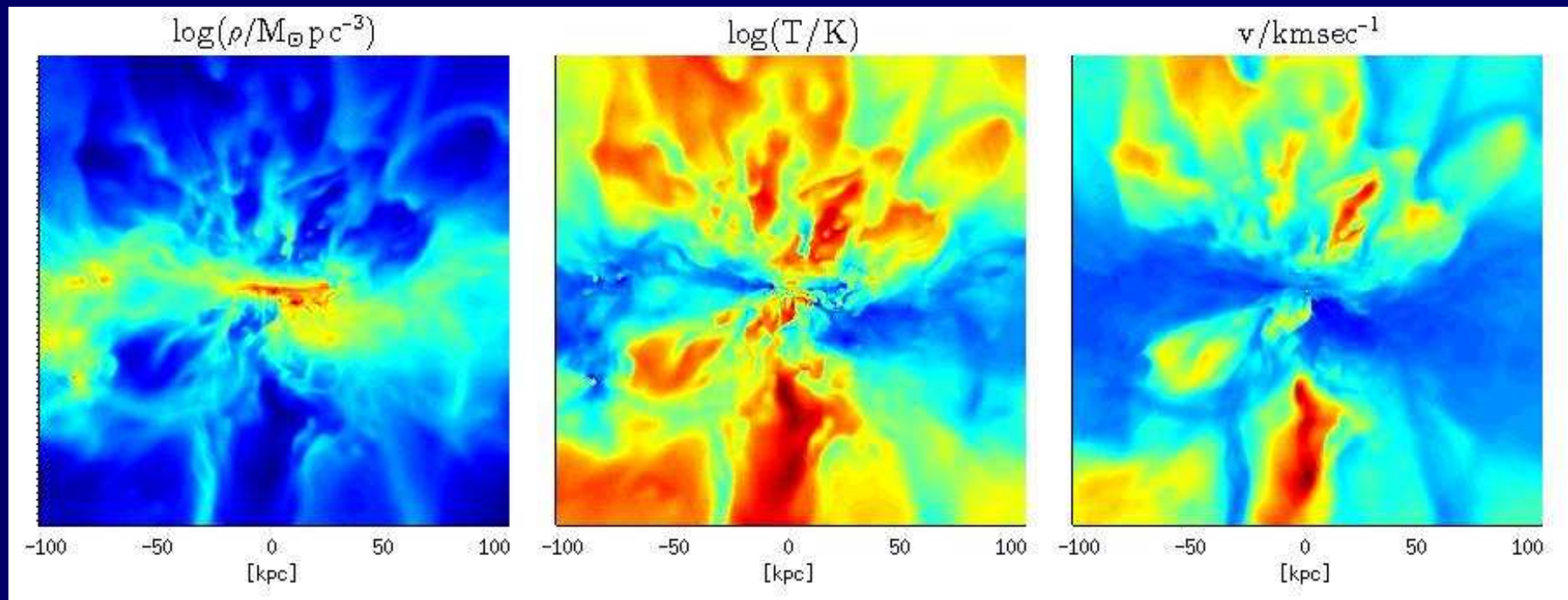


Feedback in High-z Galaxies

Avishai Dekel
The Hebrew University of Jerusalem

KITP April 2014

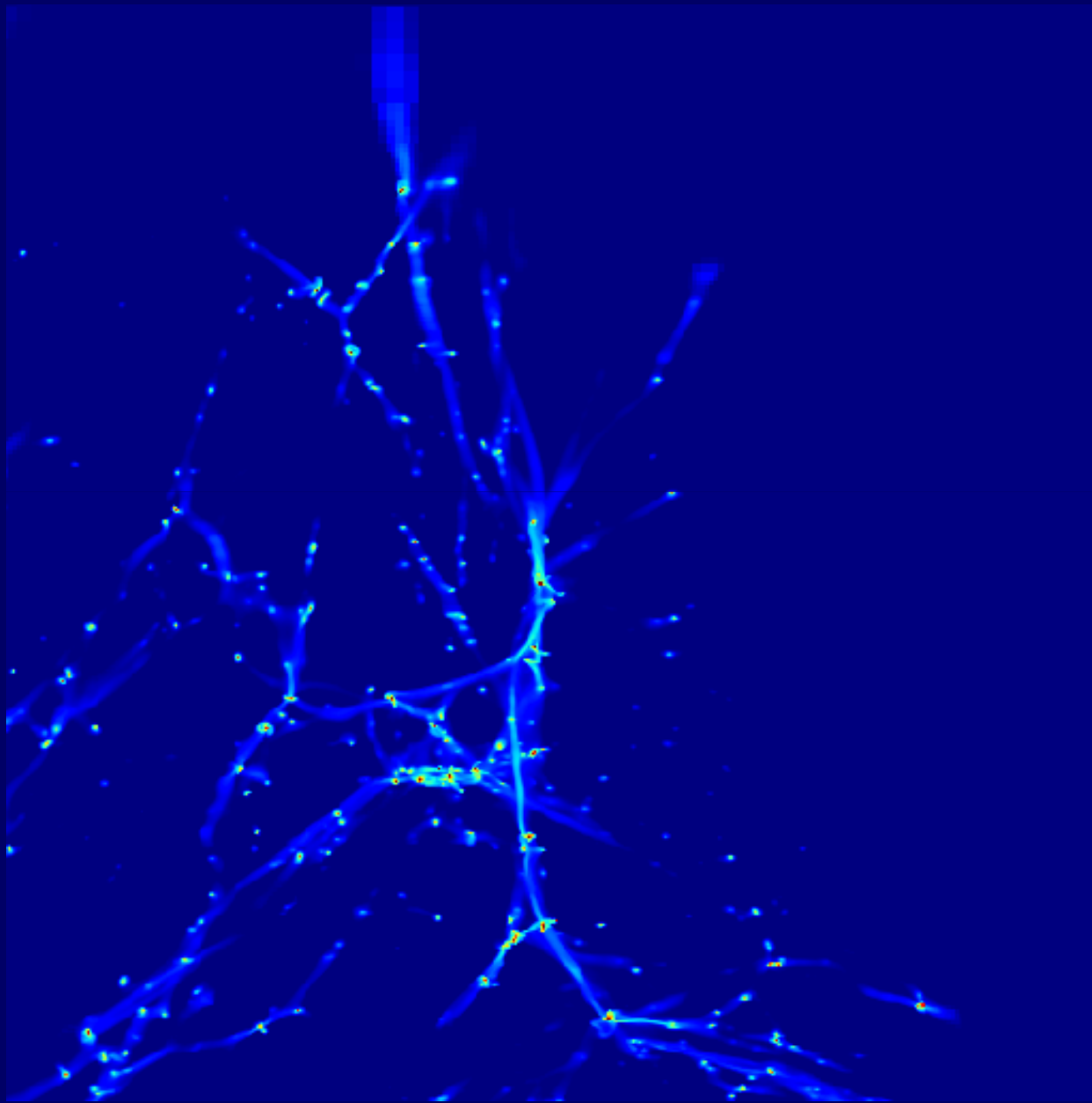


Outline

1. Inflows and outflows
2. Evolution of disk giant clumps
3. Compactification and quenching:
blue nuggets and red nuggets

1. Inflows and Outflows

Cosmic-web Streams feed galaxies



AMR RAMSES

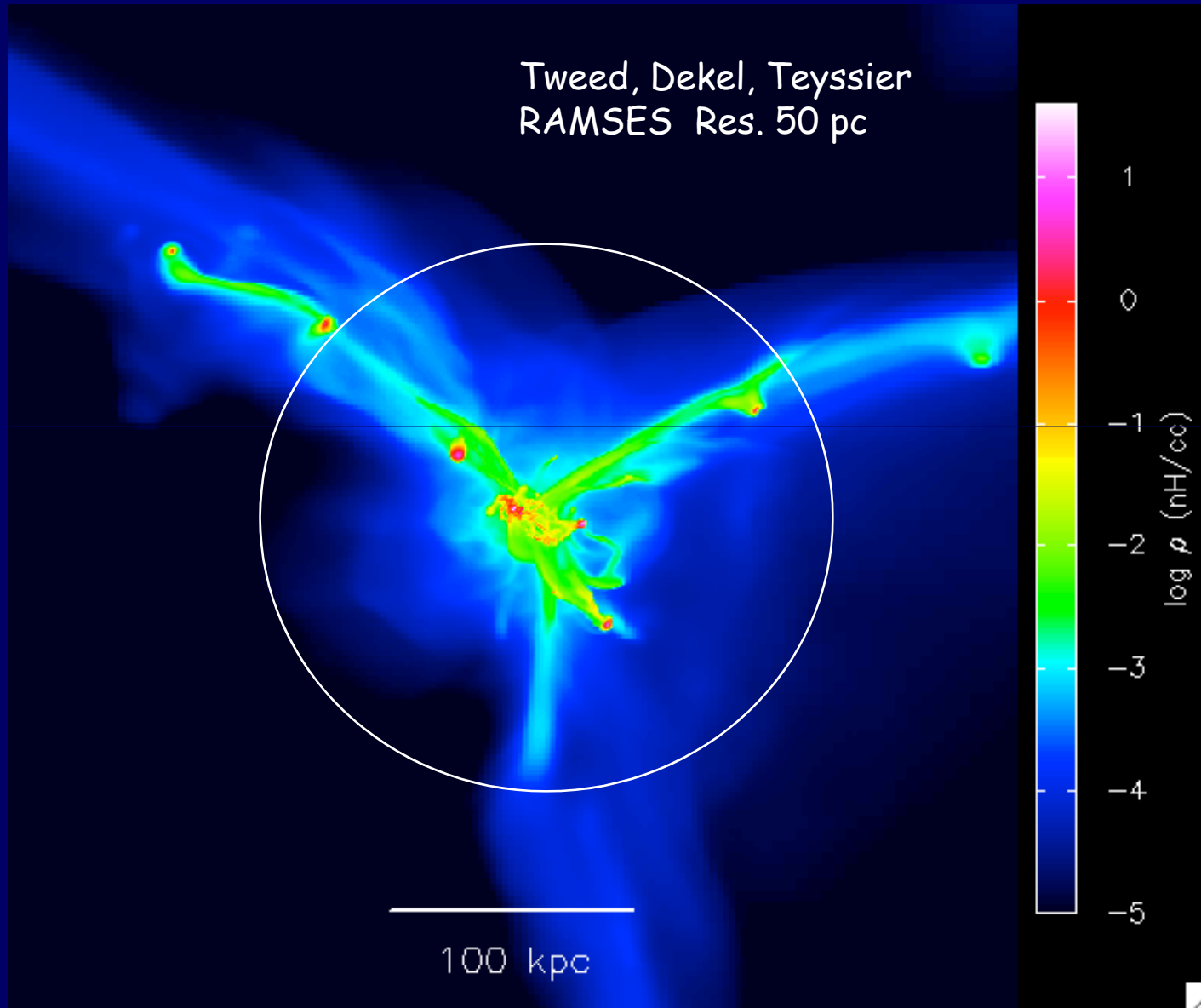
Teyssier+

box 300 kpc

res 30 pc

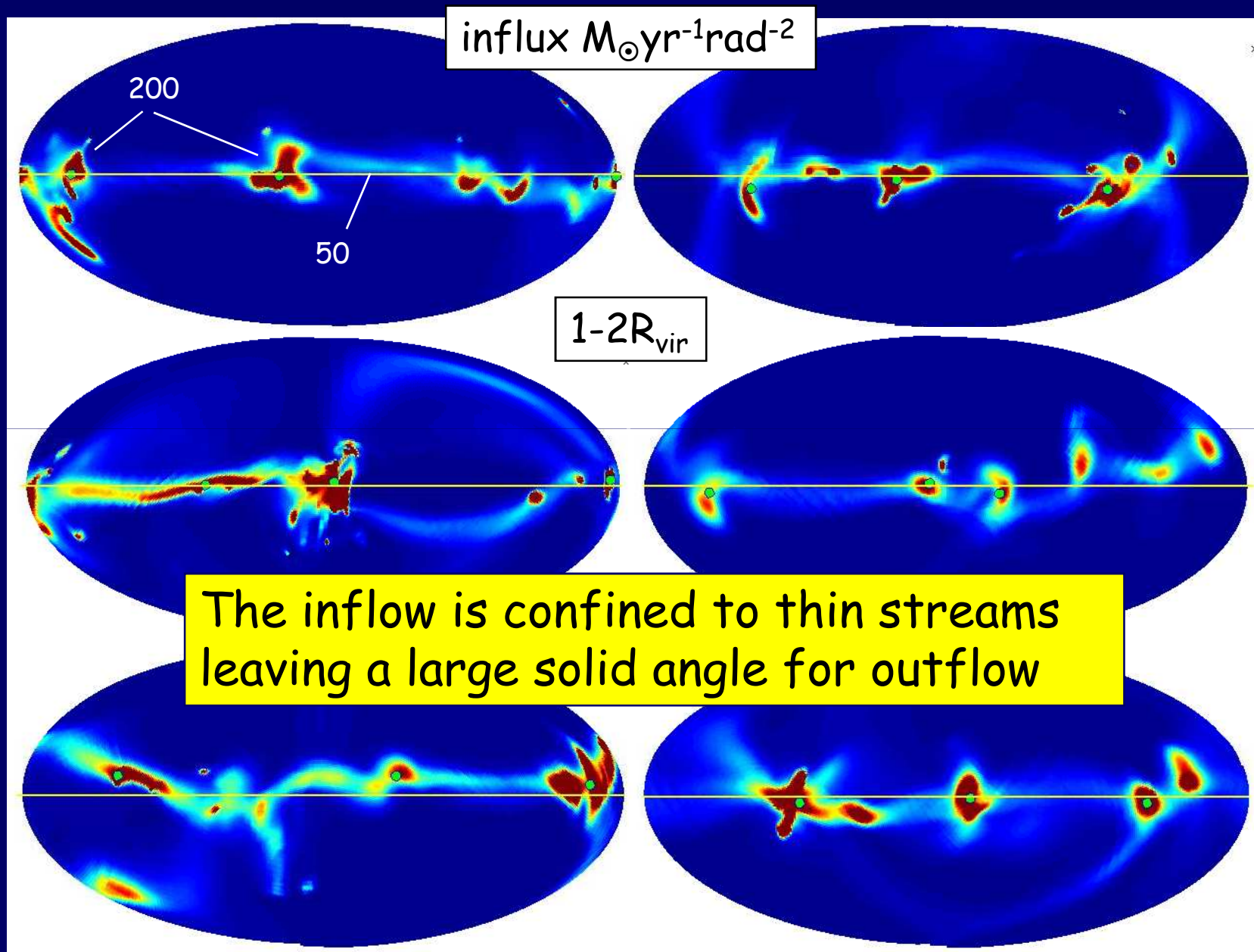
$z = 5.0$ to 2.5

Streams Feeding a High- z Galaxy

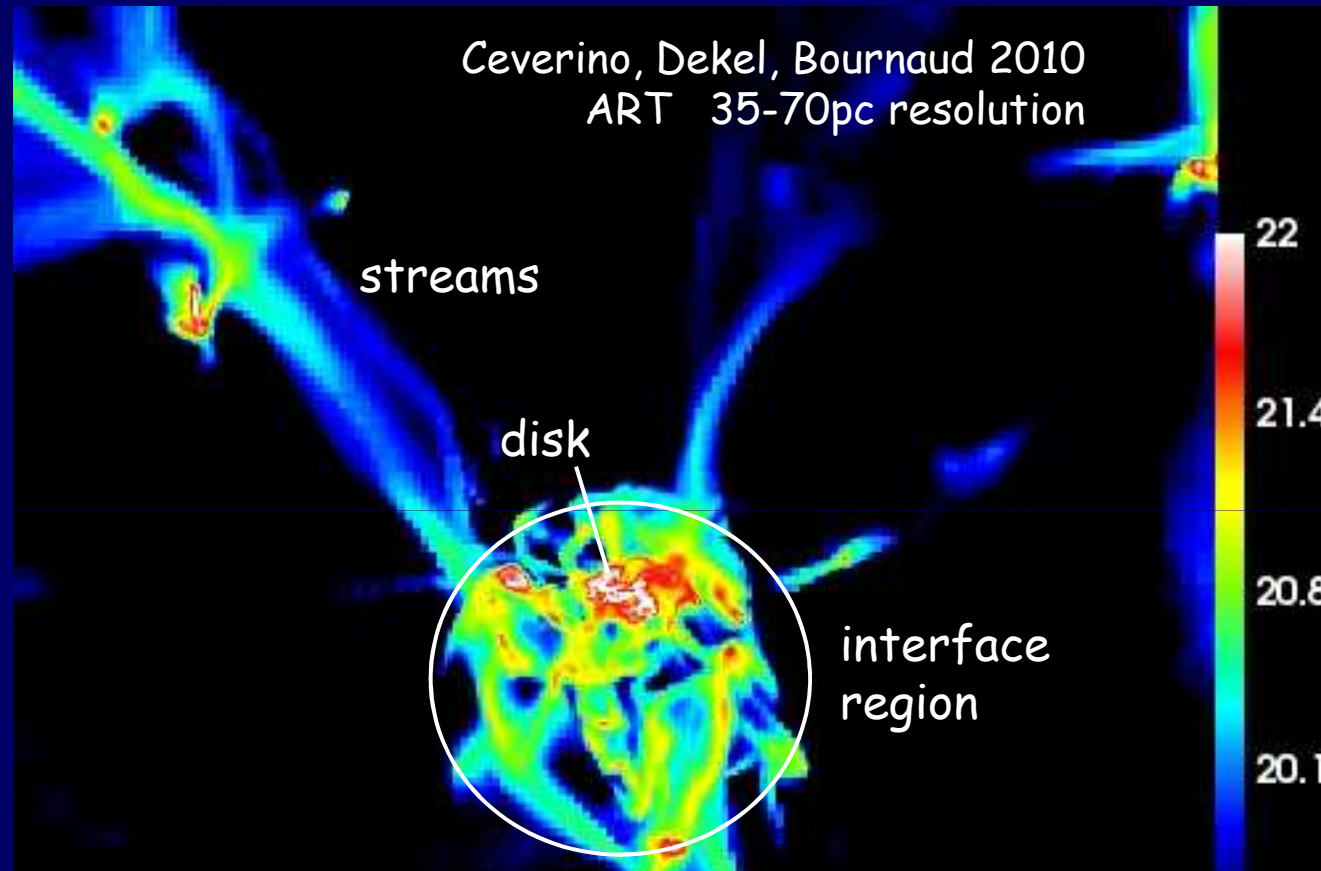


Co-planar Streams and Pancakes

Danovich, Dekel,
Teyssier, Hahn 12



The Interface of Streams and Disk



Breakup due to shocks, hydro and thermal instabilities, collisions between streams and clumps, heating

How do the streams join the disk?

Angular Momentum Buildup by Cold Gas in 4 Phases

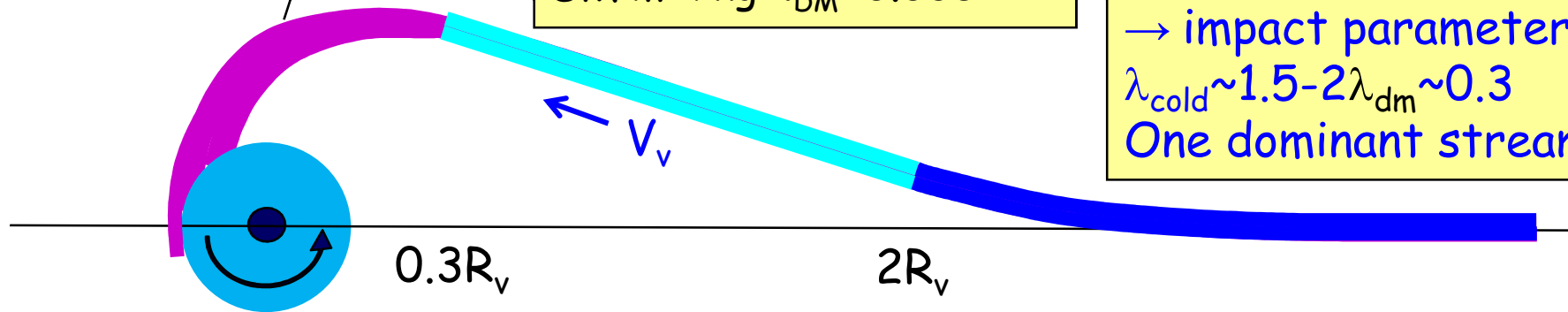
Danovich, Dekel, Hahn+ 2012, 2014
ART cosmological simulations, res 25pc

Pichon, Kimm, Devriendt, Slyz+
Stewart+

III. inner halo - outer tilted ring
non-linear torques, dissipation
AM loss $\lambda_{\text{cold}} \rightarrow 0.035$ & alignment

II. outer halo
AM transport, $j \sim \text{const.}$
 $\lambda_{\text{cold}} \sim 3\lambda_{\text{dm}} \sim 0.1$
DM mixing $\lambda_{\text{DM}} \sim 0.035$

