

Room temperature topological insulators

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ERC TOPOLECTRICS



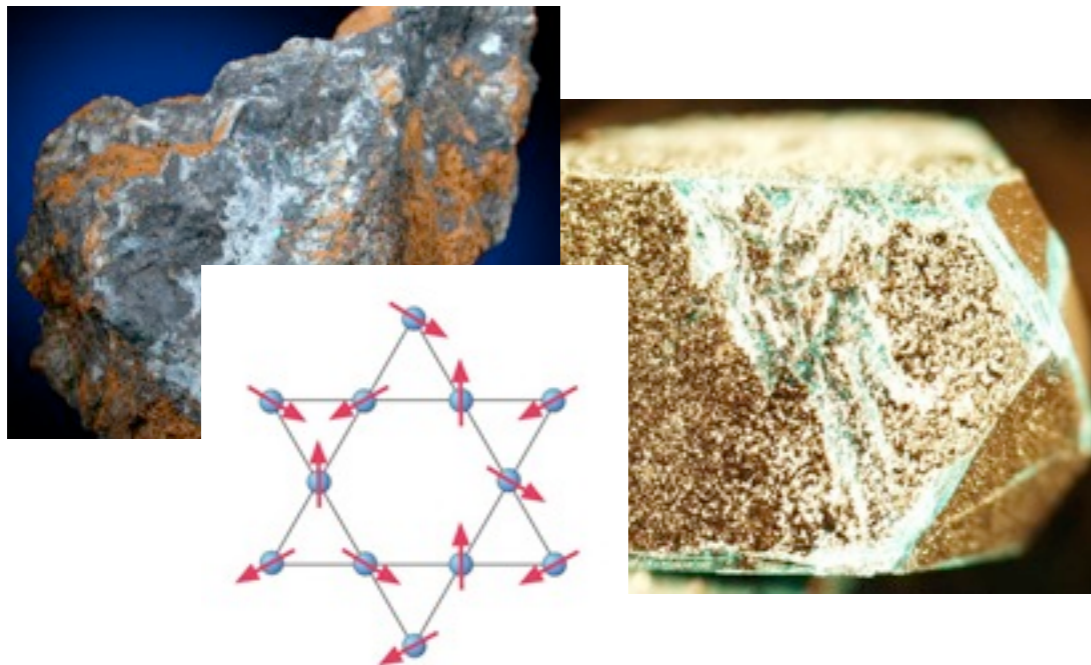
SFB TOCOTRONICS

Synquant Workshop, KITP, UC Santa Barbara, Nov. 22 2016

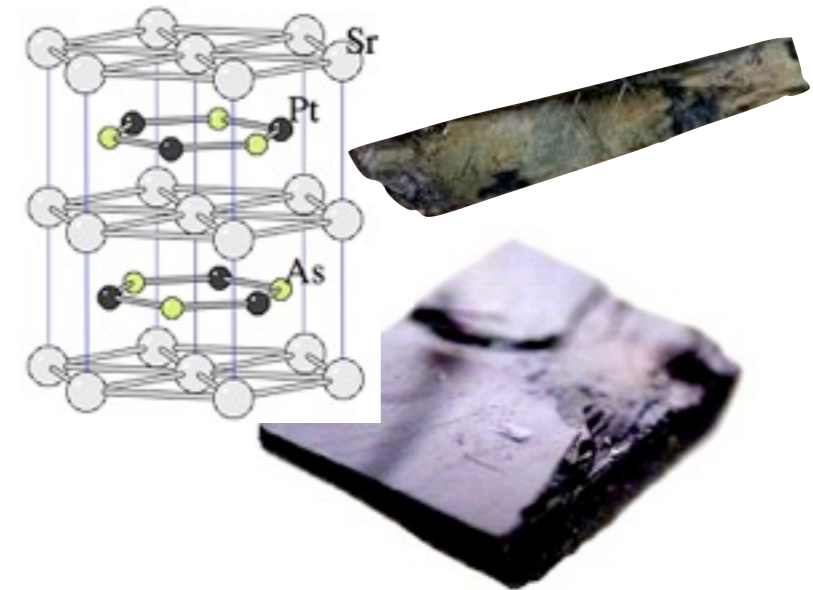
Correlated electron systems



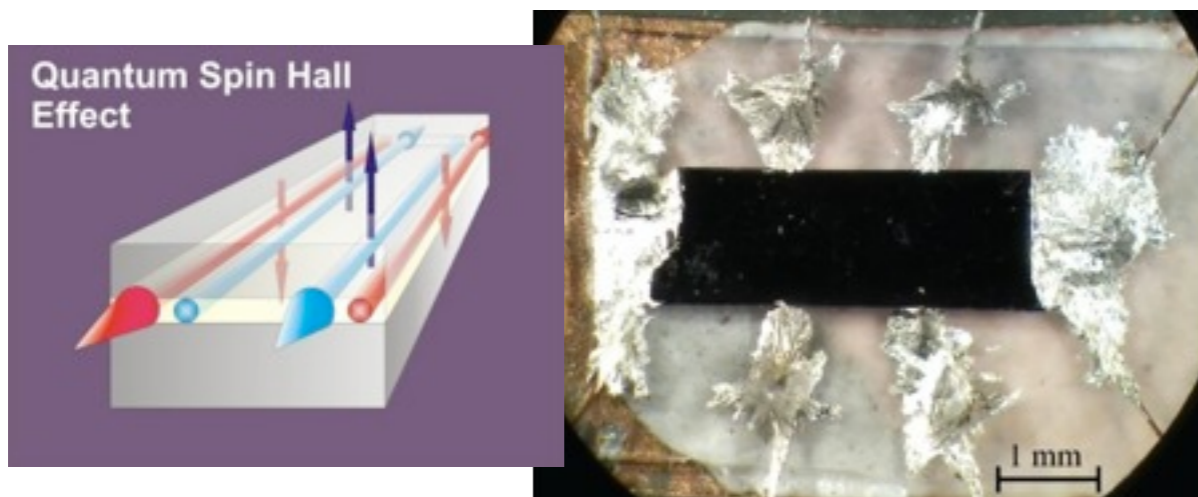
Frustrated Magnetism



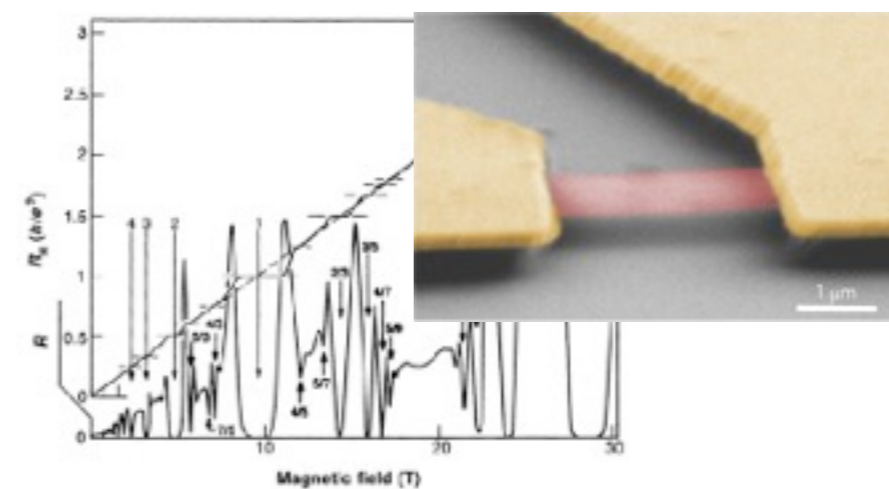
Superconductivity



Spin-orbit Phenomena



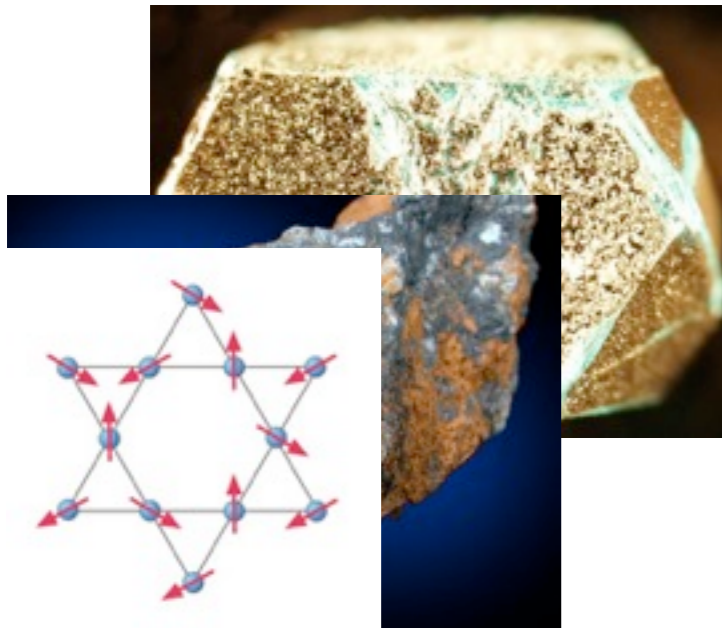
Quantum Hall Effect



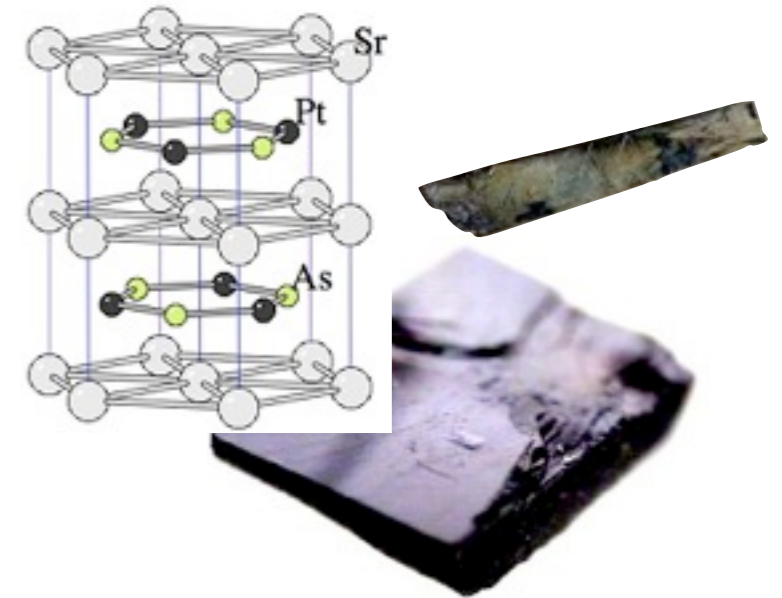
Correlated electron systems



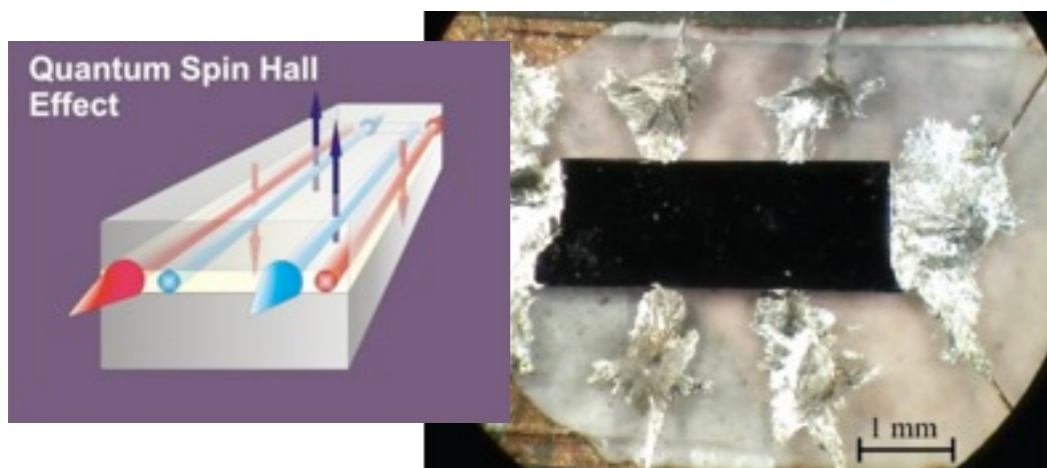
Frustrated Magnetism



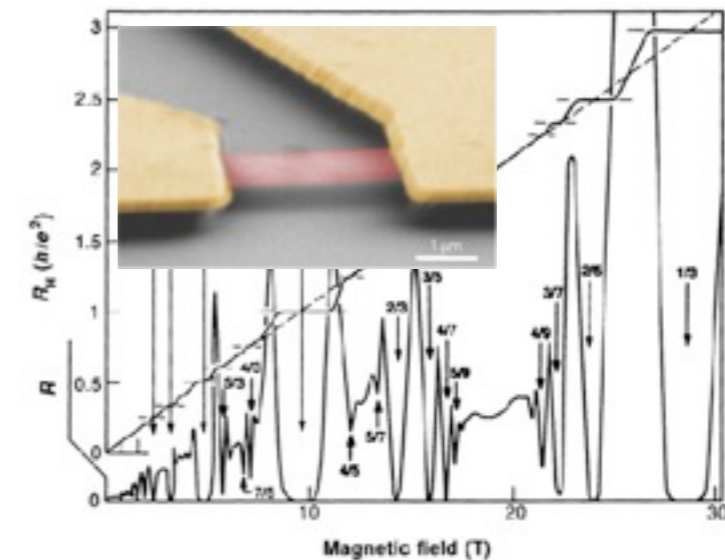
Superconductivity



Spin-orbit Phenomena



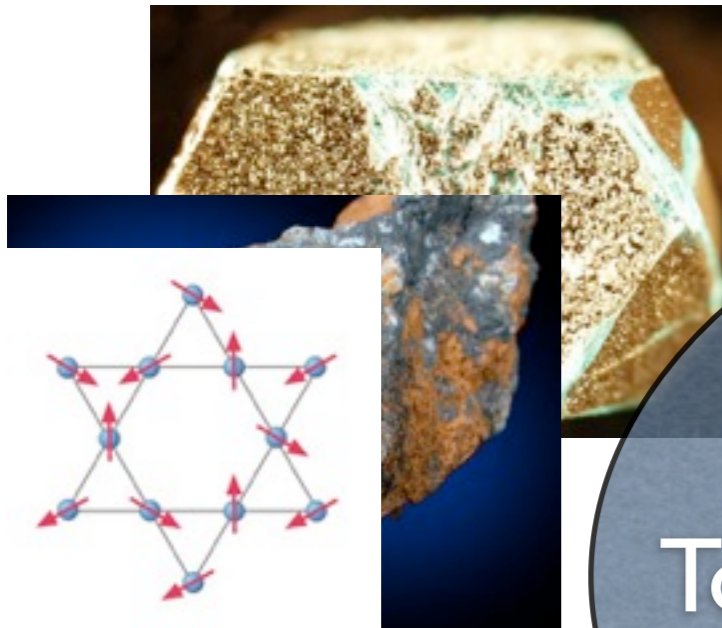
Quantum Hall Effect



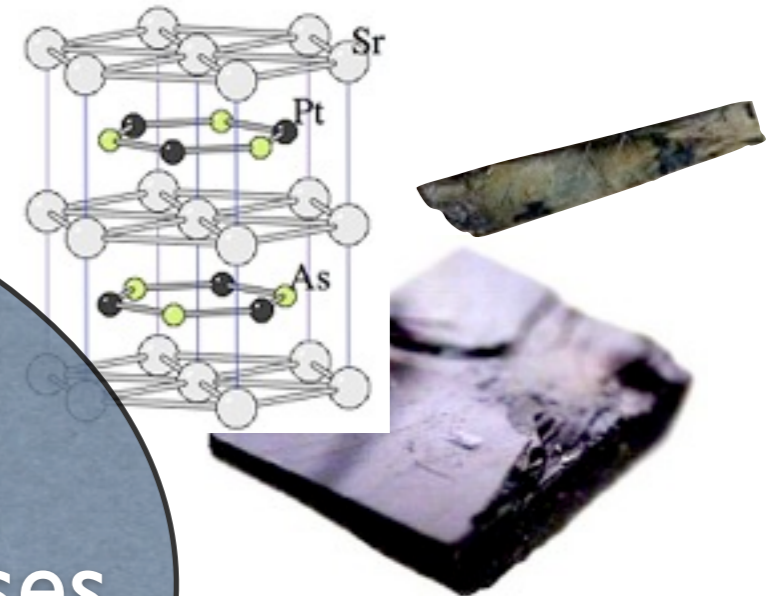
Correlated electron systems



Frustrated Magnetism

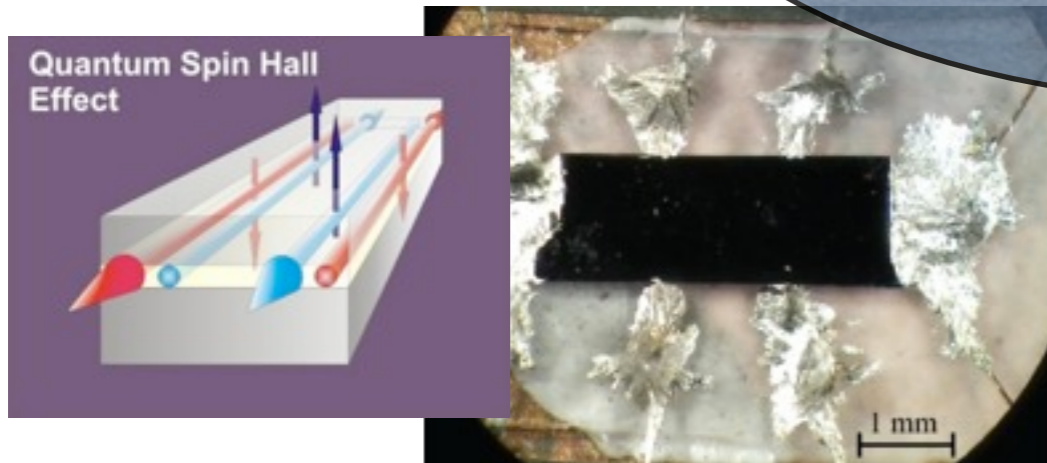


Superconductivity

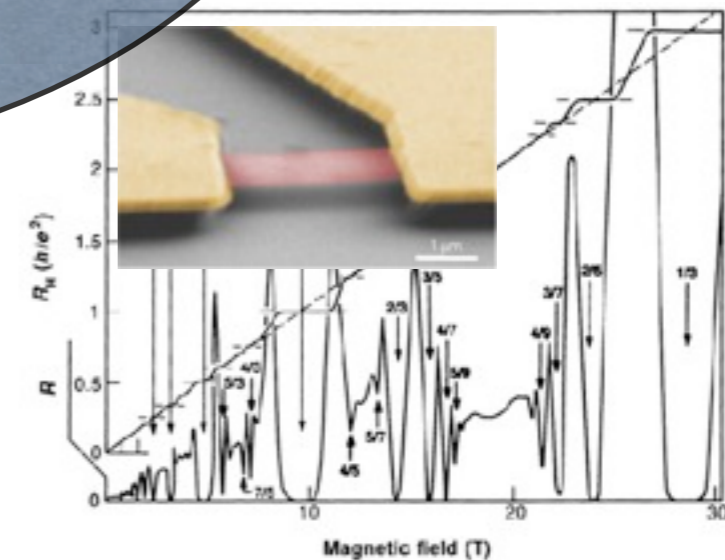


Topological Quantum Phases

Spin-orbit Phenomena



Quantum Hall Effect



Outline

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Topological phases at elevated temperature

