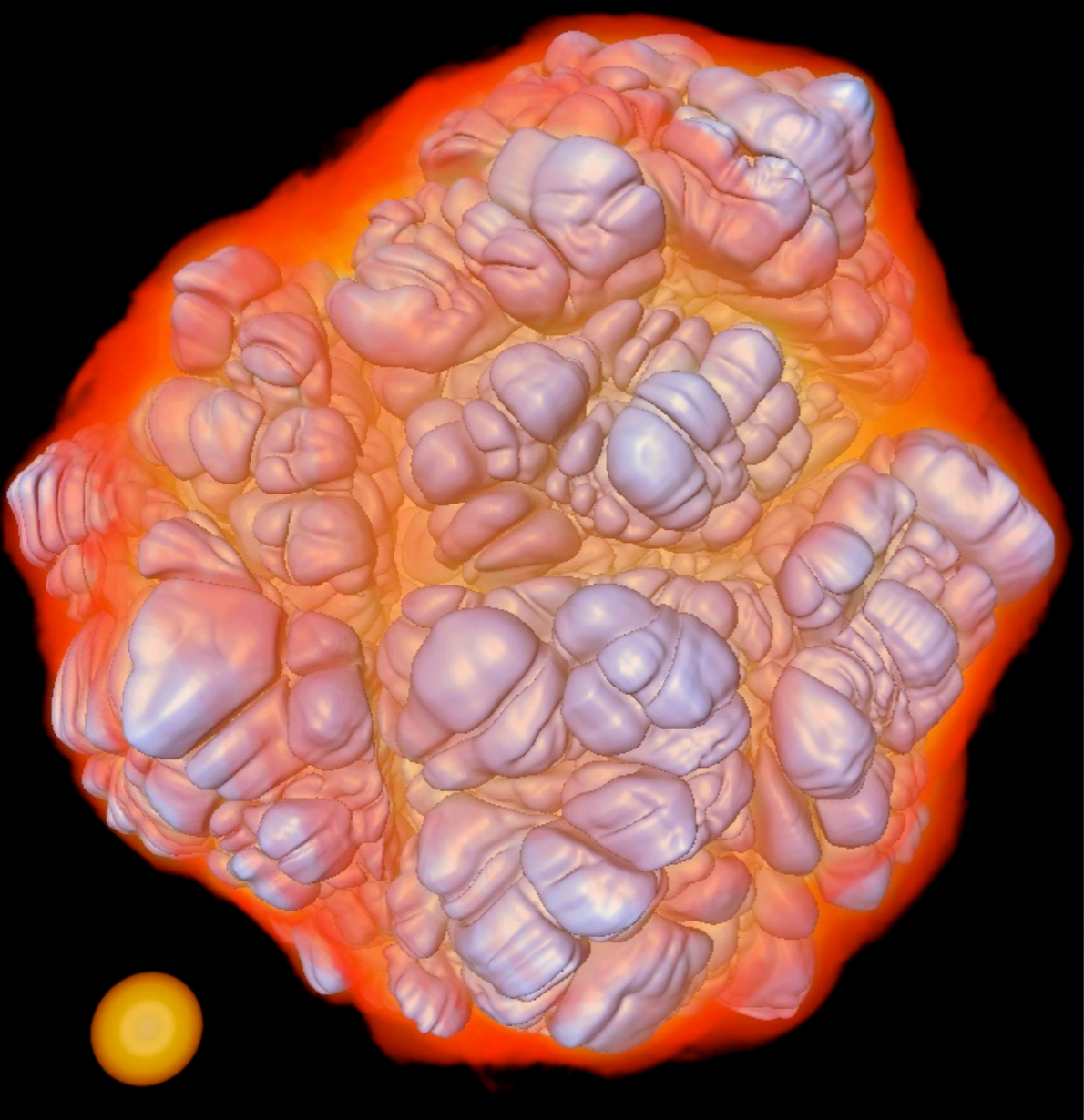
“For every complex natural phenomenon there is a simple, elegant, compelling, wrong explanation.” - Tommy Gold

Post-processing thermodynamic trajectories of 1D simulations reproduces the analytical result to within 5%.