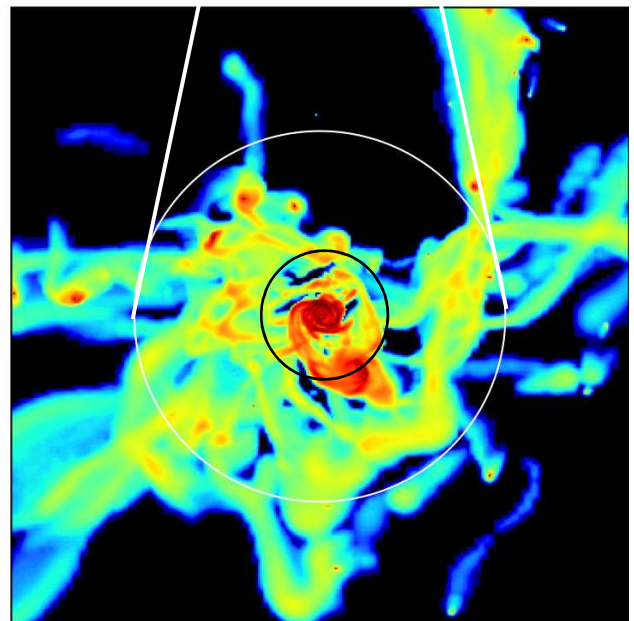
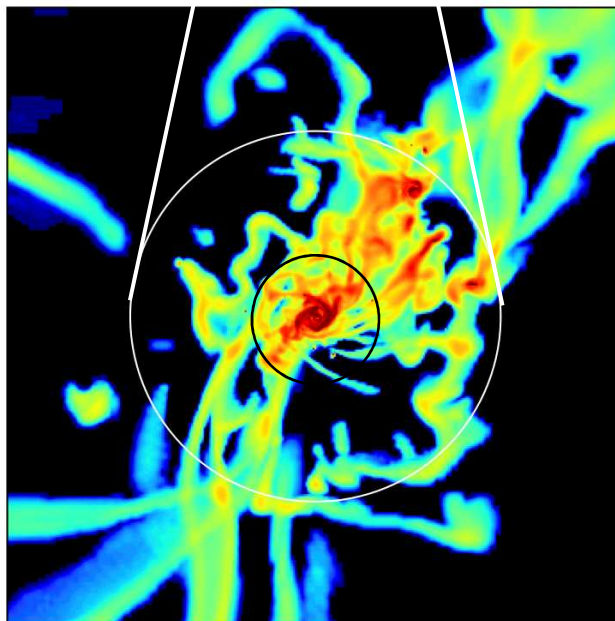
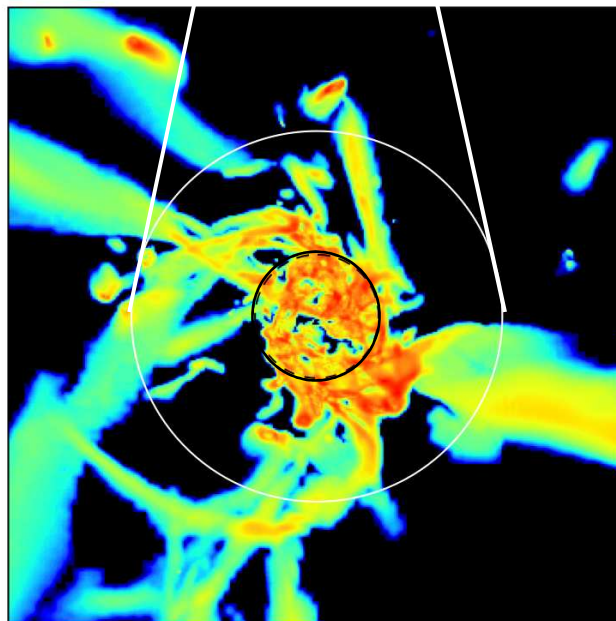
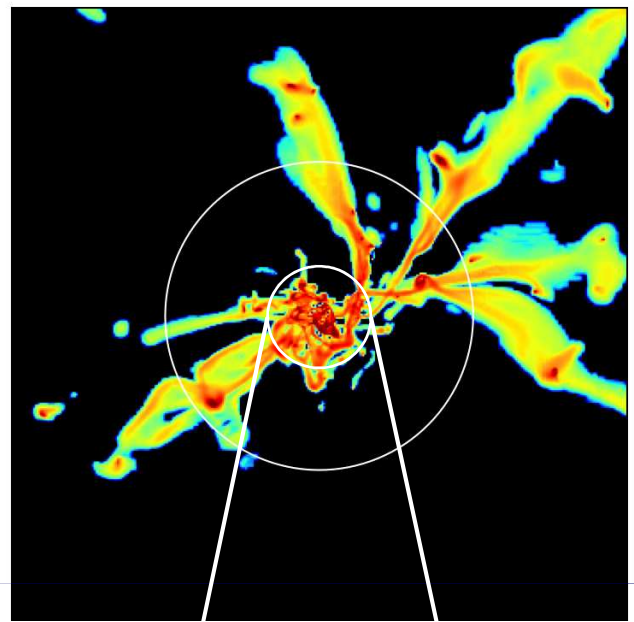
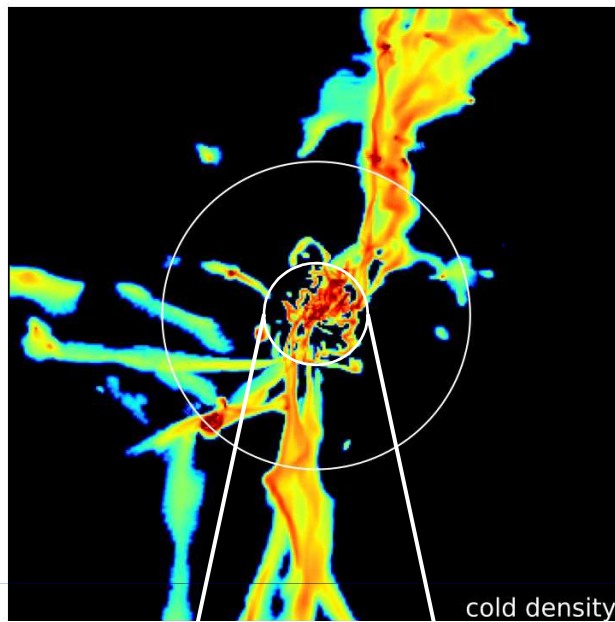
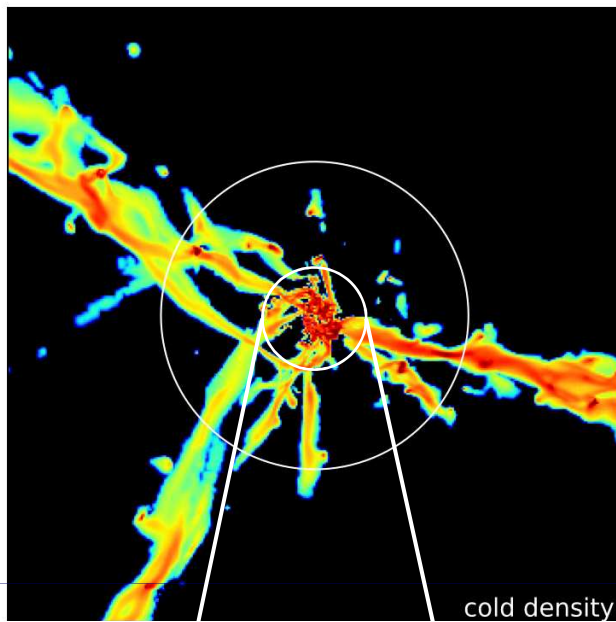
I. cosmic web
linear tidal torques
 \rightarrow impact parameter
 $\lambda_{\text{cold}} \sim 1.5-2\lambda_{\text{dm}} \sim 0.3$
One dominant stream



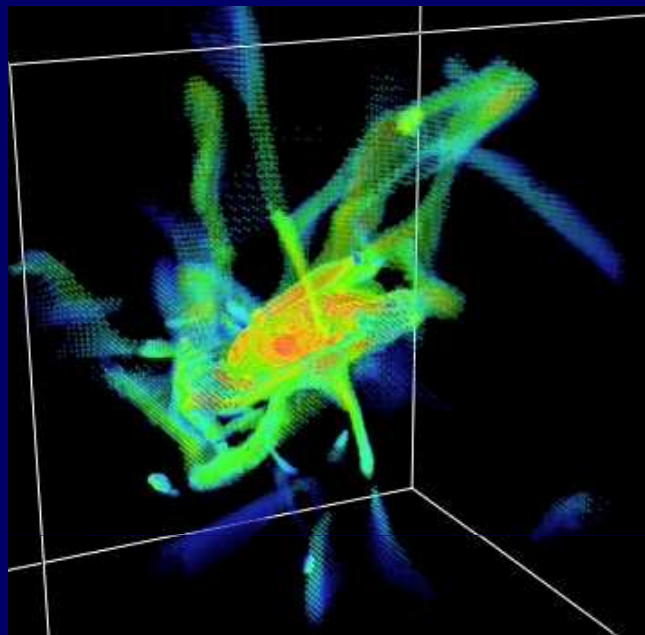
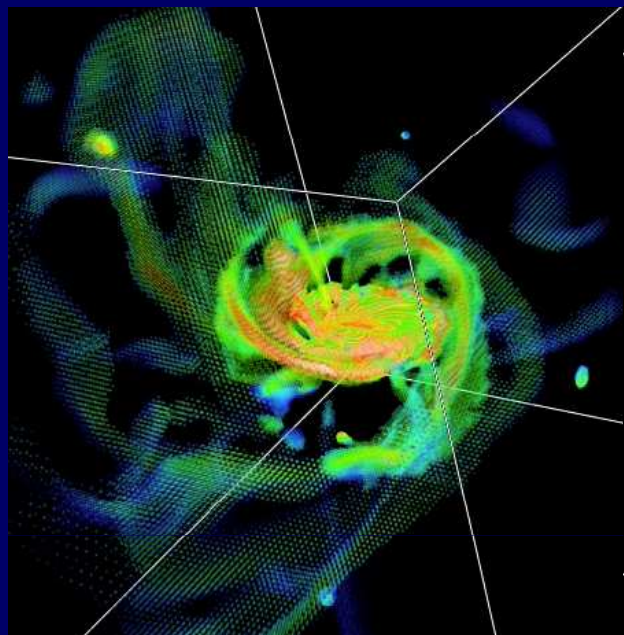
IV. inner disc + bulge
disk instability, outflows
 $\lambda_{\text{cold}} \sim 0.035$

spin parameter
 $\lambda = J / (MR_v V_v)$

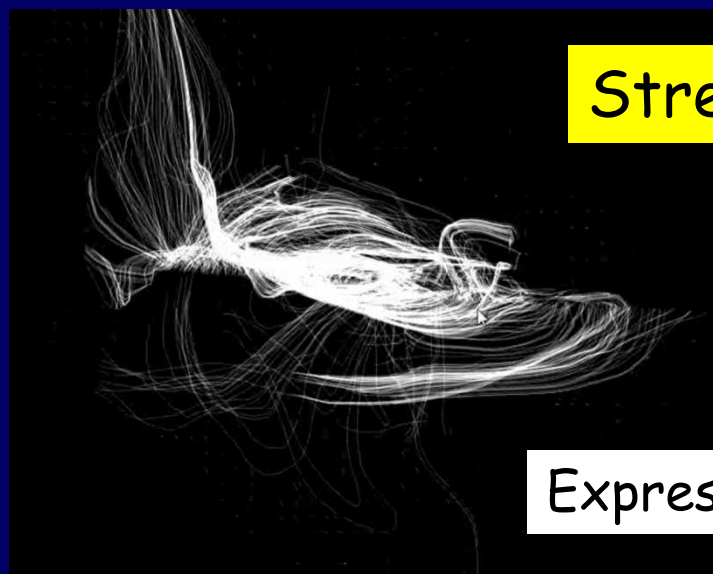
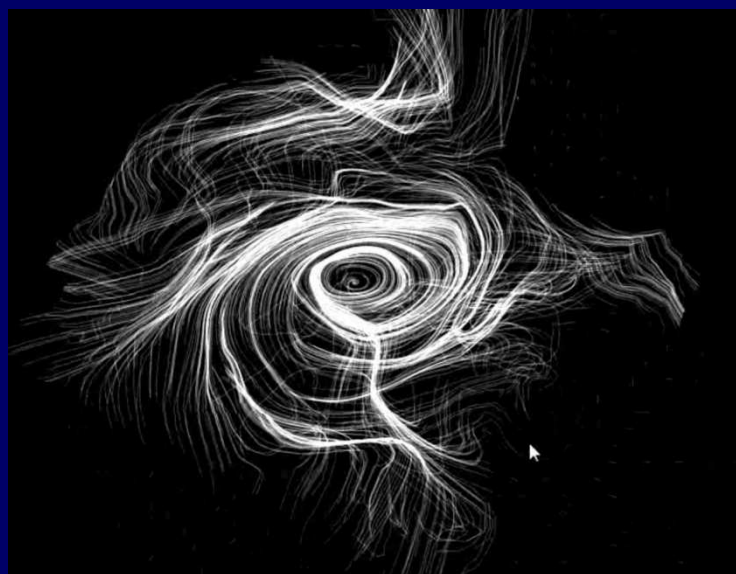
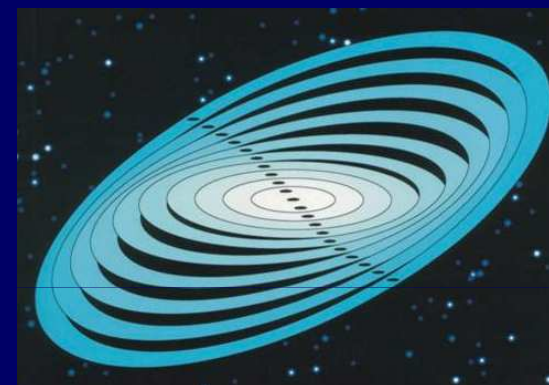
Outer Ring in the Inner Halo



Disk and Tilted Outer Ring



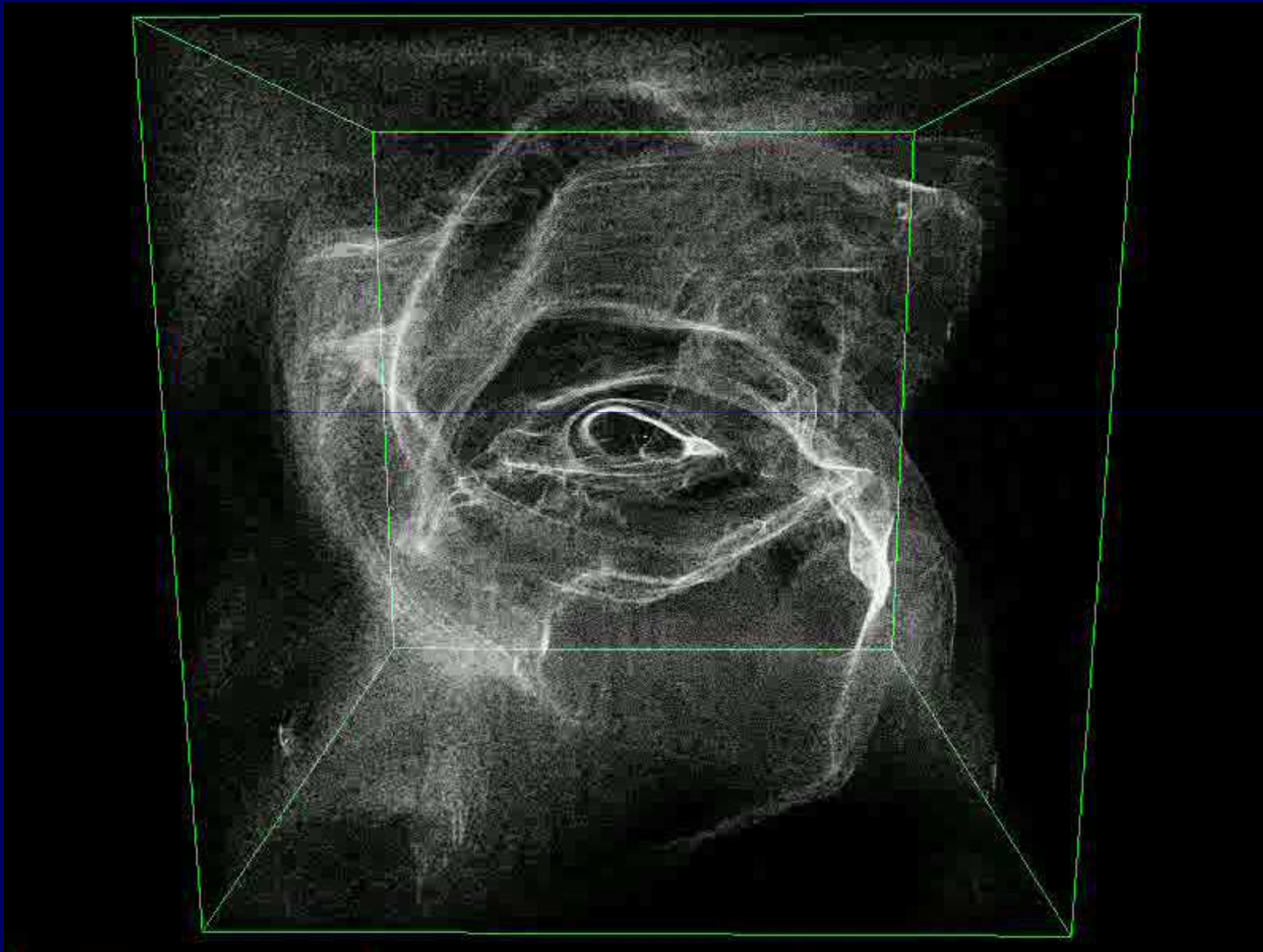
Gas density



Stream lines

Expressway entrance

Inner disk and outer ring: stream lines



Feedback in Cosmological Simulations

Ceverino, Klypin+ 14; House, Dekel, Ceverino+ 14

60 ART cosmological zoom-in simulations, resolution 25 pc

Main feedback mechanisms:

- SN feedback (energy):

Heating for 40 Myr, no time delay, 30% runaway stars

- Photo-heating and photo-ionization

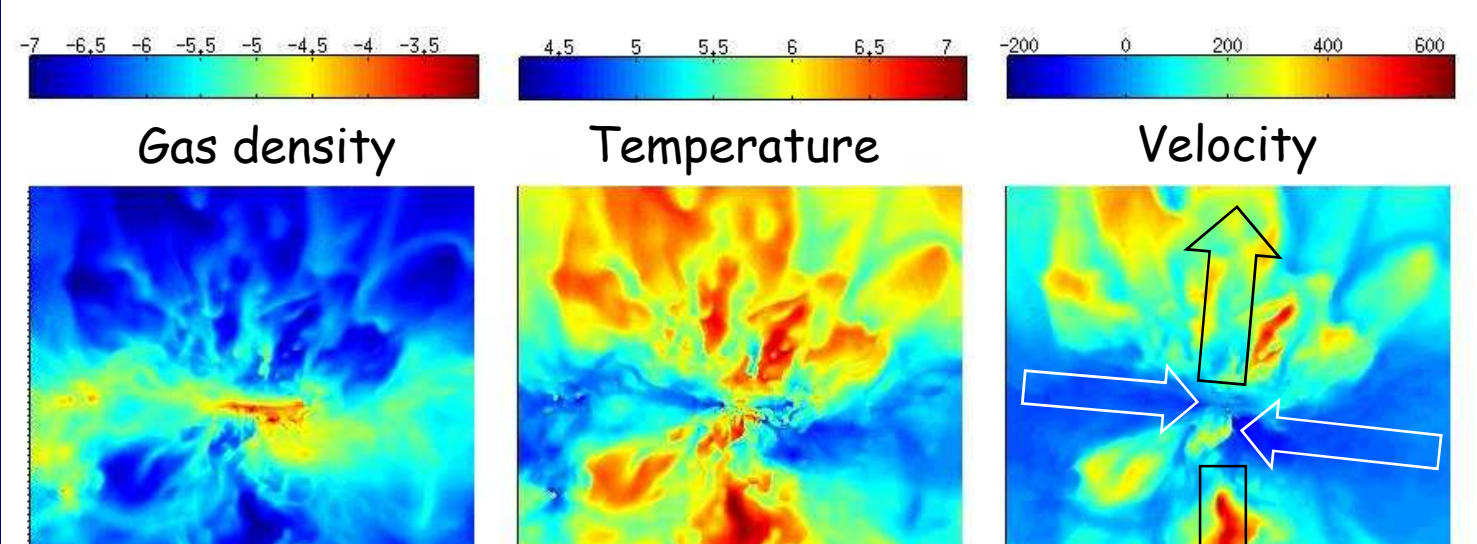
- Radiation pressure (momentum):

$P_{\text{rad}} = L / (cR^2)$ in adjacent cells, where $n_{\text{H}} > 10^{21} \text{ cm}^{-2}$, for 5 Myr

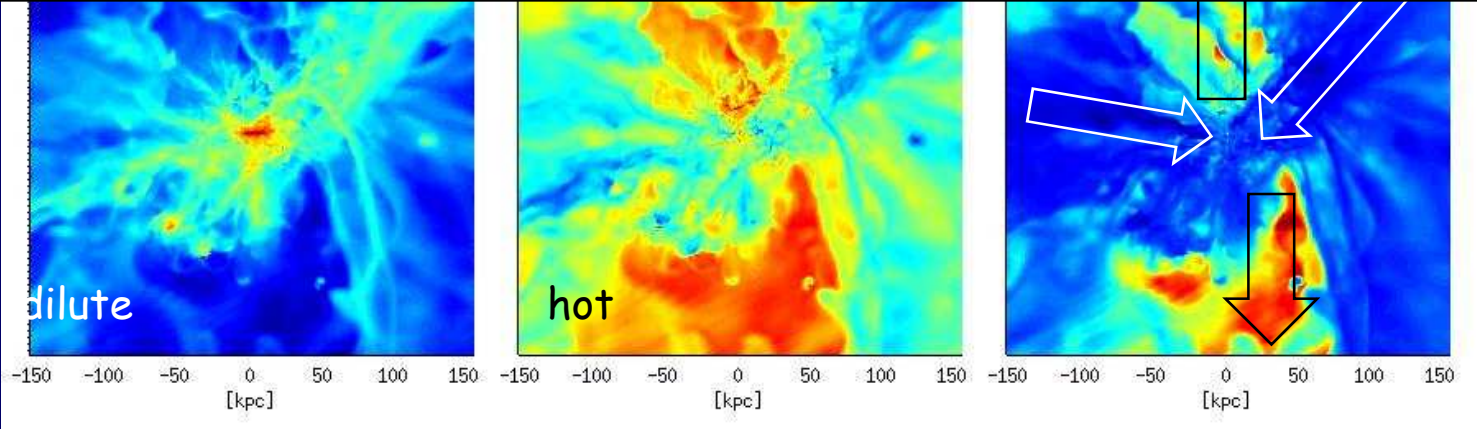
Mass loading factor $\eta \sim 2$ (0.2-10)

Inflows and Outflows

House, Dekel,
Ceverino+ 14



Inflows and outflows live in harmony:
Dense, cold, metal-poor inflows penetrate into the disk
Hot, metal-rich, fast outflows fly through the dilute CGM

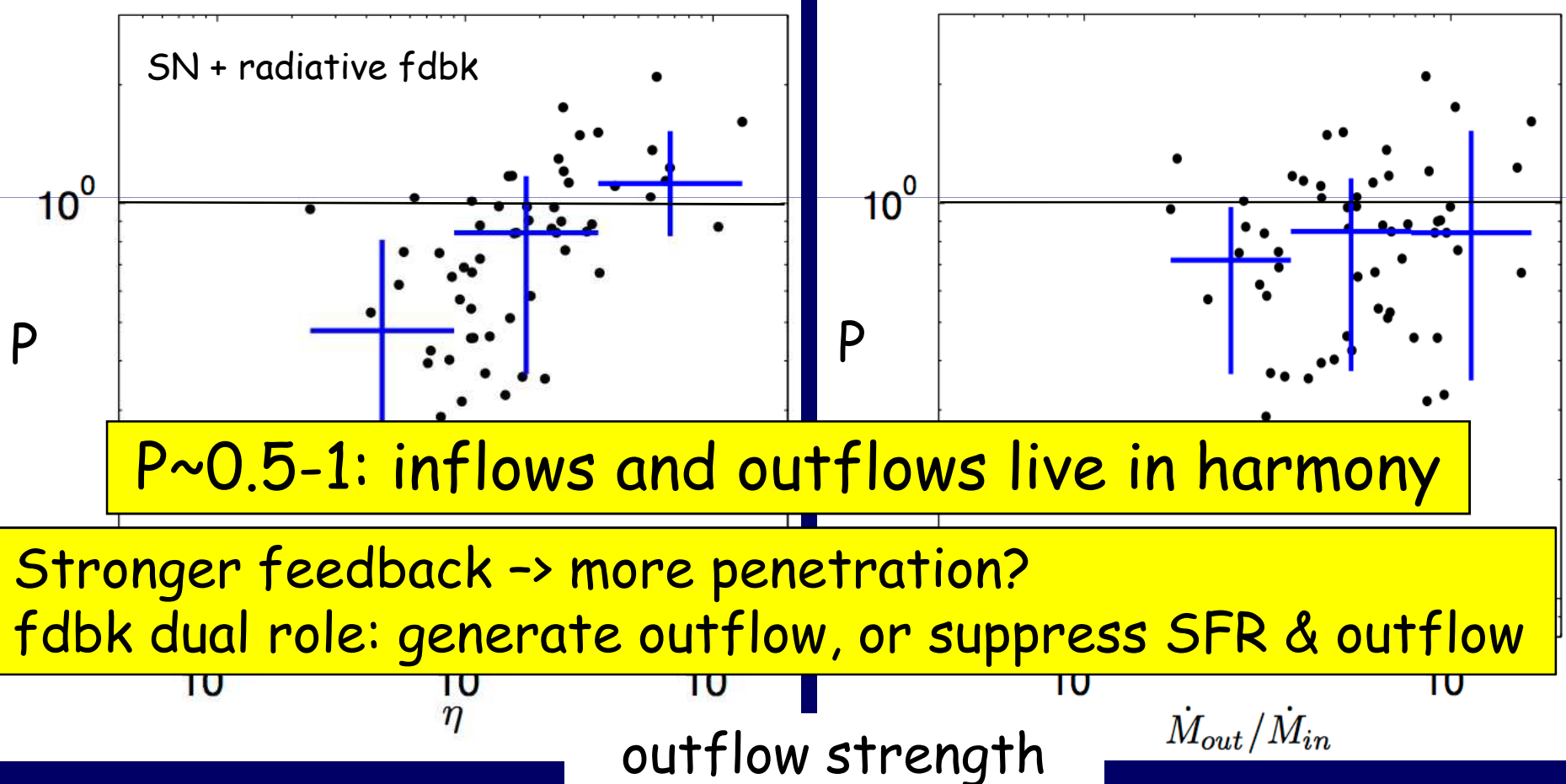


$z=2.6$
 $M_V=7 \times 10^{11}$

Inflow Penetration

House, Dekel, Ceverino+14: ART cosmological simulations 25pc res.

