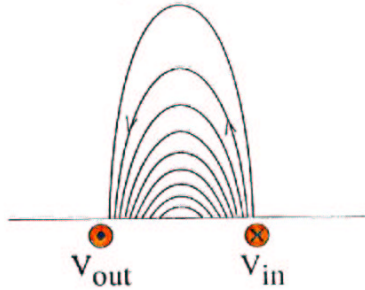


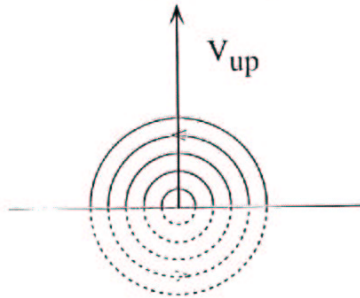
Reconnection in Solar Eruptions

Creation of Coronal Current

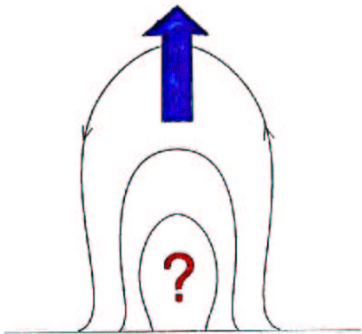
shear potential field



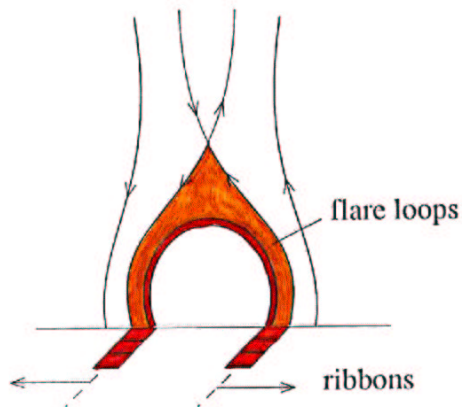
emerge flux rope



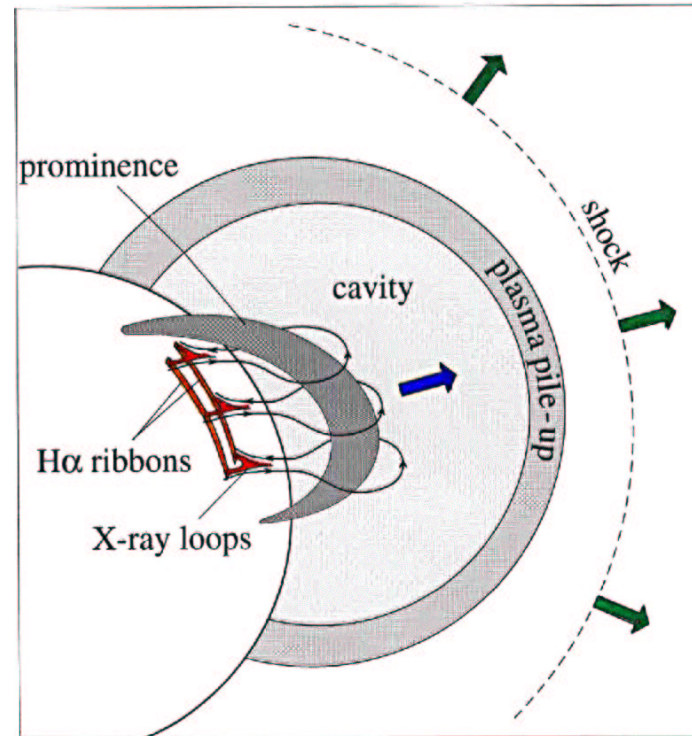
Eruption



Reconnection

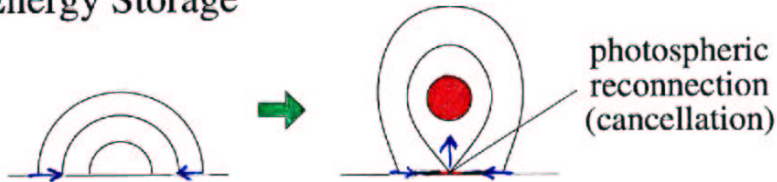


Magnetic Reconnection in Solar Eruptions

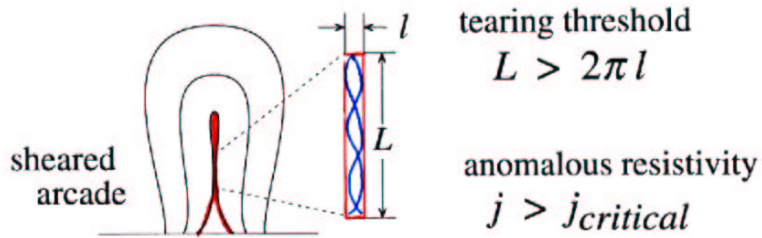


## Possible Roles:

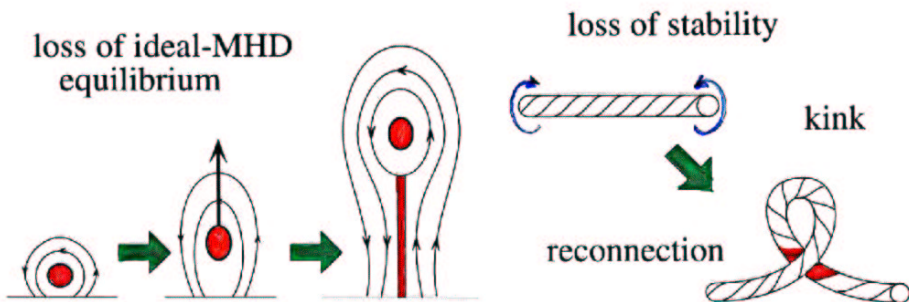
### 1. Energy Storage



### 2. Trigger Mechanism



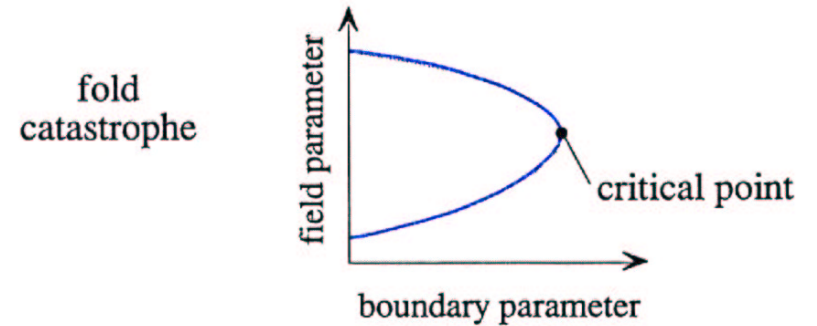
### 3. Energy Release



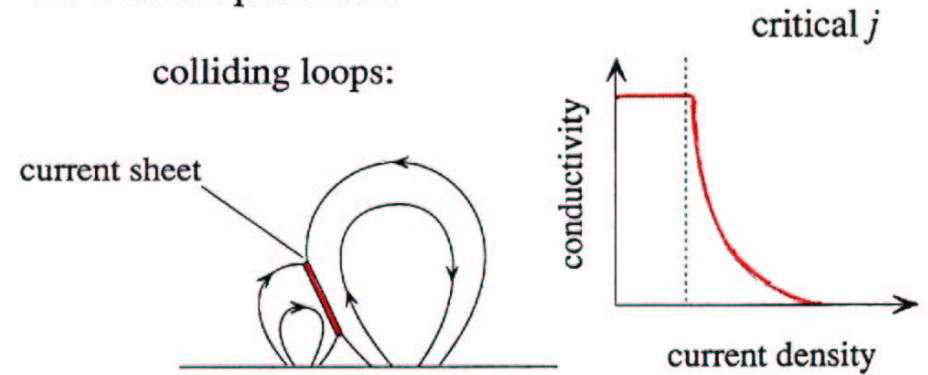
## Trigger Mechanisms

### 1. Loss of ideal-MHD equilibrium / instability Catastrophe Theory

an old idea but many flawed solutions

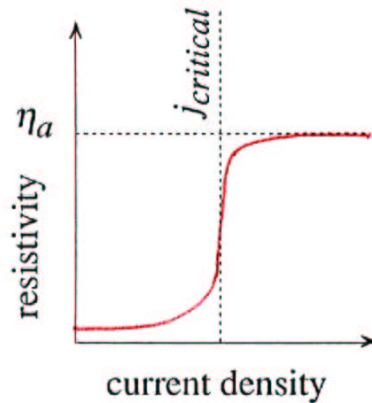
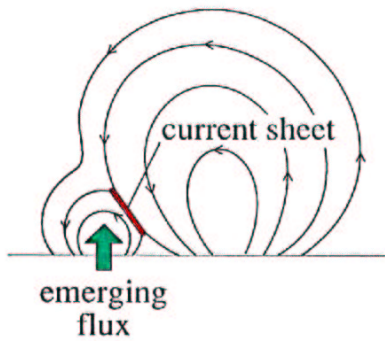


### 2. Kinetic processes

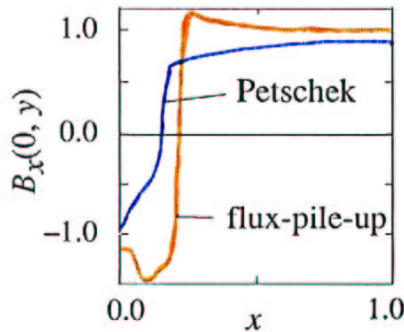
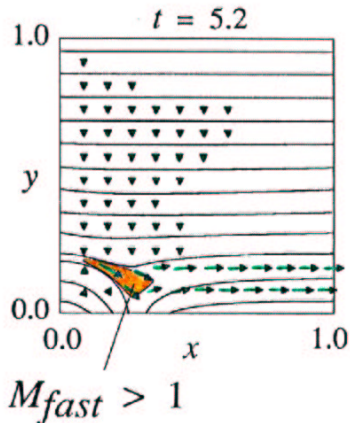


Does a Current Sheet Exist Prior to Onset?

Emerging flux model:

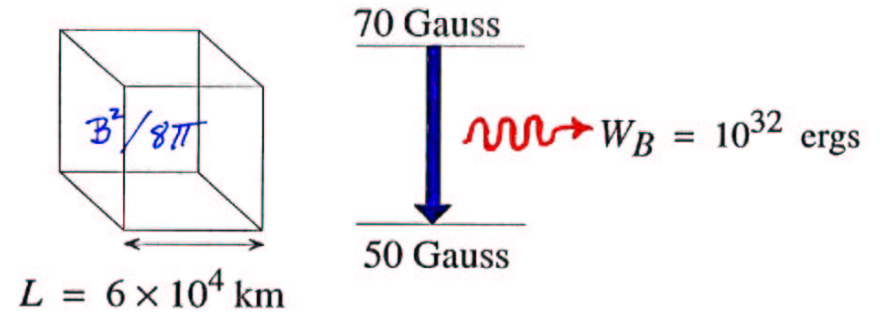


Simulation at  $R_m = 10^3$



Answer: Not very likely

Reconnection Rate



$$\tau_d = L^2 / \eta$$

$\eta = 0.35 \text{ m}^2/\text{s}$  (collisional)  $\rightarrow \tau_d = 3 \times 10^8 \text{ yrs} !$

Two routes to fast reconnection:

1. Reduce scale-length  $L$
2. Anomalous resistivity for  $\eta$

Two Routes to Fast Reconnection:

1. Reduce scale-length from  $L$  to  $l$

$$\tau_d = \tau_{flare} = 10^3 \text{ sec} \quad l = \sqrt{\eta \tau_{flare}} = 20 \text{ meters}$$