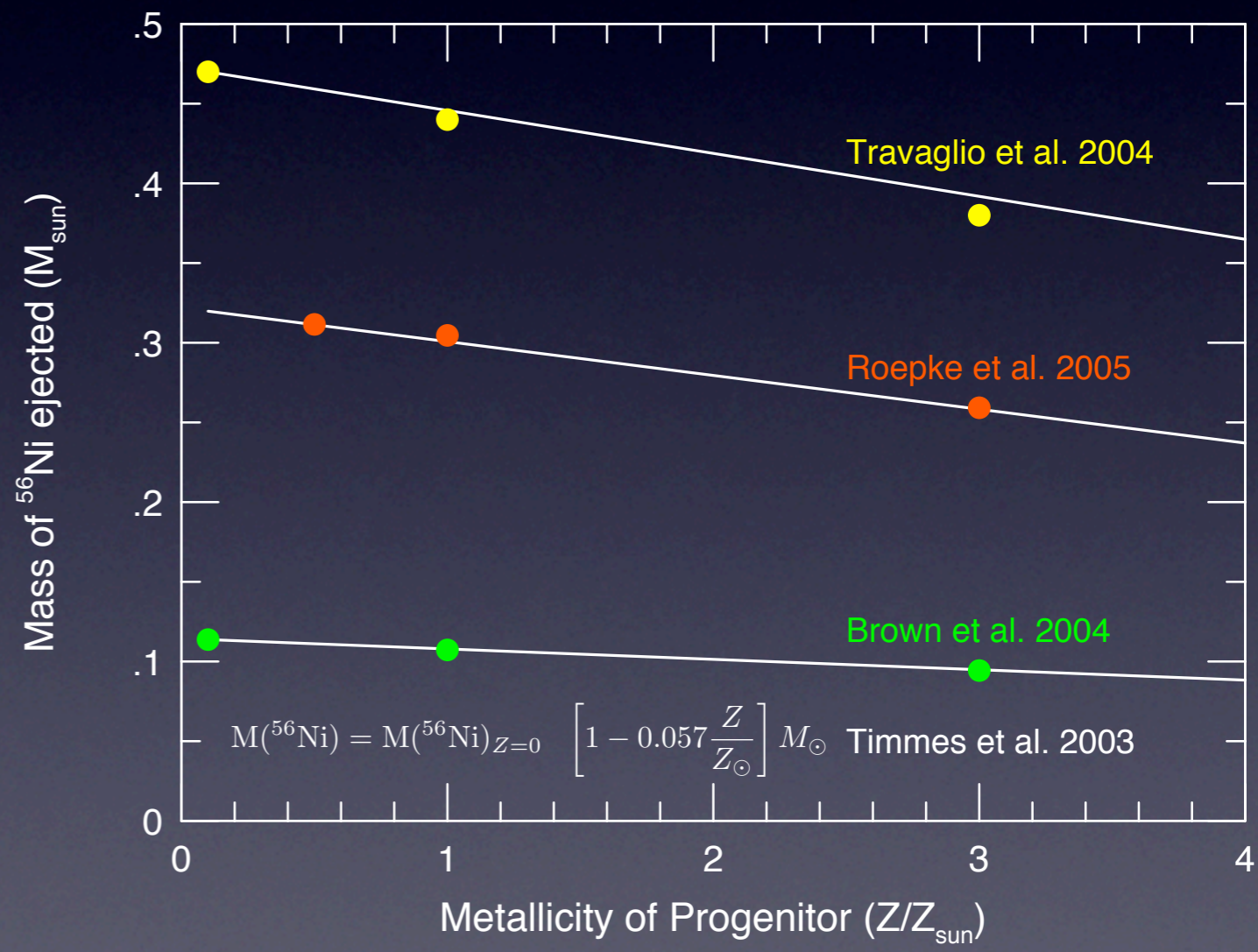


A factor of 3 scatter in the initial metallicity leads to a variation of about 25% ($0.13 M_{\text{sun}}$, $\Delta M_V \sim 0.3$ mag) in the mass of ^{56}Ni ejected, accounting for most, but not all, of the observed variation.