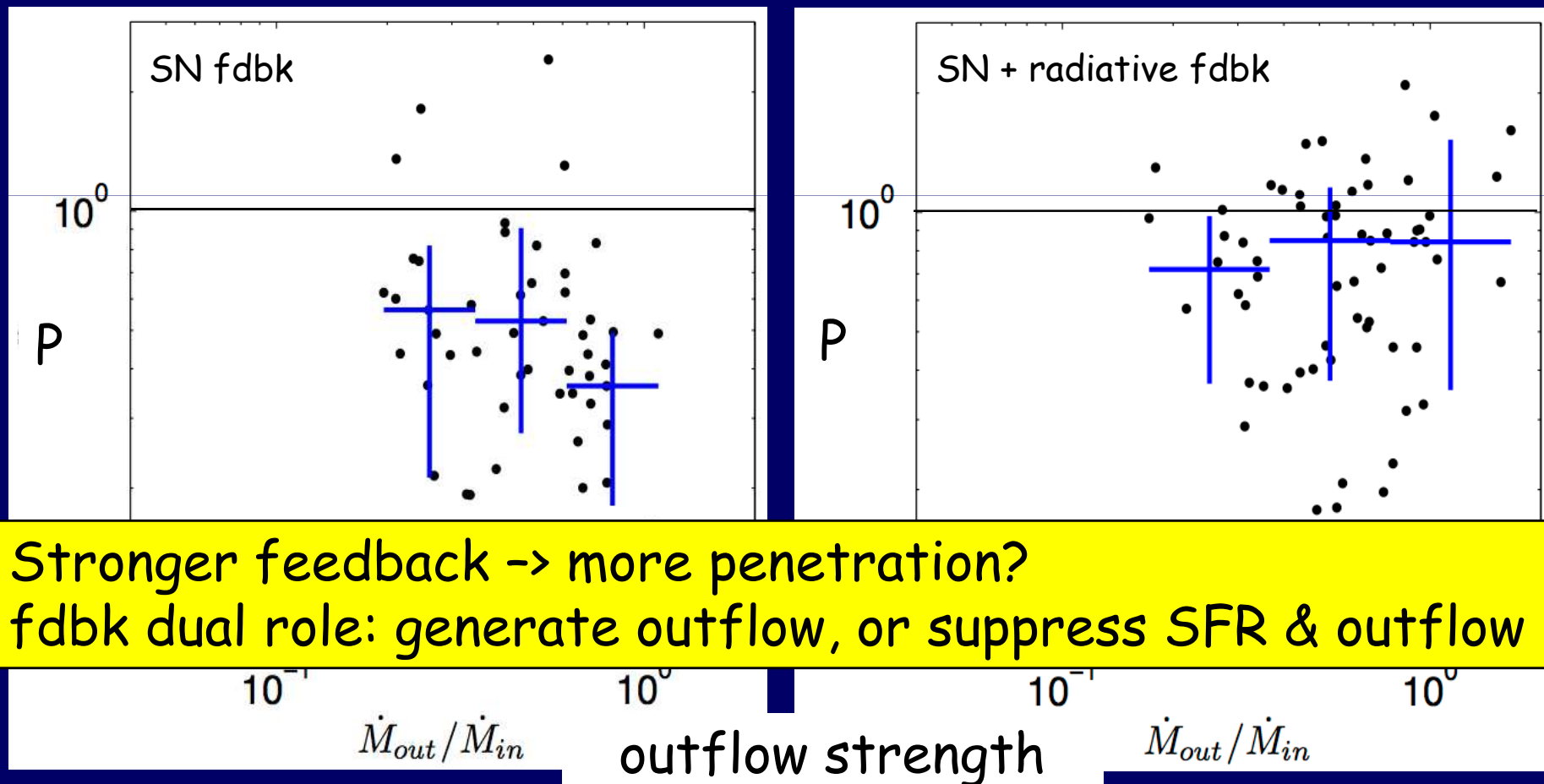
$$P = \dot{M}_{\text{in}}(0.1R_v) / \dot{M}_{\text{in}}(R_v) \quad Z < 0.1$$



Inflow Penetration

House, Dekel, Ceverino+14: ART cosmological simulations 25pc res.

$$P = \dot{M}_{\text{in}}(0.1R_v) / \dot{M}_{\text{in}}(R_v) \quad Z < 0.1$$

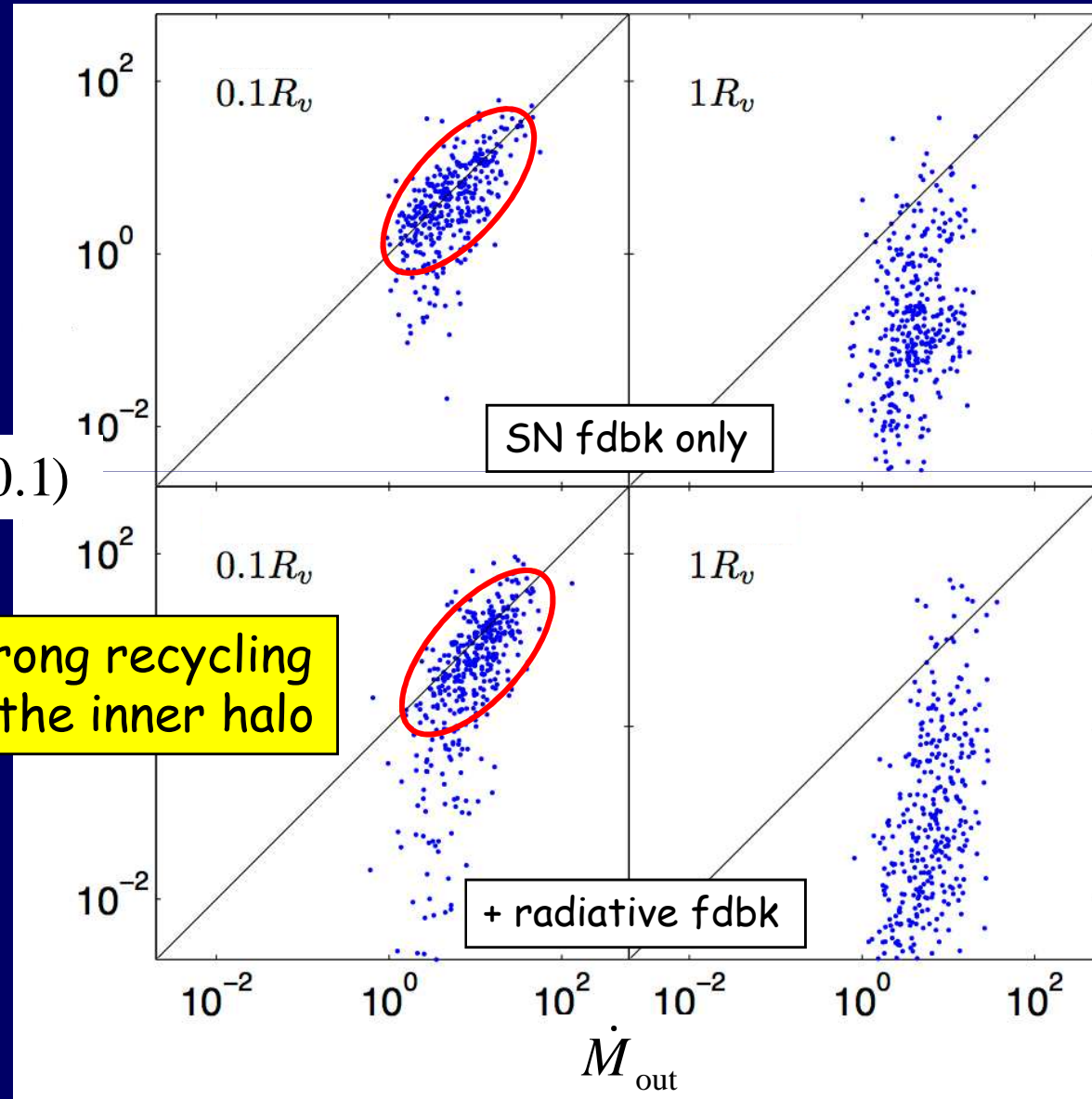


Stronger feedback -> more penetration?
fdbk dual role: generate outflow, or suppress SFR & outflow

Strong Recycling of Outflows

$\dot{M}_{\text{in}} (Z > 0.1)$

strong recycling
in the inner halo



Bathtub Toy Model

Dekel, Mandelker 14

Continuity

$$\dot{M}_g = f_{ga} \dot{M}_a - (\mu + \eta) \dot{M}_{sf}$$

$$\eta = \dot{M}_{loss} / \dot{M}_{sf} = \eta_{out} - \eta_{rec}$$

$$\dot{M}_s = f_{sa} \dot{M}_a + \mu \dot{M}_{sf}$$

$$\mu \approx 0.5 \text{ fraction left in stars}$$

Accretion rate

$$\dot{M}_a / M_a = 0.03 \text{ Gyr}^{-1} (1+z)^{5/2}$$

$$M_a = M_{ai} e^{-0.8(z-z_i)}$$

Neistein, Dekel 08; Dekel et al 13

SFR

$$\dot{M}_{sf} = M_g / t_{sf} \quad t_{sf} = \varepsilon^{-1} t_d \propto t$$

$$\dot{M}_g = A - \tau^{-1} M_g$$

Quasi-steady-state:

$$M_g \approx A \tau$$

Observables:

gas fraction

$$f_g^{-1} = 1 + \frac{\mu + \cancel{f_{sa} \eta}}{f_{ga} t_{sf} / t_a}$$

$$t_{sf} / t_a \propto \varepsilon^{-1} (1+z)$$

$f(\varepsilon)$, slowly declining with t

star/halo fraction

$$\frac{M_s}{M_v} = p f_b \frac{\mu + \cancel{f_{sa} \eta}}{\mu + \eta}$$

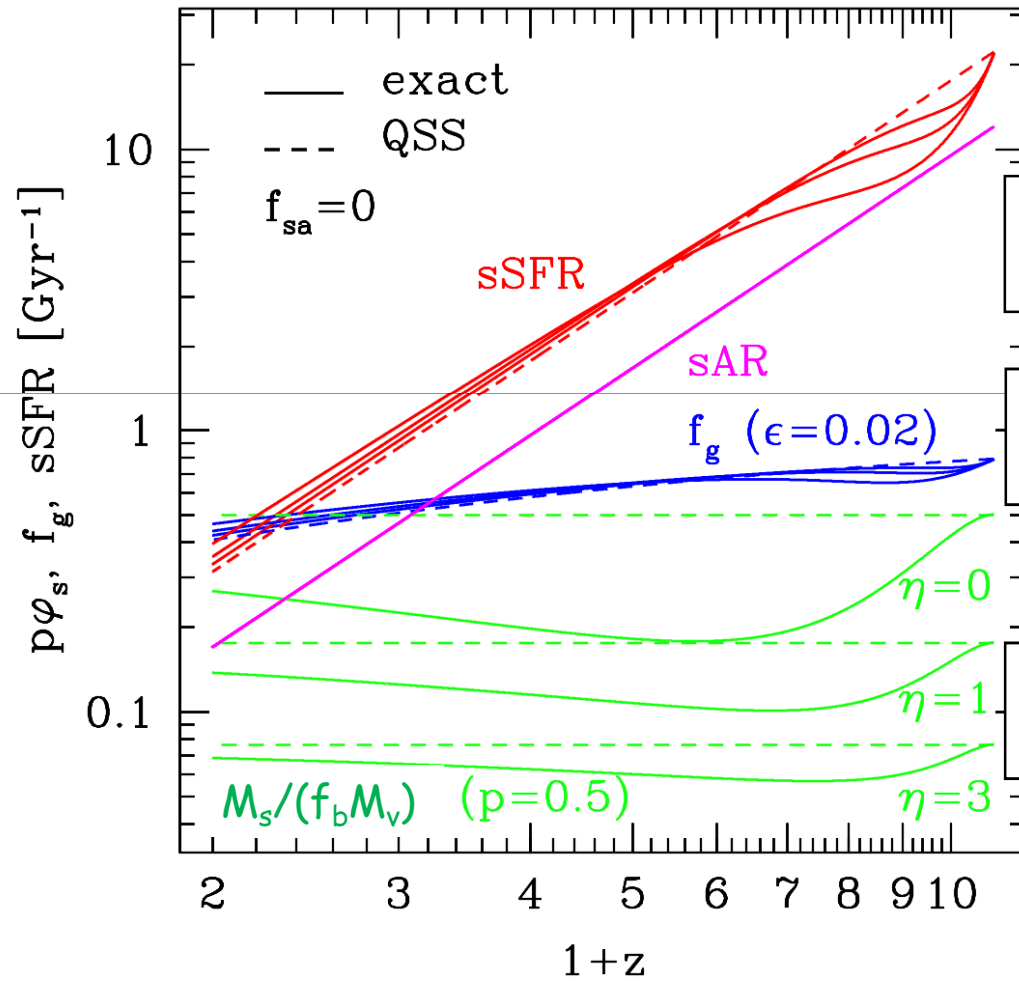
$f(\eta)$, constant

sSFR

$$\frac{\dot{M}_{sf}}{M_s} = \frac{f_{ga}}{\mu + \cancel{f_{sa} \eta}} \frac{\dot{M}_a}{M_a}(t)$$

independent of ε, η , $\gg \text{sAR}$

Bathtub Toy Model: Solution



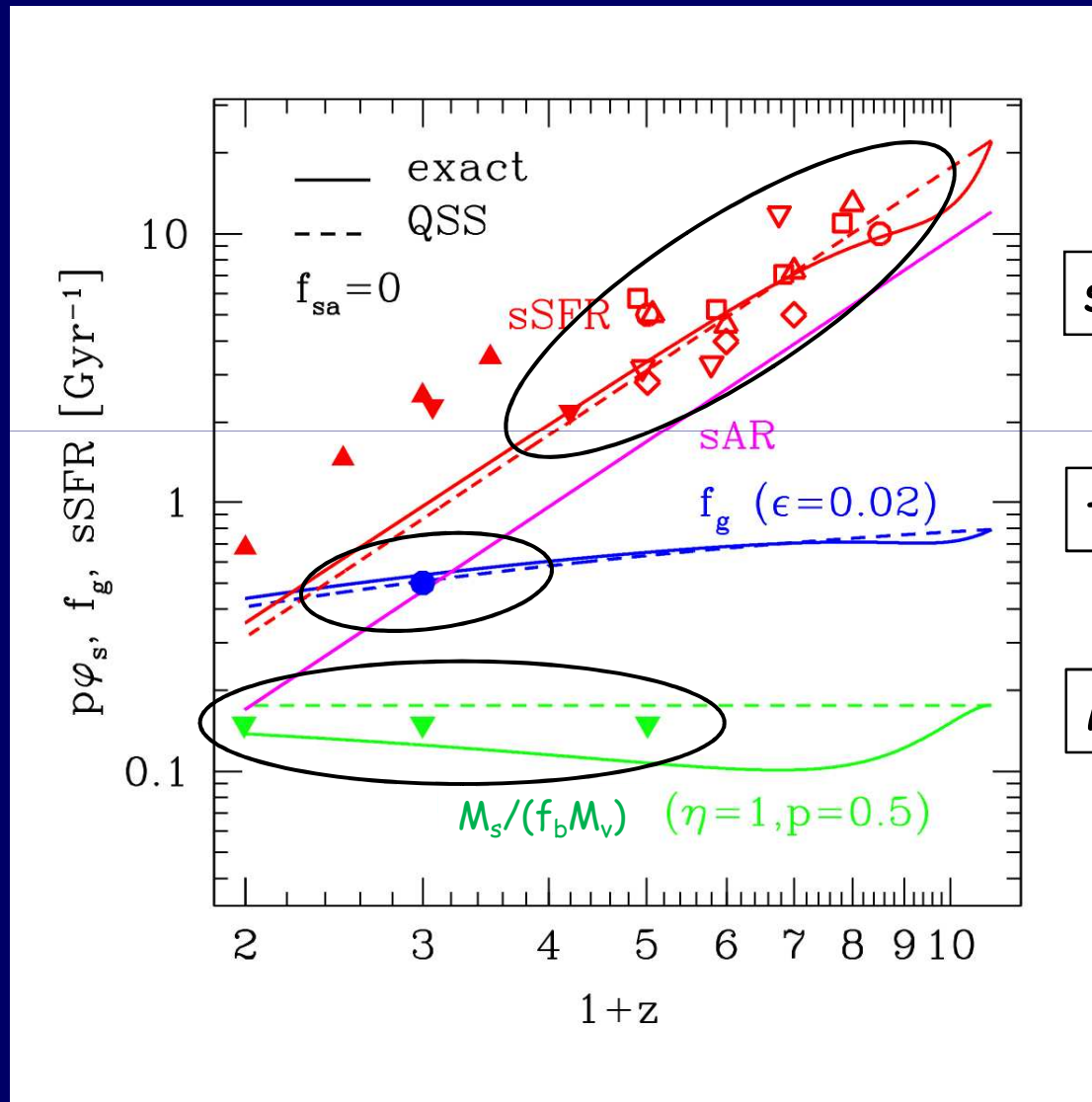
sSFR > sAR
insensitive to ϵ, η

f_g declines slowly
 $f(\epsilon)$

$M_s/M_v \sim \text{const.}$
 $f(\eta)$

Bathtub Toy Model vs Observations

If *gaseous* accretion (high z ?): a good fit at $z > 3$



$sSFR > sAR$

$f_g \rightarrow \epsilon \sim 0.02$

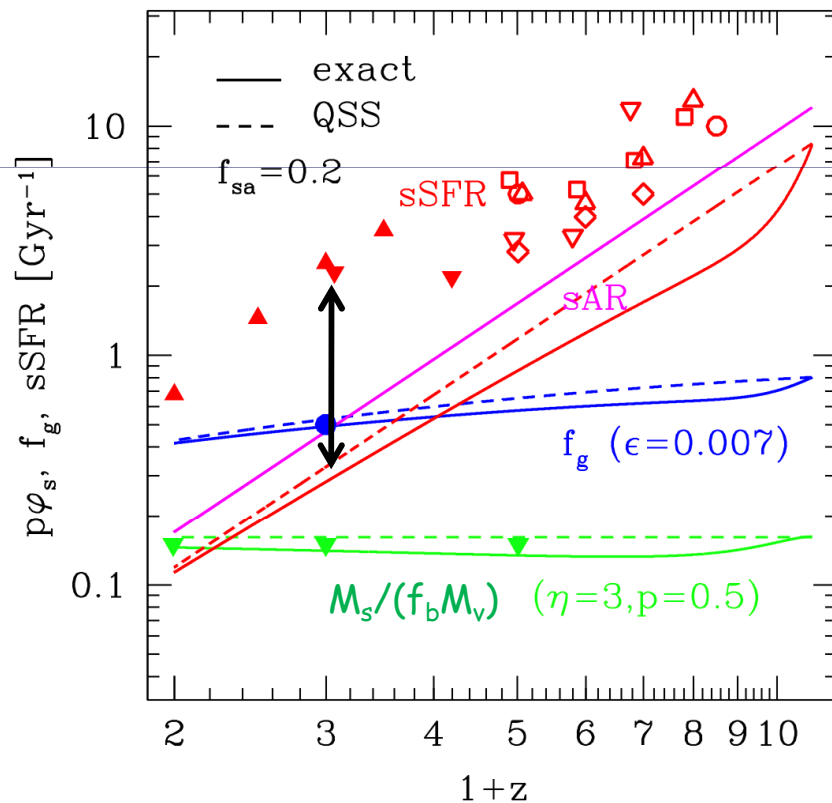
$M_s/M_v \rightarrow \eta \sim 1$

Bathtub Toy Model vs Observations

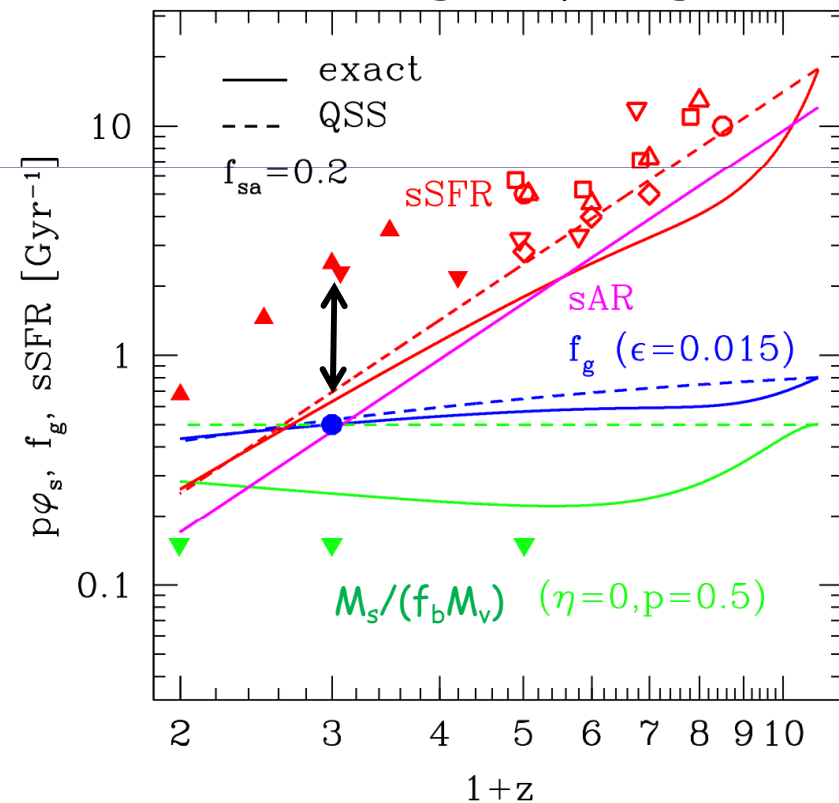
If some **stellar** accretion: can't match the high sSFR at $z \sim 2$

Modeling recycling? Observational bias? Toy model invalid?

strong outflow



+strong recycling



2. Evolution of Disk Giant Clumps

Violent Disk Instability (VDI) at High z

High gas density because

- denser universe
- high accretion rate
- suppressed SFR

$$\dot{M} / M \approx 0.03 (1+z)^{2.5} \text{ Gyr}^{-1}$$

Neistein, Dekel 08; Dekel et al 13

→ Toomre disk instability

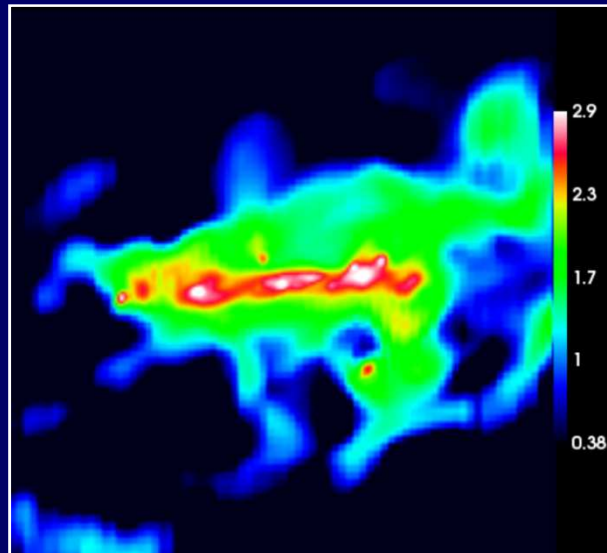
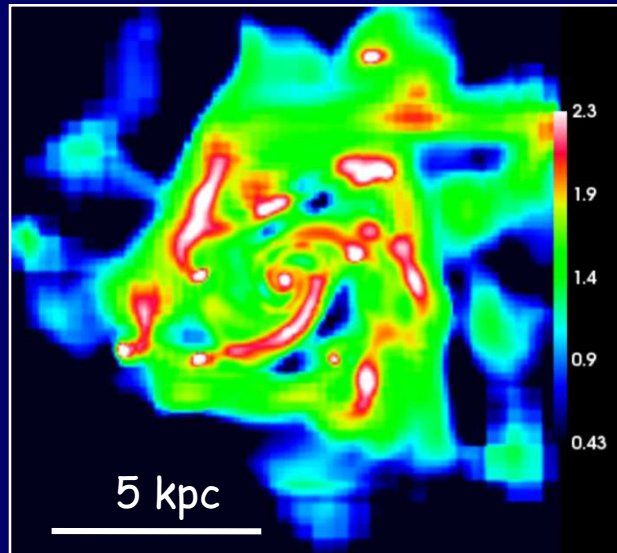
$$Q \propto \frac{\sigma_{\text{cold}} \Omega}{G \Sigma_{\text{cold}}} \leq 1$$

$$R_{\text{clump}} \propto \frac{G \Sigma_{\text{cold}}}{\Omega^2}$$

→ giant clumps and transient perturbations $\sim 10^9 M_{\odot}$

affecting the disk dynamics,
rapid evolution on a disk dynamical timescale

→ **violent, not secular**



Toomre 64;

Isolated galaxies:

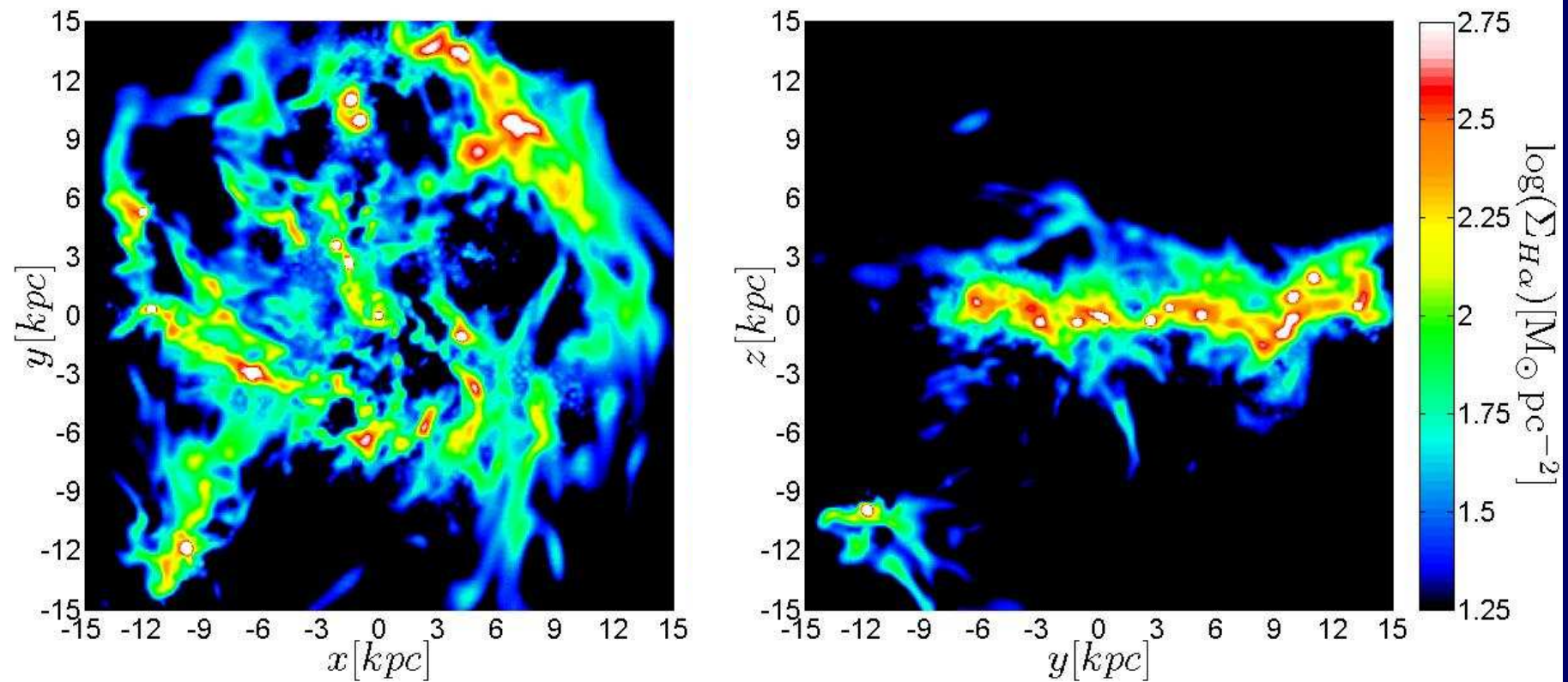
Noguchi 99; Immeli + 04;
Bournaud, Elmegreen,
Elmegreen 06, 08; Hopkins +
12; Bournaud + 13

In cosmology:

Dekel, Sari, Ceverino 09;
Agertz + 09; Ceverino + 09,11;
Genel + 12; Cacciato + 12;
Forbes +13; Dekel + 13

Violent Disk Instability (VDI) at High z

Ceverino+ ART-AMR cosmological simulations at 25pc resolution



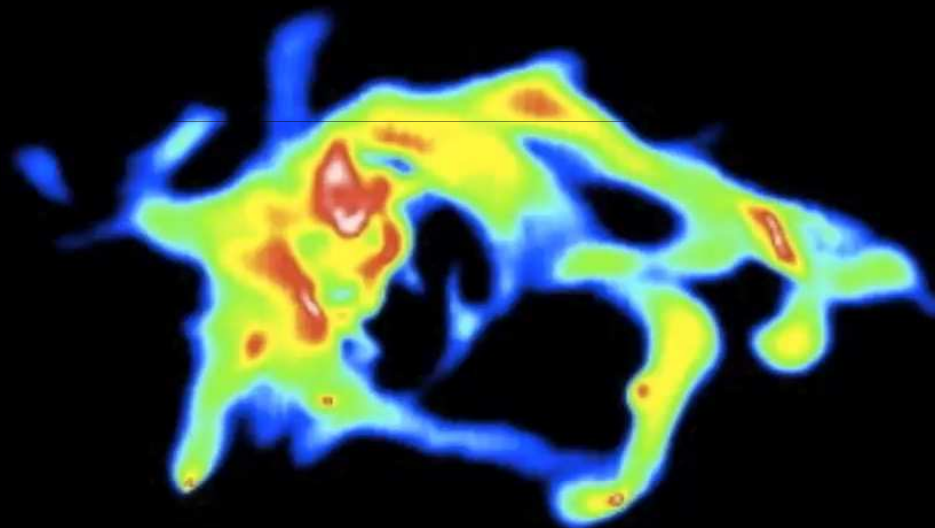
Clumpy Disk

Ceverino, Dekel+ 2010
res 50 pc

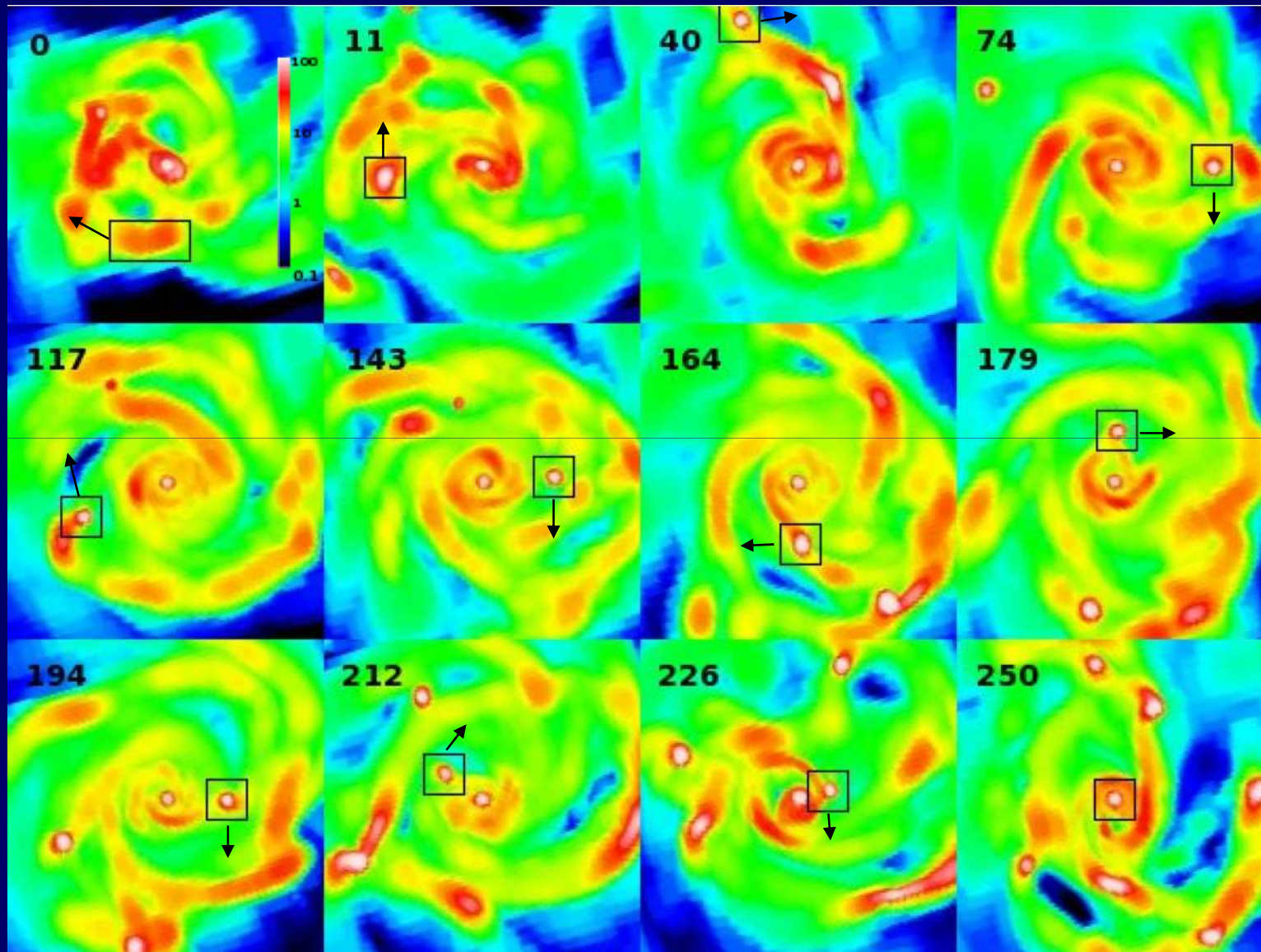
10 kpc

$z=4-2.1$

Record=284.00

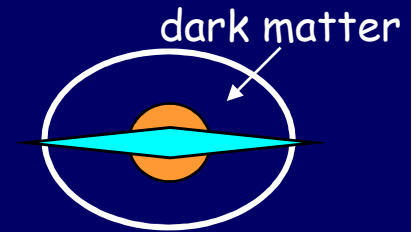


Clump Migration on an Orbital Timescale



Ceverino, Dekel, Bournaud 10

Clump Evolution during Migration



Toomre instability

$$1 \approx Q \approx \delta^{-1} \frac{\sigma}{V}$$

$$\delta \equiv \frac{M_{\text{disk}}}{M_{\text{tot}} (R_{\text{disk}})}$$

- **Migration** to center: torques, encounters, dyn. friction

$$t_{\text{mig}} \approx \delta^{-2} t_{\text{dyn}} \approx 8 t_{\text{dyn}} \approx 250 \text{ Myr}$$

Dekel, Sari, Ceverino 09

- **Mass gain**

$$\dot{M}_{\text{acc}} \approx \rho_{\text{d}} R_{\text{T}}^2 \sigma_{\text{d}}$$

→

$$t_{\text{acc}} \approx 8 t_{\text{dyn}} \approx t_{\text{mig}}$$

Dekel, Krumholz 13; Bournaud+ 13; Mandelker+ 14

- **Star formation**

$$t_{\text{sfr}} \approx (3 \varepsilon_{\text{sfr}})^{-1} t_{\text{dyn}} \approx 30 t_{\text{dyn}} \approx 3 t_{\text{mig}}$$

- **Momentum-driven outflows; steady wind**

$$\dot{p}_{\text{w}} = \psi_{\text{w}} V_{\text{L}} \dot{M}_{*}$$

$$L/c = V_{\text{L}} \dot{M}_{*}$$

$$V_{\text{L}} \approx 160 \text{ km s}^{-1}$$

Dekel, Krumholz 13

STARBURST99

Simulations wind instability Krumholz, Thompson 13; Davis+ 14

+proto-stellar winds + stellar winds + supernovae

$$\psi_{\text{w}} \approx 2.5$$

$$\eta \approx 1-2$$

→

Consistent with observed

$$t_{\text{out}} \approx (3 \eta \varepsilon_{\text{sfr}})^{-1} t_{\text{dyn}} \approx \eta^{-1} t_{\text{sfr}} \approx (1-2) t_{\text{mig}}$$

$$t_{\text{mig}} \approx t_{\text{acc}} \leq t_{\text{out}} \leq t_{\text{sfr}}$$

Clump Evolution during Migration

$$\dot{M}_{\text{gas}} = \dot{M}_{\text{acc}} - \dot{M}_{\text{sfr}} - \dot{M}_{\text{out}}$$

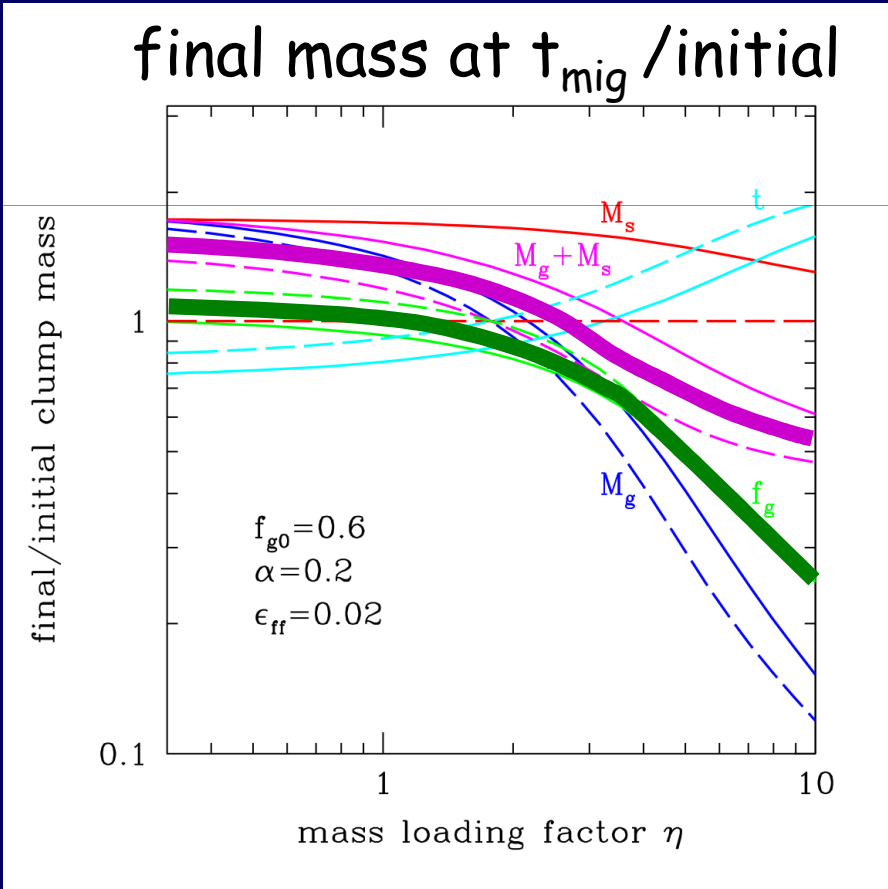
$$0 \leq \dot{M}_{\text{stars}} \leq 3\epsilon_{\text{sfr}} t_{\text{dyn}}^{-1} M_{\text{gas}}$$

max tidal stripping

SFR only

$$\dot{M}_{\text{gas}} \equiv t_{\text{gas}}^{-1} M_{\text{gas}}$$

$$t_{\text{gas}}^{-1} = t_{\text{dyn}}^{-1} [(8 f_{\text{gas}})^{-1} - 3(1 + \eta)\epsilon_{\text{sfr}}]$$



any η , mass varies by $< \times 2$

$\eta \sim 2-4$, $M_{\text{clump}} \sim \text{const.}$

$\eta \ll 1$, $M_{\text{clump}} \sim \times 2$

$\eta \gg 1$, $M_{\text{clump}} \rightarrow 0$

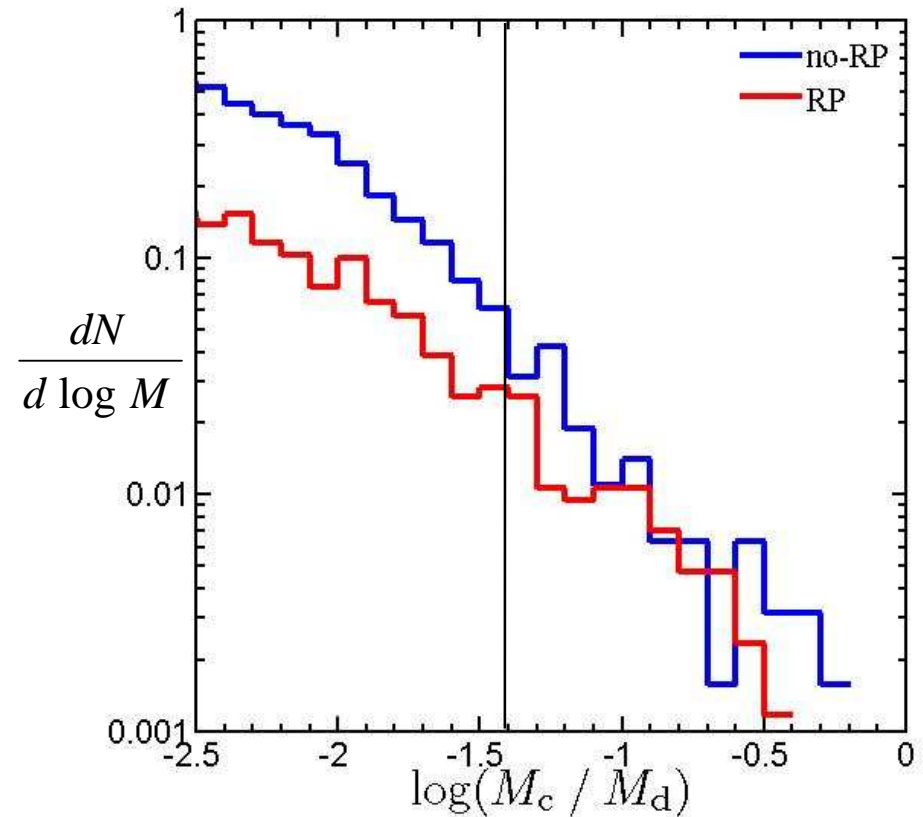
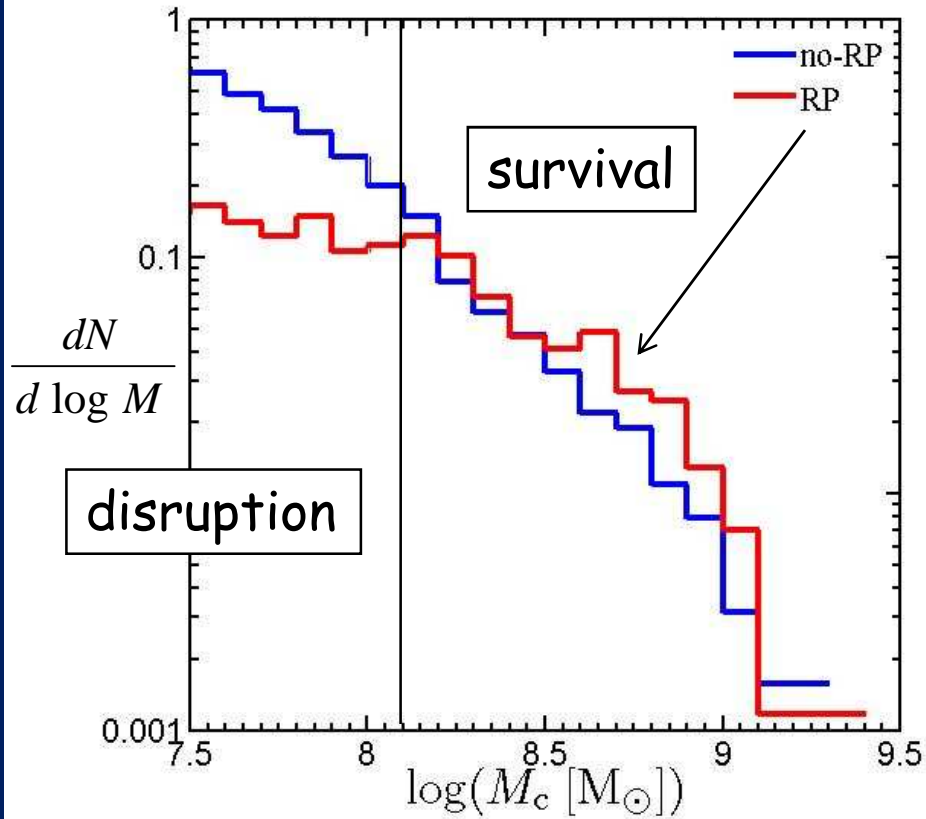
for $\eta < 4$, $f_{\text{gas}} \sim \text{const.}$