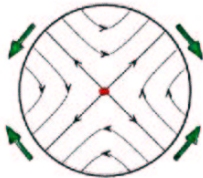
$\uparrow$  collisional

turbulence

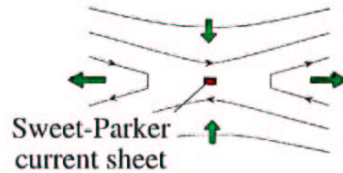


current sheets

x collapse

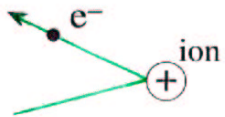


Petschek

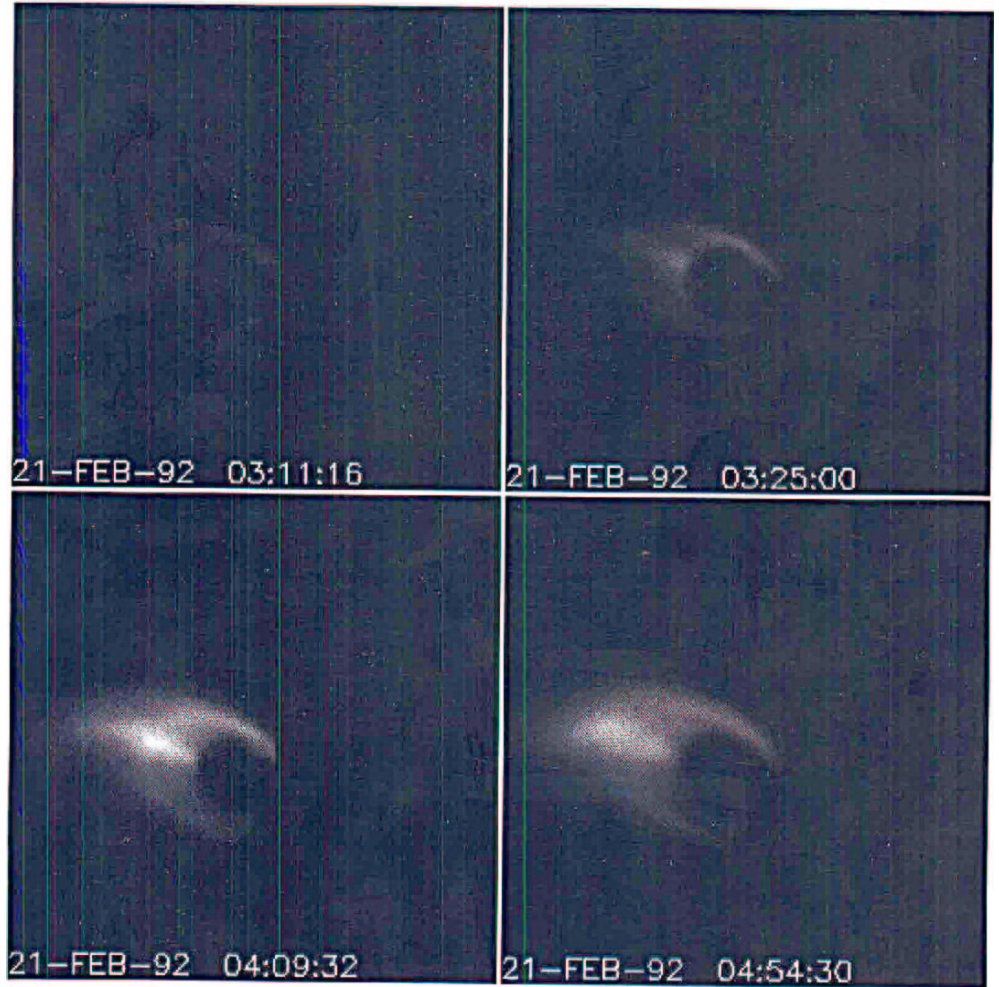


2. Anomalous resistivity  $\eta_a$

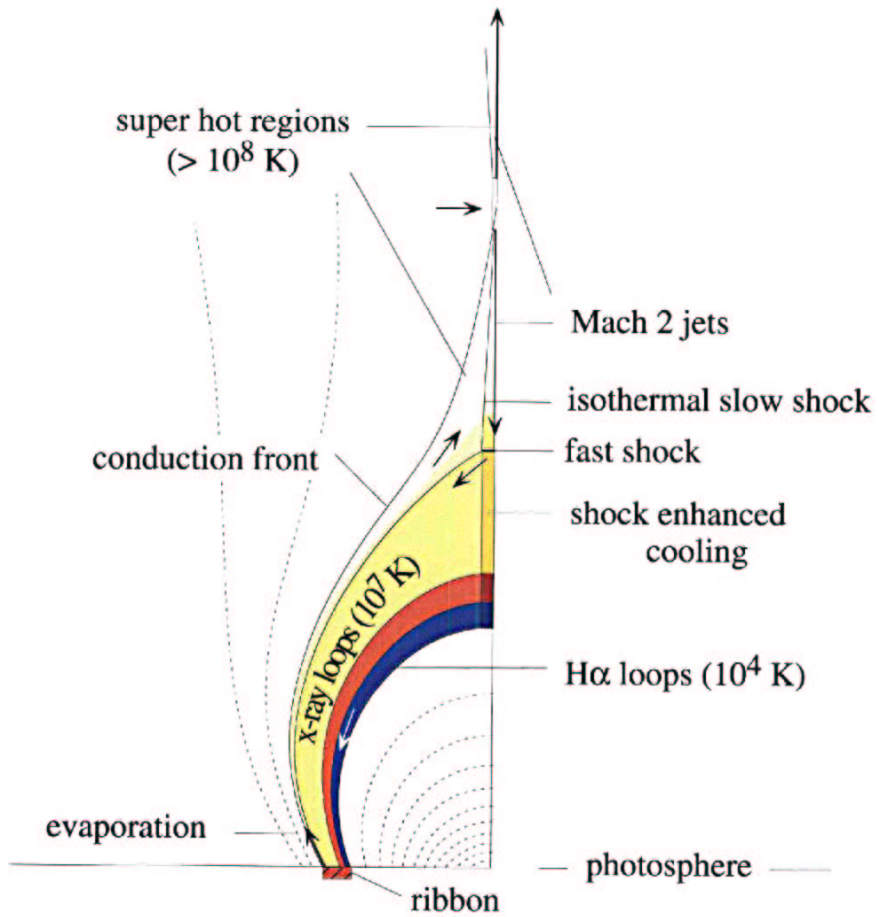
collisional mean free path  $\lambda_{ei} \geq 10 \text{ km}$



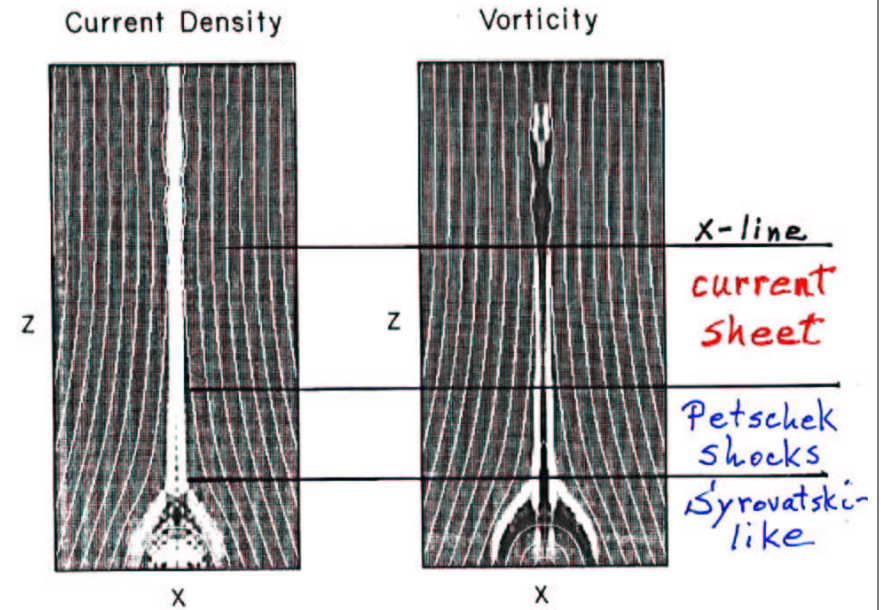
$$\eta_a = \lambda_{ei}^2 / \tau_{flare} = 3 \times 10^5 \eta$$