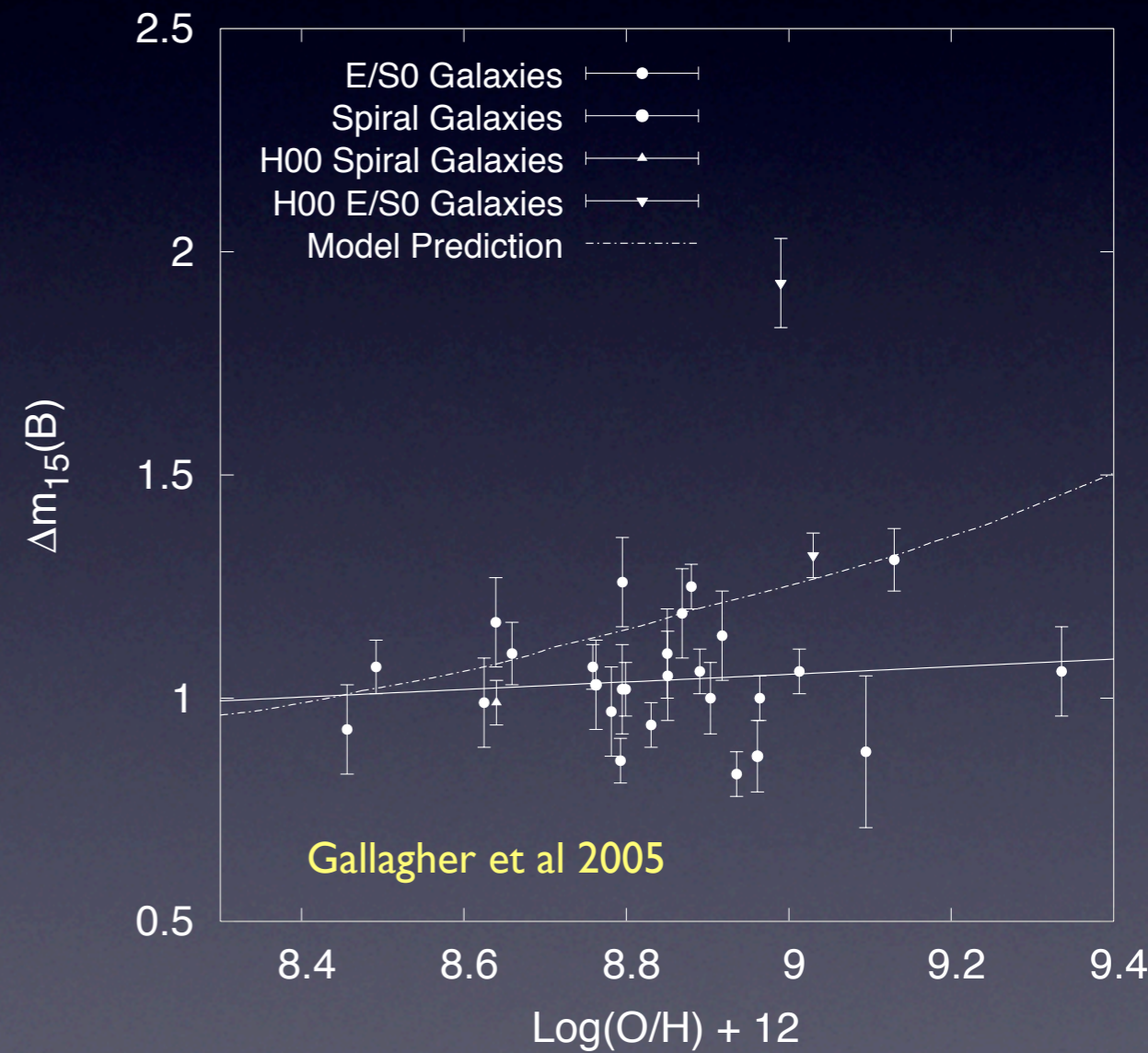
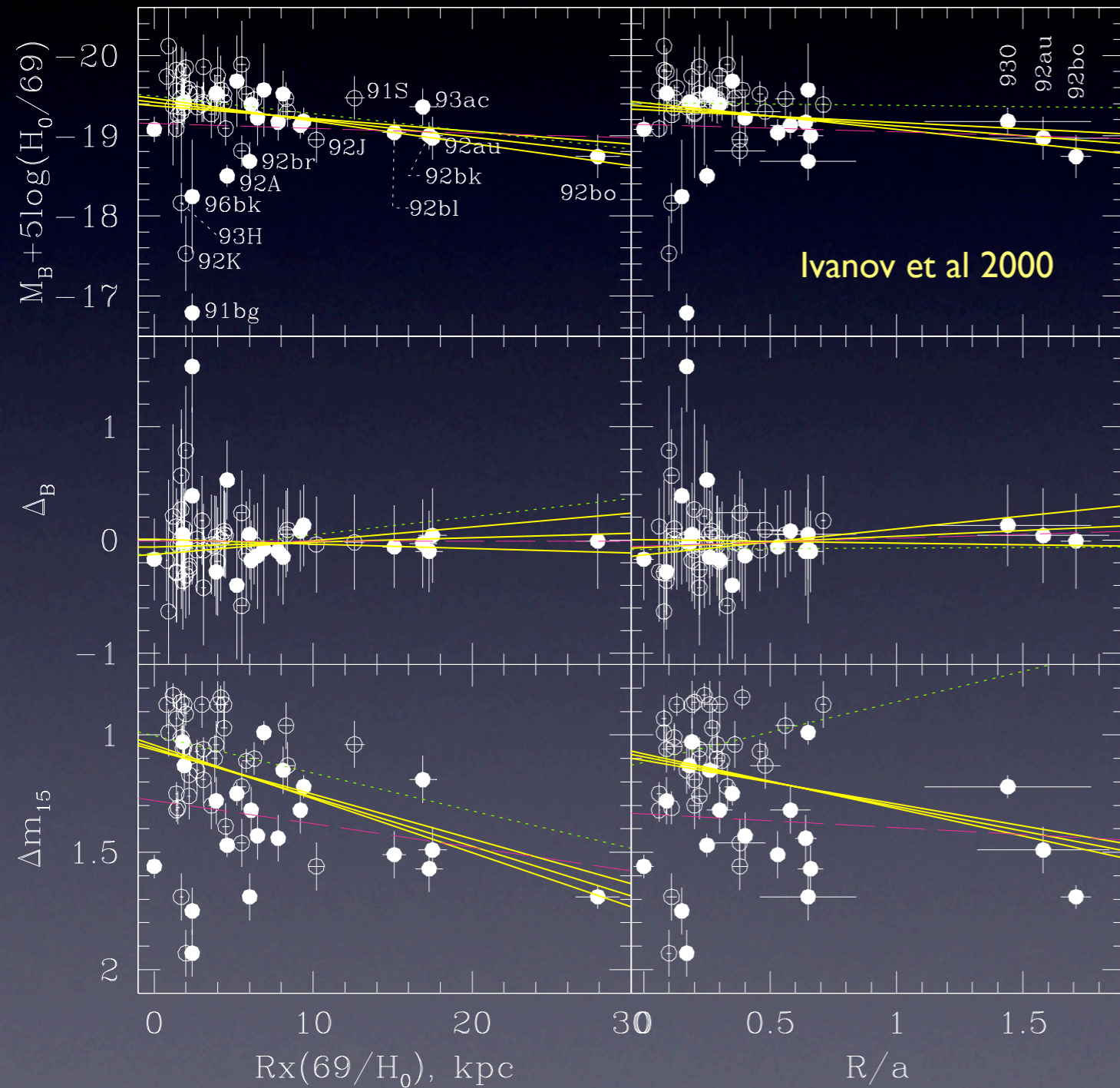
From 3D simulations the Max Planck group find ^{56}Ni variations of 2% from the C/O ratio, 7% from the central density, 20% from metallicity.