- paradigm: quantum Hall effect

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- paradigm: quantum Hall effect

Room temperature QSHE: Bi/SiC(0001)

- low-energy model: substrate renormalization
- experiment: tentative QSHE with 650 meV band gap

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Topological phases at elevated temperature

- paradigm: quantum Hall effect

Room temperature QSHE: Bi/SiC(0001)

- low-energy model: substrate renormalization
- experiment: tentative QSHE with 650 meV band gap

Edge state hierarchy of TCIs: (Pb,Sn)Se

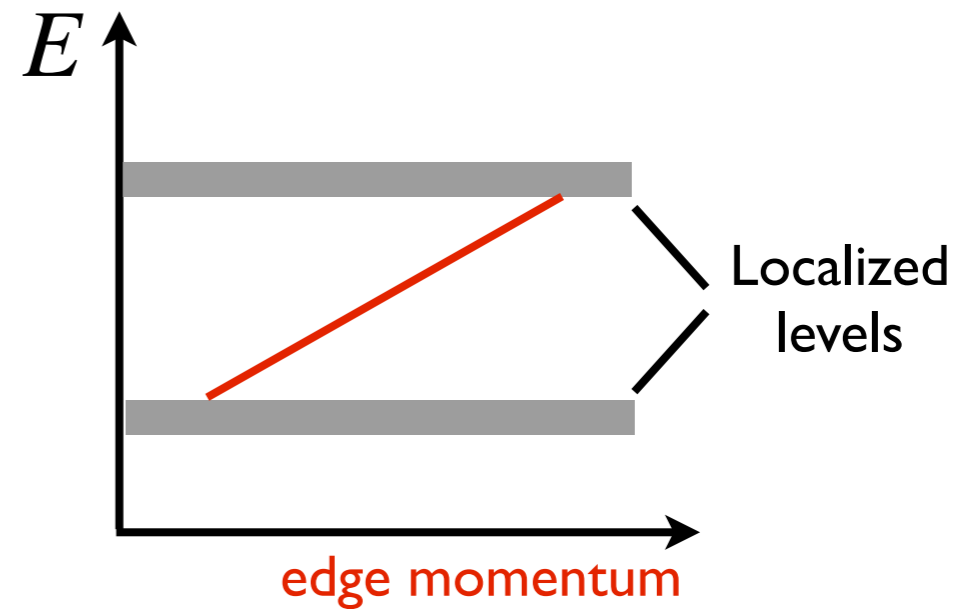
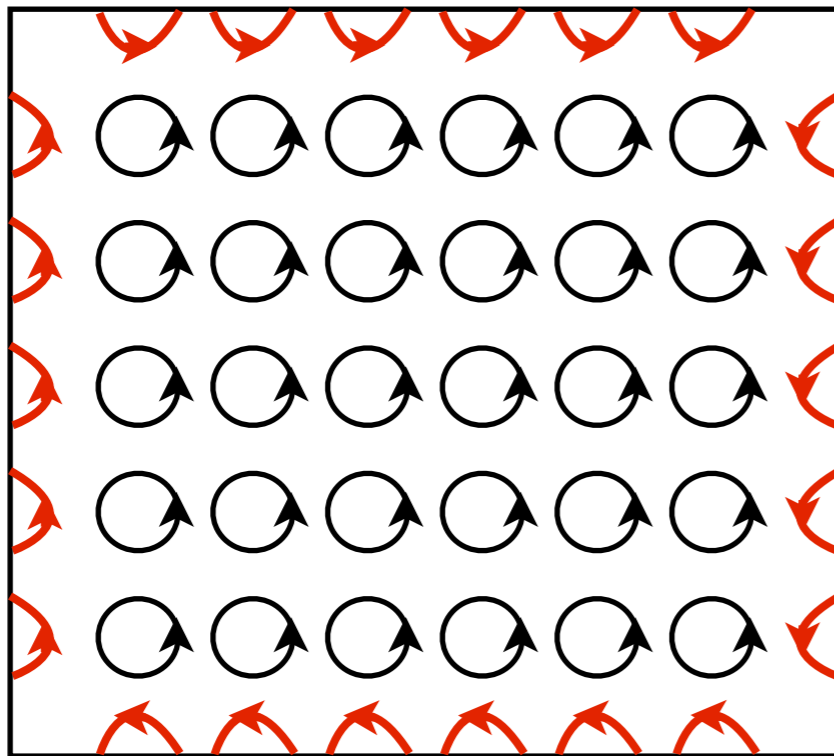
- toy-model: midgap states in a staggered flux lattice
- experiment: 1D non-dispersive DOS along odd-step terraces

Topological phases at elevated temperature

Integer Quantum Hall effect (IQHE)

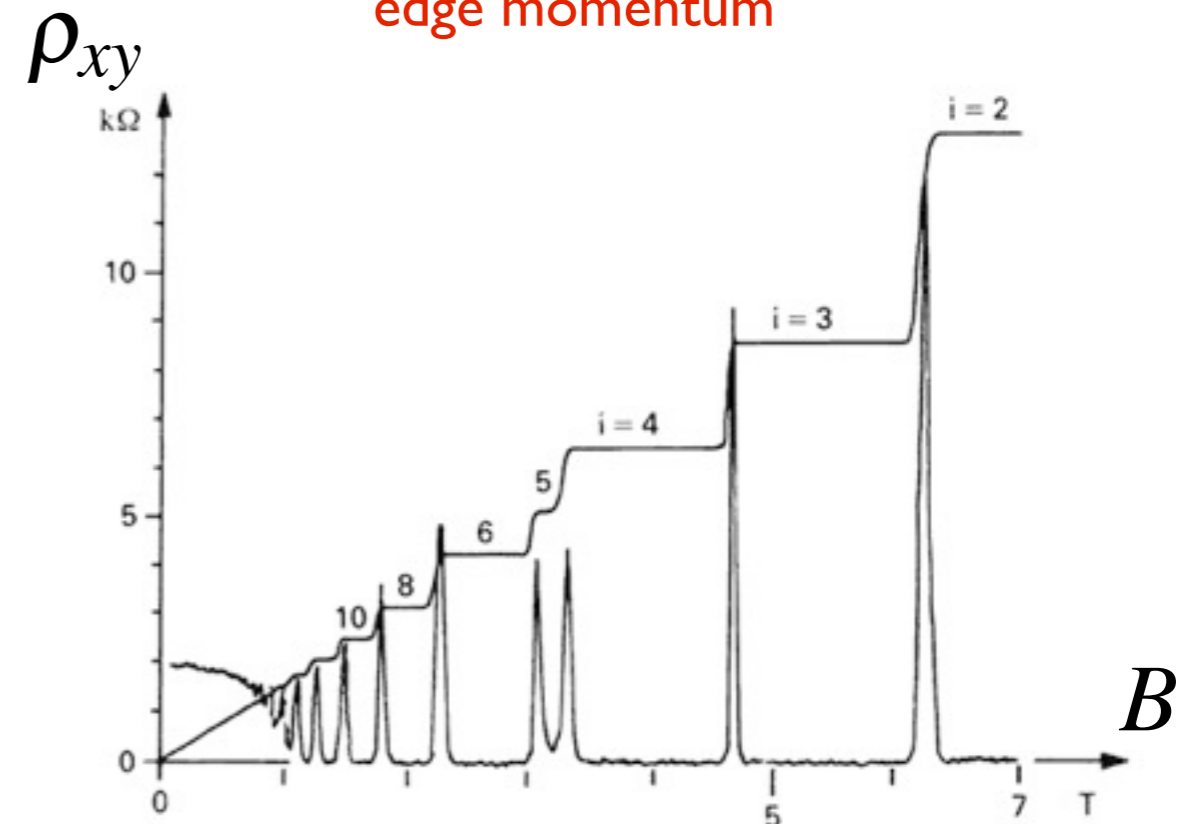
Von Klitzing 1980; Laughlin 1981; Thouless 1982; Haldane 1988

Chiral mode at the edge of the sample



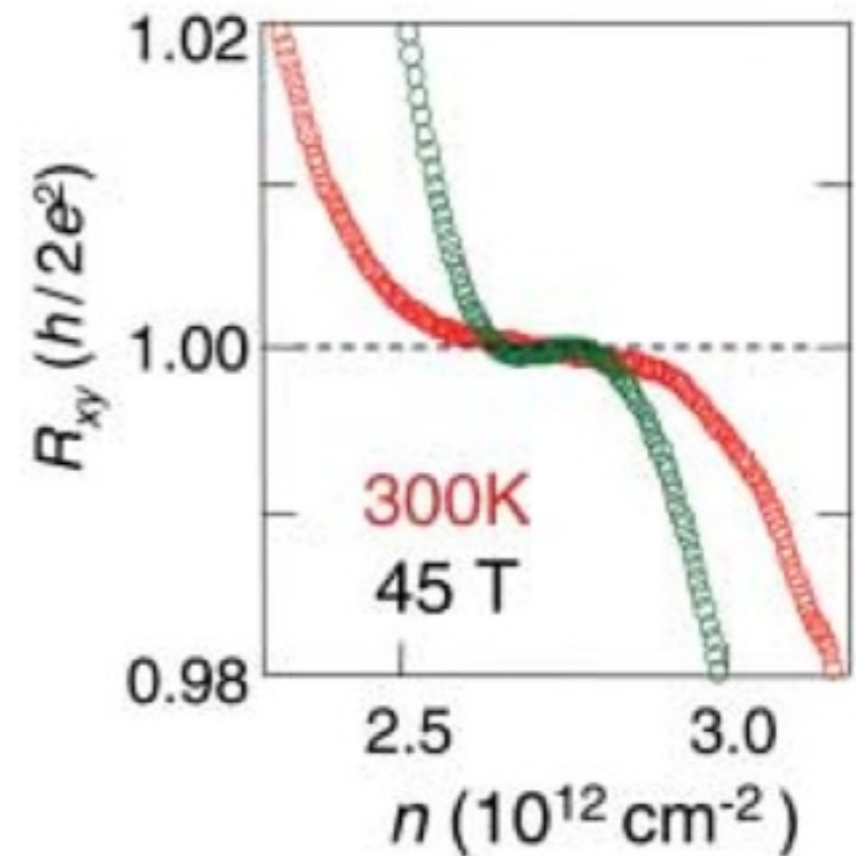
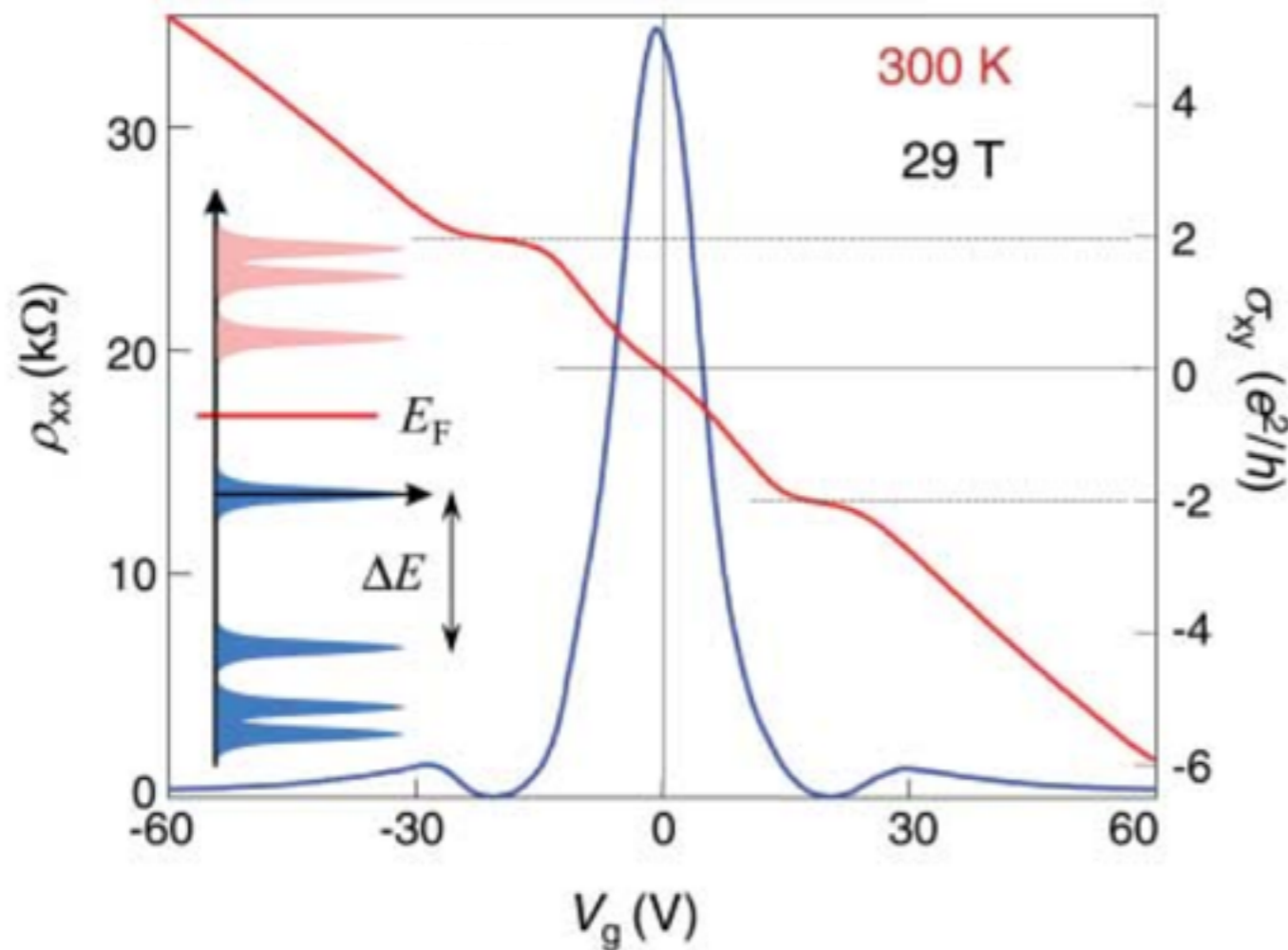
$$\sigma_{xy} = C \frac{e^2}{h}$$