### Flare Loop Structures

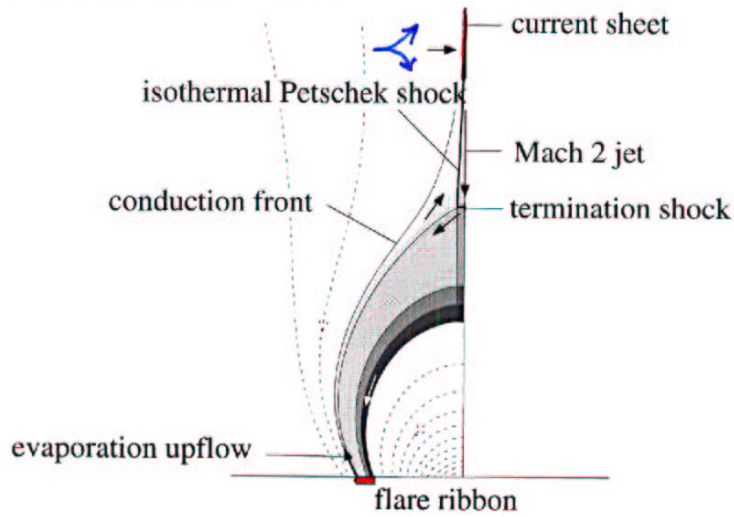


*MALHERBE & FORBES*

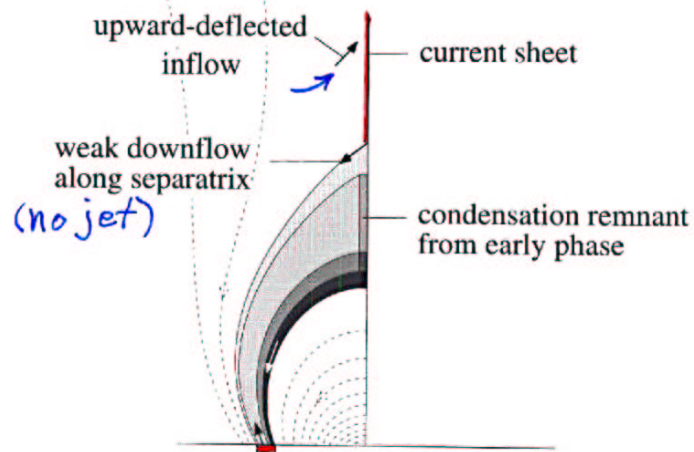


### Flare Loop Models

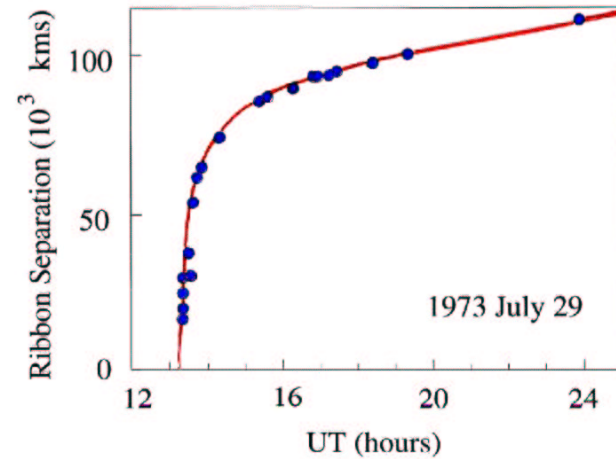
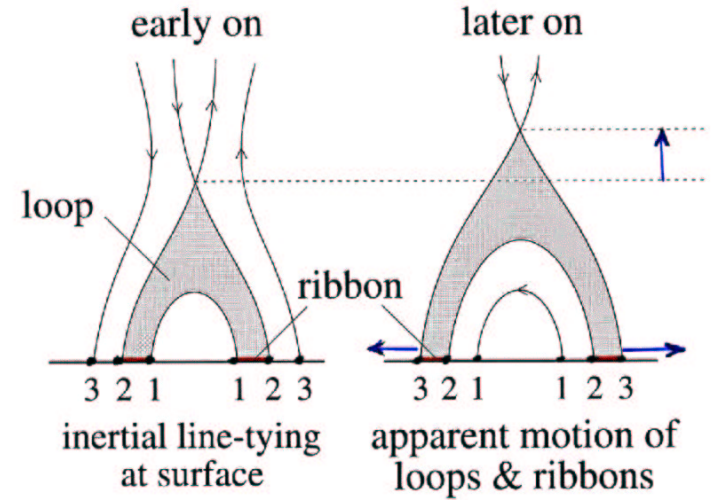
#### Supermagnetosonic ( $\beta < 1$ )



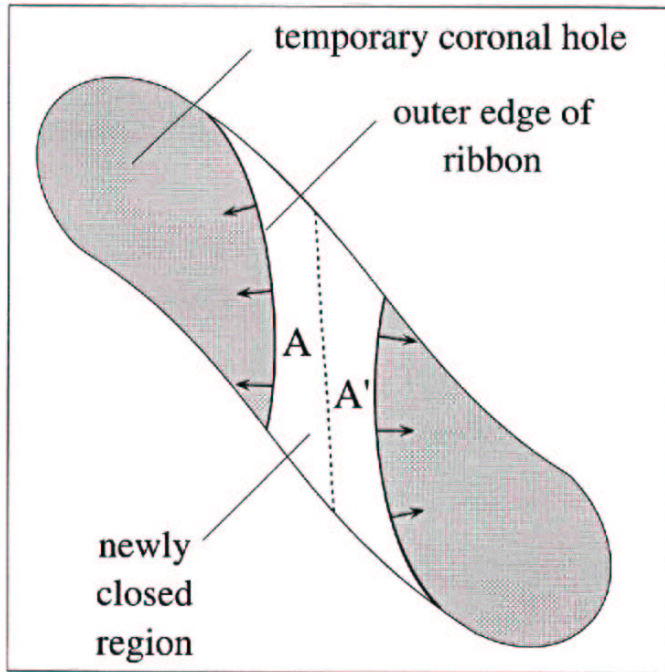
#### Submagnetosonic ( $\beta > 1$ )