Confirmed in simulations
 Bournaud+ 13, Mandelker+ 14

The Effect of Radiative Fdbk on Clumps

Mandelker, Ceverino+ ART-AMR cosmological simulations, 25pc resolution

giant clumps survive,
small clumps disrupt

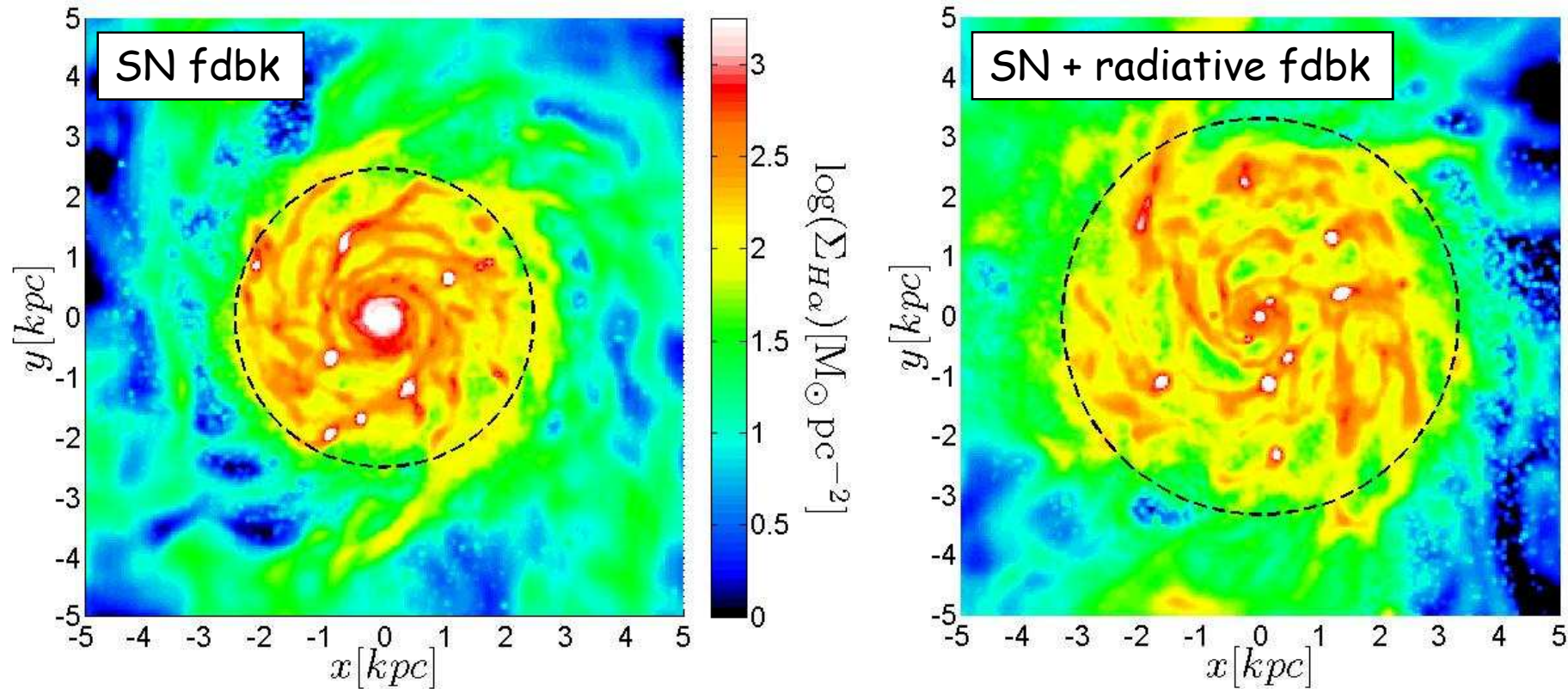


The Effect of Radiative Fdbk on Clumps

Mandelker, Ceverino+ ART-AMR cosmological simulations, 25pc resolution

gas disk expands, bulge may lose gas
giant clumps survive, small clumps disrupt

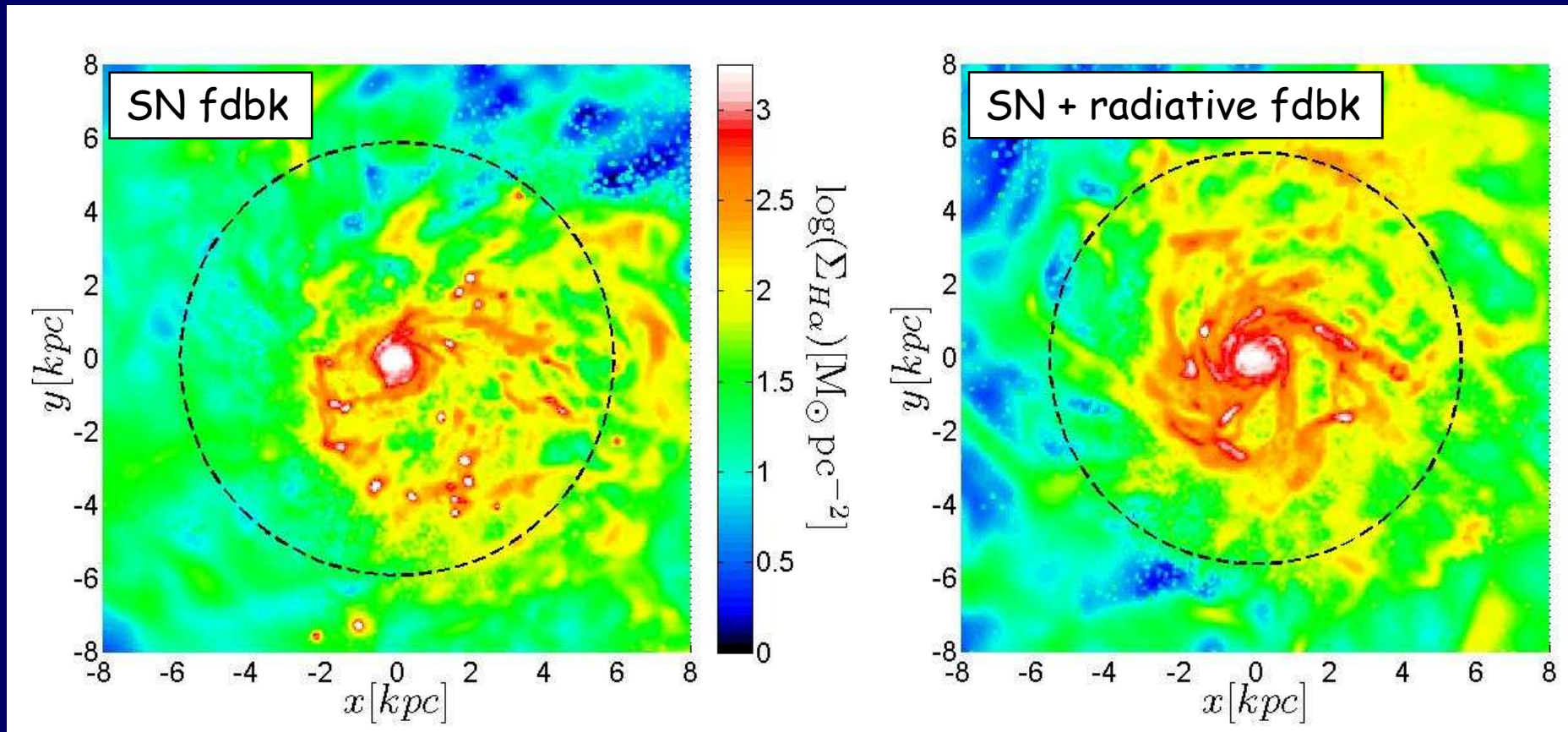
VELA 15 $\alpha=0.18$



The Effect of Radiative Fdbk on Clumps

gas disk expands, bulge may lose gas
giant clumps survive, small clumps disrupt

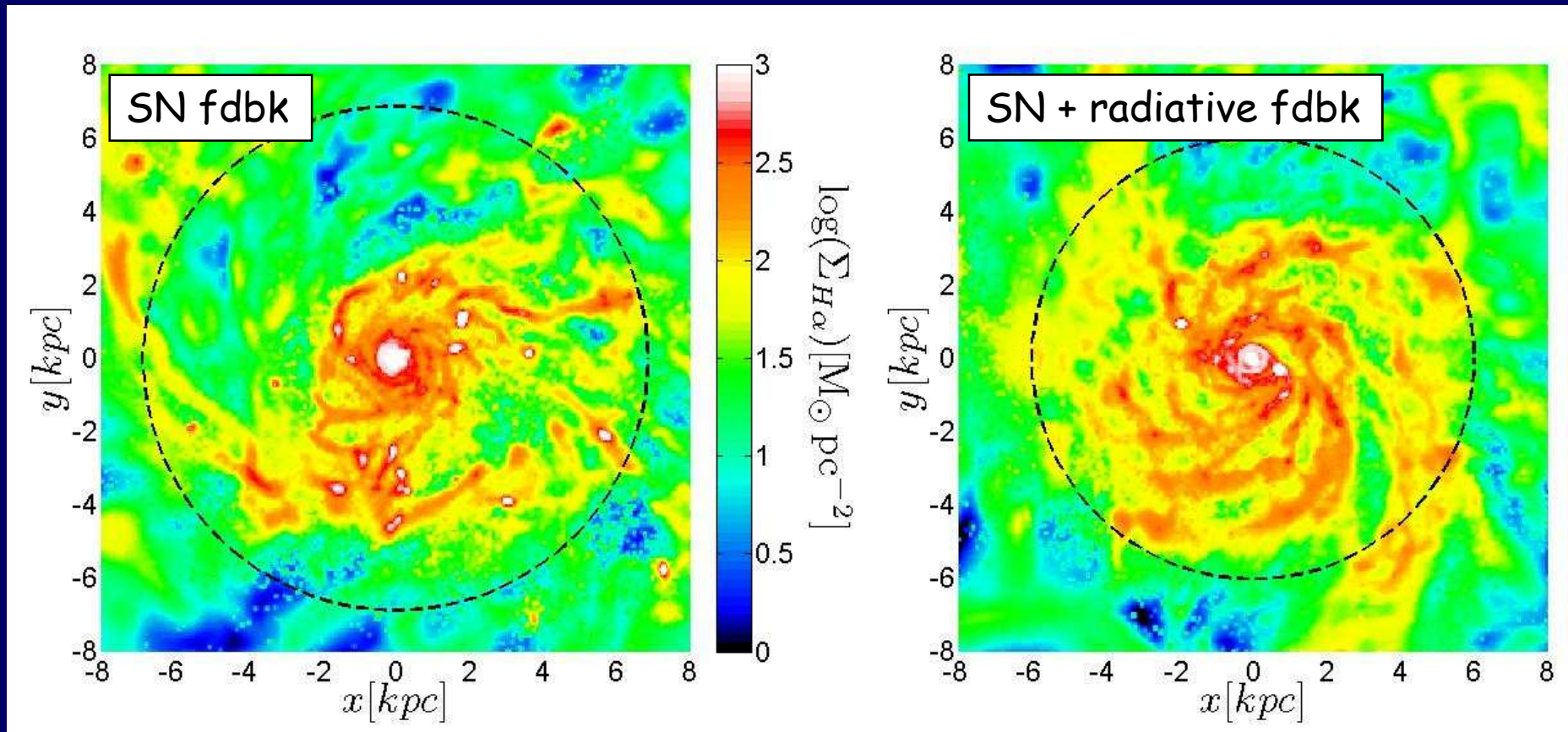
VELA 07 $\alpha=0.25$



The Effect of Radiative Fdbk on Clumps

gas disk expands, bulge may lose gas
giant clumps survive, small clumps disrupt

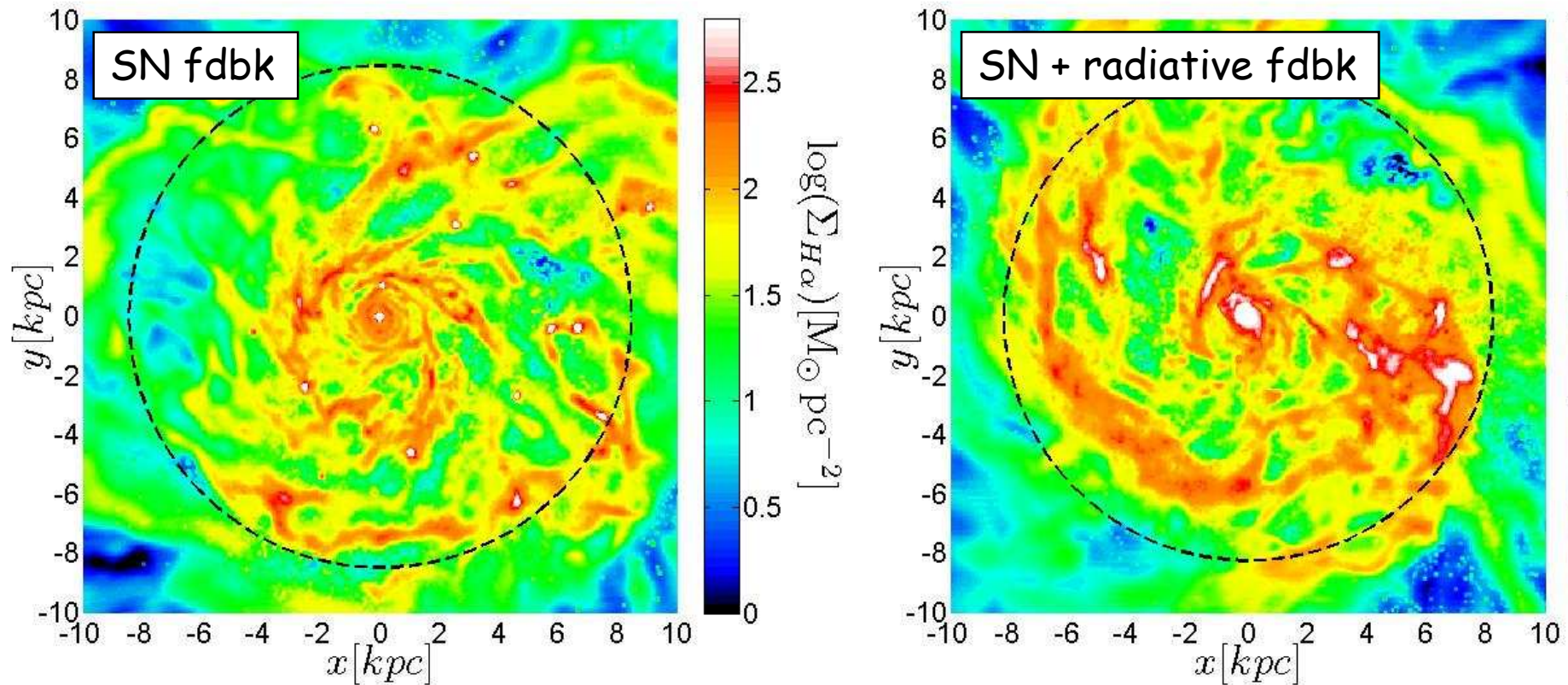
VELA 07 $\alpha=0.26$



The Effect of Radiative Fdbk on Clumps

gas disk expands, bulge may lose gas
giant clumps survive, small clumps disrupt

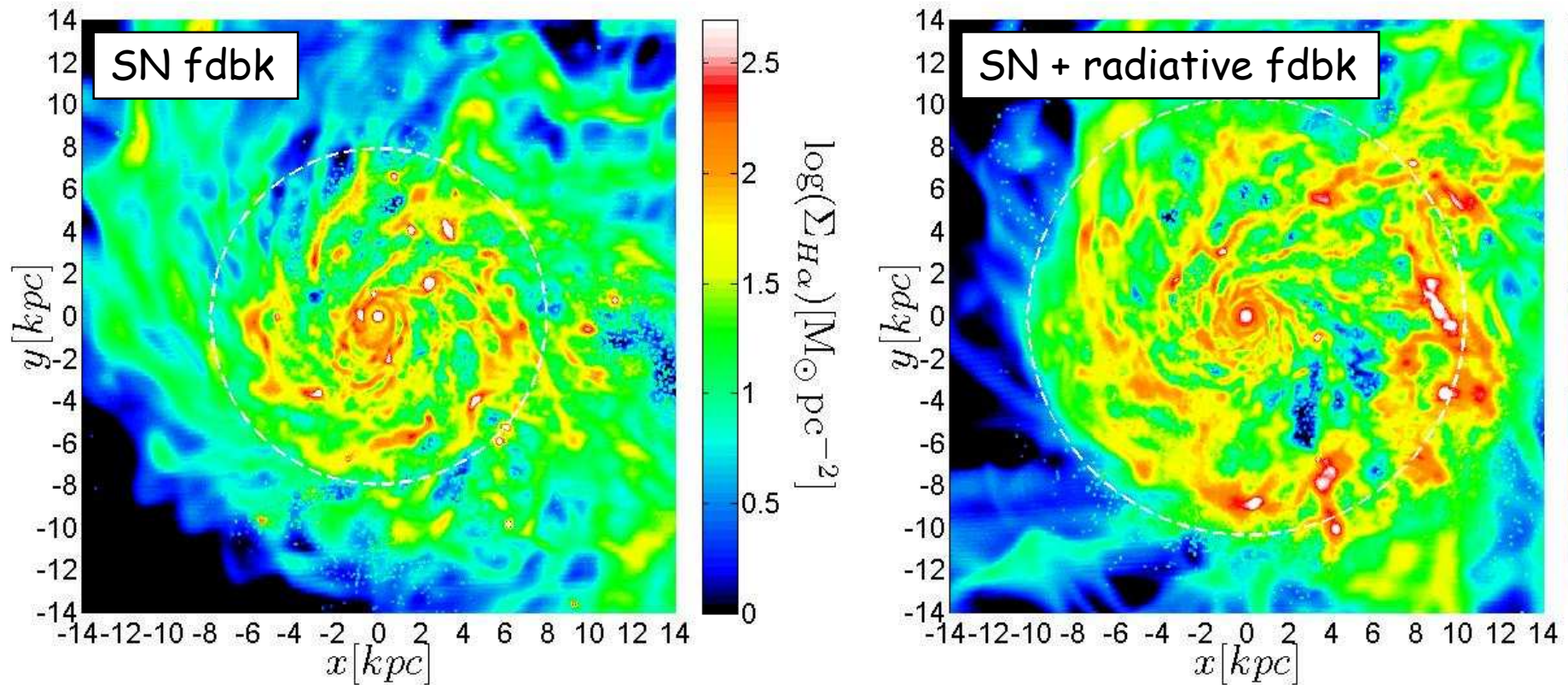
VELA 07 $\alpha=0.27$



The Effect of Radiative Fdbk on Clumps

gas disk expands, bulge may lose gas
giant clumps survive, small clumps disrupt

VELA 07 $\alpha=0.29$



Clump Evolution during Migration: Summary

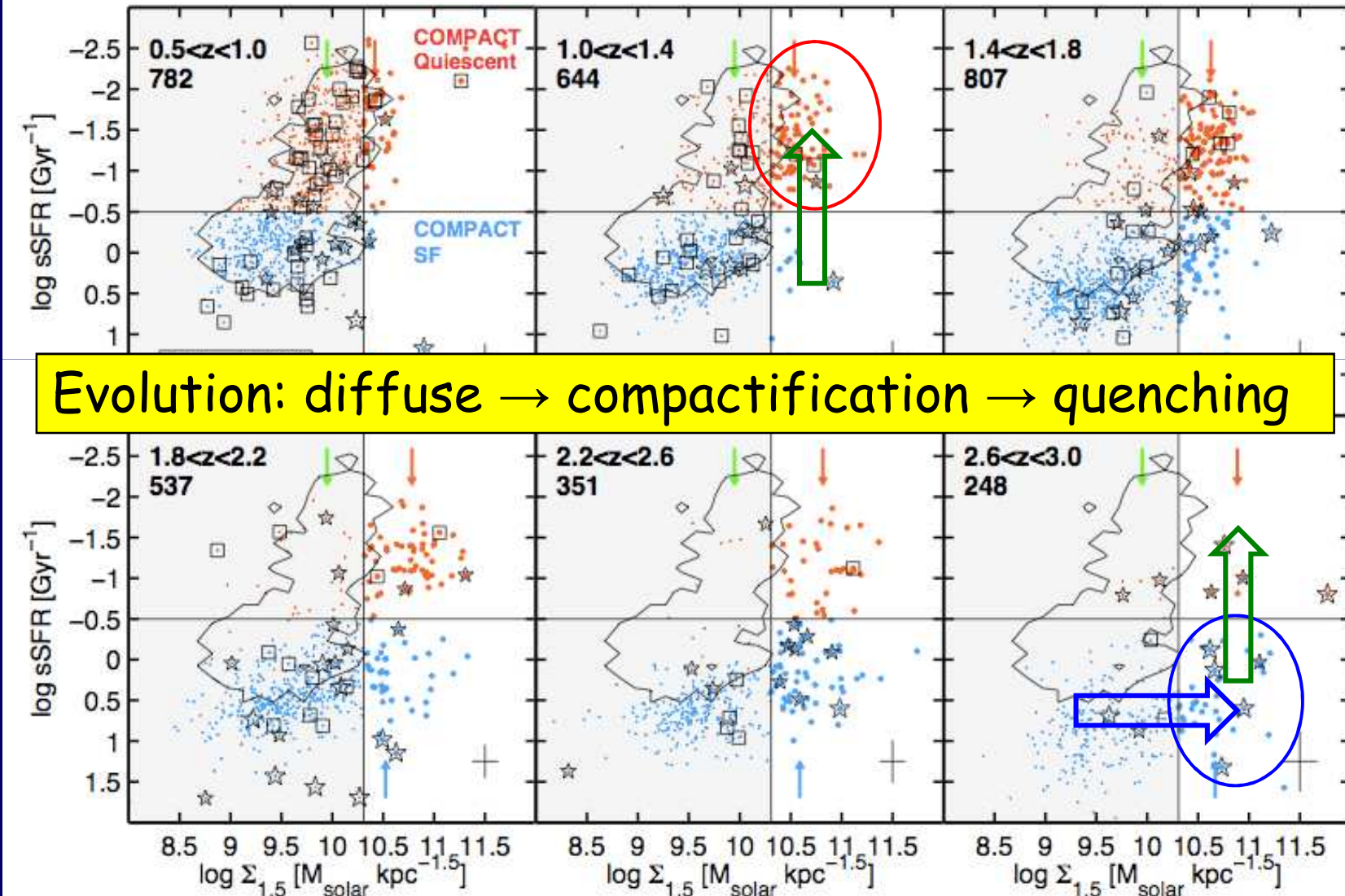
- SFR in giant clumps drives $\eta \sim 1-2$ steady winds
- Gas gain by accretion
- Stellar loss by tidal stripping
- The massive clumps keep \sim constant mass
- They live for $t_{\text{mig}} \sim 300$ Myr
- They feed gas & stars to the bulge
- Less massive clumps disrupt

Expect a weak gradient of clump mass in disks
Certain gradient in age/color

3. Compactification and Quenching

Observations: Blue Nuggets -> Red Nuggets

Barro+ 13 CANDELS z=1-3



Self-Regulated VDI \leftrightarrow Inflow to Center

Self-regulated Toomre instability $Q \approx \frac{\sigma \Omega}{\Sigma} \approx \delta^{-1} \frac{\sigma}{V} \approx 1 \rightarrow \frac{M_{\text{cold}}}{M_{\text{tot}}} \equiv \delta \approx \frac{\sigma}{V}$

1. Torques between perturbations drive AM out & mass in (e.g. migration)

Gammie 01; Dekel, Sari, Ceverino 09

2. Inflow down potential gradient provides the energy for driving σ to $Q \sim 1$, compensating for the turbulence decay

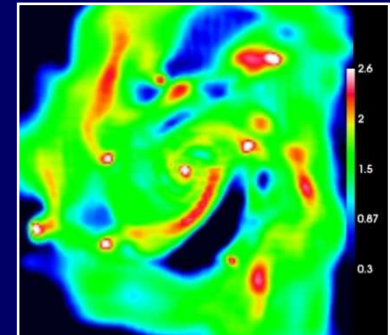
Krumholz, Burkert 10; Bournaud et al. 11; Cacciato et al. 12; Forbes et al. 13; Dekel et al. 13

$$\dot{M}_{\text{inflow}} V^2 \approx \frac{M \sigma^2}{t_{\text{dyn}}} \rightarrow t_{\text{inflow}} \approx t_{\text{dyn}} \delta^{-2}$$

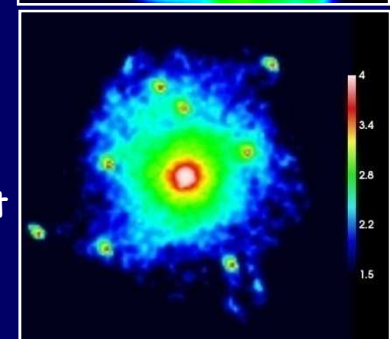
$$\dot{M}_{\text{inflow}} \approx 25 M_{\odot} \text{yr}^{-1} M_{\text{cold},10.5} (1+z)_3^{3/2} \delta_{0.2}^2$$

gas inflow and clump migration

clumpy
gas
disk



compact
stellar
bulge



Red Nuggets and Blue Nuggets

Dekel & Burkert 2013; Zolotov et al. 2014

Compact stellar spheroid → **dissipative** “wet” inflow to a “blue nugget” by **mergers or VDI**

Inflow is “wet” if $t_{\text{inflow}} \ll t_{\text{sfr}}$

Self-regulated instability $Q \sim 1$

Wetness parameter

$$w \equiv \frac{t_{\text{sfr}}}{t_{\text{inflow}}} \approx \varepsilon_{\text{sfr}}^{-1} \delta^2 > 1$$

$$\frac{M_{\text{cold}}}{M_{\text{tot}}} \equiv \delta \approx \frac{\sigma}{V}$$

$$\delta \approx \frac{\Sigma_{\text{g}}}{\Sigma_{\text{g}} + \Sigma_{*} + \Sigma_{\text{dm}}}$$

$$\varepsilon_{\text{sfr}} \leq 0.02 \quad \delta \geq 0.2$$

Bi-modality in Σ : either compact or extended
(wet inflow → $\Sigma \uparrow$ (DM dominated) → $w \uparrow$ → wetter inflow)

Blue nuggets are dispersion dominated: $\sigma/V \sim \delta$

Expect VDI-driven nuggets:
- at **high z** , where f_{gas} is high
- for **low spin λ** , where R_{gas} is low

Red Nuggets and Blue Nuggets

Dekel & Burkert 2013; Zolotov et al. 2014

Compact stellar spheroid → **dissipative** “wet” inflow to a “blue nugget” by **mergers or VDI**

Inflow is “wet” if $t_{\text{inflow}} \ll t_{\text{sfr}}$

Self-regulated instability $Q \sim 1$

Wetness parameter

$$W \equiv \frac{t_{\text{sfr}}}{t_{\text{inflow}}} \approx \varepsilon_{\text{sfr}}^{-1} \delta^2 > 1$$

$$\frac{M_{\text{cold}}}{M_{\text{tot}}} \equiv \delta \approx \frac{\sigma}{V}$$

$$\delta \approx \frac{\Sigma_{\text{g}}}{\Sigma_{\text{g}} + \Sigma_{*} + \Sigma_{\text{dm}}}$$

$$\varepsilon_{\text{sfr}} \leq 0.02 \quad \delta \geq 0.2$$

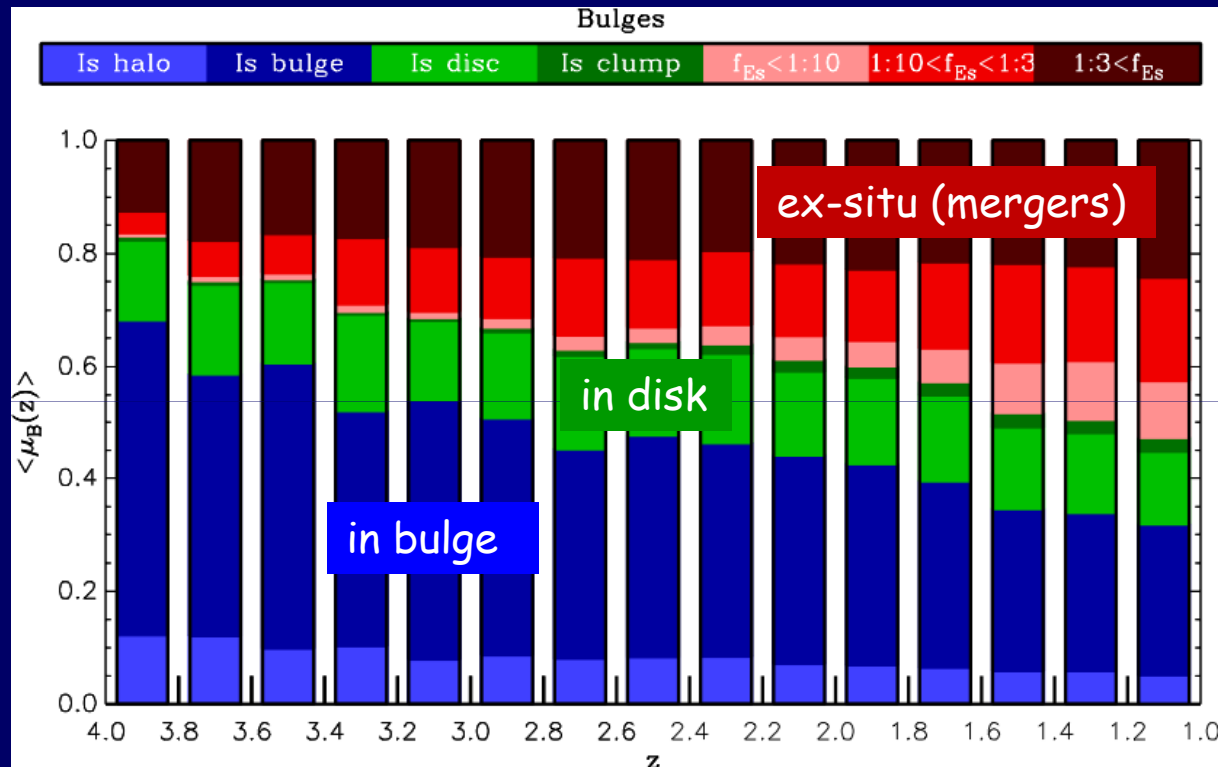
Expect VDI-driven nuggets:

- at **high z**, where f_{gas} is high
- for **low spin** λ , where R_{gas} is low

Wet Origin of Bulge: Stellar Birthplace

Simulations: Tweed, Zolotov, Dekel, Ceverino, Primack 2013

Fraction of bulge stars born in

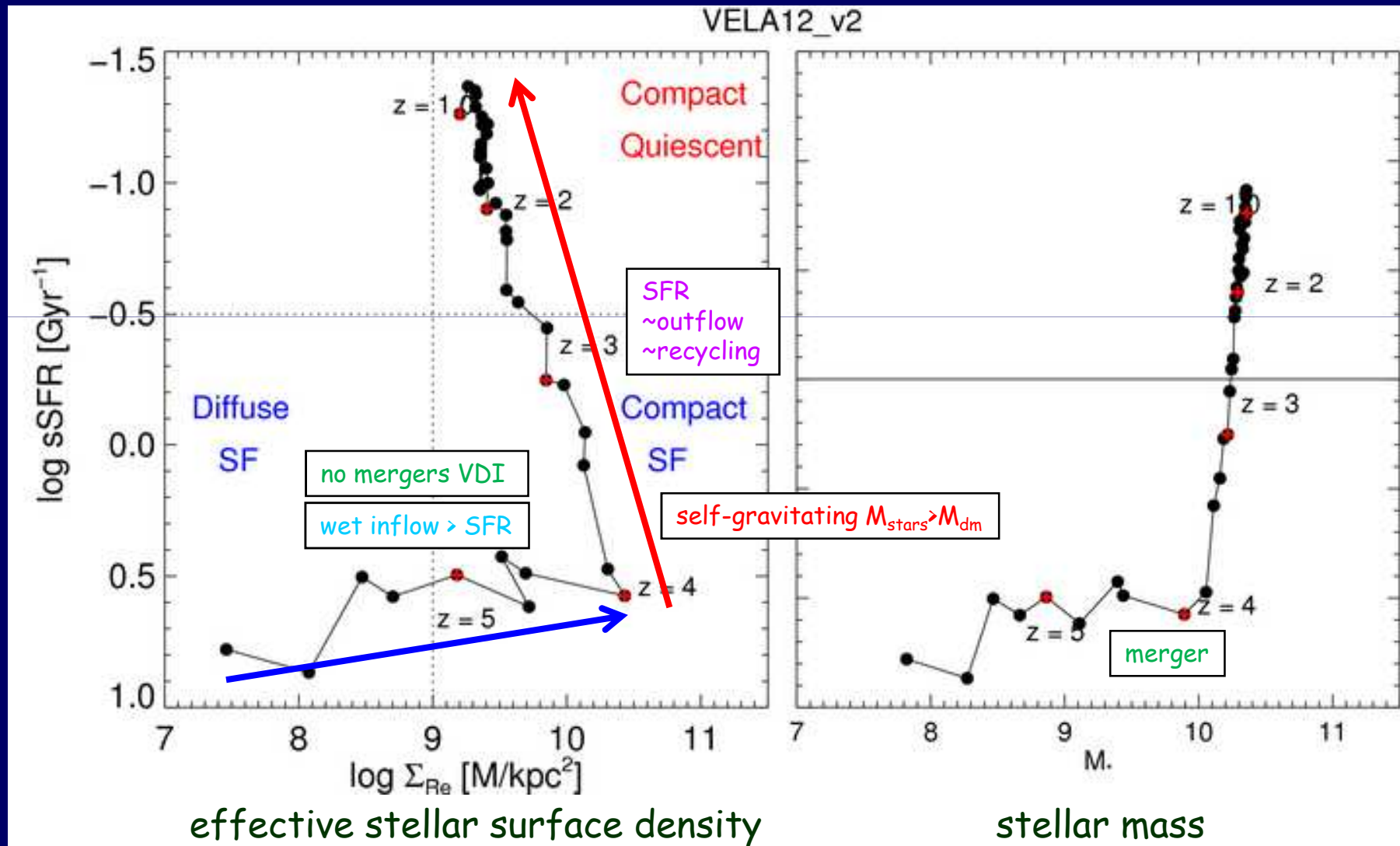


60-30% of the bulge stars form in the bulge \rightarrow wet inflow

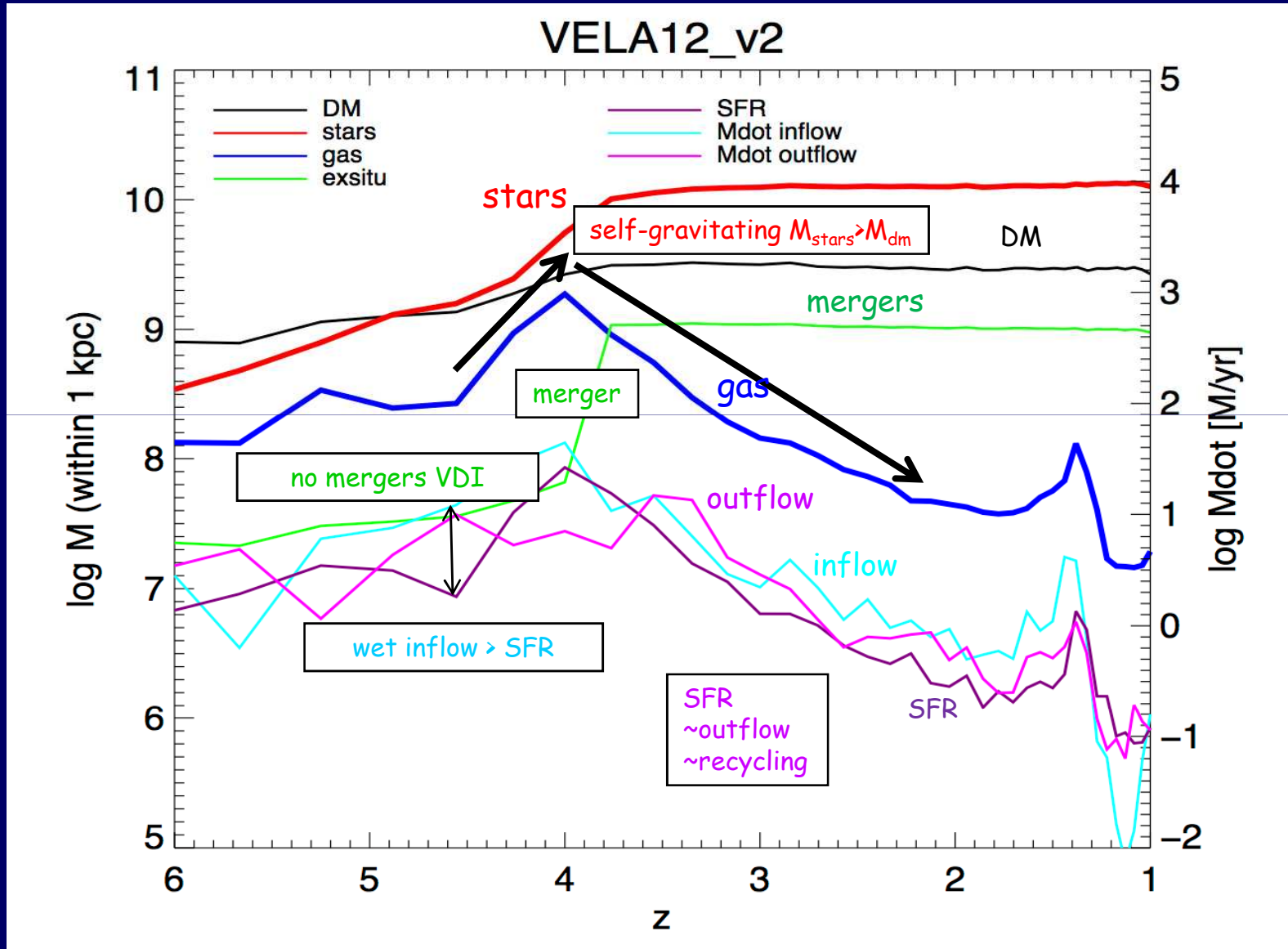
Driven by wet VDI or wet mergers

Compactification and quenching

Zolotov+ 2014 ART cosmological simulations, res. 25pc, with radiative fdbk



Compactification and quenching



From dark-matter dominance to self-gravity

In VDI wet compactification (Dekel & Burkert 14)

- If dominated by dark-matter:
compactification $\rightarrow \delta \uparrow \rightarrow w \uparrow \rightarrow$ compact. continues
- If the baryons are self-gravitating:
compact. $\rightarrow \delta \downarrow \rightarrow w \downarrow \rightarrow$ compact. stops, SFR wins \rightarrow quenching

$$M_g^{3/2}$$

A bathtub model for inside 1 kpc

$$\dot{M}_{\text{gas}} \approx \dot{M}_{\text{in}} - (1 + \eta_{\text{out}}) \frac{M_{\text{gas}}}{\tau_{\text{sfr}}}$$

In a merger: a boost in inflow

- If dark-matter dominated:

$$\tau_{\text{sfr}} \approx \text{const.}$$

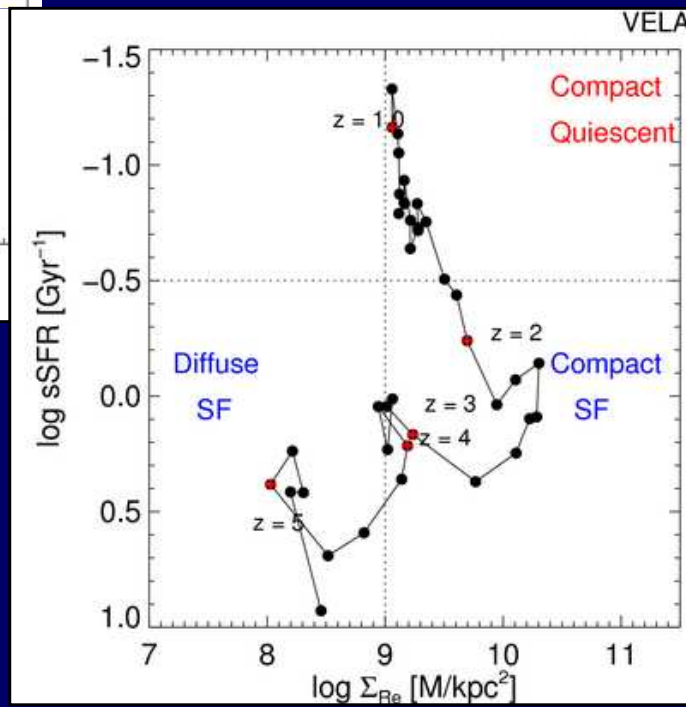
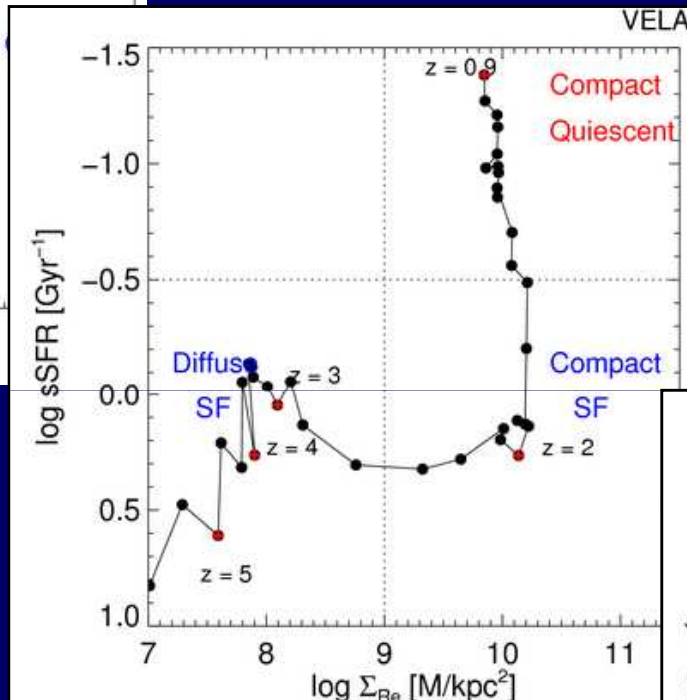
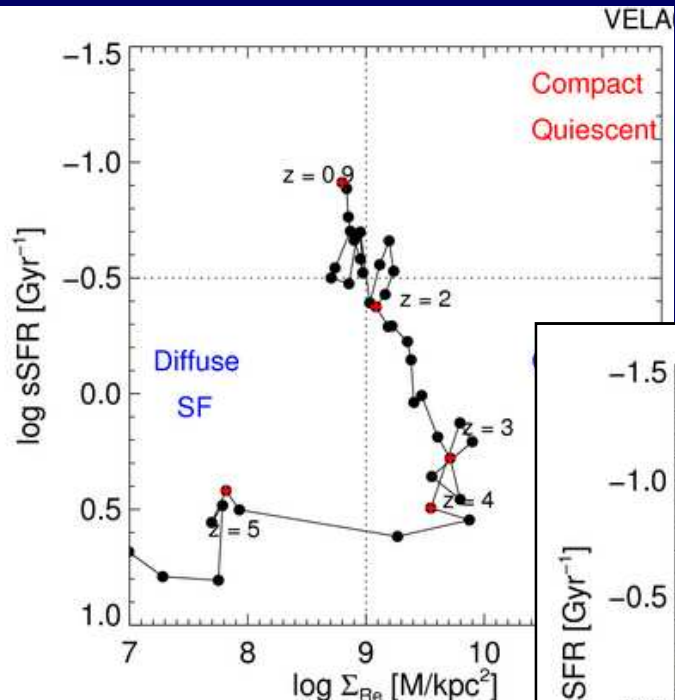
$$M_g \approx \dot{M}_{\text{in}} \tau (1 - e^{-t/\tau}) \uparrow$$

- If baryons self-gravitate:

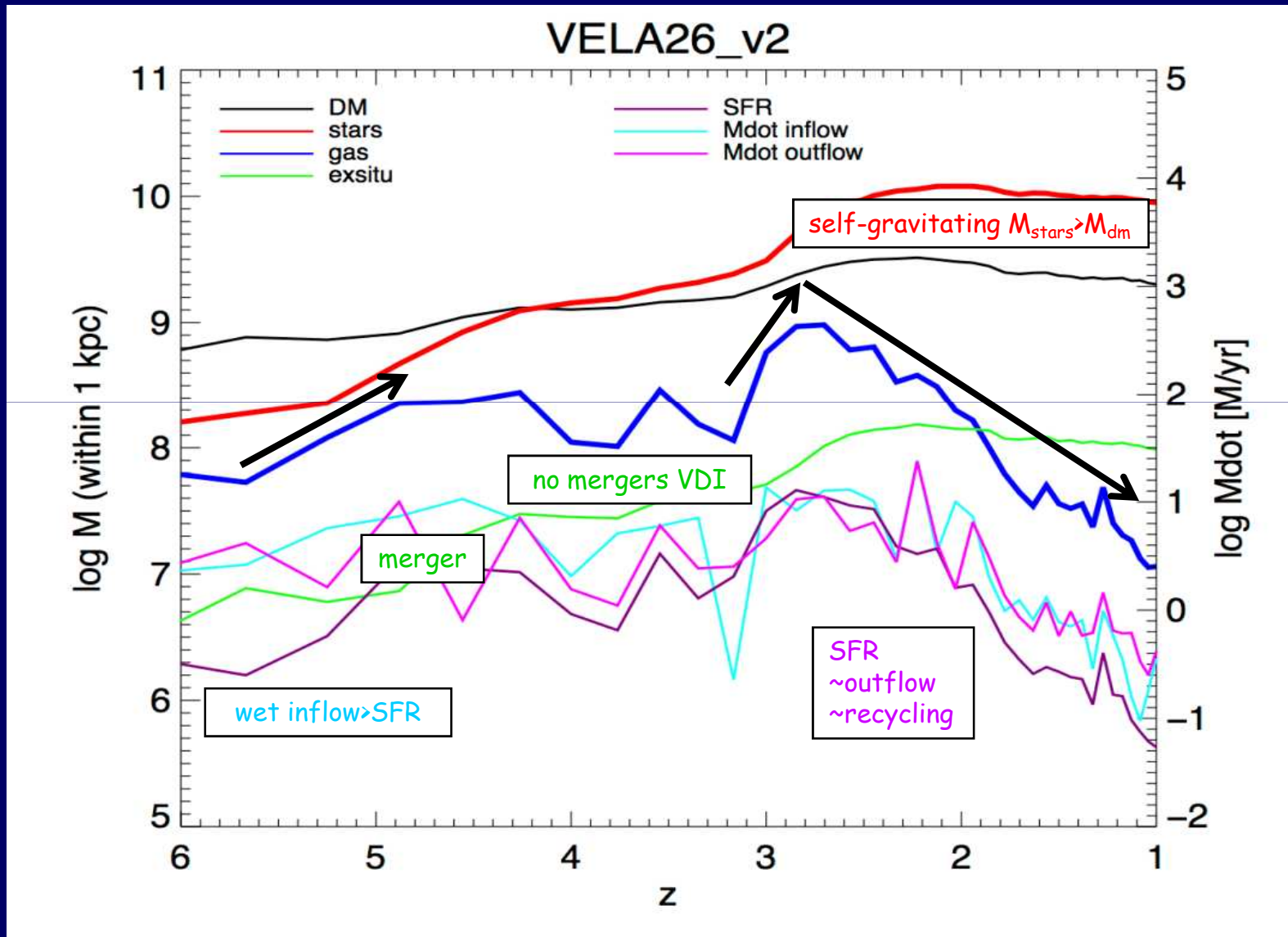
$$\tau_{\text{sfr}} \approx M_{\text{gas}}^{-1/2}$$

$$M_g \downarrow$$

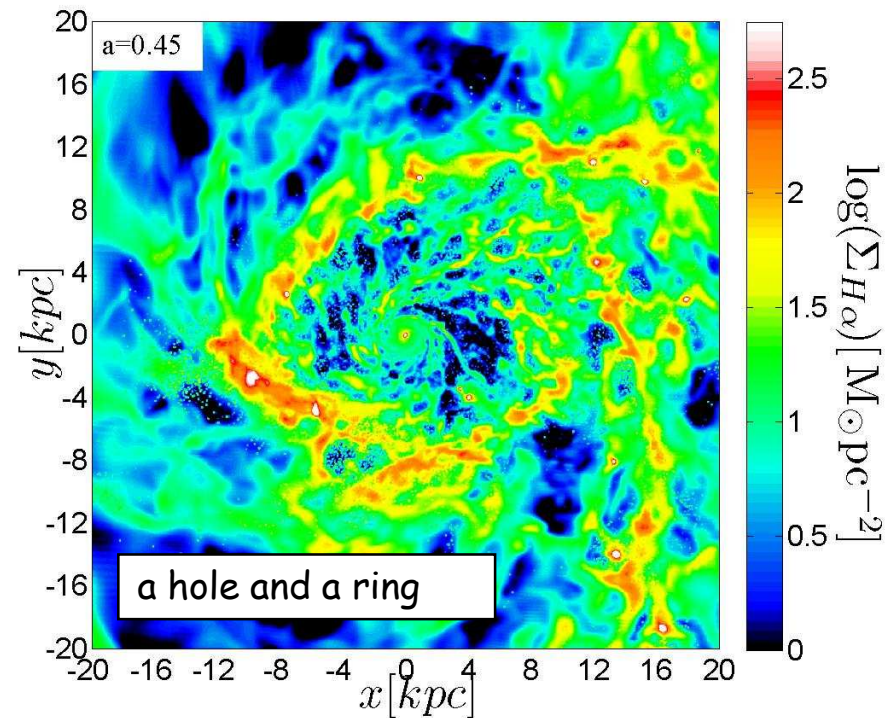
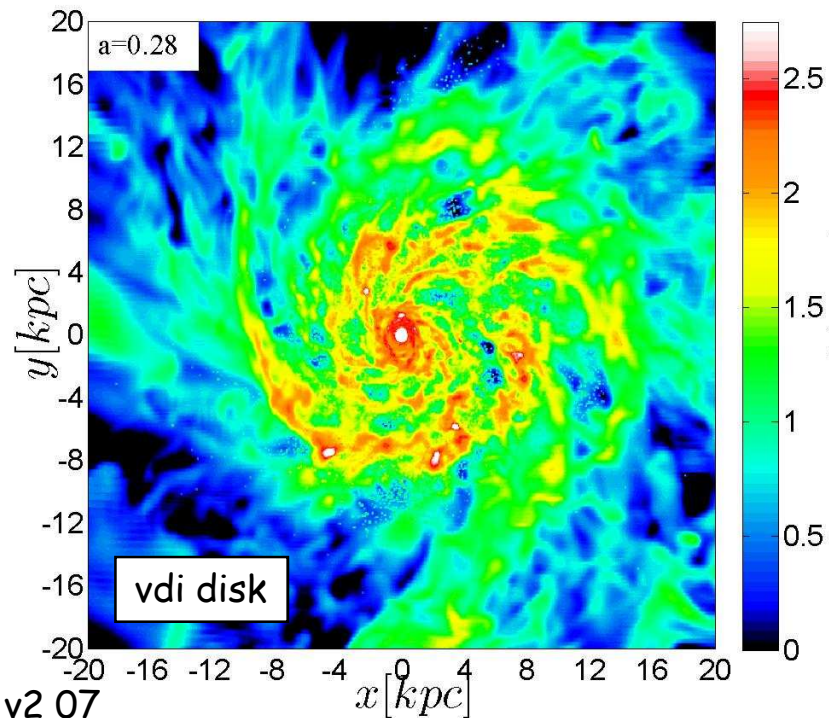
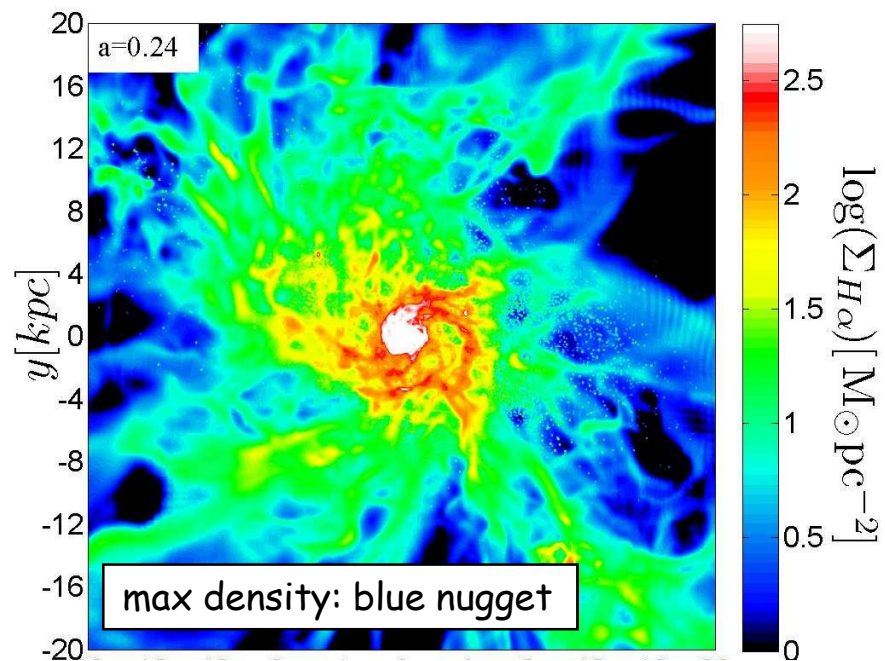
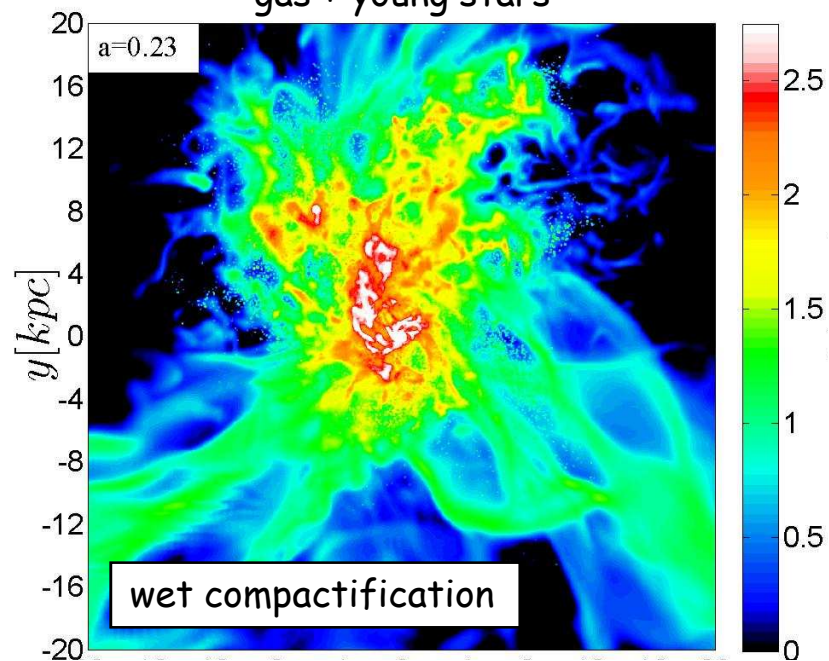
More Galaxies