Röpke et al. 2005



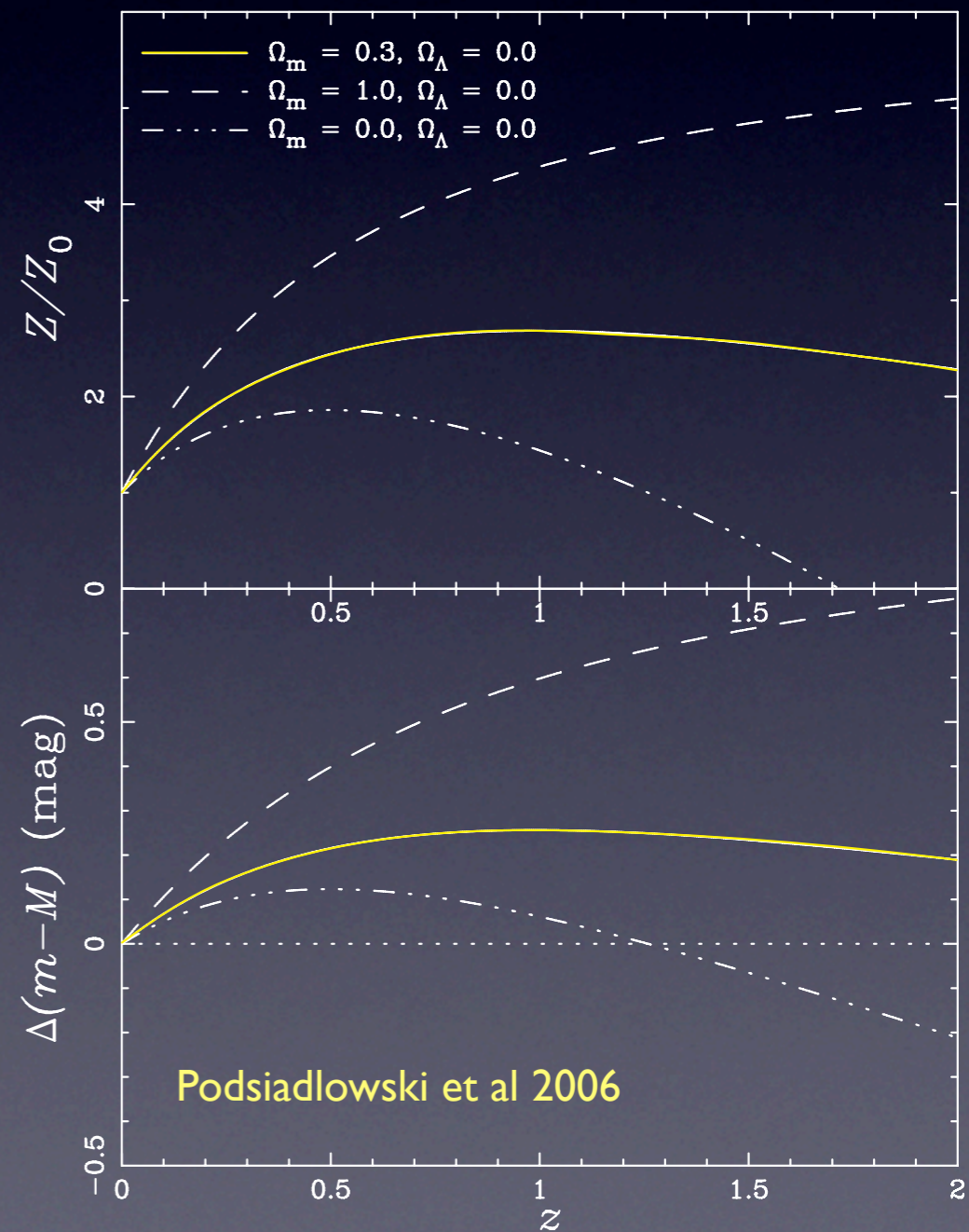
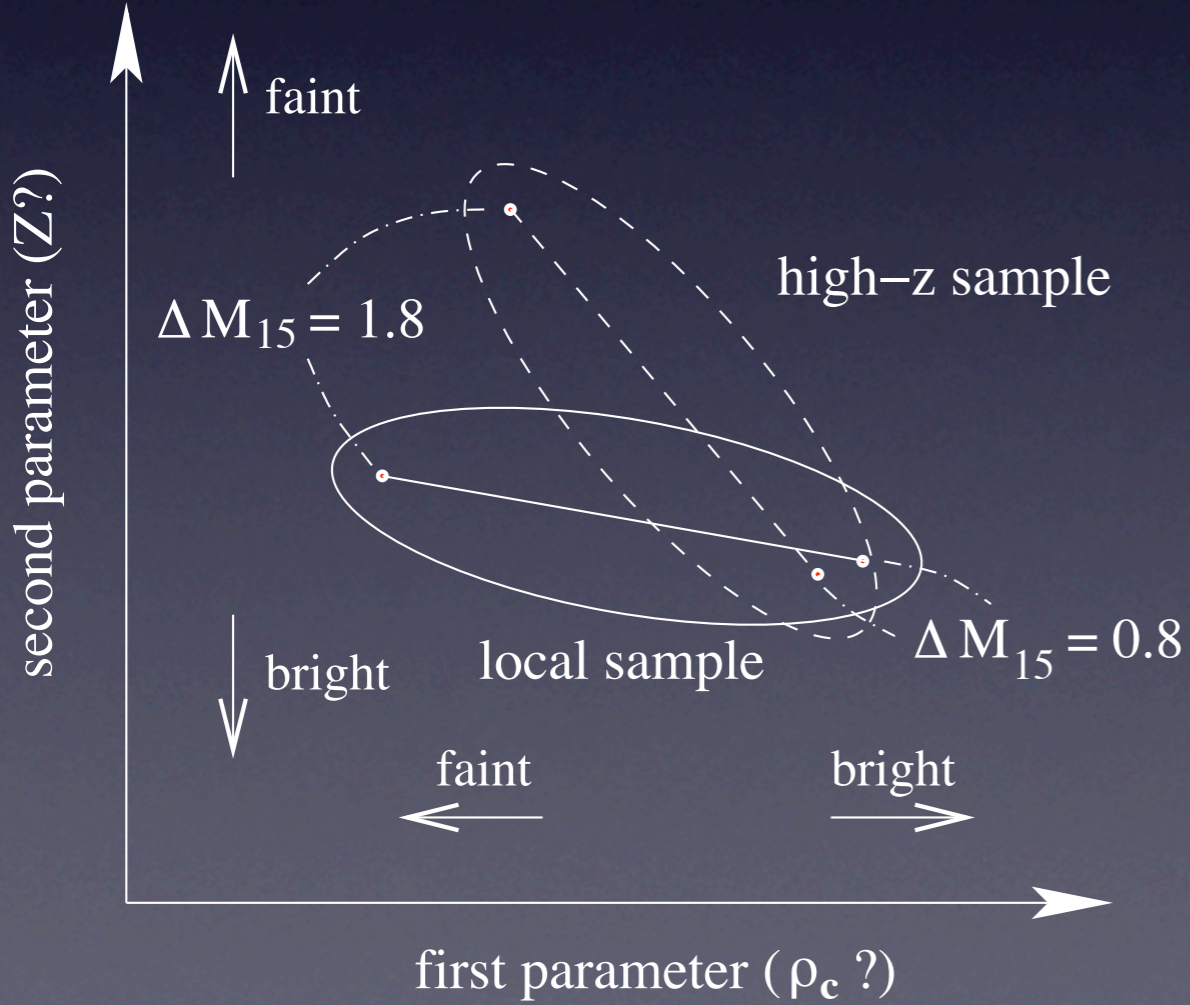
From ~ 60 host galaxies, Ivanov et al (2000) and Gallagher et al (2005) suggest age rather than metallicity better expresses the observed trends.