### Apparent Motion of Loops & Ribbons



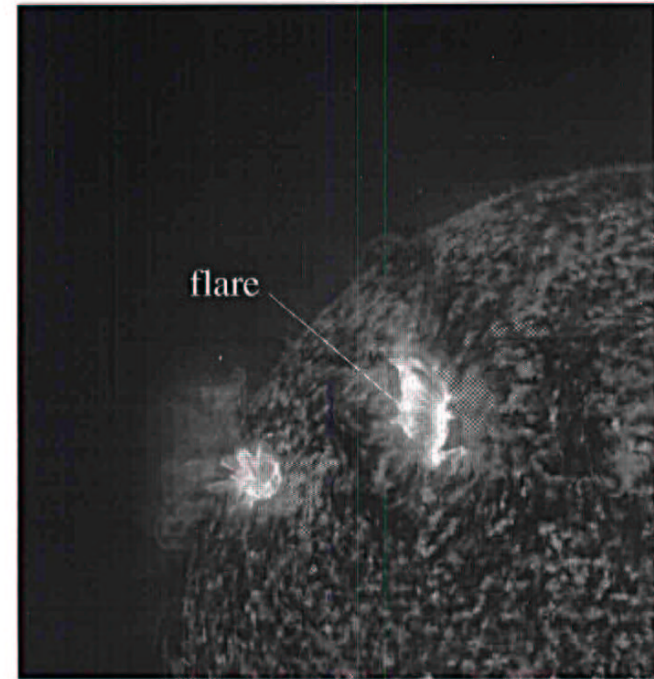
Global Rate of Reconnection



$$\dot{\Phi} = \int E_o ds = \oint_c B_n V_{\perp} dl$$

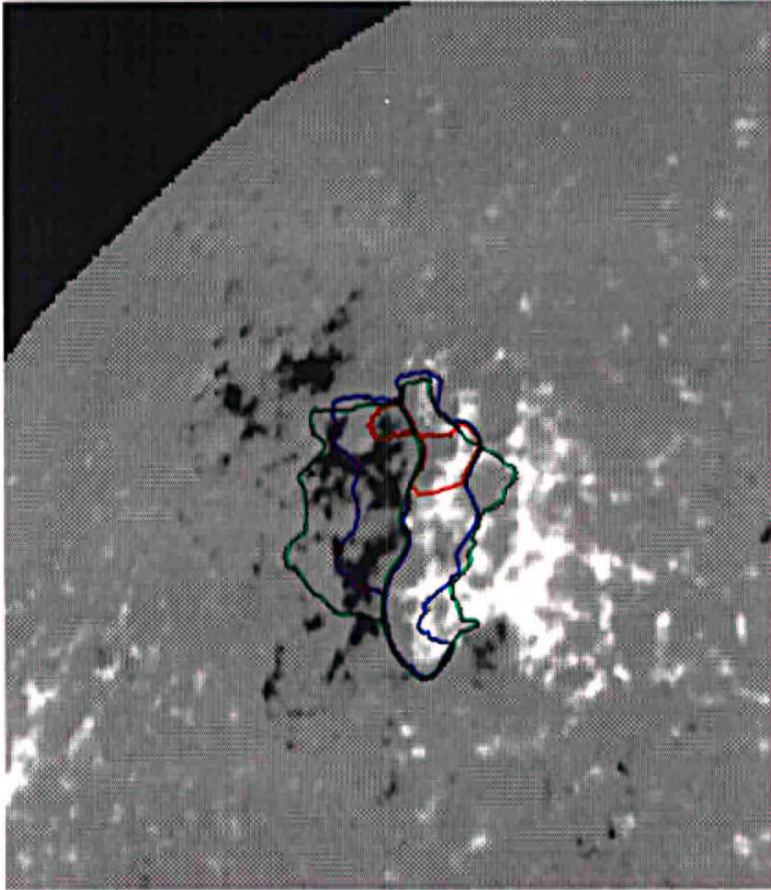
growth of flux in A    voltage drop along separator    normal magnetic field    boundary (ribbon) velocity

Calculation of Reconnection Rate from Ribbon Motion



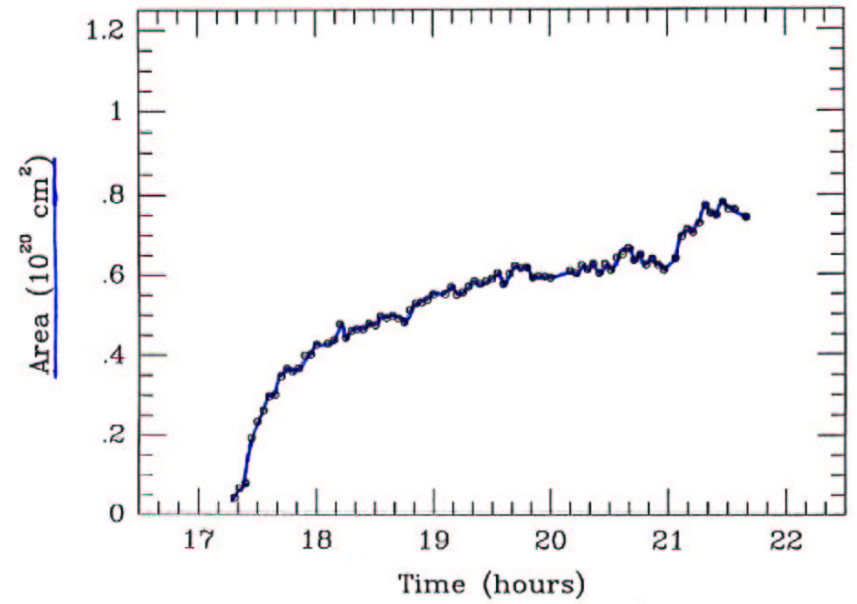
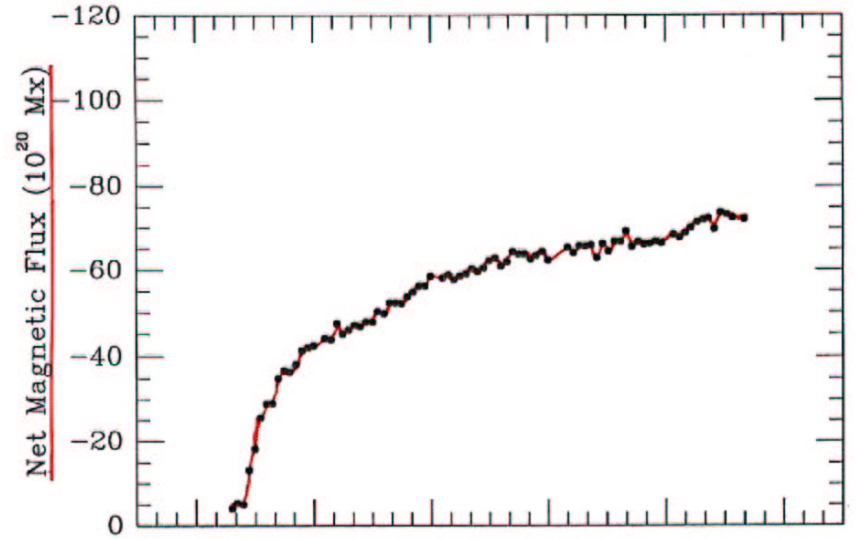
SOHO EIT, He II line, 304 Å  
December 18, 1998 at 19:23

