

Feedback on Large Scales

(& Cosmology)

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X-ray: NASA/CXC/U.Waterloo/C.Kirkpatrick et al.
Radio: NSF/NRAO/VLA
Optical: Canada-France-Hawaii-Telescope/DSS

Christoph Pfrommer (HITS), Jon Sievers (Princeton, UKZN),
Dick Bond (CITA), Debora Sijacki (Cambridge)

KITP
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Context

Focus: Role of feedback on the Intracluster Medium (ICM)

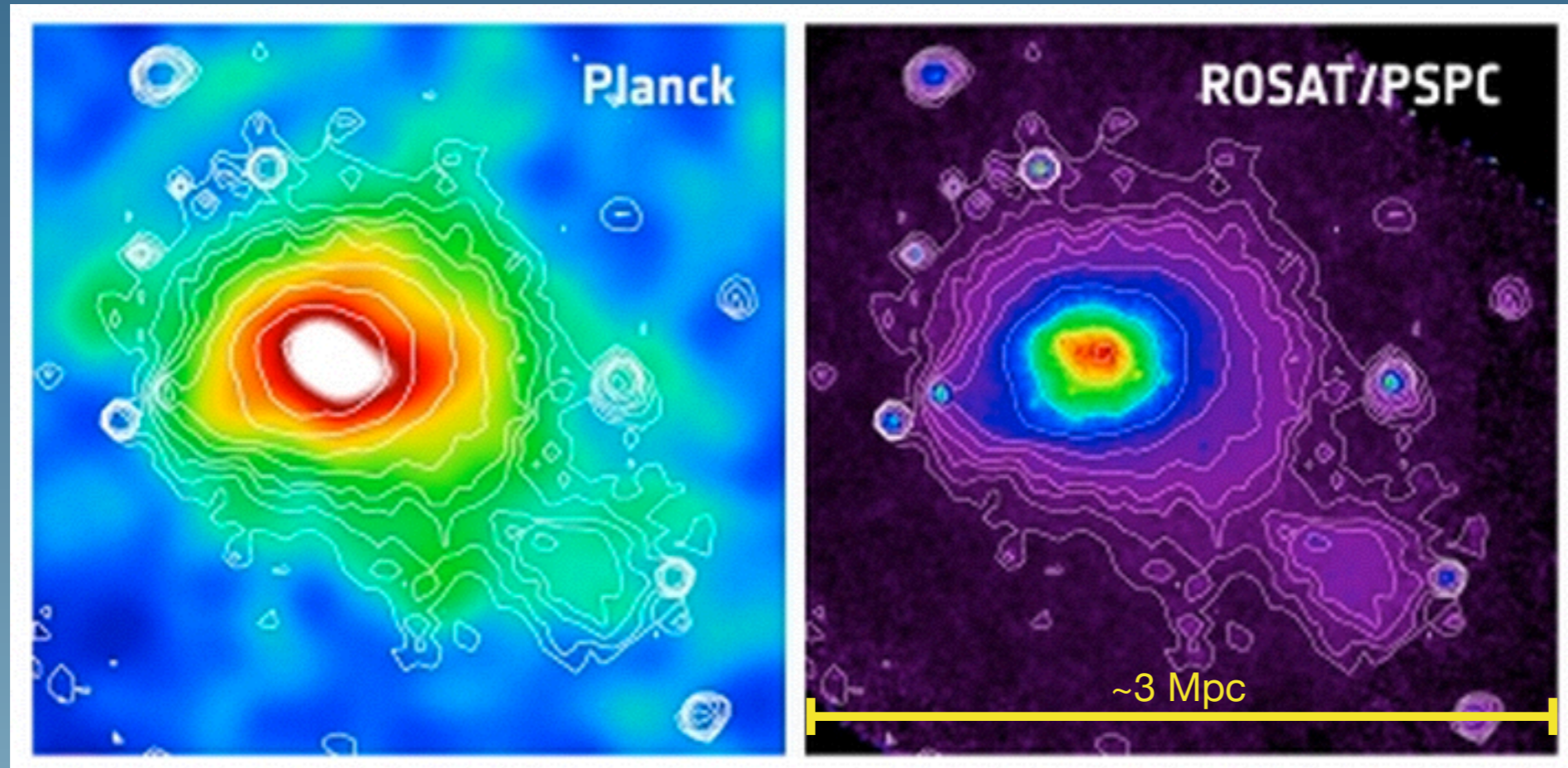
ICM : Hot ionized plasma found in galaxy clusters

Temperatures \sim several 10^7 K \rightarrow several keV

x-ray emission via bremsstrahlung

CMB spectral dist. via the Sunyaev-Zeldovich effect

Metallicity $\sim 1/3$ solar; scales ~ 1 Mpc (virial radius)



Credit: Davide De Martin (ESA/Hubble)

Context

Focus: Role of feedback on the Intracluster Medium (ICM)

Why?

Astrophysics: ICM is a unique astrophysical plasma and a laboratory for non-thermal processes

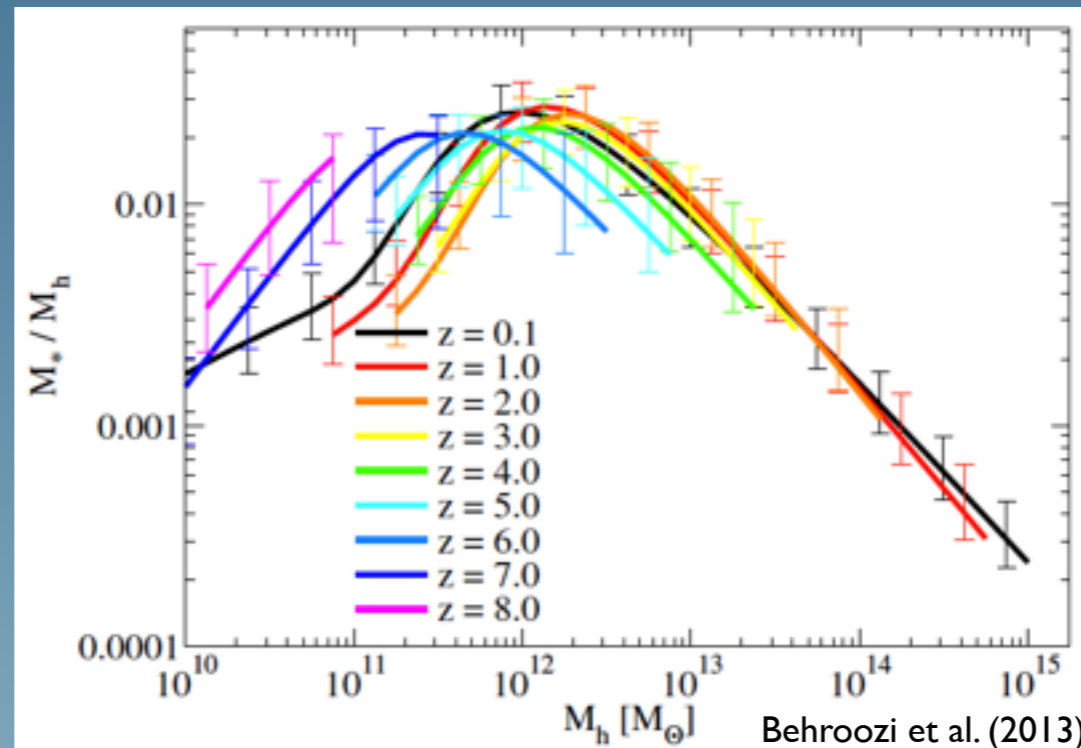
Cosmology: Galaxy clusters trace the growth of structure, sensitive to dark energy, $\sum m_\nu$, non-Gaussianity...

Largely gravitationally dominated systems

cluster mass \Leftrightarrow Thermodynamic properties (virialization)

Scaling Relations

Star Formation



Feedback

optimizing for the problem

Simulations have limitations...

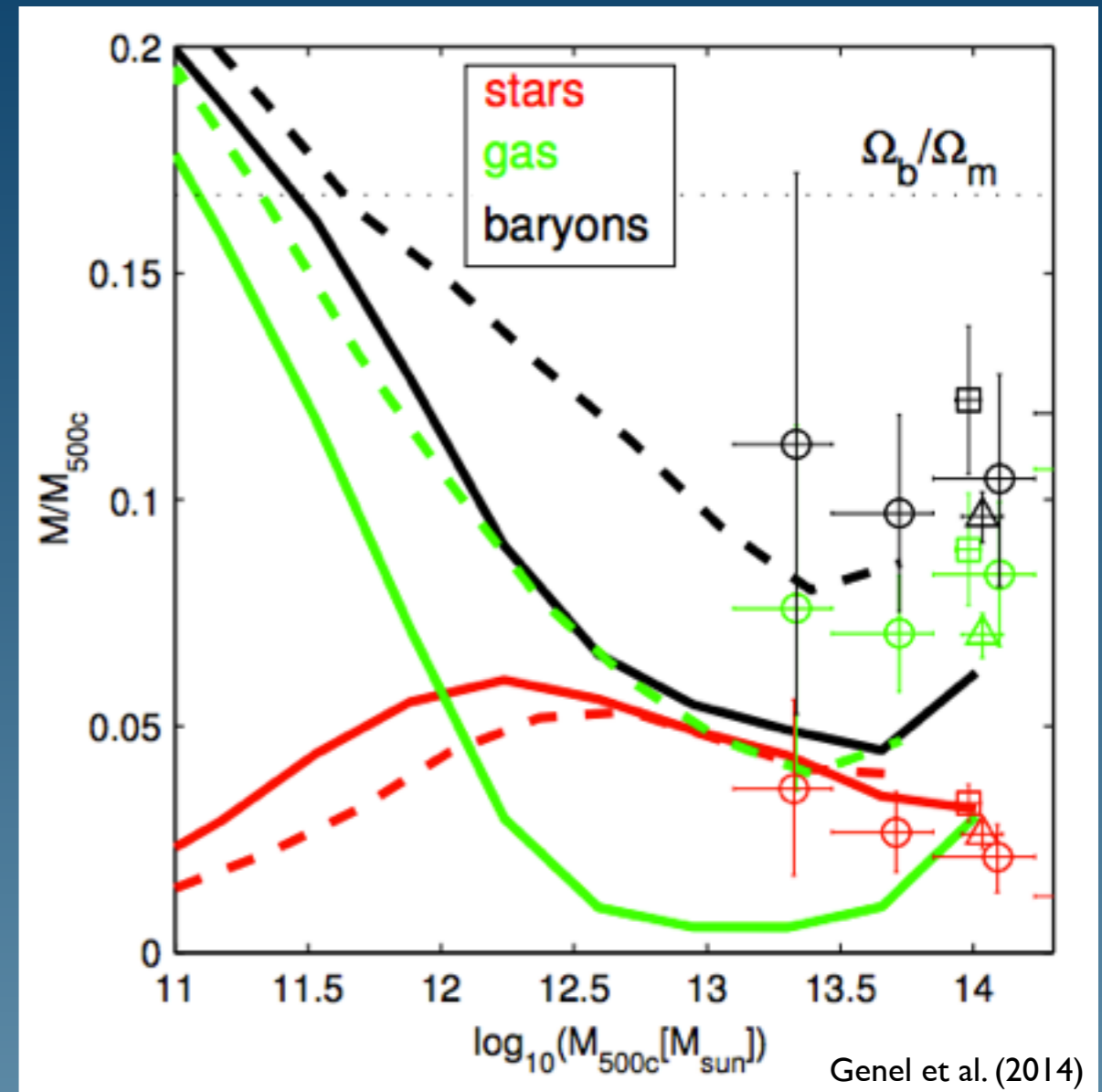
Requires tuning of the sub-grid models for SF, feedback etc.

Large scales for statistics

Coarse resolution for computational feasibility

The thermodynamic properties of the ICM is what we focused on

Dichotomy between cluster core properties require more physics



All obs. that Illustris matches on galaxy scales, the cluster scale properties are discrepant with obs.