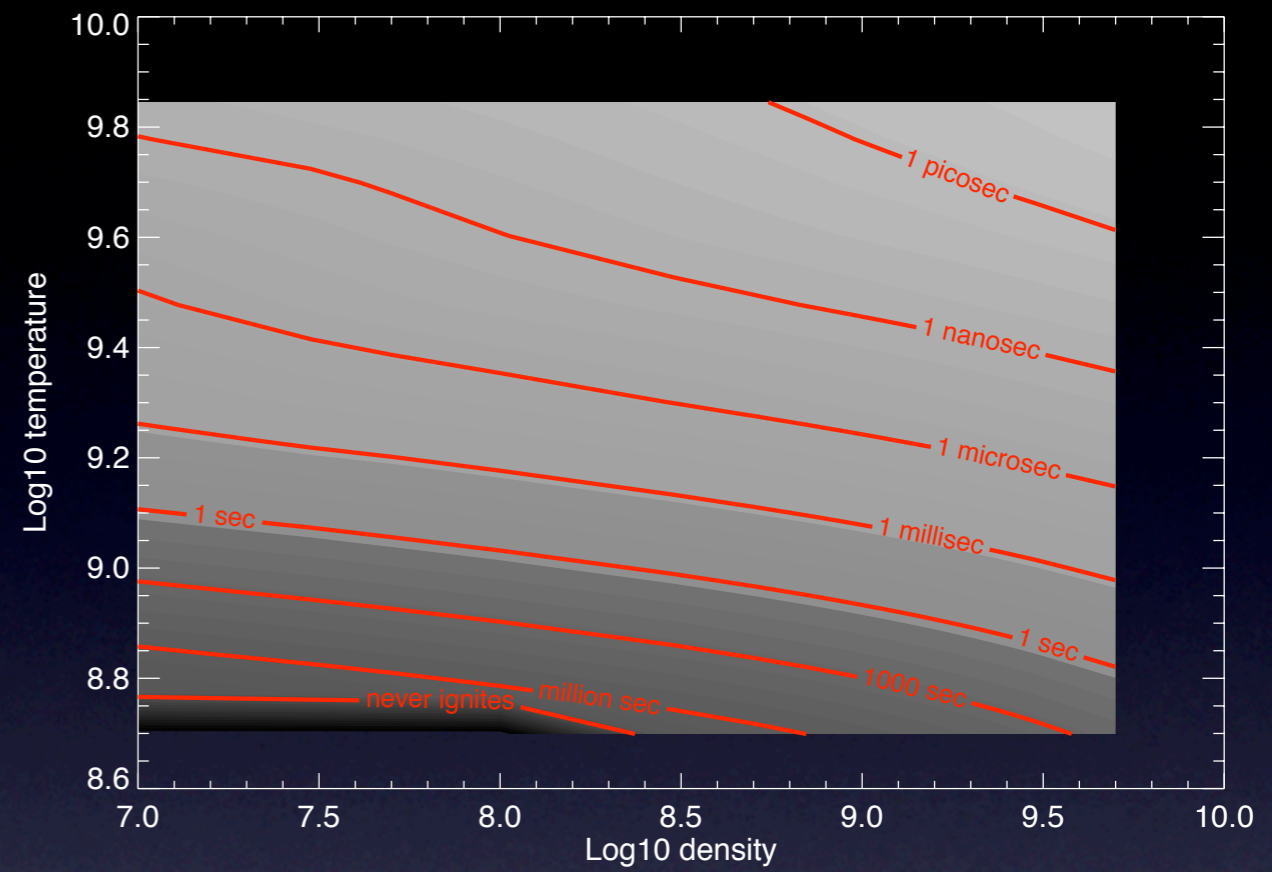
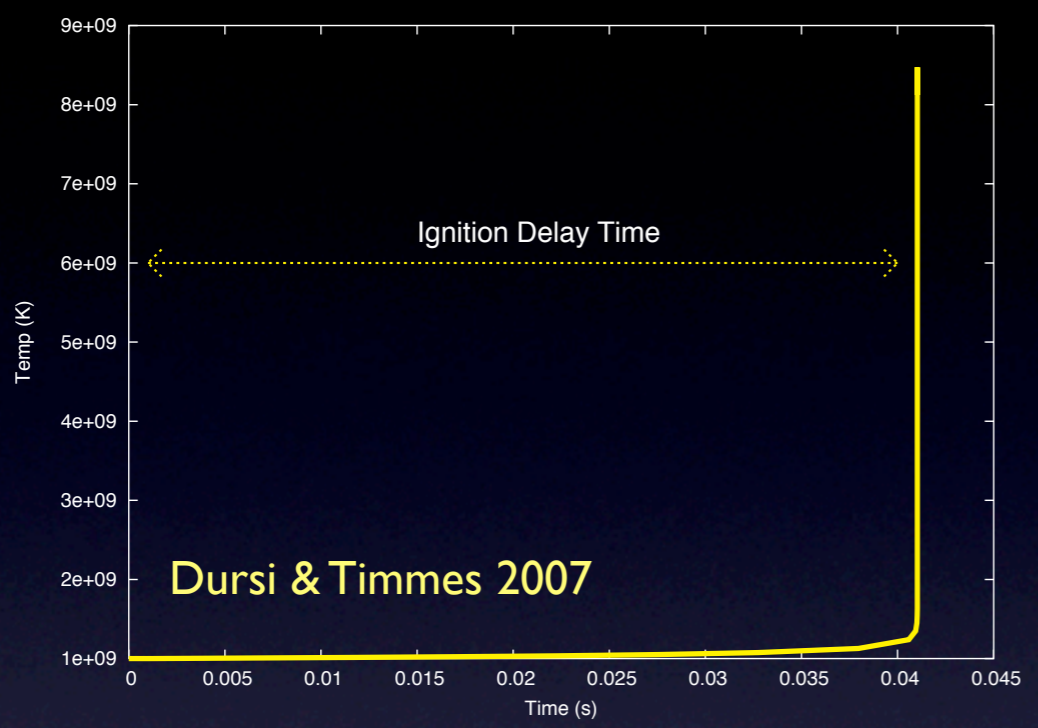
Podsiadlowski et al 2006 showed that electron captures on ^{22}Ne during the simmering phase could magnify the effect of metallicity

$$X(^{56}\text{Ni}) = 1 - \begin{pmatrix} 0.165 \\ 0.111 \\ 0.058 \end{pmatrix} \frac{Z}{Z_{\odot}}$$

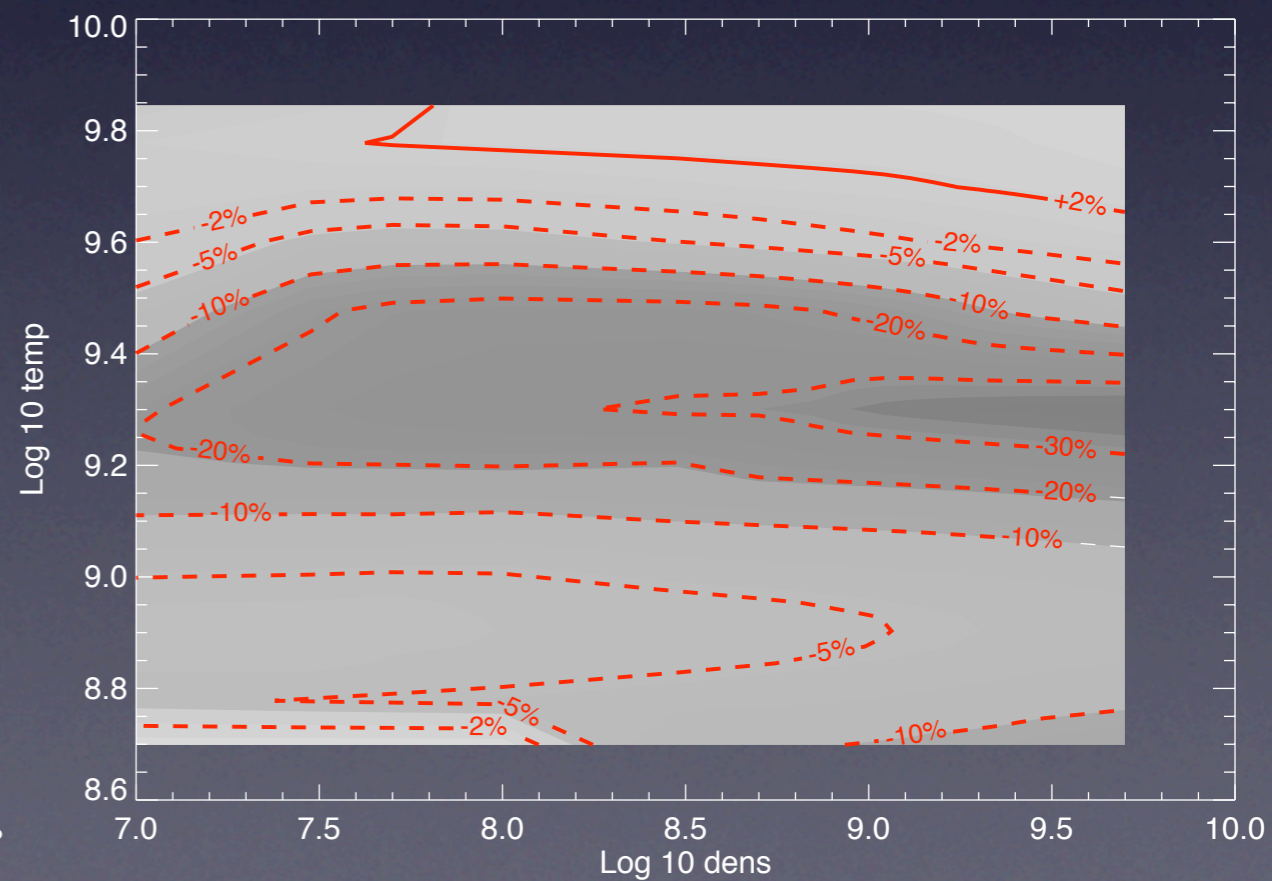
and examined the effects of metallicity on the determination of cosmological parameters.