18 December 1998 Flare  
 nso/kp magnetogram: 1732 UT



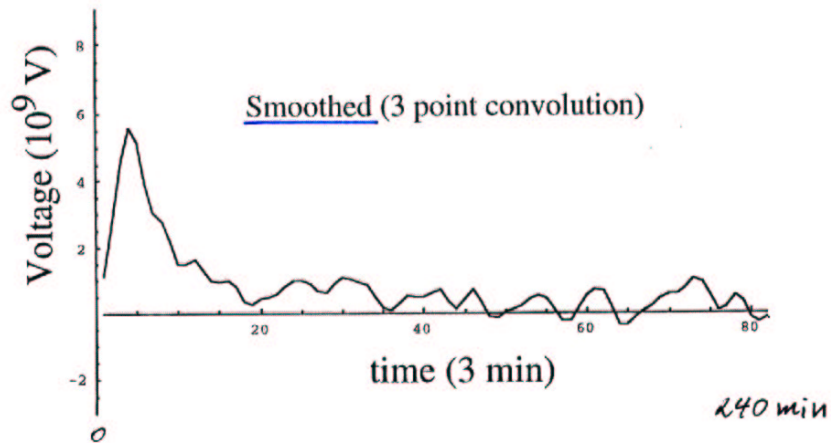
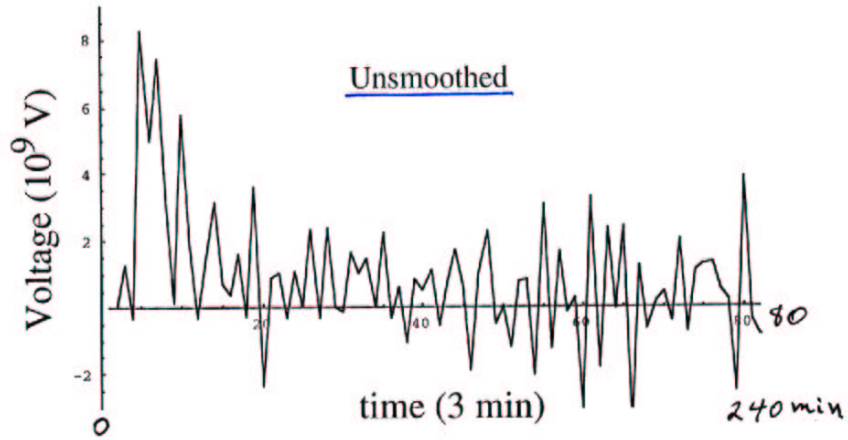
Boundaries at 1718:19 (y), 1805:46 (m), 2139:50 UT (p)  
R B G