Overcooling

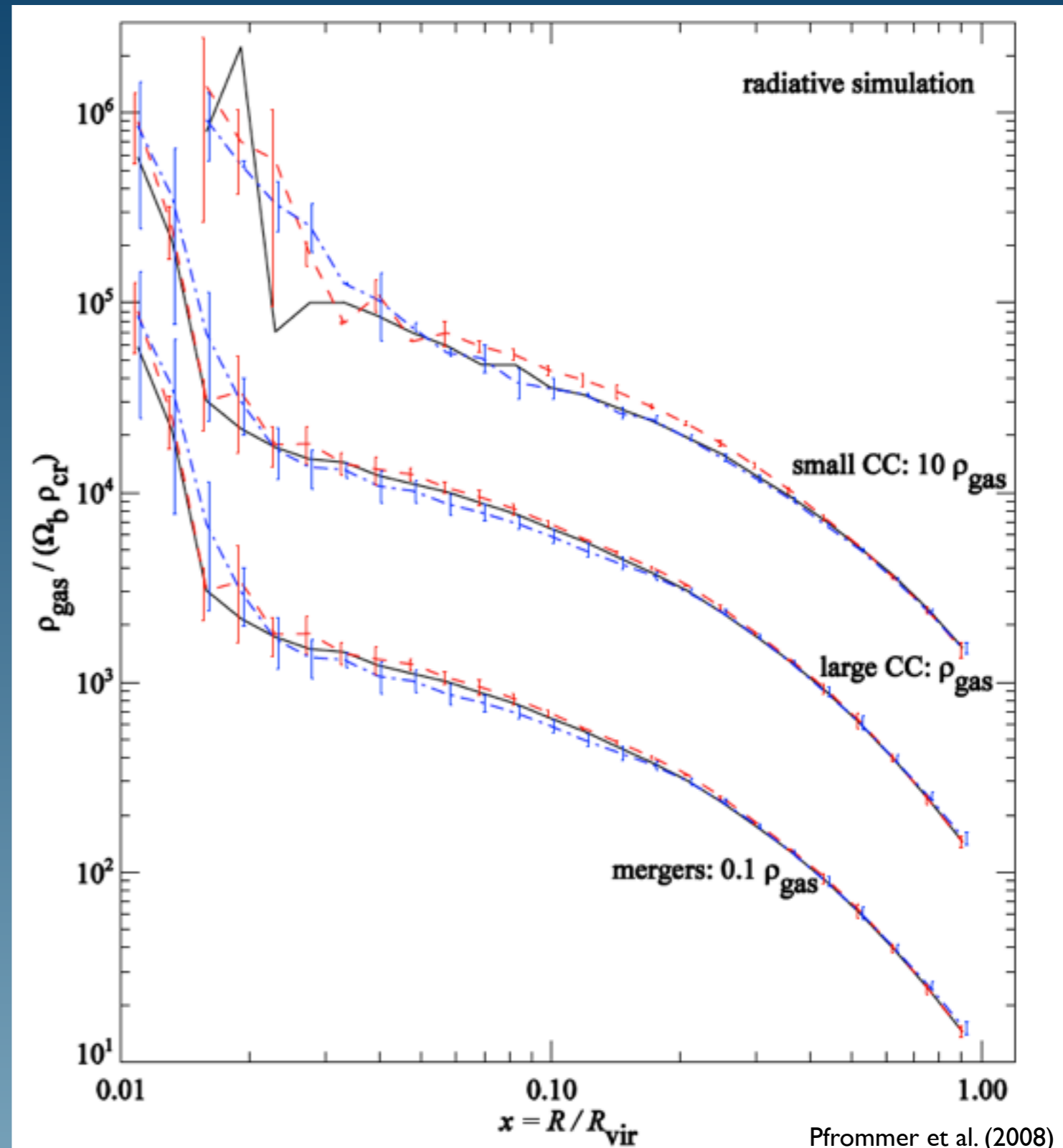
Overcooling is physical

for clusters the high densities, low entropies and cooling function, overcooling should happen, run away process

Observationally not seen

Feedback is required & necessary

- over produces stars
- modifies the ICM



Modeling the ICM

Simulations or (Semi)Analytical

e.g. Da Silva et al 2000, Springel 2001, Bond et al 2002, BBPSS 2010, McCarthy et al 2013

e. g. Komatsu & Seljak 2001, Ostriker et al. 2005, Bode et al 2009(12), Sehgal et al 2010, Shaw et al 2010, Trac et al 2011

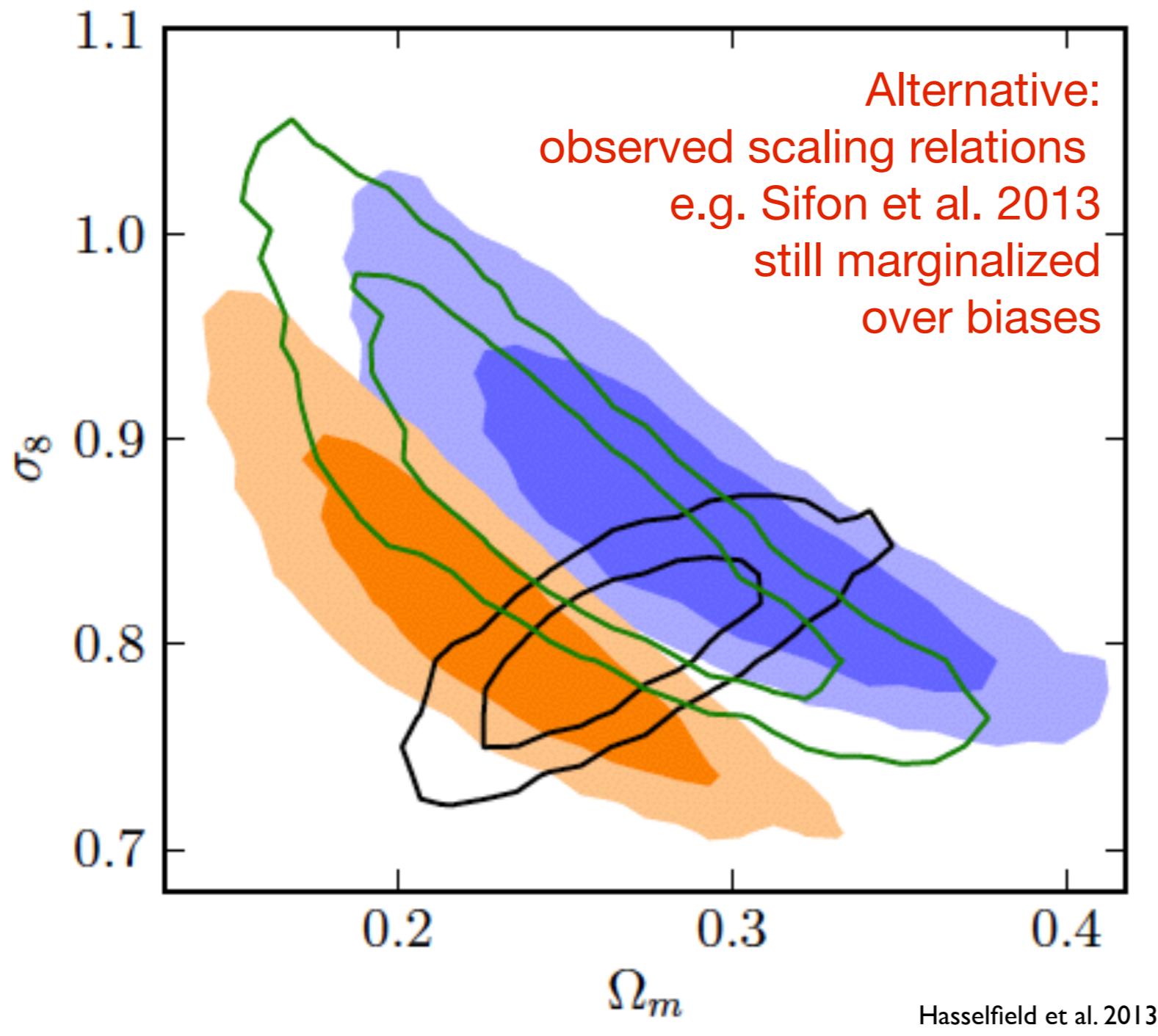
Processes that need to be included (Sub-grid)

- Radiative cooling
- Star formation
- Feedback (AGN, stellar)
- Non-thermal pressure support
 P_{KIN} , CR, P_{B} ...
- Asphericity and sub-structure
- Plasma processes
- etc...



The ICM is complex!

X-roads Cosmology & Astrophysics



Latest cluster cosmology

Limited by uncertainty in the Y-M relation & Pressure profile

e.g. Benson et al 2013, Hasselfield et al 2013, Rozo et al 2013, & Planck Coll. XX 2013

Simulations are a tool for understanding and quantifying the important gas physics, biases, and scatter in surveys

Our Simulations

Box lengths 200-400 Mpc h^{-1} (256^3 , 512^3)

Halo Mass resolution $10^{13} M_{\odot} h^{-1}$

Gadget3 (SPH) with 3 “physics” models

- Non-radiative (Adiabatic)

- Radiative cooling + SF + SNe + CR

- “AGN” feedback (coarse sub-grid)

~ 800 clusters with $M_{200} > 10^{14} M_{\odot} h^{-1}$

Lots of data to still be mined

A new set of simulations is coming soon

Previous Feedback models

Magorrian relation

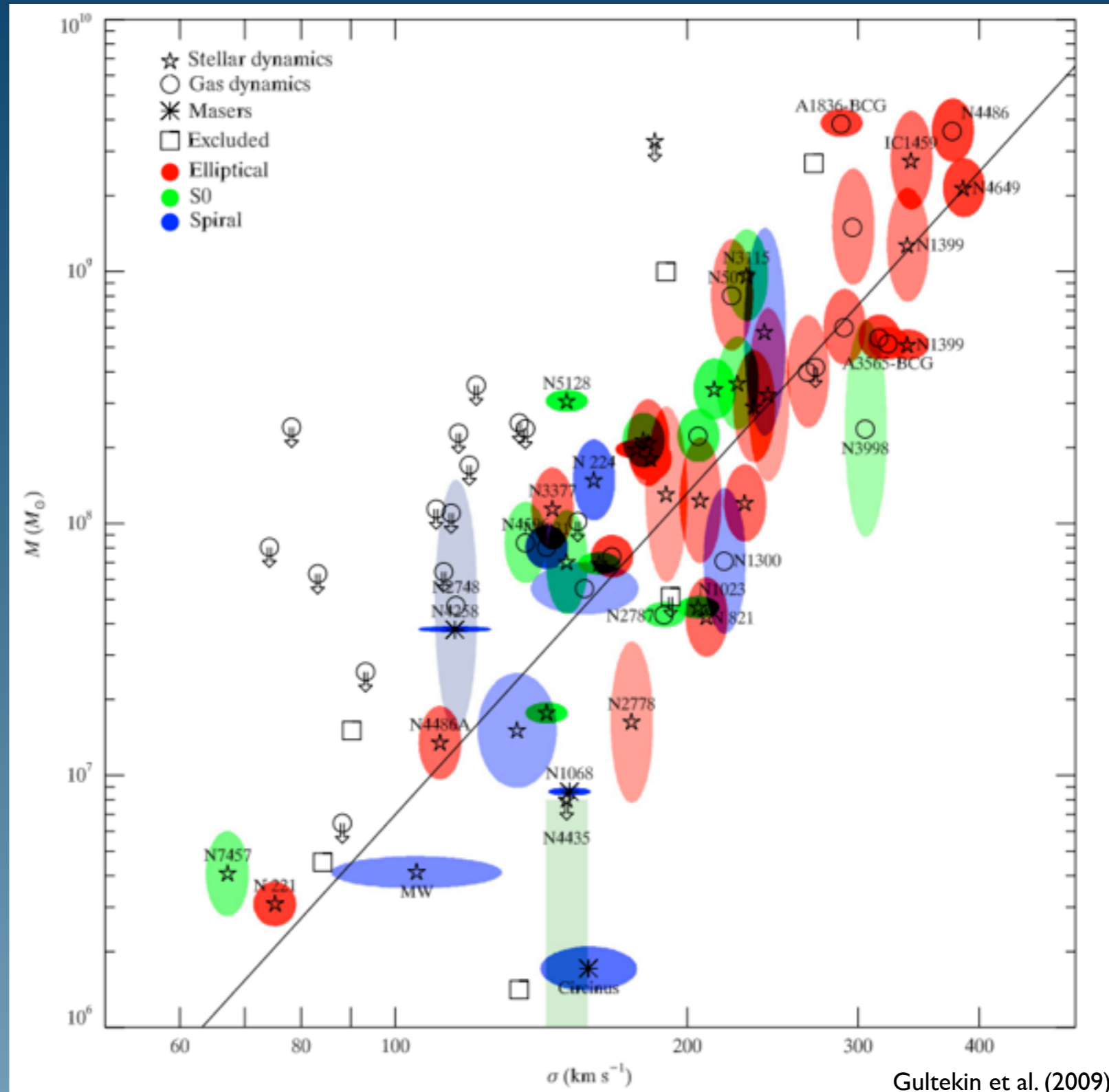
$$M_{BH} \propto \sigma^4, \dot{M}_{BH} \propto \dot{M}_{EDD}$$

- run on smaller scales
- quasars and galaxies

Estimate Bondi-Hoyle accretion

$$\dot{M}_{BH} = \frac{\alpha 4\pi G^2 M_{BH}^2 \rho}{(c_s^2 + v^2)^{3/2}}$$

- sink particles
- high resolution



“AGN” feedback

Sub grid ($\sim 10^9$ [OM], simulation resolution ~ 20 kpc)