Chern number $C \in \mathbb{Z}$:
topological invariant



Room-Temperature Quantum Hall Effect in Graphene

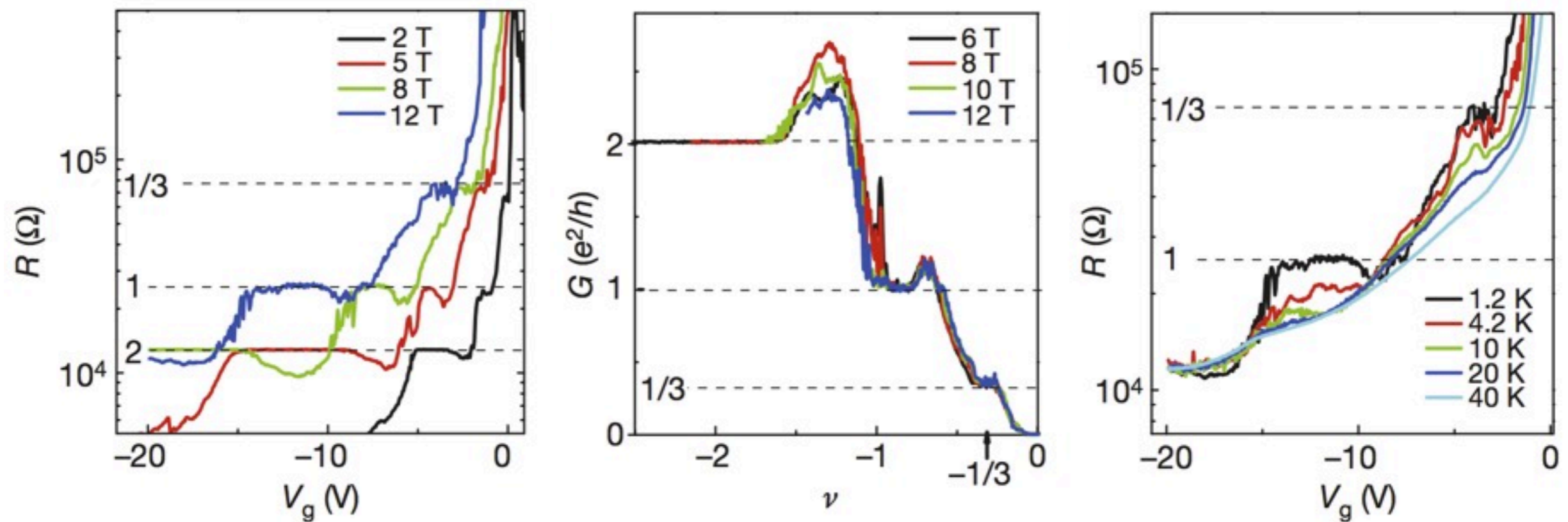
K. S. Novoselov,¹ Z. Jiang,^{2,3} Y. Zhang,² S. V. Morozov,¹ H. L. Stormer,² U. Zeitler,⁴ J. C. Maan,⁴ G. S. Boebinger,³ P. Kim,^{2*} A. K. Geim^{1*}



LETTERS

Fractional quantum Hall effect and insulating phase of Dirac electrons in graphene

Xu Du^{1†}, Ivan Skachko¹, Fabian Duerr¹, Adina Luican¹ & Eva Y. Andrei¹

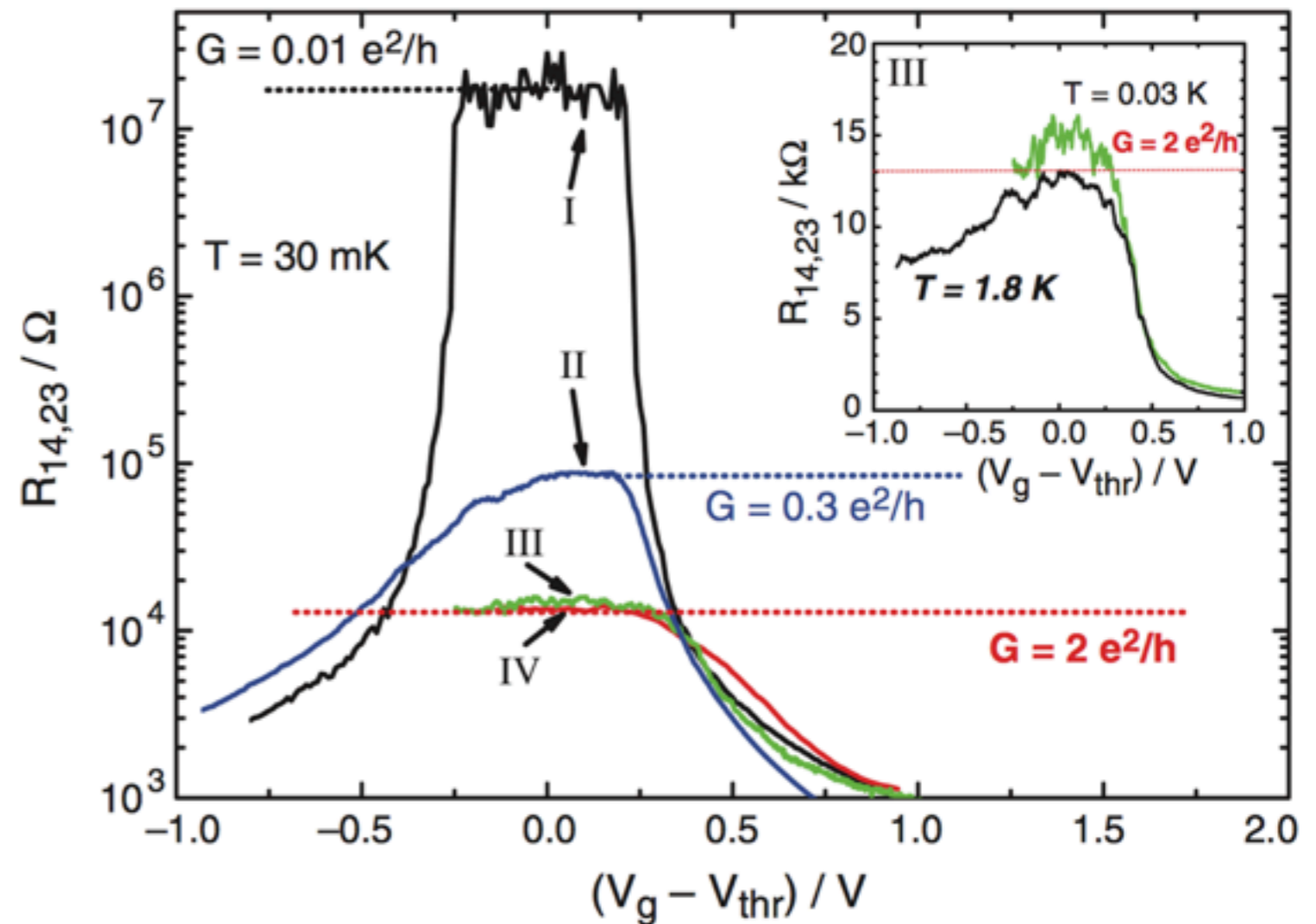
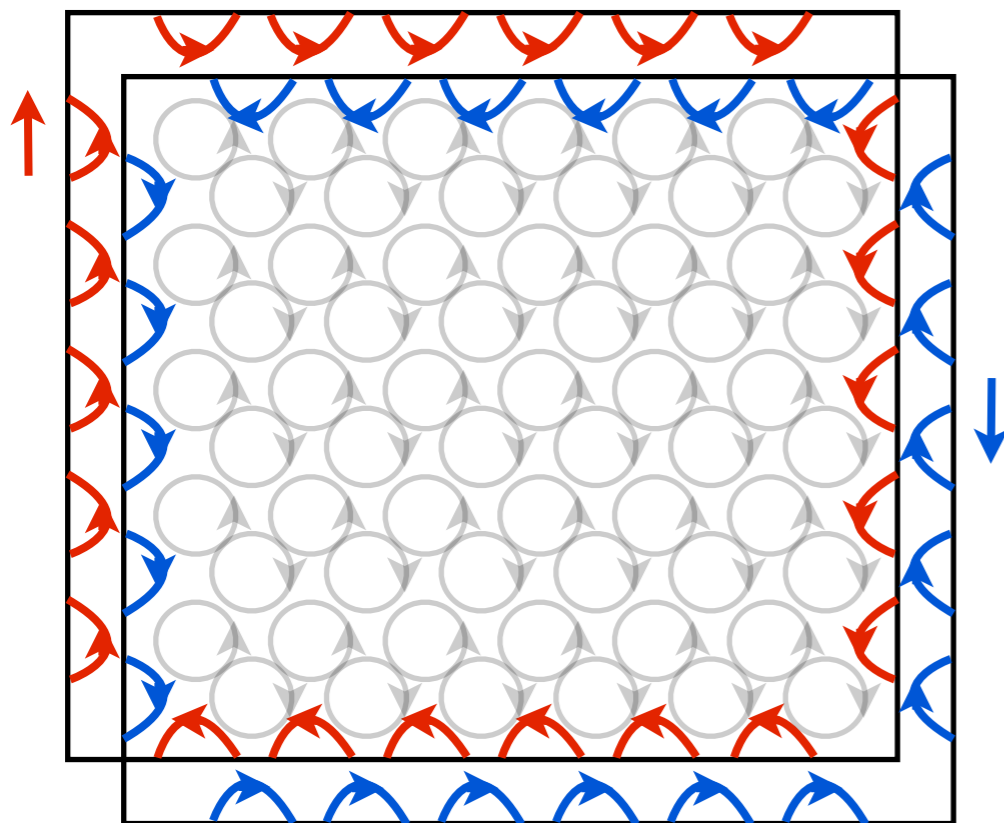
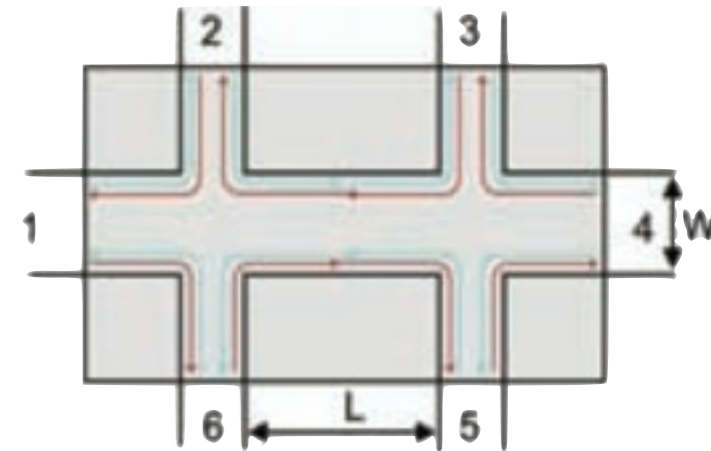


Quantum spin Hall effect

Quantum spin Hall effect in HgTe

König et al. (Molenkamp group), Science 2007

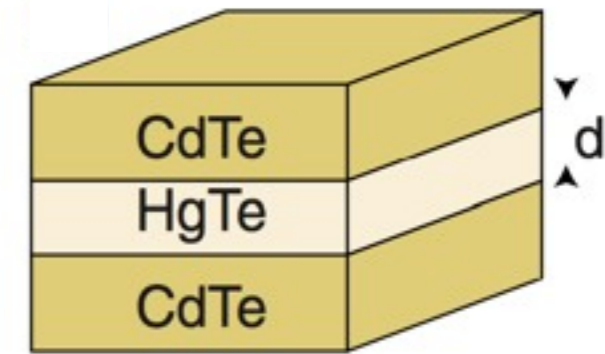
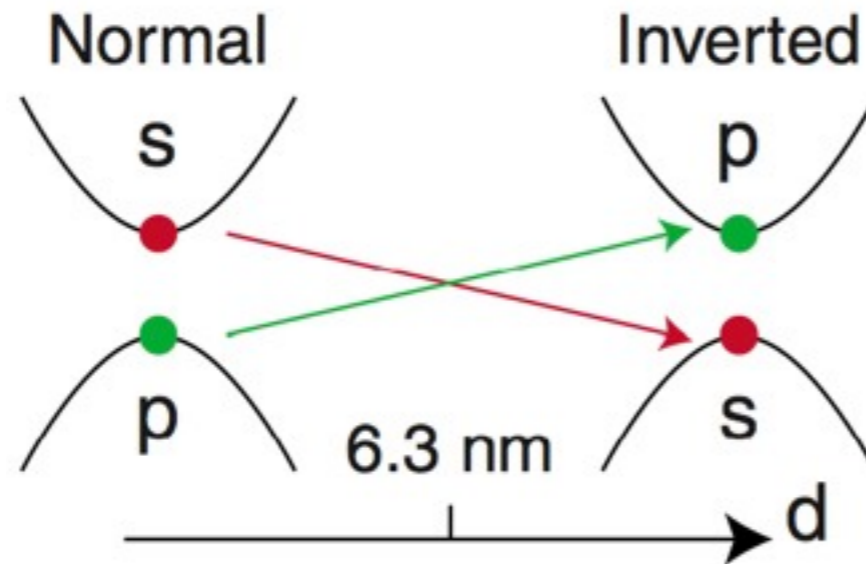
Time-reversed counterpropagating edge modes