Metallicity reduces the ignition time; even modest amounts of ^{22}Ne can reduce the ignition time of CO mixtures 20-30% +

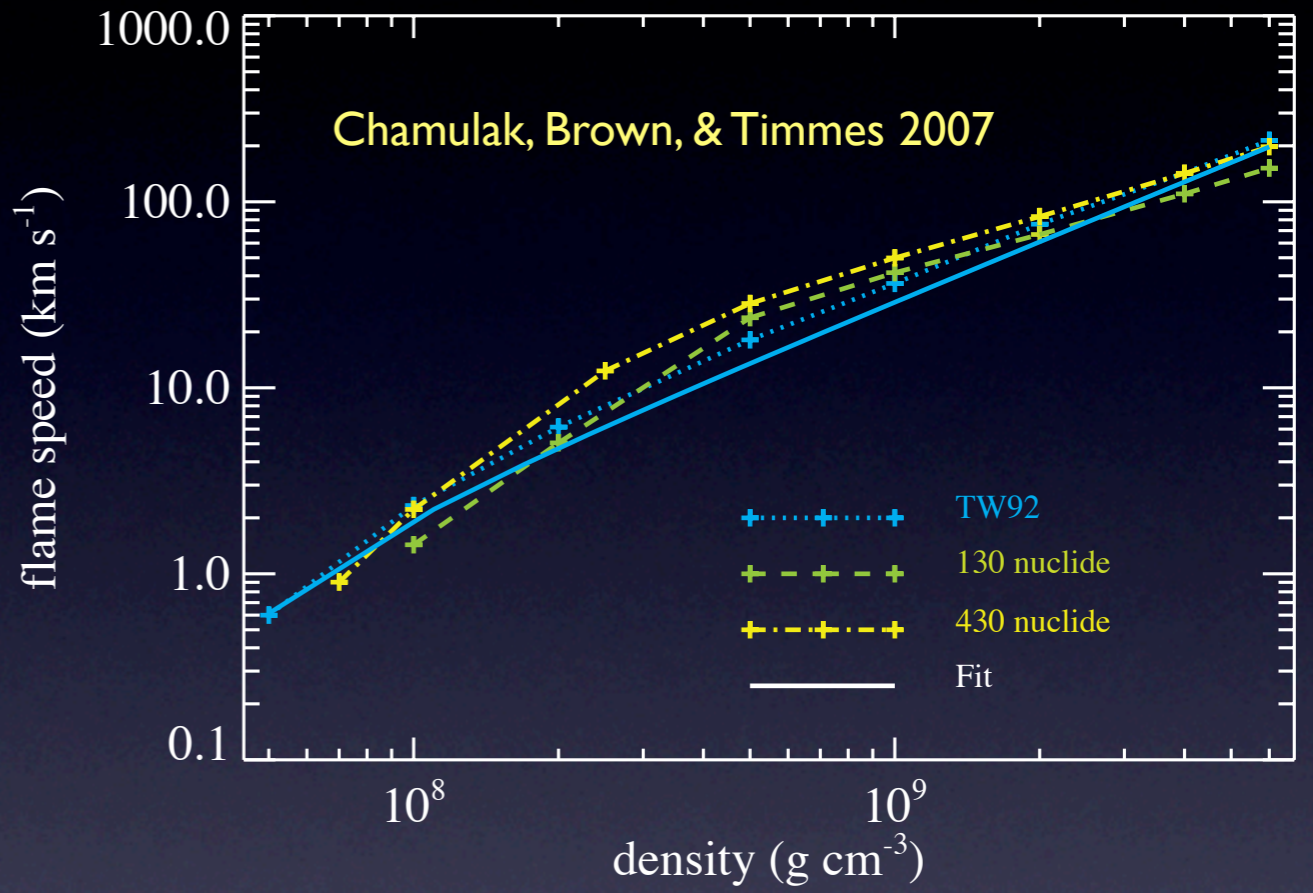
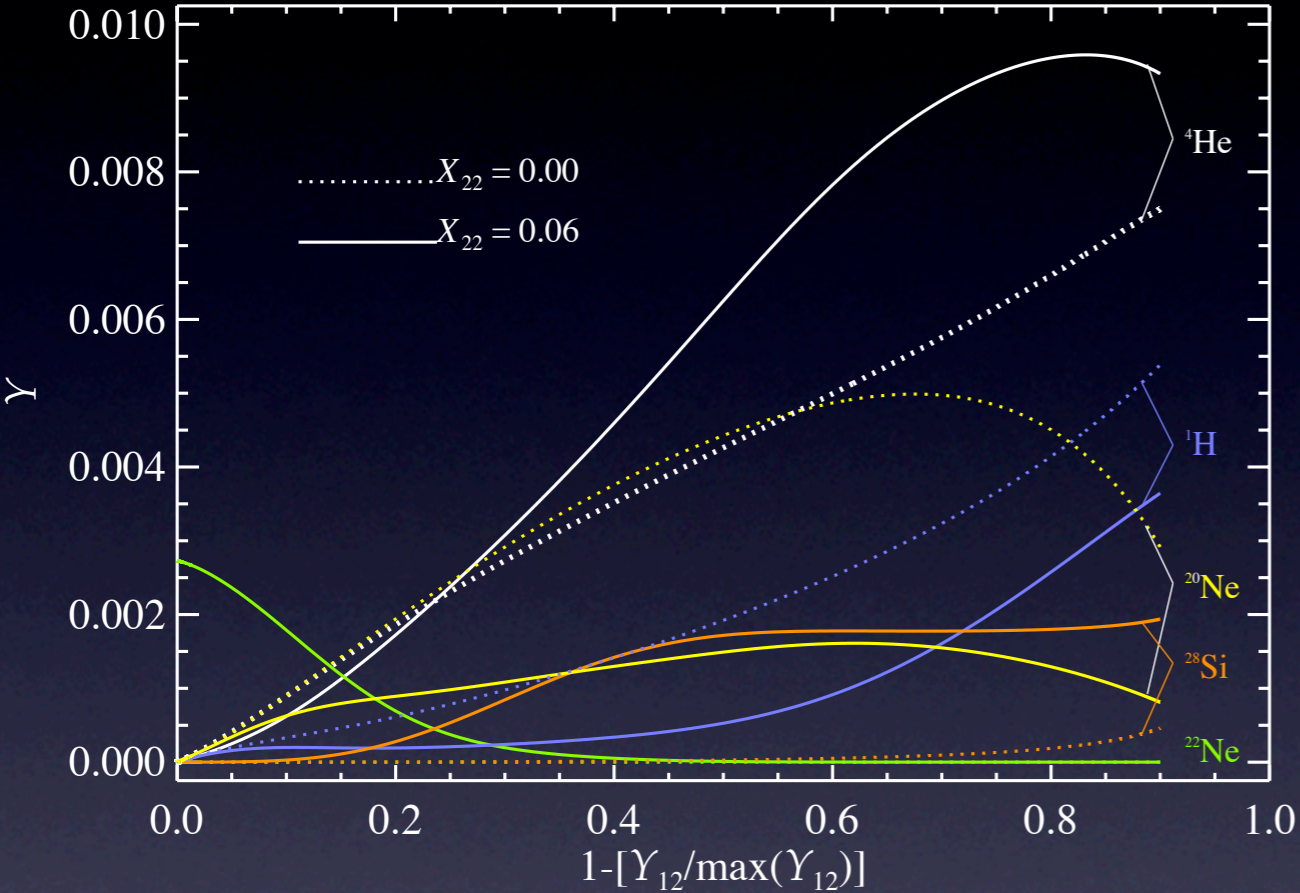