Following: Thompson, Quataert & Murray 2005

$$\dot{M}_{BH} \propto \dot{M}_*$$

For typical AGN (< 1 pc):

Black hole accretion rates $\sim 1 M_\odot / \text{yr}$

disk mass $10^6 M_\odot$, but AGN lifetimes $> 10^6$ years

Mass transfer must occur from an outer to an inner disk

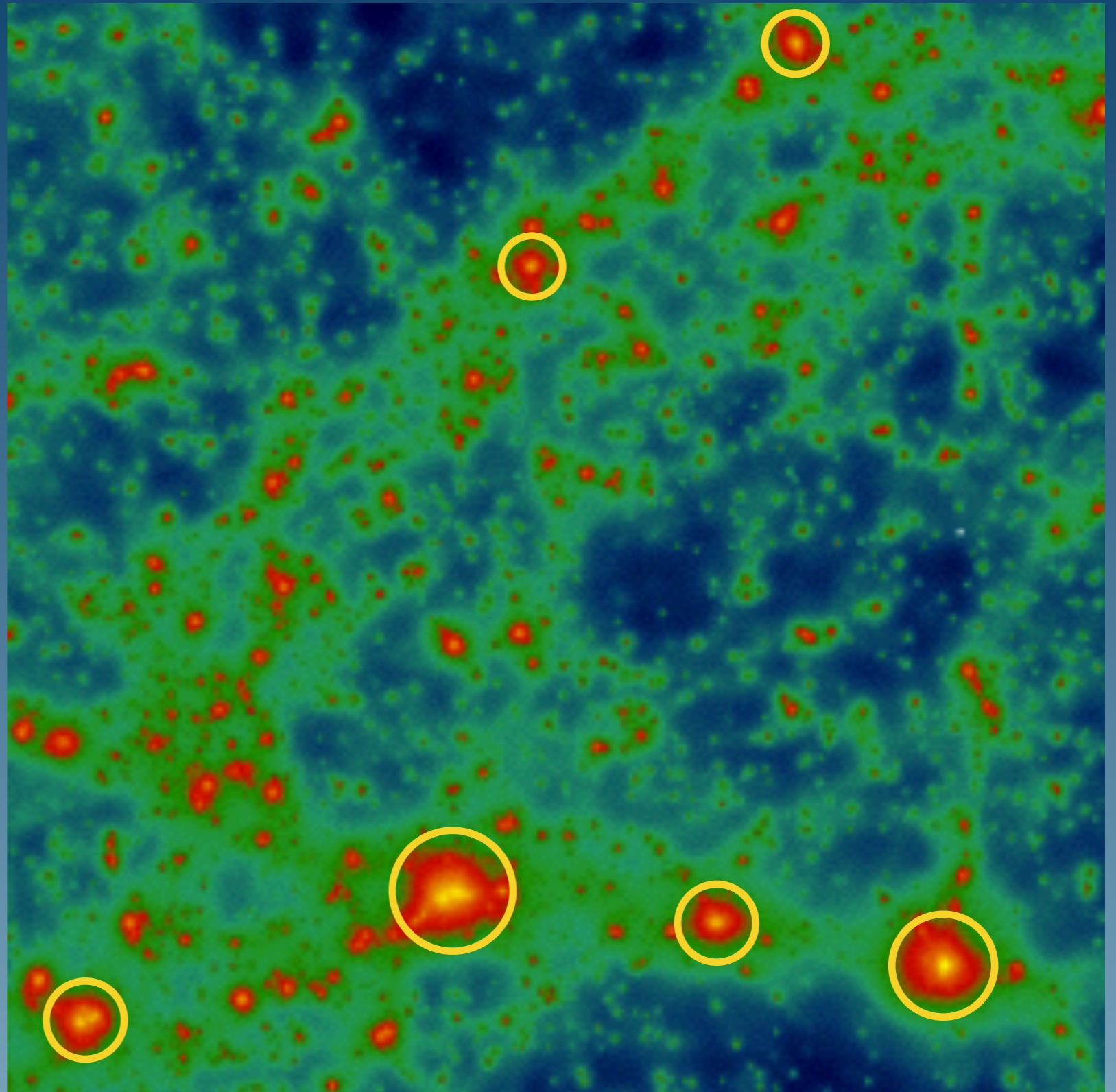
Outer disk will be unstable and forming stars

therefore, $\dot{M}_{\text{acc}} > \text{SFR}$ of the outer disk, otherwise a gap will open up, shutting off the mass transfer

$$\dot{M}_{BH} \propto \dot{M}_*$$

“AGN” feedback algorithm

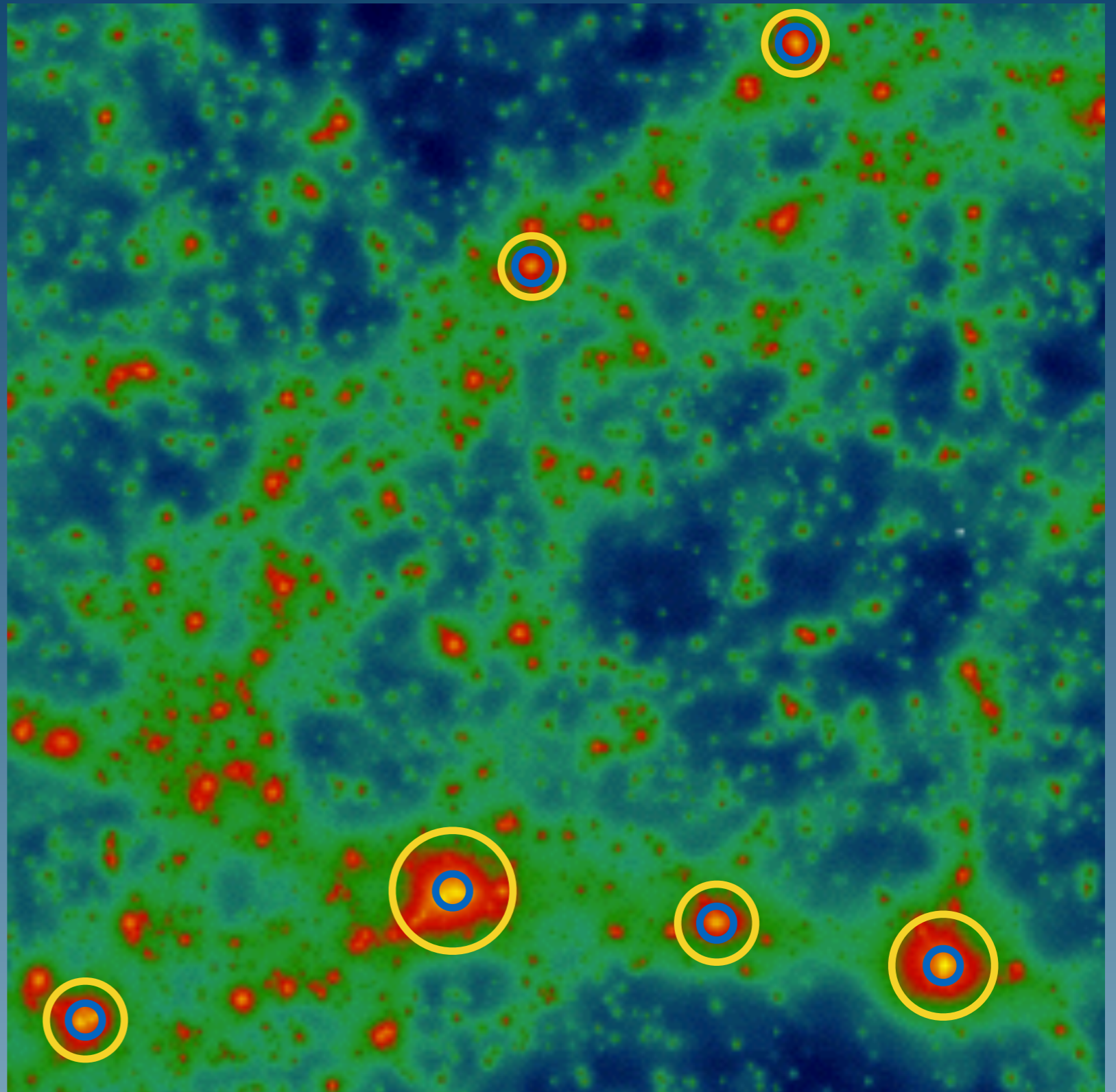
every “duty cycle” Δt
Identify halos via FOF



“AGN” feedback algorithm

every “duty cycle” Δt
Identify halos via FOF

Calculate the SFR with
each R_{AGN}



“AGN” feedback algorithm

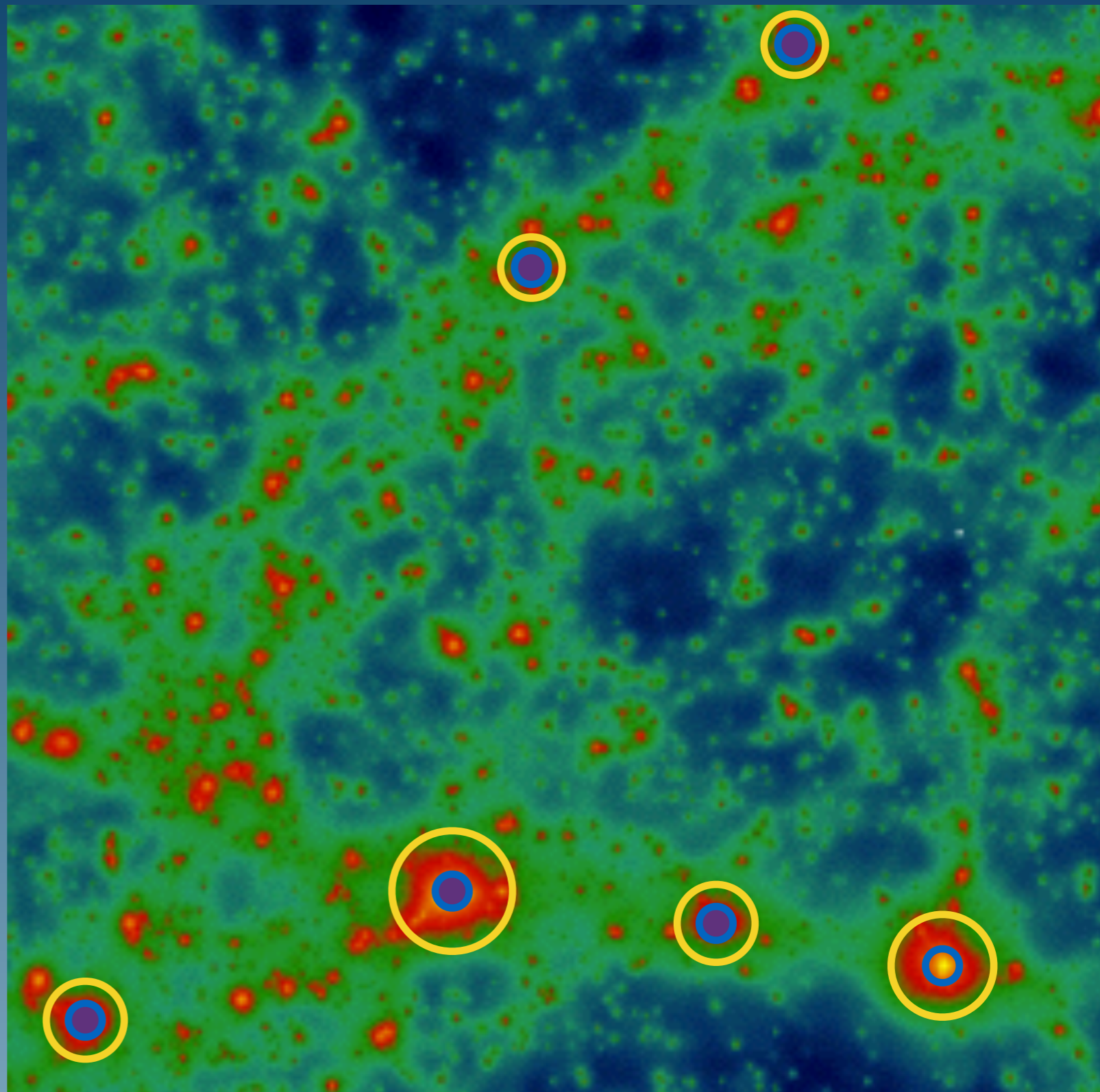
every “duty cycle” (Δt)
Identify halos via FOF

Calculate the SFR with
each R_{AGN}

Inject thermal energy
inside R_{AGN} , if SFR
threshold is reached

$$E_{inj} = \epsilon_r \dot{M}_* c^2 \Delta t$$

Repeat next Δt



“AGN” feedback parameters

Match a previous AGN model

$\Delta t = 10^8$ yr

$$R_{\text{AGN}} = \max \left\{ 100 h^{-1} \text{ kpc} \right. \\ \left. \times \left[\frac{M_{\text{halo}}}{10^{15} h^{-1} M_{\odot} E(z)^2} \right]^{1/3}, \frac{u_{\text{AGN}}}{1+z} \right\},$$