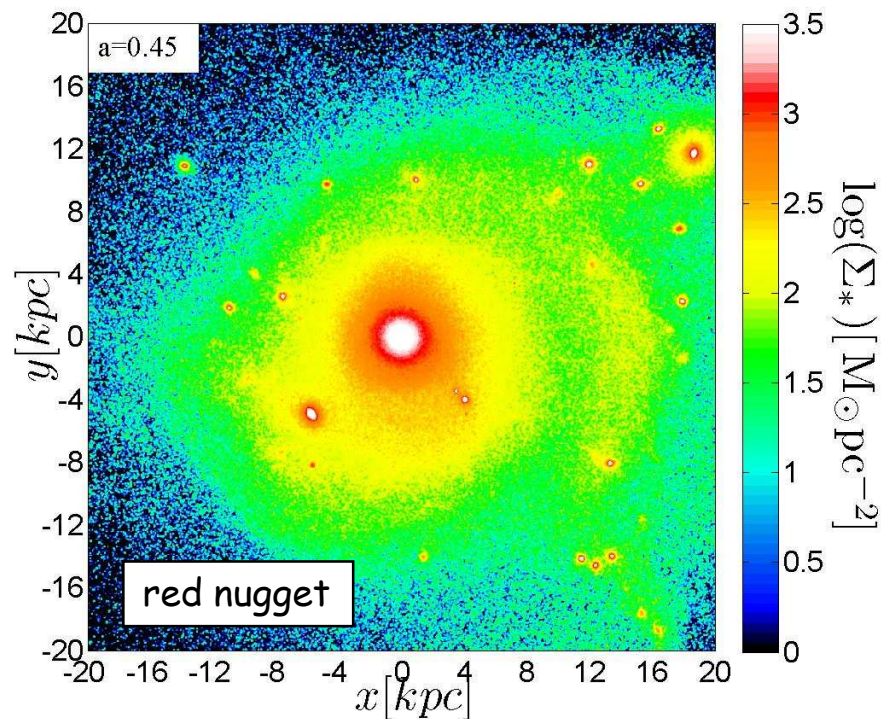
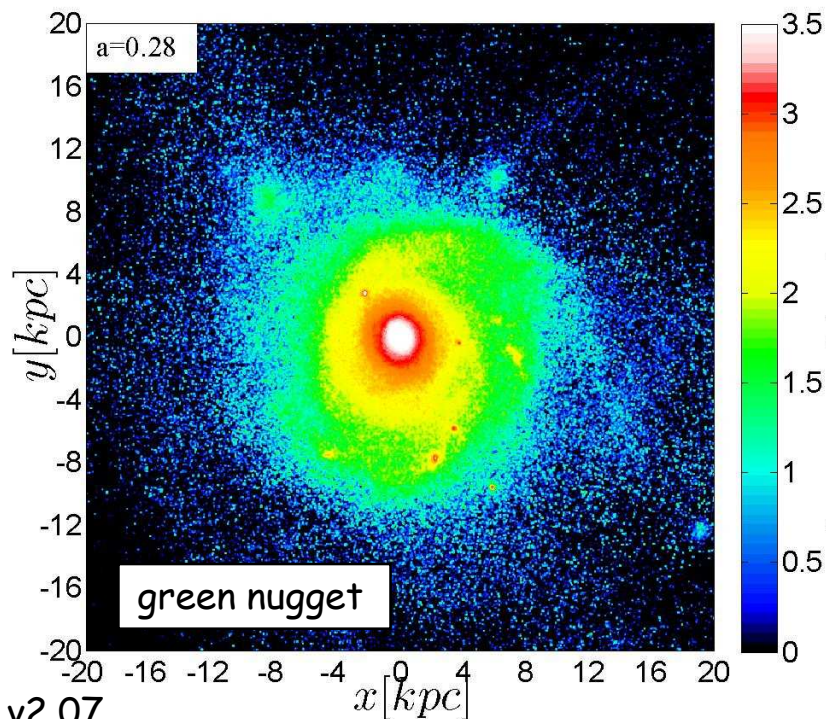
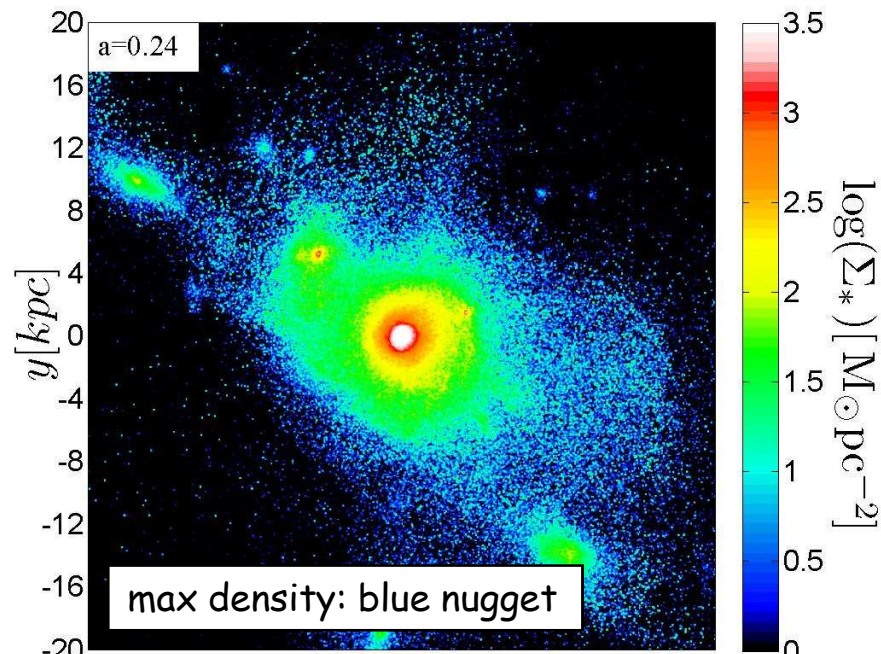
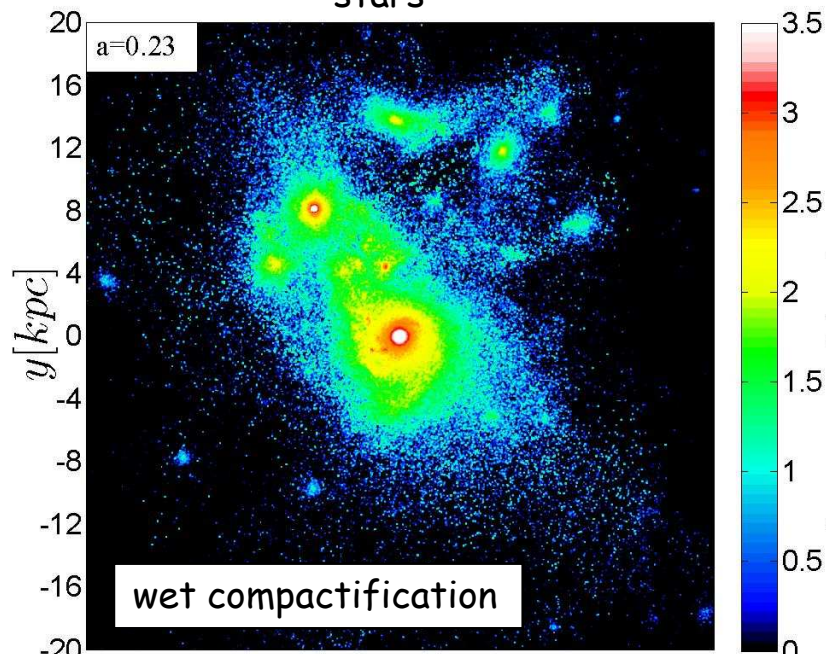
Compactification and quenching

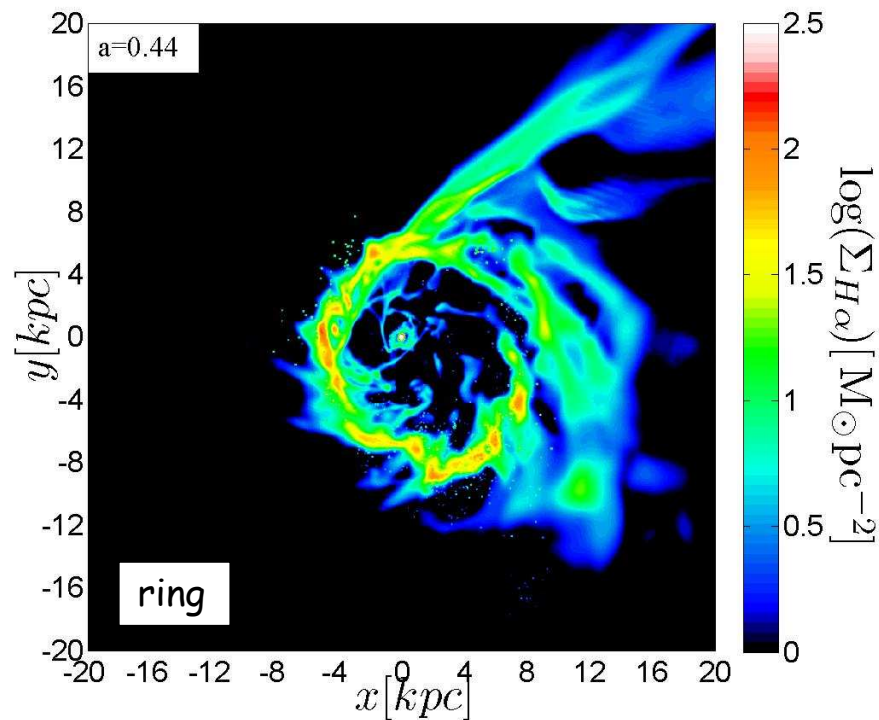
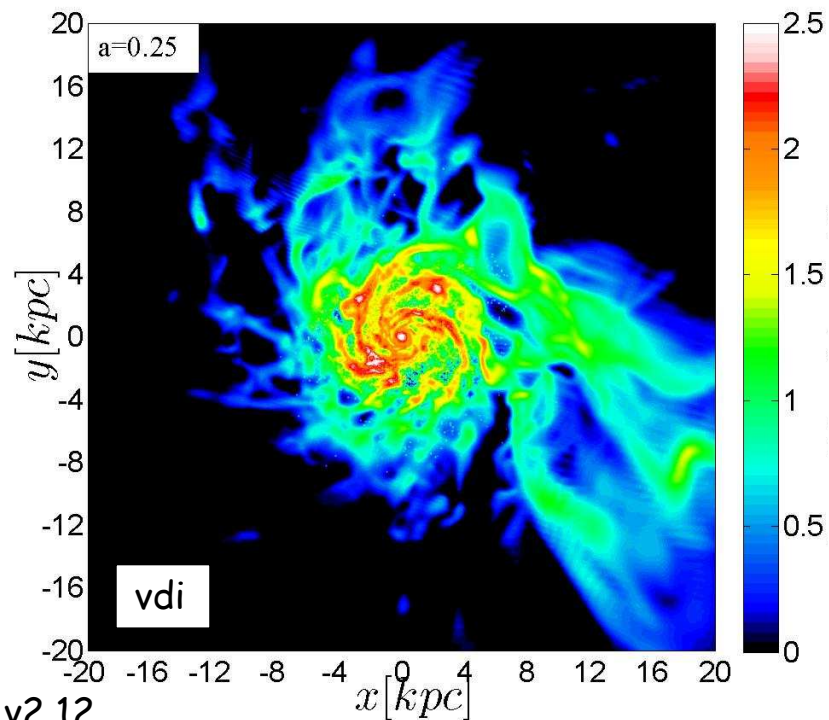
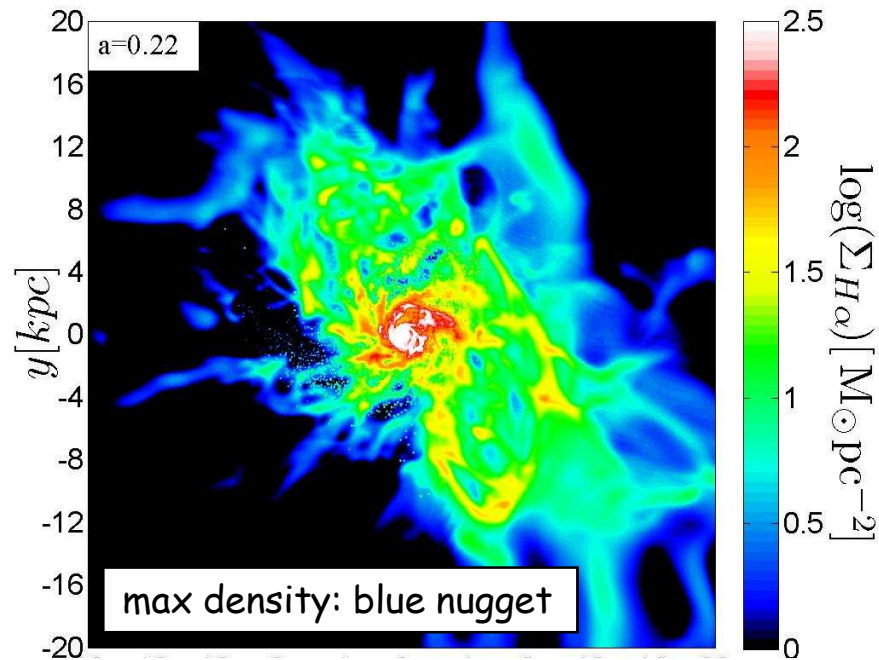
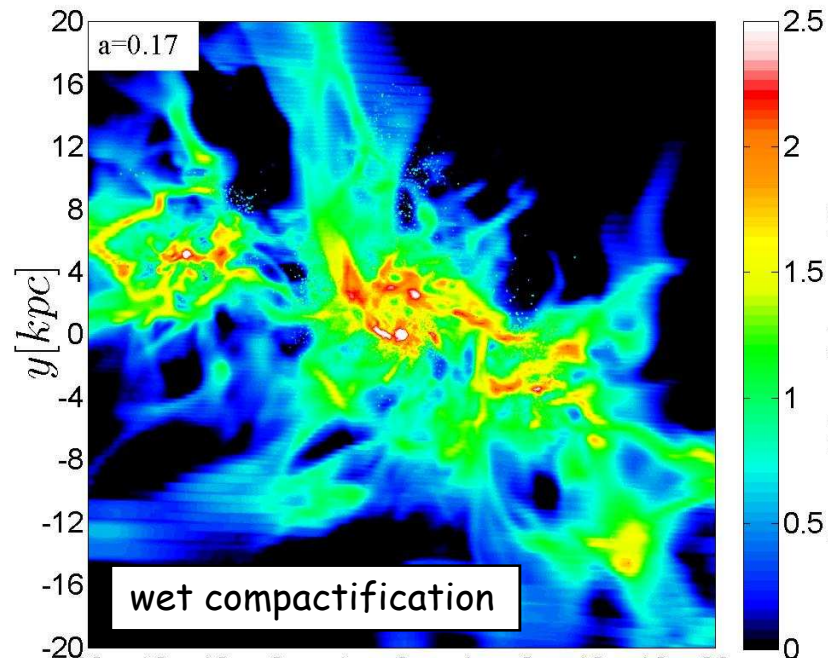


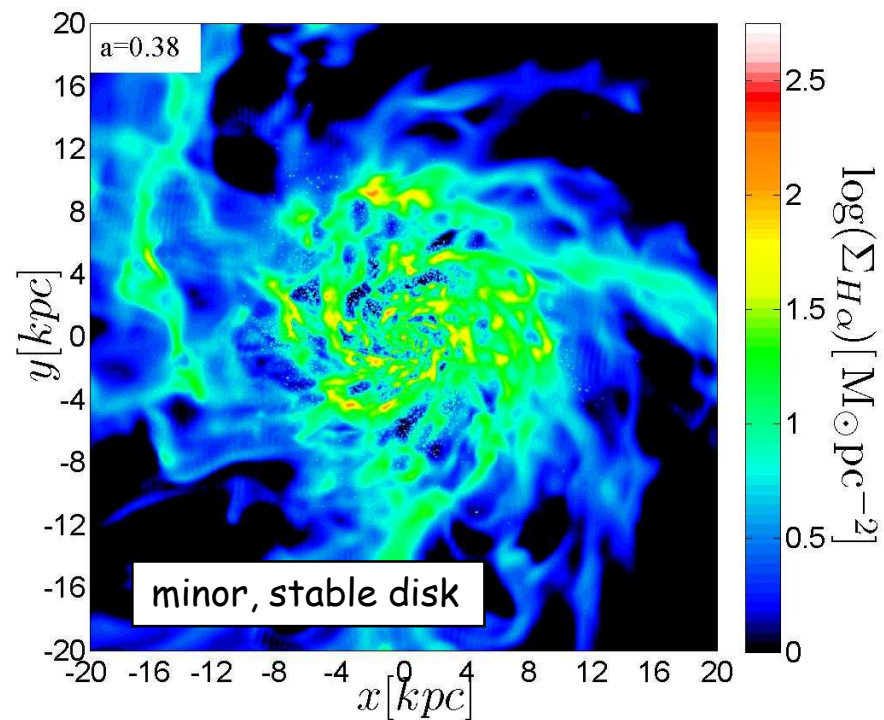
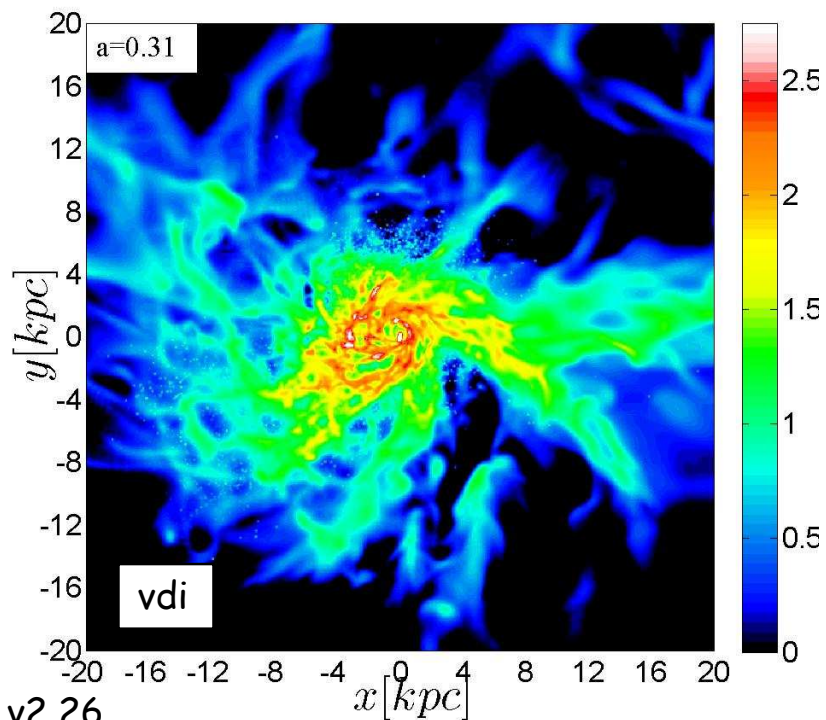
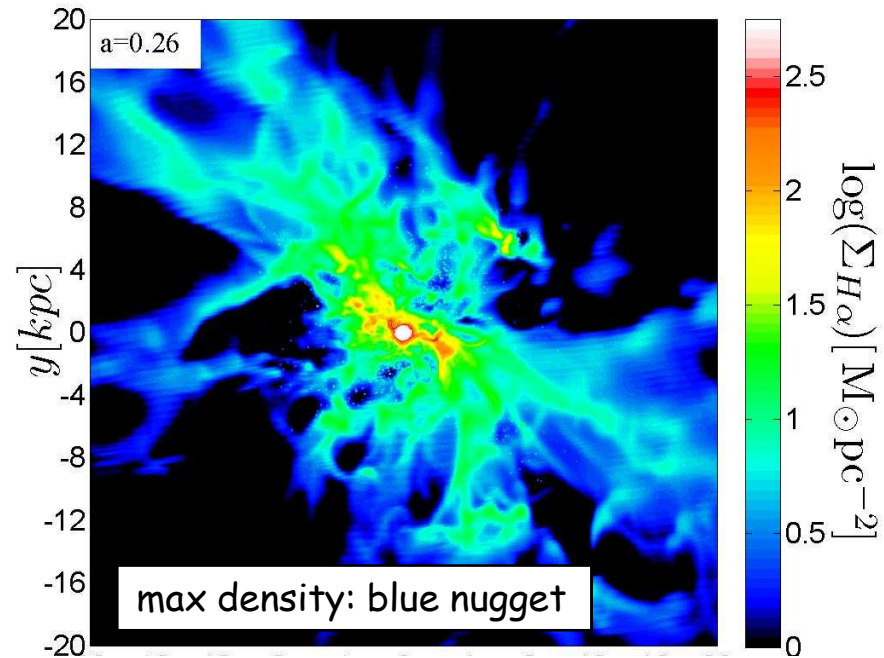
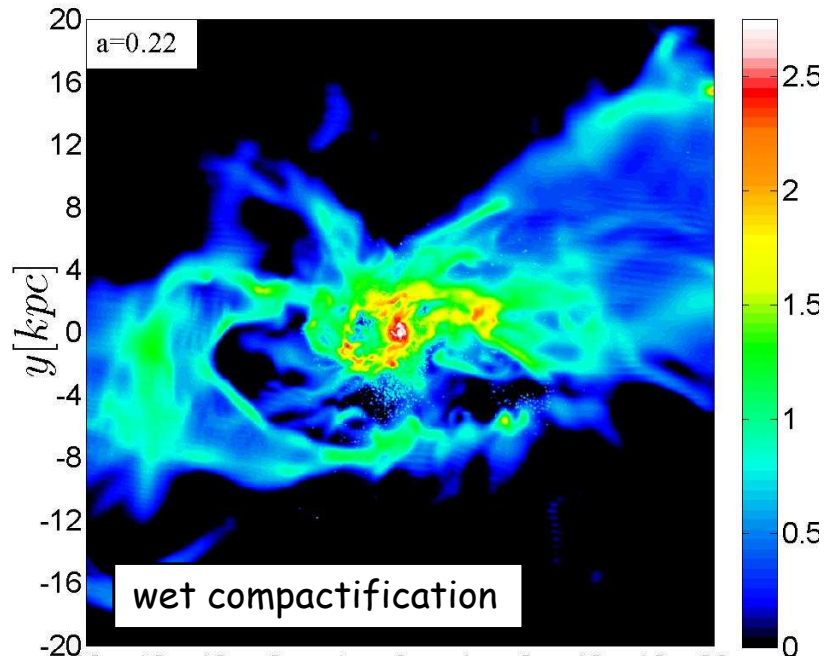
gas + young stars