Ignition occurs at rare peaks in the tails of PDFs; ^{22}Ne can greatly increase probability of points igniting.



Different state at ignition time for metal-rich WD? If so, may introduce a metallicity-central density entanglement.

Metallicity increases the laminar flame speed; being roughly linear with ^{22}Ne and $\sim 30\%$ for $X(^{22}\text{Ne})=0.06$.

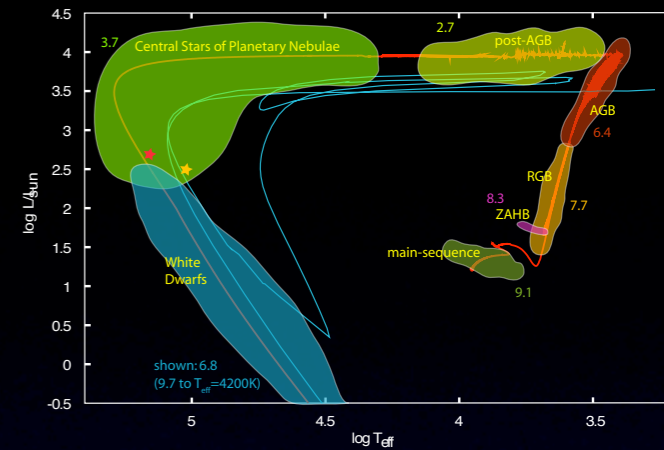


$$D_{\text{lam}} = \left[23.26\rho_9 + 37.34\rho_9^{1.1} - 1.288 \right] \times \left[1 + 0.3 \left(\frac{X_{22}}{0.06} \right) \right] \times \left| 0.3883 \left(\frac{X_{12}}{0.5} \right) + 0.09773 \left(\frac{X_{12}}{0.5} \right)^3 \right| \text{ kms}^{-1}$$

These results pertain to the initial burning front near the center, and at late times where the flame may make a transition to distributed burning.