$\sim 1/20$ of R_{vir}

$\epsilon_r = 2 \times 10^{-4}$

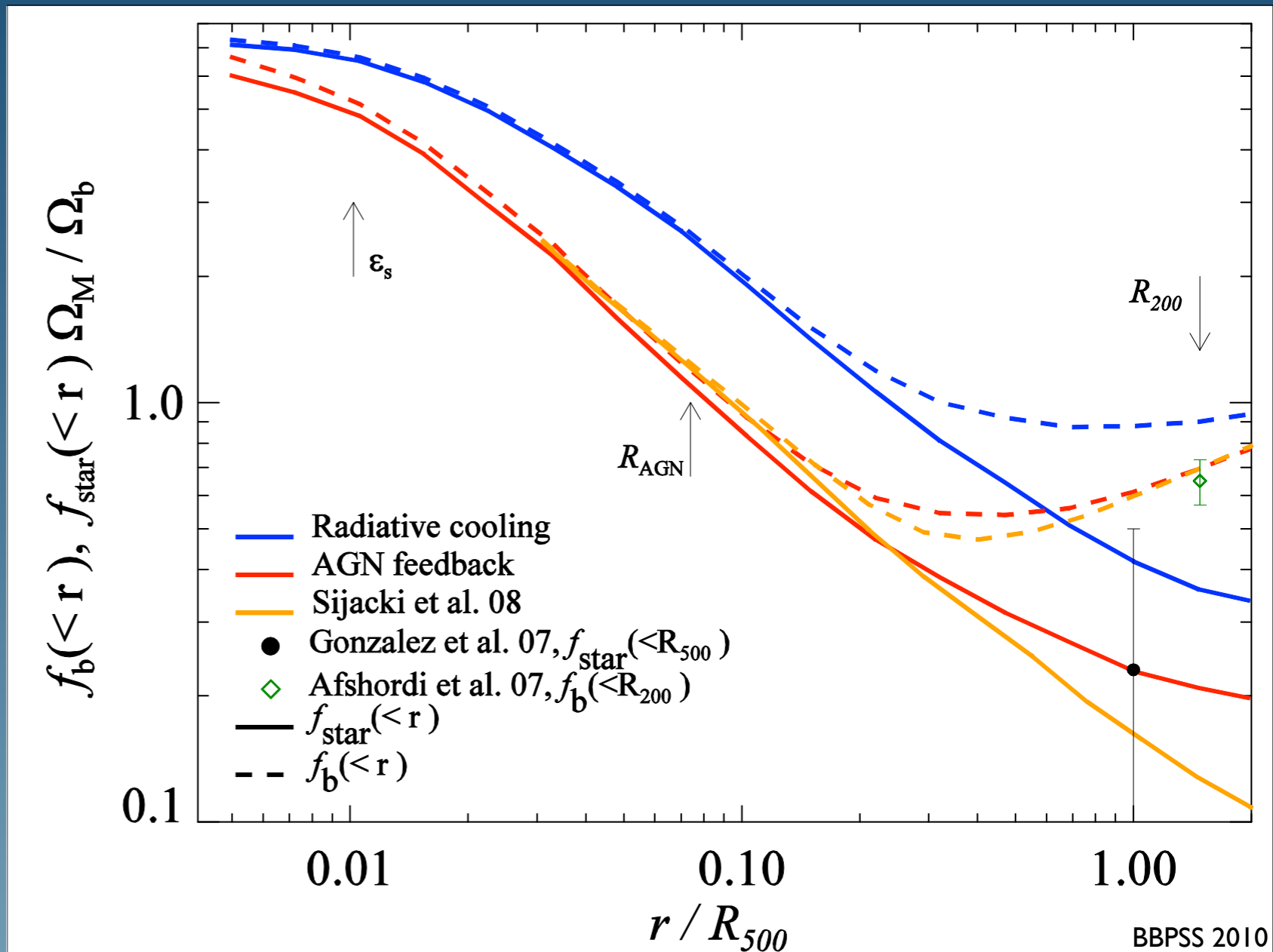
Many factors go into ϵ_r

M_{BH} to M_{\star}

True efficiency is much lower

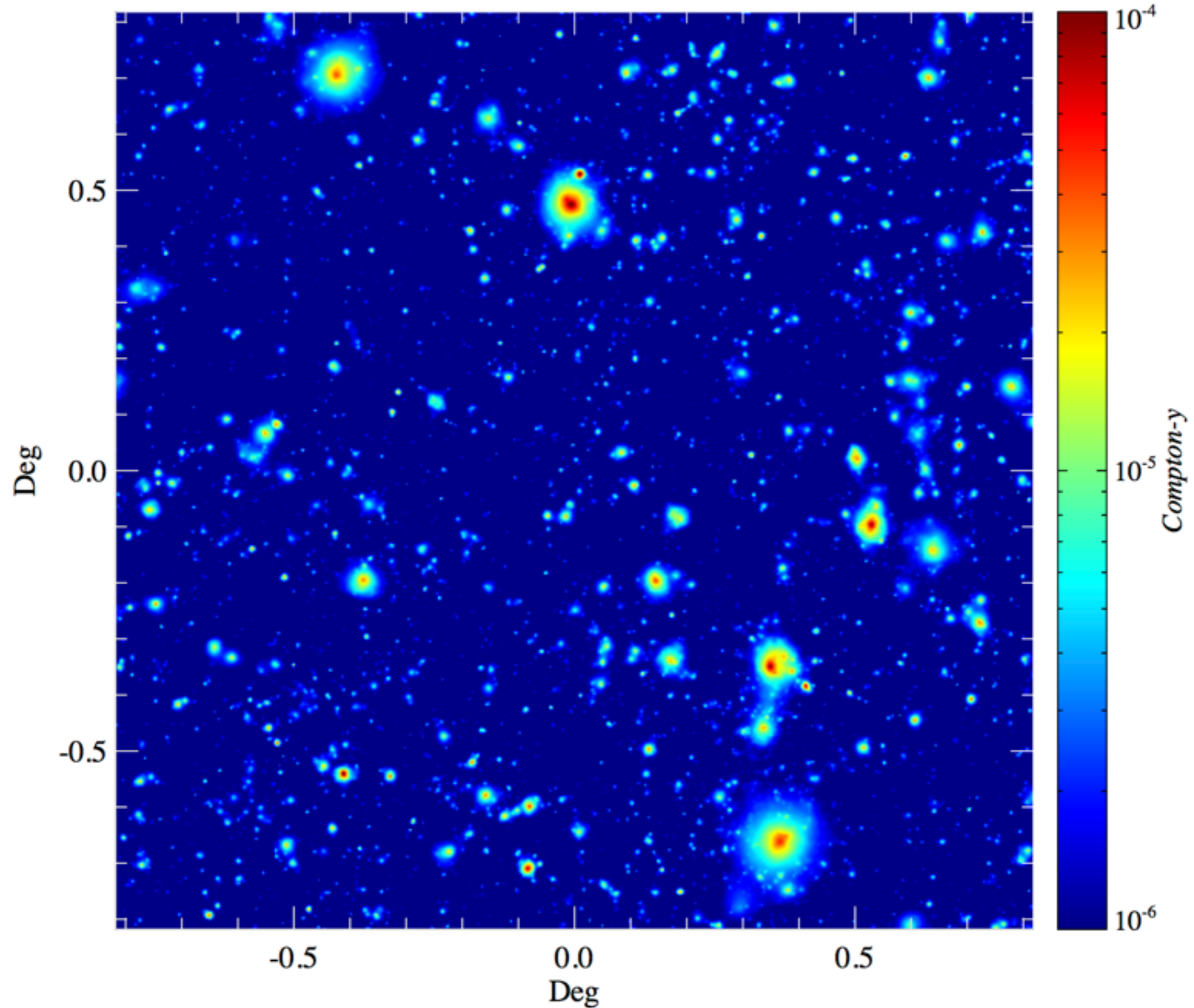
$\epsilon_r = 5 \times 10^{-6}$

$$f_{\text{star}}(< r) = \frac{M_{\text{star}}(< r)}{M_{\text{TOT}}(< r)}$$

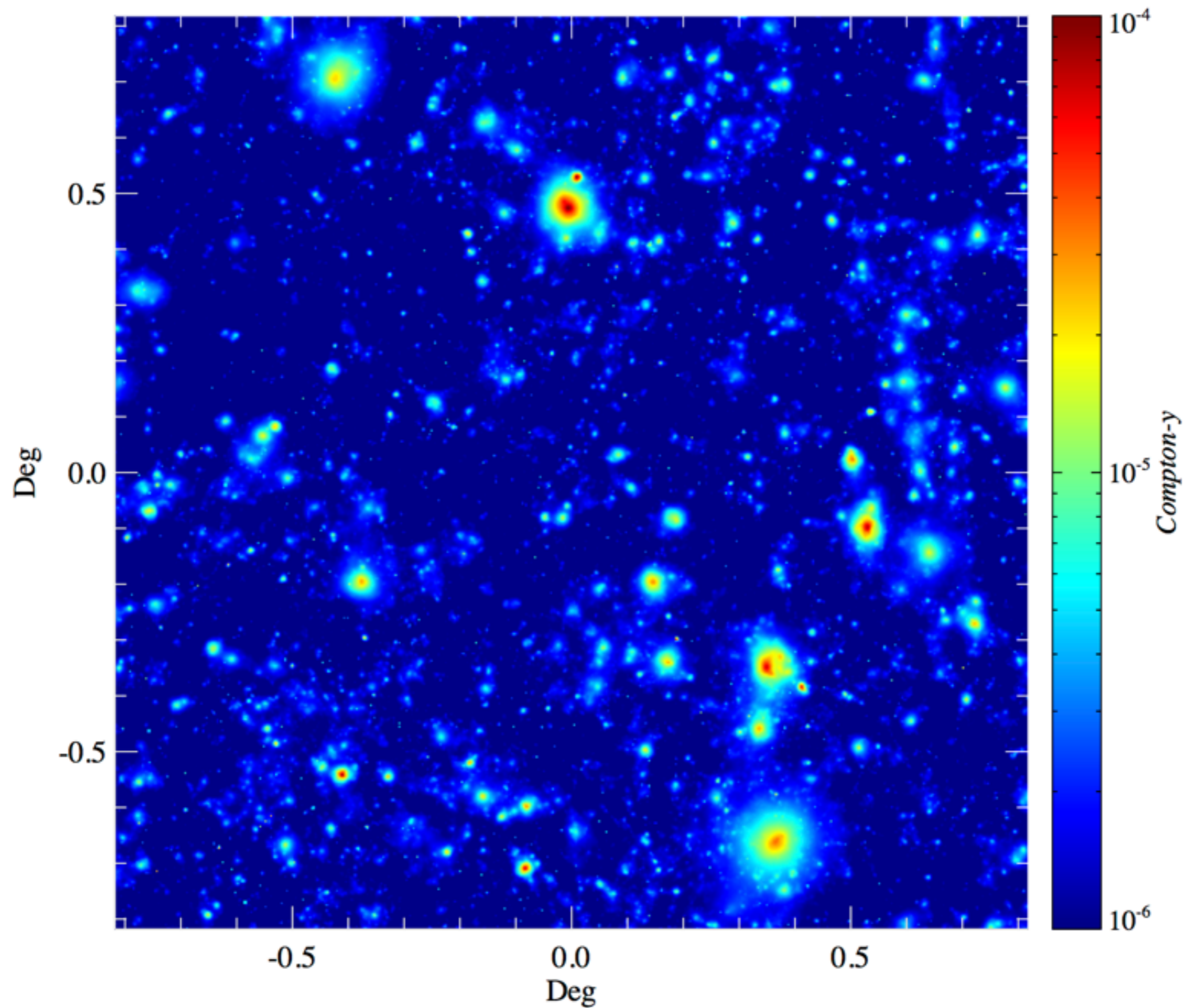


$E_{\text{inj}}(z) \rightarrow \sim 60\%$ at $z > 2$, 20% at $2 < z < 1$, and 20% at $z < 1$