stars

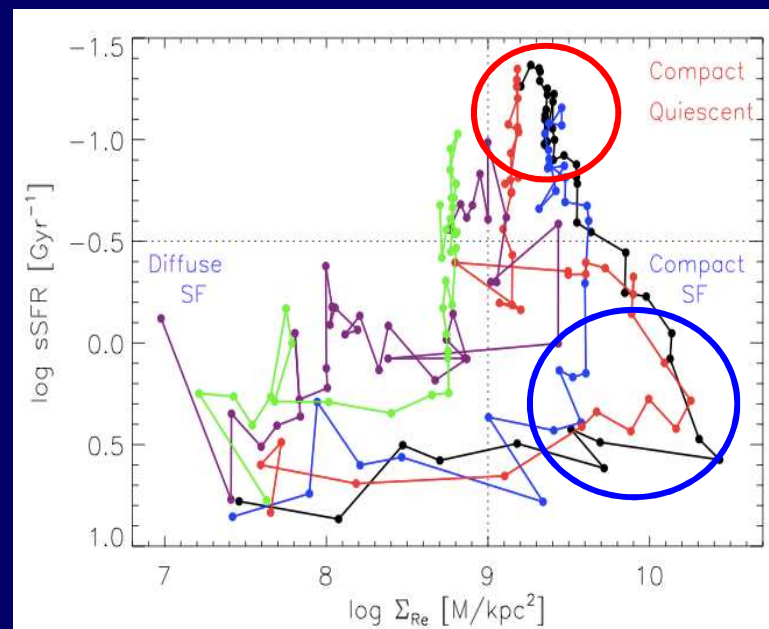
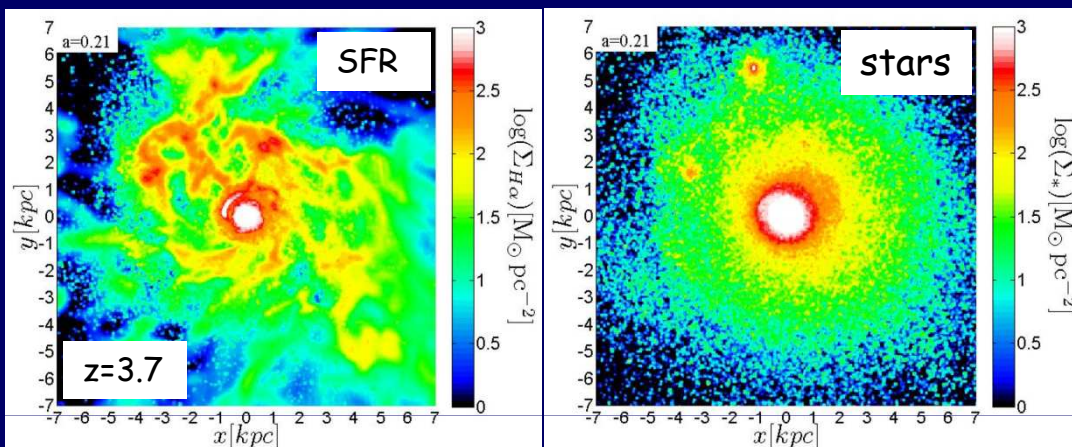




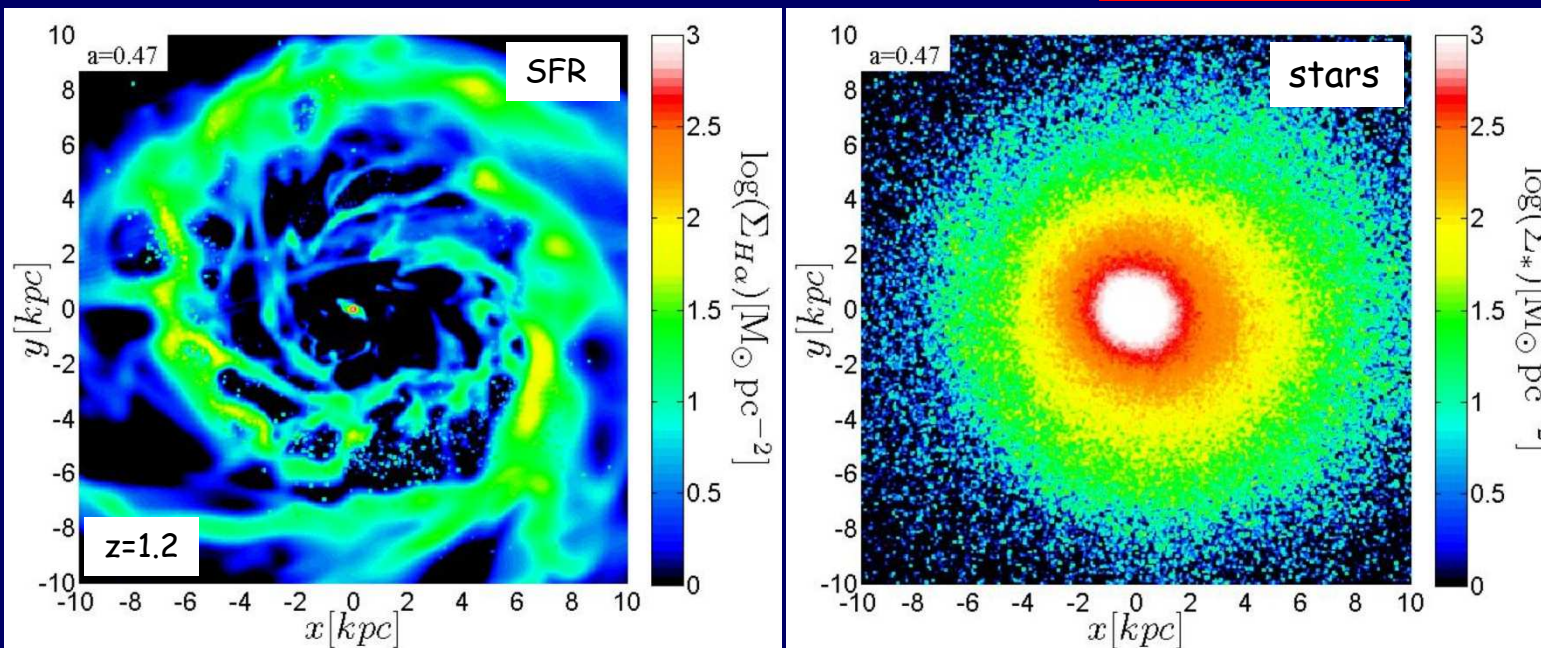


Blue -> Red Nuggets

blue nugget



red nugget



Termination of VDI: Q-quenching

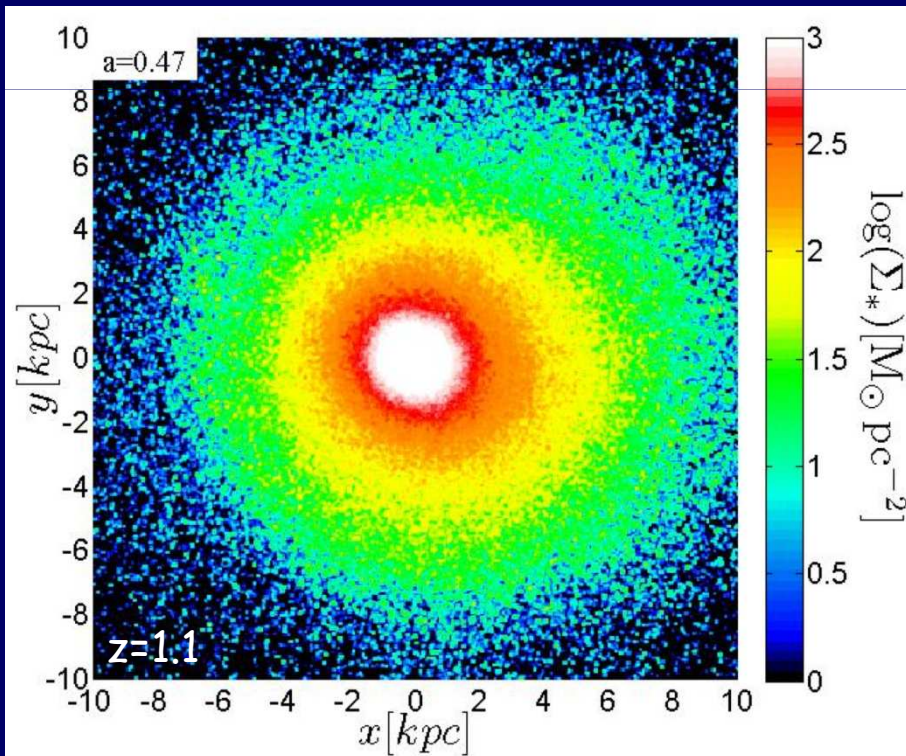
$$Q \approx \frac{\Omega \sigma_{\text{gas}}}{\Sigma_{\text{gas}}}$$

Ω up by massive compact bulge (morphological q)

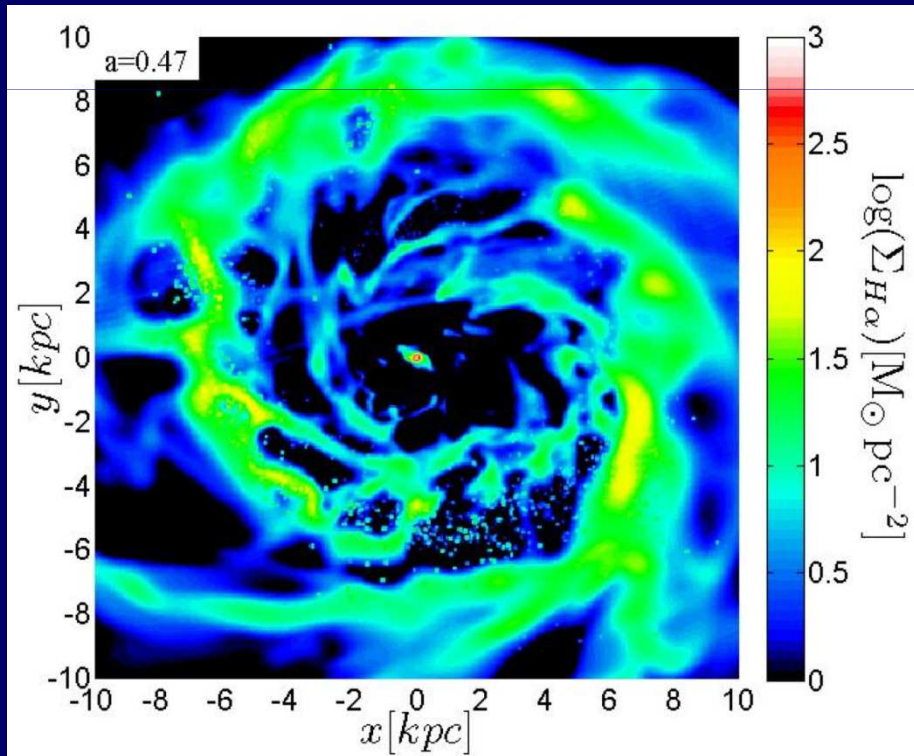
σ_{gas} up by contraction & by feedback

Σ_{gas} down by SFR + outflows & by end of VDI inflow

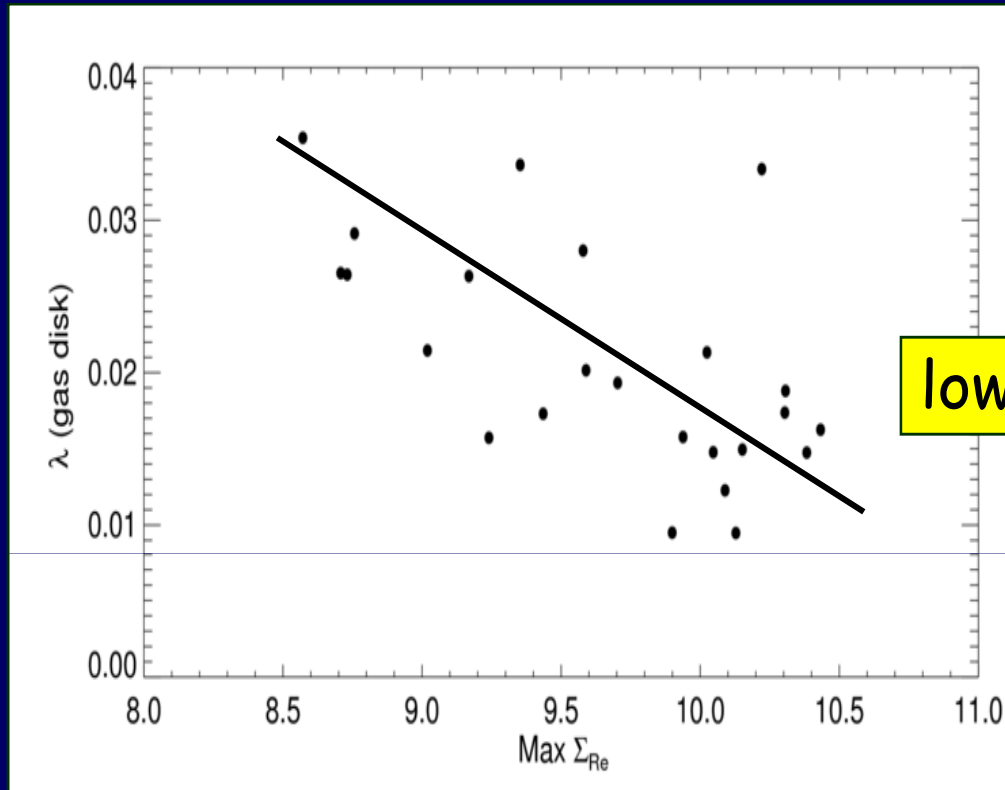
Massive compact bulge



Ring of star formation



Blue Nuggets by Wet Inflow: Spin and sSFR

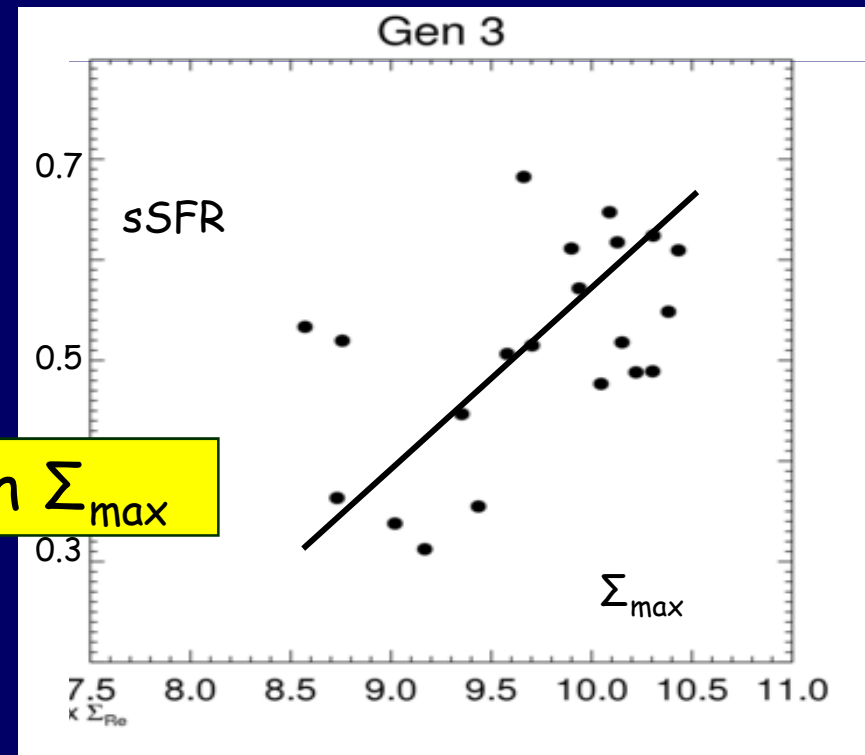


low-spin disk \rightarrow high Σ_{max}

Simulations confirm
model predictions

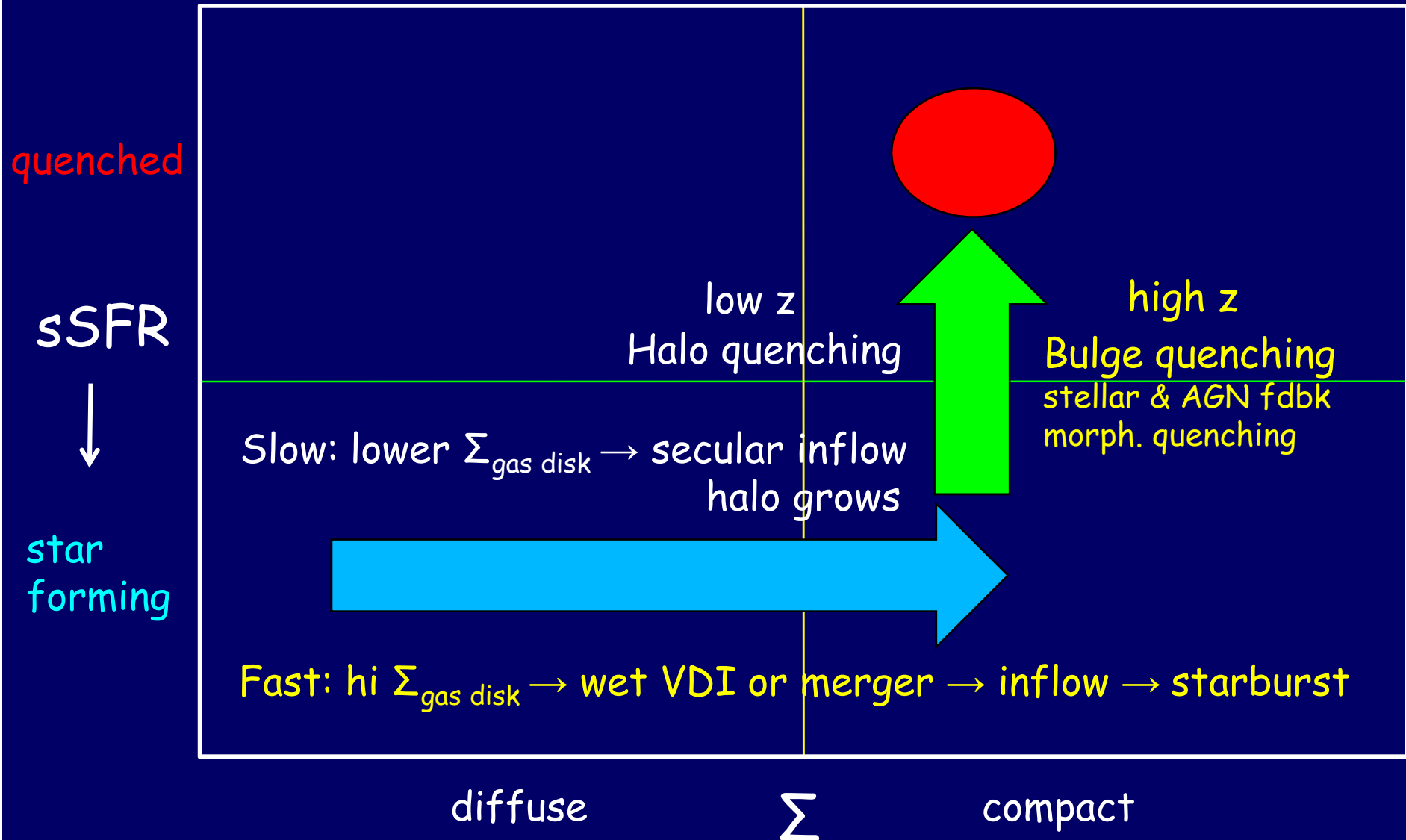
Dekel, Burkert 14; Zolotov+ 14

high-sSFR disk \rightarrow high Σ_{max}



Two Modes of Evolution: Fast and Slow

Barro, Fang, Yesuf, Woo ...



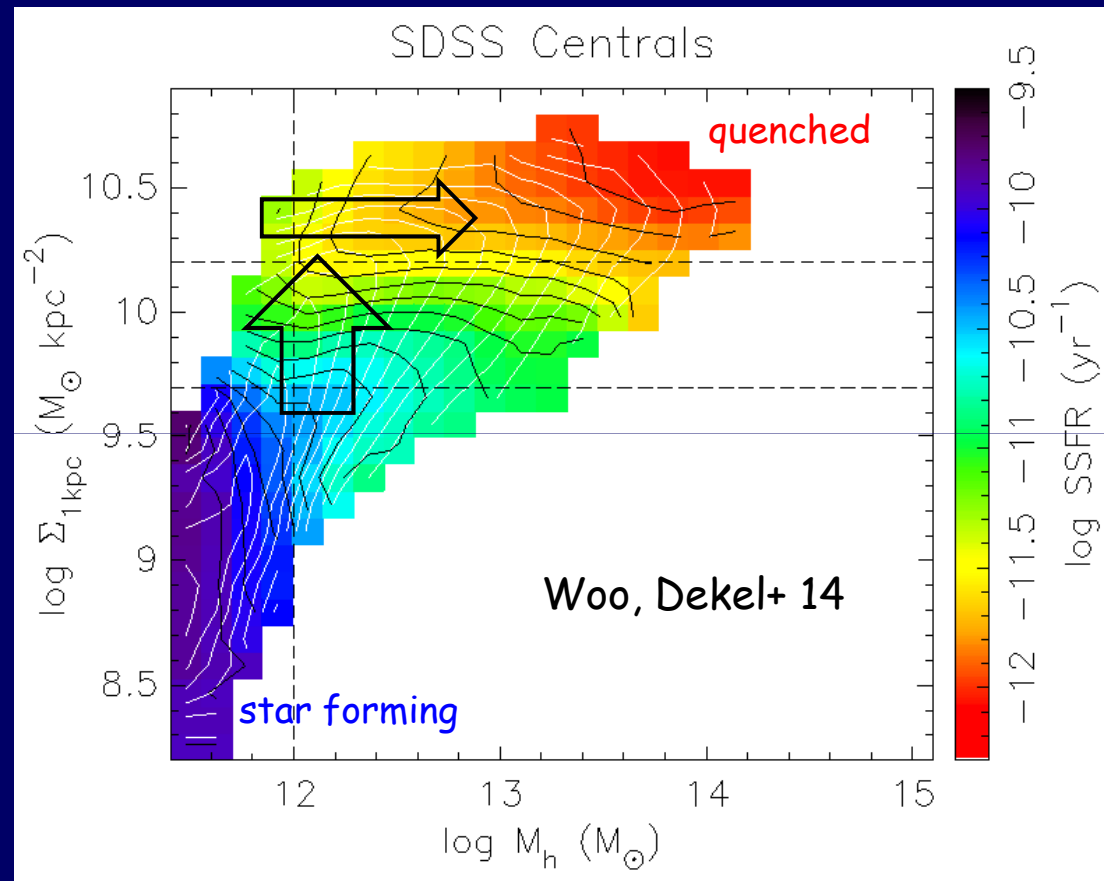
Two Quenching Mechanisms: Bulge & Halo

Compact gaseous bulge

-> gas removal by high SFR, outflow, AGN, Q-quenching

In halos $> 10^{12} M_{\odot}$

-> long-term shutdown of gas supply by virial shock heating



Need both bulge and halo quenching

Conclusions

Inflows live in harmony with outflows: penetration ~ 0.5

- Streams join the disk through an outer, tilted, rotating ring
- Strong recycling. The high sSFR at $z \sim 2$ is a challenge.

With realistic trapping, $\eta \sim 2$, giant clumps survive radiative feedback

- Giant clumps keep \sim constant mass during migration
- Small clumps disrupt

Typical evolution of high- z galaxies:

- Wet compactification (mergers & VDI) to compact SFGs (blue nuggets)
- High SFR, outflows, massive self-gravitating bulge \rightarrow fast quenching compact ellipticals (red nuggets), gas rings
- Long-term halo quenching