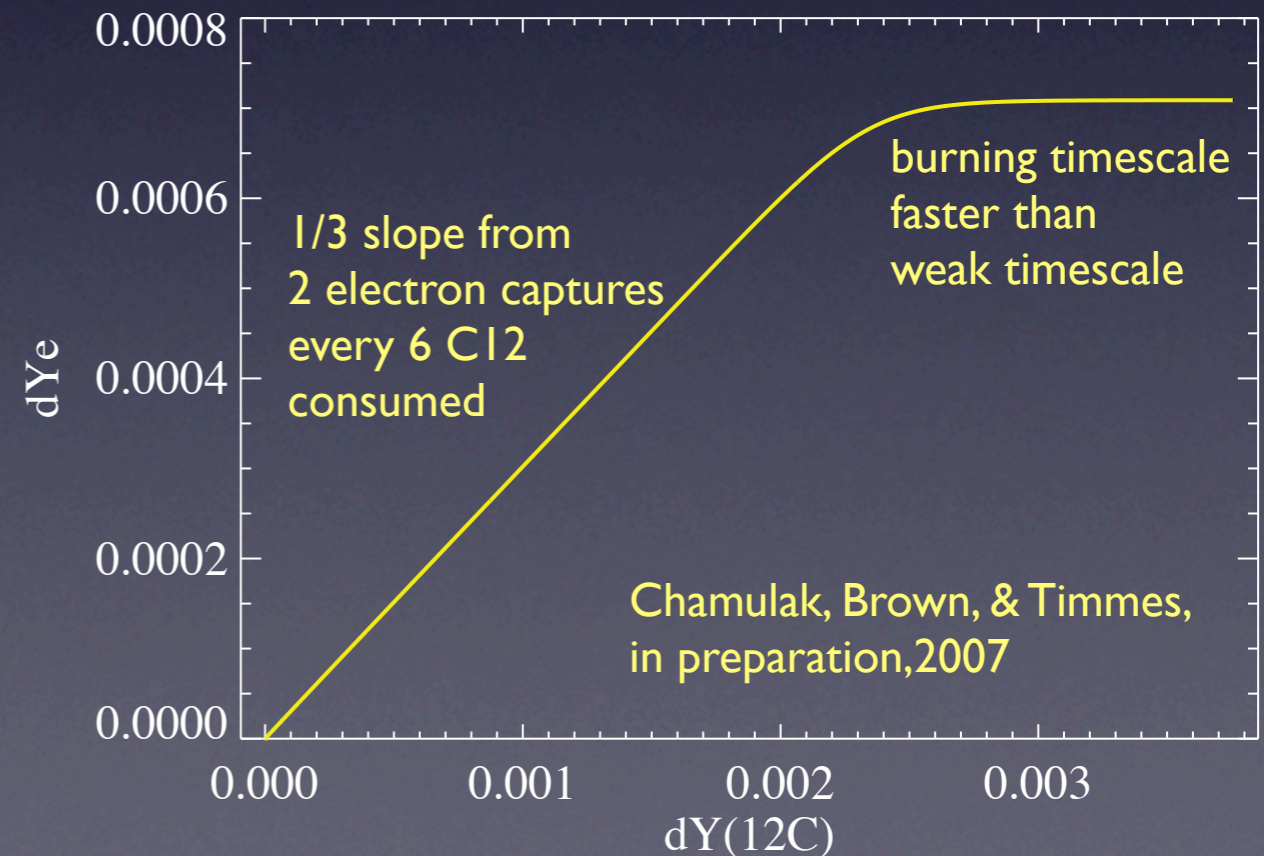
Can ^{22}Ne be produced in-situ?

Yes, during the helium shell flashes in an AGB star.
Falk Herwig and I are calculating some numbers.



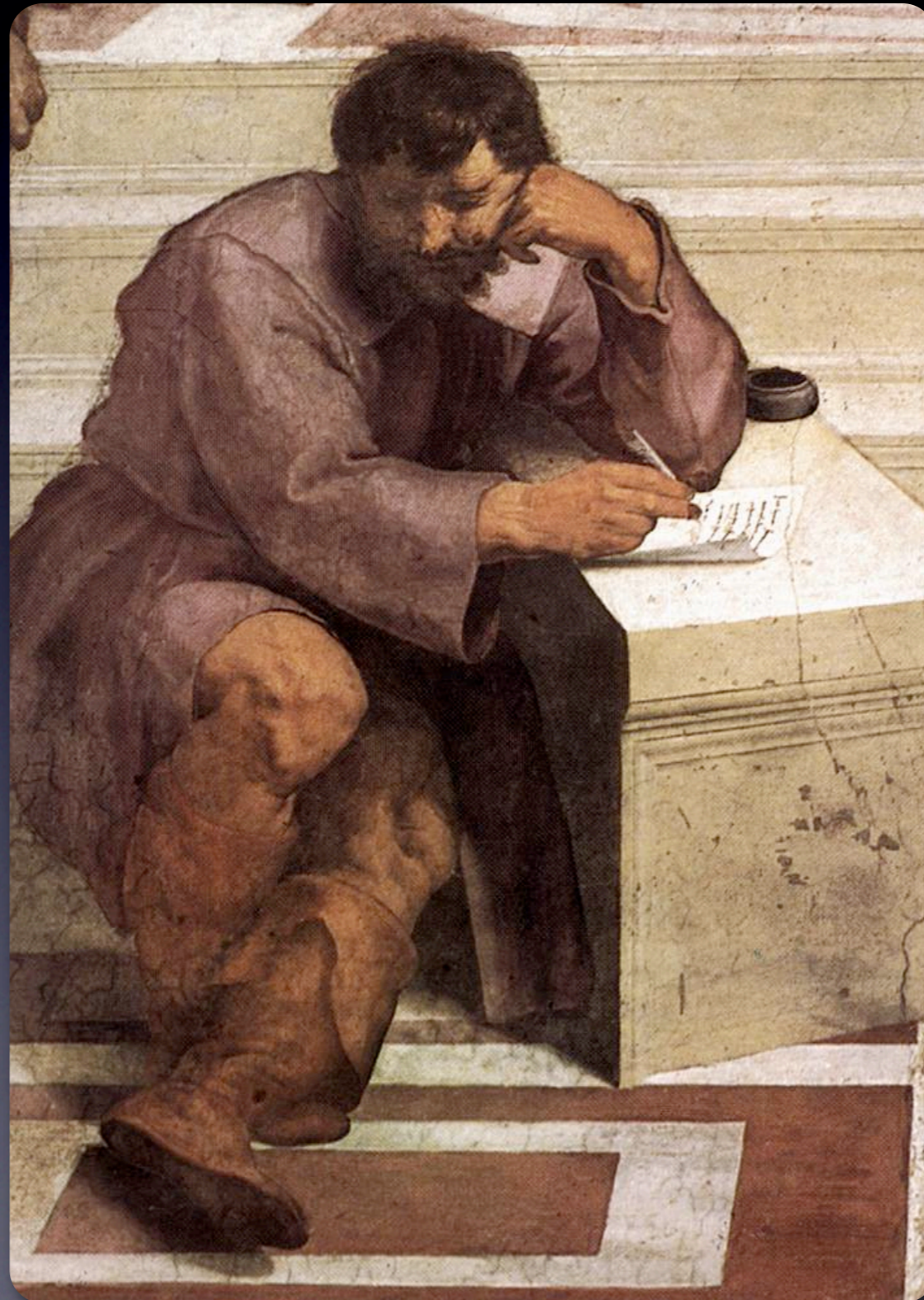
Yes, during laissez-faire carbon burning during the simmering phase!

Self-heating calculations suggest
 $^{12}\text{C}(^{12}\text{C},p)^{23}\text{Na}(e^{-},\nu)^{23}\text{Ne}$ and
 $^{12}\text{C}(p,\gamma)^{13}\text{N}(e^{-},\nu)^{13}\text{C}$
operate with enough vigor to
make a Y_e floor.



DESTINY

Dark Energy Space Telescope



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