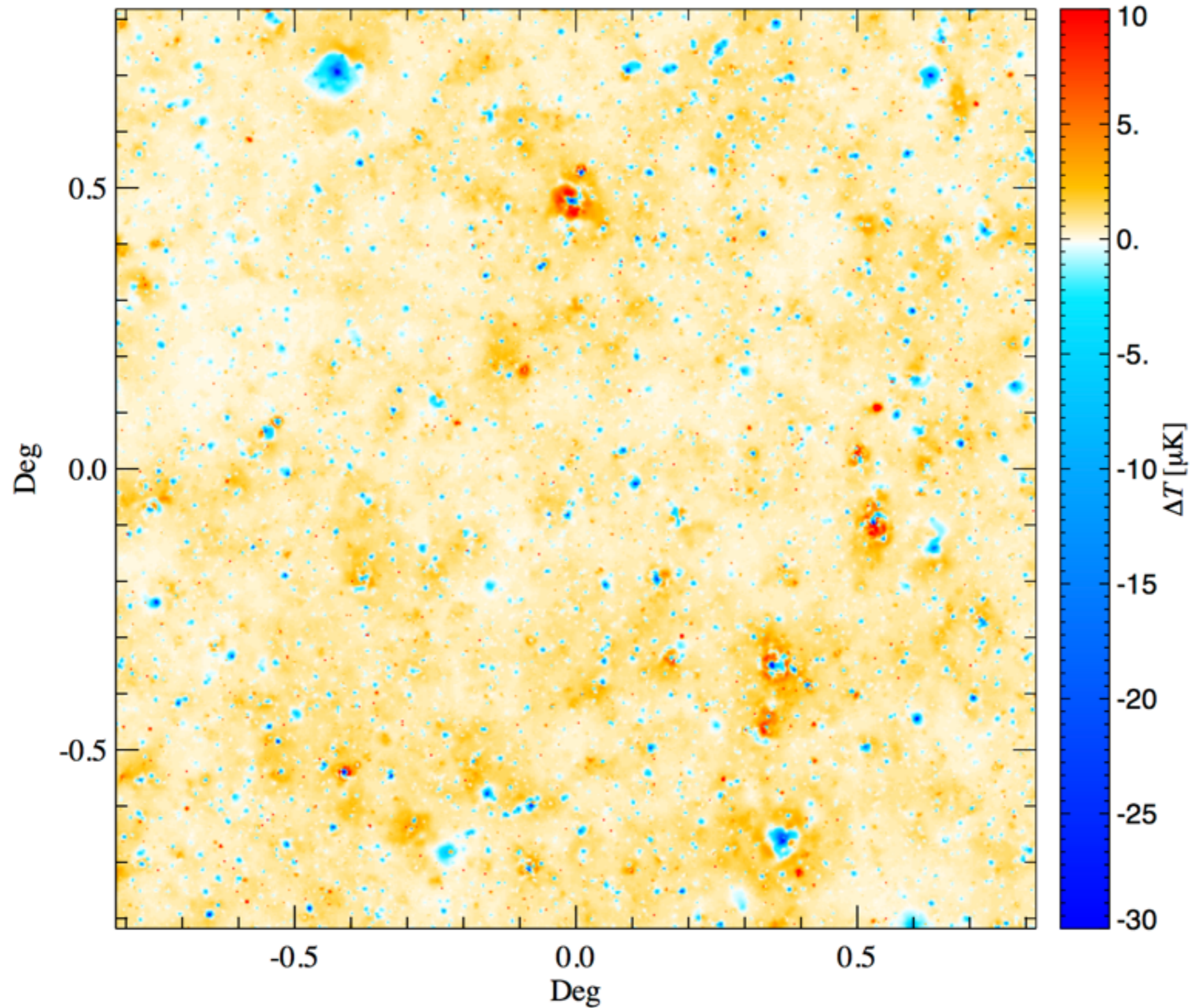
c+sf+w+SNe+CR Compton-y map



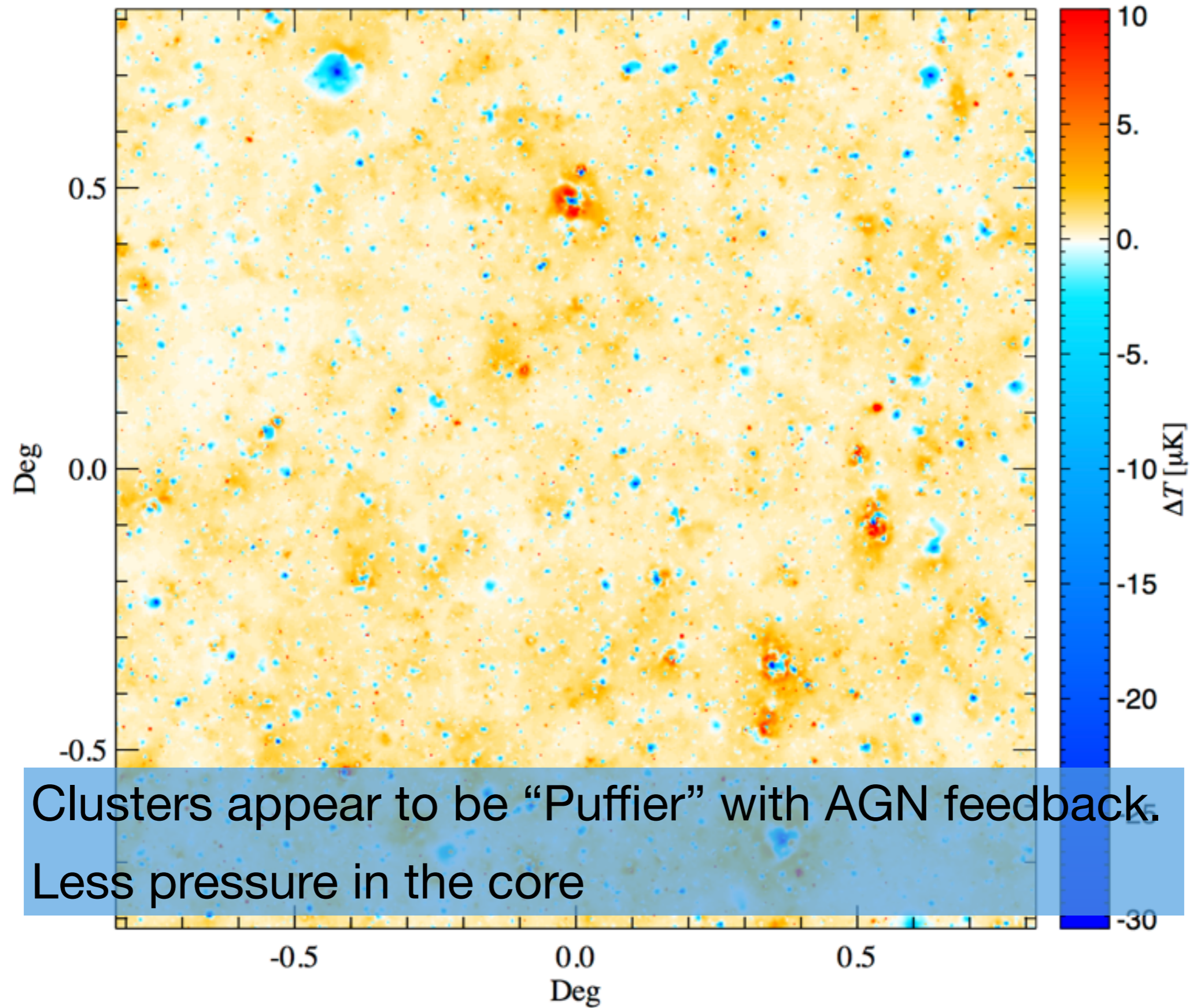
Feedback Compton-y map



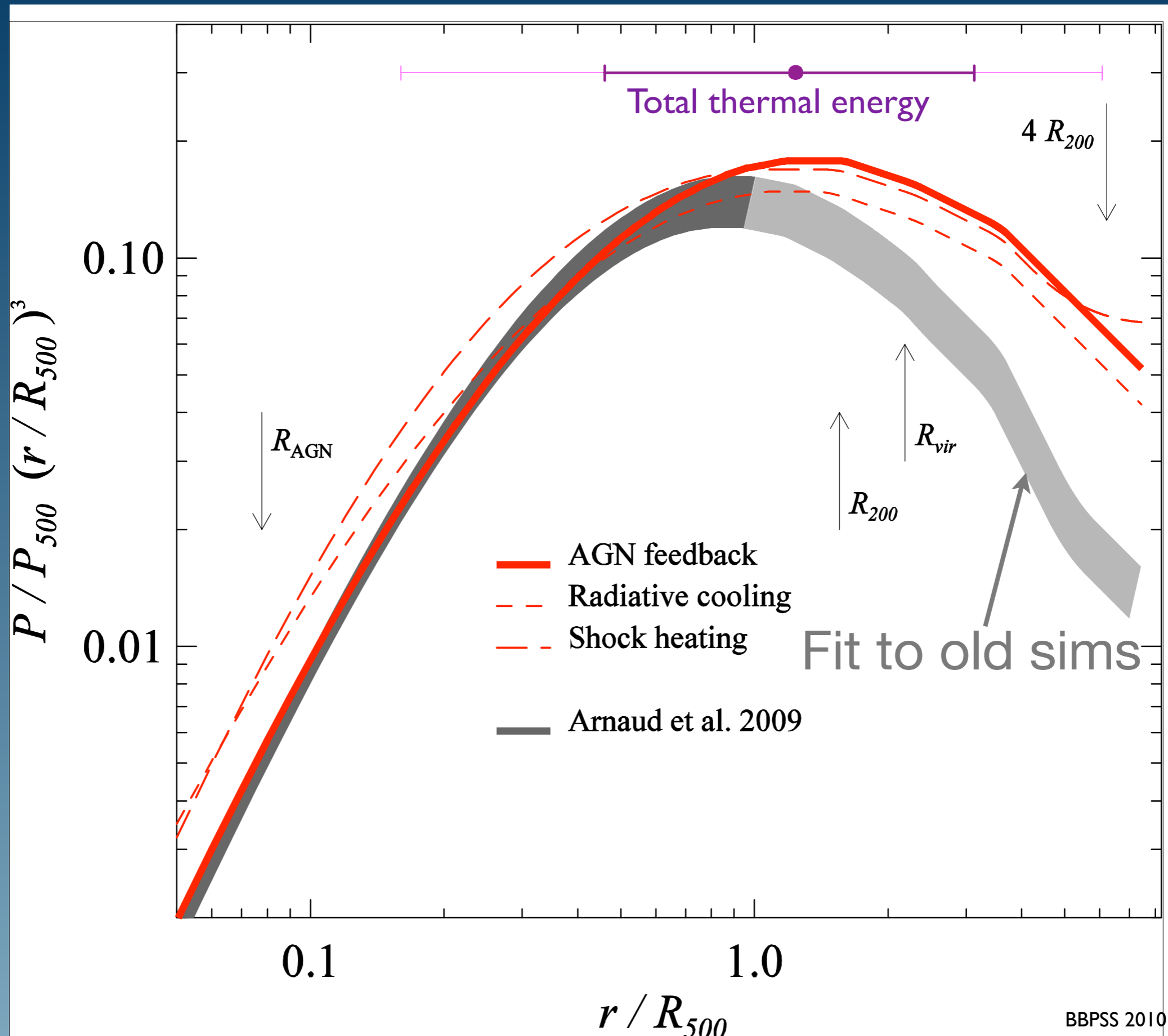
Radiative cooling - Feedback



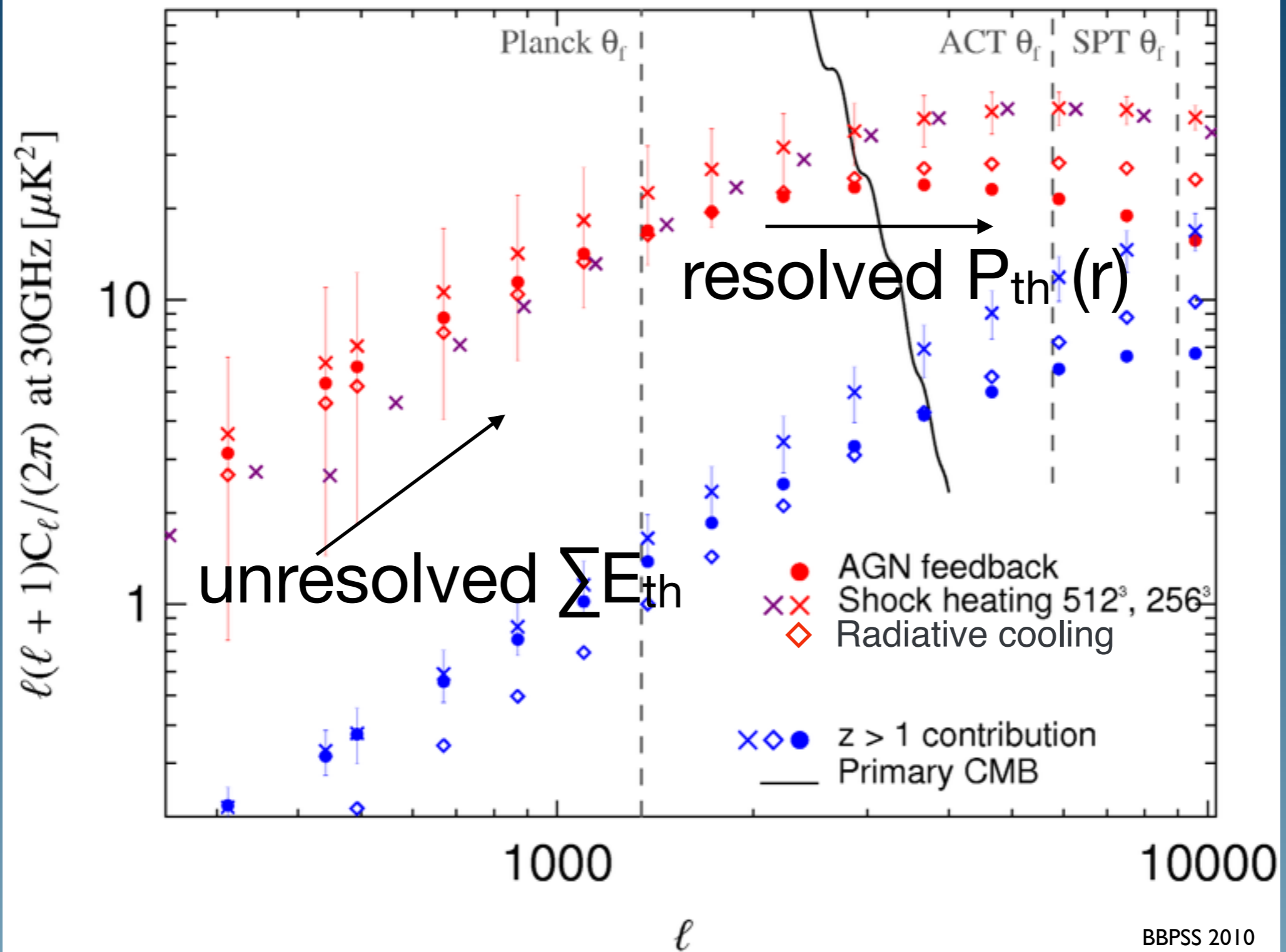
Radiative cooling - Feedback



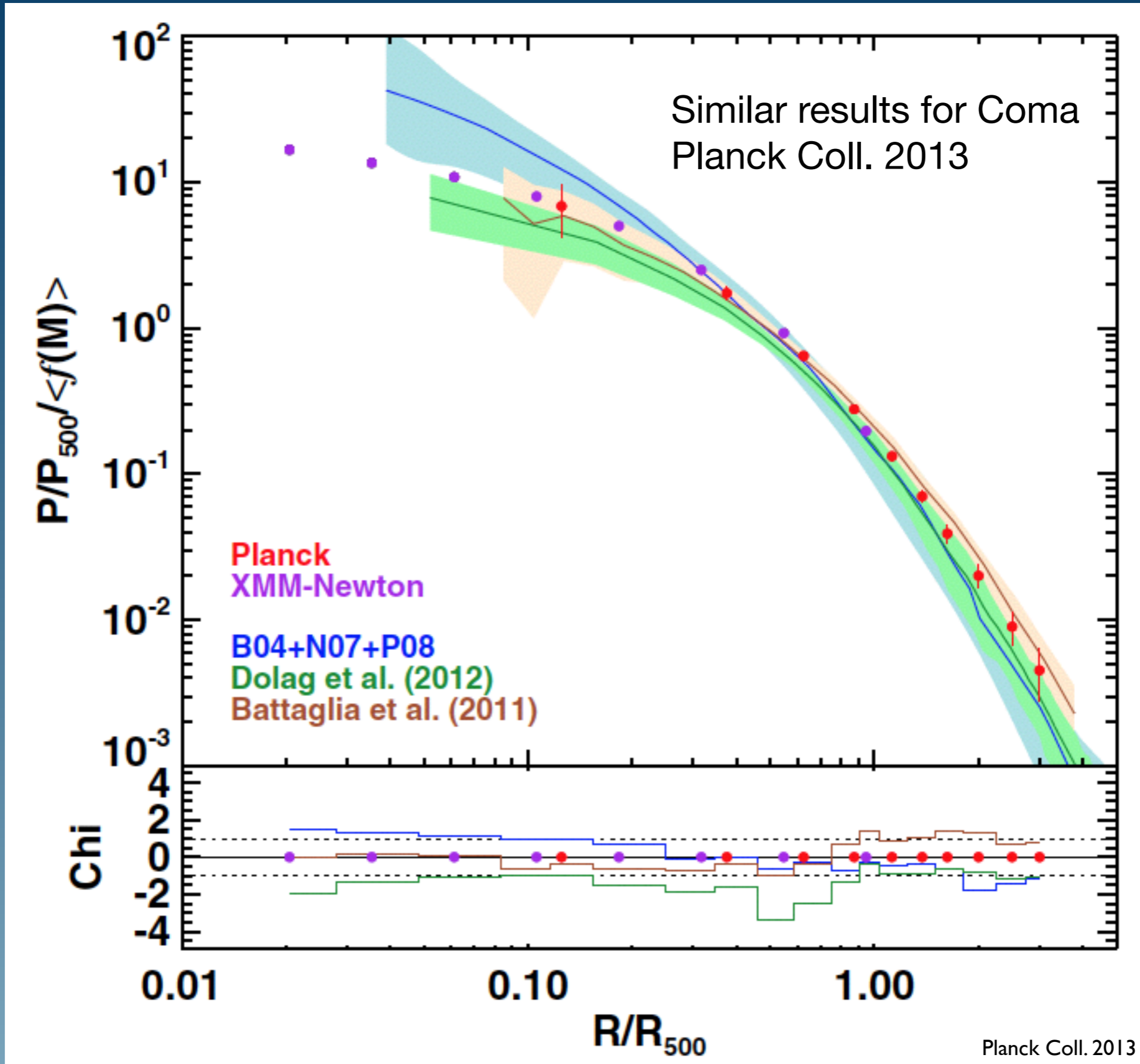