Mechanisms of QSHE

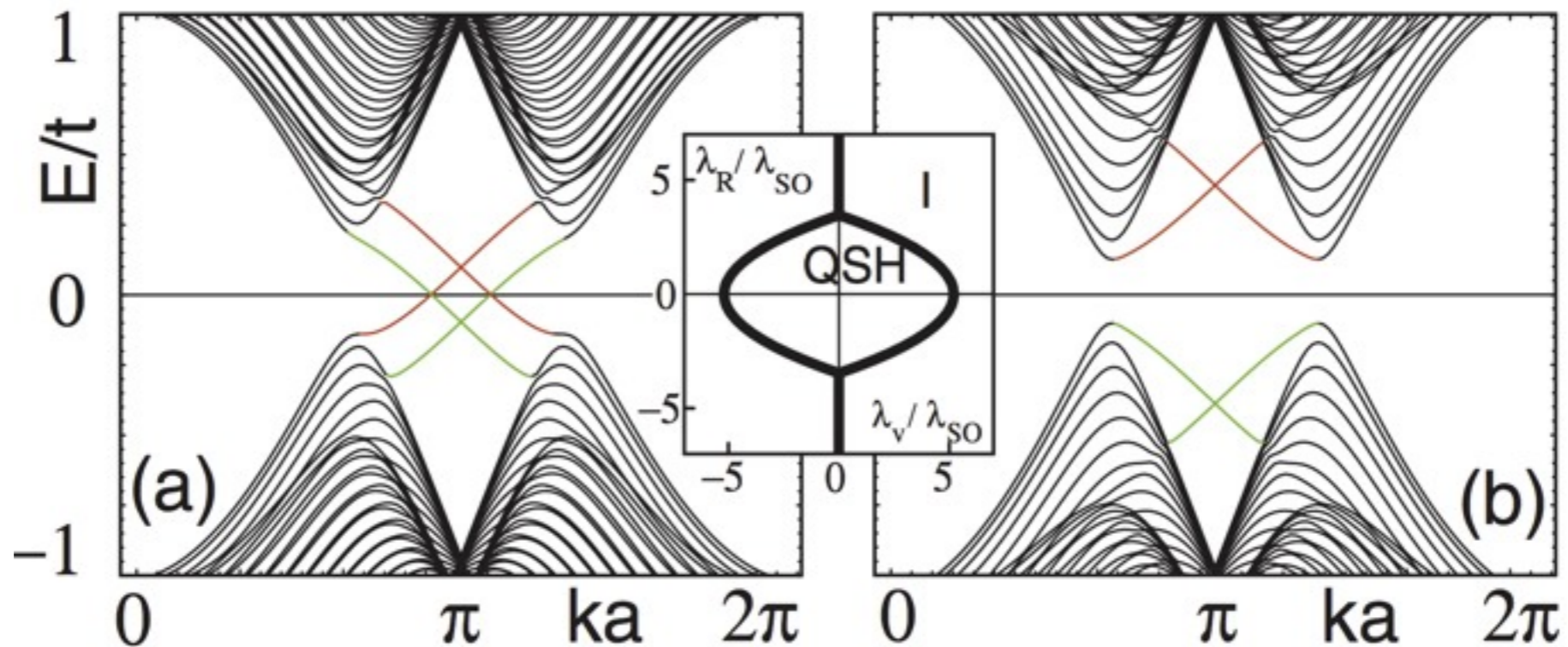
Band inversion

Bernevig, Hughes, Zhang, Science 2006



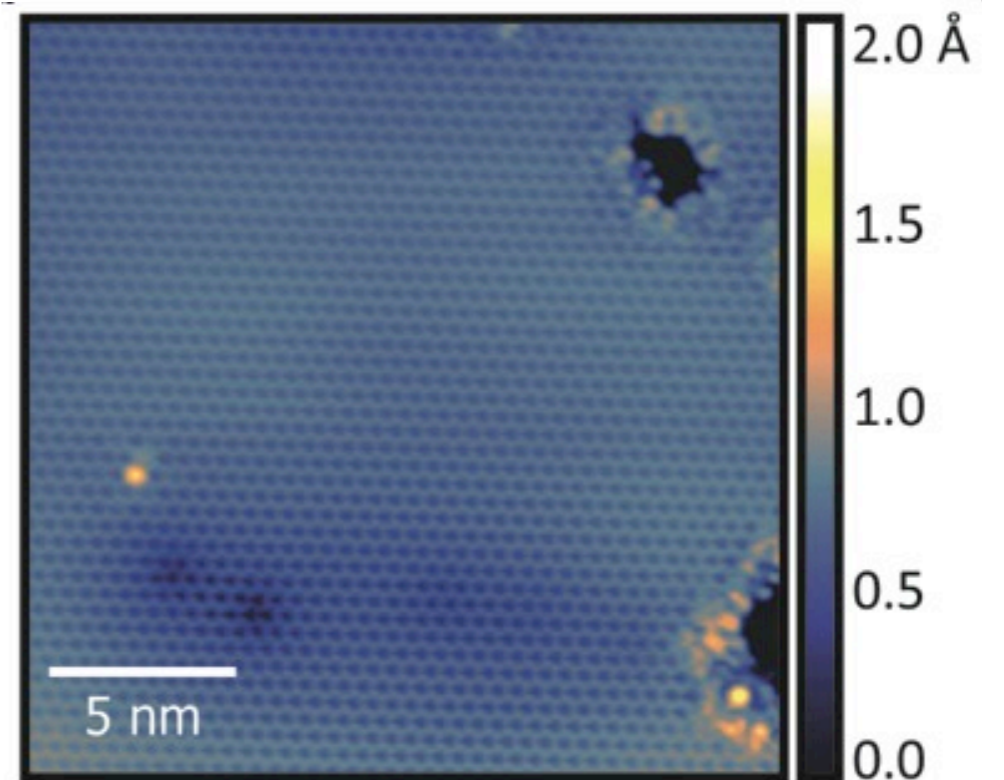
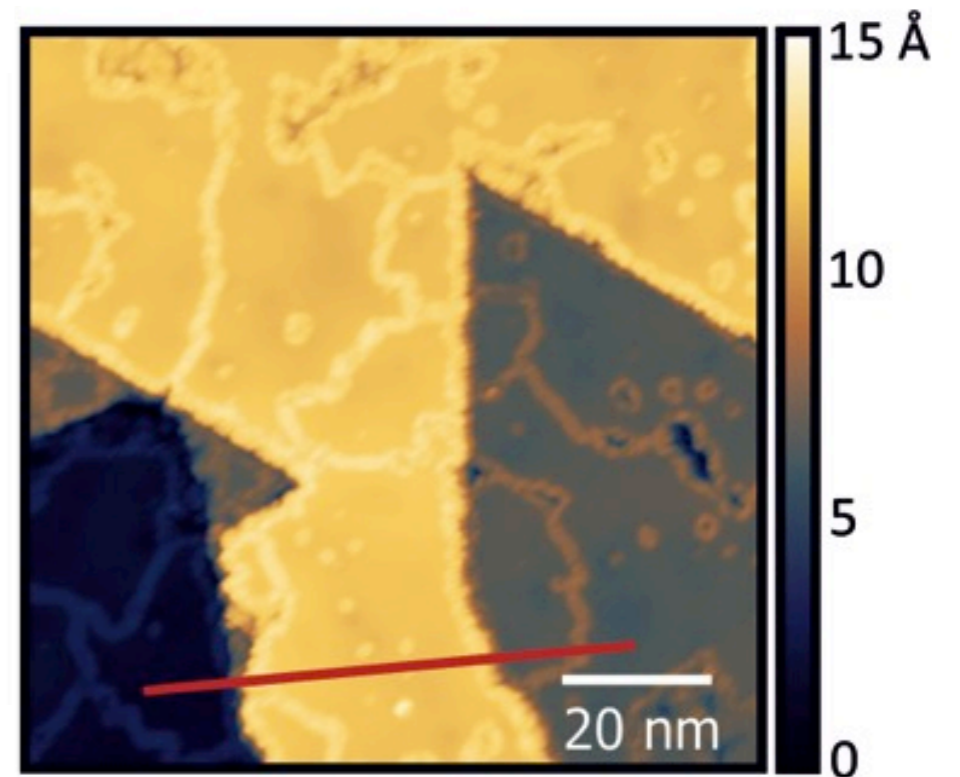
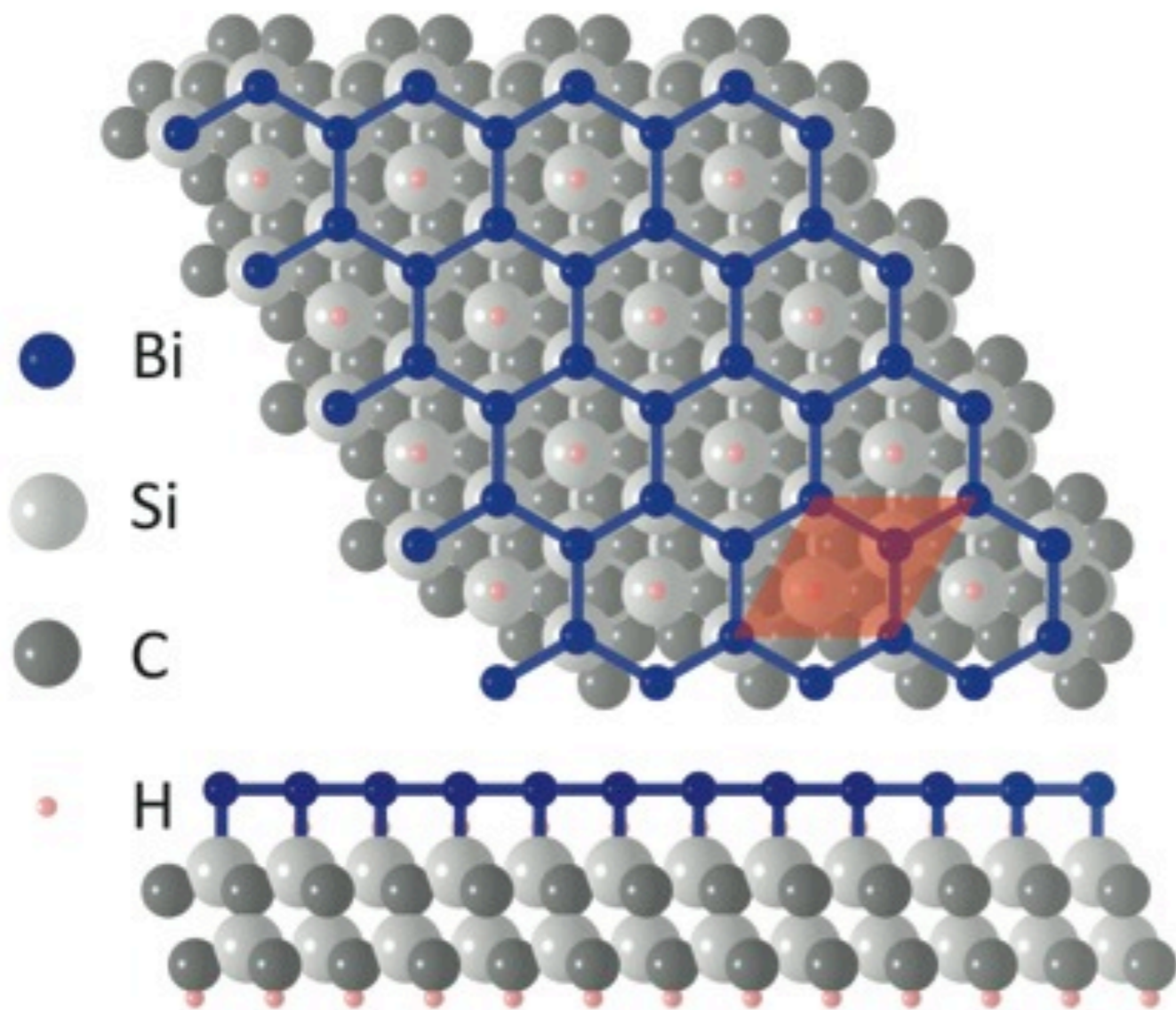
Dirac electron mass due to SOC

Kane & Mele PRL 2005

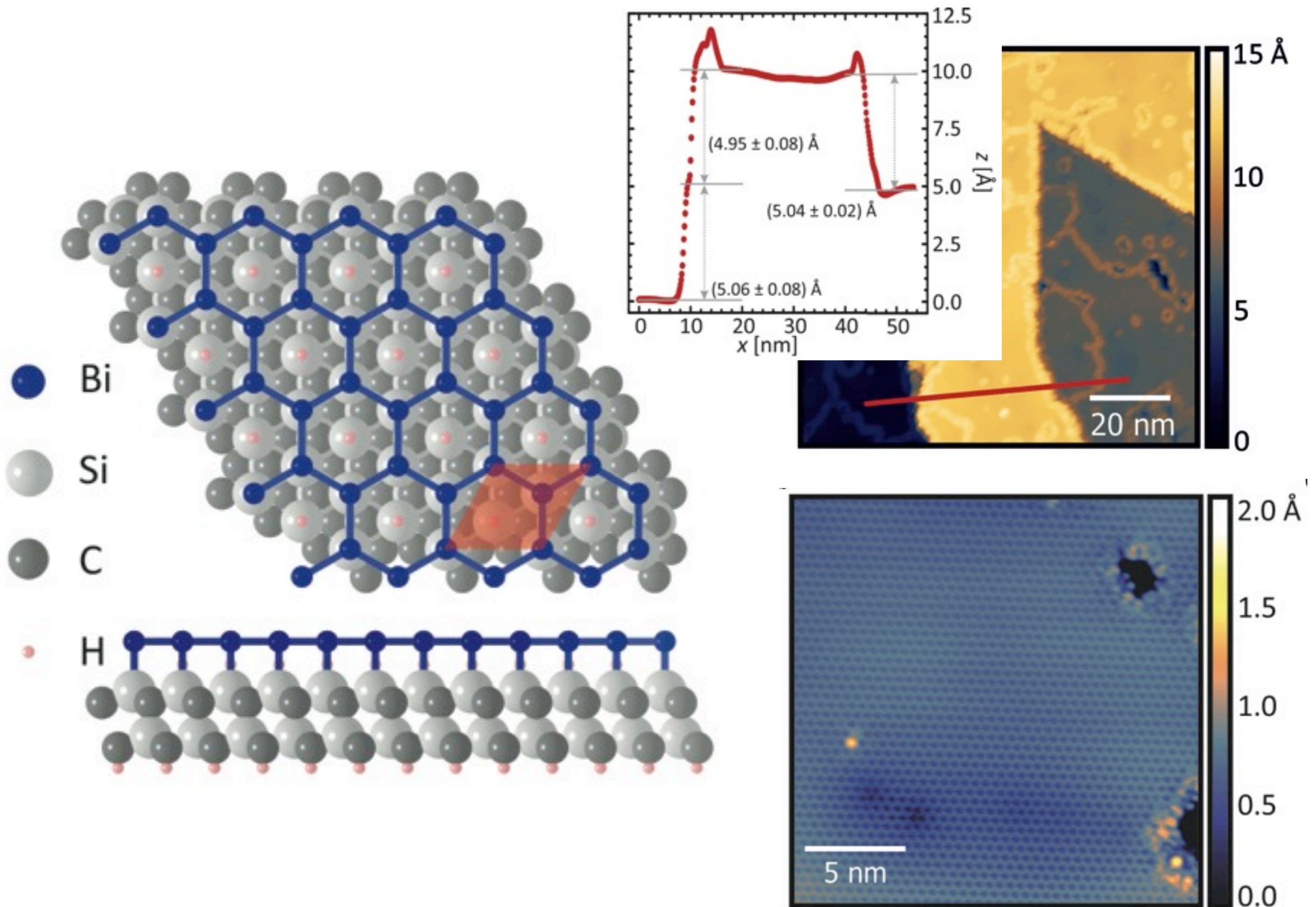


Room temperature QSHE: Bi/SiC(0001)

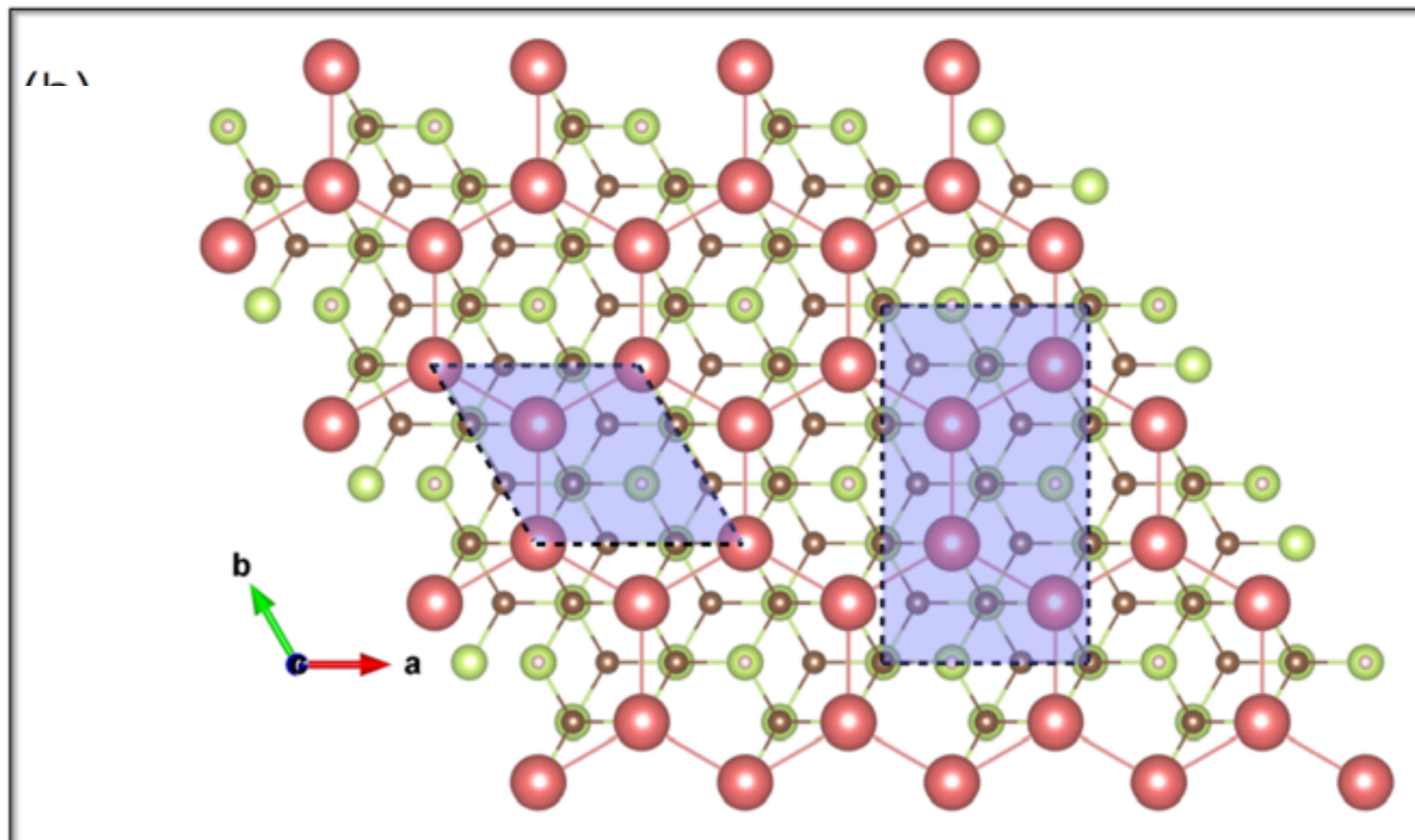
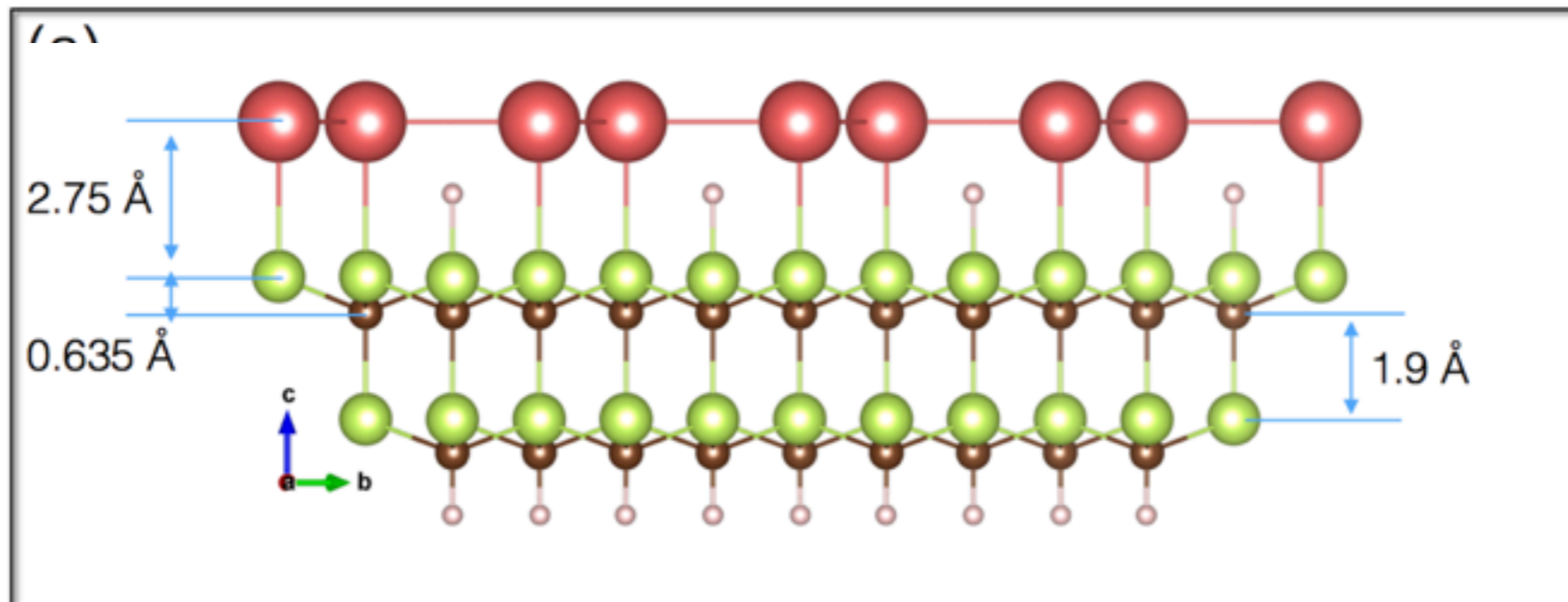
Bi/SiC(000 I) monolayer-substrate compound