Eastern Flare Ribbon: 18 December 1998

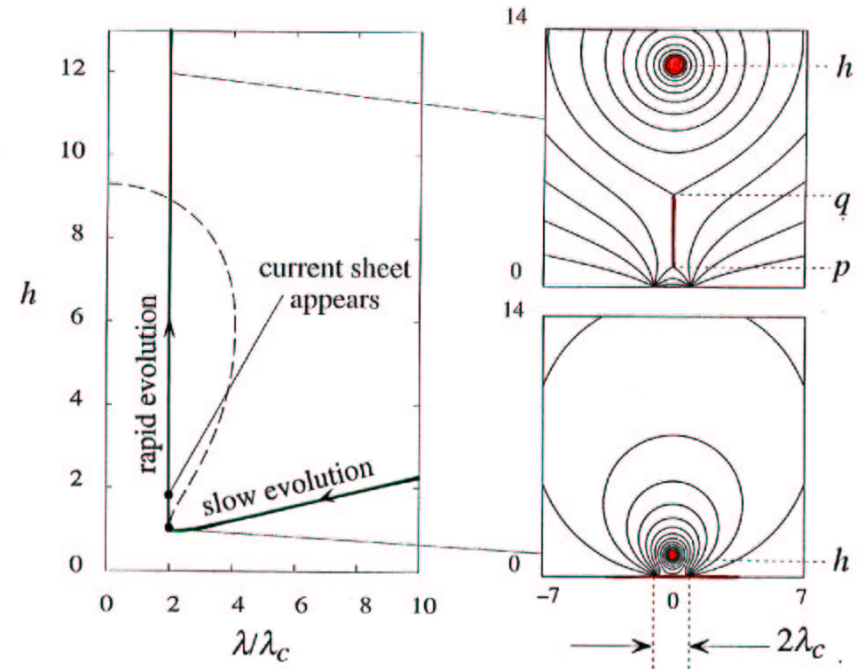


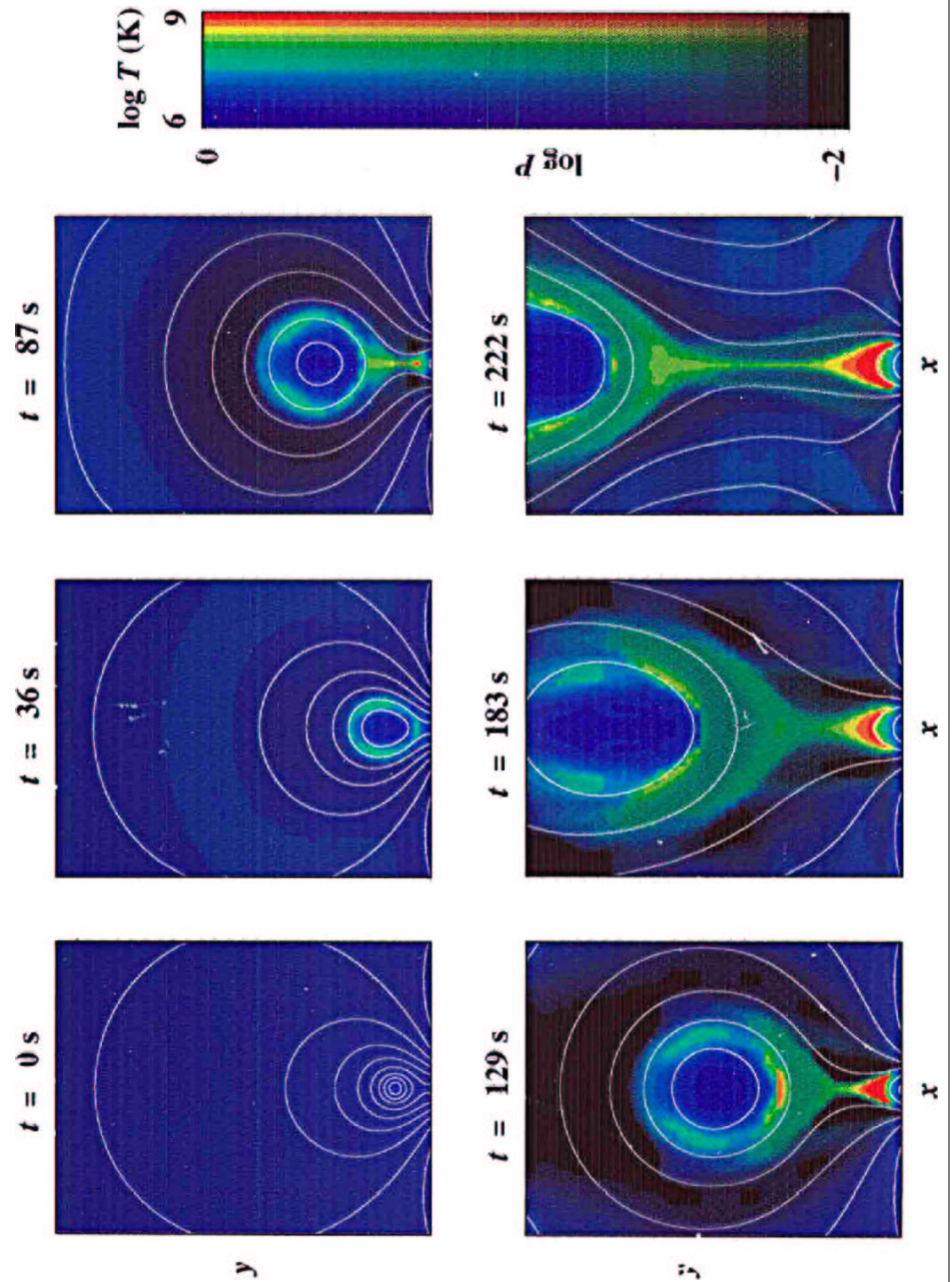