Simulation P_{th} Profile



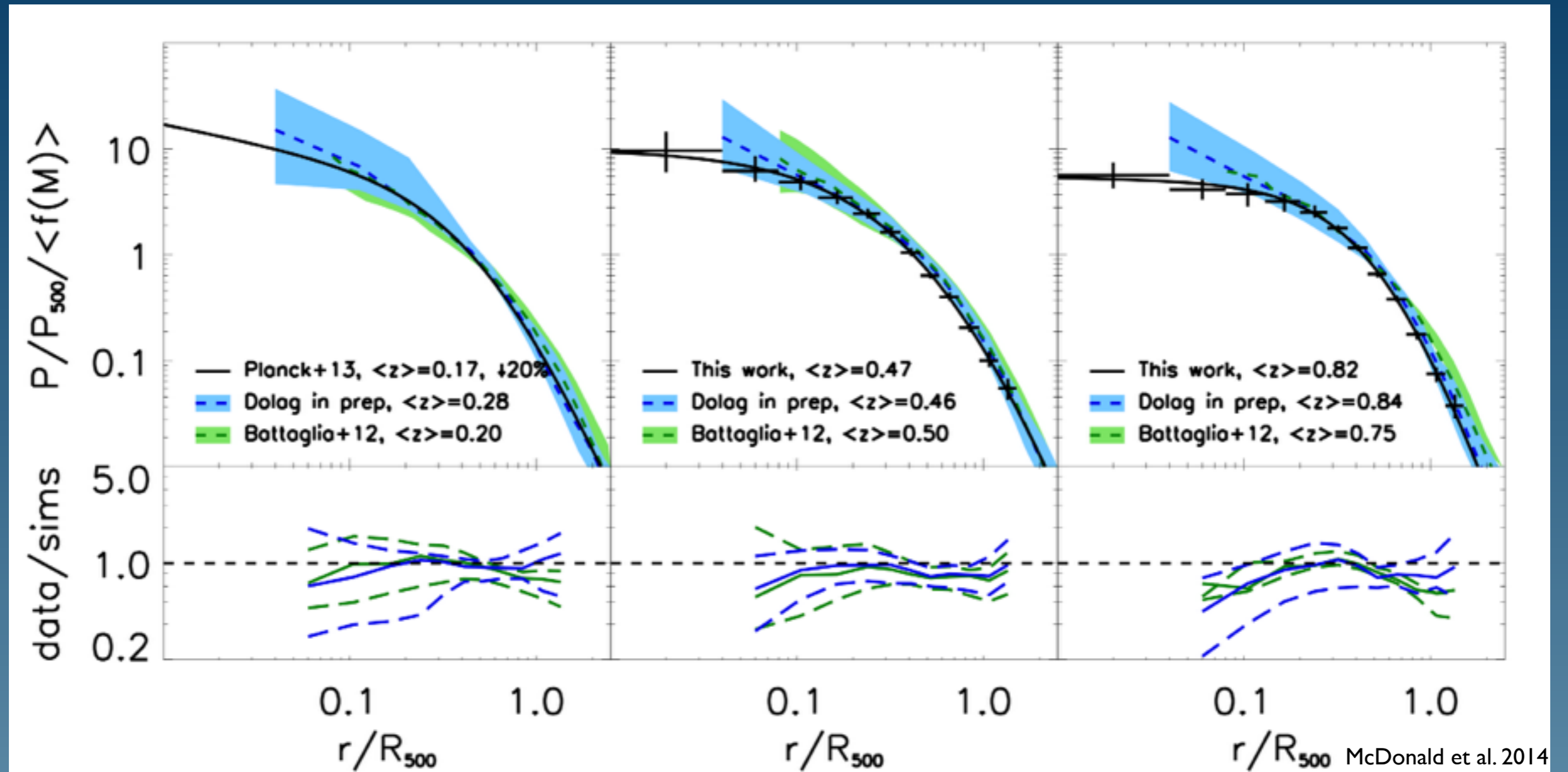
tSZ PS



Planck P_{th} Profile

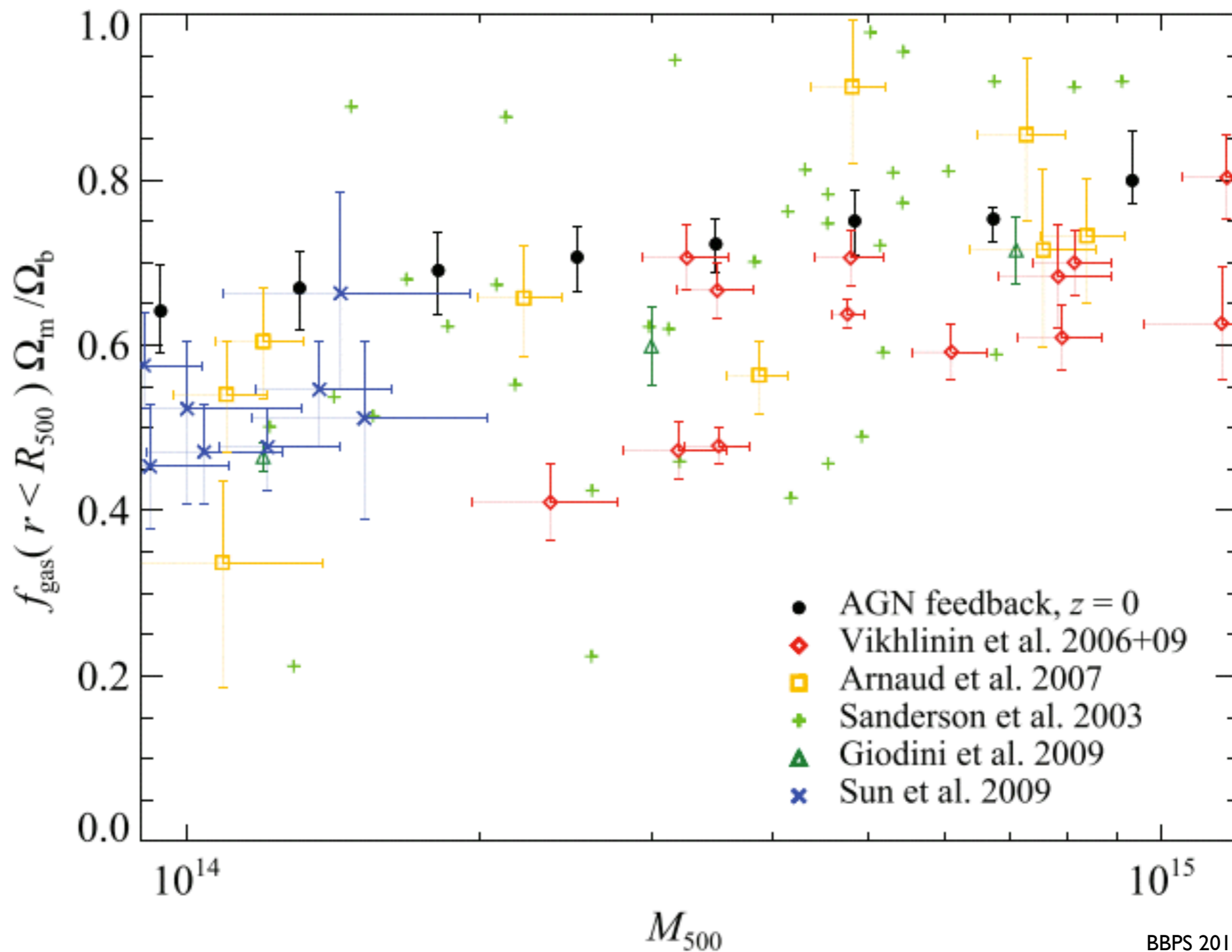


SPT P_{th} Profile $z > 0.3$

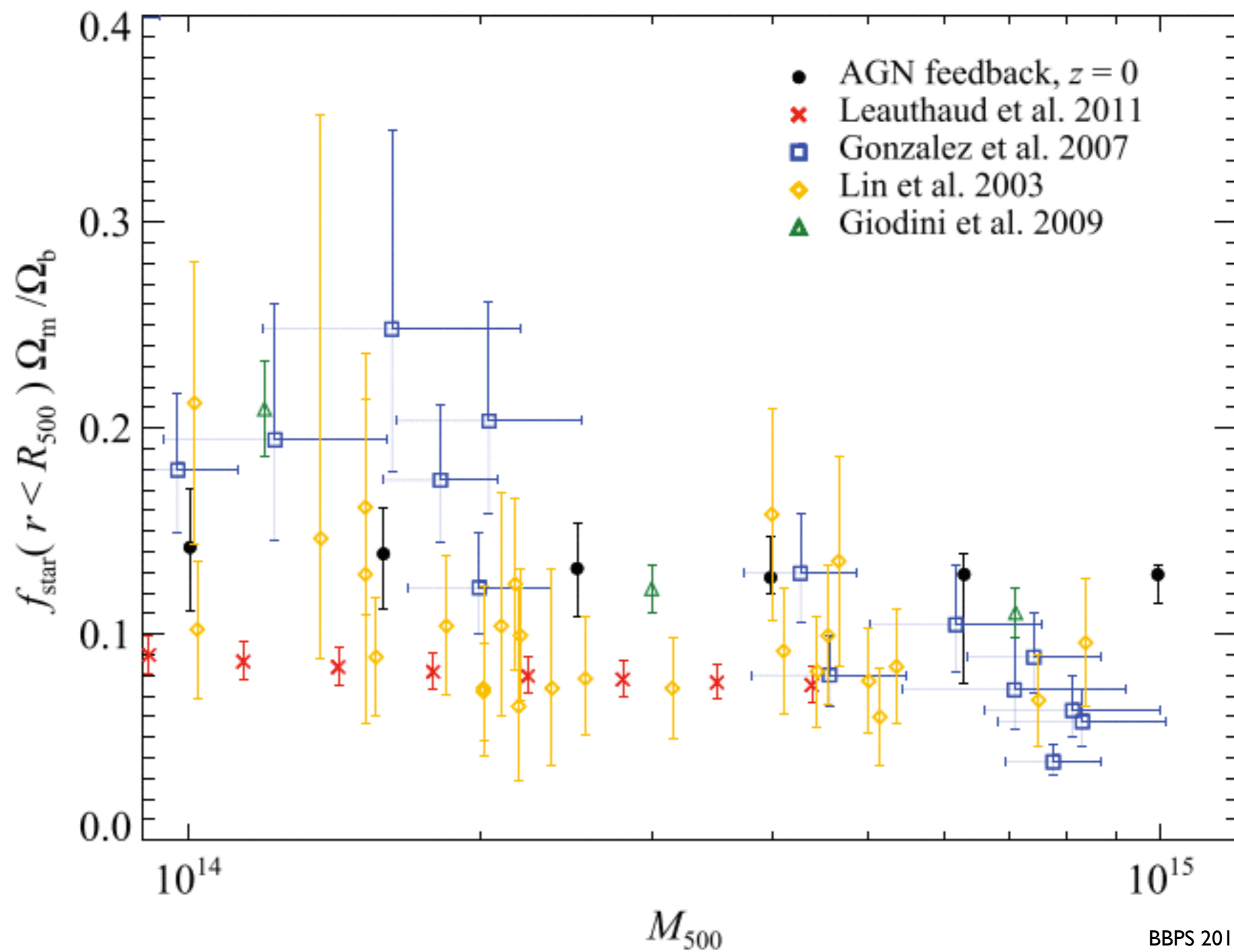


Simulations do well to match the observed pressure profile at higher redshifts too