Bi/SiC(000 I) monolayer-substrate compound

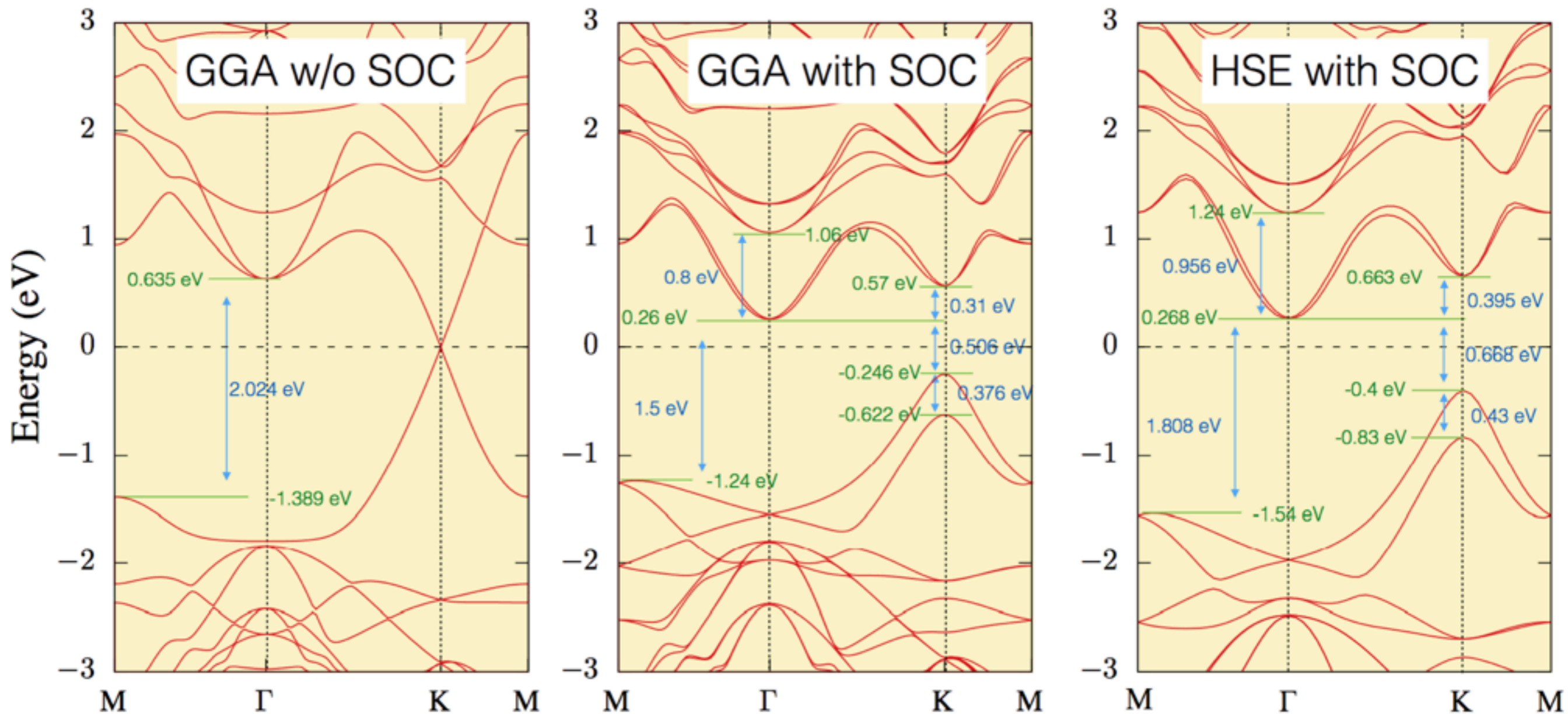


Theoretical compound modelling

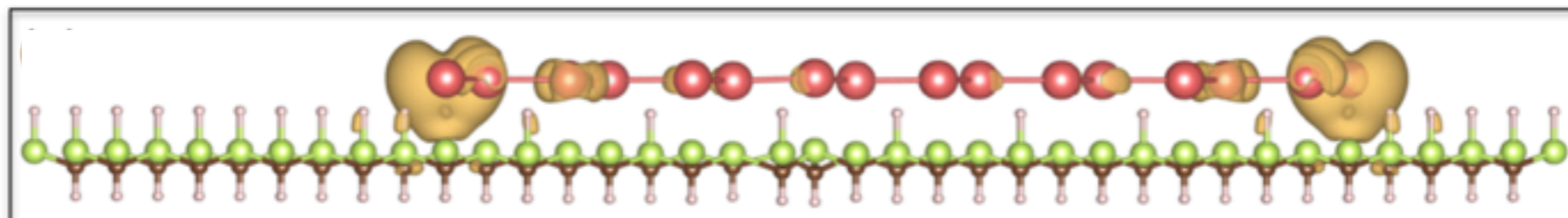
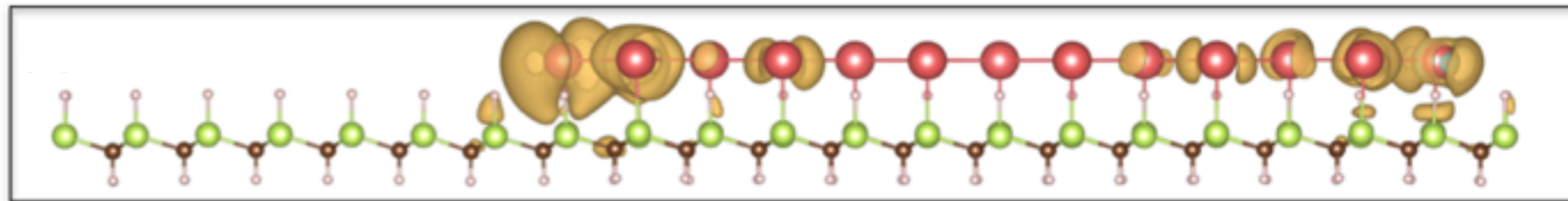
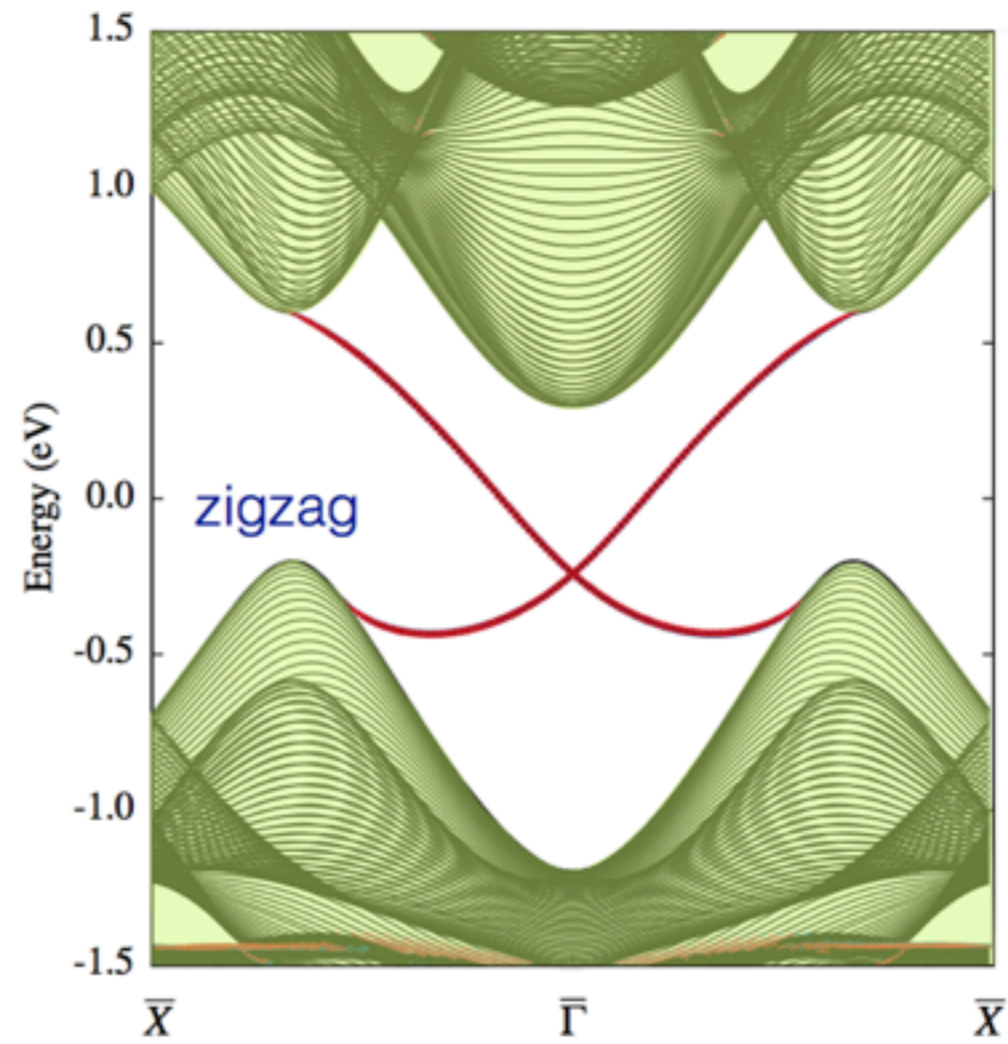
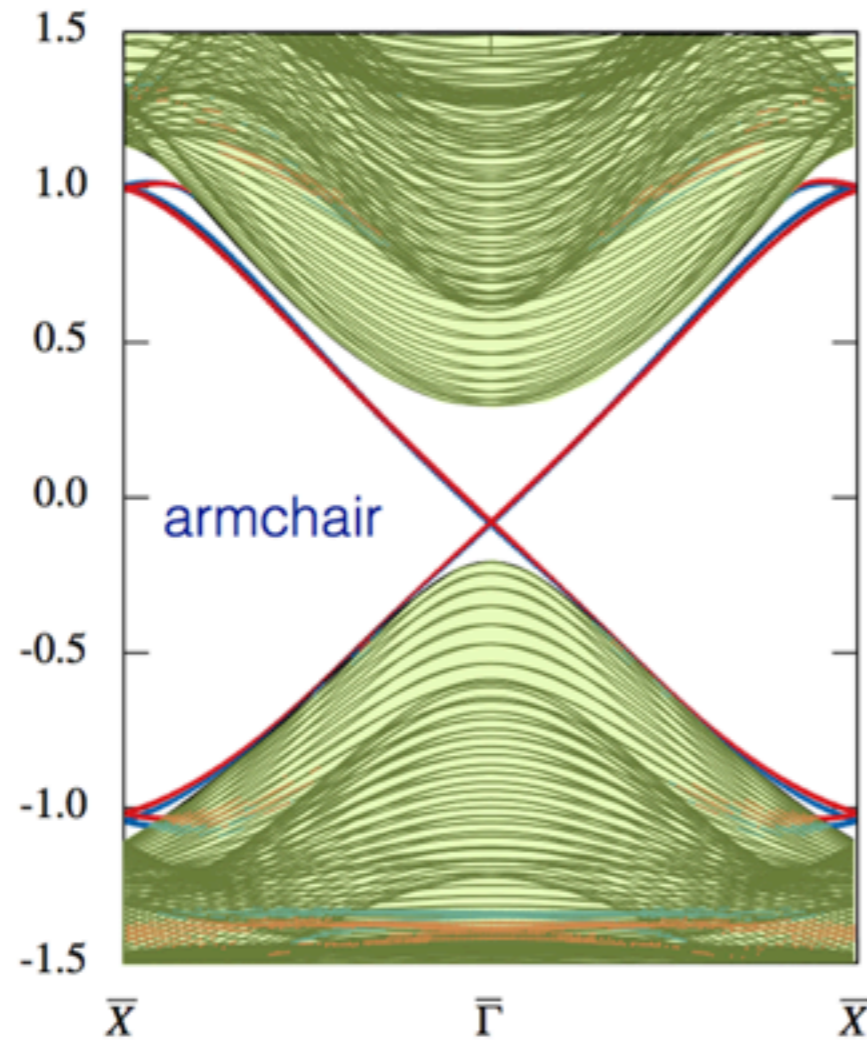


Electronic structure

indication from DFT: SOC opens **large gap** at the K point



Edge states



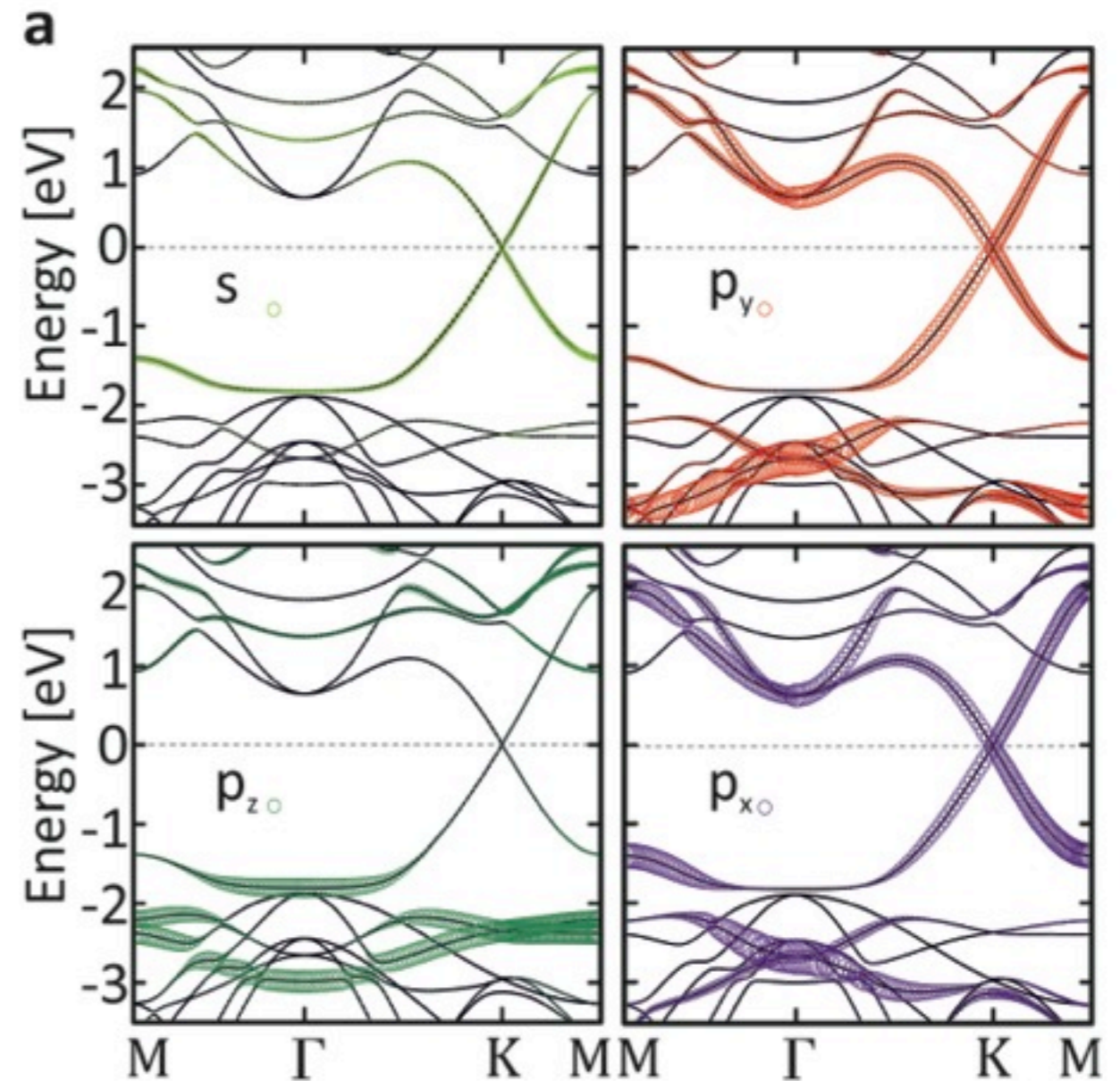
Band structure analysis w/o spin-orbit coupling