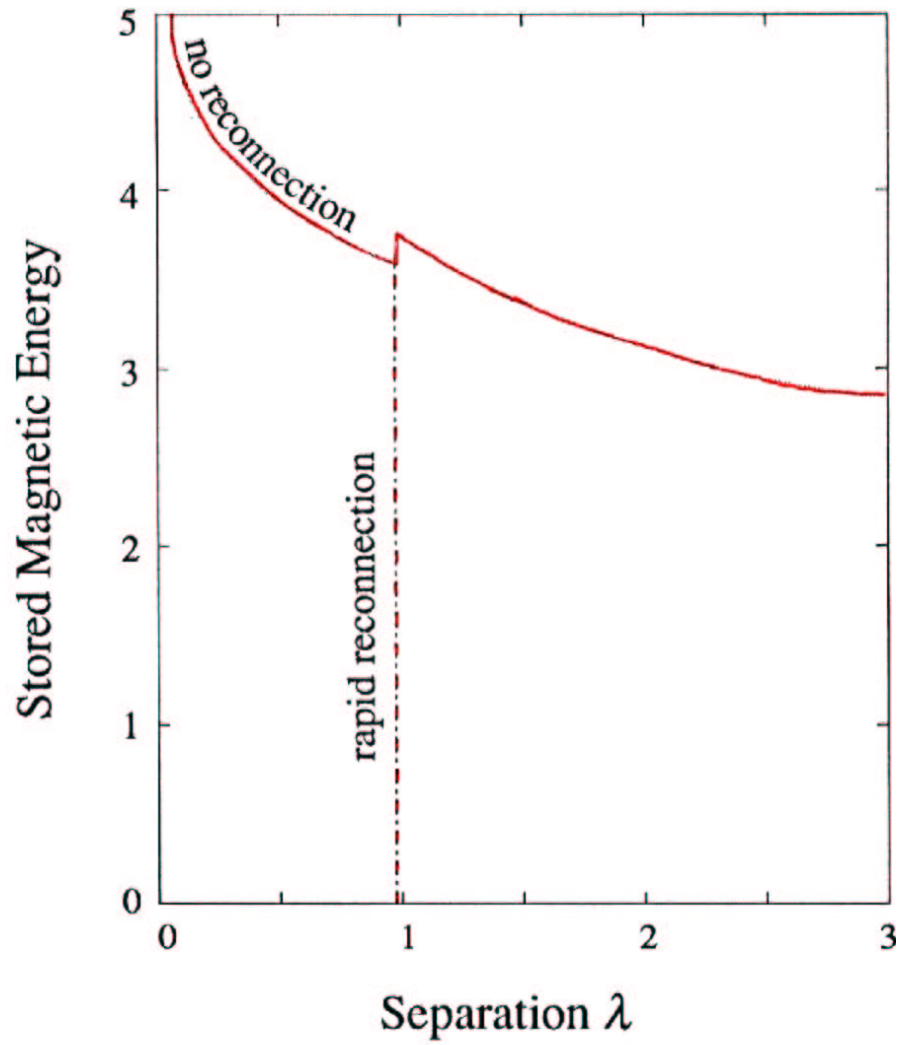


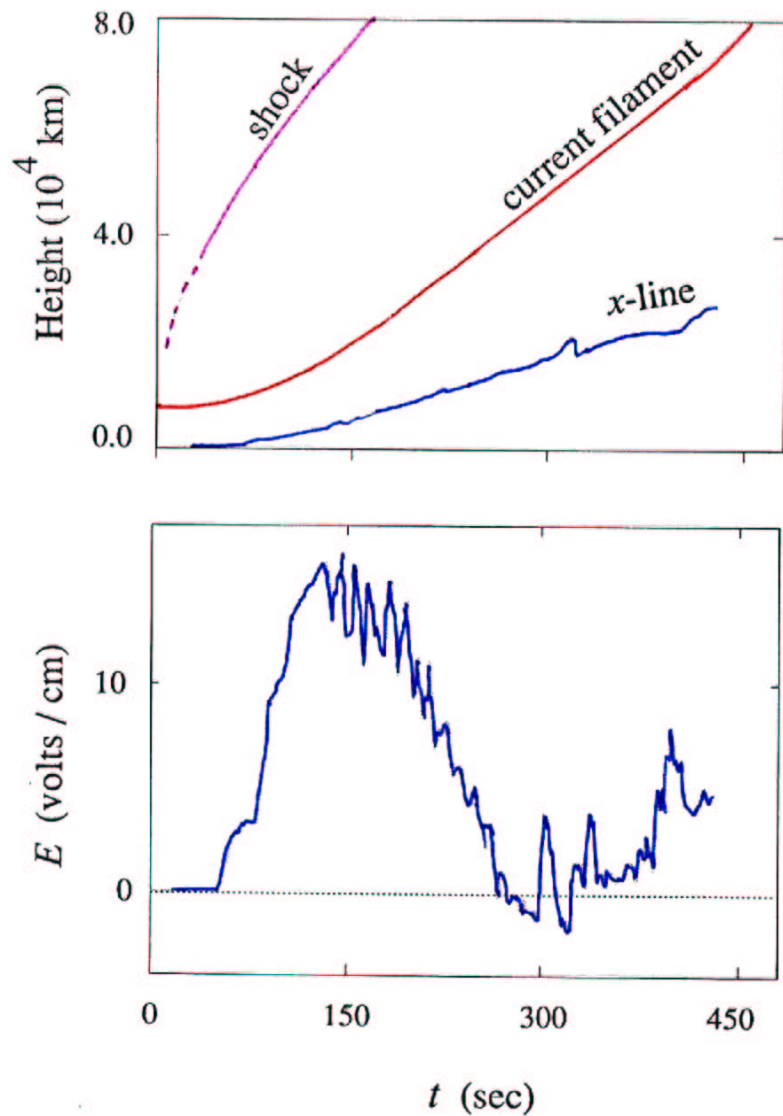
Voltage Drop Along Separator  
(from east ribbon)