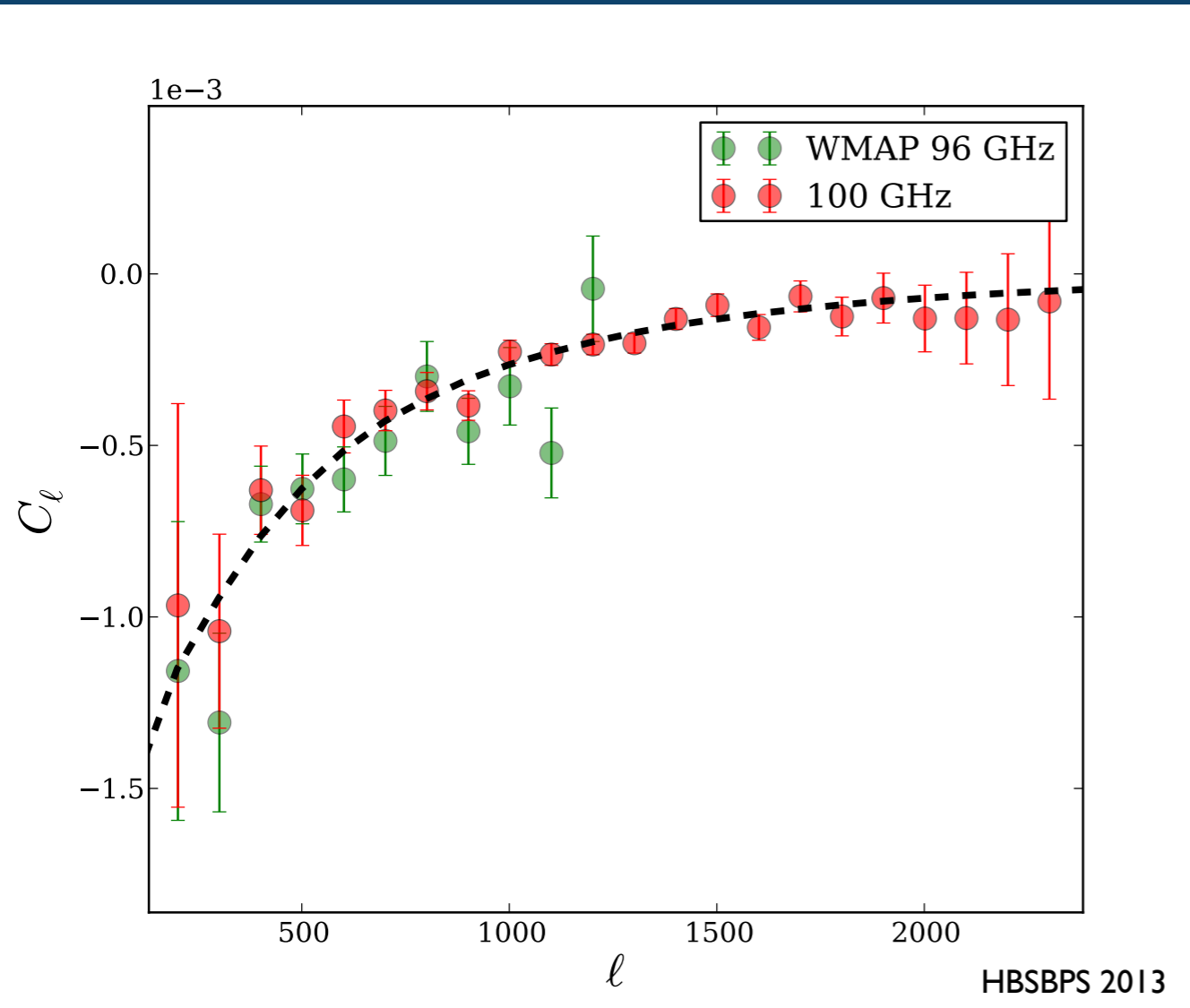
Cluster baryons observations $z \sim 0$



Cluster baryons observations $z \sim 0$

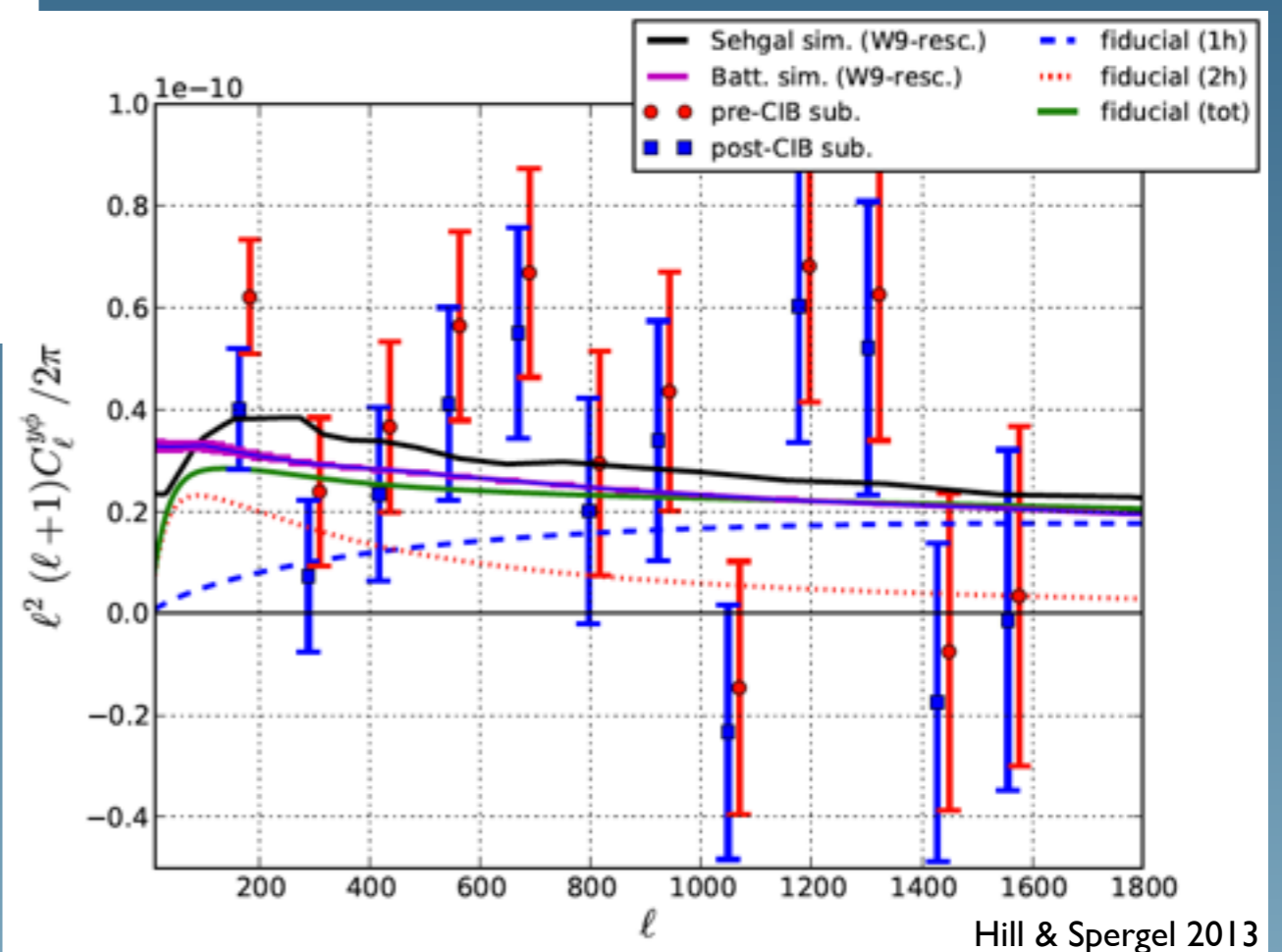


Other cross-correlations

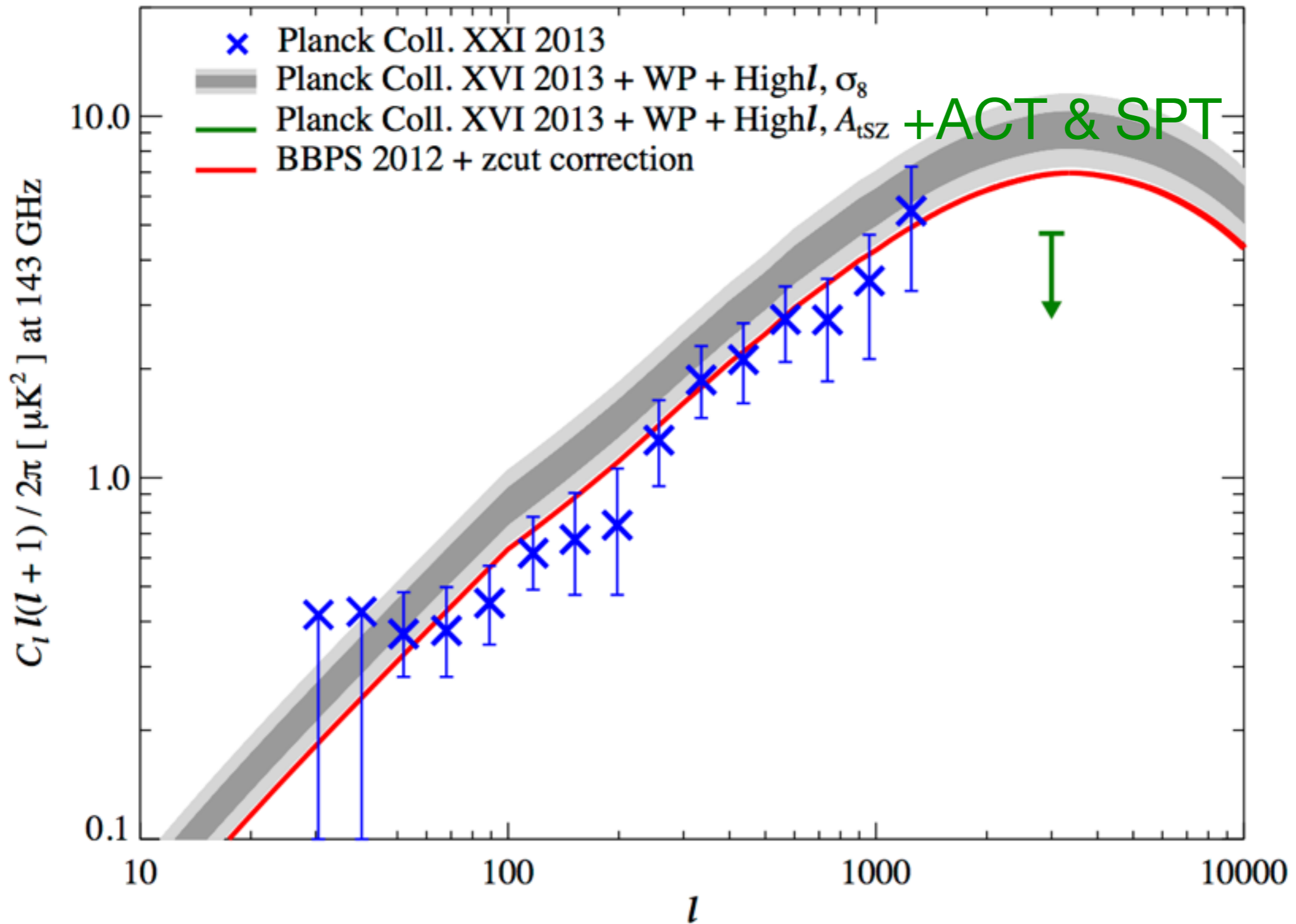


x-ray cluster locations
cross-correlated with CMB
matched by sims
Lower redshift
Higher halo mass

CMB lensing potential
cross-correlated with y
matched by sims
- Higher redshift
- Lower halo mass



Cautions...



Final thoughts

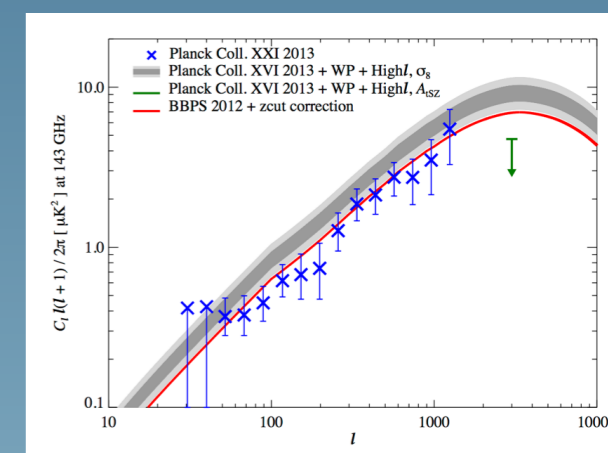
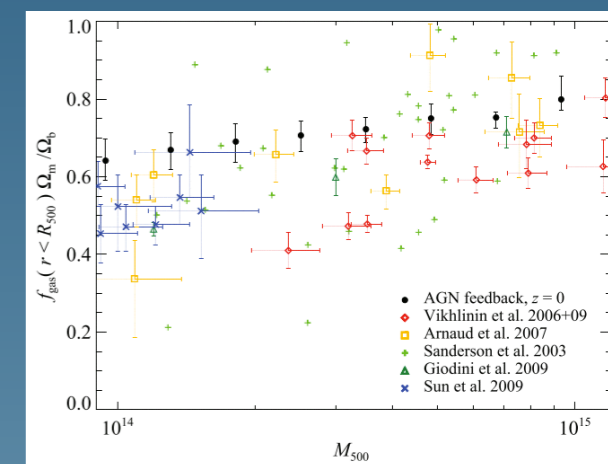
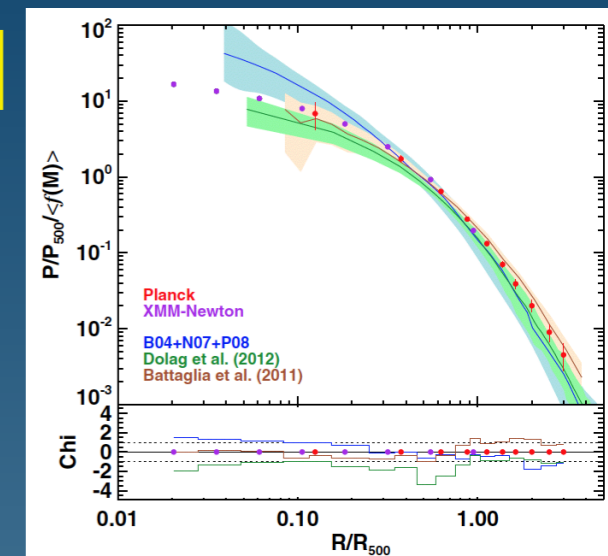
This coarse grid “AGN” feedback model compares well against the current ICM observables (not tuned that way...)