Orbital filtering at low energies:

px and py orbital content dominates

substrate removes pz from Fermi level

propagation of local $L^z S^z$ atomic SOC



Effective σ band model:

$$|p_{x\uparrow}^A\rangle, |p_{y\uparrow}^A\rangle, |p_{x\uparrow}^B\rangle, |p_{y\uparrow}^B\rangle; \quad |p_{x\downarrow}^A\rangle, |p_{y\downarrow}^A\rangle, |p_{x\downarrow}^B\rangle, |p_{y\downarrow}^B\rangle .$$

Effective model for the Bi monolayer

$$|p_{x\uparrow}^A\rangle, |p_{y\uparrow}^A\rangle, |p_{x\uparrow}^B\rangle, |p_{y\uparrow}^B\rangle; \quad |p_{x\downarrow}^A\rangle, |p_{y\downarrow}^A\rangle, |p_{x\downarrow}^B\rangle, |p_{y\downarrow}^B\rangle.$$

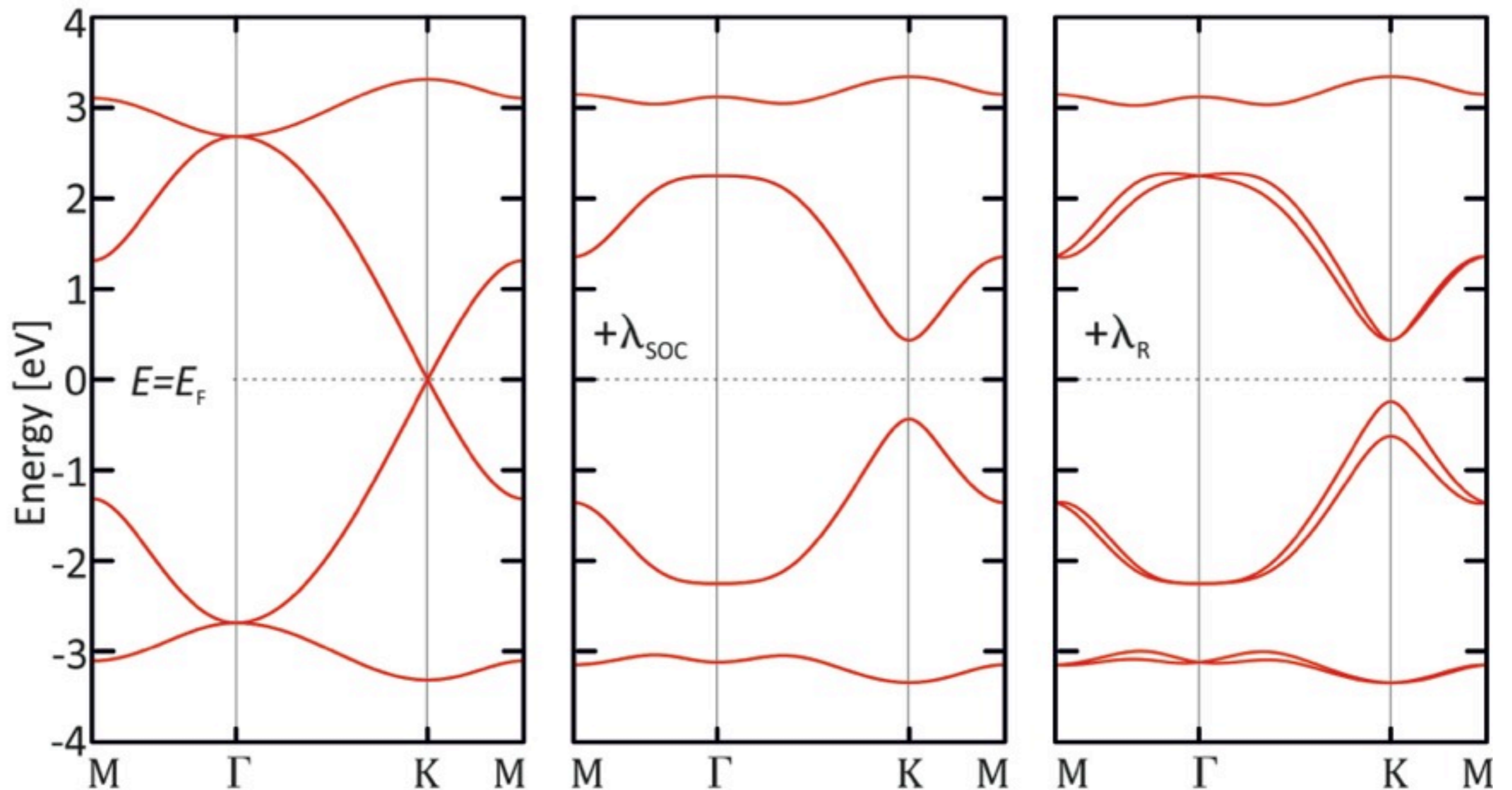
$$H_{\text{eff}}^{\sigma\sigma} = \begin{pmatrix} H_{\uparrow\uparrow}^{\sigma\sigma} & H_{\uparrow\downarrow}^{\sigma\sigma} \\ H_{\downarrow\uparrow}^{\sigma\sigma} & H_{\downarrow\downarrow}^{\sigma\sigma} \end{pmatrix}$$

$$H_{\uparrow\uparrow/\downarrow\downarrow}^{\sigma\sigma} = H_{0,\uparrow\uparrow/\downarrow\downarrow}^{\sigma\sigma} \pm \lambda_{\text{SOC}} \begin{pmatrix} 0 & -i & 0 & 0 \\ i & 0 & 0 & 0 \\ 0 & 0 & 0 & -i \\ 0 & 0 & i & 0 \end{pmatrix}$$

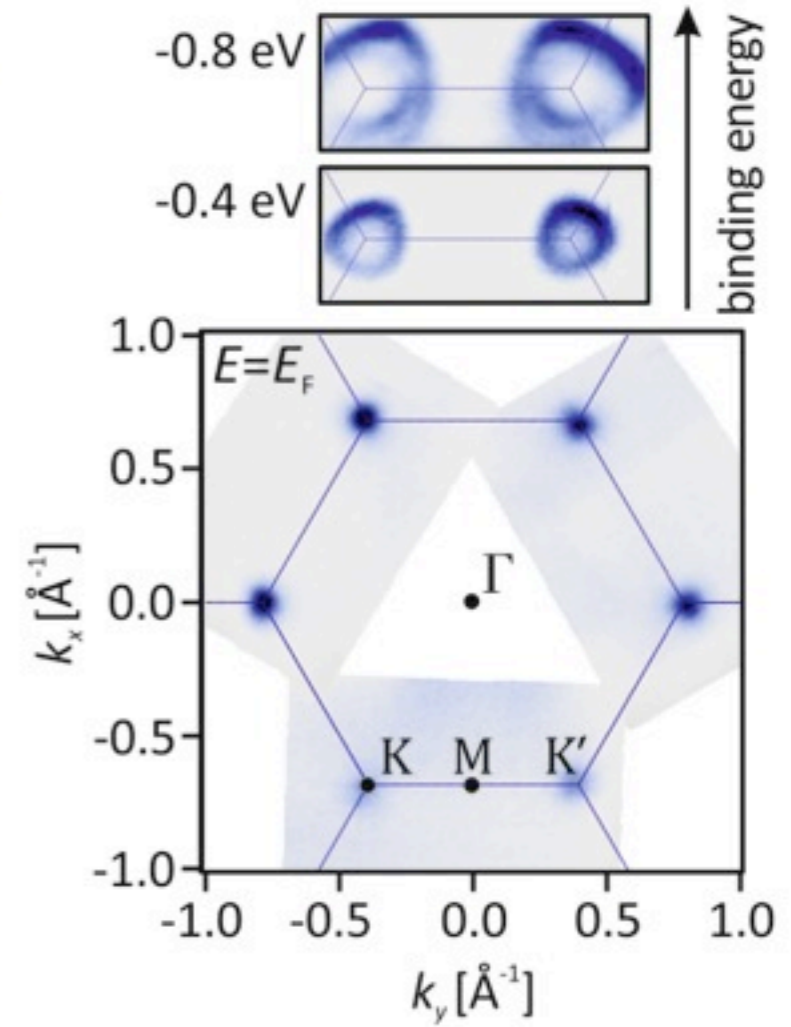
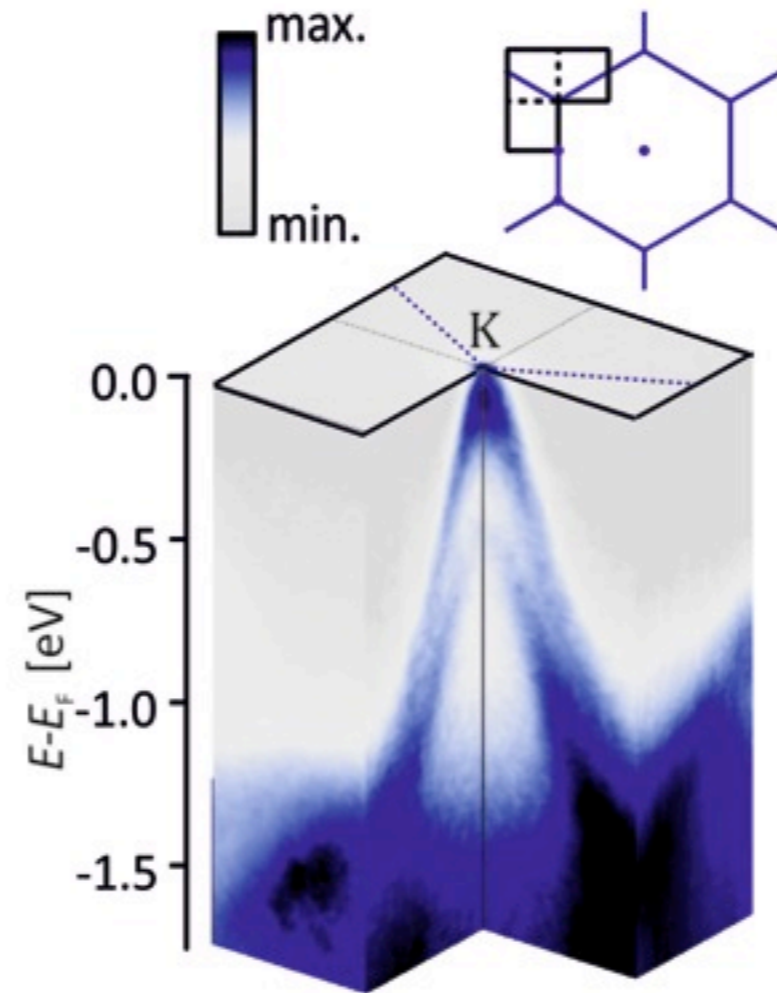
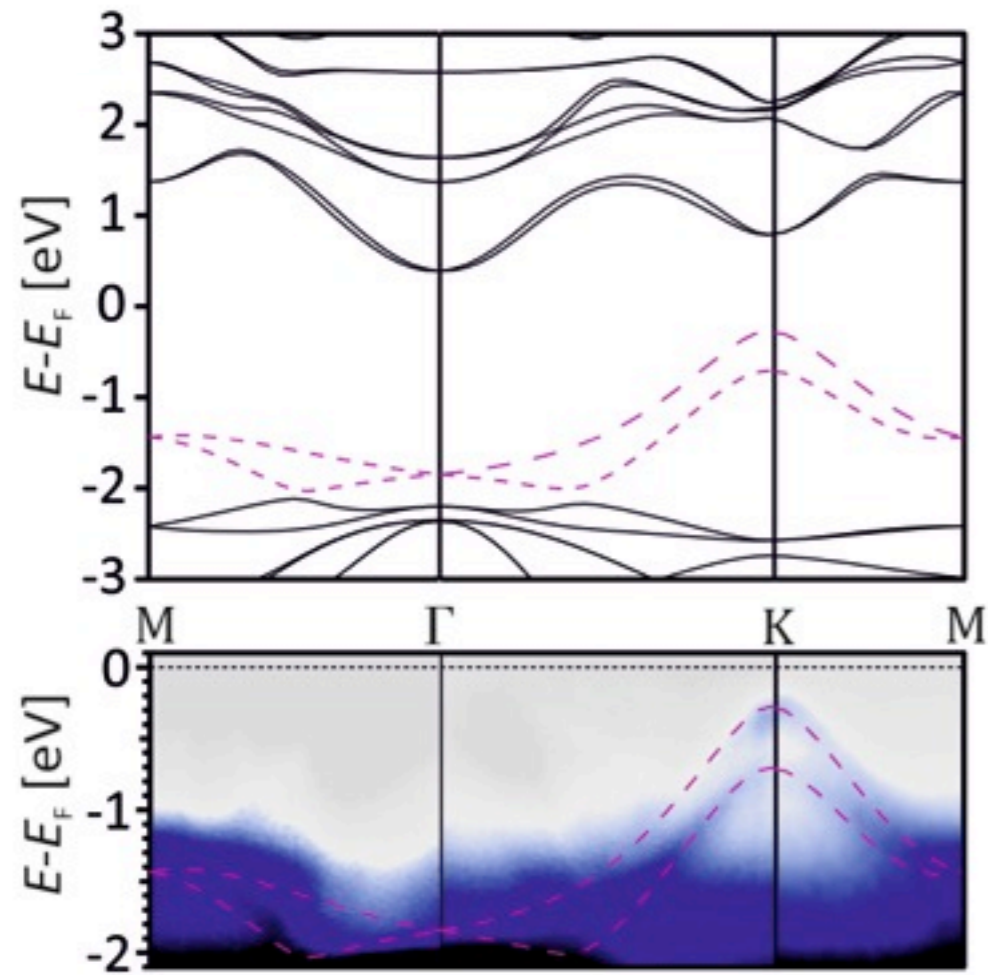
$$H_{\uparrow\downarrow}^{\sigma\sigma} = (H_{\downarrow\uparrow}^{\sigma\sigma})^\dagger = \lambda_{\text{R}} \begin{pmatrix} 0 & 0 & m_1 & m_2 \\ 0 & 0 & m_2 & m_3 \\ m_4 & m_5 & 0 & 0 \\ m_5 & m_6 & 0 & 0 \end{pmatrix}$$