2D Flux-Rope Model

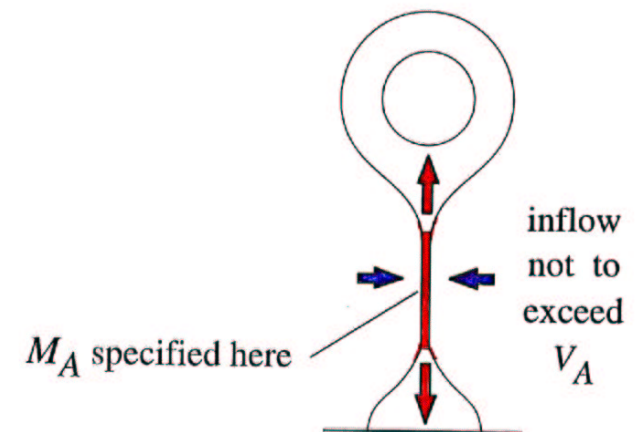


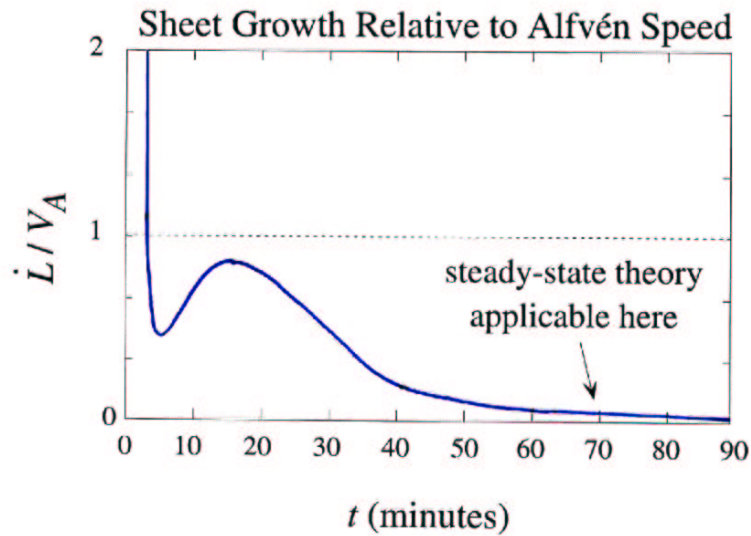
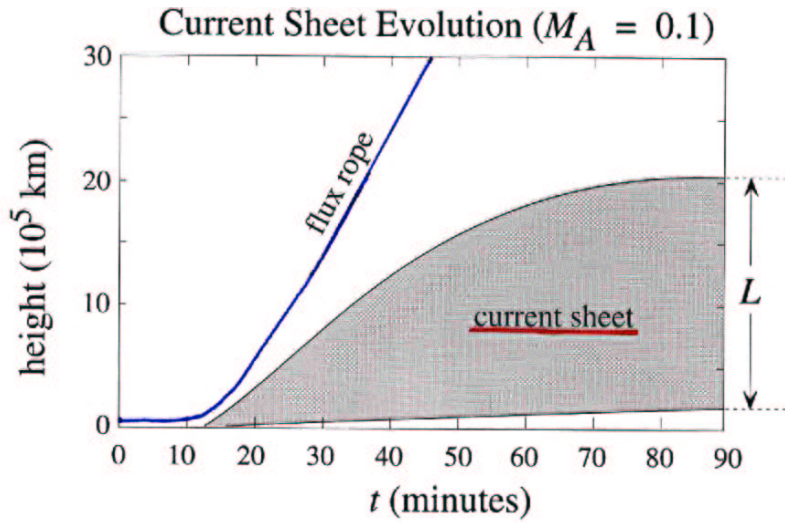




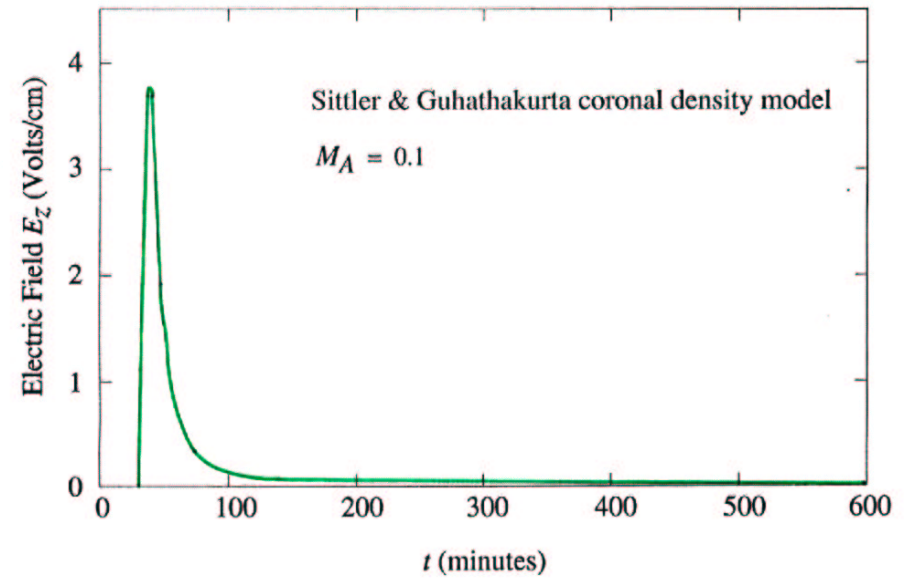
## Dynamics

- Parameterize reconnection by Alfvén Mach number,  $M_A$ , at midpoint of current sheet
- Treat the flux rope as a projectile
- Consider three types of reconnection:
  1. Turbulence:  $M_A = \text{const.} < 1$
  2. Petschek:  $M_A = \pi / (8 \log R_m)$
  3. Sweet-Parker:  $M_A = R_m^{-1/2}$





### Electric Field Predicted by 2D Flux-Rope Model



### Reconnecting Current Sheet

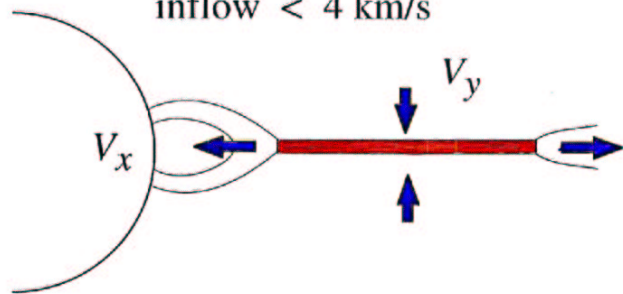
#### McKenzie & Hudson:

> 16 events

sheet outflow  $\approx$  50 to 400 km/s

#### Yokoyama et al.:

inflow < 4 km/s



#### Observables

emission measure:  $n^2 l \sin\theta$

temperature:  $T$

flow along sheet:  $V_x$

flow into sheet:  $V_y$

sheet length:  $L$

#### Theory Parameters

magnetic field:  $\mathbf{B}$

density:  $n$

temperature:  $T$

flow:  $\mathbf{V}$

magnetic diffusivity  
electrical resistivity:  $\eta$

sheet thickness:  $l$

sheet length:  $L$

$$V_y = \eta/l$$

### Unanswered Questions

1. What roles does reconnection play?
  - (a) storage
  - (b) trigger mechanism
  - (c) energy release & field relaxation?
  
2. What are the relative importance of kinetic and MHD processes in the current sheet and how do both work?
  
3. How does reconnection work during impulsive phase?
  
4. What observations are needed to calculate the effective anomalous resistivity in the corona?