However ICM modeling is not finished there are still open issues

In the pipeline - new simulations modified feedback models

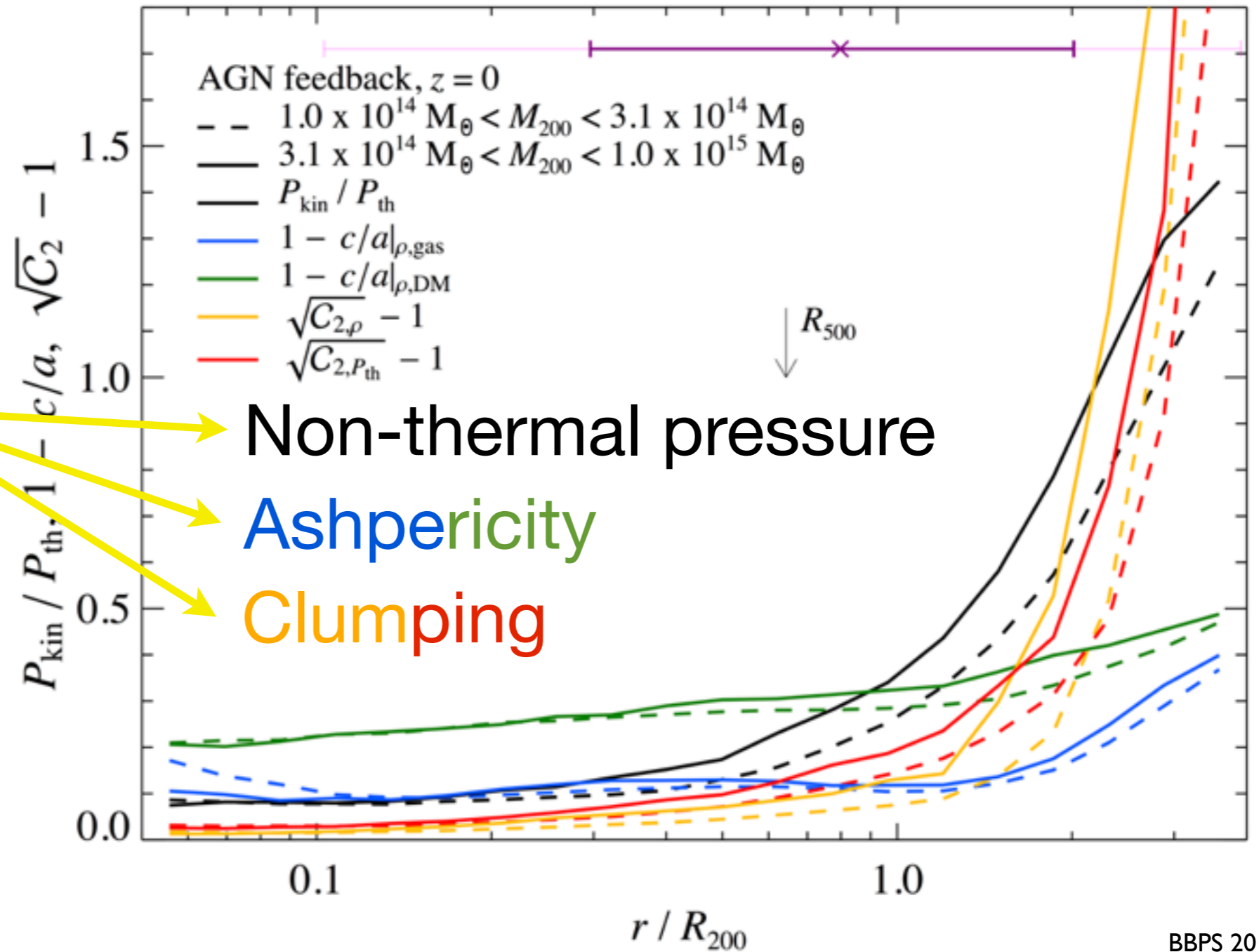
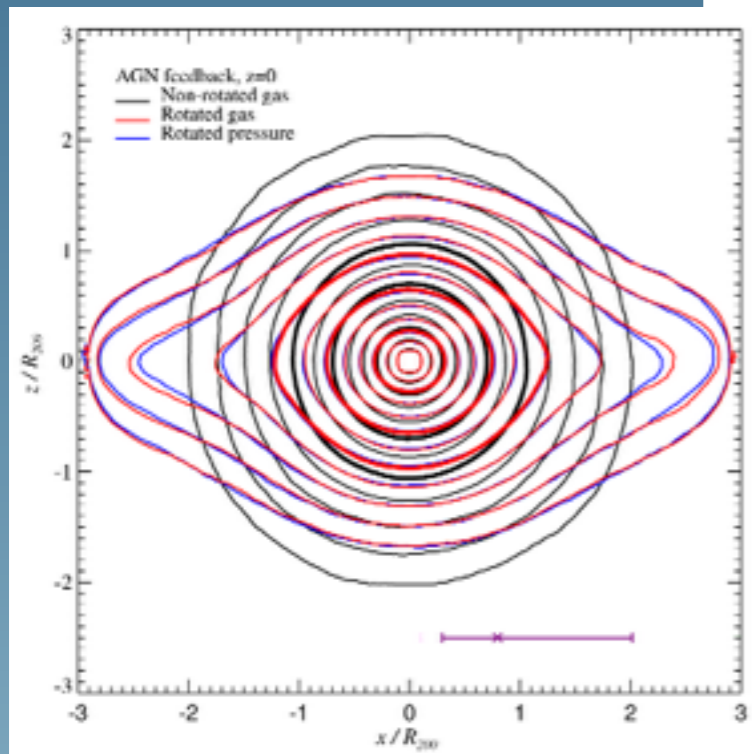
Data driving the theory...

Thank you!



Into the ICM Outskirts

Beyond R_{200} :
 -Not currently constrained by observations.
 -Increases in ●



Non-thermal pressure

Ashpericity

Clumping

Mass proxies & form-factors

Cluster counts

Selection function
& Mass proxy

$$N = \int_0^{z_{\max}} dz \frac{dV}{dz} \int dM \frac{dn(M, z)}{dM}$$

tSZ power spectrum $A_{\text{tSZ}} \propto \sigma_8^8$

Gastrophysics

$$C_l = g_v^2 \int_0^{z_{\max}} dz \frac{dV}{dz} \int dM \frac{dn(M, z)}{dM} |\tilde{y}_l(M, z)|^2$$

+ Clustering of clusters (Sub-dominant)