Effective model with SOC

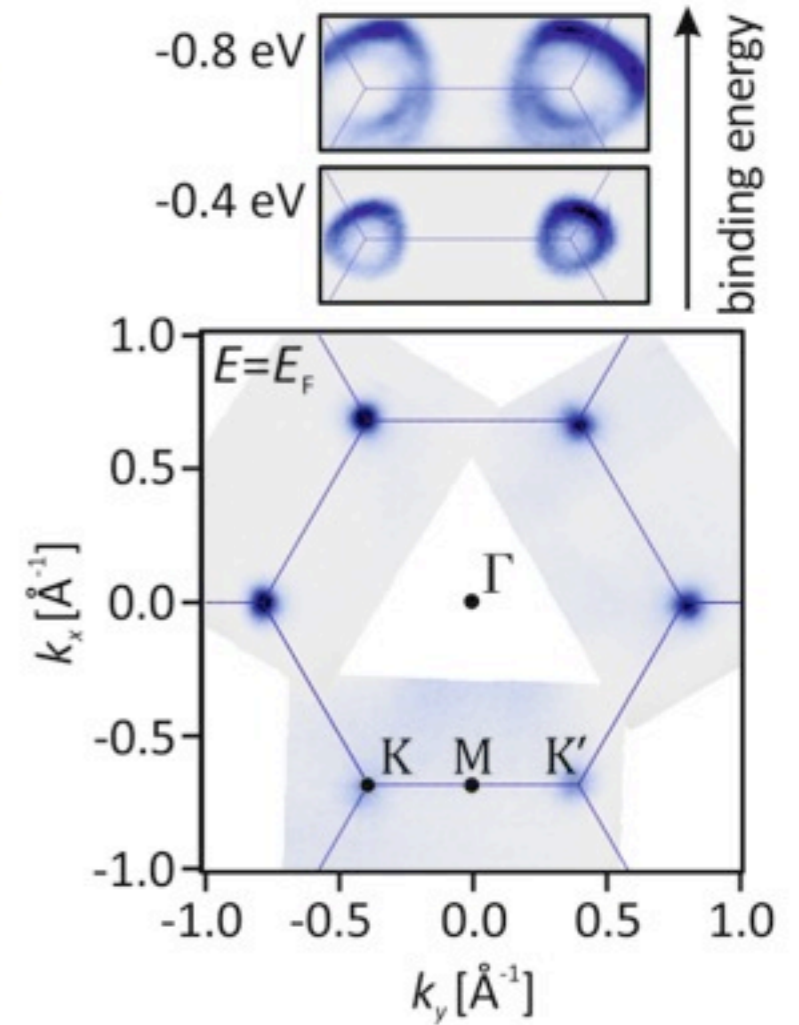
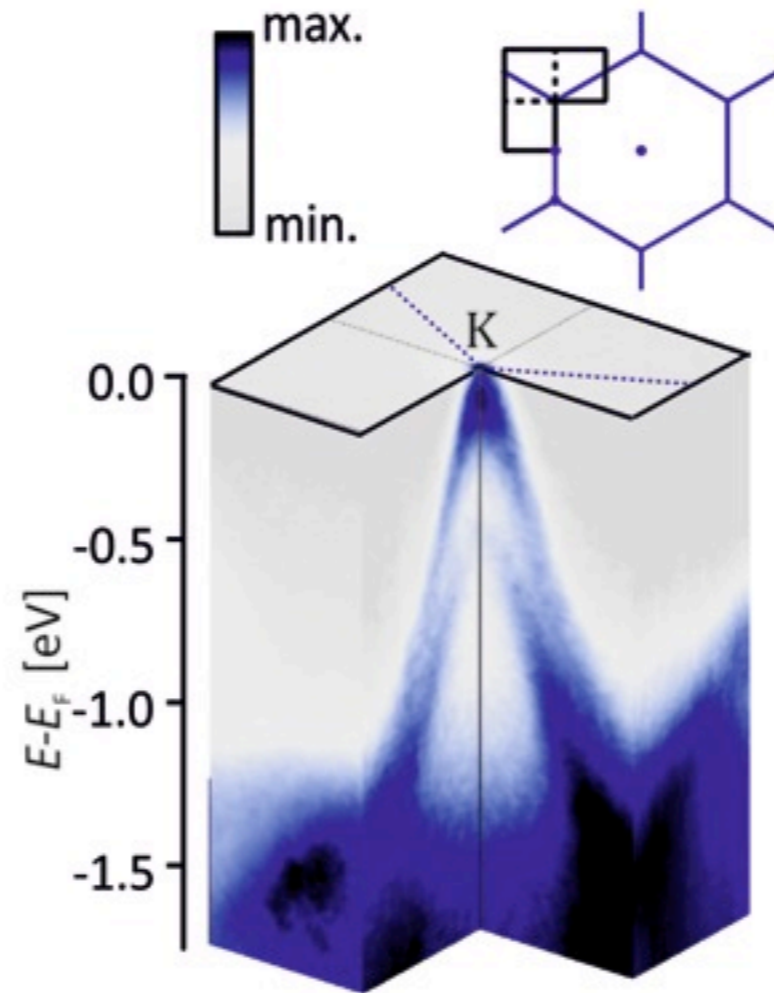
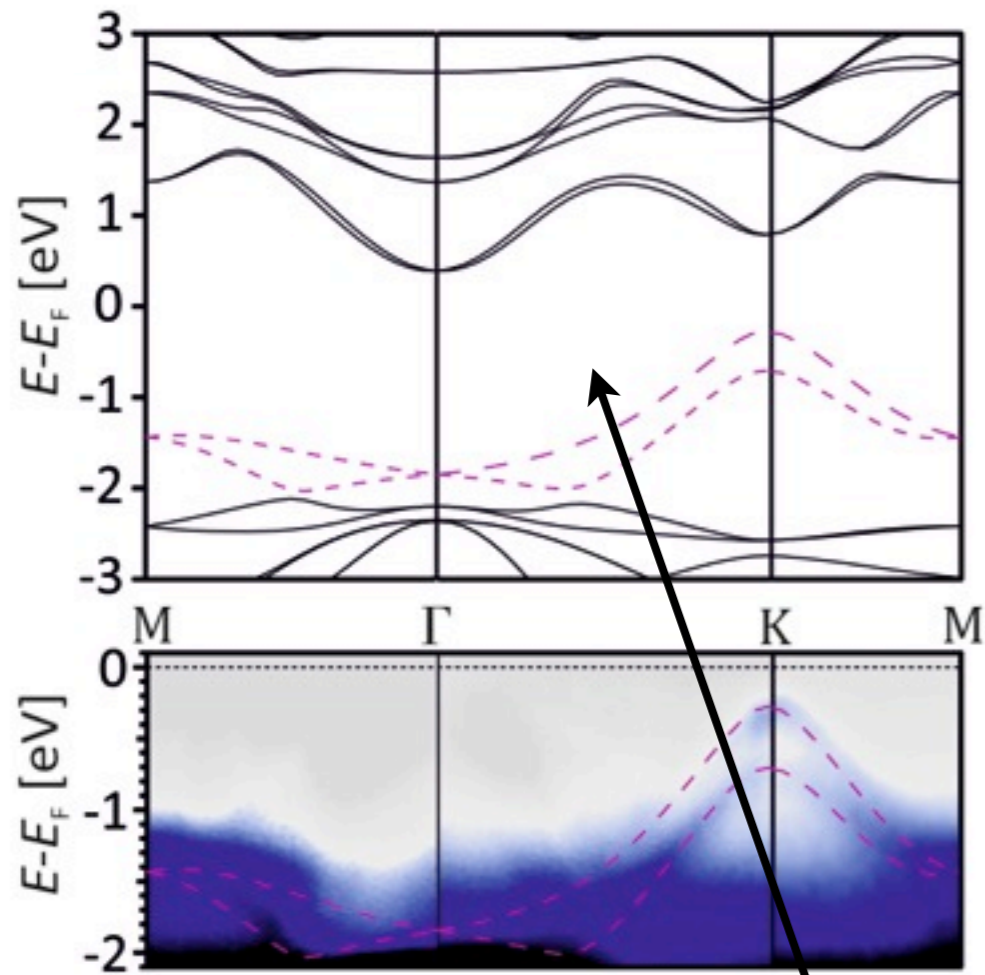
$$H_{\text{eff}}^{\sigma\sigma} = H_0^{\sigma\sigma} + \lambda_{\text{SOC}} H_{\text{SOC}}^{\sigma\sigma} + \lambda_{\text{R}} H_{\text{R}}^{\sigma\sigma}$$



Theory vs. ARPES

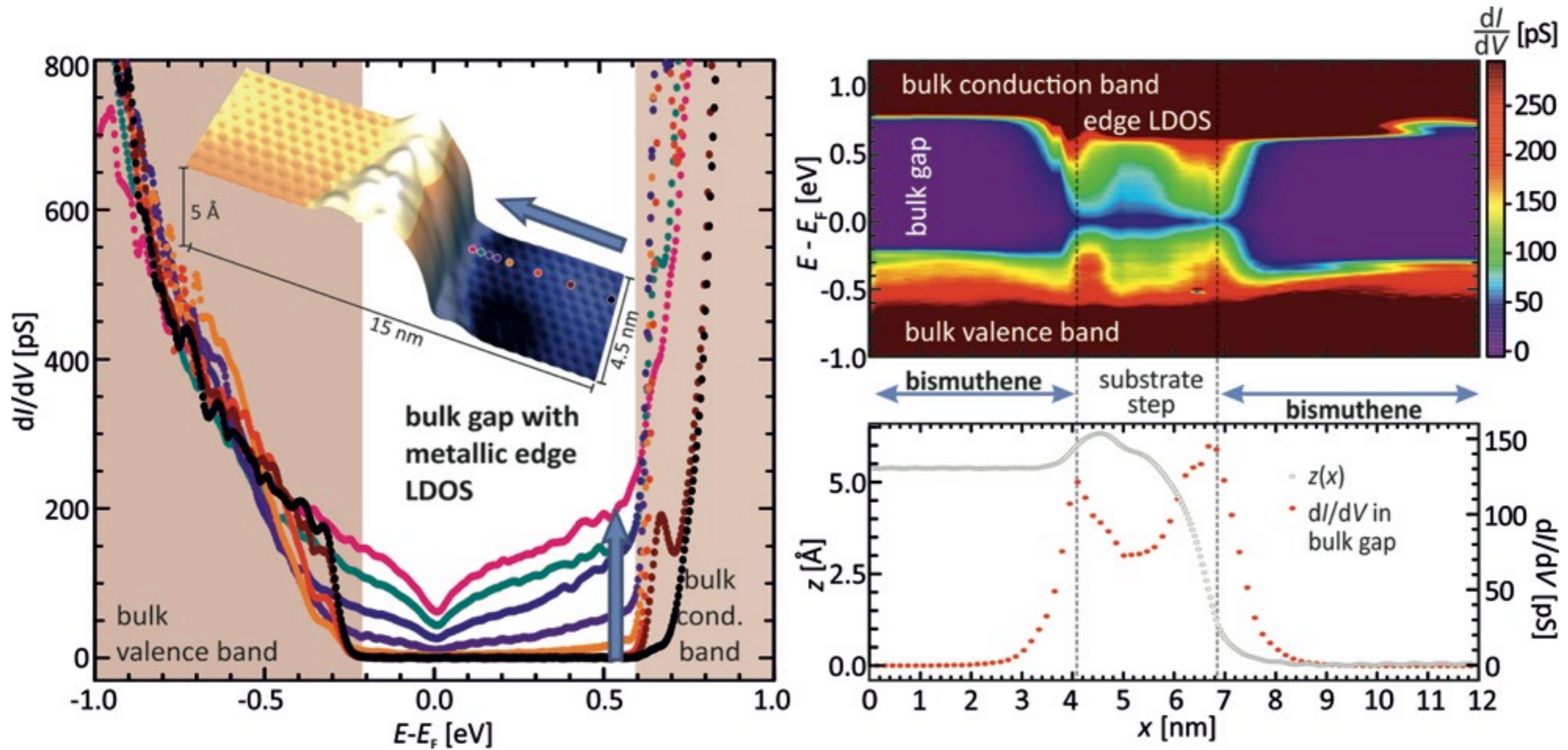


Theory vs. ARPES



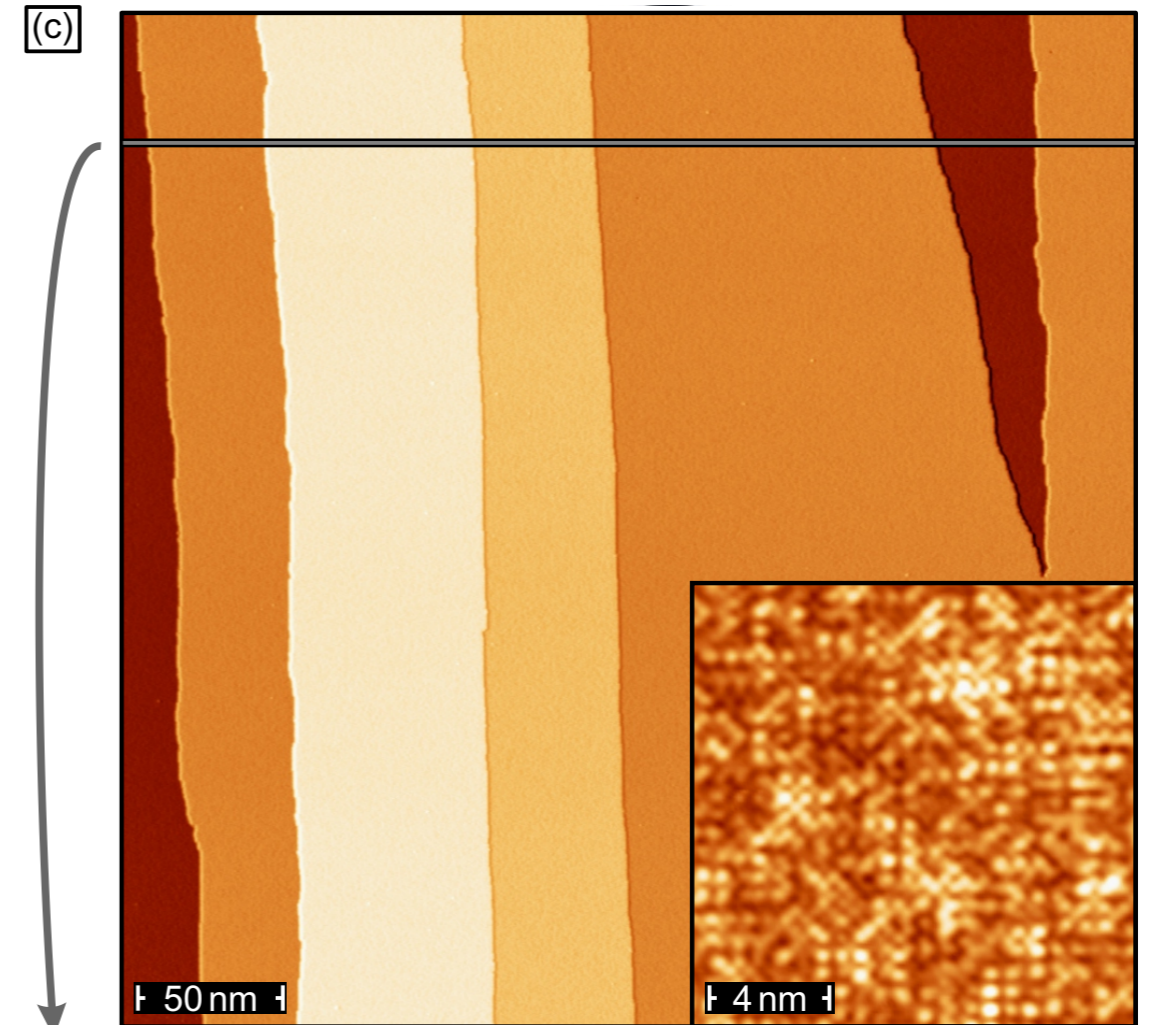
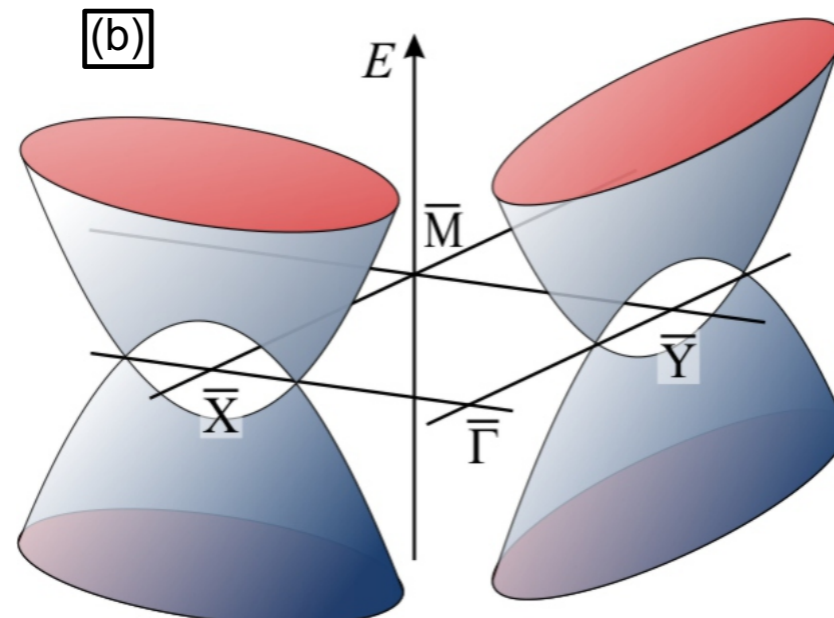
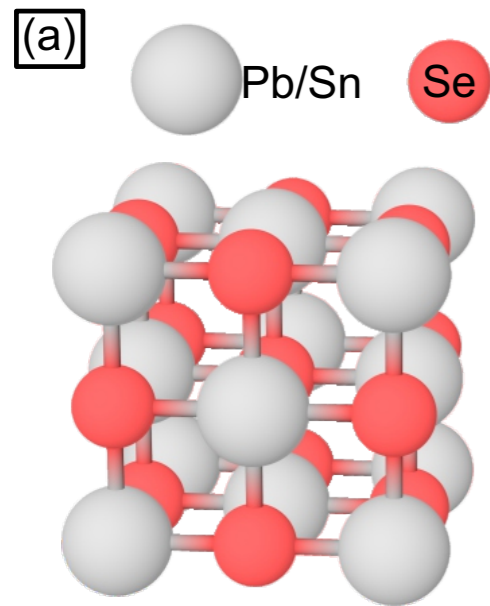
band gap: 0.67 eV!

Local edge state spectroscopy



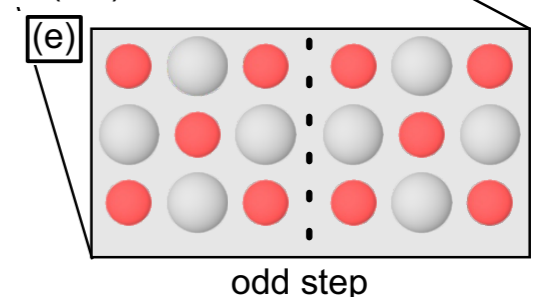
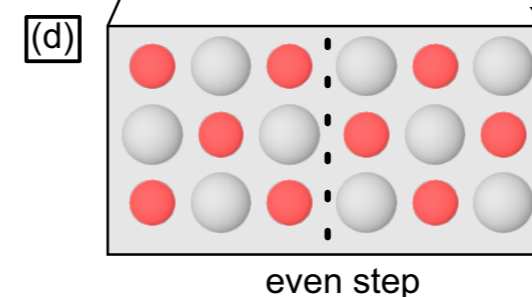
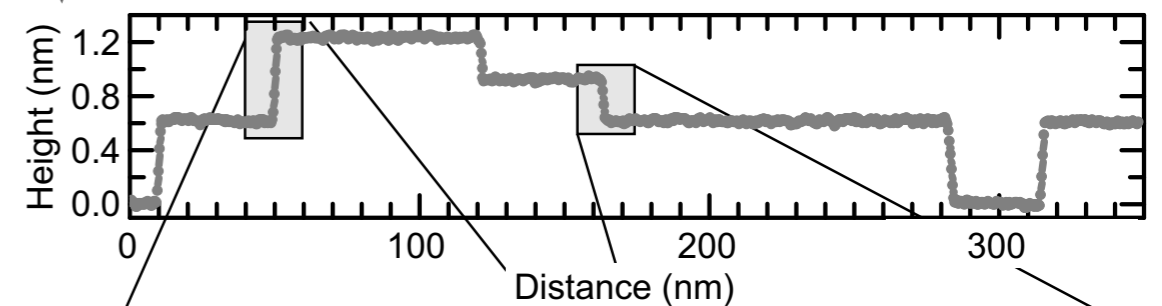
Midgap states at 1D TCI step edges: (Pb,Sn)Se

Step edges on topological crystalline insulators

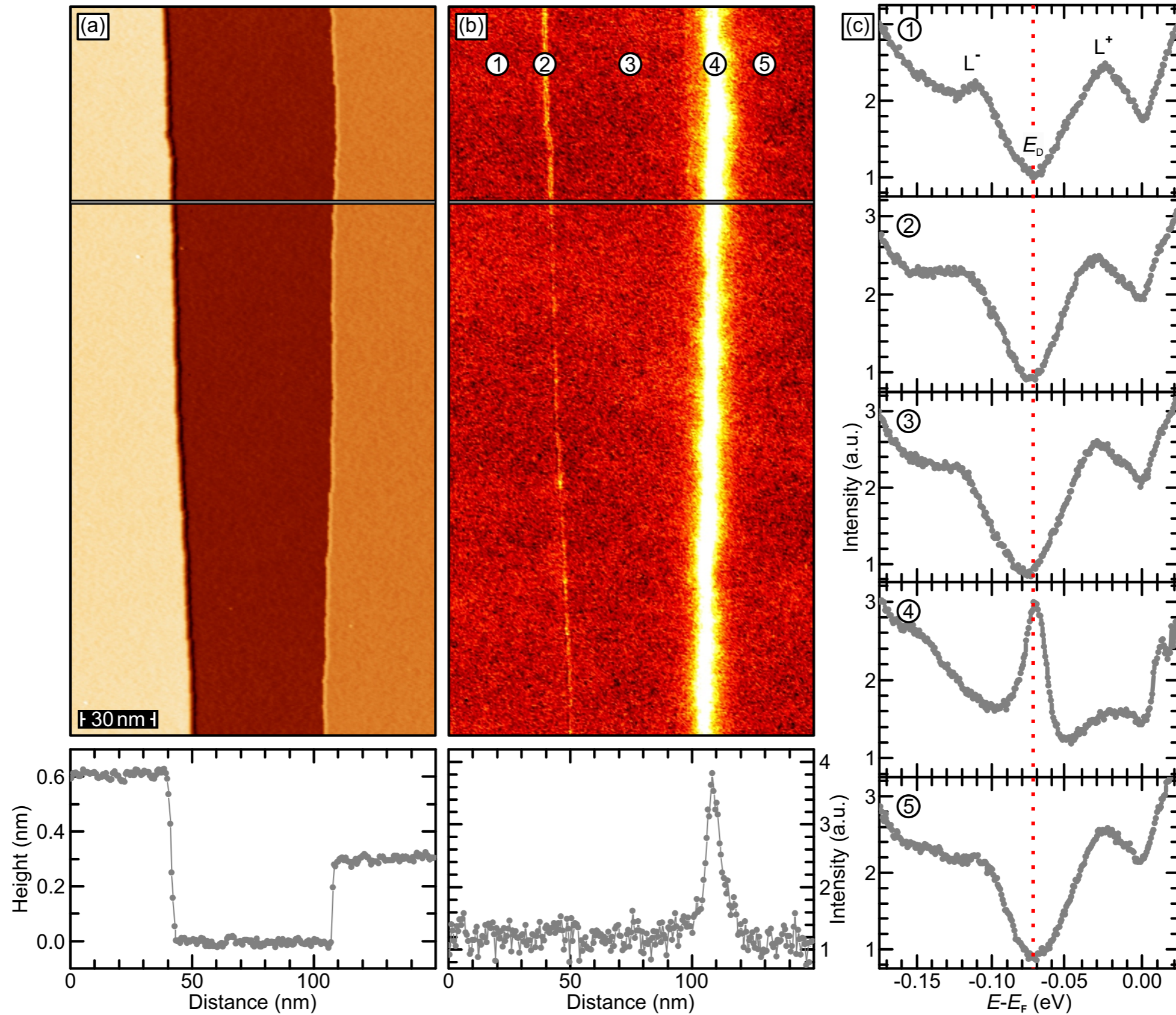


employ STM to analyze **step edges** on (Pb,Sn)Se surfaces

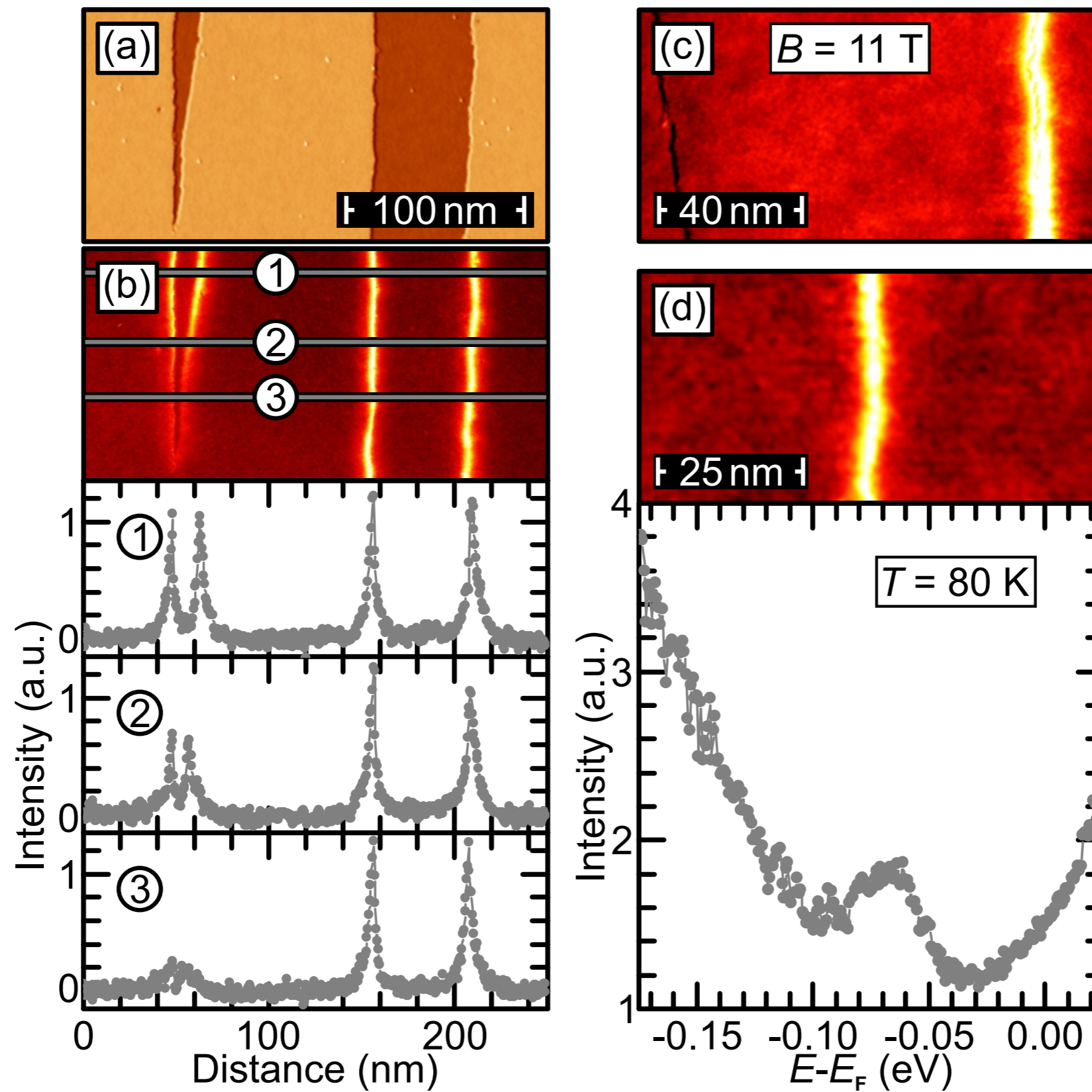
pick a (0,1) step edge orientation and distinguish **even from odd steps**



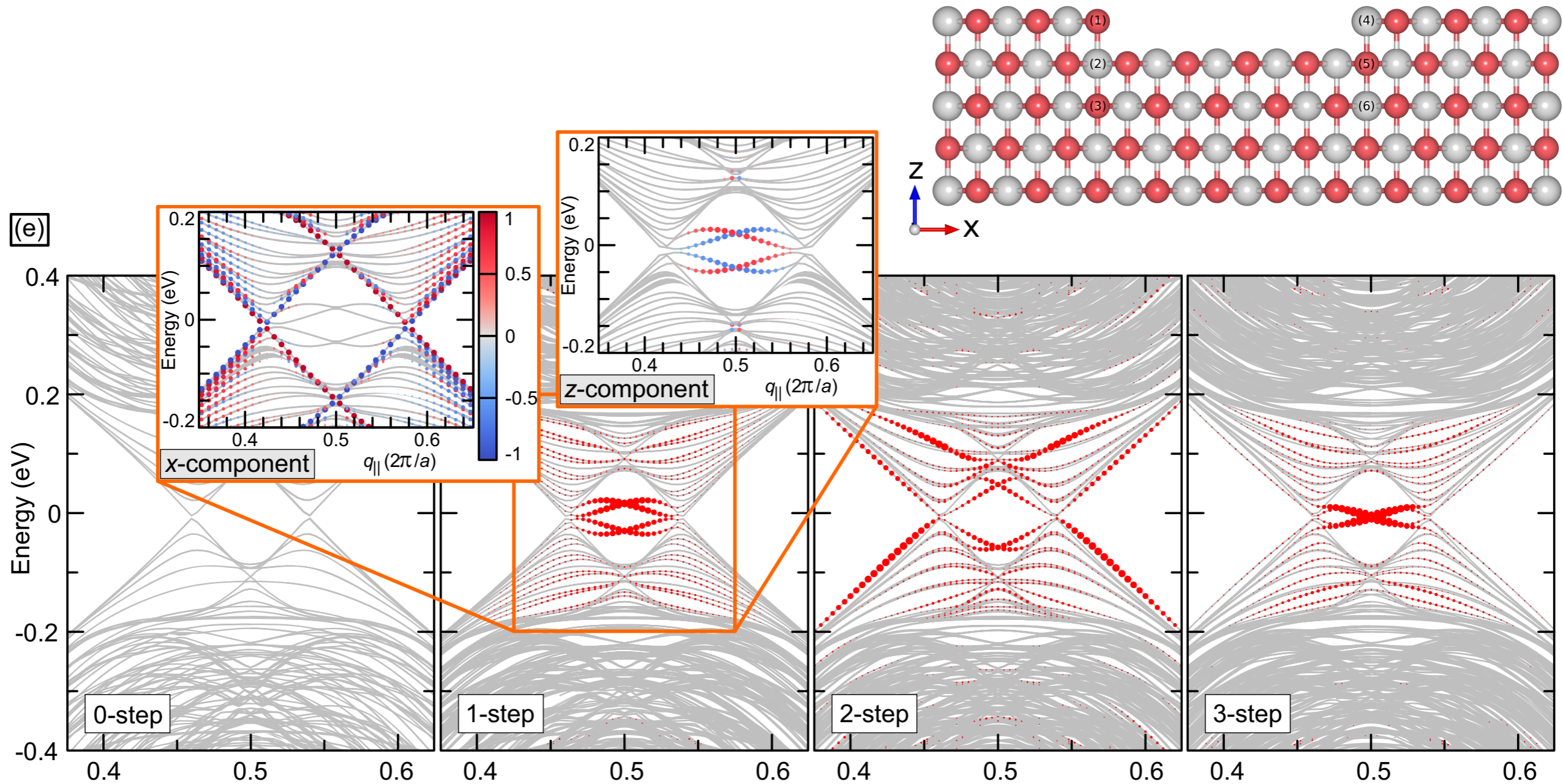
Large 1D DoS only at odd step widths!



Merging step edges



Atomistic approach: DFT



empirical confirmation: **1D DoS only at odd step edges**

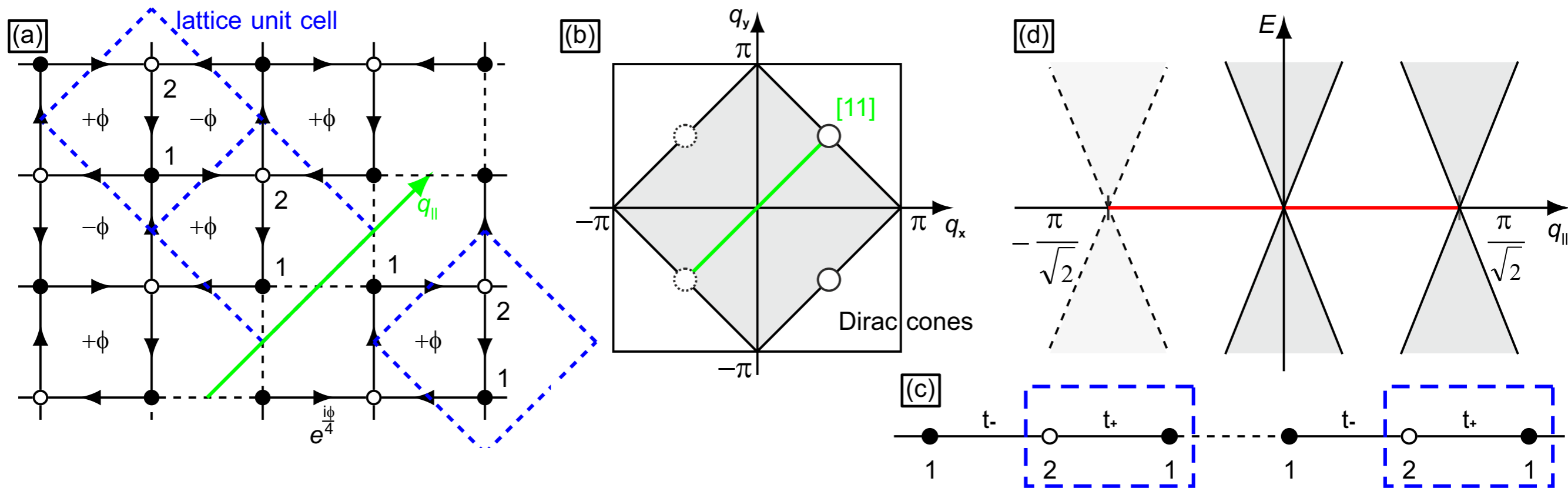
remainder dispersive features are likely to stem from finite size and equal sublattice hybridization

Microscopic explanation: toy model

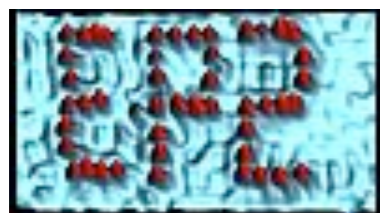
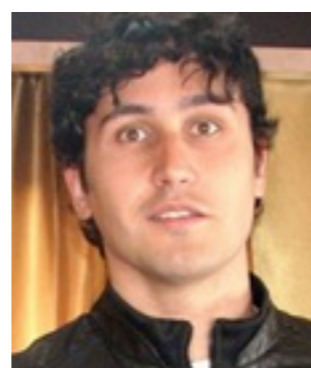
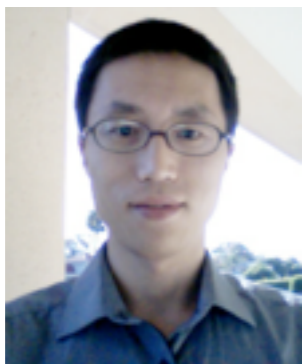
The phenomenon is related to a generalization of the **Su-Schrieffer-Heeger model** to two spatial bulk dimensions

Minimal 2D toy model: **staggered flux lattice** features 1D SSH midgap states

Details matter: Chirality of dirac cones, edge projection etc.



Research team and references



F. Reis et al., *Bismuthene on an SiC Substrate: A Candidate for a New High-Temperature Quantum Spin-Hall Paradigm*, [arXiv:1608.00812](https://arxiv.org/abs/1608.00812), under review.

P. Sessi et al., *Robust spin-polarized midgap states at step edges of topological crystalline insulators*, to appear in *Science*.